# $\begin{array}{l} \text{HEAVY NEW PHYSICS} \\ \text{IN } b \rightarrow s \nu \nu \end{array}$

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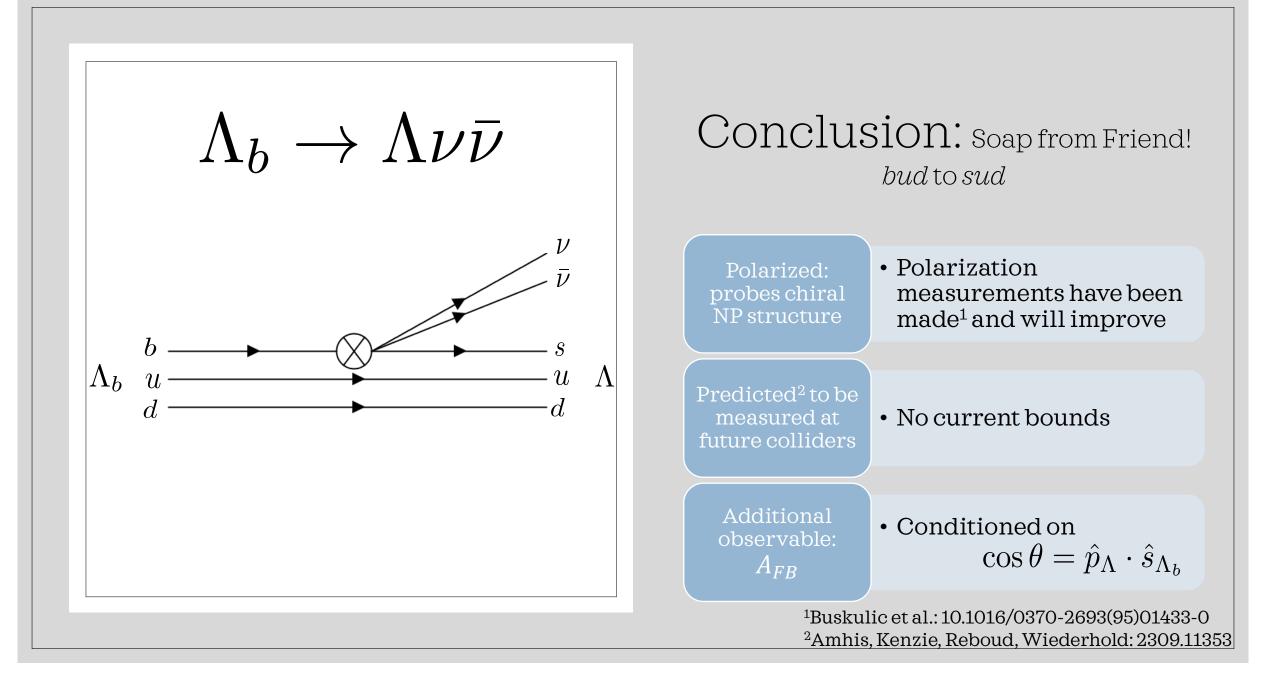
### Rareb-decays in $b \to s \nu \nu$ : Motivation

#### Theoretical

- GIM and CKM suppression makes these decays of *b* quarks rare
- Sensitive probes of New Physics (NP)
- $^\circ\,$  Cleaner theoretical predictions than for  $b\to s\ell^+\ell^-$
- Complementary NP information to the above and clean ratios of branching fractions

#### Experimental

- $\circ$  Good missing energy detection
- Future  $e^+e^-$  colldiers = excellent probe: 10<sup>12</sup> Z events at the Z pole<sup>1</sup>
  - Currently only weakly probed through meson decays
  - No polarization chiral information is yet to be probed
  - Polarization can be measured passes to fermionic children



### The Framework: $\Lambda_b \to \Lambda \nu \bar{\nu}$

• Compute double differential decay rate of the Standard Model process

- Polarized initial state (sample fraction)
- $\,\circ\,\,$  Correlate initial spin and  $\Lambda$  momentum

$$\frac{\mathrm{BR}(\Lambda_b \to \Lambda \nu \bar{\nu})}{dq^2 d \cos \theta_{\Lambda}} = \frac{d\mathrm{BR}(\Lambda_b \to \Lambda \nu \bar{\nu})}{dq^2} \left(\frac{1}{2} + A_{\mathrm{FB}}^{\uparrow} \cos \theta_{\Lambda}\right)$$

• Propagate input uncertainties: prediction uncertainty (simulation)

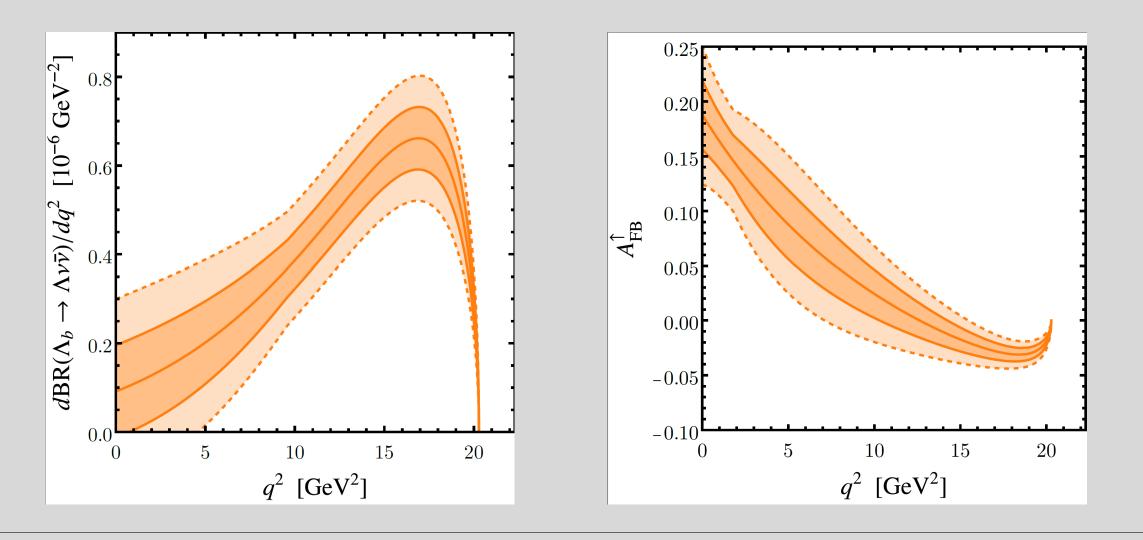
• Compute an NP double differential decay rate:

$$\mathcal{H}_{\text{eff}} = -\frac{4G_F}{\sqrt{2}} \frac{\alpha}{4\pi} V_{ts}^* V_{tb} 2 \left( C_L (\bar{s}\gamma^\mu P_L b) (\bar{\nu}\gamma_\mu P_L \nu) + C_R (\bar{s}\gamma^\mu P_R b) (\bar{\nu}\gamma_\mu P_L \nu) \right) + \text{h.c}$$

 $\circ$  Evaluate the bound on  $C_{R,L}$ 

$$\mathcal{P}_{\Lambda_b} = rac{N_{\Lambda_b}^{\uparrow} - N_{\Lambda_b}^{\downarrow}}{N_{\Lambda_b}^{\uparrow} + N_{\Lambda_b}^{\downarrow}}$$

# Observables



## The Particles were Framed

#### Lab Frame

- Observed:  $\hat{E}_{\Lambda}$  distribution
- $\circ$  Assumption: Initial  $\Lambda_b$  energy reconstruction
- $\circ$  Differential width dependence on  $\hat{E}_{\Lambda}$ 
  - Non-trivial kinematic limits
- Obtain observable distributions dependent on initial energy distribution

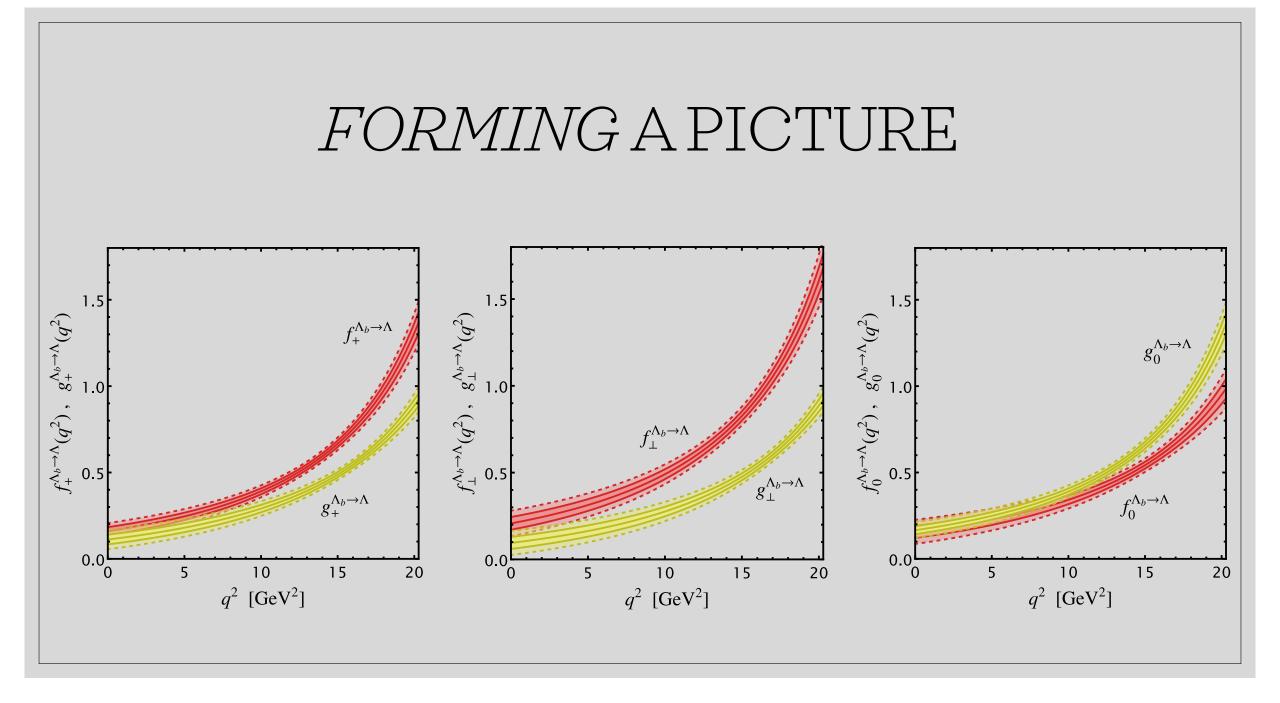
#### $\Lambda_b$ Rest Frame

- $\circ$  Observed: Channel Decay Rate,  $A_{\mathrm{F}B}$
- $\circ$  Assumption:  $\hat{p}_{\Lambda_b}$  axis reconstruction
- $\circ\,$  Momentum gives us the spin quantization axis for  $A_{{\rm F}B}$
- Reconstruction uncertainty and propagation (hadronics enter here)
- Observable distributions are calculable without hadronic simulation

$$\begin{split} \langle \Lambda | \bar{s} \gamma^{\mu} b | \Lambda_{b} \rangle &= \bar{u}_{\Lambda} \Biggl[ f_{t}^{V}(q^{2})(m_{\Lambda_{b}} - m_{\Lambda}) \frac{q^{\mu}}{q^{2}} + f_{\perp}^{V}(q^{2}) \left( \gamma^{\mu} - \frac{2(m_{\Lambda}P^{\mu} + m_{\Lambda_{b}}p^{\mu})}{(m_{\Lambda_{b}} + m_{\Lambda})^{2} - q^{2}} \right) \\ &+ f_{0}^{V}(q^{2}) \frac{m_{\Lambda_{b}} + m_{\Lambda}}{(m_{\Lambda_{b}} + m_{\Lambda})^{2} - q^{2}} \left( P^{\mu} + p^{\mu} - (m_{\Lambda_{b}}^{2} - m_{\Lambda}^{2}) \frac{q^{\mu}}{q^{2}} \right) \Biggr] u_{\Lambda_{b}} \\ \langle \Lambda | \bar{s} \gamma^{\mu} \gamma_{5} b | \Lambda_{b} \rangle &= -\bar{u}_{\Lambda} \gamma_{5} \Biggl[ f_{t}^{A}(q^{2})(m_{\Lambda_{b}} + m_{\Lambda}) \frac{q^{\mu}}{q^{2}} + f_{\perp}^{A}(q^{2}) \left( \gamma^{\mu} + \frac{2(m_{\Lambda}P^{\mu} - m_{\Lambda_{b}}p^{\mu})}{(m_{\Lambda_{b}} - m_{\Lambda})^{2} - q^{2}} \right) \\ &+ f_{0}^{A}(q^{2}) \frac{m_{\Lambda_{b}} - m_{\Lambda}}{(m_{\Lambda_{b}} - m_{\Lambda})^{2} - q^{2}} \left( P^{\mu} + p^{\mu} - (m_{\Lambda_{b}}^{2} - m_{\Lambda}^{2}) \frac{q^{\mu}}{q^{2}} \right) \Biggr] u_{\Lambda_{b}} \end{split}$$

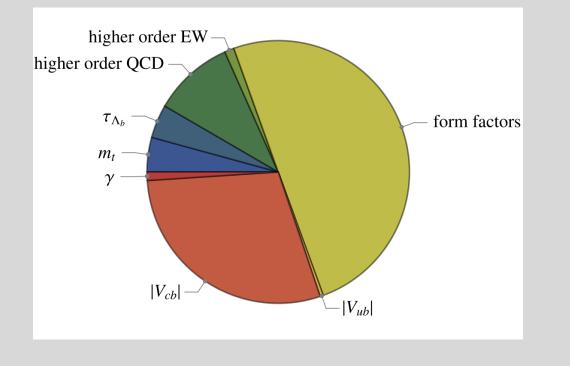
# Form Factors

- $^{\circ}$  Hadronic  $\mathcal{M}:$  non-perturbative
- $\circ~Form\,factors^1approximate\,\mathcal{M}$
- Depends on di-neutrino mass •  $q^2 = \left(p_{\Lambda_b} - p_{\Lambda}\right)^2$
- Only vector and axial elements used
  - Couples to neutrinos scalar and tensor elements ignored



# Uncertainties in the SM Prediction $BR(\Lambda_b \to \Lambda \nu \bar{\nu})_{SM} = (7.71 \pm 1.06) \times 10^{-6}$

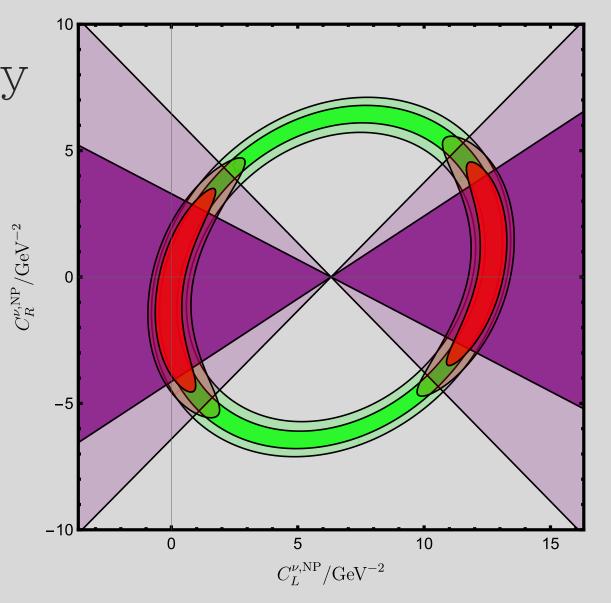
- $\circ$  Form Factors
  - $\circ$  Second order expansion
- $\circ$  CKM Uncertainties
  - $\circ$  Dominated by  $V_{ts}$
  - Unitarity used to obtain tree-level determinations
- $\circ~$  Top mass, higher order QCD and EW enter through the SM value of  $C_L^{\nu}$
- Uncertainty in the lifetime propagates into the branching fraction



<sup>1</sup>Brod, Gorbahn, Stamou: 1009.0947

## New Physics Sensitivity

- Interpretation:
  - Green: Branching Ratio Constraints
  - $\circ$  Purple:  $A_{
    m FB}$  Constraints
  - $\circ~$  Red: Joint Exclusion
  - $\circ \ \mathcal{P}_{\Lambda_b} = -0.4$
- $\circ\ Central value is SM Physics$
- $\circ A_{\rm FB}$  and branching ratio offer great complementarity



### Conclusion

- Future  $e^+e^-$  colliders provide excellent prospects for NP detection via  $\Lambda_b \to \Lambda \nu \bar{\nu}$
- Polarization measurements offer insight into chiral structure
- This information can be probed in the lab frame as well
- Currently unprobed: a trove of information!

### Outlook

- Initial energy distribution: Pythia
- Background analysis •  $\Sigma_b$ , etc.
- - $\circ~$  Effect on observables DM structure
  - Interesting mass/coupling enhancements (due to FFs as well)
- $\circ\,$  Meson decays: current/future data  $\circ\, B \to K^{(*)}\,\nu\,\nu,\,\,B_s \to \phi\,\nu\,\nu$



# QUESTIONS?

# Thanks for attending!