





in collaboration with L. Merlo (Madrid, IFT), Jean-Loup Tastet (Madrid, IFT)

based on **2212.11290**

Down to the Seesaw Line via the JALZ ALP-HNL Portal

by Arturo de Giorgi (Madrid, IFT)

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HNL

• Neutrinos need a mass \Rightarrow right-handed neutrinos, N_R ?

$$\mathscr{L}_{\mathrm{HNL}} = i \overline{N_R} D N_R - \left(\overline{L_L} \widetilde{H} Y_N N_R + \frac{1}{2} \overline{N_R^c} M_N N_R + \mathrm{h.c.} \right)$$

"Seesaw mechanism"

$$m_{\nu} \sim v^2 Y^2 / M_N$$

• N_R interacts with gauge bosons via mixing with active neutrinos ν_{α}

$$u_{lpha}
ightarrow
u_{lpha} + \Theta_{lpha} N_R^c$$
 "mixing-angle"

"Seesaw Line"

$$||\Theta||^2 \sim \frac{||m_{\nu}||}{||M_N||} \lesssim 10^{-12} \Rightarrow \text{hardly testable!}$$

Another portal?

ALP

- Pseudo-Goldstone boson
- Generated by spontaneous breaking of a global symmetry, e.g. U(1)
- Part of many BSM scenarios, including String Theory
- Missing a UV? Mainly studied via EFT

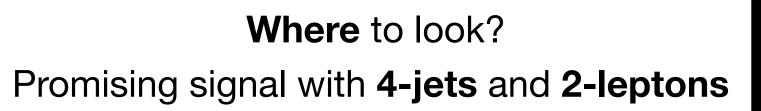
$$\mathcal{L}_a = \frac{1}{2} \partial_\mu a \, \partial^\mu a - \frac{1}{2} m_a^2 \, a^2 \, - \frac{a}{f_a} \sum_X c_{aXX} \, X^{\mu\nu} \widetilde{X}_{\mu\nu} \, - \frac{\partial_\mu a}{f_a} \sum_\psi \overline{\psi} \, \boldsymbol{c}_\psi \gamma^\mu \psi$$
 anomalous shift-symmetric

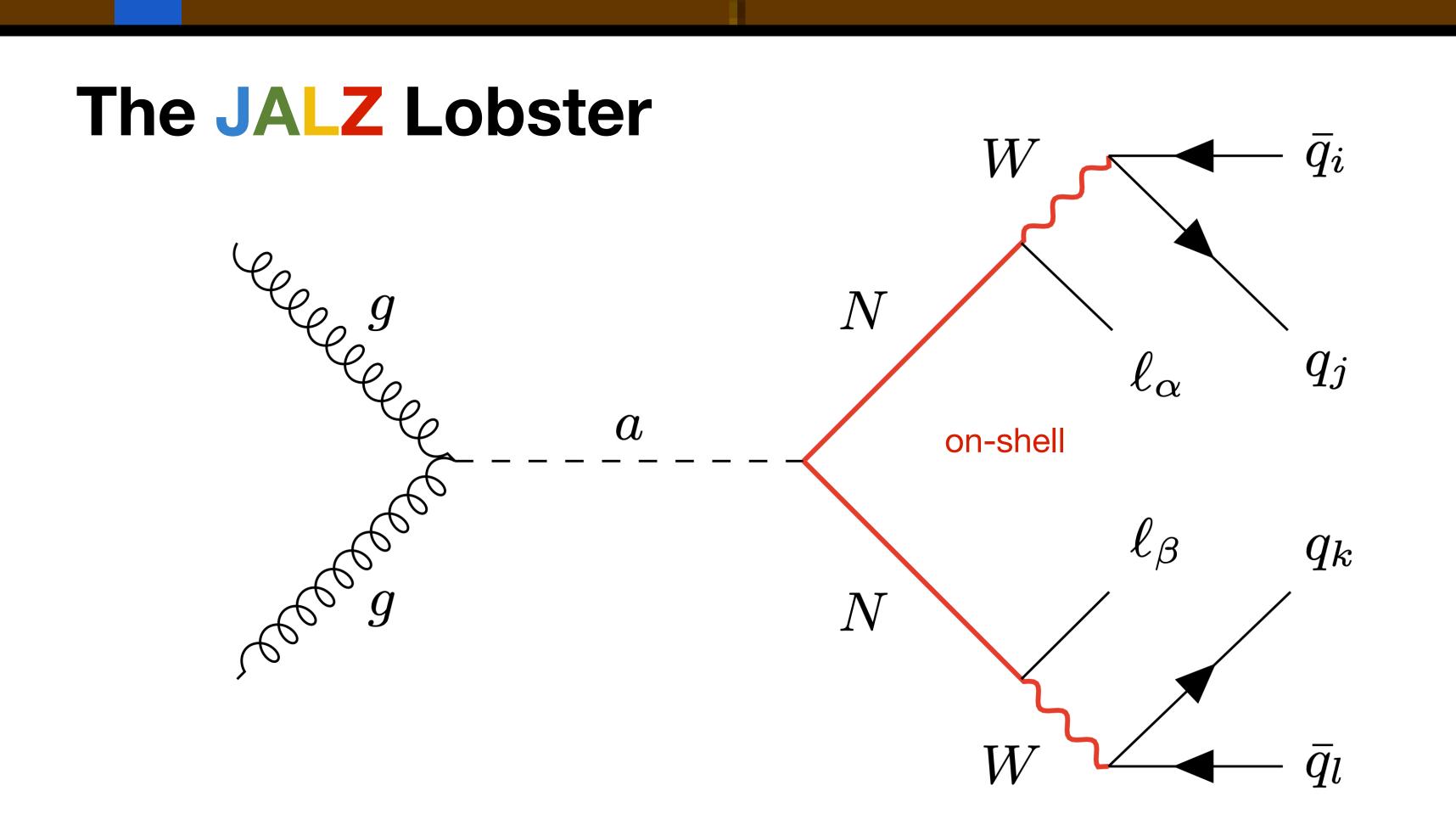
Coupling proportional to fermion mass

$$\frac{\partial_{\mu}a}{f_a}\,\bar{\psi}\gamma^{\mu}\psi\sim \frac{a}{f_a}\,m_{\psi}\bar{\psi}\psi\qquad\Rightarrow\quad {\rm heavier}={\rm better!}$$

Can we take advantage of that?

$$\mathscr{L}^{ ext{eff}} = \mathscr{L}_{ ext{SM}} + \mathscr{L}_{ ext{HNL}} + \mathscr{L}_{a} \qquad \mathscr{L}_{a} \supset - rac{\partial_{\mu} a}{f_{a}} \, \overline{N_{R}} \, \gamma^{\mu} \, oldsymbol{c}_{N} \, N_{R}$$



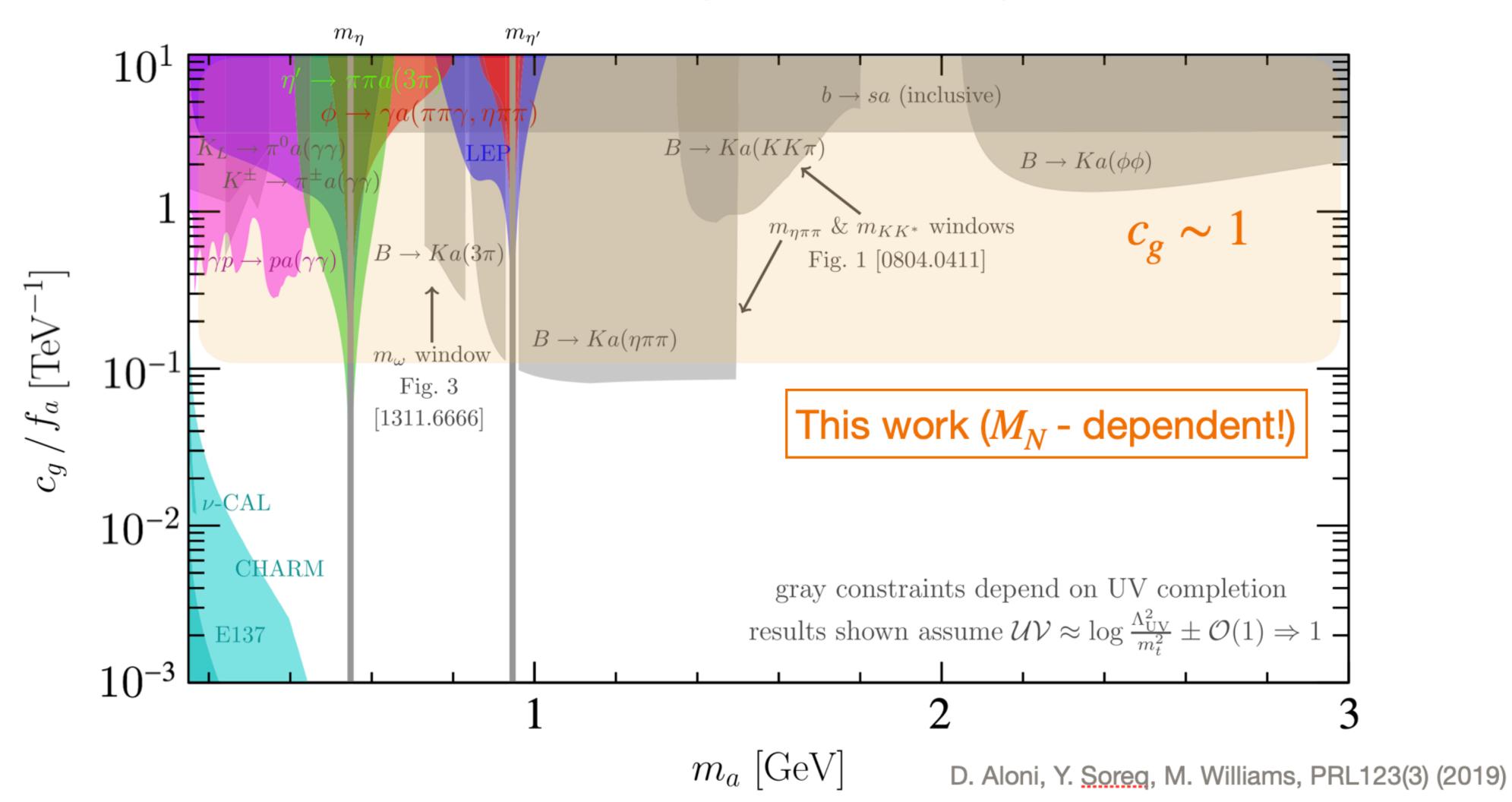


Astonishing bounds

- Dynamical origin of $M_N \Rightarrow \bar{N}_R^c M_N N_R \to \phi \bar{N}_R^c Y_N N_R \ \Rightarrow \ c_N = 1$

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Do you want to discuss and know more?

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