

Groomed event shape observables in ep at H1

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on behalf of the H1 Collaboration

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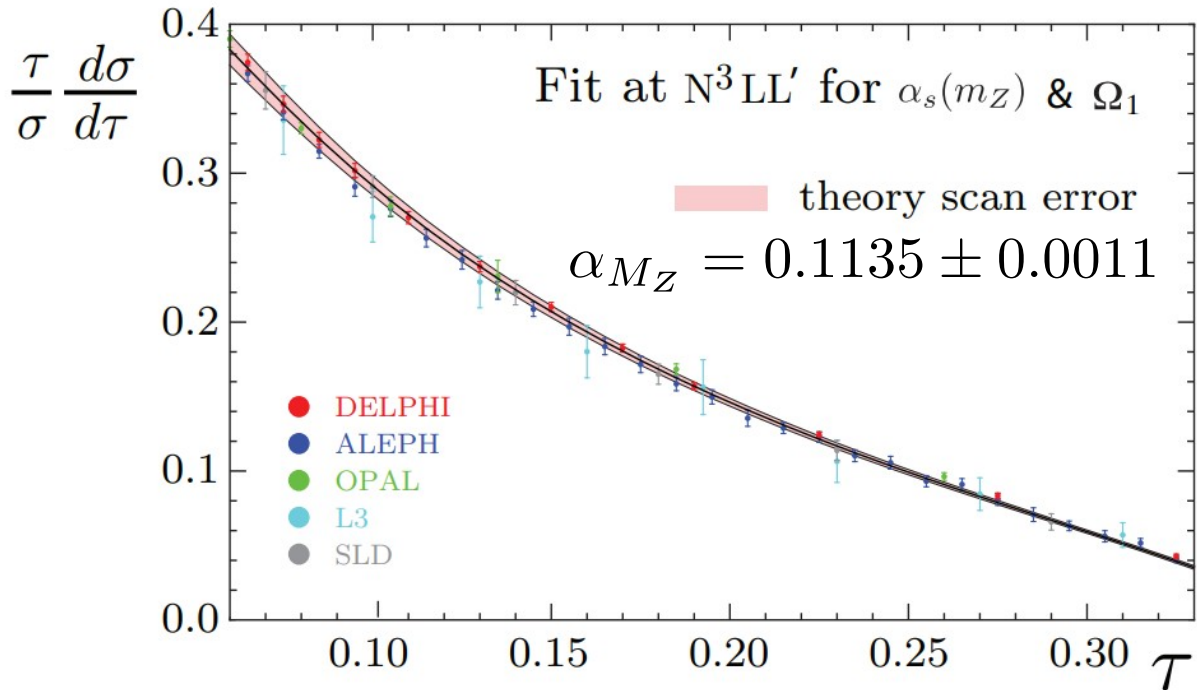


Doubravka observation tower, Prague 9

Importance of event shape observables

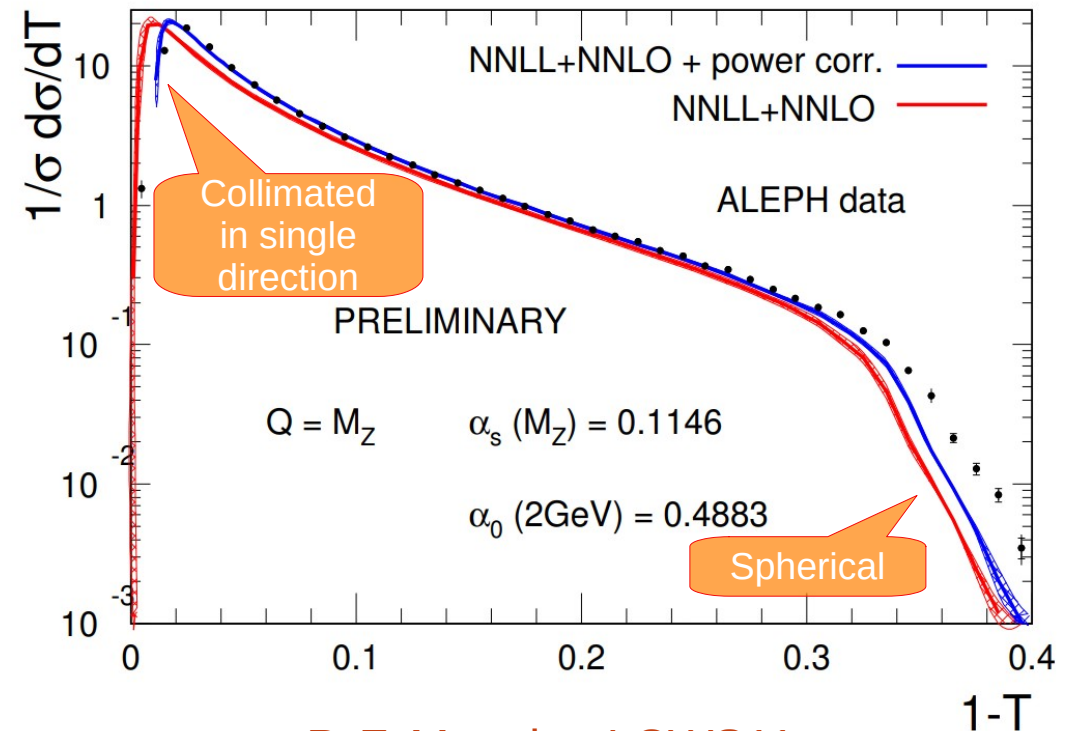
- Extensively studied in ee, pp and ep collisions
- Sensitive to both fixed order calculations and resummation effects

Thrust in ee used in $\alpha_s(M_Z)$ fit



Albbate et al, Phys.Rev.D 83
(2011) 074021

Thrust in ee over wider range



P. F. Monni at LCWS11

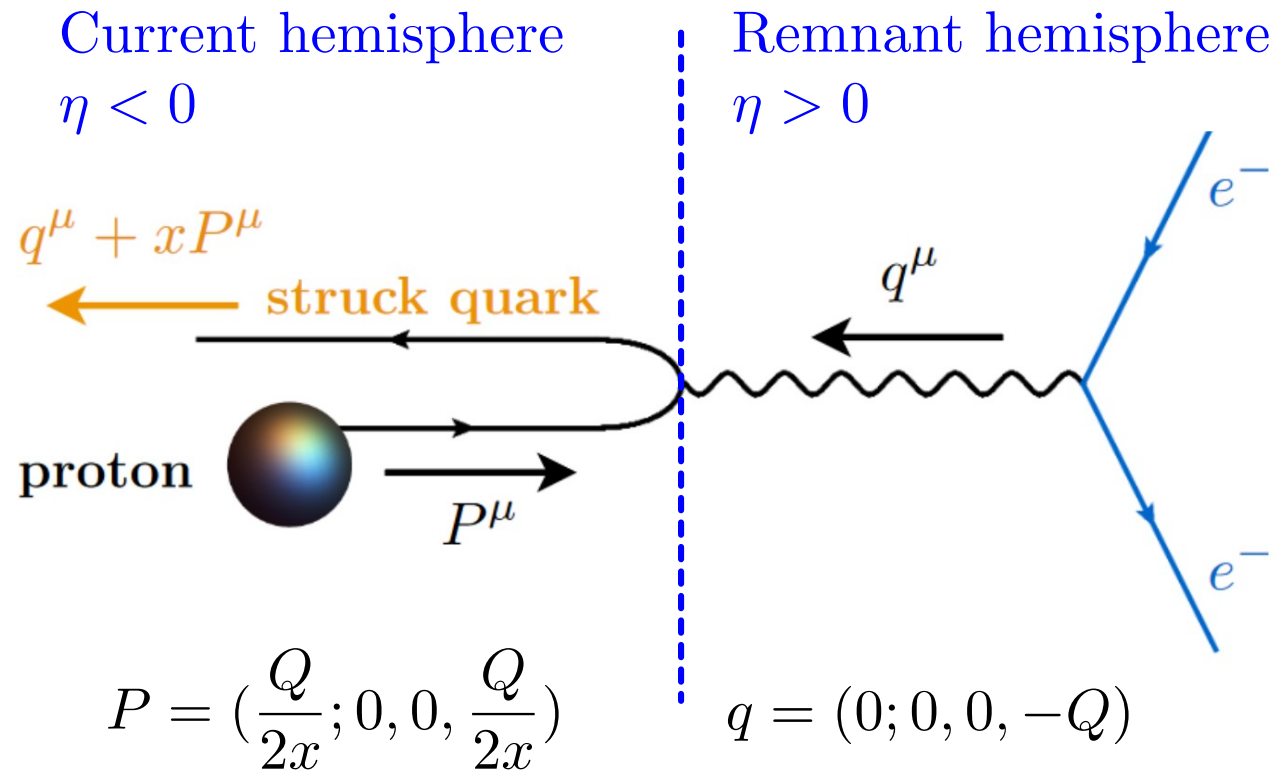
Breit frame in ep scattering

- Intermediate photon has only space component
- Struck quark goes to **Current hemisphere**
- Spectating partons into **Remnant hemisphere**

Breit frame condition

$$2x\vec{P} + \vec{q} = 0$$

$$P = \left(\frac{Q}{2}; 0, 0, -\frac{Q}{2}\right)$$



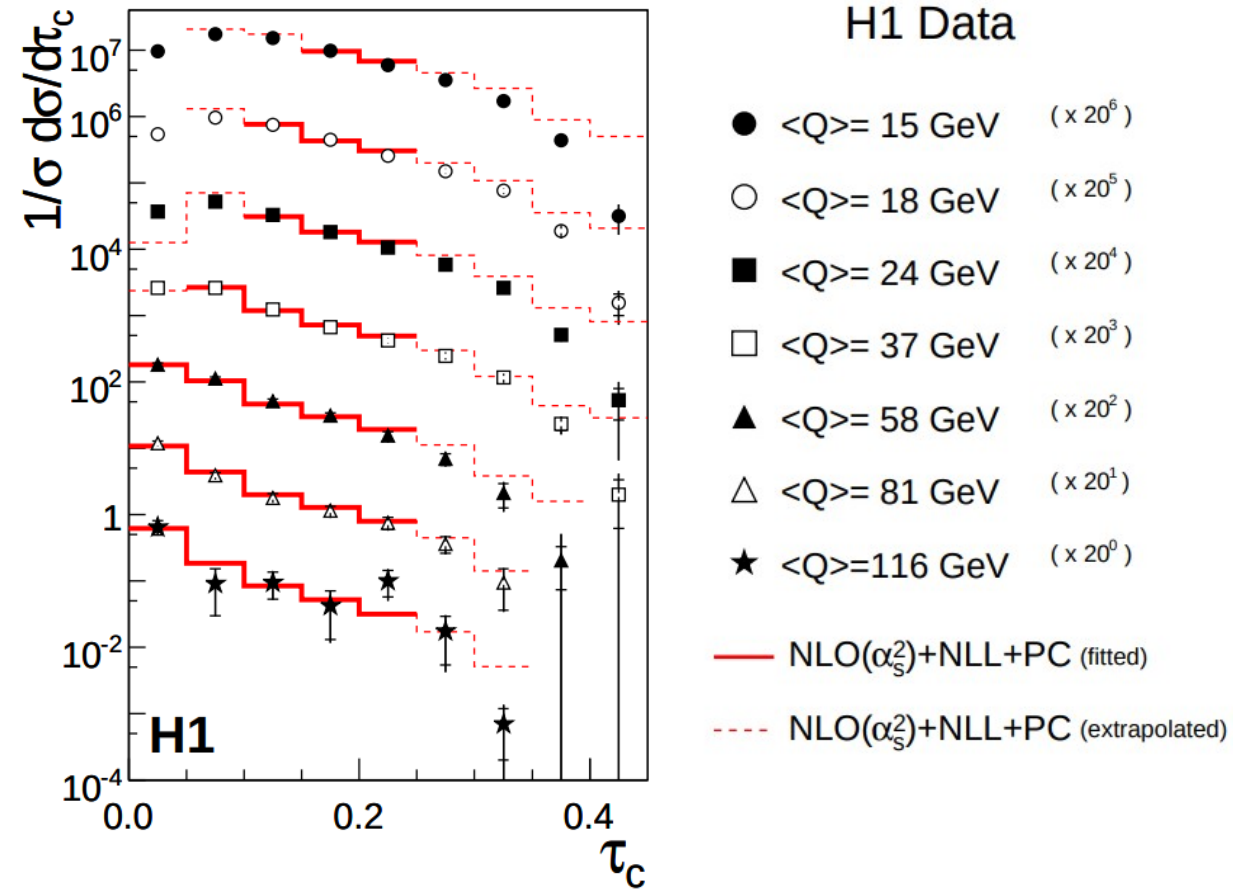
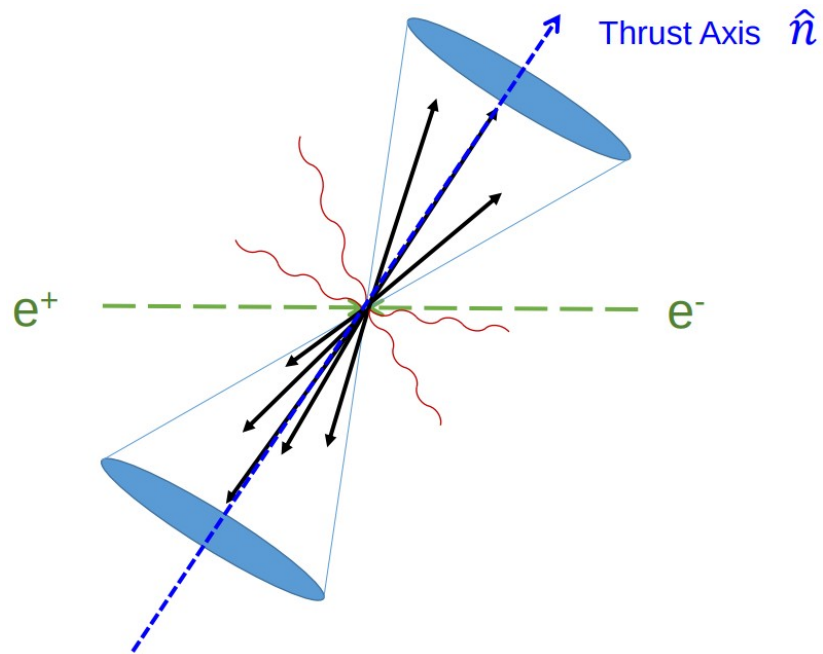
Trust in DIS

- At HERA measured by both H1 & ZEUS

Eur.Phys.J.C 46 (2006) 343

Calculated in Breit frame from particles in Current hemisphere

$$T_C = \max_{\vec{n}_T} \frac{\sum_h |\vec{p}_h \cdot \vec{n}_T|}{\sum_h |\vec{p}_h|} \quad \tau_C = 1 - T_C$$



Trust in DIS – revisited

- Suggestion of better observable with only global logarithm in [D. Kang et al, Phys.Rev.D 88 \(2013\) 054004](#)

Yet another variation is τ_{zE} [30, 48] which is like Eq. (47) with the same normalization, but with respect to the \mathbf{z} -axis in the Breit frame. It is also **not global** [48]. H1 and ZEUS have measured $\tau_{zE} = \tau_c^{\text{H1}} = 1 - T_\gamma^{\text{ZEUS}}$ and $\tau_{tE} = \tau^{\text{H1}} = 1 - T_T^{\text{ZEUS}}$ [32, 35]. It would be interesting to reanalyze the data to measure the global observables $\tau_1^{a,b,c}$ we predict in this paper at NNLL order.

Thrust

$$\tau_Q = 1 - \frac{2}{Q} \sum_{i \in \mathcal{H}_c} (-P_{z,i}^{\text{Breit}})$$

Equivalence



1-jettiness

$$\tau_1^b = \frac{2}{Q^2} \sum_{i \in X} \min\{xP \cdot p_i, (q + xP) \cdot p_i\}$$

Experimental setup

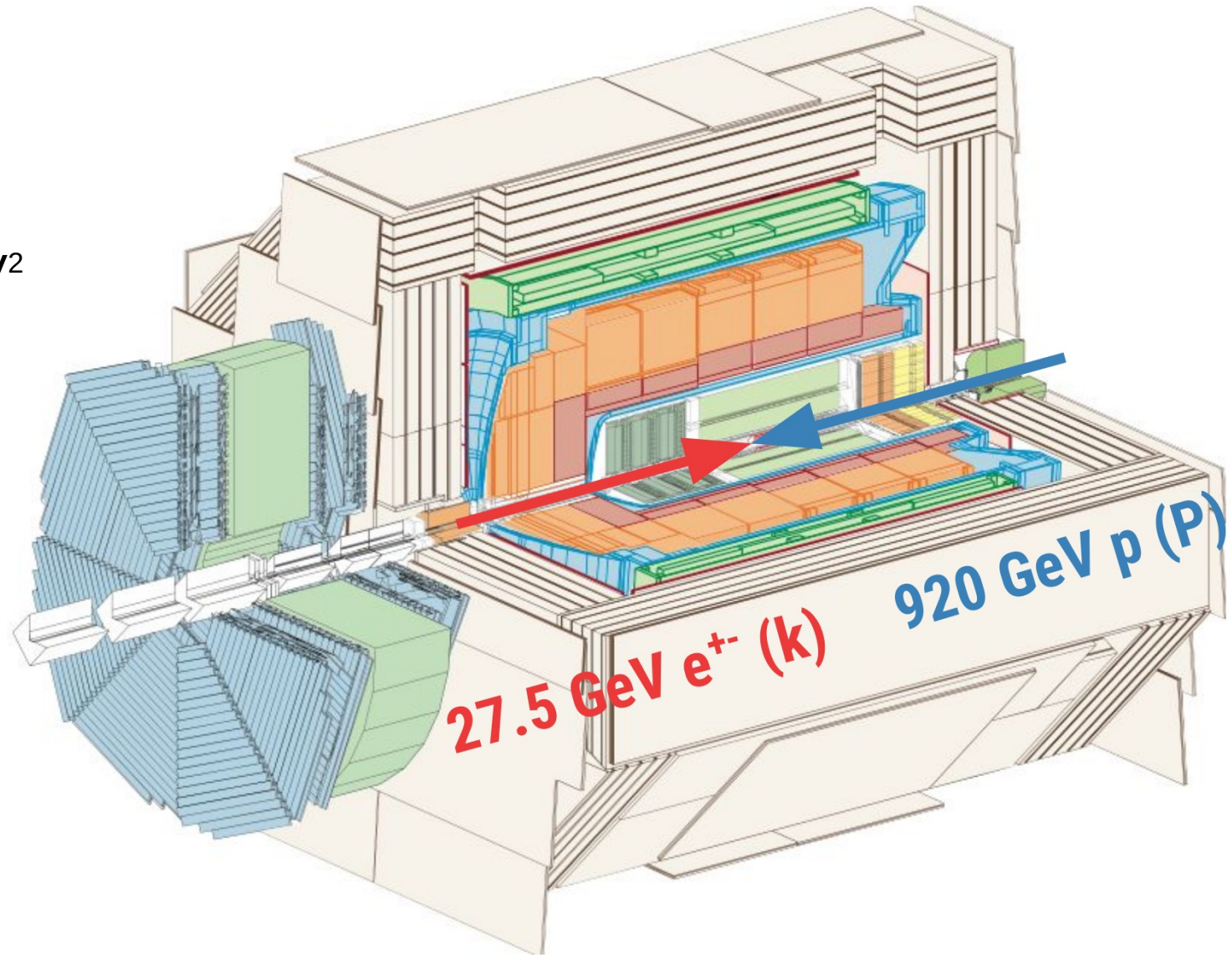
- 352 pb⁻¹ of data collected by H1 in 2003-2007 at $\sqrt{s} = 319$ GeV
- Phase space definition
 $0.2 < y < 0.7$, $Q^2 > 150(200)$ GeV²

$$Q^2 = -q^2$$
$$y = \mathbf{P}q / \mathbf{p}k$$

P: incoming proton 4-vector

k: incoming electron 4-vector

q=k-k' : 4-momentum transfer

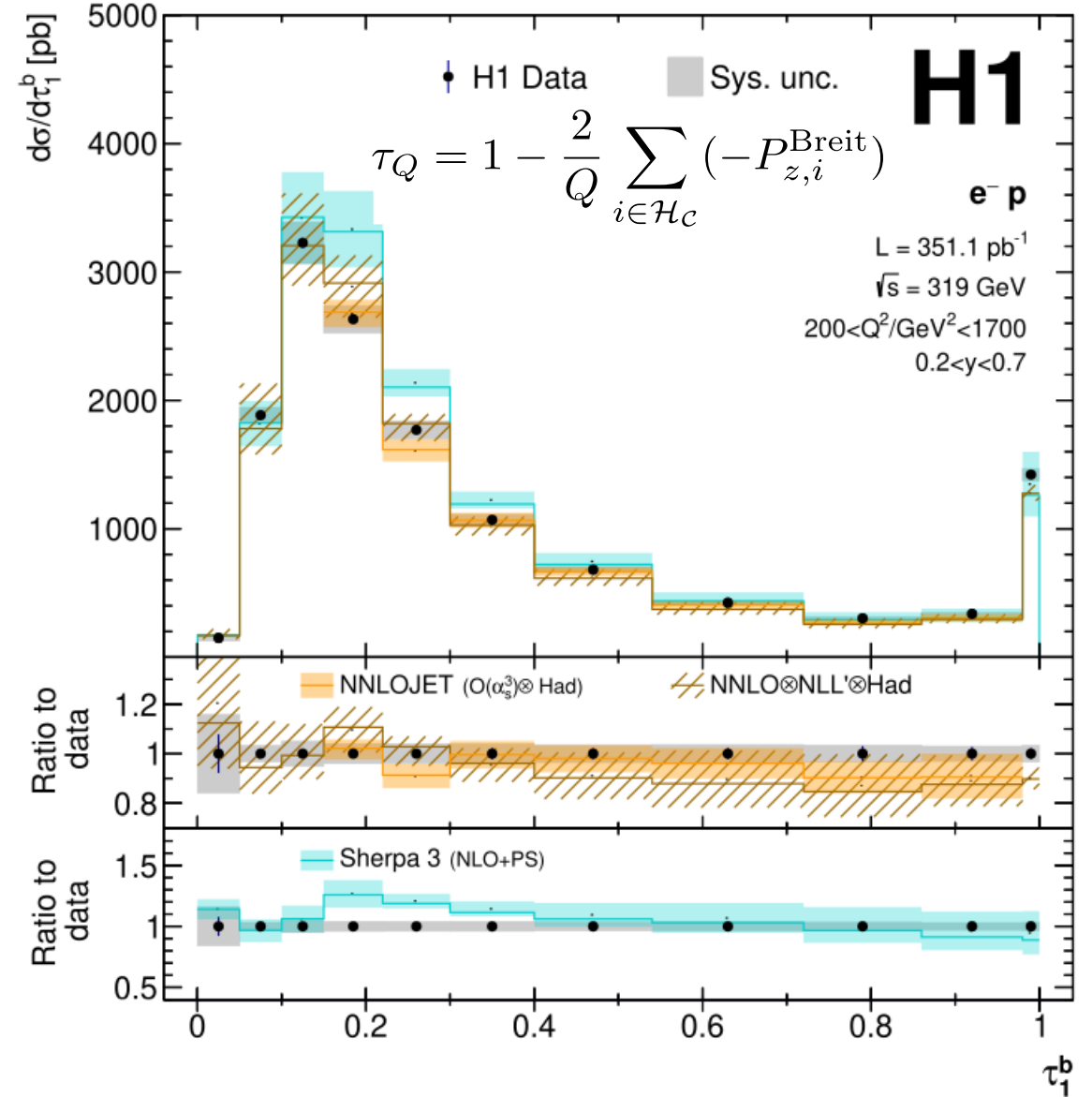
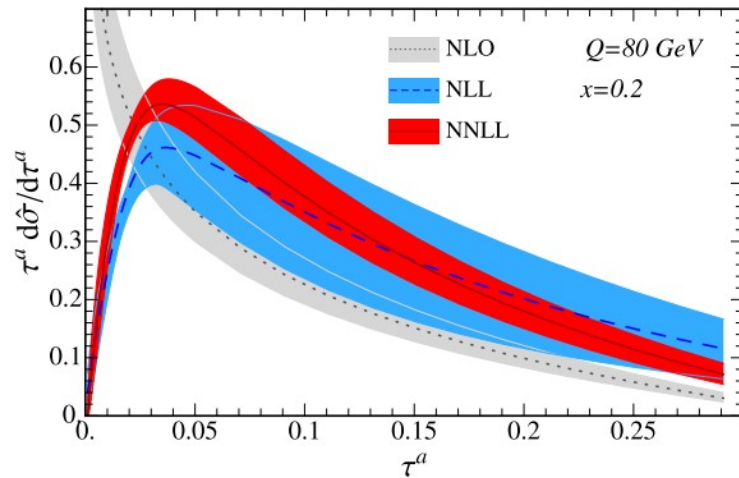


Momenta distribution in Breit frame

H1 DESY-24-035 (for EPJC)

- (N)NLOxNLL (Knobbe et al.) and NNLOJET calculations agree with data within $\sim 10\%$ teor. unc. band
- From MC generators, Sherpa 3 (NLO+PS) has the best performance, for comparisons to Hergwig & Pythia see the full paper/next talk

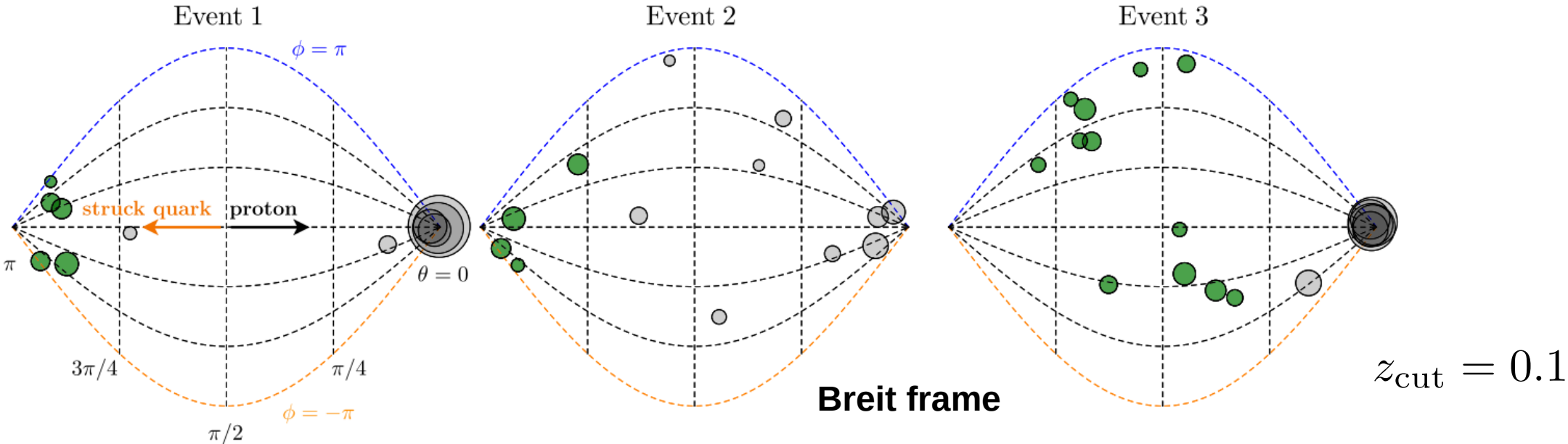
D. Kang et al, Phys.Rev.D 88 (2013) 054004



Groomed event shape observables in DIS

- Jet Grooming at LHC
- Removing soft (non-perturbative) component of the jet
 - See for example:
Soft Drop [JHEP 05 \(2014\) 146](#)

- In ep the Underlying Event is not an issue, why grooming [Y. Markis, Phys.Rev.D 103 \(2021\) ?](#)
- 1) **Constructing observables free from nonglobal-logarithms**
 - 2) Mitigation of hadronization corrections
 - 3) Phenomenological handle on soft radiation
 - 4) Dial for nonperturbative contributions



Centauro jet algorithm & Grooming

- Centauro jet algorithm uses asymmetric distance metric such that “Born” jet in the current hemisphere is clustered into single object
- Particles in remnant hemisphere are clustered into “soft” jets

$$d_{ij} = (\Delta\bar{\eta}_{ij})^2 + 2\bar{\eta}_i\bar{\eta}_j(1 - \cos \Delta\phi_{ij})$$

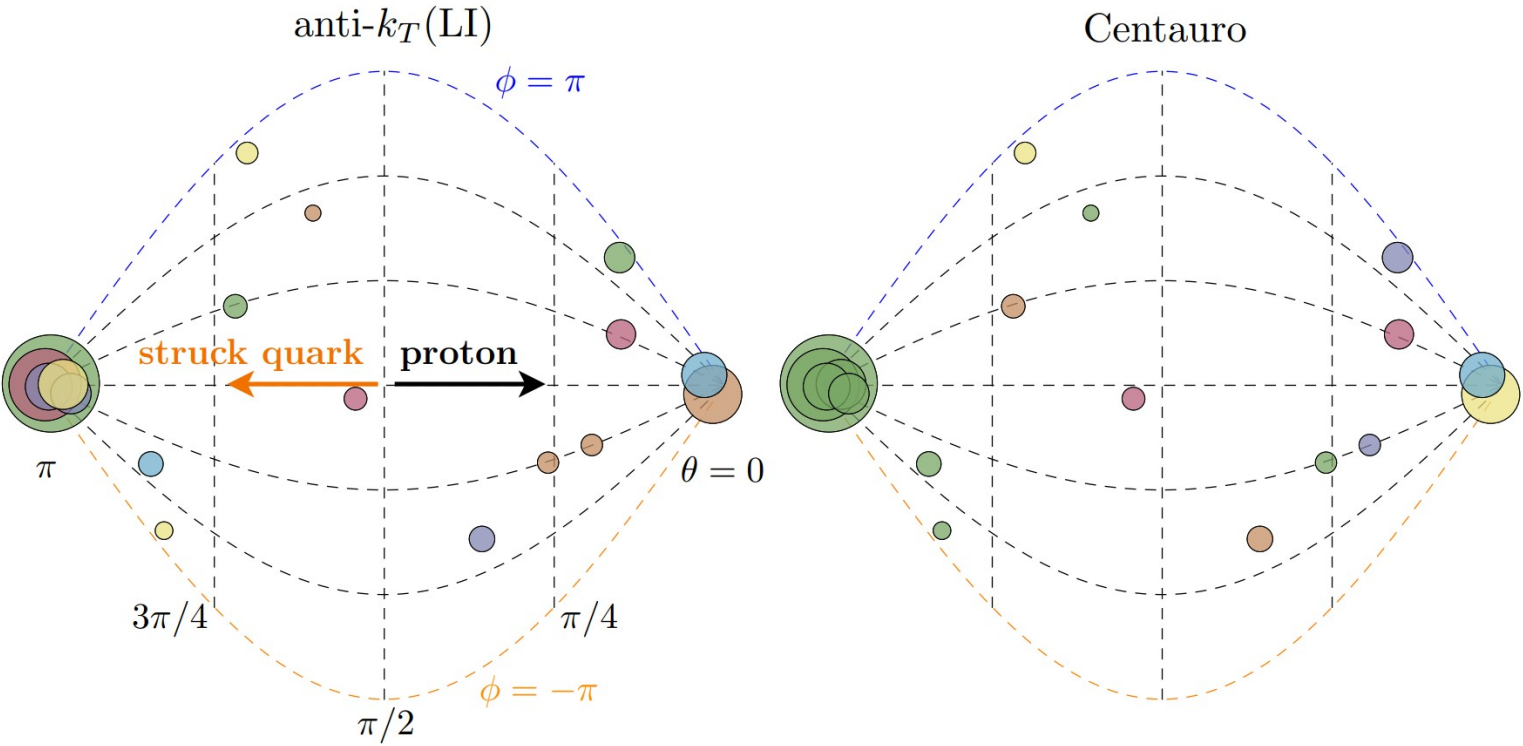
$$\bar{\eta}_i = \frac{p_i^\perp}{p_i^+}$$

$$z_i = \frac{P \cdot p_i}{P \cdot q}$$

Usage of the clustering history applying Grooming condition

$$\frac{\min(z_i, z_j)}{z_i + z_j} > z_{cut}$$

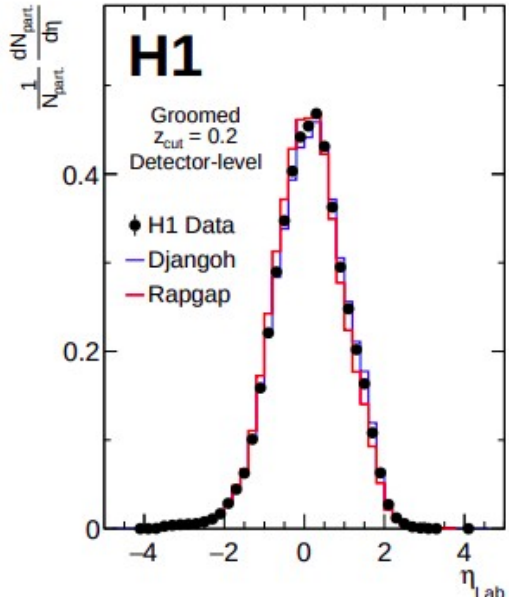
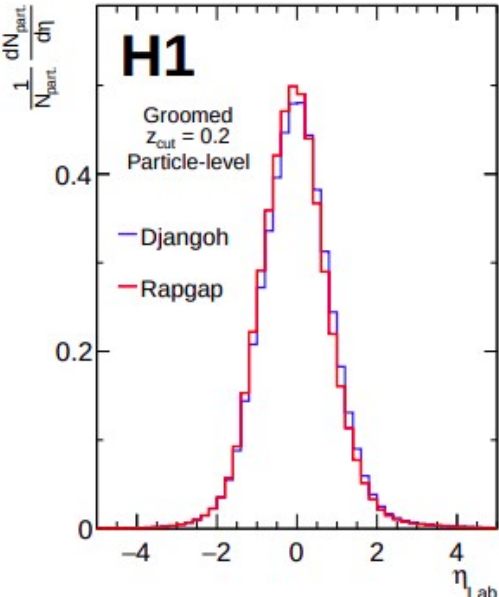
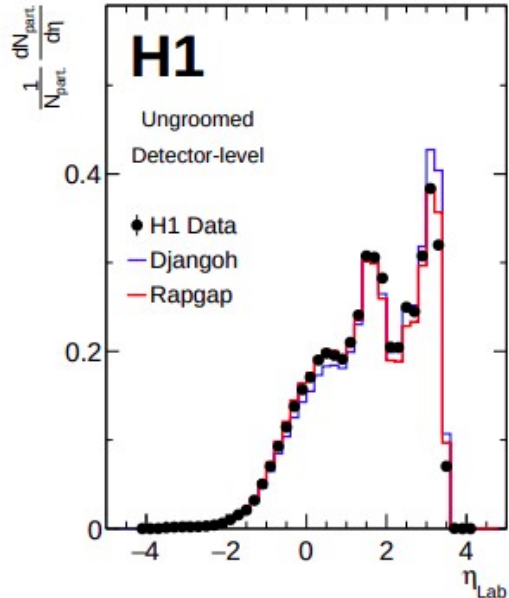
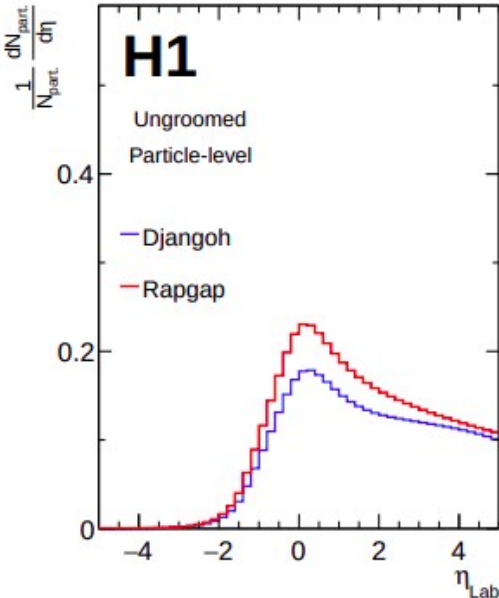
Similar to Soft Drop



Phys.Rev.D 104 (2021) 3, 034005

Impact of grooming

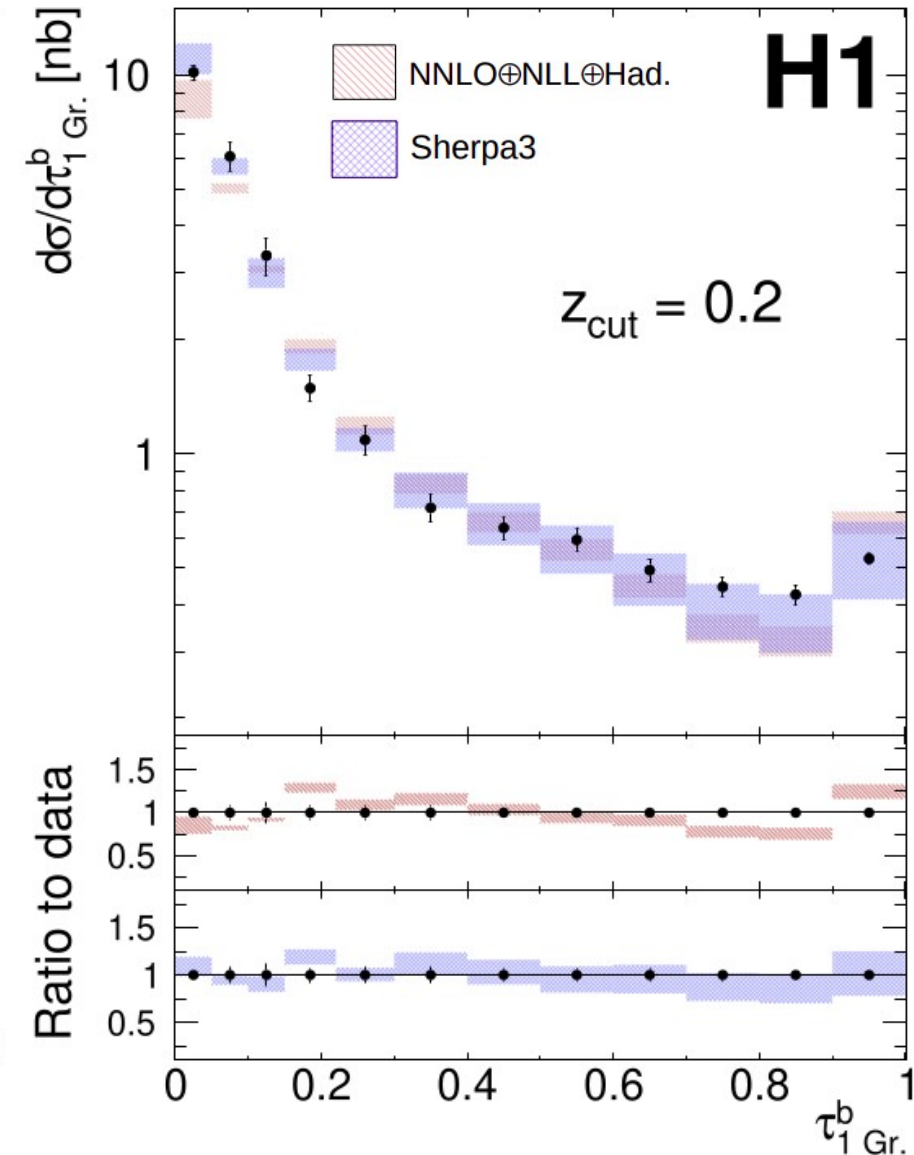
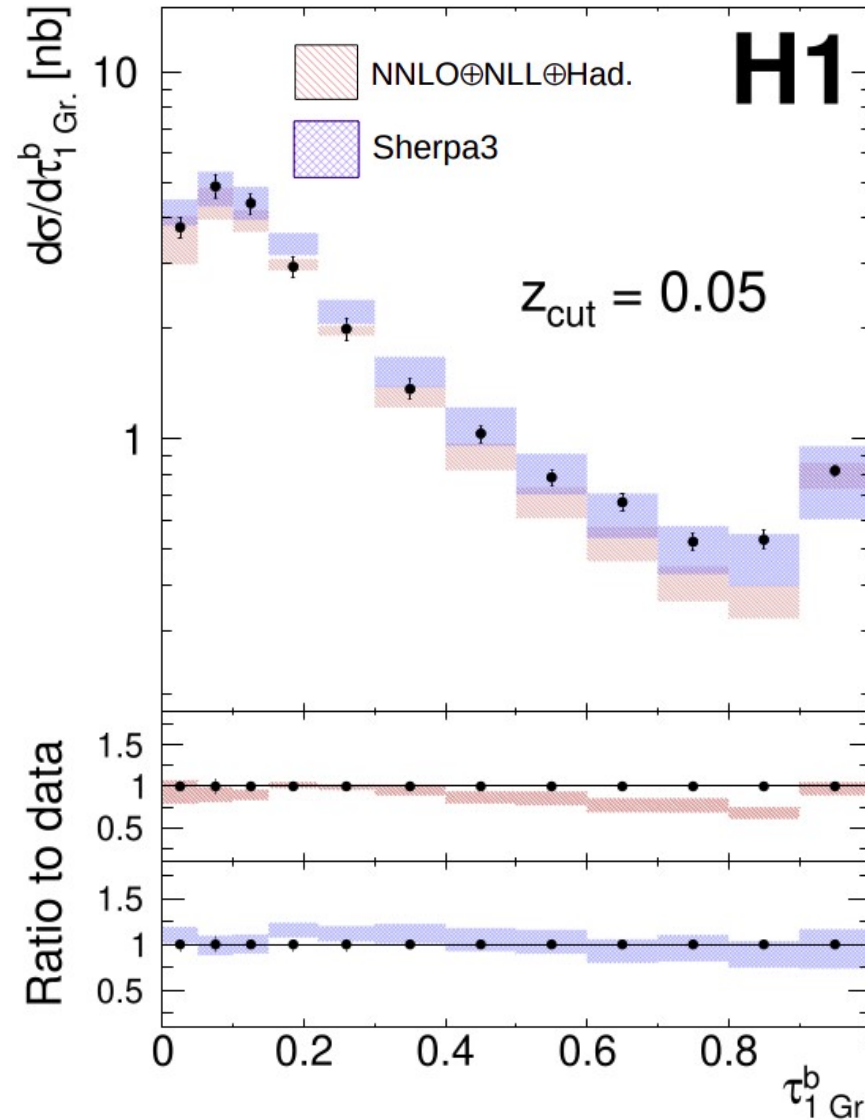
- There is better correspondence of particle rapidity between detector-level and particle-level when grooming is applied
 - reduction of the unfolding uncertainty
 - PS better matches with detector acc.
- Correction for the detector effects via unfolding based on Tikhonov regularization
- Main systematic uncertainties (~7%)
 - Unfolding (MC model + reg. strength)
 - Luminosity



Groomed 1-jettiness

- The (N)NLO+NLL predictions have similar level of agreement as Sherpa 3 (NLO+PS)
- Differences at high τ can be related to missing higher order elements

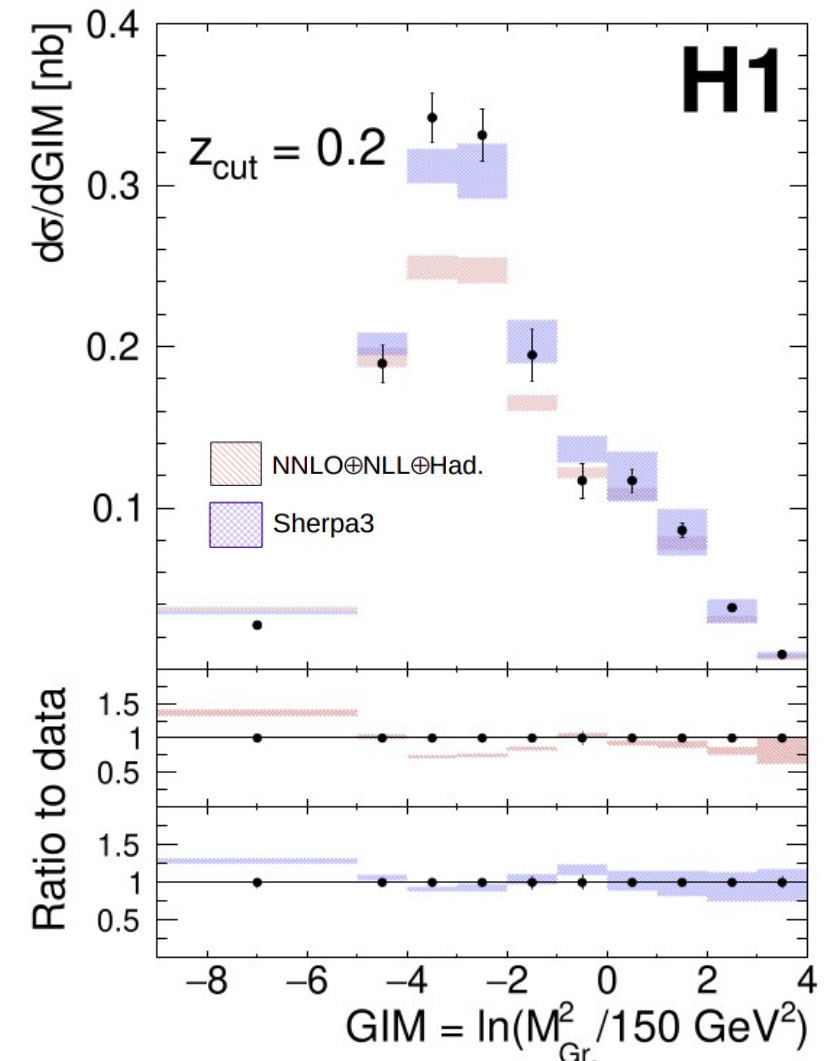
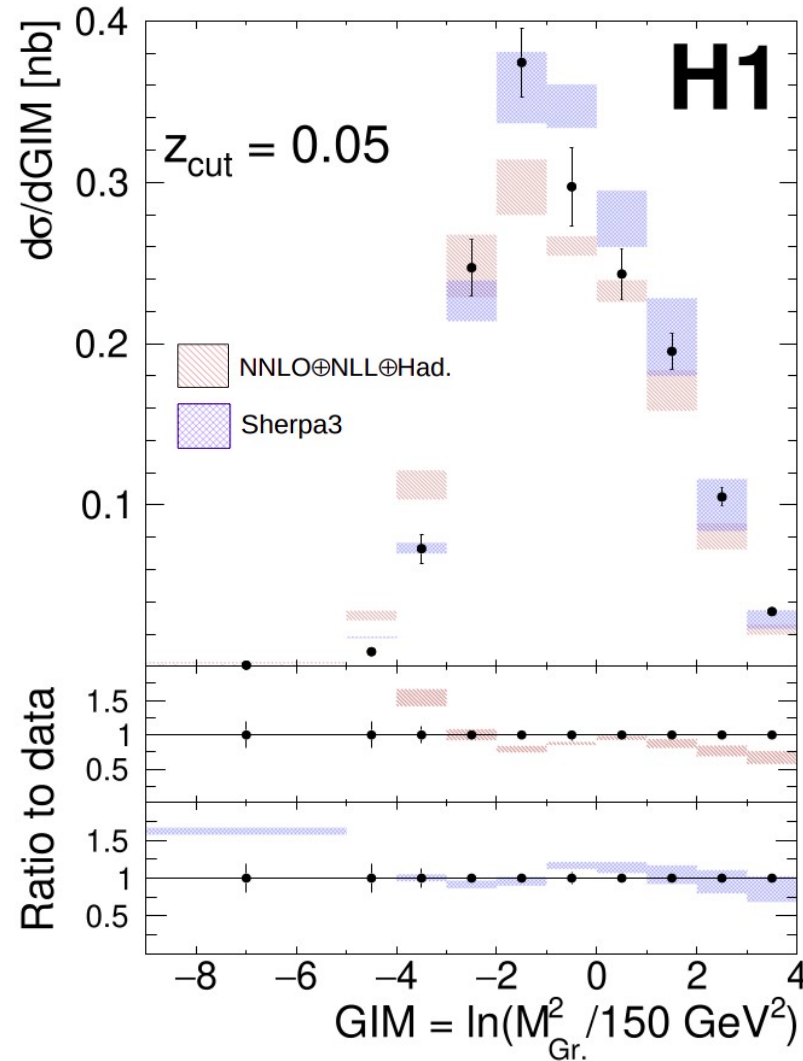
H1 DESY-24-035 (acc. to EPJC)



Groomed Invariant Mass

H1 DESY-24-035 (acc. to EPJC)

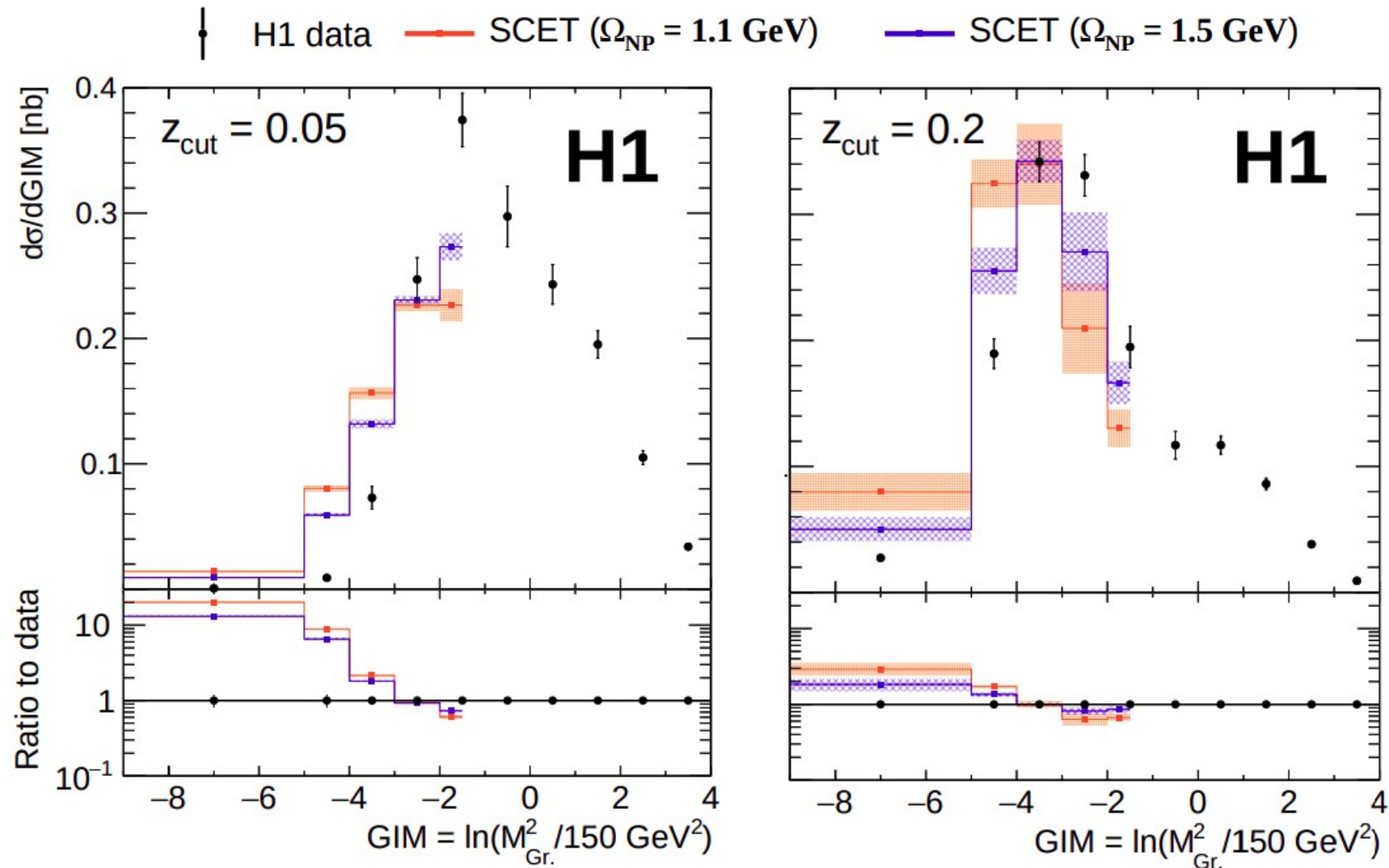
- The (N)NLO+NLL predictions have similar level of agreement as Sherpa 3 (NLO+PS)
- Small GIM: resummation region
Higher GIM: Multi-jet region
- Stronger grooming improves description at low GIM



Groomed Invariant Mass - NNLL

H1 DESY-24-035 (acc. to EPJC)

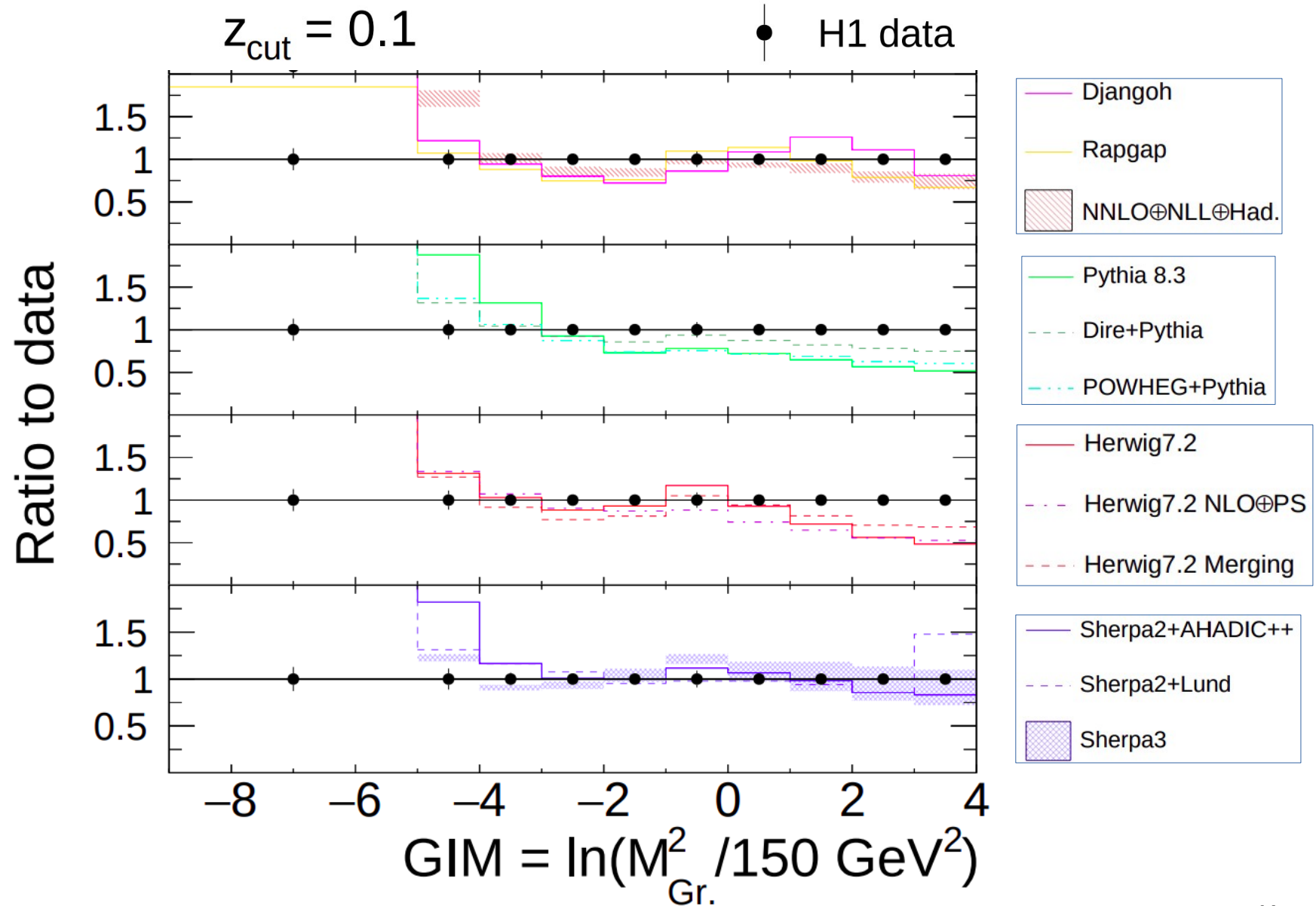
- SCET predictions at NNLL normalized to data
- Predictions depend on non perturbative shaper parameter Ω_{NP}
- Works better for stronger grooming, where GIM is lower



Comparison between MC generators

H1 DESY-24-035 (acc. to EPJC)

- Good performance of legacy DIS generators Django & Rapgap
- **Pythia+DIRE** outperforms classical Pythia's shower
- Sherpa 3 superior to Sherpa 2 with both Lund string & AHADIC cluster fragmentation



Conclusions

- The Thrust observable remeasured on HERA II data using definition free of non-global logs
→ equivalent to 1-jettiness observable
- In addition, grooming technique was applied which also reduced e.g. hadronization component
→ Groomed Invariant Mass is IR-safe
- Measured data well described by (N)NLO+NLL predictions & NNLO calculations
- ep event shapes are precious input into MC tunes (on the half way from ee to pp collisions)