

Studying the dynamics of particle-emitting sources in p–Pb and Pb–Pb collisions with ALICE at LHC energies using femtoscopy

Romanenko G., Tomassini S. (University and INFN Bologna)

on behalf of the ALICE Collaboration



CosmicAntiNuclei



ALICE

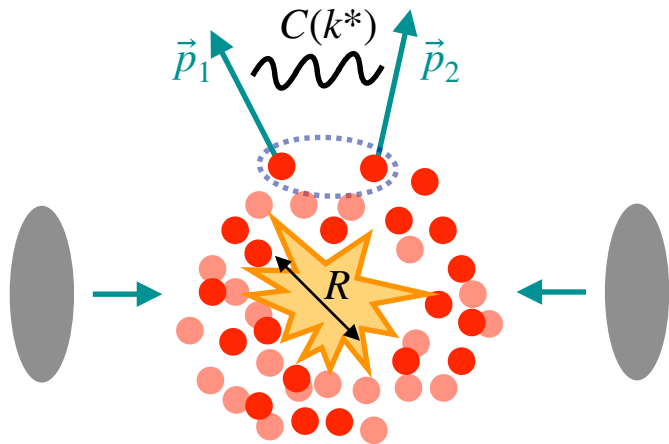


Istituto Nazionale di Fisica Nucleare
Sezione di Bologna



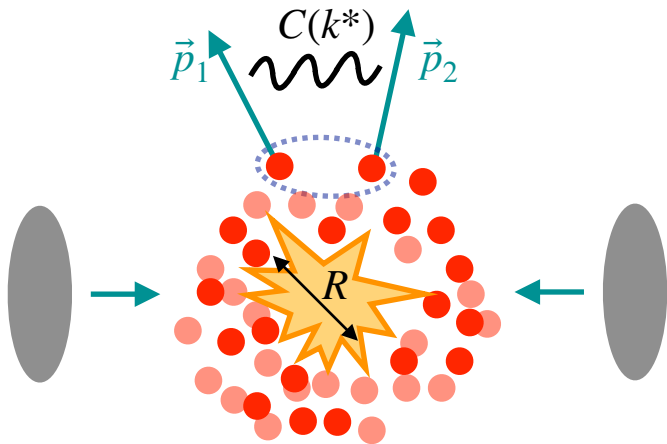
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ICHEP 2024
Prague, 20/07/2024



$$2k^* = |\vec{p}_1 - \vec{p}_2| \rightarrow \text{rel. momentum of a pair}$$

Correlation femtoscopy is used for studying space–time properties of an emission source via particle correlations based on quantum statistics (QS), strong and Coulomb interactions.



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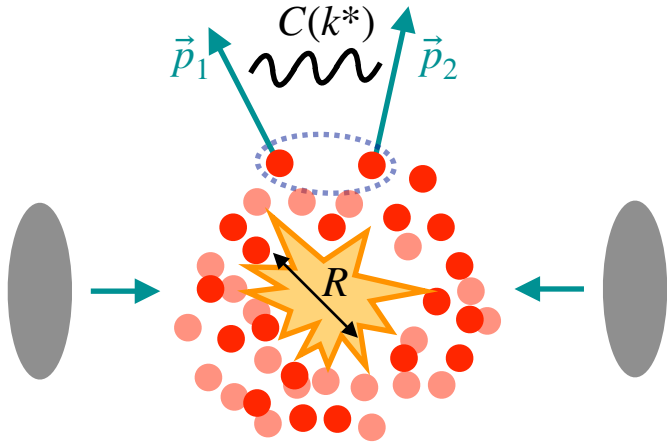
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Femtoscopic correlation function (CF) experimentally obtained as a ratio:

$$C(k^*) = N \cdot \frac{S(k^*)}{B(k^*)}$$

$S(k^*)$ — rel. momentum distribution of pairs measured in the same event;

$B(k^*)$ — rel. momentum distribution of pairs measured in different events;



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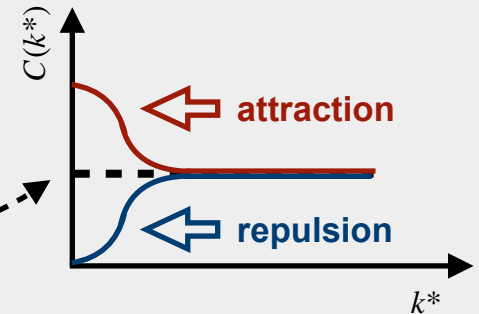
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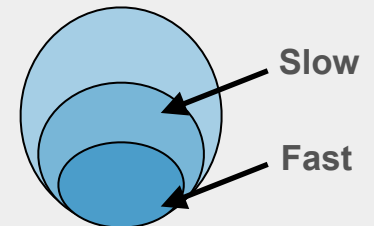
Correlation femtoscopy is used for studying space–time properties of an emission source via particle correlations based on quantum statistics (QS), strong and Coulomb interactions.

Motivation:

- Measure the spatial & temporal characteristics of the particle-emitting regions;
- Study strong interaction;
- Study collective dynamics (e.g. radial flow);
- Check and constrain theoretical models;



Expanding source \rightarrow x:p correlation



1D parametrisation in Pair Rest Frame (PRF*):

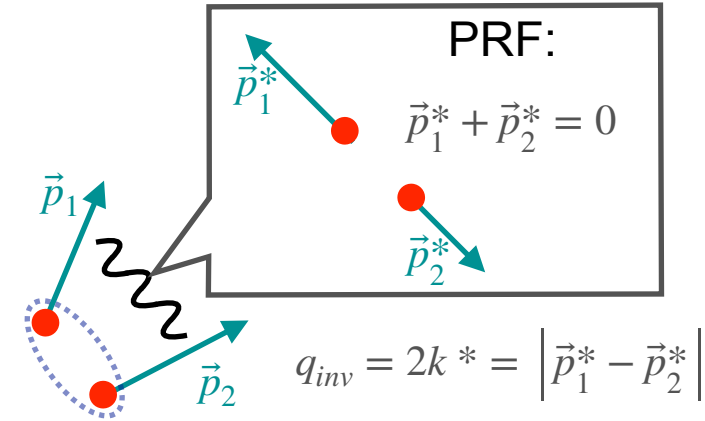
$$C(q_{inv}) = N \left[(1 - \lambda) + \lambda K(q_{inv}) \left(1 + \exp(-R_{inv}^2 q_{inv}^2) \right) \right]$$

λ — correlation strength

N — normalisation

$$K(q_{inv}) = \frac{C(QS + Coulomb)}{C(QS)} \quad \text{— models Coulomb interaction}$$

R_{inv} — 1D radius — corresponds to geometrical size of the system



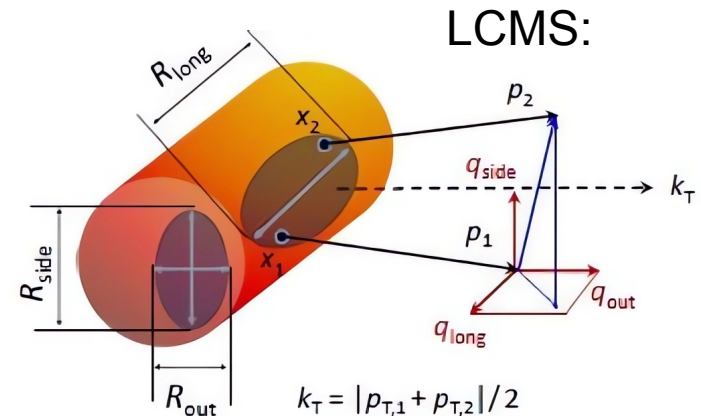
3D parametrisation in Longitudinally Co-Moving System (LCMS):

$$C(q) = N \left[(1 - \lambda) + \lambda K(q) \left(1 + \exp \left(-R_{out}^2 q_{out}^2 - R_{side}^2 q_{side}^2 - R_{long}^2 q_{long}^2 \right) \right) \right]$$

R_{side} — sensitive to transverse geometrical size of the system

R_{long} — sensitive to system's freeze-out duration

R_{out}/R_{side} — sensitive to the duration of particle emission

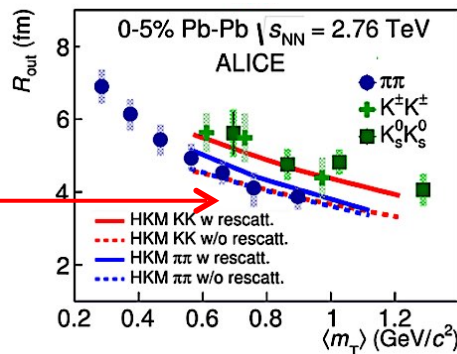
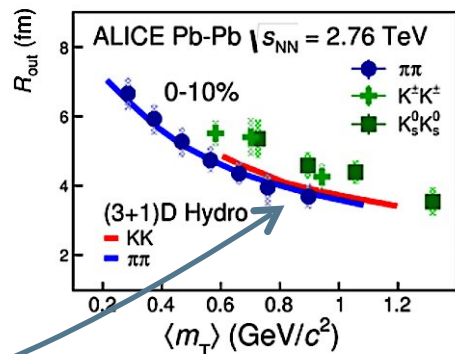
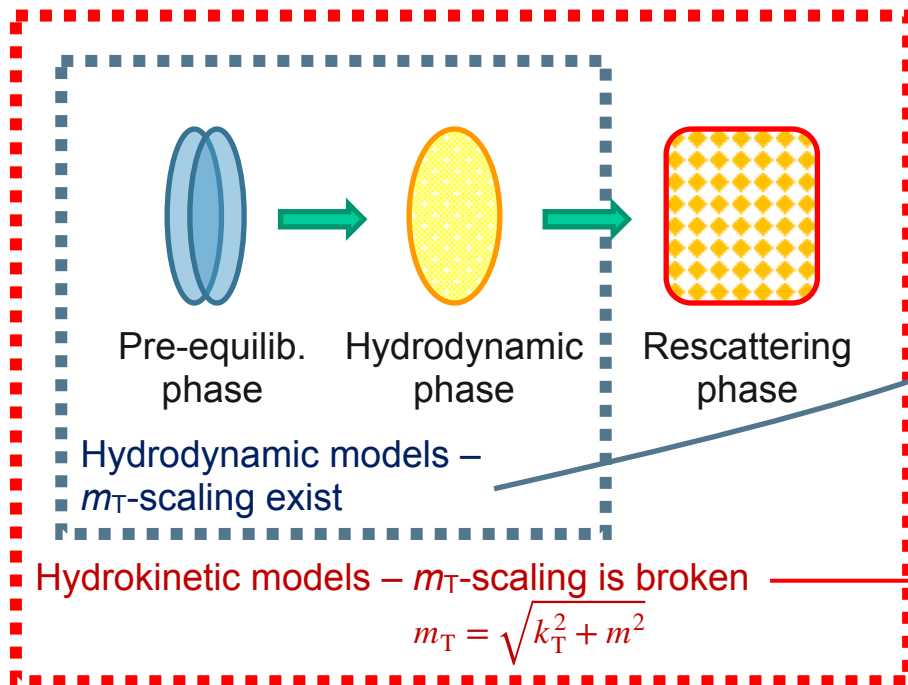




ALICE

Kaon source

ALICE results on $K^{\text{ch}}K^{\text{ch}}$ femtoscopy at $\sqrt{s_{\text{NN}}} = 2.76$ TeV showed that the models successfully describing pions might not be good for kaons (ALICE, PRC 96 (2017), p.064613): **kaon radii are larger than the pion ones**

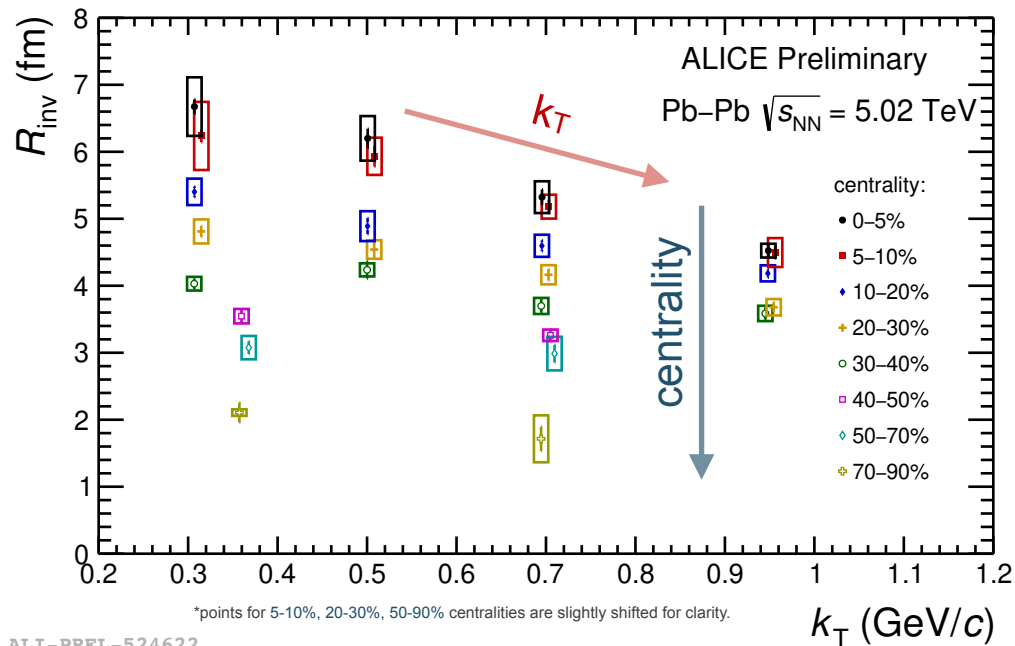


Predictions are from the THERMINATOR 2 model which uses pure hydrodynamic approach

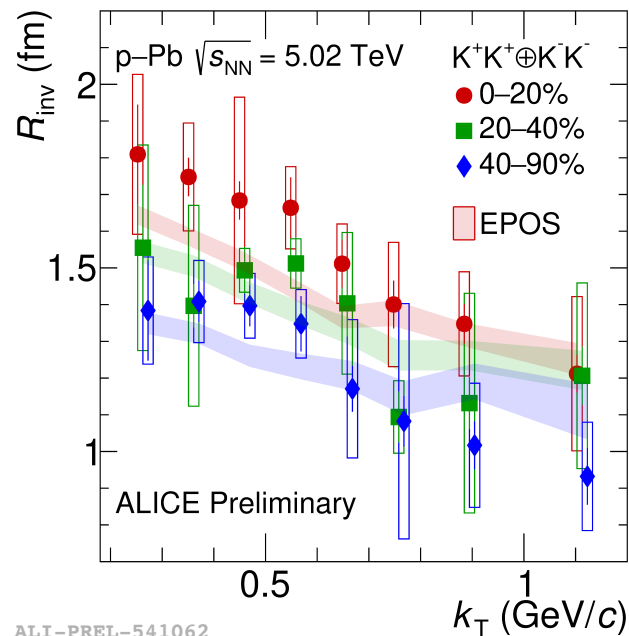
A. Kisiel et al. PRC 90, 064914

Integrated Hydrokinetic Model (iHKM) is used to check theoretical predictions for kaon femtosopic radii

V. Shapoval et al., NPA 929 (2014)



ALI-PREL-524622

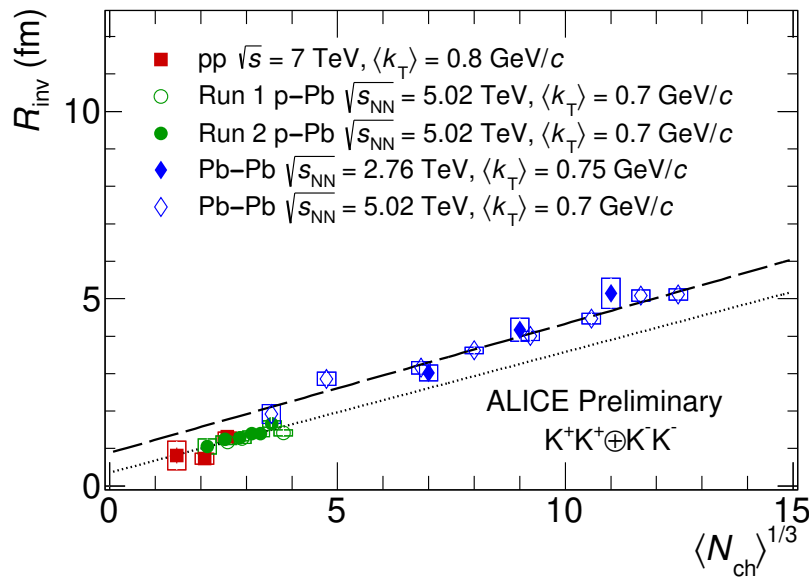
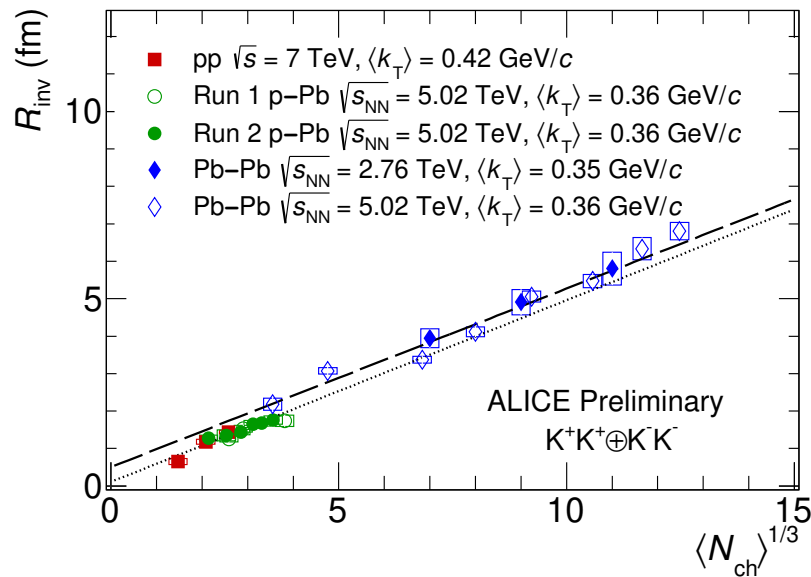


ALI-PREL-541062

EPOS: hydro
core evolution +
hadronic phase
modelled with
UrQMD

*K. Werner et al.,
PRC89(2014)064903*

- The source size decreases from central towards peripheral events.
- R_{inv} decreases with increasing $k_T \rightarrow$ presence of collective (radial) flow.
- Radial flow weakens from central towards peripheral events.



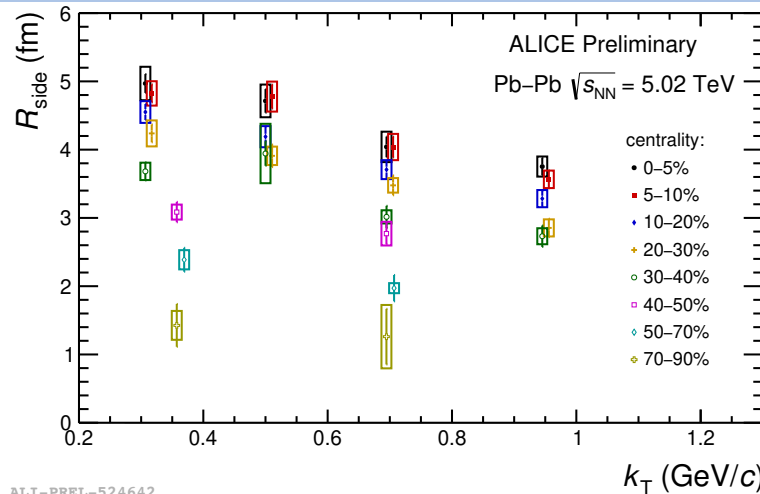
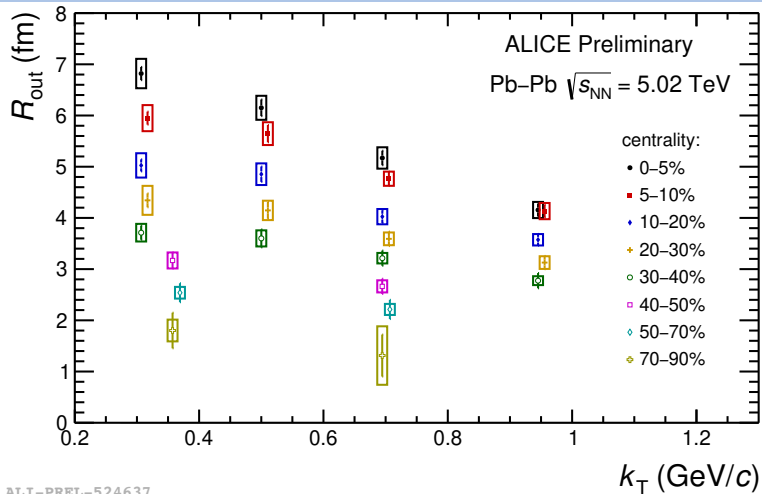
dashed line — fit of Pb-Pb (Run 1 + Run 2) radii;

dotted line — fit of pp & p-Pb (Run 1 + Run 2) radii;

- At similar multiplicity: $R_{inv}(\text{Pb-Pb}) > R_{inv}(\text{p-Pb}) \approx R_{inv}(\text{pp})$
- R_{inv} obtained in pp and p-Pb **do not follow the same trend** of R_{inv} in Pb-Pb — similar effect was observed for pions (B. Abelev et al., PLB 739 (2014), pp. 139–151)
- **Discrepancy** between the two trends **increases** with increasing k_T

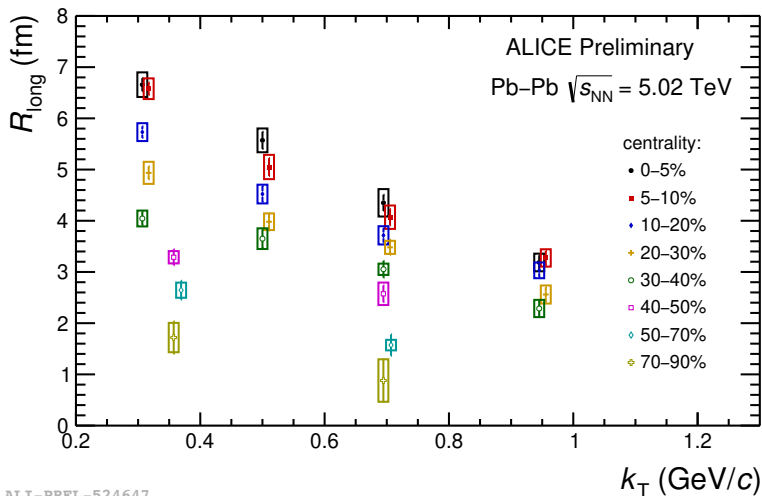


Models predicting “multiplicity-scaling” across different colliding systems are **disfavoured** (e.g. M. Lisa et al., Ann.Rev.Nucl.Part.Sci.55:357-402(2005)).



ALI-PREL-524637

ALI-PREL-524642

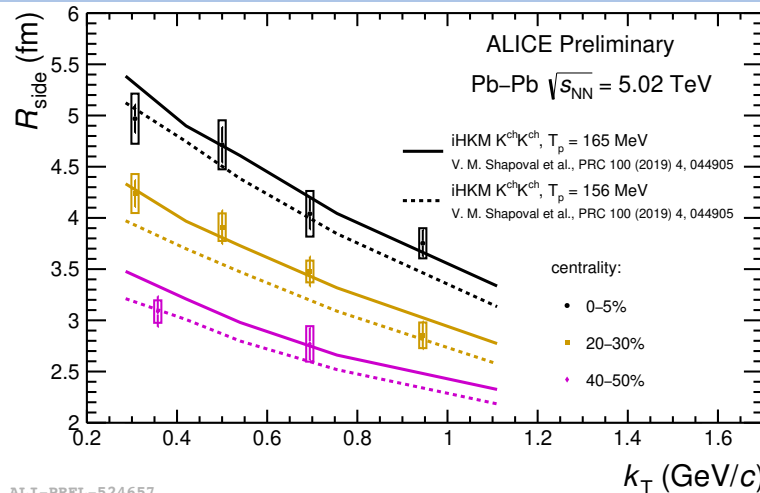
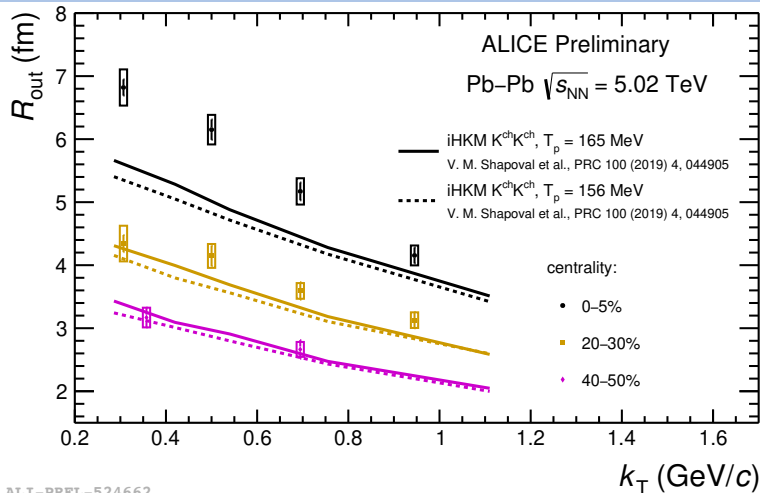


ALI-PREL-524647

Extracted 3D radii show similar dynamics as 1D ones:

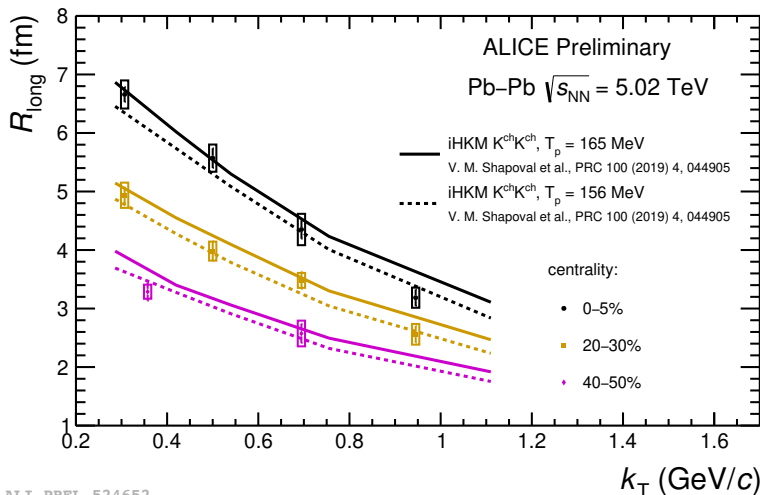
- Size decreases from central towards peripheral events.
- Presence of collective (radial) flow.
- Radial flow weakens from central towards peripheral events.

*points for 5–10%, 20–30%, 50–90% centralities are slightly shifted for clarity.



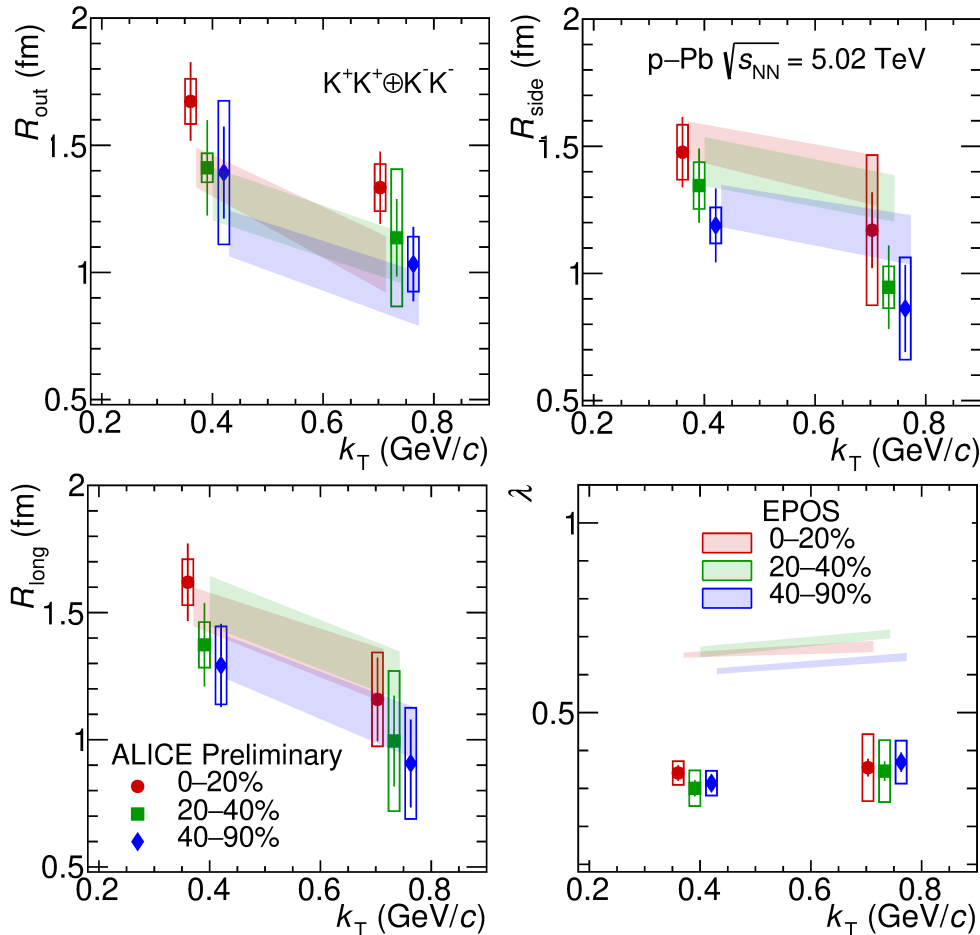
ALI-PREL-524662

ALI-PREL-524657

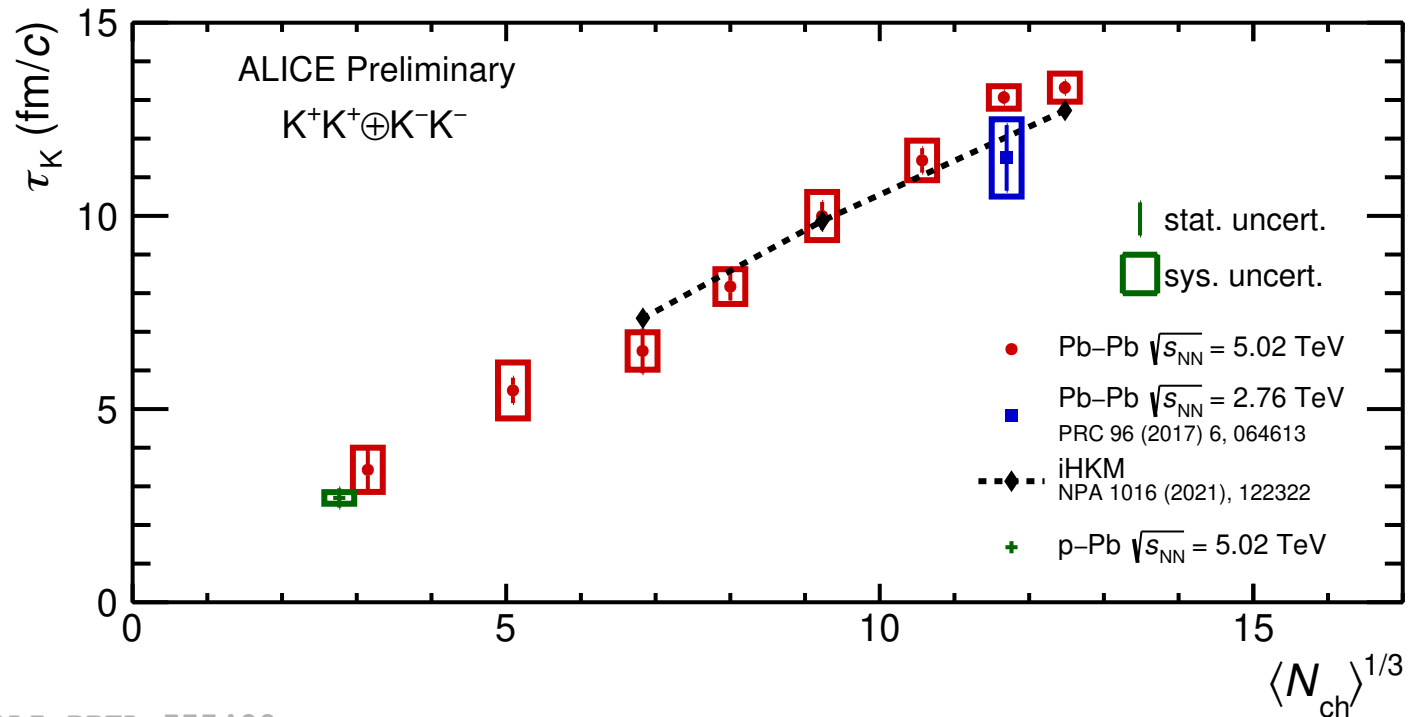


ALI-PREL-524652

- Two particlization temperatures are considered.
- Both scenarios are in a good agreement with data.
- The model calculations underestimate R_{out} for for the most central events (0–5% cent.).



- k_T and centrality dependence \rightarrow hydrodynamic expansion
- EPOS describes radii within uncertainties
- EPOS overestimates $\lambda \rightarrow$ production of K from resonances like K^* to be revised in the model?
- The model calculations underestimate R_{out} for the most central events (0–20% cent.).



The lifetime τ of the expanding fireball is associated with the moment when the number of correlated particles emitted by the source is maximal.

Details about the extraction procedure:
 V. Shapoval et al., EPJ. A 56, 260 (2020)

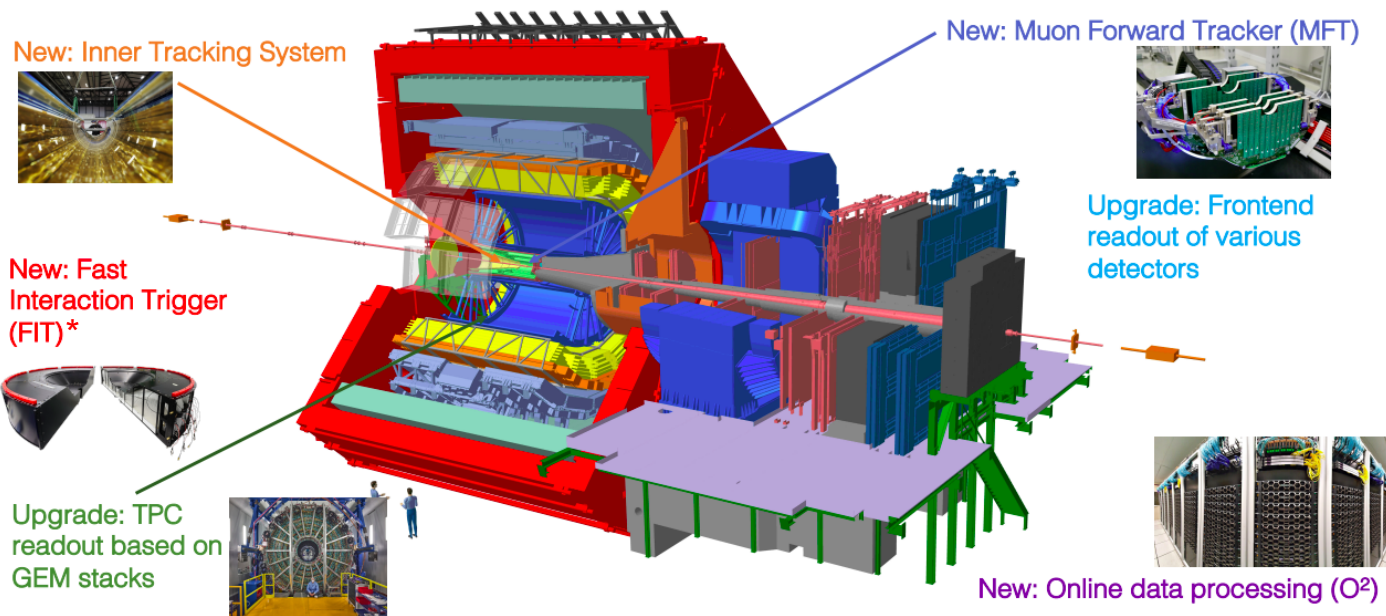
ALI-PREL-577400

- Combining results on τ and radii → **smaller systems evolve faster.**
- **iHKM calculations** of τ are in good agreement with the experimental data.



Proton source

Results from the first Pb–Pb data of Run 3 with a “new” ALICE detector



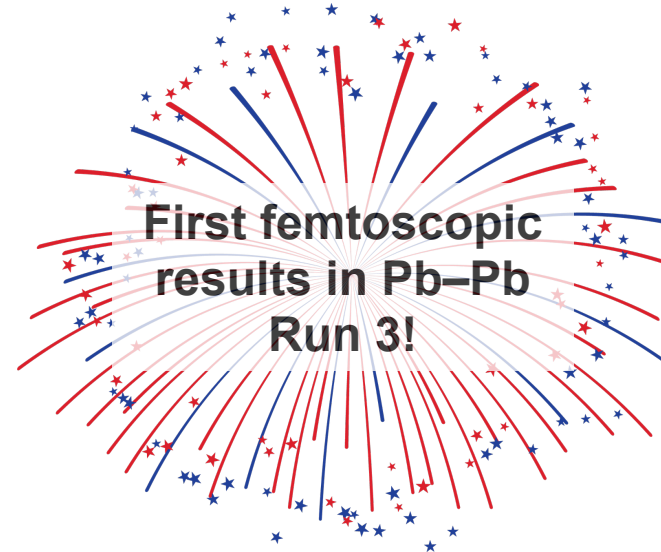
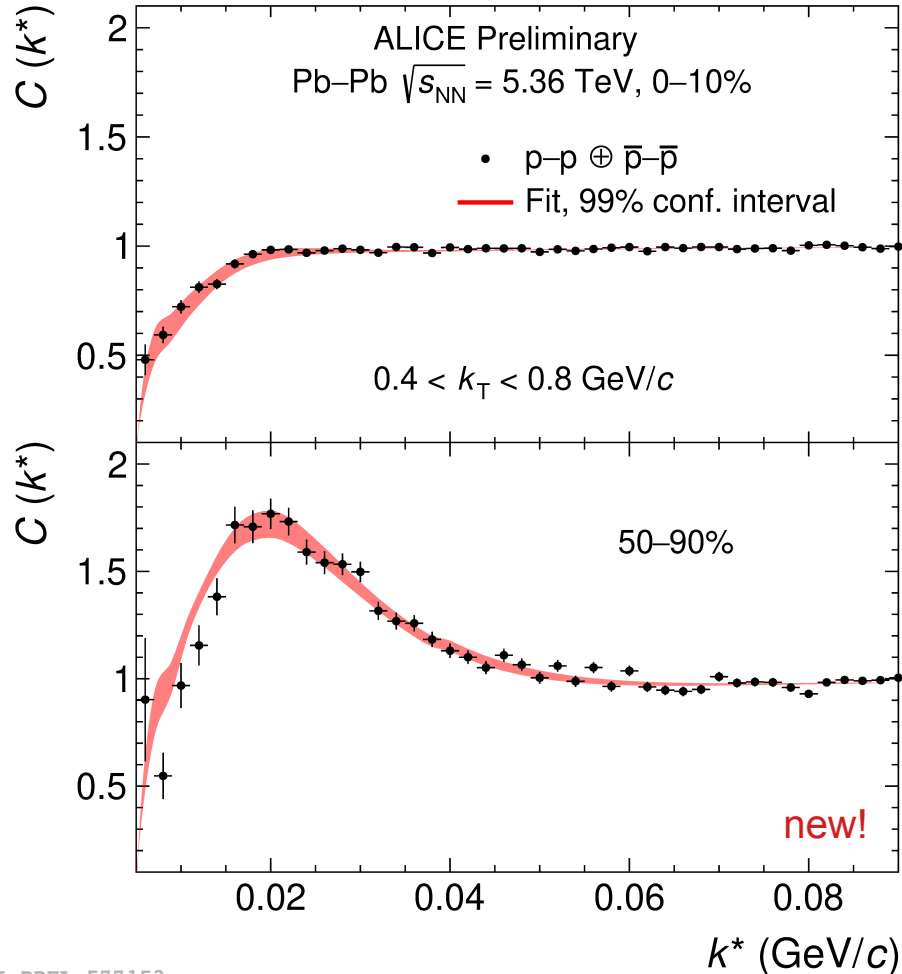
...more Run 3 results in:

- Abhi Modak (18/07/24, 09:55)
- Luca Barioglio (20/07/24, 17:53)
- Nicolás Jacazio (22/07/24, 10:50)

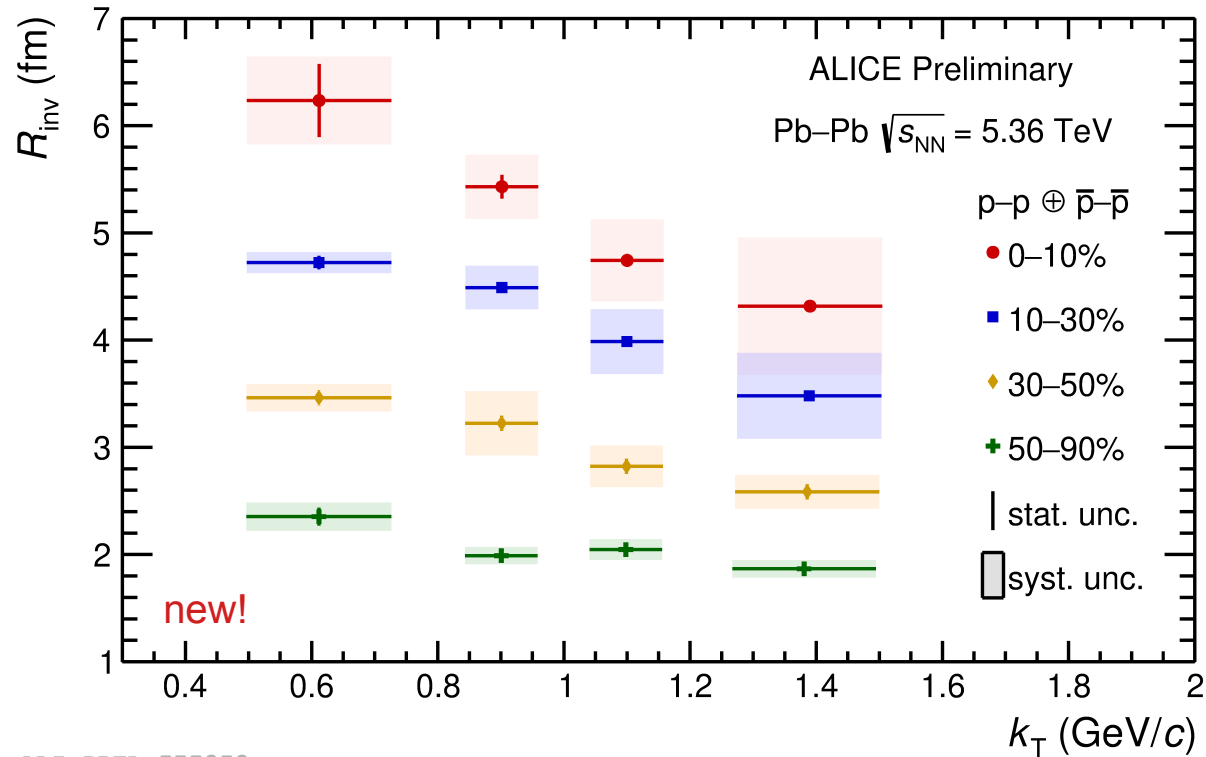
...more femtoscopy with ALICE:

- Maximilian Korwieser (19/07/24, 17:15)
- Marcel Lesch (19/07/24, 17:00)
- Sofia Tomassini (18/07/24, poster session)

*more about a “new” FIT: Yury Melikyan (19/07/2024, 08:48)

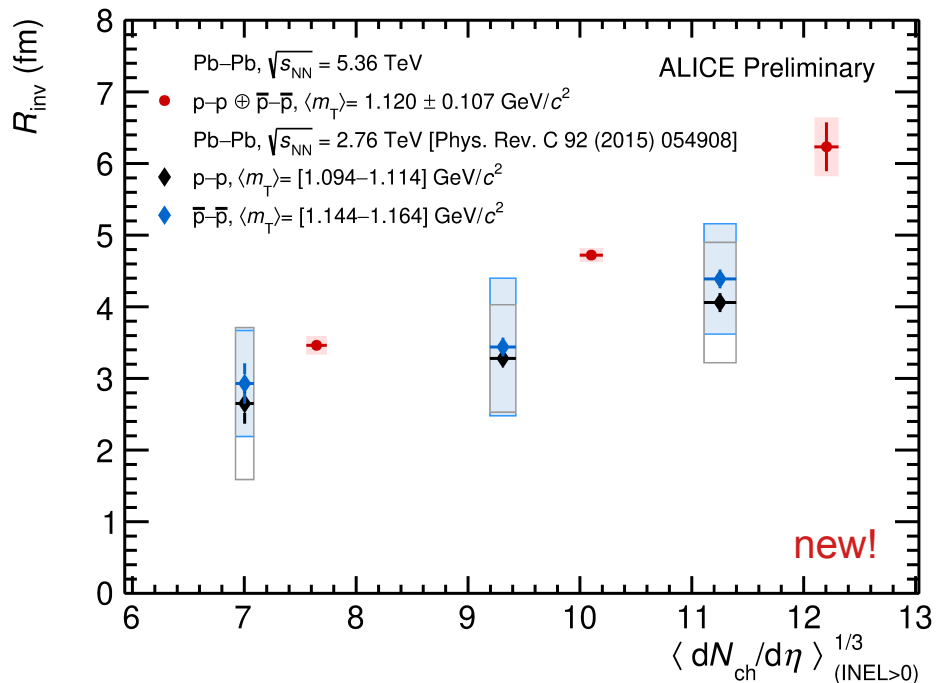


The total CF is fitted with the **Lednický-Lyuboshitz model with a box potential approach.**

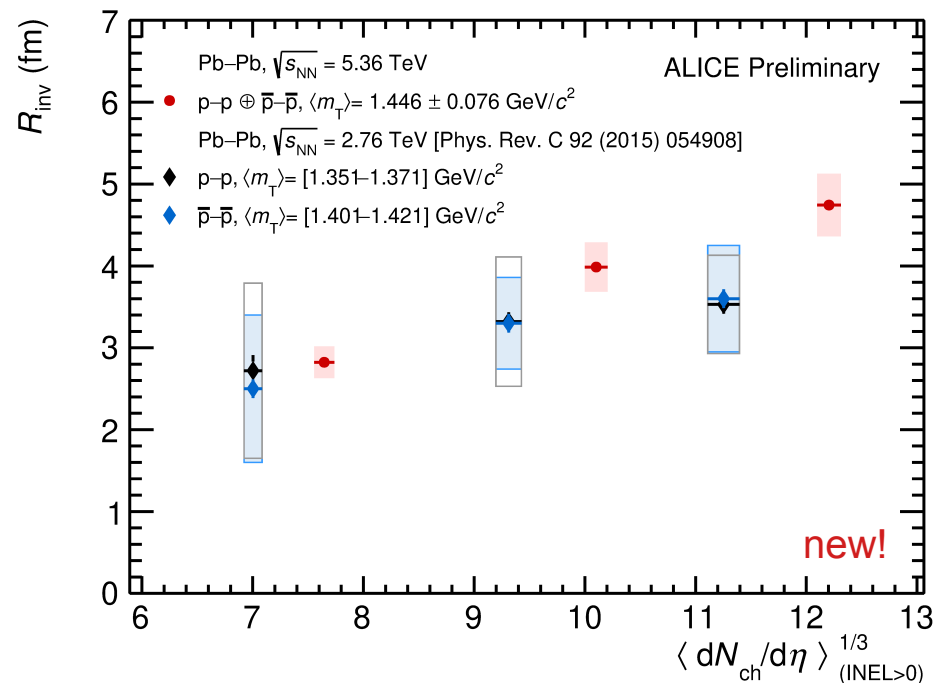


ALI-PREL-577353

- Proton radii demonstrate the dynamics that is typical for heavy-ion collisions.
- R_{inv} decreases with increasing $k_T \rightarrow$ **collective (radial) flow** (weaker for more peripheral events)



ALI-PREL-577358



ALI-PREL-577363

- The new Run 3 results are consistent with Run 1 data (at close $\langle m_T \rangle$)
- The precision has improved w.r.t. Run 1
- More peripheral events are accessed w.r.t. Run 1 results (50-90% from Run 3 not shown here)



Summary

Kaon results in Pb–Pb at $\sqrt{s_{NN}} = 5.02$ TeV Run 2:

- Signs of hydrodynamic expansion of matter created in p–Pb and Pb–Pb
- p–Pb and peripheral Pb–Pb evolve similarly with time in terms of Kaon production
- The extracted times of maximal emission τ show that systems created in more peripheral events evolve faster

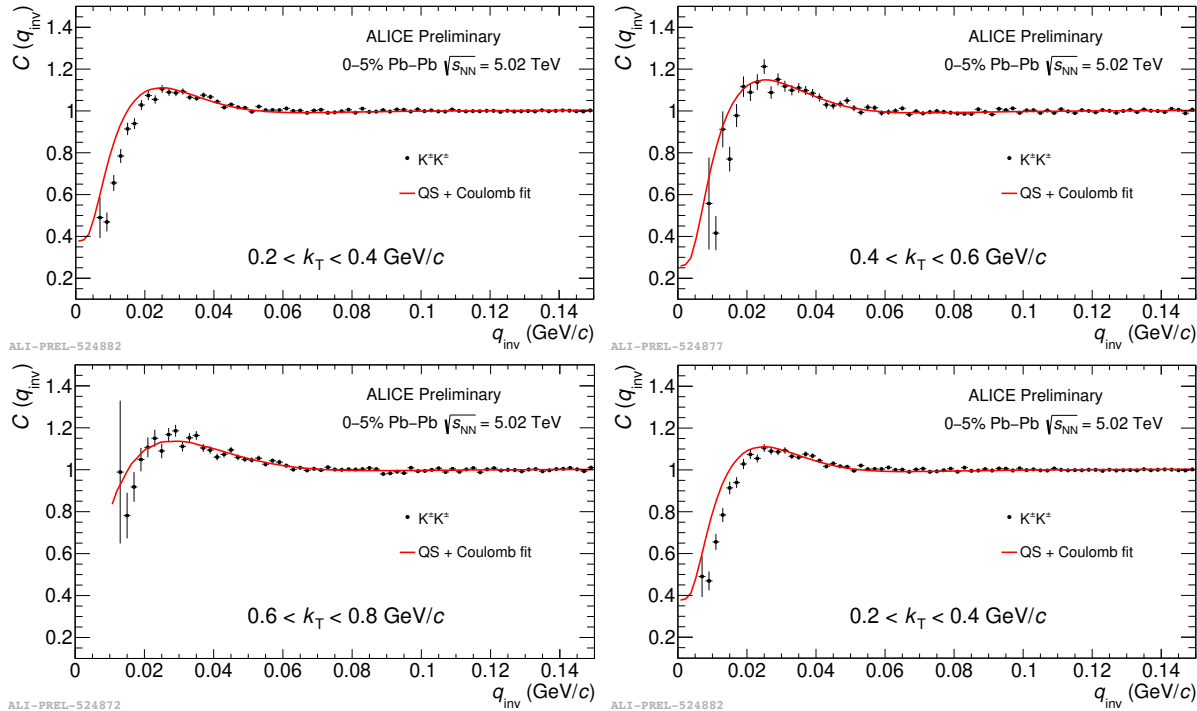
Proton results in Pb–Pb at $\sqrt{s_{NN}} = 5.36$ TeV Run 3:

- **First femtoscopic measurement** with ALICE's **Run 3 Pb–Pb** data is performed;
- Proton radii demonstrate the **dynamics typical for heavy-ion collisions** → **collectivity**;
- New Run 3 results are **in a good agreement** with Run 1 ones;
- **Significant improvements are expected** (more statistics, better reconstruction, etc.)



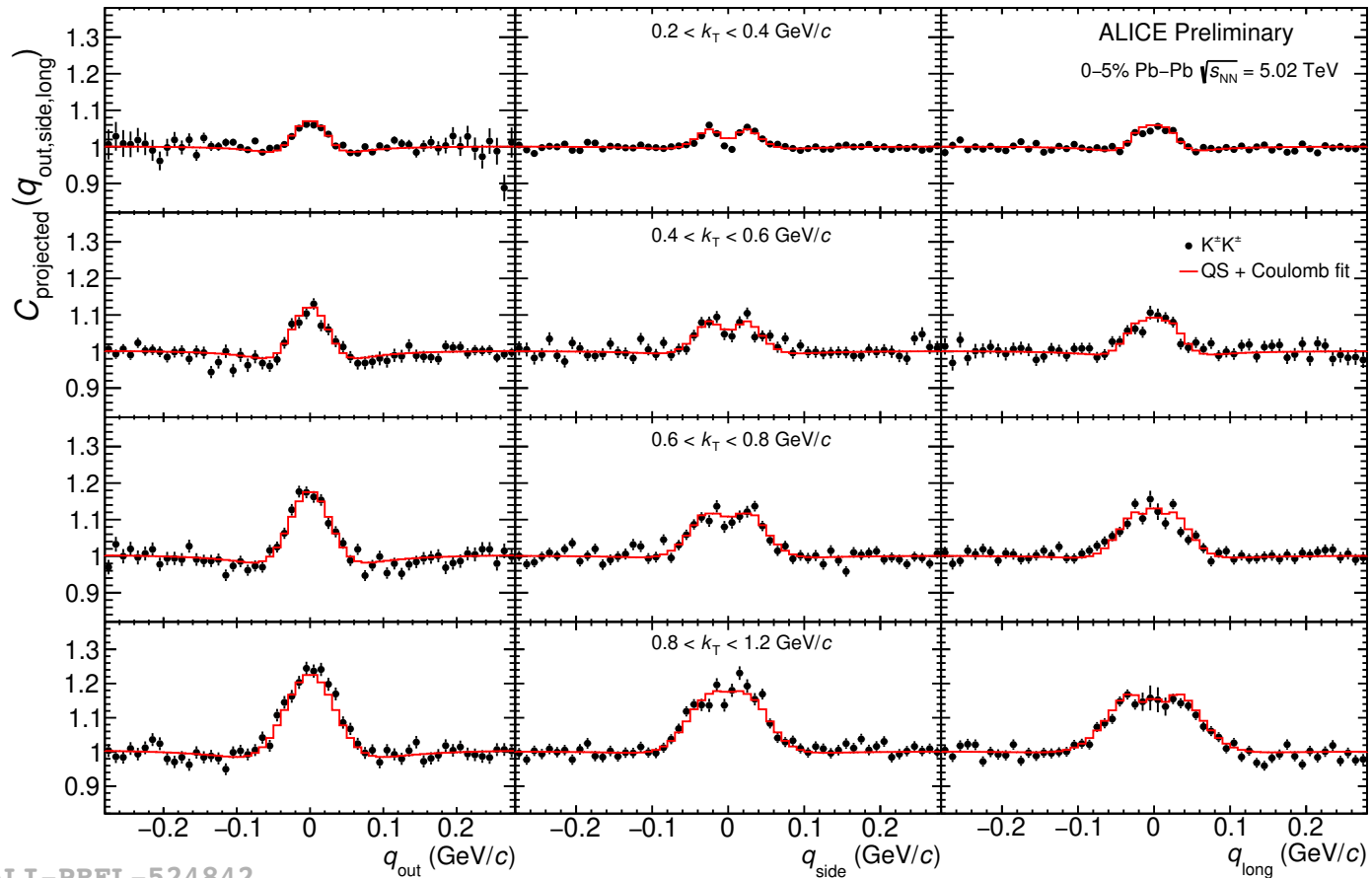
ALICE

Backup slides



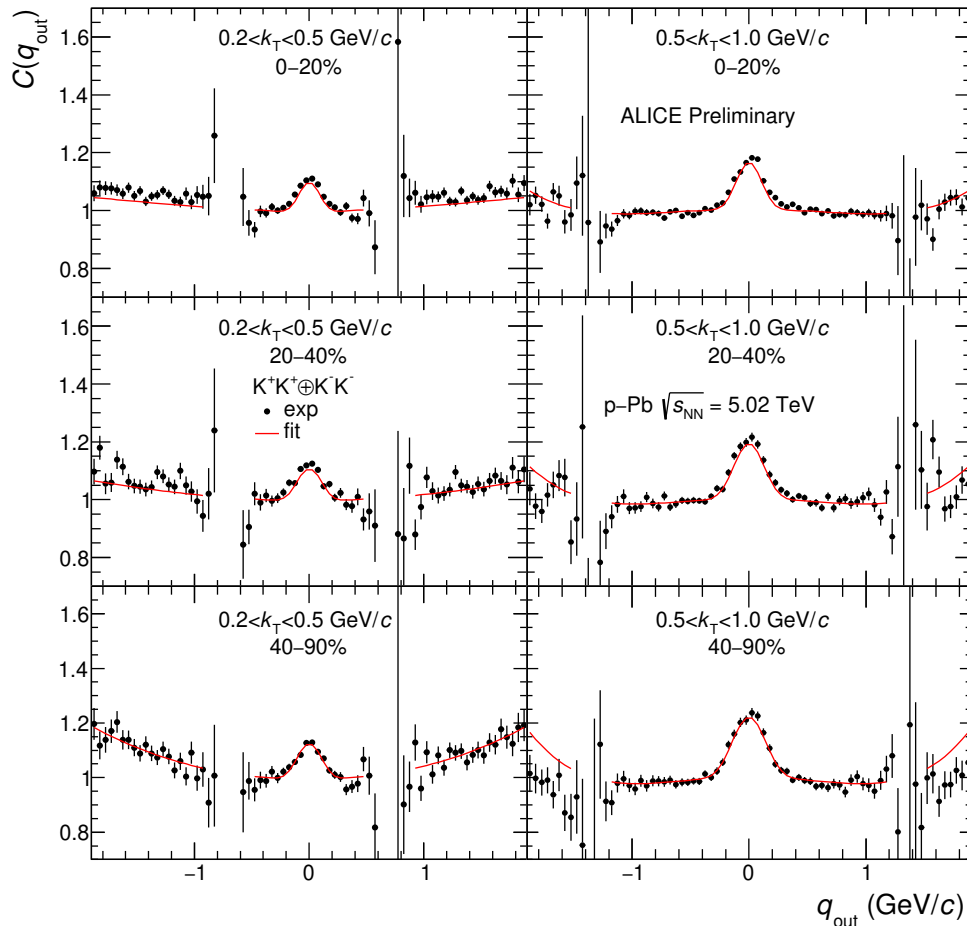
Fit function: Bowler–Sinyukov formula (e.g. PLB 270 (1991), 69-74)

The gap near zero is caused by the Coulomb interaction between kaons



ALI-PREL-524842

Fit function: Bowler–Sinyukov formula (e.g. PLB 270 (1991), 69-74)



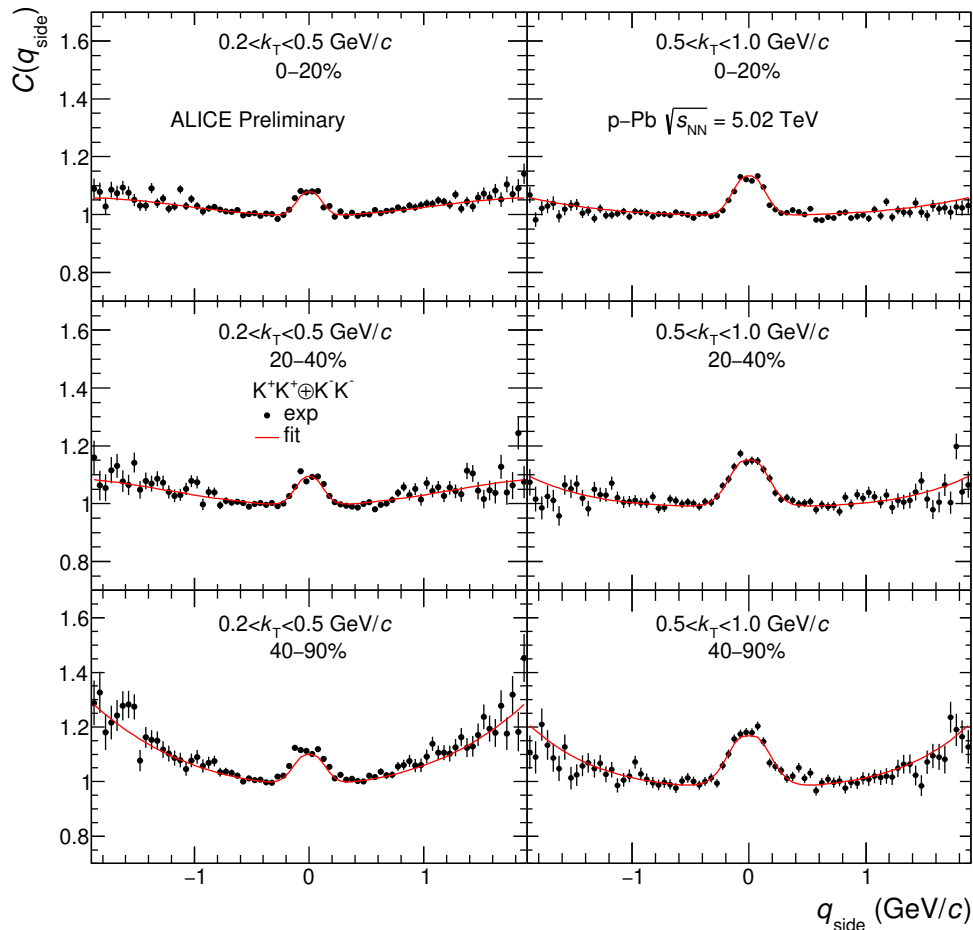
Fit function:

$$C(q) = D(q) \left[(1 - \lambda) + \lambda K(q) \left(1 + \exp \left(-R_{\text{out}}^2 q_{\text{out}}^2 - R_{\text{side}}^2 q_{\text{side}}^2 - R_{\text{long}}^2 q_{\text{long}}^2 \right) \right) \right]$$

Baseline:

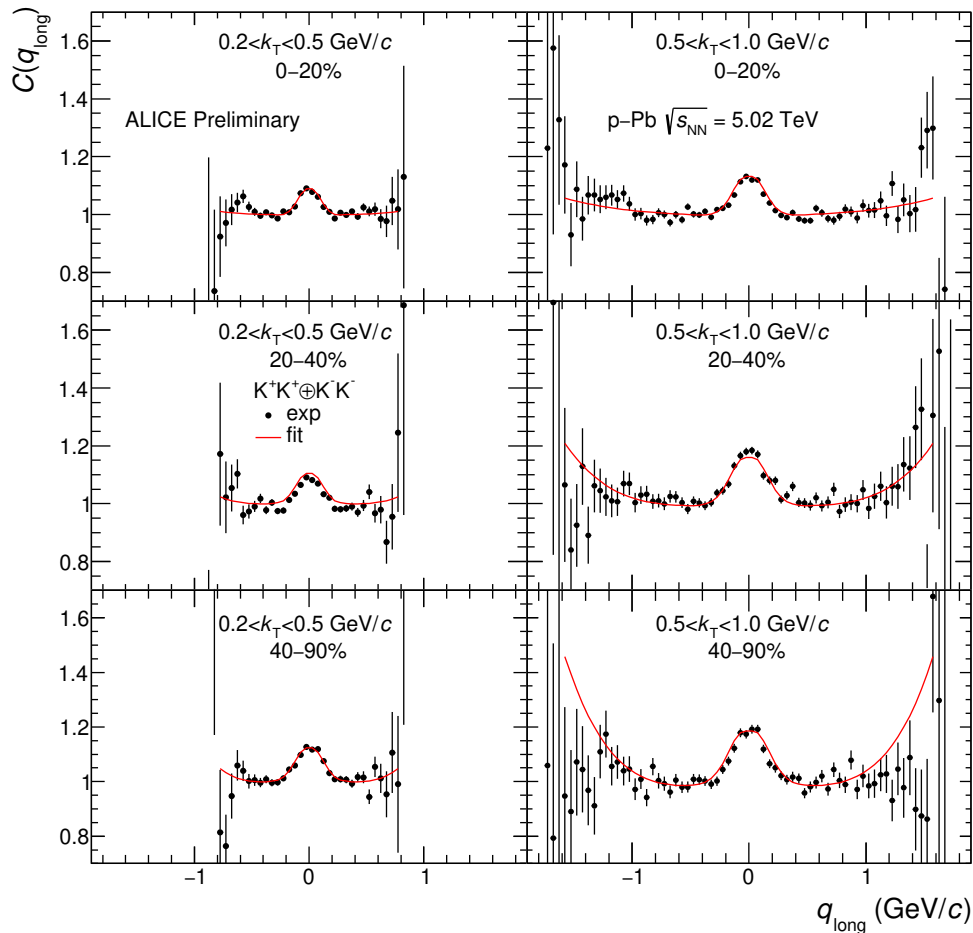
$$D(q) = 1 + a_{\text{out}} q_{\text{out}}^2 + a_{\text{side}} q_{\text{side}}^2 + a_{\text{long}} q_{\text{long}}^2 + a_{\text{out}}^4 q_{\text{out}}^4 + a_{\text{side}}^4 q_{\text{side}}^4 + a_{\text{long}}^4 q_{\text{long}}^4$$

The fit reproduces well the shape of the correlation peak and also captures non-femtoscopic behavior of C_{out} .

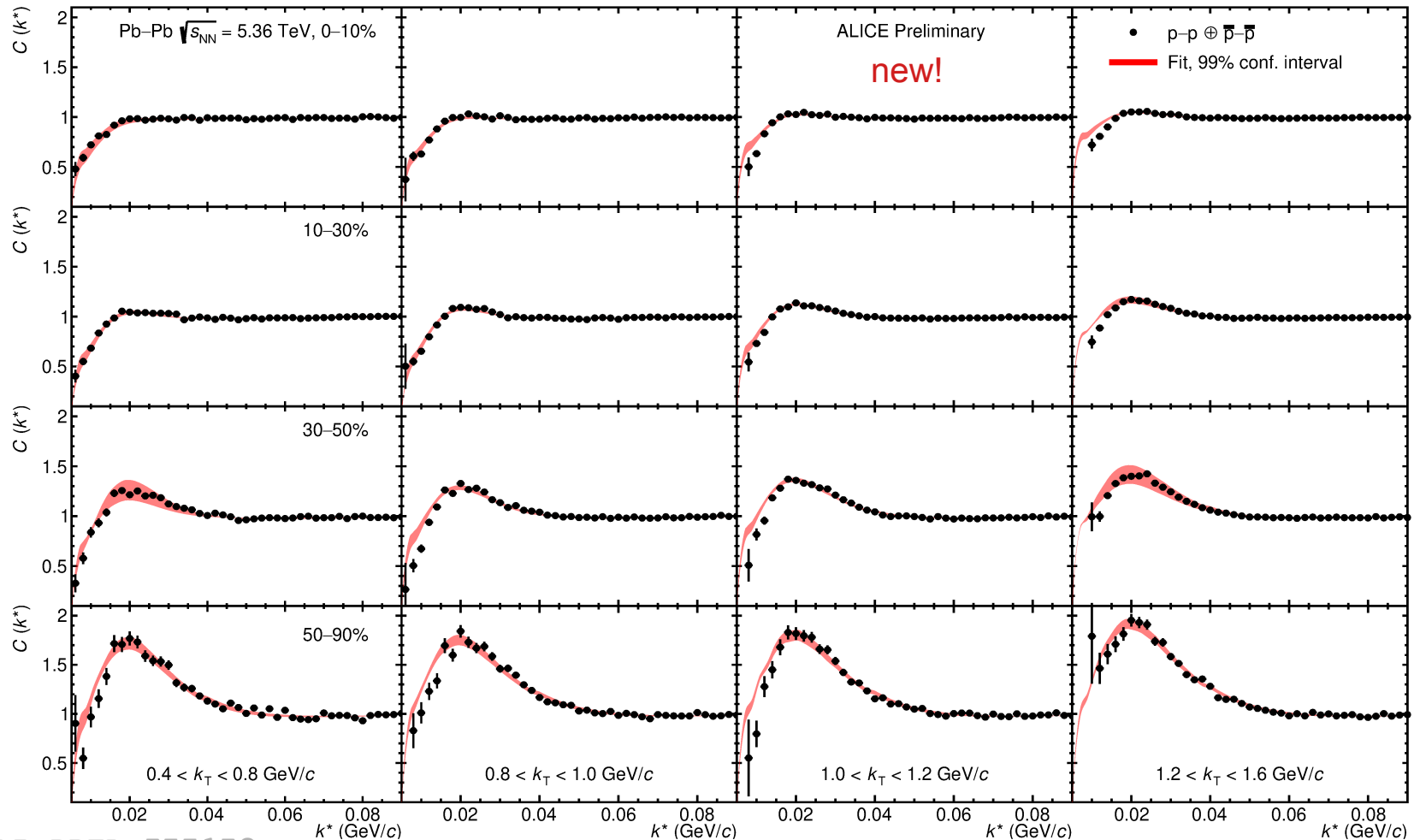


The fit reproduces well the shape of the correlation peak and also captures non-femtoscopic behavior of C_{side} .

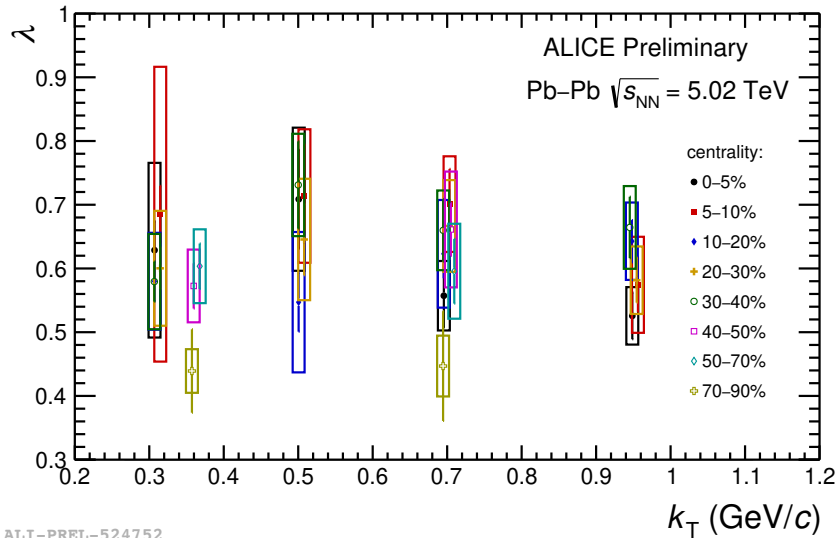
Fit function: Bowler–Sinyukov formula (e.g. PLB 270 (1991), 69–74)



The fit reproduces well the shape of the correlation peak and also captures non-femtoscopic behavior of C_{long} .

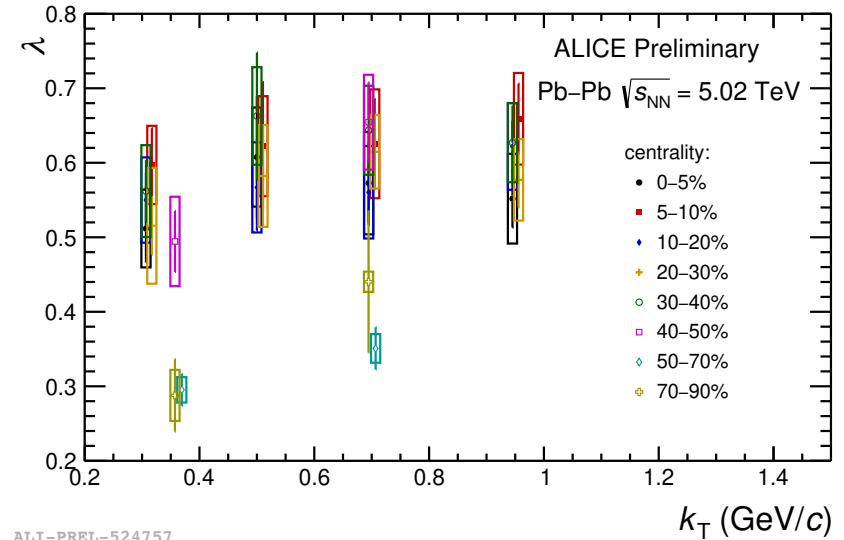


Extracted from 1D fit



ALI-PREL-524752

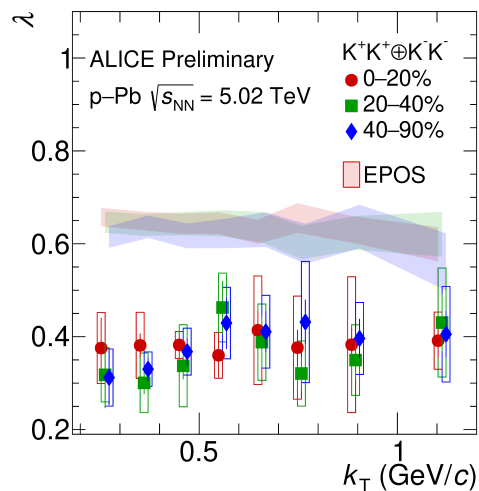
Extracted from 3D fit



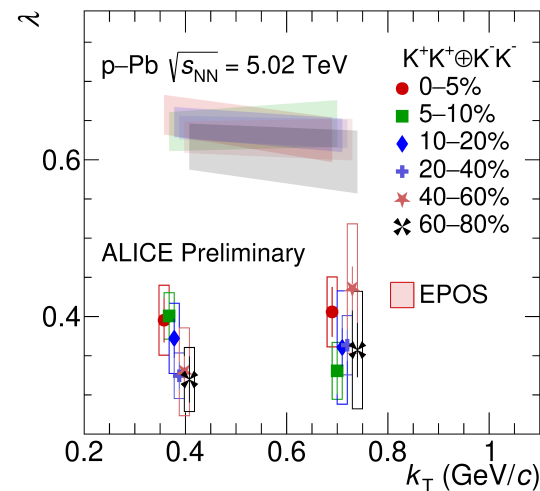
ALI-PREL-524757

- Extracted λ parameters are nicely grouped and compatible between different centralities within uncertainties;
- No signs of k_T /centrality dependence;

Extracted from 1D fit for two different setups of k_T /centrality binning;



ALI-PREL-541066

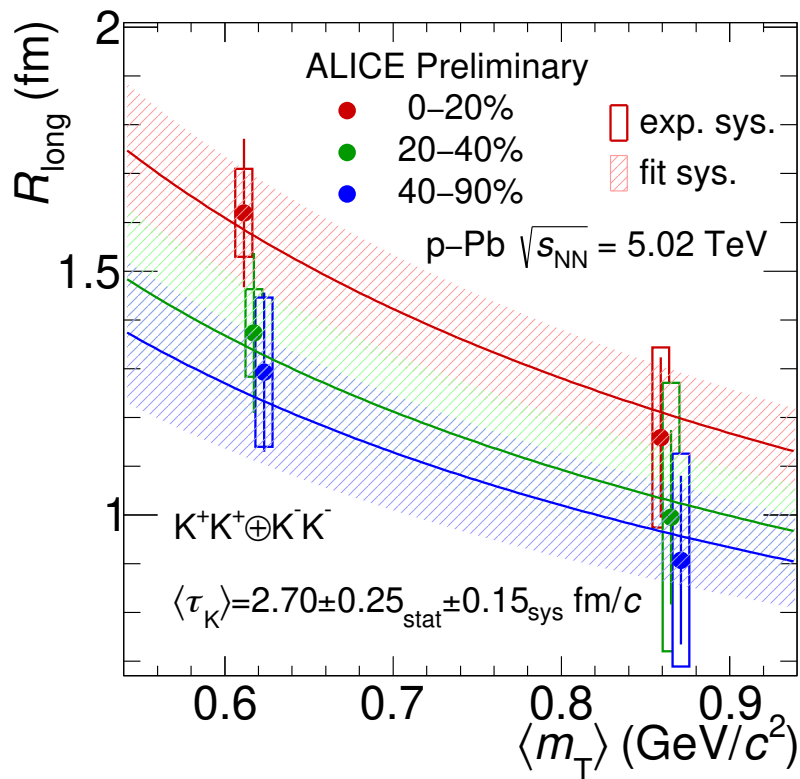


ALI-PREL-541074

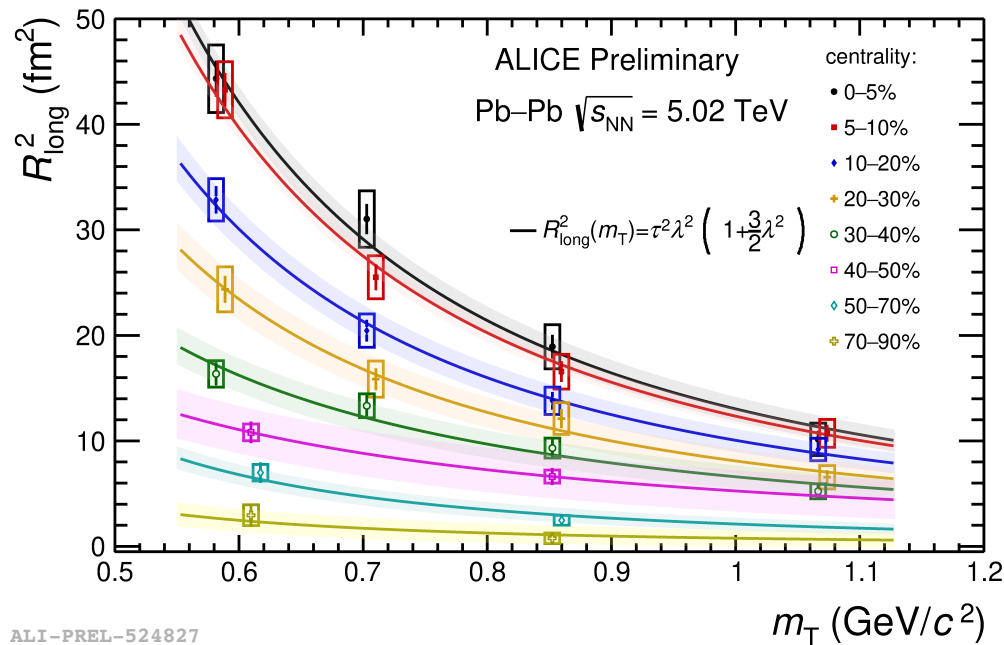
- Extracted λ parameters are nicely grouped and compatible between different centralities within uncertainties;
- No signs of k_T /centrality dependence;
- EPOS overestimates λ → production of K from long-lived resonances like K^* should probably be revised in the model



Extracting maximal emission time



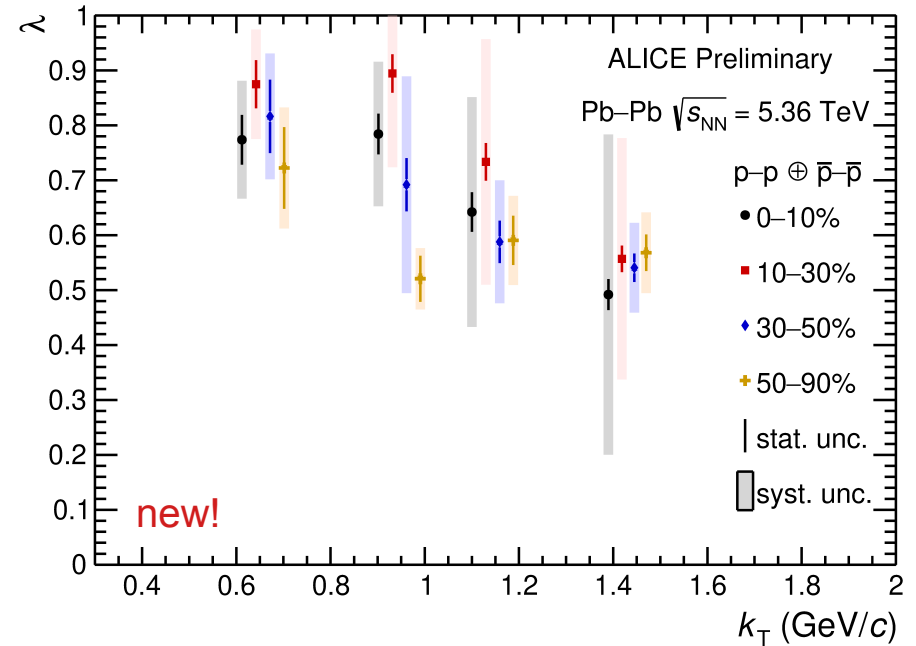
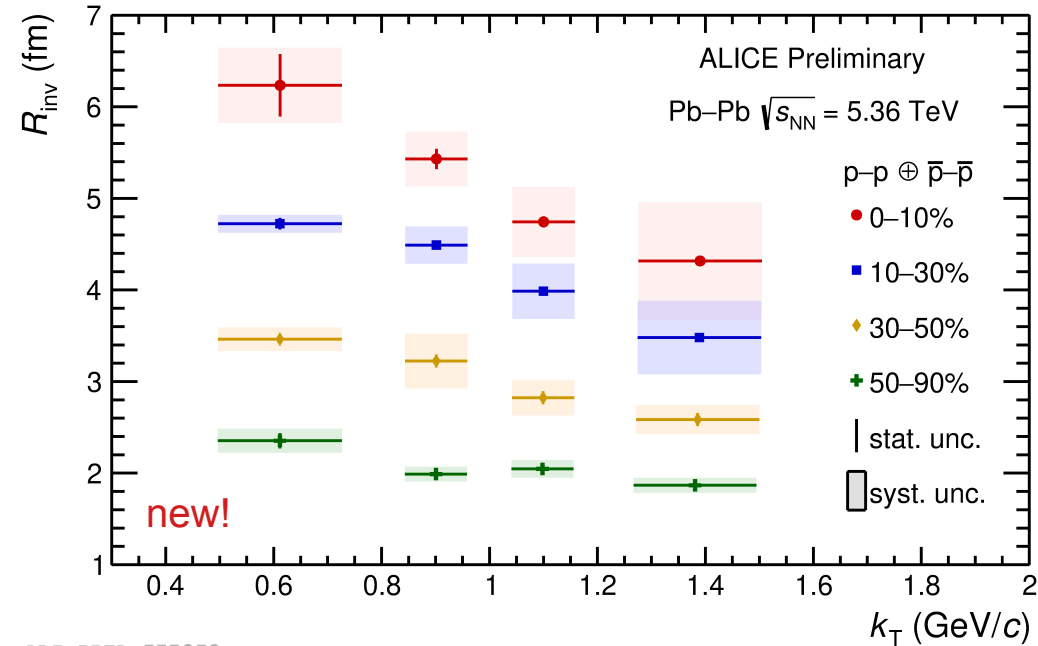
ALI-PREL-540893



Extracting maximal emission time was performed by fitting m_T -dependent R_{long}^2 with this formula:

$$R_{long}^2(m_T) = \tau^2 \lambda^2 \left(1 + \frac{3}{2} \lambda^2 \right)$$

$$\lambda^2 = \frac{T}{m_T} \sqrt{1 - \bar{v}_T^2}$$



ALI-PREL-577353

ALI-PREL-576228

- Extracted λ parameters are nicely grouped and compatible between different centralities within uncertainties;
- No signs of k_T /centrality dependence for λ ;

* k_T binning and errors along X axis for λ parameters are the same as for the radii, the points have been shifted for clarity.

Lednický-Lyuboshitz model with a box potential 29

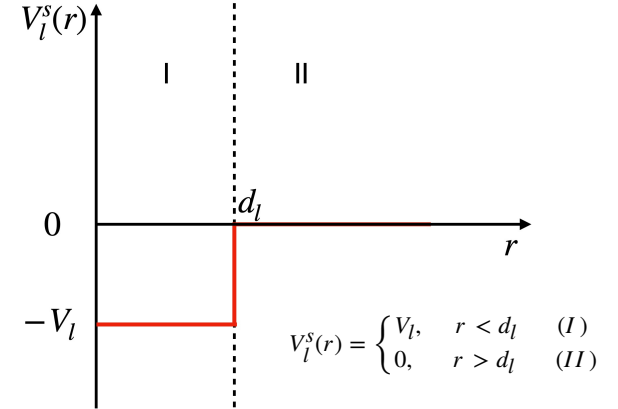
Using partial wave expansion and solving the radial Schrodinger's equation with a simple box potential as strong (+Coulomb) one can obtain

$$\psi_{c+s}(k, r) = \frac{1}{r} \sum_{l=0}^{\infty} (2l+1) i^l e^{i\sigma_l} u_l(k, r) P_l(\cos \theta)$$

$$u_l(k, r) = \begin{cases} \frac{F_l(\tilde{\eta}_l, \tilde{k}_l r)}{F_l(\tilde{\eta}_l, \tilde{k}_l d)} \left(\frac{F_l(\eta, kd)}{k} + f_l(k) (G_l(\eta, kd) + i F_l(\eta, kd)) \right), & r < d \\ \left(\frac{F_l(\eta, \rho)}{k} + f_l(k) (G_l(\eta, \rho) + i F_l(\eta, \rho)) \right), & r \geq d \end{cases}$$

where $\tilde{k}_l = \sqrt{k^2 - \frac{2\mu}{\hbar^2} V_l}$, $\tilde{\eta}_l = \frac{1}{\tilde{k}_l a_B}$, $\tilde{\rho}_l = \tilde{k}_l r$ and $\tilde{\sigma}_l = \arg \Gamma(l+1 + i\tilde{\eta}_l)$

F_l and G_l — regular and irregular Coulomb functions



The potential parameters (depth and width) are obtained from the fit of the phase shifts with a formula coming from the matching conditions. Total WF for $l=[0, 1]$:

$$\psi(k, r) = \begin{cases} \sqrt{A_c(\eta)} e^{i\sigma_0} e^{i\vec{k}\vec{r}} {}_1F_1(-i\eta, 1, i(kr - \vec{k}\vec{r})) + \sum_{l=0}^n (2l+1) i^l e^{i\sigma_l} \left[\frac{F_l(\tilde{\eta}_l, \tilde{k}_l r)}{F_l(\tilde{\eta}_l, \tilde{k}_l d)} \left(\frac{F_l(\eta, kd)}{kr} + f_l(k) \frac{G_l(\eta, kd) + i F_l(\eta, kd)}{r} \right) - \frac{F_l(\eta, \rho)}{kr} \right] P_l(\cos \theta) & r < d \\ \sqrt{A_c(\eta)} e^{i\sigma_0} e^{i\vec{k}\vec{r}} {}_1F_1(-i\eta, 1, i(kr - \vec{k}\vec{r})) + \sum_{l=0}^n (2l+1) i^l e^{i\sigma_l} f_l(k) \frac{G_l(\eta, \rho) + i F_l(\eta, \rho)}{r} P_l(\cos \theta) & r \geq d \end{cases}$$

General expression:
$$C(k, R_{inv}) = \int d^3r \cdot S(r, R_{inv}) \cdot |\psi(\vec{k}, \vec{r})|^2$$

$\psi(\vec{k}, \vec{r})$ — solution to the Schrodinger's equation for a pair

$$S(r, R_{inv}) = \frac{1}{8\pi^{\frac{3}{2}}R_{inv}^3} \exp\left(-\frac{r^2}{4R_{inv}^2}\right)$$
 — assuming Gaussian source

For a pair of protons with $L=[0, 1]$. Corresponding states: $^{2S+1}L_J : 1s_0, 3p_0, 3p_1, 3p_2$

$$C_{pp}(k^*, R_{inv}) = \frac{1}{2} \sum_{S=0}^1 \frac{2S+1}{(2S_p+1)^2} \sum_{L,J} \omega_{LJ} \int d^3r S(r, R_{inv}) |\psi_{-\vec{k}}^S(\vec{r}) + (-1)^S \psi_{\vec{k}}^S(\vec{r})|^2$$

$$\omega_{LJ} = \frac{2J+1}{(2L+1)(2S+1)}$$