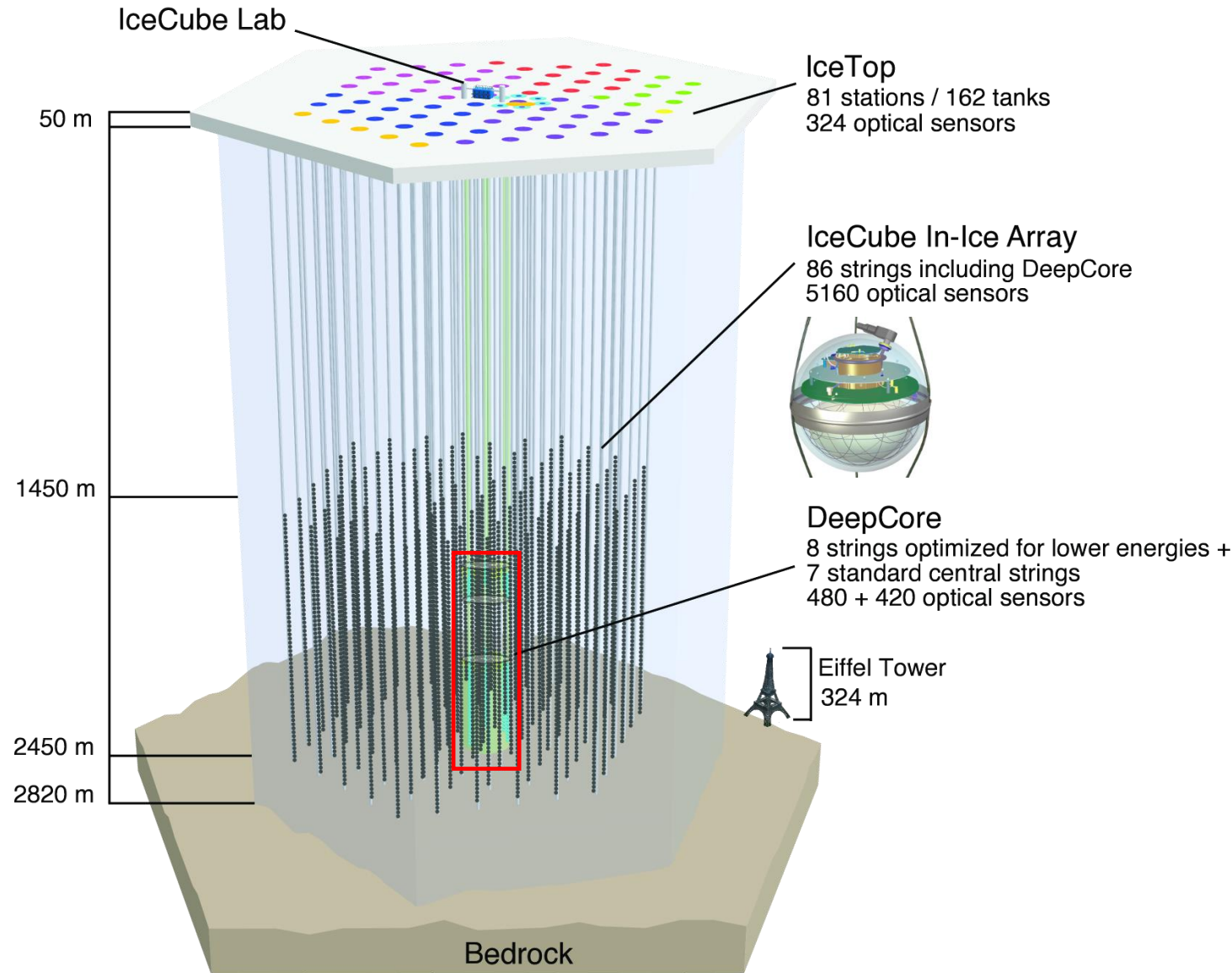


# The Faint Particle Trigger for the IceCube Neutrino Observatory



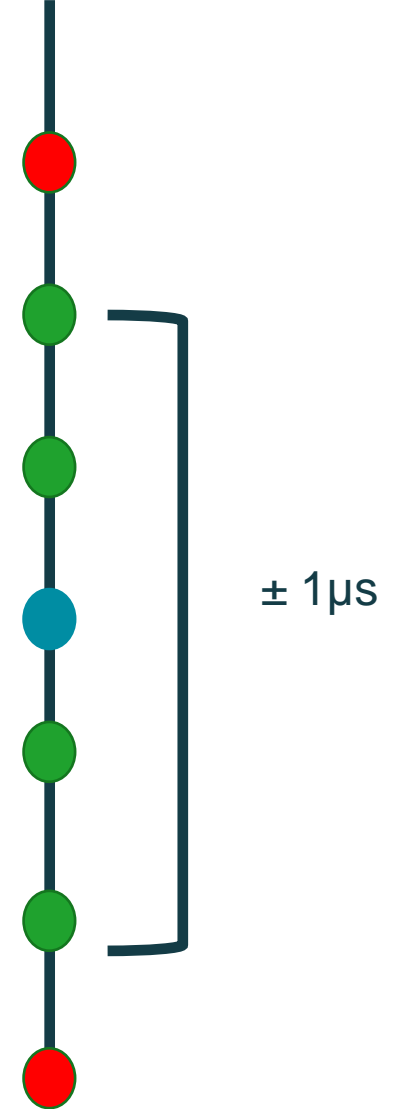
# IceCube and DeepCore

- Detection of neutrinos via Cherenkov radiation of charged secondaries
- Searches for particles beyond the standard model including fractionally charged particles
- 1 km<sup>3</sup> of instrumented ice
- IceCube: 125 m string and 17 m PMT spacing
- DeepCore: 72 m string and 7 m PMT spacing



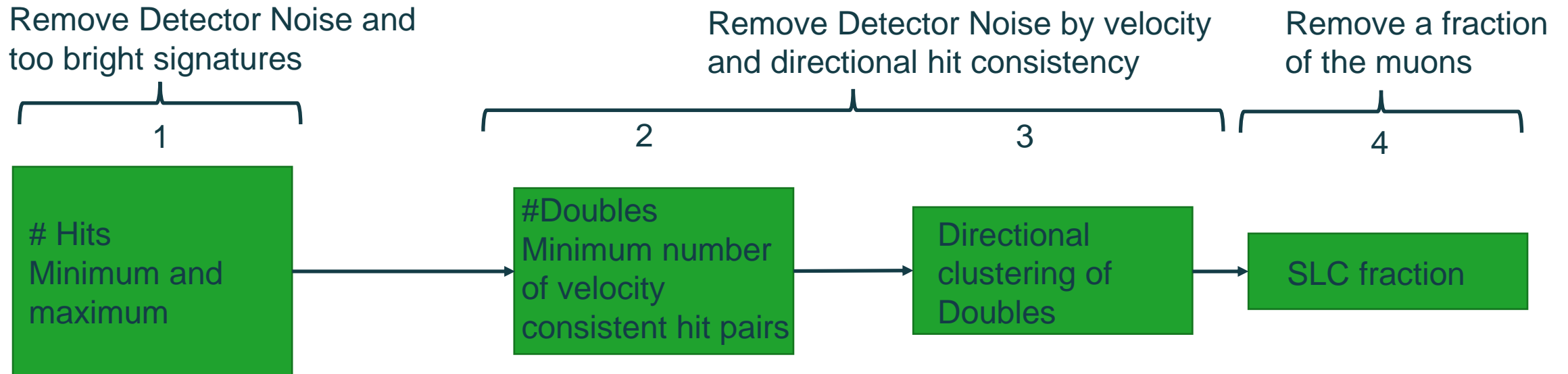
# Fractionally charged particles

- Fractionally charged particles (FCPs) appear in several extensions of the standard model
- Produced Cherenkov photons, ionization, pair production and photonuclear interactions  $\propto z^2$
- The detector signature for FCPs are faint through going tracks
- A previous IceCube analysis searched for charges between  $e/3$  and  $2e/3$
- For a charge of  $e/3$  the triggers start to be inefficient
- The standard triggers work on HLC hits
  - Hard Local Coincidence (HLC): in a time frame of  $\pm 1 \mu\text{s}$  around the **hit** a **neighboring sensor** on the same string is hit
  - Soft Local Coincidence (SLC): Single **hit**
- FCPs with a charge of  $e/3$  dominantly produce SLC hits
- Built the Faint Particle Trigger (FPT) that includes SLC hits



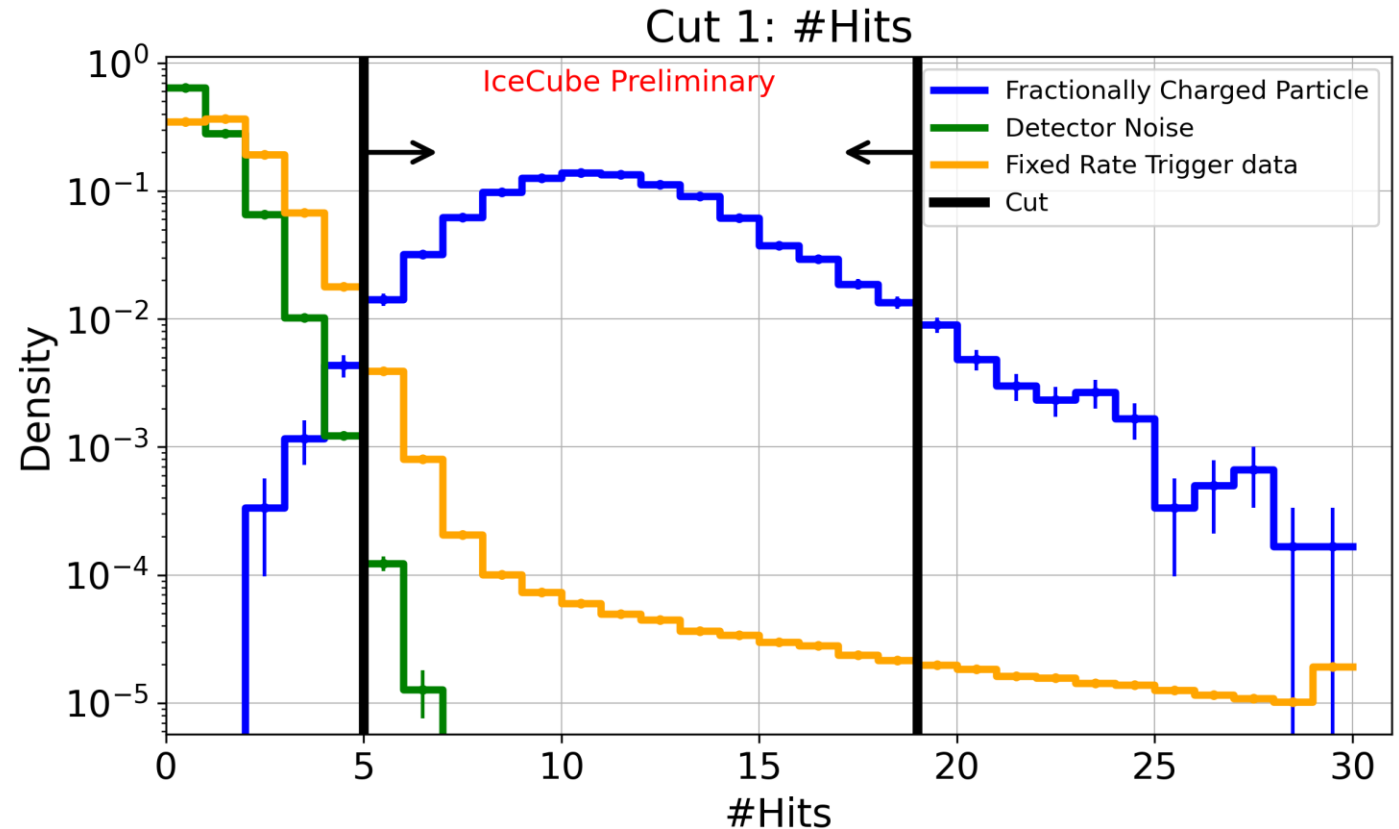
# Faint Particle Trigger structure

- FCPs dominantly produce SLC hits which are not forwarded to the standard triggers
- For the FPT all HLC and SLC hits in DeepCore are forwarded
- In a sliding time window with a size of 2500 ns four cut variables are calculated



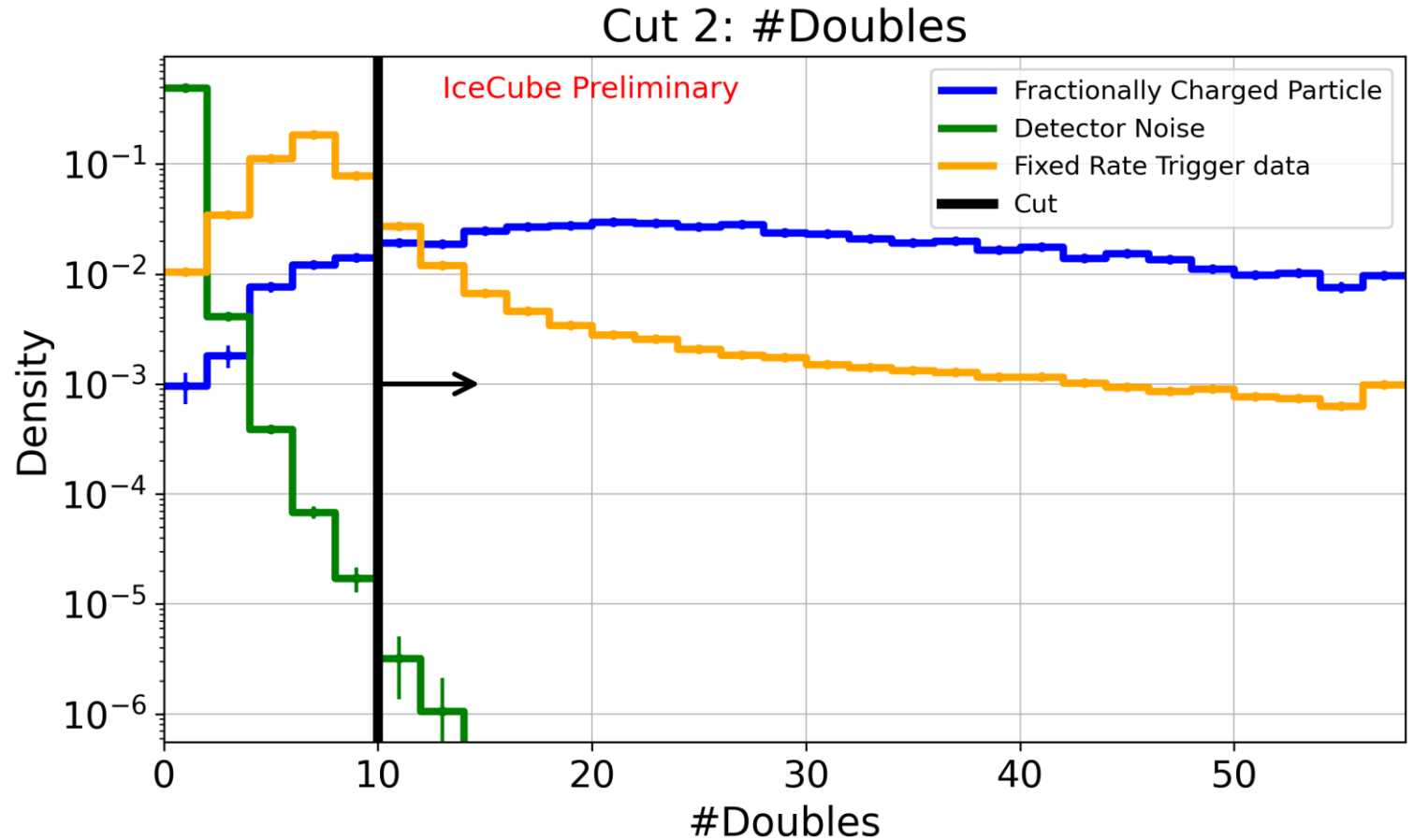
# Cut 1

- Fractionally Charged Particles (FCP) with a charge of  $1/3$  and a mass of 1 TeV
- Only events that produce at least 10 hits in DC
- Fixed Rate Trigger (FRT) reads out the whole detector for 10 ms every 300s
- Detector Noise simulation
  - Radioactive decay (low abundance of  $^{40}\text{K}$  in glass spheres)
  - Correlated component
  - Thermal noise
- Detector noise produces a lower amount of hits in the time windows compared to the signal



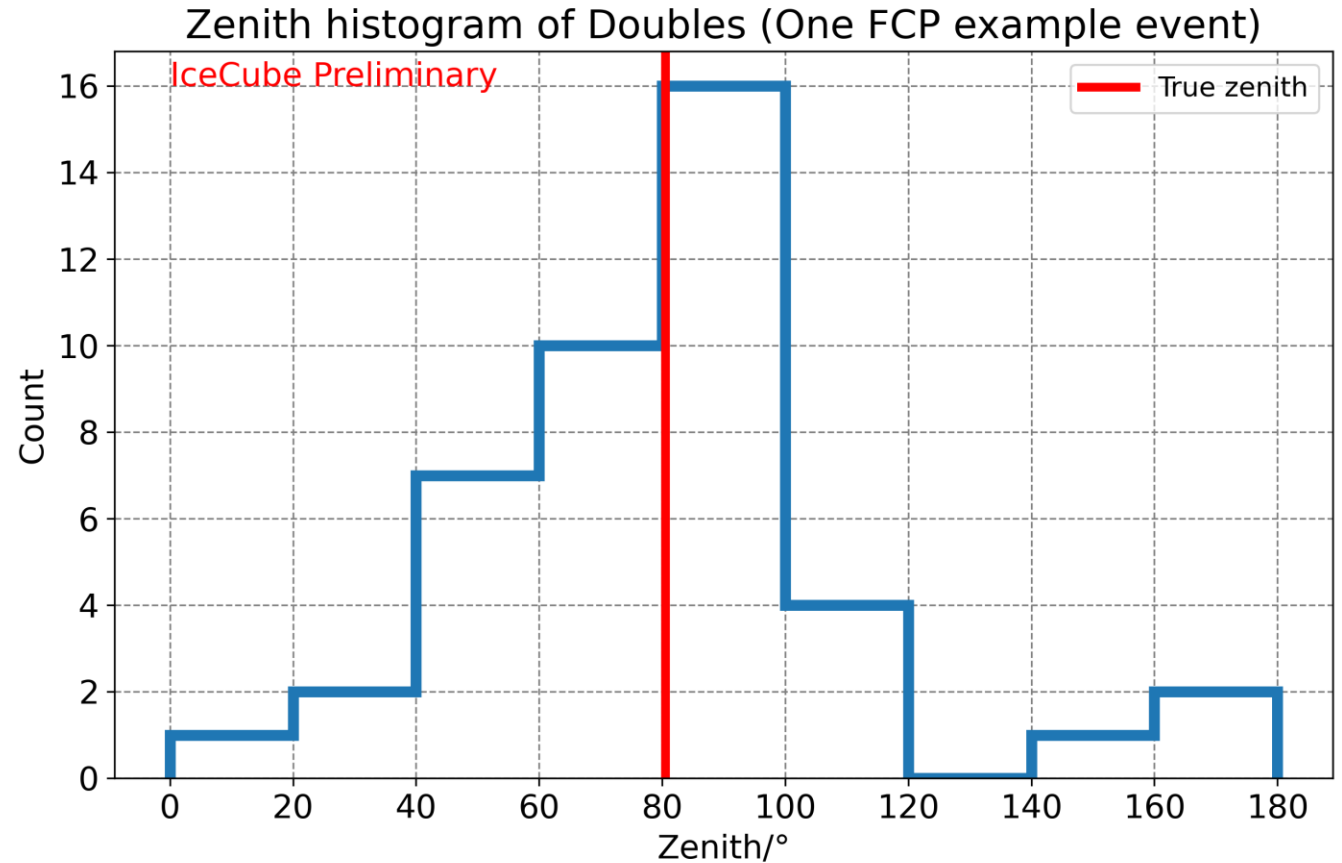
# Cut 2

- Calculate the velocity of  $\frac{x!}{2(x-2)!}$  hit pairs (combinations with itself and commutative ones are not calculated)
- The velocity cut interval:  $0.033 c \leq \text{vel} \leq 1.033 c$
- Count the velocity consistent hit pairs (Doubles) per time window
- Detector noise clusters at lower #Doubles compared to the FCPs



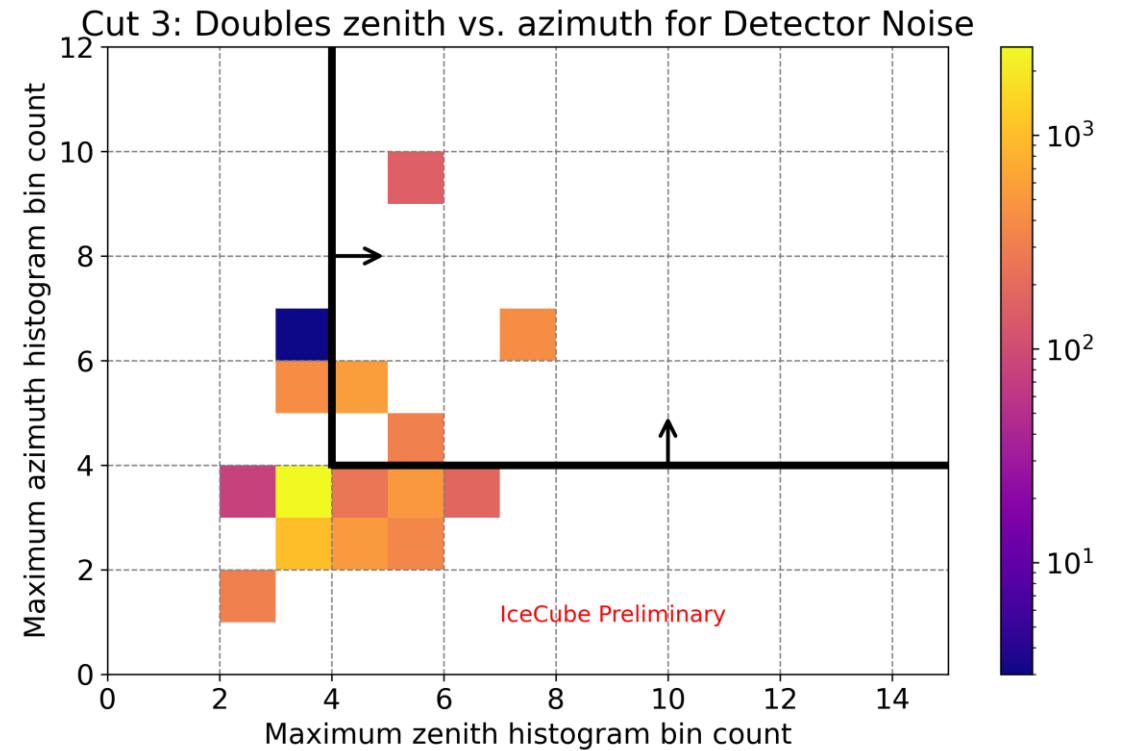
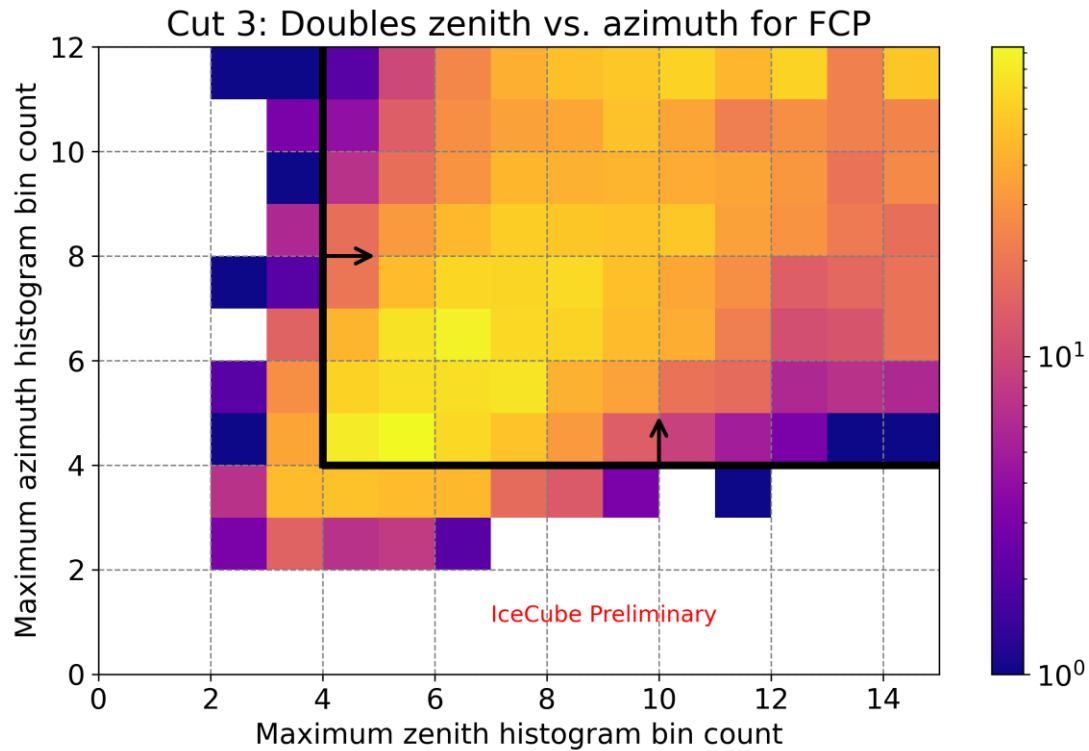
# Directional clustering of Doubles

- Calculate the direction for all Doubles per time window
- For Detector Noise there should be no preferred direction
- Histogram the direction in  $20^\circ$  bins
- Example for one time window of a FCP event (simulated zenith  $80.5^\circ$ )
- Select the bin value of the bin with the maximum count



# Cut 3

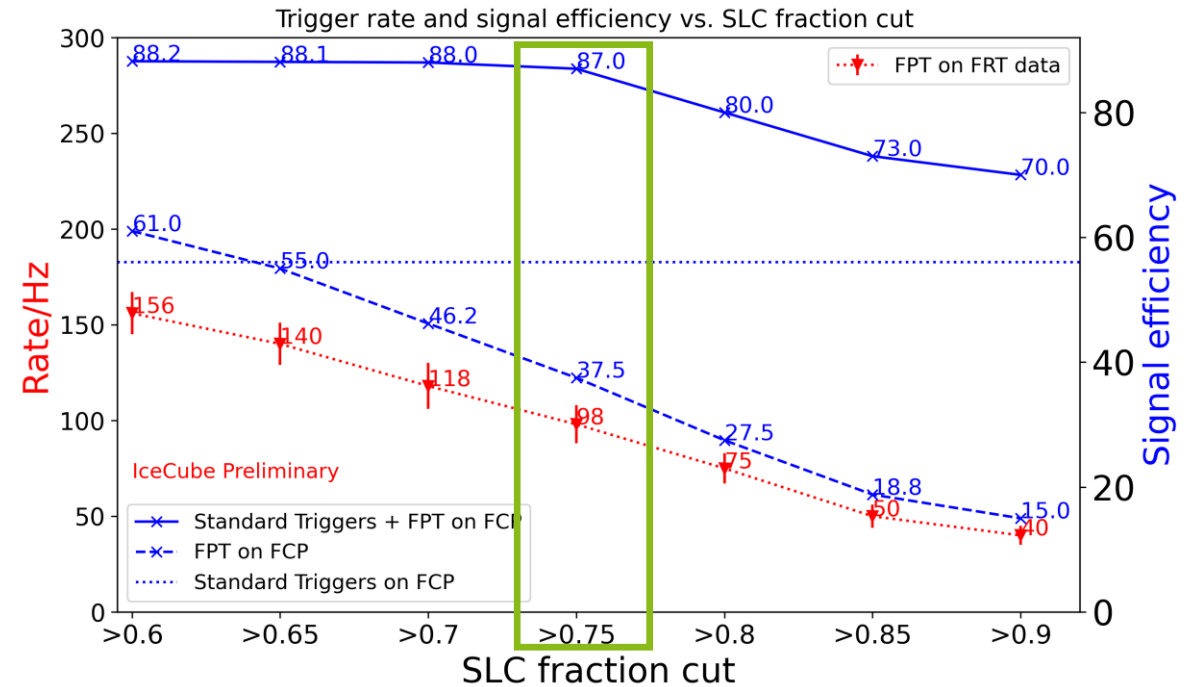
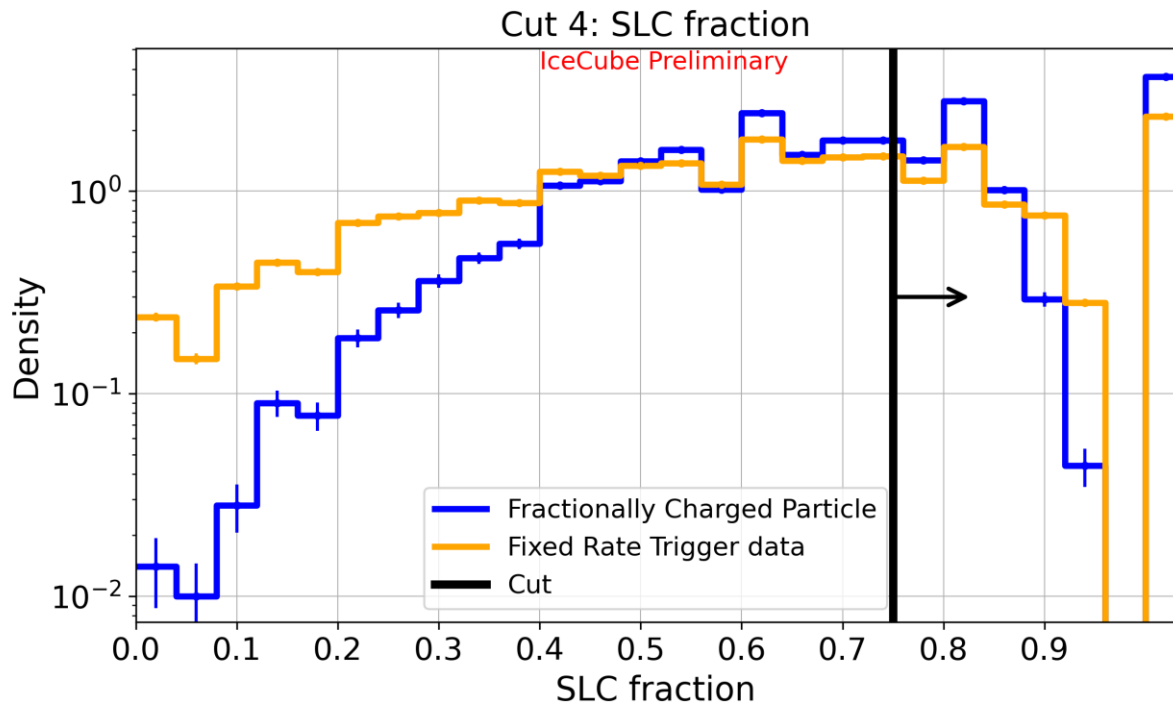
- Apply this simultaneously on the azimuth and zenith angle
- Detector Noise clusters at lower values



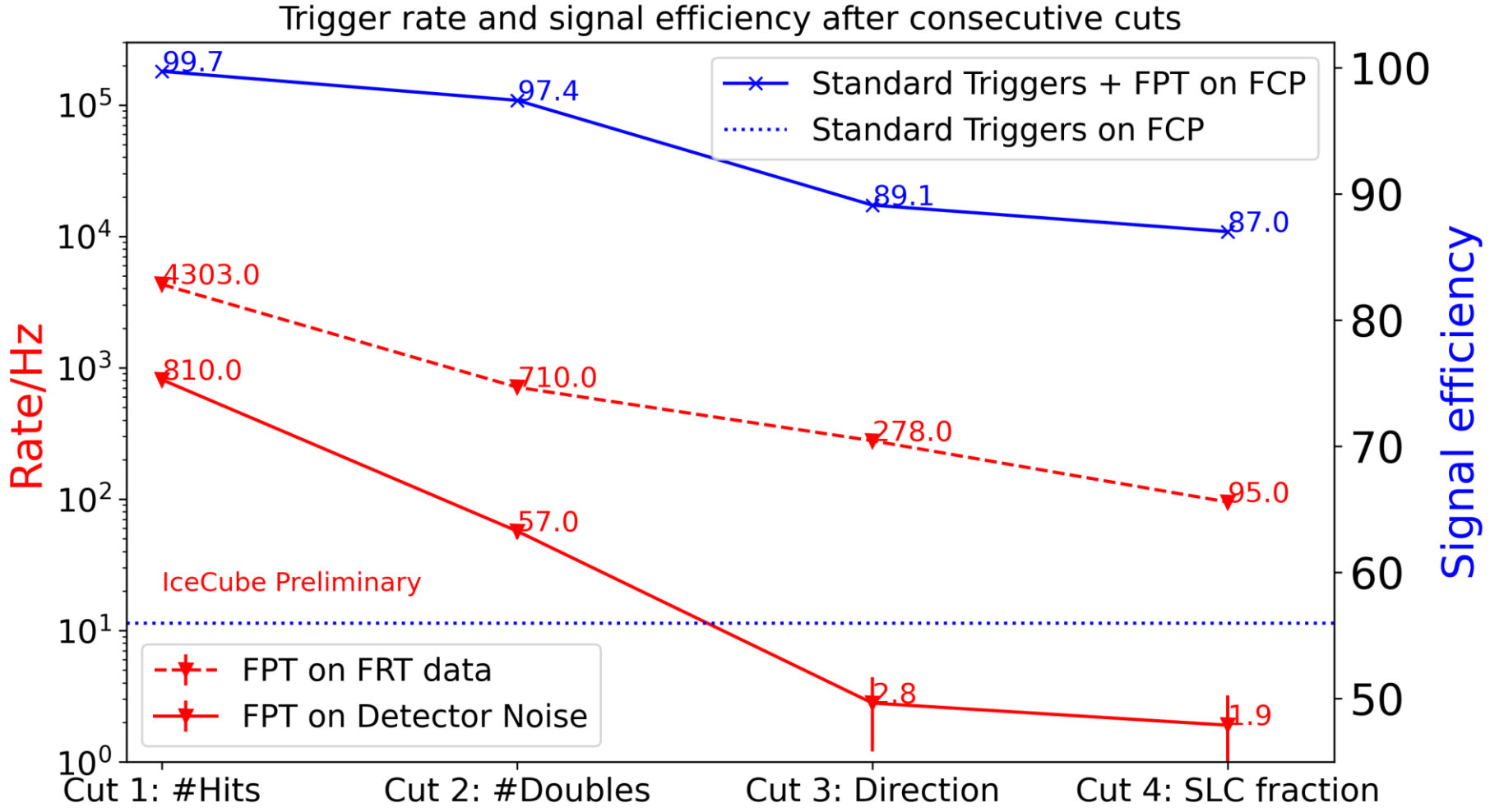


# Cut 4

- Divide the number of SLC hits in the time window by the number of all hits in the time window
- Combined signal efficiency: Standard Trigger + Faint Particle Trigger
- The combined signal efficiency is “stable” up to a cut of  $>0.75$ , because additional triggered events have a high SLC fraction value and only double triggered events are lost



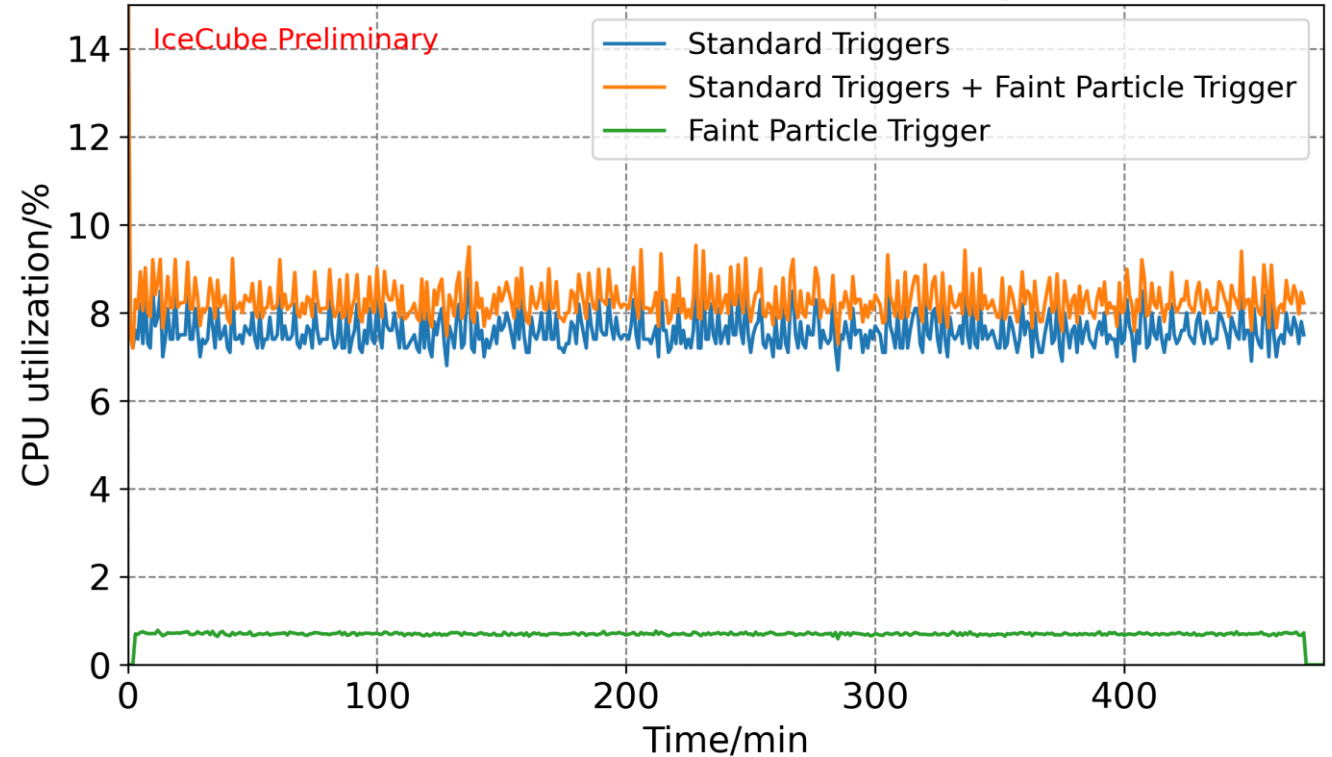
# Summary Cuts 1-4



# Performance and results

- Performance plot from South Pole Test System
- FPT consumes  $\approx 1\%$  of CPU utilization and produces additional  $\approx 3.4$  GB of data per day
- At the South Pole  $\approx 1$  TB of triggered data are saved and  $\approx 100$  GB of filtered data are transferred via satellite per day
- The signal efficiency for FCP is improved by a factor of  $\approx 1.55$  while increasing the event rate by  $\approx 1.004$

8h Run on the South Pole Test System



Trigger configuration	Signal efficiency FCP [%]	Event rate [Hz]	Additional data [GB/day]
Standard Trigger	$56 \pm 1$	$2784.0 \pm 0.3$	
Standard Trigger + FPT	$87 \pm 1$	$2793.9 \pm 0.3$	3.4

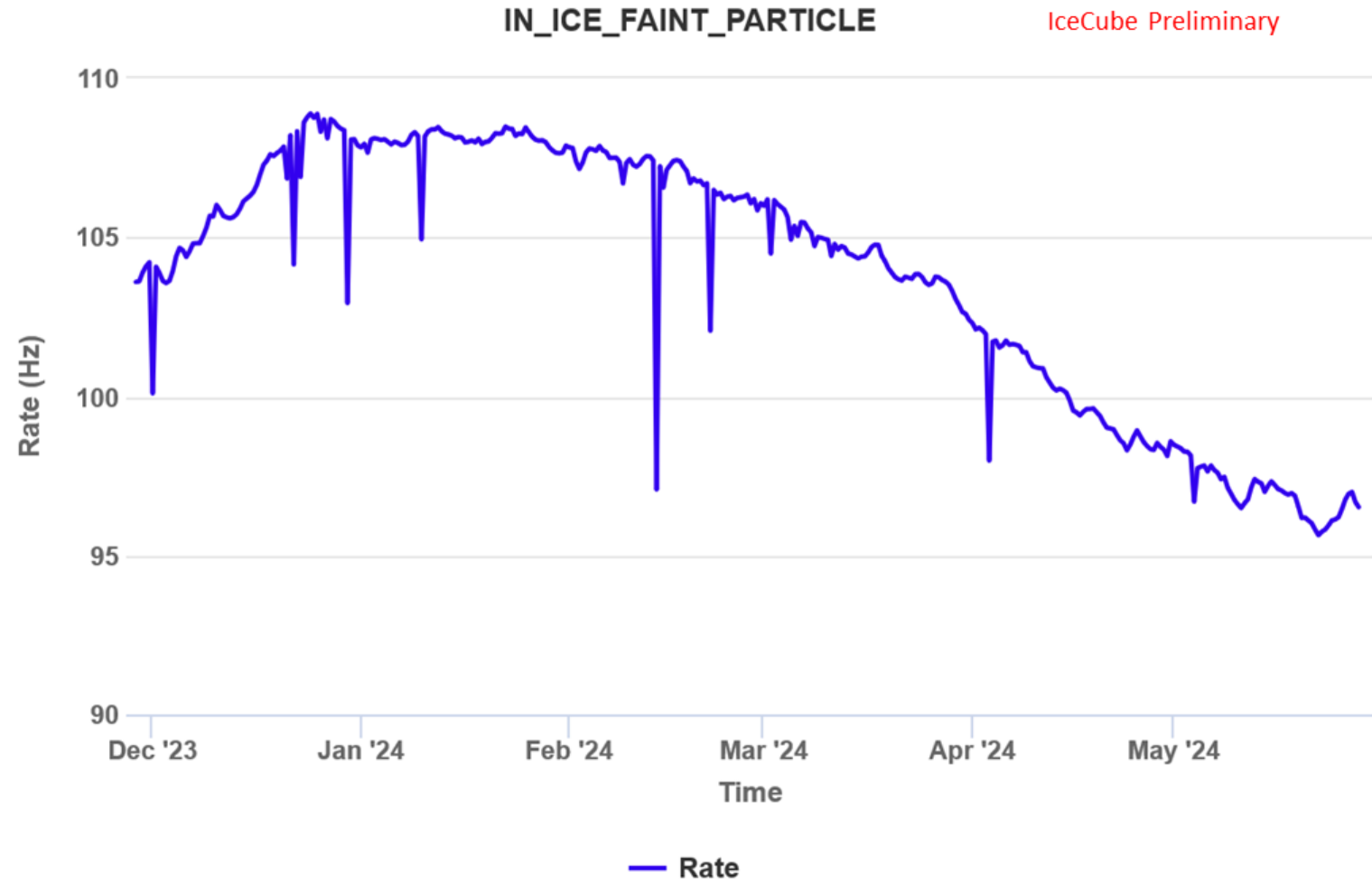
# Result on low energy neutrinos

- Applied the trigger to low energy neutrino simulations in DeepCore
- A:  $1 \text{ GeV} \leq \text{Energy} < 4 \text{ GeV}$
- B:  $4 \text{ GeV} \leq \text{Energy} < 12 \text{ GeV}$
- C:  $12 \text{ GeV} \leq \text{Energy} < 100 \text{ GeV}$
  
- Analyses using low energy neutrinos will include the new events in their selections

Flavor and energy	Relative signal efficiency increase
$\nu_{e,A}$	$1.11 \pm 0.02$
$\nu_{e,B}$	$1.18 \pm 0.02$
$\nu_{e,C}$	$1.10 \pm 0.01$
$\nu_{\mu,A}$	$1.11 \pm 0.02$
$\nu_{\mu,B}$	$1.15 \pm 0.01$
$\nu_{\tau,B}$	$1.14 \pm 0.02$
$\nu_{\tau,B}$	$1.15 \pm 0.01$

# Trigger rate

- The FPT is online since November 28 2023
- $\approx 10\%$  correspond to events that are only triggered by the FPT
- The trigger rate trend aligns with the trend of the main triggers
- Correlated to seasonal variations of the atmospheric temperature



# Processing

- The processing of FPT events will reduce the rate by approximately one order of magnitude
- The final steps apply cleaning and reconstruction algorithms to the remaining events
  - For SLC dominated events existing cleaning algorithms had to be adjusted
  - Several cleaning methods were compared
  - Comparison of existing reconstruction algorithms and other machine learning based approaches are currently conducted

# Summary

- The FPT was developed, tested and is running at South Pole since November 2023
- It significantly improves the signal efficiency for FCP while increasing the event rate by  $\approx 0.5\%$
- Additional low energy neutrinos are triggered with a relative signal efficiency increase up to 1.18

# Outlook

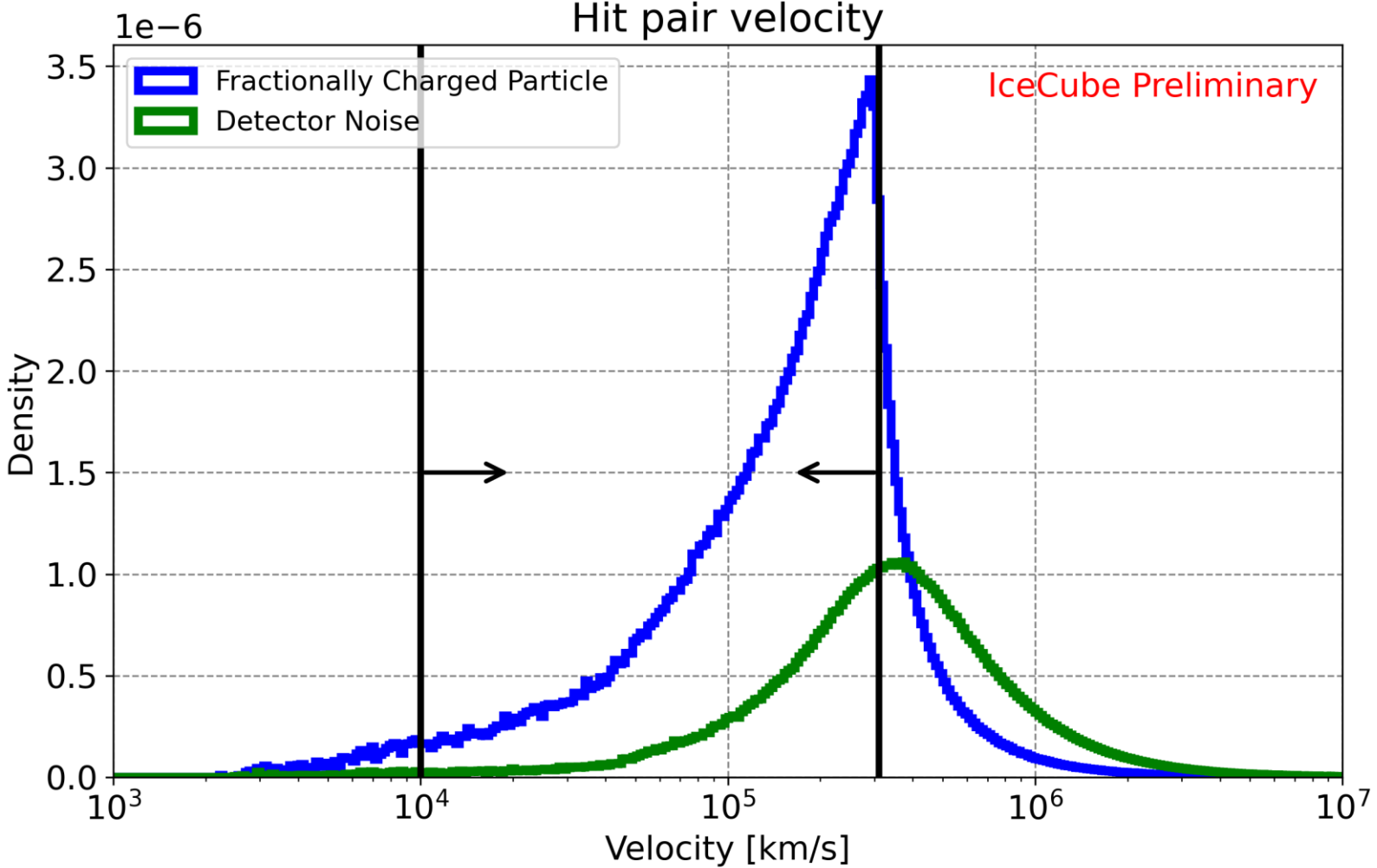
- Finalize the reconstruction algorithms for the new events
- Use new events in BSM and low energy analyses

# Backup

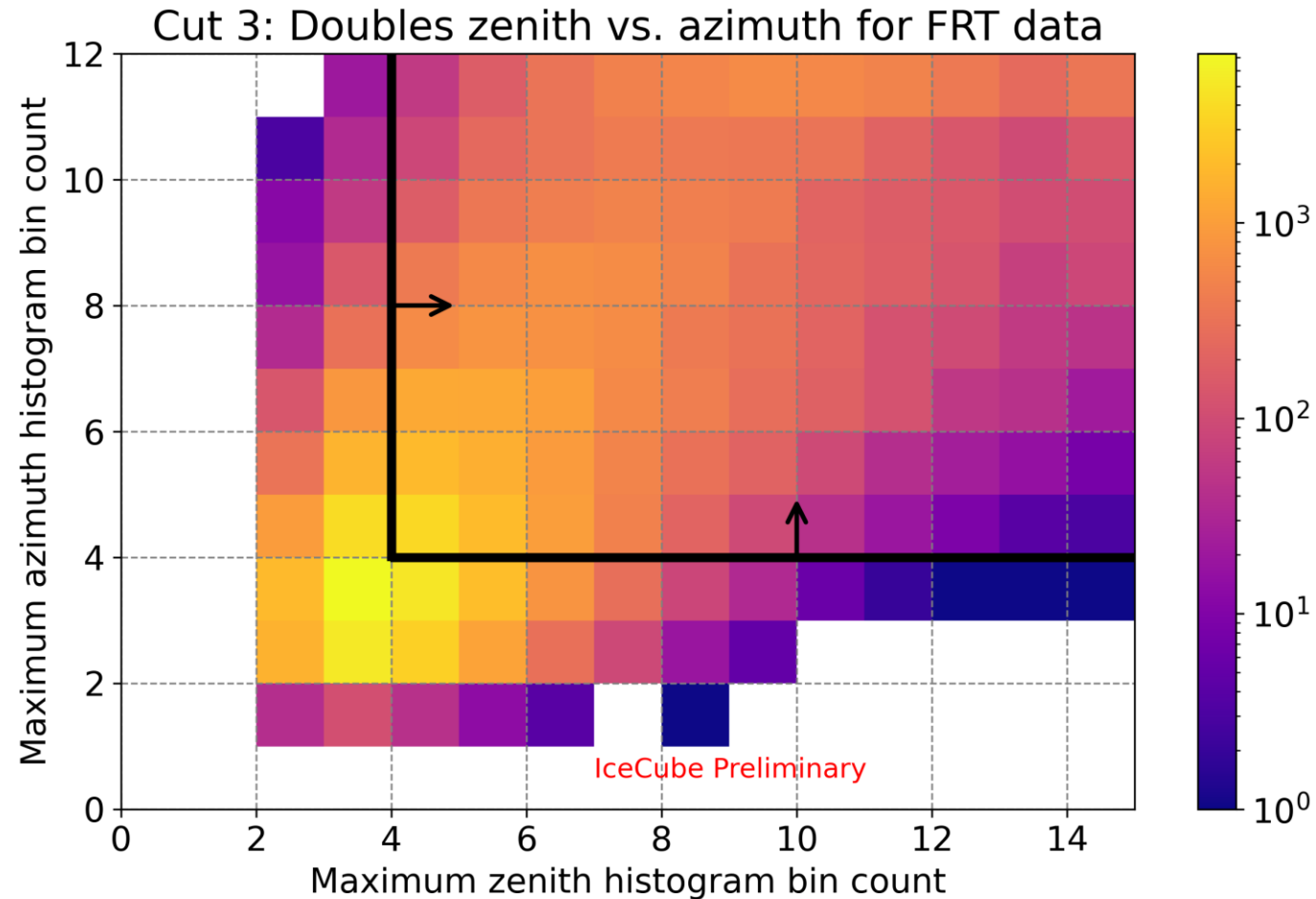




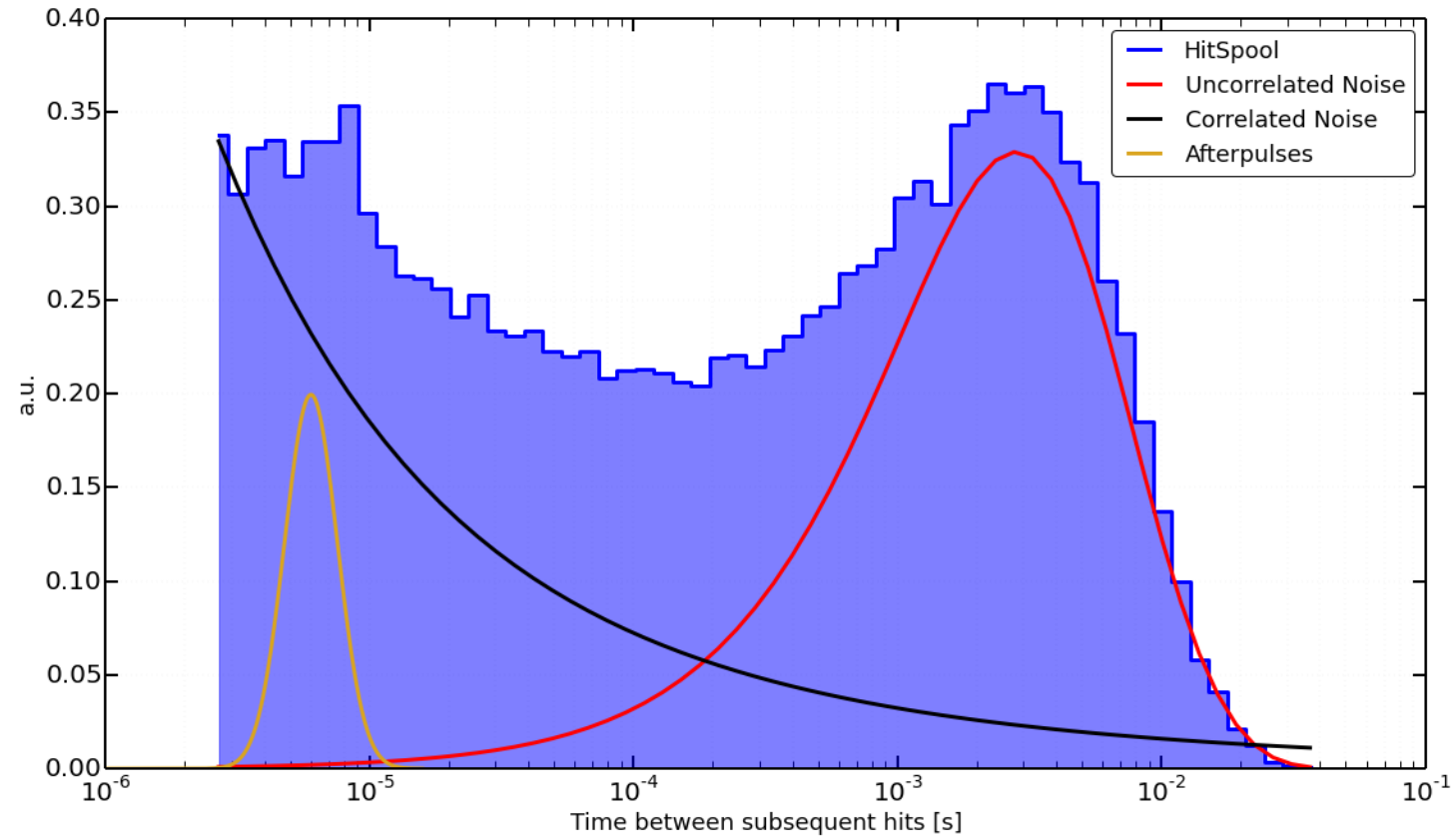
# Hit pair velocity



# Cut 3 for FRT data



# Noise components



Noise Component	Origin	Distribution	Parameters
Afterpulses	PMT	Gaussian	$\mu = 6 \mu\text{s}$ $\sigma = 2 \mu\text{s}$
Uncorrelated	Thermal noise Radioactive Decay	Poissonian	$\lambda \sim 250 \text{ Hz}$
Correlated	Luminescence (?)	Log-normal	$\mu = -6[\log_{10}(\frac{\Delta T}{s})]$ $\sigma = 0.85[\log_{10}(\frac{\Delta T}{s})]$