

Automated one-loop matching


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[J. Fuentes-Martín, M. König, JP,
A. E. Thomsen, F. Wilsch, 2212.04510] 

[A. Carmona, A. Lazopoulos, P. Olgoso,
J. Santiago, 2112.10787] 

Where is the New Physics (NP)?

ATLAS Exotics Searches* - 95% CL Upper Exclusion Limits

Status: May 2020

ATLAS Preliminary

$$\int \mathcal{L} dt = (3.2 - 139) \text{ fb}^{-1}$$

$$\sqrt{s} = 8, 13 \text{ TeV}$$

Model	ℓ, γ	Jets†	E_T^{miss}	$\int \mathcal{L} dt [\text{fb}^{-1}]$	Limit	Reference	
Extra dimensions	ADD $G_{KK} + g/q$	$0 e, \mu$	$1 - 4 j$	Yes	36.1	M_D 7.7 TeV	$n = 2$
	ADD non-resonant $\gamma\gamma$	2γ	-	-	36.7	M_S 8.6 TeV	$n = 3$ HLZ NLO
	ADD QBH	-	$2 j$	-	37.0	M_{th} 8.9 TeV	$n = 6$
	ADD BH high $\sum p_T$	$\geq 1 e, \mu$	$\geq 2 j$	-	3.2	M_{th} 8.2 TeV	$n = 6, M_D = 3 \text{ TeV}$, rot BH
	ADD BH multijet	-	$\geq 3 j$	-	3.6	M_{th} 9.55 TeV	$n = 6, M_D = 3 \text{ TeV}$, rot BH
	RS1 $G_{KK} \rightarrow \gamma\gamma$	2γ	-	-	36.7	G_{KK} mass 4.1 TeV	$k/\overline{M}_{Pl} = 0.1$
	Bulk RS $G_{KK} \rightarrow WW/ZZ$	multi-channel	-	-	36.1	G_{KK} mass 2.3 TeV	$k/\overline{M}_{Pl} = 1.0$
	Bulk RS $G_{KK} \rightarrow WV \rightarrow \ell\nu qq$	$1 e, \mu$	$2 j / 1 J$	Yes	139	G_{KK} mass 2.0 TeV	$k/\overline{M}_{Pl} = 1.0$
	Bulk RS $g_{KK} \rightarrow tt$	$1 e, \mu$	$\geq 1 b, \geq 1J/2j$	Yes	36.1	g_{KK} mass 3.8 TeV	$\Gamma/m = 15\%$
	2UED / RPP	$1 e, \mu$	$\geq 2 b, \geq 3 j$	Yes	36.1	KK mass 1.8 TeV	Tier (1,1), $\mathcal{B}(A^{(1,1)} \rightarrow tt) = 1$
Gauge bosons	SSM $Z' \rightarrow \ell\ell$	$2 e, \mu$	-	-	139	Z' mass 5.1 TeV	
	SSM $Z' \rightarrow \tau\tau$	2τ	-	-	36.1	Z' mass 2.42 TeV	
	Leptophobic $Z' \rightarrow bb$	-	$2 b$	-	36.1	Z' mass 2.1 TeV	
	Leptophobic $Z' \rightarrow tt$	$0 e, \mu$	$\geq 1 b, \geq 2 J$	Yes	139	Z' mass 4.1 TeV	$\Gamma/m = 1.2\%$
	SSM $W' \rightarrow \ell\nu$	$1 e, \mu$	-	Yes	139	W' mass 6.0 TeV	
	SSM $W' \rightarrow \tau\nu$	1τ	-	Yes	36.1	W' mass 3.7 TeV	
	HVT $W' \rightarrow WZ \rightarrow \ell\nu qq$ model B	$1 e, \mu$	$2 j / 1 J$	Yes	139	W' mass 4.3 TeV	$g_V = 3$
	HVT $V' \rightarrow WV \rightarrow qq qq$ model B	$0 e, \mu$	$2 J$	-	139	V' mass 3.8 TeV	$g_V = 3$
	HVT $V' \rightarrow WH/ZH$ model B	multi-channel	-	-	36.1	V' mass 2.93 TeV	$g_V = 3$
	HVT $W' \rightarrow WH$ model B	$0 e, \mu$	$\geq 1 b, \geq 2 J$	-	139	W' mass 3.2 TeV	$g_V = 3$
LRSM $W_R \rightarrow tb$	multi-channel	-	-	36.1	W_R mass 3.25 TeV		
	2μ	$1 J$	-	80	W_R mass 5.0 TeV	$m(N_R) = 0.5 \text{ TeV}, g_L = g_R$	
CI	CI $qqqq$	-	$2 j$	-	37.0	Λ 21.8 TeV $\tilde{\eta}_{LL}$	1703.09127
	CI $\ell\ell qq$	$2 e, \mu$	-	-	139	Λ 35.8 TeV $\tilde{\eta}_{LL}$	CERN-EP-2020-066
	CI $tttt$	$\geq 1 e, \mu$	$\geq 1 b, \geq 1 j$	Yes	36.1	Λ 2.57 TeV	$ C_{4\ell} = 4\pi$
DM	Axial-vector mediator (Dirac DM)	$0 e, \mu$	$1 - 4 j$	Yes	36.1	m_{med} 1.55 TeV	$g_q = 0.25, g_\chi = 1.0, m(\chi) = 1 \text{ GeV}$
	Colored scalar mediator (Dirac DM)	$0 e, \mu$	$1 - 4 j$	Yes	36.1	m_{med} 1.67 TeV	$g = 1.0, m(\chi) = 1 \text{ GeV}$
	VV $\chi\chi$ EFT (Dirac DM)	$0 e, \mu$	$1 J, \leq 1 j$	Yes	3.2	M_* 700 GeV	$m(\chi) < 150 \text{ GeV}$
	Scalar reson. $\phi \rightarrow t\chi$ (Dirac DM)	$0 - 1 e, \mu$	$1 b, 0 - 1 J$	Yes	36.1	m_ϕ 3.4 TeV	$y = 0.4, \lambda = 0.2, m(\chi) = 10 \text{ GeV}$
LQ	Scalar LQ 1 st gen	$1, 2 e$	$\geq 2 j$	Yes	36.1	LQ mass 1.1 TeV	$\beta = 1$
	Scalar LQ 2 nd gen	$1, 2 \mu$	$\geq 2 j$	Yes	36.1	LQ mass 1.56 TeV	$\beta = 1$
	Scalar LQ 3 rd gen	2τ	$2 b$	-	36.1	LQ ₃ mass 1.03 TeV	$\mathcal{B}(LQ_3^u \rightarrow b\tau) = 1$
	Scalar LQ 3 rd gen	$0 - 1 e, \mu$	$2 b$	Yes	36.1	LQ ₃ mass 970 GeV	$\mathcal{B}(LQ_3^d \rightarrow t\tau) = 0$
	Heavy quarks	VLQ $TT \rightarrow Ht/Zt/Wb + X$	multi-channel	-	-	36.1	T mass 1.3 TeV
VLQ $BB \rightarrow Wt/Zb + X$		multi-channel	-	-	36.1	B mass 1.34 TeV	SU(2) doublet
VLQ $T_{5/3} T_{5/3} T_{5/3} \rightarrow Wt + X$		$2(SS)/\geq 3 e, \mu \geq 1 b, \geq 1 j$	Yes	36.1	$T_{5/3}$ mass 1.64 TeV	$\mathcal{B}(T_{5/3} \rightarrow Wt) = 1, c(T_{5/3} Wt) = 1$	
VLQ $Y \rightarrow Wb + X$		$1 e, \mu$	$\geq 1 b, \geq 1 j$	Yes	36.1	Y mass 1.85 TeV	$\mathcal{B}(Y \rightarrow Wb) = 1, c_R(Wb) = 1$
VLQ $B \rightarrow Hb + X$		$0 e, \mu, 2 \gamma$	$\geq 1 b, \geq 1 j$	Yes	79.8	B mass 1.21 TeV	$\kappa_B = 0.5$
VLQ $QQ \rightarrow WqWq$		$1 e, \mu$	$\geq 4 j$	Yes	20.3	Q mass 690 GeV	
Excited fermions	Excited quark $q^* \rightarrow qg$	-	$2 j$	-	139	q^* mass 6.7 TeV	only u^* and d^* , $\Lambda = m(q^*)$
	Excited quark $q^* \rightarrow q\gamma$	1γ	$1 j$	-	36.7	q^* mass 5.3 TeV	only u^* and d^* , $\Lambda = m(q^*)$
	Excited quark $b^* \rightarrow bg$	-	$1 b, 1 j$	-	36.1	b^* mass 2.6 TeV	
	Excited lepton ℓ^*	$3 e, \mu$	-	-	20.3	ℓ^* mass 3.0 TeV	$\Lambda = 3.0 \text{ TeV}$
	Excited lepton ν^*	$3 e, \mu, \tau$	-	-	20.3	ν^* mass 1.6 TeV	$\Lambda = 1.6 \text{ TeV}$
Other	Type III Seesaw	$1 e, \mu$	$\geq 2 j$	Yes	79.8	N^0 mass 560 GeV	
	LRSM Majorana ν	2μ	$2 j$	-	36.1	N_R mass 3.2 TeV	$m(W_R) = 4.1 \text{ TeV}, g_L = g_R$
	Higgs triplet $H^{\pm\pm} \rightarrow \ell\ell$	$2, 3, 4 e, \mu$ (SS)	-	-	36.1	$H^{\pm\pm}$ mass 870 GeV	DY production
	Higgs triplet $H^{\pm\pm} \rightarrow \ell\tau$	$3 e, \mu, \tau$	-	-	20.3	$H^{\pm\pm}$ mass 400 GeV	DY production, $\mathcal{B}(H^{\pm\pm} \rightarrow \ell\tau) = 1$
	Multi-charged particles	-	-	-	36.1	multi-charged particle mass 1.22 TeV	DY production, $ q = 5e$
	Magnetic monopoles	-	-	-	34.4	monopole mass 2.37 TeV	DY production, $ g = 1g_D$, spin 1/2

Despite its great successes, we know the Standard Model (SM) is incomplete: neutrino masses, dark matter, baryon asymmetry...

But direct searches suggest a mass gap between the NP and the SM particles.

⇒ Follow the Effective Field Theory (EFT) approach

The EFT description

From a UV theory $\mathcal{L}_{\text{UV}}(\phi_H, \phi_L)$ with a mass hierarchy $m_H \gg m_L$,

we can construct an EFT below m_H containing only light fields:

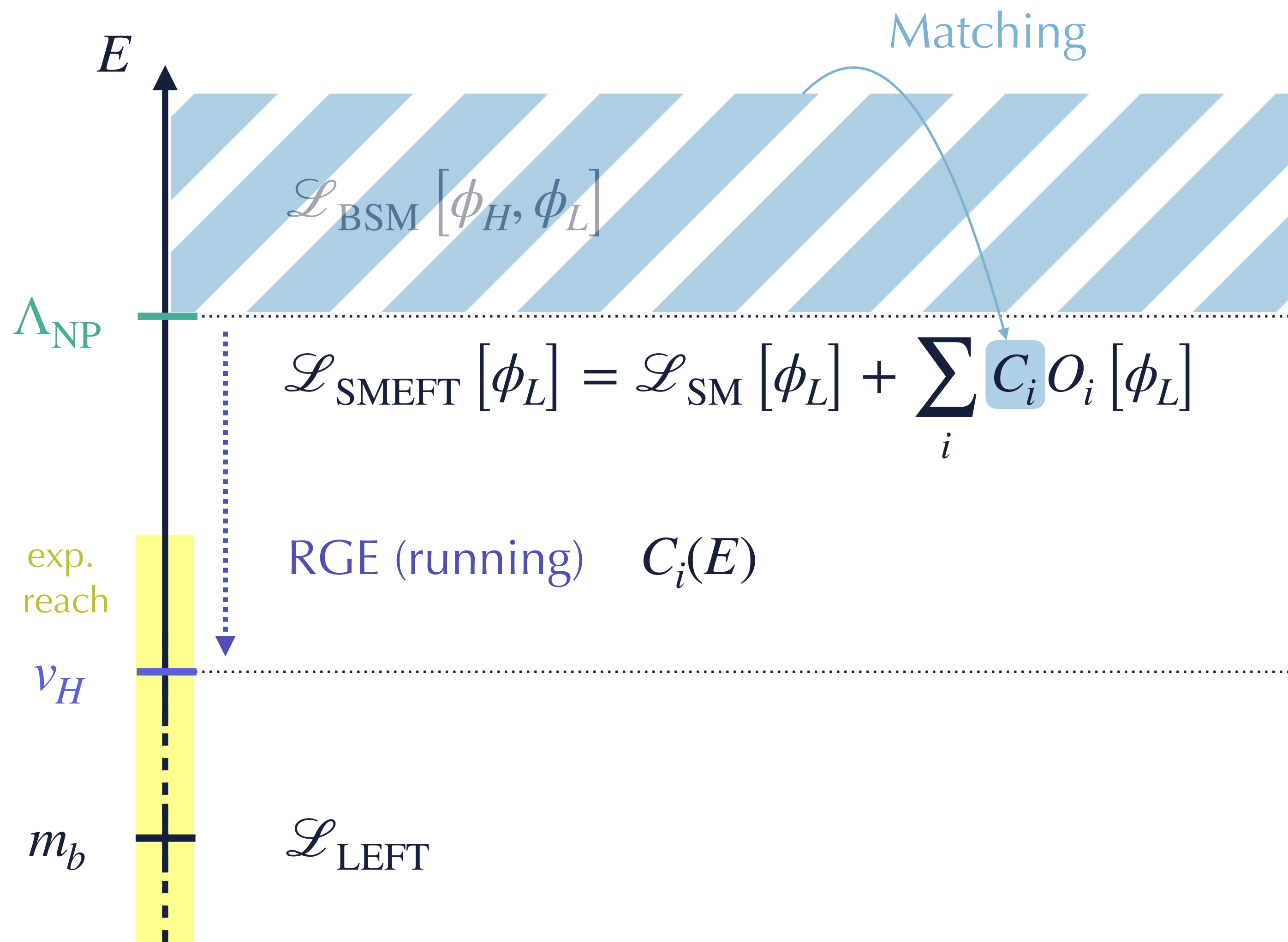
$$\mathcal{L}_{\text{EFT}}(\phi_L) = \mathcal{L}_{d=4}(\phi_L) + \sum_{d=5}^{d_{\text{max}}} \frac{1}{m_H^{d-4}} \sum_{i=1}^{n_d} C_i^{[d]} O_i^{[d]}(\phi_L)$$

number of operators at dimension d

power counting parameter

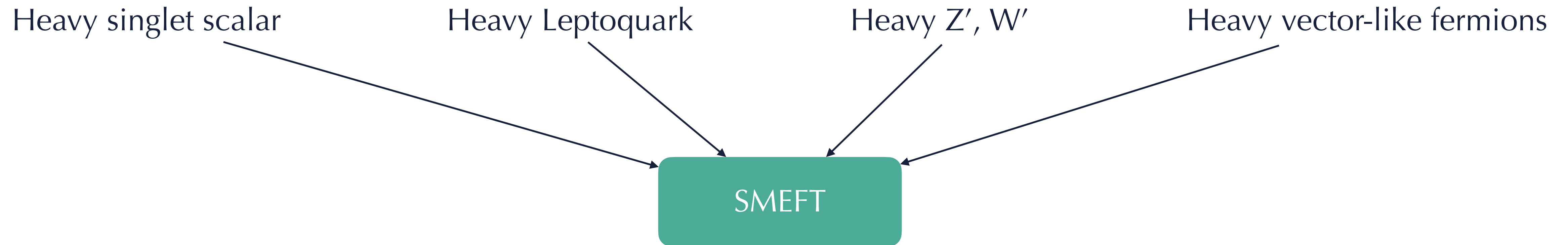
- The operator basis $\{O_i^{[d]}\}$ is defined by
 - ▶ the symmetries of the EFT (Lorentz, gauge...),
 - ▶ the light particle content $\{\phi_L\}$,
 - ▶ the truncation of the series at order d_{max} (\leftrightarrow precision required).
- The Wilson coefficients $\{C_i^{[d]}\}$ are obtained by requiring that $\mathcal{L}_{\text{EFT}}(\phi_L)$ reproduces the IR dynamics of $\mathcal{L}_{\text{UV}}(\phi_H, \phi_L) \Rightarrow$ by matching.

The EFT approach



The power of SMEFT

All weakly coupled heavy NP models can be matched to the SMEFT:



SMEFT provides:

- ▶ Resummation of large logs (through RGE) [see Samuel's talk](#)
- ▶ **Universal** framework between NP models and fits to data

↪ many fitting tools developed: HEPfit, SMEFiT, EOS, Fitmaker, SFitter...

and likelihood generators:



[Straub,
1810.08132]



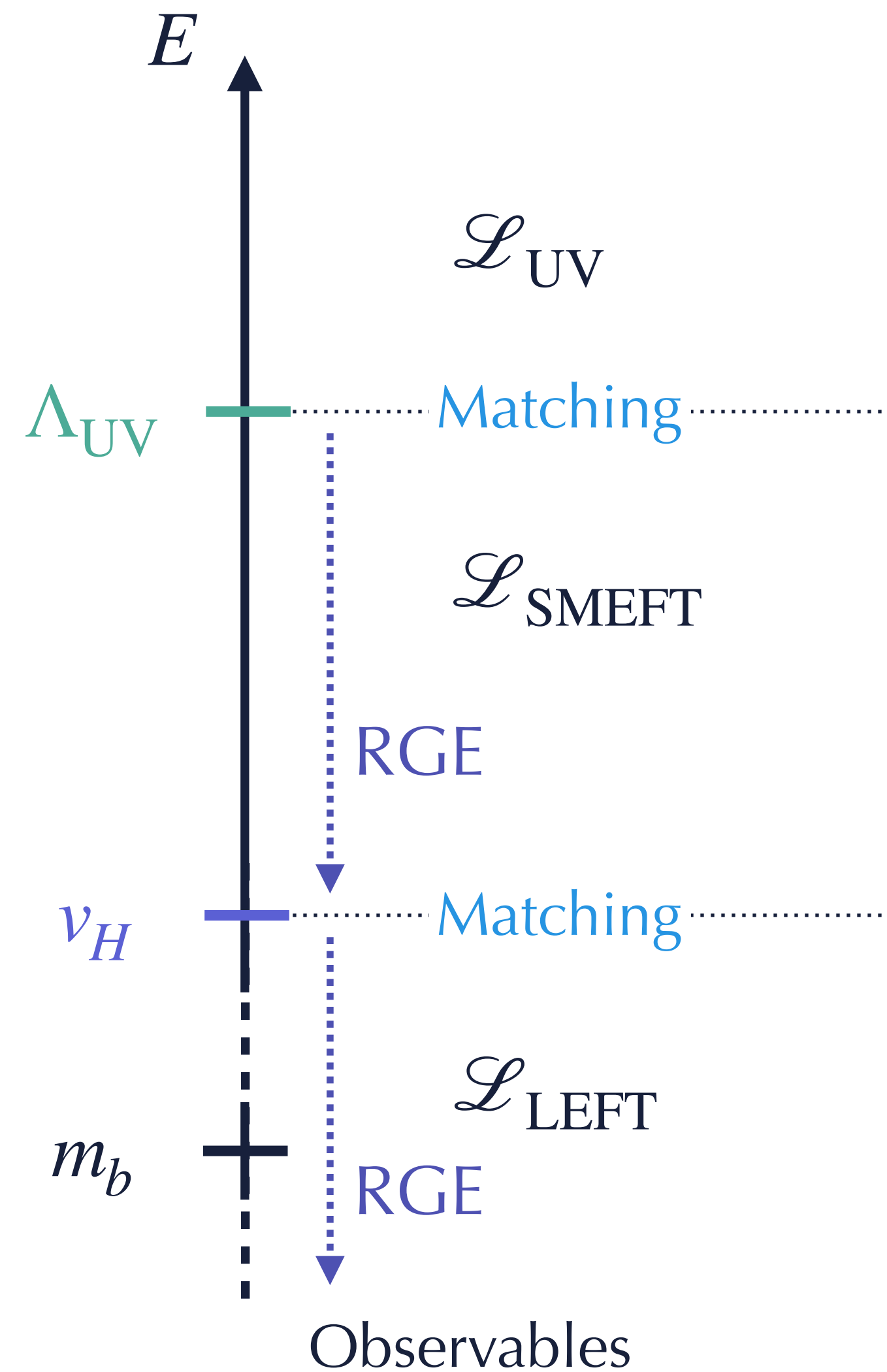
smelli

[Aebischer et. al.,
1810.07698]



HighPT [Allwicher et. al.,
2207.10756]

The EFT approach: recent progress



What is known (at dim 6):

- **Tree-level** matching to the SMEFT for generic NP mediators, [de Blas, Criado, Pérez-Victoria, Santiago, 1711.10391]
MatchingTools [Criado, 1710.06445]
- **One-loop** RGE in the SMEFT, [Jenkins, Manohar, Trott, 1308.2627]
[Jenkins, Manohar, Trott, 1310.4838]
[Alonso et al., 1312.2014]
- **One-loop** matching of SMEFT to LEFT, [Jenkins, Manohar, Stoffer, 1709.04486]
[Dekens, Stoffer, 1908.05295]
- **One-loop** RGE in the LEFT. [Jenkins, Manohar, Stoffer, 1711.05270]

DsixTools

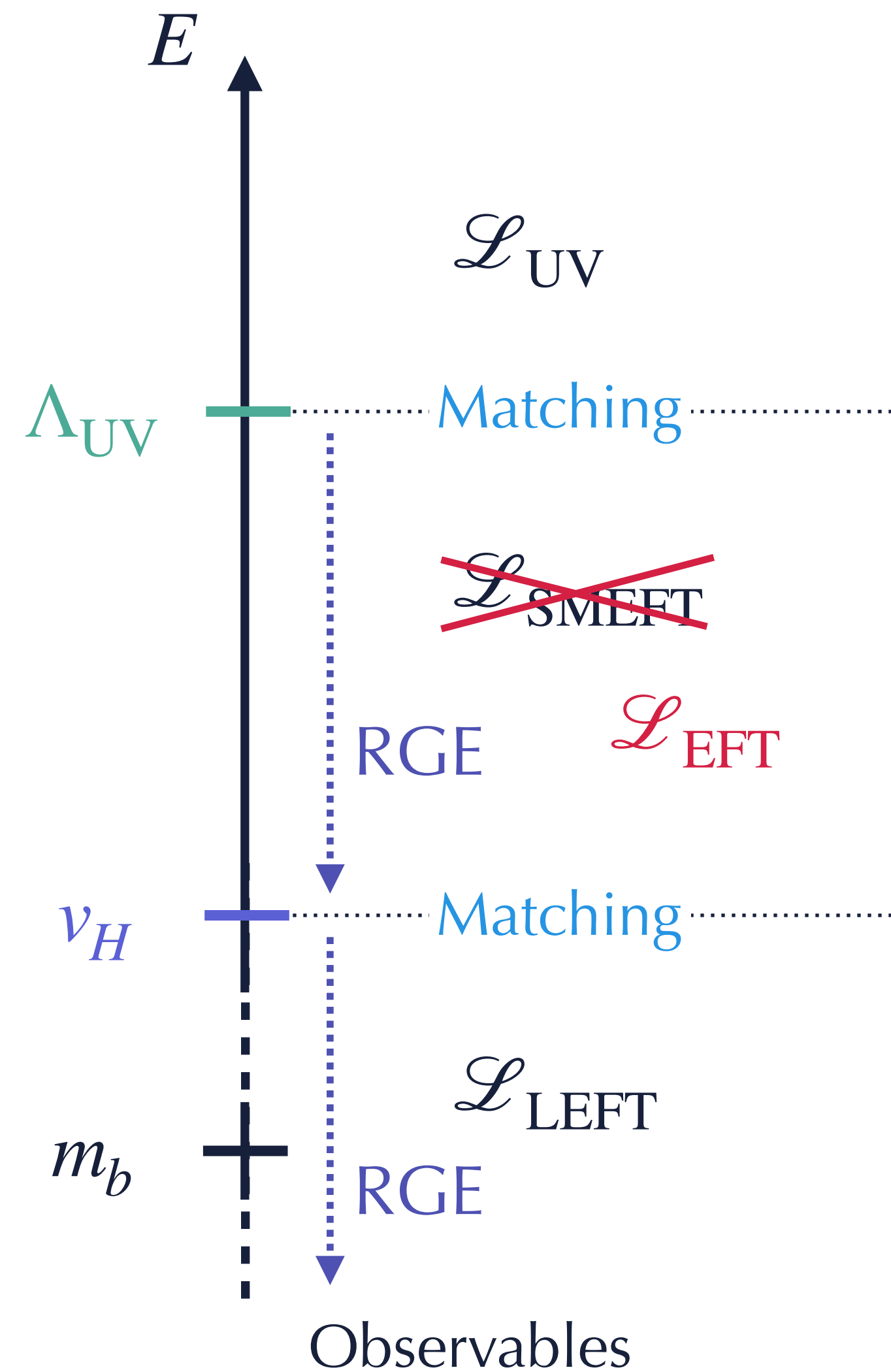
[Cellis et al., 1704.04504]

[Fuentes-Martín et al., 2010.16341]

wilson

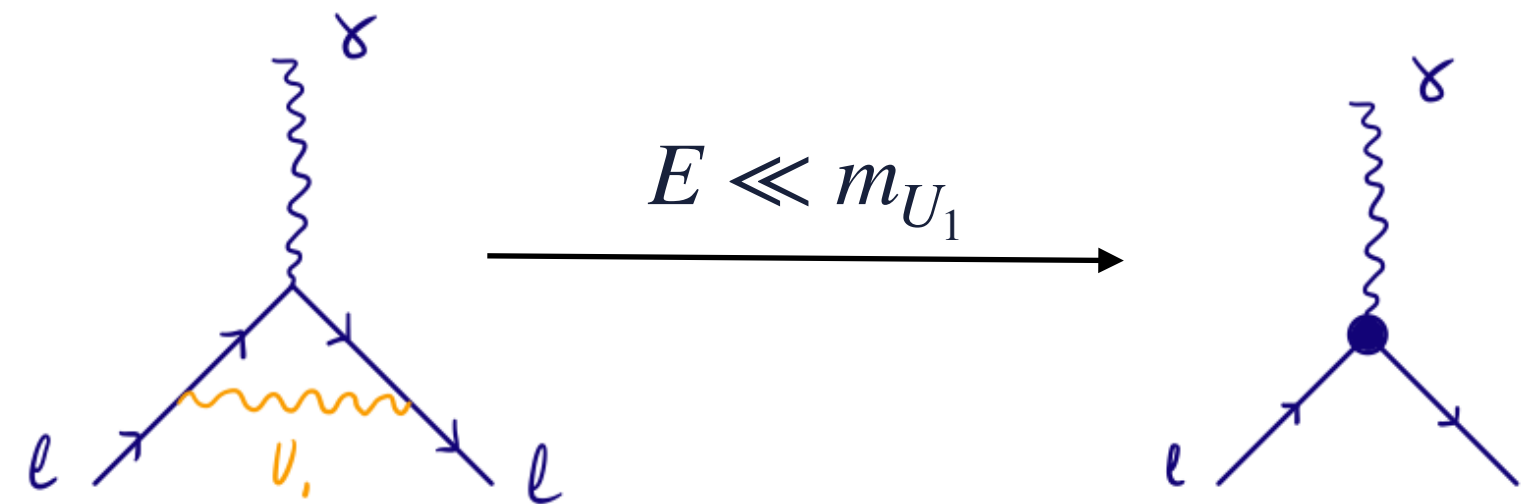
[Aebischer, Kumar, Straub, 1804.05033]

The EFT approach: very recent/future progress



What remains:

- **One-loop** matching to the SMEFT from any UV theory
 \hookrightarrow some effects might only appear at one loop e.g.



- **Two-loop** RGE in the SMEFT \rightarrow from amplitudes? [Bern, Parra-Martinez, Sawyer, 2005.12917]
 \rightarrow from field space geometry? [Jenkins, Manohar, Naterop, JP, 2308.06315 + w.i.p.]
- **Two-loop** RGE in the LEFT [Naterop, Stoffer, w.i.p.]

- **Higher dimension** operators in the SMEFT
 - matching
 - RGE \rightarrow from field space geometry?

[Helset, Jenkins, Manohar, 2212.03253;
 Assi, Helset, Manohar, JP, Shen, 2307.03187]

- **EFT above the electroweak scale is not necessarily the SMEFT**
 i.e. contains light states which cannot be integrated out,
 e.g. SM + ALP EFT, SM + DM EFT, ... see Linda's talk

One-loop matching automation

We need to automate the process to compare UV theories to data through (SM)EFT because of:

- ◆ Big variety of NP models,
- ◆ Complexity and repetitive nature of computation involved.

Automated one-loop matching has been achieved in

Partial Automation

STrEAM Cohen, Lu, Zhang [2012.07851]	MatchingTools Criado [1710.06445]
CoDEx Das Bakshi, Chakraborty, Patra [1808.04403]	SUPER TRACER Fuentes-Martin, König, Pages, Thomsen, FW [2012.08506]

Full Automation

 Matchmakereft Carmona, Lazopoulos, Olgoso, Santiago [2112.10787] [diagrammatic technique]	 Fuentes-Martín, König, JP, Thomsen, Wilsch [2212.04510] [functional technique]
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Matching techniques

Functional v.s. diagrammatic matching

Matching procedure

Compute the Wilson coefficients $\{C_i\}$ such that

$$\mathcal{L}_{UV}(\phi_H, \phi_L) \xrightarrow{E \ll m_H} \mathcal{L}_{EFT}(\phi_L)$$

Diagrammatic approach



Functional approach



▸ Equate amplitudes

$$\mathcal{A}_{UV}(\{\lambda_i\}) = \mathcal{A}_{EFT}(\{C_i\})$$

▸ Use background field method to compute path integral in the UV and in the EFT

▸ Equate the 1LPI effective action

$$\Gamma_{L,UV}(\{\lambda_i\}) = \Gamma_{EFT}(\{C_i\})$$

Functional v.s. diagrammatic matching

Matching procedure

Compute the Wilson coefficients $\{C_i\}$ such that

$$\mathcal{L}_{UV}(\phi_H, \phi_L) \xrightarrow{E \ll m_H} \mathcal{L}_{EFT}(\phi_L)$$

Diagrammatic approach



Functional approach



- Traditional procedure, valid to any loop order
- Can be performed on-shell
(more diagrams, no redundancies)
or **off-shell**
(only 1LPI diagrams, additional redundancies)
- EFT basis must be constructed by hand

- Recent developments
(only established up to one-loop)
- Manifestly gauge invariant by construction
↔ covariant derivative expansion (CDE)
- EFT operators automatically generated
(up to redundancies)

Loop expansion: functional method

Technique to compute the effective action Γ from the path integral:

$$e^{i\Gamma[\hat{\phi}]} = \int \mathcal{D}\eta \exp \left(i \int d^d x \mathcal{L}[\hat{\phi} + \eta] \right) \quad S[\phi] = \int d^4 x \mathcal{L}[\phi]$$

1. Split field into background configuration $\hat{\phi}$ and quantum fluctuation η where $\frac{\delta \mathcal{L}[\phi]}{\delta \phi} \Big|_{\phi=\hat{\phi}} = 0$ and shift $\phi \rightarrow \hat{\phi} + \eta$

2. Expand Lagrangian $\mathcal{L}[\hat{\phi} + \eta] = \mathcal{L}[\hat{\phi}] + \frac{1}{2} \bar{\eta}_i \left(\pm 1 \right)_{\eta_j} \frac{\delta^2 \mathcal{L}_{UV}}{\delta \bar{\eta}_i \delta \eta_j} \Big|_{\eta=0} \eta_j + \mathcal{O}(\eta^3)$

tree level one-loop

Fluctuation operator

$$\mathcal{O}_{ij}[\hat{\phi}] = \delta_{ij} \Delta_i^{-1} - X_{ij}$$

inverse propagator
particle interactions

3. Perform Gaussian integral $e^{i\Gamma^{(1)}} = (\text{SDet } \mathcal{O})^{-\frac{1}{2}}$ Generalization of the functional determinant for mixed spins (bosonic and fermionic)

At $\mathcal{O}(\alpha)$,

$$\Rightarrow \Gamma[\hat{\phi}] = S[\hat{\phi}] + \frac{i}{2} \text{STr} \log \mathcal{O}$$



Replace heavy fields $\hat{\phi}_H$ by equation of motion $\hat{\phi}_H[\hat{\phi}_L]$ and expand in m_H^{-1}

$$\Gamma[\hat{\phi}] = S[\hat{\phi}] + \frac{i}{2} \text{STr} \log \mathcal{O}$$

heavy propagator $\frac{1}{D^2 + m_H^2 + U} = \frac{1}{m_H^2} \left(1 + \frac{1}{m_H^2} (D^2 + U) \right)^{-1} \approx \frac{1}{m_H^2} - \frac{1}{m_H^2} (D^2 + U) \frac{1}{m_H^2} + \dots$
Generic function of the light fields

The matching formula

$$\Gamma_{\text{EFT}}[\hat{\phi}_L] = \Gamma_{\text{L,UV}}[\hat{\phi}_L] = \Gamma_{\text{UV}}[\hat{\phi}_L, \hat{\phi}_H[\hat{\phi}_L]]$$

► At tree level:

$$\mathcal{L}_{\text{EFT}}^{(0)} = \mathcal{L}_{\text{UV}}[\hat{\phi}_L, \hat{\phi}_H[\hat{\phi}_L]]$$

traditional tree-level matching procedure

► At one-loop level:

$$\int d^4x \mathcal{L}_{\text{EFT}}^{(1)} + \Gamma_{\text{EFT}}^{(1)} = \Gamma_{\text{UV}}^{(1)}[\hat{\phi}_H[\hat{\phi}_L]]$$

$$\text{with } \Gamma_{\text{EFT}}^{(1)} = \frac{i}{2} \text{STr} \log \mathcal{O}[\mathcal{L}_{\text{EFT}}^{(0)}]$$

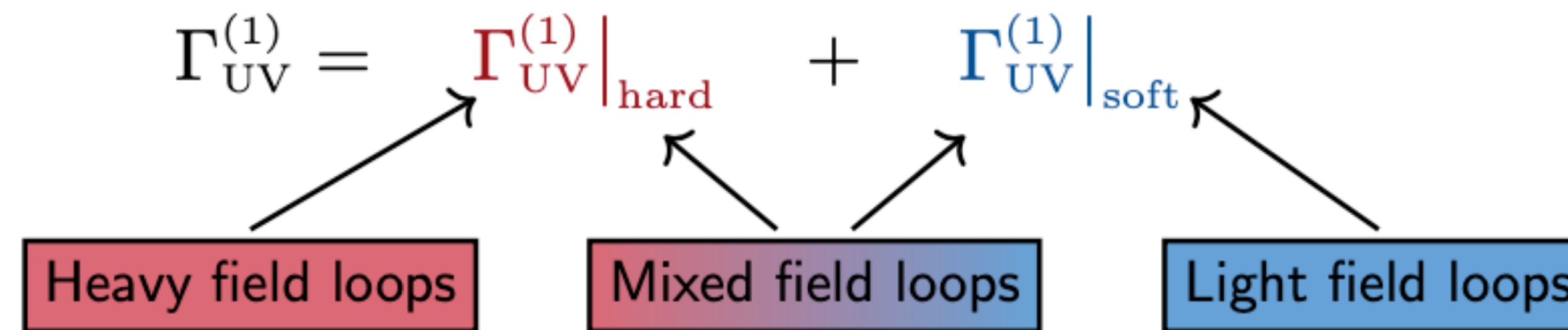
$$\Gamma_{\text{UV}}^{(1)} = \frac{i}{2} \text{STr} \log \mathcal{O}_{\text{UV}}[\mathcal{L}_{\text{UV}}]$$

Method of regions

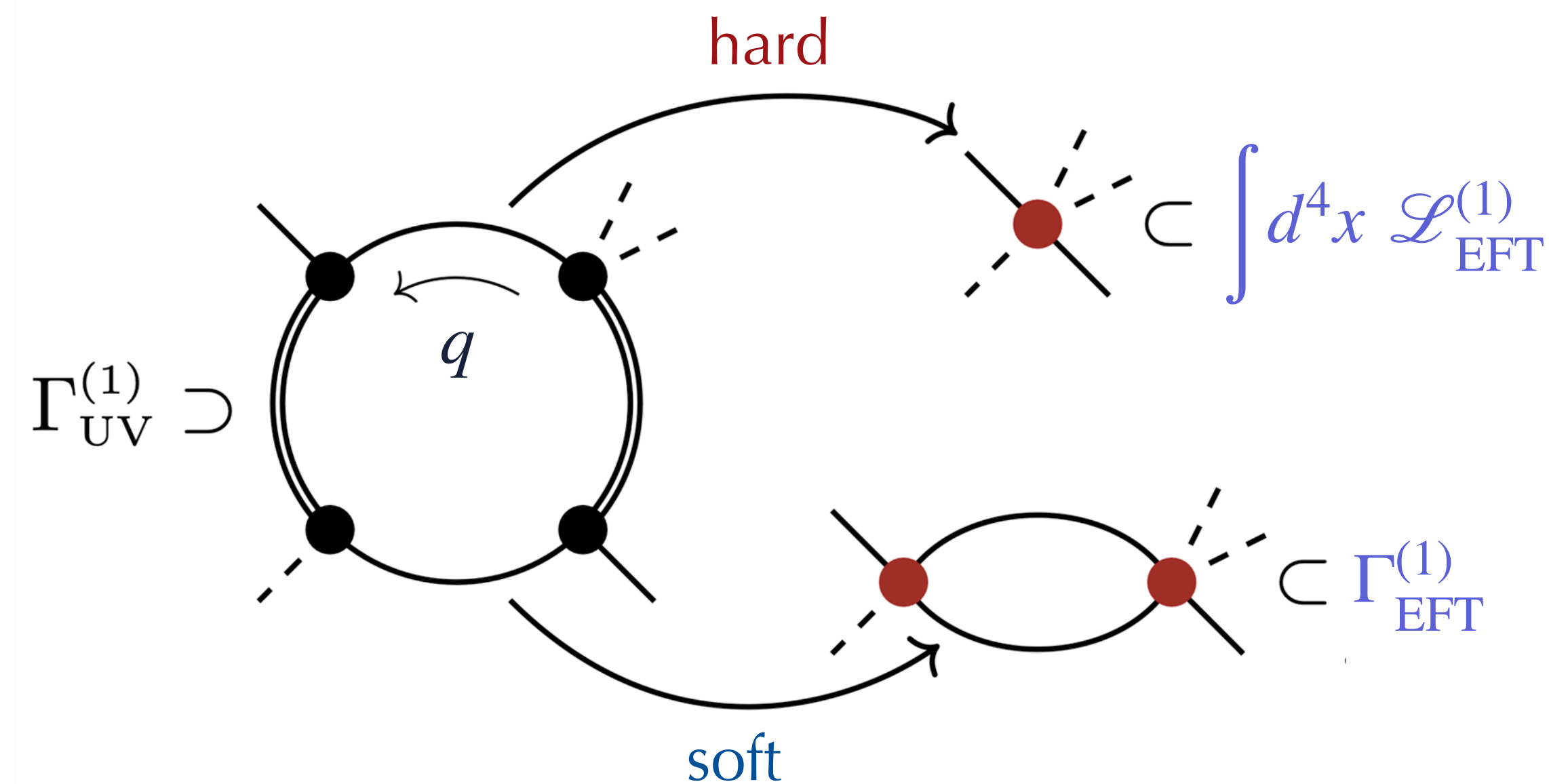
Provides a method for scale separation in dimensional regularization.

$$\int d^4x \mathcal{L}_{\text{EFT}}^{(1)} + \Gamma_{\text{EFT}}^{(1)} = \Gamma_{\text{UV}}^{(1)}[\hat{\phi}_H[\hat{\phi}_L]]$$

Define regions: **hard** ($q^2 \sim m_H^2$) and **soft** ($q \sim m_L^2 \ll m_H^2$) [Beneke, Smirnov, hep-ph/9711391; Jantzen, 1111.2589]



Diagrammatically

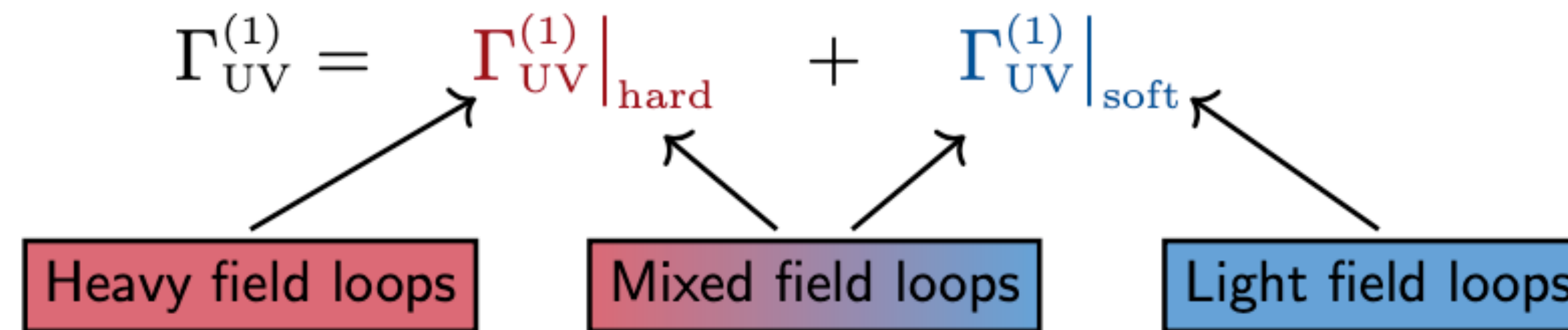


Method of regions

Provides a method for scale separation in dimensional regularization.

$$\int d^4x \mathcal{L}_{\text{EFT}}^{(1)} + \Gamma_{\text{EFT}}^{(1)} = \Gamma_{\text{UV}}^{(1)}[\hat{\phi}_H[\hat{\phi}_L]]$$

Define regions: **hard** ($q^2 \sim m_H^2$) and **soft** ($q \sim m_L^2 \ll m_H^2$) [Beneke, Smirnov, hep-ph/9711391; Jantzen, 1111.2589]



The hard part, corresponding to short the short-distance contribution of the integrals, can be directly matched to the Wilson coefficient of the EFT. [Fuentes-Martín, Portolés, Ruiz-Femenía, 1607.02142]

In the effective action

$$\int d^4x \mathcal{L}_{\text{EFT}}^{(1)} + \Gamma_{\text{EFT}}^{(1)}|_{\text{hard}} + \cancel{\Gamma_{\text{EFT}}^{(1)}|_{\text{soft}}} = \Gamma_{\text{UV}}^{(1)}|_{\text{hard}} + \cancel{\Gamma_{\text{UV}}^{(1)}|_{\text{soft}}}$$

MATCHETE

$$\Rightarrow \int d^4x \mathcal{L}_{\text{EFT}}^{(1)} = \Gamma_{\text{UV}}^{(1)}|_{\text{hard}}$$

Functional matching master formula

$$\int d^4x \mathcal{L}_{\text{EFT}}^{(1)} = \Gamma_{\text{UV}}^{(1)} \Big|_{\text{hard}}$$

Factoring out the inverse propagator, we obtain [Cohen, Lu, Zhang, 2011.02484]

Fluctuation operator

$$\mathcal{O}_{ij}[\hat{\phi}] = \delta_{ij} \Delta_i^{-1} - X_{ij}$$

inverse propagator Δ_i^{-1} particle interactions X_{ij}

$$\int d^d x \mathcal{L}_{\text{EFT}}^{(1)} = \frac{i}{2} \text{STr} \ln \Delta^{-1} \Big|_{\text{hard}} - \frac{i}{2} \sum_{n=1}^{\infty} \frac{1}{n} \text{STr} [(\Delta X)^n] \Big|_{\text{hard}}$$

log-type supertrace

power-type supertrace

▸ depends only on propagator type

▸ depends on interaction terms

Covariant evaluation of the supertraces is a very systematic but very tedious task → need automation

STrEAM [Cohen, Lu, Zhang, 2012.07851]

SUPER TRACER

[Fuentes-Martín, König, JP, Thomsen, Wilsch, 2012.08506]

Matching method comparison



◆ Loop expansion:

Evaluating the path integral in the UV
with background field method
↪ evaluate supertraces

Enumerating Feynman diagrams
in the UV and in the EFT
↪ evaluate with Feynman rules

◆ EFT expansion
(method of regions):

Hard region of UV 1LPI **effective action/amplitudes**
directly match to tree-level EFT

◆ Loop integration:

After tensor reduction and partial fractioning,
only scalar integrals are left with known results

◆ γ_5 scheme:

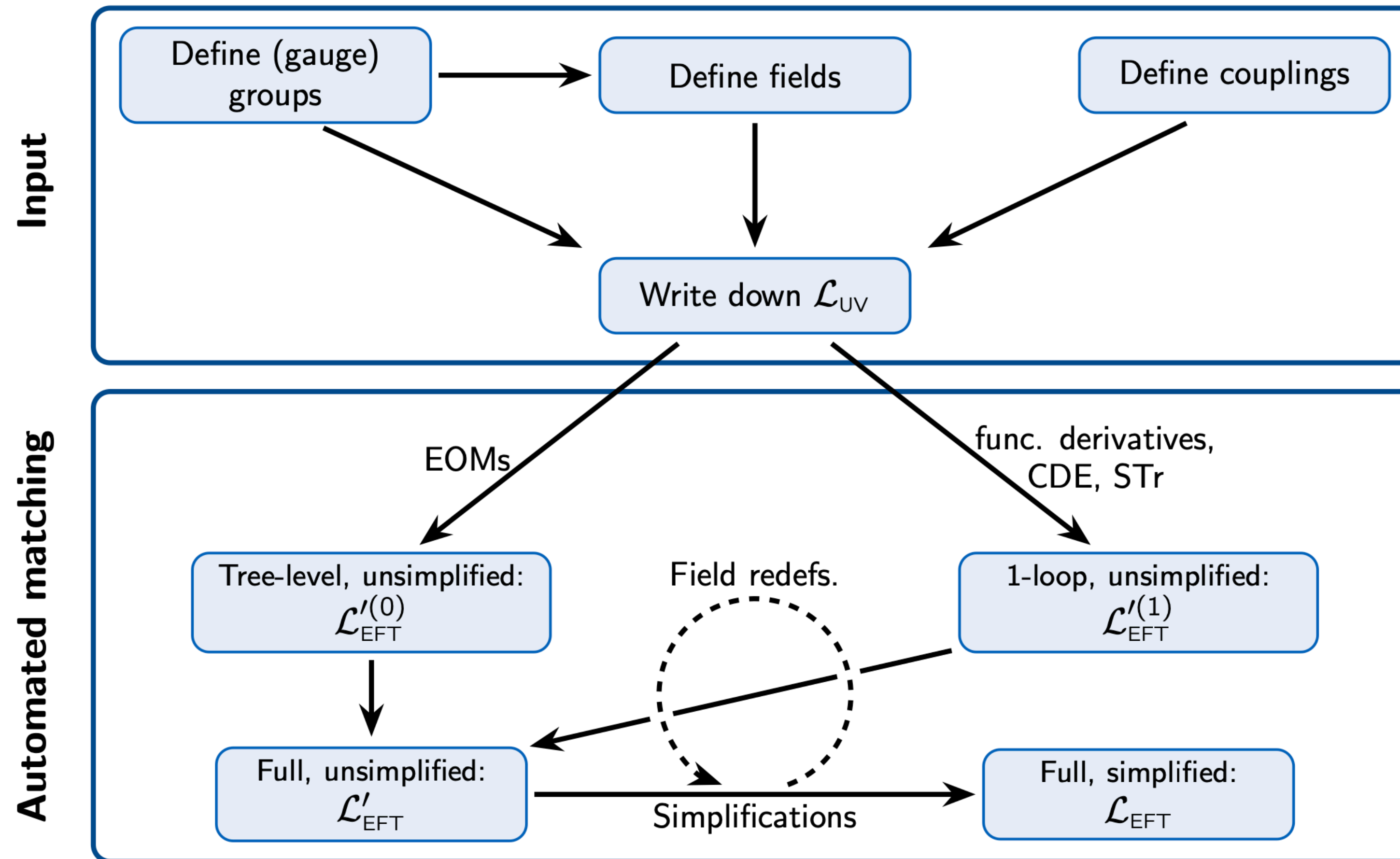
Naive Dimensional Regularization

Automated matching tools



Matchete

MATCHETE is a Mathematica package aimed at fully automating one-loop matching of a generic weakly coupled UV theory to the corresponding EFT using functional methods.



[Fuentes-Martín, König, JP, Thomsen, Wilsch, 2212.04510]

Matchete proof of concept v0.1 already publicly available:

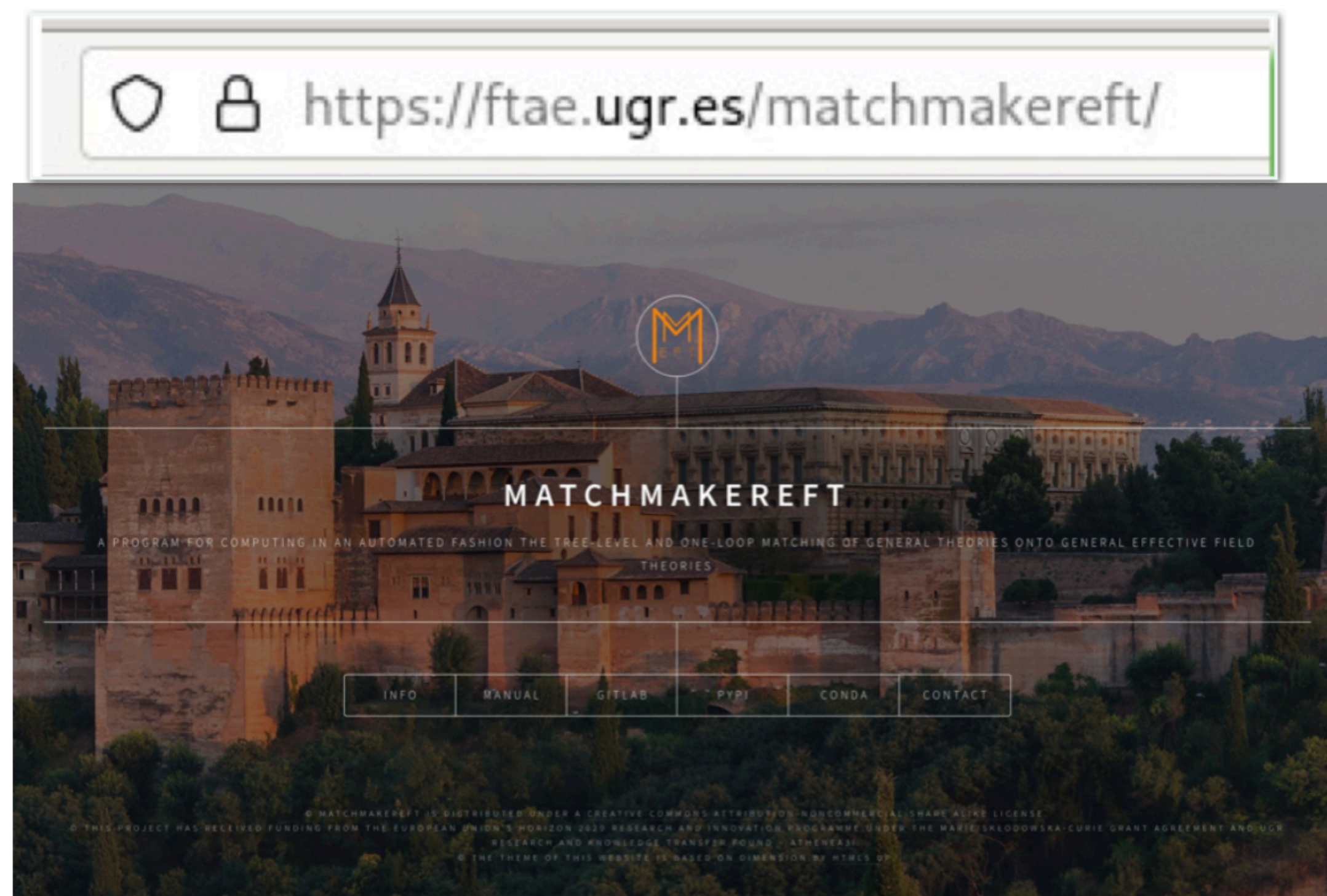
- Simple and intuitive usage: input \mathcal{L}_{UV} \rightarrow output \mathcal{L}_{EFT} ,
- Can match **any** UV model with heavy scalar, fermion, vectors*,
*vectors only at tree-level in v0.1
- Up to **any** EFT order*,
- Handles **all** representations of any semi-simple Lie group*,
*only limited by computation time
- Partially simplified output

MatchMakerEFT



MatchMakerEFT is a python+Mathematica package which fully automates one-loop matching of a generic weakly coupled UV theory to an arbitrary EFT using diagrammatic methods.

MatchMakerEFT v1.1 publicly available:



[A. Carmona, A. Lazopoulos, P. Olgoso, J. Santiago, 2112.10787]

- Matching performed off-shell,
- Can match **any** UV model with heavy scalar, fermion, vectors*,
*some subtleties for vectors at one-loop
- Up to **any** EFT order*,
*only limited by computation time
- Output crosschecked through kinematic and gauge redundancies
- Can compute RGE, compare basis and check off-shell independence of operators

Usage comparison



◆ Programming language:



◆ Additional dependencies:

None

Mathematica, QGRAF,
FORM, FeynRules

◆ Input:

Dedicated user-friendly
Mathematica commands
for defining fields, couplings
and symmetries

.fr model files,
symmetry and hermiticity files,
gauge file,
redundancy file

◆ Output:

Lagrangian in
Mathematica *Niceform*

Mathematica replacement rules
for Wilson coefficients

Functionalities comparison



◆ One-loop Matching:

- heavy scalar
- heavy fermions
- heavy vectors

↪ theory is w.i.p.



◆ RGE (beta functions):

Future version



◆ Comparison of basis:

Future version



Operator reduction

The EFT Lagrangian obtained from functional matching or diagrammatic off-shell matching contains redundancies.

We can use the following tools to reduce operators:

- ◆ Group theory: contractions of generalized Clebsch-Gordon coefficients
- ◆ Dirac algebra: reduction of Dirac structure to a [Dirac basis](#)
- ◆ Momentum conservation: Integration by parts \rightarrow off-shell basis
- ◆ Invariance of the S-matrix: Field redefinitions (“equation of motions”) \rightarrow on-shell basis
- ◆ Fierz identities and subtraction of evanescent operators.

\hookrightarrow **Evanescence-free** scheme. [[Fuentes-Martín, König, JP, Thomsen, Wilsch, 2211.09144](#)]

Role of evanescent operators known in RGE, but overlooked in matching.

[[Dugan, Grinstein, PLB 256 \(1991\) 239-244](#)]

[[Buras, Weisz, NPB 333 \(1990\) 66-99](#)]

[[Herrlich, Nierste, hep-ph/9412375](#)]

Operators simplification comparison



◆ Group theory:

✓ Dedicated subpackage:
GroupMagic

~ User input:
.gauge file

◆ Dirac algebra:



◆ Integration by parts:

✓ Function:
GreensSimplify

✓ Main result

◆ Field redefinitions:

✓ Function:
EOMSimplify

~ User input:
.red file

◆ Fierz identities:

✗ Currently in implementation

~ User input:
.red file

Demo



Matching example

SM extension: **singlet scalar**

$$\mathcal{L}_{\text{SM}+\Phi} = \mathcal{L}_{\text{SM}} + \frac{1}{2}(\partial_\mu \Phi)^2 - \frac{M^2}{2}\Phi^2 - \frac{\mu}{3!}\Phi^3 - \frac{\lambda_\Phi}{4!}\Phi^4 - \frac{\kappa}{2}(H^\dagger H)\Phi^2 - A(H^\dagger H)\Phi$$

with $M, \kappa, \mu_S \gg v_{\text{EW}}$.

→ Agree with the literature ✓

[Henning, Lu, Murayama 1412.1837]

[Ellis, Quevillon, You, Zhang 1706.07765]

[Jiang, Craig, Li, Sutherland 1811.08878]

[Haisch, Ruhdorfer, Salvioni, Venturini, Weiler, 2003.05936]

Automated tools can deal with it in less than a minute.

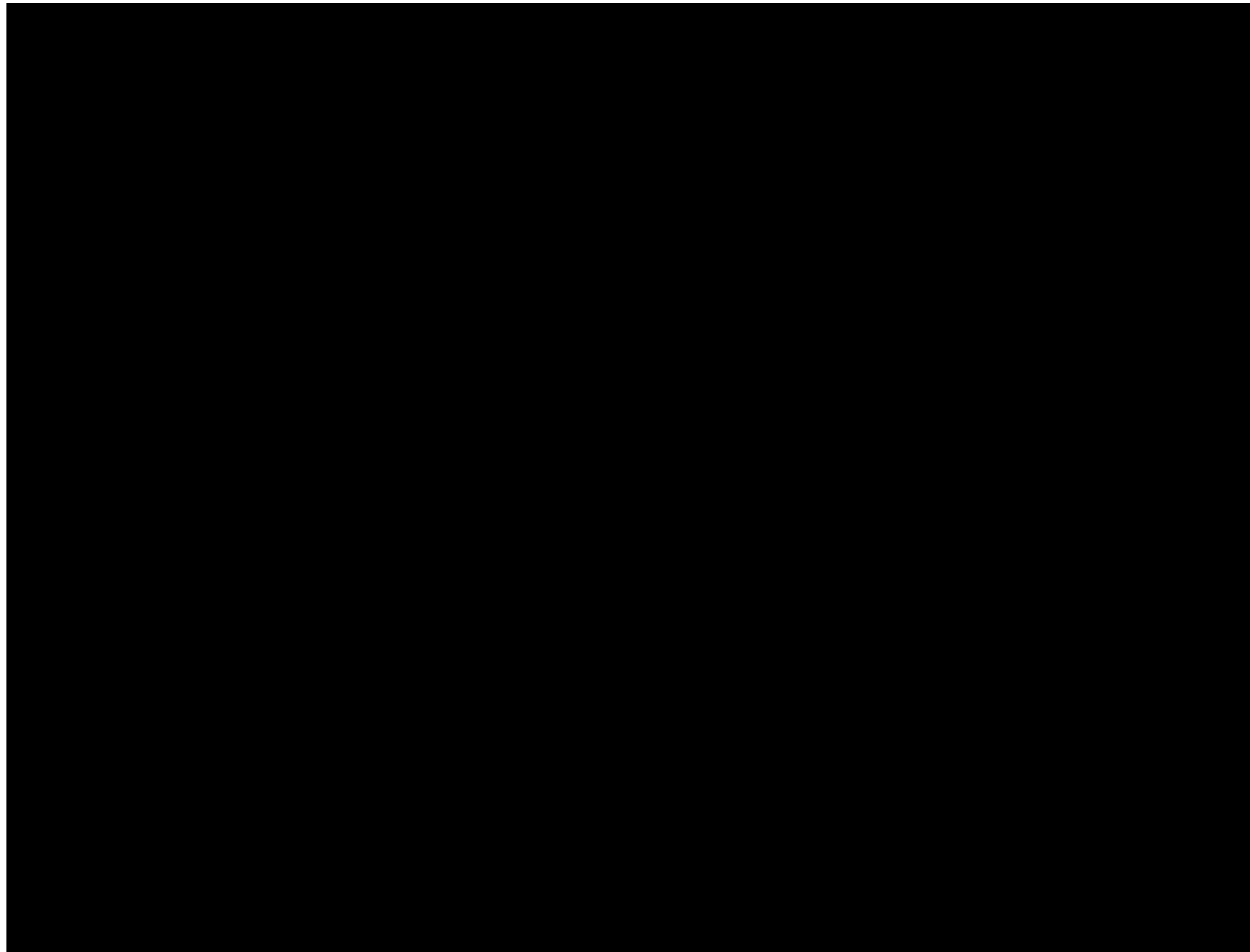


Let us see how it works!





MatchMakerEFT demo



[Video from Pablo Olgozo
at MITP Flavor at the Crossroads]

Singlet scalar extension of the SM

Load Matchete

```
In[*]:= << Matchete`
```

Definition of the model

Loading the SM definitions »

New field and couplings »

Lagrangian »



Matching to the effective Lagrangian

Tree-level »

One-loop »

Conclusion

Conclusion

- ❖ One-loop EFT matching is important for phenomenology.
- ❖ Automated tools are necessary due to the large number of new physics models.
- ❖ Complete automation (Langrangian in/ Lagrangian out) almost there:
 - ▶ Matching with method of regions diagrammatically or with functional methods  ✓
 - ▶ Ongoing progress with EFT operator reduction 
- ❖ Ultimate goal: direct evaluation of new physics models against data with one code performing
 - ▶ Matching } Multiple steps
 - ▶ RG evolution }
 - ▶ Interface to EFT phenomenological codes (providing fits to data)

Try out the matching tools!

Thank you for listening!