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## Charged Higgs cross section plans

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[MSSM subgroup theory]

[Extended Higgs sectors subgroup theory]

[Extended Higgs sectors subgroup experiment]

[(ex) charged Higgs subgroup theory]

15 November 2023

The 20th workshop of the LHC Higgs working group

# Outline

## Task force mission

- Joint effort between the **MSSM** and the **Extended Higgs sectors subgroup**
- To provide charged Higgs cross sections at 13.6 TeV
- To provide cross sections obtained with newer PDF sets, i.e. PDF4LHC21

# MSSM ROOT files

## File Content

- Six scenarios from [EB et al. EPJC 79 (2019) 7, 617] which covers different phenomenologies
- Three  $\mu < 0$  scenarios from [Bahl et al. EPJC 80 (2020) 10, 916]
- Two low  $\tan \beta$  scenarios from [Bahl et al. EPJC 79 (2019) 3, 279]
- hMSSM scenario from [Djouadi & Quevillon JHEP 10 (2013) 028, Maiani et al. PLB 724 (2013) 274-277, Djouadi et al. EPJC 73 (2013) 2650, Djouadi et al. JHEP 06 (2015) 168]
- Cross sections evaluated at three different energies: 8, 13, 14 TeV  $\rightarrow$  13.6 TeV work-in-progress

### Branching ratios

#### Neutral Higgs

$\langle \phi \rangle = h, H, A$

br\_<math>\langle \phi \rangle\_{bb}</math>  
br\_<math>\langle \phi \rangle\_{cc}</math>  
br\_<math>\langle \phi \rangle\_{g\text{angam}}</math>  
br\_<math>\langle \phi \rangle\_{gluglu}</math>  
br\_<math>\langle \phi \rangle\_{\text{mumu}}</math>  
br\_<math>\langle \phi \rangle\_{\text{SUSY}}</math>  
br\_<math>\langle \phi \rangle\_{\text{tautau}}</math>  
br\_<math>\langle \phi \rangle\_{tt}</math>  
br\_<math>\langle \phi \rangle\_{\text{WW}}</math>  
br\_<math>\langle \phi \rangle\_{\text{Zgam}}</math>  
br\_<math>\langle \phi \rangle\_{\text{ZZ}}</math>  
br\_H\_AA  
br\_H\_hh  
br\_H\_WHp  
br\_A\_Zh

#### Charged Higgs

$\langle \phi \rangle = h, H, A$

$\text{CP}$ -violating scenario  
 $\langle \phi \rangle = H_1, H_2, H_3$

br\_Hp\_cb  
br\_Hp\_cd  
br\_Hp\_cs  
br\_Hp\_mumu  
br\_Hp\_taanu  
br\_Hp\_tb  
br\_Hp\_ts  
br\_Hp\_td  
br\_Hp\_ub  
br\_Hp\_<math>\langle \phi \rangle\_W</math>  
br\_Hp\_SUSY  
br\_t\_Hpb

### Cross sections

### Cross sections

#### Neutral Higgs

$\langle \phi \rangle = h, H, A$

$\text{CP}$  violating scenario  
 $\langle \phi \rangle = H_1, H_2, H_3$   
xs\_bb\_<math>\langle \phi \rangle</math>  
xs\_bb\_<math>\langle \phi \rangle\_{\text{down}}</math>  
xs\_bb\_<math>\langle \phi \rangle\_{\text{up}}</math>  
xs\_gg\_<math>\langle \phi \rangle</math>  
xs\_gg\_<math>\langle \phi \rangle\_{\text{pdfasdown}}</math>  
xs\_gg\_<math>\langle \phi \rangle\_{\text{pdfasup}}</math>  
xs\_gg\_<math>\langle \phi \rangle\_{\text{scaledown}}</math>  
xs\_gg\_<math>\langle \phi \rangle\_{\text{scalesup}}</math>  
xs\_vbf\_<math>\langle \phi \rangle</math>  
xs\_hs\_Z<math>\langle \phi \rangle</math>  
xs\_hs\_W<math>\langle \phi \rangle</math>  
xs\_tth\_<math>\langle \phi \rangle</math>

#### SM Higgs

xs\_bb\_HSM  
xs\_gg\_HSM  
xs\_vbf\_HSM  
xs\_hs\_ZHSM  
xs\_hs\_WHSM  
xs\_tth\_HSM

#### Charged Higgs

xs\_pp\_Hp  
xs\_pp\_down  
xs\_pp\_up

### Other quantities

#### Masses

$\langle \phi \rangle = h, H, A, H_p$

$\text{CP}$ -violating scenario  
 $\langle \phi \rangle = H_1, H_2, H_3, H_p$   
m\_<math>\langle \phi \rangle</math>

#### Couplings

$\langle \phi \rangle = h, H, A$   
lam3\_HHH only for  $M_H^{25}$   
rescale\_gt\_<math>\langle \phi \rangle</math>  
rescale\_gb\_<math>\langle \phi \rangle</math>  
rescale\_deltab  
rescale\_im\_deltab  
lam3\_hhh (lam3\_HHH)  
lam3\_HSM  
lam3\_HSM.tree  
alpha

#### Couplings

$\text{CP}$ -violating scenario  
 $\langle i \rangle, \langle j \rangle = 1, 2, 3$   
rescale\_deltab  
rescale\_im\_deltab  
lam3\_H1H1H1  
lam3\_HSM  
lam3\_HSM.tree  
Hmix\_<math>\langle i \rangle \langle j \rangle</math>  
alpha\_tree

#### Total widths

$\langle \phi \rangle = h, H, A, H_p$

$\text{CP}$ -violating scenario  
 $\langle \phi \rangle = H_1, H_2, H_3, H_p$   
width\_<math>\langle \phi \rangle</math>  
width\_HSM  
width\_t

#### Interference factors

$\text{CP}$ -violating scenario  
 $\langle \phi \rangle = H_1, H_2, H_3$   
int\_bb\_tautau\_<math>\langle \phi \rangle</math>  
int\_gg\_tautau\_<math>\langle \phi \rangle</math>

# Charged Higgs cross section in the MSSM ROOT files

- The cross section stored in the **ROOT** files comes from three different prediction sets, originally provided by the **Charged Higgs group**
- This subgroup was merged in 2018 into the **Extended Higgs sectors subgroup**
- The predictions are available at LHCHWGMSSMCharged-twiki

## Cross section sets

- **low-mass range** ( $m_{H^\pm} < 145$  GeV) -- actually we provide only the BR ( $t \rightarrow H^\pm b$ ), the user is assumed to compute his own top production cross section
- **intermediate mass range** ( $145$  GeV  $< m_{H^\pm} < 200$  GeV) -- cross sections provided by M. Zaro and collaborators [[Degrande et al. 1607.05291](#)]
- **high mass range** ( $m_{H^\pm} > 200$  GeV) -- 4FS and 5FS Santander matched cross sections

# Caveats

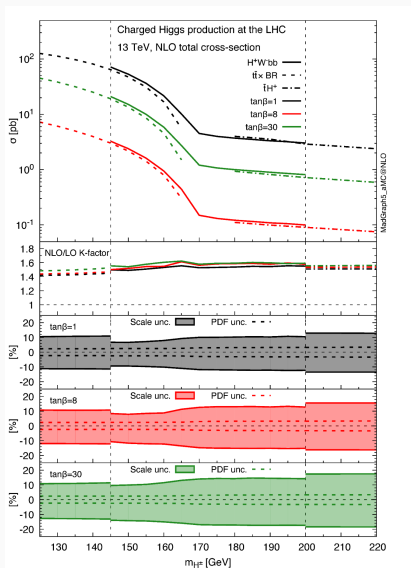
## Caveats

- No attempt has been made to smooth out the thresholds between the different predictions; more theory work needed to do this properly
- Original predictions were made available in a type-II 2HDM  $\rightarrow$  MSSM effects included only via an effective bottom Yukawa coupling ( $\Delta_b$  corrections).

Recipe, for a given value of  $\tan \beta$  (Sven Heinemeyer)

- Obtain  $\Delta_b$  from **FeynHiggs** (note that  $\Delta_b$  can be complex)
  - Compute  $\tan \beta_{\text{eff}} = \frac{\tan \beta}{\sqrt{|1+\Delta_b|}}$
  - Look up the cross section for  $\tan \beta_{\text{eff}}$
  - Multiply the cross section by  $\frac{1}{|1+\Delta_b|}$
- This is **not** appropriate for the low  $\tan \beta$  regime  $\rightarrow$  add a 10% uncertainty to the uncertainty estimation available by the grids

# Matching between the different predictions



Further details on the behaviour of the scale uncertainties can be inferred from Fig. 3, where we compare our intermediate-mass range results to dedicated predictions for light and heavy charged Higgs production. The input parameters have been chosen consistently across all the mass range, in particular all cross sections are computed in the 1FS, the central scale for low-mass range is also set to  $\mu = 125$  GeV, while the scale  $\mu = (m_t + m_{H^\pm} + m_b)/3$  is used for the heavy charged Higgs case. The central predictions in the main frame develop a prominent structure with a kink at the threshold  $m_{H^\pm} \simeq m_t - m_b$ . The effect of the single-resonant contributions ( $pp \rightarrow tW^-$  and  $pp \rightarrow tH^+$ ) is visible when comparing our results in the intermediate-mass range with the low-mass prediction. Indeed, the single-resonant contributions are missing in the low-mass prediction and amount to 10% – 15% of the  $pp \rightarrow t\bar{t}$  cross section depending on the specific value of  $\tan\beta$ . In contrast, looking at the matching of the intermediate-mass predictions to the heavy charged Higgs cross section, we observe a 5% – 10% gap for  $\tan\beta = 8$  and  $\tan\beta = 30$ , while there is essentially no gap for  $\tan\beta = 1$ . Such a gap originates from the non-resonant part of the  $pp \rightarrow H^*W^+b\bar{b}$  amplitude, which, because of the chiral structure of the  $H^*b\bar{b}$  and  $W^+b\bar{b}$  vertices, is enhanced (suppressed) for large (small) values of  $\tan\beta$ . At 145 and 200 GeV, the size of the scale uncertainty in the intermediate region and the sidebands is slightly different. These discontinuities are related to missing subleading terms in the predictions used in the low and high-mass regions, i.e. mostly single-resonant and non-resonant, respectively, although it is difficult to pin down exactly the origin of the discontinuities because of the non-trivial separation of these contributions beyond leading order. Finally, we note that the  $K$ -factor in the intermediate region interpolates very well the ones in the low and high-mass range.

[Degrande et al. 1607.05291]

- Practical approach: mismatch not too large; made people aware of the mismatch, but in first approximation provide no interpolation

# Current status *Extended Higgs sector side*

## Extended Higgs sector subgroup

- **low-mass range** ( $m_{H^\pm} < 145$  GeV) -- Updated in 2023 by Nikos, provided in the old mhmax scenario; top cross sections from ATLAS+CMS recommendations
- **intermediate mass range** ( $145$  GeV  $< m_{H^\pm} < 200$  GeV) -- cross sections provided by M. Zaro and collaborators [[Degrande et al. 1607.05291](#)], type I and type II 2HDM
- **high mass range** ( $m_{H^\pm} > 200$  GeV) -- 4FS and 5FS Santander matched cross sections in a type II 2HDM. 8 and 14 TeV obtained with the use of **Prospino** (5FS) and a private code from M. Spira (4FS), while the 13 TeV (YR4) numbers are from M. Zaro

# Plans and Work in progress

Joint work from the two subgroups

- **low-mass range** ( $m_{H^\pm} < 145$  GeV) -- provide the cross sections in a generic type I 2HDM (N. Rompotis)
- **intermediate mass range** ( $145$  GeV  $< m_{H^\pm} < 200$  GeV) -- cross sections provided by M. Zaro in a type II 2HDM (private code), will be managed by E. Bagnaschi and made available also a type I 2HDM grid
- **high mass range** ( $m_{H^\pm} > 200$  GeV) -- 4FS and 5FS Santander matched cross sections in a type II 2HDM
  - Cross check between **Prospino**/private code from M. Spira and **MG5\_aMC@NLO**
  - For existing mass points, 13.6 TeV will be obtained via interpolation (but same PDF then (?))
  - Extension of the grids up to 2 TeV



Backup slides

# 2HDM Reweighting

miss effects due to the  $\tan\beta$  dependence of the top width. We verified that, if the top-width dependence is included as an overall factor, we are able to reproduce our  $\tan\beta = 1$  and  $\tan\beta = 30$  NLO cross sections and uncertainties starting from the numbers at  $\tan\beta = 8$  with an accuracy of 1% or better, using the relation (the dependence on  $m_{H^\pm}$  is understood)

$$\sigma^{t-II}(\tan\beta') = \left[ \left( \frac{\tan\beta'}{\tan\beta} \right)^2 \sigma_{y_b^2}^{t-II}(\tan\beta) + \sigma_{y_b y_t}^{t-II}(\tan\beta) + \left( \frac{\tan\beta}{\tan\beta'} \right)^2 \sigma_{y_t^2}^{t-II}(\tan\beta) \right] \times \left( \frac{\Gamma_t(\tan\beta)}{\Gamma_t(\tan\beta')} \right)^2. \quad (1)$$

This also shows that effects due to the width-dependent complex phase of  $y_t$  are very small. Concerning how to extend our results in a type-I 2HDM, we first point out that for  $\tan\beta = 1$ , the cross-section is identical to the type-II case. Then, the cross-section for any other value of  $\tan\beta$  can be simply obtained as

$$\sigma^{t-I}(\tan\beta') = \frac{\sigma^{t-I}(\tan\beta = 1)}{(\tan\beta')^2} \times \left( \frac{\Gamma_t(\tan\beta)}{\Gamma_t(\tan\beta')} \right)^2. \quad (2)$$

[Degrande et al. 1607.05291]