

# Probing the pseudo-Dirac scenario using Solar neutrinos at JUNO

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Durham  
University



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Majorana mass term

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SM SSB via Higgs vev

$$\mathcal{L}_\nu \supset -\frac{Y_{\alpha i} v}{\sqrt{2}} \overline{\nu}^\alpha_R N_R^i + \frac{1}{2} (N_R^i)^c M_{ij} N_R^j + h.c$$



# Neutrino Masses

Let's rewrite it a bit neater...

$$\mathcal{L}_\nu \supset -\frac{1}{2} \bar{\Psi}^c M \Psi$$

$$\Psi = \begin{pmatrix} \nu_L \\ N_R^c \end{pmatrix} \quad M = \begin{pmatrix} 0_3 & \frac{Y^T v}{\sqrt{2}} \\ \frac{Y v}{\sqrt{2}} & M_R \end{pmatrix}$$

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In See-Saw scenarios, take:

$$M_R \gg Y v$$

But what about...

$$M_R \ll Y v$$

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Global symmetries should be broken by quantum gravity...

$M_R \equiv 0$          $0 < M_R \ll 1$

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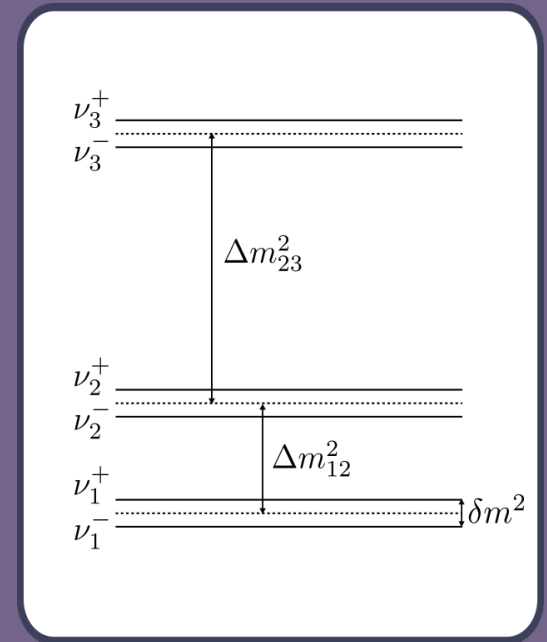
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What about oscillations?

$$L_{osc} = \frac{4\pi E_\nu}{\delta m_k^2} \approx 25 \times 10^5 \text{ km} \left( \frac{E_\nu}{100 \text{ keV}} \right) \left( \frac{10^{-10} \text{ eV}^2}{\delta m_k^2} \right)$$

# Solar oscillations with PD neutrinos

Solar neutrinos are a great probe:

$$E_{pp} \leq 420\text{keV}$$

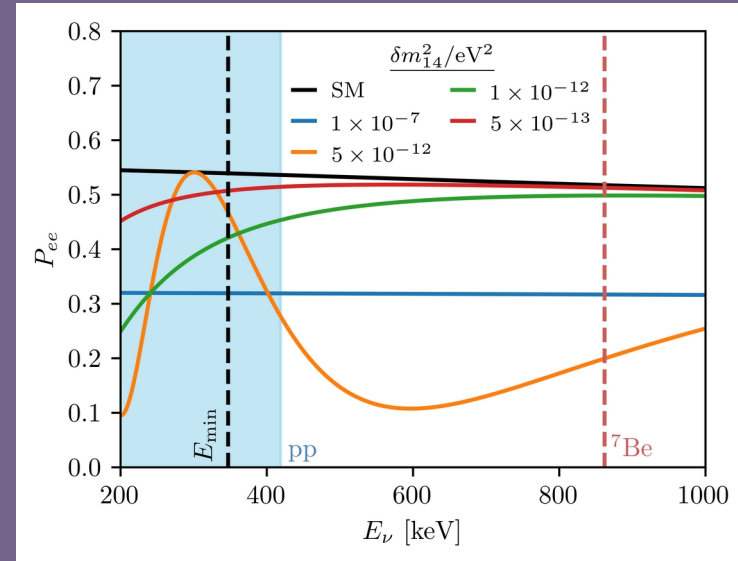
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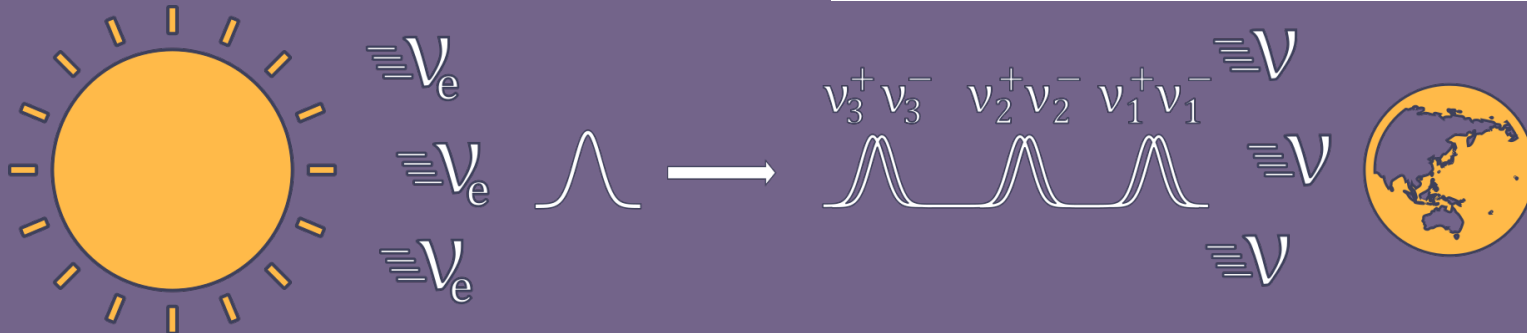
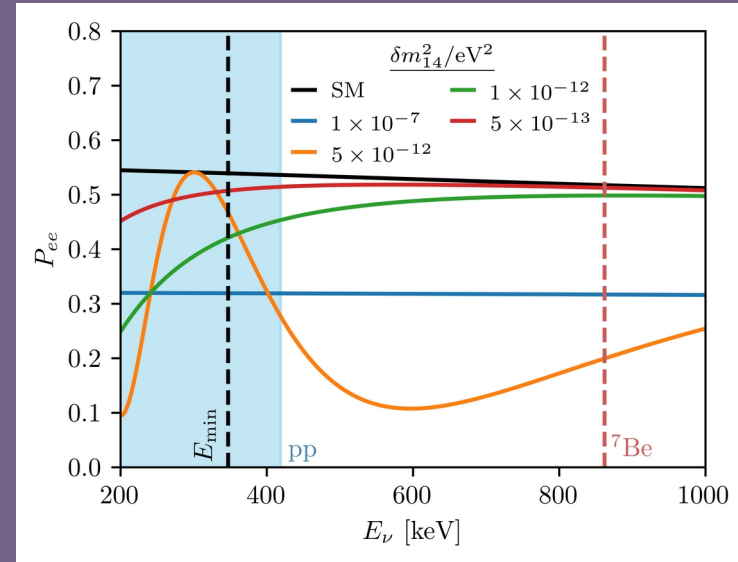


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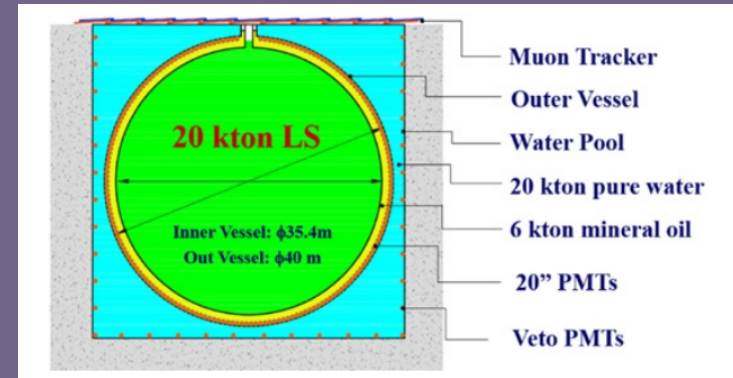
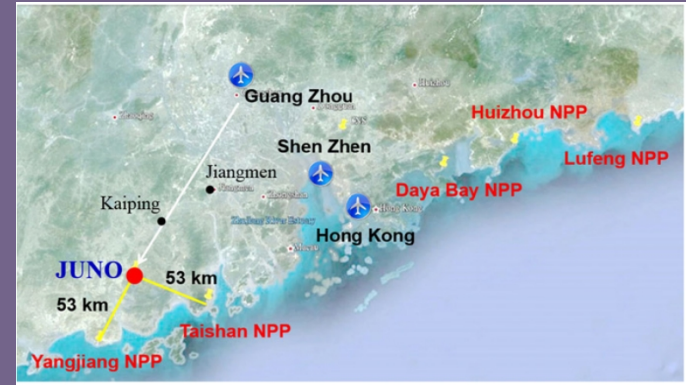
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# The JUNO Experiment

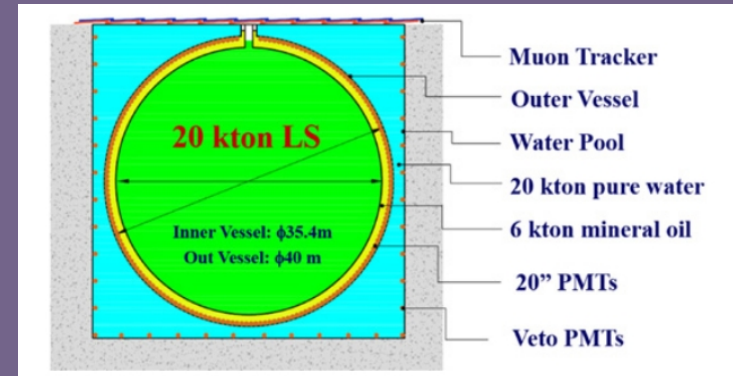
- Jiangmen Underground Neutrino Observatory (JUNO)
- Liquid scintillator detector



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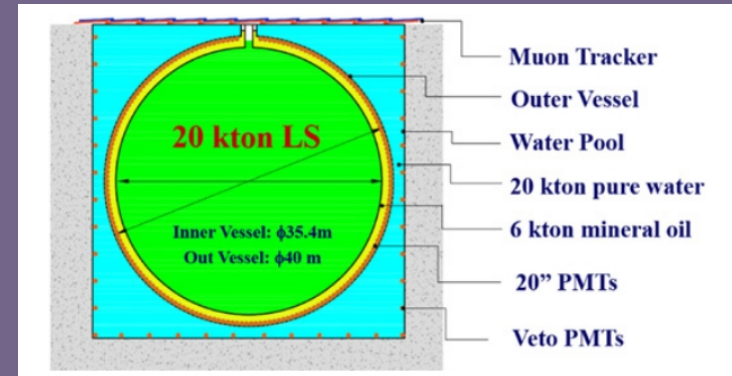
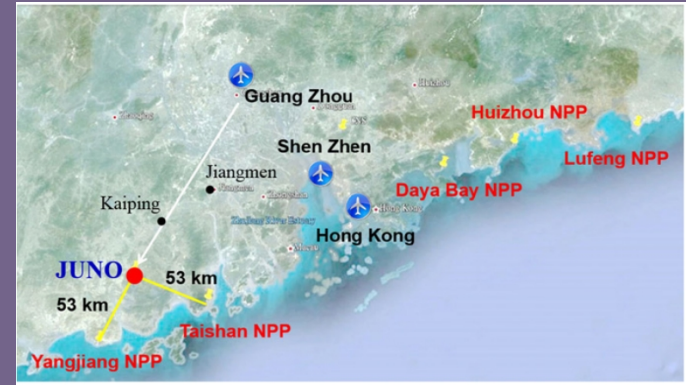
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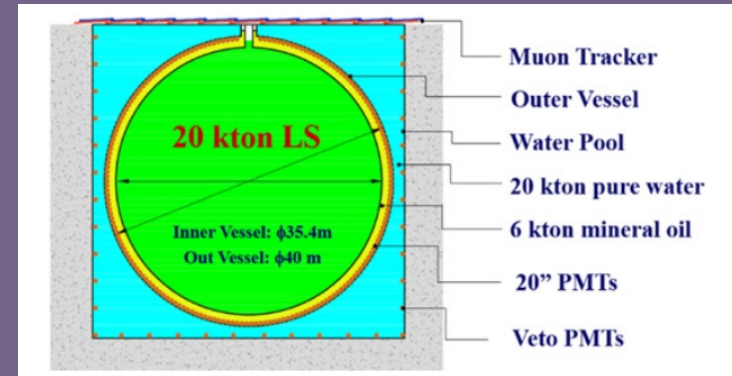
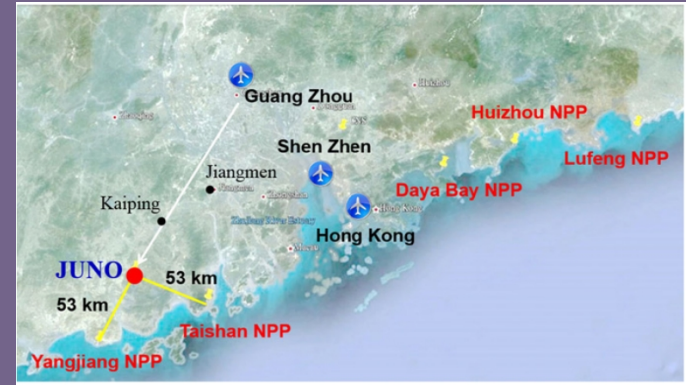


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- Liquid scintillator detector
- 20 kt fiducial volume (Borexino ~ 1kt)
- Primary goal is to determine the neutrino mass hierarchy
- Will be able to detect Solar neutrinos

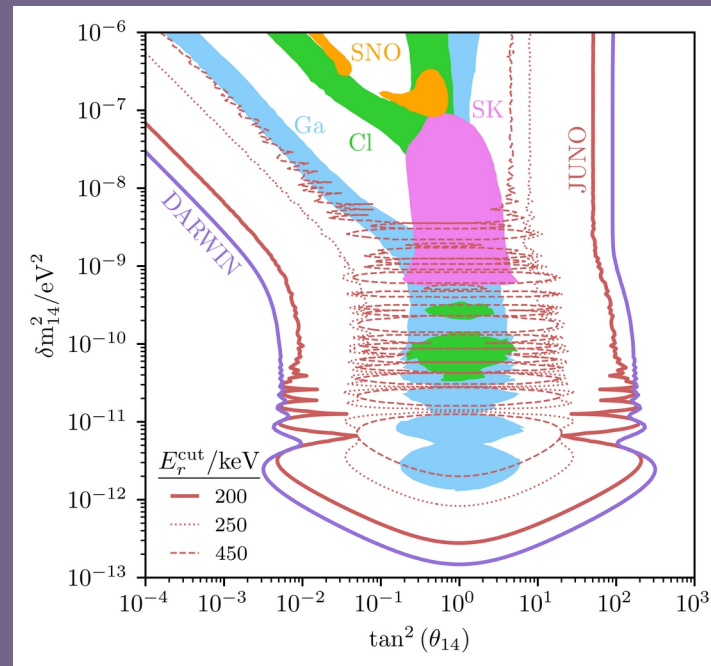


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# Results

Looked at two types of scenarios:

- Only one mass splitting, non-maximal mixing
  - JUNO will be able to put strong bounds on parameter space
  - May be competitive with DARWIN experiment



# Results

- Looked at two types of scenarios:
- Maximal mixing:

- 1 splitting only:

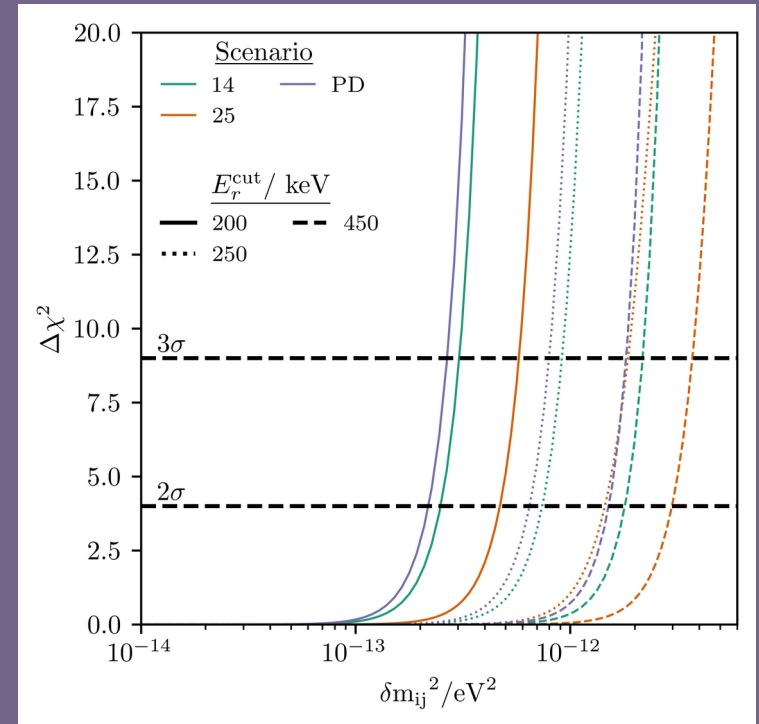
$$\delta m_1^2 \lesssim 3 \times 10^{-13} \text{eV}^2$$

- 2 splitting only:

$$\delta m_2^2 \lesssim 6 \times 10^{-13} \text{eV}^2$$

- All states:

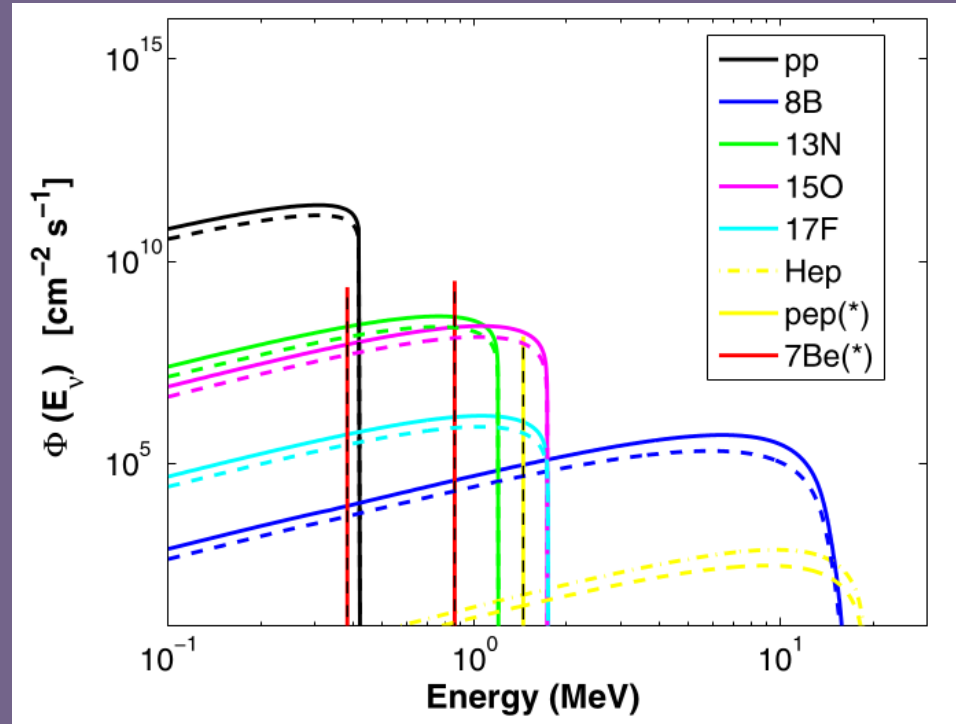
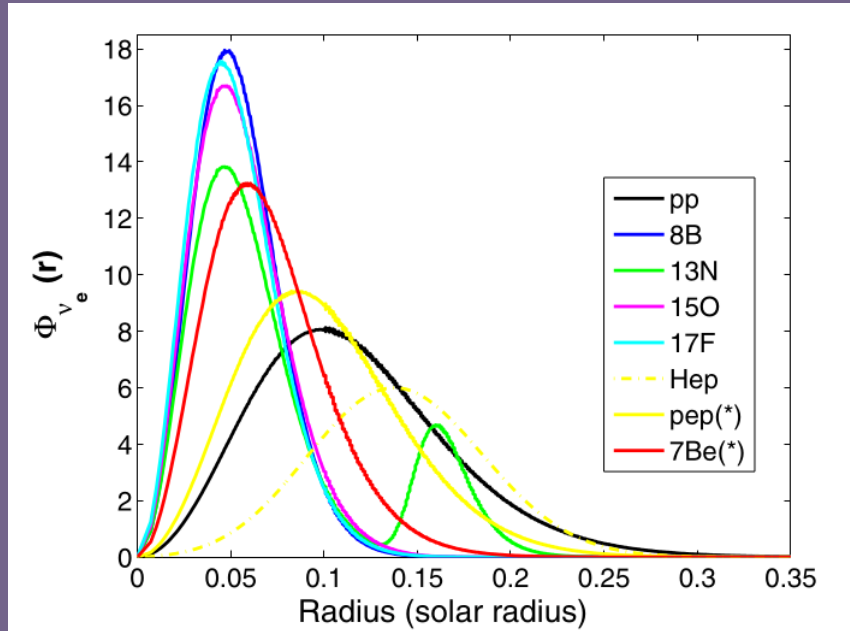
$$\delta m^2 \lesssim 3 \times 10^{-13} \text{eV}^2$$



# Thank you

Feel free to come by my poster if you have any questions!

# Solar neutrino fluxes



Source: Ilídio Lopes and Sylvaine Turck-Chièze 2013 ApJ 765 14

# Chi-squared

$$\chi^2 = \sum_i \frac{\left(\sum_a \alpha_a N_{\text{theory}}^{i,a} + \sum_b (\alpha_b - 1) N^{i,b} - N_{\text{bench}}^i\right)^2}{N_{\text{bench}}^i + \sum_b N_b^i} + \sum_a \left(\frac{\alpha_a - 1}{\sigma_a}\right)^2 + \sum_b \left(\frac{\alpha_b - 1}{\sigma_b}\right)^2$$

# Backgrounds at JUNO

