

# A Dynamical Explanation of the Dark Matter-Baryon Coincidence

Anson Hook

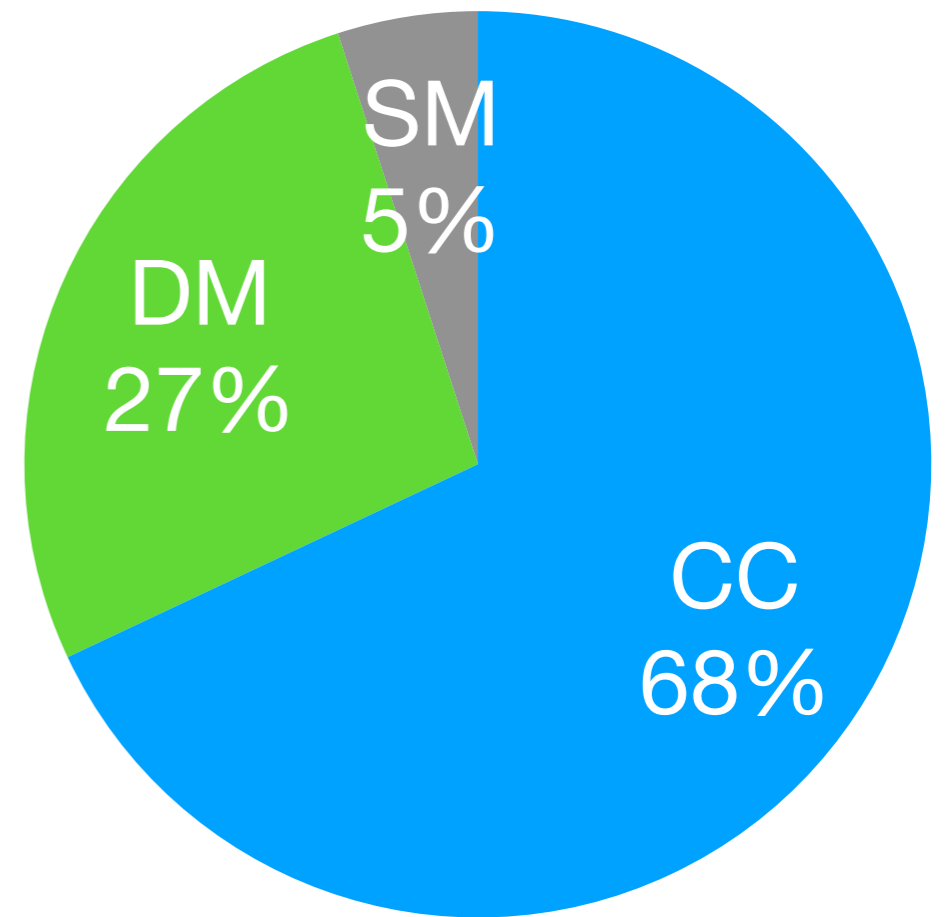
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# Coincidence

**The energy density in Dark Matter is about 5 times that of Baryons**

**This is a VERY surprising coincidence**



# Dimensional Transmutation : Upside

**Back in the olden days**

$$m_p \ll M_{Pl}$$

**Very elegant solution**

$$m_p = M_{Pl} e^{\mathcal{O}(1)/\alpha_s}$$

**Proton mass exponentially  
sensitive to UV parameters**

# Dimensional Transmutation : Downside

$$\rho_B = m_p n_B \sim e^{\mathcal{O}(1)/\alpha_s} \dots$$

**Baryon abundance also exponentially sensitive**

$$\rho_D = 5\rho_B$$

**Exponential coincidence - Demands Explanation!**

# Previous Approach

**Only one type of solution currently on the market**

$$\rho_D \sim \rho_B$$

$$n_D \sim n_B$$

$$m_D \sim m_B$$

# Previous Approach

**Only one type of solution currently on the market**

$$\rho_D \sim \rho_B$$

$$n_D \sim n_B$$

$$m_D \sim m_B$$

**Mirror world baryogenesis**

**(Broken) Mirror world**

**Asymmetric Dark Matter**

**Coupled CFTs**

**Dark/SM unification**

# Goal

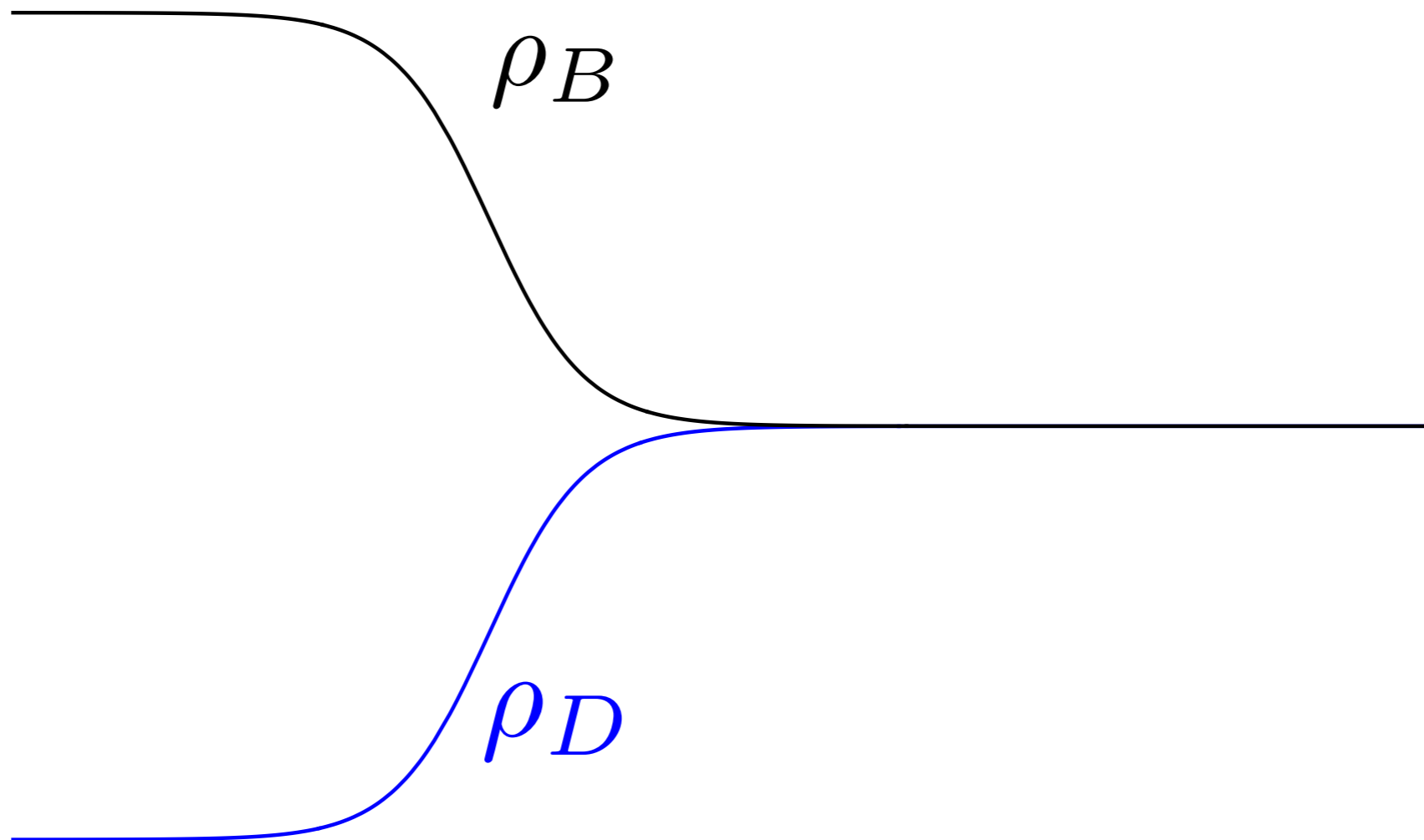
**Does this imply that dark matter must have its mass around a few GeV?**

**I like other DM candidates such as ultra light and ultra heavy DM though...**

**Goal of this talk : Present a new approach that works for any DM candidate**

# Idea Sketch

Couple a scalar to dark matter and baryon mass terms such that at its finite density minimum the energy densities are comparable





# Toy Model


Take dark matter to get its mass from the confinement of a dark sector gauge group

$$m_D = \Lambda_D^2 / f_a$$

Couple our scalar as

Beta Functions

O(1) constants


$$\mathcal{L}_{\text{Toy}} = \frac{\phi}{f} \left( \frac{\beta_{BCB}}{32\pi^2} G_B^2 - \frac{\beta_{DCD}}{64\pi^2} G_D^2 \right)$$

# Toy Model

Ala dimensional transmutation

$$m_B(\phi) = \Lambda_B(\phi) = \Lambda_B(0)e^{c_B\phi/f}$$

$$m_D(\phi) = \Lambda_D^2(\phi)/f_a = m_D(0)e^{-c_D\phi/f}$$

Imagine somehow we create baryons and dark matter

Finite density potential

$$V(\phi) = m_B(\phi)n_B + m_D(\phi)n_D$$

# Toy Model

Find Minimum

$$f V'(\phi) = c_B m_B(\phi) n_B - c_D m_D(\phi) n_D = 0$$

$$\rho_D / \rho_B = c_B / c_D \sim \mathcal{O}(1)$$

Regardless of number densities, identity of DM, this mechanism automatically sets the baryon and dark matter energy densities similar!

# Toy Cosmology

Assume DM and Baryons have been produced in a radiation dominated universe and are non-relativistic

$$\ddot{\phi} + 3H\dot{\phi} = -\frac{c_B}{f} m_B^0 e^{c_B \phi/f} n_B + \frac{c_D}{f} m_D^0 e^{-c_D \phi/f} n_D$$

Assume Baryons heavier than a GeV

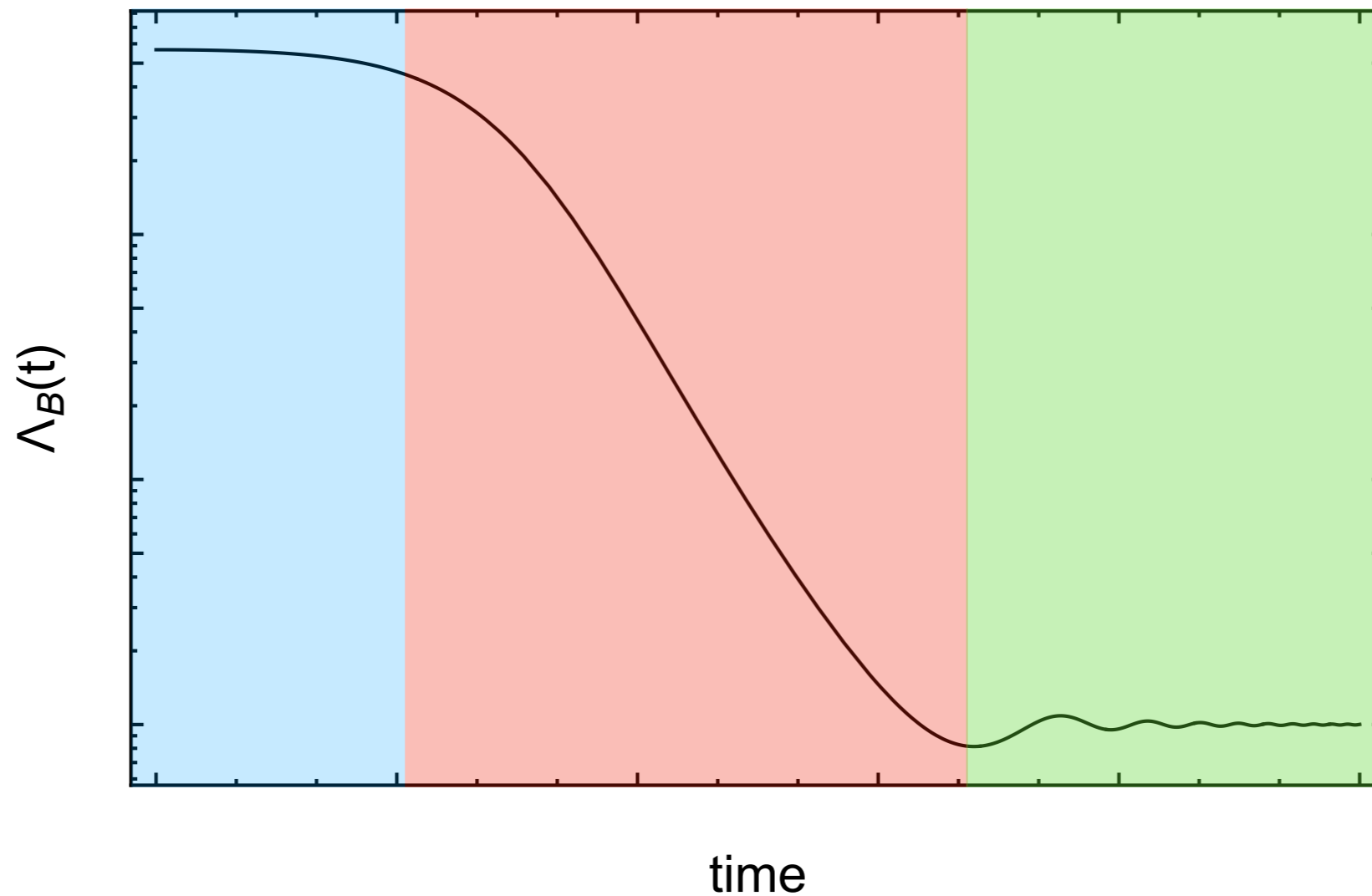
Initially, we have

$$\ddot{\phi} + 3H\dot{\phi} \approx -\frac{c_B}{f} \rho_B(\phi) \qquad m_\phi^2 = V'' \approx \frac{c_B^2}{f^2} \rho_B$$

# Toy Cosmology

## 3 Stage Cosmology

Frozen Out   Pseudo-Slow Roll   Damped Oscillations



# Toy Cosmology : Frozen Out

$$m_\phi \ll H$$

Not much happens

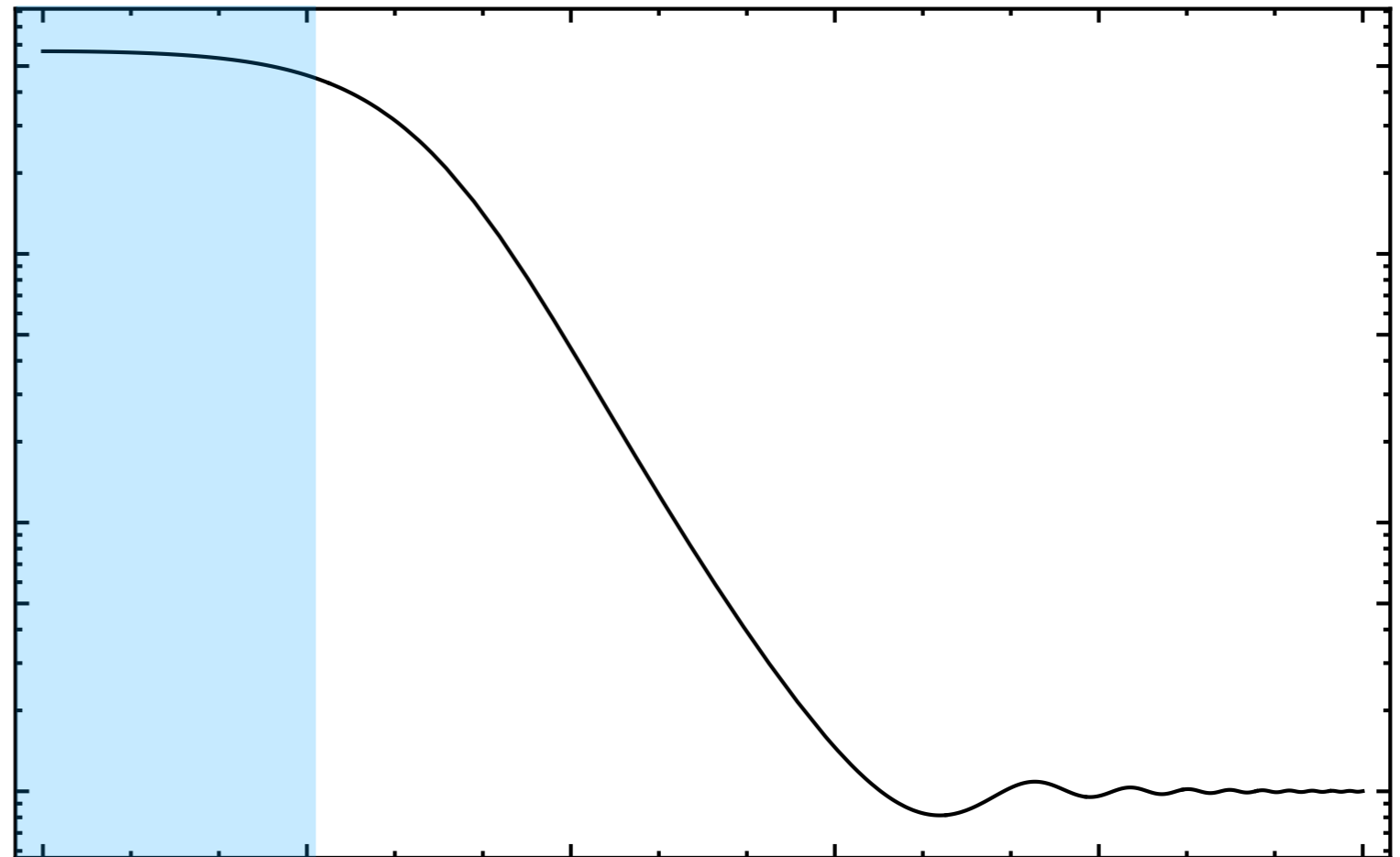
Everything just redshifts as usual

Frozen Out

$$\ddot{\phi} + 3H\dot{\phi} \approx -\frac{c_B}{f} \rho_B(\phi)$$

$$\dot{\phi} \approx 0$$

$\Lambda_B(t)$



time

# Toy Cosmology : Pseudo-Slow roll

$$m_\phi \approx H$$

Schematically

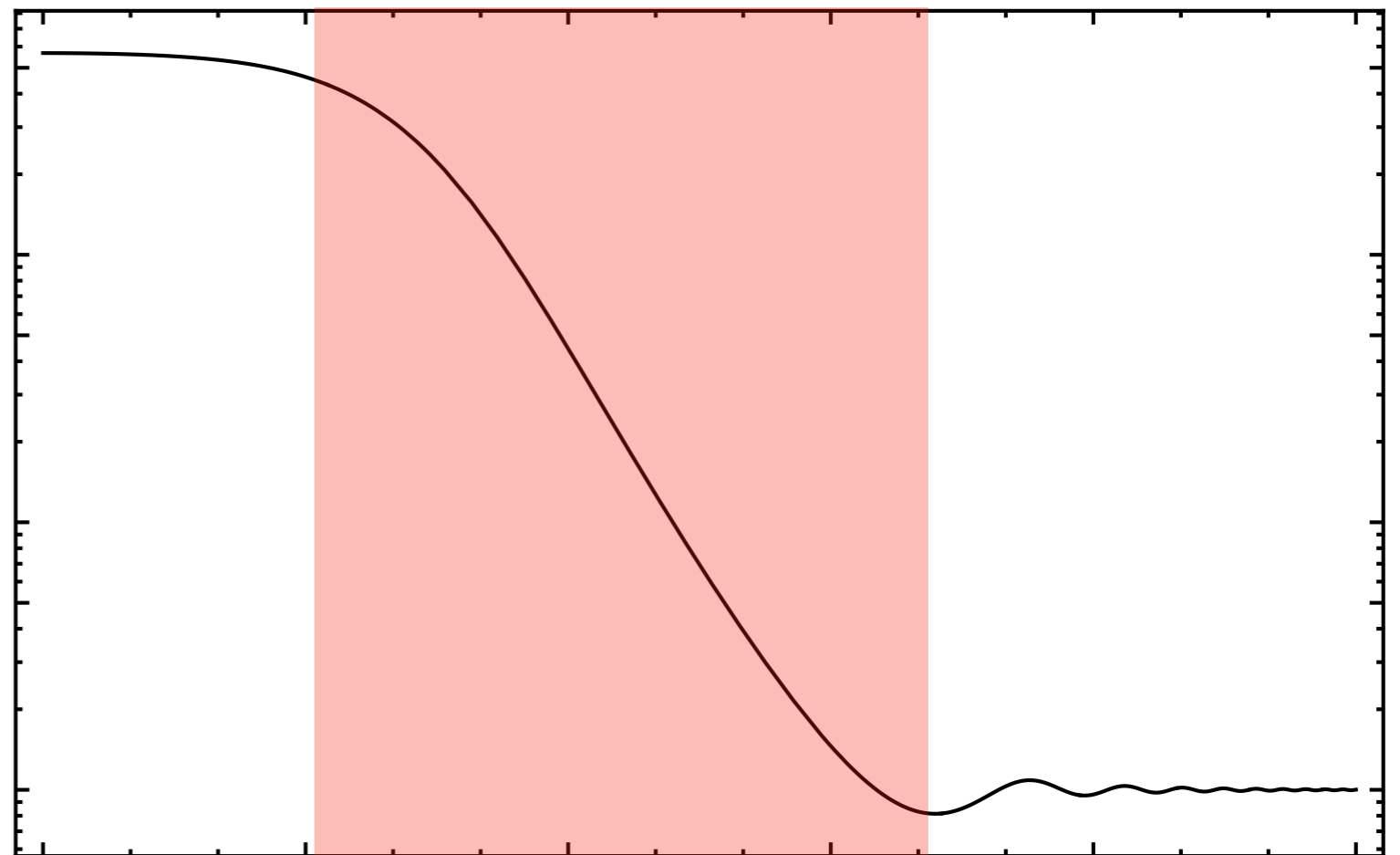
$$\phi \sim \log t$$

So that

$$\ddot{\phi} + 3H\dot{\phi} \approx -\frac{c_B}{f} \rho_B(\phi) \quad \Lambda_B(t)$$
$$\sim 1/t^2 \quad \sim 1/t^2$$

$$\Lambda_{QCD} \sim 1/a(t) \sim 1/\sqrt{t}$$

Pseudo-Slow Roll



time

# Toy Cosmology : Pseudo-Slow roll

$$m_\phi \approx H$$

Check List

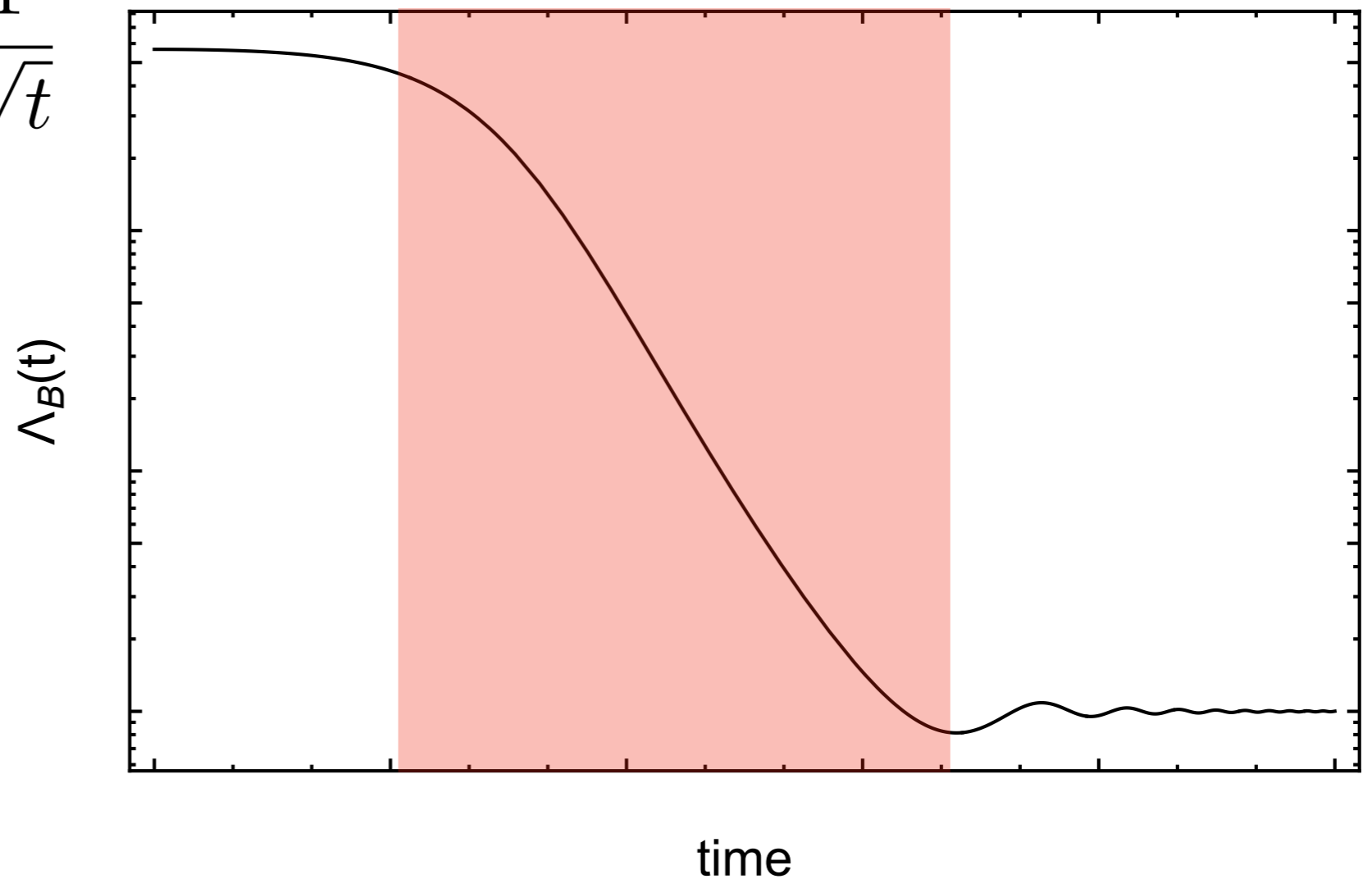
1)  $m_B \sim \Lambda_{QCD} \sim \frac{1}{\sqrt{t}}$

2)  $\rho_B \sim \frac{1}{t^2}$

3)  $m_\phi = H$

4)  $\frac{1}{2}\dot{\phi}^2 = \frac{1}{2}\rho_B$

Pseudo-Slow Roll





# Toy Cosmology : Damped Oscillations

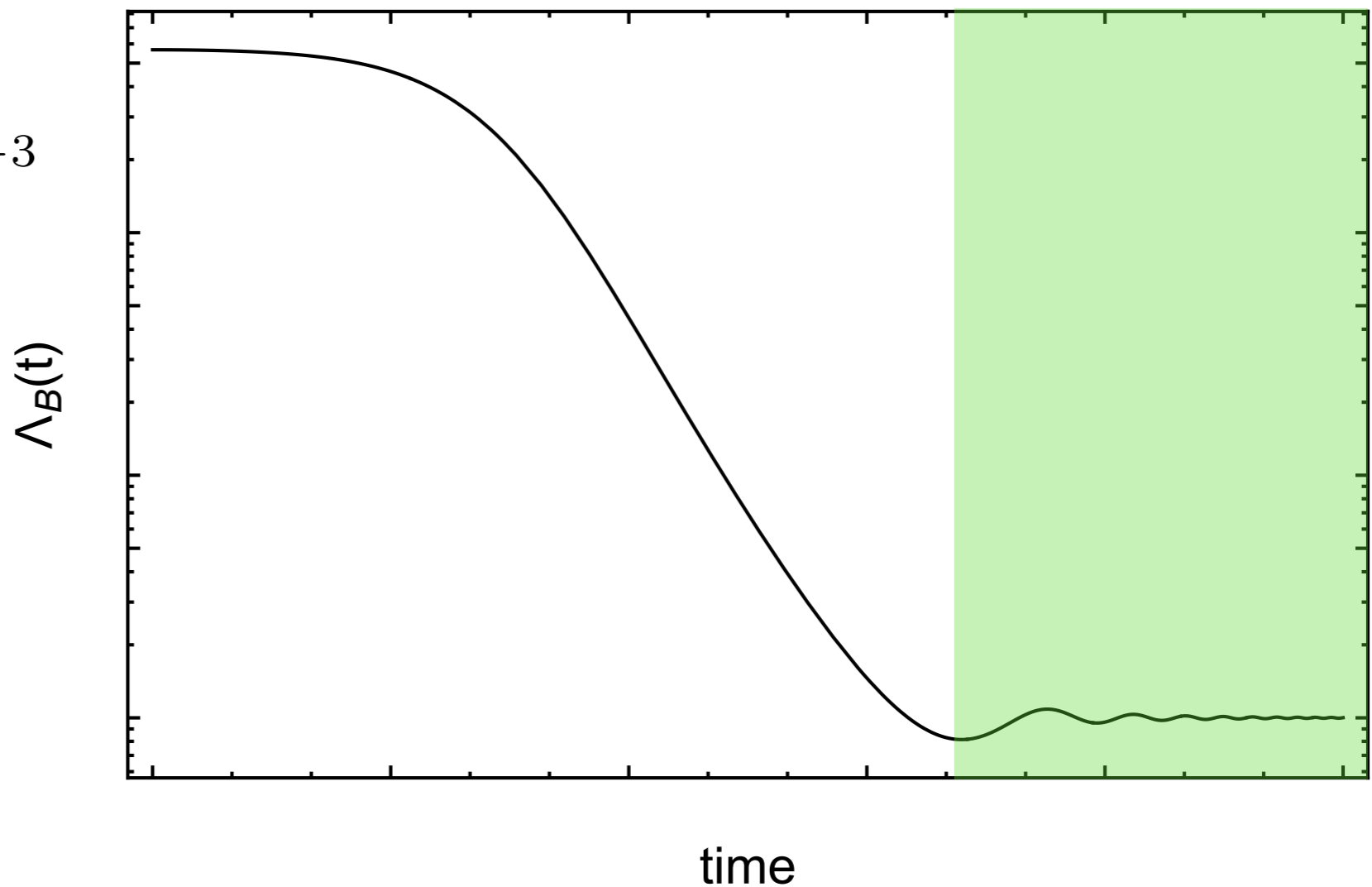
$$m_\phi \gg H$$

Dark Matter becomes  
important

Damped Oscillations

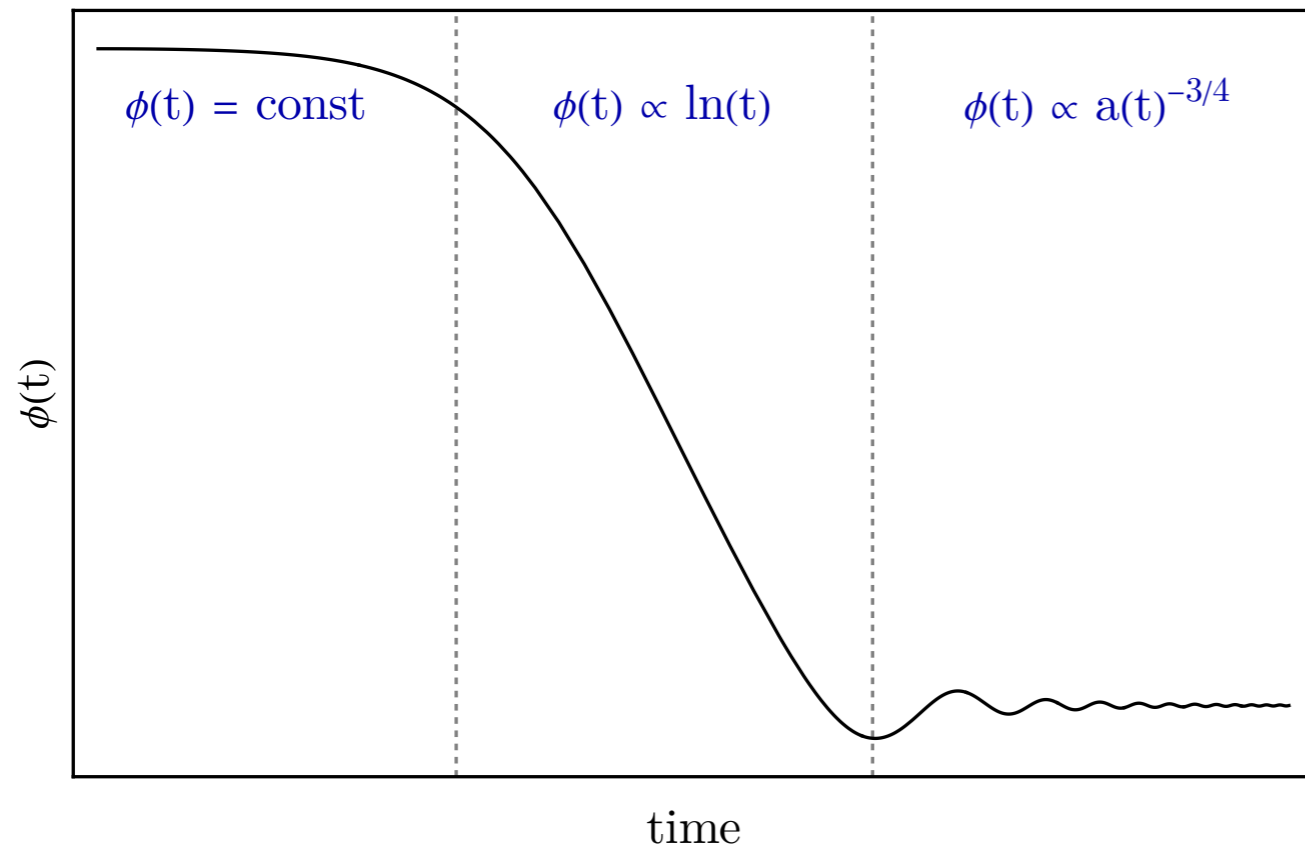
$$m_\phi^2 = \frac{c_B^2}{f^2} \rho_B + \frac{c_D^2}{f^2} \rho_D \sim a^{-3}$$

$$\rho_\phi = m_\phi n_\phi \sim \frac{1}{a^{4.5}}$$

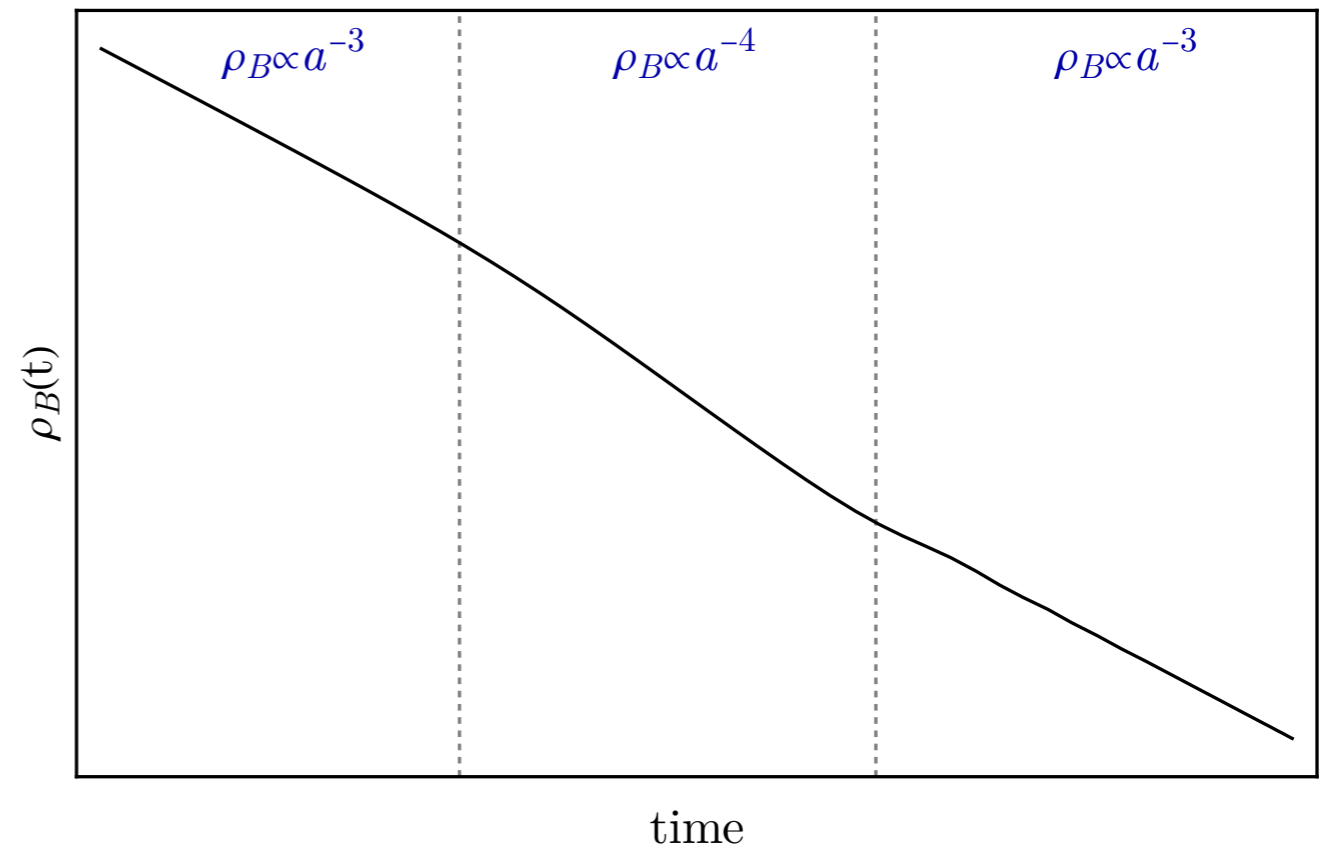


# Toy Cosmology : Summary

Pseudo slow roll



Energy densities



# SM example : Challenges

Two basic issues with implementing this in the SM

1. Its very excluded
2. Temperature effects

# SM example : Challenges

## Constraints

Mechanism works anywhere and everywhere

In a neutron star, clearly energy densities of baryons and dark matter are not the same

# SM example : Challenges

## Solution

Add a bare potential

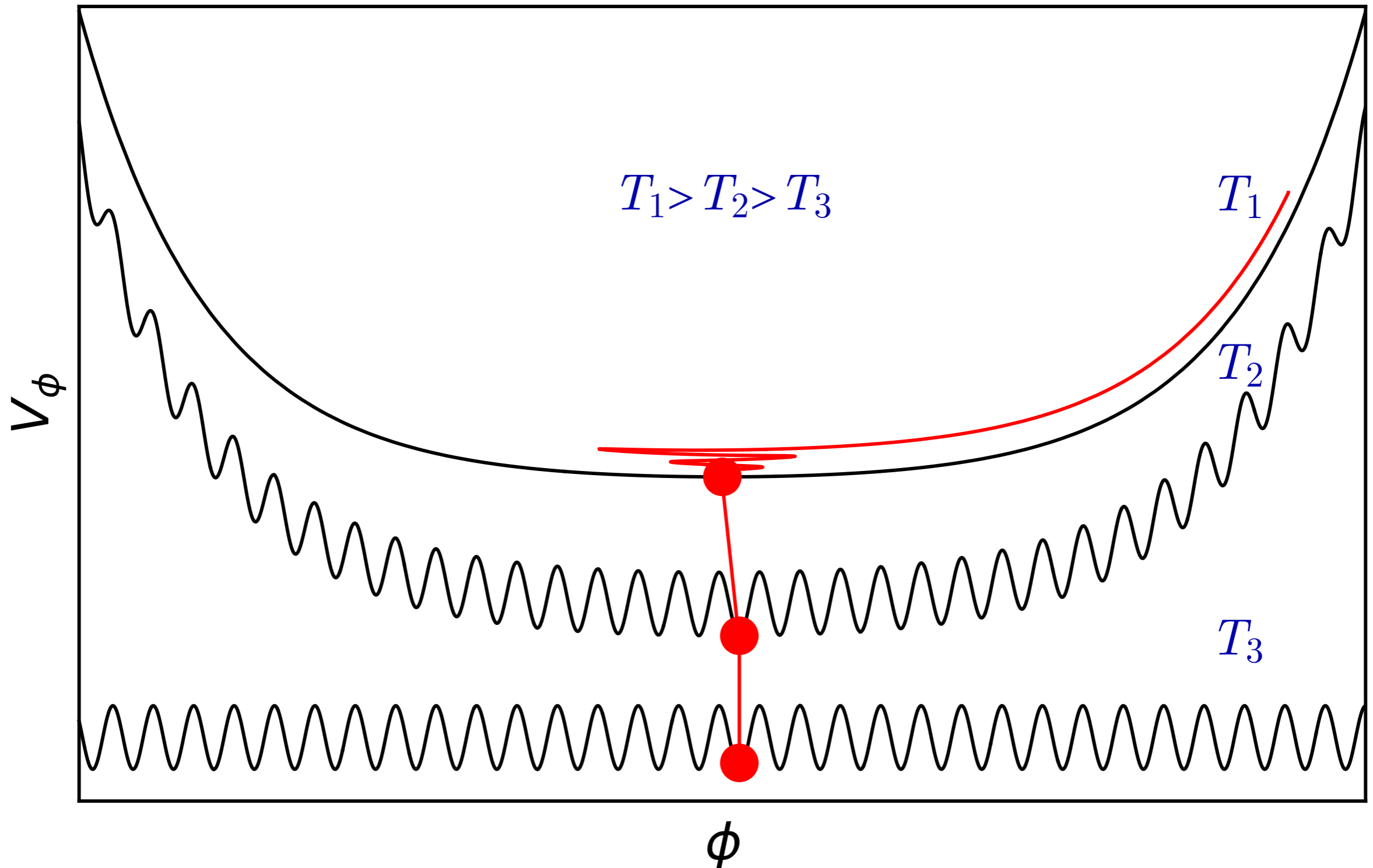
$$V = e^{c_B \phi / f} \rho_{NS} + \Lambda_0^4 \cos \left( \frac{\phi}{F} + \theta \right)$$

Neutron star doesn't change proton mass by much as long as

$$\frac{\Lambda_0^4}{F} \gtrsim \frac{c_B}{f} \rho_{NS}$$


# SM example : Challenges

Potential



# SM example : Challenges

Two basic issues with implementing this in the SM

1. Its very excluded 
2. Temperature effects

# SM example : Challenges

## Finite Temperature

1. Scanning the QCD scale inevitably leads to scanning the fine structure constant

$$\frac{\phi}{f} \frac{c_B \beta_{QCD}}{32\pi^2} G^2 \longrightarrow \mathcal{O}(1) \frac{\phi}{f} \frac{c_B}{32\pi^2} F^2$$

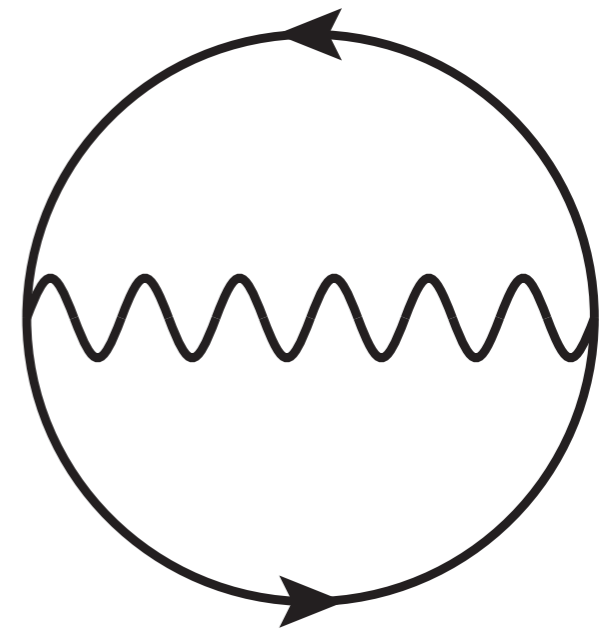


# SM example : Challenges

## Finite Temperature

2. Free energy at low energies depends on fine structure constant

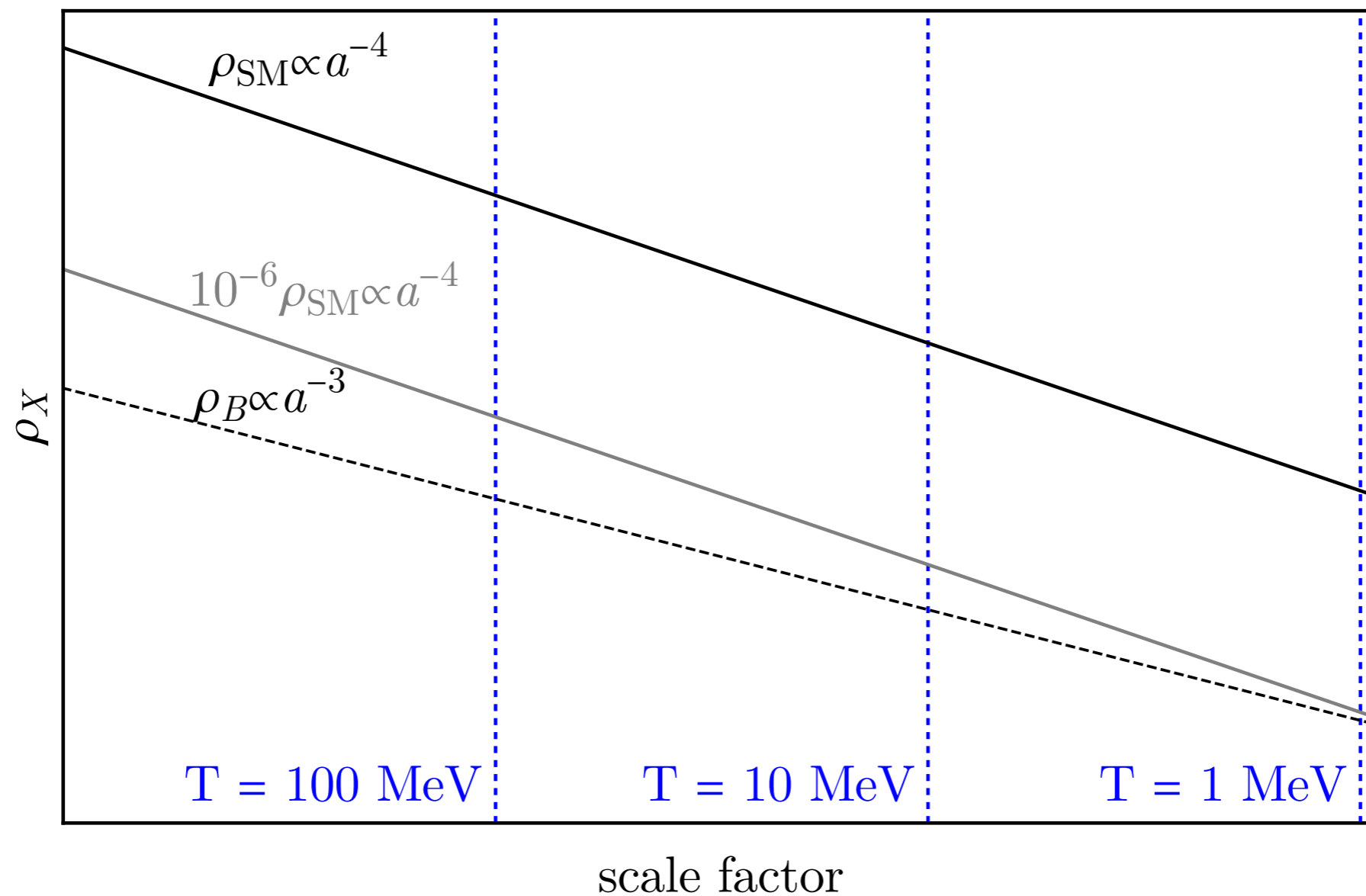
$$f = \frac{5}{288} e^2(\phi) T^4 \sim 10^{-6} T^4 \frac{c_B \phi}{f}$$



# SM example : Challenges

$$V(\phi) \sim \frac{c_B}{f} \rho_B + \frac{c_B}{f} 10^{-6} \rho_{SM}$$

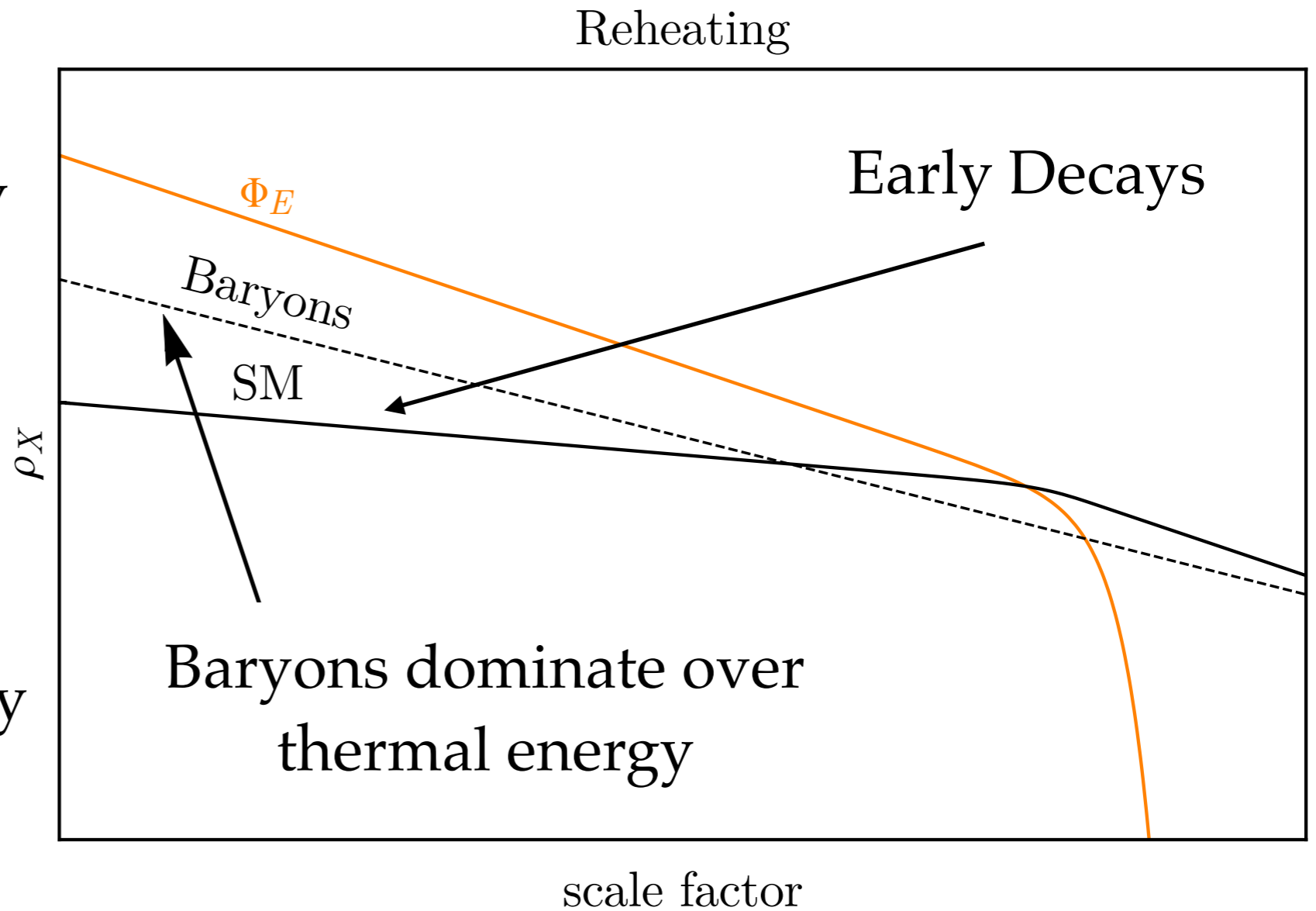
Standard Cosmology



# SM example : Challenges

Non Standard Cosmology  
Entropy Dump

Need something like  
Affleck-Dine to get large  
Baryon number asymmetry



scale factor

# SM example : Lagrangian

$$\mathcal{L} = \frac{\phi}{f} \left( \frac{\beta_B c_b}{32\pi^2} G^2 - \frac{\beta_D c_D}{64\pi^2} G_D^2 \right) + \Lambda_0^4 \cos \left( \frac{\phi}{F} + \theta \right)$$


Scan baryon mass



Scan dark matter mass



Do nothing at early times, but  
prevent late time constraints



# A Full SM Example

Coupling to Baryons

$$f/c_B = 10^{12} \text{ GeV}$$

Baryon/DM ratio

$$c_B/c_D = 5$$

Non-zero mass

$$F = 10^7 \text{ GeV} \quad m_\phi = \text{eV}$$

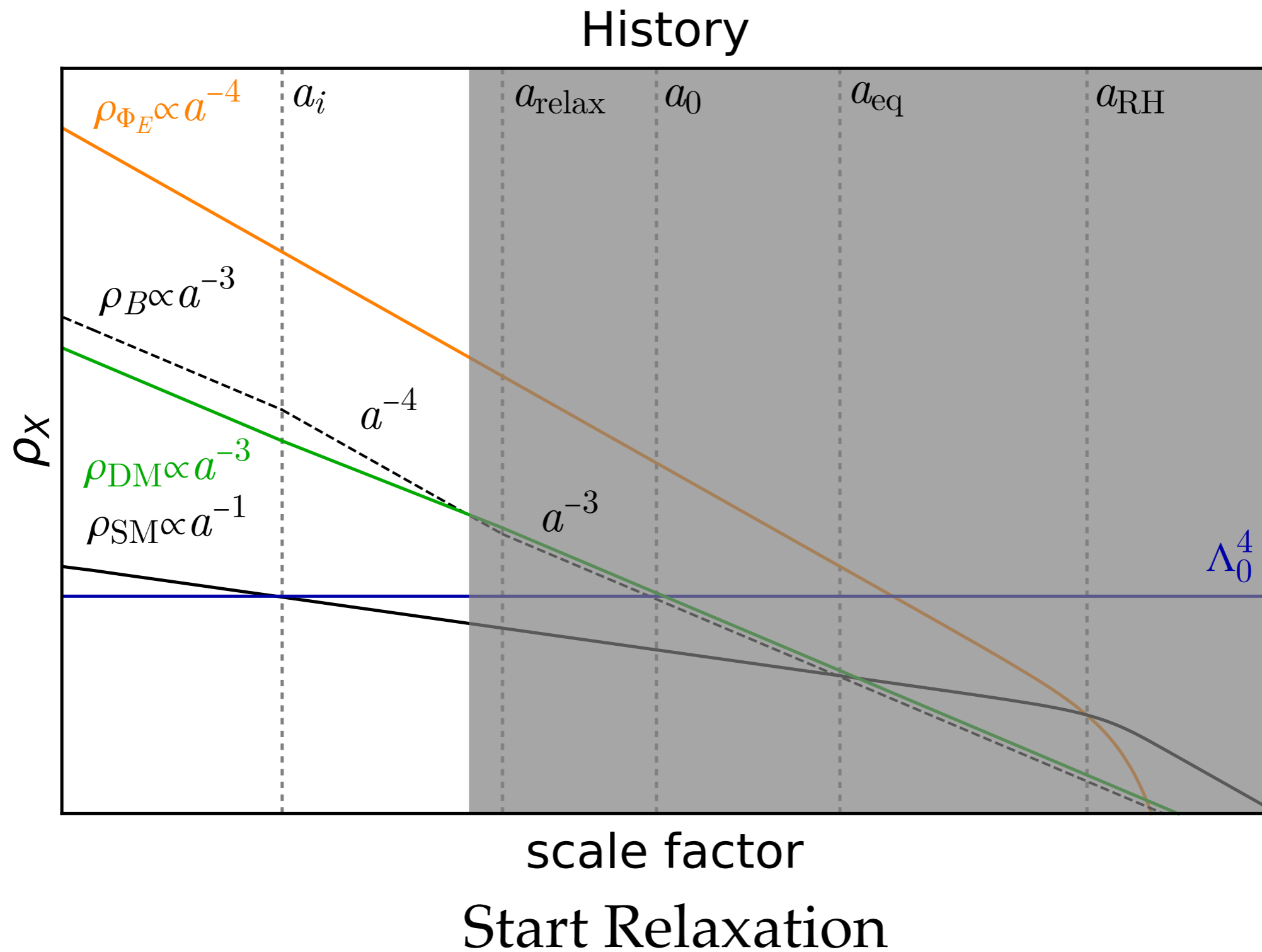
Barrier to stop late time rolling

$$\Lambda_0 = 100 \text{ MeV}$$

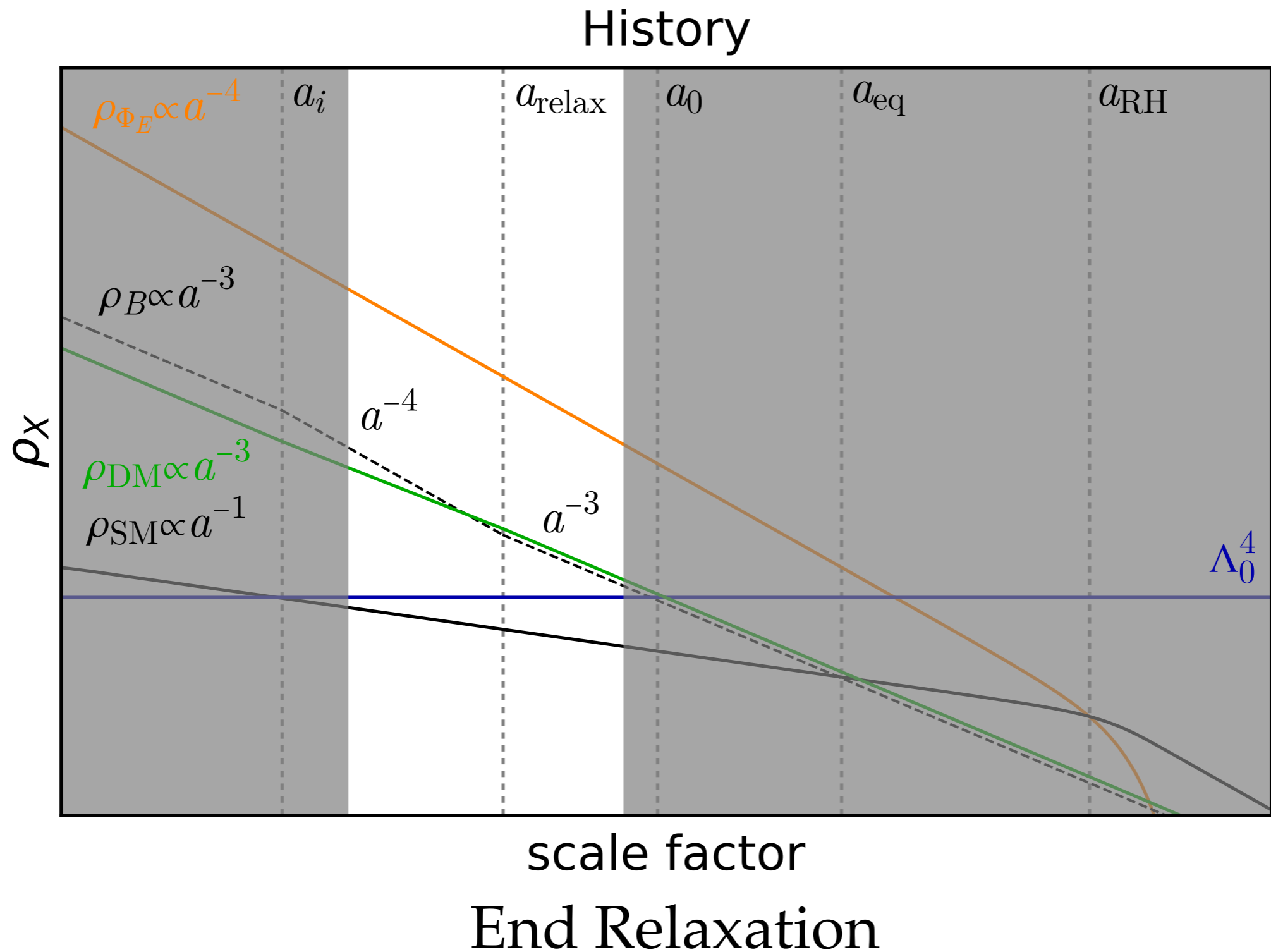
Reheat Temperature

$$T_{RH} = 10 \text{ MeV}$$

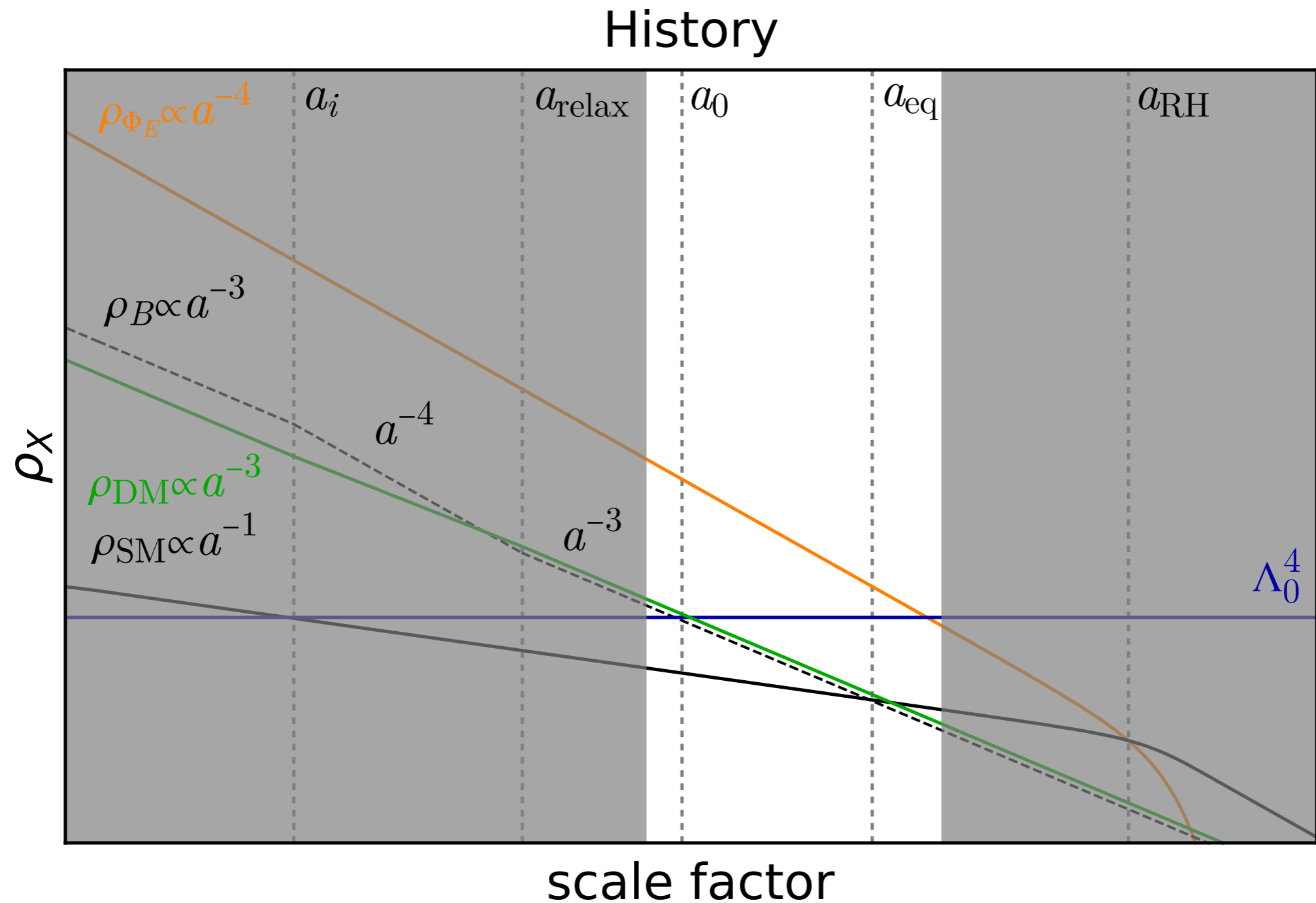
# A Full SM Example



# A Full SM Example



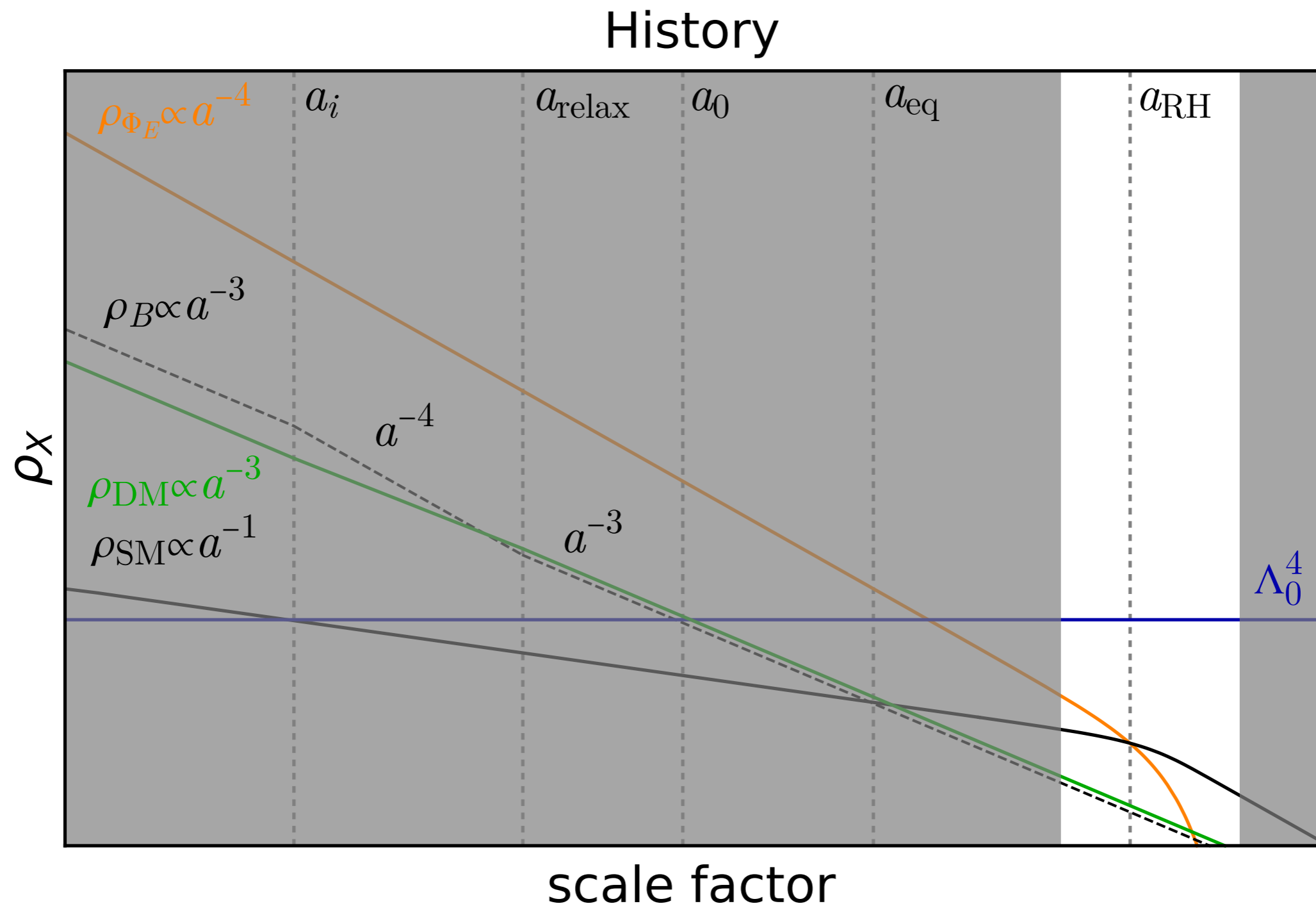
# A Full SM Example



Density independent potential becomes important



# A Full SM Example



Reheat Standard Model

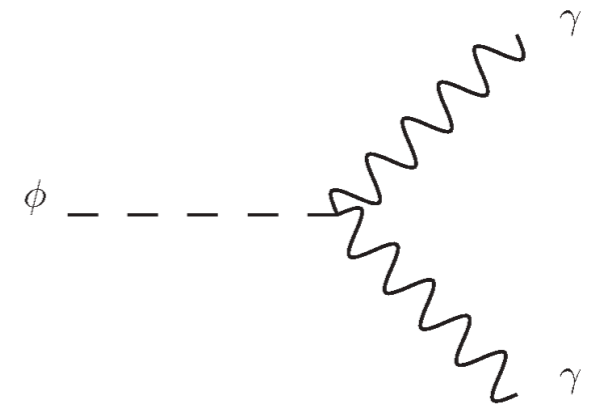
# Constraints

From coupling to nucleons

$$\mathcal{L} \supset e^{c_B \phi / f} m_p \bar{\psi} \psi \approx \frac{c_B \phi}{f} m_p \bar{\psi} \psi$$

5th Force and Stellar Cooling

Scalar is around today and  
can decay into photons

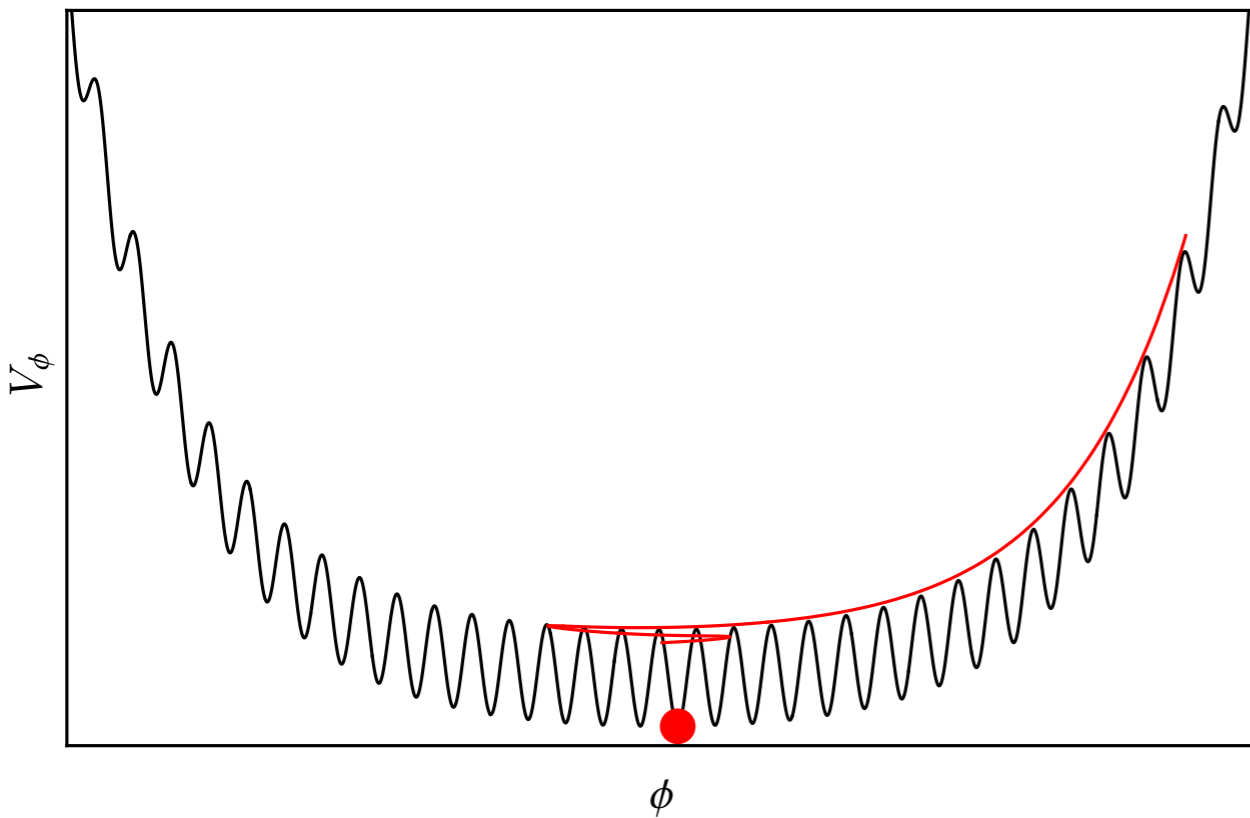


Not a strong constraint for our  
parameters but can be strong

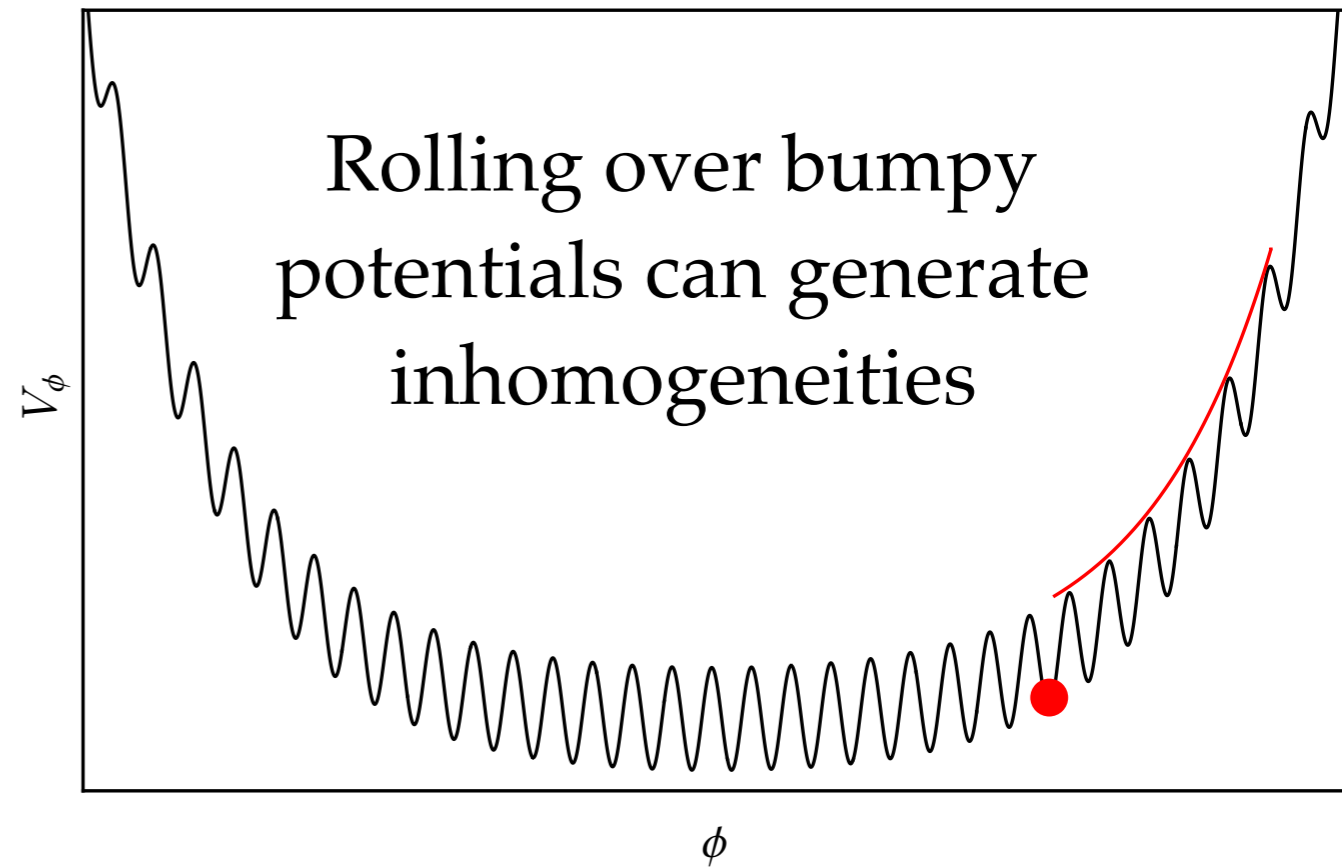
# Constraints

## Parametric Resonance

Potential

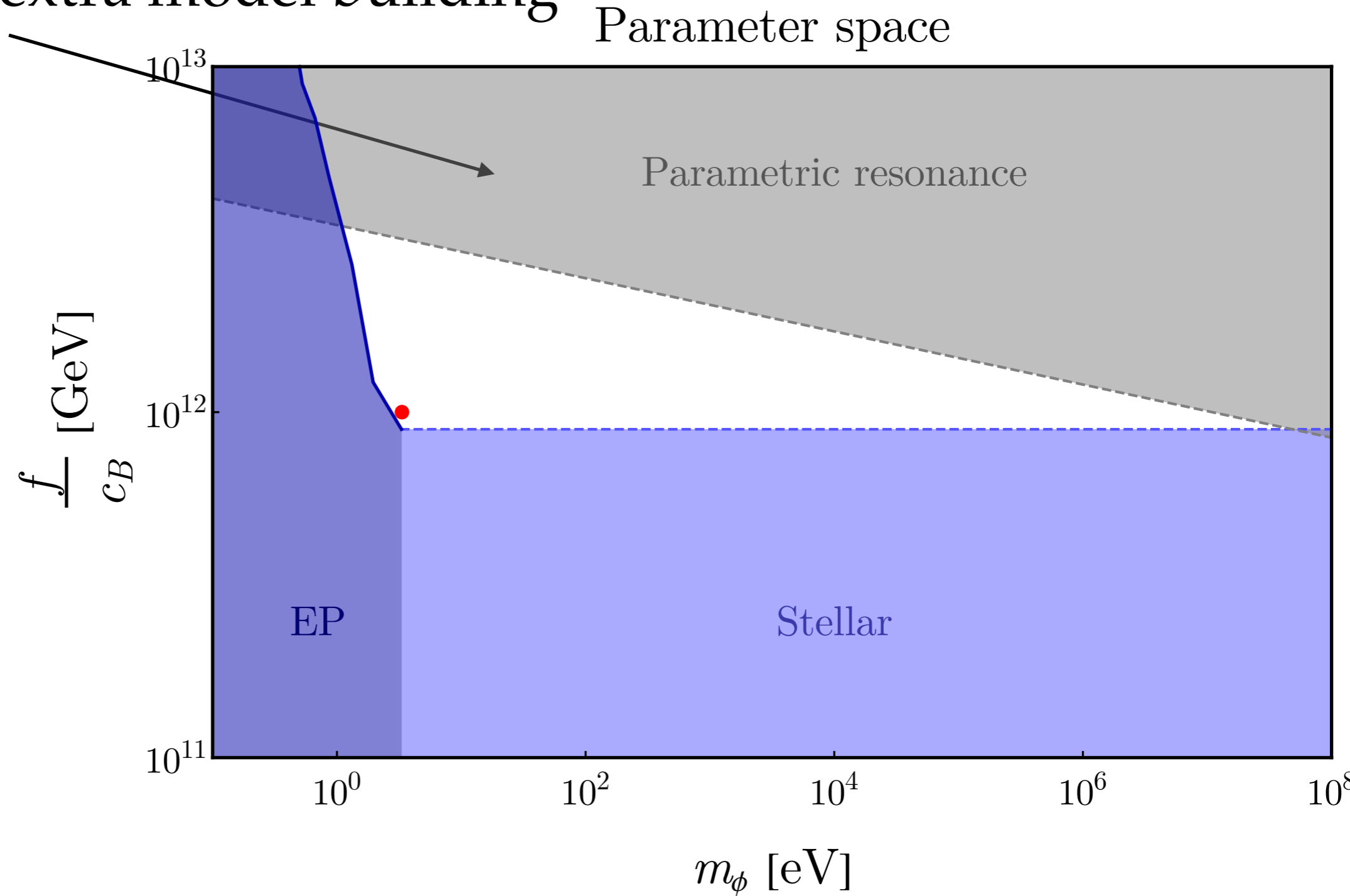


Potential



# Constraints

Can evade this constraint with only a little bit of extra model building



# Conclusion

**The baryon/DM coincidence problem is a very troubling problem**

New solution that applies to almost all models of DM!

**Scalar adjusts DM and baryon masses until energy densities are about equal**

Model is very observable

Interesting experimental signatures!