



technische universität
dortmund



Department
of Physics

Introduction to hadron collider physics

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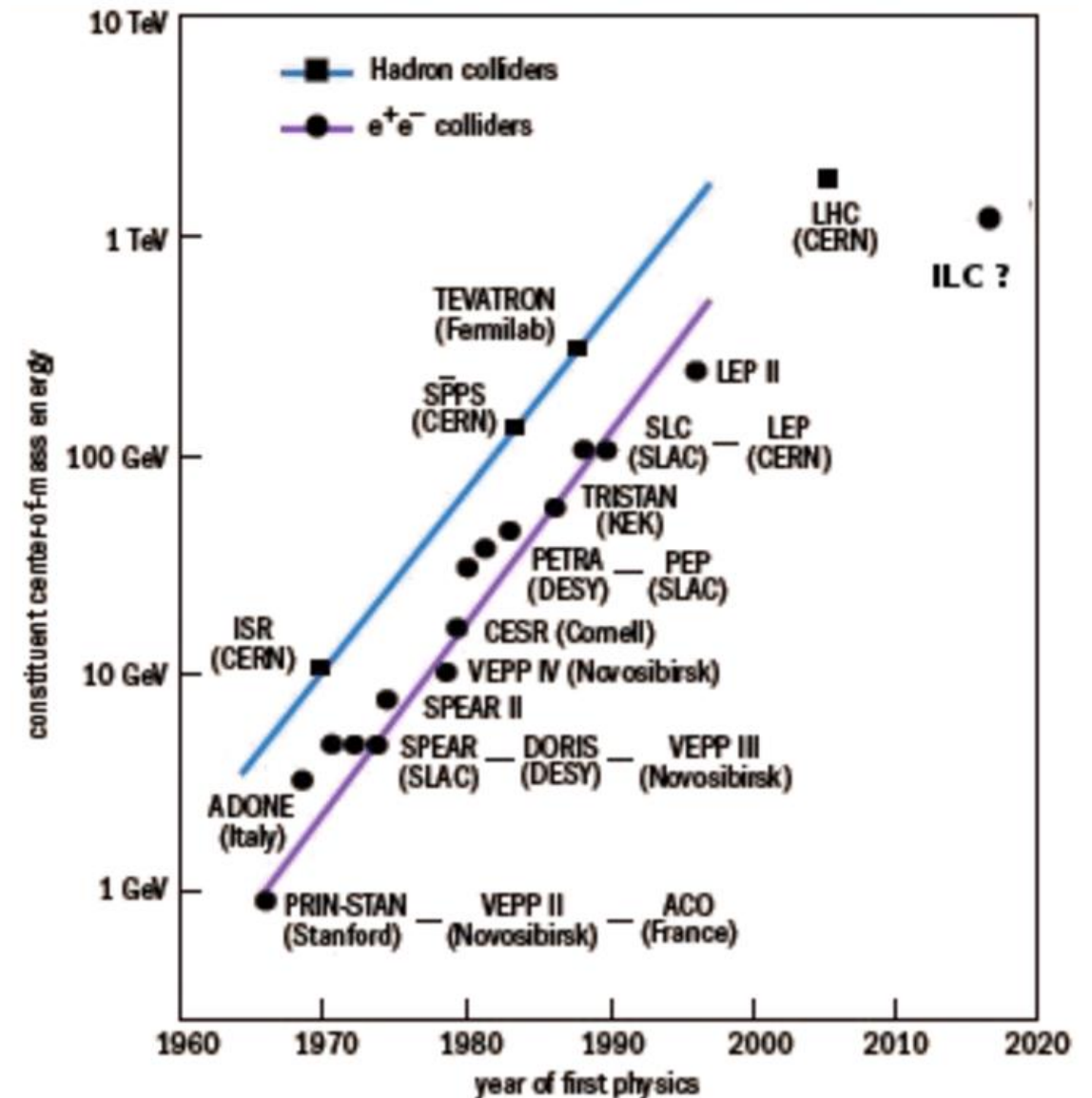
BCD Summer School, Cargese, 30.03.2023

Why hadron colliders?

- Large center-of-mass energy
- Discovery machines, in particular for heavy particles

Examples

- SPPS at 630 GeV: Discovery of the W- and Z-bosons
- Tevatron at 1 TeV and 1.96 TeV: Discovery of the top quark
- LHC at 7 TeV/8TeV/13 TeV/13.6 TeV: Discovery of the Higgs boson



Topics

- Proton-proton collisions
- The LHC in a nutshell
- Physics processes at hadron colliders
- Selected physics processes

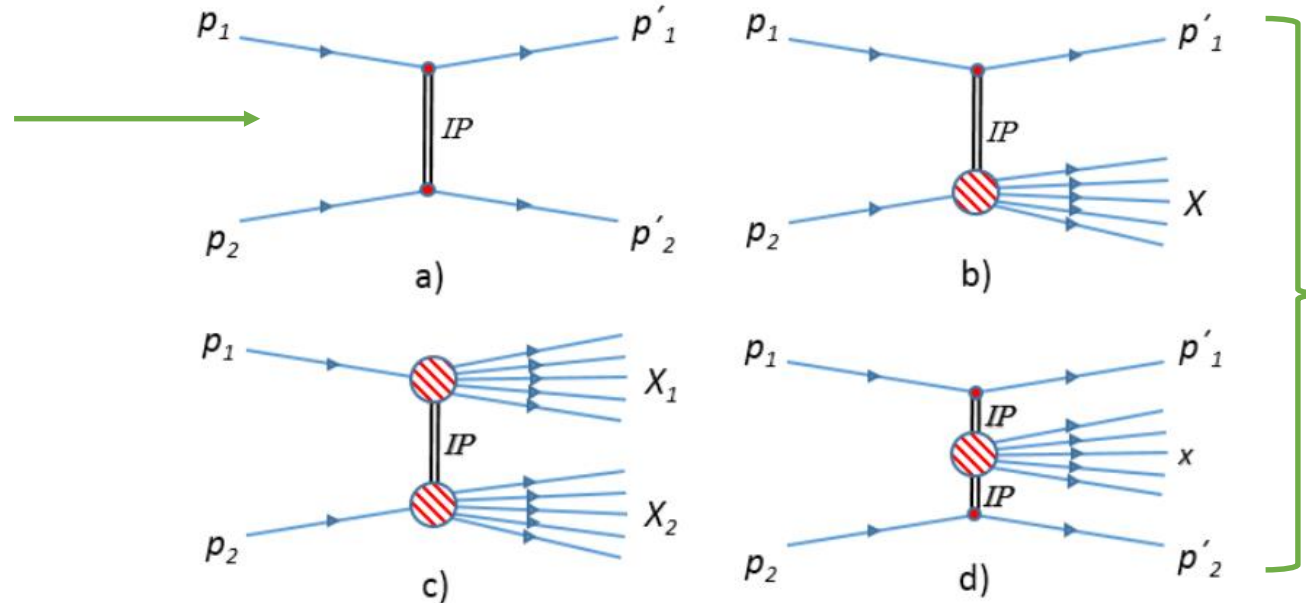
Skipping all the details: detectors, trigger, DAQ, physics objects, statistical methods, etc. → Lecture in Dortmund



Proton-proton collisions

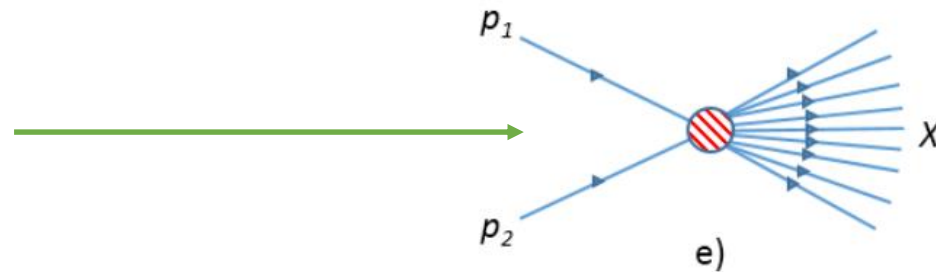
What are we doing, actually?

elastic scattering



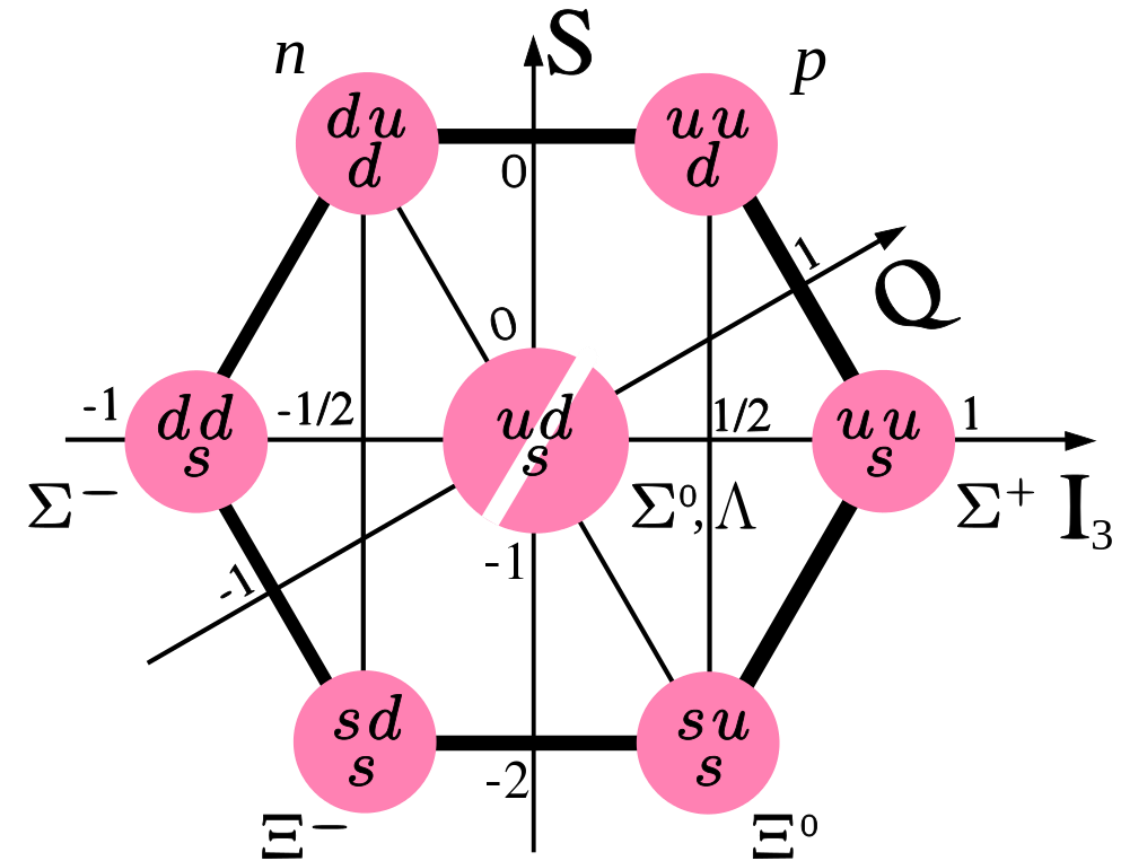
diffractive scattering

inelastic scattering



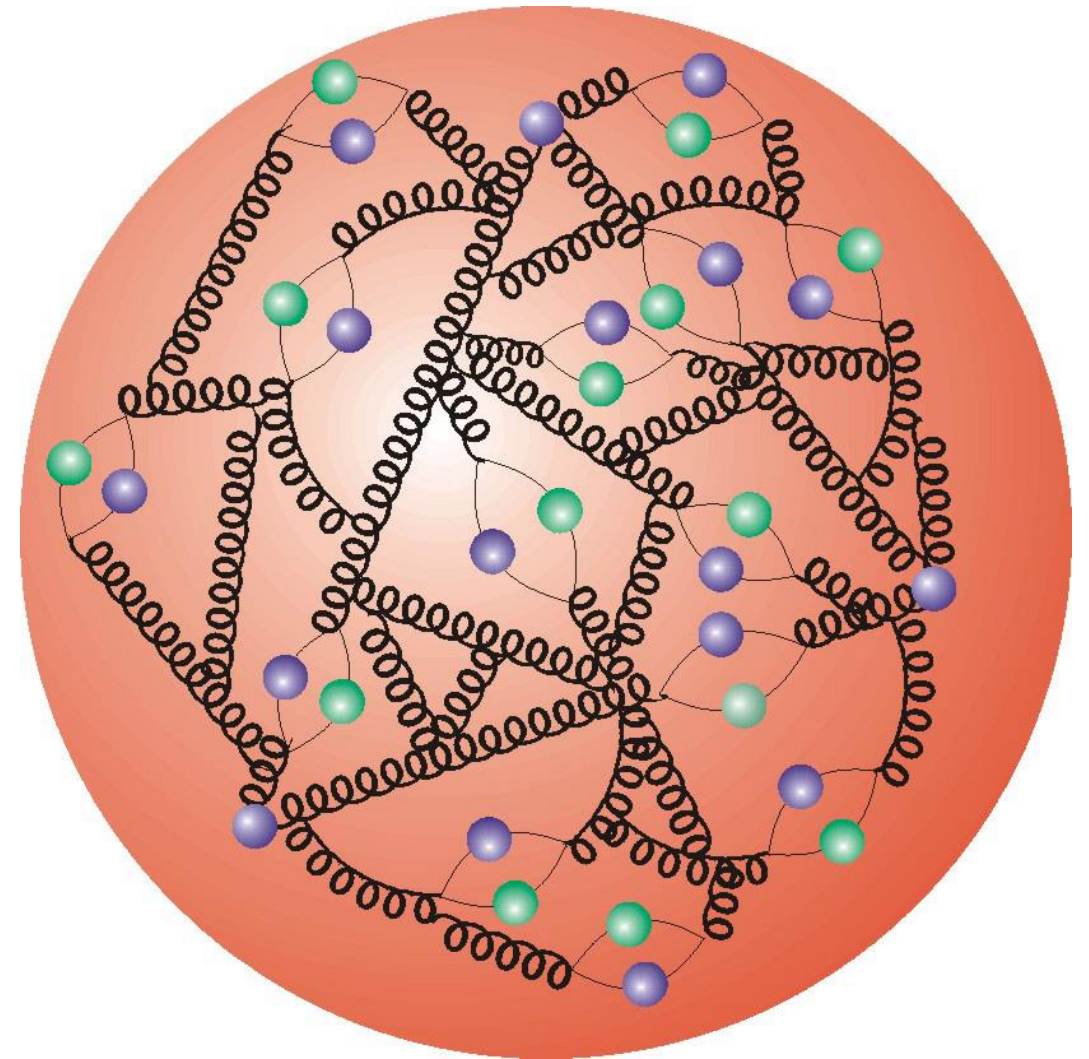
Proton structure

- Eightfold way (Gell-Mann et al., 1960er): all hadrons are made up of quarks
- Non-observation of free quarks did not help to make this theory popular
- Naïve parton model describes scattering, in particular deep inelastic scattering.



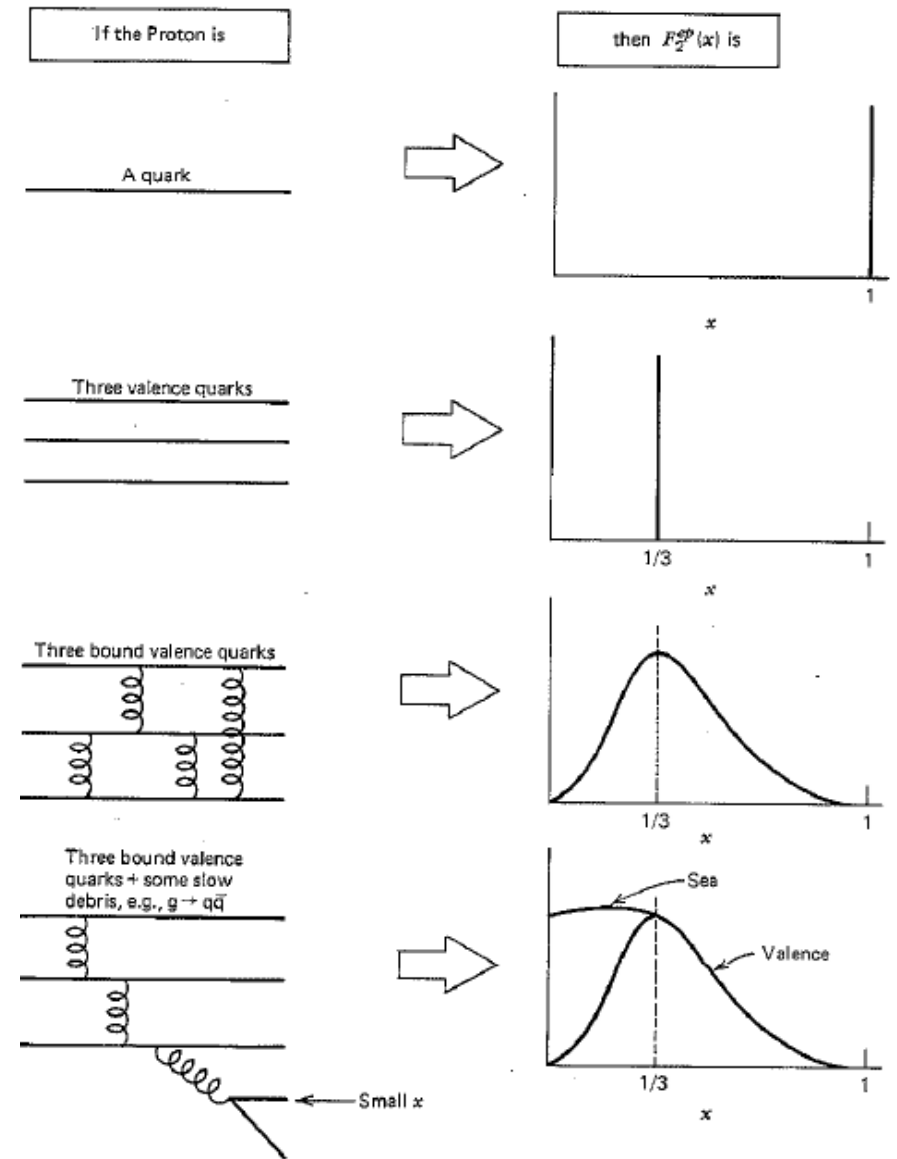
Proton structure

- QCD improved model
 - Quarks are not free because of confinement
 - Quarks interact via gluons
 - Probability to create quark-antiquark pairs within the proton
 - Proton consists of valence quarks, sea quarks and gluons



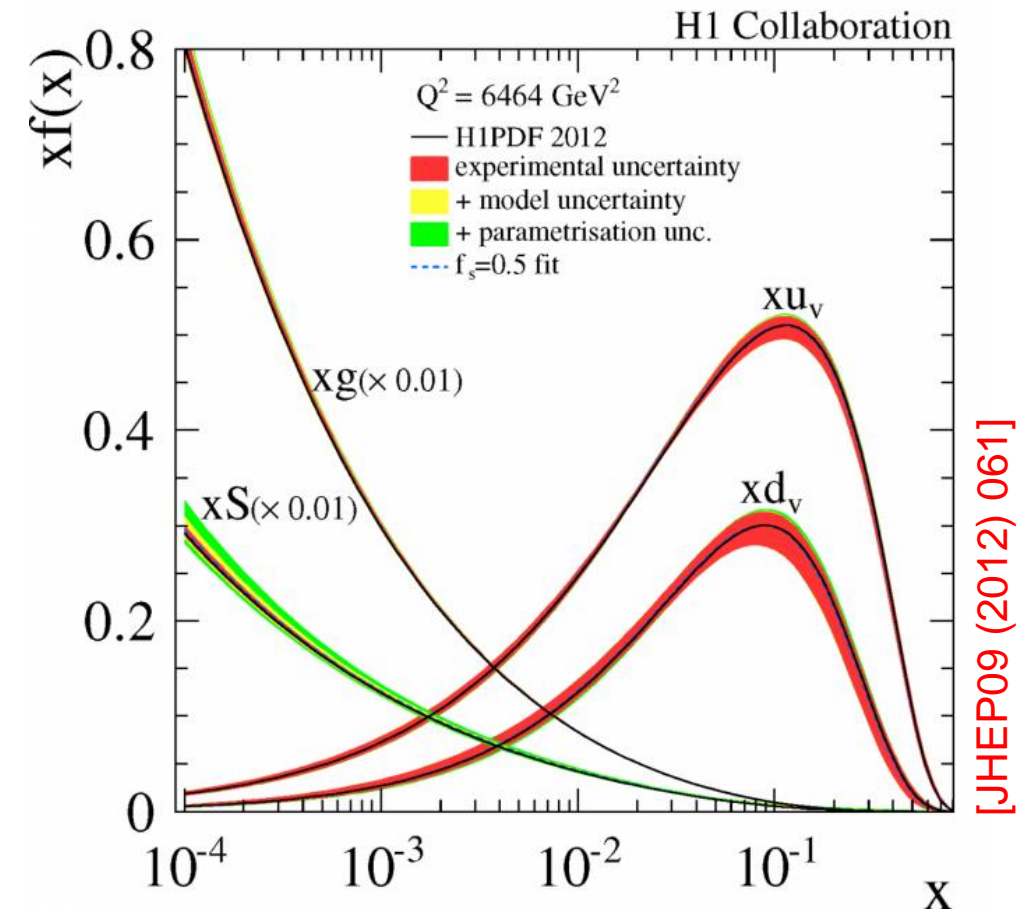
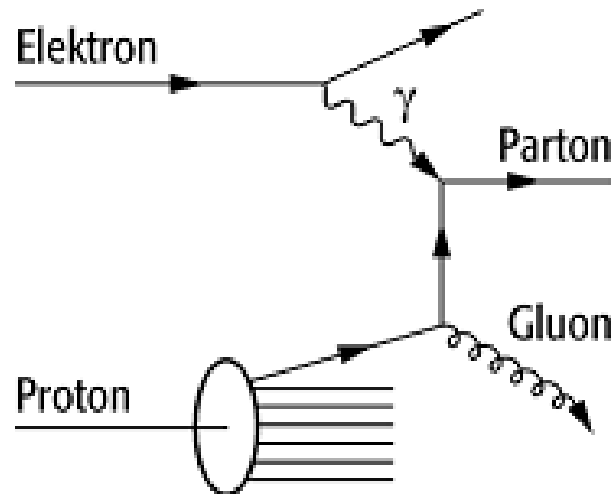
Parton distribution functions

- Distribution of parton momenta inside the proton is universal
- Described by parton distribution functions
- Key variable x , i.e. fraction of proton's momentum carried by a single parton



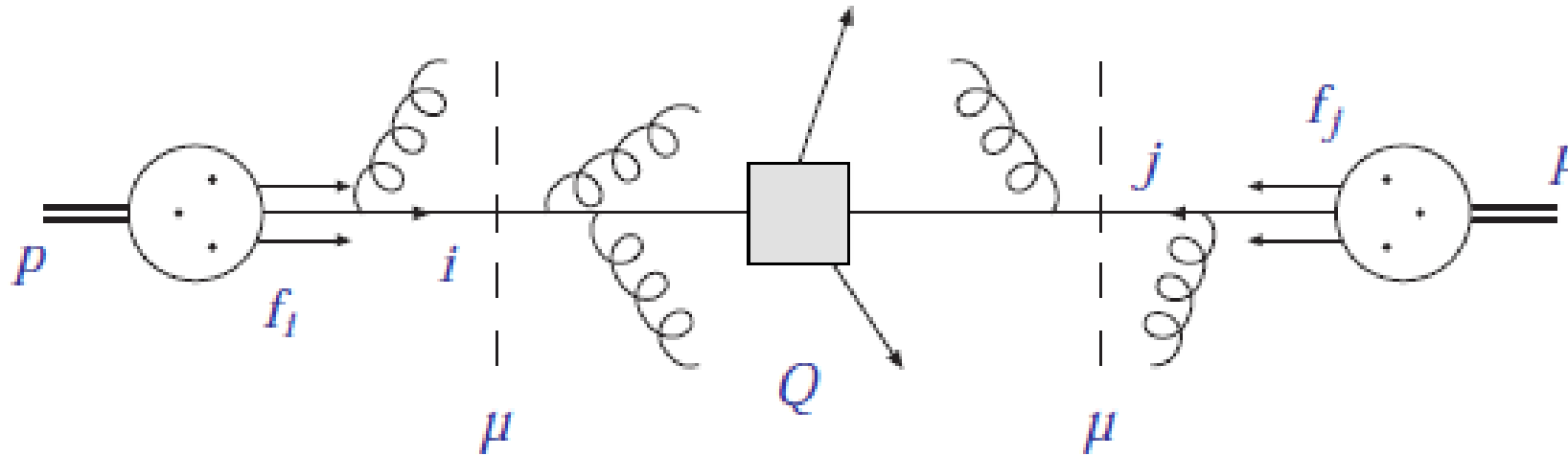
Parton distribution functions

- Measure e.g. by scattering electrons on protons
- Famous: HERA at DESY, Hamburg



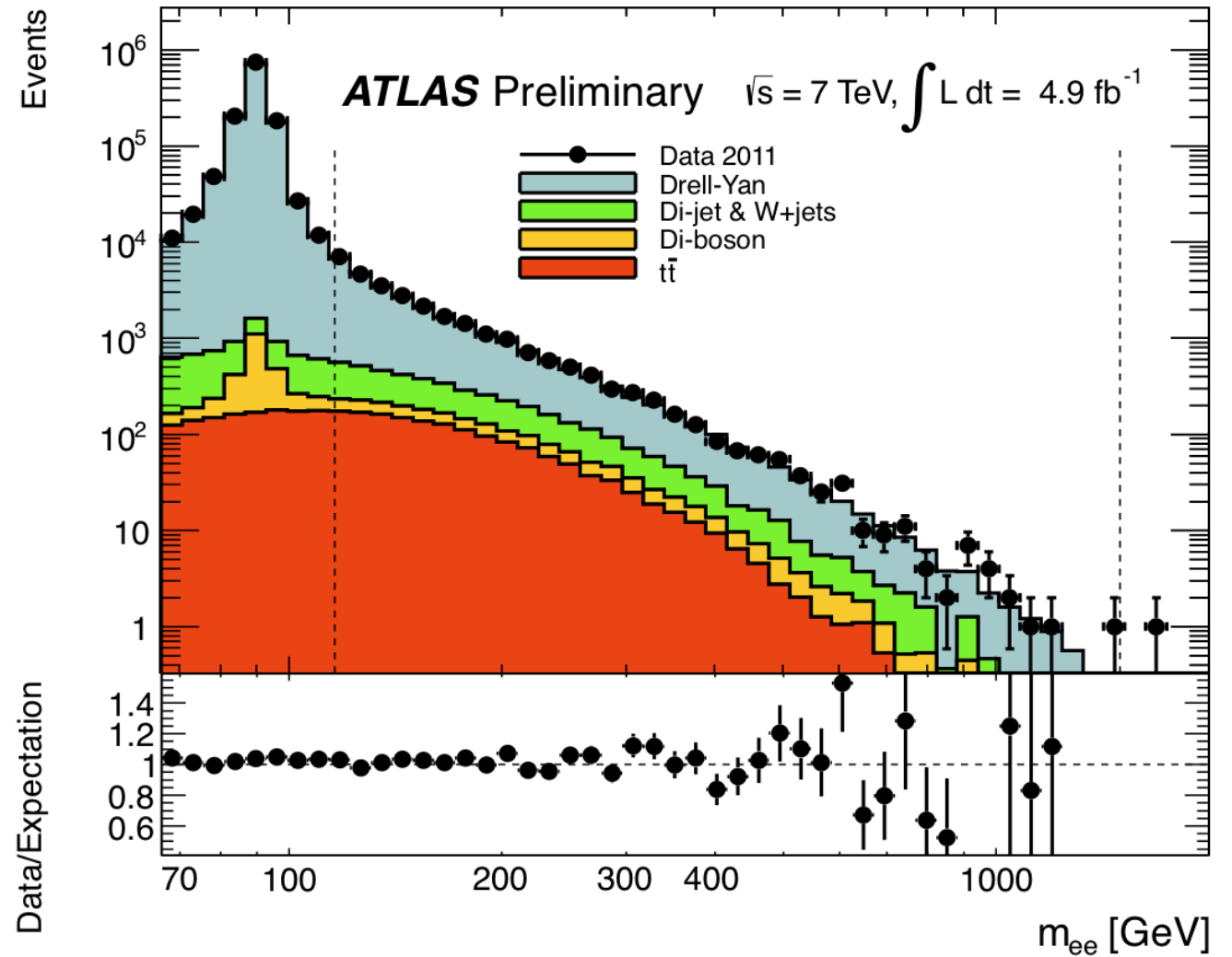
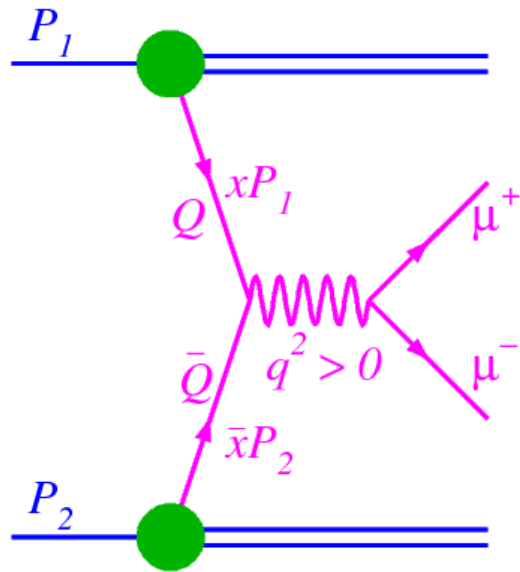
Factorization theorem

- Proton-proton cross section factorizes into two parts:
 - Extract partons from protons
 - Hard scattering process (of partons)



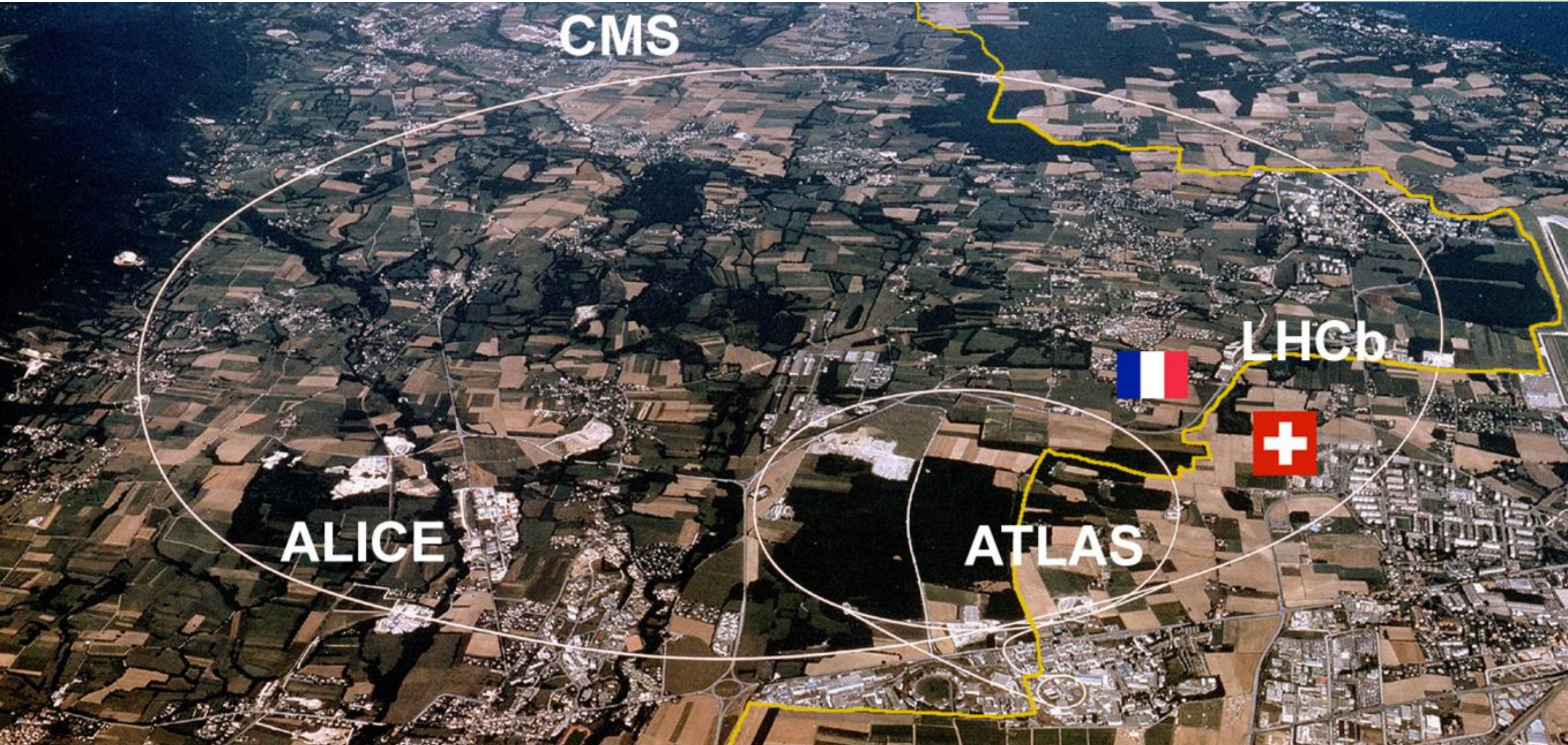
$$\sigma_{pp \rightarrow X} = \sum_{ij} \iint dx_i dx_j f_i(x_i, \mu_F) f_j(x_j, \mu_F) \cdot \hat{\sigma}_{ij \rightarrow X}(\alpha_S(\mu_R), Q^2, \mu_F, \mu_R)$$

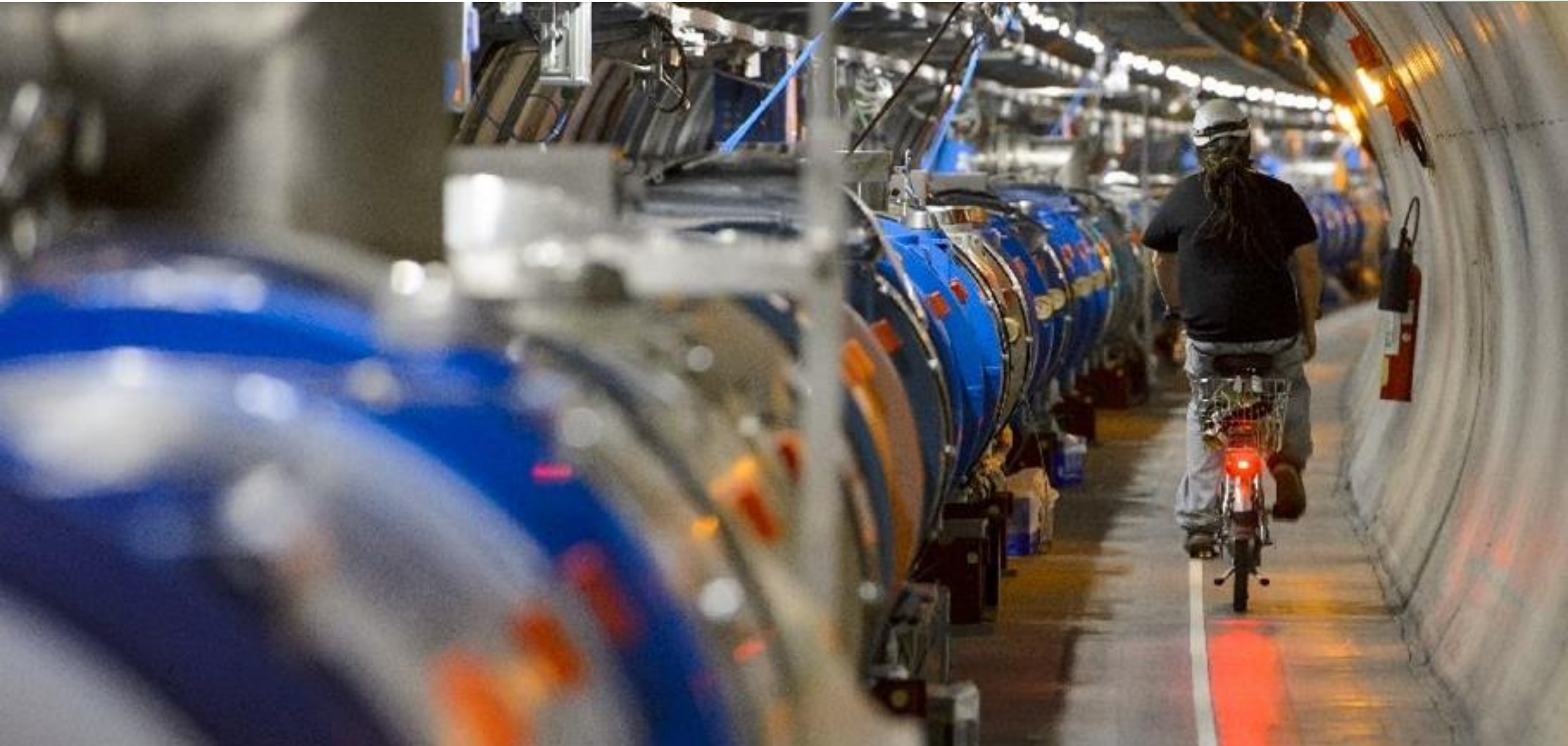
- Examples for pp-collisions: Drell-Yan production (1970)

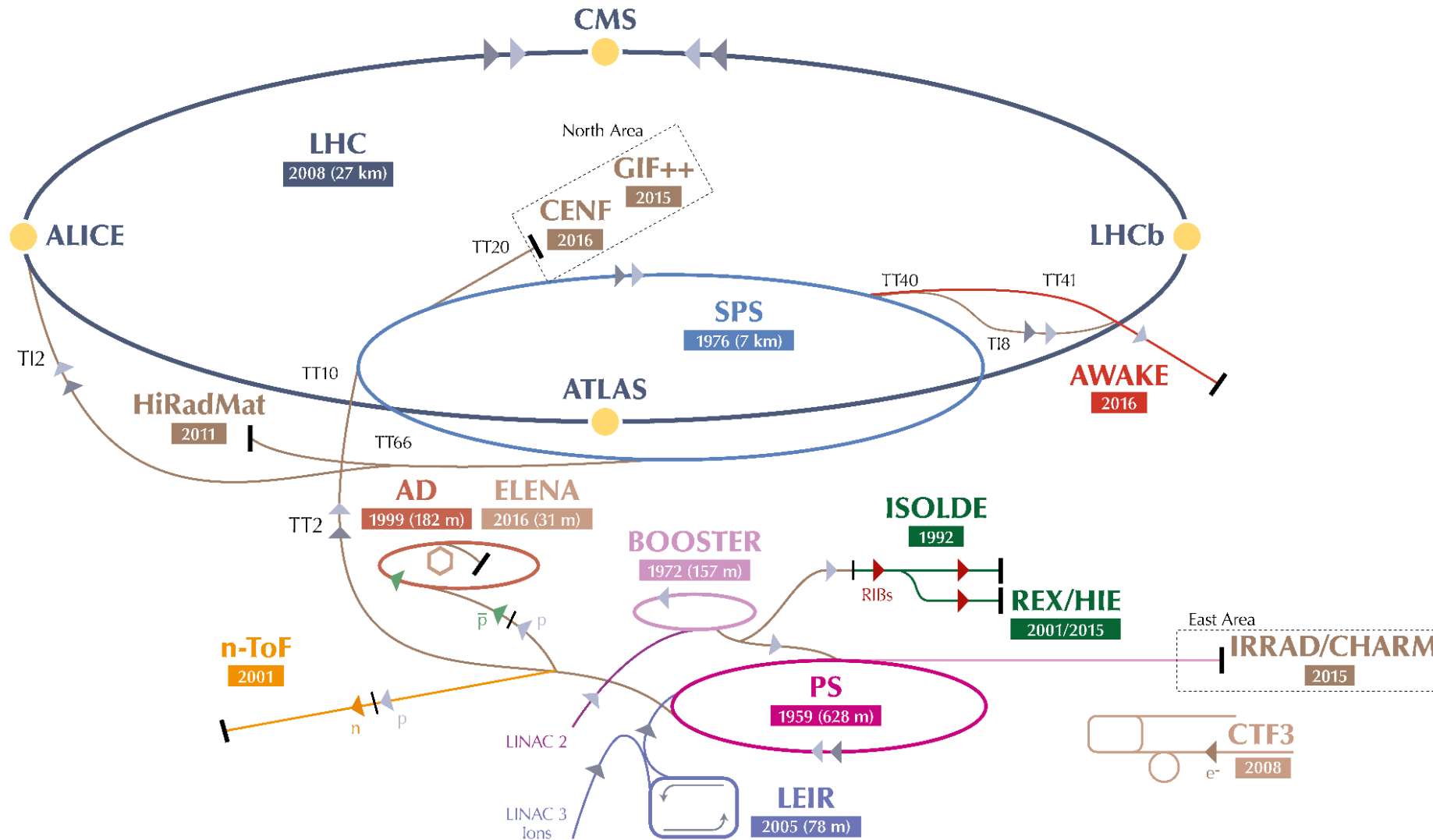


The LHC in a nutshell

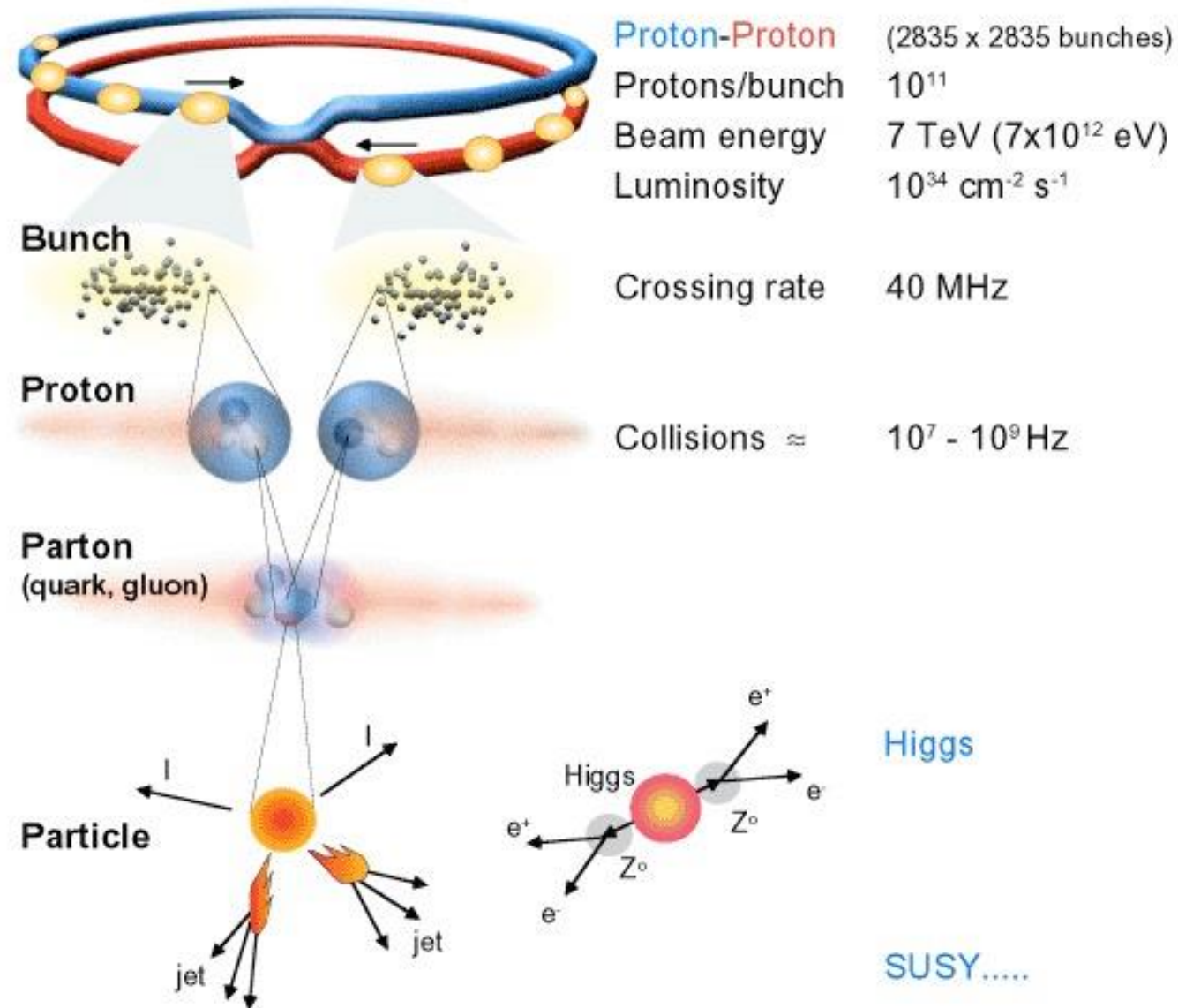
Our flagship!





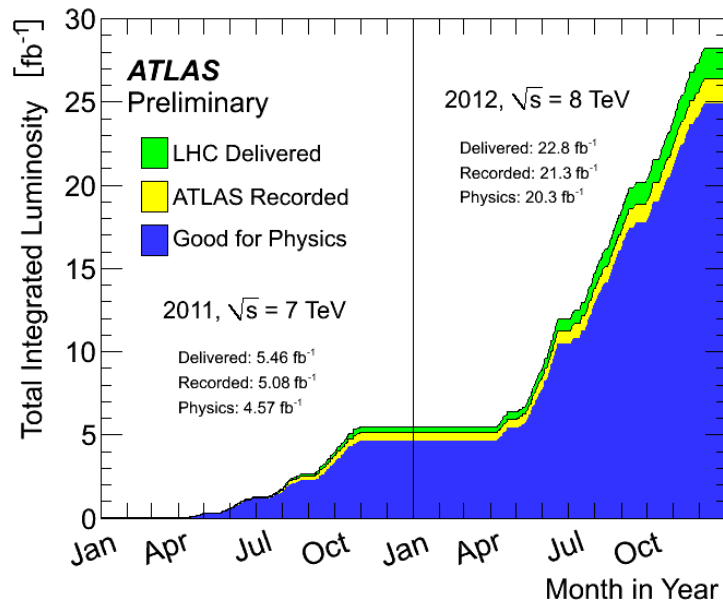


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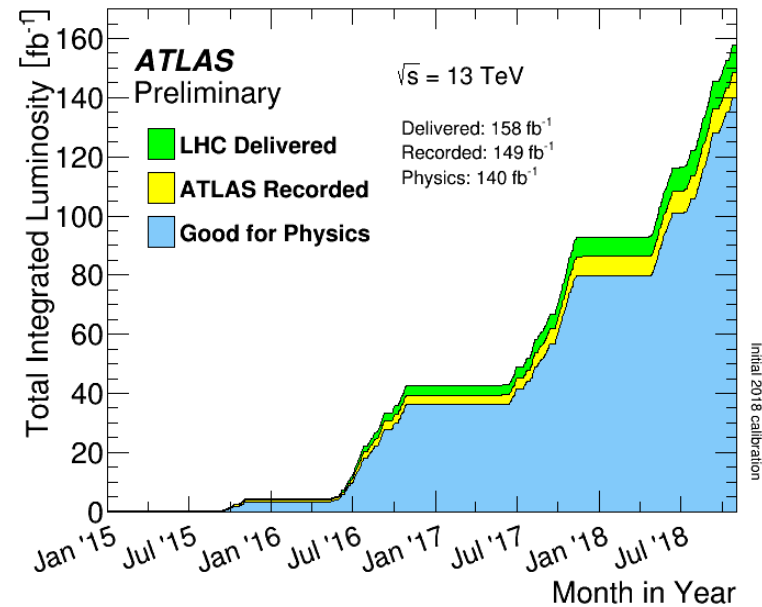


Integrated luminosities

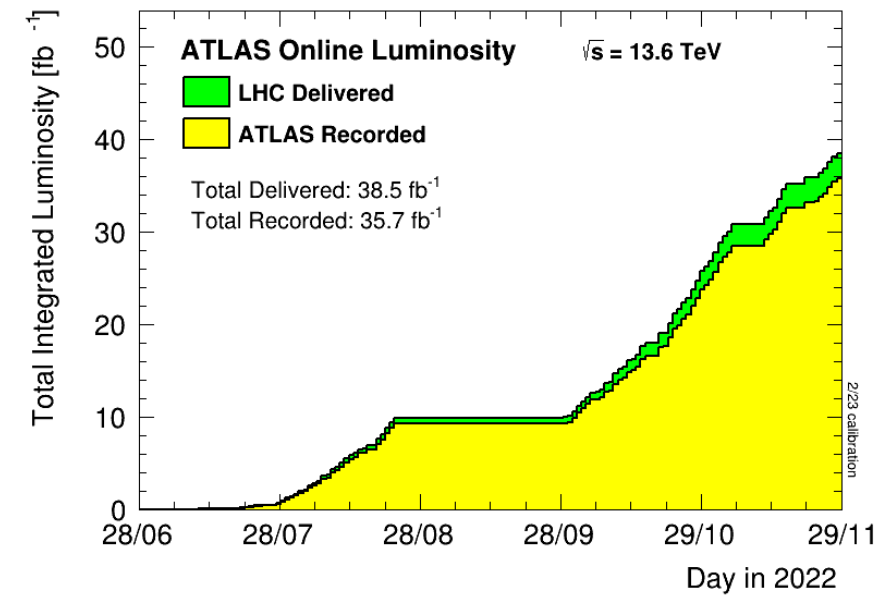
Run I (2011-12)



Run II (2015-18)

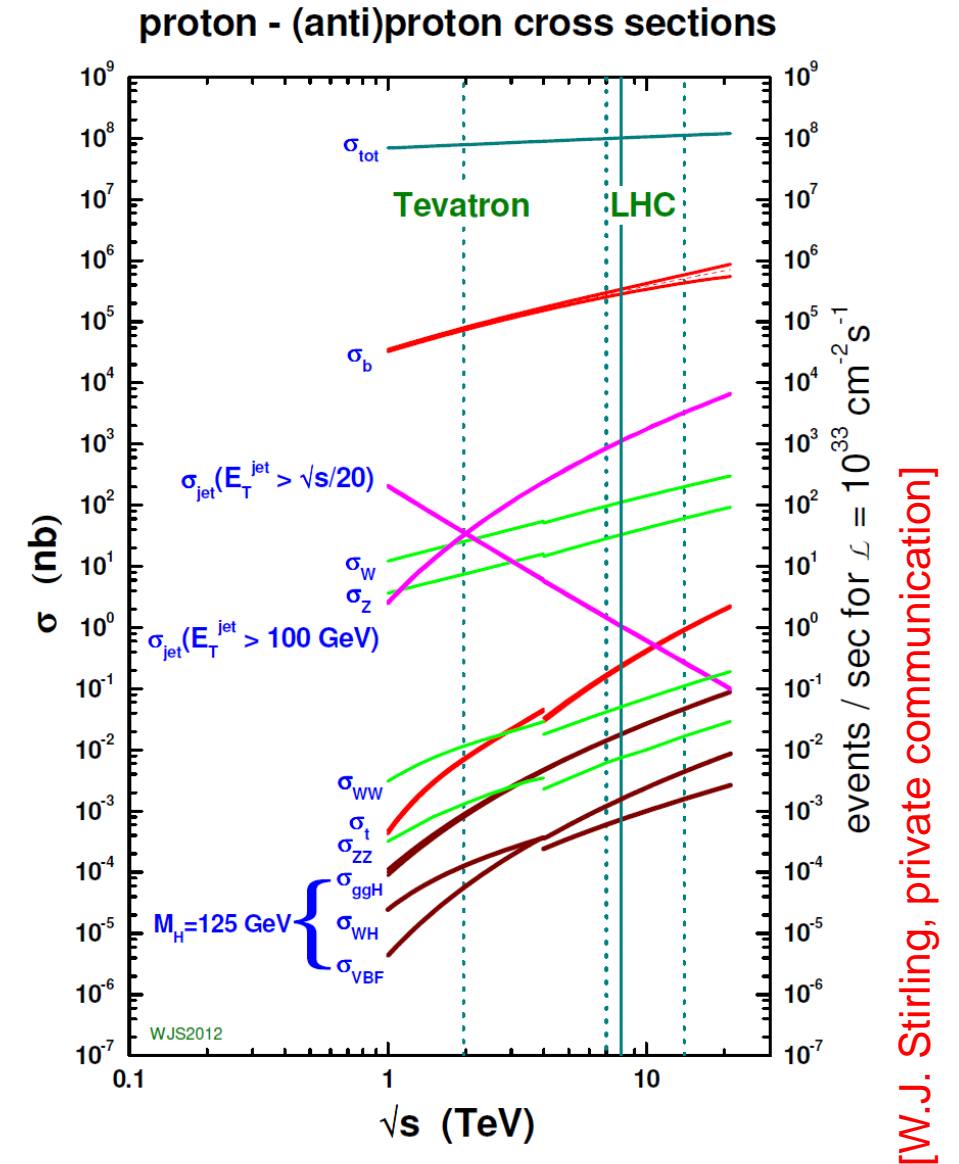


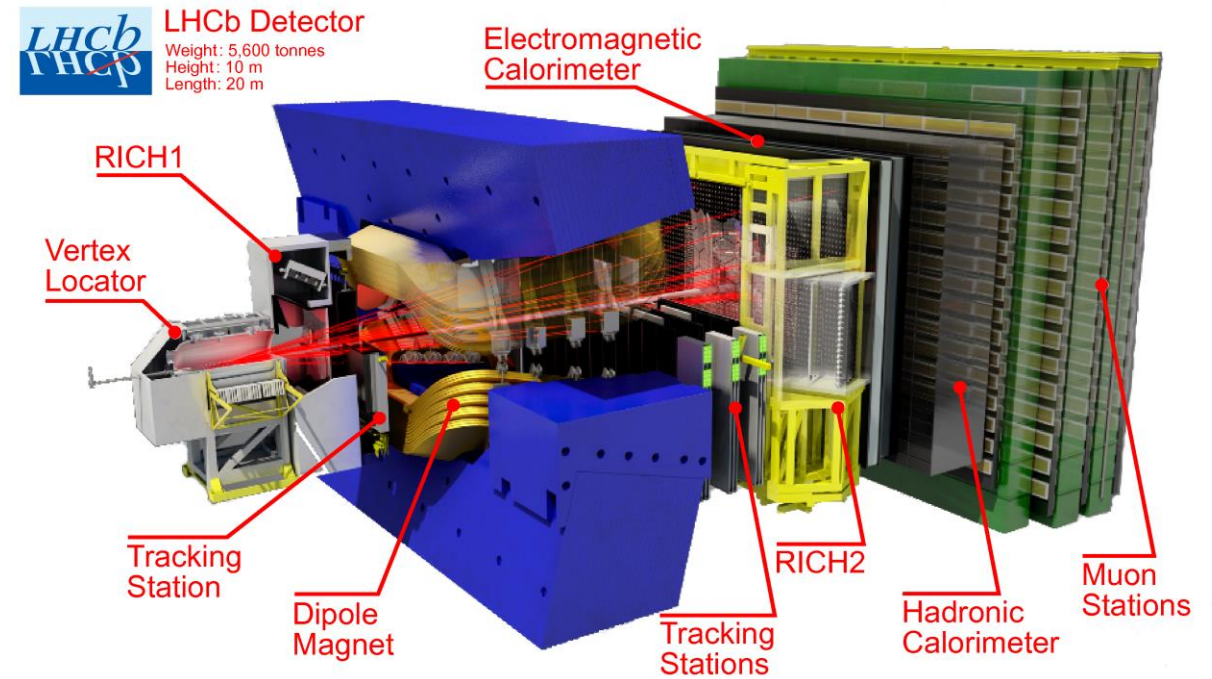
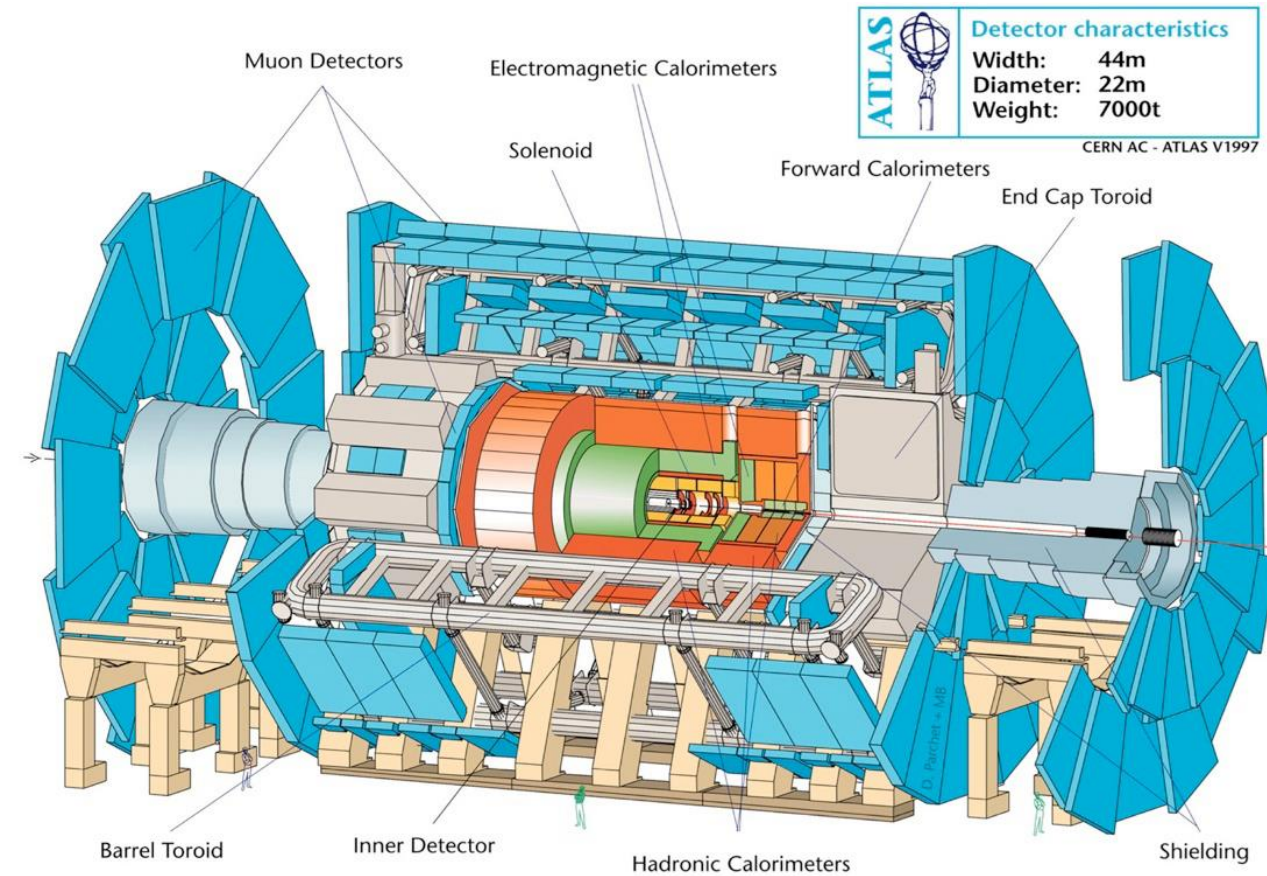
Run III (since 2022)

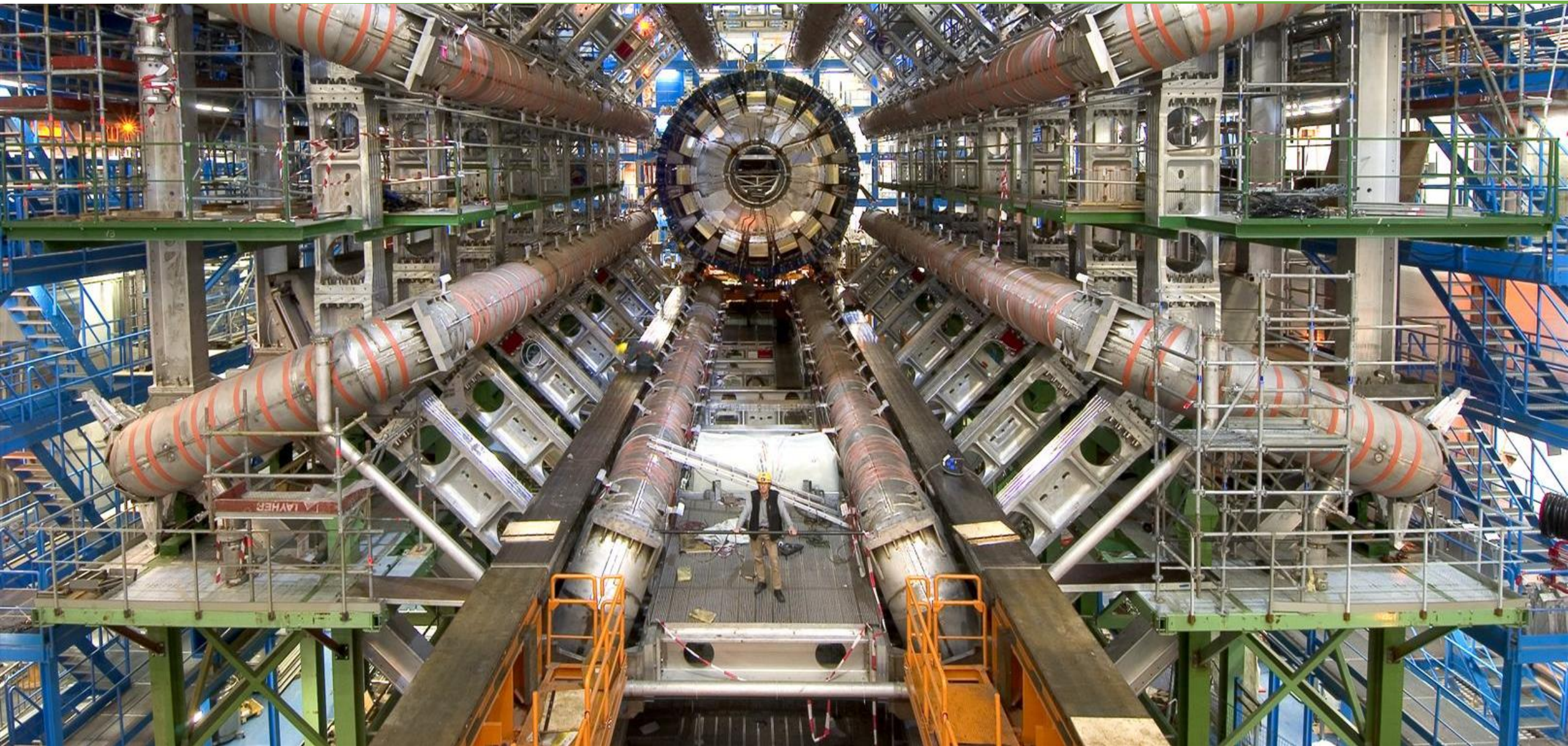


Physics processes at 7 TeV

- Processes at hadron colliders (at 7 TeV)
- Total cross section ~ 110 mb
 - Inelastic ~ 60 mb
 - Diffractive ~ 12 mb
 - Elastic ~ 40 mb
- Inclusive b production $\sim 0,3$ mb
- Jet production $\sim 0(\mu\text{b})$
- Inclusive W production ~ 90 nb
- Top production ~ 165 pb
- Higgs production < 10 pb
- New physics ???





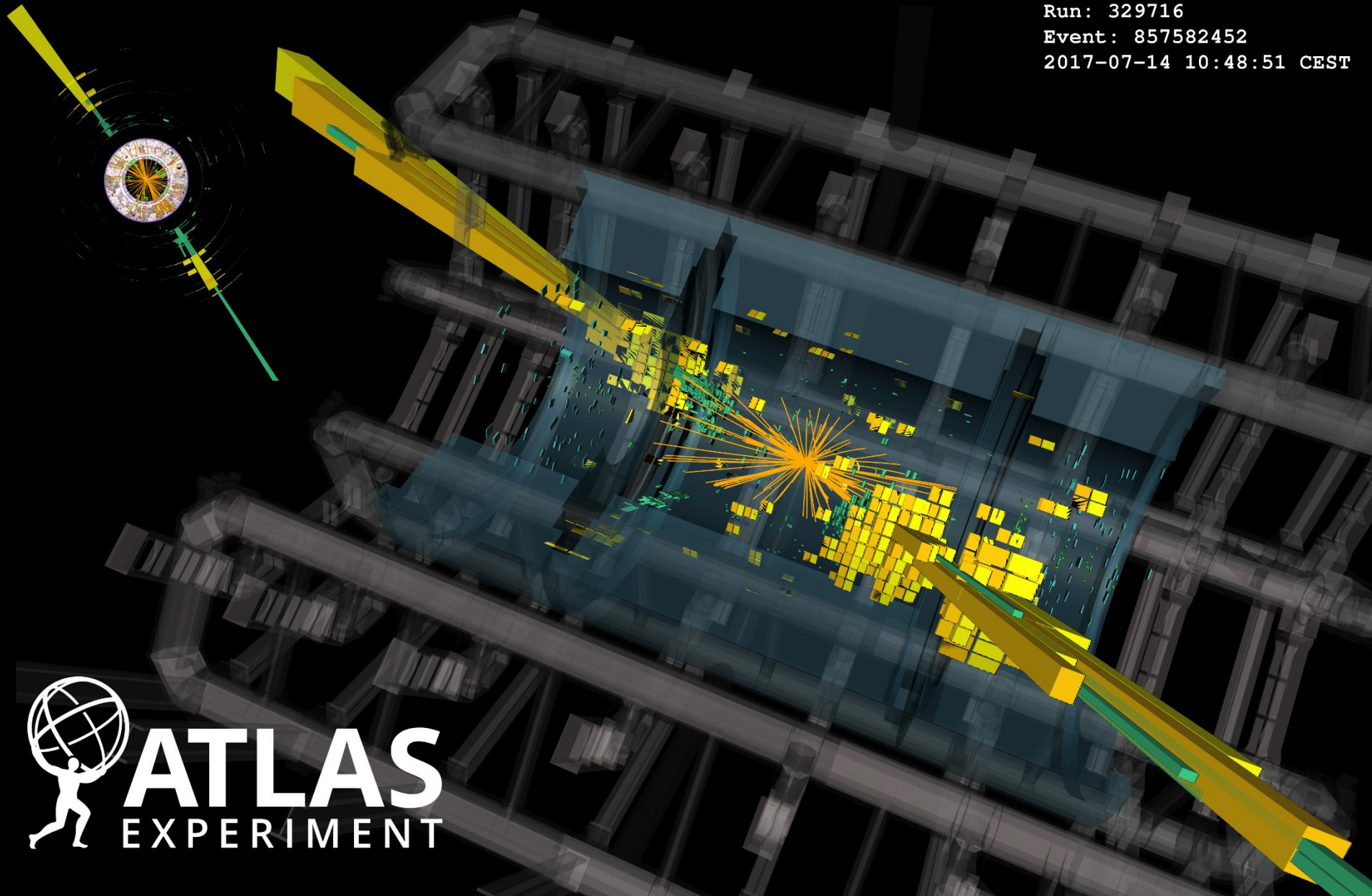


Physics processes at hadron colliders

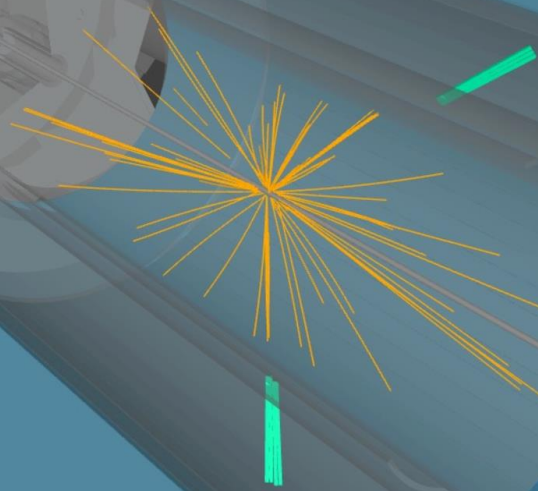
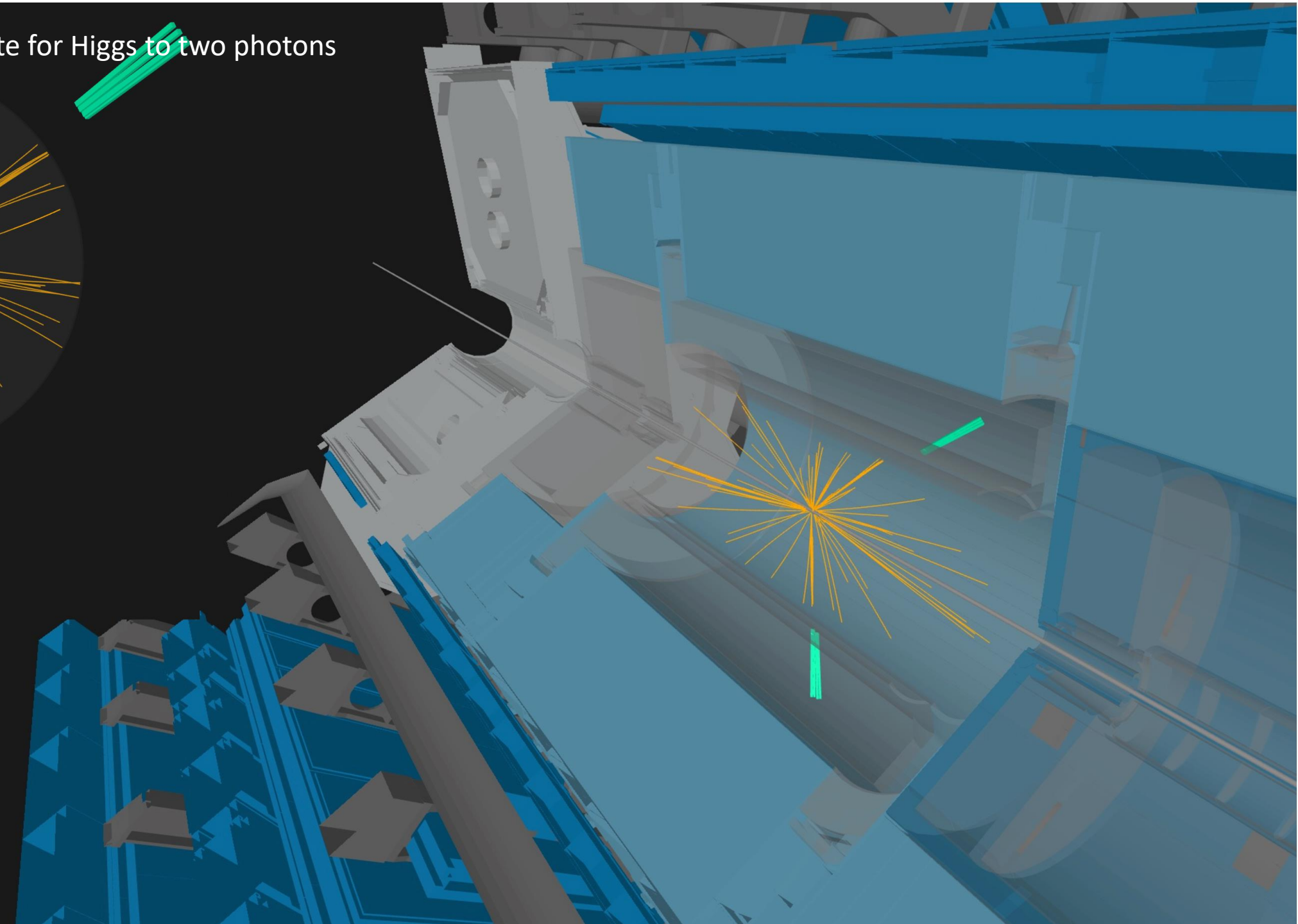
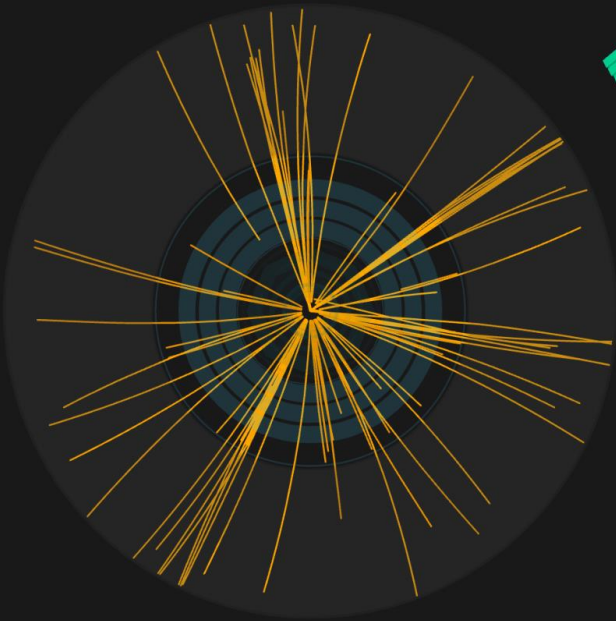
Finally!

Di-jet event with $m_{jj}=9.3$ TeV

Run: 329716
Event: 857582452
2017-07-14 10:48:51 CEST



Candidate for Higgs to two photons



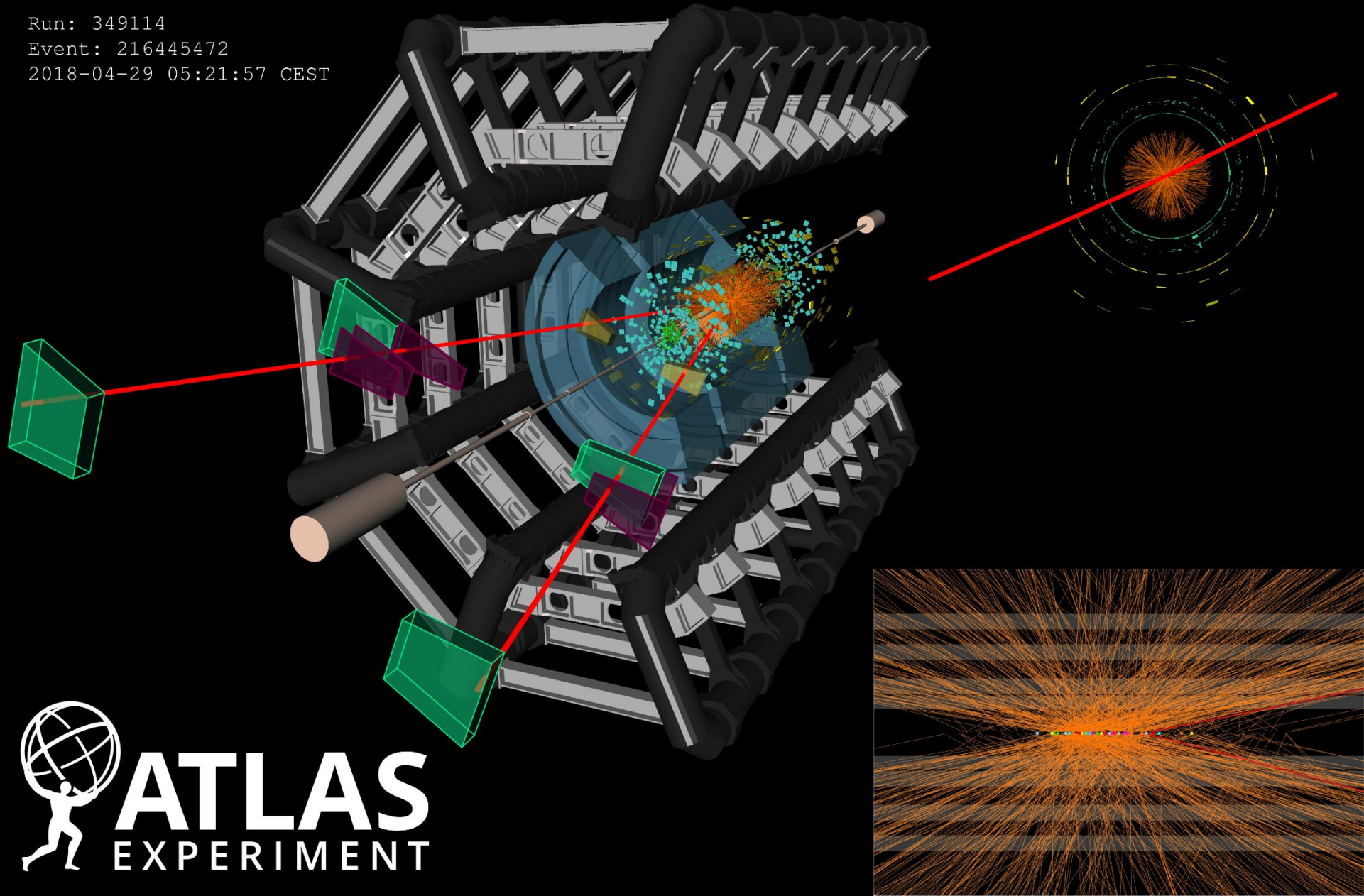
Run: 439830
Event: 1764040021
2022-11-15 16:33:48 CET

Z → 2 muon event with additional vertices

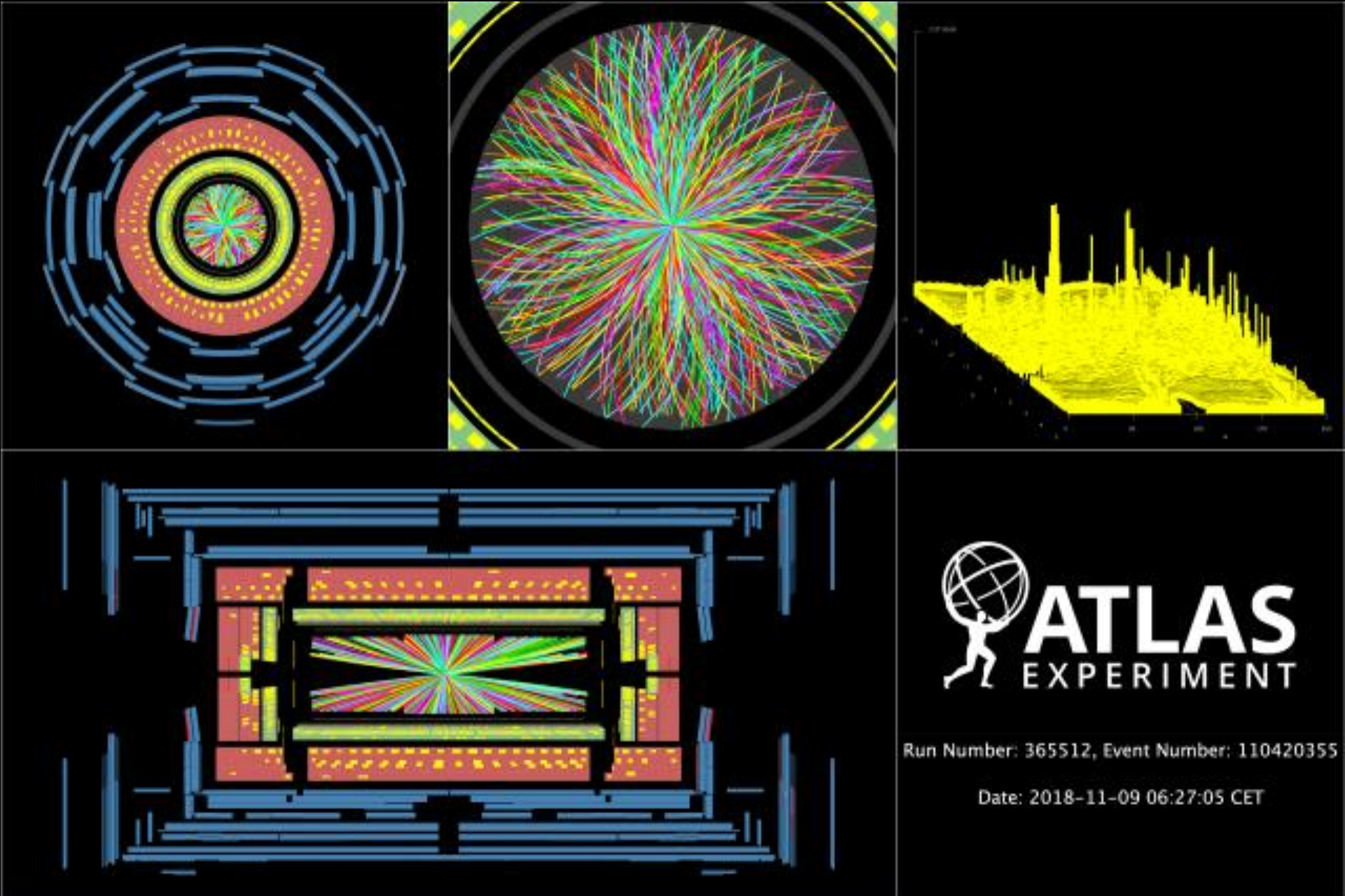
Run: 349114

Event: 216445472

2018-04-29 05:21:57 CEST



Lead-lead collisions



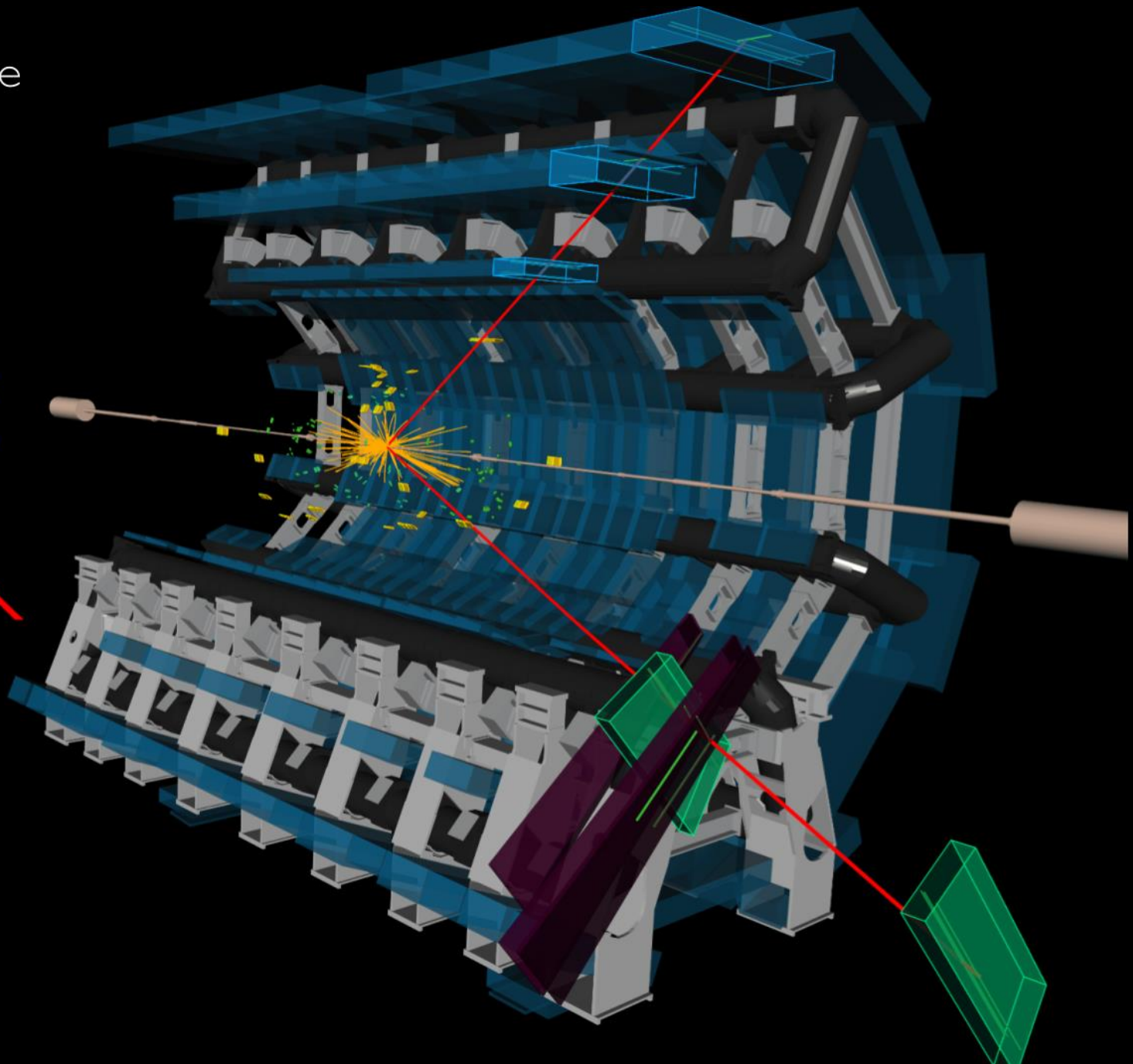
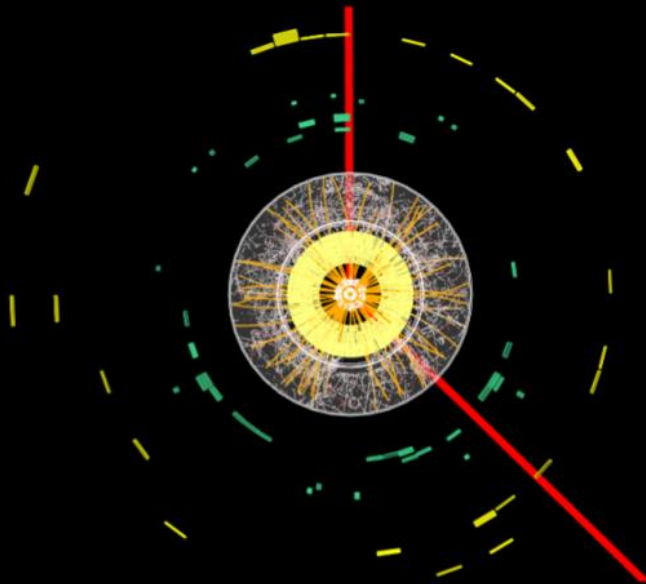
 **ATLAS**
EXPERIMENT

Run Number: 365512, Event Number: 110420355

Date: 2018-11-09 06:27:05 CET

$Z \rightarrow \mu^+ \mu^-$ Candidate

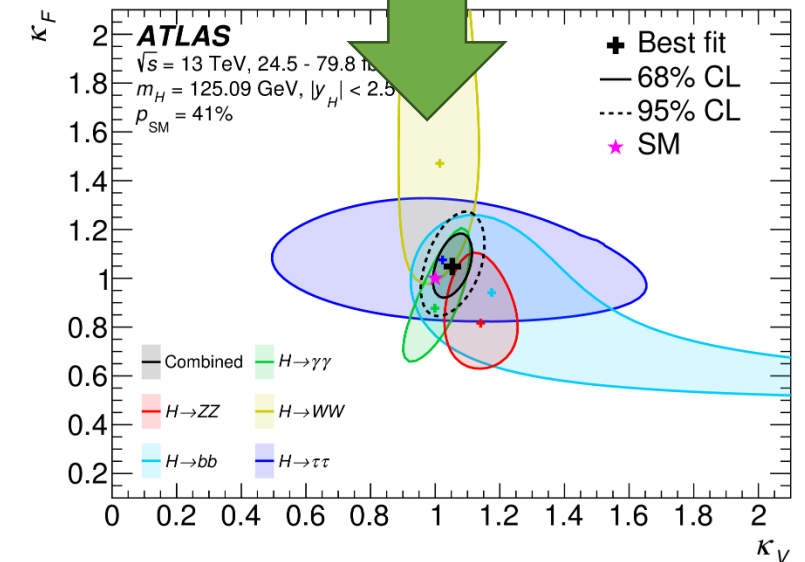
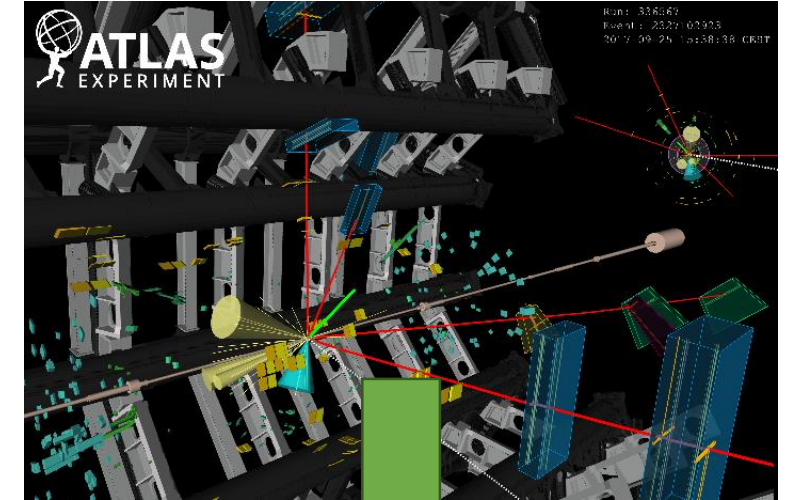
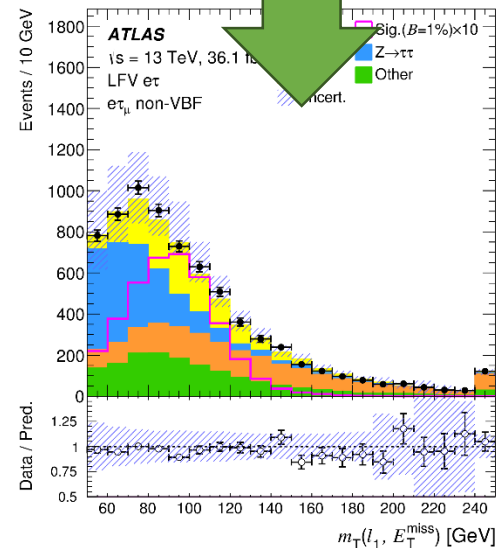
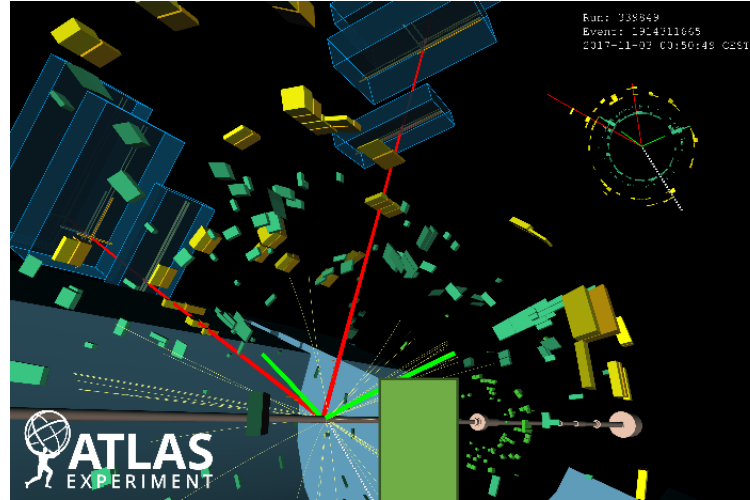
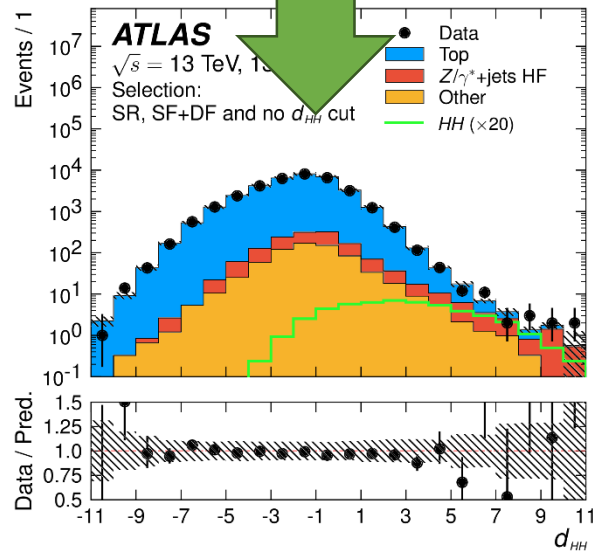
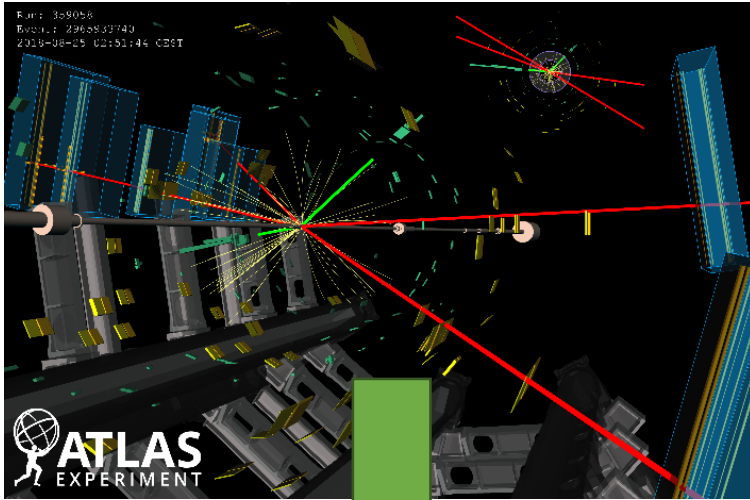
Invariant Mass: 91.01 GeV/c²



Run: 427394

Event: 21060879

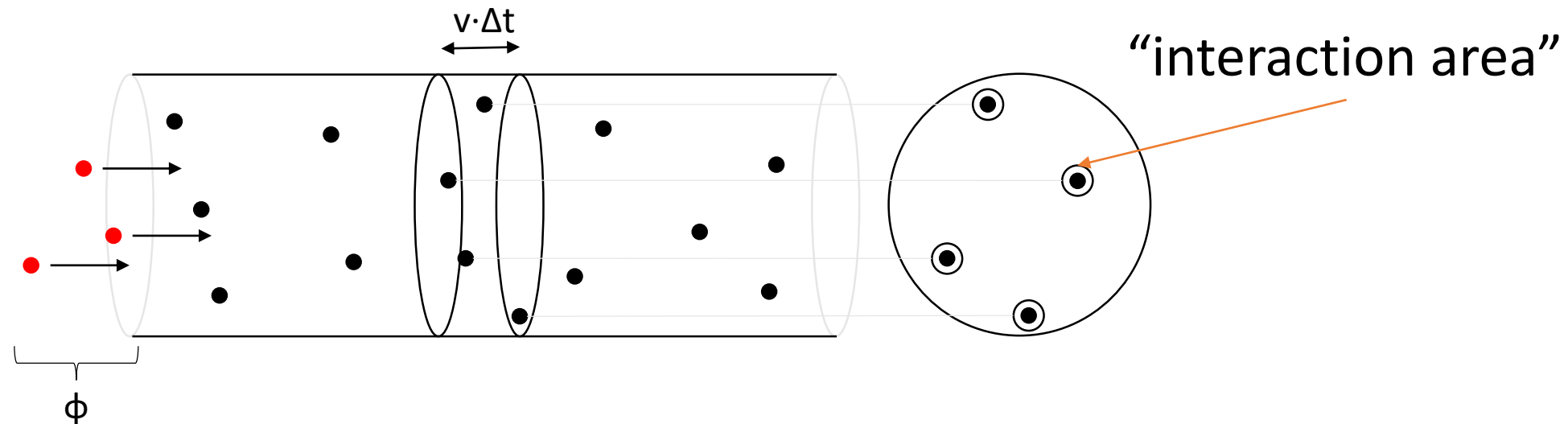
2022-07-05 19:04:33 CEST



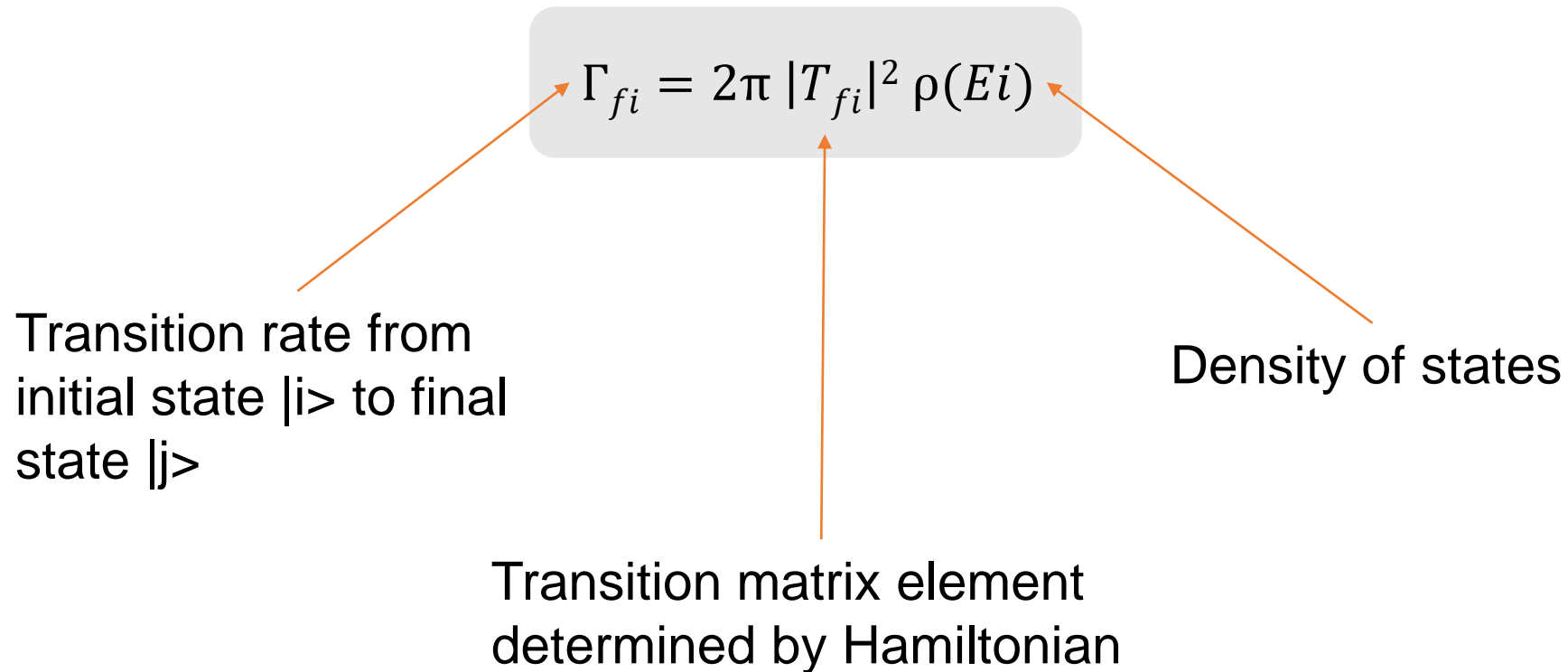
Cross section

- Symbol: σ
- Unit: $[\sigma] = \text{barn} = 10^{-24} \text{ cm}^2$

$$\sigma = \frac{\text{Number of interactions per particle and unit time}}{\text{Flux}}$$



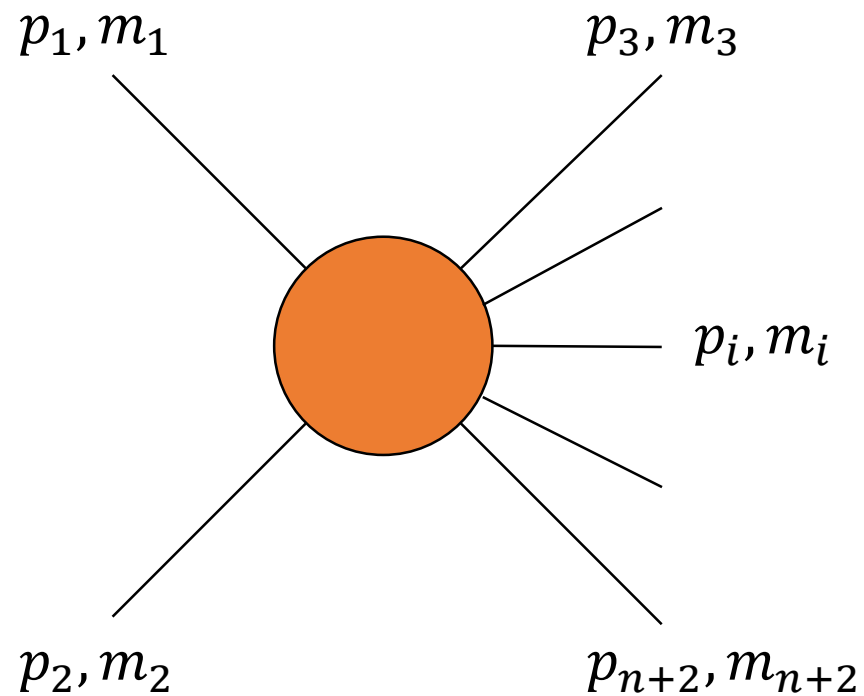
Fermi's golden rule of quantum mechanics



- Important for the description of quantum processes e.g. in atomic physics

Scattering of two particles

$$p_1 + p_2 \rightarrow p_3 + \dots + p_{n+2}$$



Relativistic form of Fermi's Golden Rule

$$d\sigma = \frac{(2\pi)^4 |M|^2}{4\sqrt{(p_1 \cdot p_2)^2 - m_1^2 m_2^2}} d\Phi_n(p_1 + p_2; p_3 \dots; p_{n+2})$$

Flux factor (in center-of-mass frame):

$$\sqrt{(p_1 \cdot p_2)^2 - m_1^2 m_2^2} = p_{1,\text{cm}} \cdot \sqrt{s}$$

Matrix element squared

Lorentz-invariant **phase space**

$$d\Phi_n(p_1 + p_2; p_3 \dots; p_{n+2}) = \delta^4(p_1 + p_2 - \sum_{i=3}^{n+2} p_i) \prod_{i=3}^{n+2} \frac{d^3 p_i}{(2\pi)^3 2E_i}$$

Example: $2 \rightarrow 2$ scattering

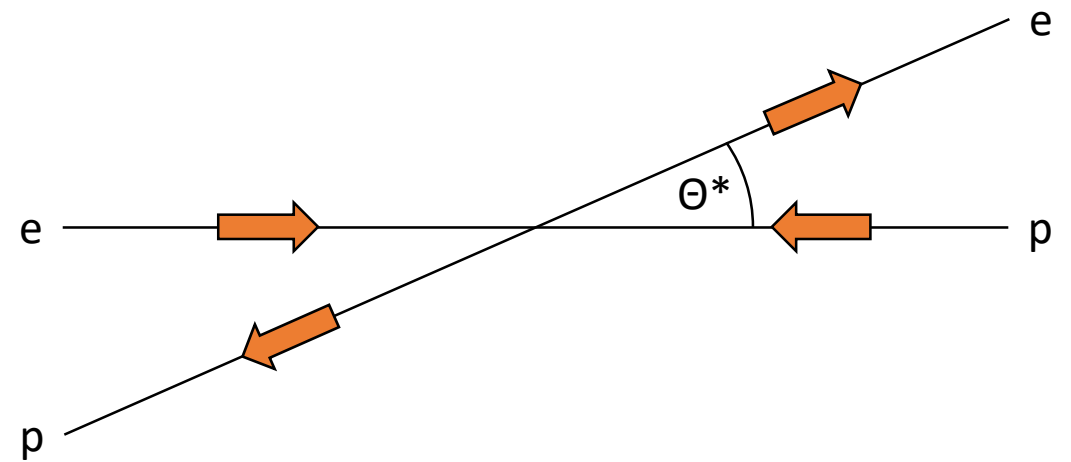
- Cross section

$$d\sigma = \frac{1}{64\pi^2 s} \frac{p_f^*}{p_i^*} \int |M|^2 d\Omega^*$$

- Differential cross section

$$\frac{d\sigma}{d\Omega^*} = \frac{1}{64\pi^2 s} \frac{p_f^*}{p_i^*} |M|^2$$

- Concrete examples: $e^+e^- \rightarrow \mu^+\mu^-$, $e^-p \rightarrow e^-p$, ...



Measurement of a cross section

- The **number of expected events** ν is proportional to ...
 - ... the **cross section** σ
 - ... the **acceptance** A
 - ... the **efficiency** ε (probability) to observe the event

$$\nu = L_{\text{int}} \cdot \sigma \cdot A \cdot \varepsilon$$

- The proportionality constant is the **luminosity**.
- The number of expected events can be estimated by the number of observed events N minus the background, N_{bkg} .
- **This formula relates the theory (cross section σ) with the experiment (A , ε) and the analyst (N)**

Luminosity

- Measure for the number of collisions
- Property of the collider, i.e. the beam size ($\sigma_{x/y}$), the collision frequency f , number of colliding particles $n_{1/2}$
- Unit: inverse barn (inverse area) (per unit time)
- Instantaneous luminosity:

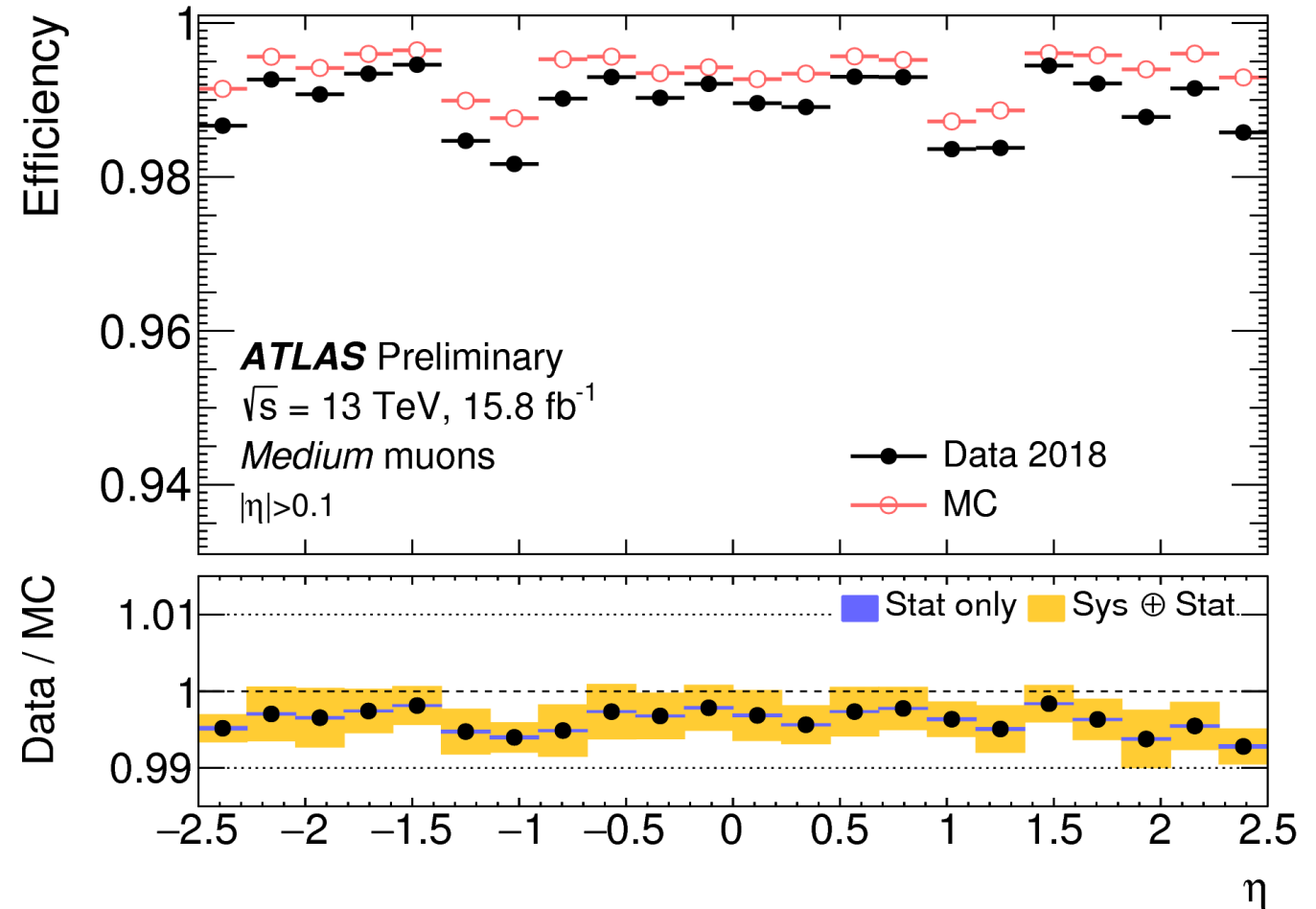
$$L = f \cdot \frac{n_1 n_2}{4\pi\sigma_x\sigma_y}$$

- Integrated luminosity:

$$L_{\text{int}} = \int L dt$$

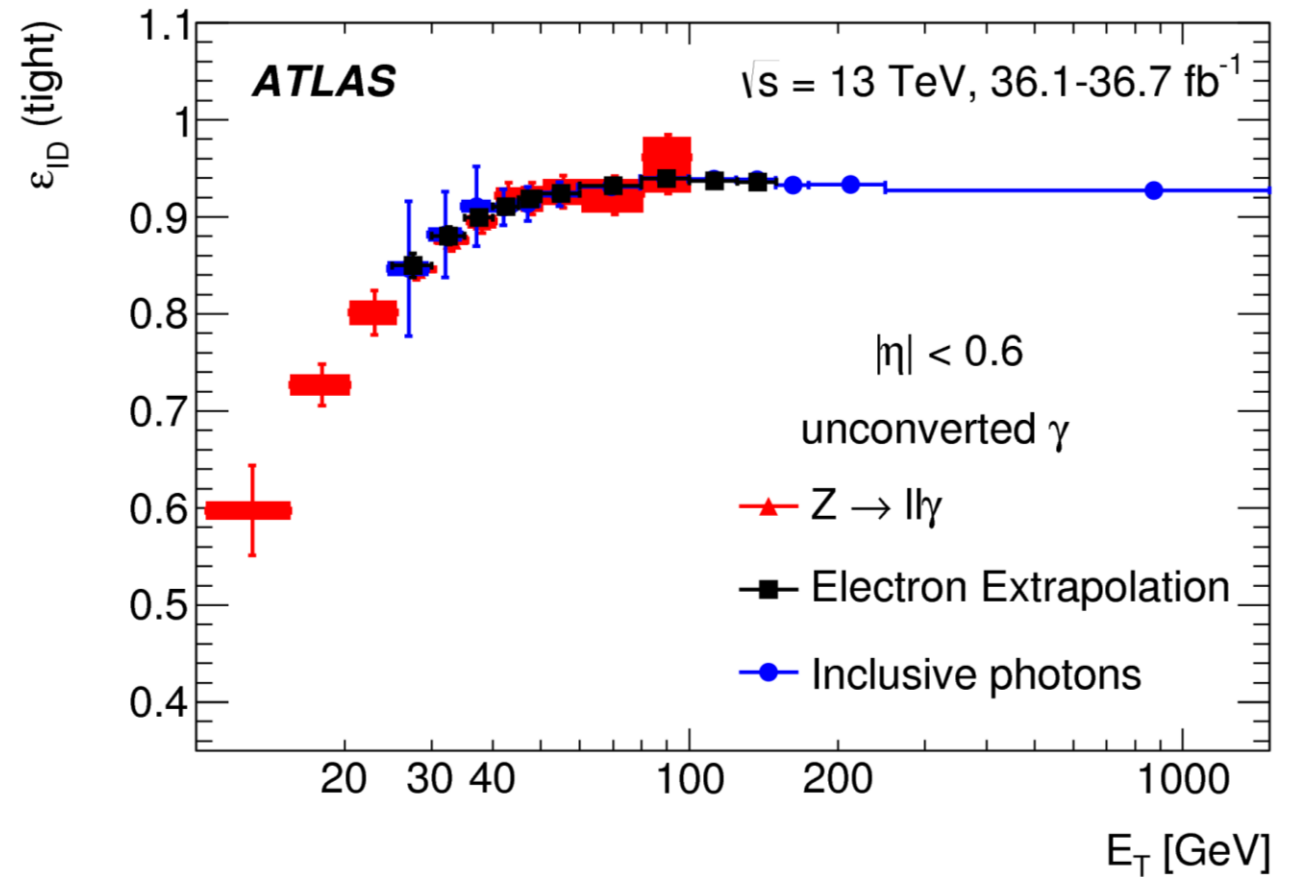
Acceptance

- Purely geometrical factor.
- Ideal world: 4π solid-angle coverage
- But:
 - Beam pipe
 - Detector feet
 - Cables, pipes, etc.
 - Read-out electronics
 - Iron yoke (magnet)
 - ...
- Example: muon reconstruction efficiency vs. angular variable



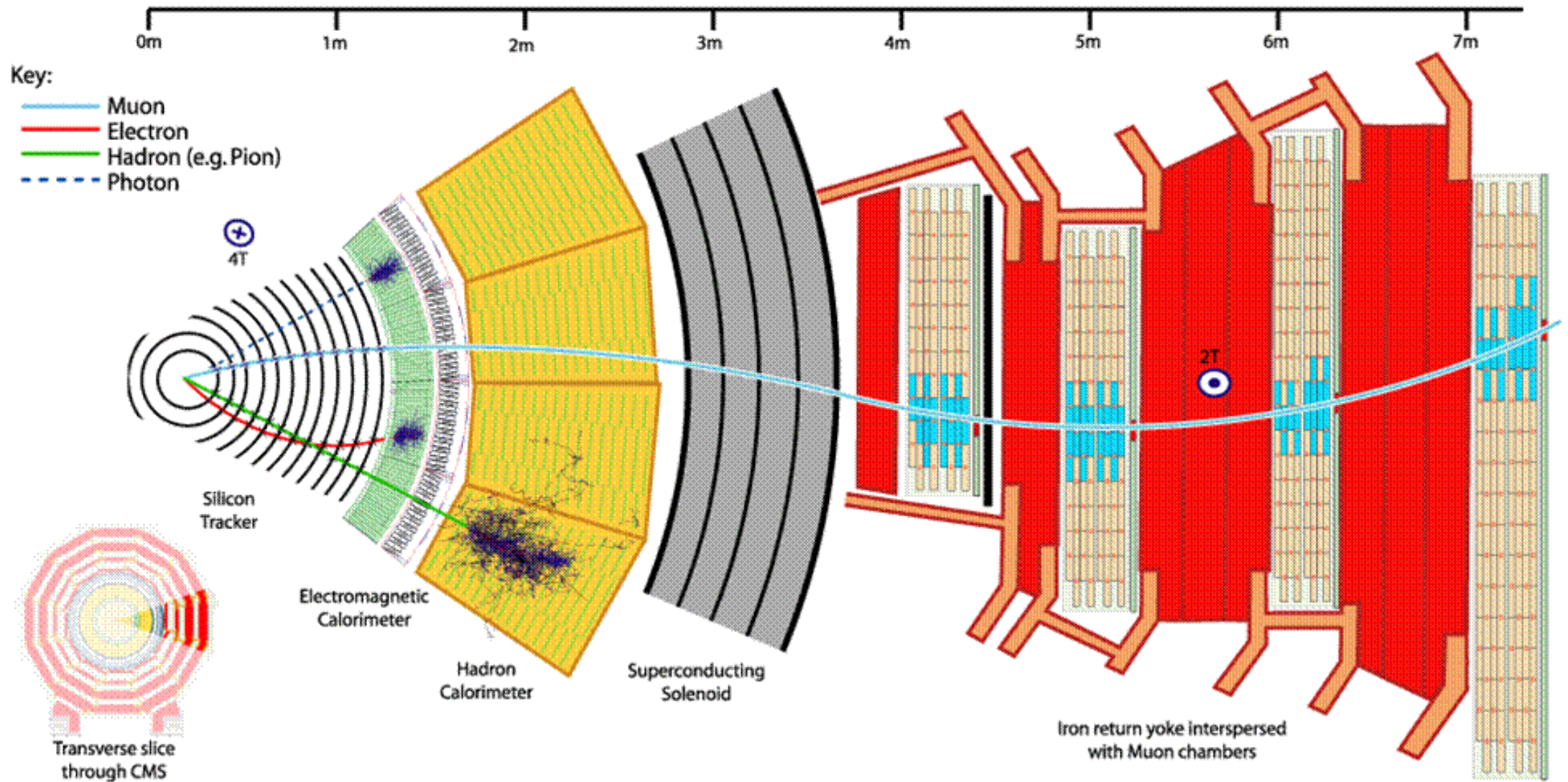
Efficiency

- Probability to measure a certain particle if it is there
- Ideal world: measure all particles
- But:
 - Dead times
 - Extreme momenta
 - Losses
 - Electronic noise
 - Background
 - ...
- Example: photon reconstruction efficiency vs. energy variable



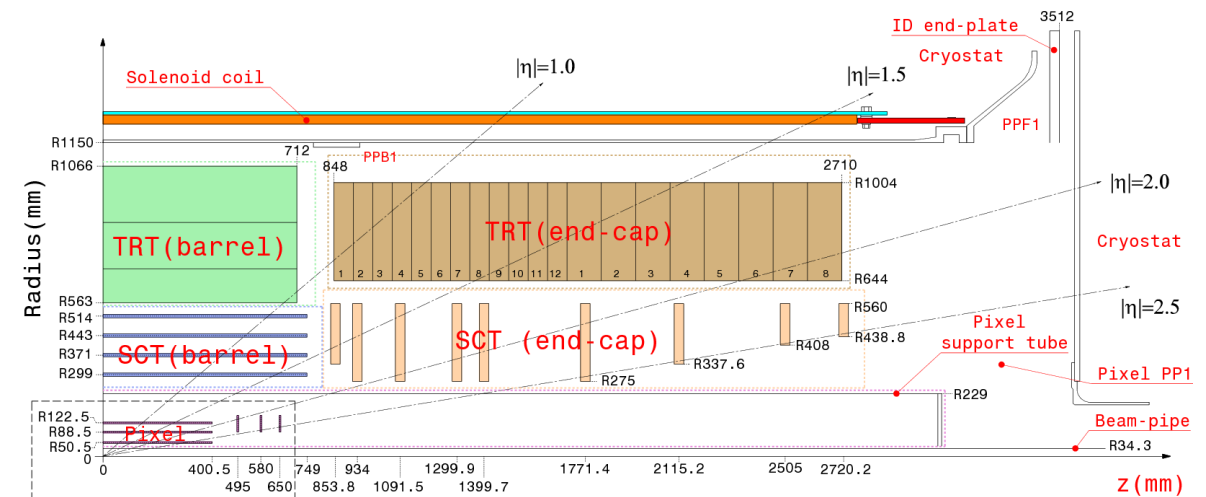
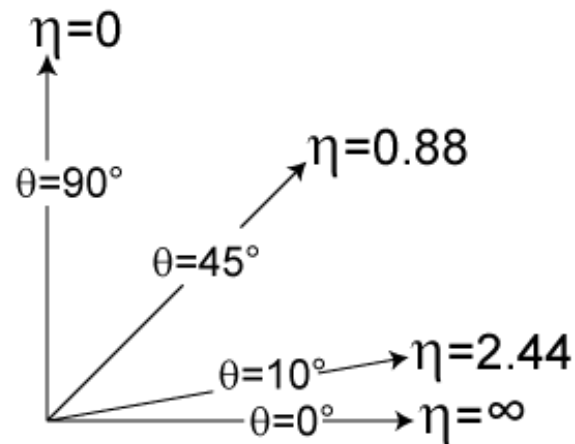
N

- One observes and counts “events”, think of them as a 3D photo of the collision
- The different detector components see different objects
- Objects:
 - **Charged leptons**, e.g. electrons, muons
 - **Photons**
 - **Jets**, i.e. hadronized quarks, e.g. pions, kaons, ..., protons, ...
 - **missing transverse momentum**, the signature of neutrinos
- But how are they reconstructed?
 - Hits and tracks
 - Vertices
 - Energy clusters



Kinematic variables

- Particle are represented by 4-vectors
- Measureable quantities:
 - **Energy** E (calorimeters)
 - **Transverse momentum** p_T (tracking detectors plus magnetic field)
 - **Azimuthal angle** φ (tracking detectors, calorimeters)
 - **(Pseudo-)rapidity** η (tracking detectors, calorimeters)

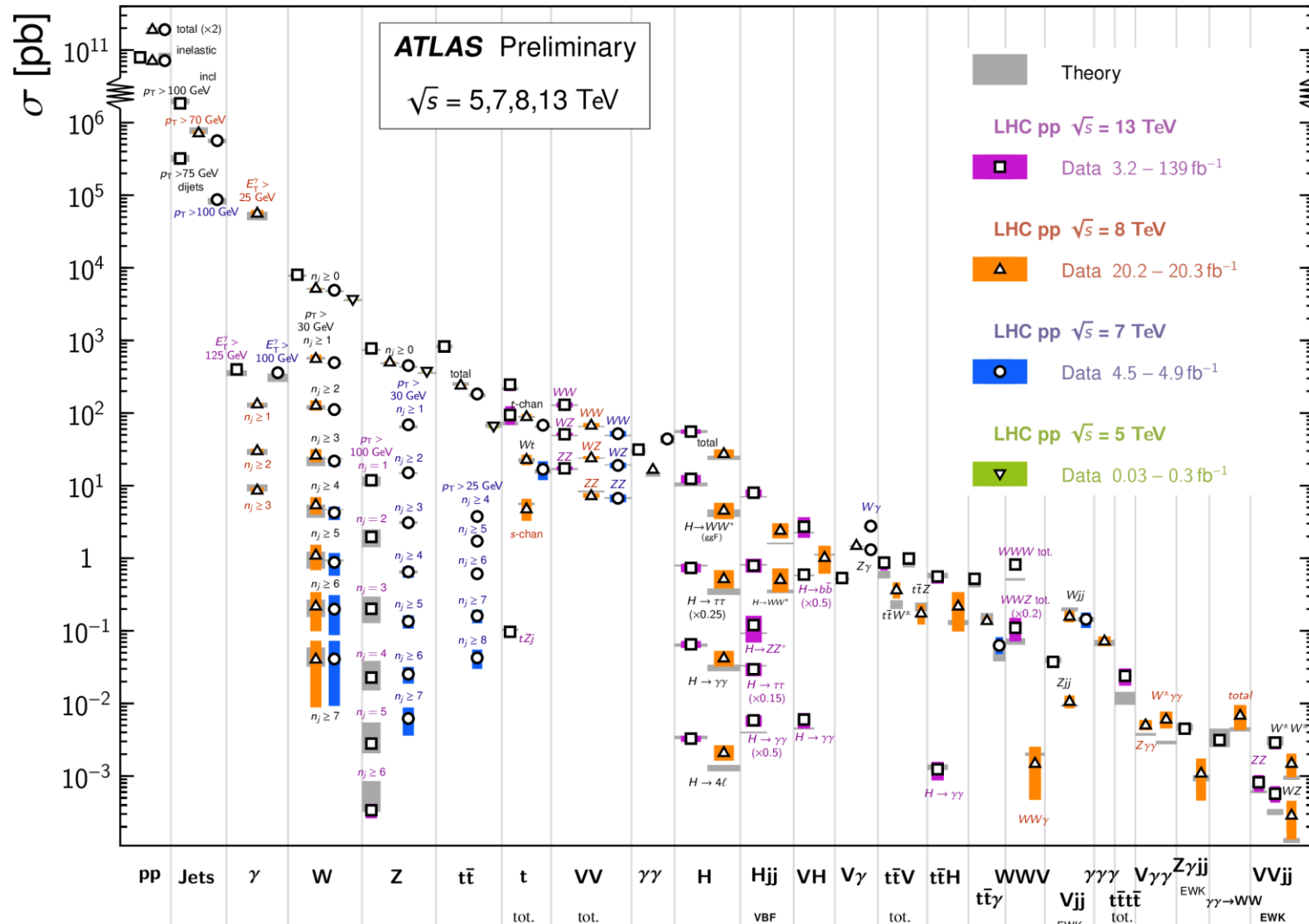


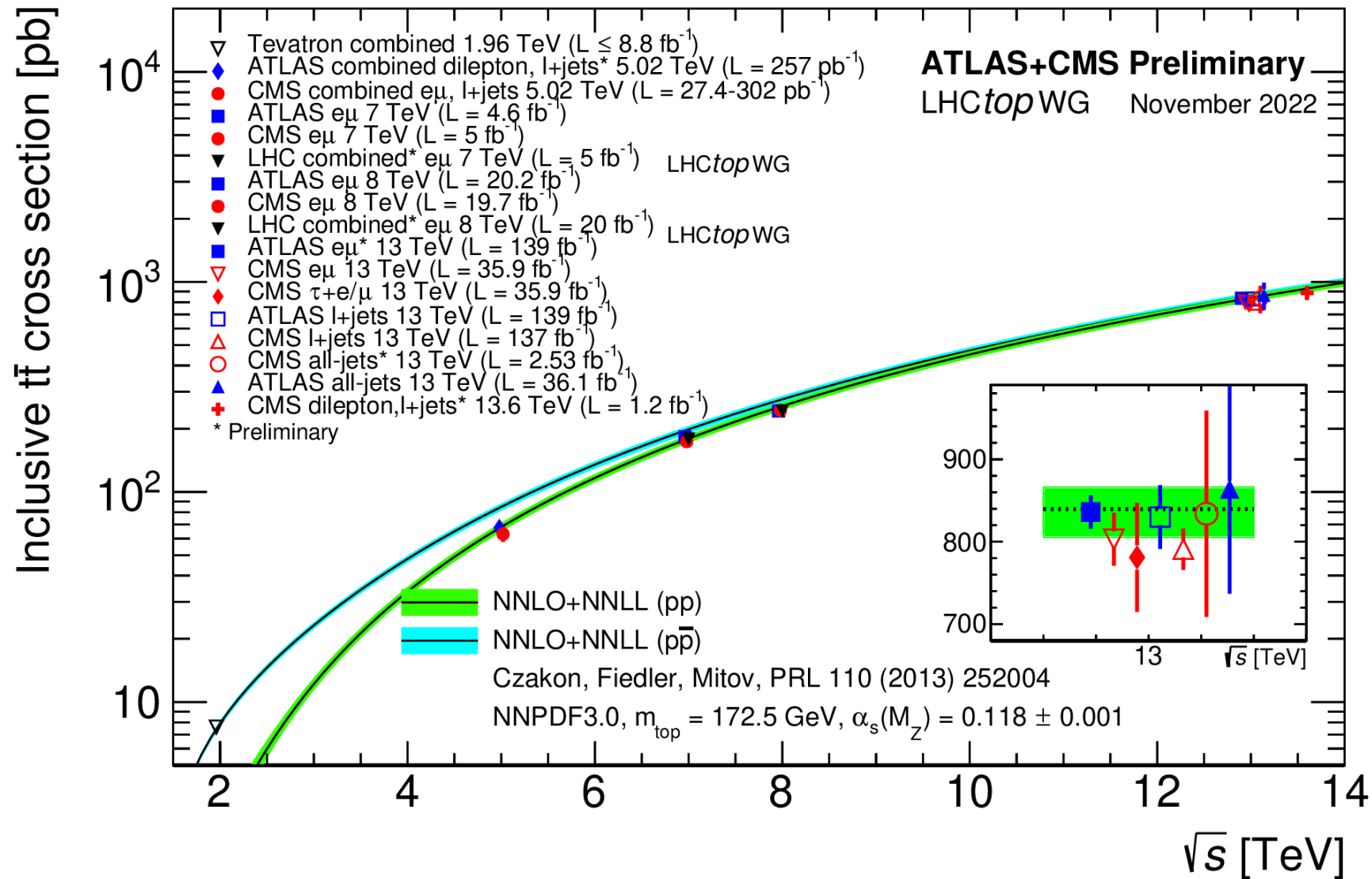
Selected physics processes

A biased selection to give you an idea

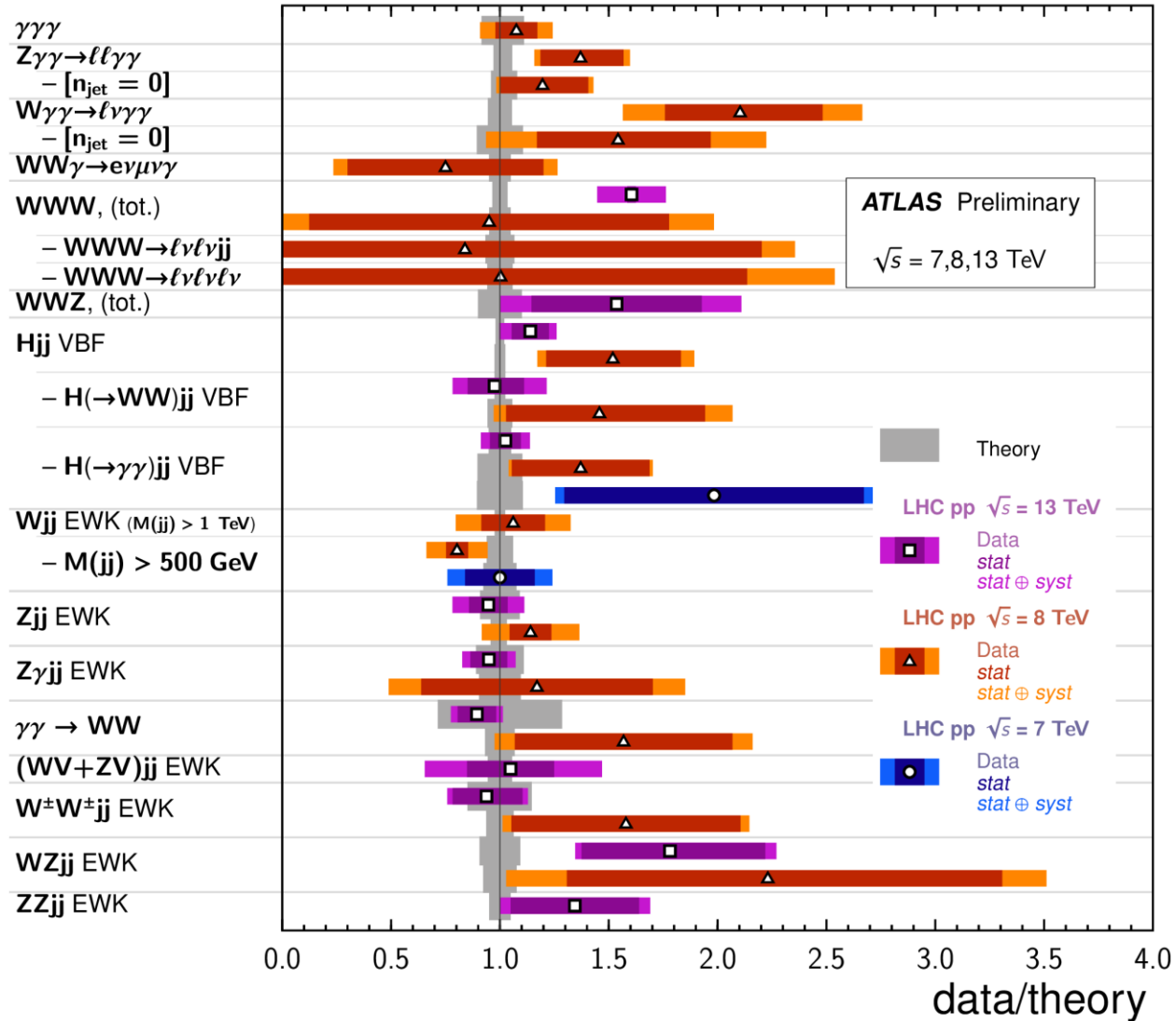
Standard Model Production Cross Section Measurements

Status: February 2022





VBF, VBS, and Triboson Cross Section Measurements Status: February 2022



→ Next: the top quark

Best quark in the world, but I can't say that loud when flavor physicists are around