

# Local bump depolarizer. Different options.

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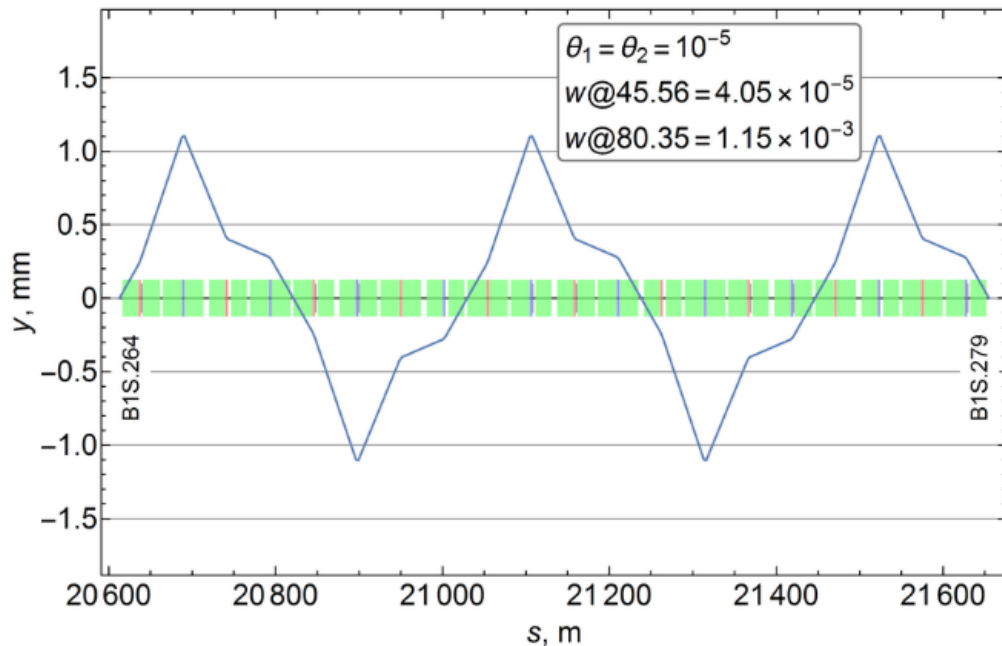
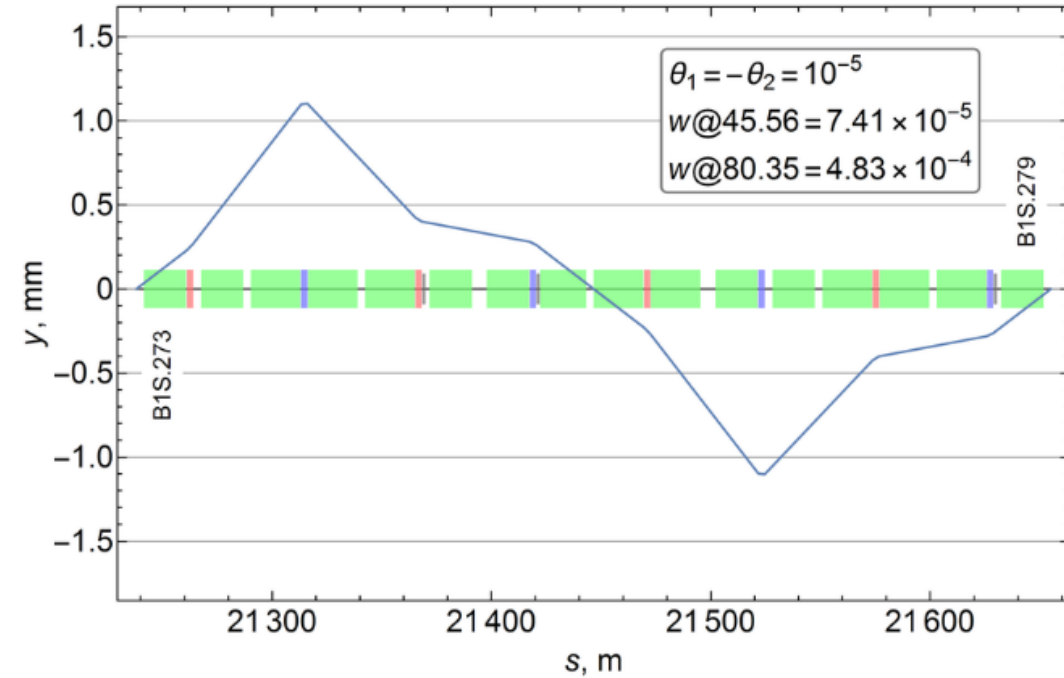
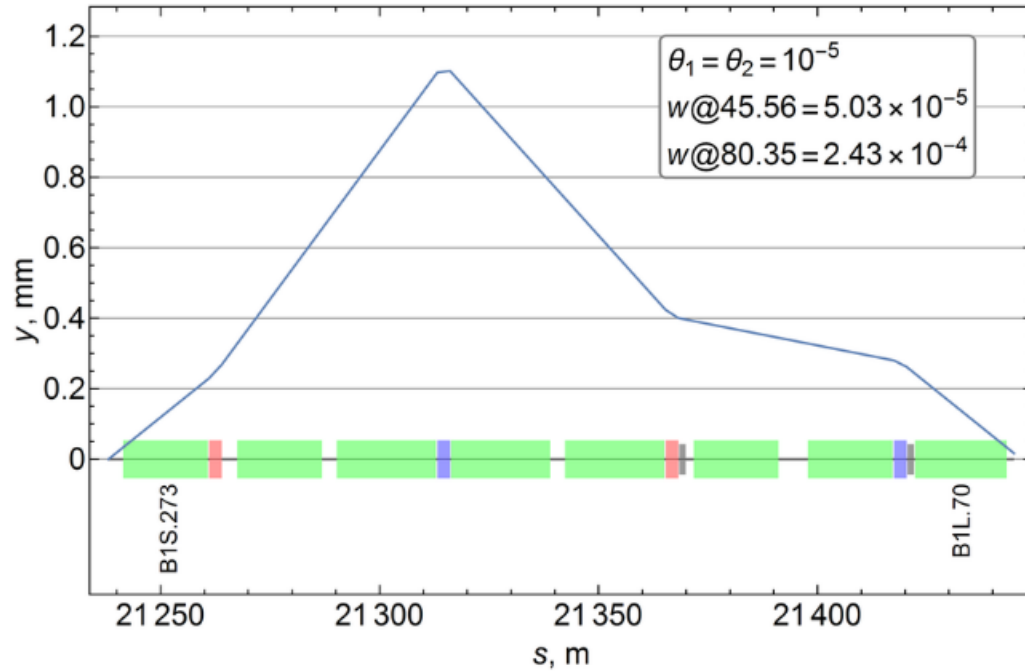
# Outline

Local bumps created by two identical transverse RF-kickers

Harmonic strength evaluation at **Z** and at **W** beam energies

Discussion of results

# Local vertical orbit bumps in FCC-ee arc



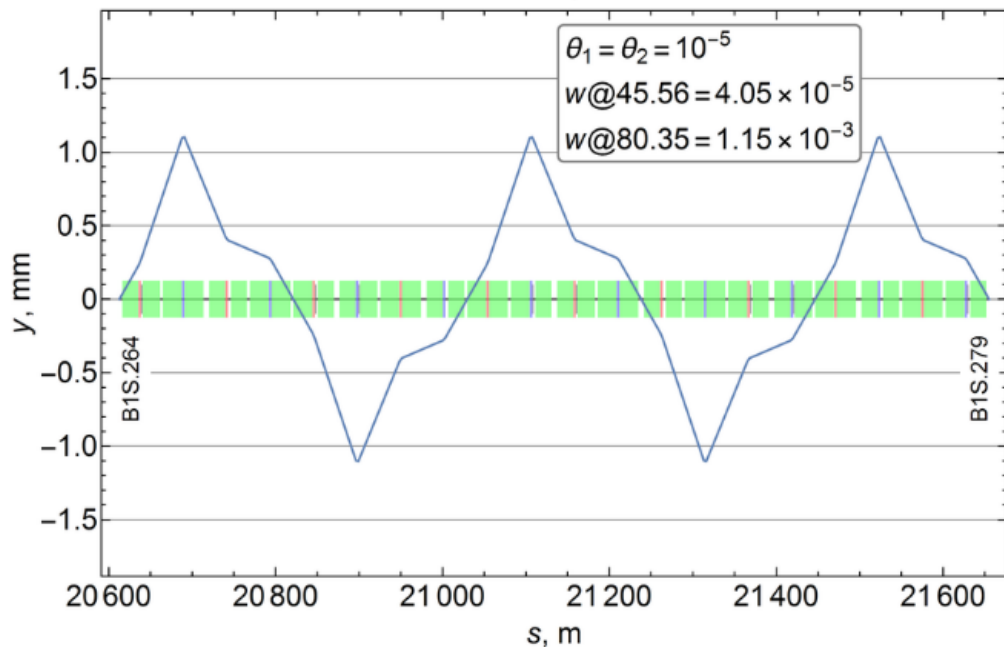
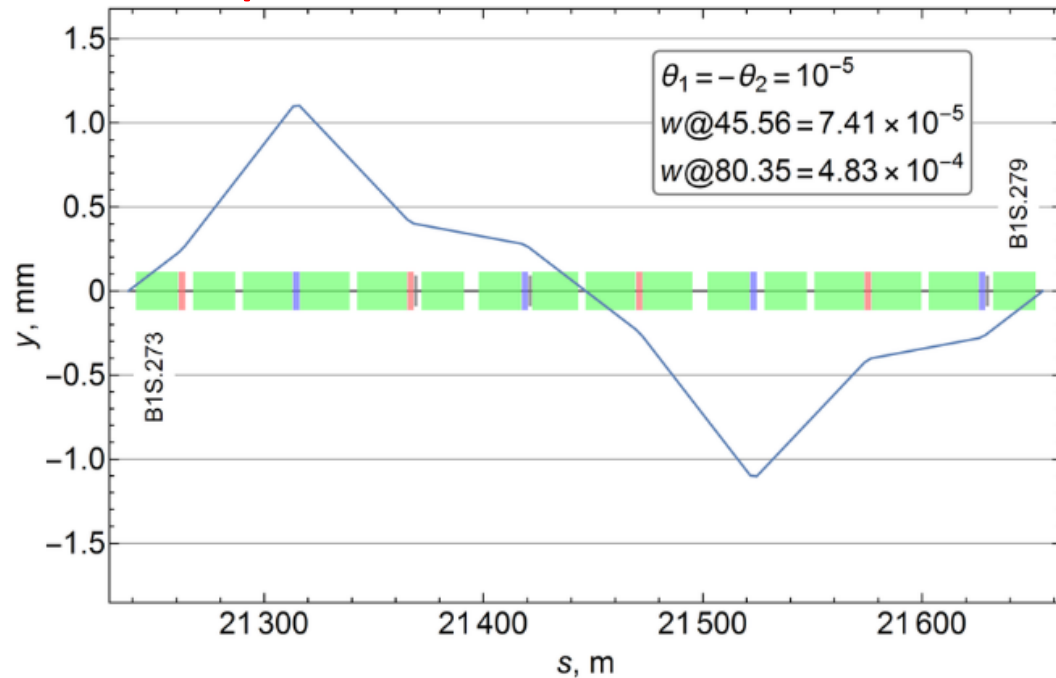
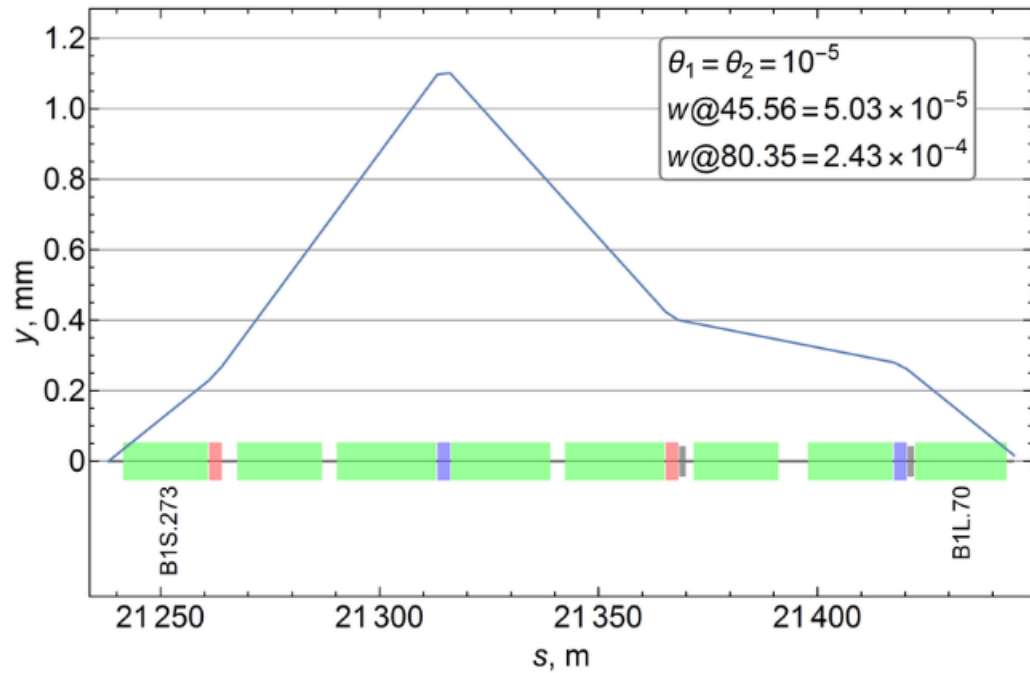
At 45 GeV a full-wave orbit bump is about 27% more effective ( $w=0.000175$ ) than a half-wave one ( $w=0.0001377$ ).

But at 80 GeV a short half-wave bump works much better ( $w=0.014$ ) than a full-wave setup ( $w=0.001037$ ).

Longer bumps (1.5, 2.0, 2.5 waves) are not advantages.

With the same kick angles  $\theta_{1,2}$  a half-wave spin rotator is about 45 times more effective at 80 GeV than at 45 GeV. This is thanks to about 2 times larger spin rotation by the RF-kicks itself and by the horizontal bends.

# Local vertical orbit bumps in FCC-ee arc



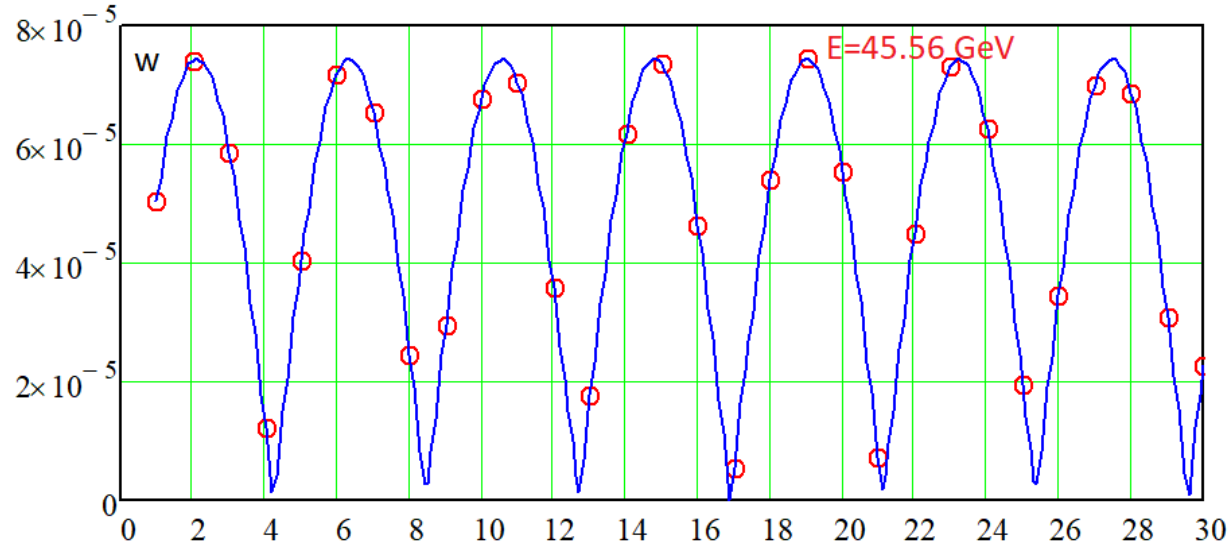
Harmonic value  $w$  of a local bump depolarizer is just a sum of spin rotations by the  $M$  kickers/quads  $(1 + \nu)\alpha_m$  around the  $x$ -axis. Each kick is weighted by a complex factor  $\eta_m = e^{i\nu\varphi_m}$ :

$$w = \frac{1}{4\pi} \sum_{m=1}^M (1 + \nu)\alpha_m \cdot \eta_m$$

where  $\nu$  is a spin tune, and  $\varphi_m$  is the horizontal bend angle starting from the first kicker.

# Harmonic value at **Z** and at **W** versus number of half waves

Local bump harmonic  $w$  versus number of half waves



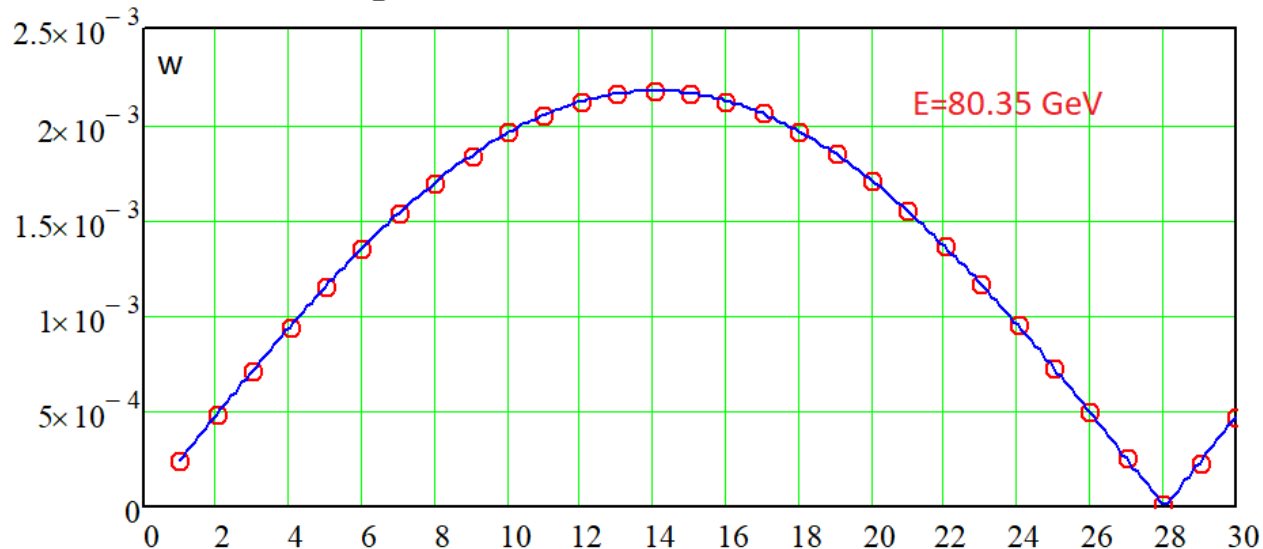
A half wave bump is a shortest one. Longer bumps comprised from  $N$  pi-bumps could provide larger depolarizer harmonic value. Their strength can be calculated as an geometric progression:

$$w_N = w_1 \left| \frac{1 - (-e^{i\nu\varphi_M})^N}{1 + e^{i\nu\varphi_M}} \right|$$

At **Z** the spin phase advance  $\nu\varphi_M = 1.655$  per one half wave arc section is small and increase of  $N$  is not too much effective.

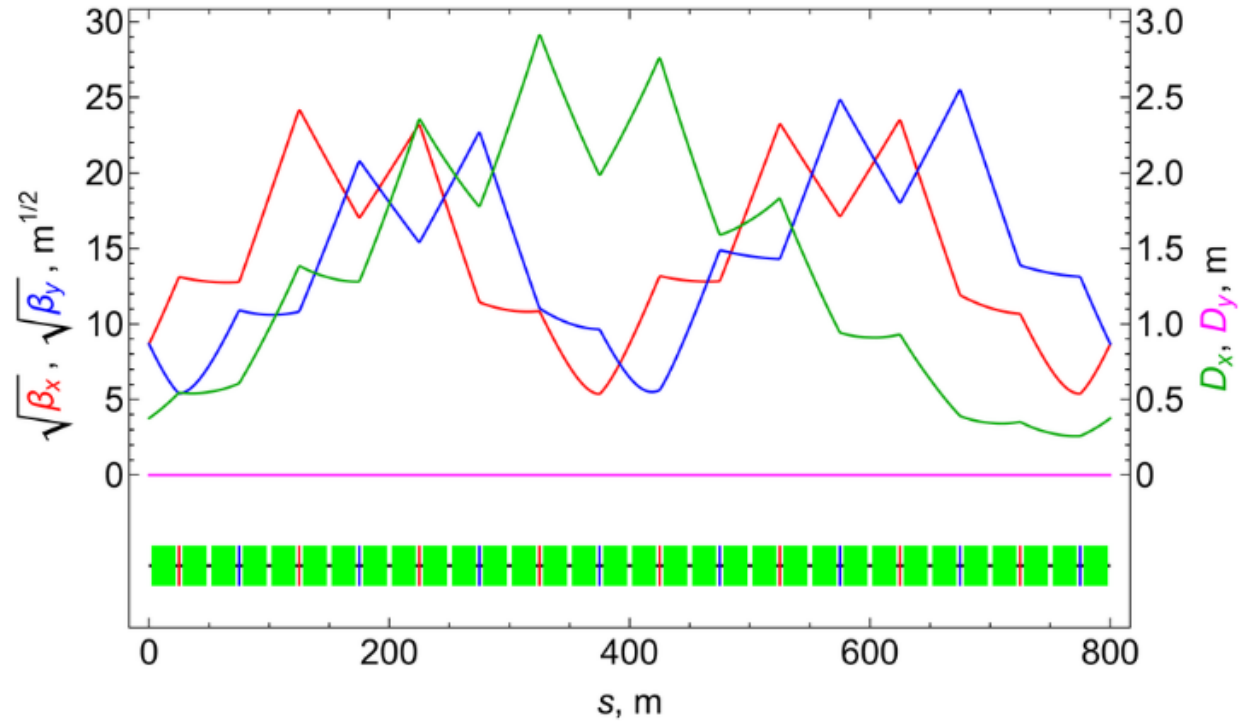
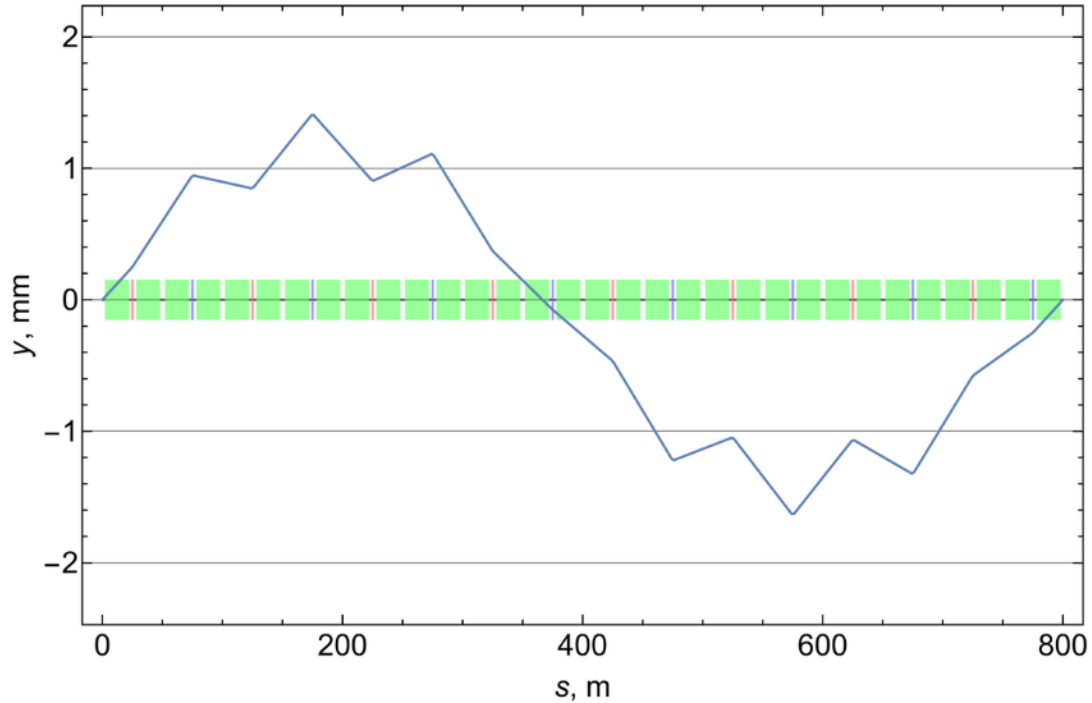
In contrast, at **W** the spin phase advance  $\nu\varphi_M = 2.918$  per one half wave arc section is close to its optimal value  $\pi$ , and  $w$  grows almost linearly with increase of  $N$ !

Local bump harmonic  $w$  versus number of half waves



# How can we make $w$ larger at $Z$ ?

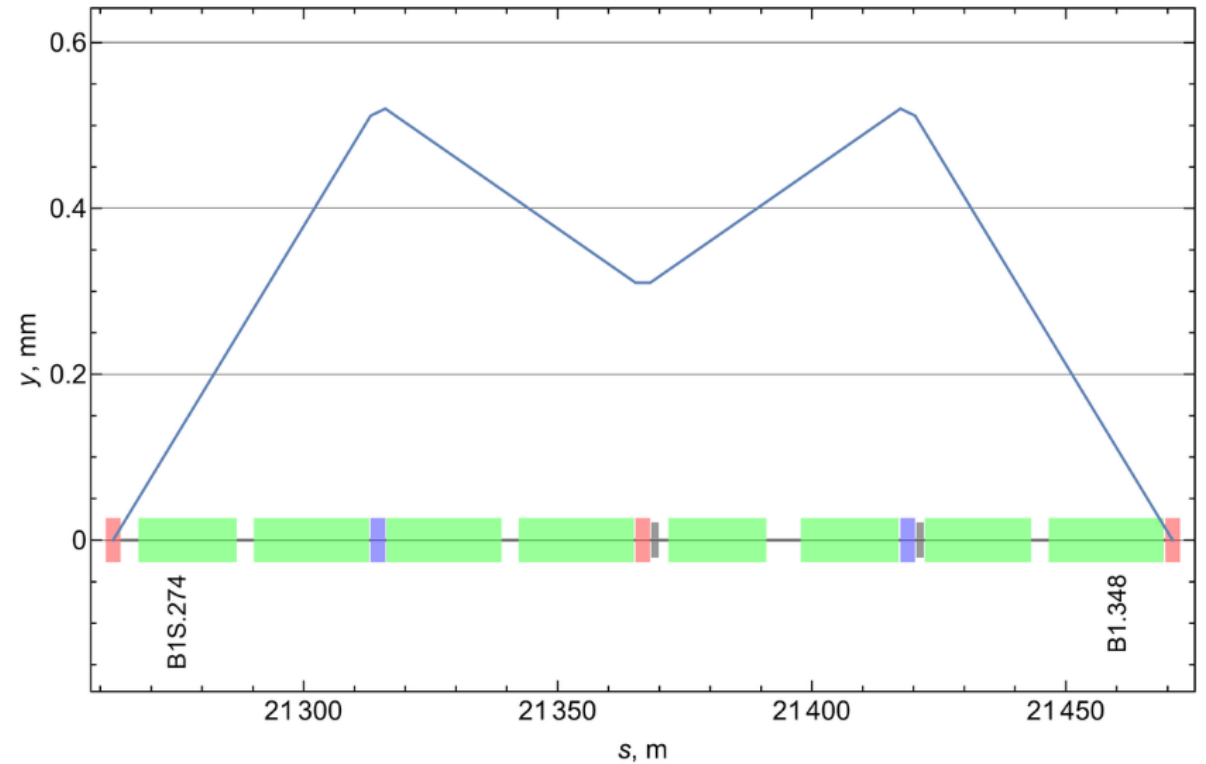
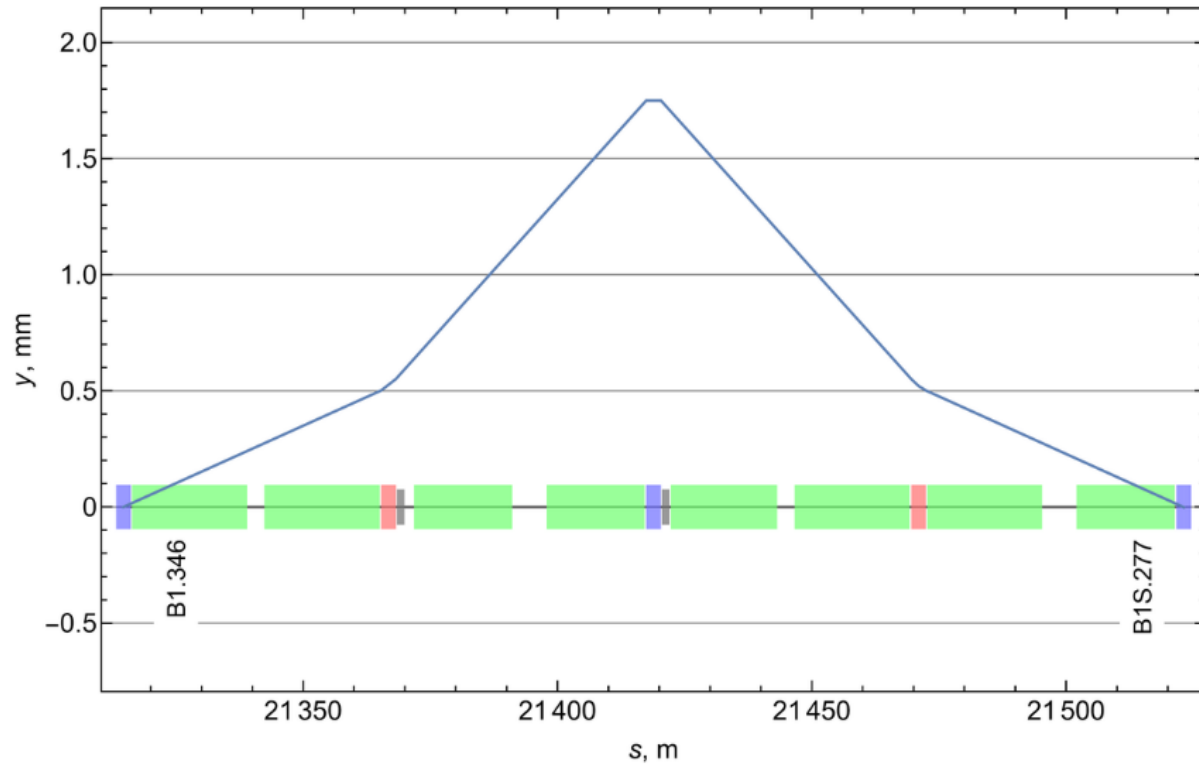
One can organize a 1-wave local bump which replaces the normal 2-wave piece of an arc. Then spin rotation by dipoles per a betatron phase will become larger and the total spin deflection will increase substantially. For 45.56 GeV  $w = 2.88 \cdot 10^{-4}$ . The gain is about 5.8.



Drawbacks: larger the dispersion and beta-functions and some difficulties to match with a regular lattice. Probably will find better solutions!

# Alternative bumps for a depolarizer at Z

Can insert strip-lines into a vacuum chamber in D or F quads. Then the harmonic values differ from the option shown in page 4: at 45.56 GeV  $w=7.35e-5$  for the bump with the end points in D-lenses and  $w=3.39e-5$  for the ends in F-lenses. Both cases are not attractive...



# Discussion of results

For **W** energy region a long local bump comprised from 8-12 half waves works very well, while at Z we do not find such a good solution up to now.

Will continue our efforts!