single-trial basis to uncover firing mechanism behind noisy

• Neural Data Transformers [1]: successful at capturing neural dynamics by characterizing relationship between timesteps of population responses, but ignores rich covariation between neurons.

>> We propose SpatioTemporal Neural Data Transformer (STNDT) to explicitly learn both the spatial coordination between neurons and the temporal progression of population activity.

>> STNDT achieves state-of-the-art performance on modeling neural dynamics.

Figure 2: Correlation of firing rates among neurons contains salient information to infer population dynamics.

### **METHODS**

MC Maze

Firing rate (spk/s

Go cue

Motor cortex (M1) &

dorsal premotor cortex

acquisition

onset

100 ms

(PMd)

Datasets: Neural Latents Benchmark [2]: electrophysiological recordings from rhesus macaques covering:

- autonomous and non-autonomous neural dynamics.
- variety of behavior tasks (target reaching and time reproduction).

MC\_RTT

• variety of brain regions (M1, PMd, S2, DMFC).

100 ms

• Motor cortex

Naturalistic,



unstereotyped behavior

Target onset

Bump

### neural population.

• Neural spiking activities are stochastic, firing rates vary from trials to trials even under the same behavior.

>> requires methods modeling population activity on a spike trains.





Area2\_Bump

Go cue

Somatosensory area 2

Input-driven dynamics

acquisition

1. 1. 1. 1. 1. 1. 1.















# **Modeling Neural Population Activity with Spatiotemporal Transformers**

Trung Le, Eli Shlizerman University of Washington, Seattle



Figure 1: Denoising objective [2]







Dorsomedial frontal

100 ms

cortex

 No moment-by-moment behavioral correlate



$$Z_{\mathcal{ST}} = \mathcal{F}(A_{\mathcal{S}} Z_{\mathcal{T}}^{\top})$$

$$\mathcal{L}_{mask} = \sum_{i=1}^{N} \sum_{j=1}^{T} \exp(\tilde{z}_{ij}) - \tilde{x}_{ij} \tilde{z}_{ij}$$

• Contrastive loss:  

$$\mathcal{L}_{contrastive} = \sum_{ij} l_{ij} = \sum_{ij} -\log \frac{\exp(\sin(z_i, z_j)/\tau)}{\sum_{k=1}^{2N} \mathbf{1}_{k \neq i} \exp(\sin(z_i, z_k)/\tau)}$$

### **RESULTS**

- STNDT achieves state-of-the-art prediction of firing activities for unobserved neurons and timesteps.
- STNDT reveals stereotyped features of neural activity.
- STNDT helps accurate decoding of behaviors.

![](_page_0_Figure_46.jpeg)

Figure 6: A) Inferred firing rates recover PSTH structures. B) Behavior decoded from STNDT-inferred rates match the ground truth behavior. C) Model performance improves as multiple models are ensembled.

• Ensembling multiple models improves STNDT performance. • Incorporating contrastive loss improves STNDT performance. STNDT identifies consistent subsets of important neurons whose activities contain salient information representing the response of the population to behavior task. Predictive performance decreases slightly when random neurons are removed but deteriorates significantly when important neurons are removed. trial 1 vel R2 🔶 important, STNDT important, STNDT - random, STNDT --- important, NDT 🔶 important, NDT % neurons dropped % neurons dropped 0 20 40 60 80 100 120 140 160 180 0 20 40 60 80 100 120 140 160 180 PSTH R2 100 -— important, STNDT important, STNDT • random, STNDT -0.1 - random, STNDT 🔶 important, NDT important, NDT -0.2 1 ---- random, NDT

Figure 7: Left: Spatial attention weights reveals important neurons. Right: Performance decreases significantly when these important neurons are dropped from the population.

### REFERENCES

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## NeuroAl

## W

### UNIVERSITY of WASHINGTON

	N	AC_M	[aze	MC_RTT				
o-bps†	vel l	<b>R<sup>2</sup>↑</b> ]	psth R²↑	f	p-bps↑	co-bps↑	vel R <sup>2</sup>	fp-bps
.1872	0.63	99	0.5150		-	0.1548	0.5339	_
.2109	0.62	38	0.1853		-	0.1468	0.4142	_
.2249	0.79	47	0.5330	.5330 1		0.1649	0.5206	0.0620
.3304	0.91	21	0.7496	0	0.2076	0.1676	0.5953	0.1012
.3364	0.90	97	0.6360	0	0.2349	0.1868	0.6167	0.1213
.3559	0.88	40	0.6062	0	0.1480	_	_	_
.3599	0.91	05	0.6641	0	0.2470	0.1927	0.6627	0.1229
.3676	0.91	14	0.6683	0	0.2589	0.2053	0.6334	0.1344
.3632	0.89	97	0.6749	0	0.2486	0.1865	0.5988	0.0964
.3835	0.91	03	0.6704	0	.2682	0.2095	0.6270	0.1244
Area2_Bump					DMFC_RSG			
co- ps↑	vel R²↑	psth R <sup>2</sup>	fp-bp	sŤ	co- bps↑	tp-corr	↓ psth R <sup>2</sup> ↑	fp-bps
.1680 (	0.5975	0.528	9 –		0.1176	6 - 0.3763	3 0.2142	_
.1544 (	0.5736	0.208	4 –		0.1202	2 - 0.5139	0.2993	_
.1960 (	0.7385	0.574	0 0.024	2	0.1243	3 - 0.5412	0.3372	-0.0418
.2735 (	0.8877	0.913	<b>35</b> 0.148	3	0.1821	-0.6929	0.7013	0.1650
.2569 (	0.8492	0.631	8 0.150	5	0.1829	-0.824	<b>8</b> 0.6359	0.1844
_	_	_	_		_	-	_	_
.2801 (	0.8675	0.636	$7 \ 0.152$	3	0.1733	3 - 0.6189	0.5267	0.1511
.2860 (	0.8999	0.710	9 <b>0.160</b>	3	0.1886	6 - 0.7601	0.6064	0.1828
.2690 ( . <b>2896</b> (	0.8593 0.8912	$0.719 \\ 0.735$	$\begin{array}{ccc} 1 & 0.135 \\ 8 & 0.146 \end{array}$	$\frac{3}{4}$	0.1859 0.194	0 -0.5205 0 -0.4857	$\begin{array}{ccc} 5 & 0.6051 \\ 7 & 0.6452 \end{array}$	0.1601 <b>0.1910</b>
					,			

Table: STNDT achieves state-of-the-art performance on modeling neural population dynamics, most notably

![](_page_0_Figure_63.jpeg)

[1] Ye, Joel, and Chethan Pandarinath. "Representation learning for neural population activity with Neural Data Transformers." Neurons, Behavior, Data analysis, and Theory (2021).

[2] Pei, F., et al. "Neural Latents Benchmark'21: Evaluating latent variable models of neural population activity." Advances in Neural Information Processing Systems (NeurIPS), Track on Datasets and Benchmarks 34 (2021)