FIRST MEASUREMENT OF ANTIPROTON PRODUCTION IN p-He COLLISIONS AT THE AMBER EXPERIMENT AT CERN

Davide Giordano On behalf of the AMBER collaboration 19.07.2024

Apparatus for Meson and Baryon **Experimental Research**

Dark Matter detection

3 COMPLEMENTARY ways to probe the particle nature of Dark Matter

Dark Matter detection - indirect

 $\chi \chi \leftrightarrow ll$, qq, ...

Decays into SM particles: we can detect them! The questions are: Where, What and How?

Cosmic rays

Multi-messenger CR fluxes measured by experiments are a powerful tool to test propagation models and dark matter hypotheses.

Few channels are considered "golden-probe":

- Low-energy (anti-)nuclei (low statistic, low background)
- **Antiprotons** (high statistics, high background)

Antiproton production

Antiproton production

Antiproton production

$$
\frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \left(D_{xx} \vec{\nabla} \psi - \vec{V} \psi \right)
$$
\nFull pr

\n
$$
+ \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi
$$
\ncondition

ropagation equation ally solved in stationary condition $\frac{d\Psi}{dt}=0$

$$
\frac{\partial \psi(\vec{r}, p, t)}{\partial t} = \underbrace{\left(q(\vec{r}, p, t)\right)}_{\text{F}} + \underbrace{\vec{\nabla} \cdot \left(D_{xx} \vec{\nabla} \psi - \vec{V} \psi\right)}_{\text{F}} + \underbrace{\frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[p\psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi\right]}_{\text{F}} - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi \quad \text{or}
$$

Full propagation equation Typically solved in stationary condition $\frac{d\Psi}{dt}=0$

$$
\frac{\partial \psi(\vec{r}, p, t)}{\partial t} = \underbrace{q(\vec{r}, p, t)}_{\text{Divically solved in stationary}} + \underbrace{\frac{\partial}{\partial p} p \left\{ D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi}_{\text{pure primary CR source term}}
$$
\n
$$
q_i(\boldsymbol{x}, p) = q_i(r, z, R) = q_{0,i} q_{r,z}(r, z) q_R(R)
$$
\n
$$
R = pc/Ze
$$
\n
$$
q_R(R) \propto (R)^{-\alpha}
$$

$$
\frac{\partial \psi(\vec{r}, p, t)}{\partial t} + \frac{\partial}{\partial p} p \left\{ D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left[\dot{p} \psi - \frac{p}{3} (\vec{\nabla} \cdot \vec{V}) \psi \right] - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi \quad \text{condition } \frac{d\psi}{dt} = 0
$$
\n
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\text{Pure primary CR source term}
$$
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Pure secondary CR source term (e.g. antiprotons)

$$
q_{ij}(T_s) = \int_{T_{\text{th}}}^{\infty} dT_i \ 4\pi \ n_{\text{ISM},j} \ \phi_i(T_i) \ \frac{d\sigma_{ij}}{dT_s} (T_i, T_s)
$$

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$$
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$$
Full propagation equation
Typically solved in stationary
conditionary
Our primary CR source term

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$$
\n
$$
i + j \to s + X
$$
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$$
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12

Antiproton production cross section

The AMBER experiment @CERN

In 2019 the AMBER collaboration proposes to establish a "New QCD facility at the M2 beam line of the CERN SPS" (LoI: http://arxiv.org/abs/1808.00848).

- proton radius measurement
- proton-induced antiprotons production cross sections for dark matter searches
- pion induced Drell-Yan process

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 \sim 2 months of data taking

Collected beam momenta **@60, 80, 100, 160, 190, 250 GeV/c**

Minimum bias trigger: beam trigger with veto on non-scattered beam particle

- Located @EHN2 \rightarrow fixed target layout
- 400 GeV/c primary proton beam from SPS impinges on production target T6
- secondary beam collected (hadrons, muons or electrons) at 60-250 GeV/c
- beam PID: two CEDAR (Cherenkov light based) detectors

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(Hadron absorber)

 \approx 330 m

 $\approx 100 \text{ m}$

or $p \pi^+ K^+$ Target

• beam PID: two CEDAR (Cherenkov light based) detectors

 ≈ 600 m

 $p \pi^+ K^+$

 $\bar{p} \pi^- K$ \approx 100 m

 400 GeV Be

 p beam

from SPS

- Located @EHN2 \rightarrow fixed target layout
- 400 GeV/c primary proton beam from SPS impinges on production $\mathbb{R}_{\geq 0}$ target T6

Expected fraction of protons in the beam is ~75%

Proton signal well separated from pions and kaons

By selecting the top right region (PMT multiplicities >6 in CEDAR1 and CEDAR2) we get ~73 %

Resulting tagging efficiency of ~96% @190 GeV/c

The AMBER experiment @CERN – layout in 2023

- Muon filter
- ECAL

• ECAL

The AMBER experiment @CERN – layout in 2023

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$$
\frac{d\sigma}{dpdp_T} (p + He \rightarrow \bar{p} + X)
$$

 $d\sigma$ $\text{d}p\text{d}p_\text{T}$ $(p + He \rightarrow \overline{p} + X)$

Alignment + reconstruction:

• > 200 tracking planes to align

Reconstructed interaction vertices in the target region

RICH-1: final state hadrons PID

The PID method relies on an extended maximum likelihood approach, based on the parametrization of the expected Cherenkov angle and the position of collected photons

$$
\mathcal{L}_M = \exp\left[-\left(S_M + B\right)\right] \prod_{j=1}^N f_M\left(\theta_j, \varphi_j\right) \qquad S_m = \int s_m(\theta, \varphi) d\theta \, d\varphi
$$

$$
f_M(\theta, \varphi) = s_M(\theta, \varphi) + b(\theta, \varphi)
$$

$$
s_M(\theta_j, \varphi_j) = \frac{S_0}{\sigma_{\theta j} \sqrt{2\pi}} \exp\left[-\frac{1}{2} \frac{(\theta_j - \Theta_M)^2}{\sigma_{\theta j}^2}\right] \varepsilon_D(\theta_j, \varphi_j)
$$

20 20 10

 K^-

 $\boldsymbol{\pi}$ −

60

55

50

45

40

35

30

25

 θ_{CH} [mrad]

 10^{-1}

 10^{-2}

 10^{-3}

80

 p [GeV/ c]

60

70

The PID method relies on an extended maximum likelihood approach, based on the parametrization of the expected Cherenkov angle and the position of collected photons

AMBER preliminary p − He $\omega \sqrt{s_{NN}} = 18.9$ GeV

 $\boldsymbol{\widetilde{D}}$

30

40

50

3 momentum intervals:

RICH-1: final state hadrons PID

Relative statistical error on antiproton spectra

A preliminary unfolding shows that we collected ~6million antiprotons in

- p [10, 60] GeV/c
- p_T [0, 2] GeV/c

Statistical errors in most bins < 1%

Leading systematic errors expected from:

- **Luminosity**
- RICH unfolding

Antiproton production – decays

$$
f = f_{\bar{p}}^0 \left(2 + \Delta_{\rm IS} + 2\Delta_{\Lambda} \right)
$$

$$
q_{ij}(T_s) = \int_{T_{\text{th}}}^{\infty} dT_i \ 4\pi \ n_{\text{ISM},j} \ \phi_i(T_i) \frac{d\sigma_{ij}}{dT_s}(T_i, T_s)
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Antiproton production – decays

 $f = f_{\bar{p}}^0 (2 + \Delta_{\text{IS}} + 2\Delta_{\Lambda})$

https://doi.org/10.1016/S0927-6505(01)00107-4

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Production asymmetry $p\bar{n}/\bar{p}n$

Antiproton production – decays

Data 2024 – just finished collecting!

This year running with 2 targets

1. liquid Hydrogen

2. liquid deuterium With beam momenta @80,160,250 GeV/c

The data collected at the same energy with the different targets let us calculate the production rates in p-p and p-D that may confirm or not the presence of an isospin asymmetry.

In both cases, the error will be reduced and directly impact the antiproton production parametrization at low energies.

- The dark matter indirect detection reached a "precision" era thanks to very precise data by experiments and more precise models in the propagation and creation of cosmic rays
- A leading uncertainty comes from the scarcity of data in the relevant reaction channels (pp and pHe) at the cosmic "scale"
- AMBER collected data on p-He in 2023 and p-H / p-D in 2024. These dataset are expected to give a significant impact in the antiproton production modeling
- Preliminary results on 2023 p-He data are presented here. They show very good performance of the spectrometer and a very good coverage of the phase space with small statistical uncertainty between 10-60 GeV/c in momentum and 0-2 GeV/c in transverse momentum.

Analysis ongoing!

BACKUP

doi:10.1103/PhysRevD.96.043007 10.1103/PhysRevD.97.103019

How to add DM into CR flux interpretation

A Poor Particle Physicist Cookbook for Dark Matter Indirect Detection, Cirelli et al.

2. Choose the injection source term (don't forget the "standard" astro-production)

$$
q = \frac{1}{2} \left(\frac{\rho}{M_{\rm DM}} \right)^2 f_{\rm inj}^{\rm ann} \quad f_{\rm inj}^{\rm ann} = \sum_{f} \langle \sigma v \rangle_f \frac{dN_{\bar{p}}^f}{dE}
$$

$$
q = \left(\frac{\rho}{M_{\rm DM}} \right) f_{\rm inj}^{\rm dec} \quad f_{\rm inj}^{\rm dec} = \sum_{f} \Gamma_f \frac{dN_{\bar{p}}^f}{dE}
$$

… and decay methods $e^+_L e^-_L, e^+_R e^-_R, \mu^+_L \mu^-_L, \mu^+_R \mu^-_R, \tau^+_L \tau^-_L, \tau^+_R \tau^-_R,$ $q\bar{q}$, $c\bar{c}$, $b\bar{b}$, $t\bar{t}$, $\gamma\gamma$, gg , $W_L^+ W_L^-, W_T^+ W_T^-, Z_L Z_L, Z_T Z_T,$

 $\nu_e\bar{\nu}_e$, $\nu_\mu\bar{\nu}_\mu$, $\nu_\tau\bar{\nu}_\tau$,

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40

The 2023 p-He data sample

2 months of data taking Collected beam momenta **@60, 80, 100, 160, 190, 250 GeV/c**

Minimum bias trigger: beam trigger with veto on non-scattered beam particle

@190 GeV/c ~75% protons

The AMBER experiment @CERN – trigger in 2023

Trigger system:

- Beam trigger (BT) \rightarrow tags entering beam particles
- Beam killers (BKs) \rightarrow tags non-interacting beam particles
- VETO \rightarrow remove unwanted beam tracks (halo + divergent)

Position of beam killer optimized with simulation and intensity scan \rightarrow changes with different magnets configuration

The AMBER experiment @CERN – trigger in 2023

