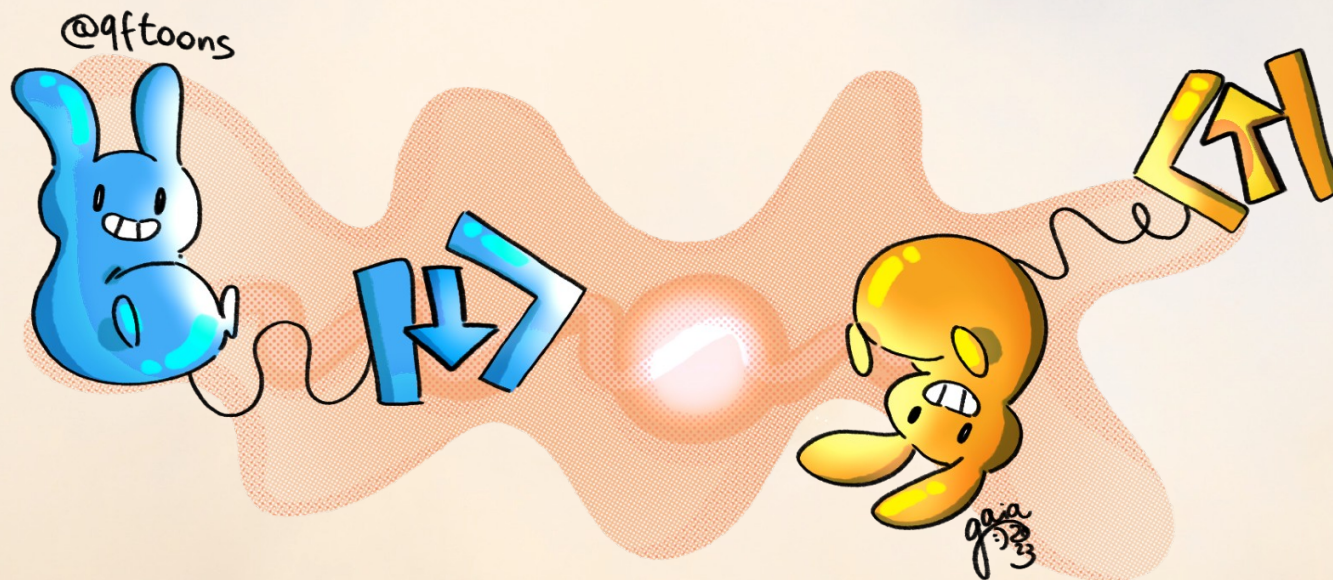


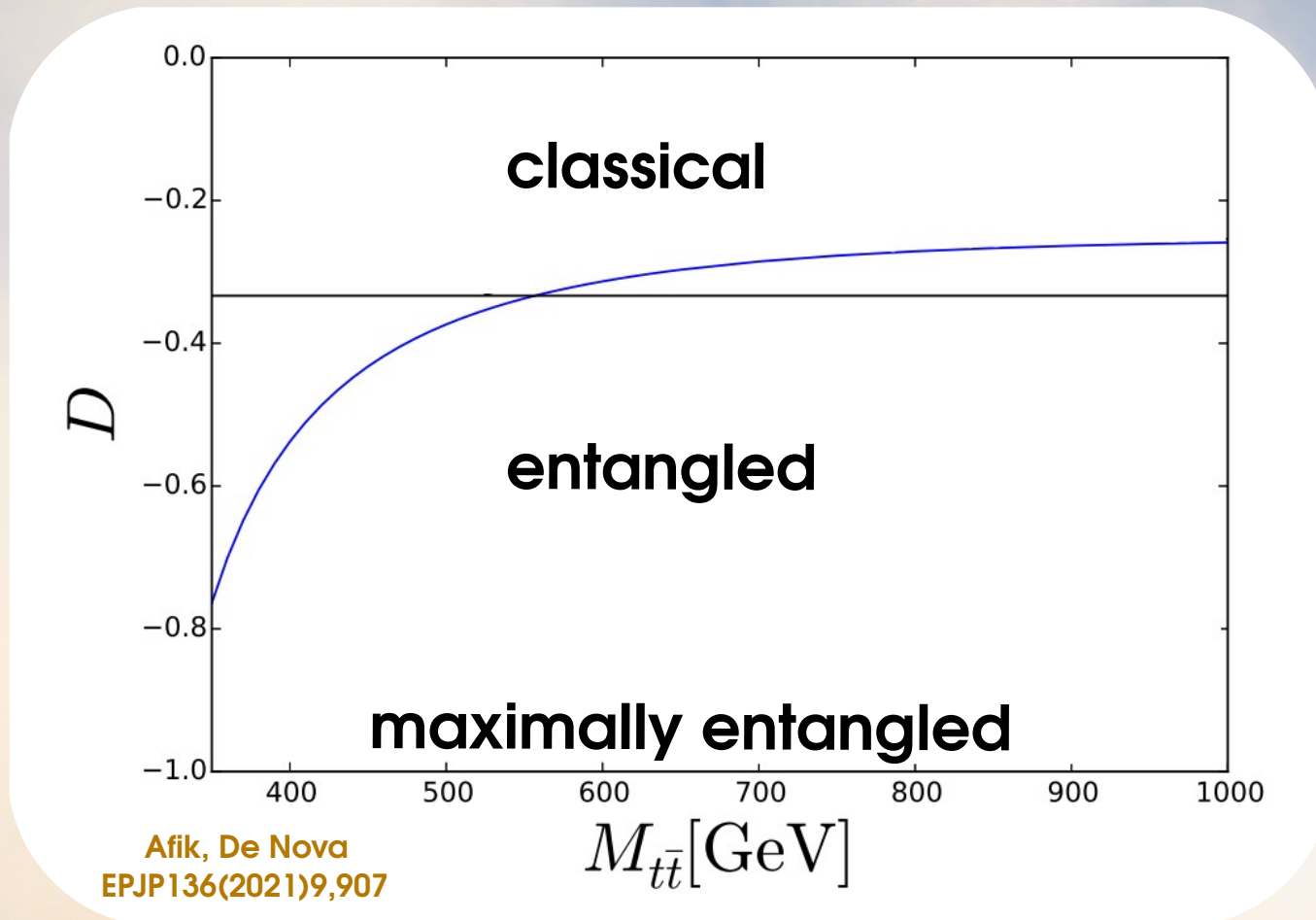
Quantum tomography for BSM



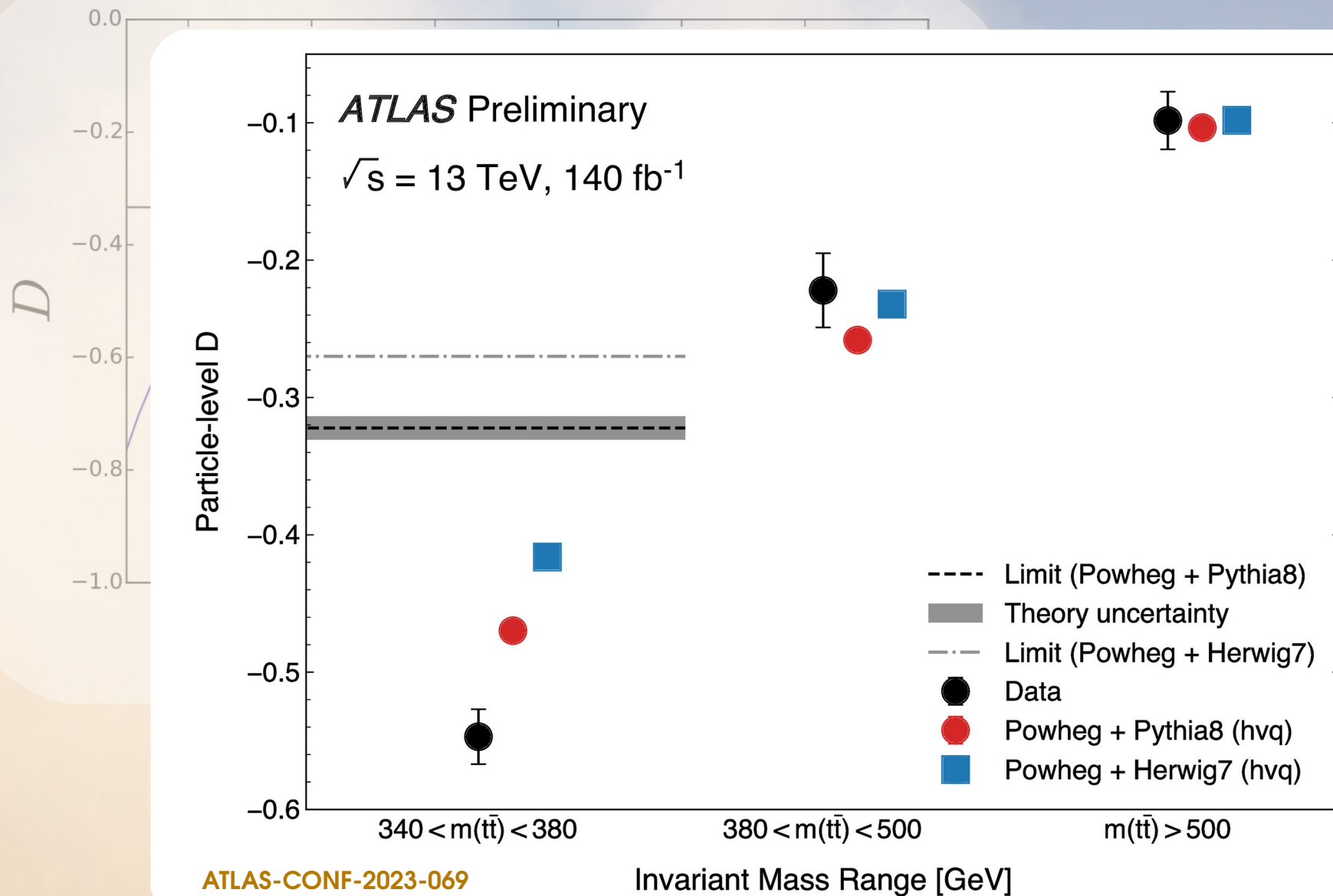
10/3/23

Claudio Severi - U. Manchester

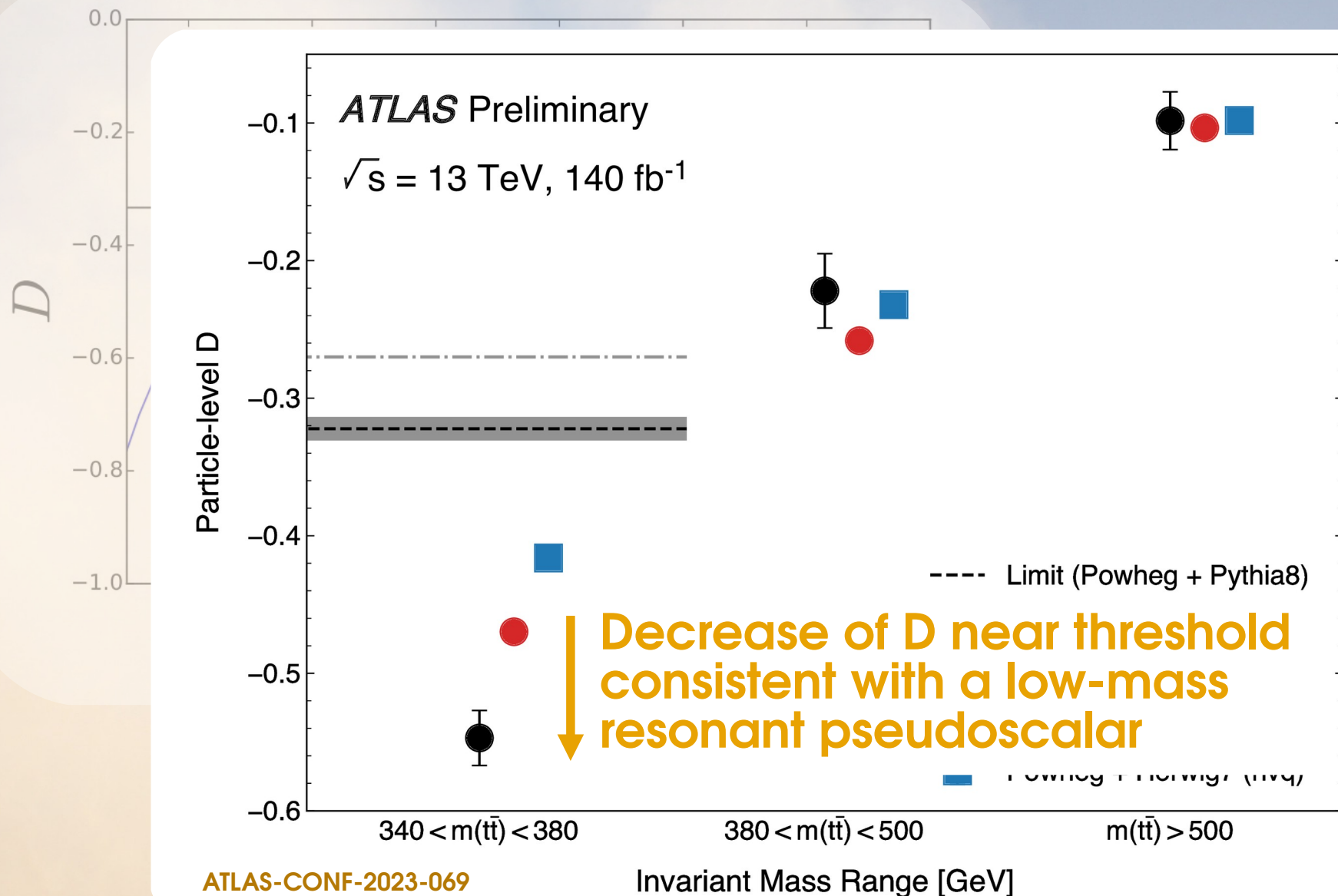
Spin correlations can be so strong they can not be explained classically:



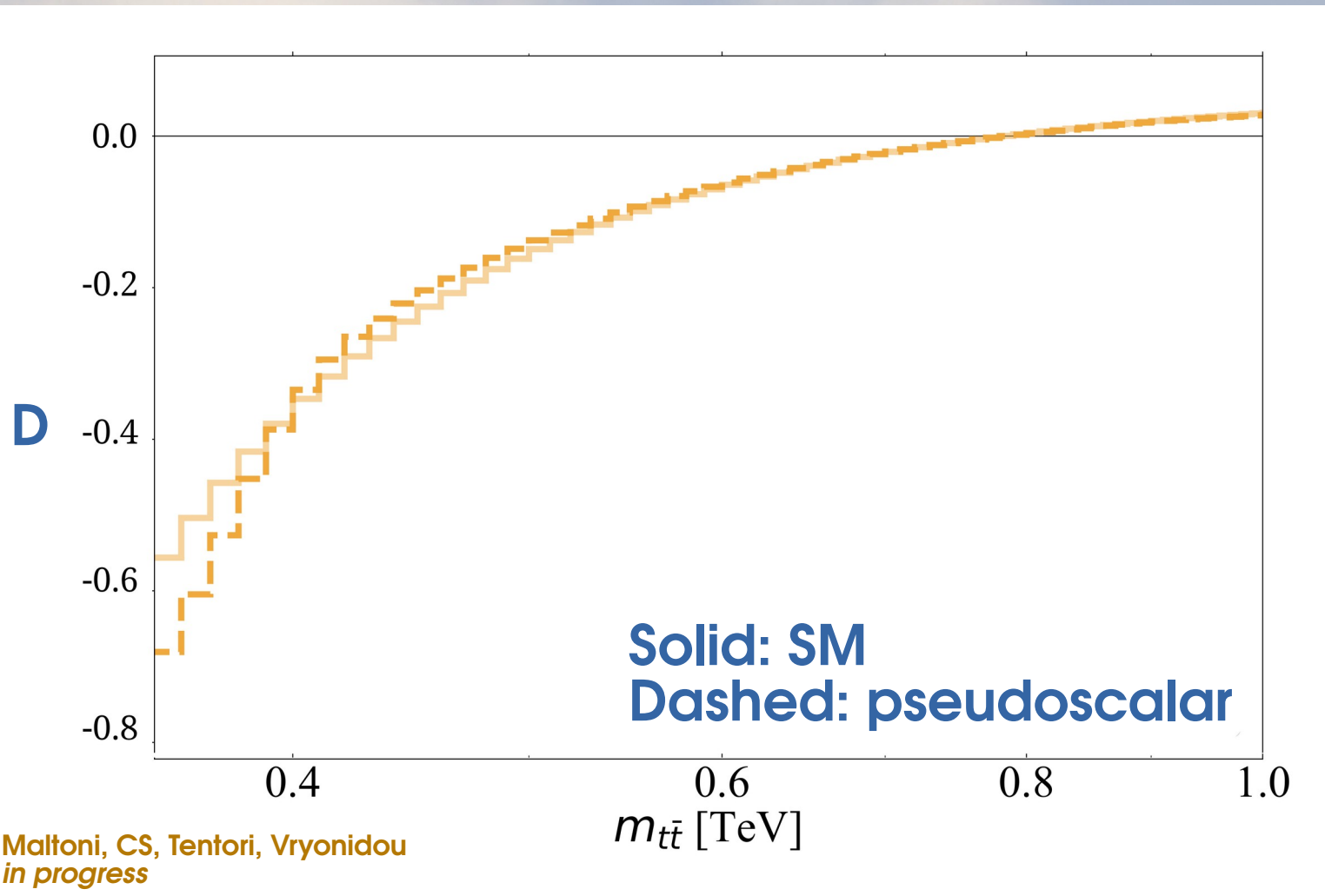
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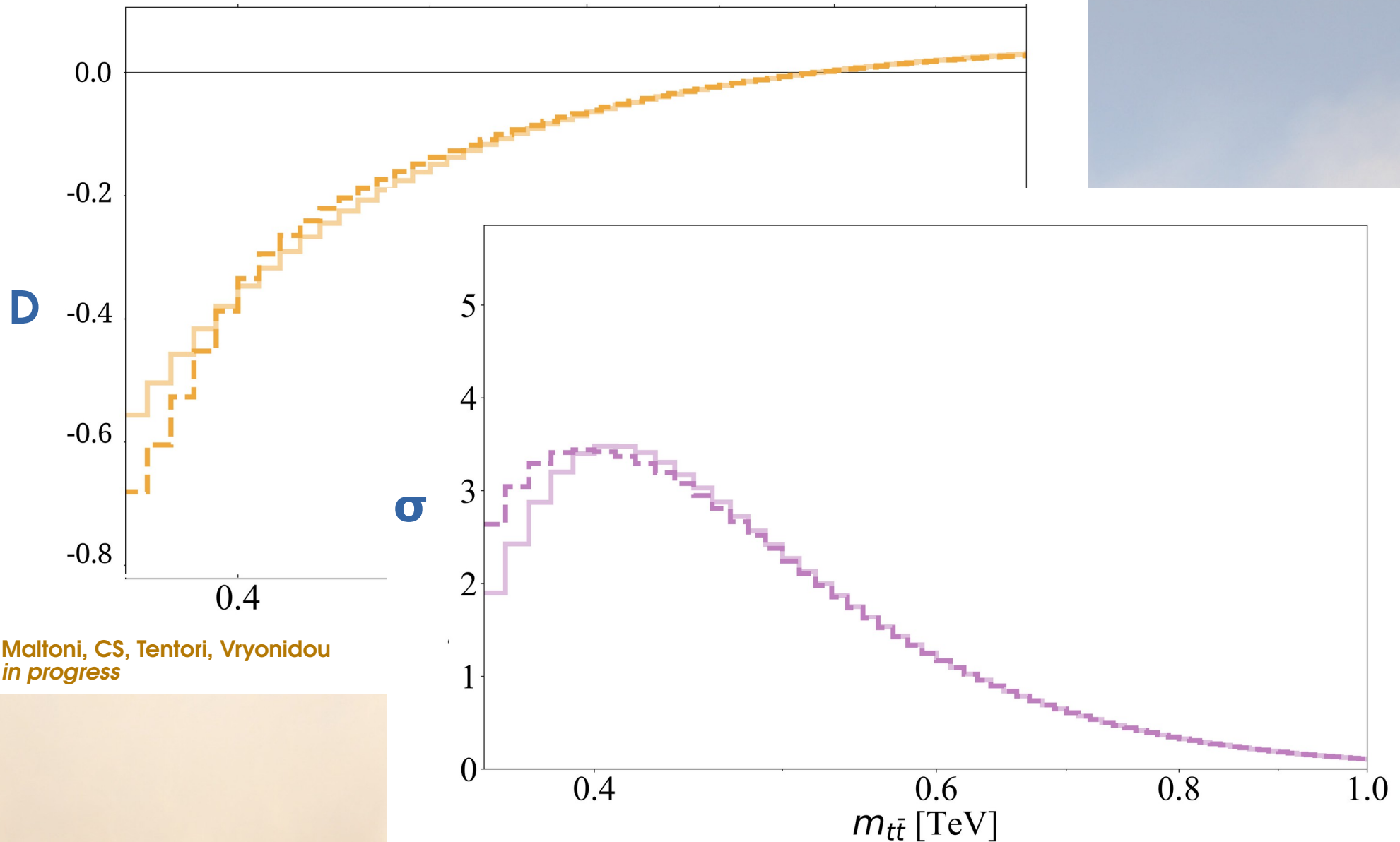
Spin correlations can be so strong they can not be explained classically:



Resonant pseudoscalar at $m = 2m_t$



Resonant pseudoscalar at $m = 2m_t$



Maltoni, CS, Tentori, Vryonidou
in progress

This would imply a large effect on the cross-section

There is a variety of spin/entanglement observables,
apart from D...

$$R \propto \tilde{A}\mathbb{1} \otimes \mathbb{1} + \tilde{B}_i^+ \sigma^i \otimes \mathbb{1} + \tilde{B}_i^- \mathbb{1} \otimes \sigma^i + \tilde{C}_{ij} \sigma^i \otimes \sigma^j,$$

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In the tops' reference frames:

$$\frac{1}{\sigma} \frac{d\sigma}{d \cos \theta_1^i} = \frac{1}{2} \left(1 + B_1^i \cos \theta_1^i \right),$$

$$\frac{1}{\sigma} \frac{d\sigma}{d \cos \theta_2^i} = \frac{1}{2} \left(1 + B_2^i \cos \theta_2^i \right),$$

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Dedicated observables can be directly sensitive to particular variables of interest:

$$\frac{1}{\sigma} \frac{d\sigma}{d \cos \varphi} = \frac{1}{2} (1 - D \cos \varphi).$$

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and in the lab frame:

$$\cos \varphi_{\text{lab}} = \hat{\ell}_1^{\text{lab}} \cdot \hat{\ell}_2^{\text{lab}},$$

$$|\Delta\phi_{ee}|,$$

$$|\Delta\eta_{ee}|,$$

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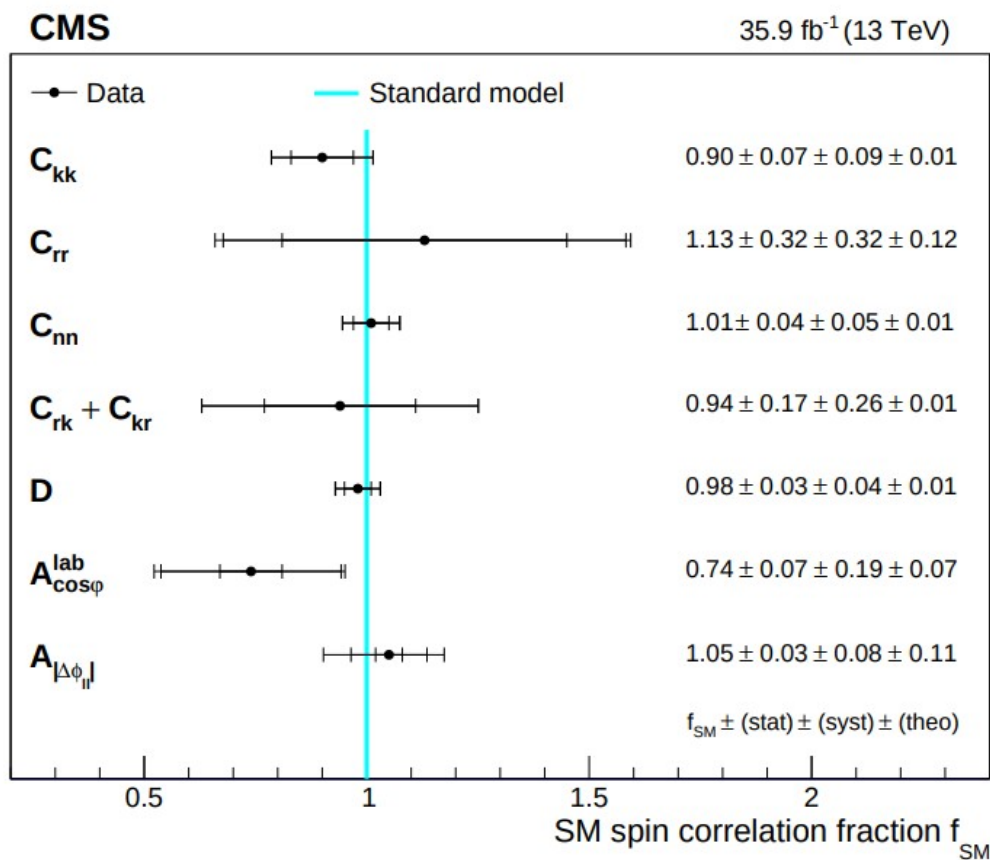
$$|\Delta\eta_{\ell\ell}|, \sim \Delta\theta$$

These variables give a convolution of spin and kinematics, but their resolution is excellent:

The motivation for using some of these variables can be found in [25]. The highest ranked variables are the angular variables $\Delta\eta_{\ell\ell}$, $\cos \varphi_{\text{lab}}$, and $\Delta\phi_{\ell\ell}$. In principle, adding additional kinematic variables to the DNN will improve the sensitivity further. However, by adding basic kinematic observables such as transverse momenta of leptons and jets, and E_{miss} , we could not

CMS-PAS-FTR-18-034

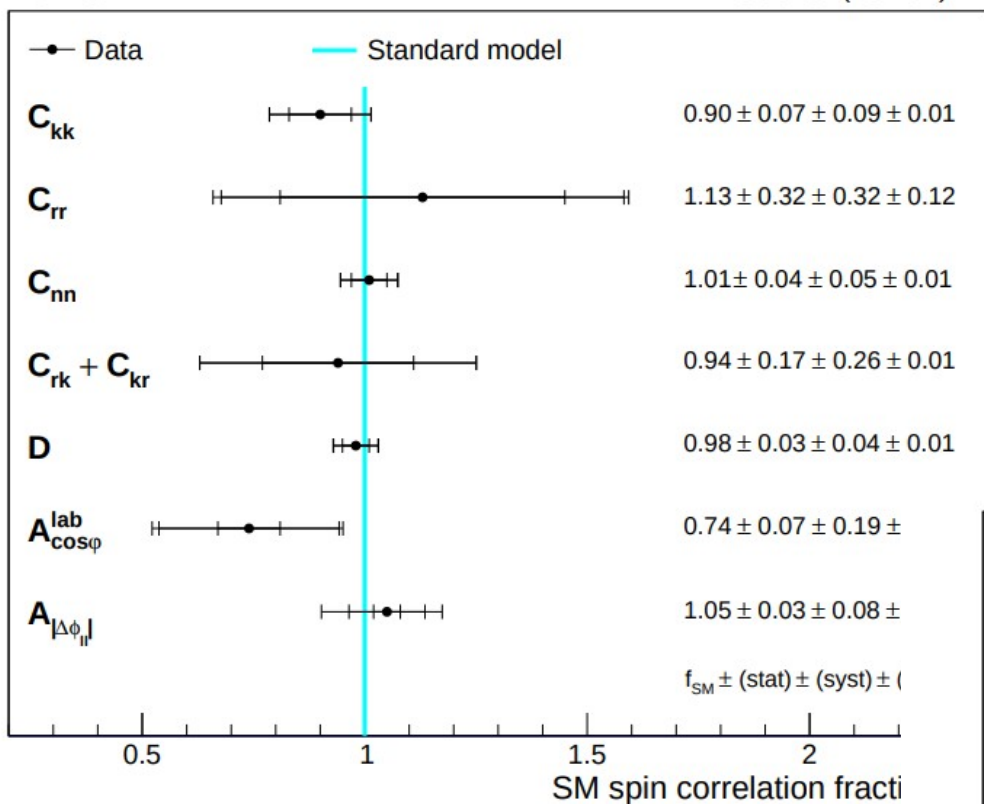
Several measurements have already been done:



CMS PRD 100, 072002 (2019)

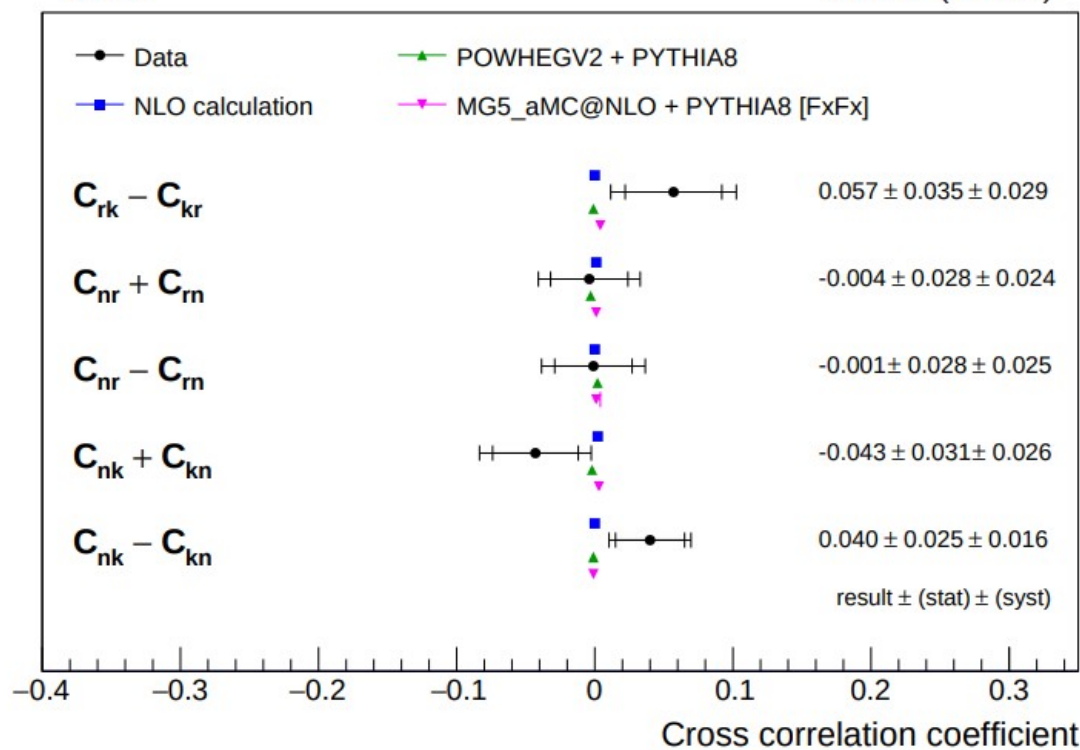
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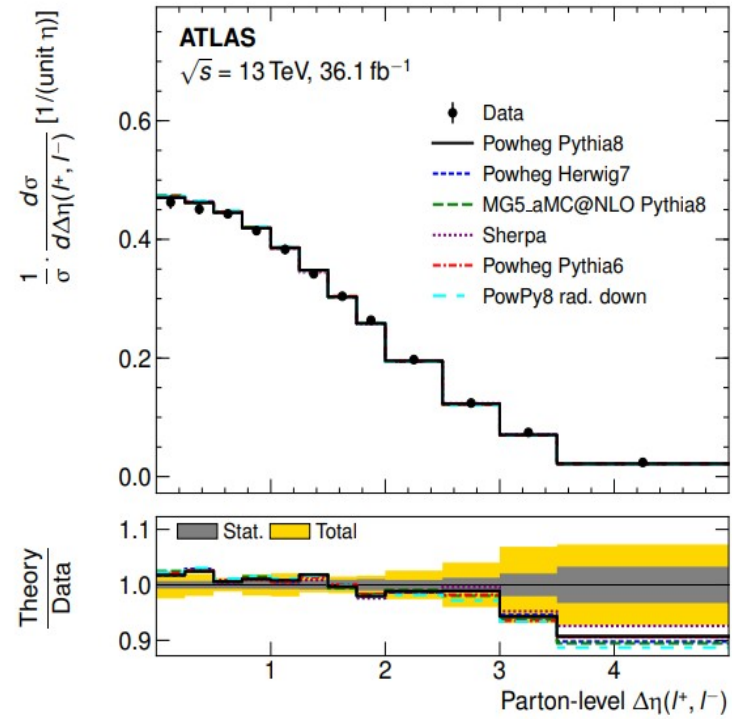
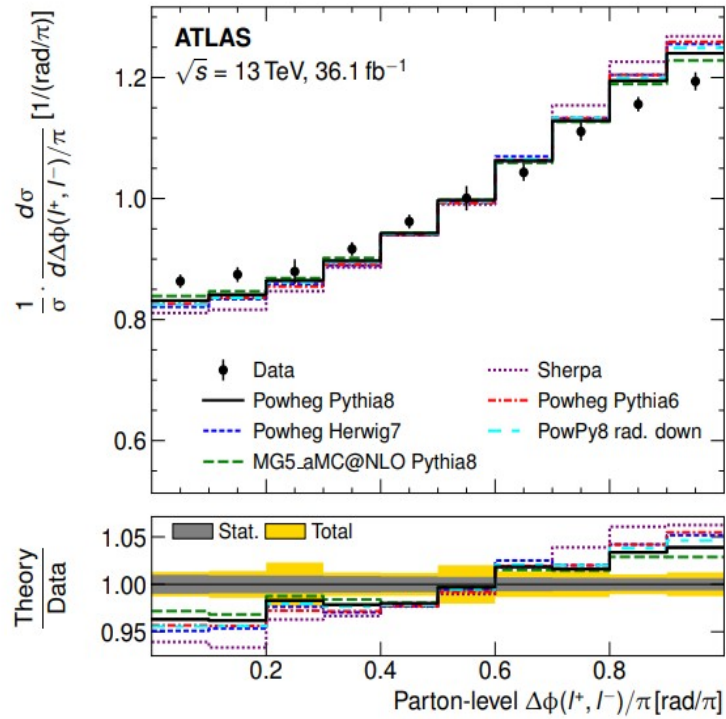
CMS 35.9 fb⁻¹ (13 TeV)

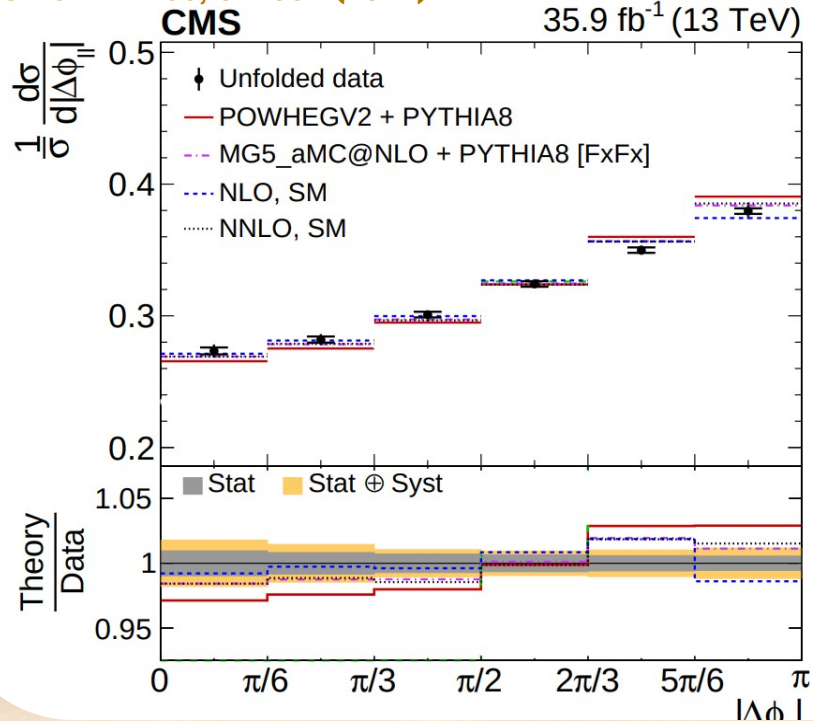
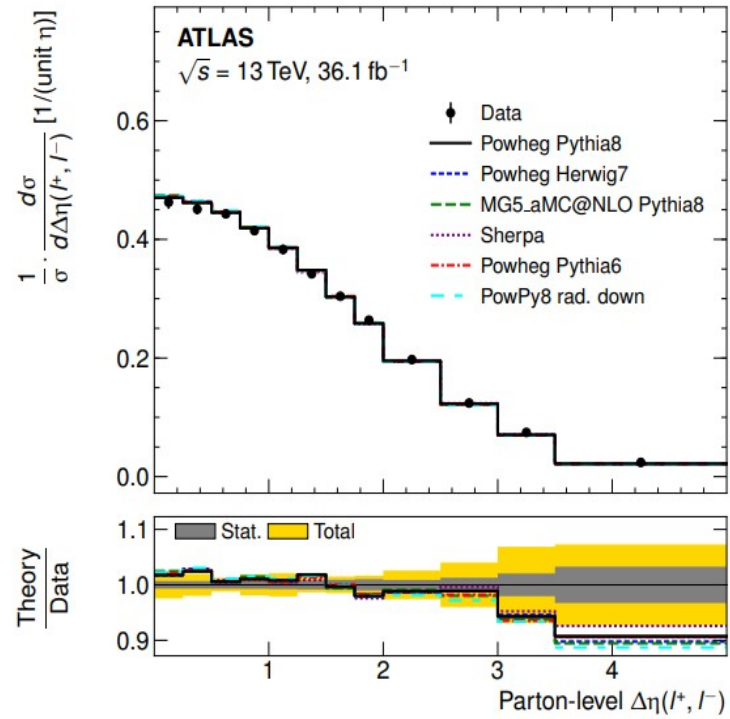
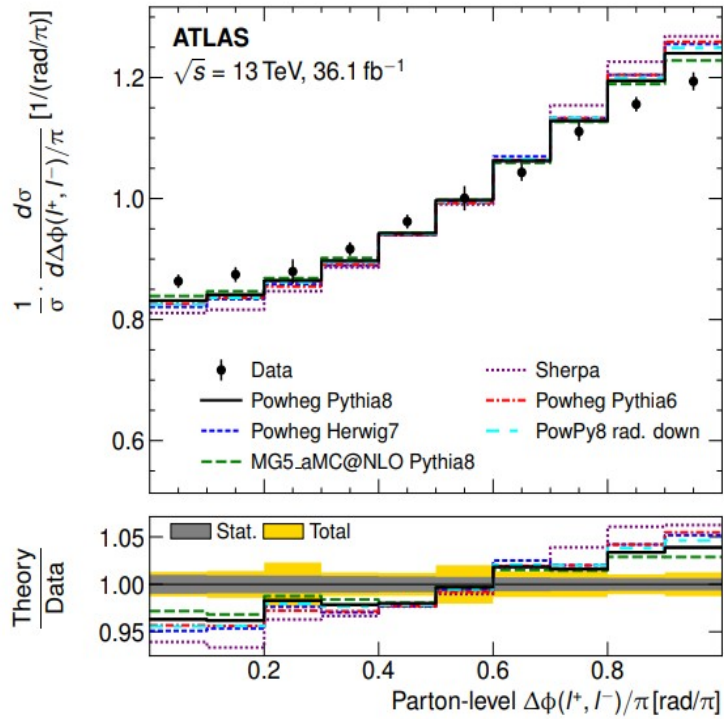


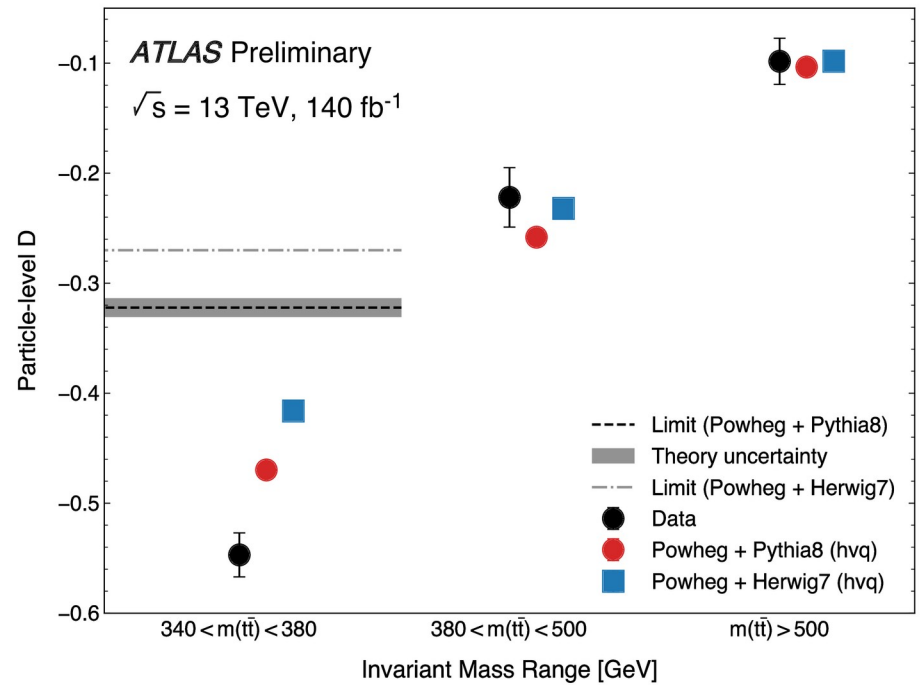
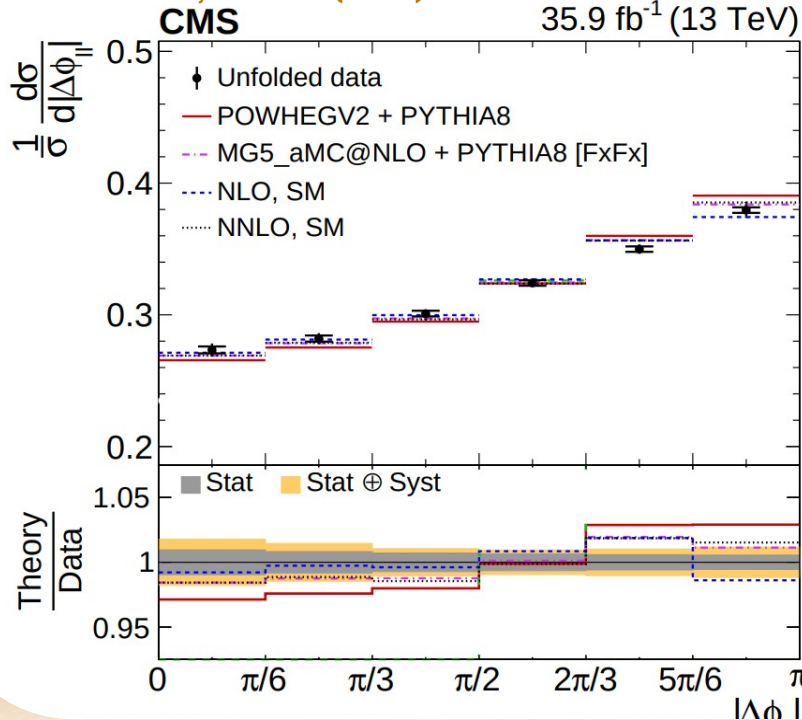
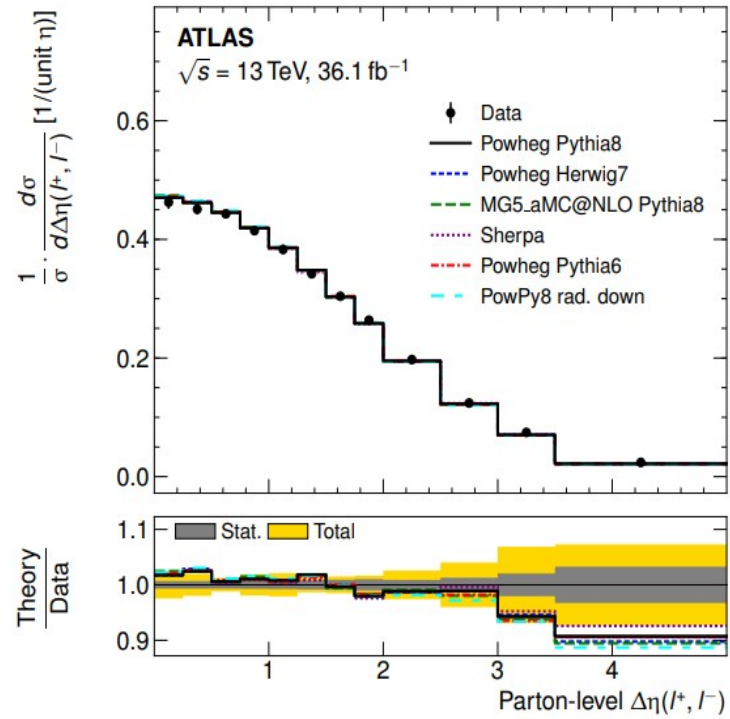
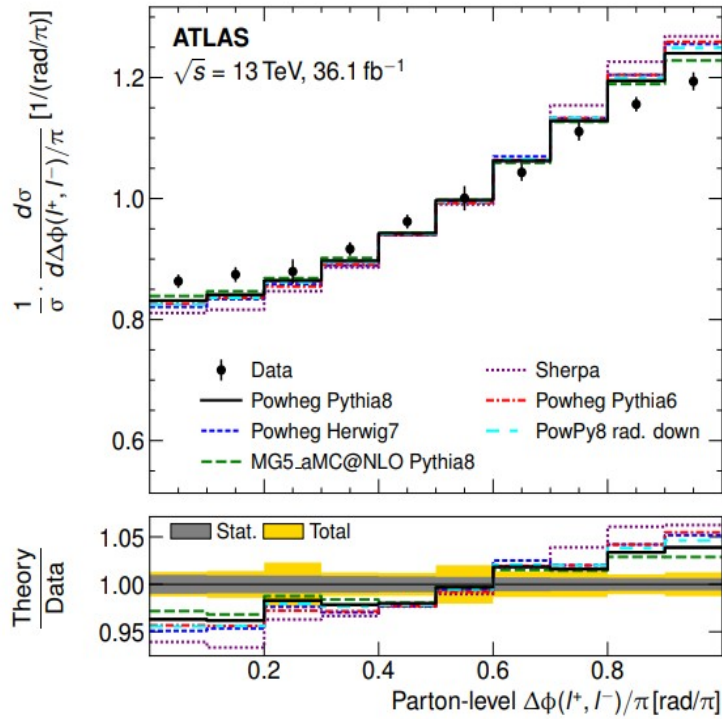
CMS PRD 100, 072002 (2019)

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Do these deviations paint a consistent picture?

NO

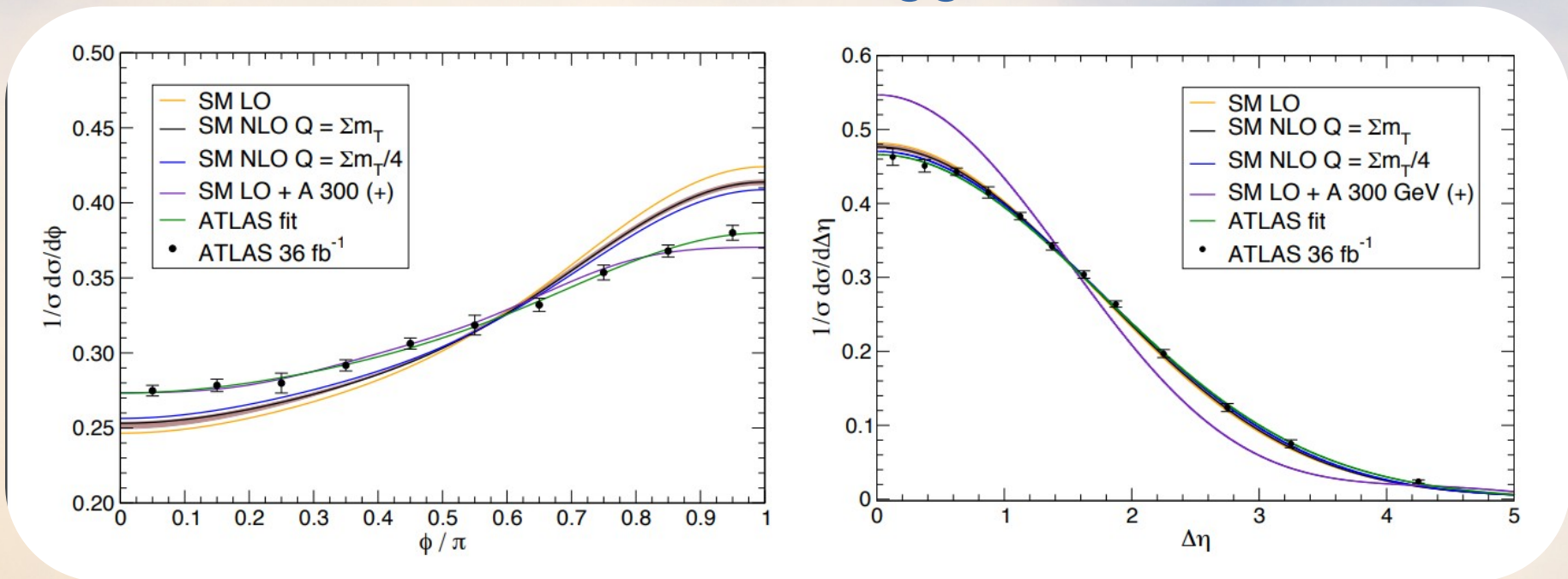
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Example: resonant pseudoscalar $gg \rightarrow A \rightarrow t\bar{t}$

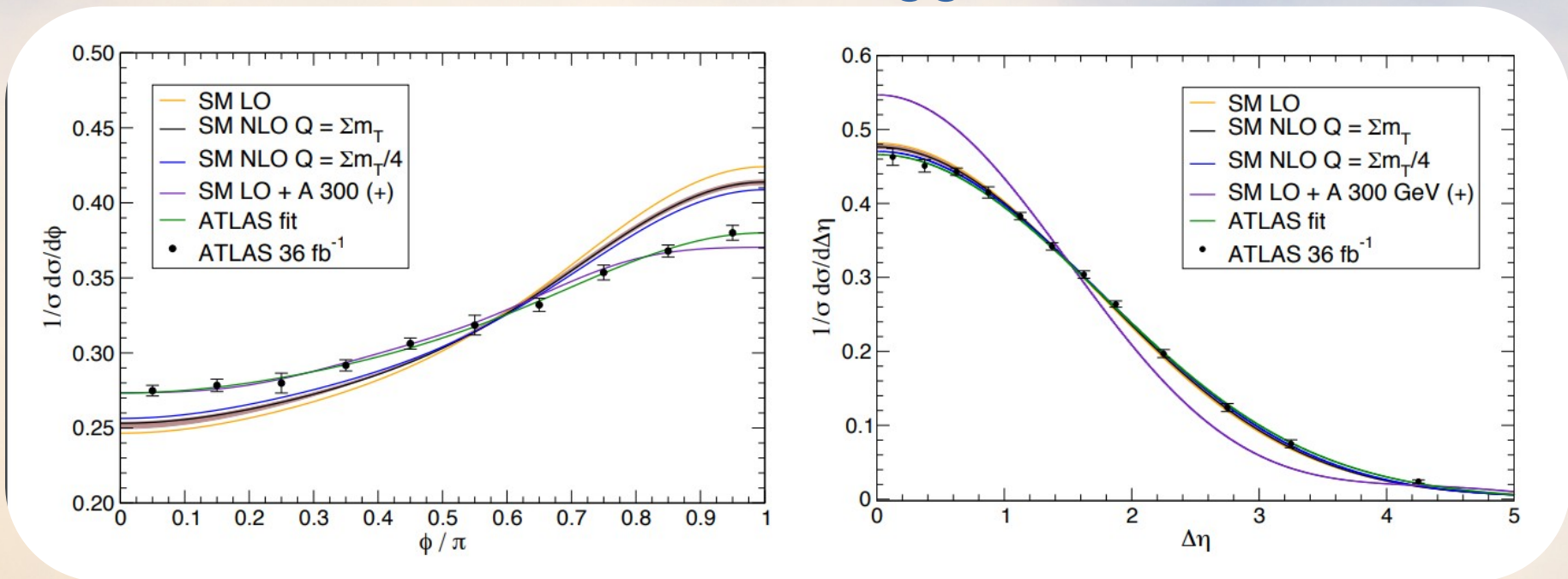


Aguilar-Saavedra
TOP LHC WG, 14/11/19

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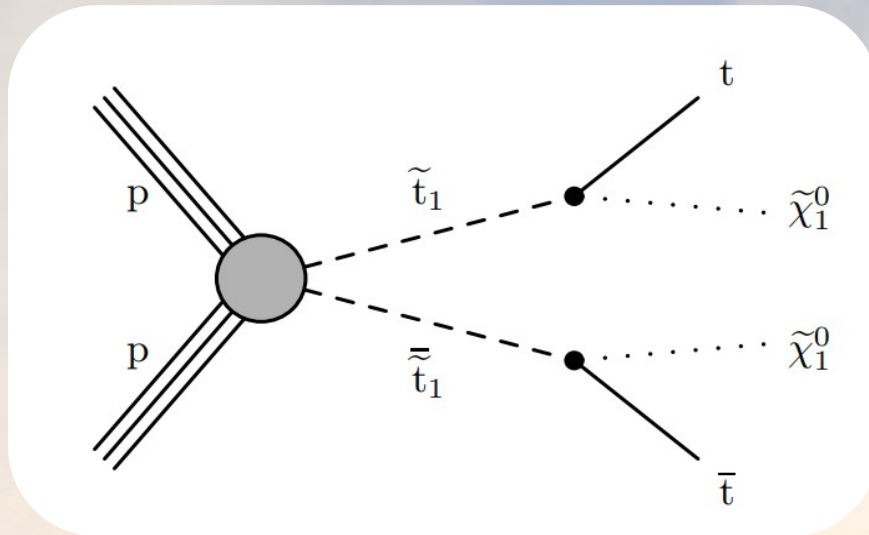
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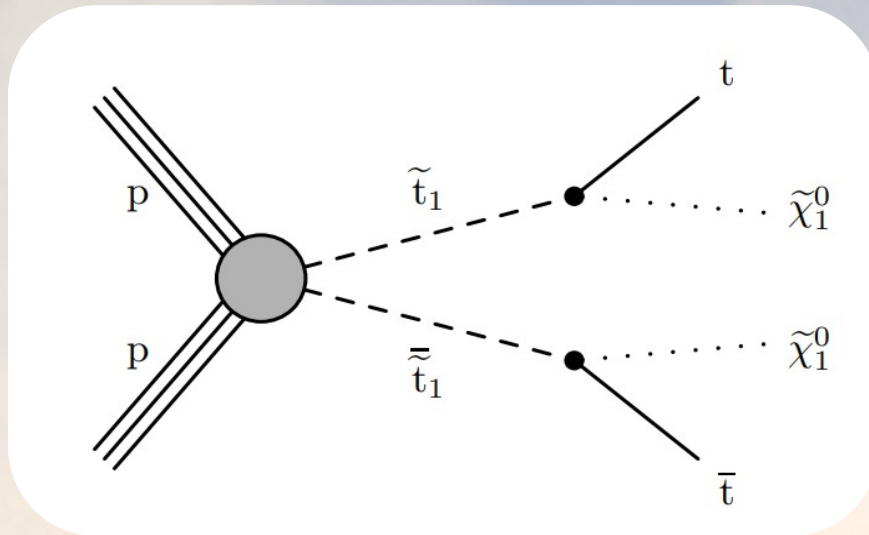
Aguilar-Saavedra
TOP LHC WG, 14/11/19

The amount of signal needed to explain $\Delta\phi$ is immediately excluded by $\Delta\eta$.

Other example: SUSY in the top mass corridor

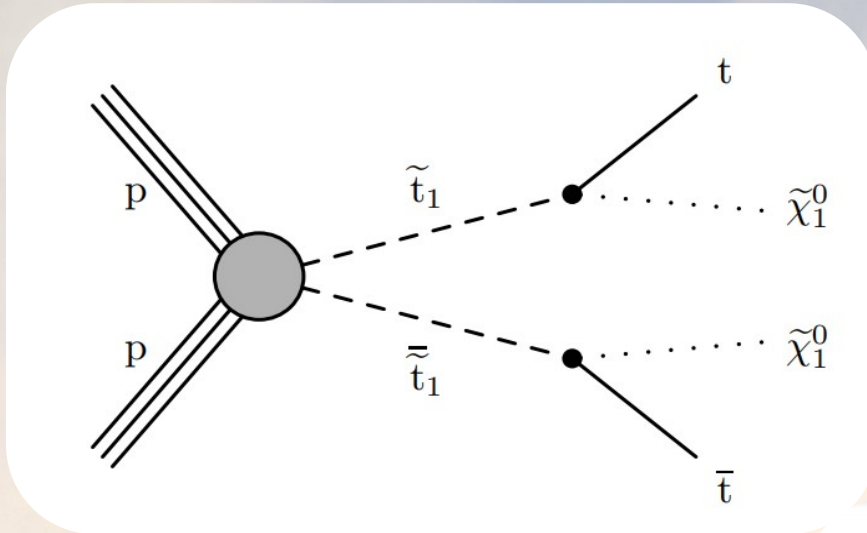


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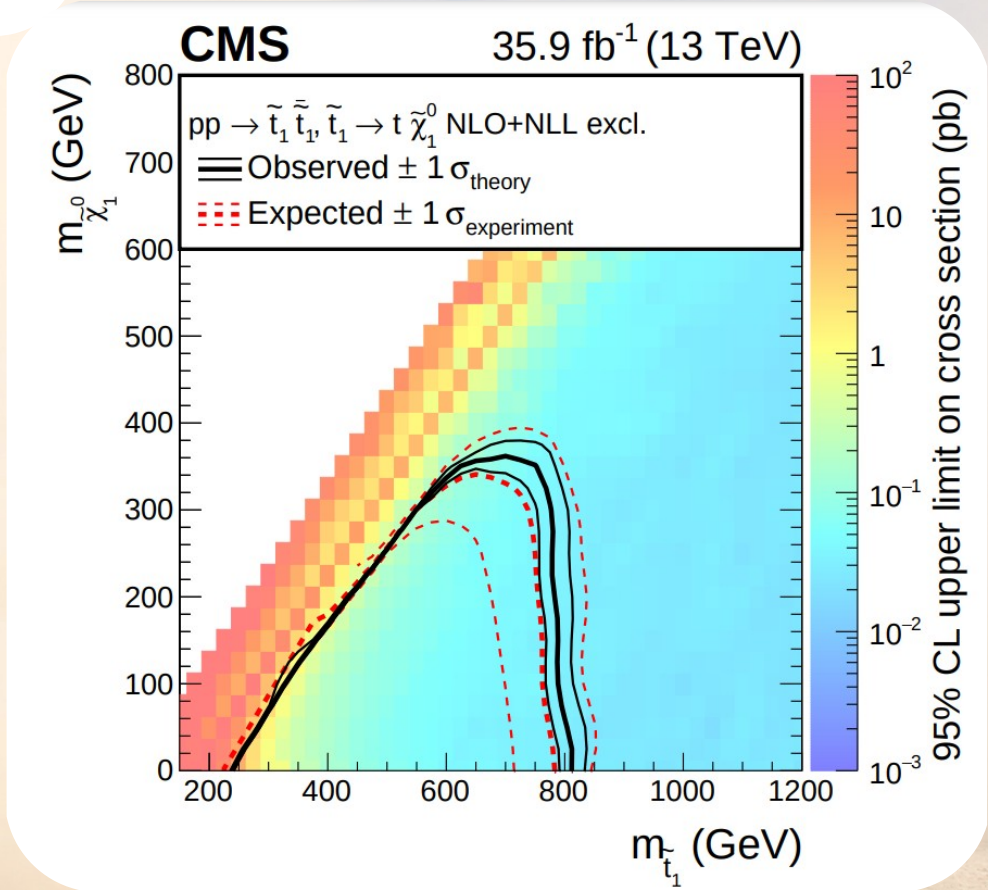
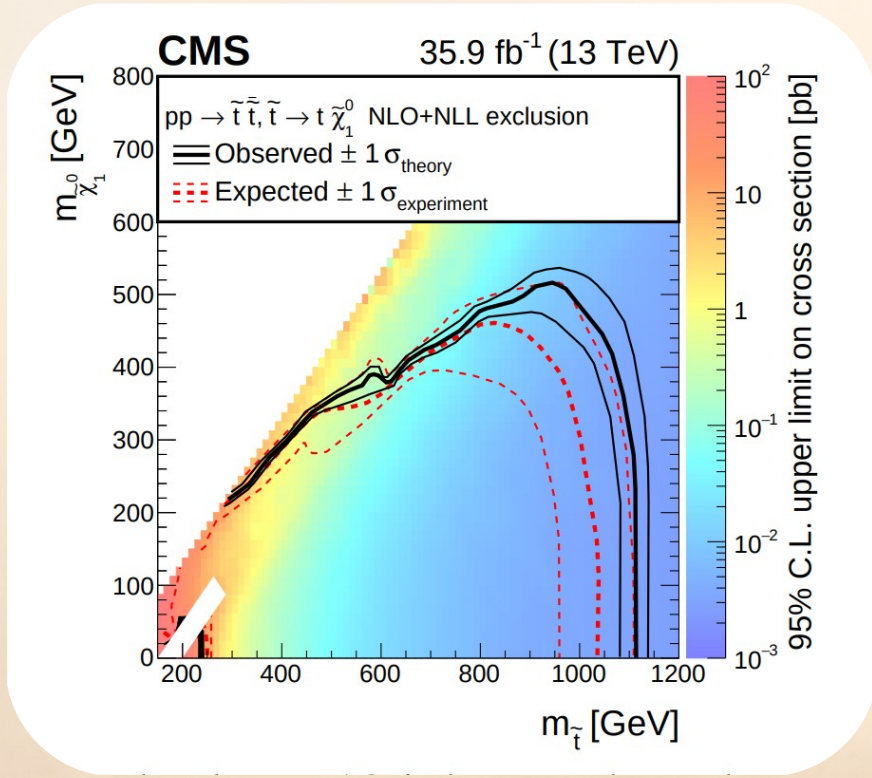


$$m_{\tilde{t}_1} \approx m_t + m_{\tilde{\chi}_1^0}.$$

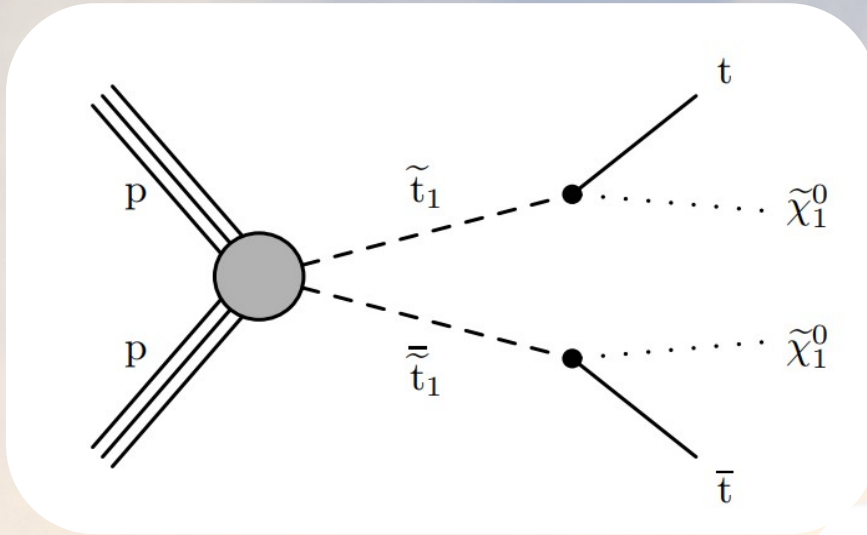
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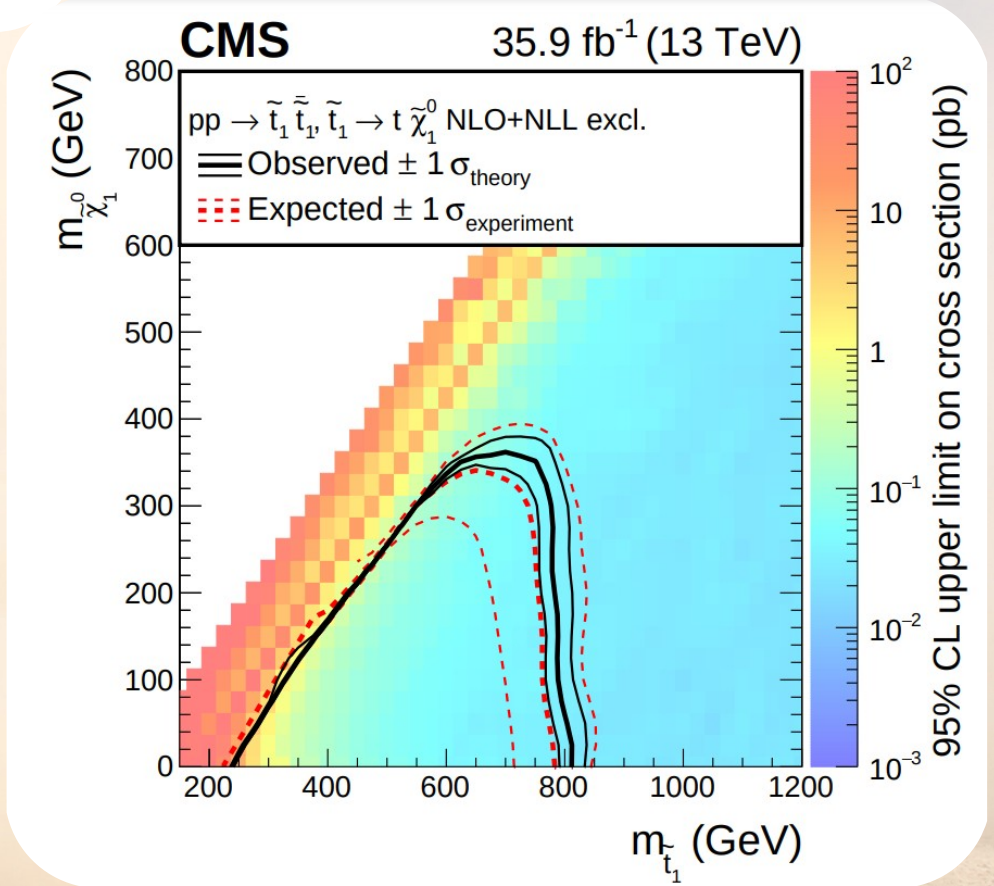
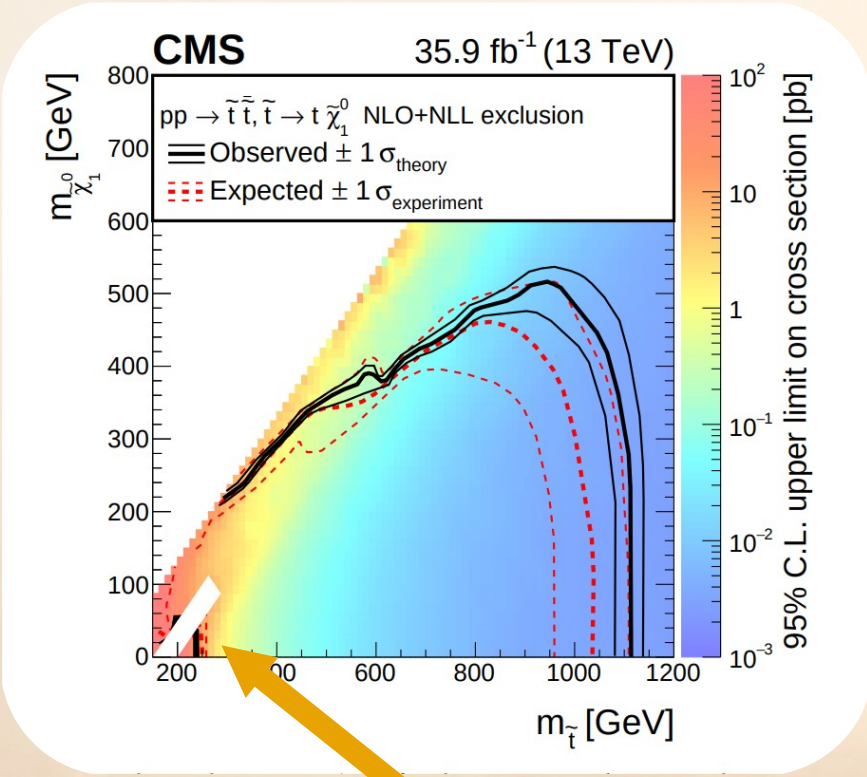
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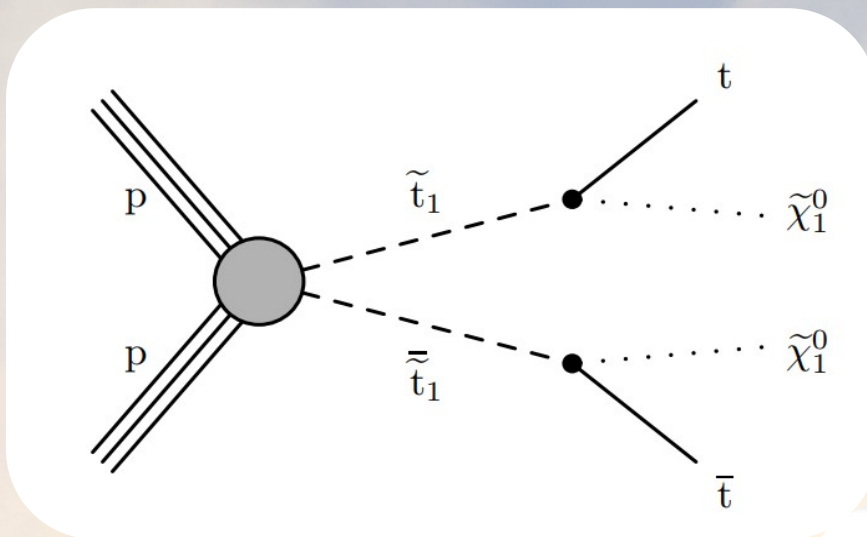
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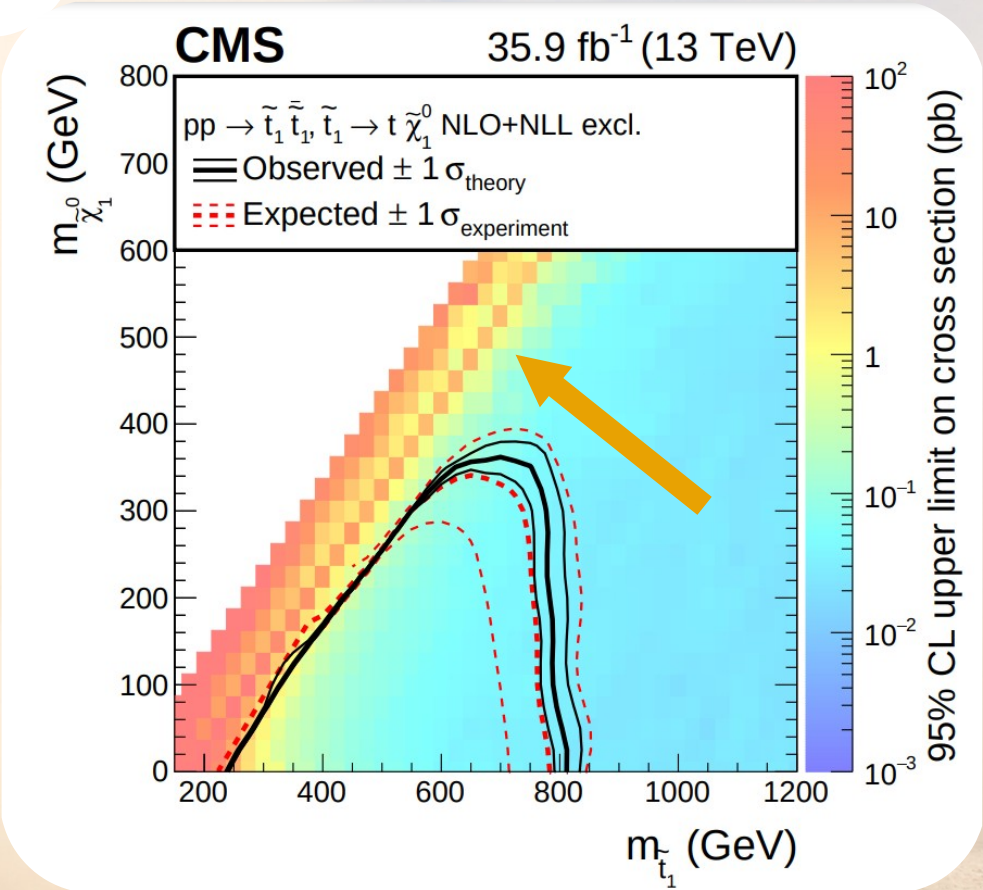
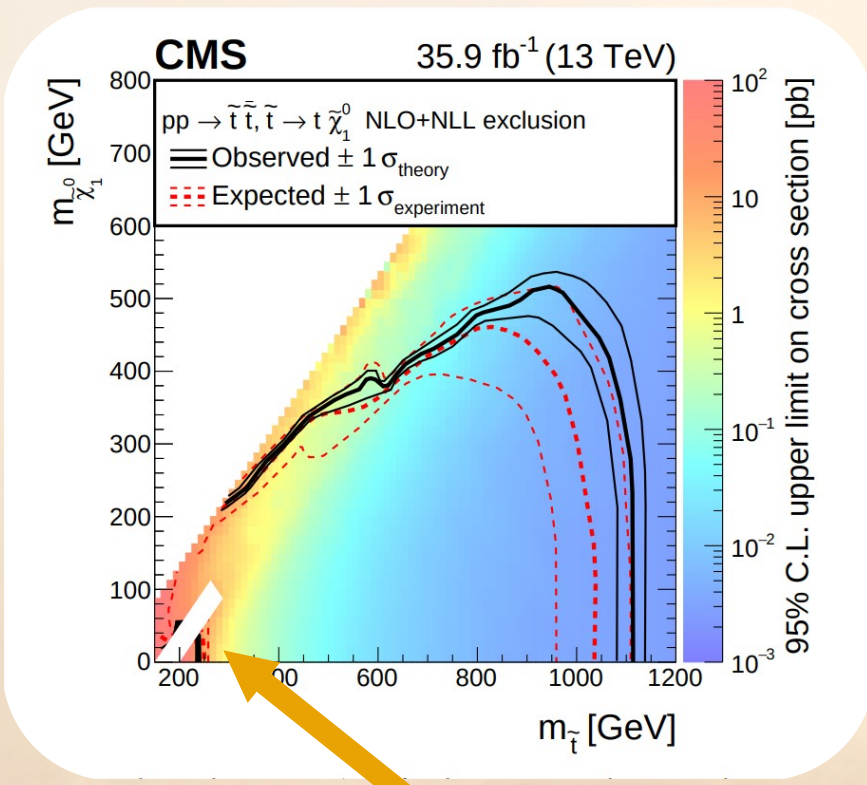
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Other example: SUSY in the top mass corridor



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Other example: SUSY in the top mass corridor

Sensitivity from kinematical distributions is very small.

Spin on the other hand...

$$B_i = \frac{\sigma_{\text{SM}}}{\sigma} B_{i\text{SM}} + \frac{\sigma_{\text{SUSY}}}{\sigma} B_{i\text{SUSY}} \approx \frac{\sigma_{\text{SUSY}}}{\sigma} B_{i\text{SUSY}}.$$

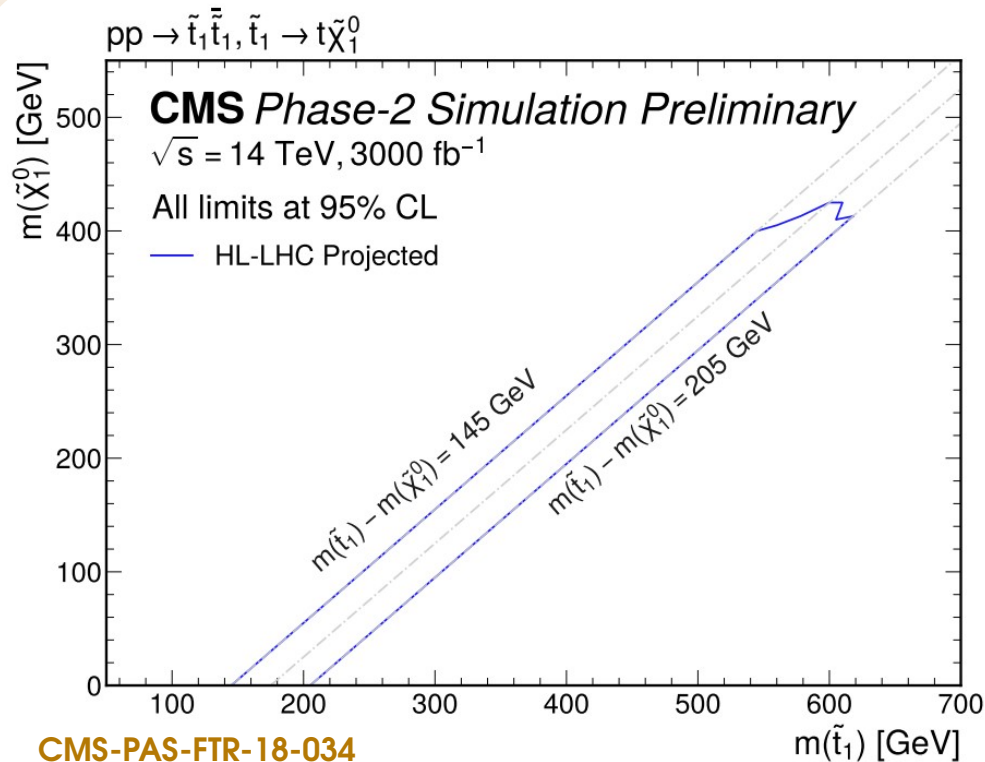
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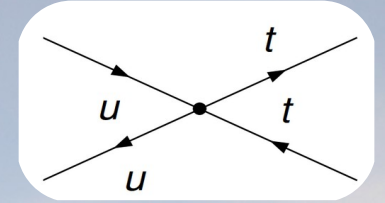
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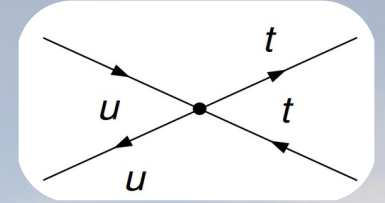


**all spin density
matrix and
 $\Delta\phi_{\text{lab}}, \Delta\phi, \Delta\eta$**

Last example: Heavy new physics (SMEFT)
contact interaction between light quarks and tops.



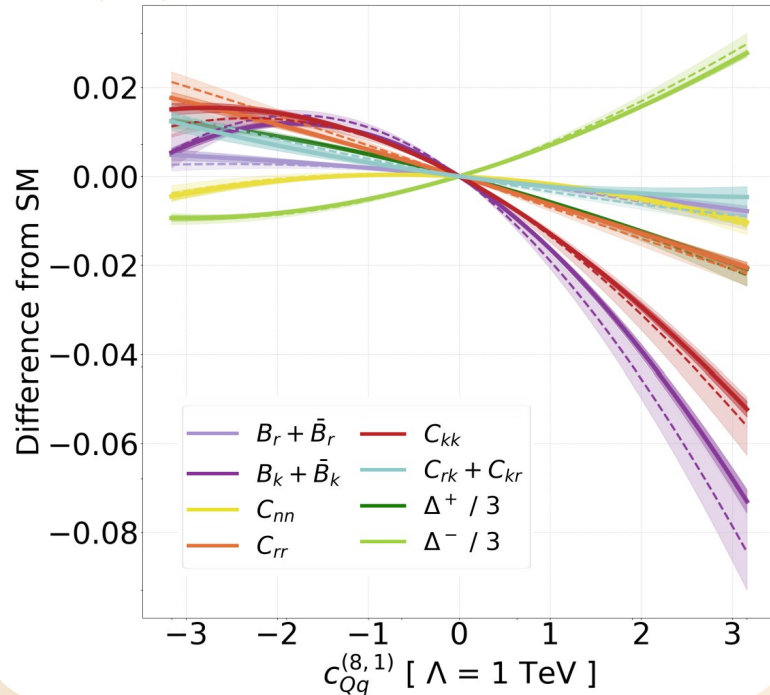
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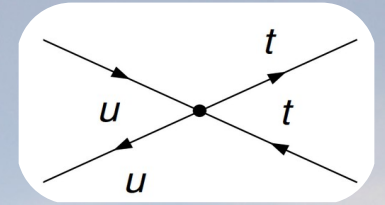
Inclusive measurement

CS, Vryonidou
JHEP01(2023)148

$$O_{Qq}^{(8,1)}$$



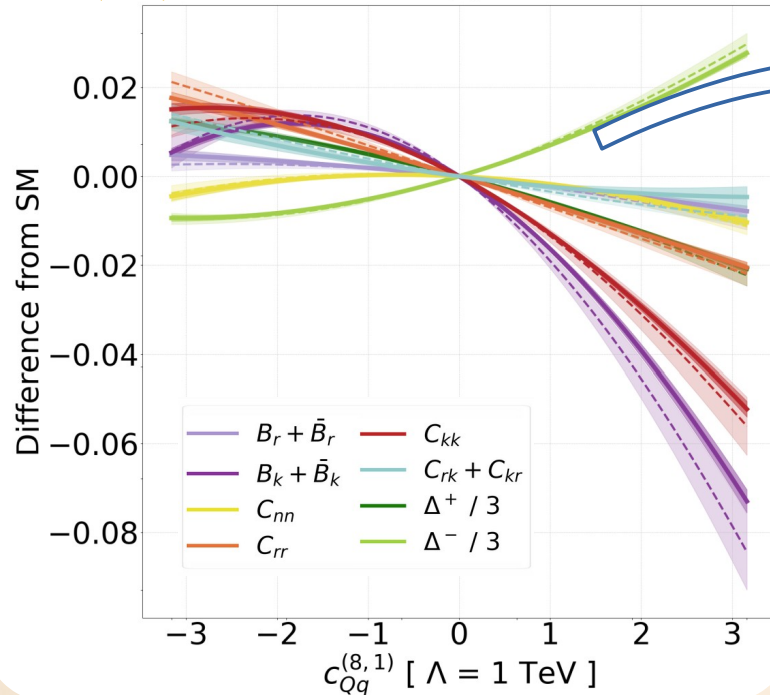
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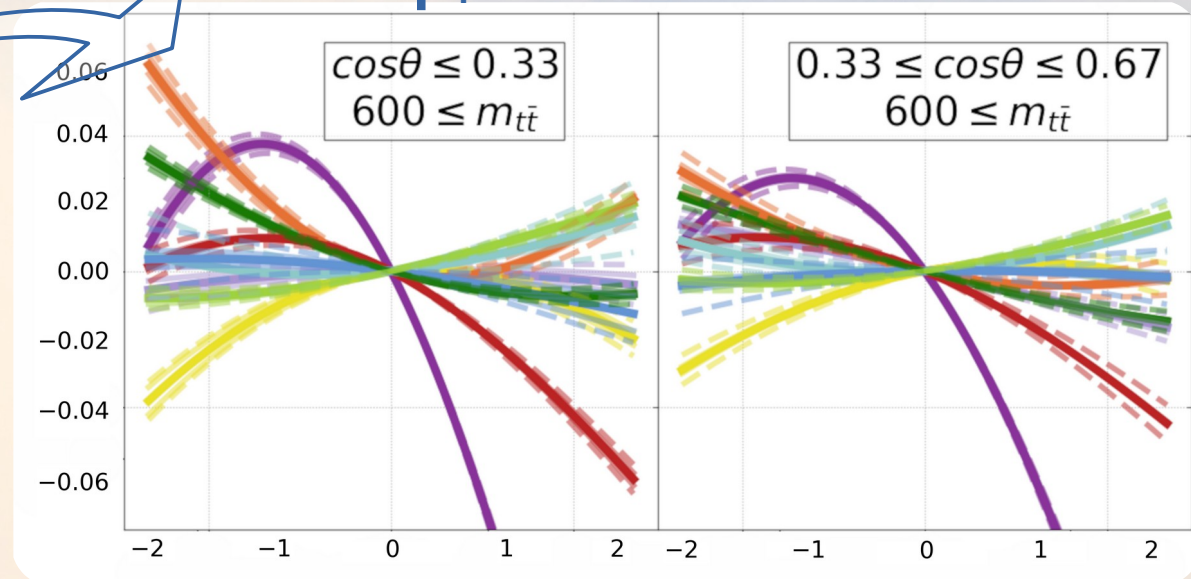
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CS, Vryonidou
JHEP01(2023)148

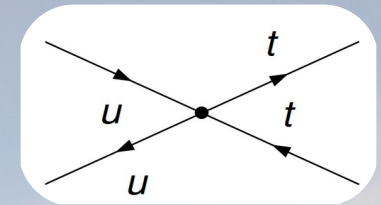
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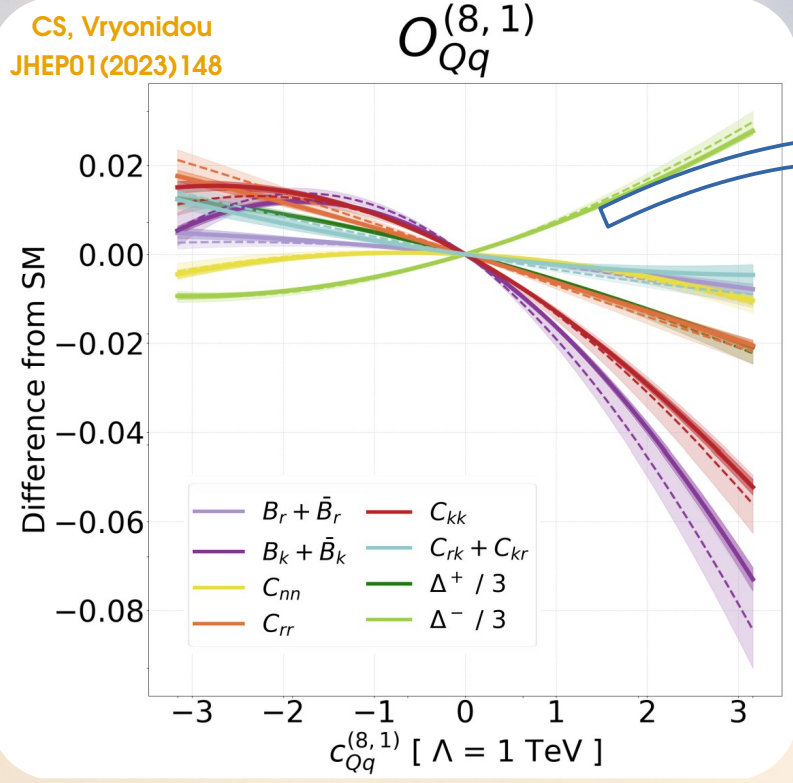
Measurement with p_T cuts



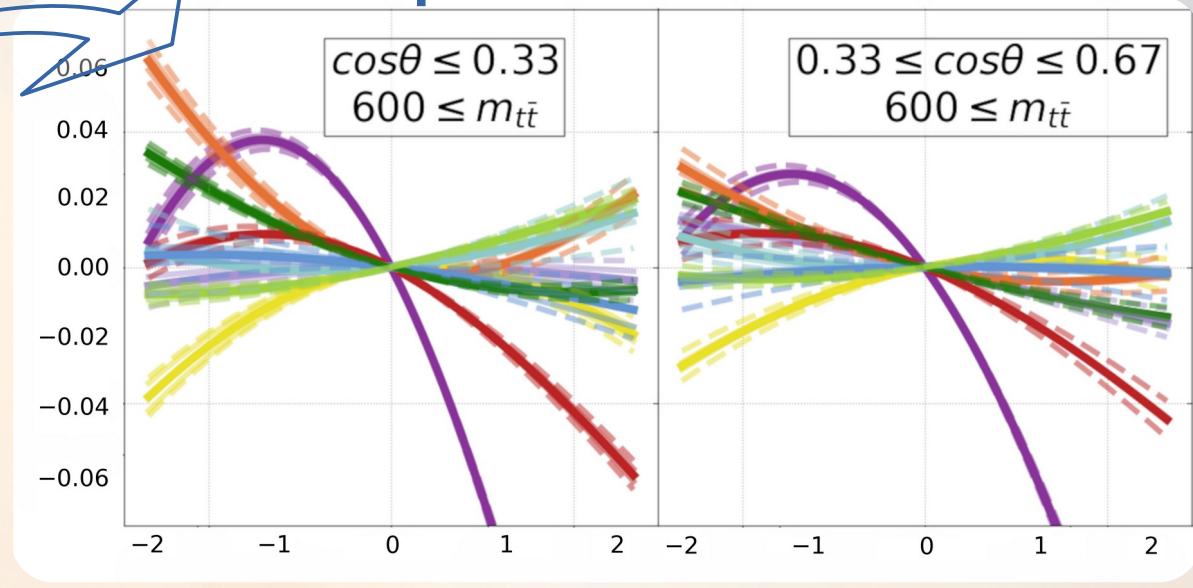
Last example: Heavy new physics (SMEFT) contact interaction between light quarks and tops.



Inclusive measurement



Measurement with p_T cuts



Our simulations show that one differential measurement will be competitive with the global fits to all top data.

Operator	Run III Projection 300 fb ⁻¹ Differential	Current Global Fit
O_{Qu}^8	[-0.7, 0.6]	[-1.0, 0.5]
O_{Qd}^8	[-0.9, 0.8]	[-1.6, 0.9]
$O_{Qq}^{(1,8)}$	[-0.4, 0.3]	[-0.4, 0.3]
$O_{Qq}^{(3,8)}$	[-1.1, 0.8]	[-0.5, 0.4]

Thank you :D



Thank you :D

Highest-Energy Detection Of Quantum Entanglement Achieved Yet

The energy scale is a thousand billion times higher than typical laboratory experiments.



DR. ALFREDO CARPINETI

Senior Staff Writer & Space Correspondent

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Thank you :D


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and allows physicists to test indirectly many properties of the standard model of particle physics, such as the mass of the [Higgs boson](#).

All of those tests are done by looking at the decay products, the particles that are created in the aftermath of the top-quark pairs coming into existence. The team managed to measure a degree of entanglement that could not be explained if the quarks were not entangled, with a precision that exceeded the golden standard for particle physics.

The results were presented at the [ATLAS conference](#) on September 28.