

CGS vs EPOS : theory vs data ?

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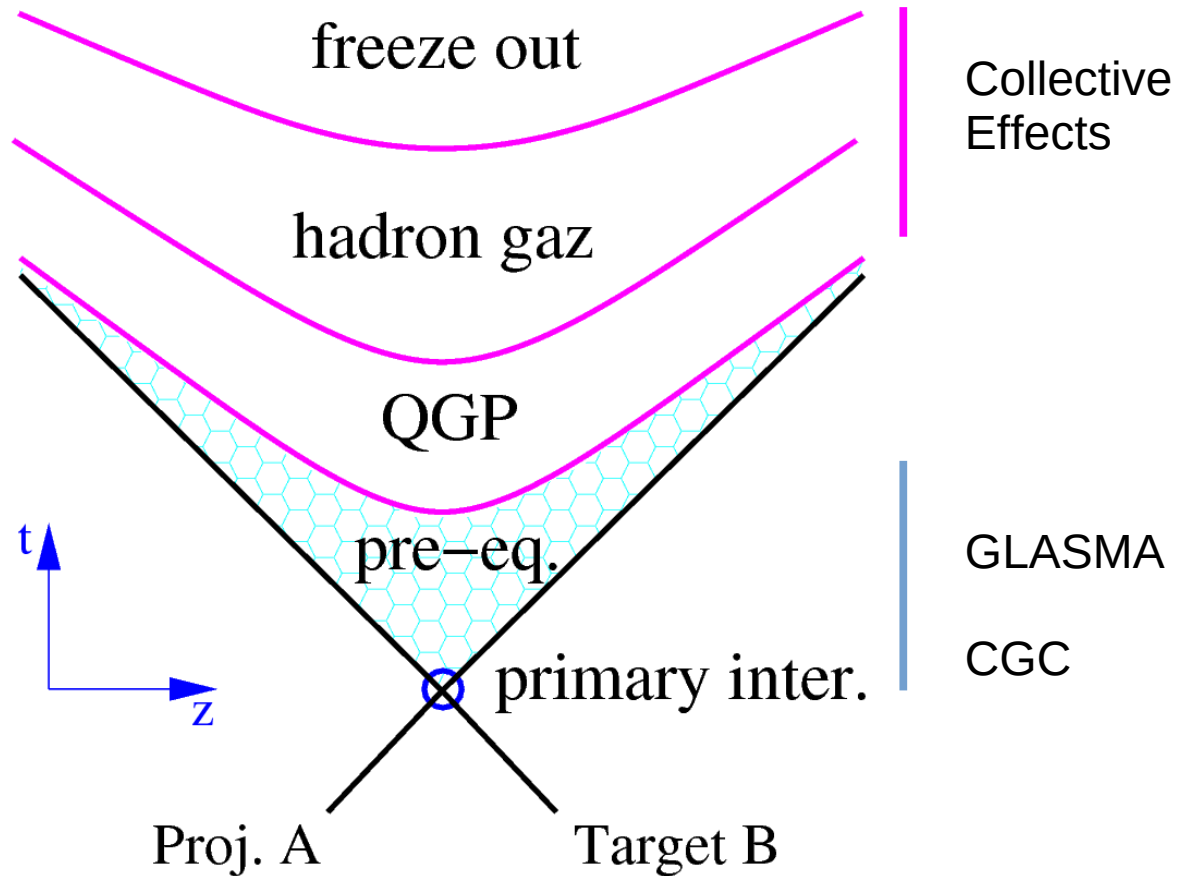


CLASH workshop, Helsingborg, Sweden

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High Energy Hadronic Interactions

Are CGC calculation
in phase with what
we can extract from
data with a global
approach like
EPOS ?



General case : valid for pp if enough particles are produced !

From K. Werner

<https://klaus.pages.in2p3.fr/epos4/>

accomodate simultaneously

Energy conservation + **P**arallel scattering + fact **O**rization + **S**aturation

representing **4** crucial concepts of HE scattering

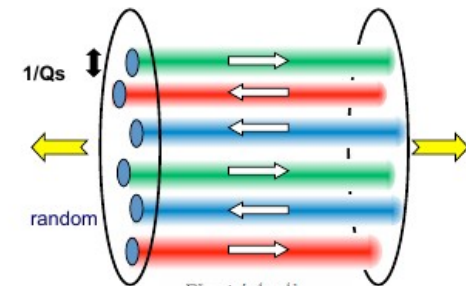
note: S-matrix theory is a useful tool!

● EPOS in practice :

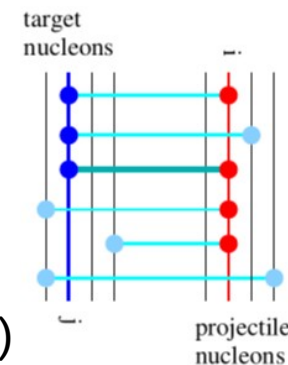
- Colored flux tube as in GLASMA
- Saturation as in CGC
- Factorization and binary scaling
- Core-corona with hydro

● Outcome

- Saturation scale, core fraction, etc ... from DATA (best global fit)



Typical configuration of a single event just after the collision



What value for the saturation scale ?

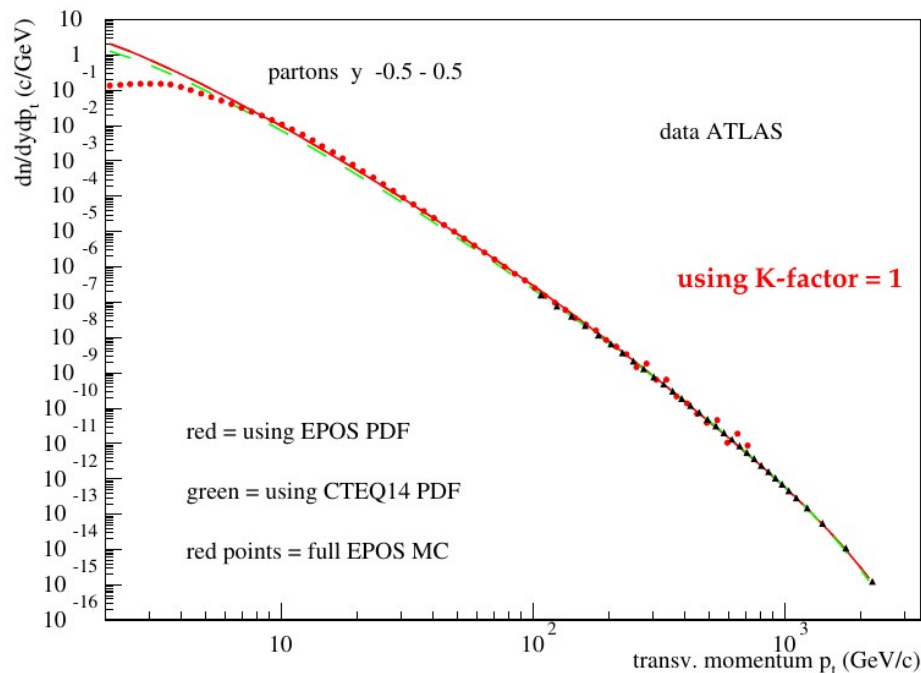
- Tried CGC inspired numerical values in EPOS

 - ➔ Failed to reproduce data

- New approached based on factorisation + S-matrix

 - ➔ Match pQCD amplitude with one compatible with cross-section and multiplicity (taking into account the fact that multiplicity is reduced by hydro (mass → flow))

 - ➔ Different saturation scale for each mini-jet with large variation event by event and for all systems



 - ➔ “Saturation” below p_t of 10 GeV @ LHC in average

 - ➔ Extremely large difference from low to high multiplicity event

 - ➔ Is it compatible with predictions from CGC ?

 - ➔ If not ?

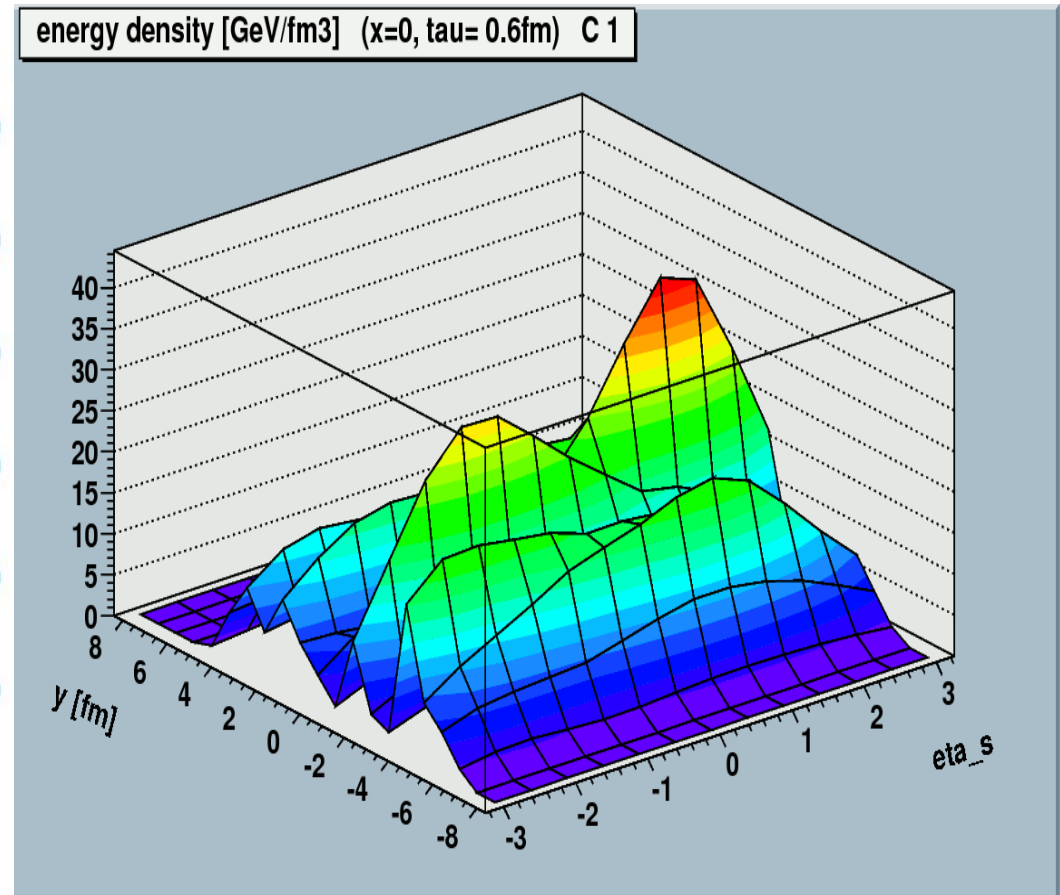
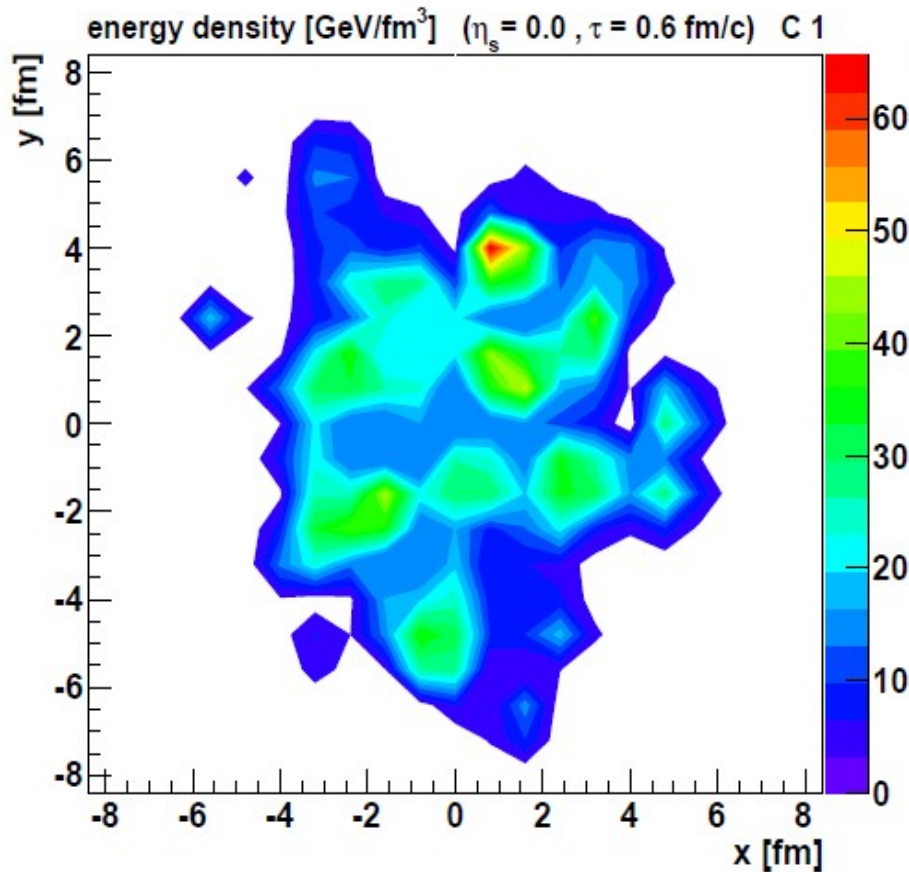
 - Not the same saturation ?

 - Calculation too simplified ?

 - How to account for the fluctuations ?

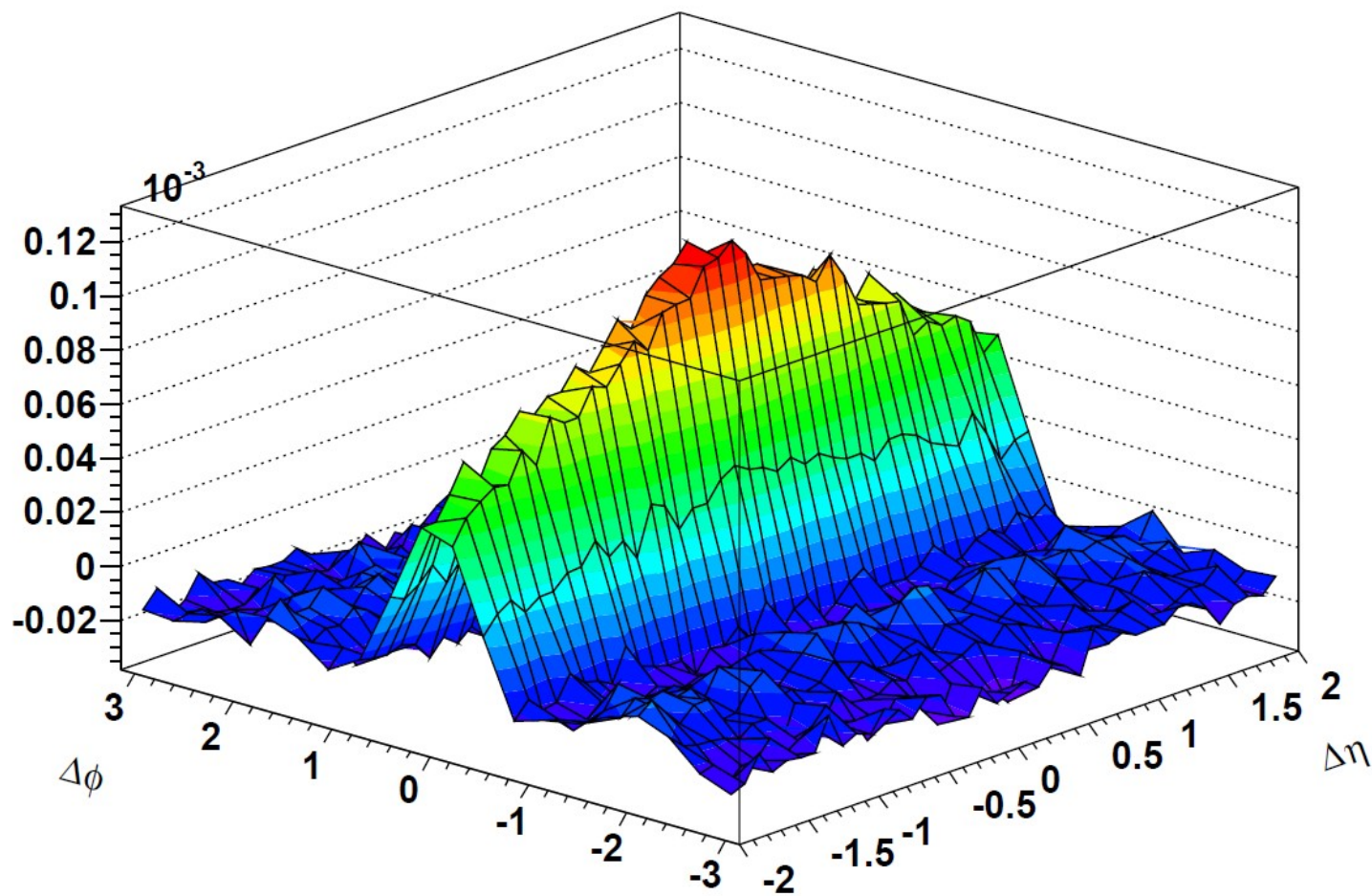
Event-by-Event Energy Density : AuAu

- ➔ Bumpy structure of energy density in transverse plane, but translational invariance
 - pseudorapidity extension of flux tubes



AuAu : Di-hadron correlation

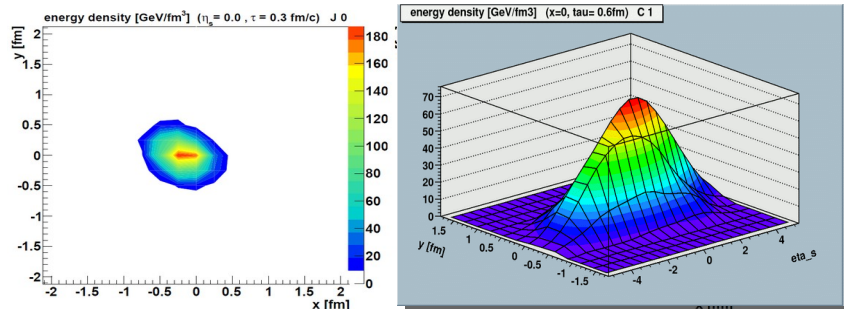
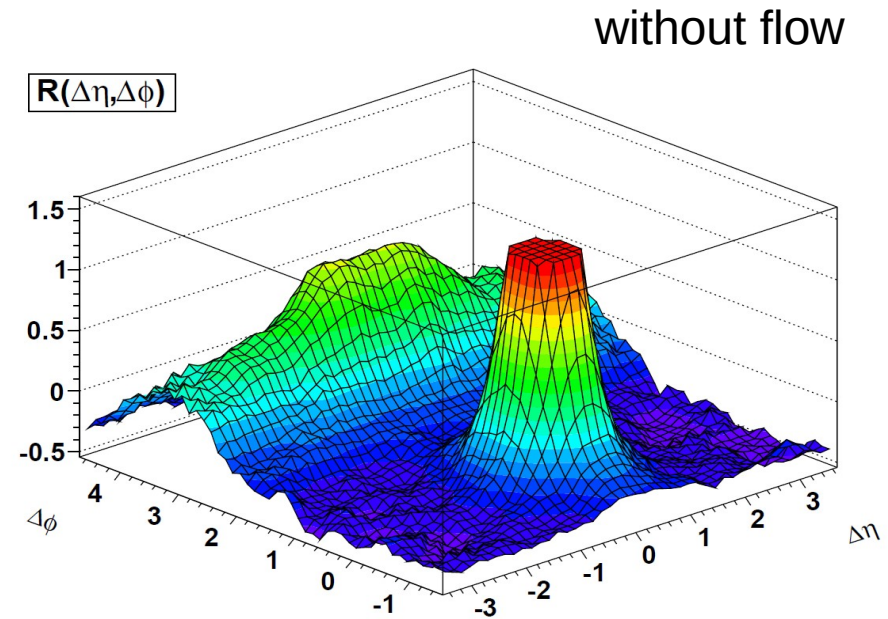
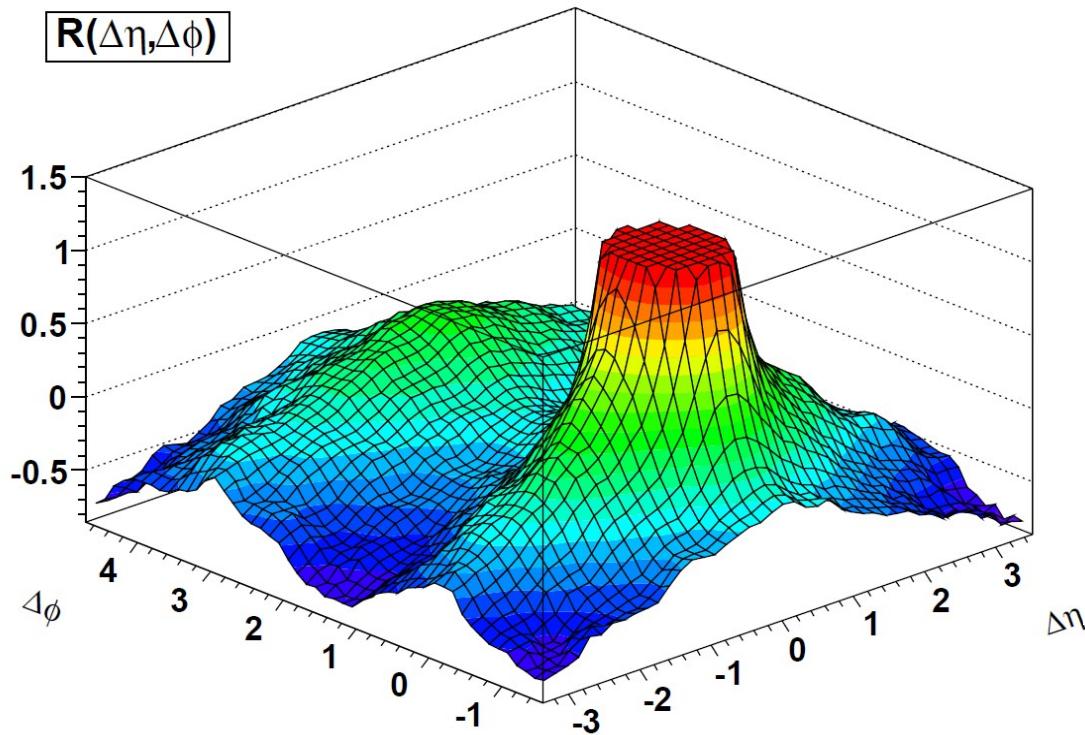
→ ridge-structure in the dihadron correlation $dN/d\Delta\eta d\Delta\phi$ for free



AuAu 0-10%, $3 < p_t^{\text{trig}} < 4 \text{ GeV}/c$ $2 < p_t^{\text{assoc}} < p_t^{\text{trig}}$

pp@7 TeV : Di-hadron correlation

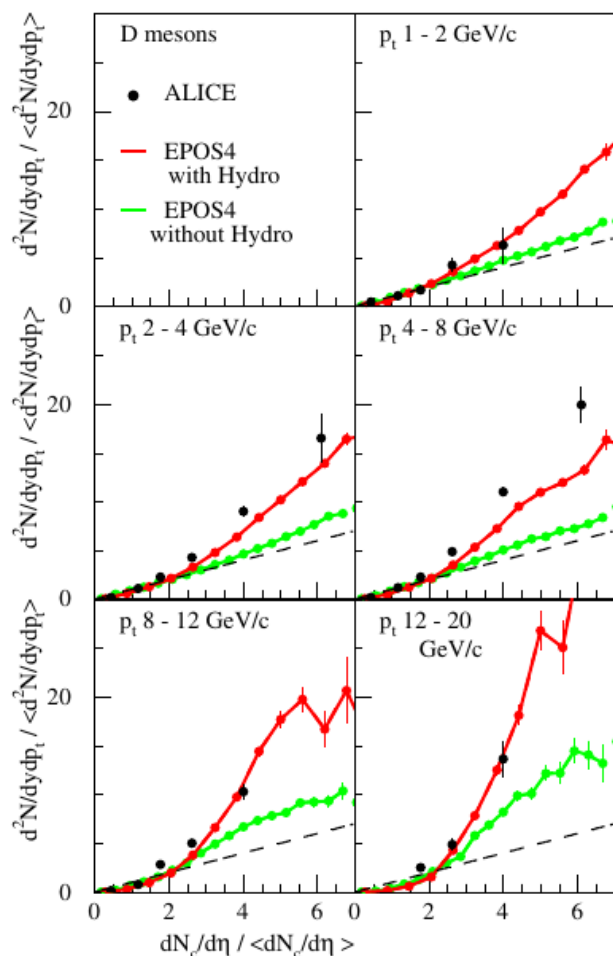
→ Our calculation provides a similar ridge structure in pp@LHC using particles with $1 < p_t < 3 \text{ GeV}/c$, for high multiplicity events



- Flow parameters in pp from geometry and strong constrain from other data
- Quantitatively describe ridge data

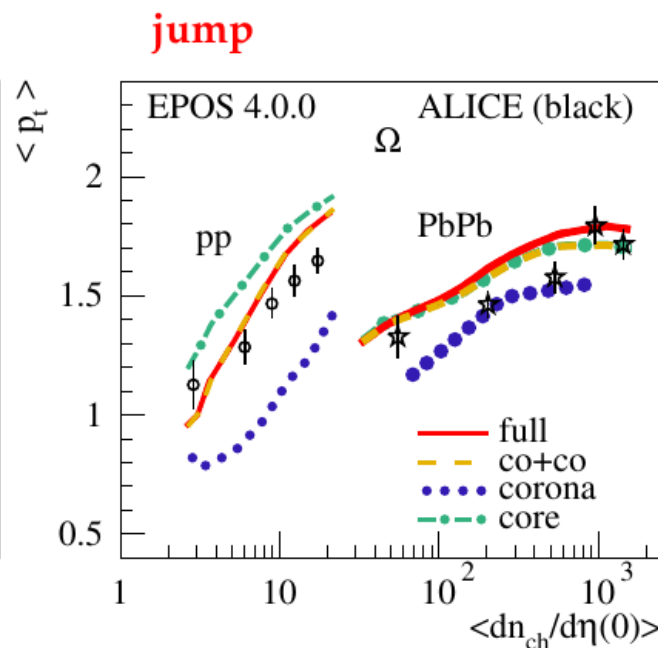
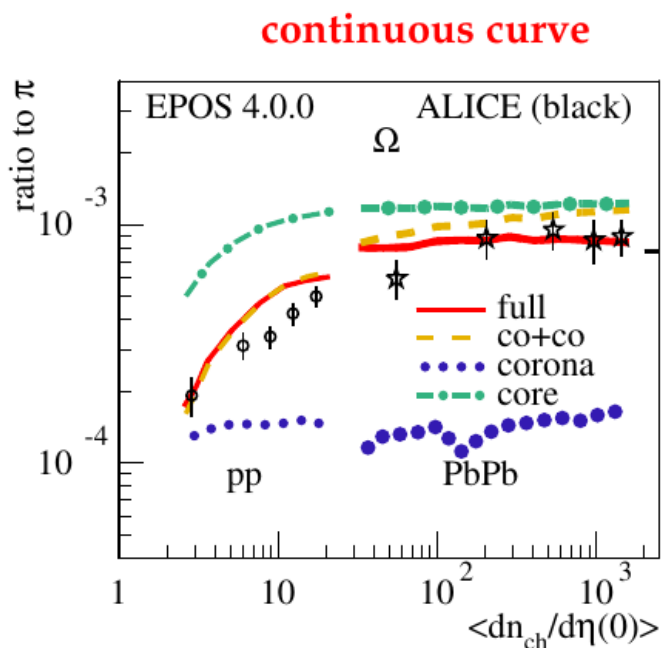
→ Any room for something else ?

How could CGC alone (and even with Pythia) reproduce data ?



● What we learn from a global approach

- ➔ Extremely complex interplay between all components
- ➔ Impossible to reproduce one observable with one component of the model only



**core-corona effect
+ microcanonical effect**

**core-corona effect
saturation effect
+ flow effect**

➔ Saturation : no linear $\langle p_t \rangle$ charm increase

➔ Hydro : decrease final multiplicity for a given MPI

Be aware ... data are not limited to one distribution !

➔ Summarized in $\langle p_T \rangle$ versus multiplicity (here 900 GeV)

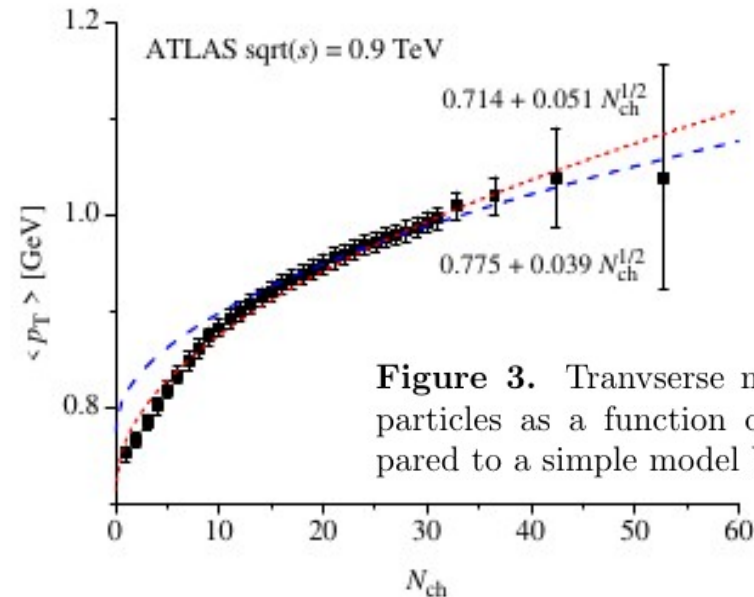
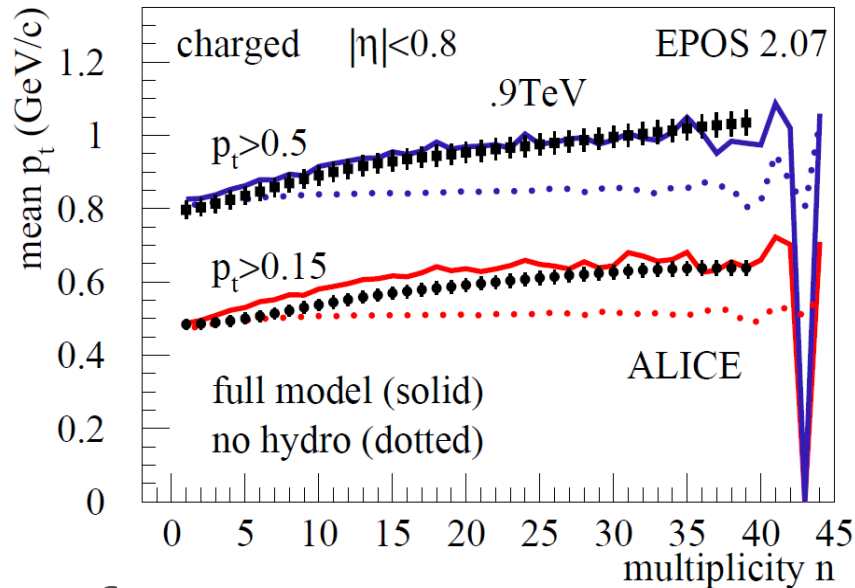
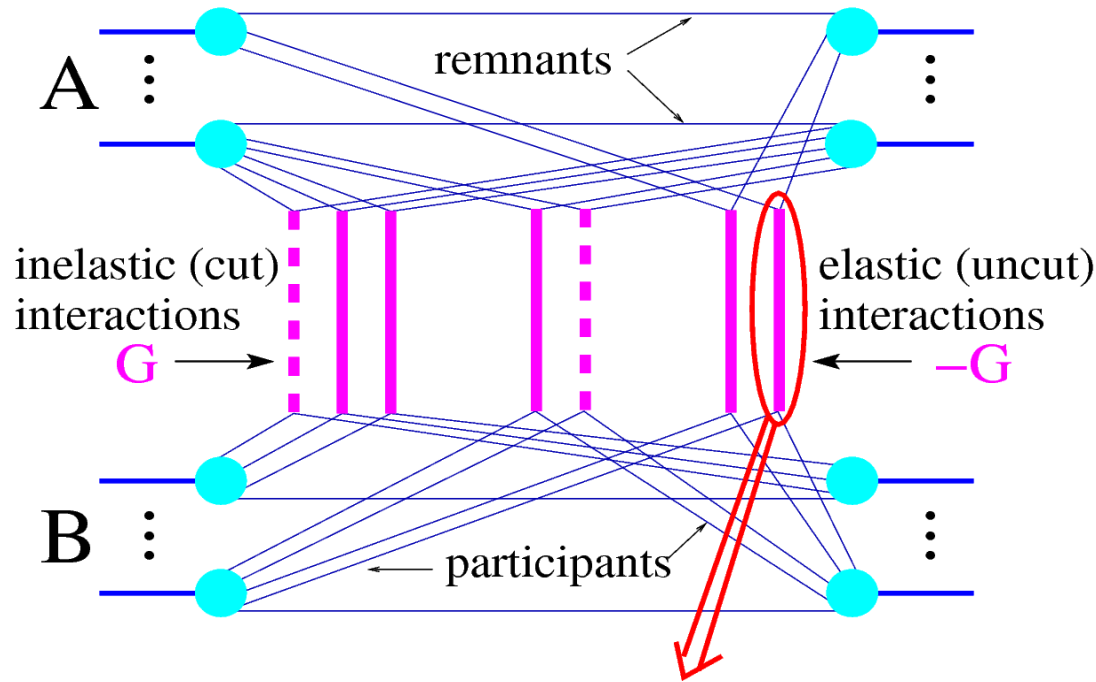


Figure 3. Transverse momenta of charged particles as a function of multiplicity compared to a simple model based on the CGC.

References

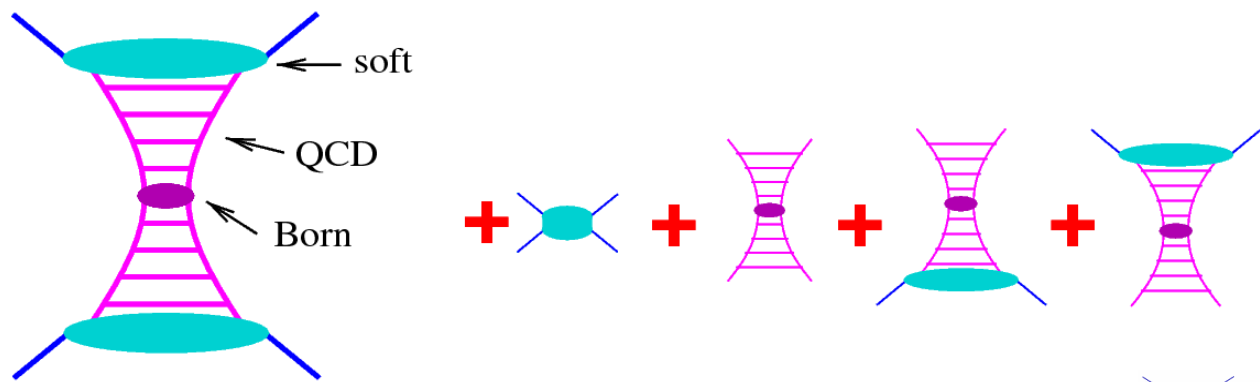
- ➔ *The Color Glass Condensate, Glasma and the Quark Gluon Plasma in the Context of Recent pPb Results from LHC.* **Larry McLerran** doi:10.1088/1742-6596/458/1/012024
- ➔ *On a deep connection between factorization and saturation new insight into modeling high-energy proton-proton and nucleus-nucleus scattering in the EPOS4 framework.* **K. Werner.** 2301.12517 [hep-ph]
- ➔ *Perturbative QCD concerning light and heavy flavor in the EPOS4 Framework.* **K. Werner and B. Guiot.** 2306.02396 [hep-ph]
- ➔ *Core-corona procedure and microcanonical hadronization to understand strangeness enhancement in proton-proton and heavy ion collisions in the EPOS4 framework* **K. Werner.** 2306.10277 [hep-ph]

Parton-Based Gribov-Regge Theory

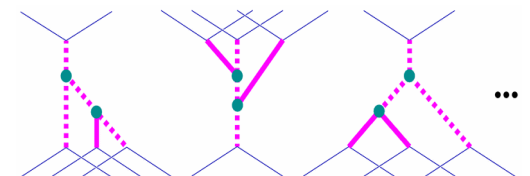


Energy sharing at the cross section level

- ➔ Energy shared between cut and uncut diagrams (Pomeron)
- ➔ Reduced number of elementary interactions
- ➔ Generalization to (h)A-B
- ➔ Particle production from momentum fraction matrix (Markov chain metropolis)

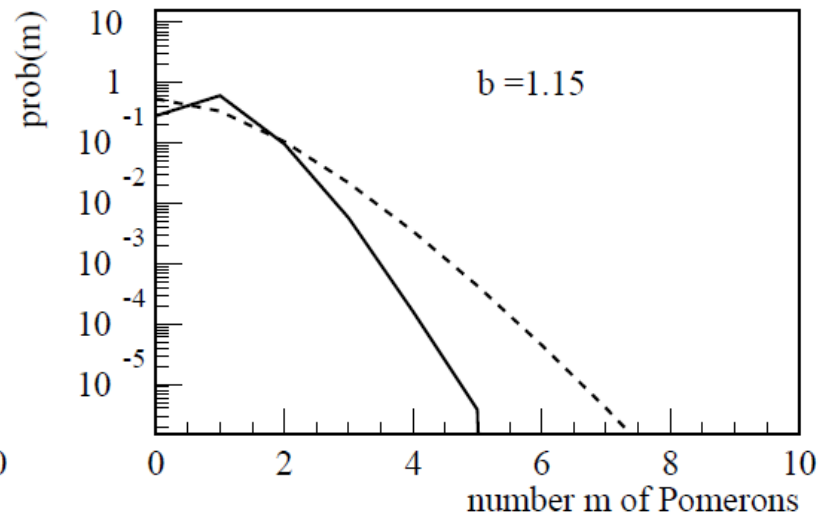
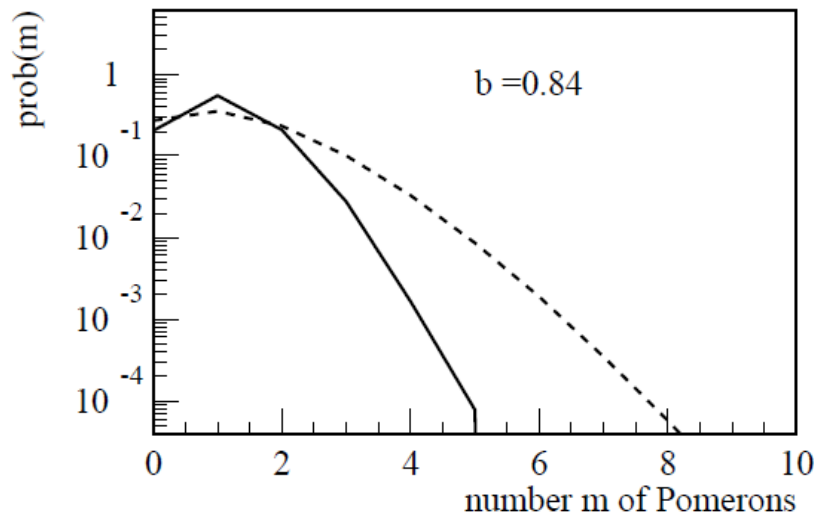
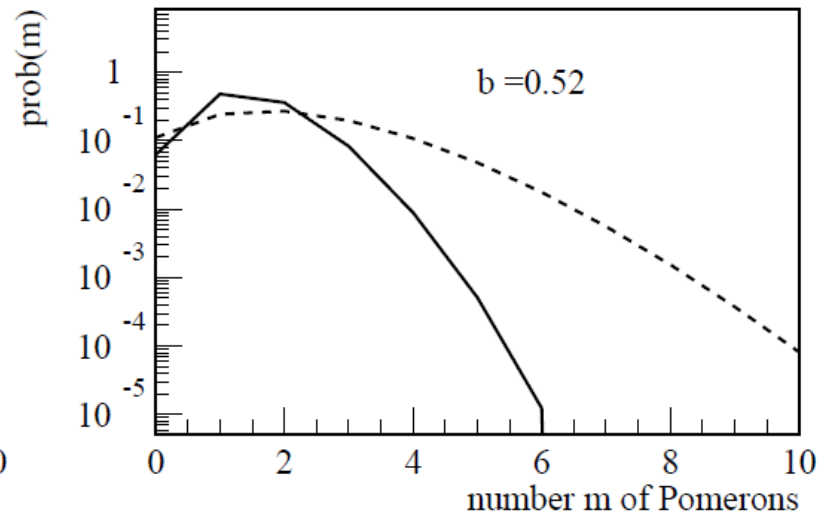
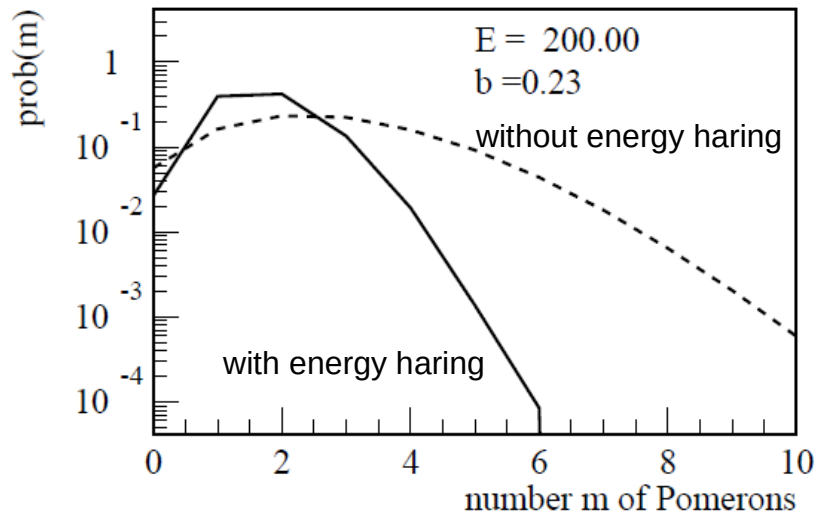


Non-linear effect (screening) absorbed in modified vertex functions



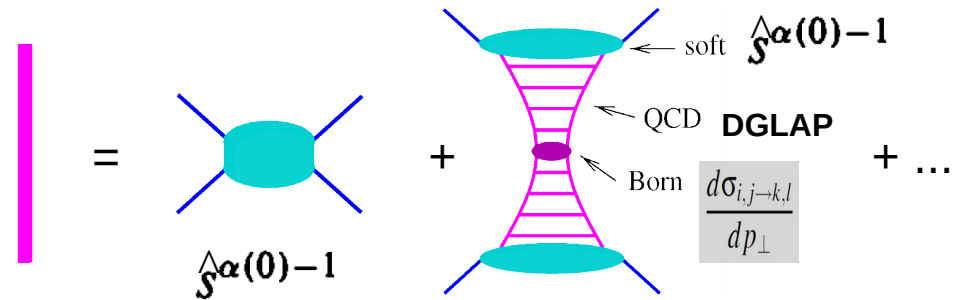
Number of cut Pomerons

Fluctuations reduced by energy sharing (mean can be changed by parameters)

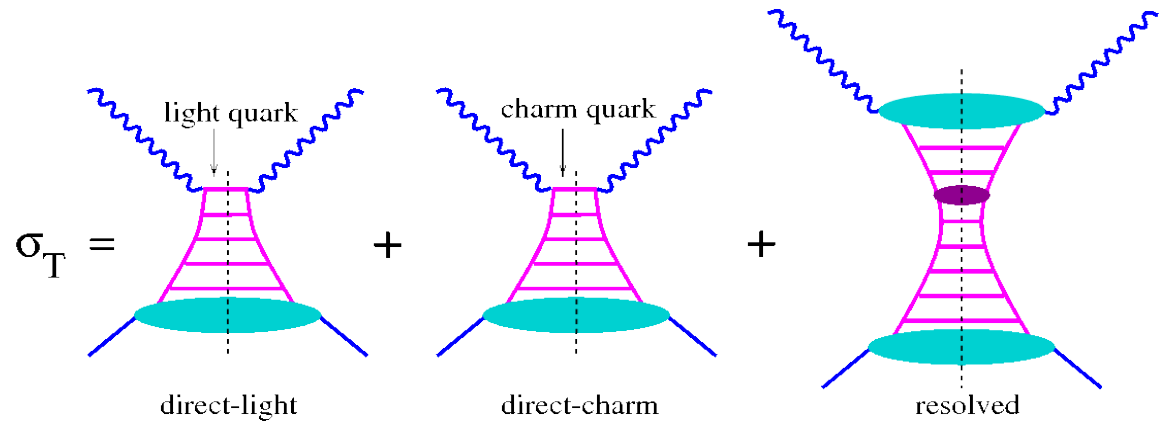


EPOS : Pomeron definition

Semi-hard Pomeron :



Test of semi-hard Pomeron with DIS:
(Parton Distribution Function from HERA)

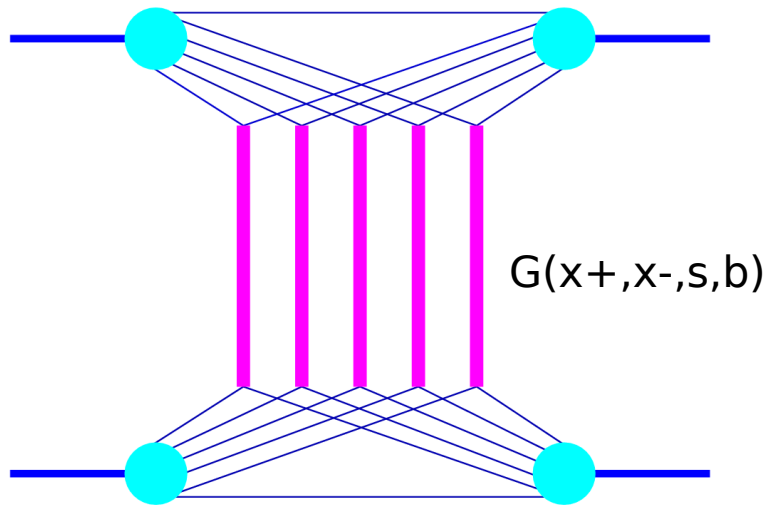


→ Theory based Pomeron definition

- pQCD based so large increase at small x (no saturation)
- produce too high cross section
- corrections needed using enhanced diagrams (triple Pomeron vertex)

→ effective coupling vertex

Cross Section Calculation : EPOS



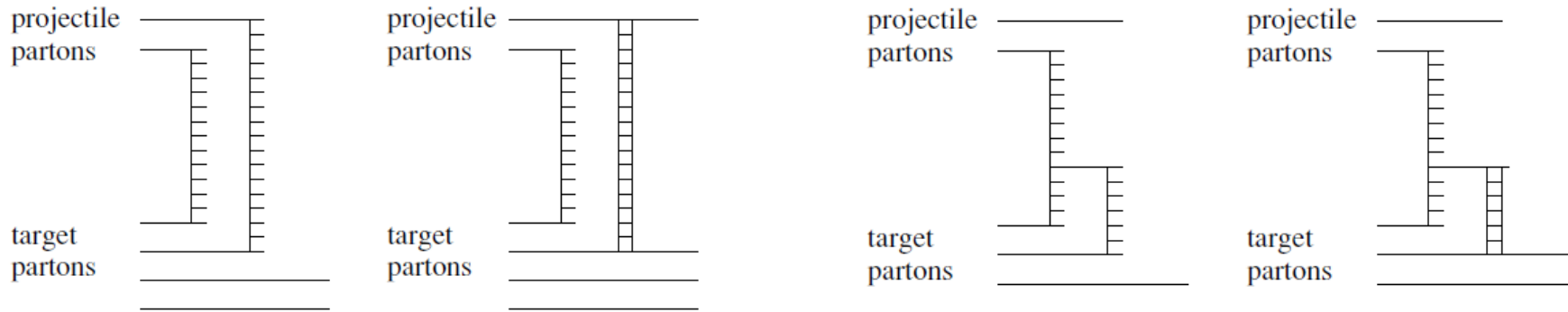
- ➔ PBGRT : Gribov-Regge but with energy sharing at parton level
- ➔ amplitude parameters fixed from QCD and pp cross section (semi-hard Pomeron)
- ➔ cross section calculation take into account interference term

$$\sigma_{\text{ine}}(s) = \int d^2b (1 - \Phi_{\text{pp}}(1, 1, s, b))$$

$$\Phi_{\text{pp}}(x^+, x^-, s, b) = \sum_{l=0}^{\infty} \int dx_1^+ dx_1^- \dots dx_l^+ dx_l^- \left\{ \frac{1}{l!} \prod_{\lambda=1}^l -G(x_\lambda^+, x_\lambda^-, s, b) \right\} \\ \times F_{\text{proj}}\left(x^+ - \sum x_\lambda^+\right) F_{\text{targ}}\left(x^- - \sum x_\lambda^-\right).$$

can not use complex diagram with energy sharing:
non linear effects taken into account as correction of single amplitude G

EPOS – high parton density effects



No effective coupling

$$A_{\text{pom}} \sim (x_1 x_2)^\beta$$

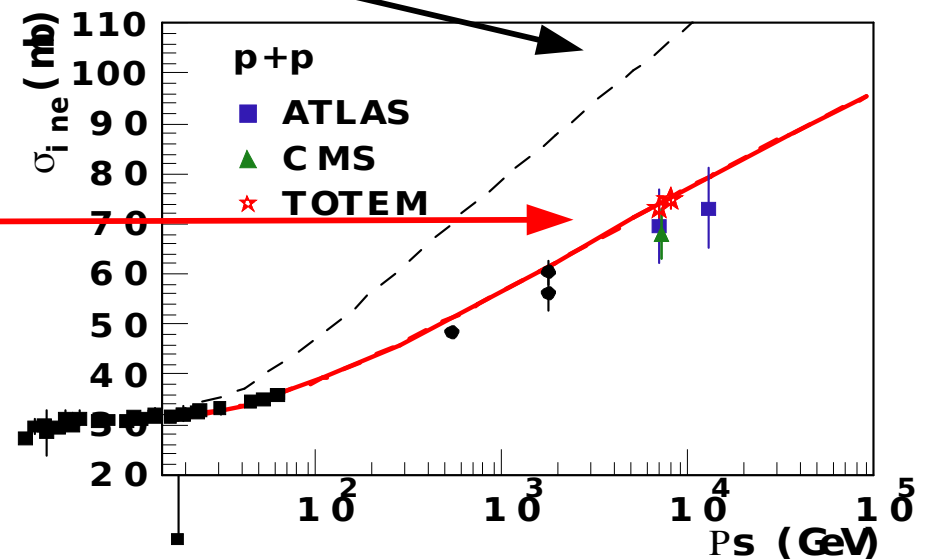
With effective coupling

$$A_{\text{pom}} \sim x_1^\beta x_2^{\beta-\varepsilon}$$

Parametrization

$$\varepsilon_S = a_S \beta_S Z(s, b)$$

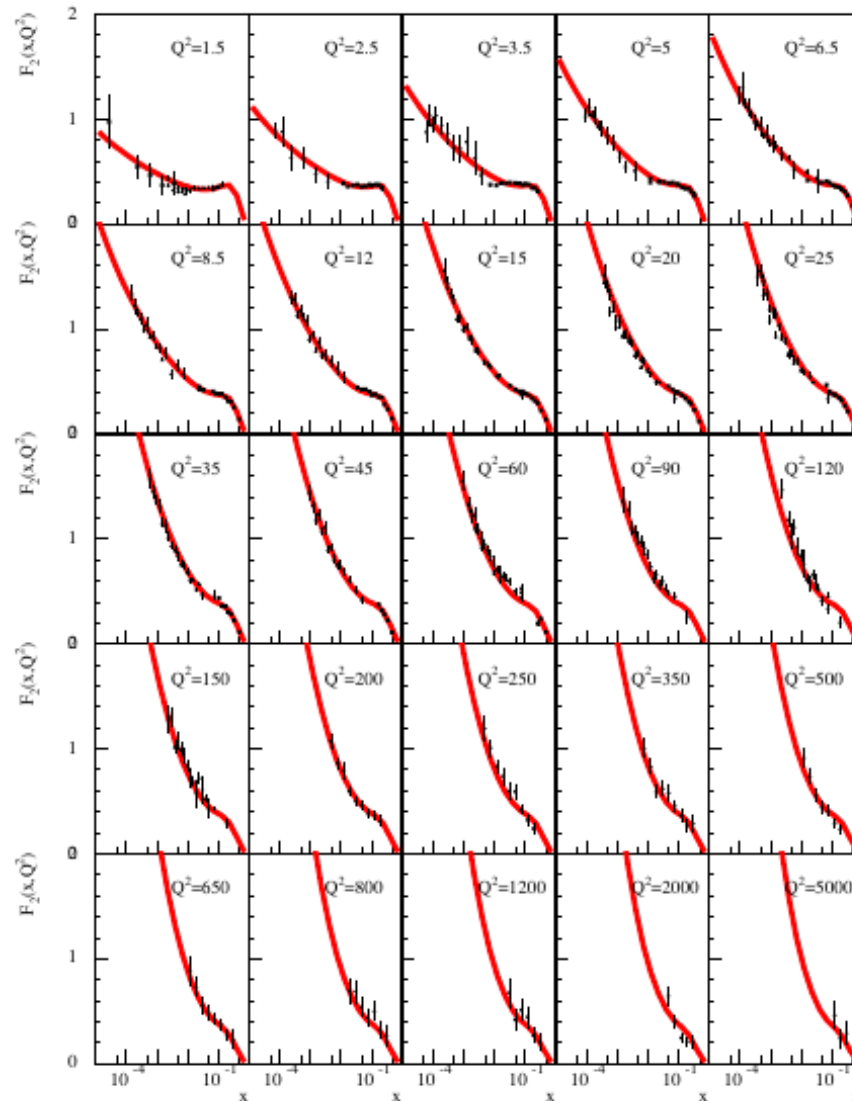
$$\varepsilon_H = a_H \beta_H Z(s, b)$$



Parton Distribution Function

PDF based and DGLAP and initial soft parametrization with saturation

EPOS 4 (Klaus Werner)



Particle Production in EPOS

m number of exchanged elementary interaction per event fixed from elastic amplitude taking into account energy sharing :

➔ m cut Pomerons from :

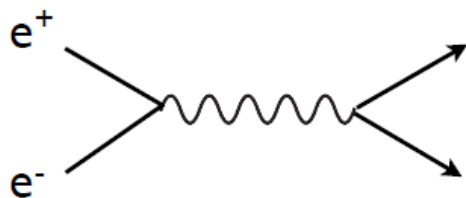
$$\Omega_{AB}^{(s,b)}(m, X^+, X^-) = \prod_{k=1}^{AB} \left\{ \frac{1}{m_k!} \prod_{\mu=1}^{m_k} G(x_{k,\mu}^+, x_{k,\mu}^-, s, b_k) \right\} \Phi_{AB}(x^{\text{proj}}, x^{\text{targ}}, s, b)$$

- m and X fixed together by a complex Metropolis (Markov chain)
- ➔ 2m strings formed from the m elementary interactions
- **energy conservation** : energy fraction of the 2m strings given by X
- ➔ consistent scheme : energy sharing reduce the probability to have large m

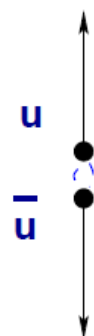
Consistent treatment of cross section and particle production:
number AND distribution of cut Pomerons depend on cross section

Simplest case: e^+e^- annihilation into quarks

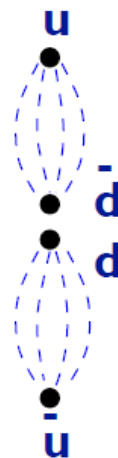
Annihilation at high energy



Quarks together are color-neutral system



color field



.....

- $u\bar{d}$
- $d\bar{u}$
- $\bar{u}u\bar{d}$
- udd
- $u\bar{s}$
- $s\bar{d}$
- $u\bar{d}$
- $q\bar{q}$
- $q\bar{q}$
- $q\bar{q}$

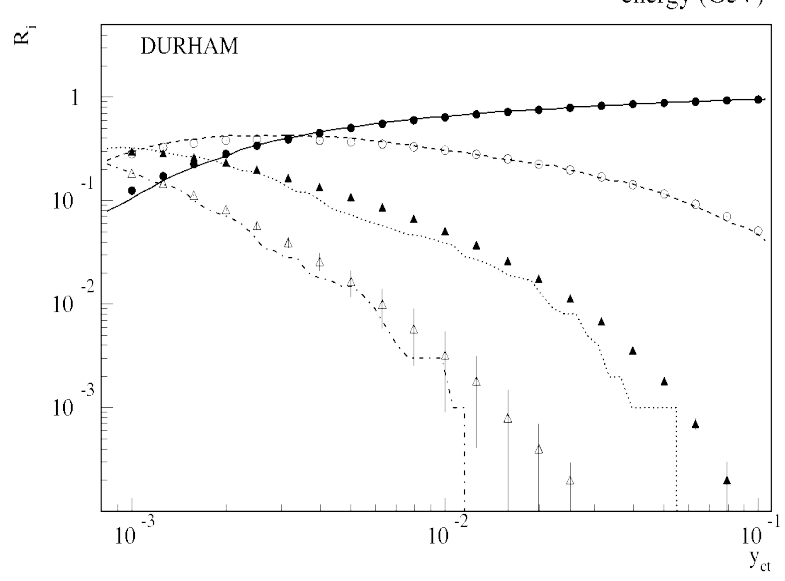
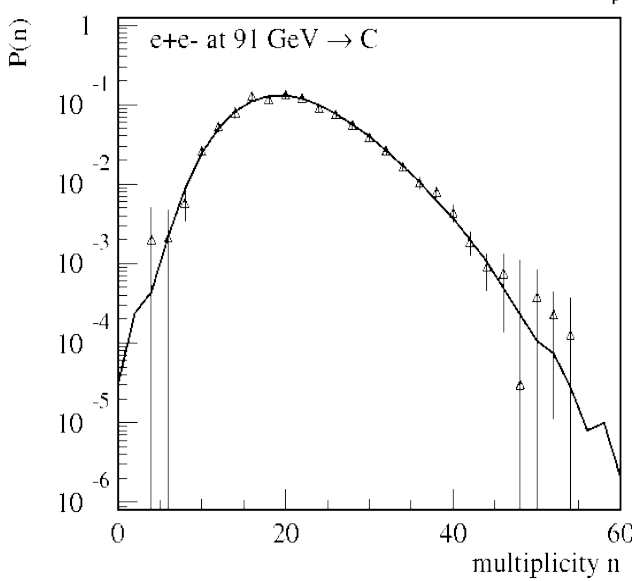
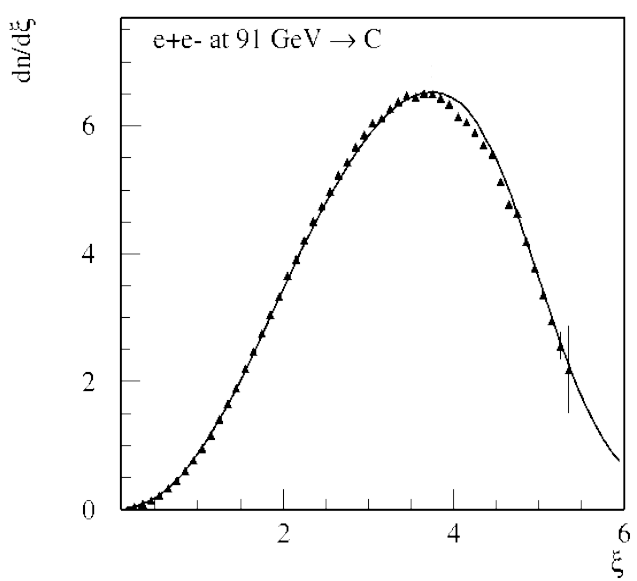
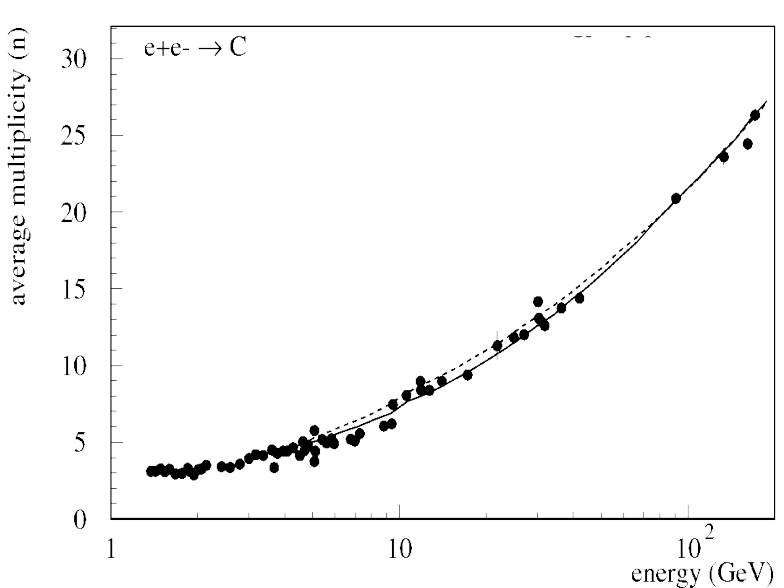
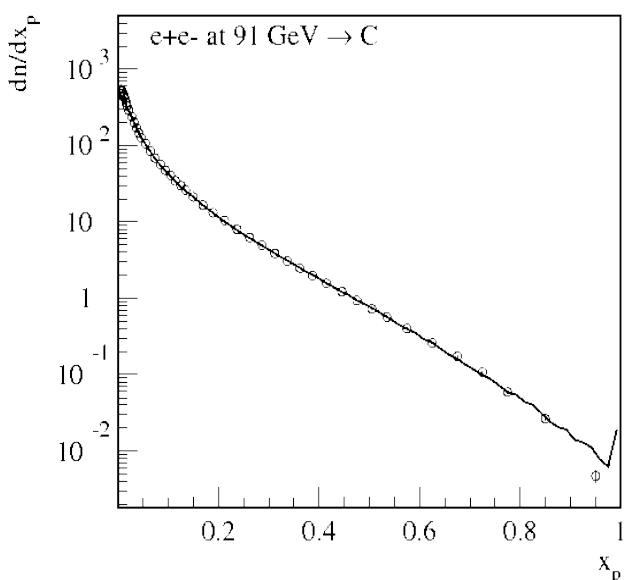
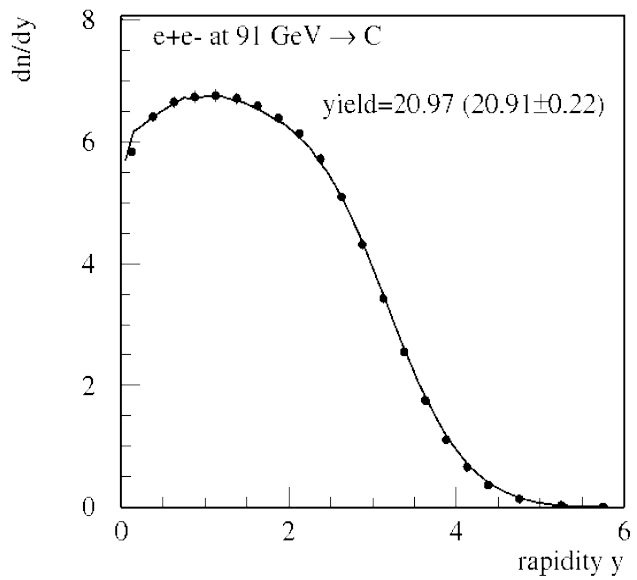
time →

Area law used in EPOS (not Lund)

Chain of hadrons

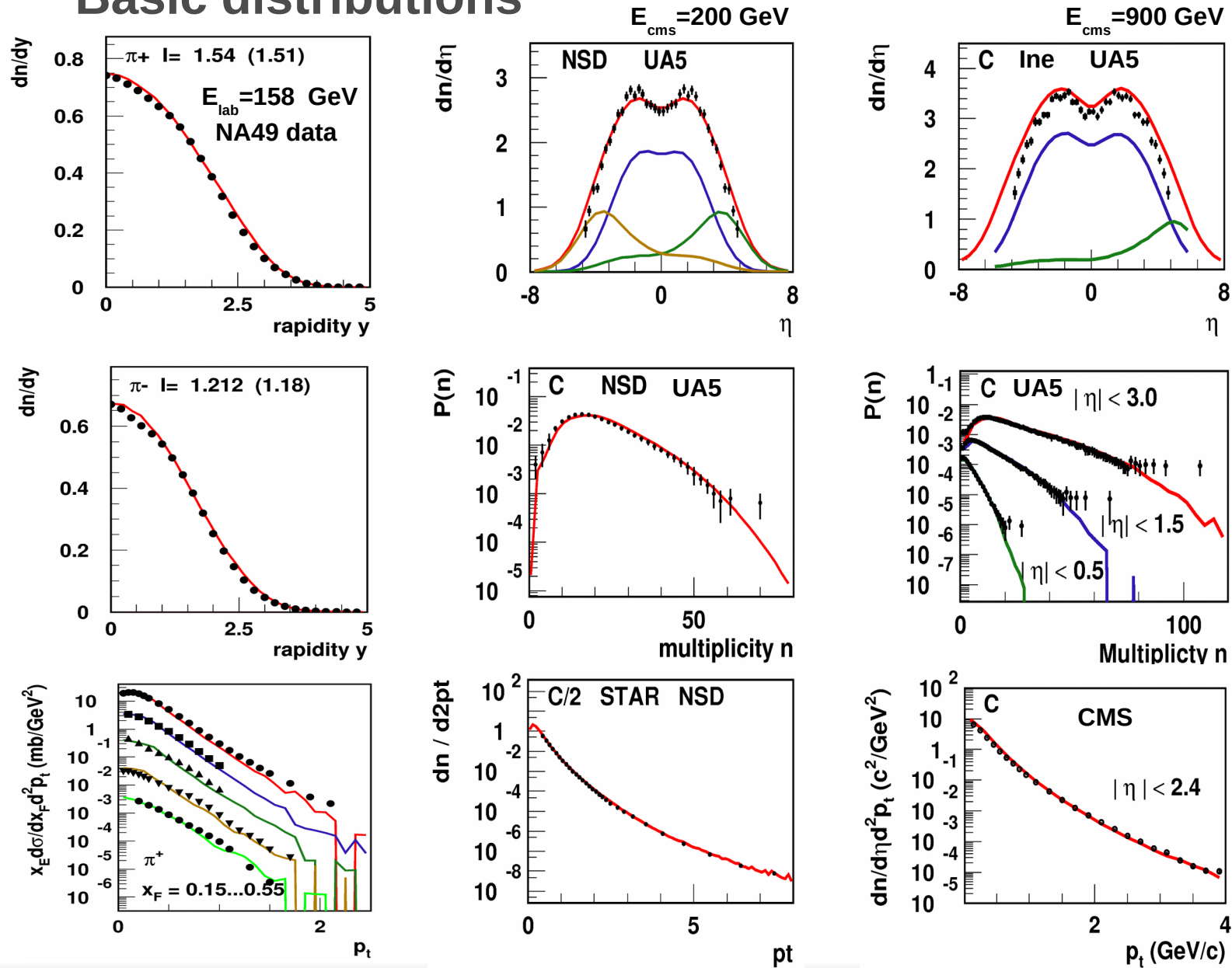
String fragmentation

Test at LEP



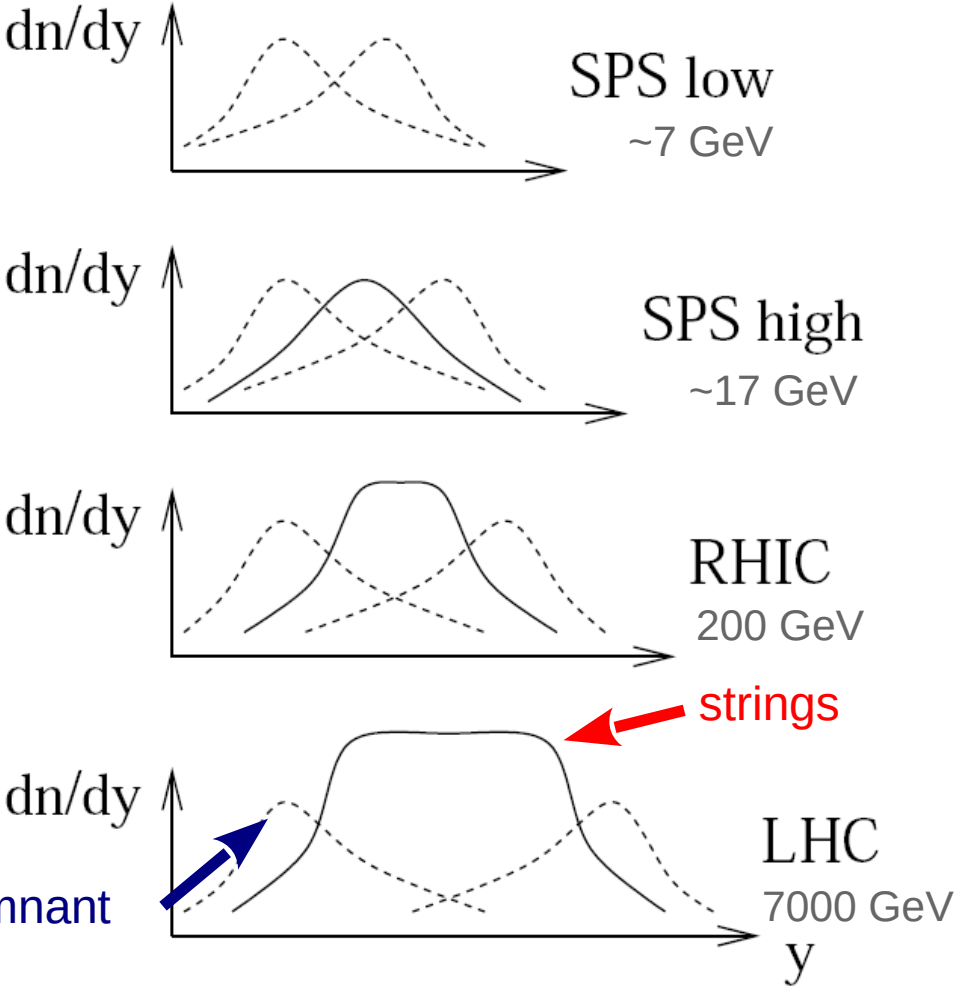
Basic Distributions

Basic distributions



Remnants

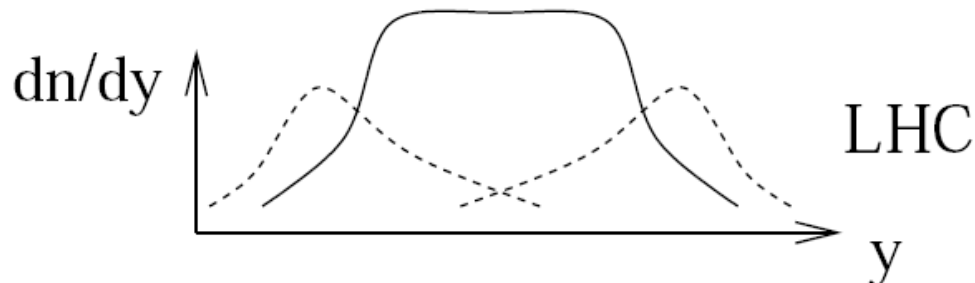
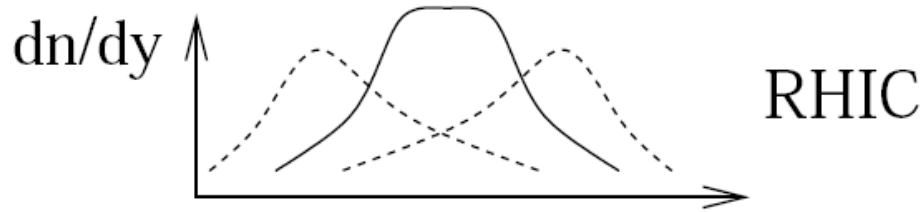
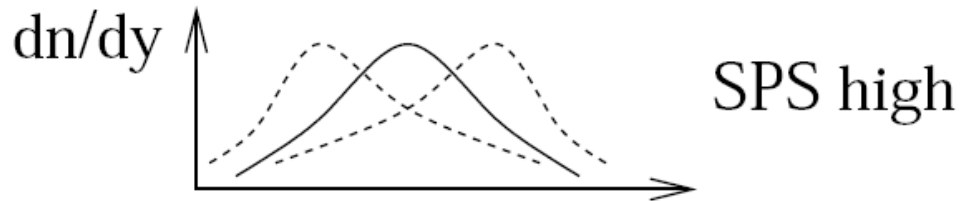
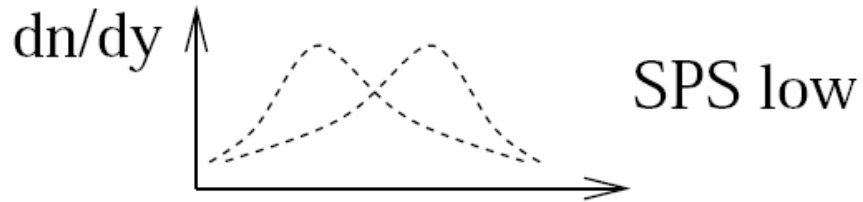
Forward particles mainly from projectile remnant



- ➔ At very low energy only particles from remnants
- ➔ At low energy (fixed target experiments) (SPS) strong mixing
- ➔ At intermediate energy (RHIC) mainly string contribution at mid-rapidity with tail of remnants.
- ➔ At high energy (LHC) only strings at mid-rapidity (baryon free)

Different contributions of particle production at different energies or rapidities

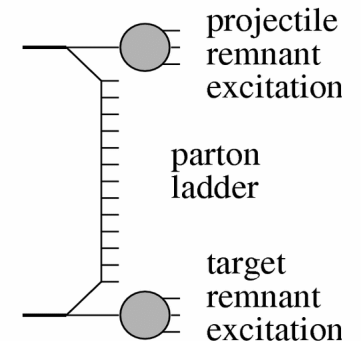
Remnants



Free remnants in EPOS:

- ➔ from both diffractive or inelastic scattering
- ➔ excited state with $P(M) \sim 1/(M^2)^\alpha$
- ➔ dominant contribution at low energy
- ➔ forward region at high energy
- ➔ depending on quark content and mass (excitation):

- resonance
- string
- droplet (if $\#q > 3$)
- string+droplet



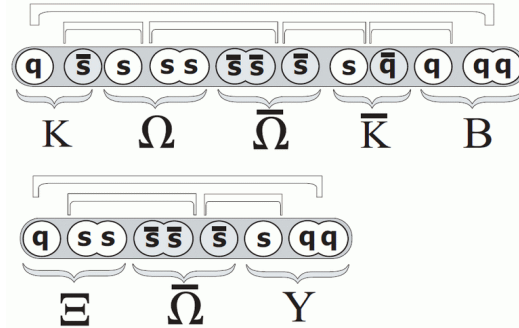
Baryons and Remnants

Parton ladder string ends :

➔ Problem of multi-strange baryons at low energy (Bleicher et al., Phys.Rev.Lett.88:202501,2002)

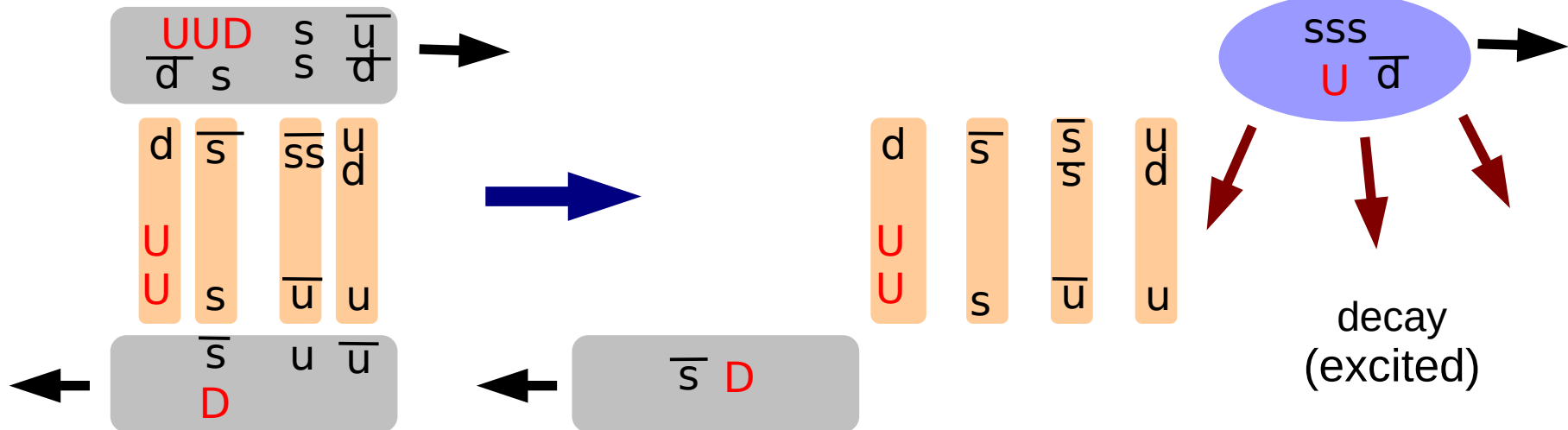
◆ 2 strings approach :

- ➔ $\bar{\Omega} / \Omega$ always > 1
- ➔ But data < 1 (Na49)



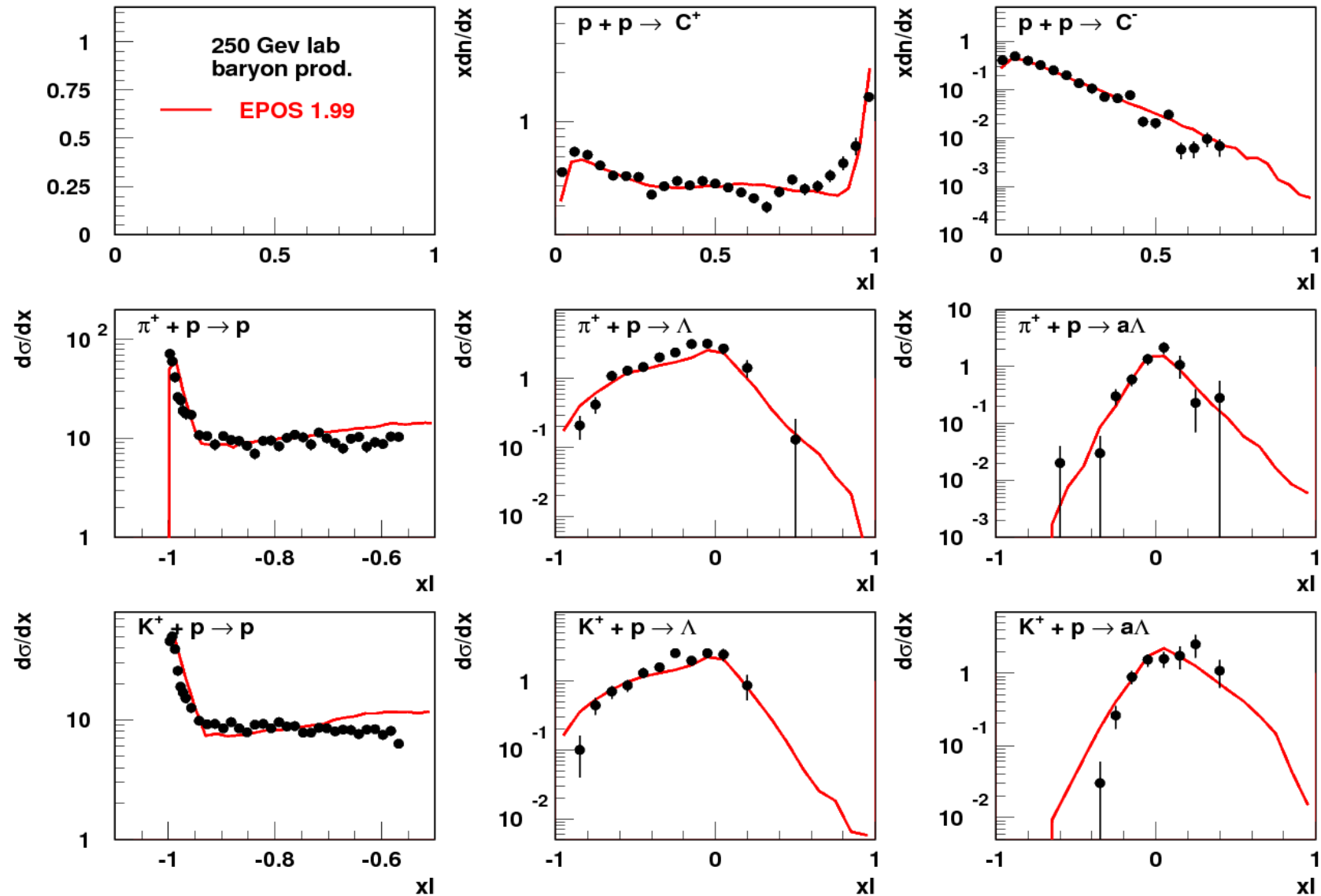
➔ EPOS

- ◆ No “first string” with valence quarks : all strings equivalent
- ◆ Wide range of excited remnants (from light resonances to heavy quark-bag)
 - ➔ $\bar{\Omega} / \Omega$ always < 1



Baryon Production

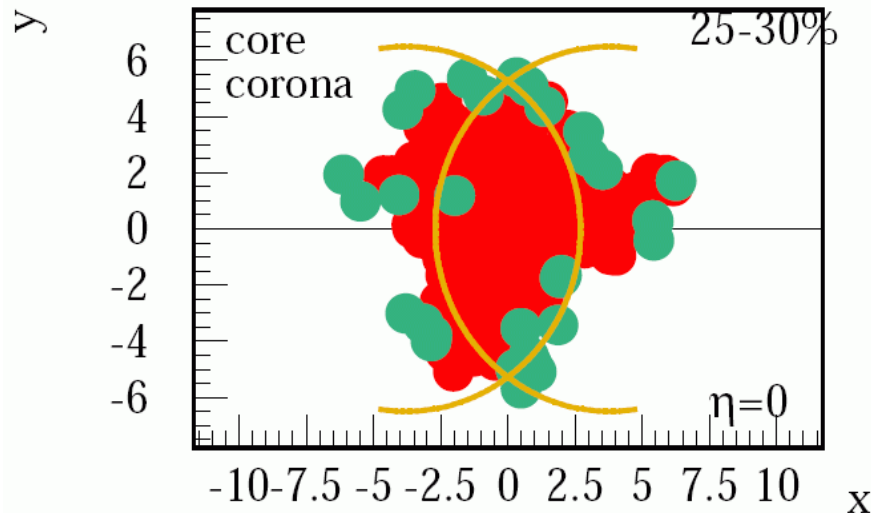
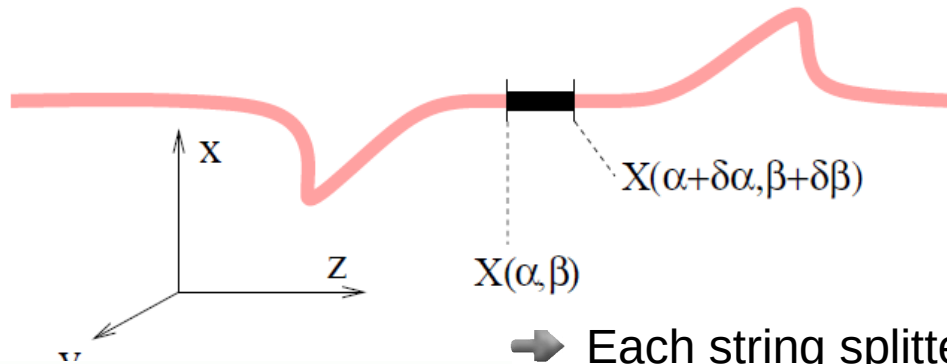
Baryon production for fixed target exp.



High Density Core Formation

Heavy ion collisions or very high energy proton-proton scattering:

- ➔ the usual procedure has to be modified, since the density of strings will be so high that they cannot possibly decay independently : **core**



- ➔ Each string splitted into a sequence of string segments, corresponding to widths $\delta\alpha$ and $\delta\beta$ in the string parameter space
- ➔ If energy density from segments high enough
 - ◆ segments fused into core
 - ➔ flow from hydro-evolution
 - ➔ statistical hadronization
- ➔ If low density (corona)
 - ◆ segments remain hadrons

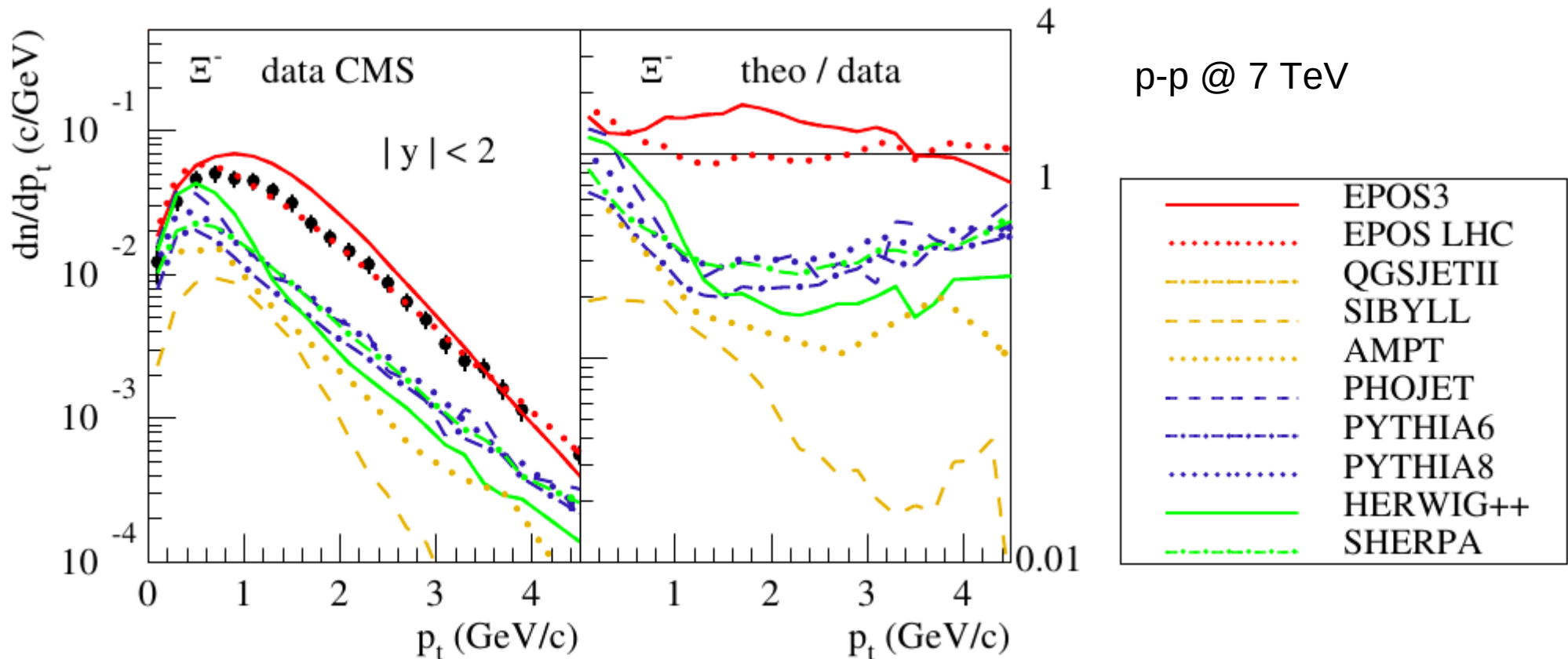
Core in p-p

Detailed description can be achieved with core in pp

➔ identified spectra: different strangeness between string (low) and stat. decay (high)

➔ p_t behavior driven by collective effects (statistical hadronization + flow)

➔ larger effect for multi-strange baryons (yield AND $\langle p_t \rangle$)



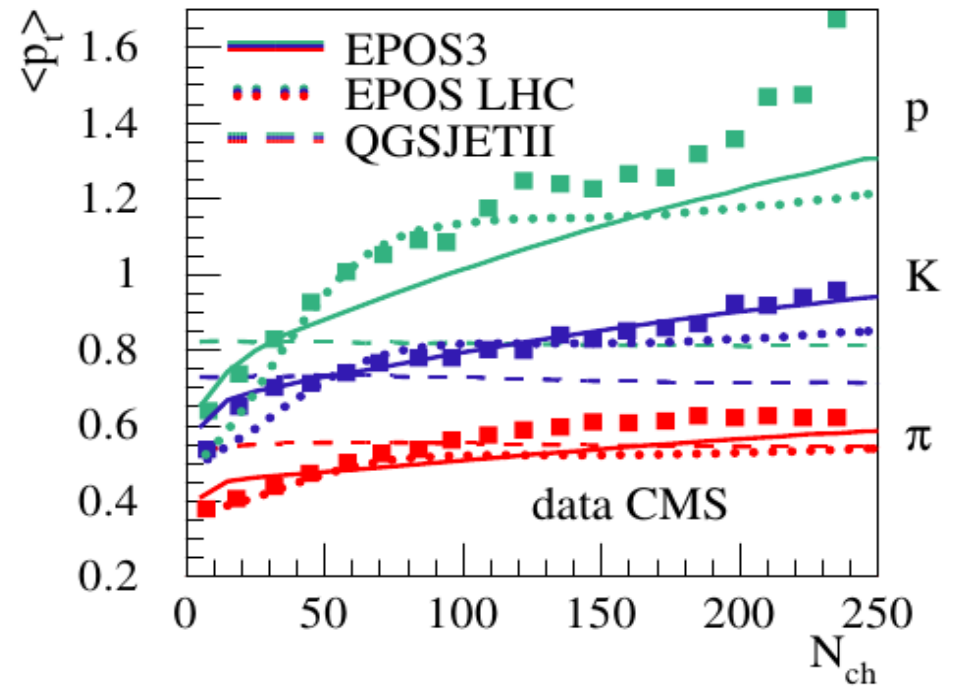
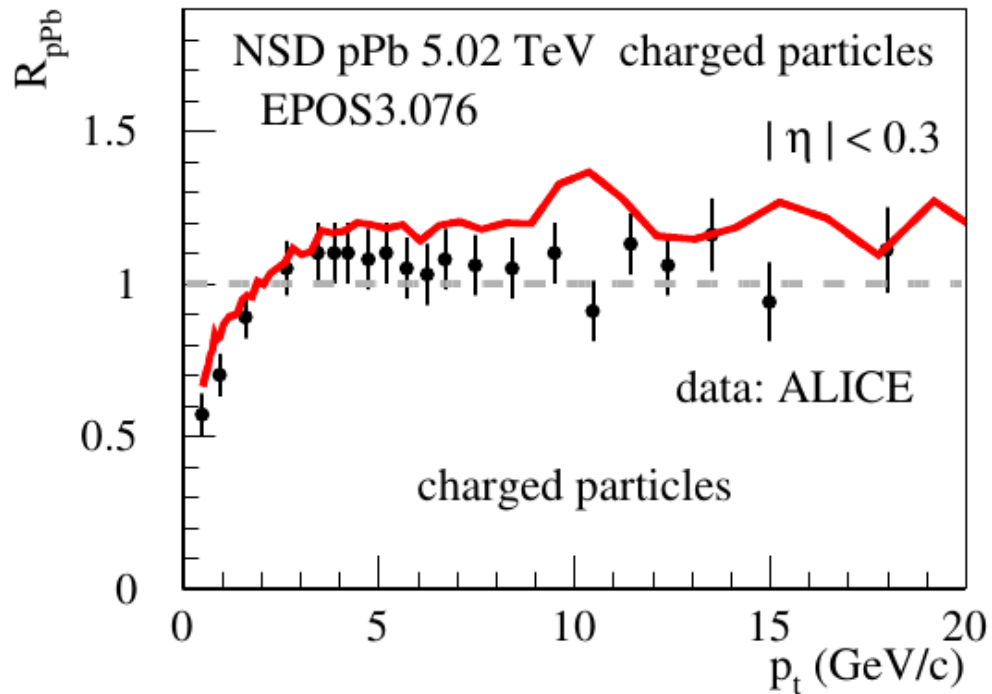
EPOS 3

Use saturation scale to have a Q^2 dependent screening

→ restore binary scaling for high p_t

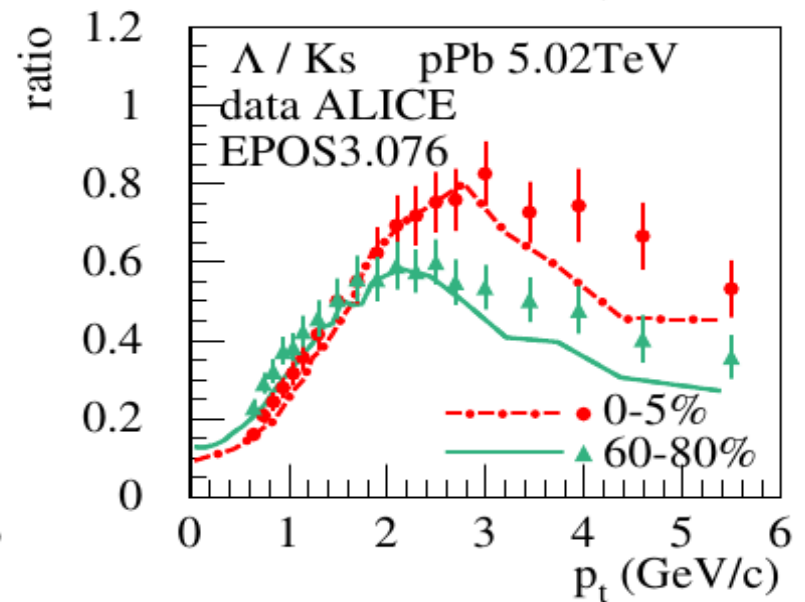
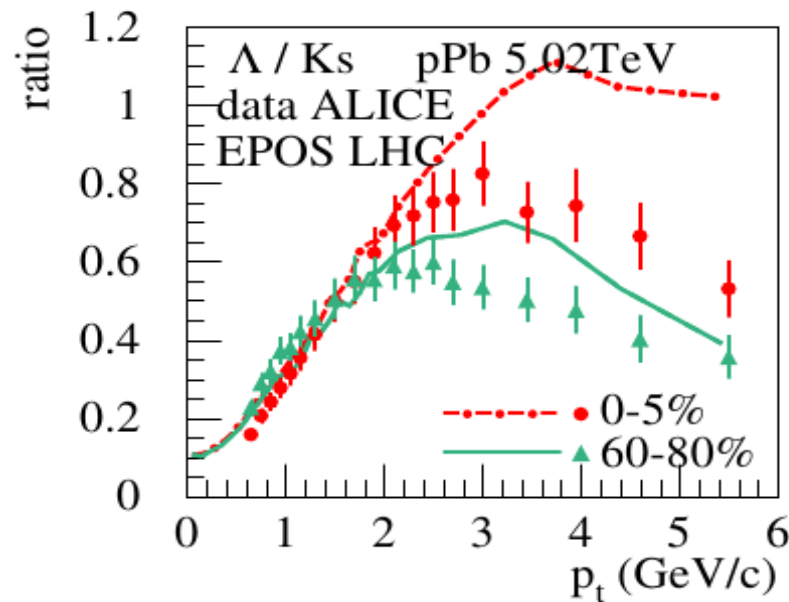
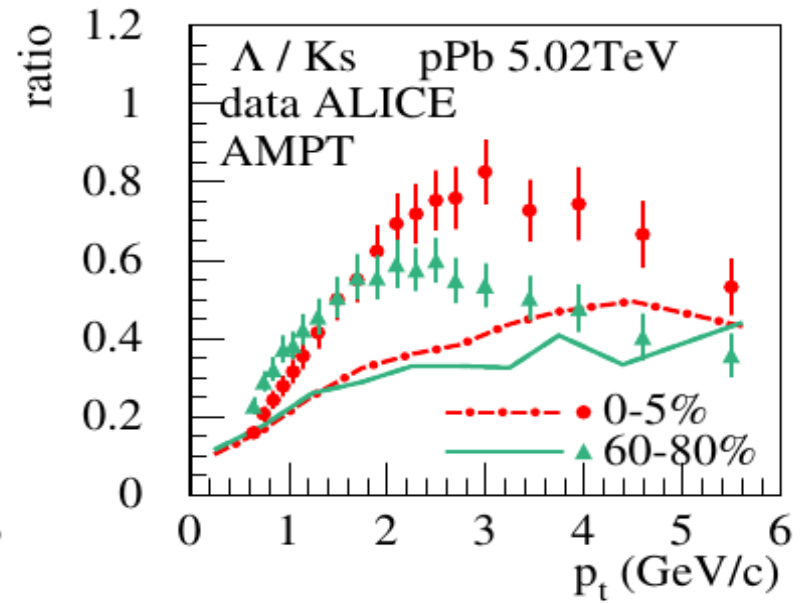
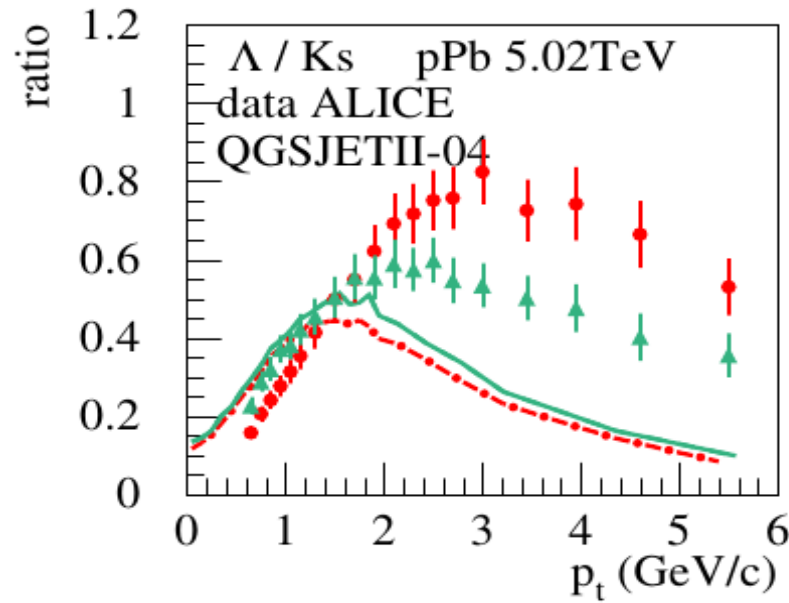
→ intermediate p_t due to flow based on real hydro simulations

→ mass splitting

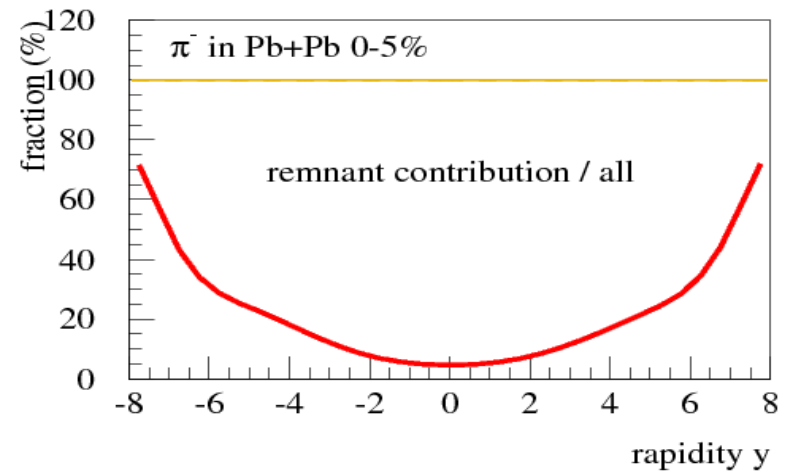
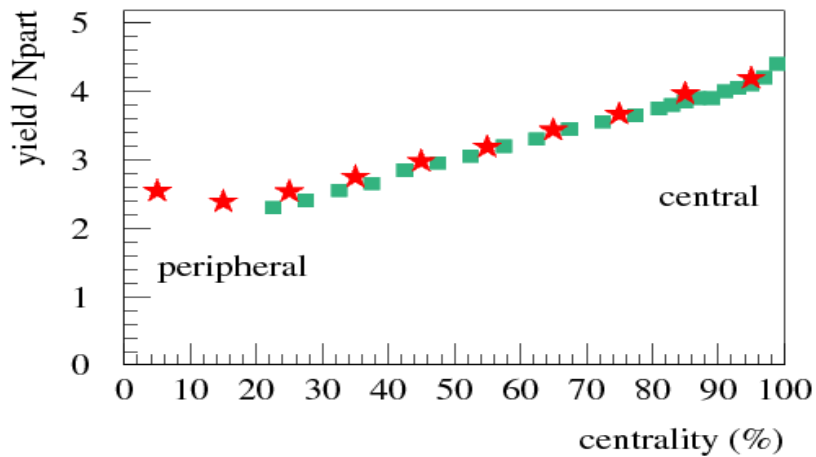
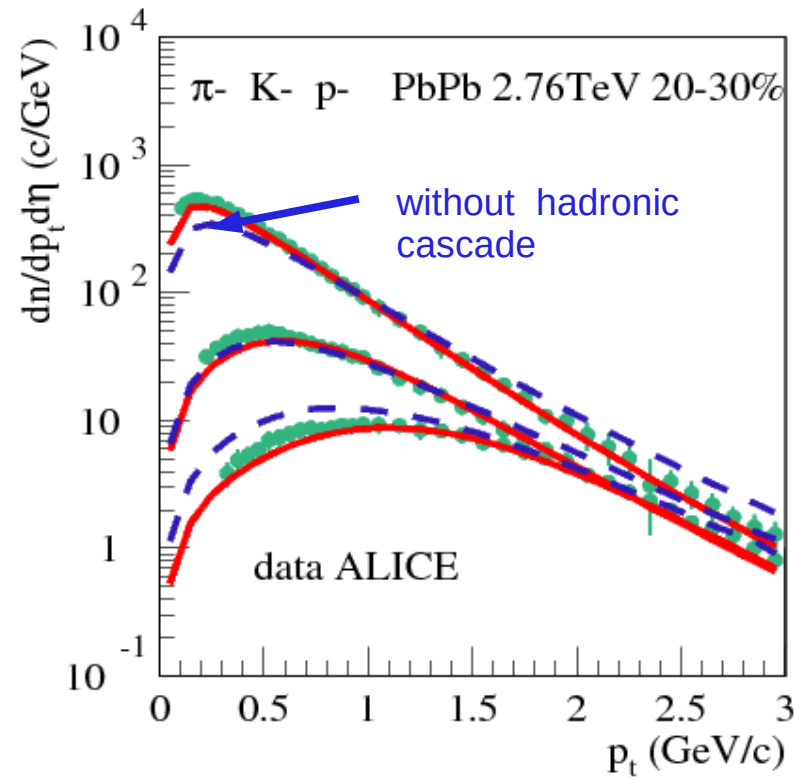
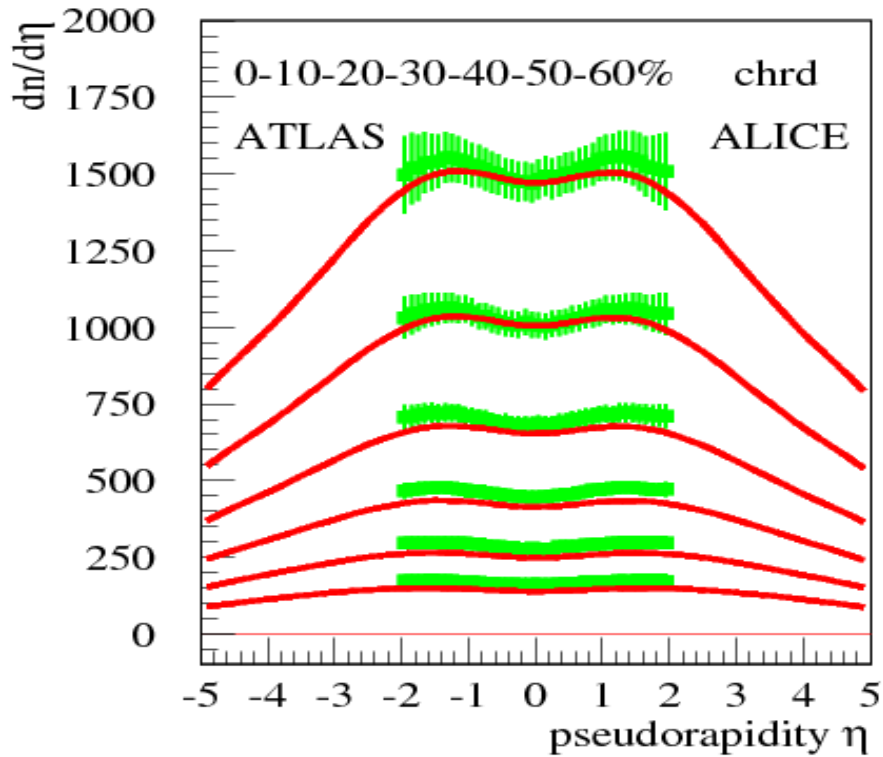


Real 3D Hydro

Particle ratio characteristic of collective flow effect.

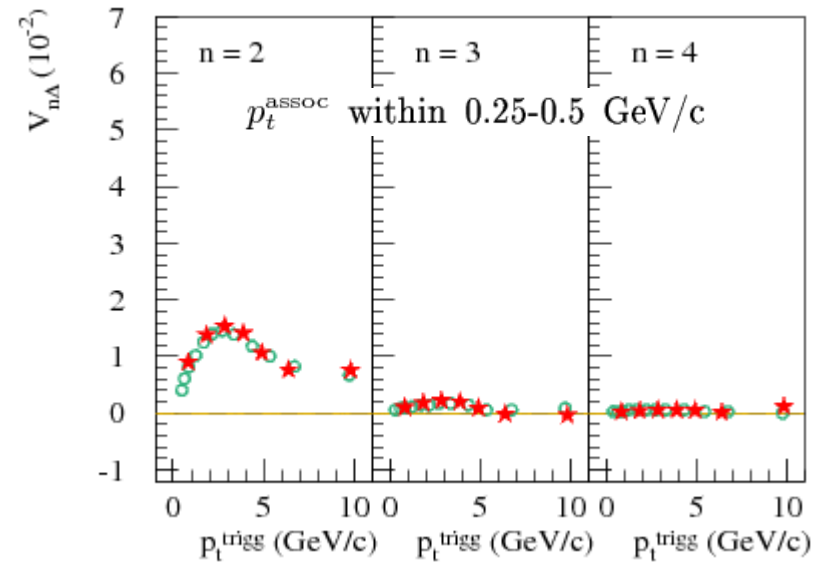
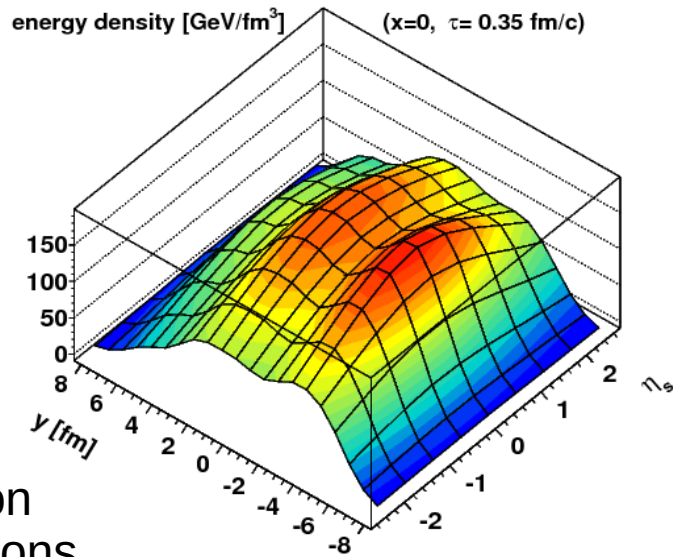


PbPb @ LHC

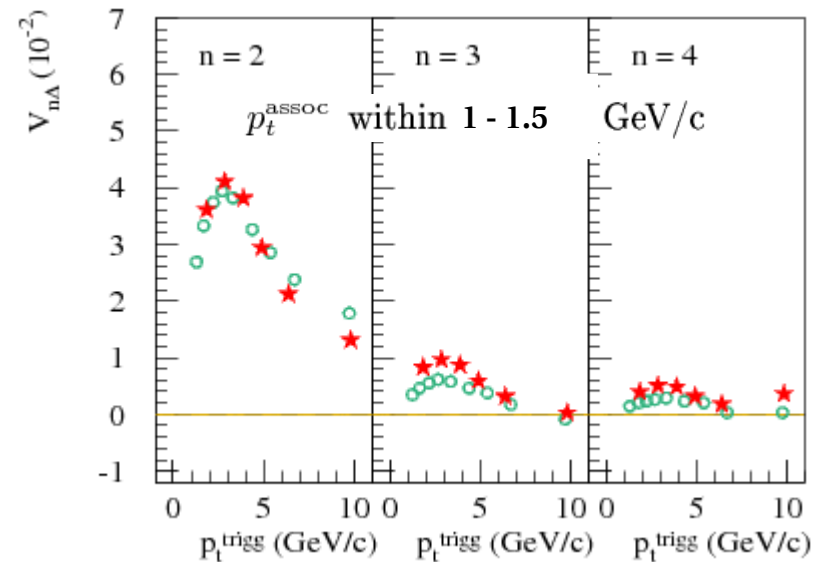
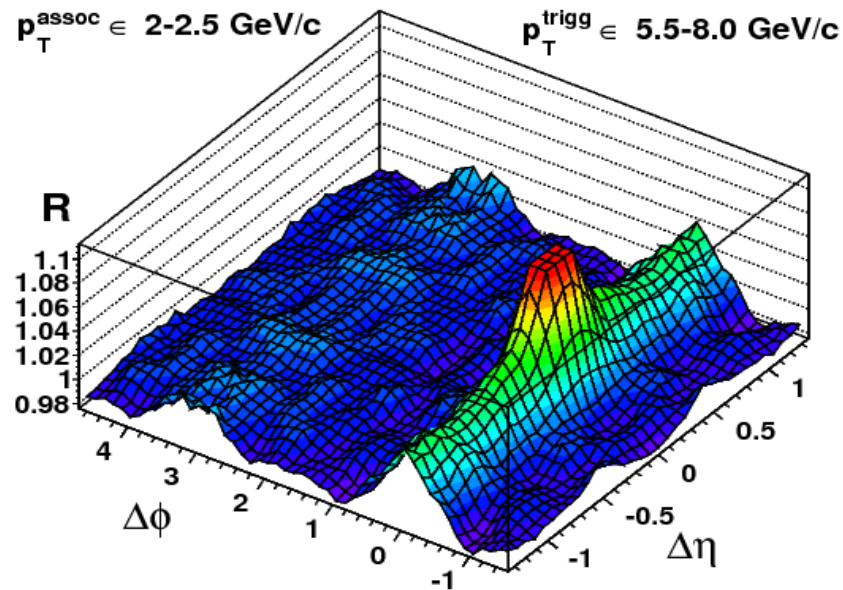


Correlations in PbPb@LHC

Fourier coefficient for most central events



di-hadron correlations



Collective effects

- ➔ One decade of RHIC experiments (heavy ion, pp, and dAu scattering, up to 200 GeV)

heavy ion collisions produce matter which expands as an almost ideal fluid

- ➔ mainly because azimuthal anisotropies can be explained on the basis of ideal hydrodynamics (mass splitting etc)

LHC pp results: first signs for collective behavior as well ...

Approach (1)

- **pp@LHC treated as Heavy Ion:**

- ➔ Multiple scattering approach EPOS (marriage of pQCD and Gribov-Regge) :

- ◆ initial condition for a hydrodynamic evolution if the energy density is high enough

- ➔ event-by-event procedure

- ◆ taking into the account the irregular space structure of single events :
 - ➔ ridge structures in two-particle correlations

- ➔ core-corona separation :

- only a part of the matter thermalizes;

- ➔ 3+1 D hydro evolution

- conservation of baryon number, strangeness, and electric charge

Approach (2)

- **pp@LHC treated as Heavy Ion:**

- parton-hadron transition

- ◆ realistic equation-of-state, compatible with lattice gauge results
- ◆ cross-over transition from the hadronic to the plasma phase

- hadronization,

- ◆ Cooper-Frye, using complete hadron table
- ◆ at an early stage (166 MeV, in the transition region)
- ◆ with subsequent hadronic cascade procedure (UrQMD)

- **details see:**

- arXiv:1004.0805, arXiv:1010.0400, arXiv:1011.0375 (ridge in pp)
arXiv:1203.5704 (jet-bulk interaction)

Energy Density

- Initial conditions at proper time $\tau = \tau_0$

→ Energy tensor :

$$T^{\mu\nu}(x) = \sum_i \frac{\delta p_i^\mu \delta p_i^\nu}{\delta p_i^0} g(x - x_i), \quad \delta p = \left\{ \frac{\partial X(\alpha, \beta)}{\partial \beta} \delta \alpha + \frac{\partial X(\alpha, \beta)}{\partial \alpha} \delta \beta \right\}$$

→ Flavor flow :

$$N_q^\mu(x) = \sum_i \frac{\delta p_i^\mu}{\delta p_i^0} q_i g(x - x_i), \quad q \in \{u, d, s\}$$

- Evolution according to the equations of ideal hydrodynamics:

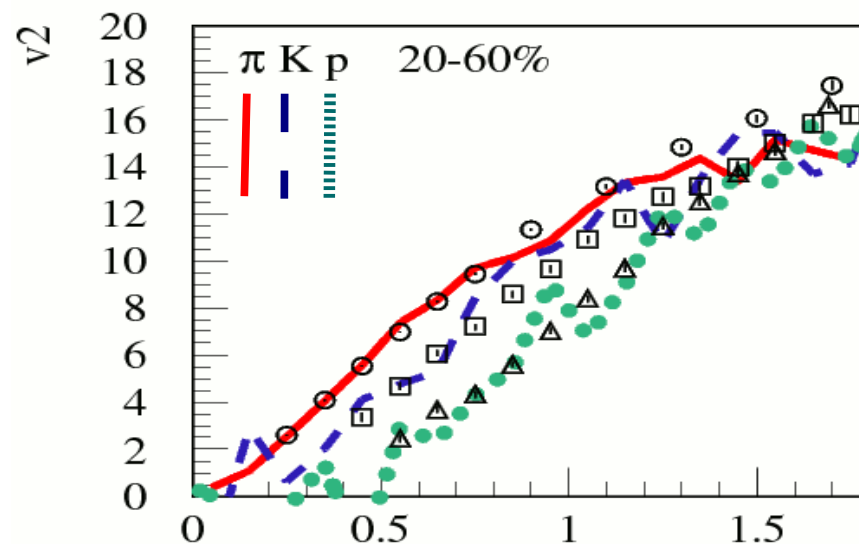
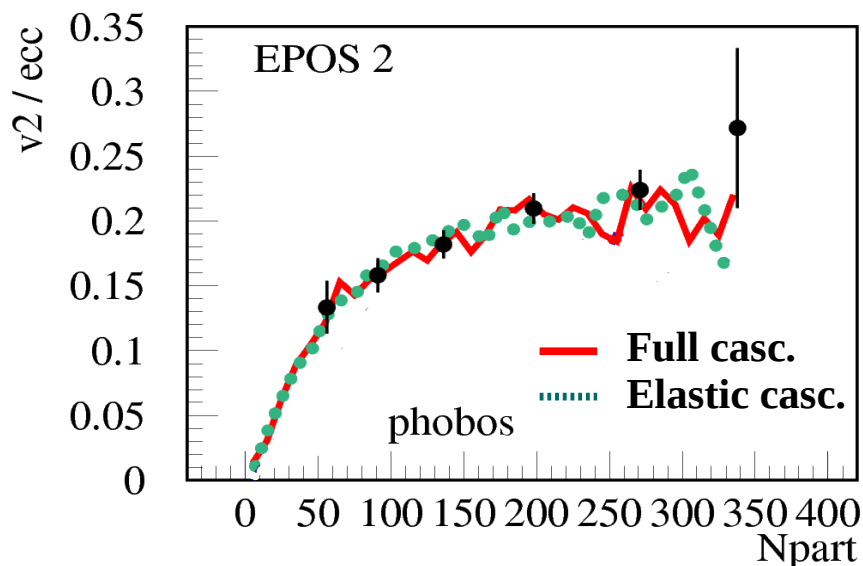
$$\partial_\mu T^{\mu\nu} = 0, \quad \text{using } T^{\mu\nu} = (\epsilon + p) u^\mu u^\nu - p g^{\mu\nu}$$

$$\partial N_k^\mu = 0, \quad N_k^\mu = n_k u^\mu,$$

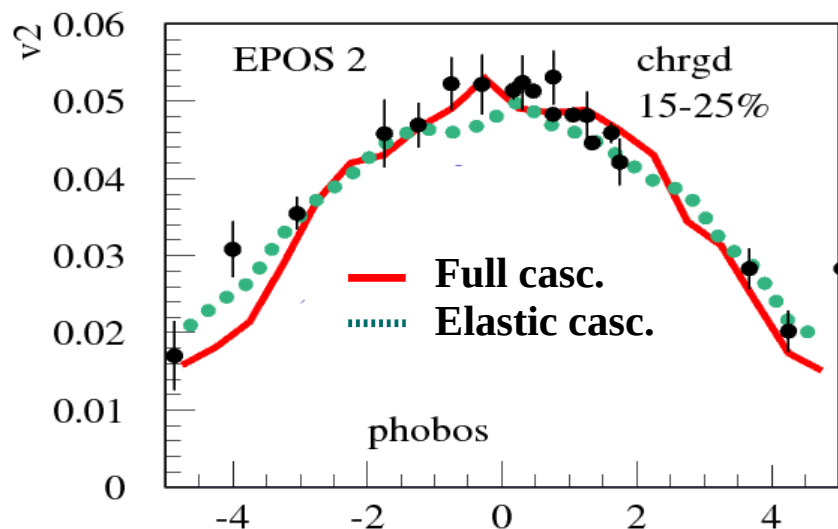
with $k = B, S, Q$ referring to respectively baryon number, strangeness, and electric charge.

Check with Heavy Ions : AuAu@RHIC

➔ Early freeze-out (166MeV) + hadr. cascade



Important role of core-corona effect (K. Werner et al. J.Phys.G36:064030,2009) P_t



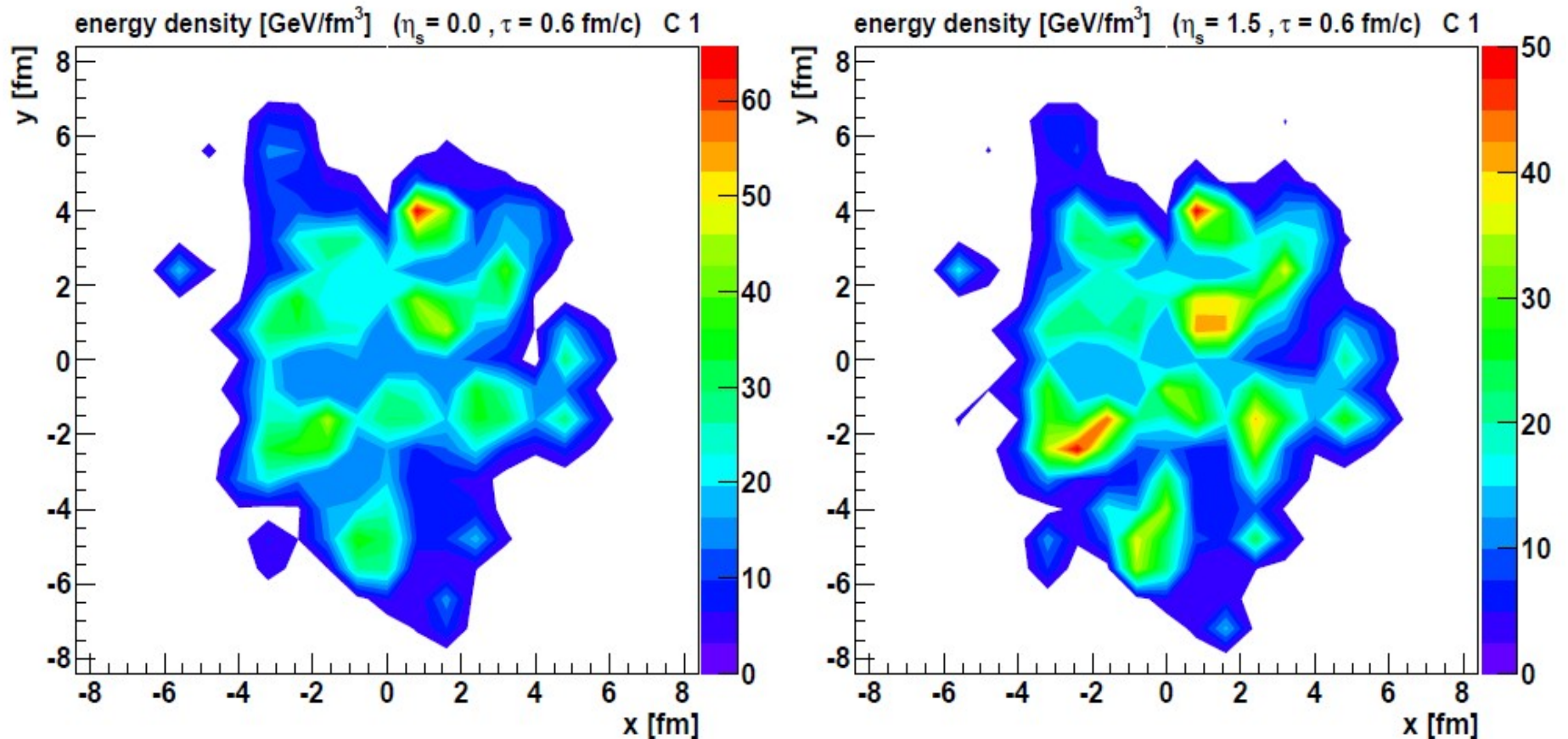
● After checking successfully hundreds of particle spectra in AuAu

➔ Event-by-event analysis

Event-by-Event Energy Density : AuAu

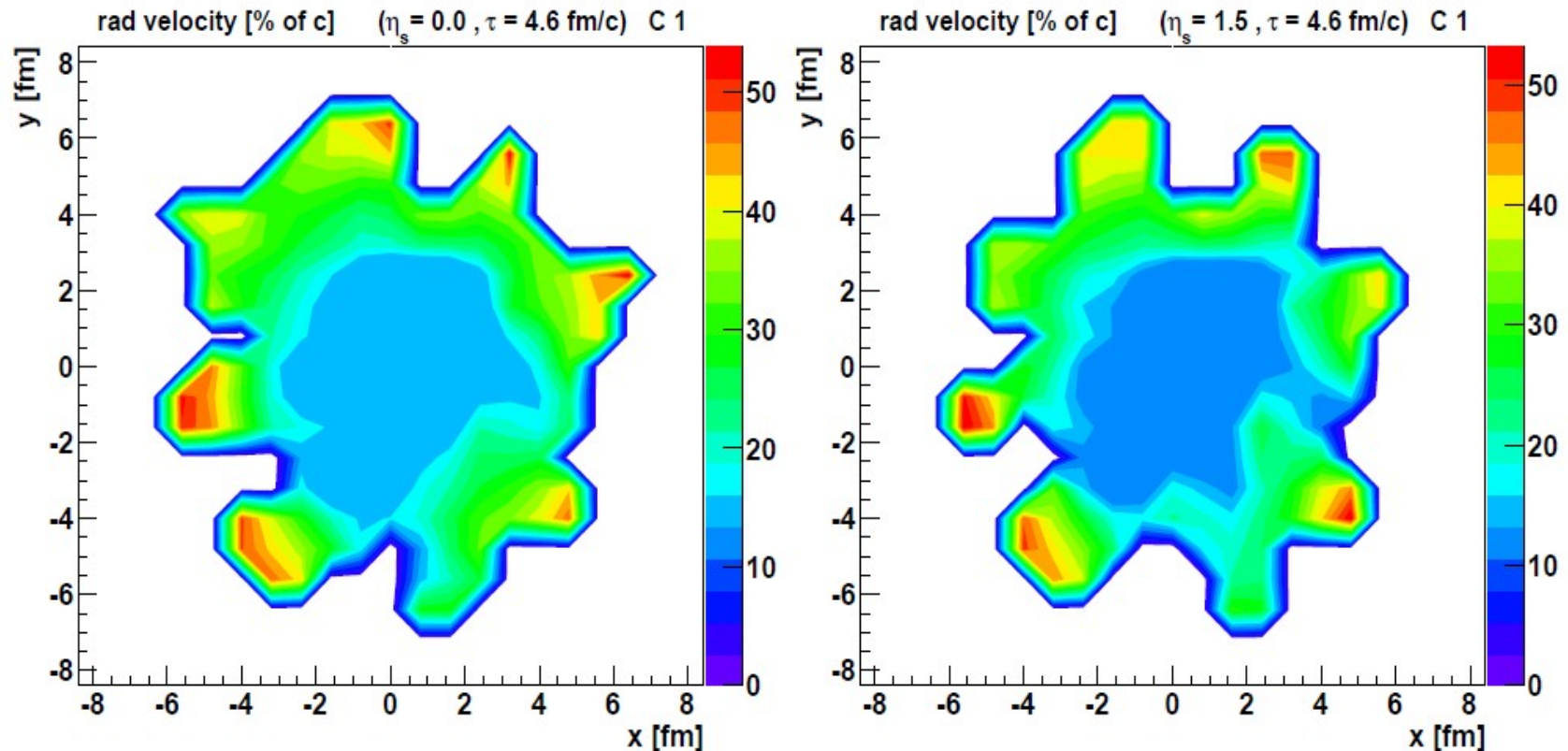
➔ Bumpy structure of energy density in transverse plane, but translational invariance

● pseudorapidity extension of flux tubes



Event-by-Event Radial Flow : AuAu

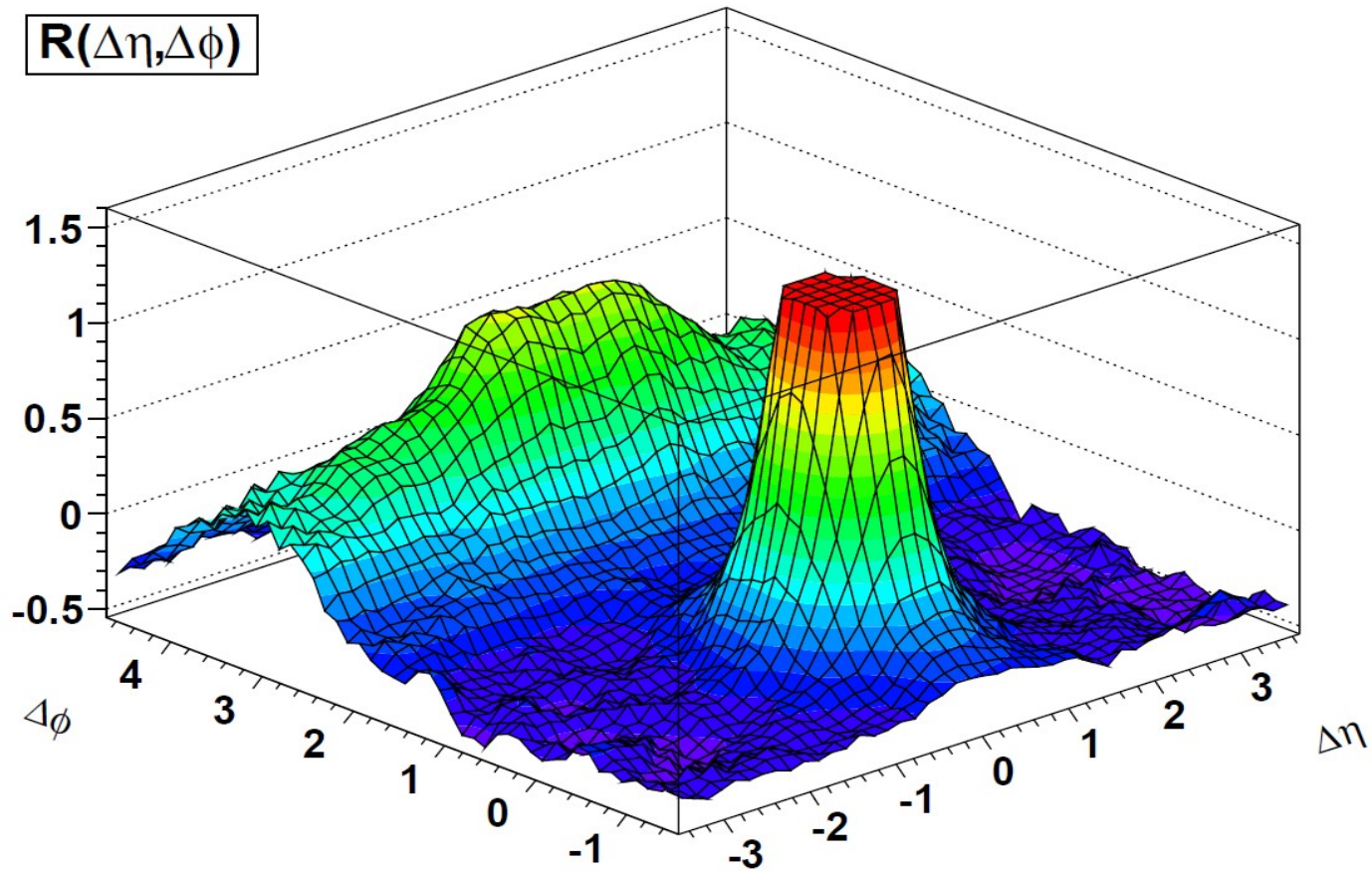
- Leads to translational invariance of transverse flows



- ➔ give the same collective push to particles produced at different values of η_s at the same azimuthal angle

pp@7 TeV : no Hydro

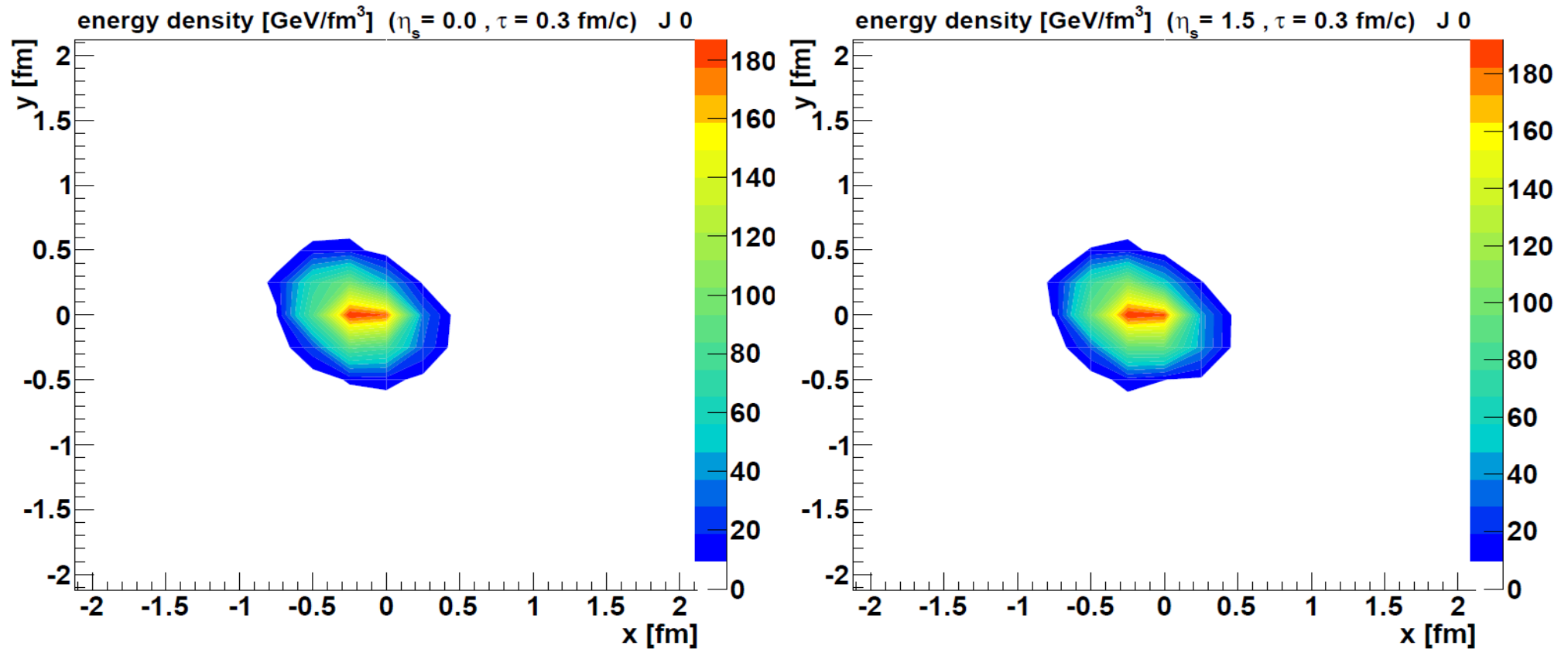
→ Calculation without hydro => **NO RIDGE**



hydrodynamical evolution “makes” the effect! **HOW?**

Event-by-Event Energy Density : pp

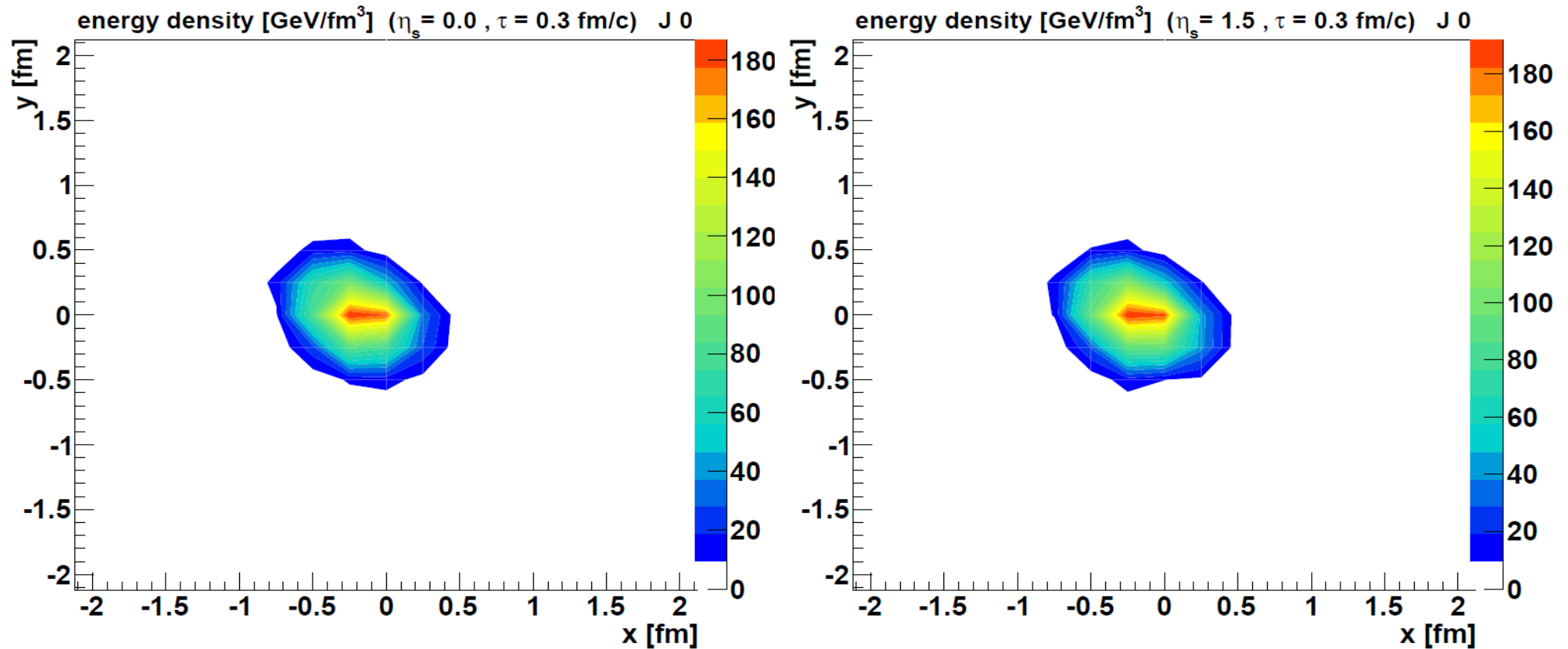
- ➔ Random azimuthal asymmetries of initial energy density but translationally invariant
- pseudorapidity extension of flux tubes



Initial energy density in the transverse plane for two different η_s

Event-by-Event Energy Density : pp

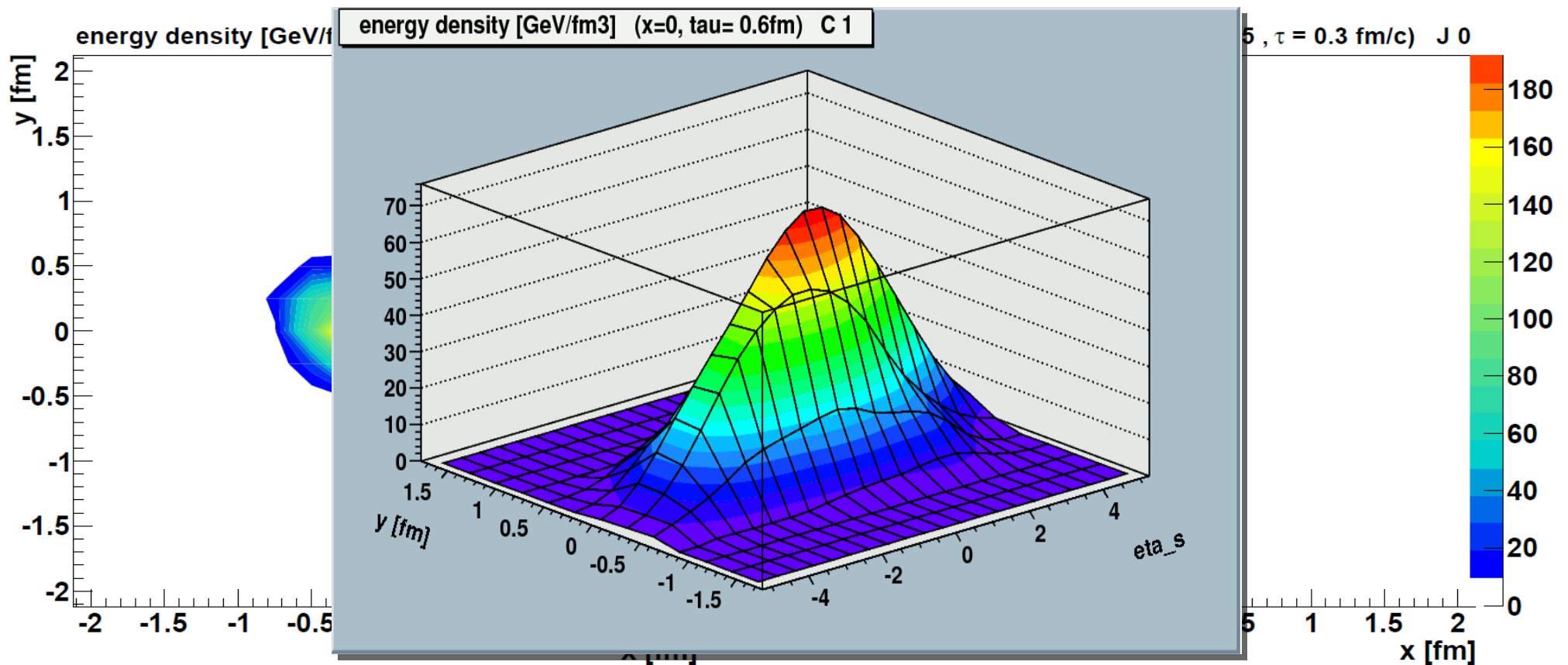
- ➔ Random azimuthal asymmetries of initial energy density but translationally invariant
- pseudorapidity extension of flux tubes



Initial energy density in the transverse plane for two different η_s

Event-by-Event Energy Density : pp

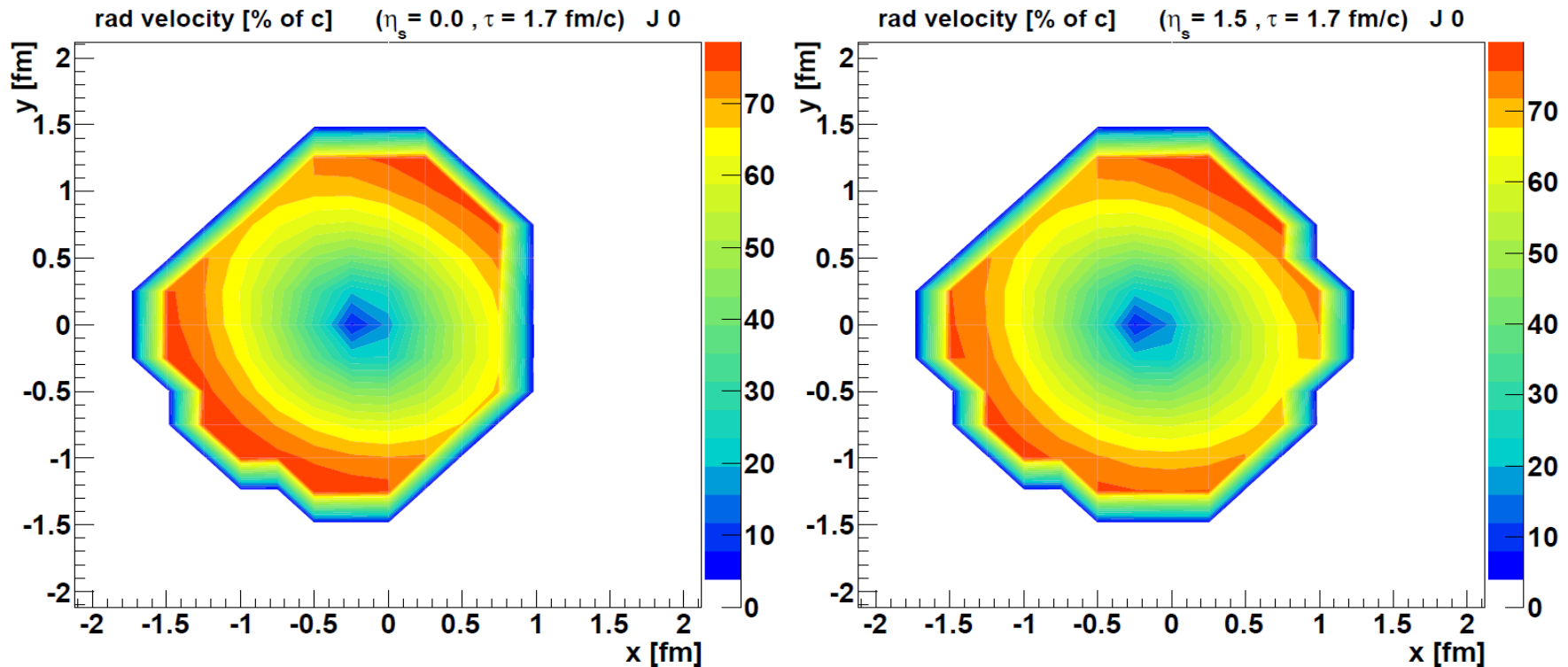
- ➔ Random azimuthal asymmetries of initial energy density but translationally invariant
- pseudorapidity extension of flux tubes



Initial energy density in the transverse plane for two different η_s

Event-by-Event Radial Flow : pp

- Elliptical initial shapes leads to asymmetric flows as well translationally invariant (in η_s)



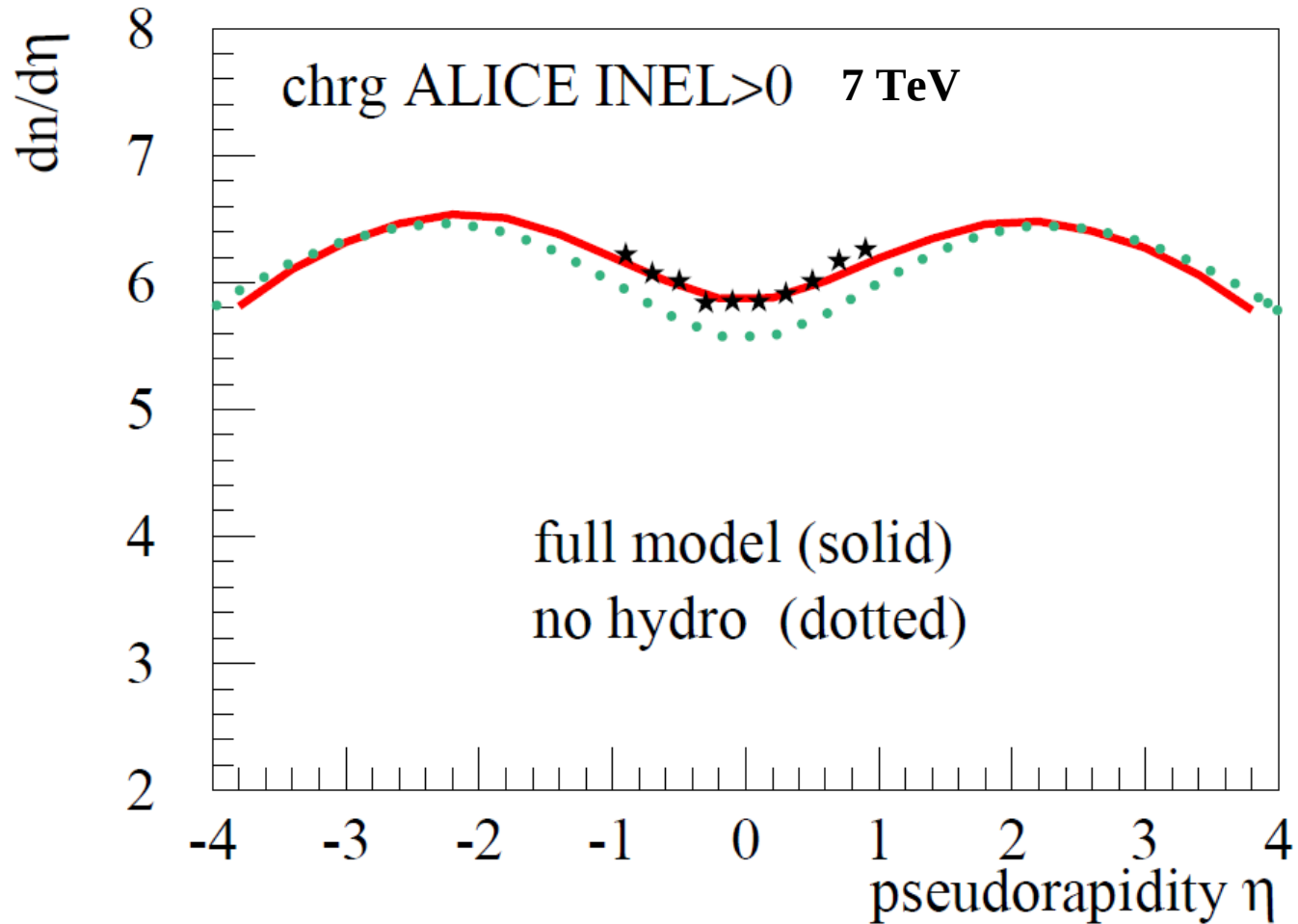
Radial flow velocity at a later time in the transverse plane

Summary Ridge in pp

- **Translational invariance of the flow asymmetry means:**
 - ➔ The system gives an increased collective push
 - ➔ to particles produced at different values of η_s
 - ➔ at the same azimuthal angle corresponding to a flow maximum
 - ➔ $\Delta\eta\Delta\phi$ correlation

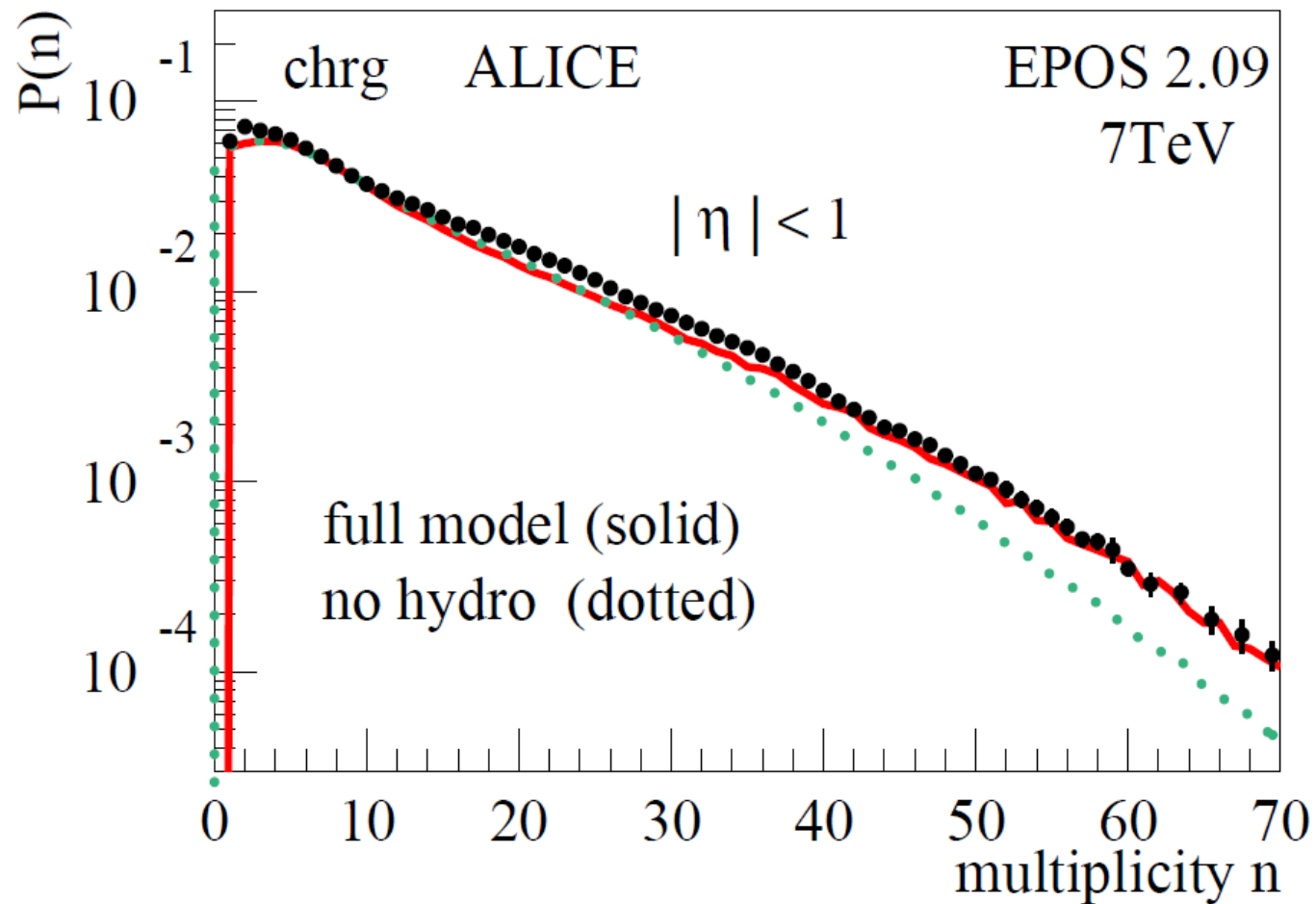
Pseudorapidity Distribution

➔ Little effect of hydro in MinBias dn/deta



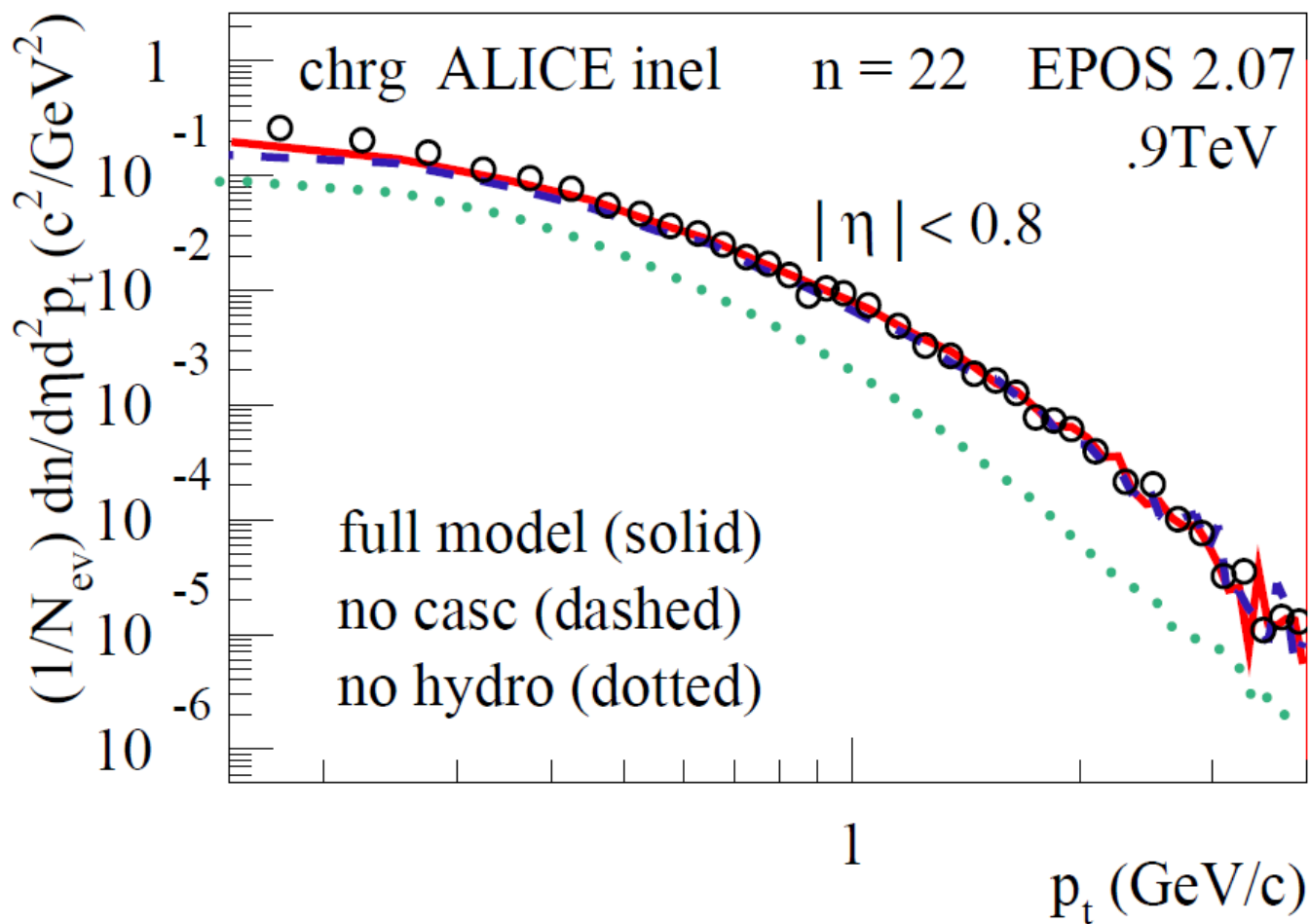
Multiplicity Distribution

➔ Little effect of hydro in MinBias dn/deta



Pt Distribution

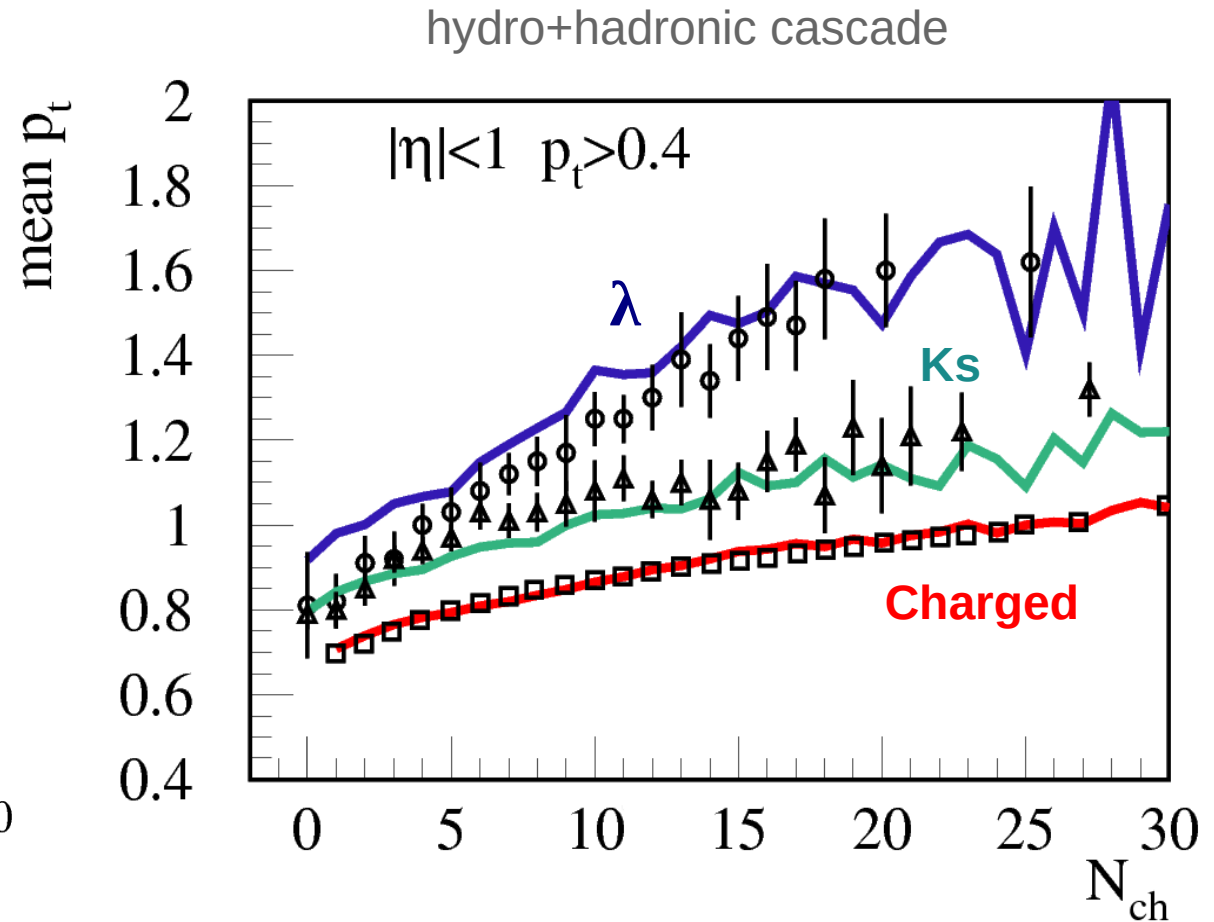
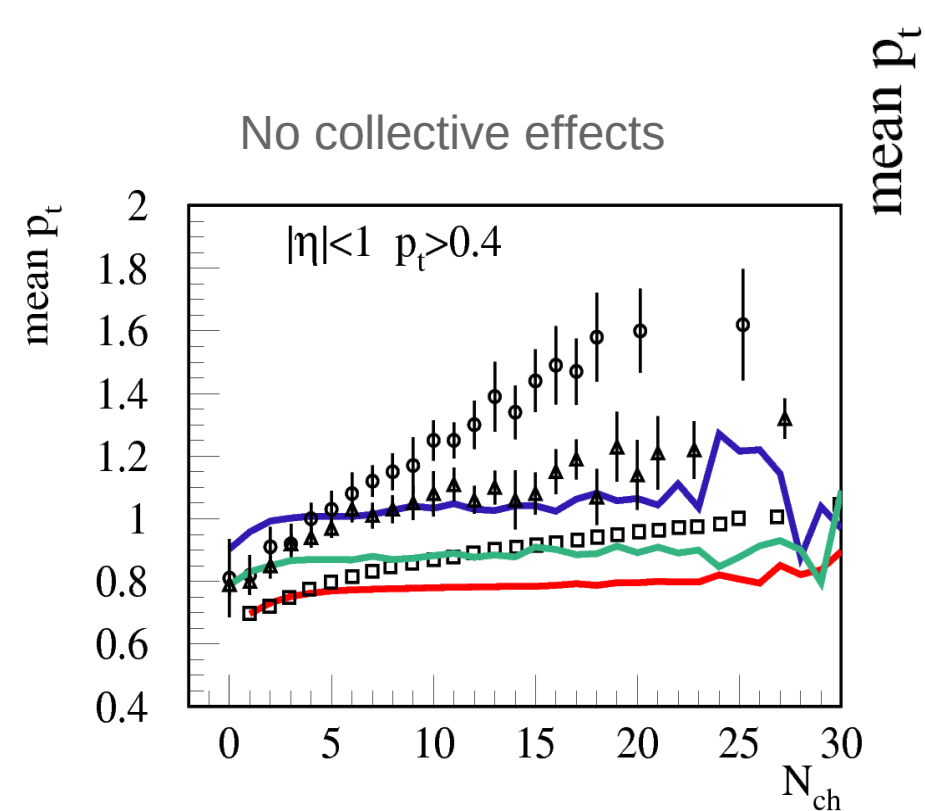
➔ Big effect for Pt distributions for high multiplicity events (here 900 GeV)



$\langle p_t \rangle$ vs multiplicity ap-p@1.8 TeV : EPOS 2

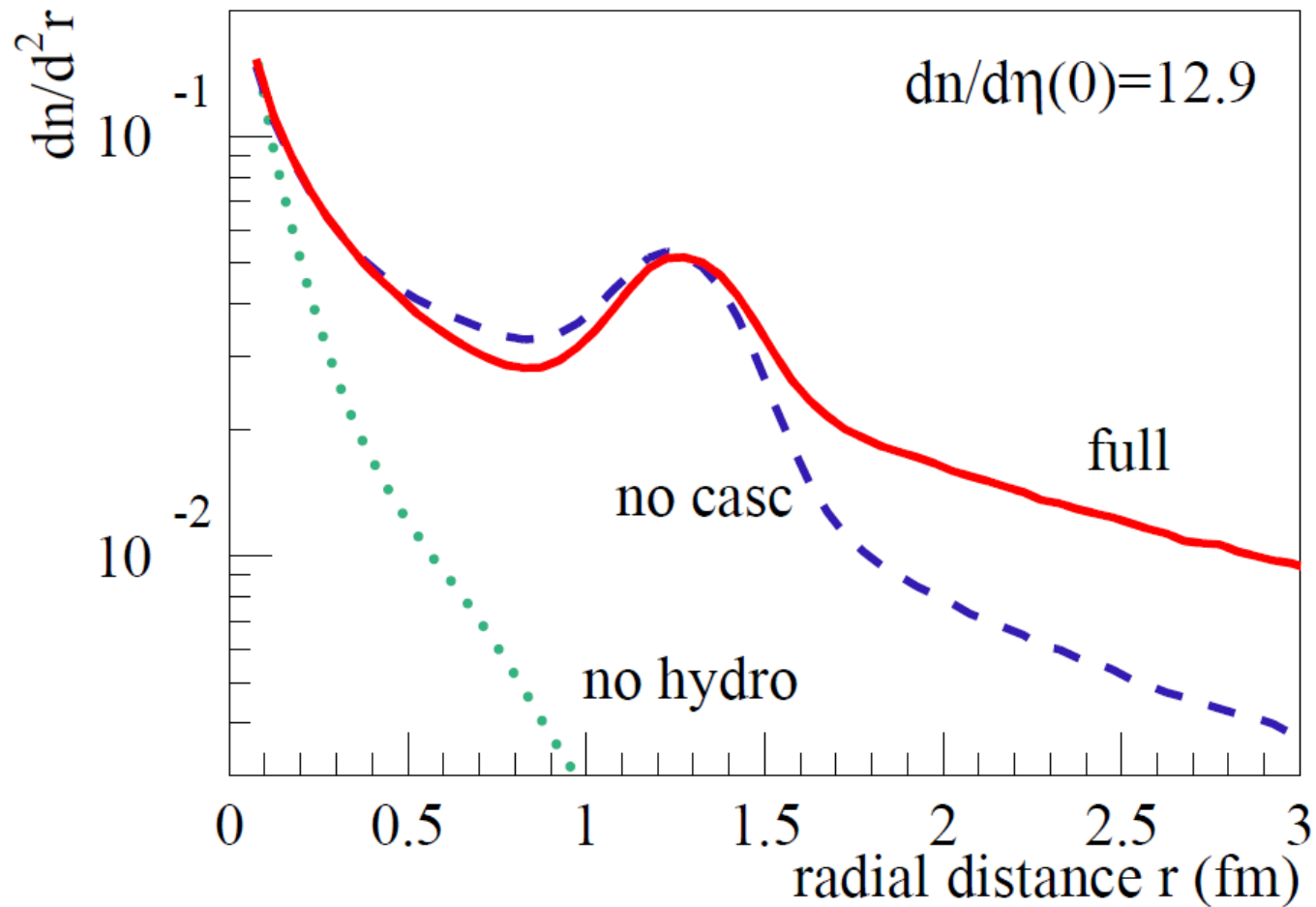
● Using small flux tube size

- ➔ Very good description of CDF data
- ➔ No additional parameter
- ➔ Hadron mass dependence



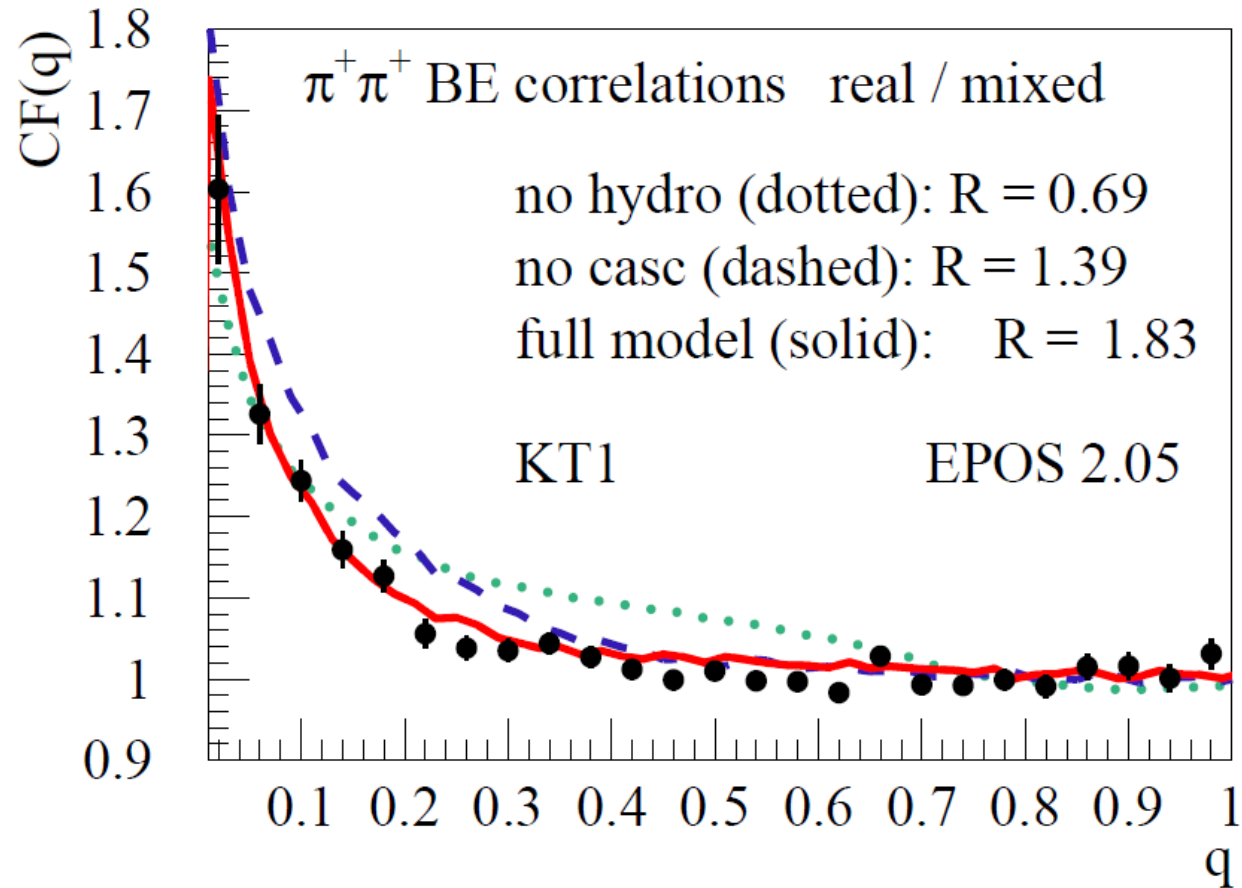
Radius of Particle Emission

→ Space-time structure strongly affected (here 900 GeV)



Bose-Einstein Correlations

➔ Consequences for Bose-Einstein correlations

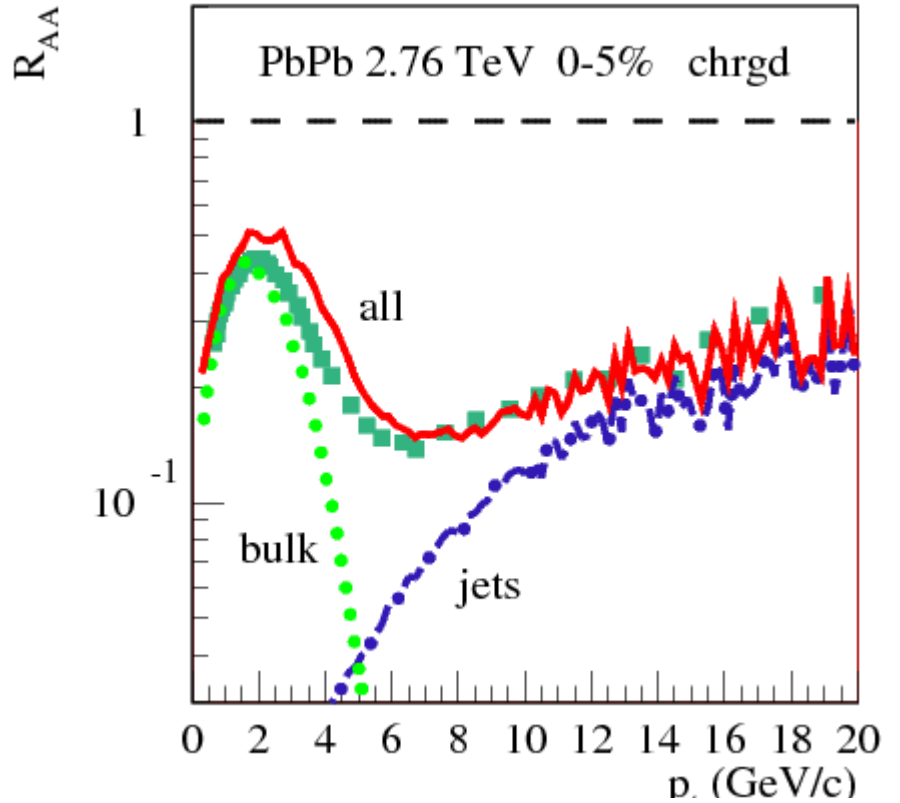
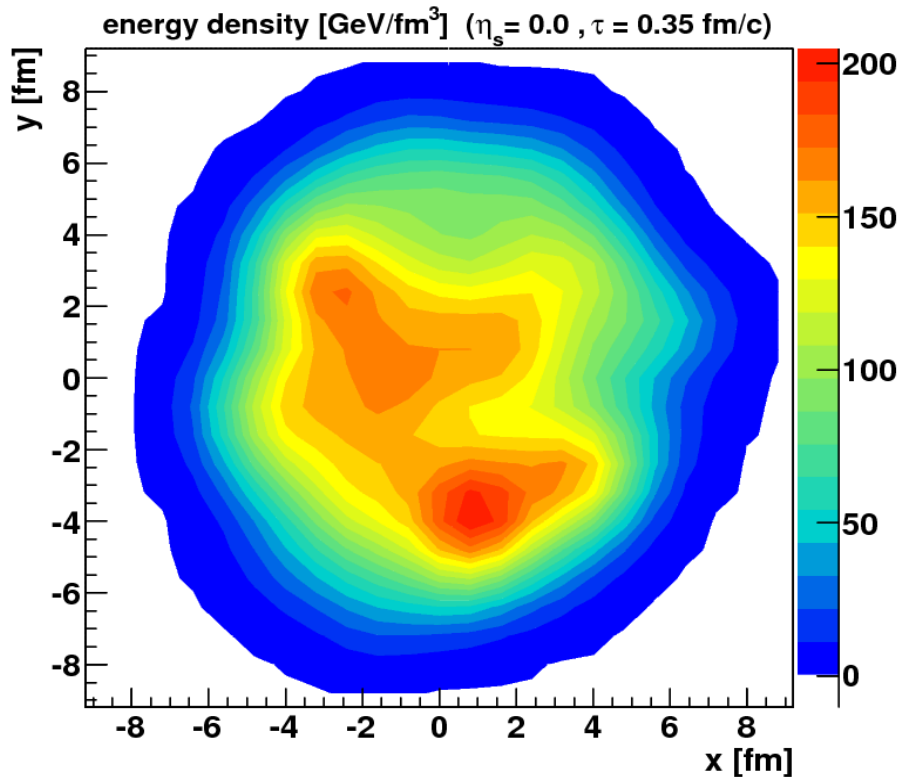


ALICE data.

Radii R from exponential fit.

KT1= [100, 250], KT3= [400, 550], KT5= [700, 1000]

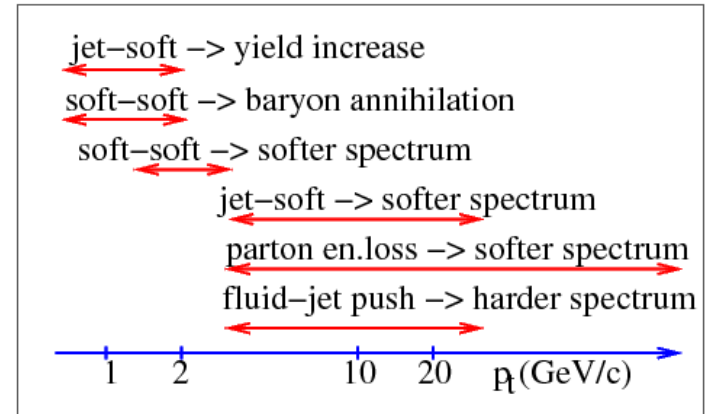
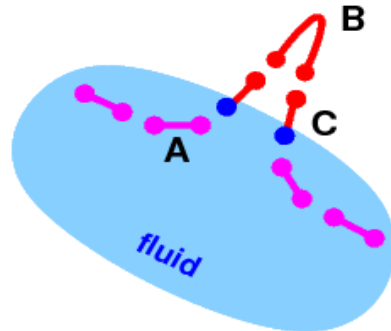
jets in PbPb @ LHC



● Jet interacts in bulk of matter

➔ parton energy loss

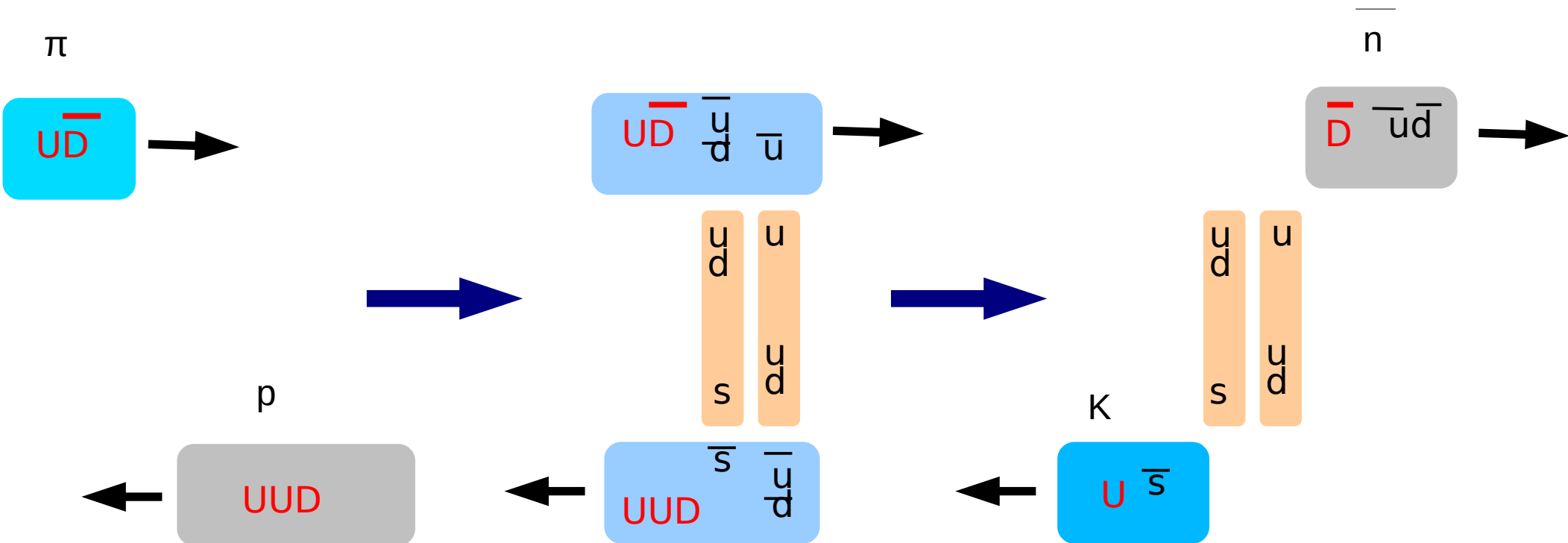
➔ boost at the surface



Remnants in EPOS

In EPOS : any possible quark/diquark transfer

- ➔ Diquark transfer between string ends and remnants
- ➔ Baryon number can be removed from nucleon remnant :
 - ◆ Baryon stopping
- ➔ Baryon number can be added to pion/kaon remnant :
 - ◆ Baryon acceleration



Properties of Free Remnants

● Valence quark not necessarily connected to parton ladder :

- ➔ Necessary to have $a\Omega/\Omega < 1$ (NA49 data)
- ➔ Very broad remnant distribution
- ➔ Can be used to describe effective enhanced diagrams (higher mass)
- ➔ Very important for Cosmic Ray (leading particle)

