

# Searches for $D^{*0}$ and $B_{(s)}^{*0} \rightarrow \mu^+ \mu^-$ decays

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MWAPP meeting  
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- Results of the search for  $D^{*0} \rightarrow \mu\mu$
- Ongoing searches for  $B_{(s)}^{*0} \rightarrow \mu^+ \mu^-$  and  $B_c^+ \rightarrow \mu^+ \mu^- \pi^+$  decays



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# Recap

## Goal:

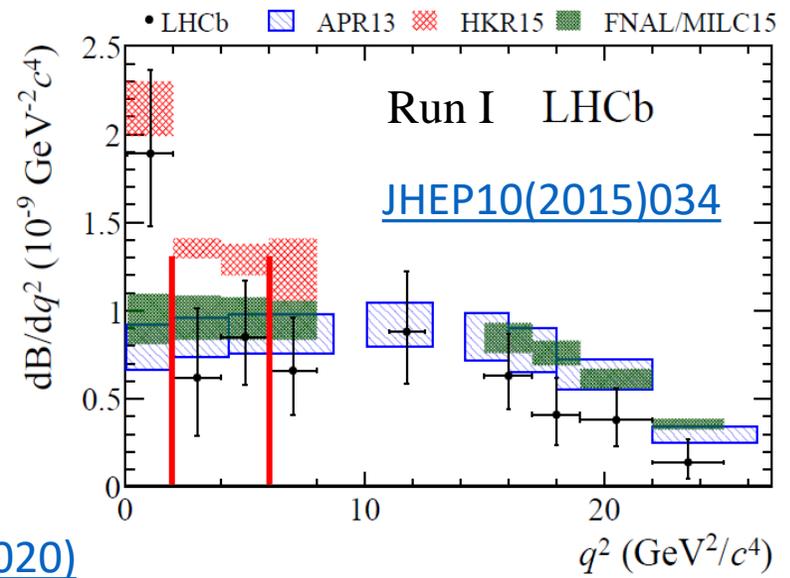
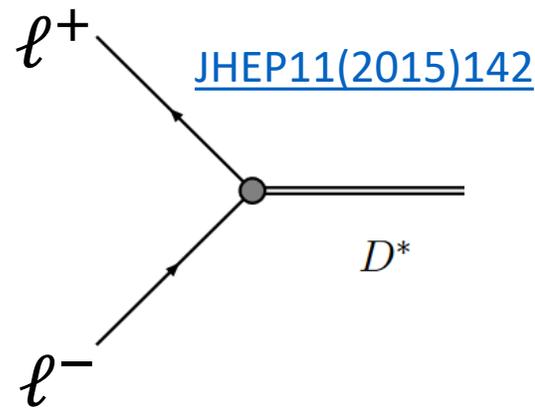
Perform a dedicated searches for  $D^{*0} \rightarrow \mu^+ \mu^-$  in  $B^- \rightarrow \pi^- \mu^+ \mu^-$  decays and  $B_{(s)}^{*0} \rightarrow \mu^+ \mu^-$  in  $B_c^+ \rightarrow \mu^+ \mu^- \pi^+$  decays

## Motivation:

- $V \rightarrow \mu\mu$  decays probe same operators as pseudo-scalar decays, but not helicity suppressed
- $D^{*0}$  ( $B_{(s)}^{*0}$ ) decay via strong (EM) transitions
- ⇒ Very small  $V \rightarrow \mu\mu$  BFs predicted in the SM ( $\lesssim 10^{-11}$ )
- $B_{(c)}^+ \rightarrow \pi^+ \mu^+ \mu^-$  decays provide most promising way to keep bkg. low through displaced vertex signature [EPJC82\(2022\)459](#)
- LHCb Run I sensitivity for  $D^{*0} \rightarrow \mu^+ \mu^-$  better than world's best limit by CMD-3:

$$\mathcal{B}(D^{*0} \rightarrow e^+ e^-) < 1.7 \cdot 10^{-6} \quad \text{PAN83.954(2020)}$$

⇒ Perform analyses exploiting Run I + II sample ( $9 \text{ fb}^{-1}$ )



# Analysis steps

## Reconstruction and selection

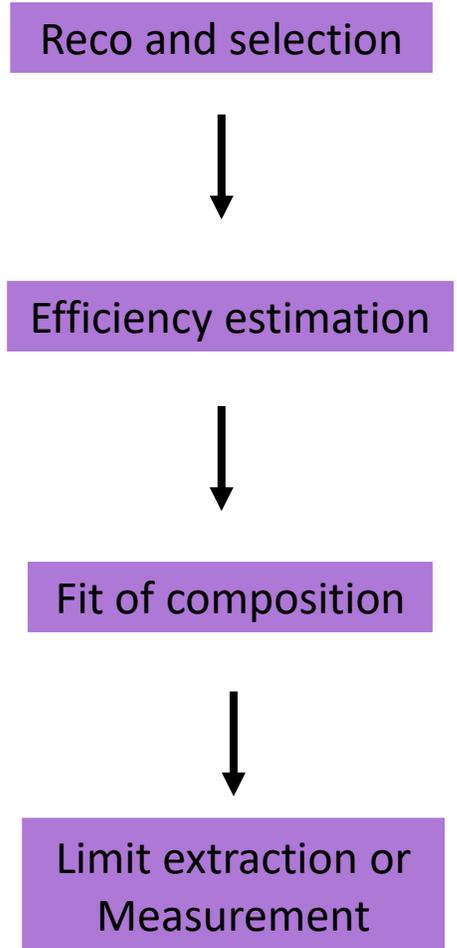
- Aligned across  $B^+ \rightarrow \mu^+ \mu^- \pi^+$  analyses: stripping, baseline and trigger selection, BDT classifier (dedicated BDT for  $B_c^+$ )
- Dedicated optimization: hadron ID and BDT selection,  $B_{(c)}^+$ -mass constraint to improve  $M(\mu\mu)$  resolution (in  $D^{*0}/B_{(s)}^{*0}$  searches)

## Determination of efficiency

- Obtained from MC and corrected for particle ID, track reco., trigger effcy., and  $B_{(c)}^+$  kinematics (in common framework)
- Systematic uncertainty by varying all corrections

## Fit of sample composition

- Dedicated fit for each analysis using  $M(\mu\mu\pi)$  and  $M(\mu\mu)$
- Confidence intervals based on Feldman-Cousins approach



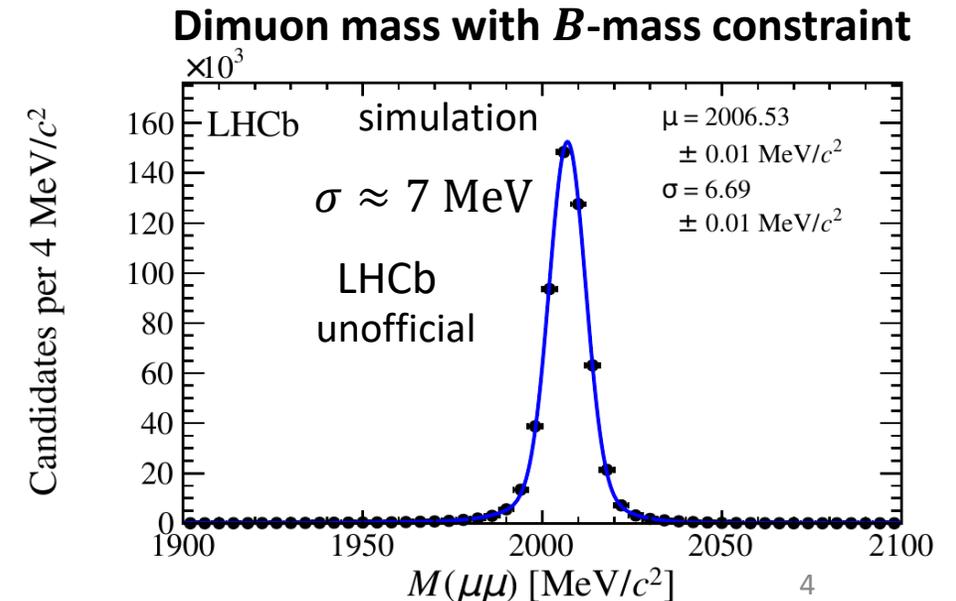
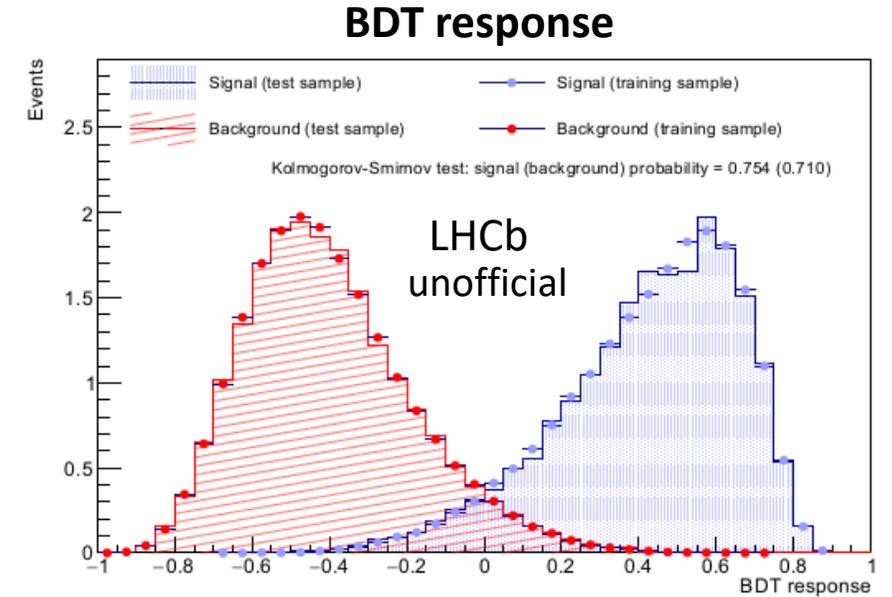
# Reconstruction and selection

Currently aligned across  $B^+ \rightarrow \mu^+ \mu^- \pi^+$  analyses:

[JHEP10\(2015\)034](#)

- Baseline selection using topological and muon ID info
- Trigger selection
- Multivariate (BDT) selection exploiting topological, kinematic and vertex info
- Muon and hadronic particle ID selection
- Apply  $B$ -mass constraint to improve dimuon mass resolution (by factor  $\approx 1.5$ )

Performed dedicated optimisation

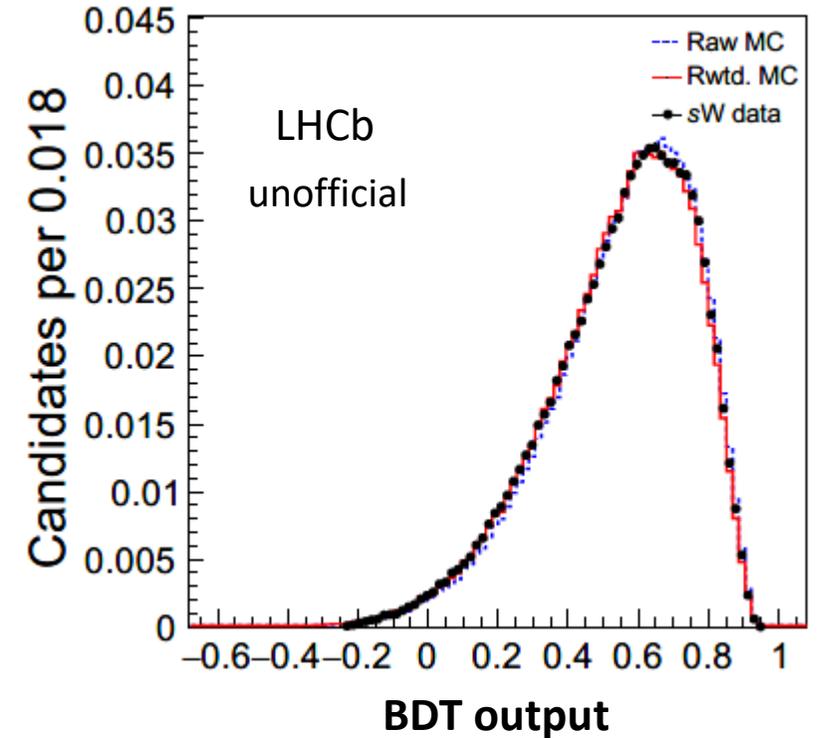


# Determination of efficiencies

- Obtain efficiencies from correctly associated candidates reconstructed in simulation.
- Correct for data/MC discrepancies associated with
  - PID selection (PID Calib)
  - Muon-ID selection (dedicated MC and PID Calib)
  - Track reconstruction (Track Calib)
  - Trigger selection (TIS-TOS method)
  - $p_t$  and track multiplicity

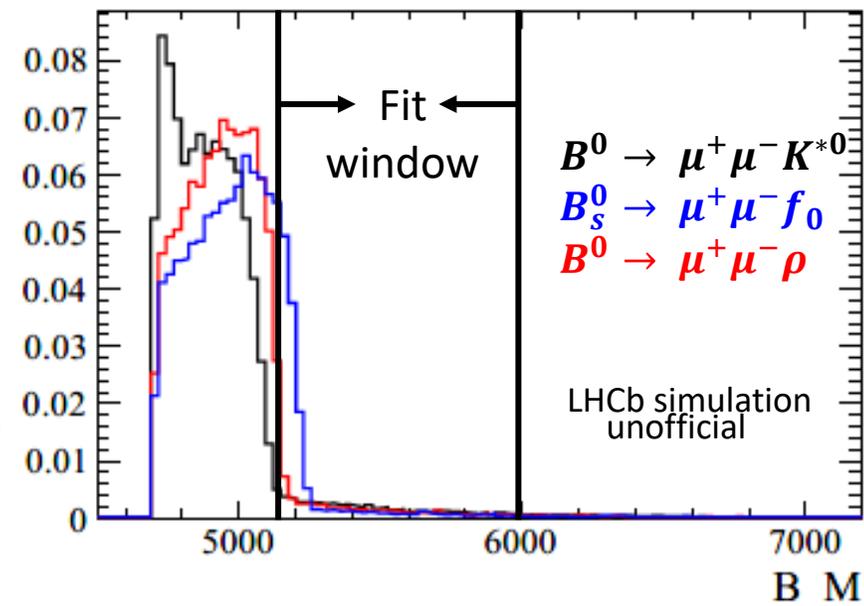
⇒ Good agreement between simulation and data after all corrections

Example of data/MC comparison



# Background studies

- Combinatorial background  $\hat{=}$  dominant source
- Non-resonant  $B^- \rightarrow \pi^- \mu^+ \mu^-$
- Misidentified  $B^- \rightarrow K^- \mu^+ \mu^-$
- Partially reconstructed decays such as  $B_{(s)}^0 \rightarrow \mu^+ \mu^- (\rho, f_0)$  are negligible and not peaking inside fit region



## New!

- Doubly misidentified decays such  $B^- \rightarrow \pi^+ \pi^- \pi^-$  expected to be negligible (Run I analysis)

[JHEP10\(2015\)034](#)

$\Rightarrow$  Performed dedicated study using simulation based on observed Dalitz distribution

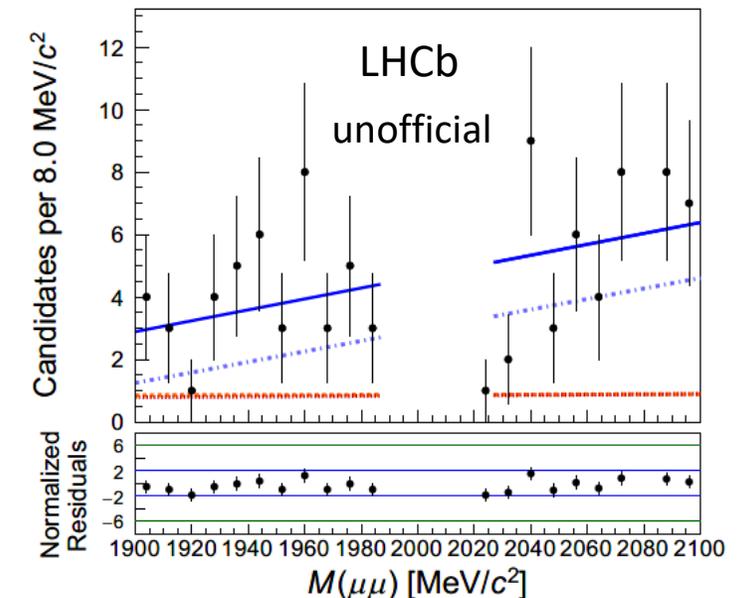
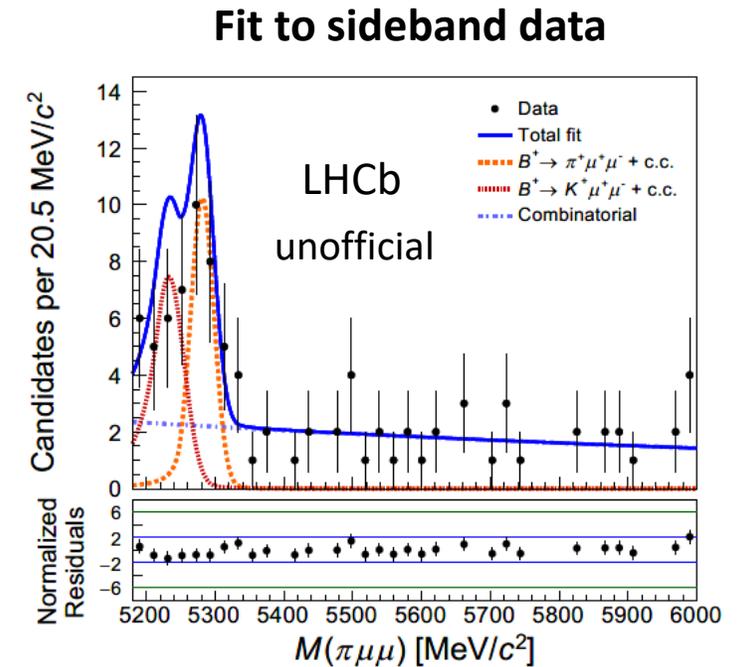
[PRD.101.012006](#)

$\varepsilon(B^+ \rightarrow \pi^+ \pi^- \pi^+) = (8 \pm 1) \cdot 10^{-11} \Rightarrow$  using PDG info expect  $10^{-3}$  events in fit region

$\Rightarrow$  No peaking dimuon mass distribution inside fit region

# Fit of sample composition

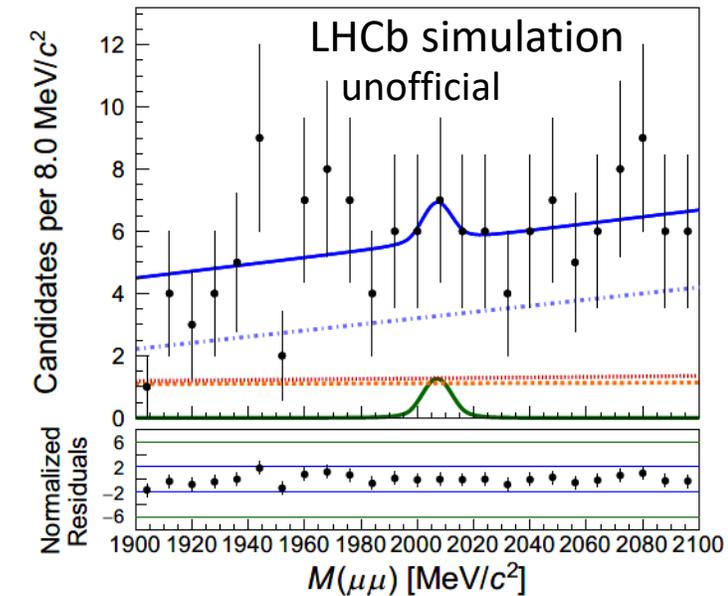
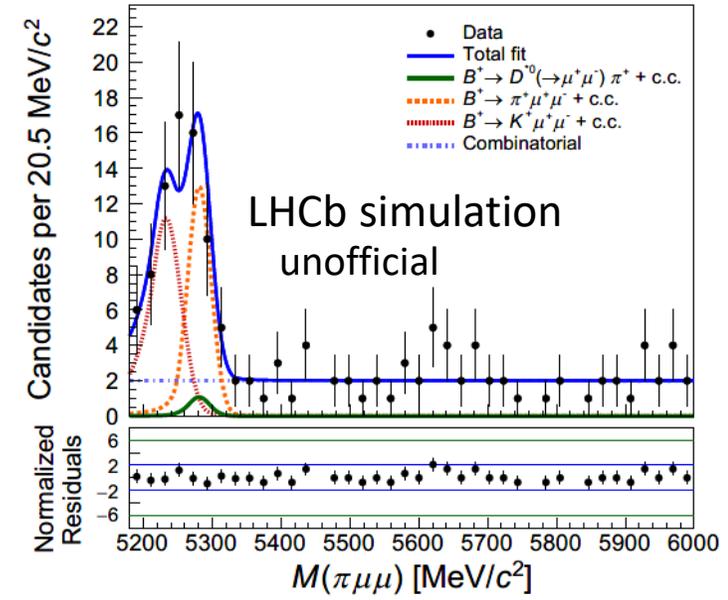
- 2D fit to  $M(\mu^+\mu^-)$  and  $M(\pi^-\mu^+\mu^-)$
  - Fit includes **signal**, nonresonant  $B^- \rightarrow \pi^-\mu^+\mu^-$  and misID  $B^- \rightarrow K^-\mu^+\mu^-$  decays, and **combinatorial** background
  - Signal and nonresonant peaking bkg. models fixed from simulation
  - Combinatorial background model varies freely
  - Resolution effects taken into account by incorporating global shift and width scaling factors estimated from data using normalization channel
- ⇒ Perform pseudoexperiments (toys) to assess sensitivity
- ⇒ Background expectation obtained from fit to sideband data



# Selection optimization

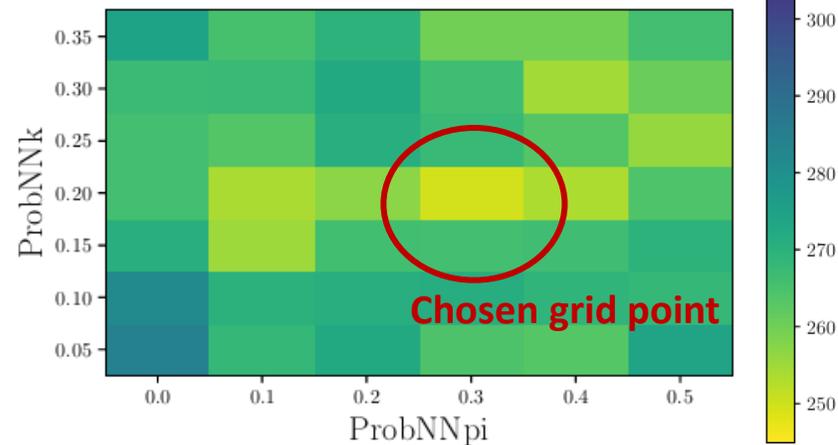
- Vary BDT and hadron PID requirements (3D Grid)
  - Perform sets of pseudoexperiments for each working point  
Generated without signal and fitted with full fit model
  - Checked that pulls are unbiased for all fit components
  - FoM:  $\sigma(N_{\text{sig}})/\hat{\epsilon}$  and cross check with  $\hat{\epsilon}/(\frac{5}{2} + \sqrt{B})$
- ⇒ Both lead to same BDT and similar hadron PID grid points

## Example pseudoexperiment

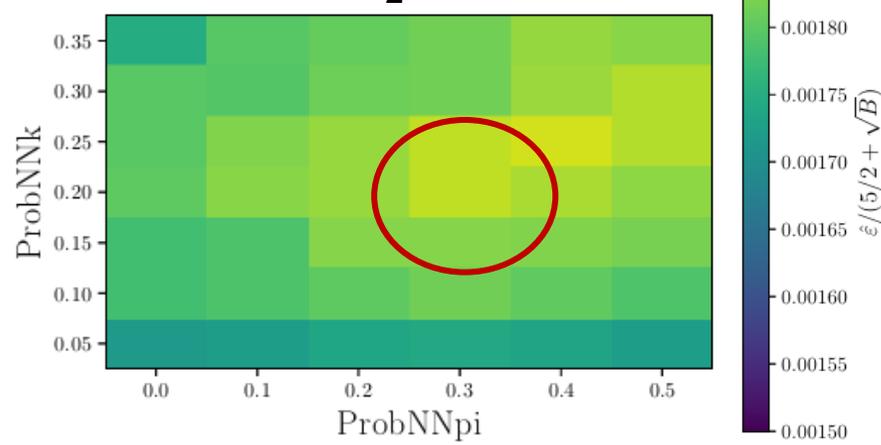


BDT > 0.35

$\sigma(N_{\text{sig}})/\hat{\epsilon}$



$\hat{\epsilon}/(\frac{5}{2} + \sqrt{B})$



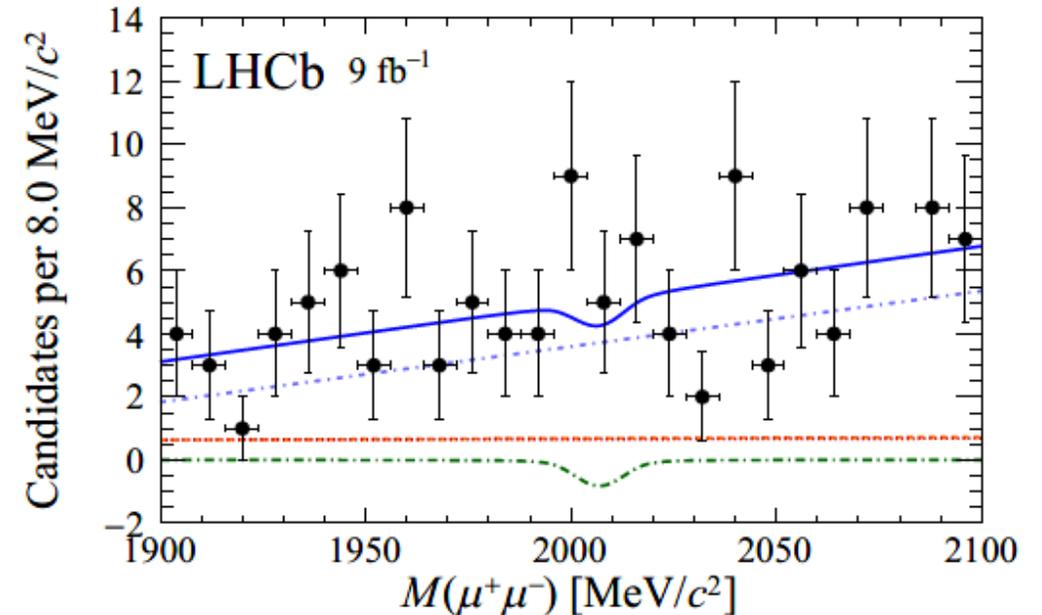
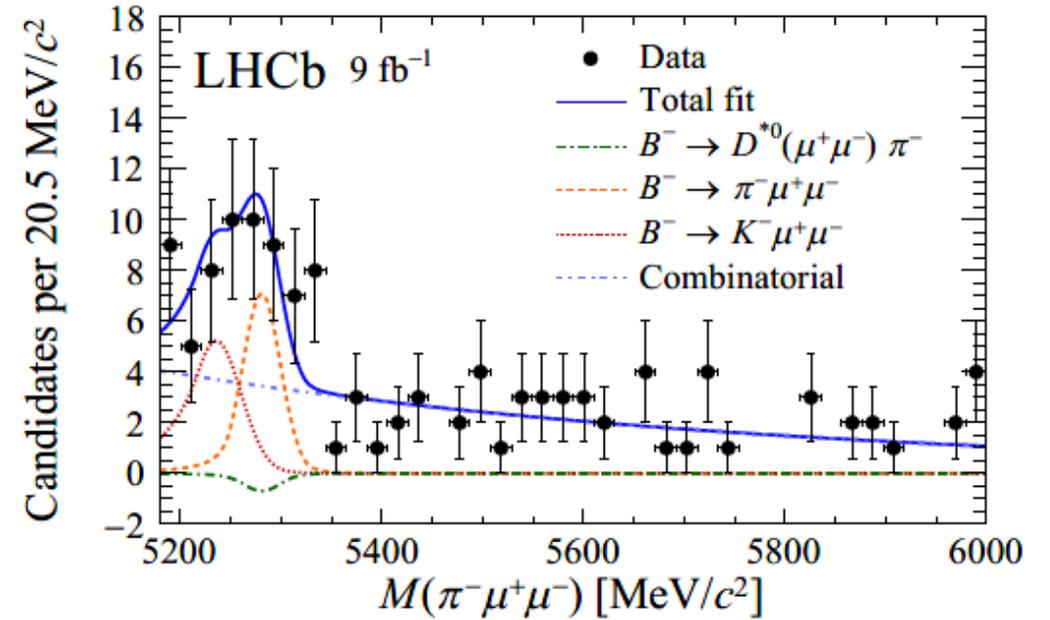
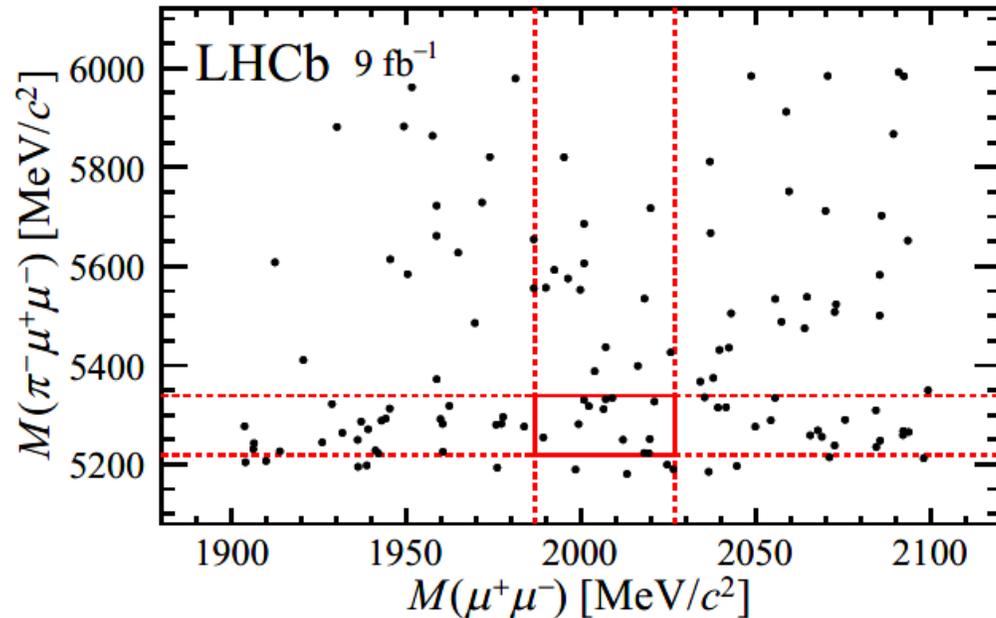
# Unblinded fit to data

New!

Fit converges to a slightly negative signal yield

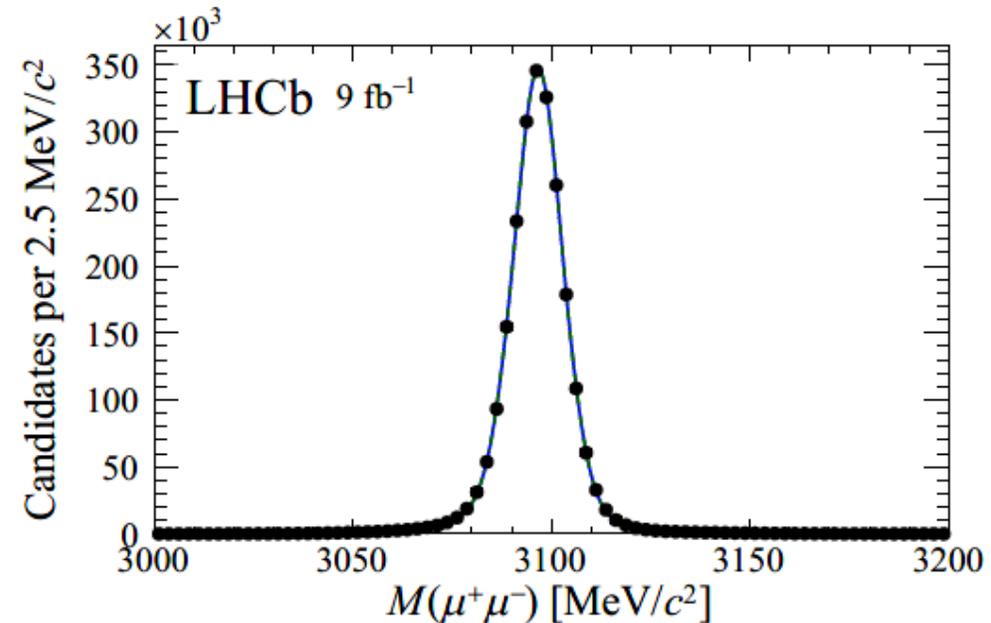
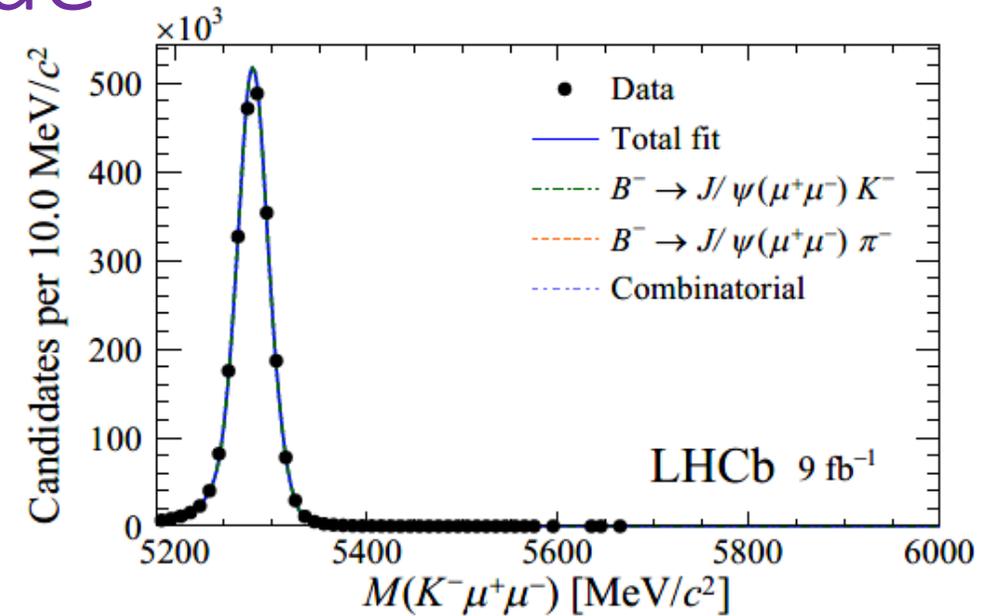
⇒ Attributed to under fluctuation of bkg. in sig. box

Component	Yield
$B^- \rightarrow D^{*0}(\mu^+\mu^-)\pi^-$	$-2 \pm 3$
$B^- \rightarrow \pi^-\mu^+\mu^-$	$17 \pm 7$
$B^- \rightarrow K^-\mu^+\mu^-$	$17 \pm 8$
Combinatorial bkg.	$90 \pm 13$



# Fit to data for normalization mode

- Obtain norm. yield and shift/resolution factors
- 2 independent 1D fits to  $M(\mu^+\mu^-)$  and  $M(K^-\mu^+\mu^-)$ 
  - Small correlations in tails might lead to biases in 2D fit due to the large sample size
- Fit includes  $B^- \rightarrow J/\psi K^-$  and misID  $B^- \rightarrow J/\psi \pi^-$  decays and combinatorial bkg.
- $B^- \rightarrow J/\psi K^-$  and  $J/\psi \pi^-$  models fixed from simulation with free global shift and width scaling factor
- Combinatorial background model varies freely
- Same PDFs as in signal mode fit
- ⇒ Negligible  $J/\psi \pi^-$  and comb bkg. contributions
- Cross check performed with alternative signal model (Hypathia for  $M(K^-\mu^+\mu^-)$  and G+dsCB for  $M(\mu^+\mu^-)$ )
- ⇒ Differences between fit results taken as sys. uncty.



# Systematic uncertainties

New!

Reparametrize signal yield in the fit using

$$\mathcal{B}(D^{*0} \rightarrow \mu^+ \mu^-) = \frac{N_{B^- \rightarrow D^{*0} \pi^-}}{N_{B^- \rightarrow J/\psi K^-}} \frac{\epsilon_{B^- \rightarrow J/\psi K^-}}{\epsilon_{B^- \rightarrow D^{*0} \pi^-}} \frac{\mathcal{B}(B^- \rightarrow J/\psi K^-)}{\mathcal{B}(B^- \rightarrow D^{*0} \pi^-)} \mathcal{B}(J/\psi \rightarrow \mu^+ \mu^-)$$

Efficiency ratio
Known BFs

Norm. yield

⇒ incorporate external inputs as Gaussian constraints (width = stat. ⊕ syst. uncertainties)

- Efficiency ratio uncertainty: consistent variations of data/MC corrections for signal and normalization modes
  - Normalization yield: difference between 1D fits
  - Dimuon and  $B$ -mass resolution: diff. in shift and scaling between default and alternative normalization models
- ⇒ Dominant source: uncertainties on known BFs (PDG)

Parameter	$\mu \pm \sigma$
$\mathcal{B}(B^- \rightarrow J/\psi K^-)$ [ $10^{-4}$ ]	$10.20 \pm 0.19$
$\mathcal{B}(B^- \rightarrow D^{*0} \pi^-)$ [ $10^{-3}$ ]	$4.90 \pm 0.17$
$\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^-)$ [ $10^{-3}$ ]	$59.61 \pm 0.33$
$r_{J/\psi K^- / D^{*0} \pi^-}$	$1.21 \pm 0.03$
$N_{J/\psi K^-}$ [ $10^3$ ]	$2316 \pm 8$
$M(K \mu^+ \mu^-)$ shift [ $\text{MeV}/c^2$ ]	$0.06 \pm 0.11$
$M(K \mu^+ \mu^-)$ width scale factor	$1.14 \pm 0.12$
$M(\mu^+ \mu^-)$ shift [ $\text{MeV}/c^2$ ]	$-0.065 \pm 0.005$
$M(\mu^+ \mu^-)$ width scale factor	$1.143 \pm 0.001$

# Limit extraction

- Perform toys and build conf. band following Feldman-Cousins prescription ([PRD.57.3873](#))
- Results from fit to data

$$\mathcal{B}(D^{*0} \rightarrow \mu^+ \mu^-) = (-1.06 \pm 1.85) \cdot 10^{-8}$$



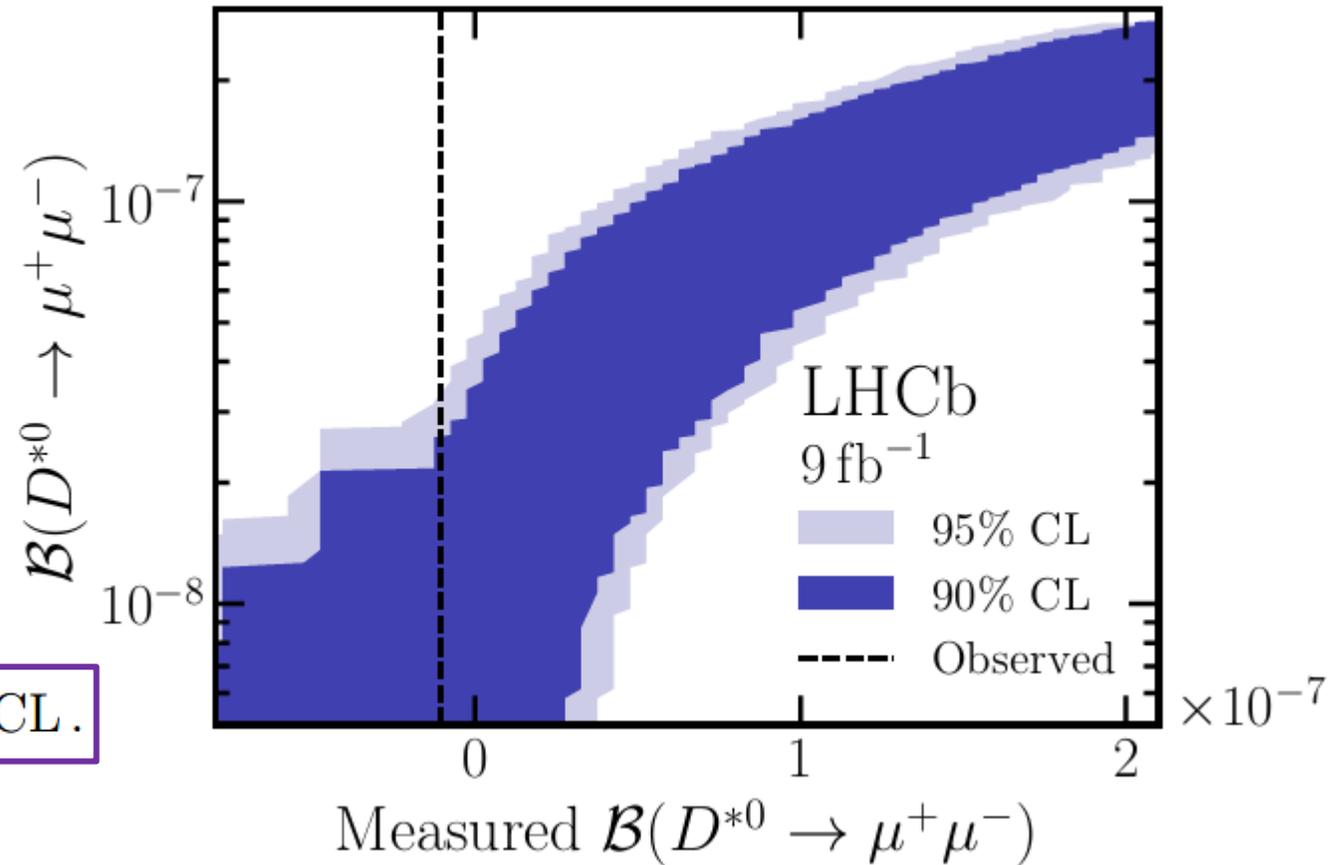
$$\mathcal{B}(D^{*0} \rightarrow \mu^+ \mu^-) < 2.6 (3.4) \times 10^{-8} \text{ at } 90 (95)\% \text{ CL.}$$

⇒ Consistent with expectations

- Repeat procedure with fixed values of external inputs to assess impact of systematic uncertainties

$$\mathcal{B}(D^{*0} \rightarrow \mu^+ \mu^-) < 2.3 (3.2) \times 10^{-8} \text{ at } 90 (95)\% \text{ CL.} \quad \Rightarrow \text{Results statistically limited}$$

⇒ Repeating procedure restricting signal yield in fit to positive values and also performing counting experiments leads to consistent results



# Search for $B_c^+ \rightarrow \mu^+ \mu^- \pi^+$ decays

## Goal

Search for nonresonant  $B_c^+ \rightarrow \mu^+ \mu^- \pi^+$  decays (yet unobserved)

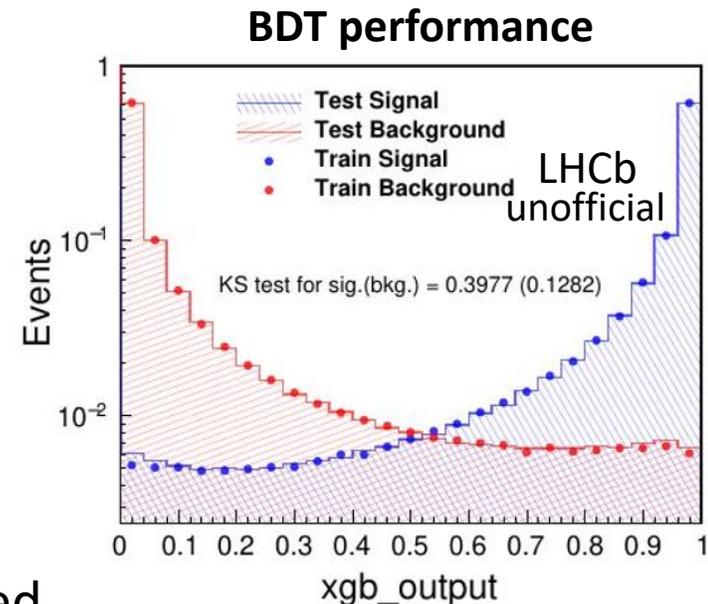
⇒ Extend the search then to  $B_{(s)}^{*0} \rightarrow \mu^+ \mu^-$  in  $B_c^+ \rightarrow \mu^+ \mu^- \pi^+$  decays

## Strategy

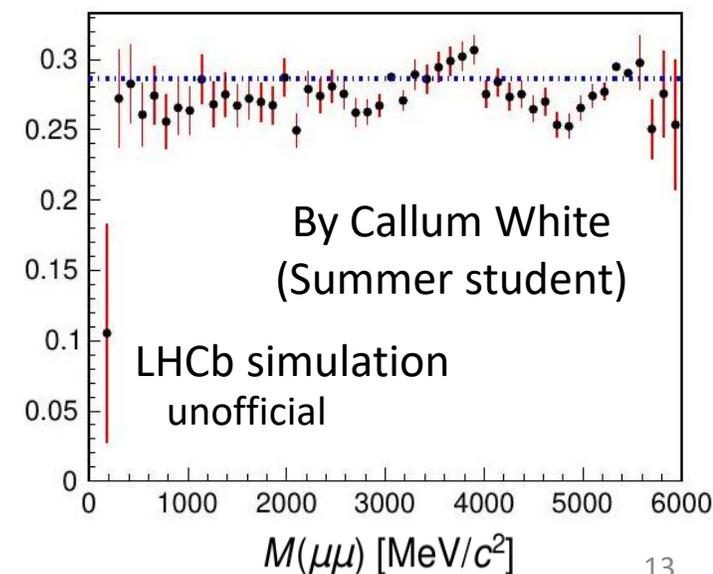
- Perform reconstruction, selection, efficiency determination, and fit based on  $D^{*0} \rightarrow \mu^+ \mu^-$  search
- Perform dedicated optimization where needed (MVA classifier, PID selection, fit model)
- Cross check by measuring  $\mathcal{B}(B_c^+ \rightarrow \psi(2S) \pi^+) / \mathcal{B}(B_c^+ \rightarrow J/\psi \pi^+)$

## MVA selection

- Trained dedicated BDT classifier exploiting topology of  $B_c^+$  decays
- BDT trained to avoid dependence with  $M(\mu\mu)$
- Performed dedicated optimization of hadron ID and BDT selection



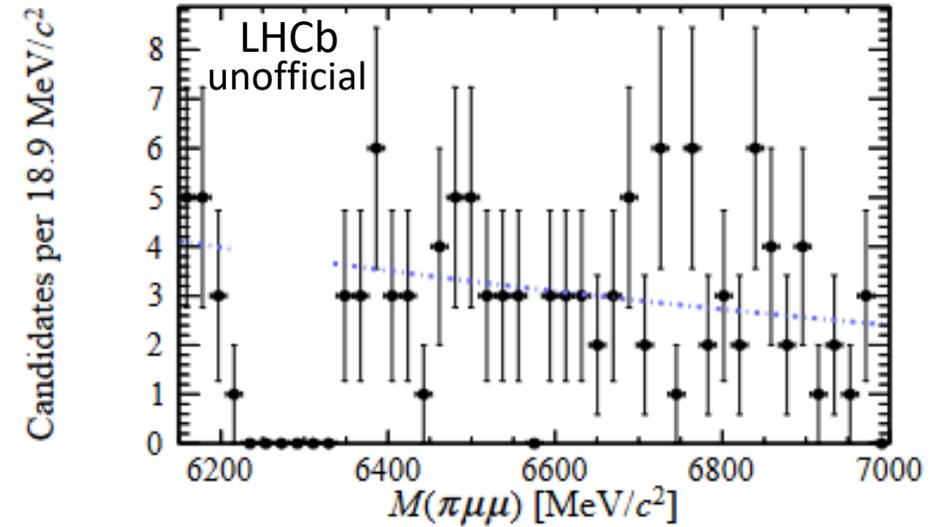
## BDT efficiency at optimum



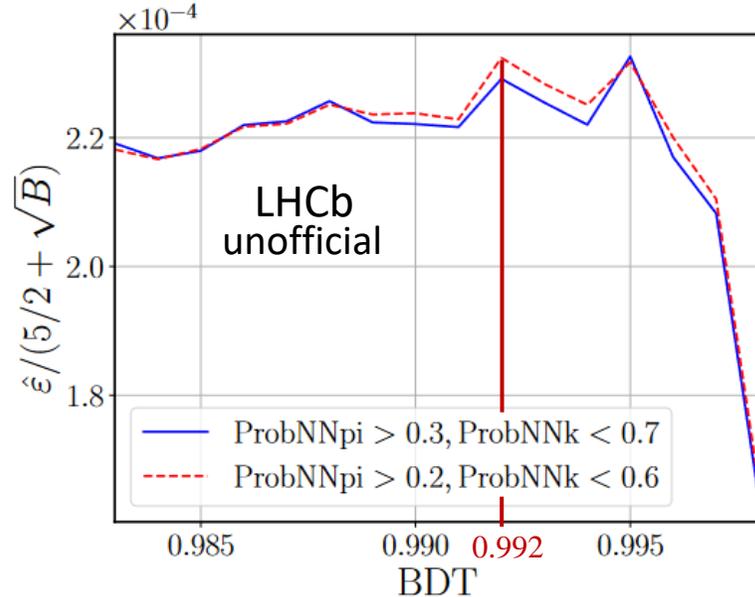
# Selection optimization

- Maximise sensitivity to search for nonresonant  $B_c^+ \rightarrow \mu^+ \mu^- \pi^+$  decays using  $\text{FoM} = \hat{\epsilon} / (\frac{5}{2} + \sqrt{B})$
- Maximise sensitivity for  $B_c^+ \rightarrow \psi(2S) \pi^+$  to update BF ratio using  $\text{FoM} = S / \sqrt{S + B}$
- Expectations from signal simulation and sideband data  
 $\Rightarrow$  2 BDT and PID working points

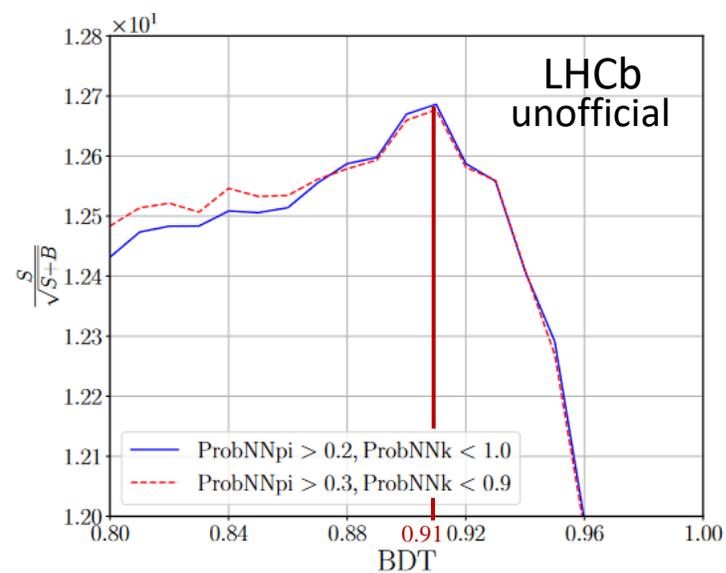
$B_c^+ \rightarrow \mu^+ \mu^- \pi^+$  sideband fit at optimum



$B_c^+ \rightarrow \mu^+ \mu^- \pi^+$  optimisation



$B_c^+ \rightarrow \psi(2S) \pi^+$  optimisation



By Vedanshu Mahajan  
(Master student)

# Summary and outlook

## Search for $D^{*0} \rightarrow \mu^+ \mu^-$ decays

- Analysis converged, results approved, paper draft under review
- No excess over background-only hypothesis observed
- Set most stringent limit on  $D^{*0} \rightarrow \ell^+ \ell^-$  decays

$$\mathcal{B}(D^{*0} \rightarrow \mu^+ \mu^-) < 2.6 (3.4) \times 10^{-8} \text{ at } 90 (95)\% \text{ CL.}$$

⇒ To be shown for first time next week at Moriond EW

## Search for nonresonant $B_c^+ \rightarrow \mu^+ \mu^- \pi^+$ decays

- Trained BDT against combinatorial bkg., optimized selection, prepared fits
- Currently studying agreement between data and simulation
- TODO: study misID and partially reconstructed backgrounds

## Search for $B_{(s)}^{*0} \rightarrow \mu^+ \mu^-$ decays

- Can use same BDT as for  $B_c^+ \rightarrow \mu^+ \mu^- \pi^+$  search, but needs selection optimisation
- Major limitation are missing denominators  $\mathcal{B}(B_c^+ \rightarrow B_s^* \pi^+)$  and  $\mathcal{B}(B_c^+ \rightarrow B^{*0} \pi^+)$

⇒ Will pick up soon analysis started by Matthew Monk et al.

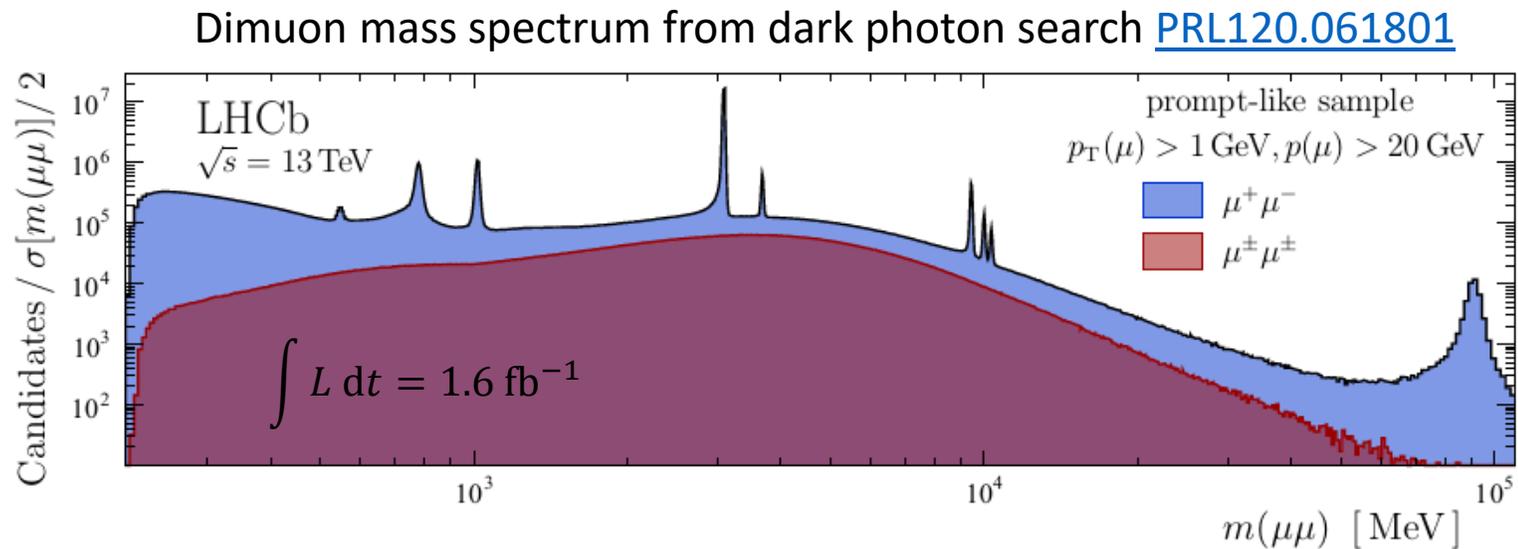


Backup

# Searches exploiting prompt decays

- $D^{*0}$ ,  $B_{(s)}^{*0}$  produced directly in  $pp$  collisions

⇒ Requires respective cross sections (not yet measured)



- Assuming same cross section for  $D^{*+}$  and  $D^{*0}$ , the exp. single event sensitivity is  $\sim 10^{-11}$
- Assuming same background level as for dark photon search, the expected limit at  $1.6 \text{ fb}^{-1}$  is

$$\mathcal{B}(D^{*0} \rightarrow \mu^+ \mu^-) \lesssim 10^{-7}$$

⇒ Similar sensitivity as in search through  $B_{(c)}^+ \rightarrow \mu^+ \mu^- \pi^+$  decays, but background dominated and missing cross section

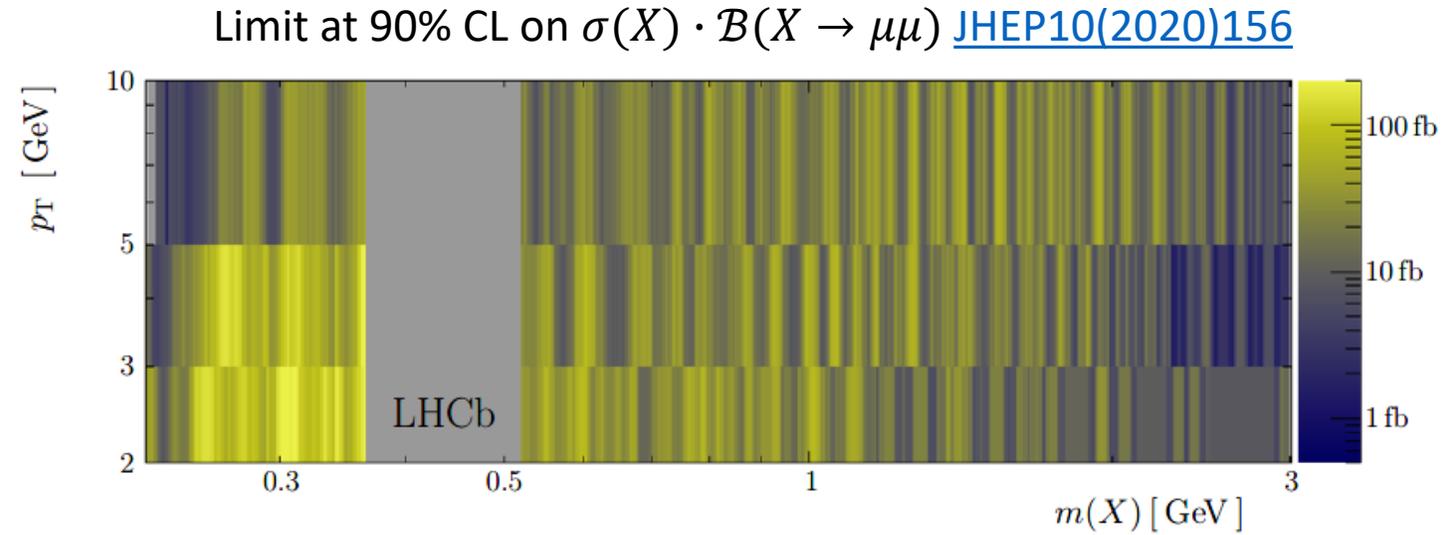
# Semi-inclusive searches

- Search for  $D^{*0}$ ,  $B_{(s)}^{*0} \rightarrow \mu\mu$  decays from a displaced ( $b$ -hadron) decay vertex
- Example:

$$N_{D^{*0} \rightarrow \mu^+ \mu^-} = \mathcal{L} \mathcal{B}(D^{*0} \rightarrow \mu^+ \mu^-) \sum \sigma_{B_i} \mathcal{B}(B_i \rightarrow D^{*0} X) \epsilon_{B_i \rightarrow D^{*0} X}$$

⇒ Production cross sections and inclusive branching fractions known for dominant  $B^{\pm(0)}$  hadrons (in the  $D^{*0}$  case).

⇒ Analysis in principle possible, but worse dimuon mass resolution and higher irreducible backgrounds



⇒ Most likely less sensitive than exclusive searches