



Universität Hamburg
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CLUSTER OF EXCELLENCE
QUANTUM UNIVERSE

Learning a Representation of New Physics Models

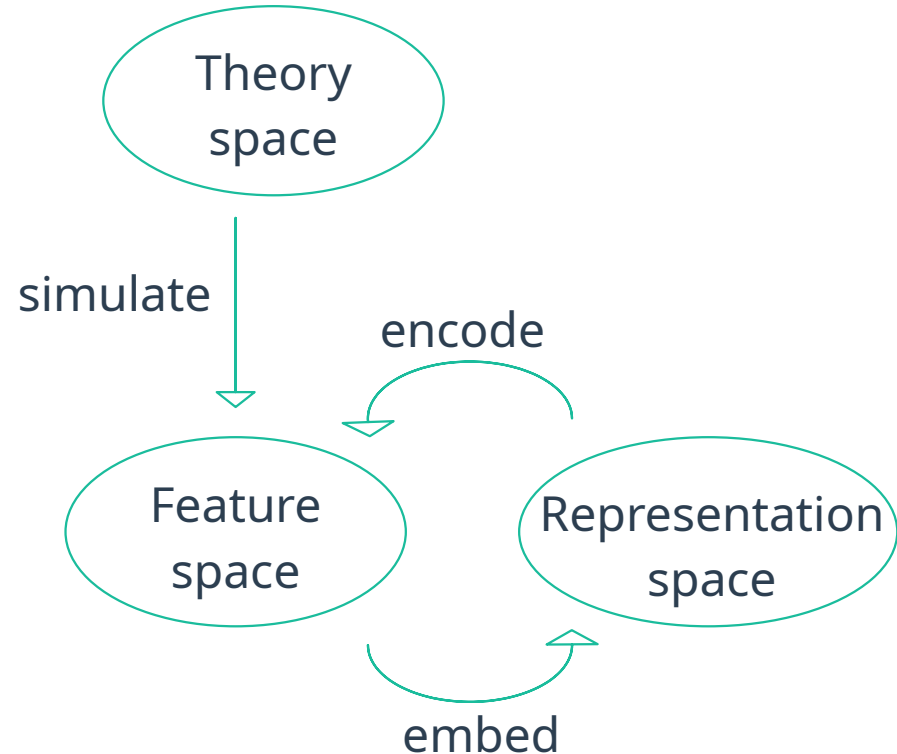
Tore von Schwartz, Gregor Kasieczka, David Shih

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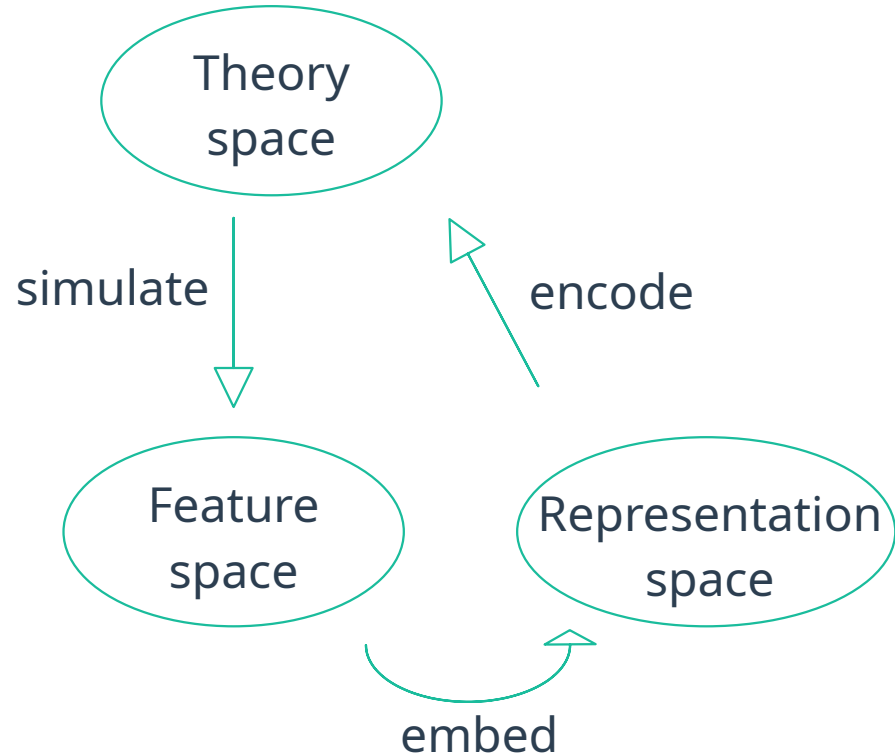
Dimensionality Reduction for Physical Data

- *„Neural Embedding: Learning the Embedding of the Manifold of Physics Data“*, S. E. Park et al.
- **Embedding in lower dimensional latent space while conserving energy mover's distance between events**



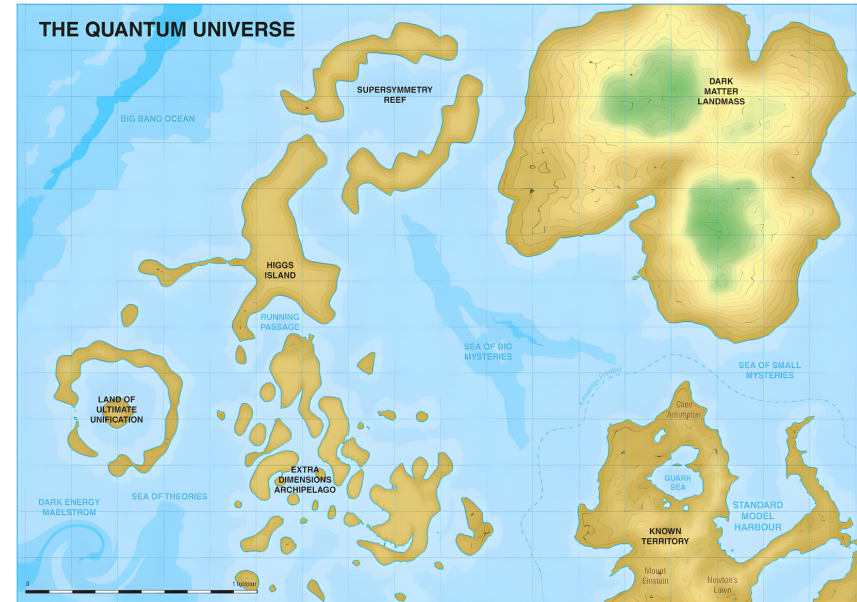
Dimensionality Reduction for Physical Data

- **Encode information about underlying theory instead of the actual events**
- **Learn embedding based on phenomenological similarities**



Universal New Physics Latent Space

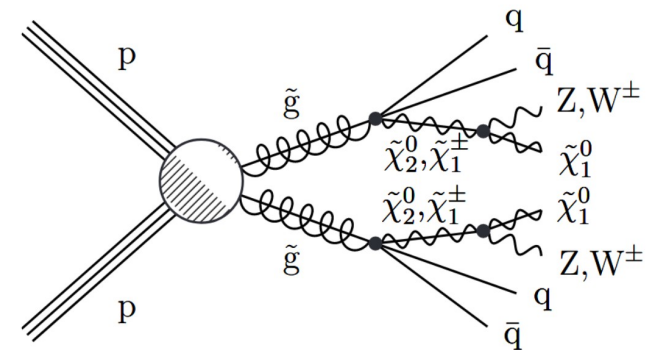
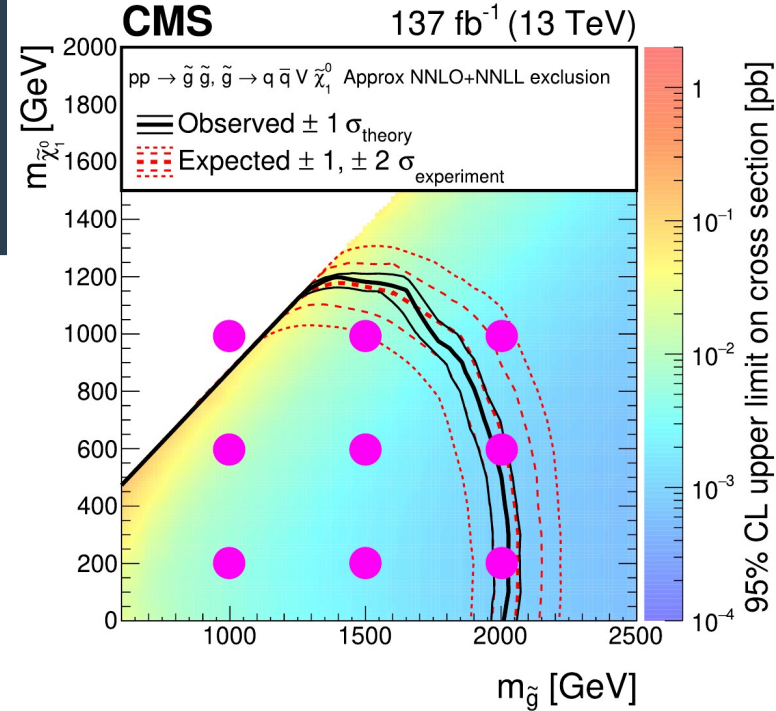
- New physics data available from simulations
- Embed data from different theories in same latent space
- Investigate phenomenological similarities in low-dimensional space



<https://cds.cern.ch/record/1601971/files/ILCTDR-OUTREACH.pdf>

Data Set

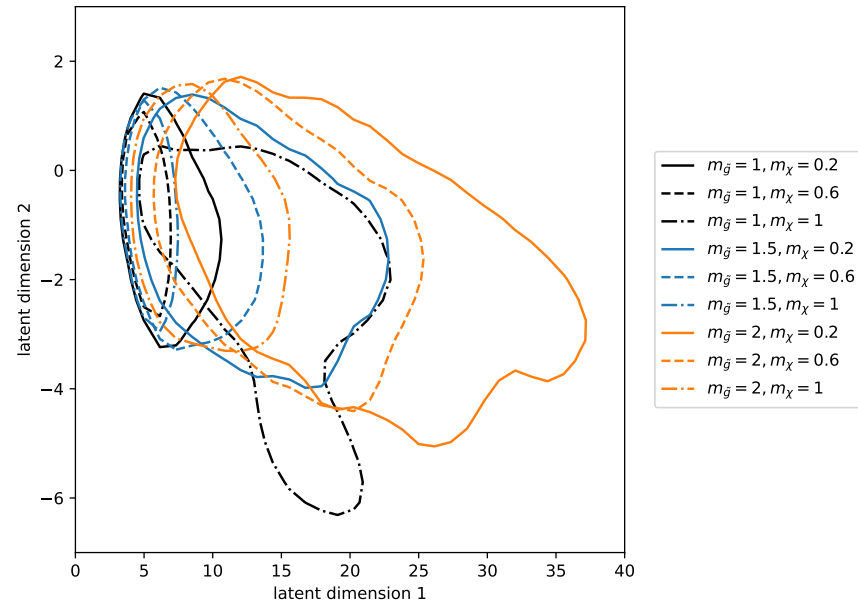
- Simulation of SUSY events for different mass parameters
- Events are gluino decays in proton-proton collisions at 13 TeV
- Use kinematic features of leading four jets and missing transverse energy



arXiv:1908.04722

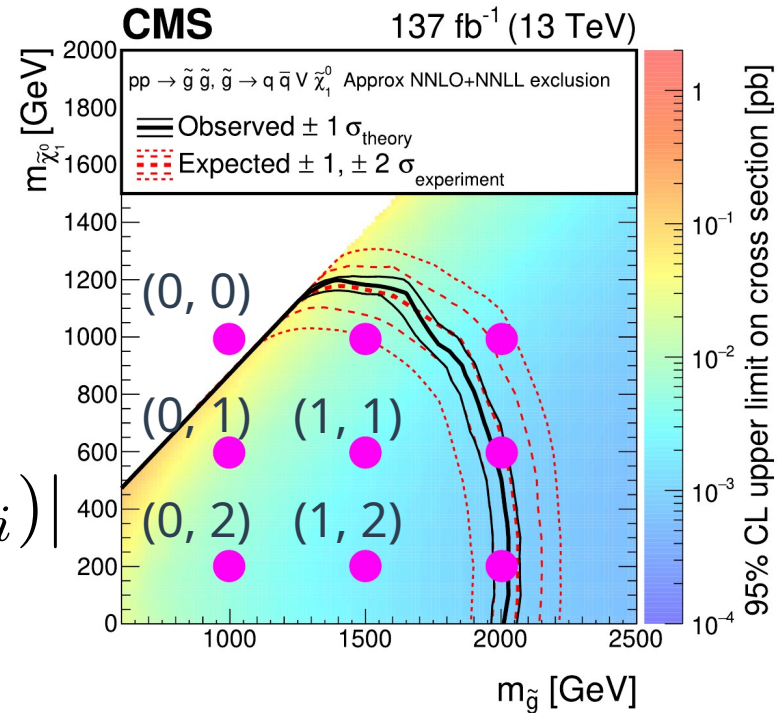
First Results

- Embed data with autoencoder trained on mean squared error loss
- No clustering but slight shift in resulting structure
- Overlapping feature distributions
→ overlapping distributions in latent space



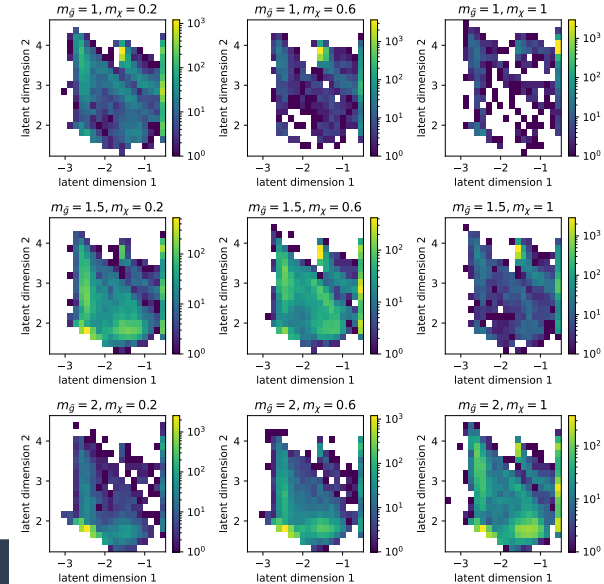
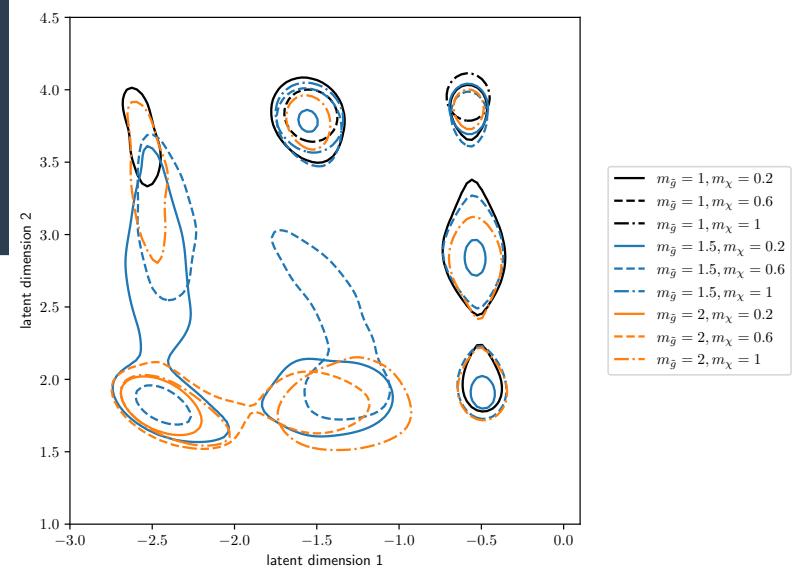
Neural Embedding

- **Additional loss term to ensure clustering**
- **Conserve metric between pair of events in latent space (arXiv:2208.05484)**
$$\mathcal{L}_{NE} \sim |d_{\mathcal{Y}}(\phi(u_i), \phi(v_i)) - d_{\mathcal{X}}(u_i, v_i)|$$
- **Here: conserve distance between data set labels**



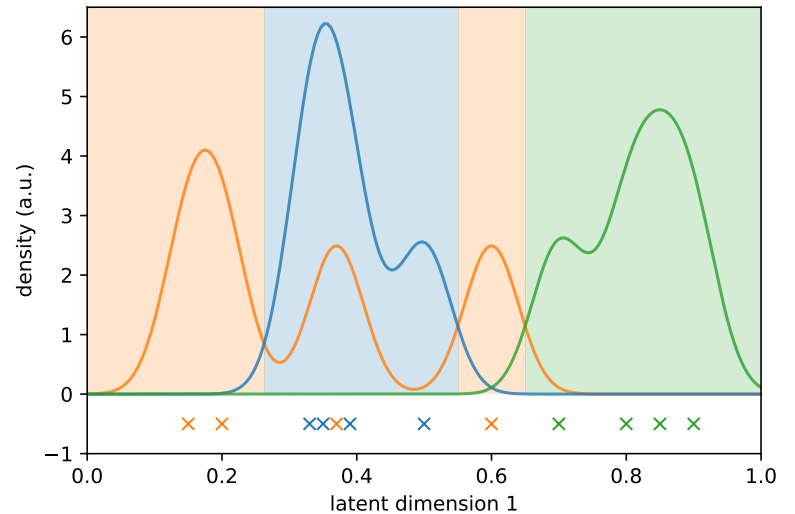
Results Neural Embedding

- Clustering not perfect but overall structure visible
- Arrangement of clusters similar to mass space
- Achieved embedding accuracy of ~43%



Performance Measurement

- Comparison with correct output not possible
- Assignment of latent space regions to specific classes based on kernel density estimation
- Allows calculation of “accuracy”



Contrastive Learning

- **Explicit and comparable data set labels not always given**

→ **replace NE loss term with contrastive loss term**

(Dimensionality reduction by learning an invariant mapping, R. Hadsell et al.)

$$\mathcal{L}_i = (1 - Y)\mathcal{L}_S(D_i) + Y\mathcal{L}_D(D_i)$$

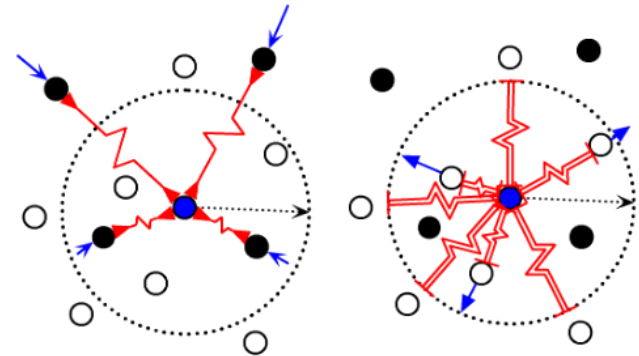
- **Goal: cluster similar points and separate dissimilar points without knowing exact arrangement of data sets**

Contrastive Learning

- **Exact choice of loss function**

$$\mathcal{L}_i = (1 - Y) \frac{1}{2} D_i^2 + Y \frac{1}{2} \max(0, m - D_i)^2$$

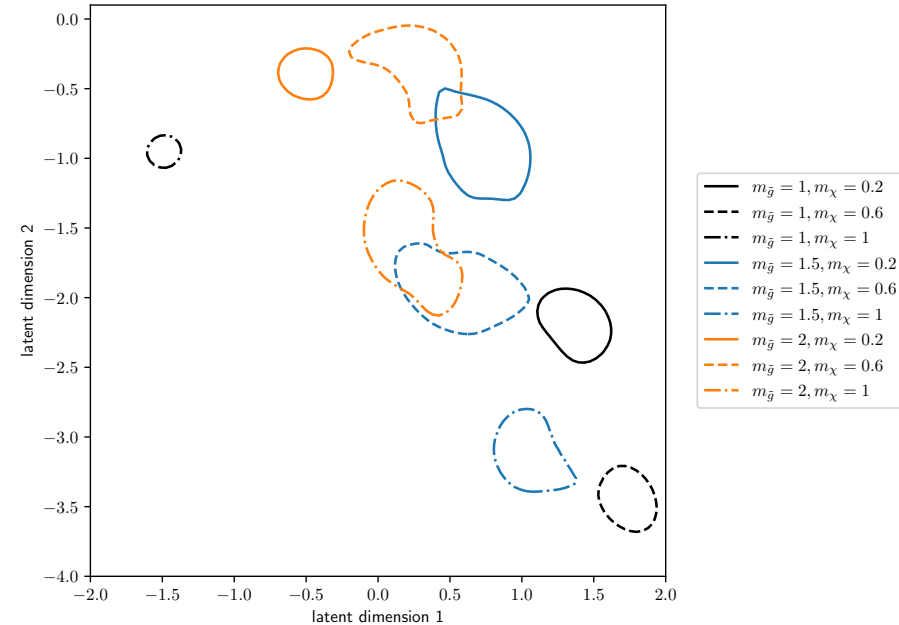
- **New margin parameter needed to deal with unbounded latent spaces**
- **Events from different theories with latent distance larger than margin parameter not longer repelled**



*Dimensionality reduction
by learning an invariant
mapping, R. Hadsell et al.*

Results Contrastive Learning

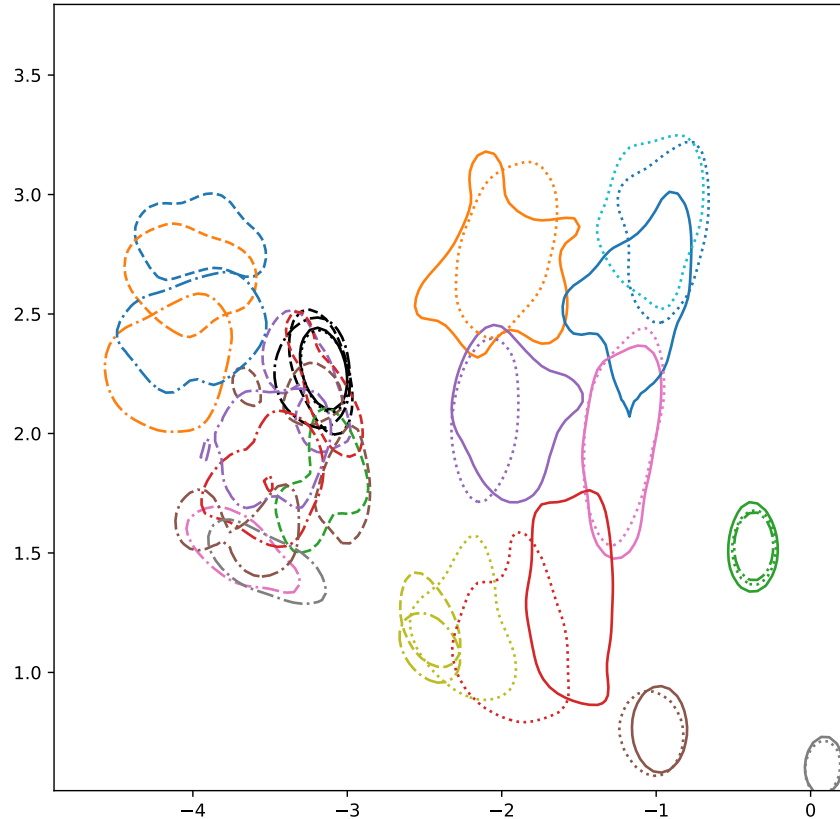
- Clearly visible clustering
- Arrangement of clusters stable over multiple trainings
→ based on physical properties
- Unphysical data set well distinguishable
→ almost perfectly separated



Dark Machines Data Set

- **Application of this method to Dark Machines data set including a larger variety of processes (arXiv:2105.14027)**
- **Data set divided in three channels with different focus and triggers**
 - Channel 1: hadronic activity with high missing energy
 - Channel 2a/b: leptonic events with either 2 or 3 leptons required
 - Channel 3: widest event coverage through loosest trigger
- **Background data set with SM events for every channel**

Results Dark Machines Data Set



- | | |
|---|--|
| — background channel 1 | - - - chargino(200) neutralino(50) production |
| — gluino gluino(1600) to jet + MET(m_n=800) | - - - gluino gluino(1000) to ttbar + MET |
| — Z'(200)+monotop | - - - Z(50)' to 4 leps + MET |
| — squark squark(1800) to jets + MET(m_n=800) | - - - chargino chargino(300) to leptons+MET(m_n=140) |
| — stop stop(1000) to top + neutralino(300) | - - - chargino chargino(600) to leptons+MET(m_n=200) |
| — gluino gluino(1400) to jet + MET(m_n=1100) | - - - chargino(250) neutralino(150) production |
| — Z'(2000)+monojet | - - - Z'(50) to 3 leps + MET |
| — squark squark(1400) to jets (m_n=800) | - - - stop stop(1000) to leptons + bs |
| — stop stop(1000) to ls + bs | background channel 3 |
| - - - background channel 2a | gluino gluino(1600) to jet + MET(m_n=800) |
| - - - chargino(250) neutralino(150) production | Z'(2000) + monojet |
| - - - chargino(400) neutralino(200) production | Z'(2000) + monoV |
| - - - Z'(50) to 3 leptons + MET | squark squark(1800) to jets + MET(m_n=800) |
| - - - chargino(200) neutralino(50) production | stop stop(1000) to top + neutralino(300) |
| - - - chargino(300) neutralino(100) production | gluino gluino(1400) to jet + MET(m_n=1100) |
| - - - gluino gluino(1000) to ttbar + MET | gluino gluino(1000) to ttbar + MET |
| - - - Z'(50) to 4 leps + MET | Z'(200) + monotop |
| - - - background channel 2b | squark squark(1400) to jets(m_n=800) |
| - - - chargino chargino(400) to leptons+MET(m_n=60) | stop stop(1000) to leptons + bs |

Conclusion

- **Learning an embedding based on phenomenological similarities of different theories is possible**
- **Training on sets as input helps to abstract from individual events**
- **Setup applicable to various data sets even without explicit relation in theory space**