

# Observation of Entanglement in Top Quark Pairs

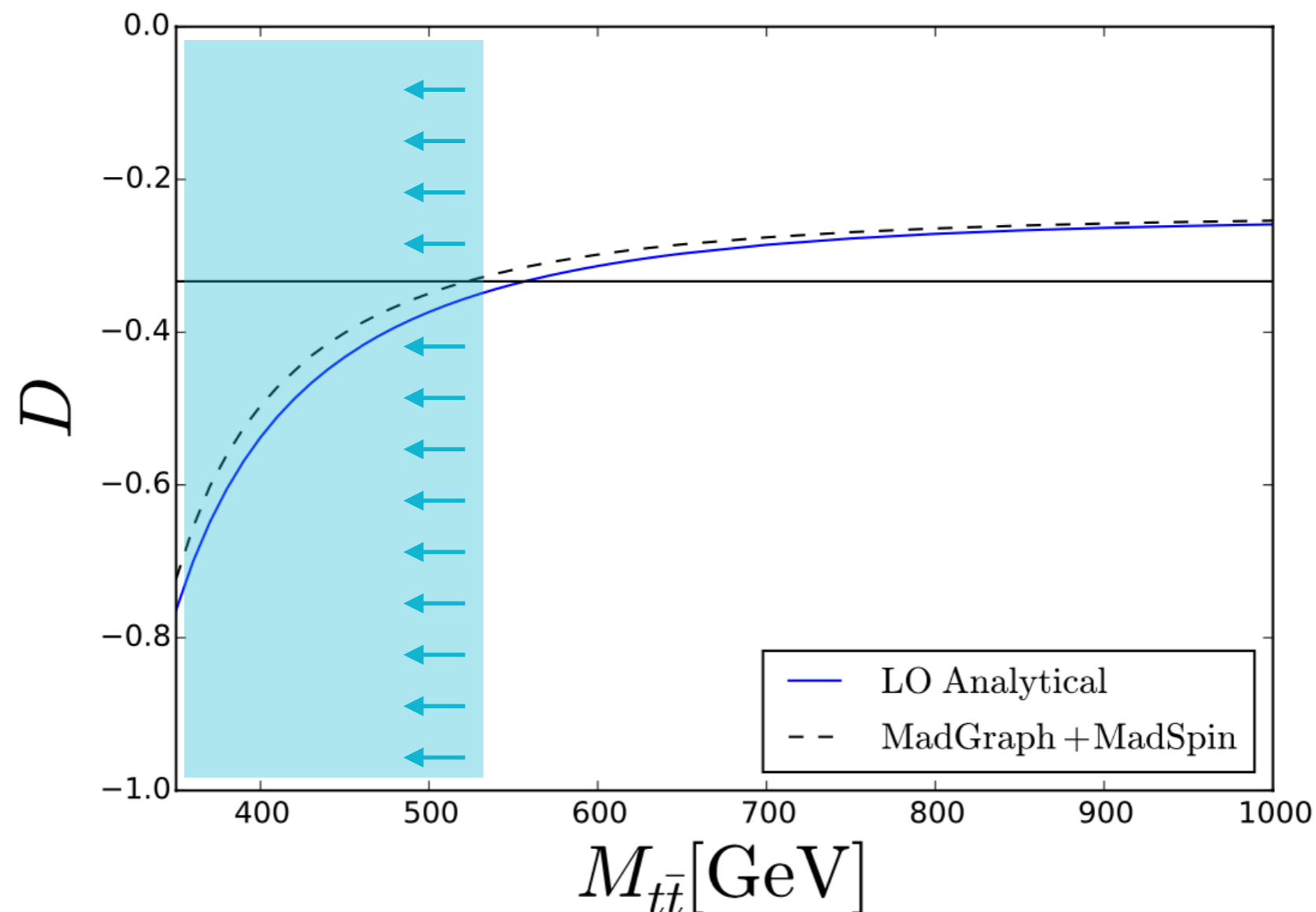
02/10/2023

- Many other talks before this one have covered the theory better than I can.
- The goal of the ATLAS measurement is to measure:

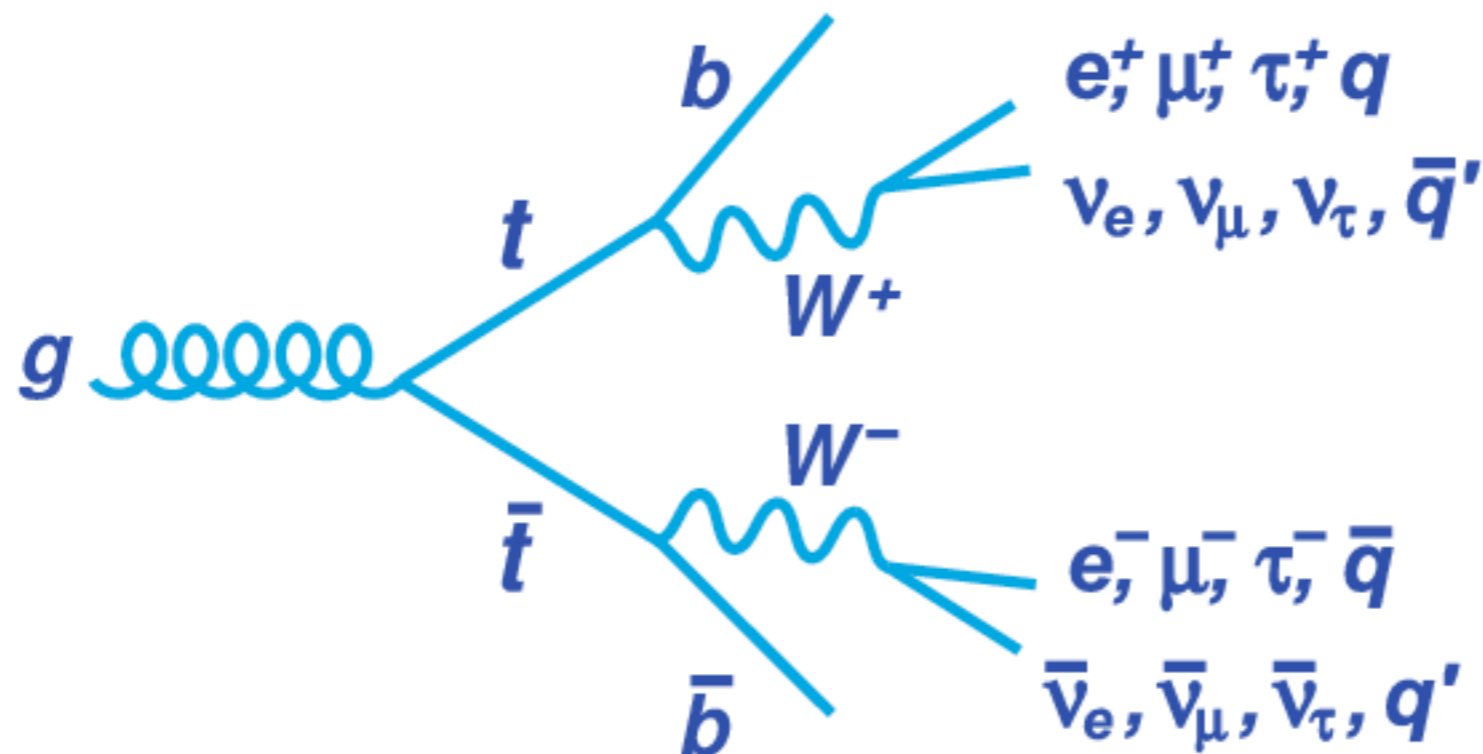
$$D = \frac{\text{tr}[C]}{3} = -3 \cdot \langle \cos(\phi) \rangle$$

- An observation of  $D < -1/3$  is a sufficient condition to claim entanglement in  $t\bar{t}$  pairs (equivalently, that their density matrices are not factorable).
- ATLAS has measured this  $D$  in  $t\bar{t}$  events using  $140 \text{ fb}^{-1}$  of 13 TeV data.

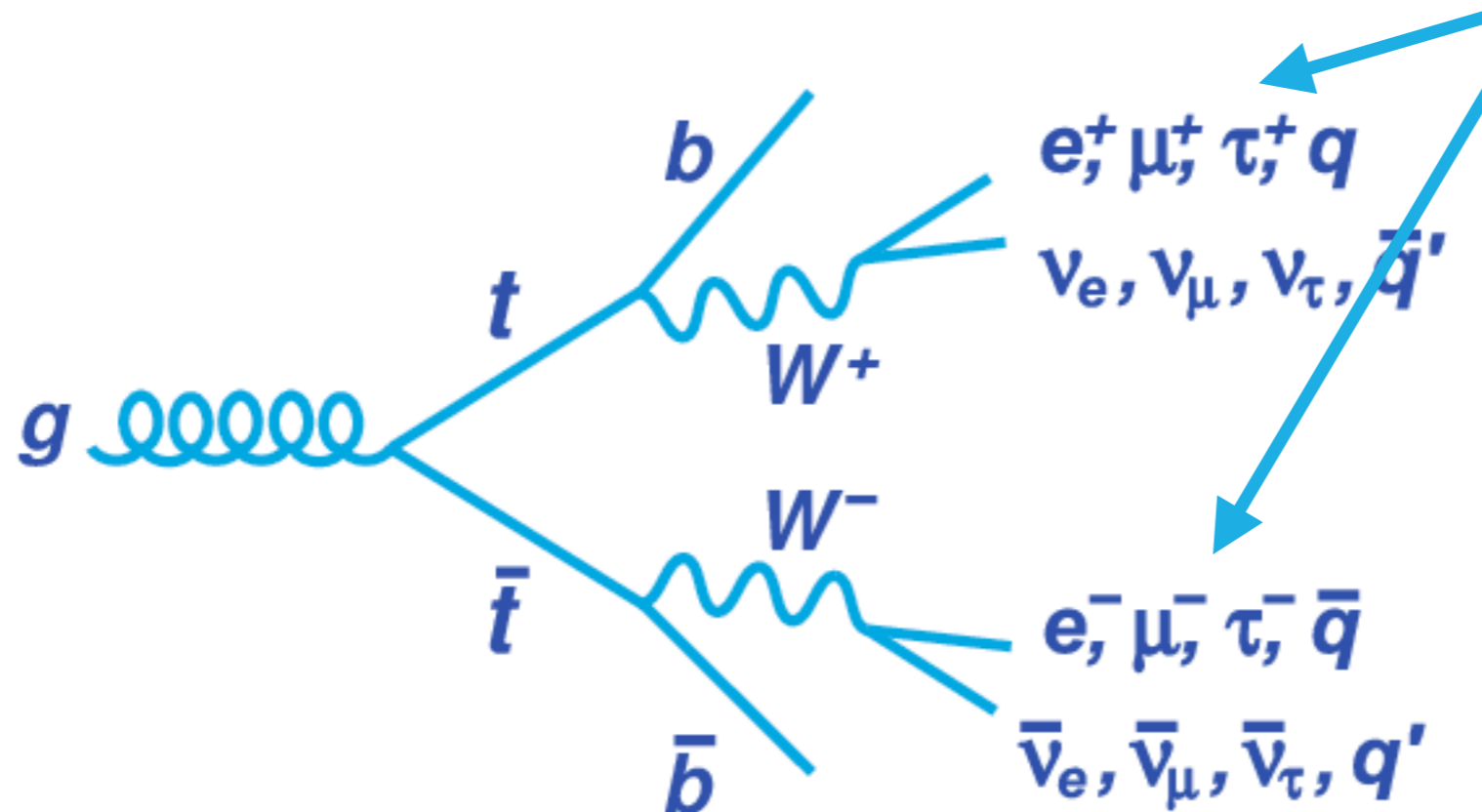
- The primary experimental challenges in this result are to reconstruct the tops with sufficient sensitivity to isolate the threshold region where tops are entangled.



- Why is it hard to reconstruct top quarks?

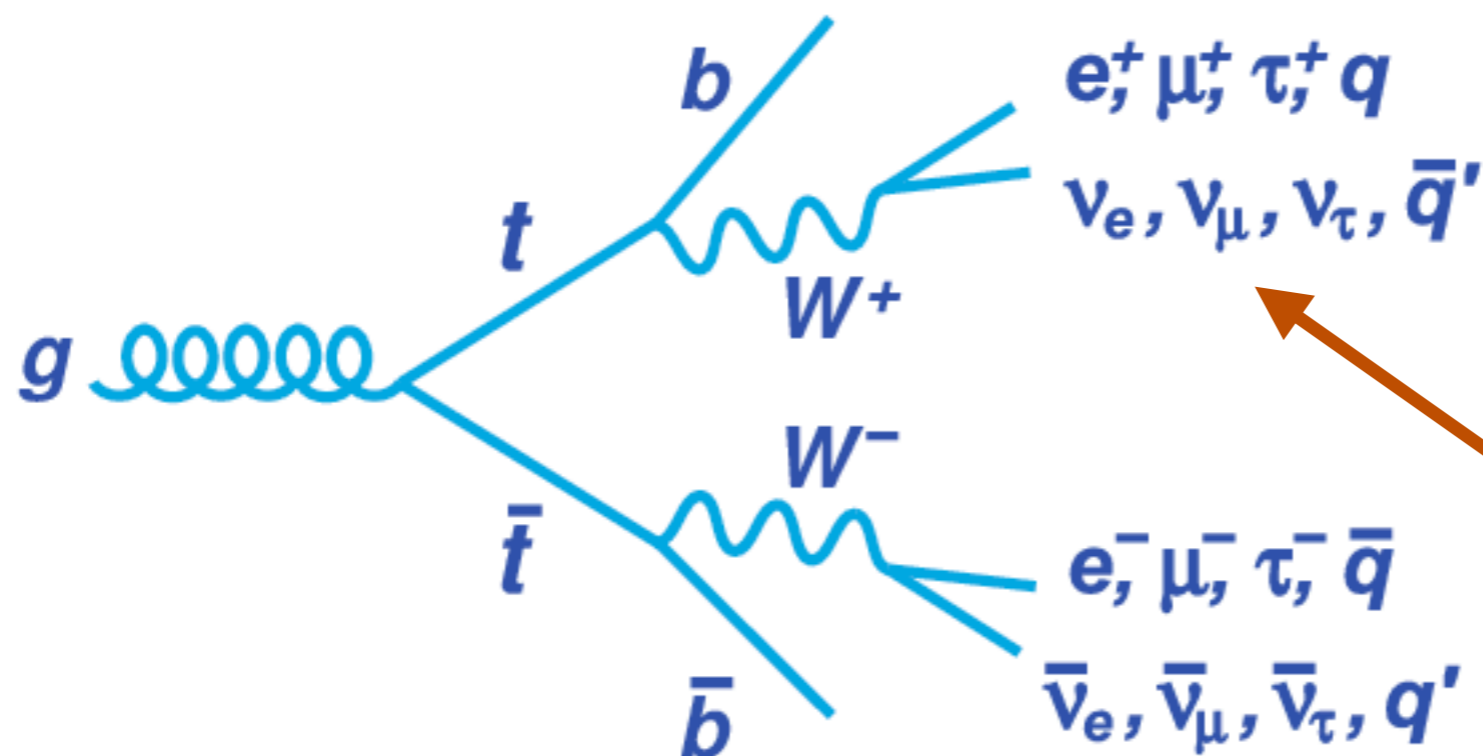


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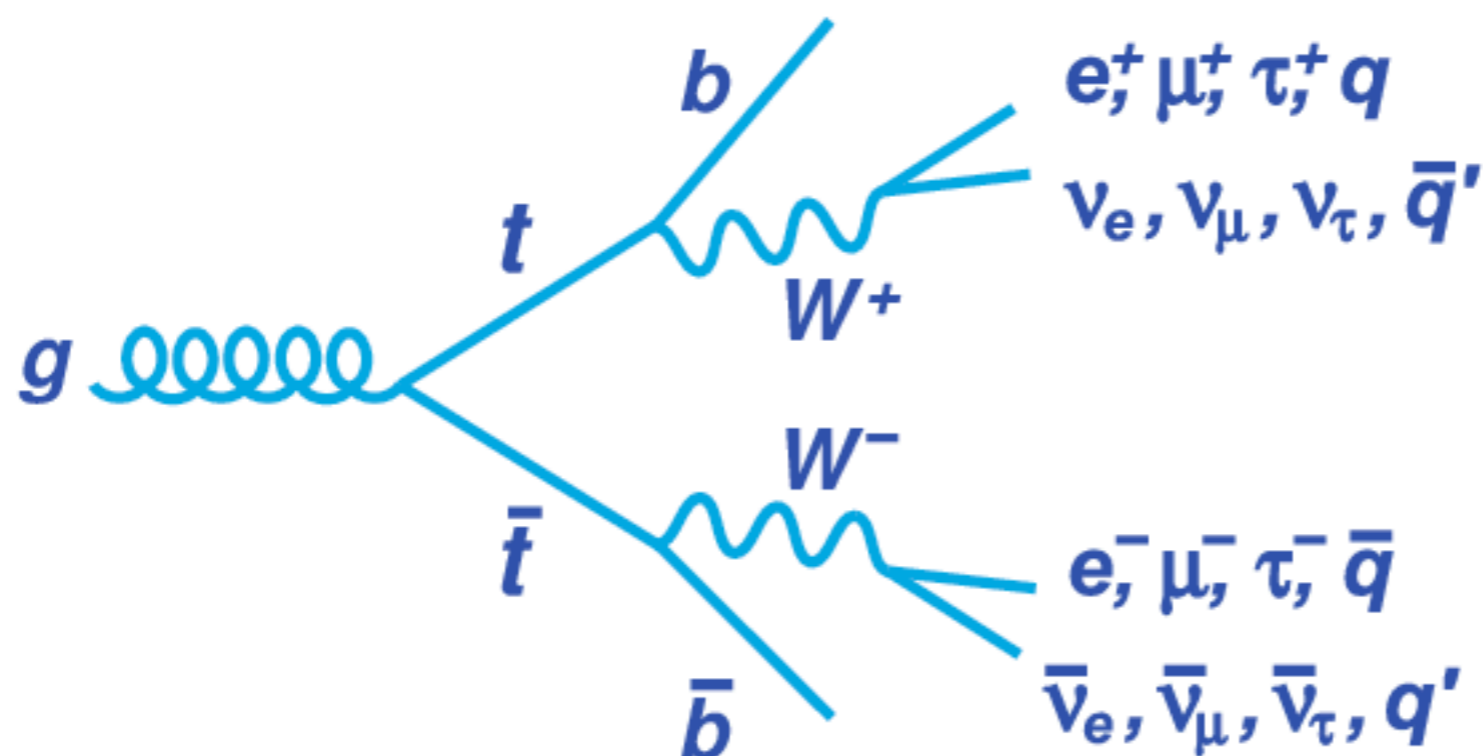
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- Neutrinos not detected (directly) by ATLAS

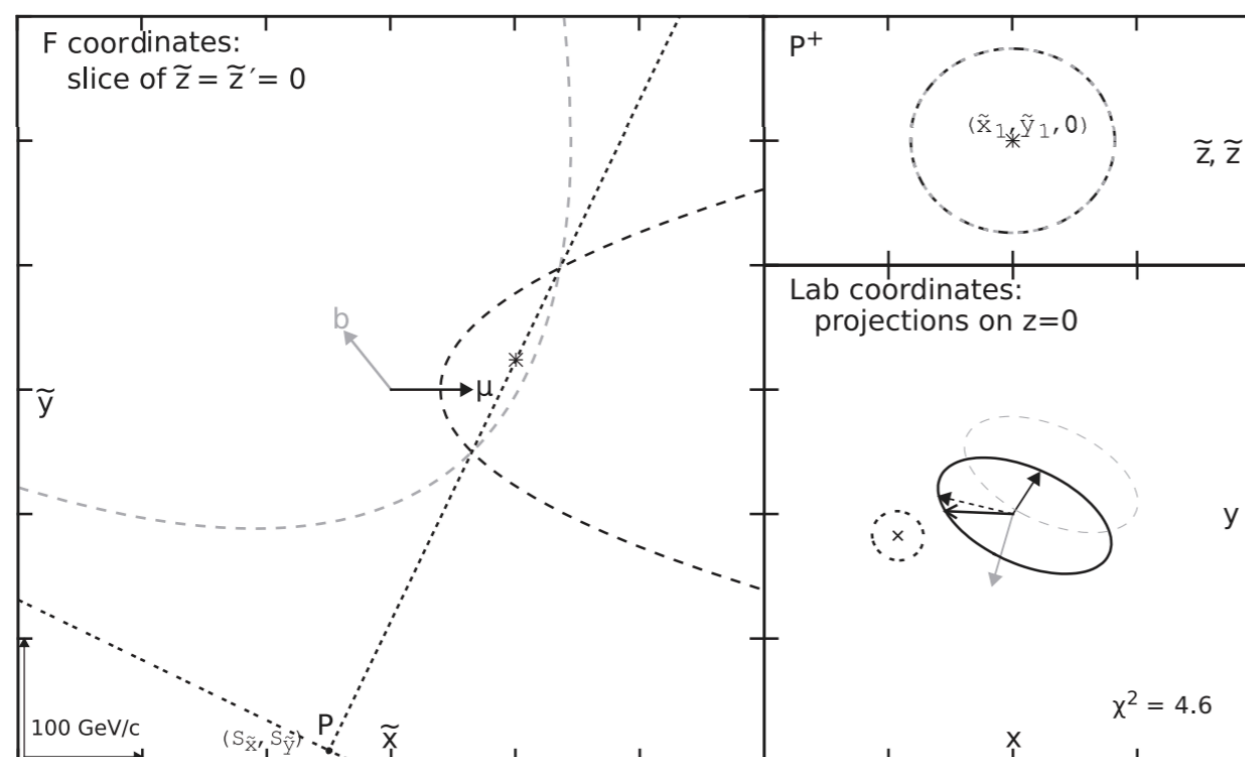
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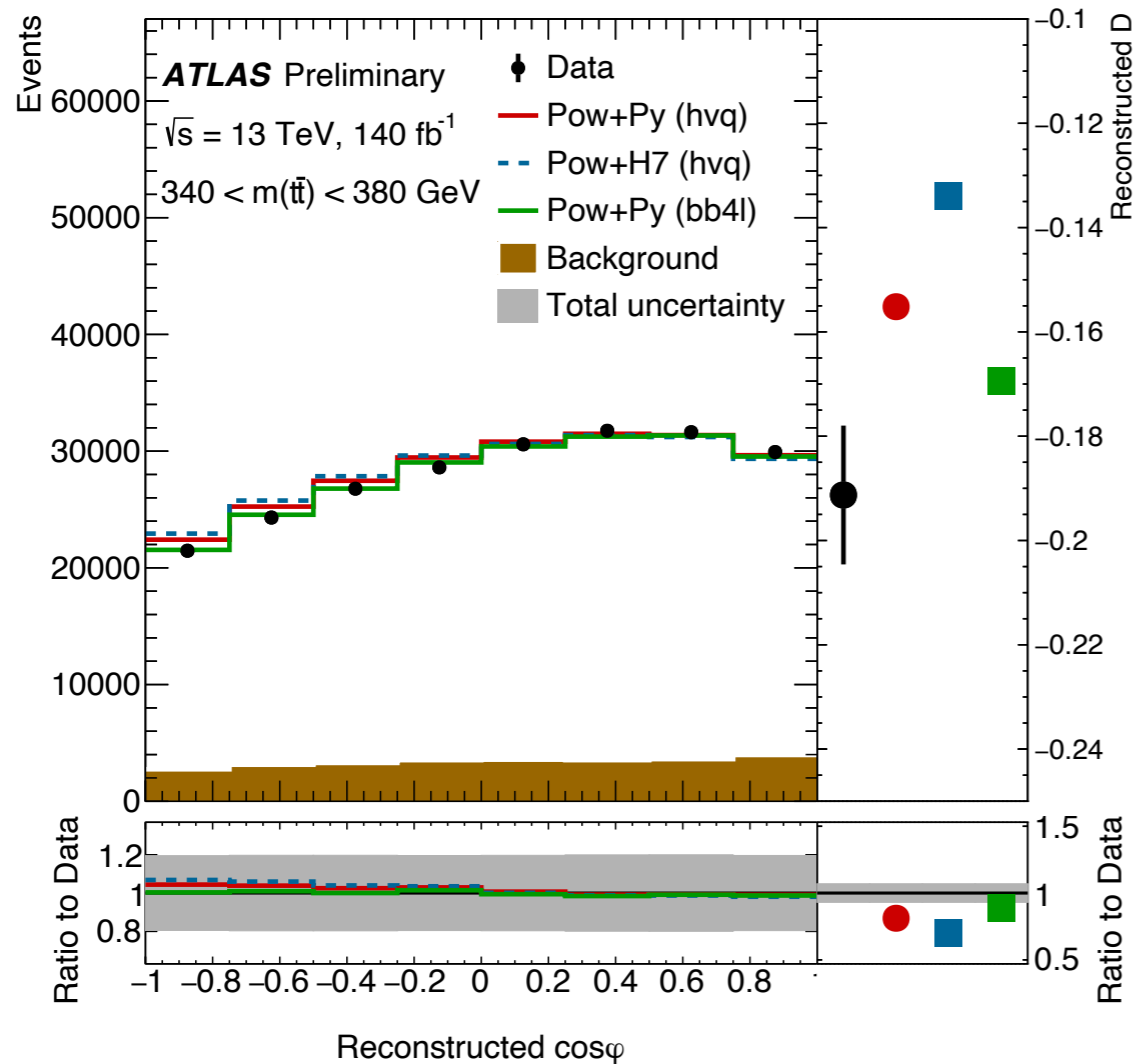
- ATLAS selects events with two charged leptons in the final state (+ 1 or more b-tagged jets).

- In order to measure  $D$ , we need to fully reconstruct both **tops** (we need measure  $\cos(\Phi)$  in parent top rest frames).  
➔ This means somehow dealing with two neutrinos
- There are a number of methods to achieve this, but this measurements relies heavily on the “Ellipse method”.



- Employs a geometry approach to analytically solve the system using linear algebra.
- Some other numerical methods used in small number of events.



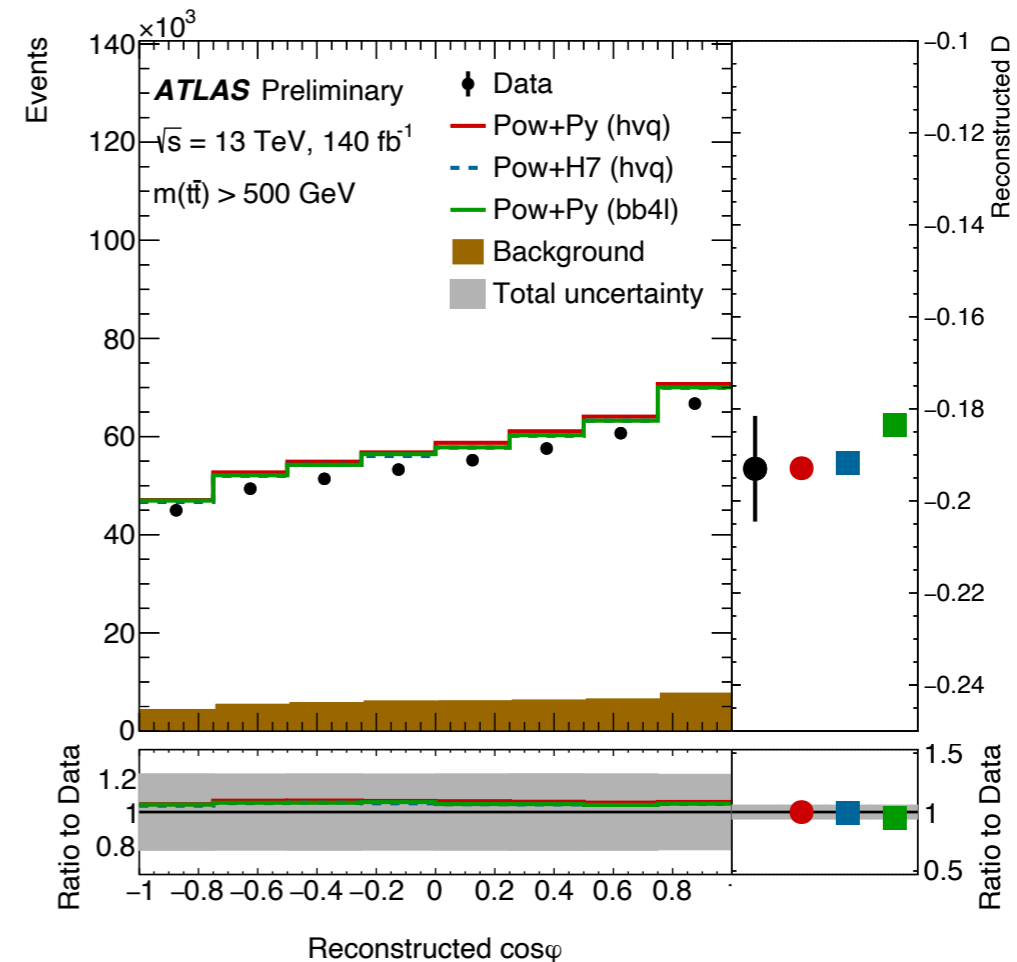
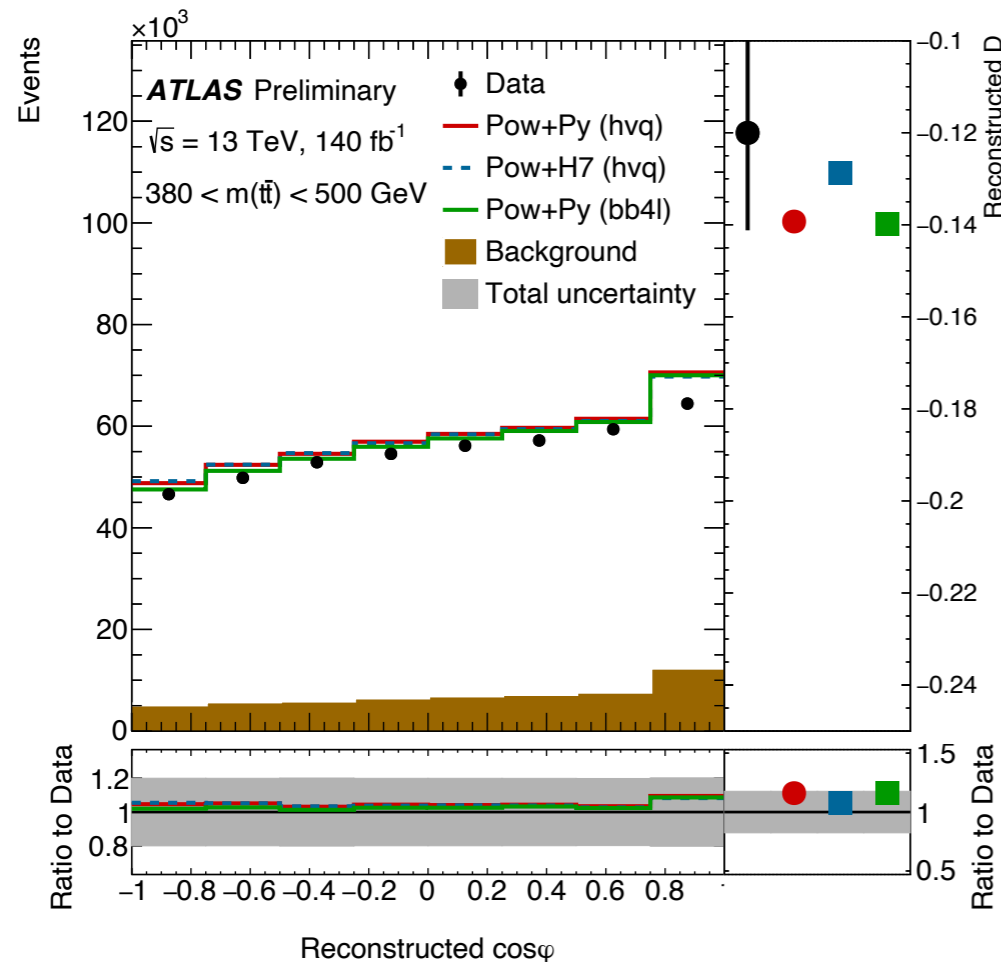


- Events are selected with exactly 1 electron and 1 muon (standard  $p_T, \eta$  cuts).
- Require 1 or more b-tagged jets (85% W.P):  
 → loose working point to ensure high stats in signal region.

- Three regions in  $m(t\bar{t})$  are defined:

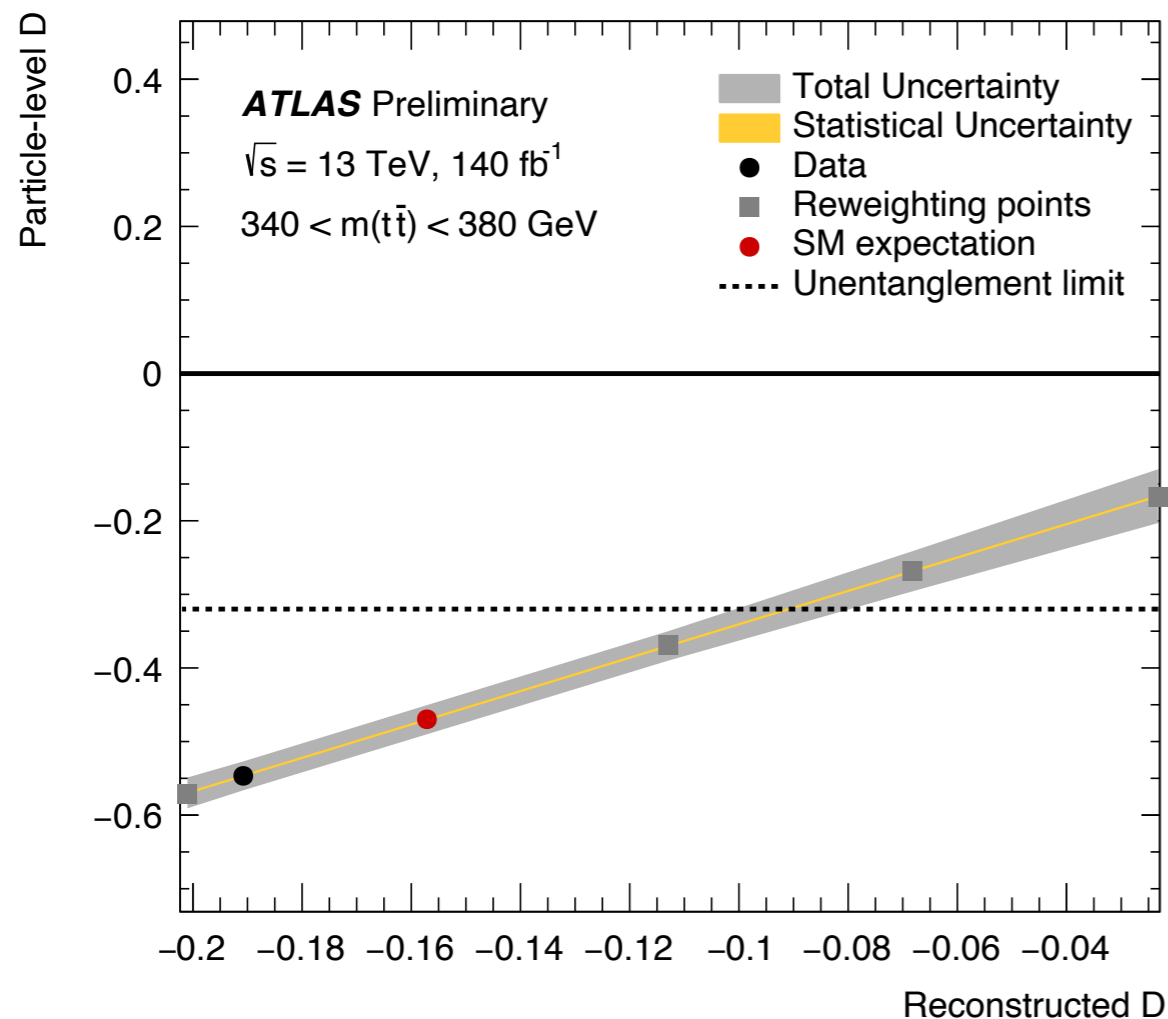
- SR:  $340 < m(t\bar{t}) < 380 \text{ GeV}$  [High degree of entanglement]
- VR1:  $380 < m(t\bar{t}) < 500 \text{ GeV}$  [some entanglement]
- VR2:  $m(t\bar{t}) > 500 \text{ GeV}$  [no entanglement]

- **This selection is a very robust one** (similar selection used in dozens of analyses).



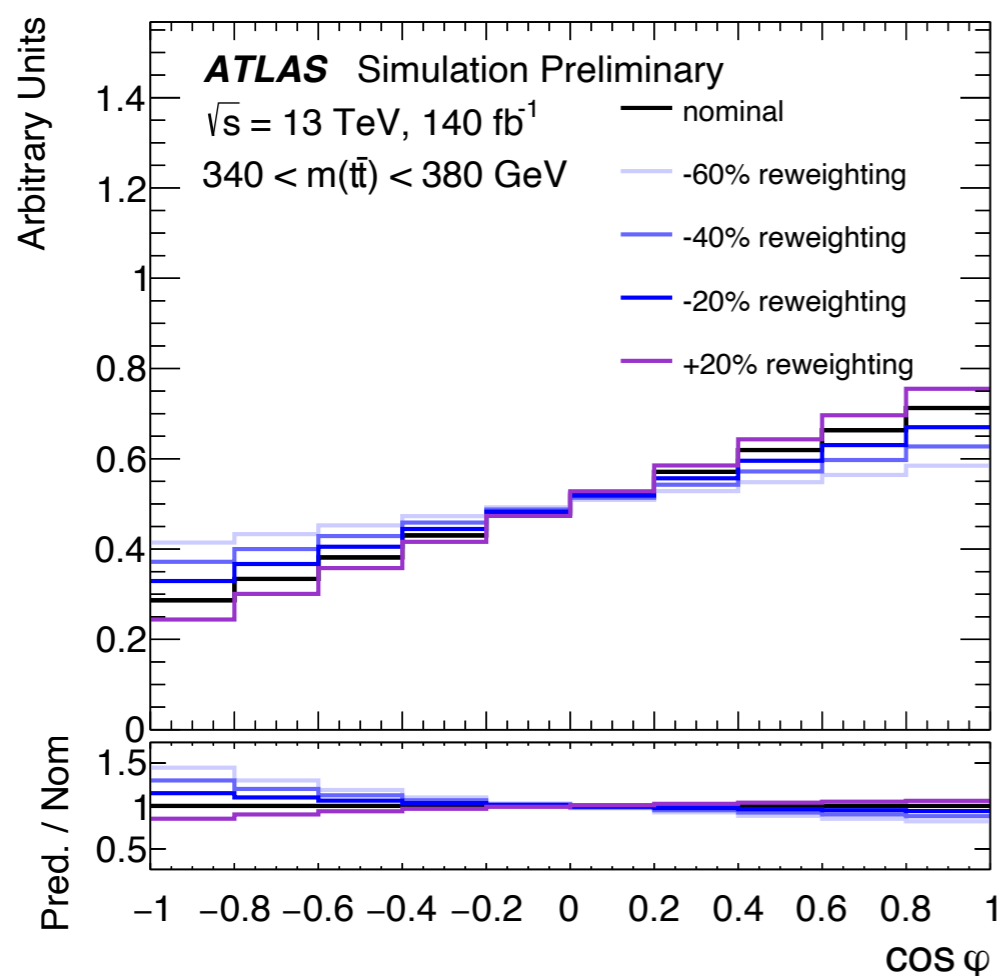
- **Very good overall agreement between the number of signal+background events and the observed number of events in data.**

- We somehow need to correct our observed D for detector effects:
  - ➔ We achieve this with a calibration curve.



- To construct this curve we need to change the amount of entanglement in our MC.
- We create 5 hypothesis points corresponding to the SM and 4 different reweighting points:  
(+20%, -20%, -40%, -60%)

- How these alternative hypothesis points are constructed is one of the key points of the measurement.
- We cannot dial entanglement up or down in the MC, so we reweight the  $\cos(\Phi)$  distribution as a function of  $m(t\bar{t})$ .



- If this is not done correctly, the relation:

$$D = \frac{\text{tr}[C]}{3} = -3 \cdot \langle \cos(\phi) \rangle$$

does not hold.

- The method we have used ensures that this relationship remains correct.

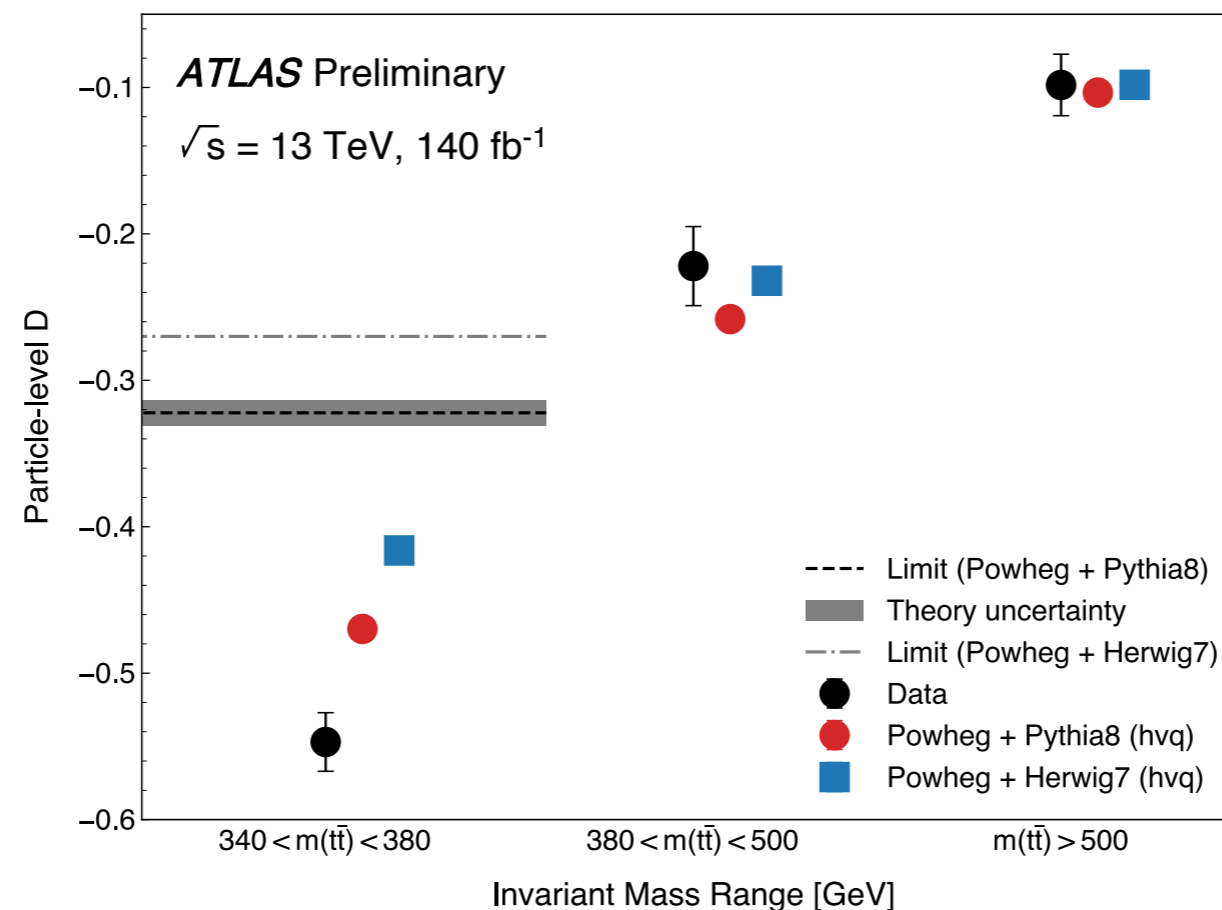
- The relative size of the systematics is not fixed and changes at each hypothesis point:

Systematic source	$\Delta D_{\text{observed}}(D = -0.547)$	$\Delta D$ (%)	$\Delta D_{\text{expected}}(D = -0.470)$	$\Delta D$ (%)
Signal Modelling	0.017	3.2	0.015	3.2
Electrons	0.002	0.4	0.002	0.4
Muons	0.001	0.1	0.001	0.1
Jets	0.004	0.7	0.004	0.8
<i>b</i> -tagging	0.002	0.4	0.002	0.4
Pile-up	< 0.001	< 0.1	< 0.001	< 0.1
$E_{\text{T}}^{\text{miss}}$	0.002	0.3	0.002	0.4
Backgrounds	0.010	1.8	0.009	1.8
Total Statistical Uncertainty	0.002	0.3	0.002	0.4
Total Systematic Uncertainty	0.021	3.8	0.018	3.9
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- As with most top measurements, we are limited by signal modelling, though background modelling (Z+jets) matters too due to looser *b*-tag and shape of the background.

- The observed (expected) results are:

**SR**  $D = -0.547 \pm 0.002$  [stat.]  $\pm 0.021$  [syst.] ( $-0.470 \pm 0.002$  [stat.]  $\pm 0.018$  [syst.]),  
**VR1**  $D = -0.222 \pm 0.001$  [stat.]  $\pm 0.027$  [syst.] ( $-0.258 \pm 0.001$  [stat.]  $\pm 0.026$  [syst.]),  
**VR2**  $D = -0.098 \pm 0.001$  [stat.]  $\pm 0.021$  [syst.] ( $-0.103 \pm 0.001$  [stat.]  $\pm 0.021$  [syst.]),

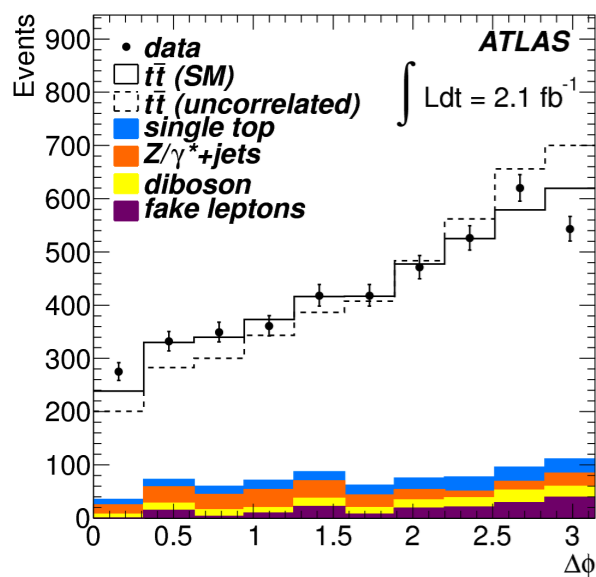


- The observed results excludes the entanglement limit at more than 5 sigma significance.

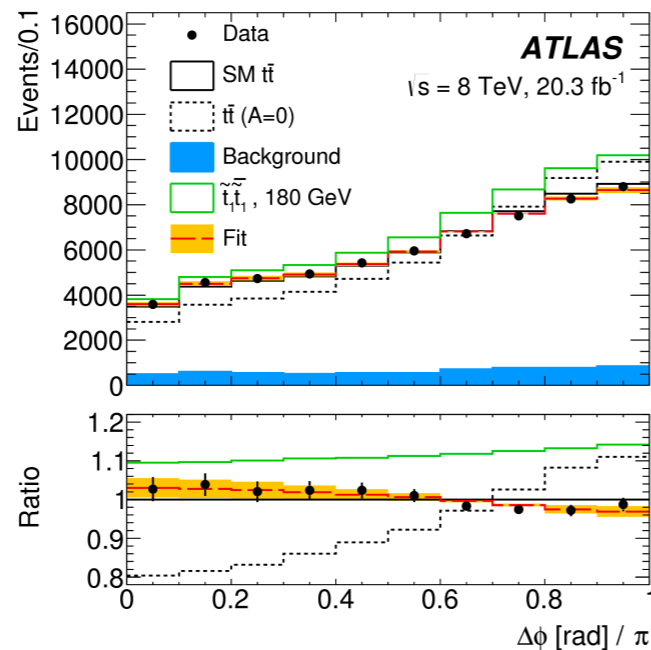
# Is it just spin correlation?

- This measurement is actually a fantastic success story for the progress in sophistication in top spin measurements.

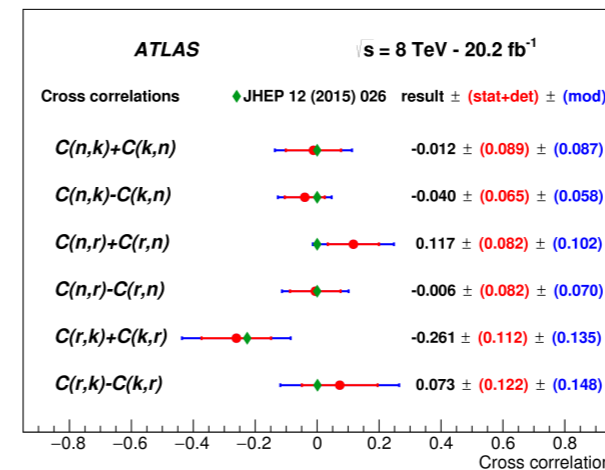
## First Observation (2012)



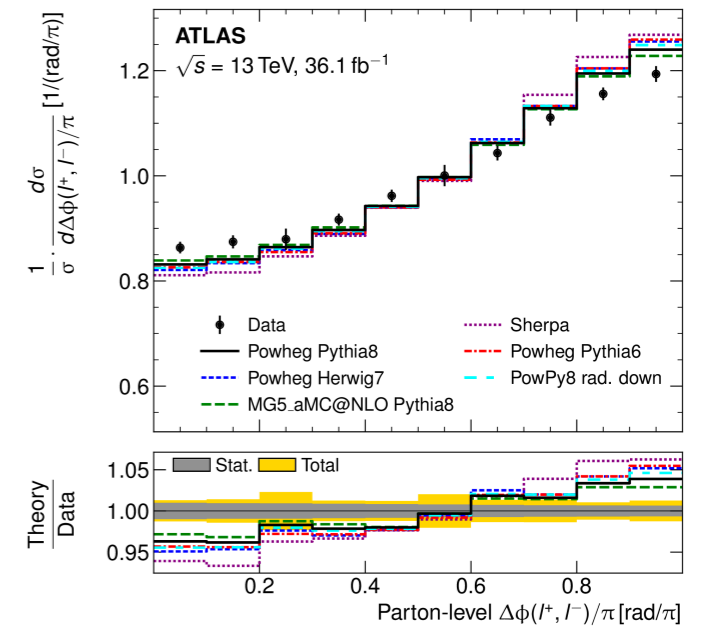
## First Stop Limits (2014)



## Full Density Matrix (2016)



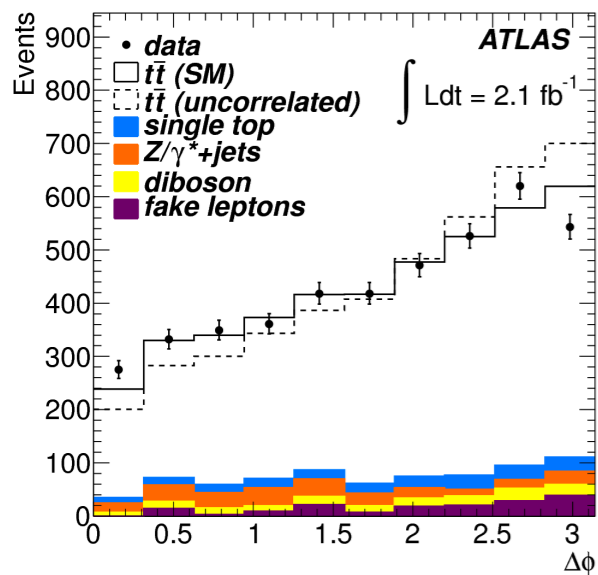
## Tensions with SM (2019)



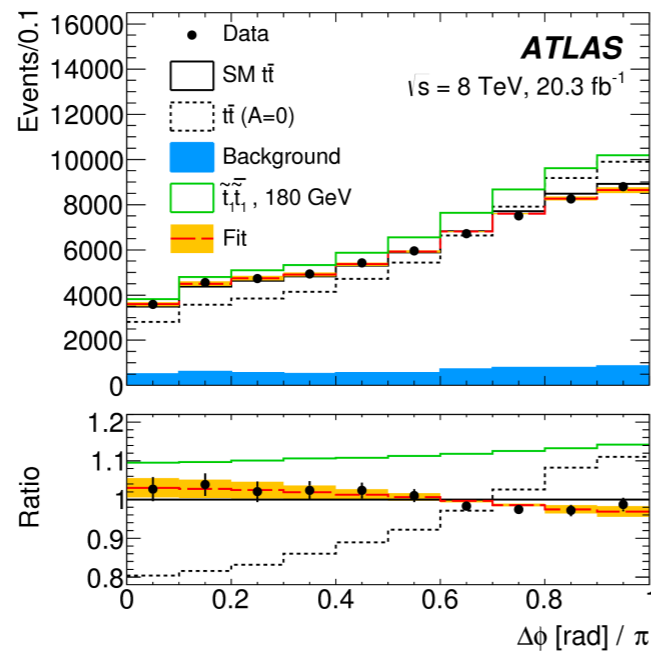
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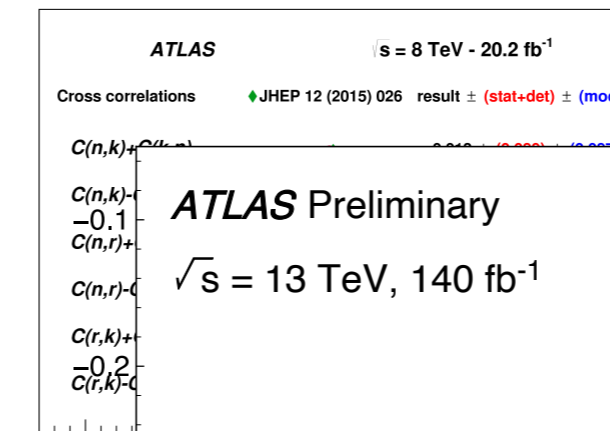
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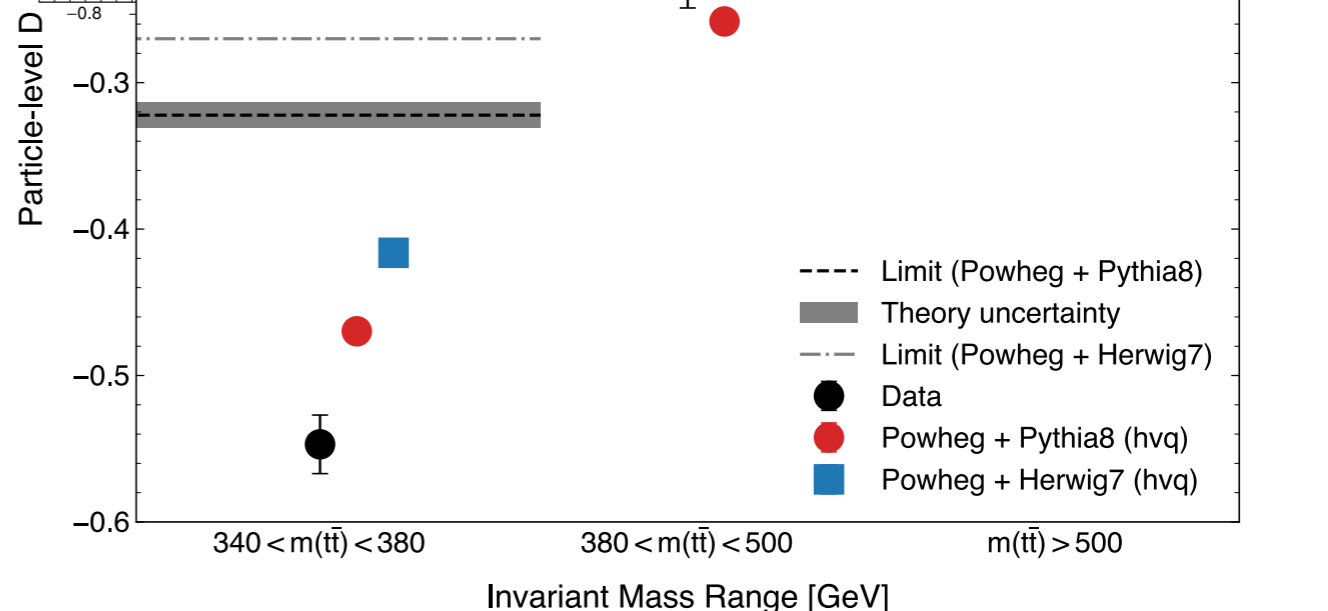
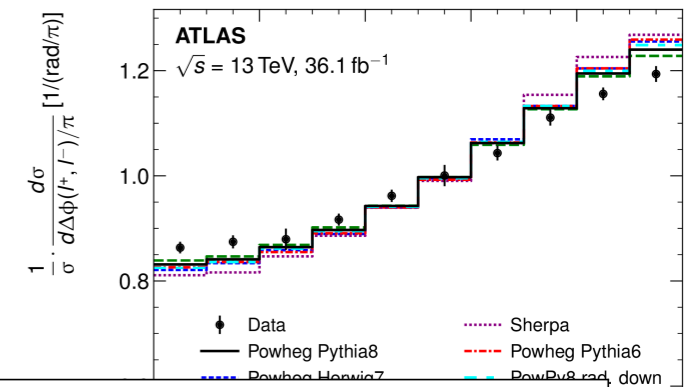
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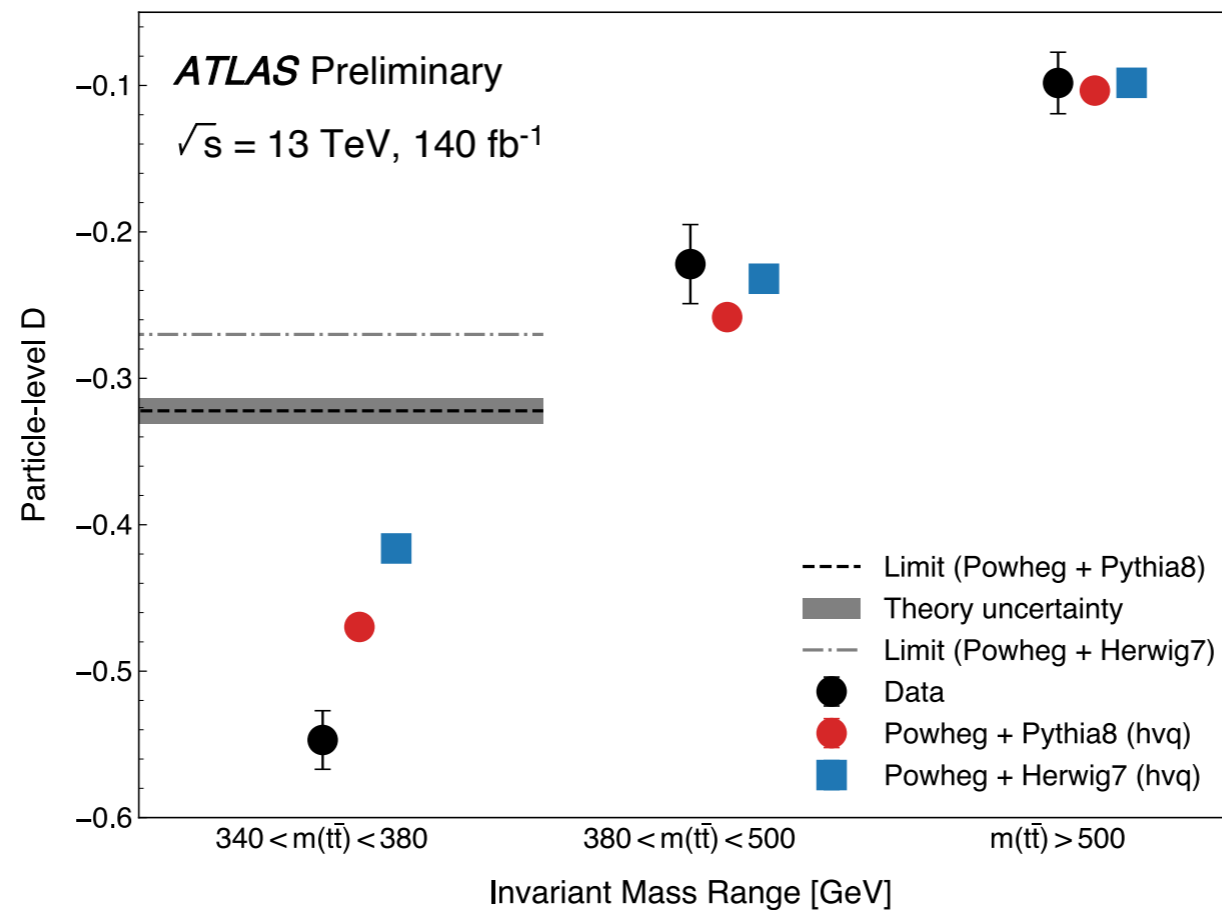
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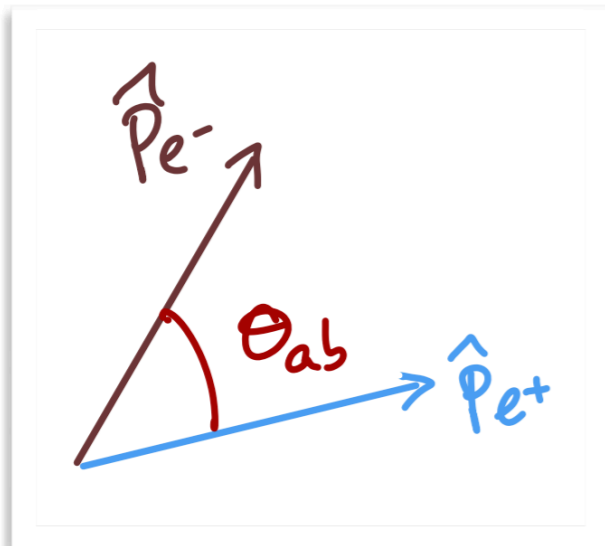
- From slides earlier in this workshop:

## Top pair production

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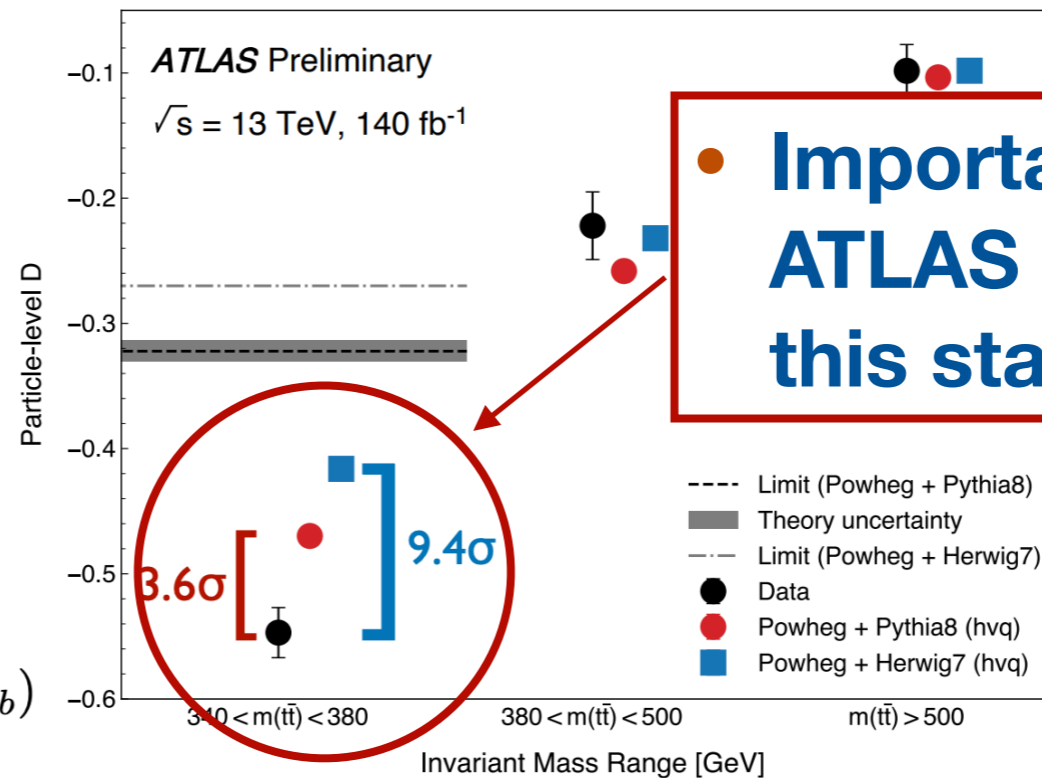


ATLAS has performed [and CMS is pursuing] a measurement at threshold using the  $D$  observable, related to the angle **between the two leptons**



$$\frac{1}{\sigma} \frac{d\sigma}{d \cos \theta_{ab}} = \frac{1}{2} (1 + \alpha_a \alpha_b D \cos \theta_{ab})$$

$$D = \frac{1}{3} (C_{11} + C_{22} + C_{33})$$



Important to note that **ATLAS is NOT making this statement**

Entanglement test near threshold:  $-3D - 1 > 0$

- **ATLAS has observed quantum entanglement for the first time in a pair of fundamental quarks, at the highest lab-made energies.**
- **This is the first step in a program to use the LHC as a tool for exploring quantum information.**
- **Important questions about how entanglement (and spin correlation) is modelled in this threshold region:**
  - ➔ **Would be a very profitable area for further study in the theory community!**

# Backup

# Parton Shower

