

SFitter

Tilman Plehn

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Madminer

Benchmarking

Optimal Input to Global Analyses

Tilman Plehn

Universität Heidelberg

CERN, November 2023



Global LHC analyses

Goal of LHC

- not: testing BSM models
 - search for (off-shell) new particles in terms of precision-QFT
 - exploit many kinematic analyses enable re-interpretation for models
- Path to understanding all LHC data

SFitter topics [one year per paper]

- independent uncertainty analysis [0904.3866]
 - Higgs-gauge sectors in SMEFT [1604.03105]
 - di-boson resonance kinematics [1812.07587]
 - top sector to NLO [1910.03606]
 - loop-matching for full models [2108.01094]
 - profile likelihood vs marginalization [2208.08454]
- Which experimental results?



Optimal measurements

Madminer from score from Fisher information from likelihood ratio [Brehmer, Cranmer, Kling...]

- likelihood ratio at detector level

$$\log \frac{p(x|\theta)}{p(x|0)} = \log \frac{\int dx_p T(x|x_p) p(x_p|\theta)}{\int dx_p T(x|x_p) p(x_p|0)}$$

- Fisher information over events, expanded around SM

$$-2 \mathbb{E} \left[\log \frac{p(x|\theta)}{p(x|0)} \right] = -\mathbb{E} \left[\frac{\partial^2 \log p(x|\theta)}{\partial \theta_i \partial \theta_j} \right] \theta_i \theta_j + \mathcal{O}(\theta^3),$$

- Score and optimal limits $[\text{Cov}[\theta_i, \theta_j] \geq (I^{-1})_{ij}]$

$$I_{ij} \equiv -\mathbb{E} \left[\frac{\partial^2 \log p(x|\theta)}{\partial \theta_i \partial \theta_j} \right] = \frac{\mathcal{L}}{\sigma} \frac{\partial \sigma}{\partial \theta_i} \frac{\partial \sigma}{\partial \theta_j} + \frac{\mathcal{L} \sigma}{N} \sum_{x \sim p(x|0)} t_i(x) t_j(x)$$



Optimal measurements

Madminer from score from Fisher information from likelihood ratio [Brehmer, Cranmer, Kling...]

- likelihood ratio at detector level

$$\log \frac{\rho(x|\theta)}{\rho(x|0)} = \log \frac{\int dx_p T(x|x_p) \rho(x_p|\theta)}{\int dx_p T(x|x_p) \rho(x_p|0)}$$

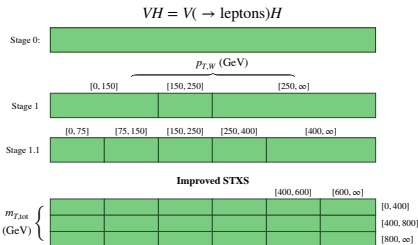
- Fisher information over events, expanded around SM

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Compared to STXS



Reach with background

Simple process $pp \rightarrow W_\ell H_{bb}$ [Brehmer, Dawson, Homiller, Kling, TP, long time ago]

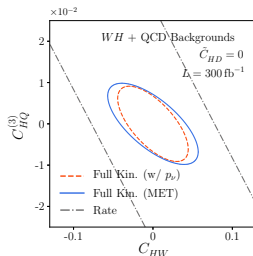
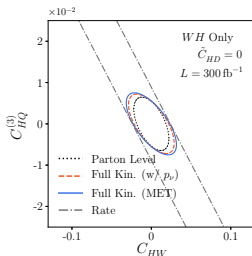
- example operators [wf vs vertex structure vs 4-point]

$$\tilde{\mathcal{O}}_{HD} = (\phi^\dagger \phi) \square (\phi^\dagger \phi) - \frac{1}{4} (\phi^\dagger D^\mu \phi)^* (\phi^\dagger D_\mu \phi)$$

$$\mathcal{O}_{HW} = \phi^\dagger \phi W_{\mu\nu}^a W^{\mu\nu a} \quad \mathcal{O}_{Hq}^{(3)} = (\phi^\dagger i \overleftrightarrow{D}_\mu^a \phi) (\bar{Q}_L \sigma^a \gamma^\mu Q_L)$$

- simplified detector and backgrounds

→ Detector not our problem



Reach with background

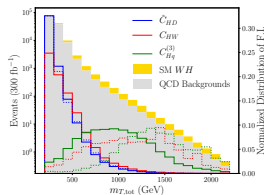
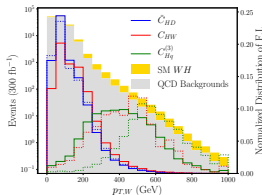
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- simplified detector and backgrounds
- **Detector not our problem**
- signal observables $p_{T,W} - m_{T,tot}$



- $\tilde{\mathcal{O}}_{HD}$ and \mathcal{O}_{HW} from bulk
- $\mathcal{O}_{Hq}^{(3)}$ from high-mass tail

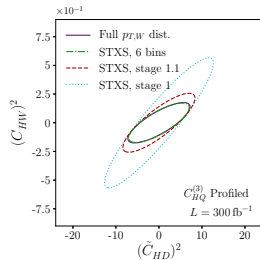
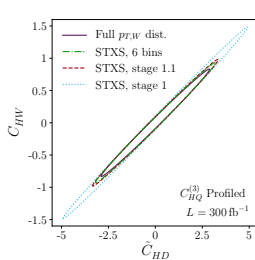
→ **Kinematics key**



Single distributions

$p_{T,W}$ linear vs squared in D6

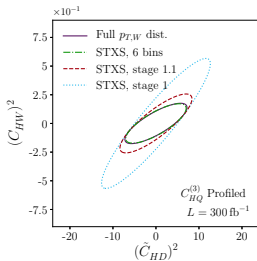
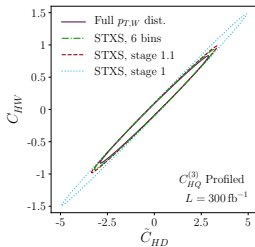
- bulk operators



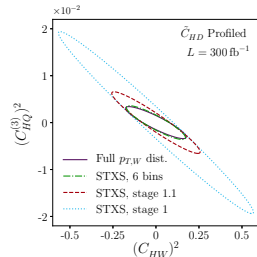
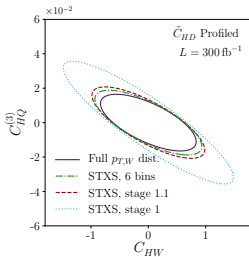
Single distributions

$p_{T,W}$ linear vs squared in D6

- bulk operators



- tail operator



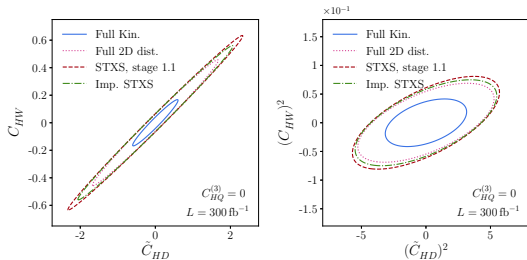
→ Full range and enough bins needed



Full kinematics

Full kinematics $p_{T,W}$

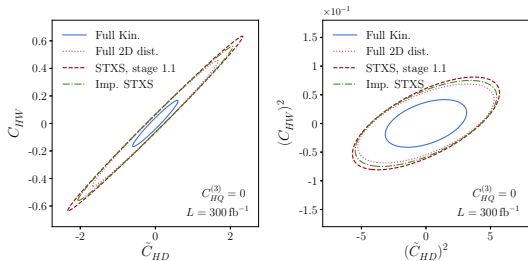
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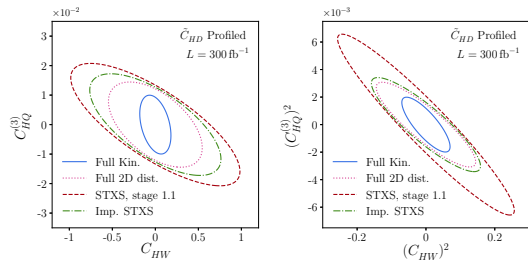
Full kinematics

Full kinematics $p_{T,W}$

- bulk operators



- tail operator



→ 2D-kinematics not enough



Outlook

SMEFT analyses

- show that **global LHC analyses are possible**
result predictable, limits not worth the time...
 - interesting theory questions
interesting pheno questions
interesting statistics questions
 - pre-digested data boring and sub-optimal
ask top groups: unfolded kinematics
 - future:
likelihoods for uncertainties [Elmer, Madigan, TP, Schmal]
multi-dimensional unfolding
- **Who do ATLAS and CMS write papers for?**

