

# Leptons + MET final states in ATLAS

“Status of Higgs and BSM searches at the LHC”  
LHC Physics Centre at CERN (LPCC)  
April 11-13, 2011

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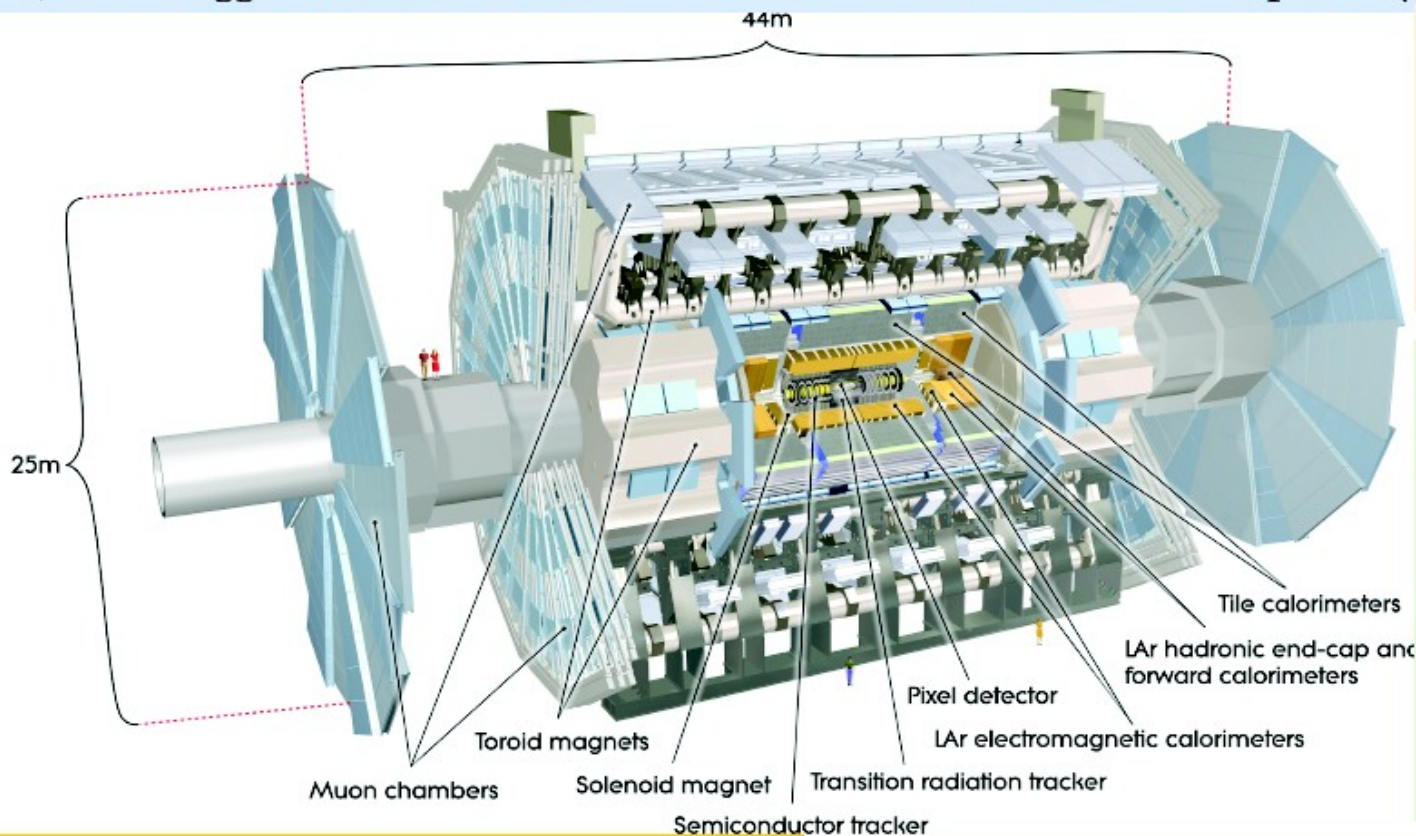
# Outline

- ATLAS detector, data taking
- SUSY, models, signatures, leptons
- Standard Model background
- RPC: 2-lepton searches
  - Opposite-Sign (OS) and Same-Sign (SS) searches
  - OS, flavour-subtraction
  - Exclusion: model-independent, mSUGRA, PhenoGrids
- RPV: OS  $e\mu$ -resonance (sneutrino)
- Summary

# A Toroidal Lhc ApparatuS (ATLAS)

## ► Muon Spectrometer ( $|n| < 2.47$ ):

- air-core toroids with gas-based muon chambers
- Muon trigger and measurement with momentum resolution  $< 10\%$  up to  $P_T(\mu) \sim 1 \text{ TeV}$



## ► General :

- $\sim 10^8$  electronic channels
- $\sim 3 \times 10^3 \text{ km}$  of cables
- weighs 7000 tons (metal structure of Eiffel Tower)
- $\sim 3200$  authors, 174 institutions from 38 countries

## Inner Detector ( $|n| < 2.5, B=2T$ ):

- (Si Pixel layers (Pix), Stereo pairs of Si microstrips (SCT), transition radiation tracker (TRT))
- precise tracking and vertexing
- Nice e and Pi separation
- Momentum resolution :  $\sigma/p_T < 4\%$  for  $p_T$  up to 100 GeV

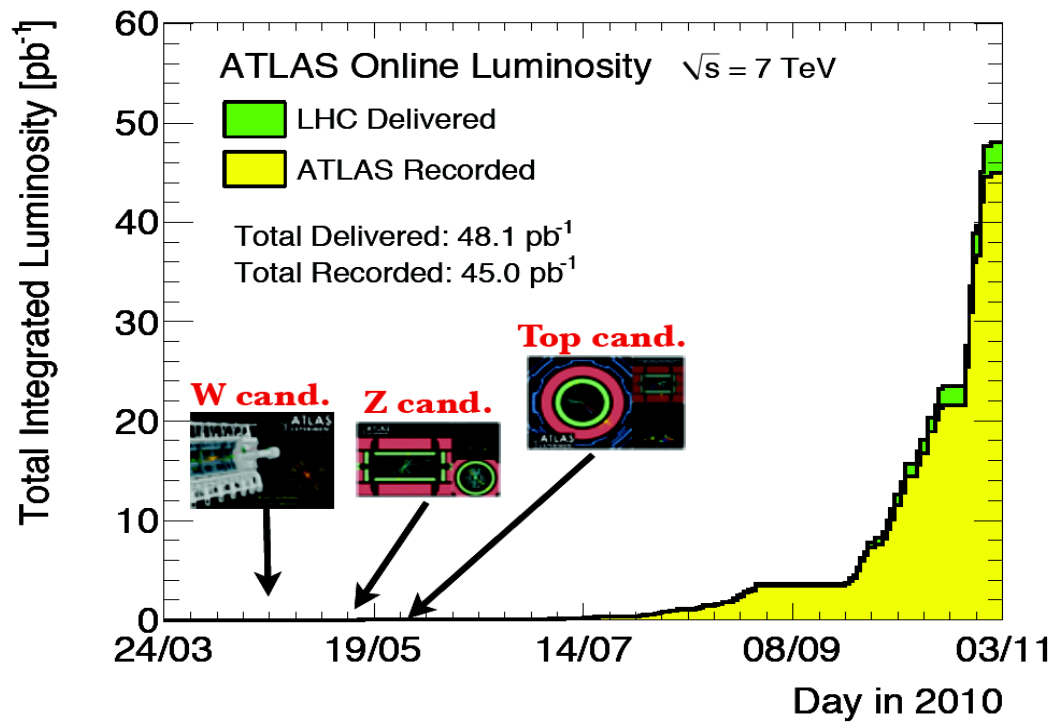
## EM calorimeter ( $|n| < 3.2$ ):

- LAr calorimeter with accordion geometry for phi symmetry and faster signal readout
- electron, photon identification and measurement
- energy resolution :  $\sigma/E \sim 10\%/\sqrt{E}$

## Hadronic Calorimeter ( $|n| < 5$ ):

- Tile (steel and scintillators) calorimeter ( $|n| < 1.7$ )
- Cu/LAr sampling calorimeter ( $1.5 < |n| < 3.2$ )
- Forward calorimeter ( $3.1 < |n| < 5$ )
- Jets and Missing energy measurement
- energy resolution :  $\sigma/E \sim 50\%/\sqrt{E} + 0.03$

# Datataking, integrated luminosity



2010 was a great year

- Calibrating ATLAS
- “Rediscovering” the SM  
First W, Z, top candidates a small year back
- Lots of data in uncharted territory

Analyses based on 35 pb<sup>-1</sup>

# SUSY models, exp. signatures

SUSY comes in many shapes

- mSUGRA
  - Nice/concise model, few parameters
  - Unification at high values
  - RGE running down to EW scale
  - Collider signatures
    - \_ MET (missing transverse energy)
    - \_ hard jets
    - \_ leptons: taus ; e, mu
  - 4½ pars cover lot of pheno-space
  - Allows for, well-motivated search strategies which can be more or less generic
  - Limitations:
    - \_ Partially fixed mass structure, e.g. roughly  $m(g) : m(N_2) : m(N_1) = 7 : 2 : 1$
    - \_ Lepton fraction constrained
    - \_ ...
- 

- Beyond mSUGRA: 24-par MSSM
  - Sparticle masses set at EW scale
  - Allows less model-dependent / more signature-based scan
  - Main signatures remain mostly the same (MET, many jets and maybe leptons)
  - Kinematics (pt) can vary a lot

And some are very different

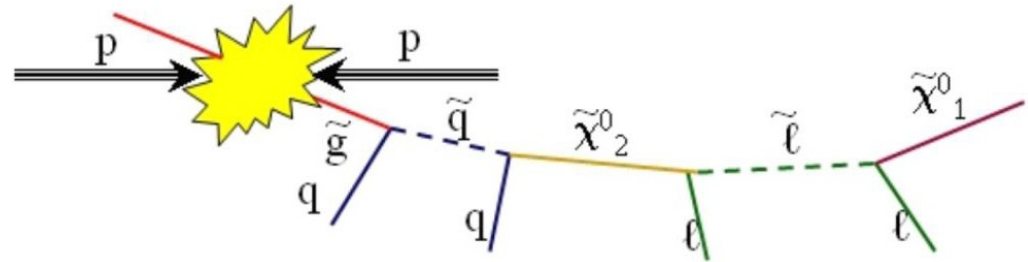
- R-Parity Violating (RPV) scenarios
  - Lightest Supersymmetri Particle (LSP) not stable : no MET signature
  - Sparticles can be singly produced
  - jets?

# SUSY lepton sources (RPC)

= electron/muon

## PRODUCTION

- Strong-force induced dominates if gluino / squark accessible:
  - pairs of gluinos/squarks produced
  - cascade decays
- (Otherwise XX and/or di-sleptons)



## MAIN SOURCE:

- decay of neutralinos&charginos

$$\tilde{\chi}_i^\pm (\rightarrow \ell^\pm \tilde{\nu}_\ell / \nu \tilde{\ell}^\pm / W^\pm \tilde{\chi}_j^0) \rightarrow \nu \ell^\pm \tilde{\chi}_j^0$$

$$\tilde{\chi}_i^0 (\rightarrow \nu \tilde{\nu}_\ell / W^\mp \tilde{\chi}_j^\pm) \rightarrow \nu \ell^\mp \tilde{\chi}_j^\pm$$

$$\tilde{\chi}_i^\pm (\rightarrow \ell^\pm \tilde{\nu}_\ell / Z \tilde{\chi}_j^\pm) \rightarrow \ell^+ \ell^- \tilde{\chi}_j^\pm$$

$$\tilde{\chi}_i^0 (\rightarrow \ell^\pm \tilde{\ell}^\mp / Z \tilde{\chi}_j^0) \rightarrow \ell^+ \ell^- \tilde{\chi}_j^0$$

single-lepton

di-lepton

## Depends on:

- gaugino/higgsino composition of neutralinos&charginos
- slepton whereabouts (and type)
- squark whereabouts (and type)

## SECONDARY SOURCE:

- W through third-generation squark

$$\tilde{g} \rightarrow t\tilde{t} \rightarrow Wb\tilde{t}$$

$$\tilde{g} \rightarrow t\tilde{b}\tilde{\chi}_i^\pm \rightarrow Wb\tilde{b}\tilde{\chi}_i^\pm$$

$$\tilde{b} \rightarrow W\tilde{t}$$

$$\tilde{b} \rightarrow t\tilde{\chi}_i^\pm \rightarrow Wb\tilde{\chi}_i^\pm$$

$$\tilde{t} \rightarrow t\tilde{\chi}_i^0 \rightarrow Wb\tilde{\chi}_i^0$$

## Depends on:

- stop/sbottom mass / production

# Di-lepton combinations (RPC)

- Di-lepton transitions give leptons correlated in flavour and sign:

(A) Opposite-Sign Same-Flavour (OSSF)

$$e^+e^-, \mu^+\mu^-$$

- Di-leptons from two single-lepton transitions are uncorrelated in flavour, and often in sign.

(B) OSSF and OSDF (same rate)

$$e^+e^-, \mu^+\mu^-, e^\pm\mu^\mp$$

(C) SSSF and SSDF (same rate)

$$e^\pm e^\pm, \mu^\pm\mu^\pm, e^\pm\mu^\pm$$

Standard Model background can also be classified in A-C:

- Type A: Z, Drell-Yan
- Type B: Top, (fully/partially) QCD-induced
- Type C: diboson, charge-mismeas., [few]

(1) Flavour-subtraction OSSF channel

- uses the identity of OSSF and OSDF from uncorrelated sources to subtract
  - SM background (top)
  - but also SUSY signal (Type B)
- uses well-identifiable SM Type A bck (Z)

(2) SS channel

- very small SM bck (no type C)

(3) OS channel

- Signal from (A) and (B)
- SM background larger than for SS

SS vs OS

- Simple structure for neutralino/chargino single-lepton transition, e.g.:

$$\text{SS} : \tilde{u}\tilde{u} \rightarrow d\tilde{d}\tilde{\chi}^+\tilde{\chi}^+ \rightarrow dd\nu\nu l^+ l^+ \tilde{\chi}^0\tilde{\chi}^0$$

$$\text{SS} : \tilde{d}\tilde{d} \rightarrow u\tilde{u}\tilde{\chi}^-\tilde{\chi}^- \rightarrow uu\bar{\nu}\bar{\nu} l^- l^- \tilde{\chi}^0\tilde{\chi}^0$$

$$\text{OS} : \tilde{u}\tilde{d} \rightarrow d\tilde{u}\tilde{\chi}^+\tilde{\chi}^- \rightarrow du\nu\bar{\nu} l^+ l^- \tilde{\chi}^0\tilde{\chi}^0$$

# SM bck

## SM di-lepton sources:

- $Z/\gamma \rightarrow \ell\ell + \text{jets}$  [partially data-driven estimate]
- $t\bar{t}$  (fully dileptonic) [partially data-driven est.]
- Di-bosons WW, WZ, ZZ [MC only]
- Fakes (one or both leptons not from heavy objects; W, QCD, semi-leptonic  $t\bar{t}$ ) [fully data-driven est.]
- Cosmics [fully data-driven estimate]

## Signal region:

- Exactly two leptons of  $p_t > 20$  GeV  
 $m(\ell\ell) > 5$  GeV
- Considerable MET, above 100/150 GeV
- (No jet requirement)

## SS channel

- Fakes dominate ee and co-dominates  $e\mu, \mu\mu$ 
  - in particular semi-leptonic  $t\bar{t}$  where the second lepton comes from a  $b$ .
- Dibosons
  - WZ/ZZ can produce SS when 1/2 leps are lost
- Charge-flip (of e) mainly in di-leptonic  $t\bar{t}$

## OS channel

- $t\bar{t}$  dominates, has real MET
- (Z important in ee)

## Flavour-subtracted OSSF channel

- $t\bar{t}$  subtracts to 0 (but large stat uncertainty)
- $Z/\gamma^*, WZ$ , fakes and  $t\bar{t}$  similar size at this lumi

SAMPLE	GENERATOR
W+jets	Alpgen+Herwig+Jimmy
Wbb+jets	Alpgen+Herwig+Jimmy
Z+jets	Alpgen+Herwig+Jimmy
Drell-Yan	Pythia
$t\bar{t}$	McAtNlo+Herwig+Jimmy
single-top	McAtNlo+Herwig+Jimmy
QCD	Pythia
$b\bar{b}$	Pythia
Di-bosons	Herwig



# BCK estimation: ttbar (OS)

## Estimation procedure:

- Define a ttbar-dominated CR region
  - Based on the co-transverse mass tagger
  - $60 \text{ GeV} < \text{MET} < 80 \text{ GeV}$
- Estimate non-top bck in the CR region
- Apply MC to find the ratio of ttbar events in the SR and the CR region
- Get estimated number of ttbar events in SR from simple scaling, e.g.

$$(N_{tt})_{SRee} = \left( (N_{data}^{tag})_{CR} - (N_{non-tt,MC}^{tag})_{CR} \right) \frac{(N_{top,MC})_{SRee}}{(N_{top,MC}^{tag})_{CR}}$$

## Evaluation

- results backed by other “top tagger”
- Contamination of 10-15 % if low-mass SUSY (Reduces discovery significance)
- SR: total uncertainty: 44%

## Co-transverse mass tagger

- For two identical decays of heavy particles into two visible particles (or -aggregates),  $v_1$  and  $v_2$ , and invisible particles, as in

$$t\bar{t} \rightarrow (W^+b)(W^-\bar{b}) \rightarrow (\ell^+ \nu_\ell b) (\ell^- \bar{\nu}_\ell \bar{b})$$

the co-transverse mass  $m_{CT}$  is defined by

$$m_{CT}^2(v_1, v_2) = [E_T(v_1) + E_T(v_2)]^2 - [\mathbf{p}_T(v_1) - \mathbf{p}_T(v_2)]^2$$

$$E_T = \sqrt{p_T^2 + m^2}$$

where  $v_1$  can then be a lepton, a jet or a lepton-jet combination, giving three  $m_{CT}$  variables (per leg assignment)

- The values are then compared to appropriate distributions and the various leg assignments are rejected or accepted as compatible with dileptonic ttbar
- If at least one leg assignment is ok, the event is top-tagged
- (With MET between 60-80 GeV MC dileptonic ttbar has a top-tagging efficiency of 83%)

# BCK estimation: Fakes

- Matrix method
  - Define two lepton definitions/qualities, one “loose”, the other “tight”.
  - Define a “real” region where leptons are expected to be real (from Z, W)
  - Define a “fake” region where leptons are expected to be from jets
  - Find the probability that a real/fake lepton also passes the tight definition. This gives the real and fake efficiency (“rate”),  $r$  and  $f$ .
  - Then count the number of TT, TL, LT and LL in the Signal Region (SR) of the analysis
  - Invert the matrix and get the number of RR, RF, FR and FF events in the SR.

- Estimation done for 6 combinations: (SS, OS) x ( $ee$ ,  $\mu\mu$ ,  $e\mu$ )
- SS: fake contribution dominant. Well described.
- OS: fake contribution less important

$$\begin{bmatrix} N_{TT} \\ N_{TL} \\ N_{LT} \\ N_{LL} \end{bmatrix} = \begin{bmatrix} rr & rf & fr & ff \\ r(1-r) & r(1-f) & f(1-r) & f(1-f) \\ (1-r)r & (1-r)f & (1-f)r & (1-f)f \\ (1-r)(1-r) & (1-r)(1-f) & (1-f)(1-r) & (1-f)(1-f) \end{bmatrix} \begin{bmatrix} N_{RR} \\ N_{RF} \\ N_{FR} \\ N_{FF} \end{bmatrix}$$

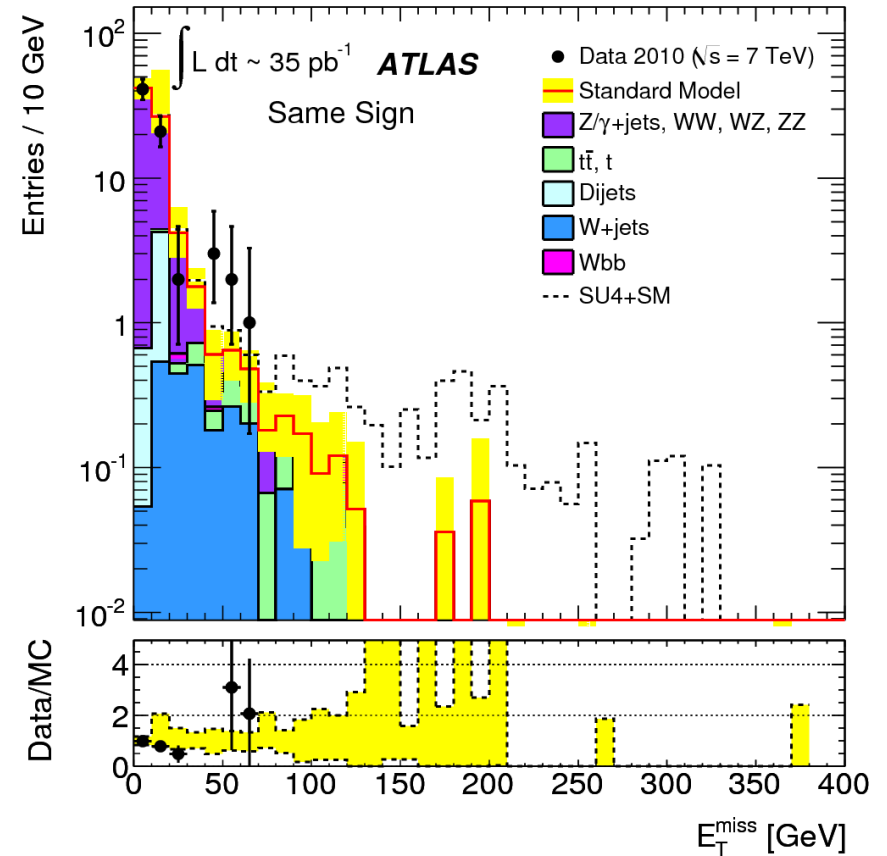
# Limit setting

- If no significant excess of data above bck expectations:
- Use likelihood function to fit event count in SR
  - $L(n|s, b, \theta) = P_S \times C_{\text{syst}}$ 
    - $n$ : number of observed data events
    - $s$ : new-physics population to be tested
    - $b$ : background
    - $\theta$ : systematic uncertainties, treated as nuisance parameters with Gaussian pdf
    - $P_S$  Poisson prob. distr. for the event count in the SR
    - $C_{\text{syst}}$ : correlations of systematic errors
- Limits are derived from the profile likelihood ratio
  - $\Lambda(s) = -2(\ln L(n|s, \hat{b}, \hat{\theta}) - \ln L(n|\hat{s}, \hat{b}, \hat{\theta}))$ 
    - $\hat{s}, \hat{b}, \hat{\theta}$ : maximise the likelihood function
    - $\hat{\hat{s}}, \hat{\hat{\theta}}$ : maximise the likelihood for a given  $s$
- Exclusion  $p$ -values are obtained from pseudo-experiments with test statistic  $\Lambda(s)$  and one-sided upper limits set.
- Next: from data and SM expectations in the signal regions, 95% confidence limits on cross-section  $\times$  BR  $\times$  acceptance are found

# SS results

- None expected, none observed
- Model-independent limit in combined SS channels (2-leptons above 20 GeV and MET > 100 GeV) :
  - Cross-section x BR x acceptance < 0.07 pb

	Same Sign, $E_T^{\text{miss}} > 100$ GeV		
	$e^\pm e^\pm$	$e^\pm \mu^\pm$	$\mu^\pm \mu^\pm$
Data	0	0	0
Fakes	$0.12 \pm 0.13$	$0.030 \pm 0.026$	$0.014 \pm 0.010$
Di-bosons	$0.015 \pm 0.005$	$0.035 \pm 0.012$	$0.021 \pm 0.009$
Charge-flip	$0.019 \pm 0.008$	$0.026 \pm 0.011$	-
Cosmics	-	$0_{-0}^{+1.17}$	-
Total	$0.15 \pm 0.13$	$0.09_{-0.03}^{+1.17}$	$0.04 \pm 0.01$



## SU4: mSUGRA benchmark scenario

$$M_0 = 200 \text{ GeV}, \quad M_{1/2} = 160 \text{ GeV}, \quad A = -400 \text{ GeV}, \quad \tan\beta = 10, \quad \mu > 0$$

$$BR(\tilde{\chi}_2^0 \rightarrow \ell^+ \ell^- \tilde{\chi}_1^0) = 7.2\%$$

$$BR(\tilde{\chi}_1^\pm \rightarrow \nu \ell^\pm \tilde{\chi}_1^0) = 23\%$$

# OS results

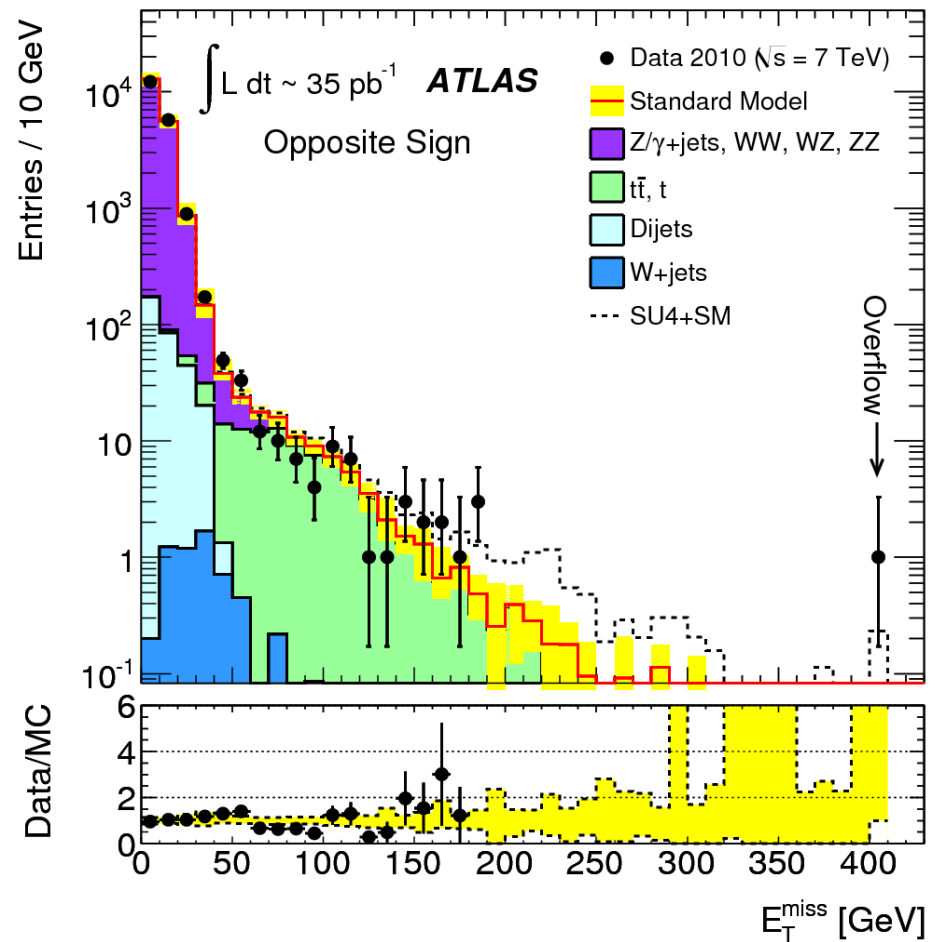
- Observed 9, estimated 3.7 (+2.2-0.9)
- post-investigations strongly suggest that the high-MET event ( $\mu\mu$ ) is a cosmic ray
- Excess is in  $e\mu$  and  $\mu\mu$
- The probability for the bck to exceed the number of observed events is 14% and 13% for  $e\mu$  and  $\mu\mu$

Limits can still be set on the existence of new physics which produces OS di-leptons (leptons above 20 GeV and MET > 150 GeV) :

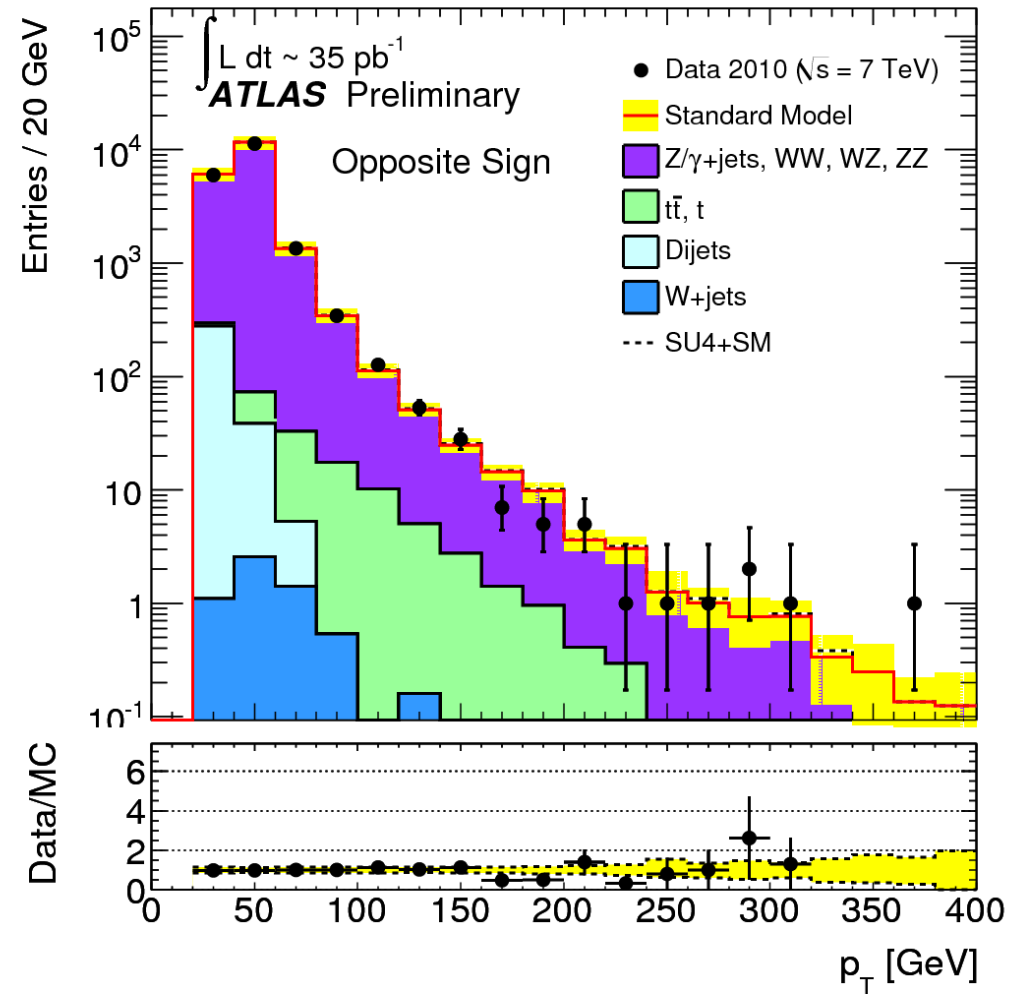
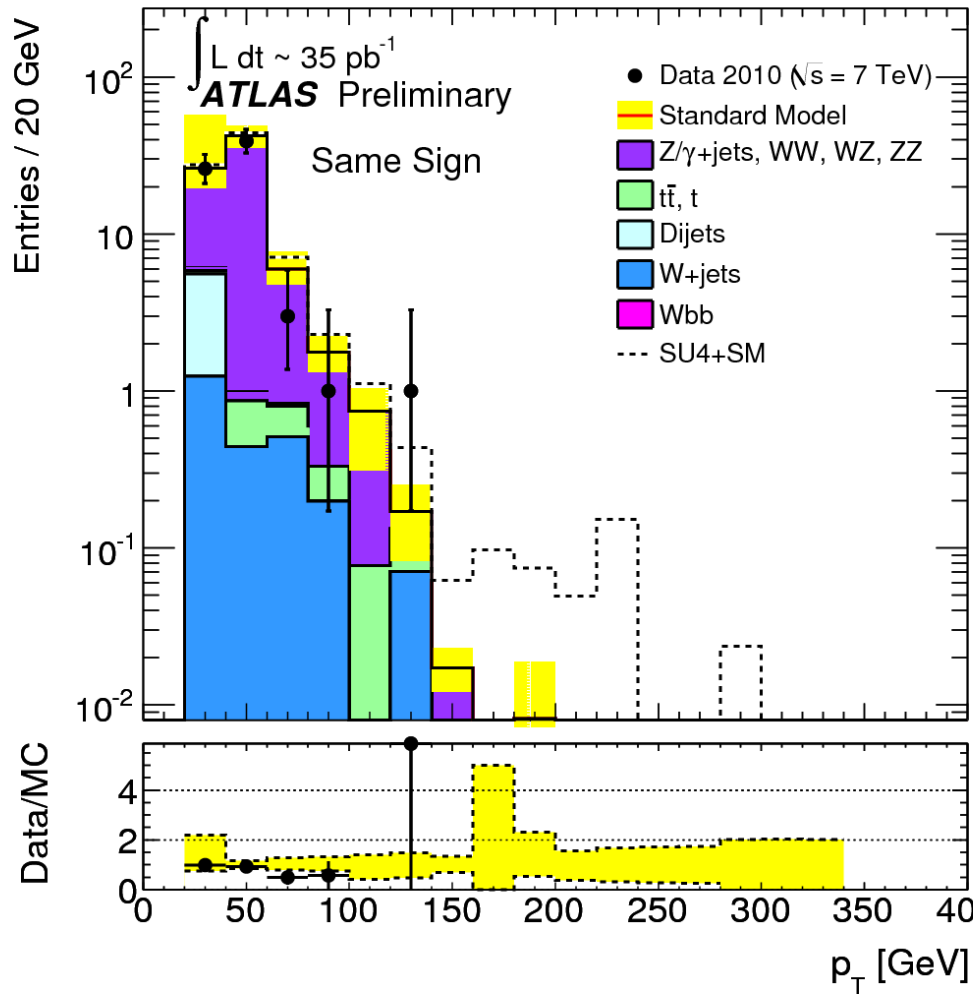
- $ee$ : cross-section x BR x acceptance < 0.09 pb
- $e\mu$ : cross-section x BR x acceptance < 0.21 pb
- $\mu\mu$ : cross-section x BR x acceptance < 0.22 pb

Opposite Sign,  $E_T^{\text{miss}} > 150$  GeV

	$e^+e^-$	$e^\pm\mu^\mp$	$\mu^+\mu^-$
Data	1	4	4
$t\bar{t}$	$0.62^{+0.31}_{-0.28}$	$1.24^{+0.62}_{-0.56}$	$1.00^{+0.50}_{-0.45}$
Z+jets	$0.19 \pm 0.15$	$0.08 \pm 0.08$	$0.14 \pm 0.17$
Fakes	$-0.02 \pm 0.02$	$-0.05 \pm 0.04$	-
Single top	$0.03 \pm 0.05$	$0.06 \pm 0.08$	$0.10 \pm 0.07$
Di-bosons	$0.09 \pm 0.03$	$0.06 \pm 0.03$	$0.15 \pm 0.03$
Cosmics	-	$-0.2 \pm 1.18$	$-0.43 \pm 1.27$
Total	$0.92^{+0.42}_{-0.40}$	$1.43^{+1.45}_{-0.59}$	$1.39^{+1.41}_{-0.53}$



# Pt of leading lepton, SS and OS



# Flavour-subtracted OSSF analysis

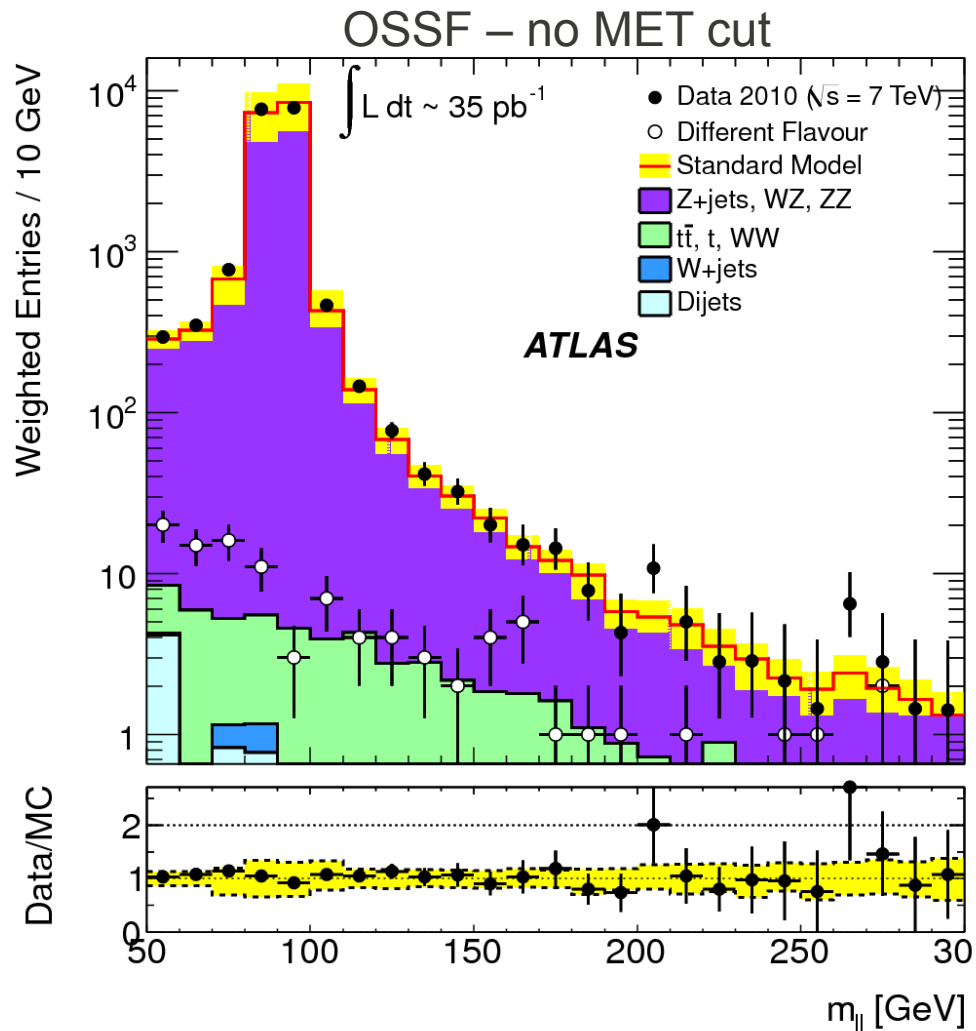
- Uses the observation that some of the most SM di-lepton mechanisms, in particular  $t\bar{t}$ , give uncorrelated (OS) di-leptons, AND that the combinations come in equal rates, SF = DF.
- This gives opportunity to subtract one with the other.
- Useful if a signal is expected in SF

Unfortunately, experiments break flavour.  
Corrections are needed to get the subtraction right:

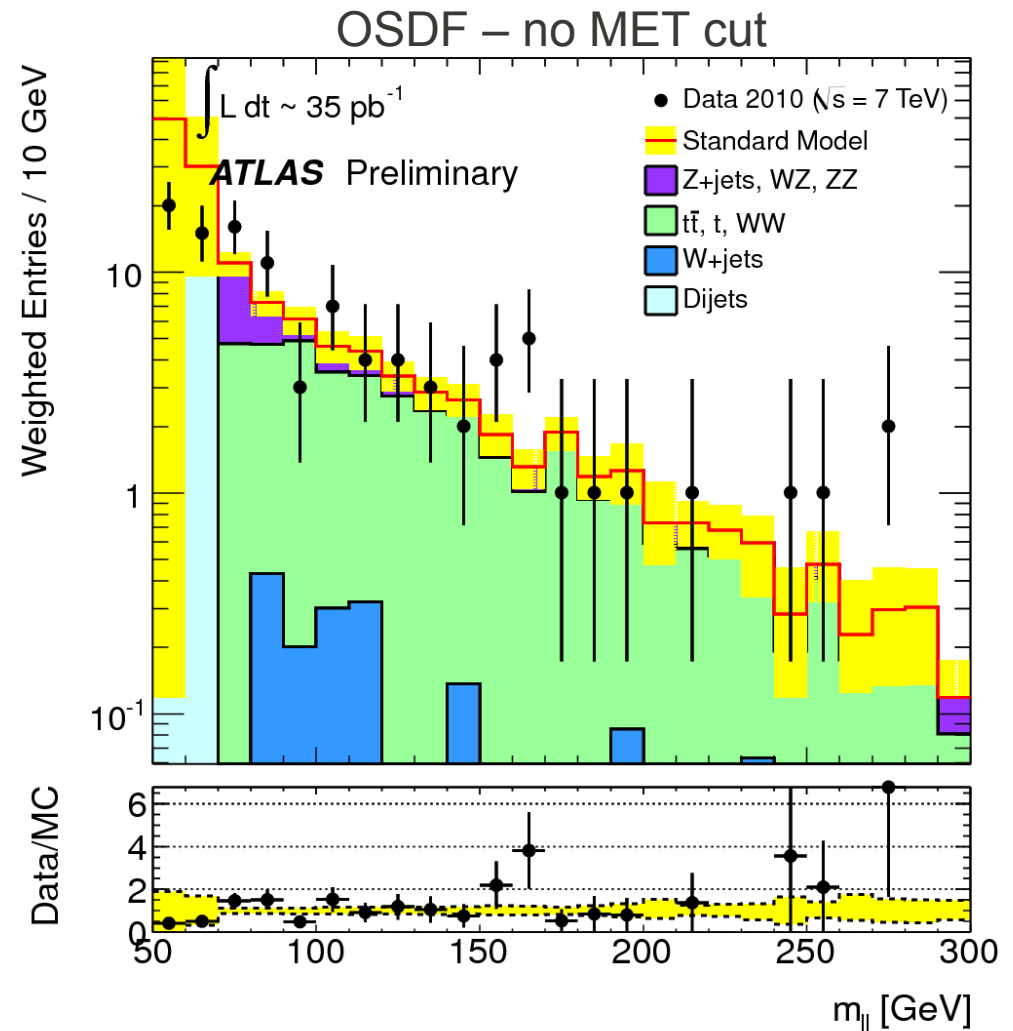
$$\mathcal{S} = \frac{N(e^\pm e^\mp)}{\beta(1 - (1 - \tau_e)^2)} - \frac{N(e^\pm \mu^\mp)}{1 - (1 - \tau_e)(1 - \tau_\mu)} + \frac{\beta N(\mu^\pm \mu^\mp)}{(1 - (1 - \tau_\mu)^2)}$$

$\beta$ : ratio of electron to muon efficiency times acceptance  
 $\tau_e(\tau_\mu)$ : plateau electron (muon) trigger efficiency  
 $\beta = 0.69(\pm 0.3)$ ,  $\tau_e = 98.5(\pm 1.1)\%$ ,  $\tau_\mu = 83.7(\pm 1.9)\%$

# Flavour-subtracted OSSF analysis



OSSF: Z totally dominates before MET cut  
(Note: Removing the Z-peak would not remove the OSSF excess)



OSDF:  $t\bar{t}$  main bck above certain  $m_{II}$

Note the approximate equality between OSSF and OSDF  $t\bar{t}$

Events are appropriately weighted with  $\beta$ ,  $\tau_e$  and  $\tau_\mu$



# Flavour-subtracted OSSF results

MET > 100 GeV:

- $t\bar{t}$ : still some, but subtracts to zero
- Diboson: significant in all channels, also after flavour subtraction
- Others (including Z): nearly consistent with zero

- Some excess in data relative to SM estimation,  $e\mu$  and  $\mu\mu$
- Not present after flavour-subtraction

	$e^\pm e^\mp$	$e^\pm \mu^\mp$	$\mu^\pm \mu^\mp$
Data	4	13	13
$Z/\gamma^* + \text{jets}$	$0.40 \pm 0.46$	$0.36 \pm 0.20$	$0.91 \pm 0.67$
Dibosons	$0.30 \pm 0.11$	$0.36 \pm 0.10$	$0.61 \pm 0.10$
$t\bar{t}$	$2.50 \pm 1.02$	$6.61 \pm 2.68$	$4.71 \pm 1.91$
Single top	$0.13 \pm 0.09$	$0.76 \pm 0.25$	$0.67 \pm 0.33$
Fakes	$0.31 \pm 0.21$	$-0.15 \pm 0.08$	$0.01 \pm 0.01$
Total SM	$3.64 \pm 1.24$	$8.08 \pm 2.78$	$6.91 \pm 2.20$

	Flavour-subtracted
Process	$\mathcal{S}_b$
$Z/\gamma^* + \text{jets}$	$0.86 \pm 0.33$ (stat.) $\pm 0.74$ (sys.)
Dibosons	$0.51 \pm 0.04$ (stat.) $\pm 0.12$ (sys.)
$t\bar{t}$	$0.34 \pm 0.61$ (stat.) $\pm 0.13$ (sys.)
Single top	$-0.10 \pm 0.23$ (stat.) $\pm 0.08$ (sys.)
Fakes	$0.46 \pm 0.31$ (stat.) $\pm 0.10$ (sys.)
SM total	$2.06 \pm 0.79$ (stat.) $\pm 0.78$ (sys.)

$$\mathcal{S}_{obs} = 1.98 \pm 0.15(\beta) \pm 0.02(\tau_e) \pm 0.06(\tau_\mu)$$

# mSUGRA interpretation - OS, SS

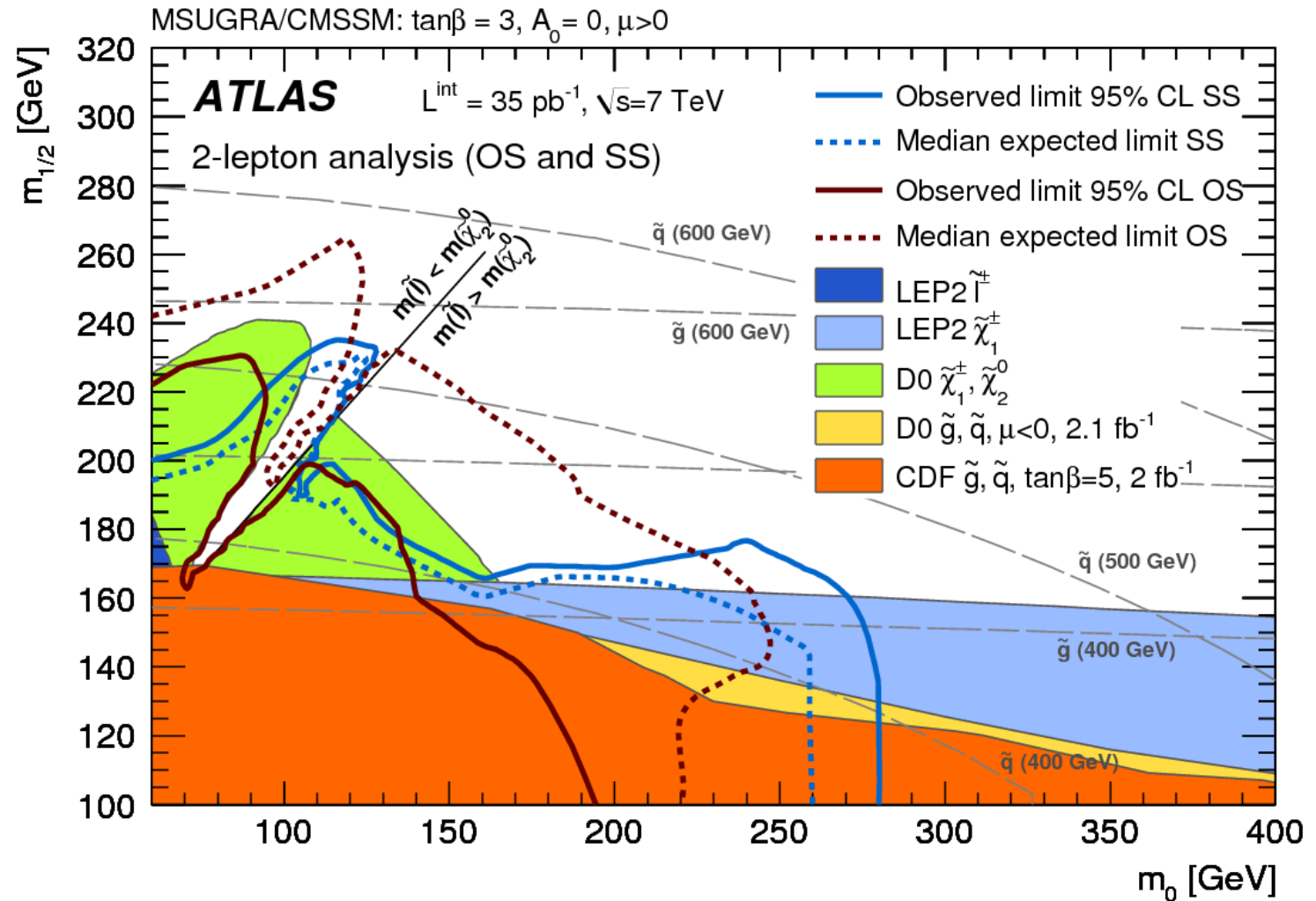
- OS seen to have more potentiality (“expected”) in mSUGRA plane than SS, though some complementarity

- SS better than expected

- OS worse than expected

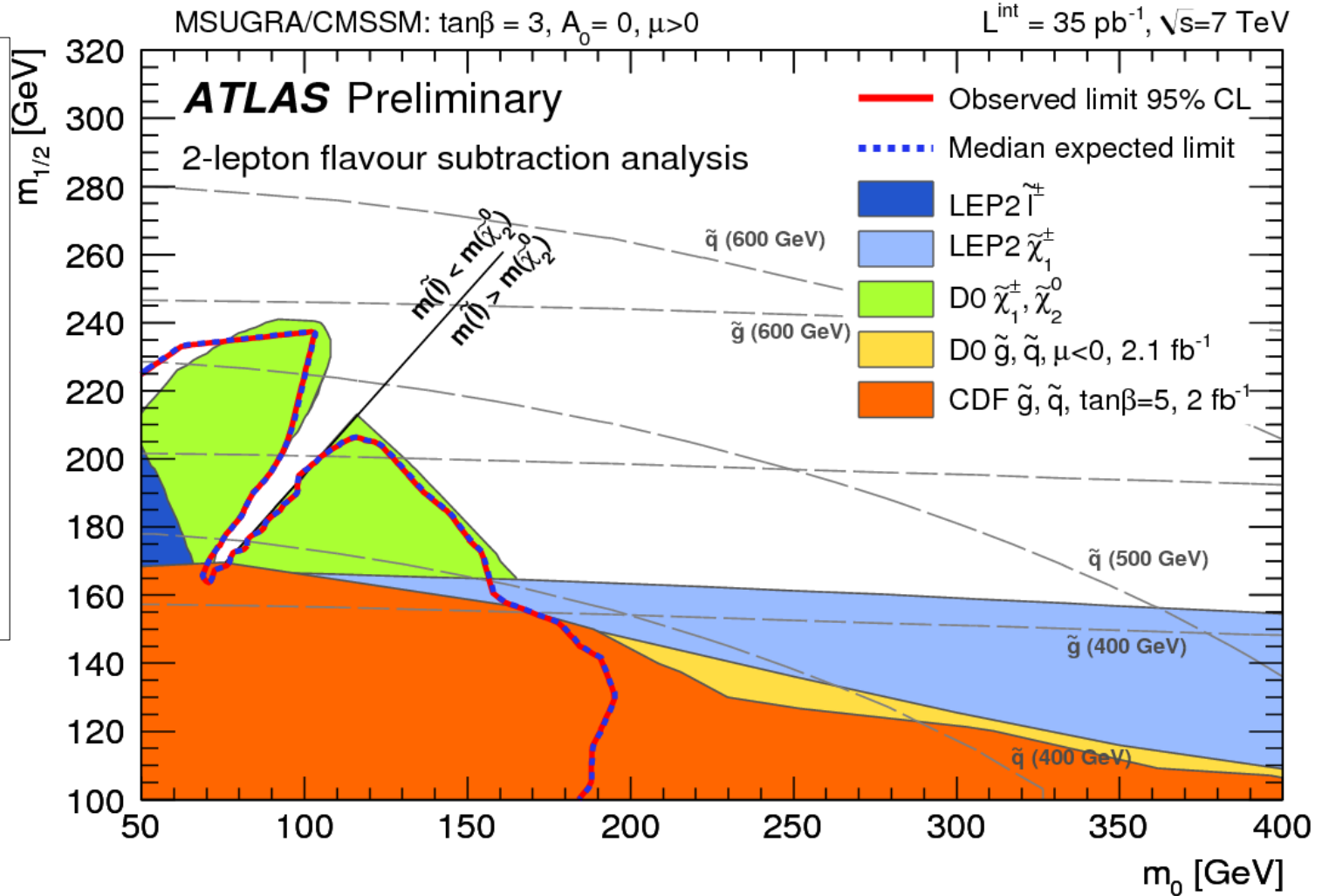
- Limits partly extend previous 2L limits in mSUGRA

- (0 and 1-lepton searches exclude much larger parts of the mSUGRA plane)



# mSUGRA interpretation - OSSF

- OSSF observed and expected limit are identical
- OSSF expected is less powerful than OS throughout the mSUGRA plane (for the given setup and lumi)
- Observed limit is better than SS and OS in part of the plane
- Follows very closely the D0 direct gaugino trilepton results



# PhenoGrids

mSUGRA has some inner workings which limit the phenomenology

- $M_3:M_2:M_1 = 7:2:1$
- squark and slepton masses
- 3d generation

It is e.g. not possible to scan a 3-dim mass space



The so-called “PhenoGrids” address this.

The main purpose is to

A) freely set the masses most relevant for phenomenology:

- gluino, squark,  $N_2/C_1$ , slepton,  $N_1$

B) mSUGRA-like neutralino/chargino sector:

- $M_1 < M_2 \ll \mu$

C) Sleptons between  $N_2$  and  $N_1$

$\tan\beta = 4$

High mass:  $m(A)$ ,  $\mu$ , third-gen. scalars



PhenoGrid2: scan in gluino and squark

Two modes:

- “light LSP”
  - $m(N_1) = 100 \text{ GeV}$ ,  $m(N_2) = K-100$   
where  $K = \min(\text{squark, gluino})$
- “Compressed”
  - $m(N_2) = K-50$ ,  $m(N_1) = m(N_2)-100$

In both modes the slepton is placed midway between  $N_1$  and  $N_2$

(PhenoGrid3: same as PhenoGrid2 except right-handed scalars are set to high mass)



High lepton production built in,  
can be viewed as a lepton grid

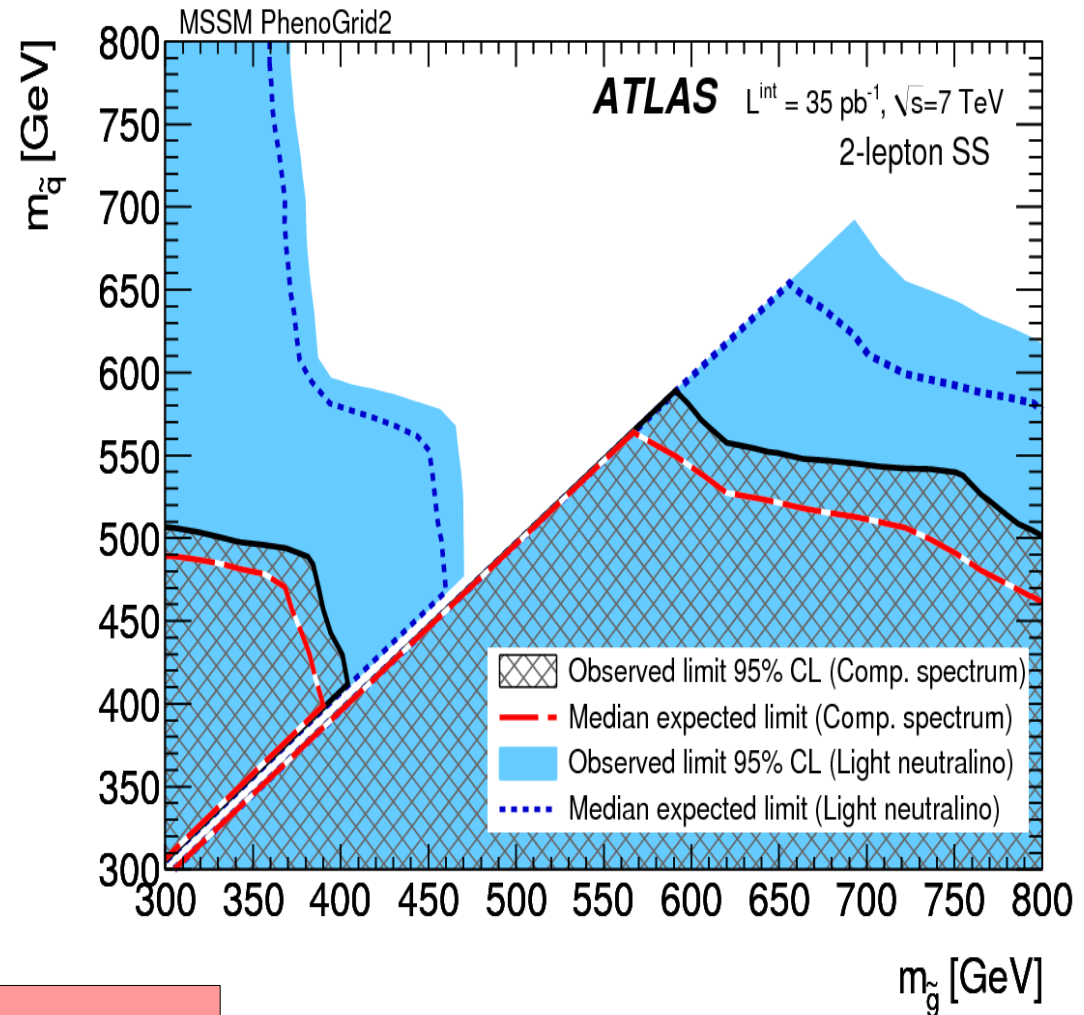
# PhenoGrid2 - SS

Plot shows exclusion limits for SS in the two modes, light neutralino and compressed

The reach is highest in the light-neutralino mode

Discontinuity at gluino=squark

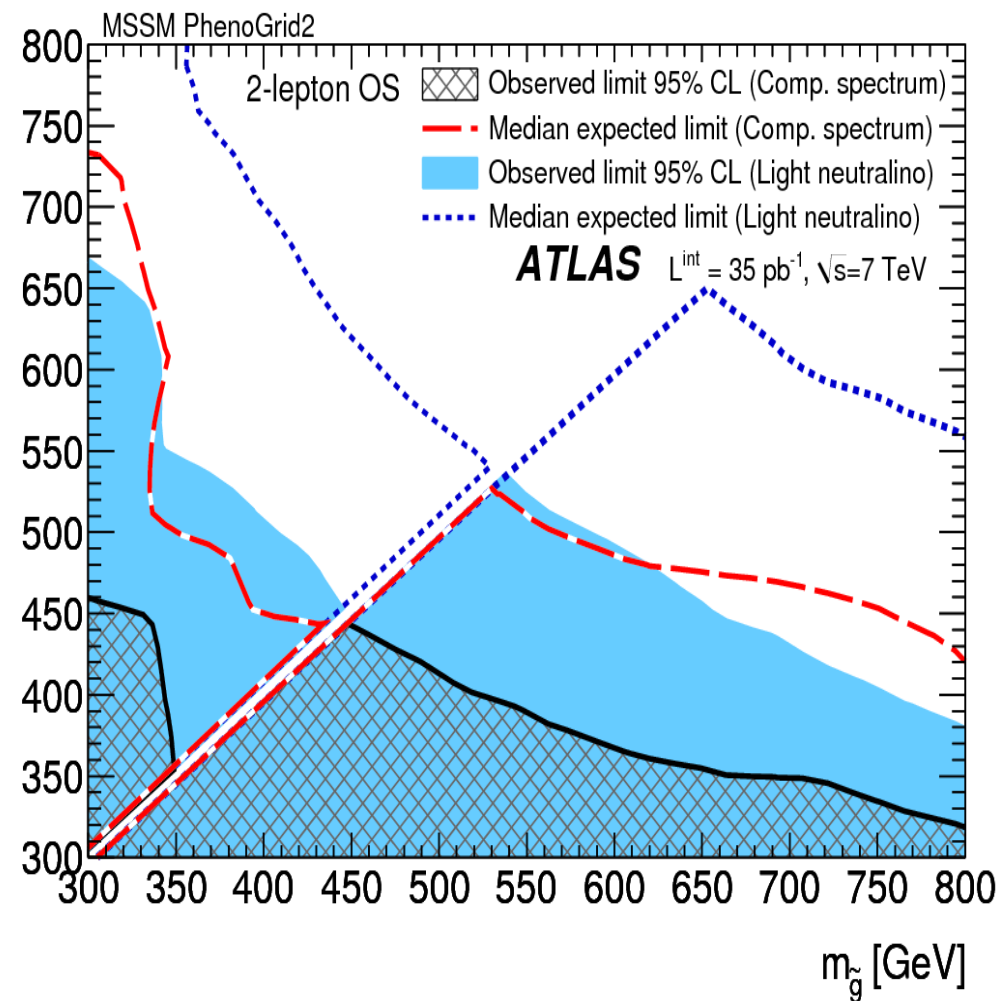
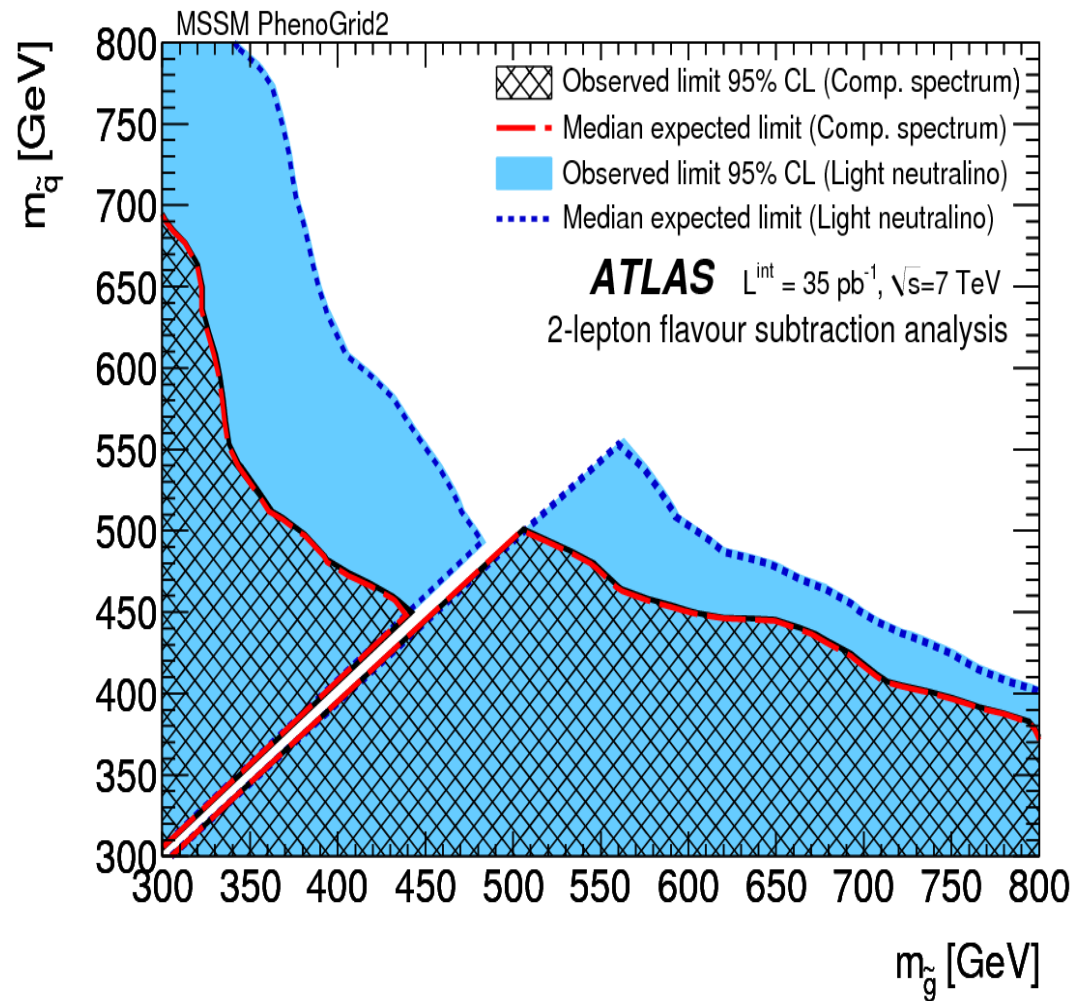
For squark > gluino the lepton fraction is lower. The gluino has a strong preference for direct decay into the LSP.



At the diagonal  $m(\tilde{g}) = m(\tilde{q}) + 10 \text{ GeV}$

- $m(\tilde{g}) < 690 \text{ GeV}$  excluded for light-neutralino mode
- $m(\tilde{g}) < 550 \text{ GeV}$  excluded for compressed mode

# PhenoGrid2 – OS, OSSF flav.subtr.



# R-parity violation: $e\mu$ resonance

# $e\mu$ resonance

If R-parity conservation is mere fiction...

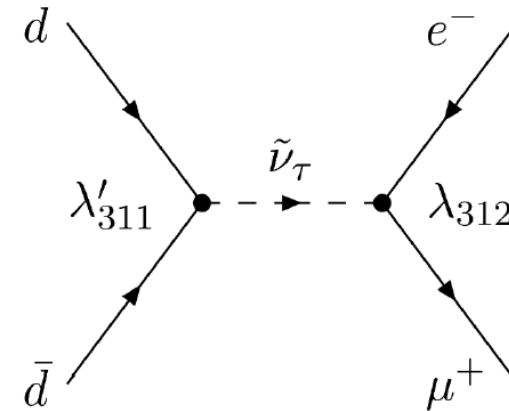
~~$$R = (-1)^{3B+L+2S}$$~~

then additional terms will be allowed in the superpotential,

$$\mathcal{W}_{Rp} = \frac{1}{2} \varepsilon_{ab} \lambda_{ijk} \hat{L}_i^a \hat{L}_j^b \hat{E}_k + \varepsilon_{ab} \lambda'_{ijk} \hat{L}_i^a \hat{Q}_j^b \hat{D}_k + \frac{1}{2} \varepsilon_{\alpha\beta\gamma} \lambda''_{ijk} \hat{U}_i^\alpha \hat{D}_j^\beta \hat{D}_k^\gamma + \varepsilon_{ab} \mu_i \hat{L}_i^a \hat{H}_2^b$$

many of which are literally dangerous,  
while some are not -

$$\hat{\sigma}_{e\mu} \propto (\lambda'_{311})^2 \times (\lambda_{312})^2 \cdot \frac{1}{|\hat{s} - M^2 + i\Gamma M|^2}$$



We might be producing single sneutrinos,  
which decay into an electron and a muon.

The would be visible as a resonance in  $e\mu$ .

No MET, no jet.

For  $e$  and  $\mu$  sneutrino, strong limits exist.  
Look for tau sneutrino.  
Benchmark point  $\lambda'_{311} = 0.10$  and  $\lambda_{312} = 0.05$   
Sneutrino mass varied between 0.1-1 TeV



# $e\mu$ resonance

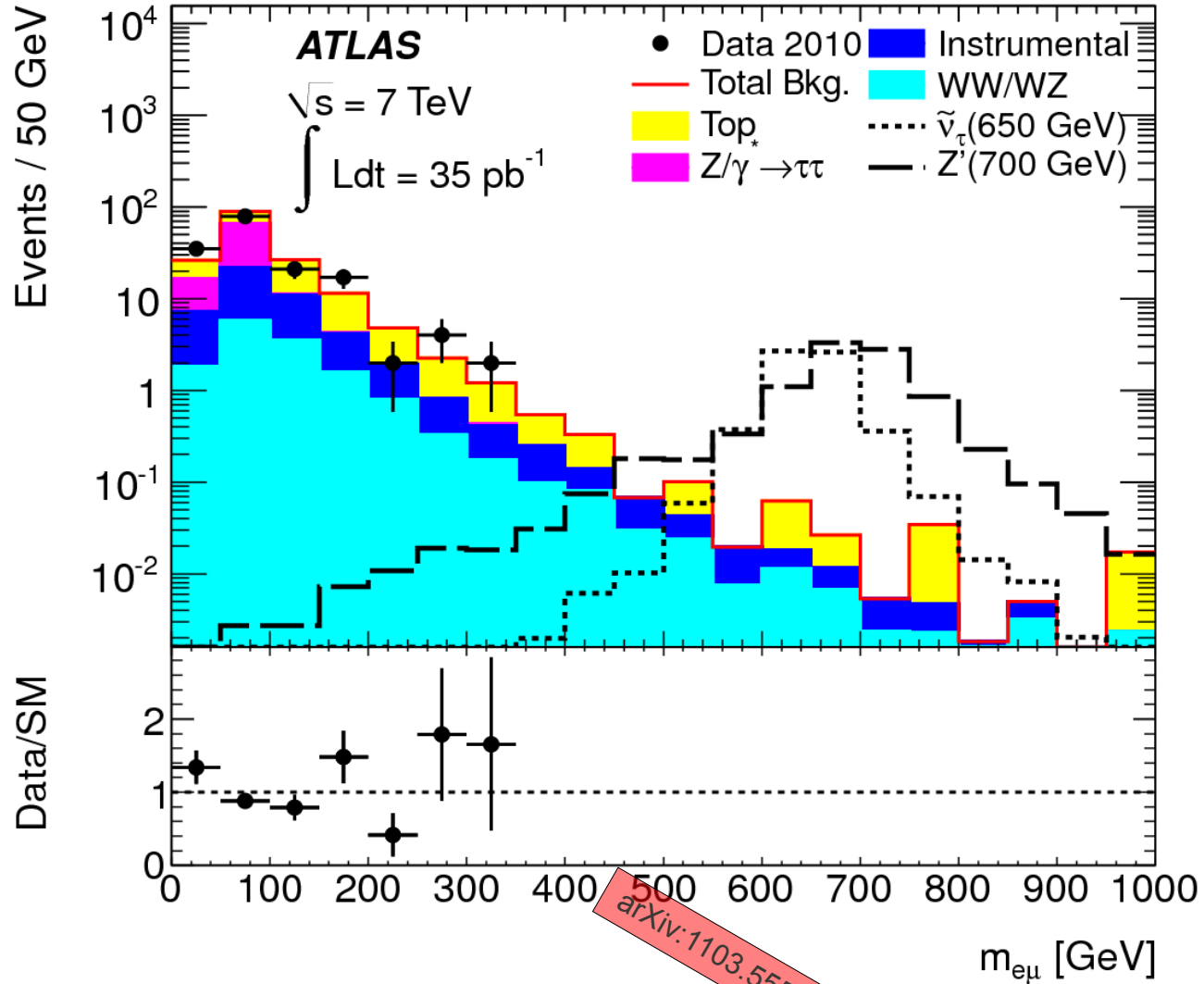
## Event selection:

- exactly one  $e$ , one  $\mu$ , OS
- $pt > 20$  GeV

Most bck estimated from MC

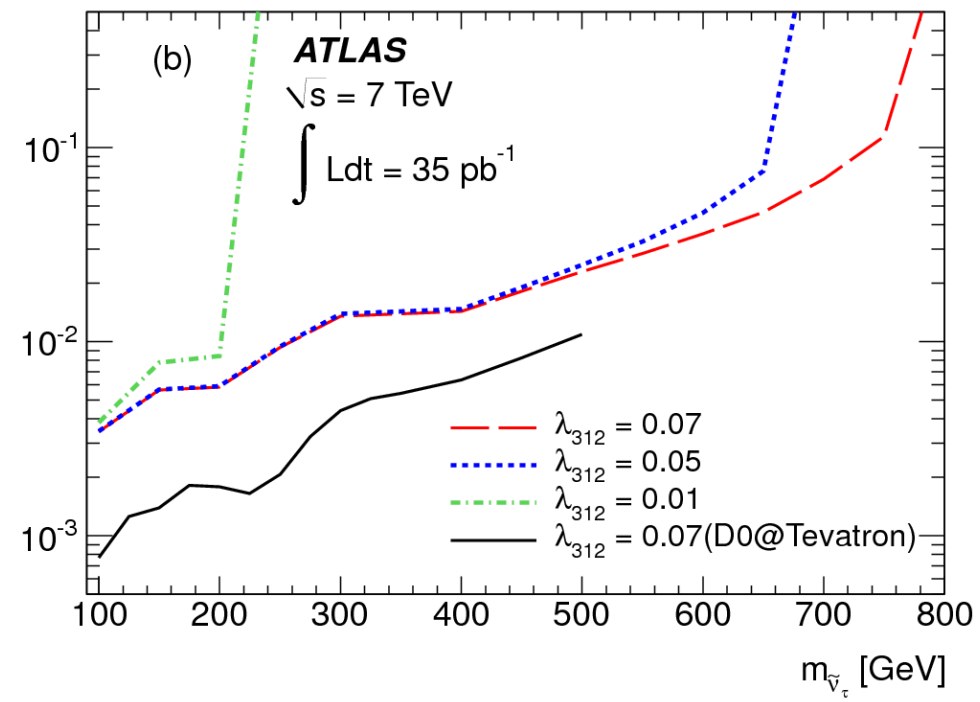
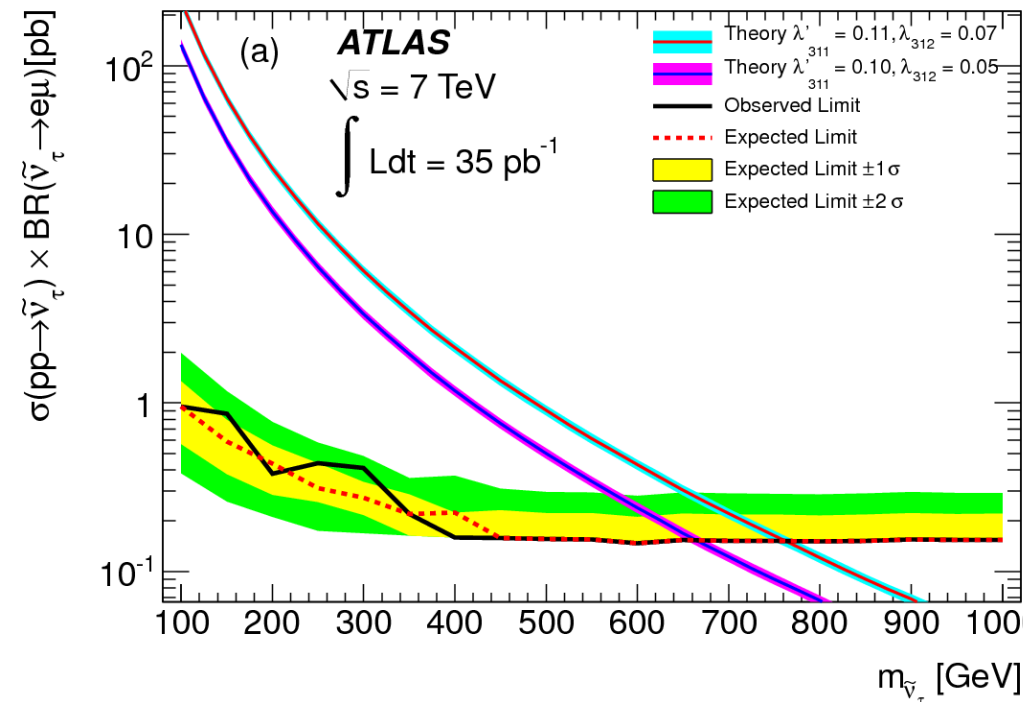
Instrumental bck estimated from data with Matrix Method

Good total agreement



Process	Number of events
$Z/\gamma^* \rightarrow \tau\tau$	$54 \pm 7$
$t\bar{t}$	$57 \pm 9$
WW	$13.4 \pm 1.7$
Single top	$4.6 \pm 0.9$
WZ	$0.79 \pm 0.11$
Instrumental background	$33^{+30}_{-10}$
Total background	$163^{+34}_{-18}$
Data	160

# $e\mu$ resonance



Scan in  $m(e\mu)$ .  
 Look for excess in window  $(m(\nu_\tau) - 3\sigma, m(\nu_\tau) + 3\sigma)$ ,  
 where  $\sigma$  is the expected resolution

Benchmark  $\lambda'_{311} = 0.10$  and  $\lambda_{312} = 0.05$ :

- CDF:  $m(\nu_\tau) > 0.56$  TeV
- ATLAS:  $m(\nu_\tau) > 0.65$  TeV

95% C.L. upper limit on  $\lambda'_{311}$  as a function  
 of  $m(\nu_\tau)$  for three different  $\lambda_{312}$  values

The region above the curve is excluded

# Summary, next

- 2010 was a great year for ATLAS; getting to know the detector; lots of good data
- ATLAS performed three SUSY searches in di-lepton channels with 2010 data
  - OS/SS + MET (arXiv: 1103.6214)
  - OSSF + MET (arXiv: 1103.6208)
  - $e\mu$ -resonance search (arXiv: 1103.5559)
- No sign of SUSY yet
- Have started to extend the Tevatron limits
- 2011 data is over us
- The Grid is already running hot with reconstructing data and simulating MC of SM and lots of different signal hypotheses
- Can hope for integrated luminosity in fb<sup>-1</sup>
- We hope for more

**BACKUP**

**BACKUP**

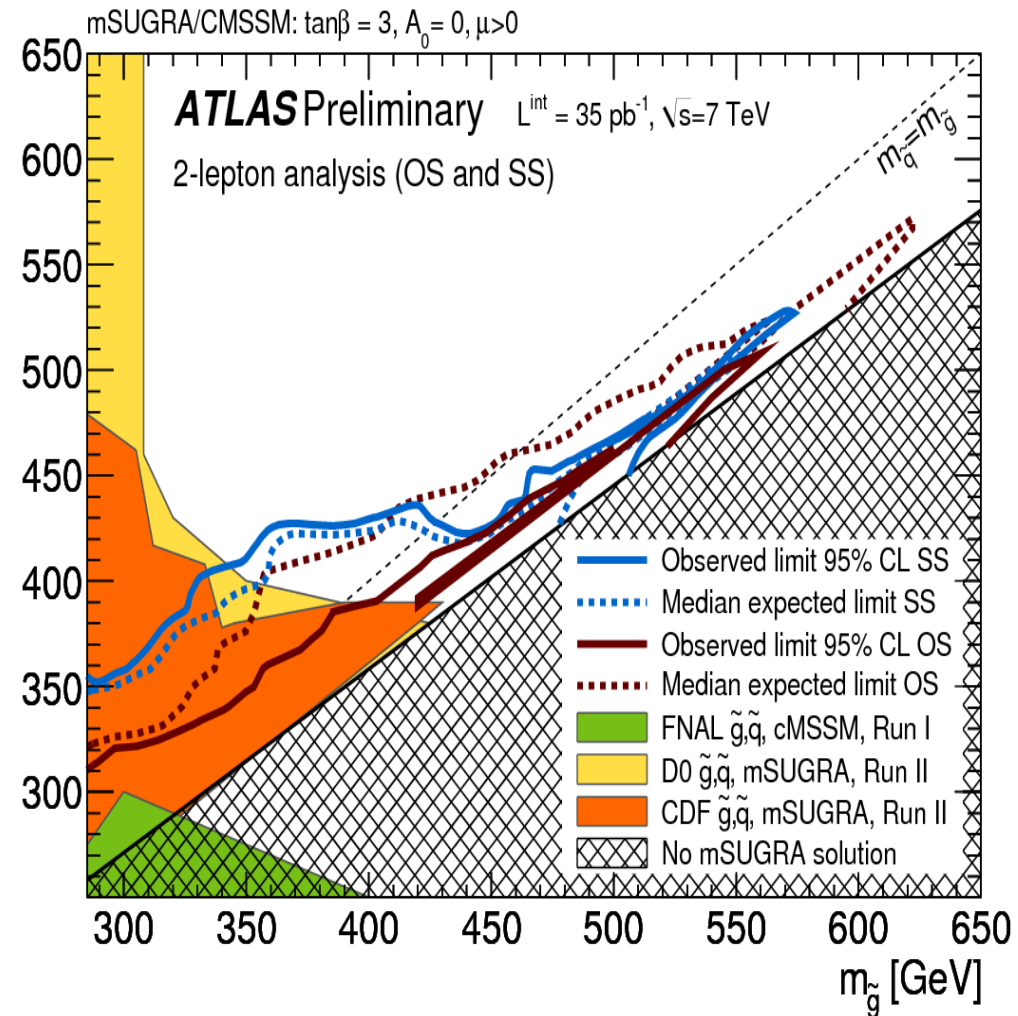
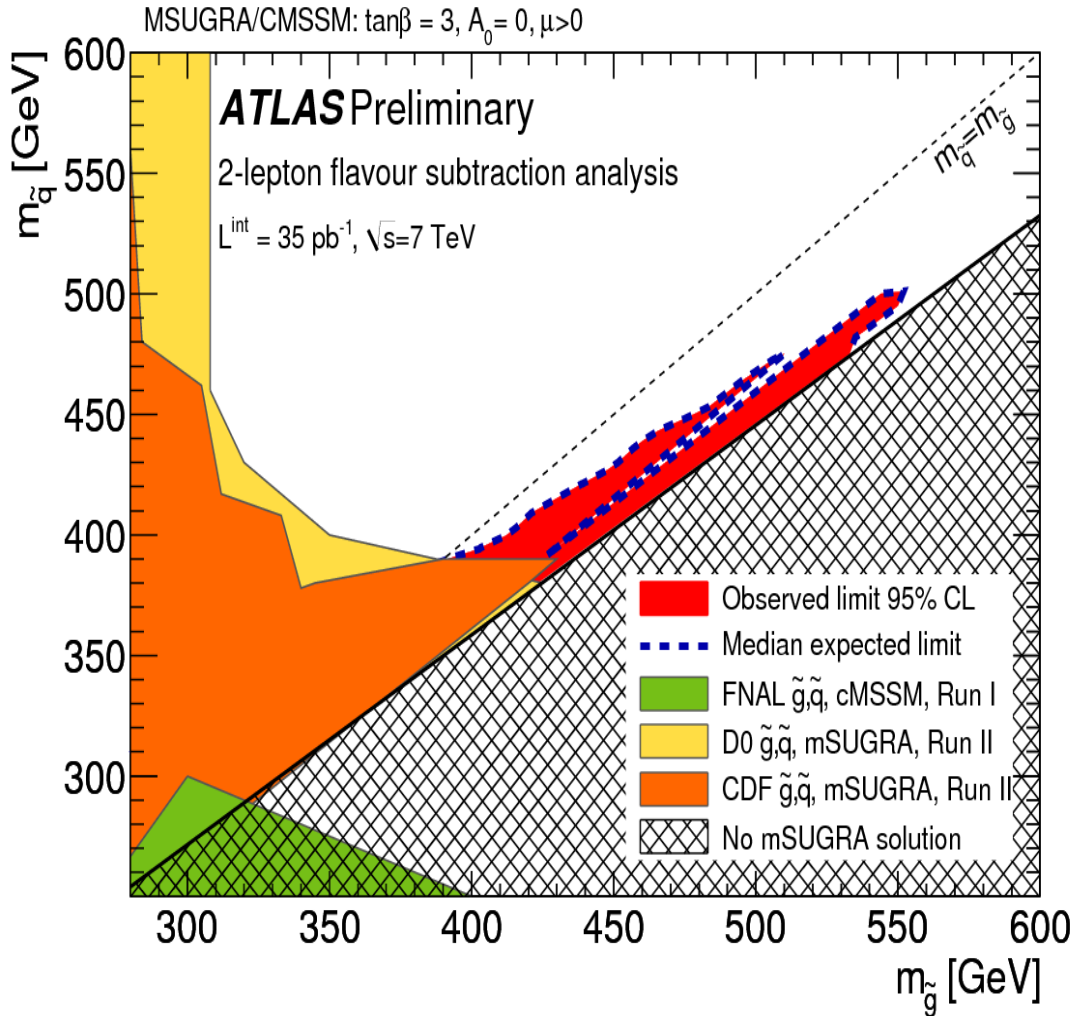
**BACKUP**

**BACKUP**

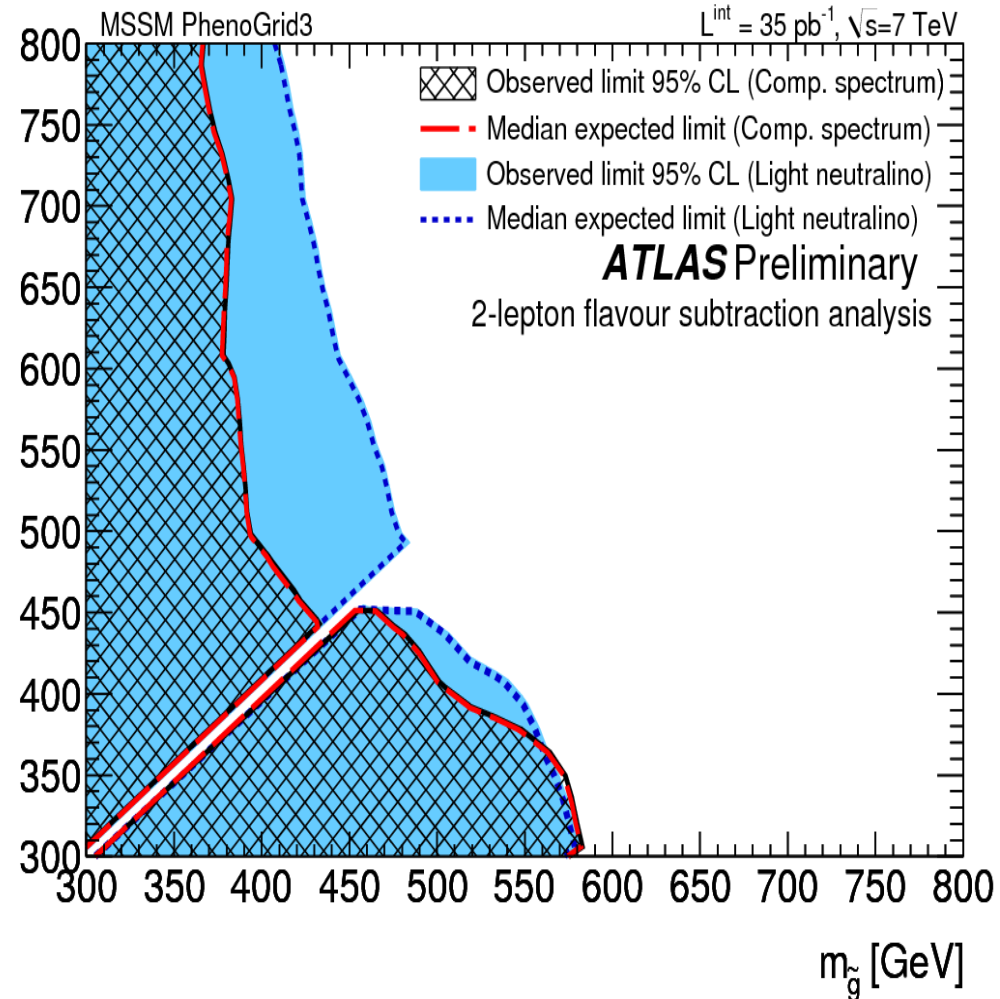
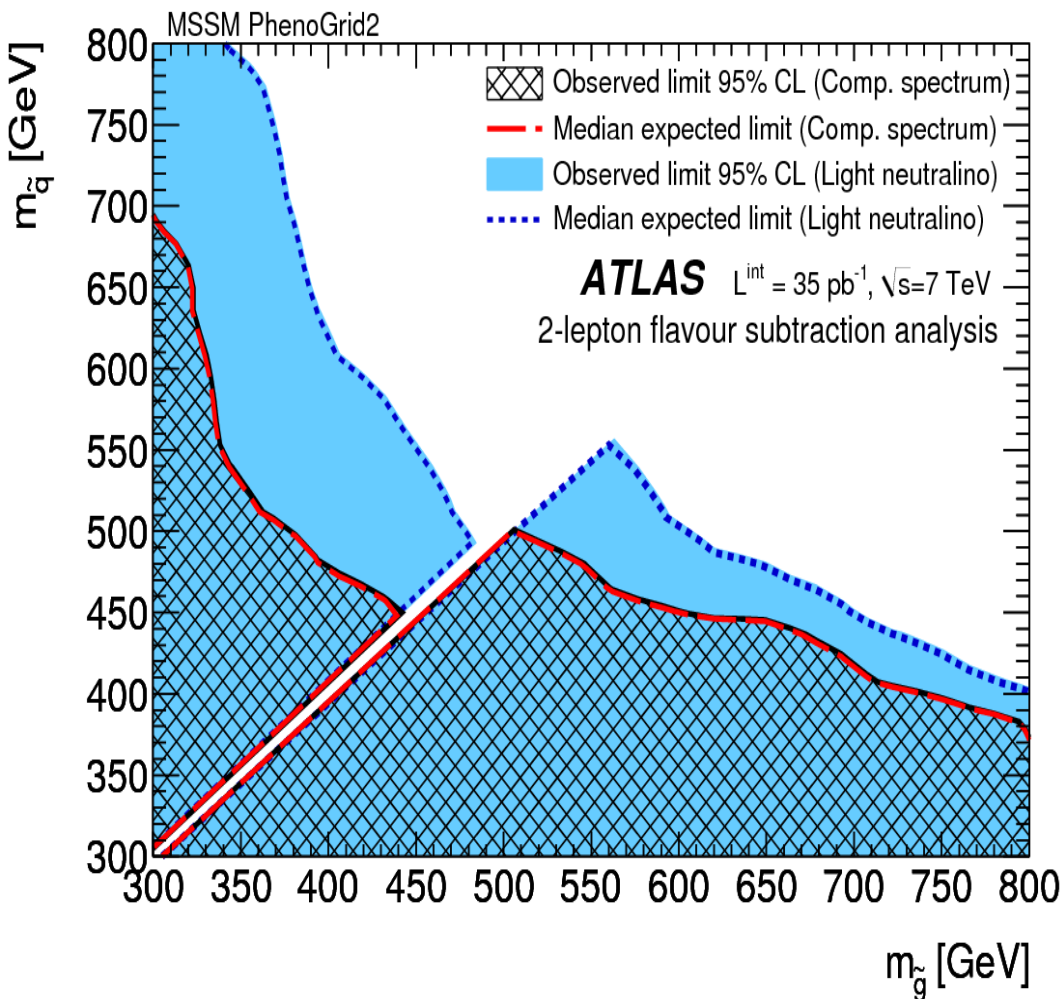
**BACKUP**

**BACKUP**

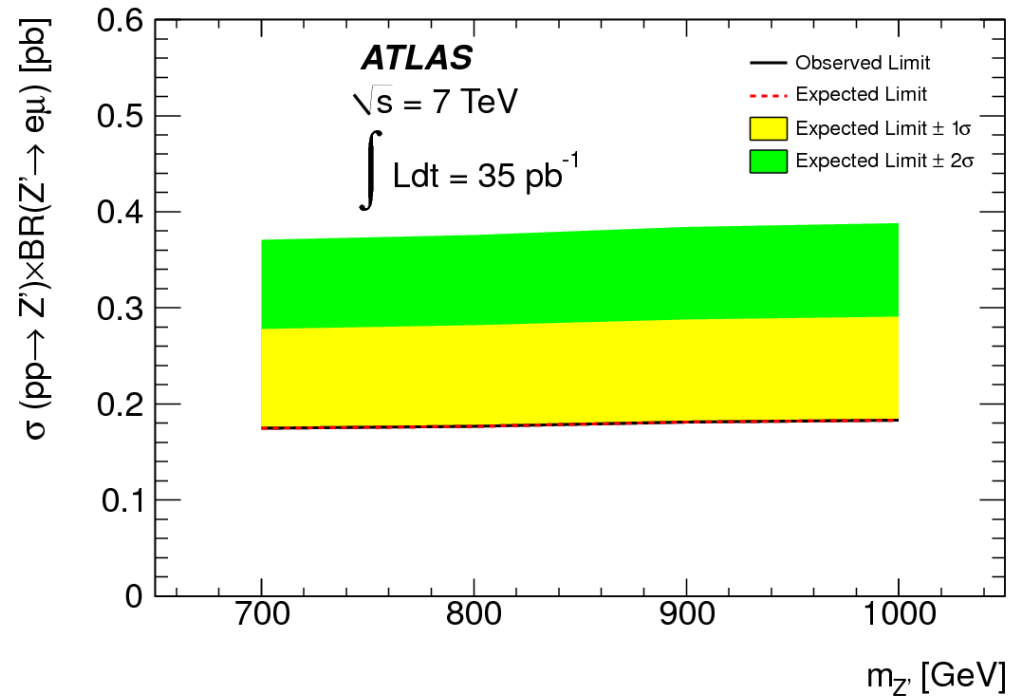
# mSUGRA: $m(\tilde{g})$ vs $m(\tilde{q})$



# PhenoGrid2 and 3, OSSF subtr.



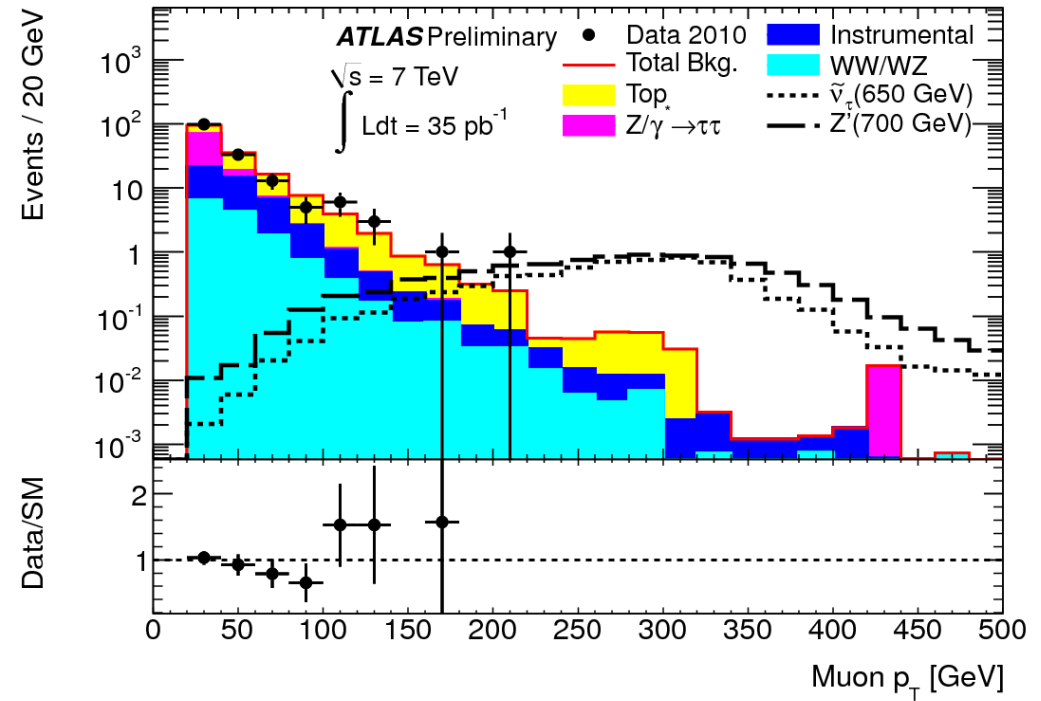
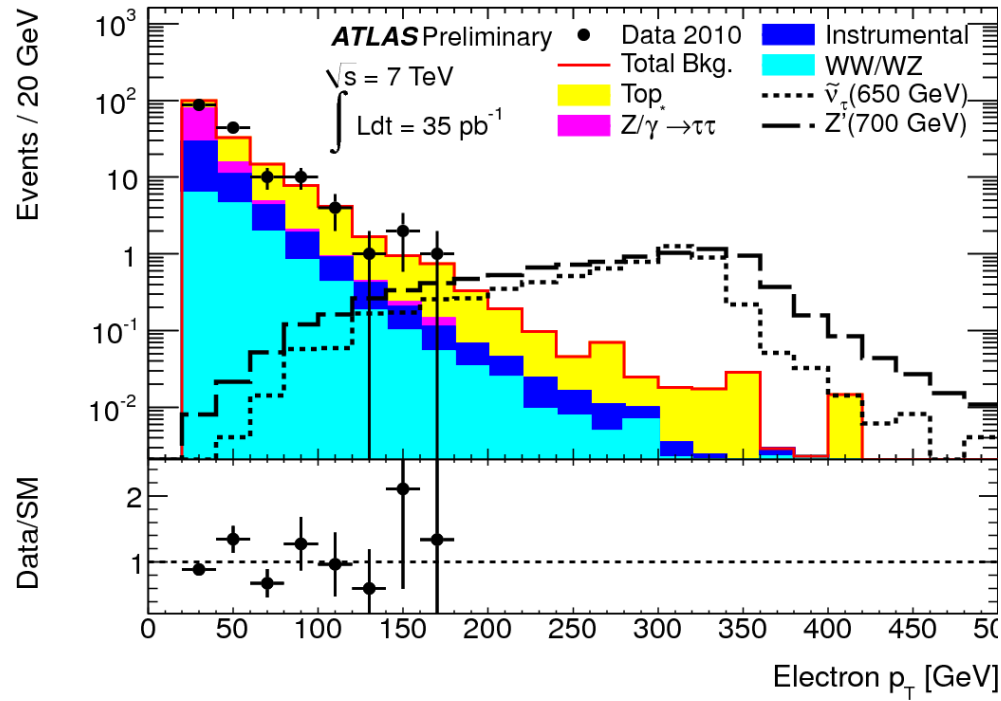
# $e\mu$ resonance: $Z'$ interpretation



An  $e\mu$  resonance can also come from a lepton-flavour violating (LFV) decay of an extra gauge boson  $Z'$ .

Limits on cross-section  $\times$  BR can be set as a function of mass extending the Tevatron limits.

# $e\mu$ -resonance: lepton $p_T$





# BCK estimation: Z (OS)

## Estimation procedure

- Define a CR by  $\text{MET} < 20 \text{ GeV}$ ,  $81 < m(l\bar{l}) < 101$

- The SR is the usual,  $\text{MET} > 100$  (150) GeV

- From MC find  $\beta = \frac{N_{Z/\gamma^*}^{\text{MC,SR}}}{N_{Z/\gamma^*}^{\text{MC,CR}}}$

- Then find the number of  $Z/\gamma^*$  events in the CR

$$N_{Z/\gamma^*}^{\text{data,CR}} = \left( N^{\text{data}} - N_W^{\text{MC}} - N_{t\bar{t}}^{\text{MC}} - N_{\text{QCD}}^{\text{est}} \right)^{\text{CR}}$$

(the non  $Z/\gamma^*$ -contribution in CR is negligible)

- Finally extrapolate this number to the SR

$$N_{Z/\gamma^*}^{\text{est,SR}} = \beta \cdot N_{Z/\gamma^*}^{\text{data,CR}}$$

- For  $e\mu$  MC only since no events in CR

-

# BCK estimation: Charge-flip (SS)

## Charge-flip relevant for SS channel:

- When an electron, typically in di-leptonic  $t\bar{t}$ :
  - emits a hard photon
  - and the hard photon undergoes conversion
  - and the electron with sign opposite to the original electron gets the largest energy share (“trident events”)  
$$e_{\text{hard}}^{\mp} \rightarrow \gamma_{\text{hard}} e_{\text{soft}}^{\mp} \rightarrow e_{\text{soft}}^{\mp} e_{\text{soft}}^{\mp} e_{\text{hard}}^{\pm}$$
- Then the reconstructed charge could easily be the “wrong” one and we have an SS event

## Method:

- Obtain charge-flip probability in  $\eta$  from large-statistics Zee MC sample
- Apply probability on  $t\bar{t}$  MC in SR

## Results:

- Non-negligible for  $ee$  and more so for  $e\mu$

# BCK estimation: Cosmics

- Cosmic muons enter the analysis in:
  - $e\mu$ , if a cosmic muon is incident with a collision event
  - $\mu+\mu^-$  if both incoming and outgoing is reconstructed within the same event

## Estimation method:

- Use the transverse impact parameter in an additional “quality” cut to select cosmic muons; “cosmic-loose” and “cosmic-tight”
- obtain cosmic and collider efficiencies for “cosmic-loose” to also be “cosmic-tight” from calo-stream and MC
- Matrix method then applied to estimate cosmic contribution in SR

## Results:

- Consistent with zero, but considerable uncertainty