Theory of rare decays of leptons

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Lepton flavour violation

- Individual lepton flavour is conserved in the Standard Model
- Neutrino oscillations \Rightarrow lepton flavour violation (LFV)
- LFV processes with charged leptons are very suppressed in SM + $m_{
 u}$

$$\mathcal{B}(\ell^- o \ell' + X) \propto \left| \mathsf{G}_{\mathsf{F}} U^*_{\ell i} U_{\ell' i} m^2_{
u,i}
ight|^2 o \mathcal{B}(\ell o \ell' + X) \lesssim 10^{-54}$$

- Observation would be a smoking gun sign for physics beyond the SM + $m_{
u}$









Brief summary of experimental status



Latest upper limits at 90% CL

$$\mathcal{B}(\mu \to e\gamma) < 3.1 \times 10^{-13} \qquad \text{meg II } {}_{2310.12614} \qquad \mathcal{B}(\tau \to 3\mu) < \begin{cases} 1.9 \times 10^{-8} & \text{Belle II } {}_{2405.07386} \\ 2.9 \times 10^{-8} & \text{CMS } {}_{2312.02371} \\ 1.8 \times 10^{-8} & \text{expected LHCb; CERN-THESIS-2023-233} \end{cases}$$

Brief summary of experimental status



$\tau \rightarrow \ell$ transition Belle II 1808.10567 IV⁰ lhh C.L. upper limits for LFV τ decays Ш Λh 10 11111 10 · · * * -10-7 CLEO BaBar 10 Belle LHCb Belle II %06

A bright future for LFV searches 10^{-14}

- MEG II probes ${\cal B}(\mu o e\gamma) \sim 6 imes 10^{-14}$
- Mu3E probes ${\cal B}(\mu o 3e) \sim 10^{-15} o 10^{-16}$
- DeeMee, Mu2E, COMET probe $C\mathcal{R}(\mu + Al \rightarrow e + Al) \sim 10^{-13} \rightarrow 3 \times 10^{-17}$

- Improvements by 1-2 orders of magnitude for $\tau \rightarrow \ell \text{ LFV decays}$

• . . .

Charged lepton flavour violation and the origin of neutrino masses

Large τ LFV from lepton triality

LFV decays into axion-like particles

Final comments

Charged lepton flavour violation and the origin of neutrino masses

Charged lepton flavour violation and origin of neutrino masses

• Majorana neutrino masses generated via dimension-5 operator

$$rac{\kappa}{\Lambda_{
m LNV}}$$
LHLH $\Rightarrow m_{
u} \sim rac{\kappa v^2}{\Lambda_{
m LNV}}$



+ cLFV processes via operators of dimension $D \ge 6$

$$\frac{\mathcal{C}_{e\gamma}}{\Lambda_{\rm LFV}^2} \bar{L} H \sigma^{\mu\nu} \mathcal{P}_{\mathcal{R}} \ell \mathcal{F}_{\mu\nu} + \frac{\mathcal{C}_i}{\Lambda_{\rm LFV}^2} \mathcal{Q}_i$$

5 types of operators dipole operator, 4-lepton, 2-lepton-2-quark, 2-lepton-Higgs, 2-lepton-gauge boson

+ For $\Lambda_{\rm LNV} \sim \Lambda_{\rm LFV}$ we find for the dipole operator

$$rac{C_{e\gamma}}{\Lambda_{
m LFV}^2}\sim rac{C_{e\gamma}m_
u^2}{\kappa^2 v^4} \qquad \Rightarrow \quad \mathcal{B}(\mu o e + X) \lesssim 10^{-34} \left(rac{C_{e\gamma}}{16\pi^2\kappa^2}
ight)^2$$

Conservative estimate for $C_{e\gamma}$; it is often smaller like in seesaw model

 $\Rightarrow~$ Observable cLFV processes only if $\Lambda_{\rm LNV} \gg \Lambda_{\rm LFV}$

Example – radiative neutrino mass generation [Cai+ 1410.0689]

Leptoquark
$$\phi \sim (\overline{3}, 1, \frac{1}{3})$$

VL quark: $\chi = (B, Y) \sim (3, 2, -\frac{5}{6})$
 $L_{\alpha} \xrightarrow{Q_i} \overline{d} \chi \chi \overline{\chi}$
 $(H_{\beta}^{+} + \overline{H})$

$$(m_{
u})_{ij} = rac{3}{16\pi^2} m_{bB} rac{m_b m_B}{m_{\phi}^2 - m_B^2} \ln rac{m_B^2}{m_{\phi}^2} \ \left(Y_{i3}^{LQ\phi} Y_j^{Lar{\chi}\phi} + (i \leftrightarrow j)
ight)$$

- two massive neutrinos
- Neutrino phenomenology fixes Yukawa couplings $Y_{i3}^{LQ\phi}$ and $Y_j^{L\bar{\chi}\phi}$ up to overall scaling with ζ and a discrete choice
- $\mu \rightarrow e$ processes most constraining
- testable predictions for ratios, e.g.

$$\frac{\mathcal{B}(\tau \to e\gamma)}{\mathcal{B}(\tau \to \mu\gamma)} = \frac{|Y_{13}^{LQ\phi}|^2}{|Y_{23}^{LQ\phi}|^2} = \frac{|\sqrt{m_2}U_{e2} \pm i\sqrt{m_3}U_{e3}|^2}{|\sqrt{m_2}U_{\mu2} \pm i\sqrt{m_3}U_{\mu3}|^2}$$

for normal ordering and $m_{\chi} \simeq m_B \gg m_{\phi}$ in terms of neutrino masses $m_2 \simeq \sqrt{\Delta m_{\rm sol}^2}$, $m_3 \simeq \sqrt{\Delta m_{\rm atm}^2}$ and PMNS matrix elements $U_{\alpha i}$

Example – radiative neutrino mass generation [Cai+ 1410.0689]



$$(m_{\nu})_{ij} = \frac{3}{16\pi^2} m_{bB} \frac{m_b m_B}{m_{\phi}^2 - m_B^2} \ln \frac{m_B^2}{m_{\phi}^2}$$
$$\left(Y_{i3}^{LQ\phi} Y_j^{L\bar{\chi}\phi} + (i \leftrightarrow j)\right)$$



perturbativity (black); $\mu \rightarrow e\gamma$ (green dot-dashed); $\mu \rightarrow 3e$ (blue dotted); $\mu Au \rightarrow eAu$ (red dashed); $\mu Ti \rightarrow eTi$ (proj, magenta dashed);





Cosmological mass limit $\sum_i m_i \lesssim 0.1 {
m eV}$

- cLFV interactions $\lambda_{ij} \propto (m_{
 u})_{ij}$
- testable predictions, e.g.

$$rac{\mathcal{B}(au o \mu \gamma)}{\mathcal{B}(au o e \gamma)} \simeq \left|rac{(m_
u m_
u^\dagger)_{\mu au}}{(m_
u m_
u^\dagger)_{e au}}
ight|^2$$

- ⇒ measuring several cLFV processes can support or exclude type-II seesaw model
- $\mu \to 3e$ mediated by Δ^{++} exchange at tree-level and thus generally most sensitive
- tree-level contribution to $\mu
 ightarrow 3e$ suppressed for $(m_
 u)_{e\mu}
 ightarrow 0$

Example – large τ LFV in the type II seesaw model [Ardu+ 2401.06214]



 m_1 lightest neutrino mass

Large τ LFV from lepton triality

au LFV – lepton flavour triality

Flavour symmetry breaking \rightarrow mixing

Altarelli, Feruglio hep-ph/0512103 He, Keum, Volkas hep-ph/0601001



Remnant symmetries

emergence of lepton flavour triality Z_3 symmetry for charged leptons

charged leptons distinguished by Z_3 charges

charged lepton neutrino $Q^{\dagger}M_{\ell}^{\dagger}M_{\ell}Q = M_{\ell}^{\dagger}M_{\ell}$ $Z^{T}M_{\nu}Z = M_{\nu}$ $U_{\ell}^{\dagger}QU_{\ell} = \text{diag}$ $U_{\nu}^{\dagger}ZU_{\nu} = \text{diag}$ $U_{PMNS} = U_{\ell}^{\dagger}U_{\nu}$

 \Rightarrow (certain) flavour transitions forbidden by symmetry

triality introduced by Ma 1006.3524

Bottom-up perspective

Lepton triality symmetry: $\ell_k
ightarrow \omega^k \ell_k$ with $\omega = e^{2\pi i/3}$, $\omega^3 = 1$

Implications

- All transitions $\ell_i \rightarrow \ell_j$ with $i \neq j$ forbidden
- Allowed processes: $\tau^\pm o \mu^\pm \mu^\pm e^\mp$, $\tau^\pm o \mu^\mp e^\pm e^\pm$
- $\rightarrow\,$ induced by higher-dimensional operator or e.g. bileptons

Models with bileptons: Z_3 charge T = 2

- doubly-charged scalar k_2 : $\mathcal{L} = \frac{1}{2} \left(2g_1 \overline{\tau_R^c} e_R + g_2 \overline{\mu_R^c} \mu_R \right) k_2$
- EW triplet $\Delta_2 \sim (\mathbf{3}, 1)$: $\mathcal{L} = \frac{1}{2} \left(2g_1 \overline{L_3^c} \cdot \mathbf{\Delta}_2 L_1 + g_2 \overline{L_2^c} \cdot \mathbf{\Delta}_2 L_2 \right)$
- \Rightarrow prediction $\tau^{\pm} \rightarrow \mu^{\pm} \mu^{\pm} e^{\mp}$

T=1 bileptons result in $\tau^\pm \to e^\pm e^\pm \mu^\mp$

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 ${\cal T}=1$ bileptons result in $\tau^\pm \to e^\pm e^\pm \mu^\mp$

Electroweak singlet model -T = 2 [Bigaran+ 2212.09760]



$$k_{2} \rightarrow \omega^{2} k_{2}$$

$$\mathcal{L} = \frac{1}{2} \left(2g_{1} \overline{\tau_{R}^{c}} e_{R} + g_{2} \overline{\mu_{R}^{c}} \mu_{R} \right) k_{2}$$

$$e^{+} \underbrace{ }_{\mathbf{k}_{2}} \tau^{-}$$





 $m_{k_2}\gtrsim \mathcal{O}(0.9){
m TeV}$

ATLAS 2211.07505

Lepton flavour triality at lepton colliders [Lichtenstein+ 2307.11369]

Model	Process		Lepton Collider	-	
T=1	$\mu^+ e^- ightarrow e^+ au^-$	u	μ TRISTAN	I = 1	
T=1	$e^+e^- ightarrow e^+e^-$	u	e^+e^-		$\mathcal{L}_{k_1} = \frac{1}{2} \left(2f_1 \overline{\tau_R^c} \mu_R + f_2 \overline{e_R^c} e_R \right) k_1$
T=1	$e^-e^- ightarrow e^-e^-$	s	-		2
T=1	$e^-e^- \to \tau^-\mu^-$	s	-		
T=2	$\mu^+\mu^+ \to \tau^+ {\rm e}^+$	s	μ TRISTAN	T=2	
T=2	$\mu^+\mu^+ \to \mu^+\mu^+$	s	μ TRISTAN		$c = \frac{1}{2} \left(2\pi \overline{-5} - 1 - \pi \overline{-5} \right) t_{c}$
T=2	$\mu^+ e^- \to \tau^+ \mu^-$	u	μ TRISTAN		$\mathcal{L}_{k_2} = \frac{1}{2} \left(2g_1 \tau_R e_R + g_2 \mu_R \mu_R \right) \kappa_2$
T=2	$\mu^+\mu^- \to \mu^+\mu^-$	s	$\mu^+\mu^-$		
T=3	$\mu^+ e^- ightarrow \mu^+ e^-$	u	μ TRISTAN	T = 3	
T=3	$\mu^+ {\rm e}^+ \to \tau^+ \tau^+$	s	-		1
					$\mathcal{L}_{k_3} = \frac{1}{2} \left(2h_1 \overline{\mu_R^c} e_R + h_2 \overline{\tau_R^c} \tau_R \right) k_3$

For electroweak triplet see $_{\rm Fridell+\ 2304.14020}$

 $\ell_k \rightarrow \omega^k \ell_k k_T \rightarrow \omega^T k_T$ with $\omega = e^{2\pi i/3}, \omega^3 = 1$

Lepton flavour violation: T = 2 at $\mu^+ \mu^+$ [Lichtenstein+ 2307.11369]



T=2 model: $\mu^+\mu^+
ightarrow k_2^*
ightarrow \mu^+\mu^+$ [Lichtenstein+ 2307.11369]



Exotic lepton flavour violating signals

LFV by two units Heeck 2401.09580 – effective operators

could be generated from bileptons, see e.g. Cuypers hep-ph/9609487; Li+ 1809.07924, 1907.06963

 $y^{LL}_{abcd}\bar{L}_{a}\gamma^{\alpha}L_{b}\bar{L}_{c}\gamma_{\alpha}L_{d} + y^{LR}_{abcd}\bar{L}_{a}\gamma^{\alpha}L_{b}\bar{\ell}_{c}\gamma_{\alpha}\ell_{d} + y^{RR}_{abcd}\bar{\ell}_{a}\gamma^{\alpha}\ell_{b}\bar{\ell}_{c}\gamma_{\alpha}\ell_{d}$

 $\Delta L_{\mu} = -\Delta L_e = 2$

• $M-ar{M}$ oscillations willmann+ hep-ex/9807011

$$egin{aligned} |y_{\mu e \mu e}^{LL} + y_{\mu e \mu e}^{RR}| &< (3.2 \mathrm{TeV})^{-2} \ |y_{\mu e \mu e}^{LR}| &< (3.8 \mathrm{TeV})^{-2} \end{aligned}$$

- MACE promises $\mathcal{O}(100)$ improvement
- LFU tests $\frac{\Gamma(\mu \to e \nu \bar{\nu})}{\Gamma(\tau \to \mu \nu \bar{\nu})}$: $|y_{\mu e \mu e}^{LL}| < (1.1 {\rm TeV})^{-2}$
- $\mu \text{TRISTAN}$: $|y_{\mu e \mu e}| \sim (10 \text{TeV})^{-2}$

 $\Delta L_{\tau} = -\Delta L_e = 2$

- LFU $\frac{\Gamma(\tau \to e \nu \bar{\nu})}{\Gamma(\tau \to \mu \nu \bar{\nu})}$: $|2y_{\tau e \tau e}^{LL}|, |y_{\tau e \tau e}^{LR}| < (0.67 \text{TeV})^2$
- Z and au decays probe scales $\mathcal{O}(1-100) \mathrm{GeV}$



Similar conclusions apply for $\Delta L_{\tau} = -\Delta L_{\mu} = 2$

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LFV decays into axion-like particles

Fermion mass hierarchy from a flavour symmetry [Froggatt, Nielsen NPB147 (1979) 277]

- Most Yukawa couplings are forbidden by the flavour symmetry
- Yukawa couplings emerge from high-dimensional operators after the flavour symmetry is spontaneously broken by VEV of scalar field (flavon) $\langle \phi \rangle$

$$\mathcal{L}_{\mathrm{Yuk}} = \left(rac{\langle \phi
angle}{\Lambda}
ight)^{n_{ij}^f} ar{f}_{Li} f_{Rj} H$$



• For $\langle \phi \rangle \ll \Lambda$ a hierarchy emerges among effective Yukawa couplings depending on n_{ii}^f which are fixed by the flavour symmetry

U(1) with charges $Q(\phi) = -1$, Q(H) = 0, $Q(\overline{L}_{Li}) = [L]_i$, $Q(e_{Ri}) = [e]_i$

$$[\mathcal{L}]_{i} = [\mathbf{e}]_{i} = 3 - i \qquad \Rightarrow \qquad \begin{bmatrix} n_{ij}^{\ell} \end{bmatrix} = \begin{pmatrix} 4 & 3 & 2 \\ 3 & 2 & 1 \\ 2 & 1 & 0 \end{pmatrix} \qquad \Rightarrow \qquad m_{\ell} \sim \begin{pmatrix} \epsilon^{4} & \epsilon^{3} & \epsilon^{2} \\ \epsilon^{3} & \epsilon^{2} & \epsilon^{1} \\ \epsilon^{2} & \epsilon^{1} & 1 \end{pmatrix}$$

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LFV couplings for ALPs

$$U(1)$$
 with charges $Q(\phi)=-1$, $Q(H)=0$, $Q(\bar{L}_{Li})=[L]_i$, $Q(e_{Ri})=[e]_i$

Spontaneously broken symmetry results in a (pseudo-)Nambu-Goldstone boson lpha

$$\phi = \frac{f + \varphi}{\sqrt{2}} e^{i\alpha/f} \qquad \qquad \stackrel{\underline{\mathsf{E}} \ll f}{\Longrightarrow} \qquad \qquad \mathcal{L}_{\text{eff}} = \frac{\partial_{\mu}\alpha}{f} \bar{\ell}_i \gamma^{\mu} \left(C_V^{ij} + C_A^{ij} \gamma_5 \right) \ell_k$$

may also solve strong CP problem $_{\text{Wilczek 1982; Ema+ 1612.05492; Calibbi+ 1612.08040}}$

Flavour non-universal charges result in flavour-violating ALP couplings

$$C_{V,A} = V_R^{\dagger} X_R V_R \pm V_L^{\dagger} X_L V_L \quad \text{with} \quad V_L^{\dagger} Y_e V_R = Y_e^{\text{diag}}$$

$$([e]_1 \quad [L]_2 \quad [L]_3) \quad (V_L)_{ij} \approx \epsilon^{|[e]_i - [e]_j|}$$

and thus flavour-violating decays

 $\mu
ightarrow e a \qquad \mu
ightarrow e a \gamma \qquad \mu
ightarrow 3 e + a \qquad au
ightarrow \ell a$

LFV axions at Mu3E [Knapen+ 2311.17915]



 $\mu
ightarrow ea$

- TRIUMF $\mu
 ightarrow ea$ search $_{
 m Jodidio+~1986;~1409.0638}$: $f_{a} > 2.45 imes 10^{9}$ GeV
- Mu3E at PSI will search for monochromatic line from $\mu \to ea$ on top of Michel spectrum using 10^{15} muons on target
- for $m_a \lesssim 20~{\rm MeV}$ because line too close to kinematic edge of Michel spectrum which is used for calibration

$\mu ightarrow 3e + a$

- circumvents calibration challenge
- reduced signal and background
- main background $\mu
 ightarrow 3e + 2
 u$
- background reduced for $m_{\not\!\!E}
 ightarrow 0 \Rightarrow$ increased sensitivity

LFV axions at Mu3E [Knapen+ 2311.17915]



Final comments

How about high-energy colliders? - LHC vs low-energy observables

Operators: $(\overline{L}e)(\overline{d}Q)$, $(\overline{L}e) \cdot (\overline{Q}u)$

 $\sqrt{|C_{\eta\eta\eta}^{e\mu}|^2 + |C_{\eta\eta\eta}^{\mu e}|^2} \times 10^3$

20 30 40

 $\sqrt{|C_{330}^{err}|^2 + |C_{330}^{re}|^2} \times 10^3$

20 30 40

 $\sqrt{|C_{0.0}^{\mu\tau}|^2 + |C_{0.0}^{\tau\mu}|^2} \times 10^3$



Flavour-violating Z boson decays [Calibbi+ 2107.10273]

5 SMEFT operators directly contribute to LFV Z boson decays

$$\begin{aligned} Q_{eB} &= (\bar{L}\sigma^{\mu\nu}E)\phi B_{\mu\nu} & Q_{eW} &= (\bar{L}\sigma^{\mu\nu}E)\tau'\phi W_{\mu\nu}' \\ Q_{\varphi\ell}^{(1)} &= (\phi^{\dagger}i\overleftrightarrow{D_{\mu}}\phi)(\bar{L}\gamma^{\mu}L) & Q_{\varphi\ell}^{(3)} &= (\phi^{\dagger}\tau'i\overleftrightarrow{D_{\mu}}\phi)(\bar{L}\tau'\gamma^{\mu}L) \\ Q_{\varphi e} &= (\phi^{\dagger}i\overleftrightarrow{D_{\mu}}\phi)(\bar{E}\gamma^{\mu}E) \end{aligned}$$

Indirect constraints







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Indirect constraints







- LE constraints cannot be avoided
- currently LFV Z decays not competitive
- $Z \rightarrow \mu e$ not competitive at Tera-Z factory
- complementary sensitivity for $Z \rightarrow \tau \ell$

neutrino mass and cLFV

- observable cLFV processes only if $\Lambda_{\rm LNV} \gg \Lambda_{\rm LFV}$
- $\mu
 ightarrow e + X$ generally most sensitive
- type II seesaw may explain large $\tau~{\rm LFV}$

lepton triality

- $\mu \rightarrow e \; {\rm LFV}$ could be forbidden/suppressed
- $\rightarrow\,$ most important constraints from LFV τ decays and colliders

A bright future for cLFV searches

- up to 4 orders of magnitude improved sensitivity for $\mu
 ightarrow 3e$ and $\mu N
 ightarrow eN$
- 1-2 orders of magnitude improved sensitivity for $\tau~{\rm LFV}$
- new interesting ideas for light particle searches

International Joint Workshop on the Standard Model and Beyond 2024

Dates: 9-13 December 2024 Venue: UNSW Kensington Campus https://indico.cern.ch/event/1318443/

Takeaway – Observation of cLFV smoking gun signature for new physics

neutrino mass and cLFV

- observable cLFV processes only if $\Lambda_{\rm LNV} \gg \Lambda_{\rm LFV}$
- $\mu
 ightarrow e + X$ generally most sensitive
- type II seesaw accommodates large $\tau~{\rm LFV}$

lepton triality

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- $\rightarrow\,$ most important constraints from LFV τ decays and colliders

A bright future for cLFV searches

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