



The interplay between PDF fits and heavy New Physics searches

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In collaboration with:

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Moore, Mark Costantini, Manuel
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Kassabov



European Research Council

Established by the European Commission

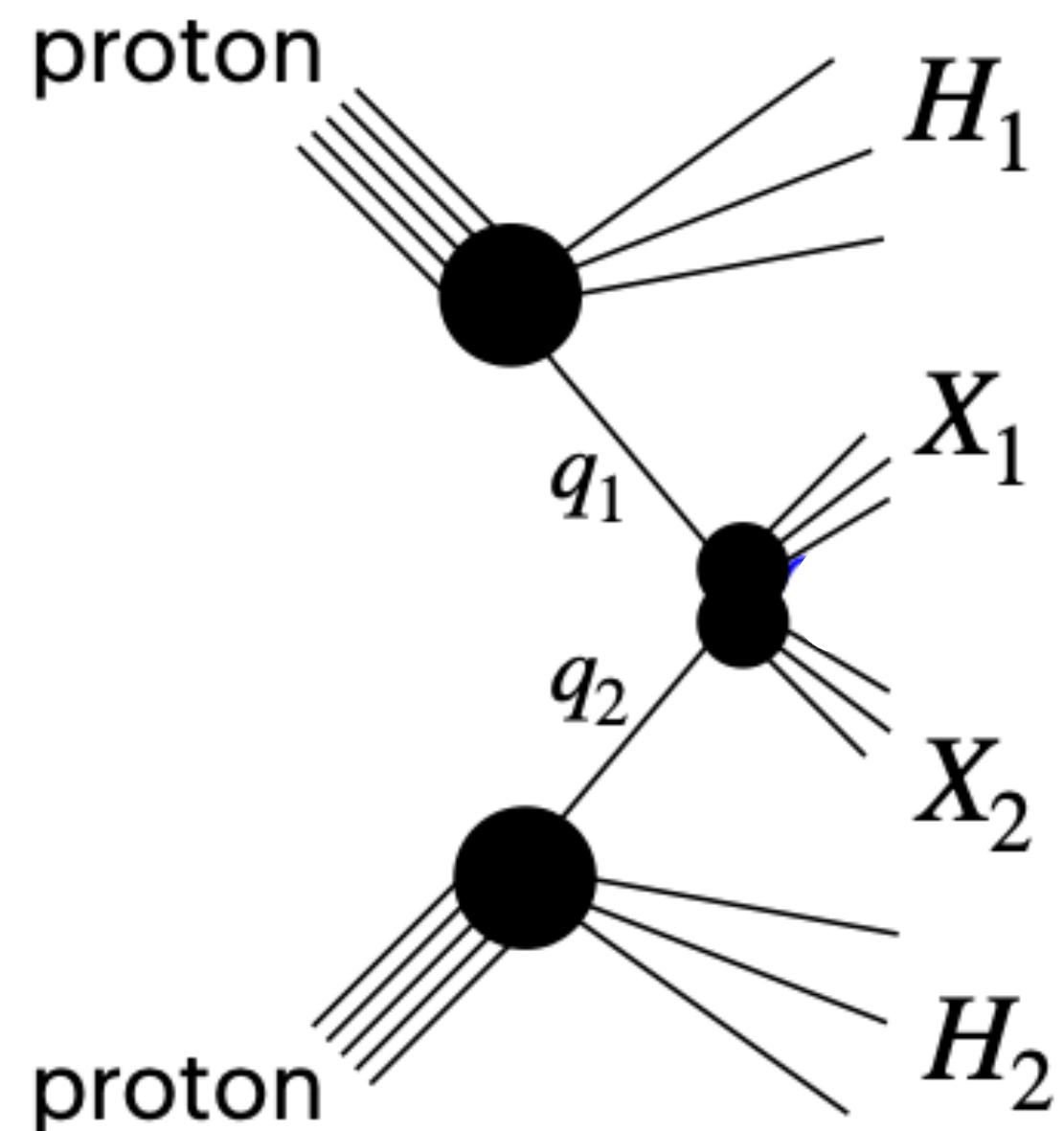
Motivation

The parton model for the proton

We search for NP at the LHC, where protons are smashed

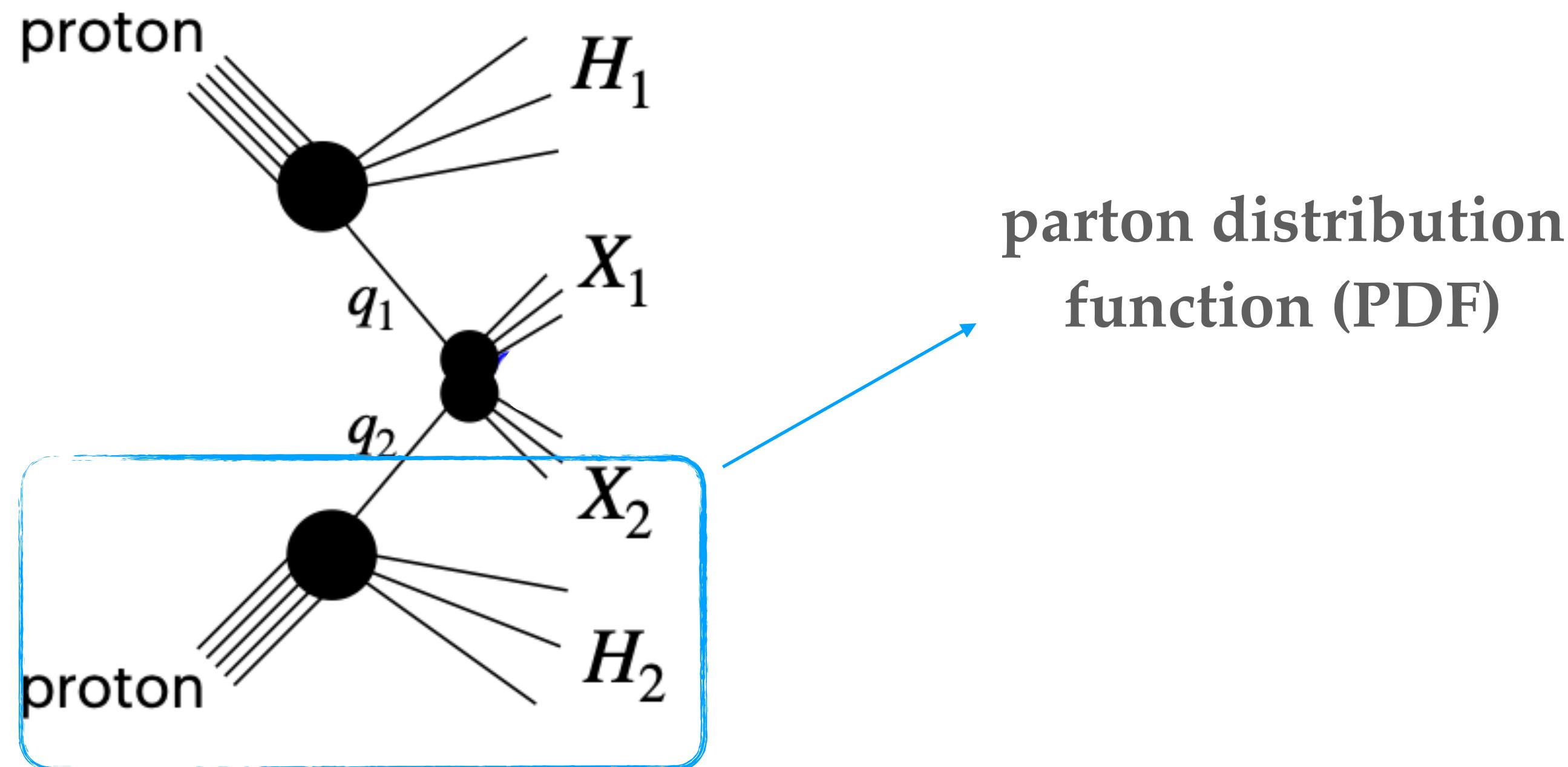
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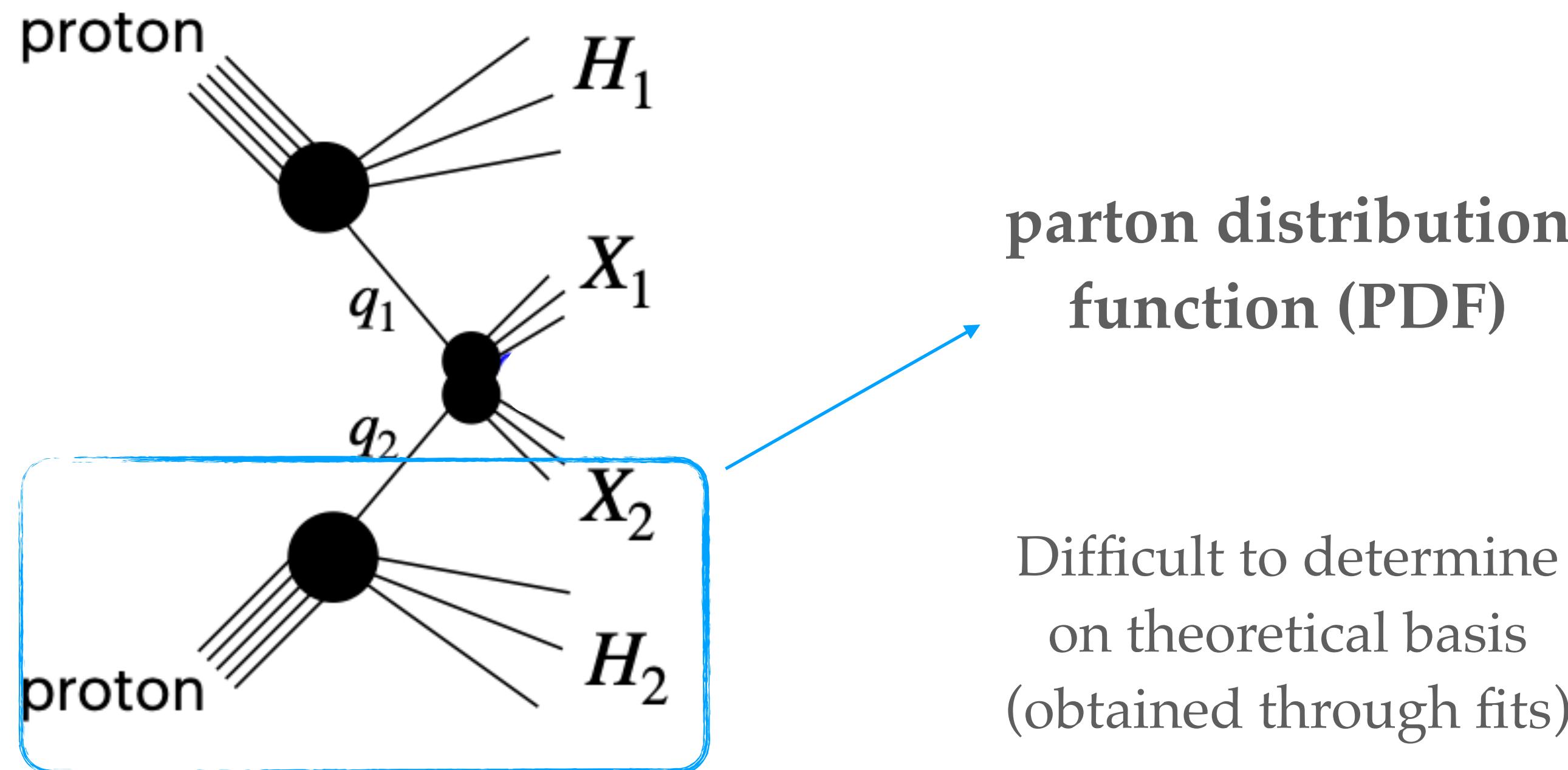
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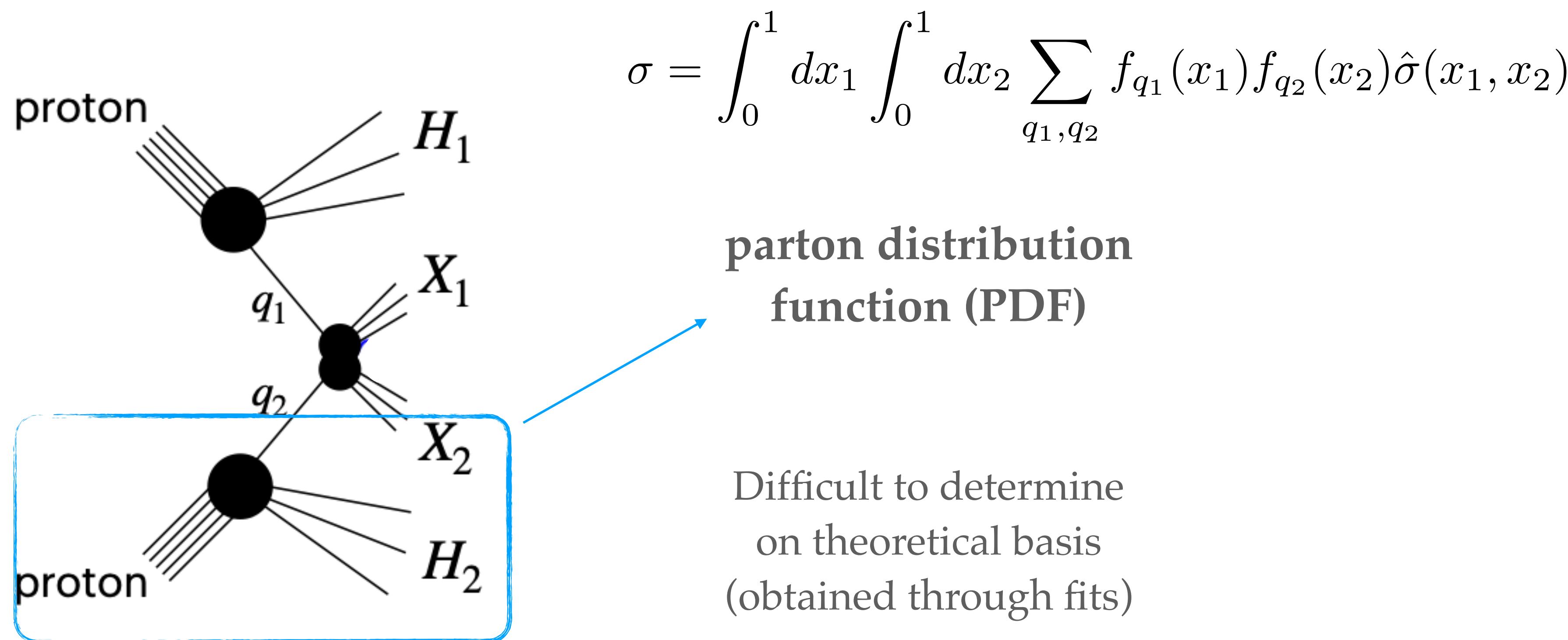
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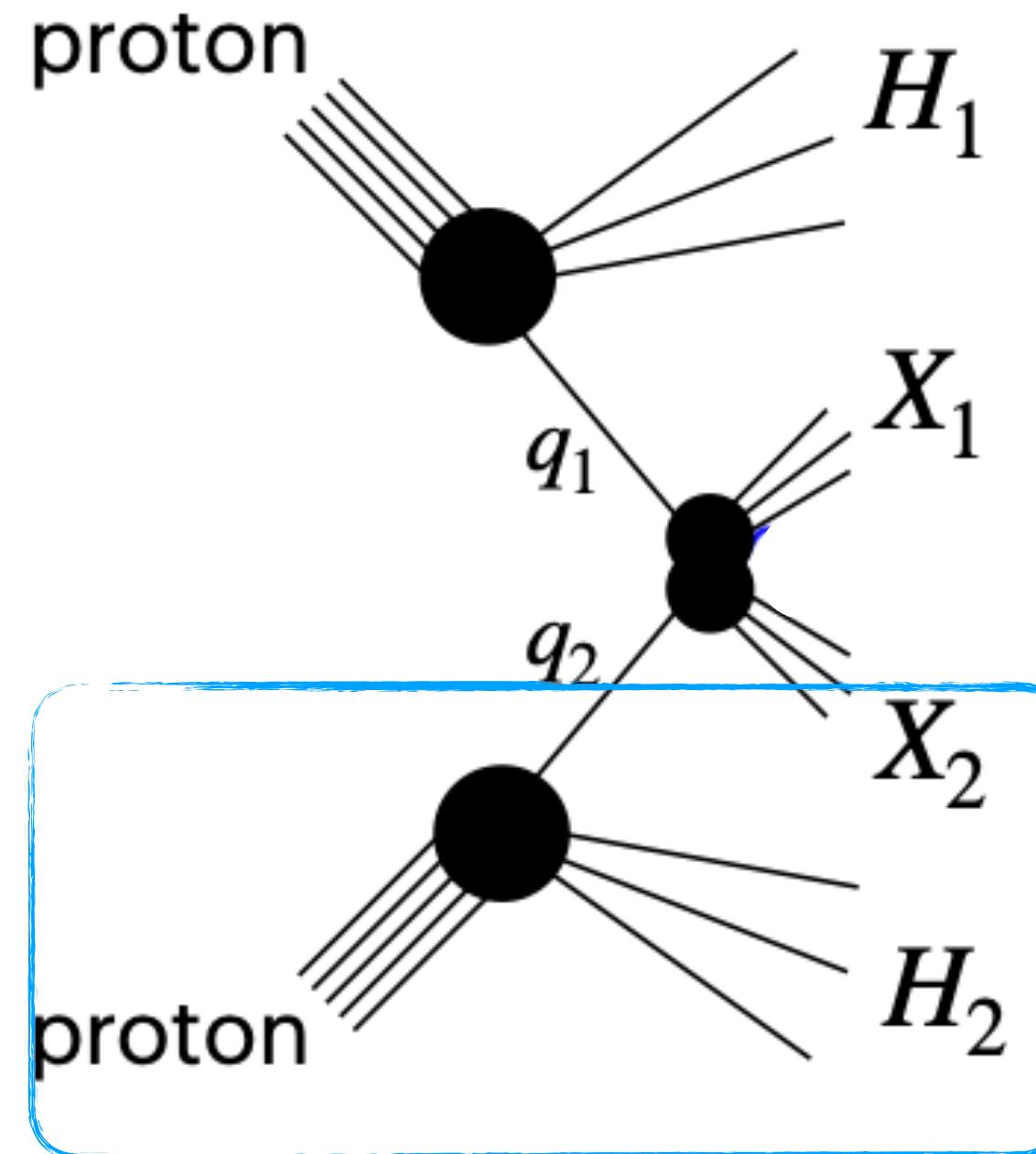
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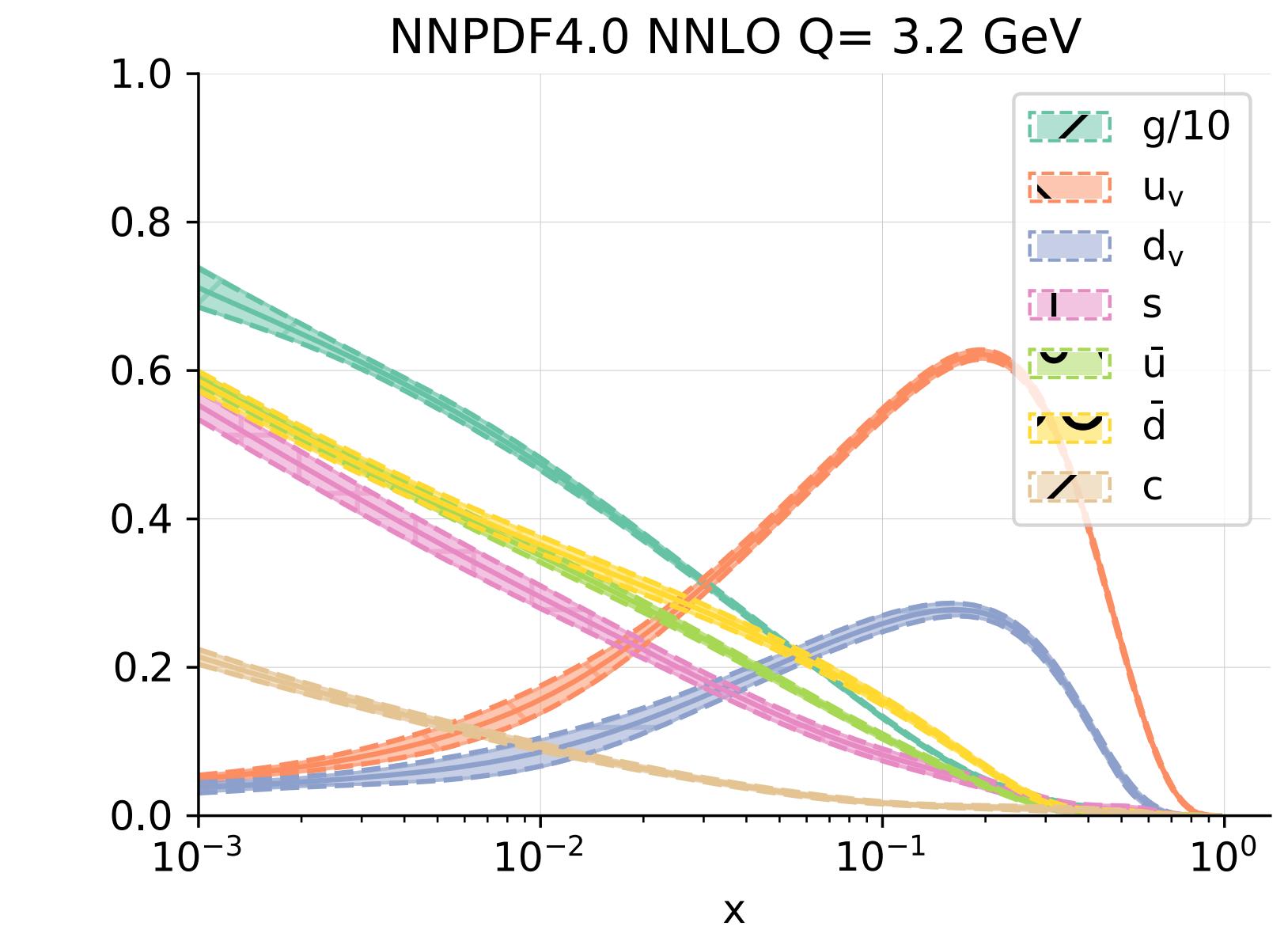
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$$\sigma = \int_0^1 dx_1 \int_0^1 dx_2 \sum_{q_1, q_2} f_{q_1}(x_1) f_{q_2}(x_2) \hat{\sigma}(x_1, x_2)$$

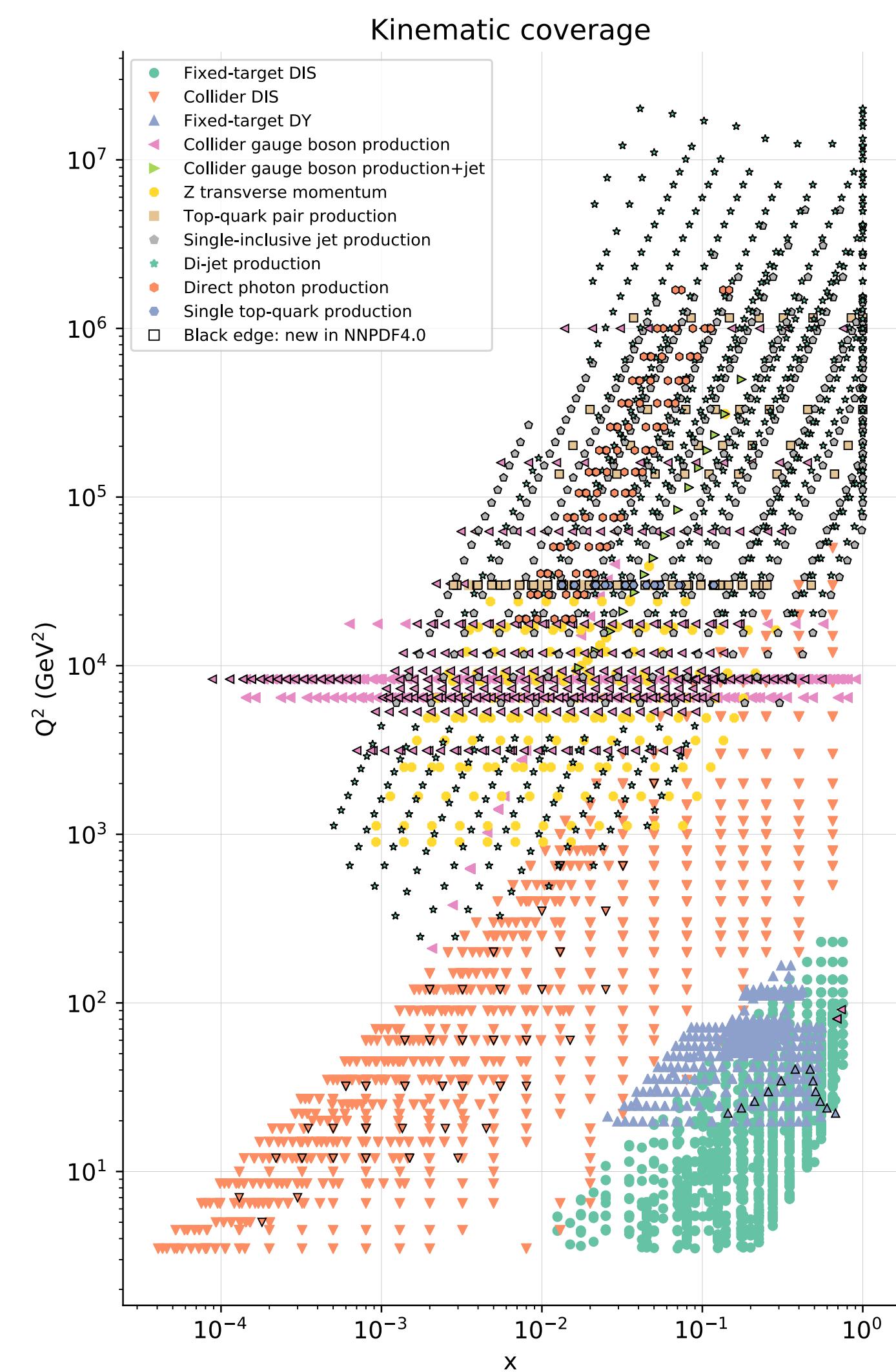
parton distribution
function (PDF)

Difficult to determine
on theoretical basis
(obtained through fits)



Ball et. al, NNPDF4.0, 2109.02653

PDF determination

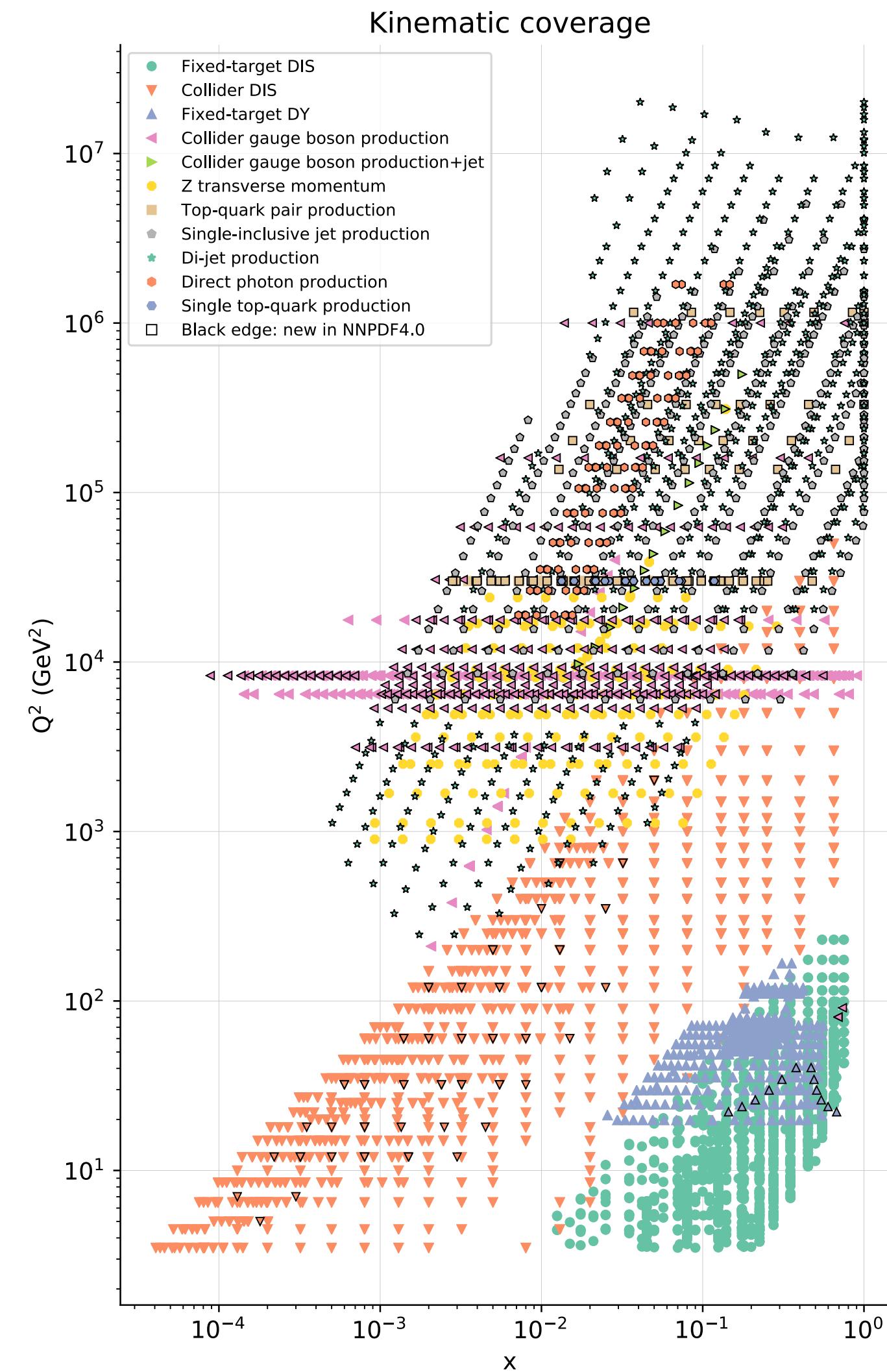


Data driven determination

Theory assumptions

Measurements

PDF determination

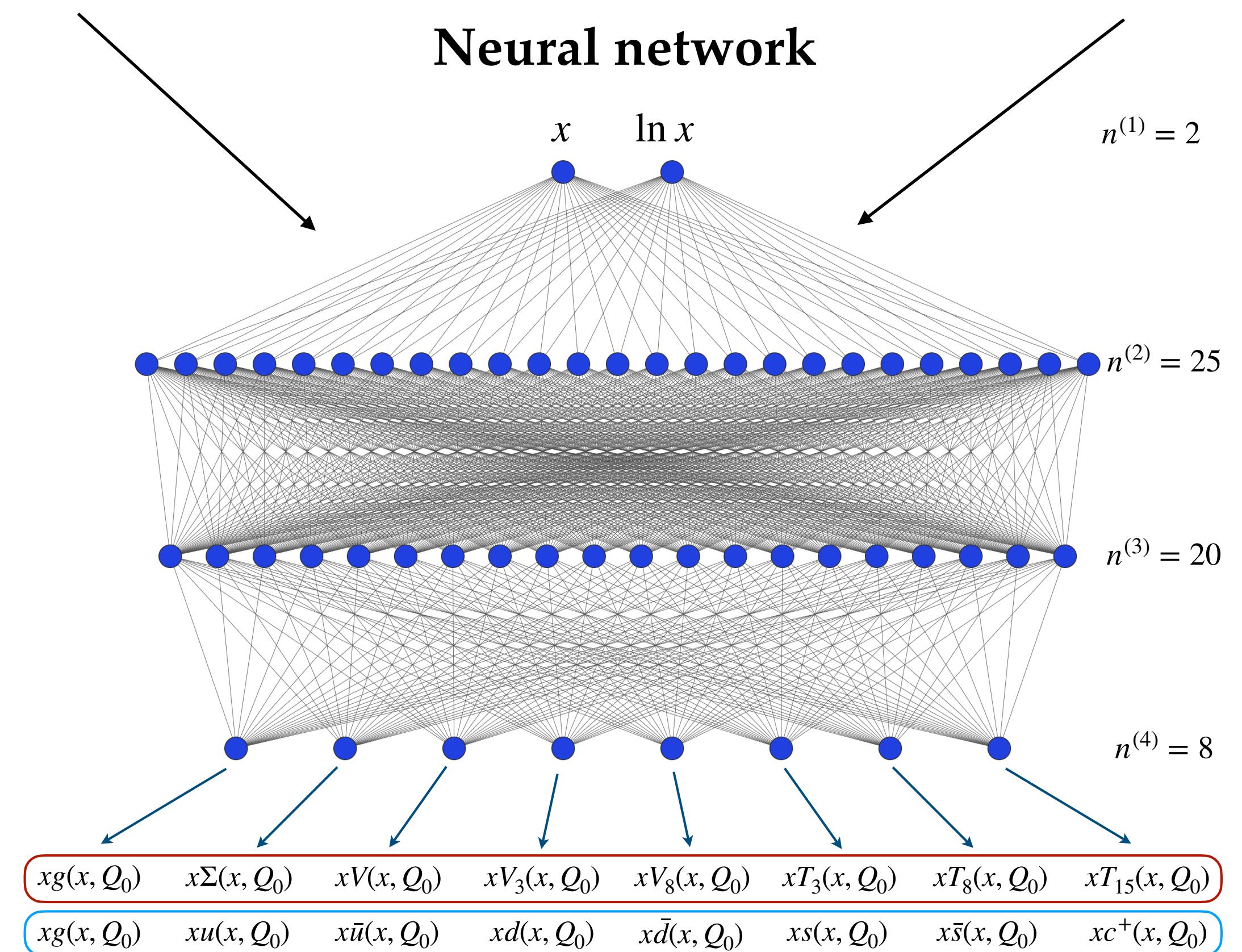


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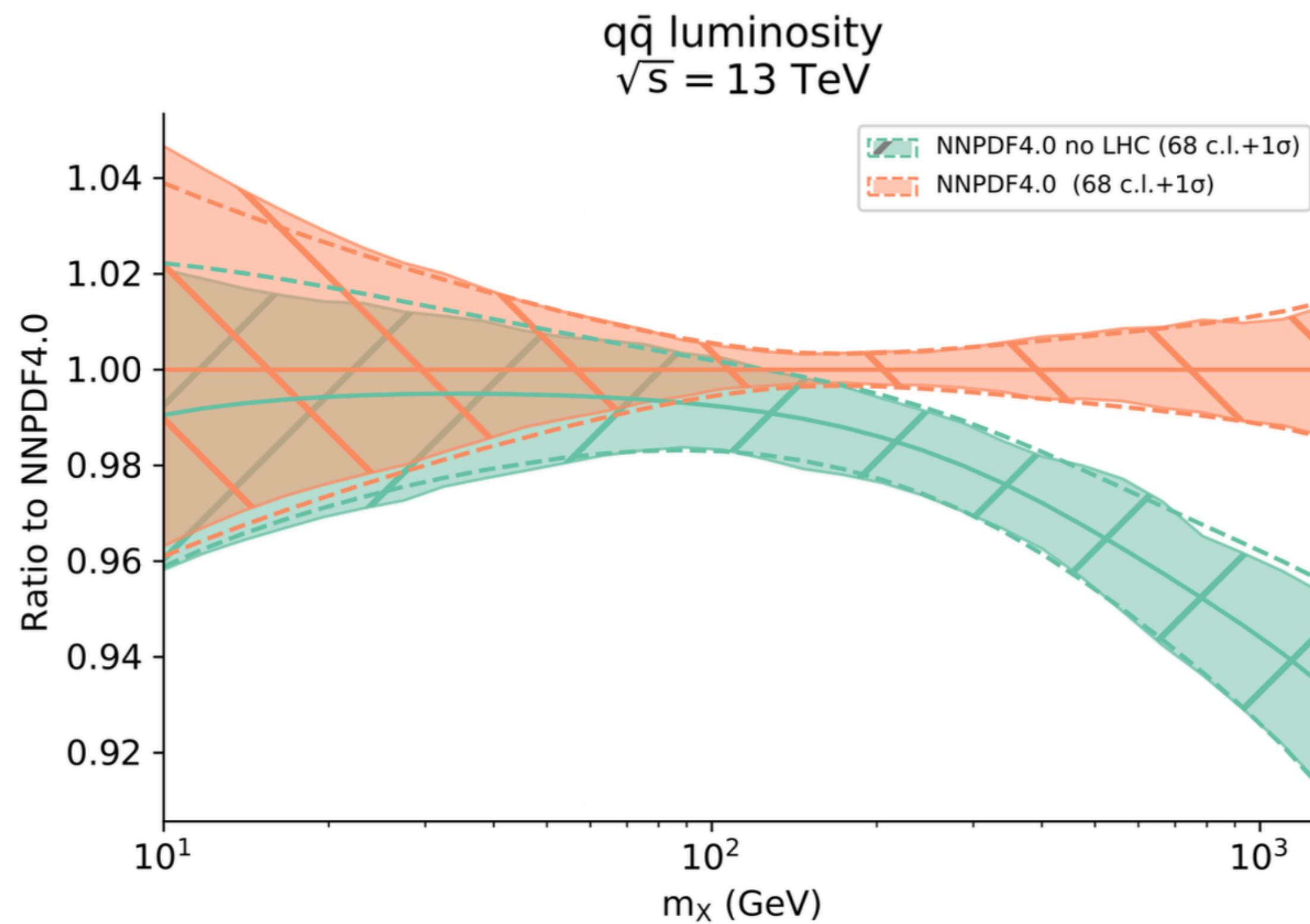
Data driven determination

Measurements

Neural network



Could PDFs conceal NP?

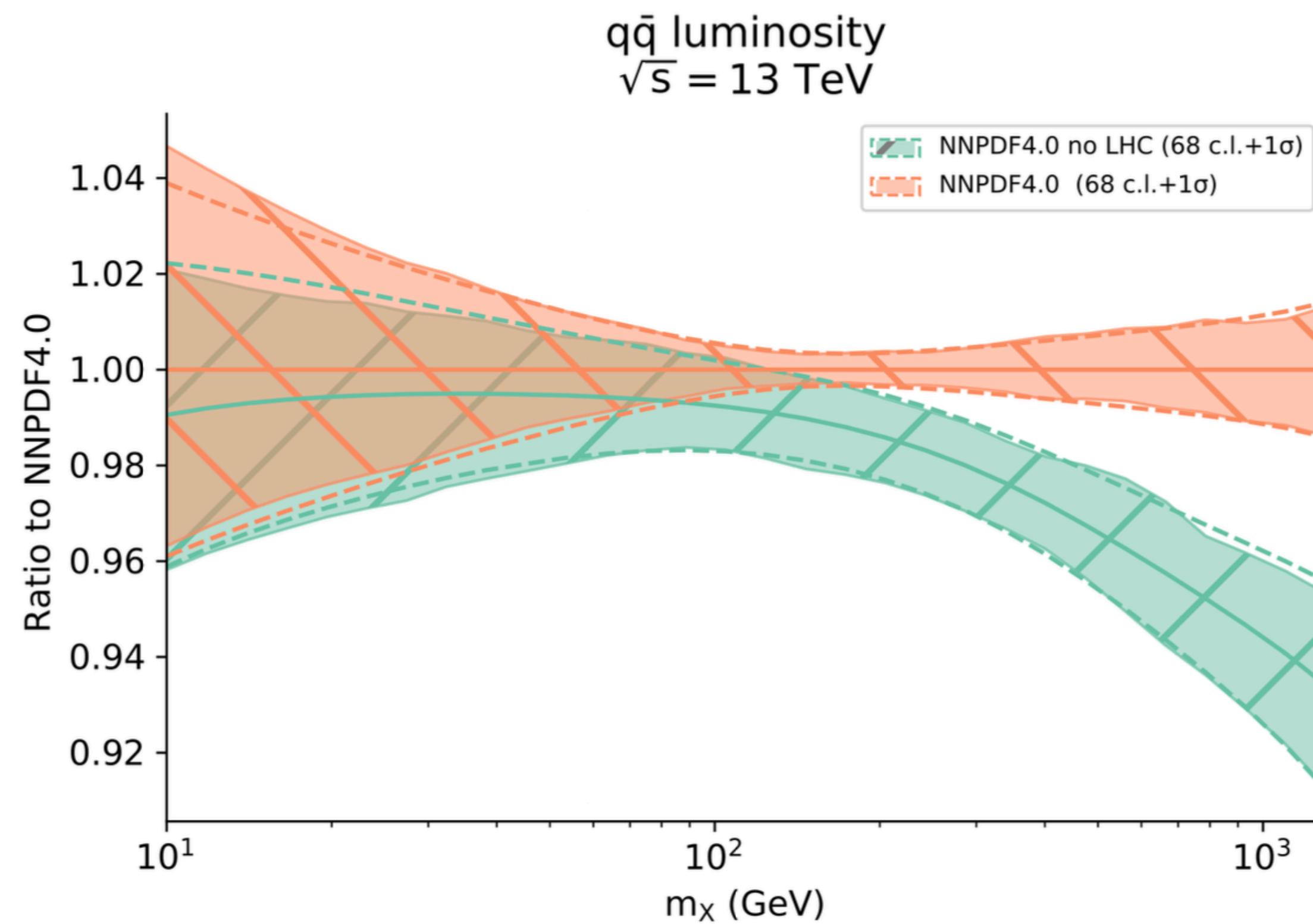


PDF parametrisation
is flexible... **extrapolation is tricky**

Central value/uncertainty
pre-LHC badly estimated

Separating datasets
for PDF and NP is not optimal

Could PDFs conceal NP?



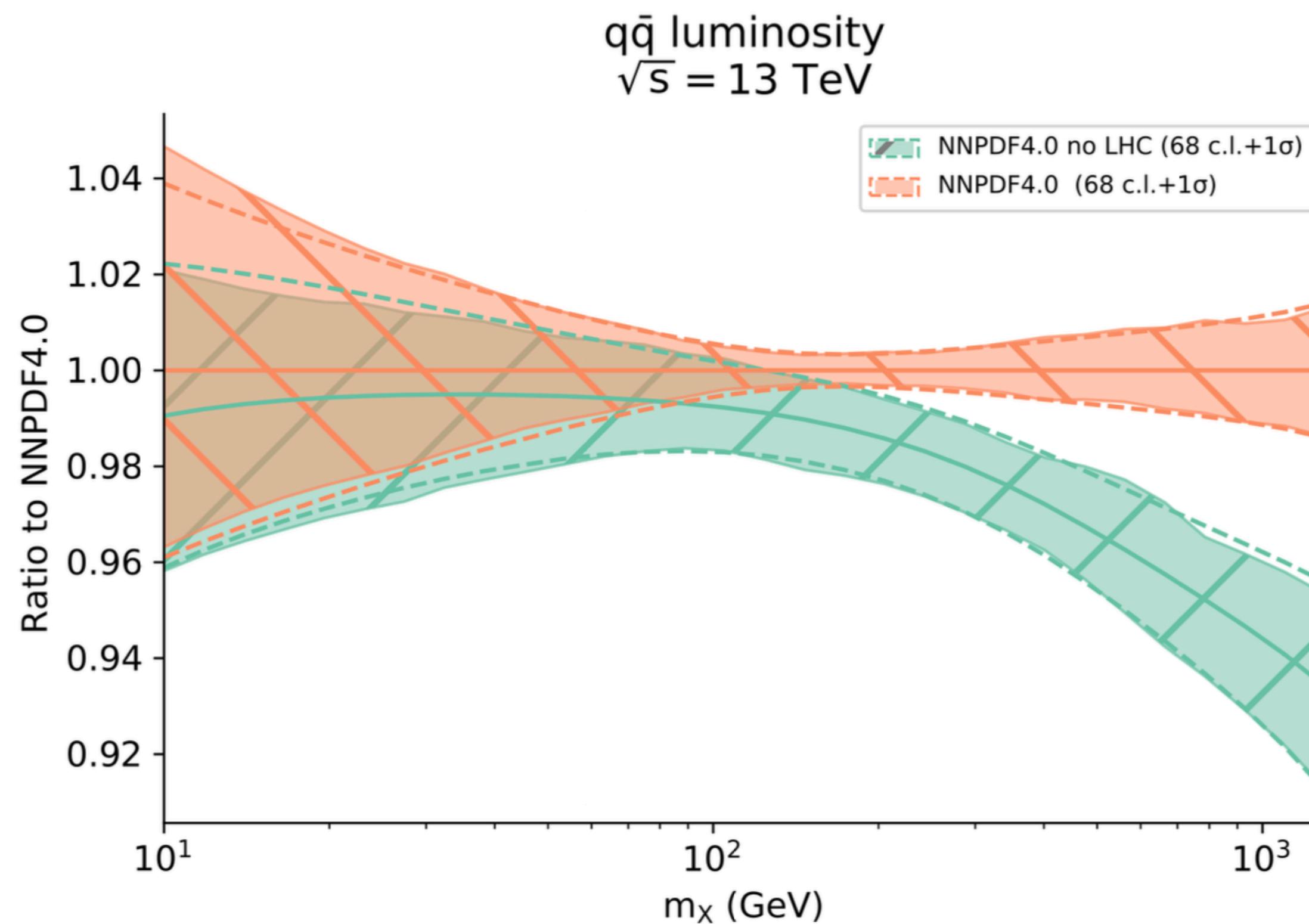
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We want to have as much kinematic coverage as possible, but...

Is it possible that NP is being absorbed in the proton?



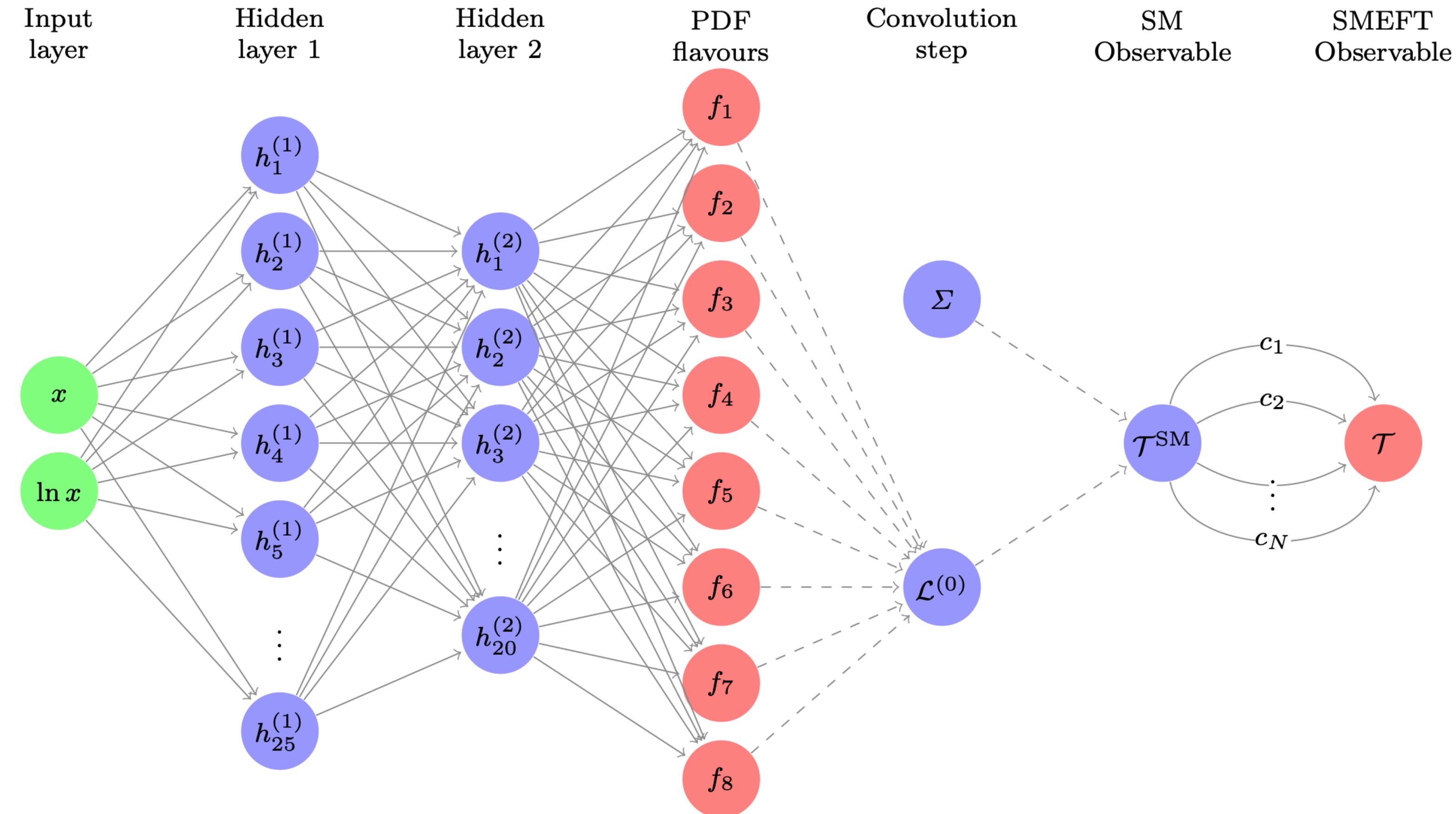
SIMUnet



An extended methodology

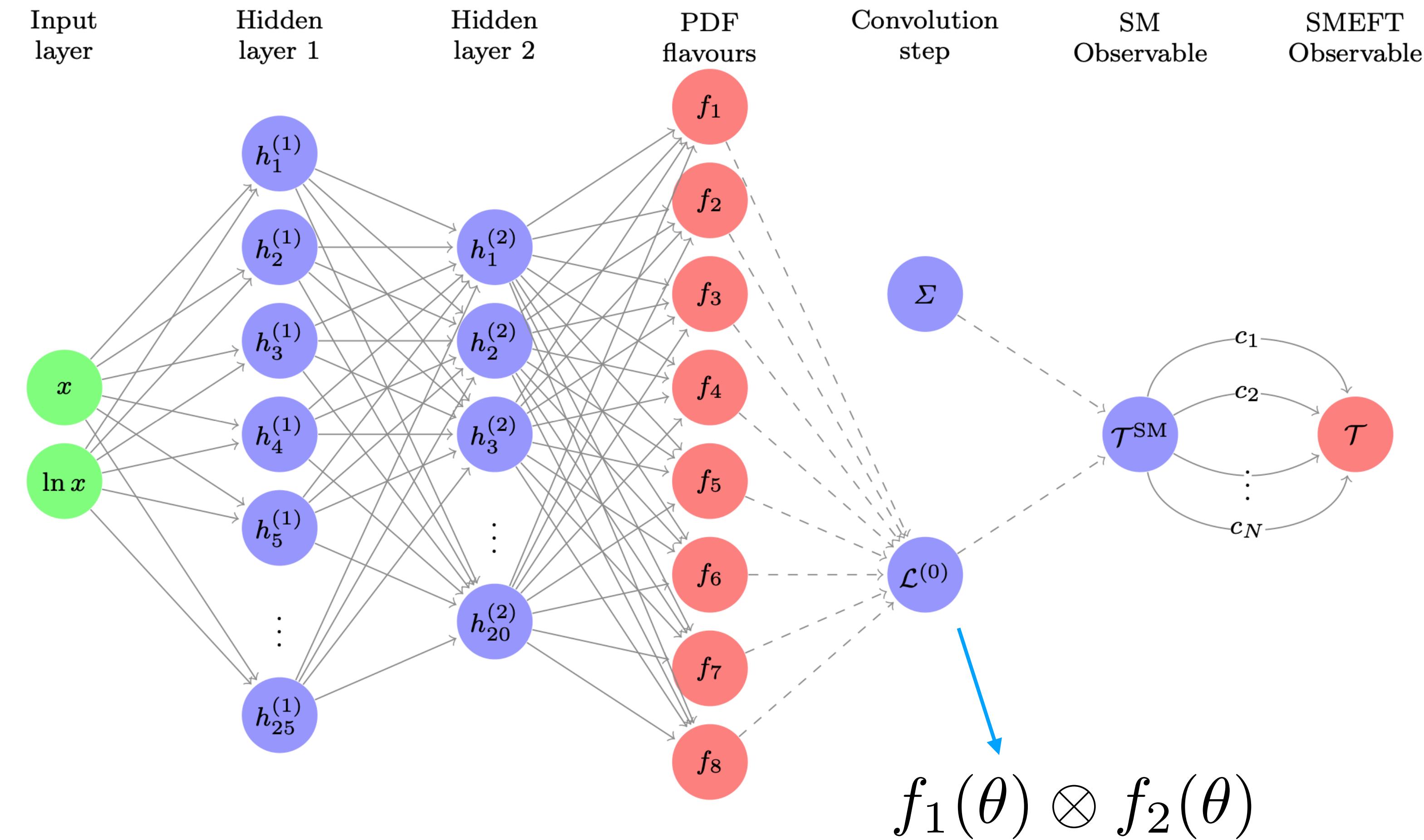
<https://github.com/HEP-PBSP/SIMUnet>

Extension of the NNPDF framework



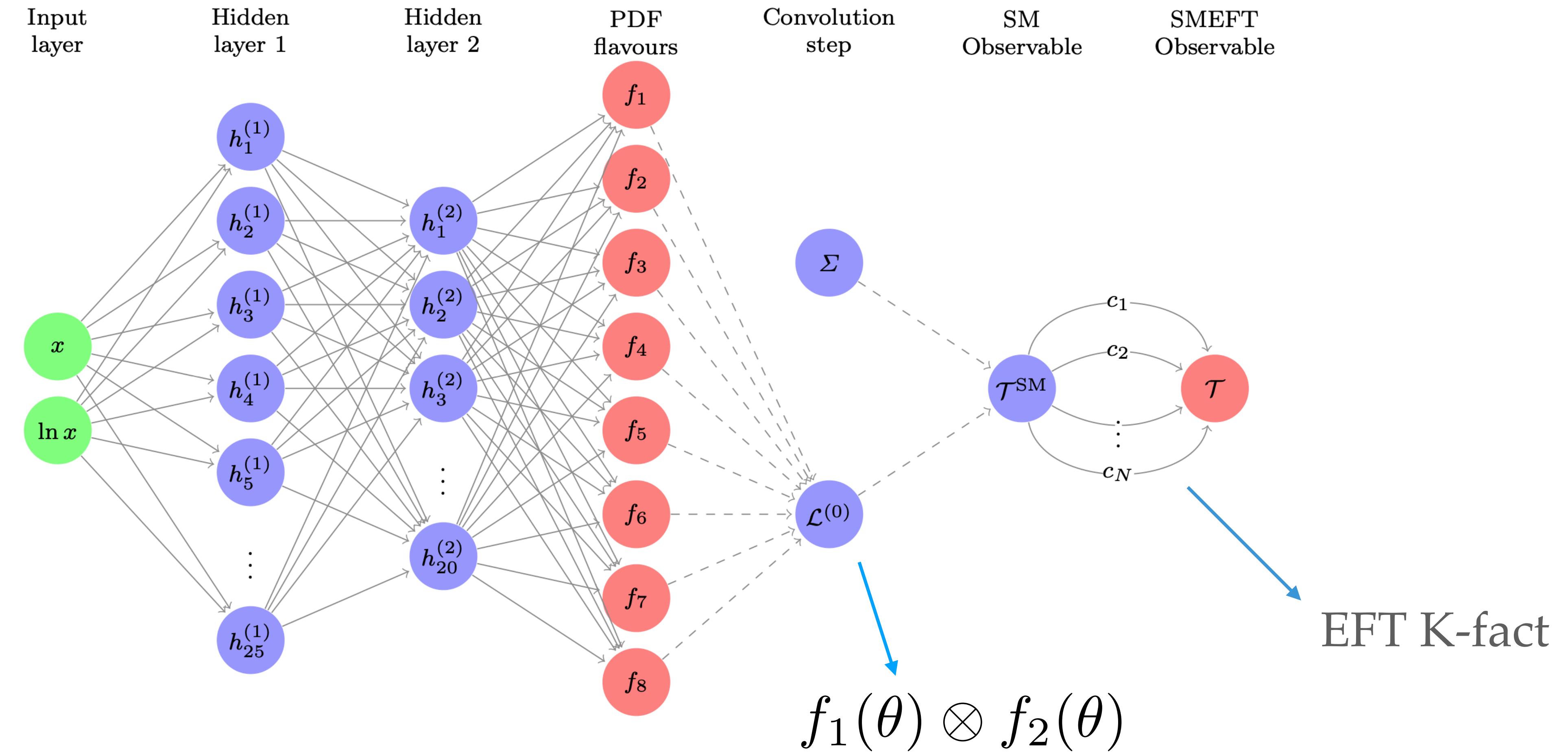
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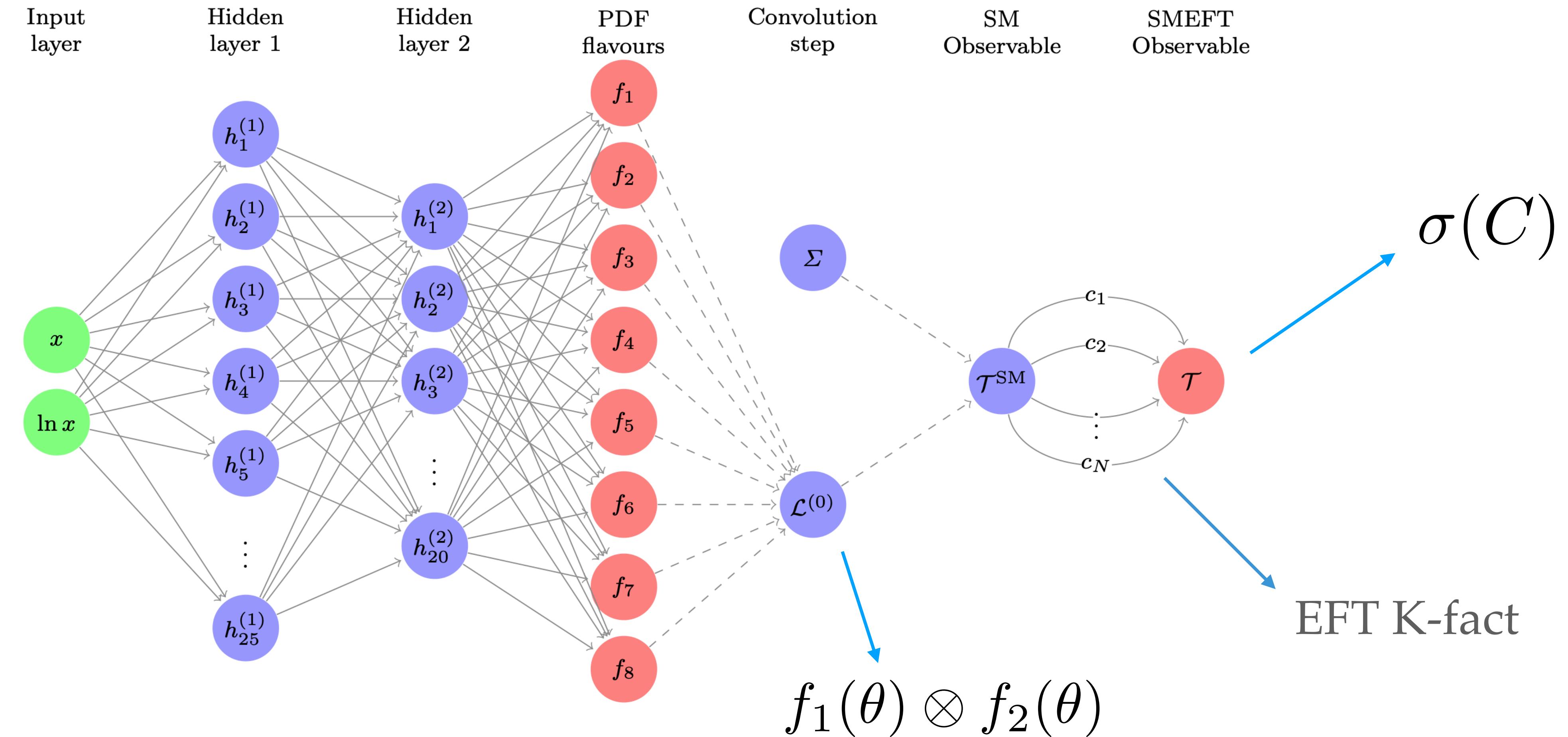
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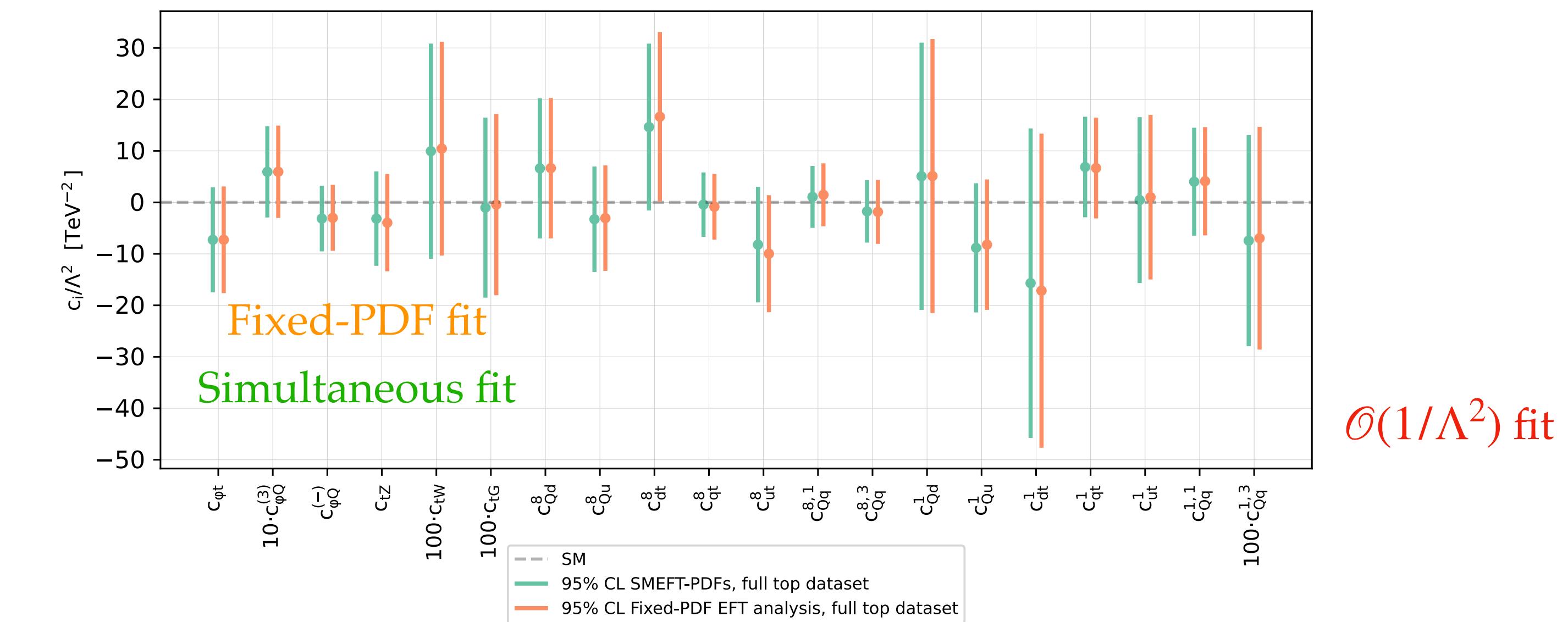
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Going beyond: simultaneous fits

SMEFT-PDF interplay in top quark sector

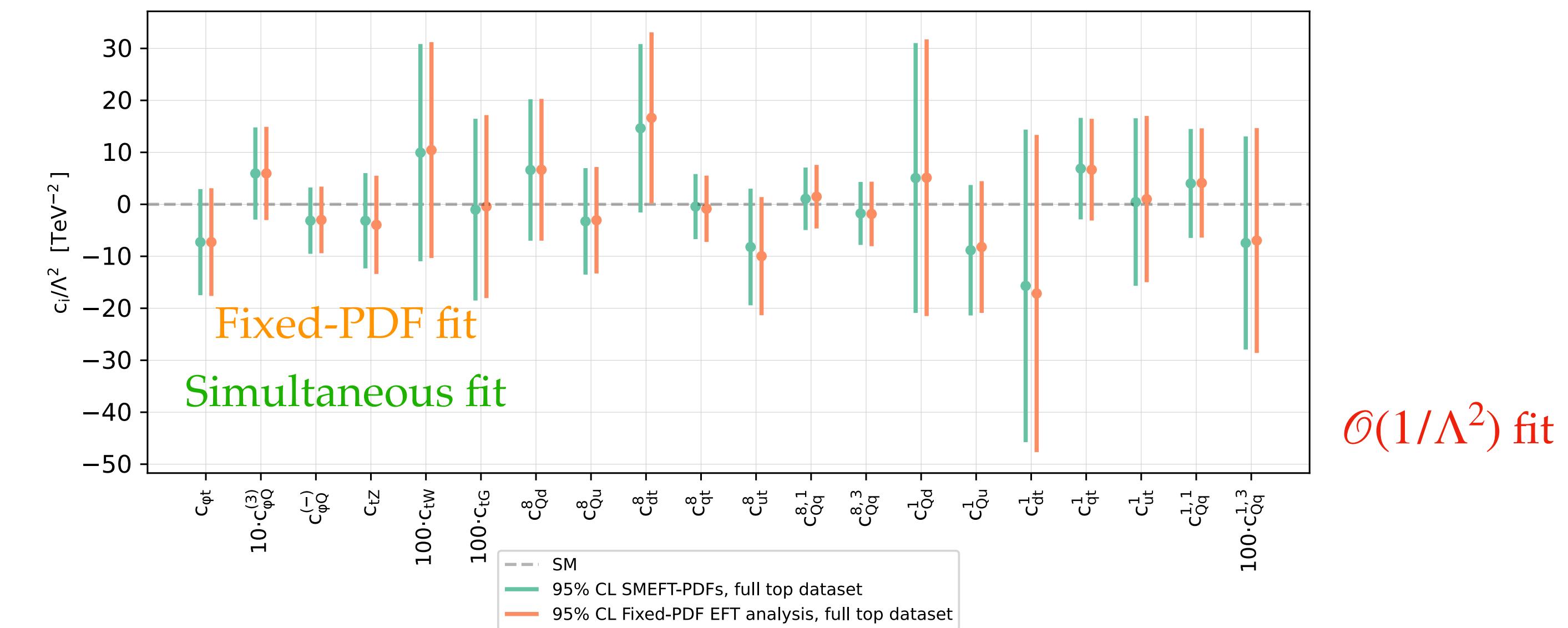
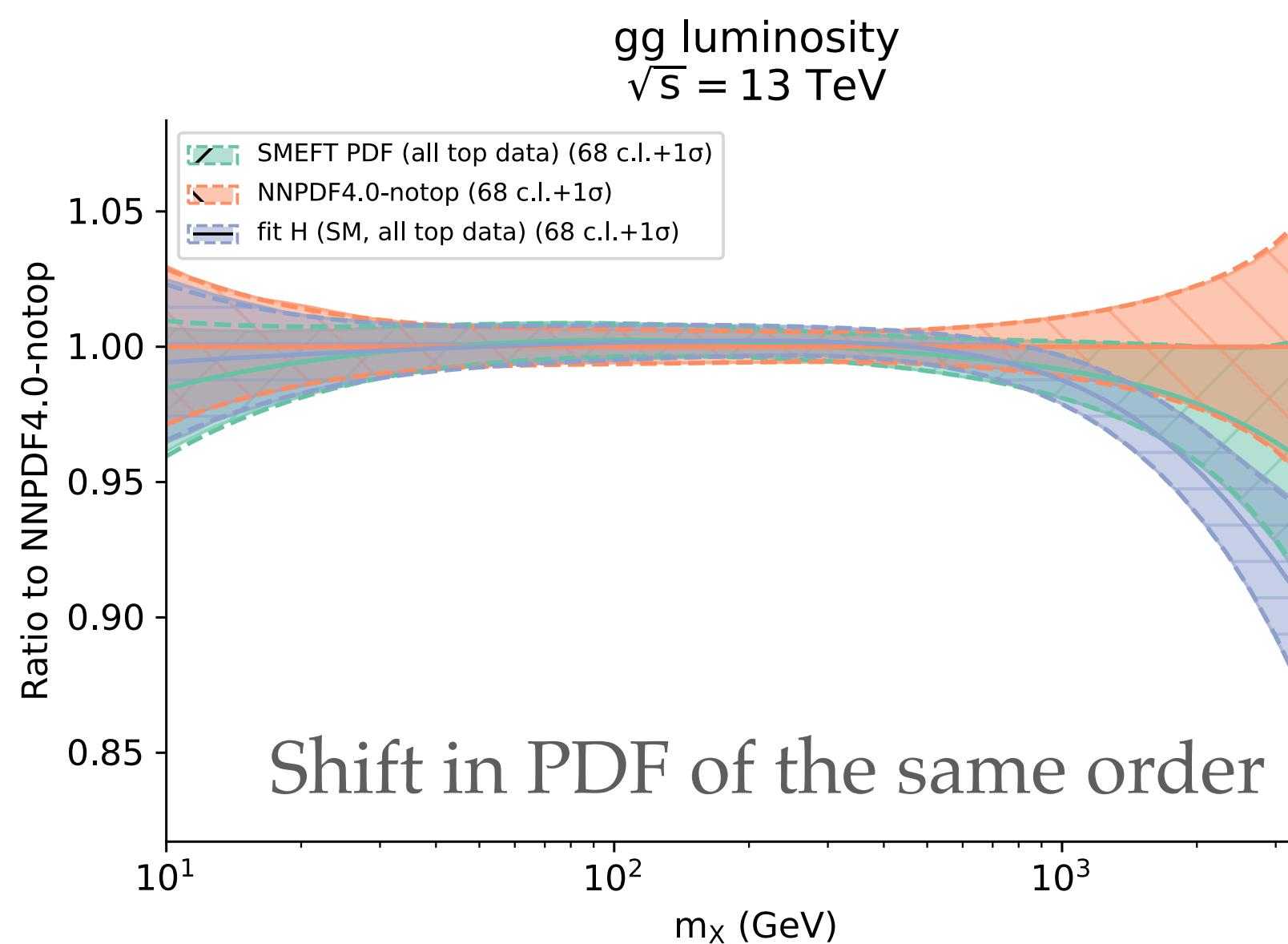
Moderate effect on WC, $\sim 5\text{-}10\%$



Going beyond: simultaneous fits

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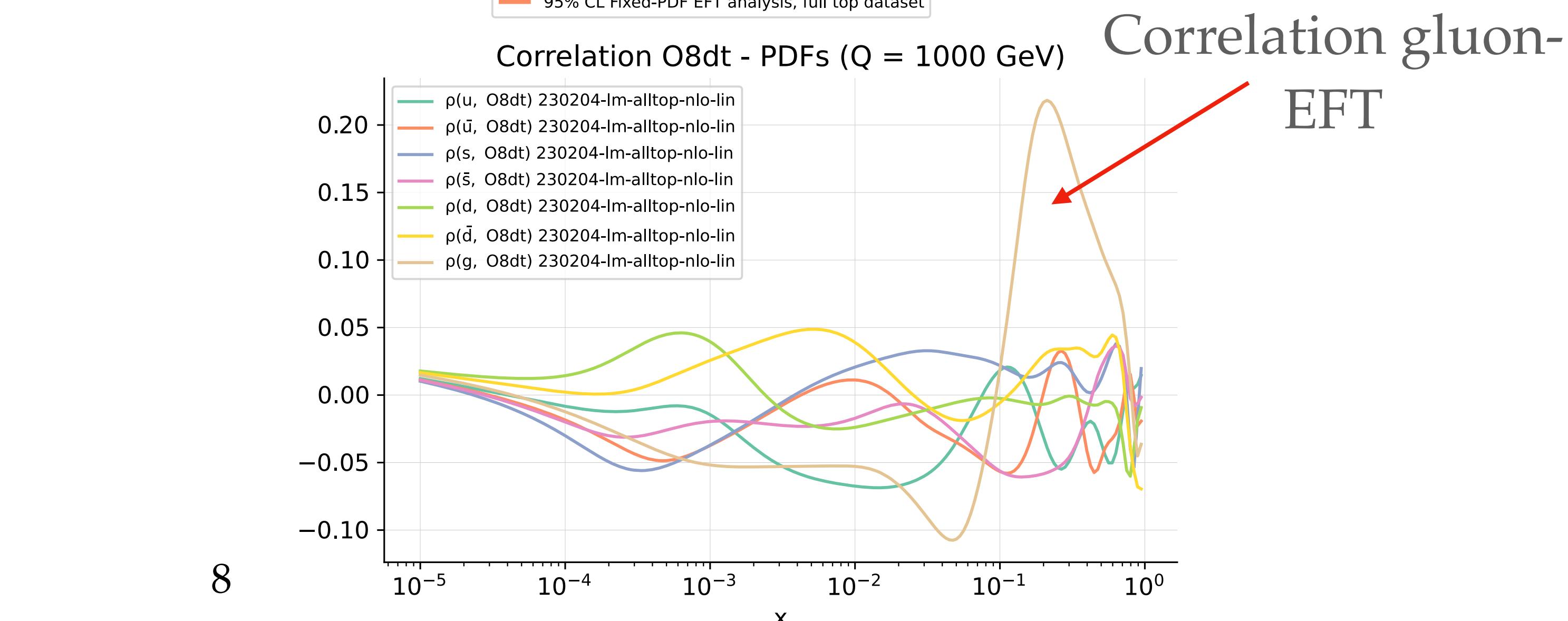
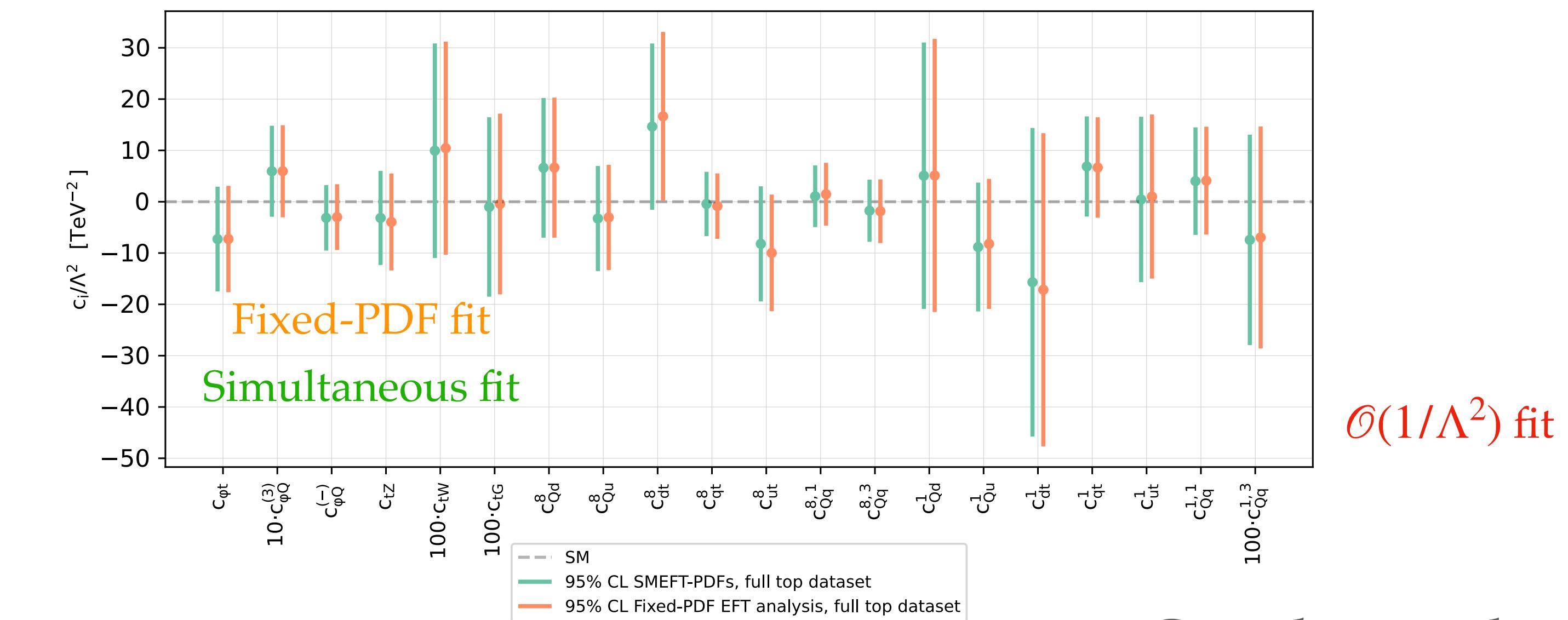
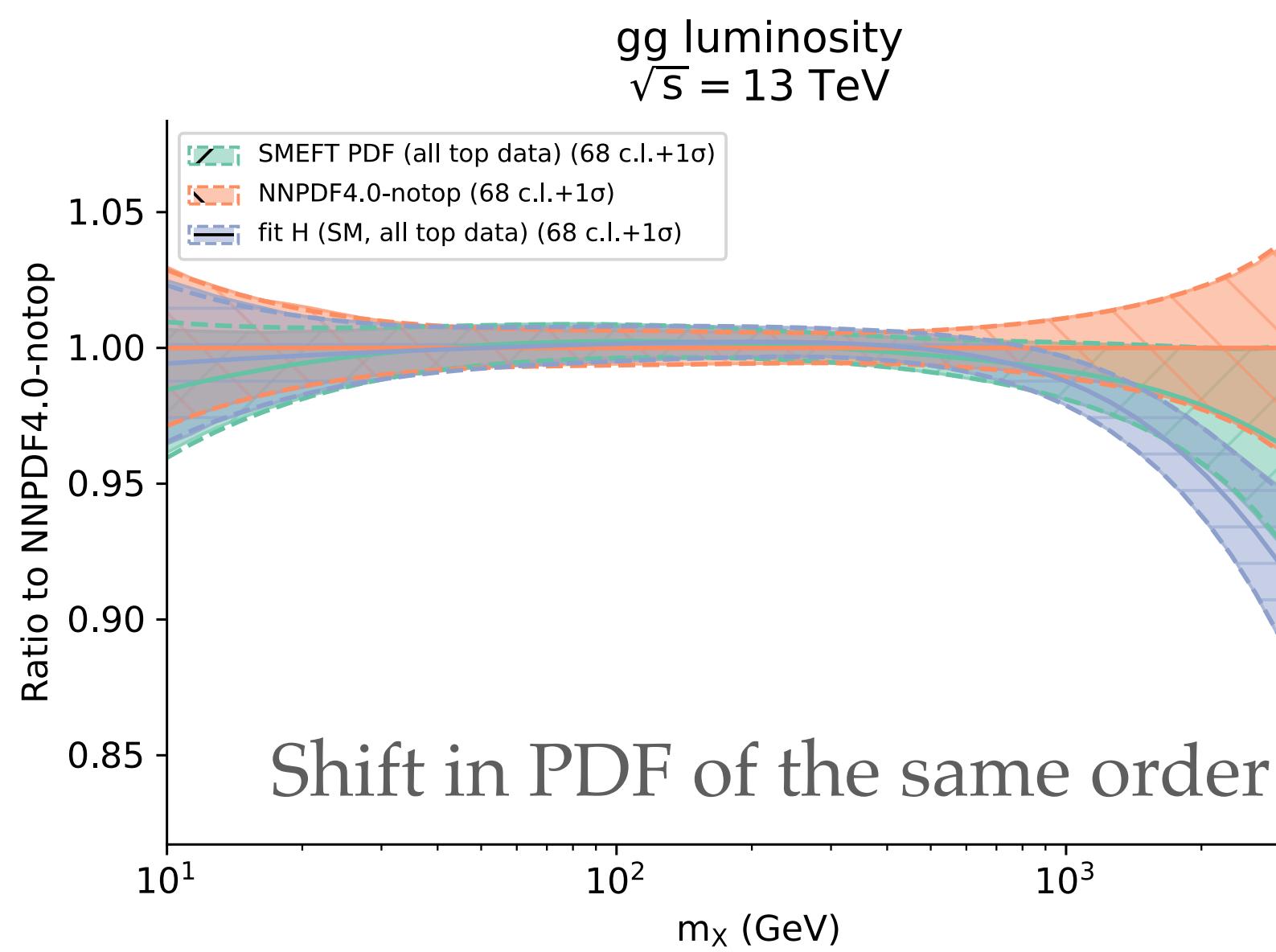
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NP contaminated fits

SIMUnet allows for generation of pseudodata containing NP

$$T = T(\theta_{SM}, \theta_{NP})$$

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Then, perform a PDF fit assuming $\theta_{NP} = 0$ using the NNPDF methodology
(standard SM PDF fit)

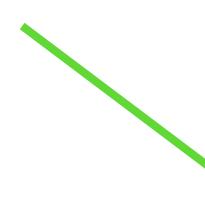
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$$f_1(\theta) \otimes f_2(\theta) \otimes \hat{\sigma}_{SM} \sim f_1^{true} \otimes f_2^{true} \otimes \hat{\sigma}$$



Functional form parameters (e.g. NN weights)

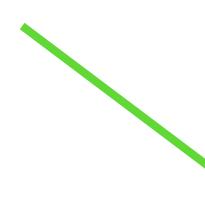
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Functional form parameters (e.g. NN weights)

Assess whether we can mimic the modified interactions with “wrong” PDFs!

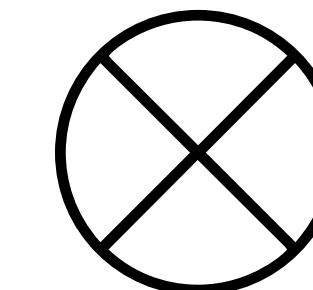
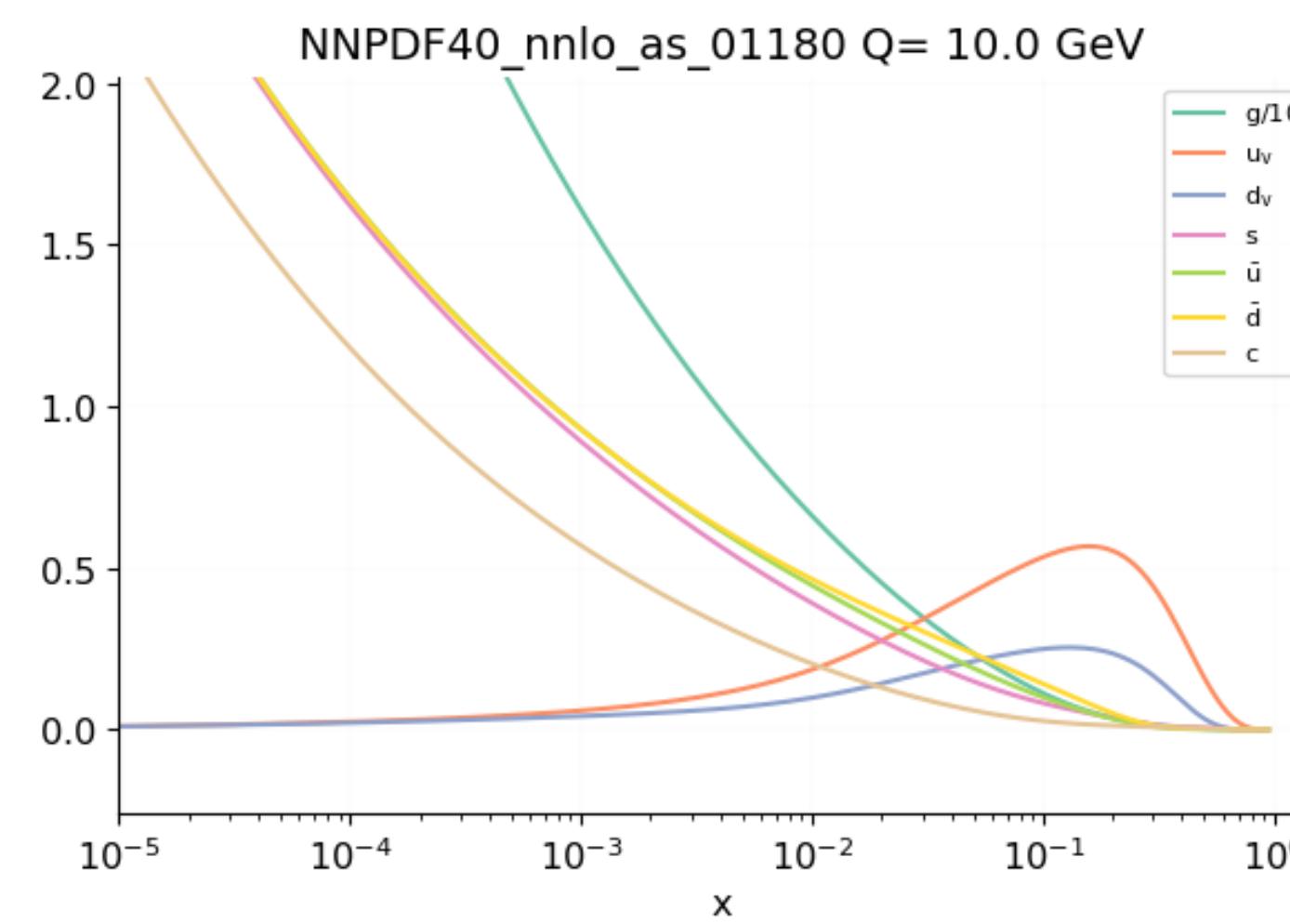


A case study: heavy W'



Can the W' hide in the proton?

Suppose the underlying laws of nature are

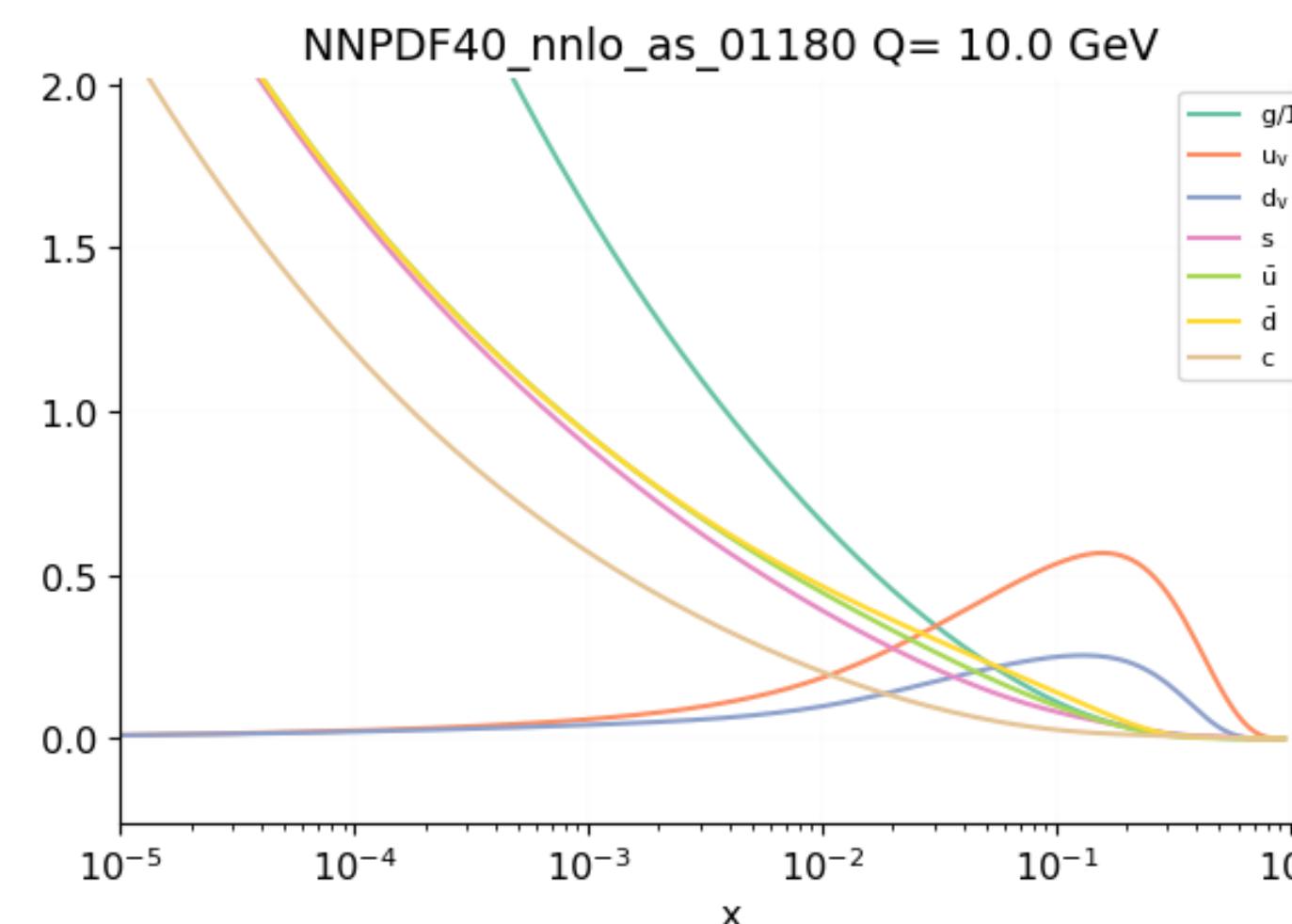


$$J_L^{a,\mu} = \sum_{f_L} \bar{f}_L T^a \gamma^\mu f_L$$
$$\mathcal{L}_{\text{SMEFT}}^{W'} = \mathcal{L}_{\text{SM}} - \frac{g^2 \hat{W}}{2m_W^2} J_L^\mu J_{L,\mu}$$
$$\hat{\sigma} = \hat{\sigma}_{SM} + \hat{\sigma}_{NP}$$

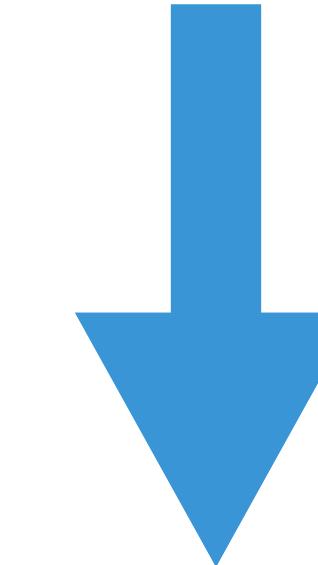
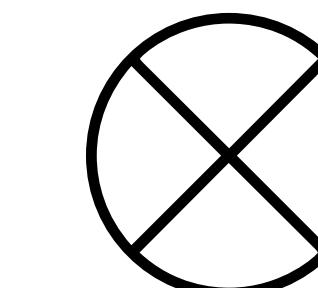
"Real" partonic cross-section

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“Real” proton structure

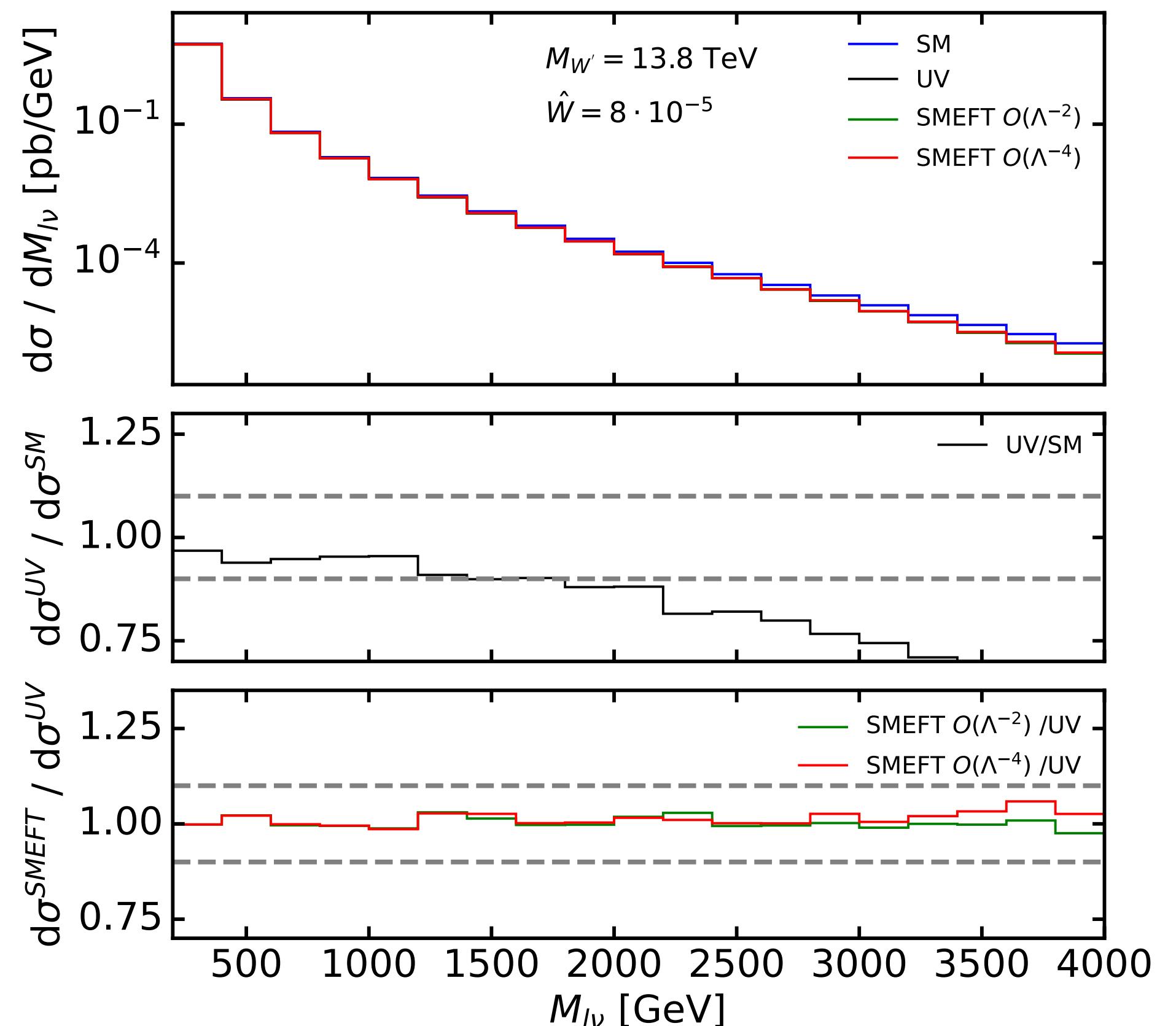


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“Real” partonic cross-section

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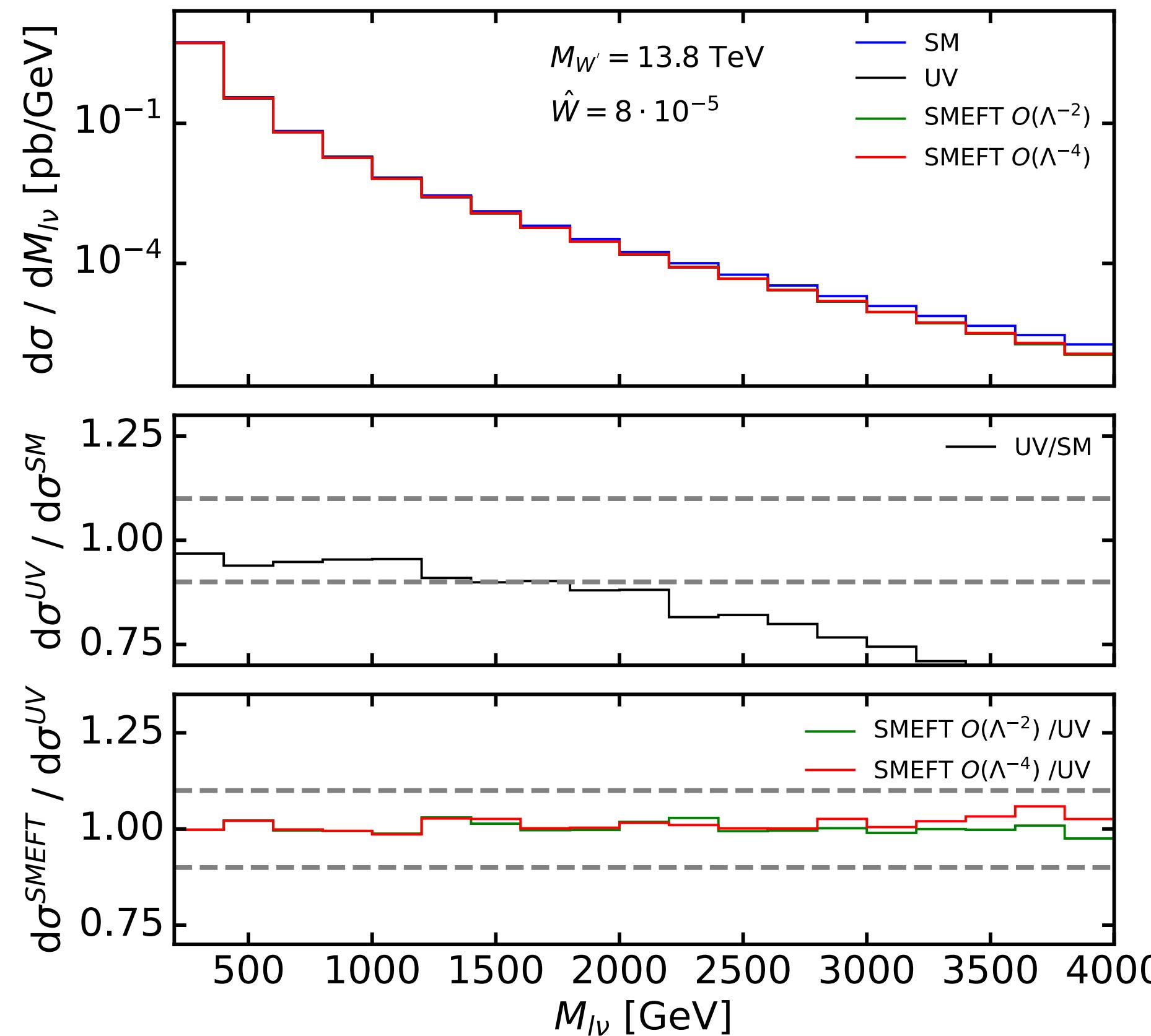
Kinematic effects



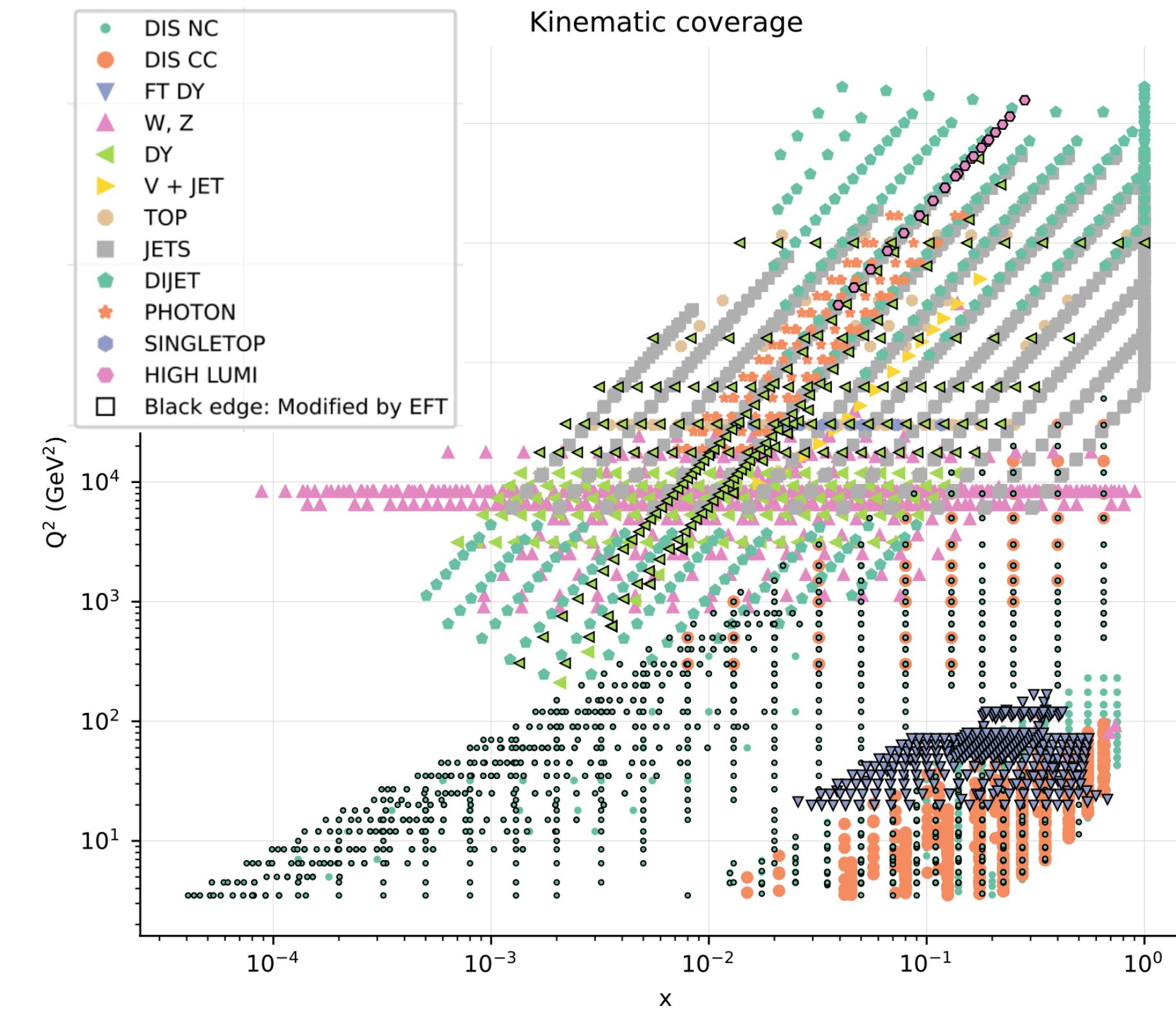
Both CC and NC DY affected

Kinematic effects

NNPDF4.0 dataset +
HL-LHC DY projections [arXiv: 2104.02723]

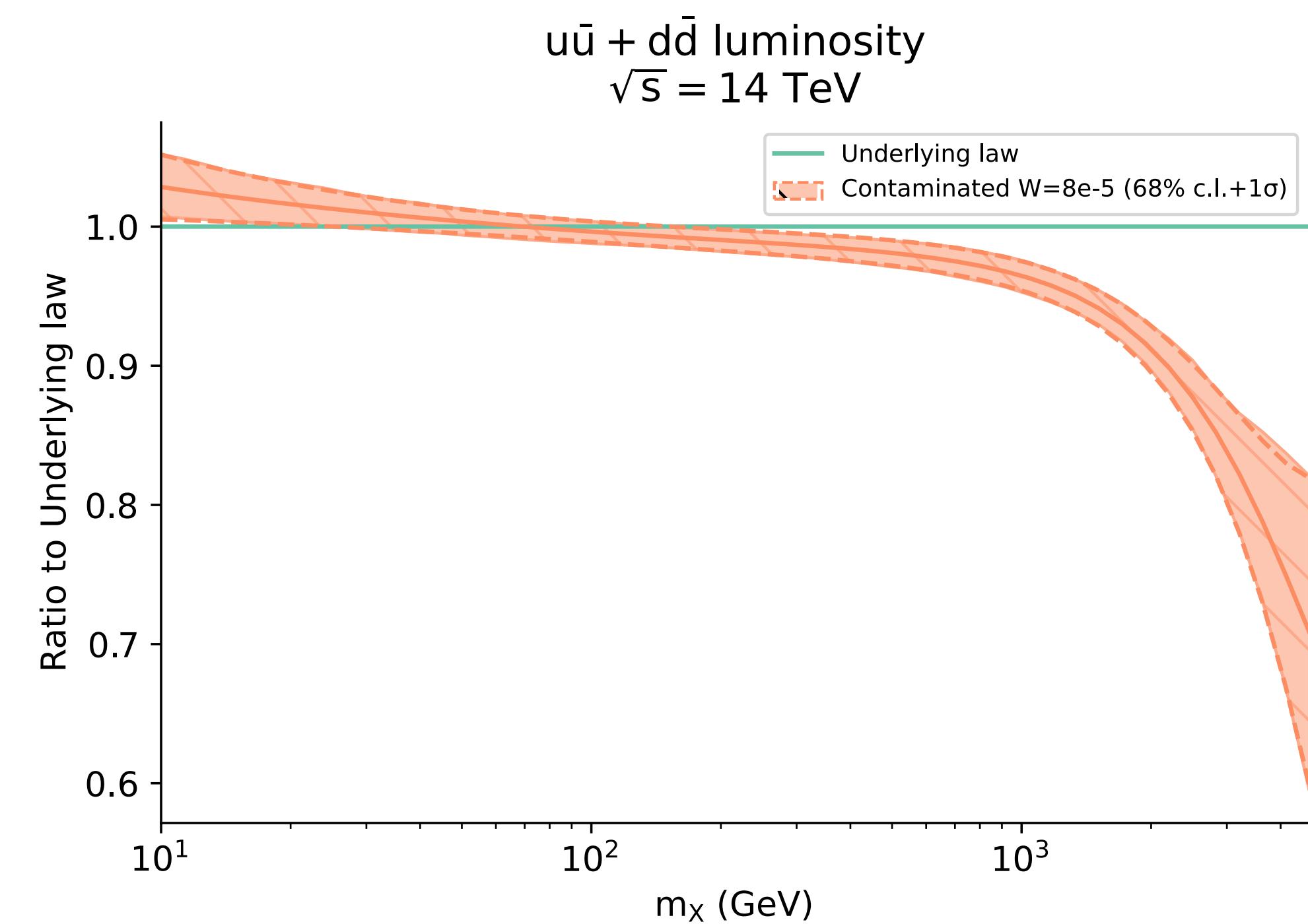
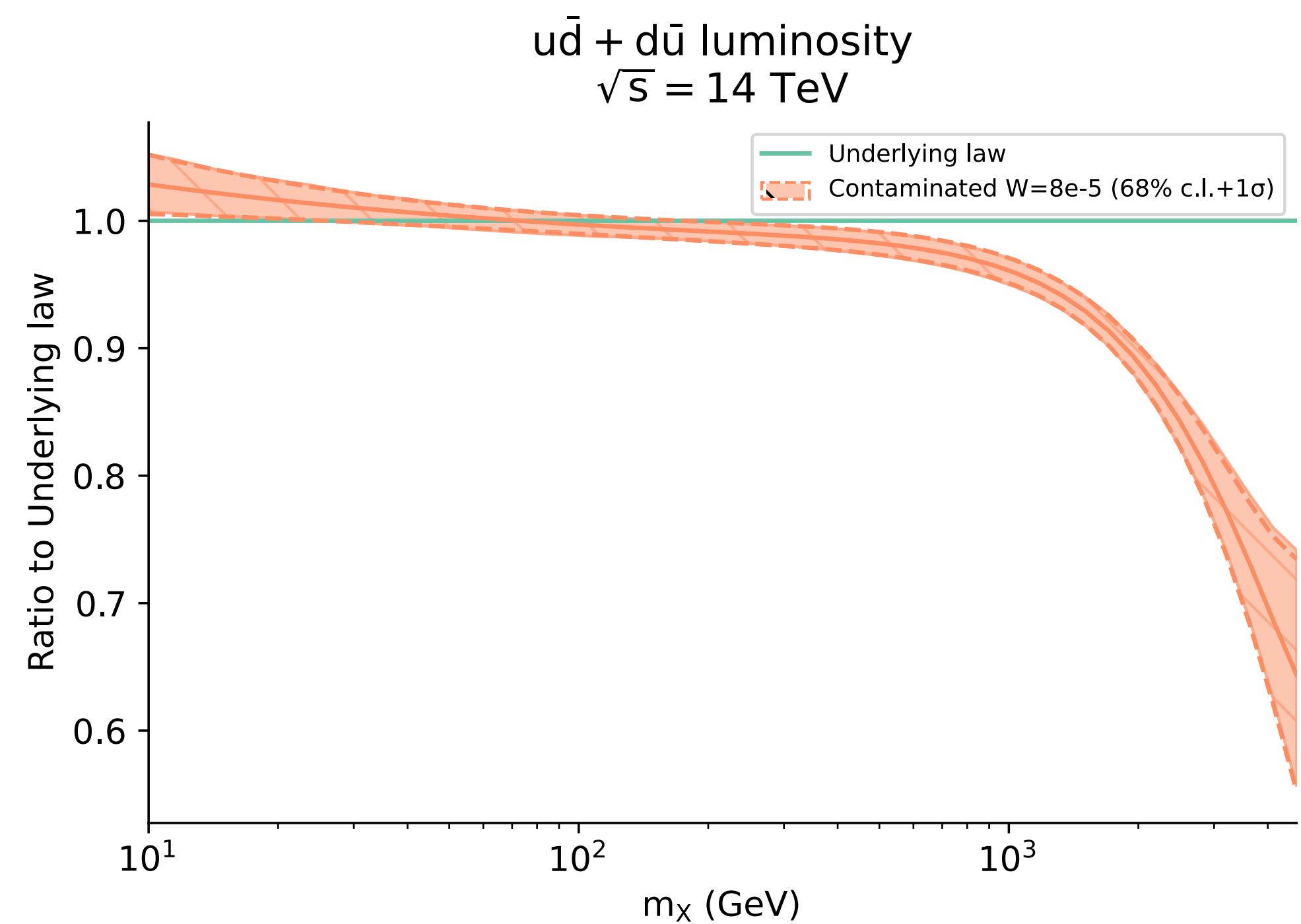


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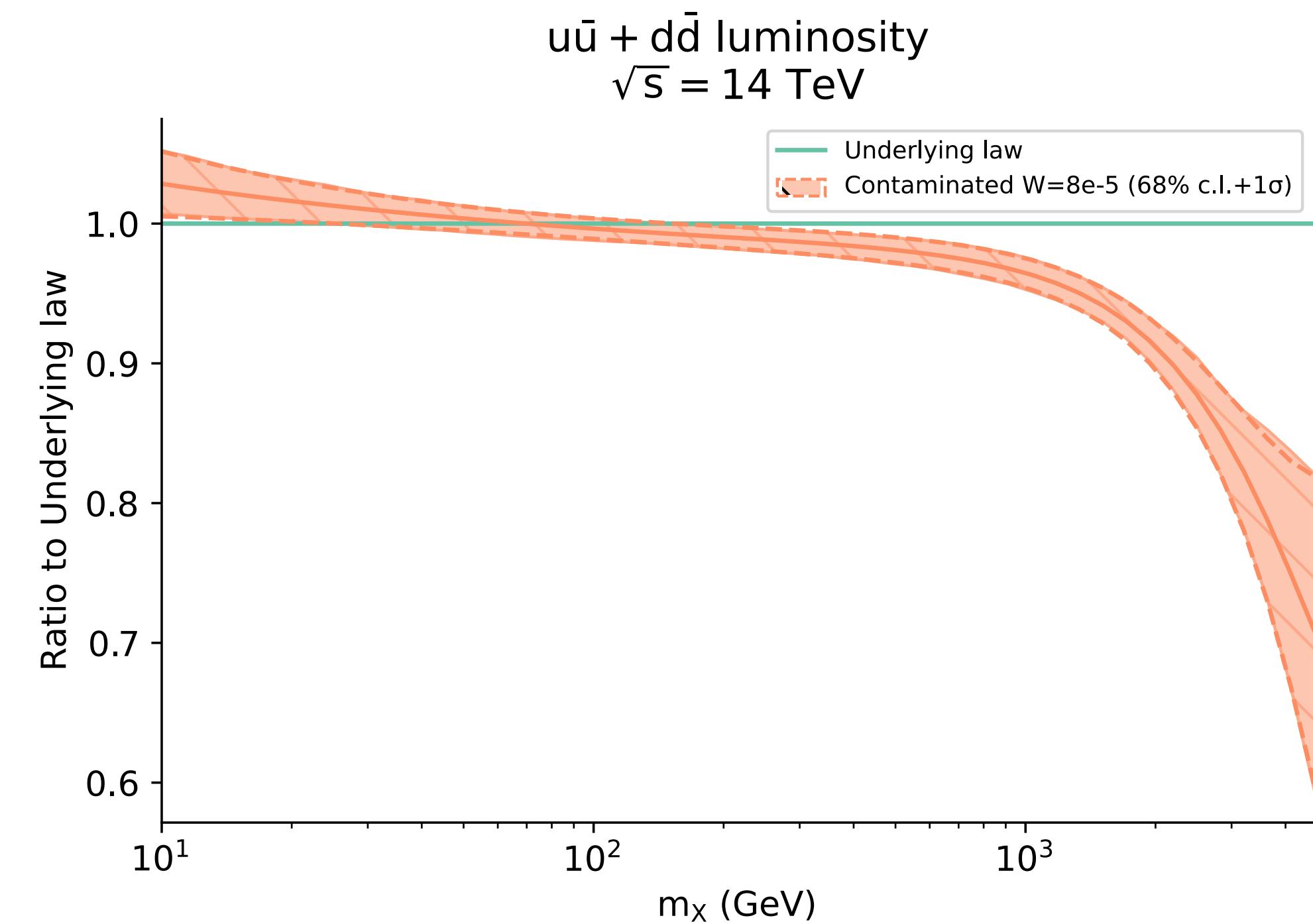
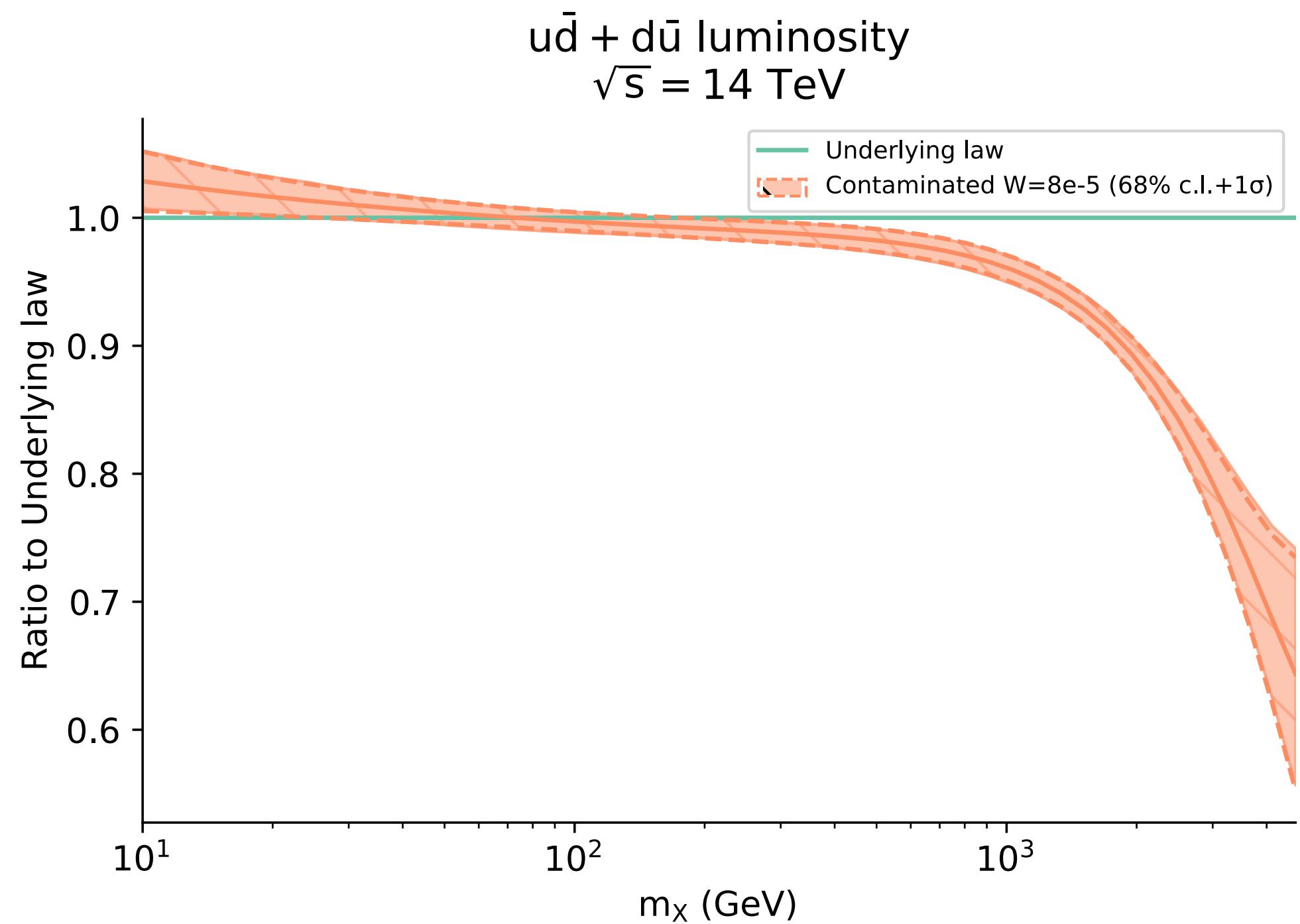


Data kinematic coverage is wide:
can current PDFs absorb NP
while keeping consistency across
the whole set of observables?

Contaminated PDFs

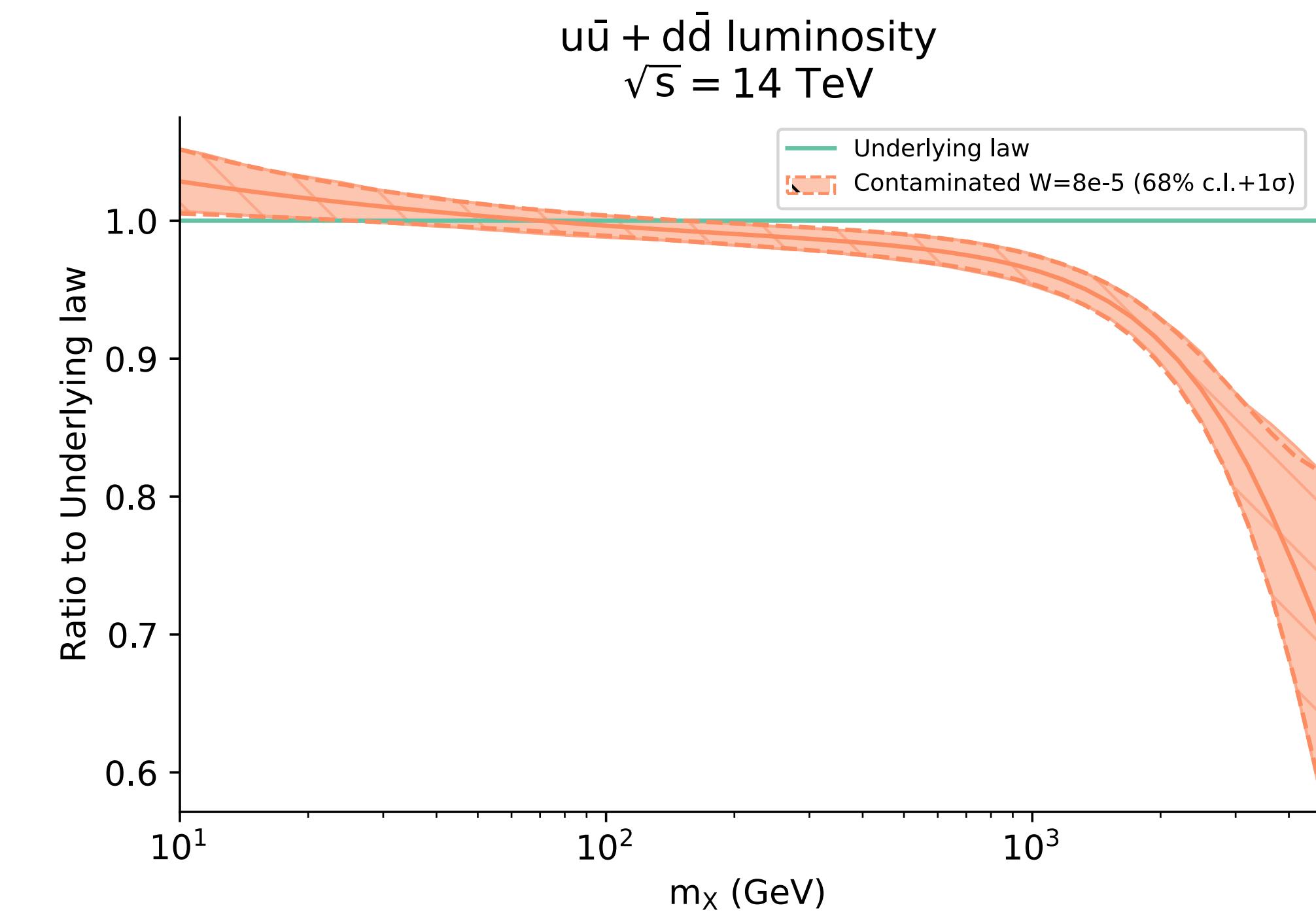
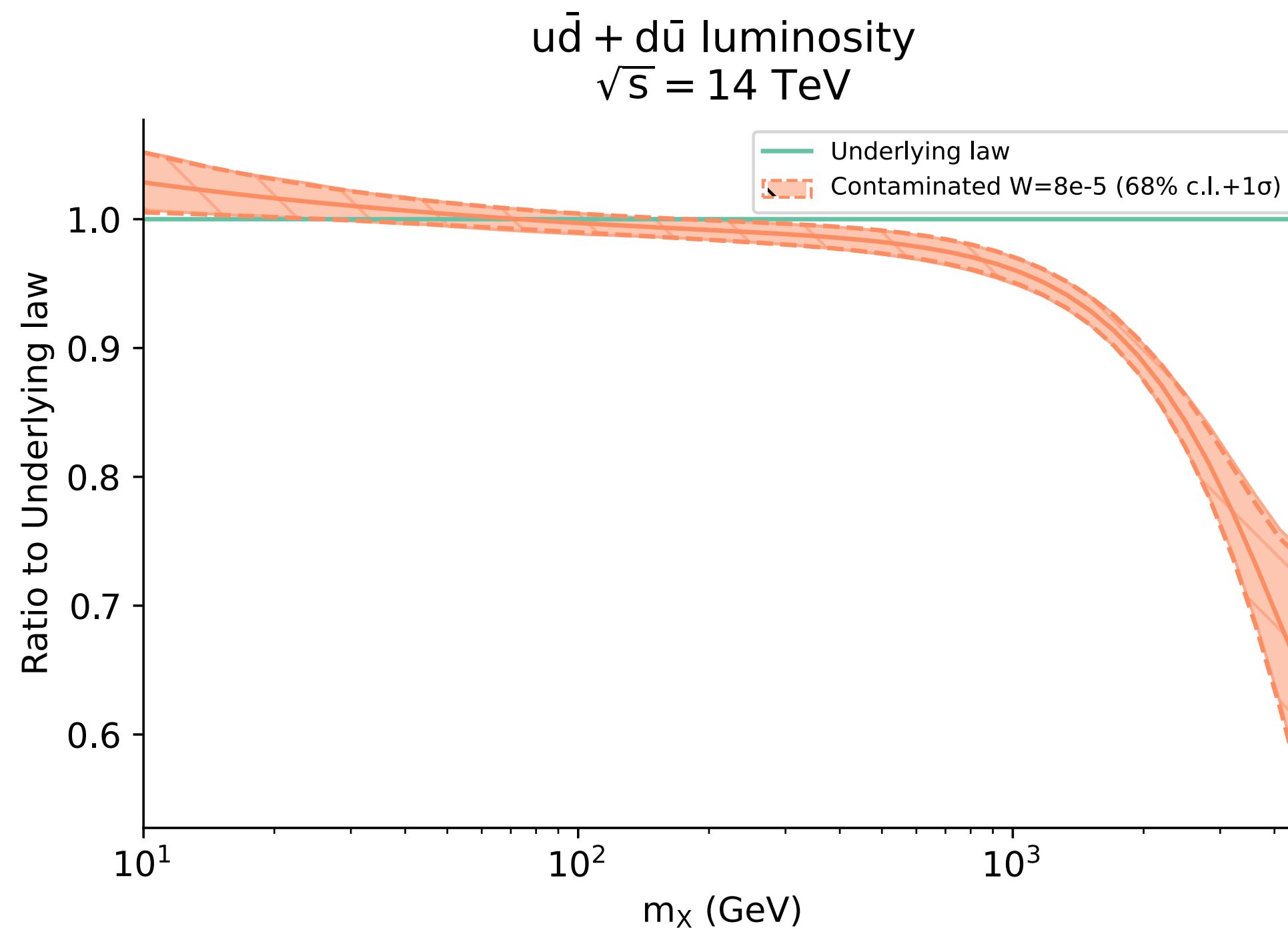


Contaminated PDFs



Huge shift and yet we find a **good fit to the data!**

Contaminated PDFs

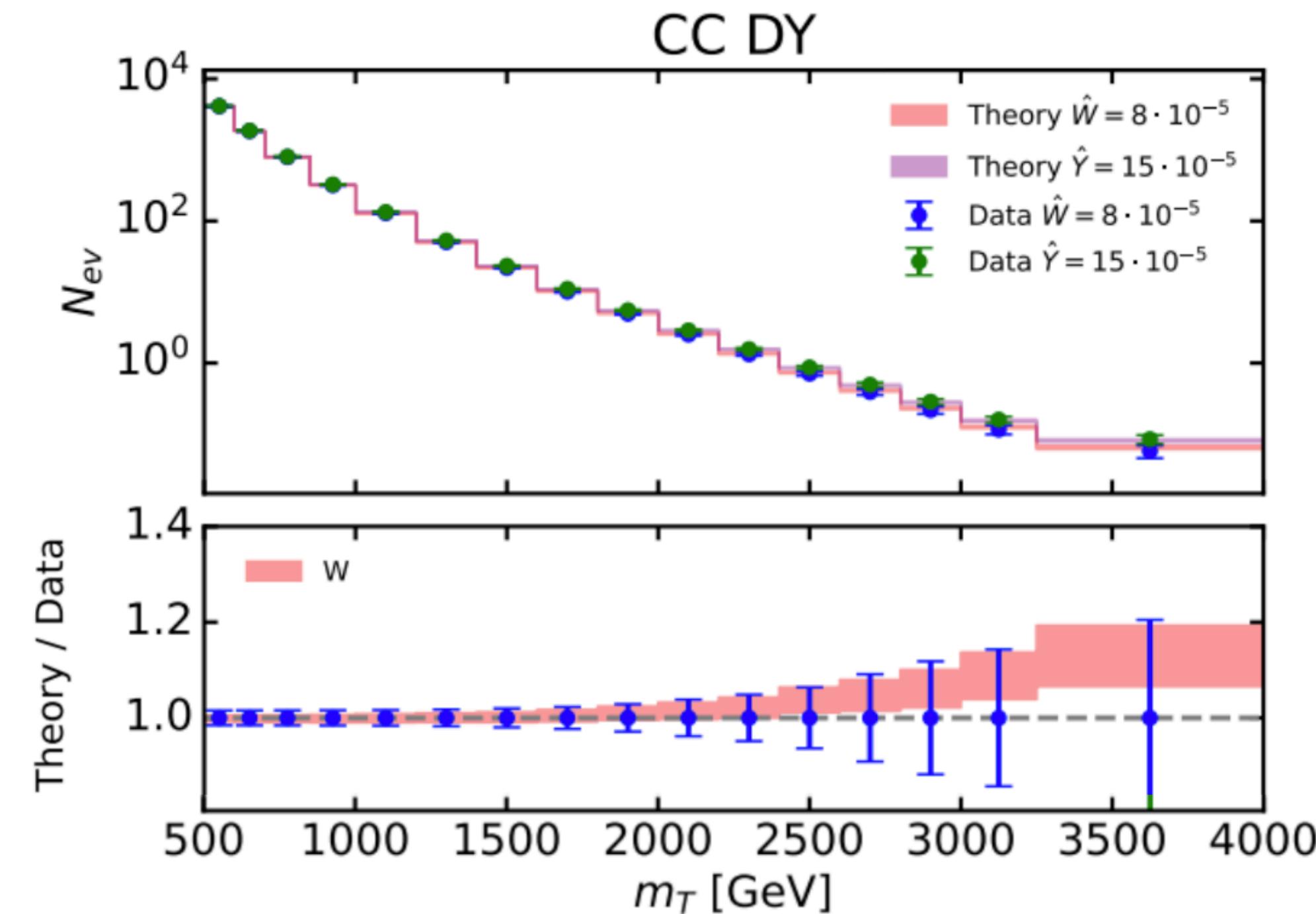
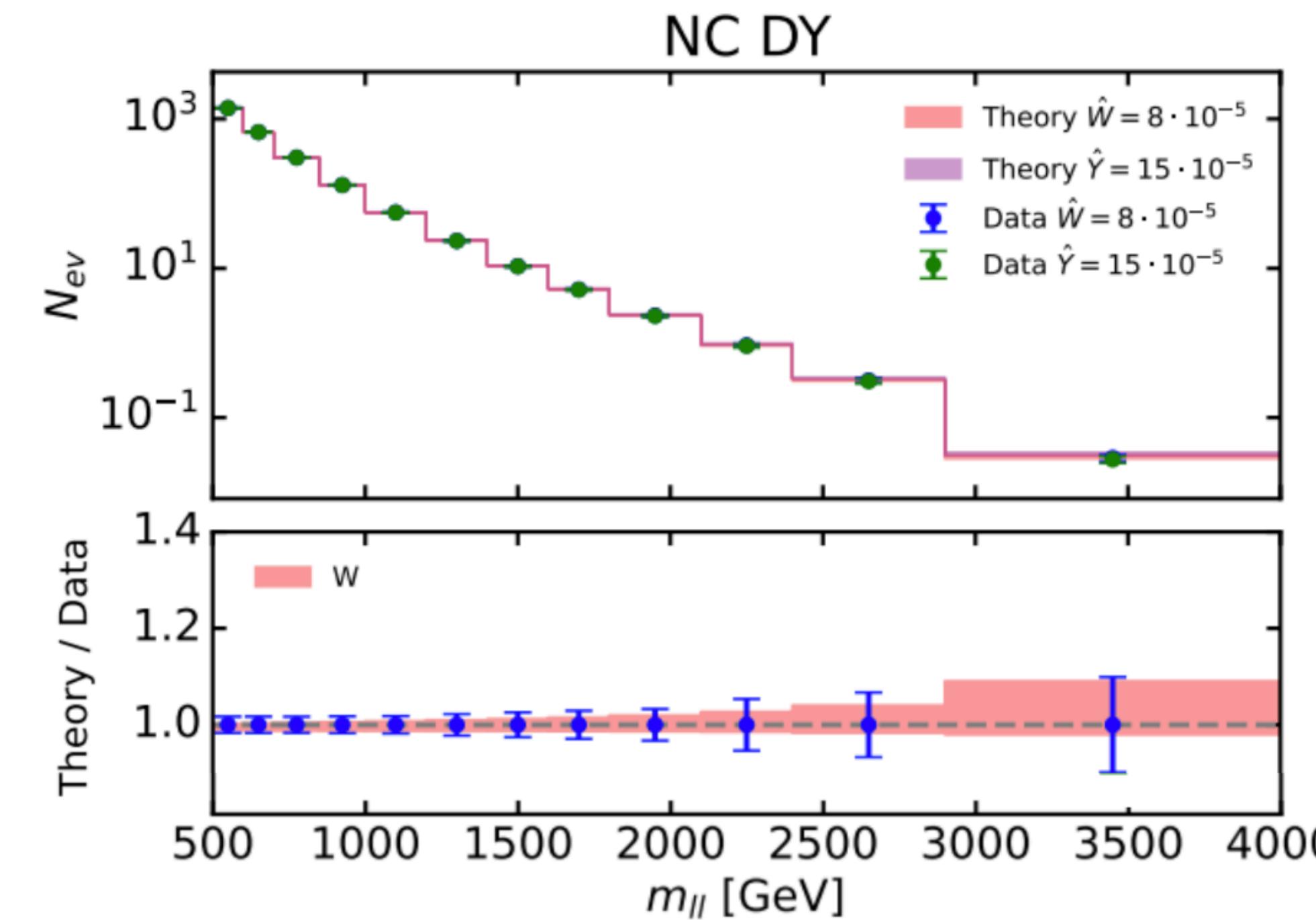


Huge shift and yet we find a **good fit to the data!**

Large- x behaviour in PDFs is not constrained:
especially **anti-quark PDFs allow for NP absorption**

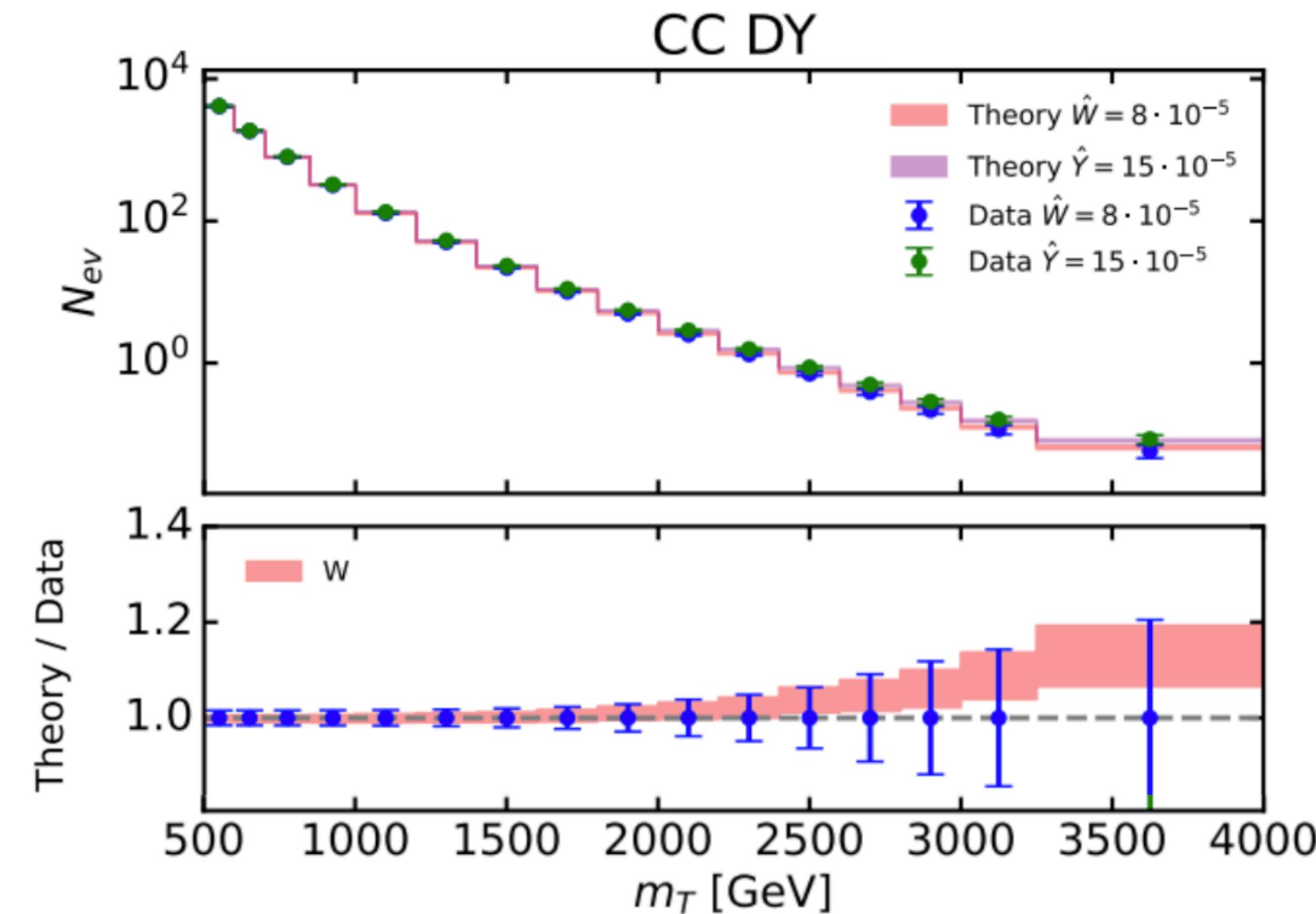
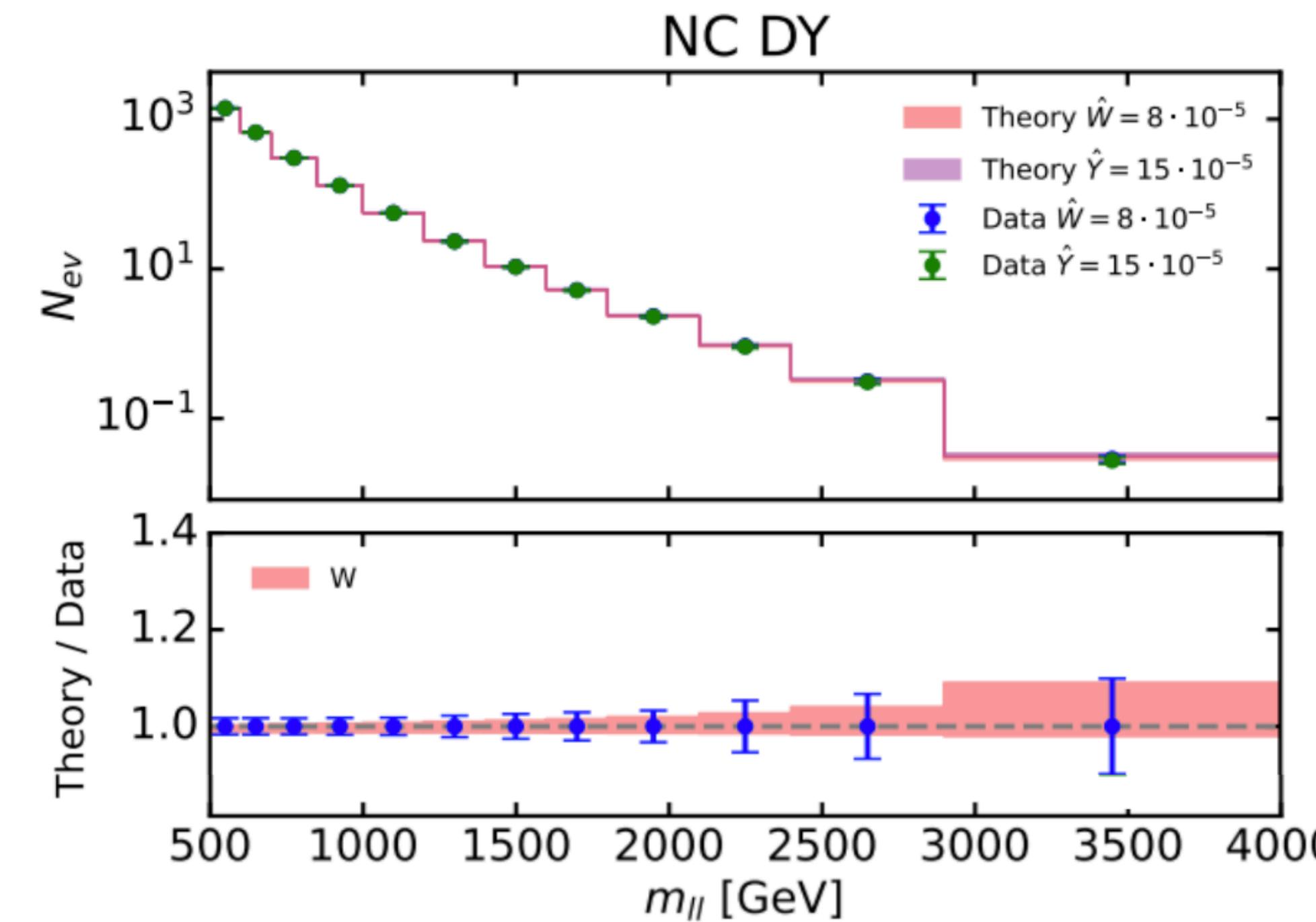
Data-theory comparison

Data: $f^{true} \otimes \hat{\sigma}_{NP}$
Theory: $f^{fit} \otimes \hat{\sigma}_{SM}$

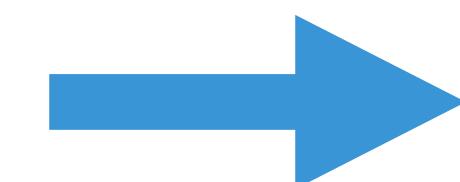


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PDF shift is completely
compensating the NP effect



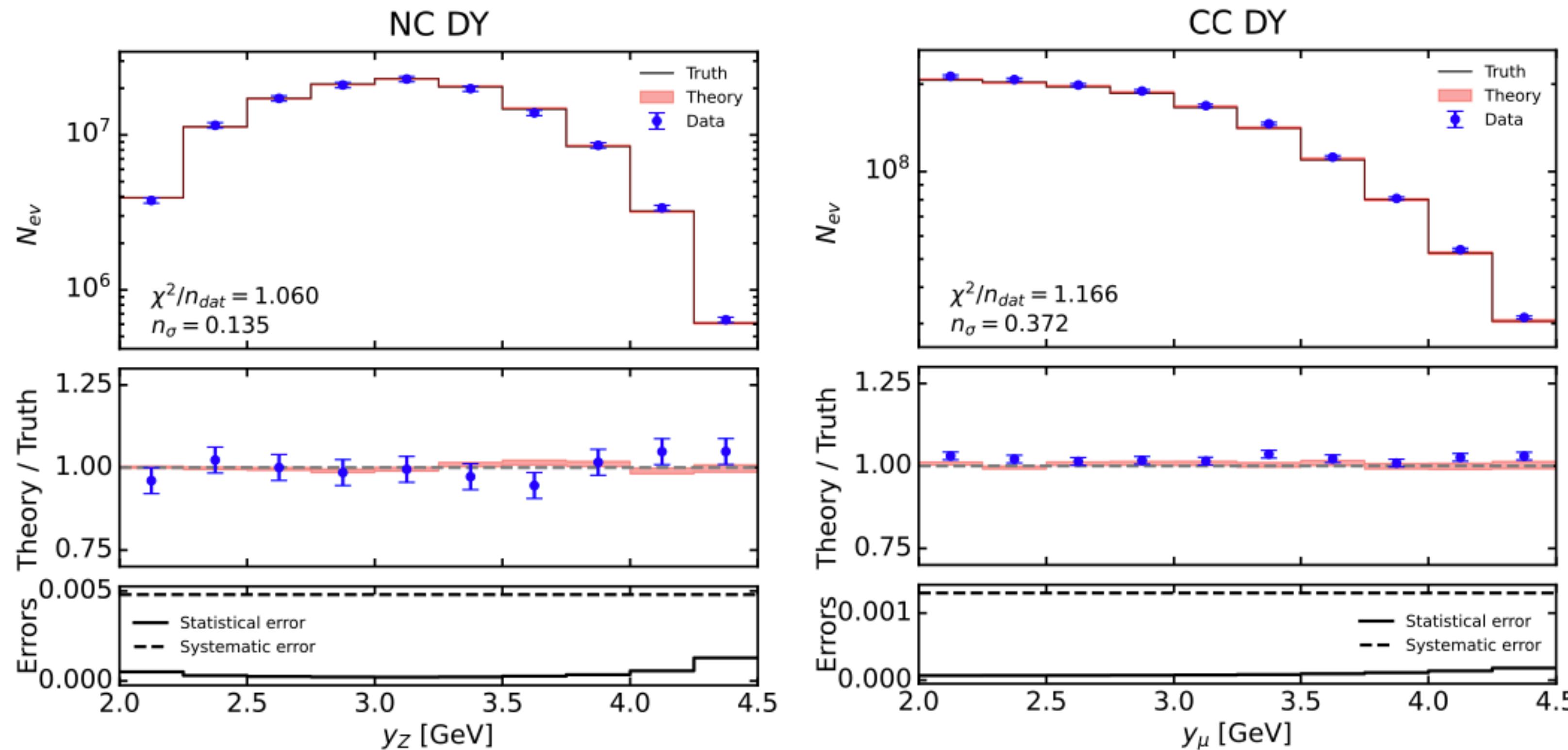
NP concealed
in the proton!!

Disentangling the effects

Can we use forward V production to spot the contamination?

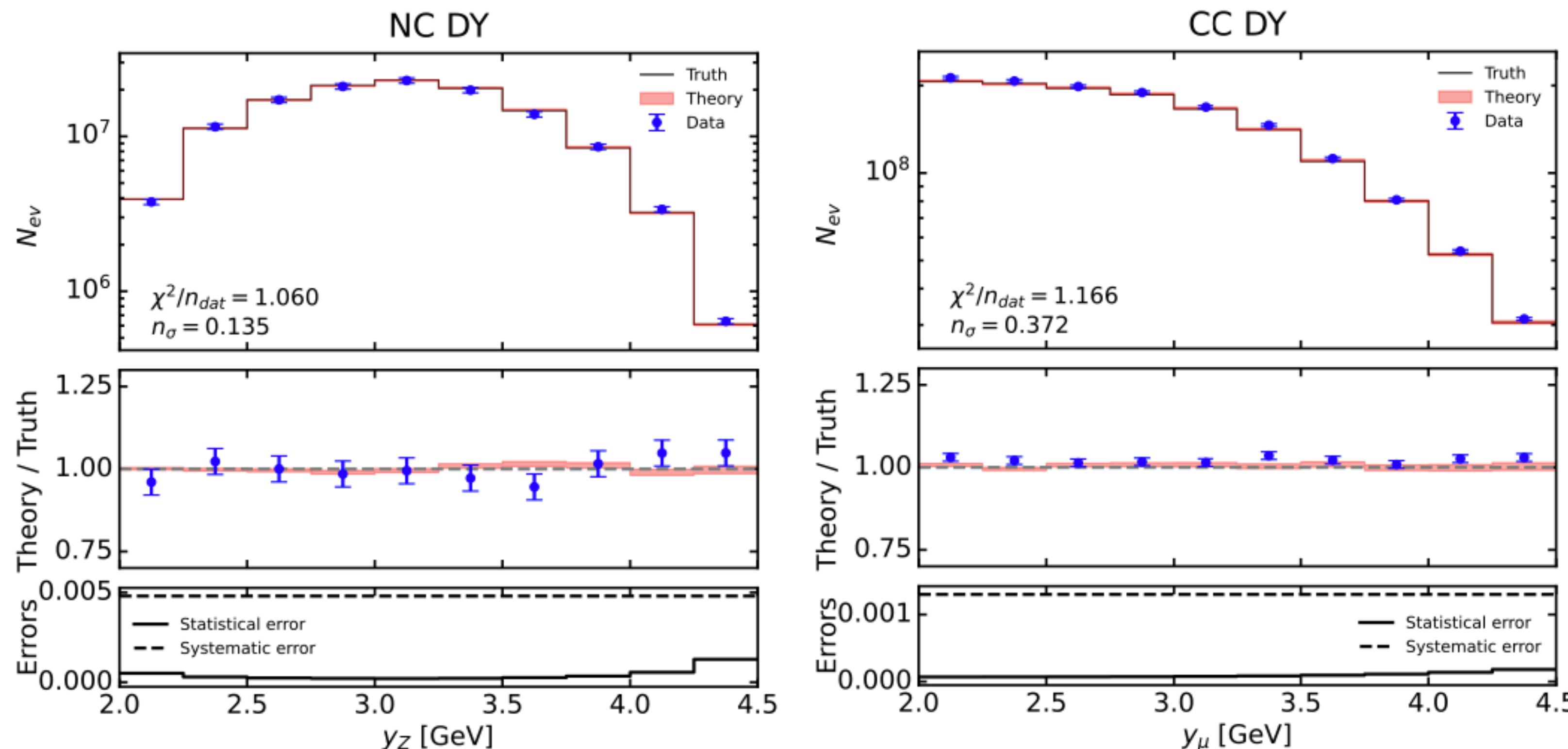
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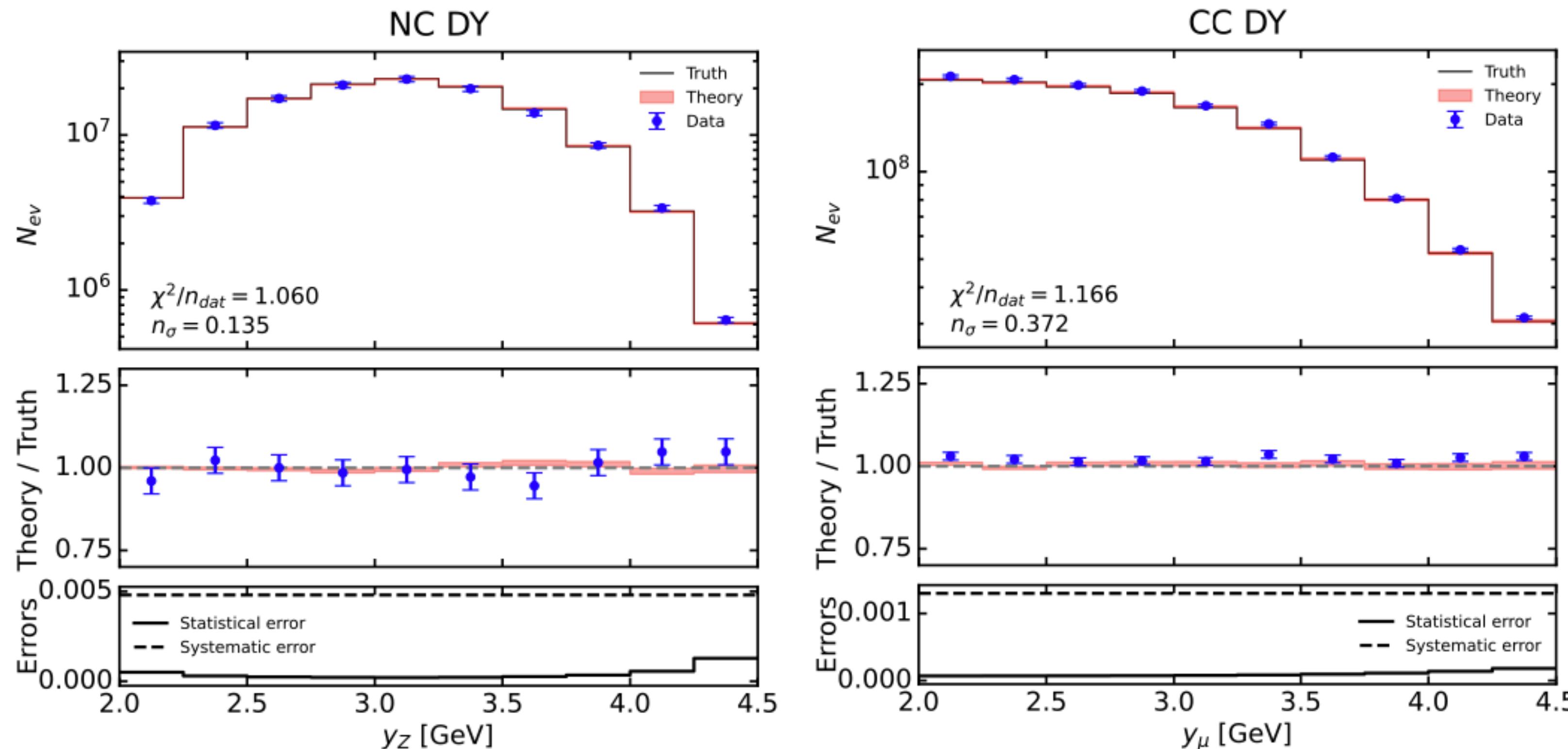
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Current data does not cover
the required kinematics:
we need large x for anti-quarks
(forward V probes the large x
mostly of valence quarks)

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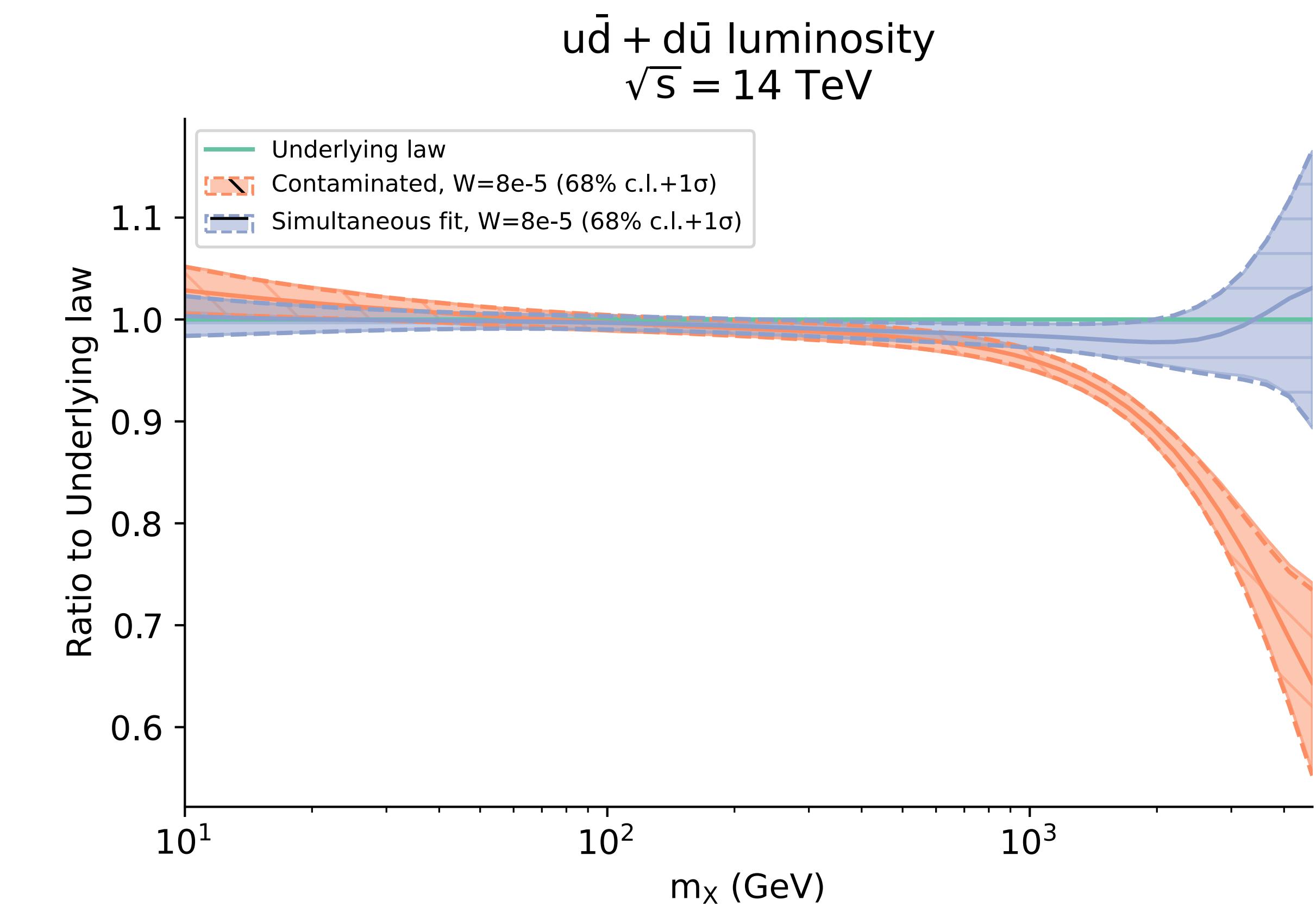
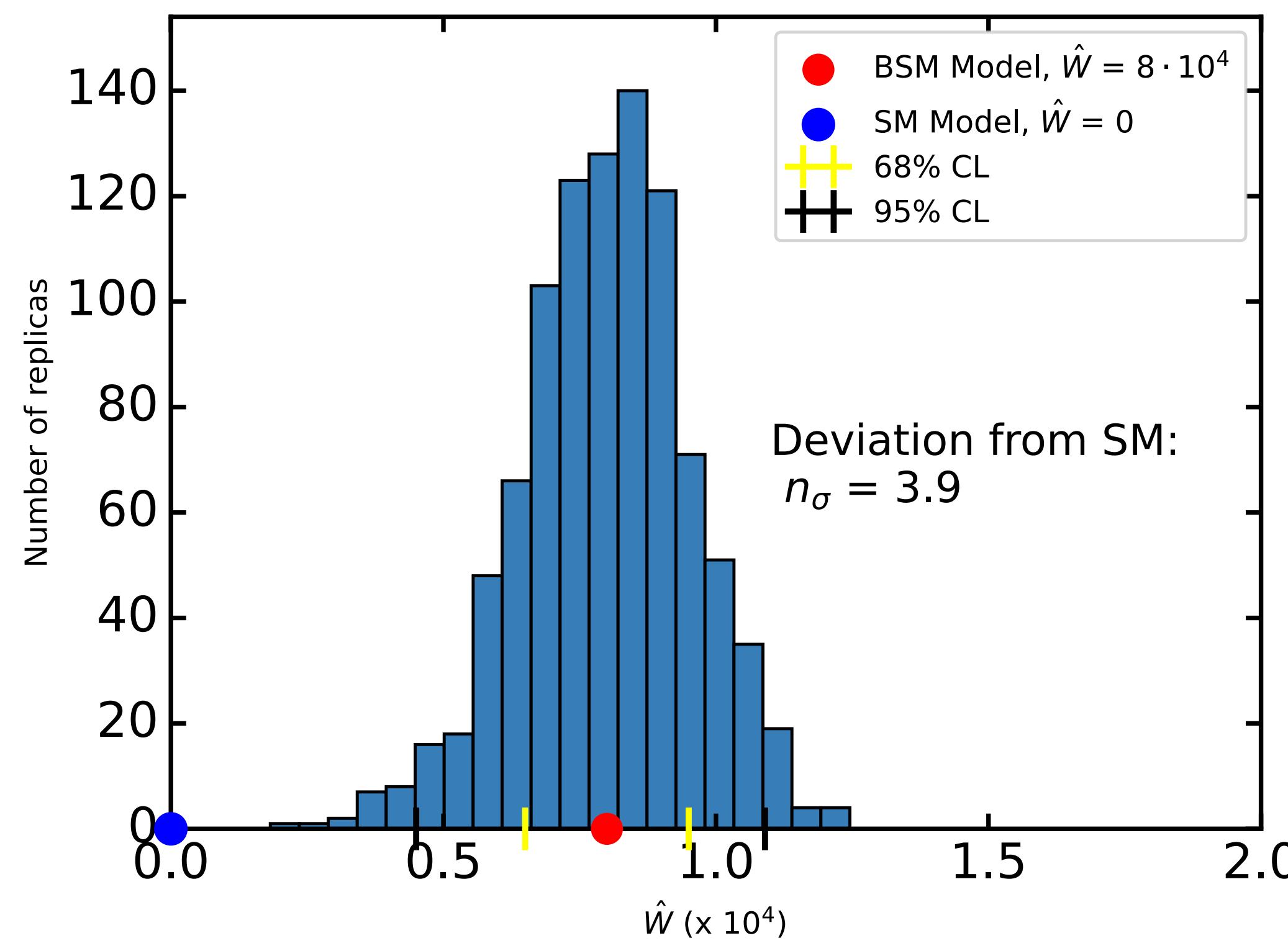


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Future low-energy measurements
(e.g. EIC programme)
could provide **crucial input for PDFs!**

Disentangling with a joint fit

Simultaneous fit of PDFs and W parameter:



Conclusions

- * The PDF-EFT interplay could be crucial: wrong PDFs can in principle mimic EFT corrections.
- * UV completion exist that can be absorbed in the PDF parametrisation.
- * Current kinematic coverage of PDF datasets is insufficient, forward facilities and DIS experiments will provide vital input.
- * The SIMUnet methodology offers the possibility to study such scenarios and potentially disentangle the EFT effects in the PDF extraction.



Thank you





Back-up



The common approach

Typically fits of physics parameters and PDFs **do not talk**

$$\sigma(C, \theta) = f_1(C, \theta) \otimes f_2(C, \theta) \otimes \hat{\sigma}(C)$$



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PDFs extraction

- * Fix physics parameters \bar{C}

$$\sigma(\bar{C}, \theta) = f_1(\bar{C}, \theta) \otimes f_2(\bar{C}, \theta) \otimes \hat{\sigma}(\bar{C})$$

We extract the PDFs from data,
we have implicit dependence $\theta^* = \theta^*(\bar{C})$

The common approach

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Physics parameters

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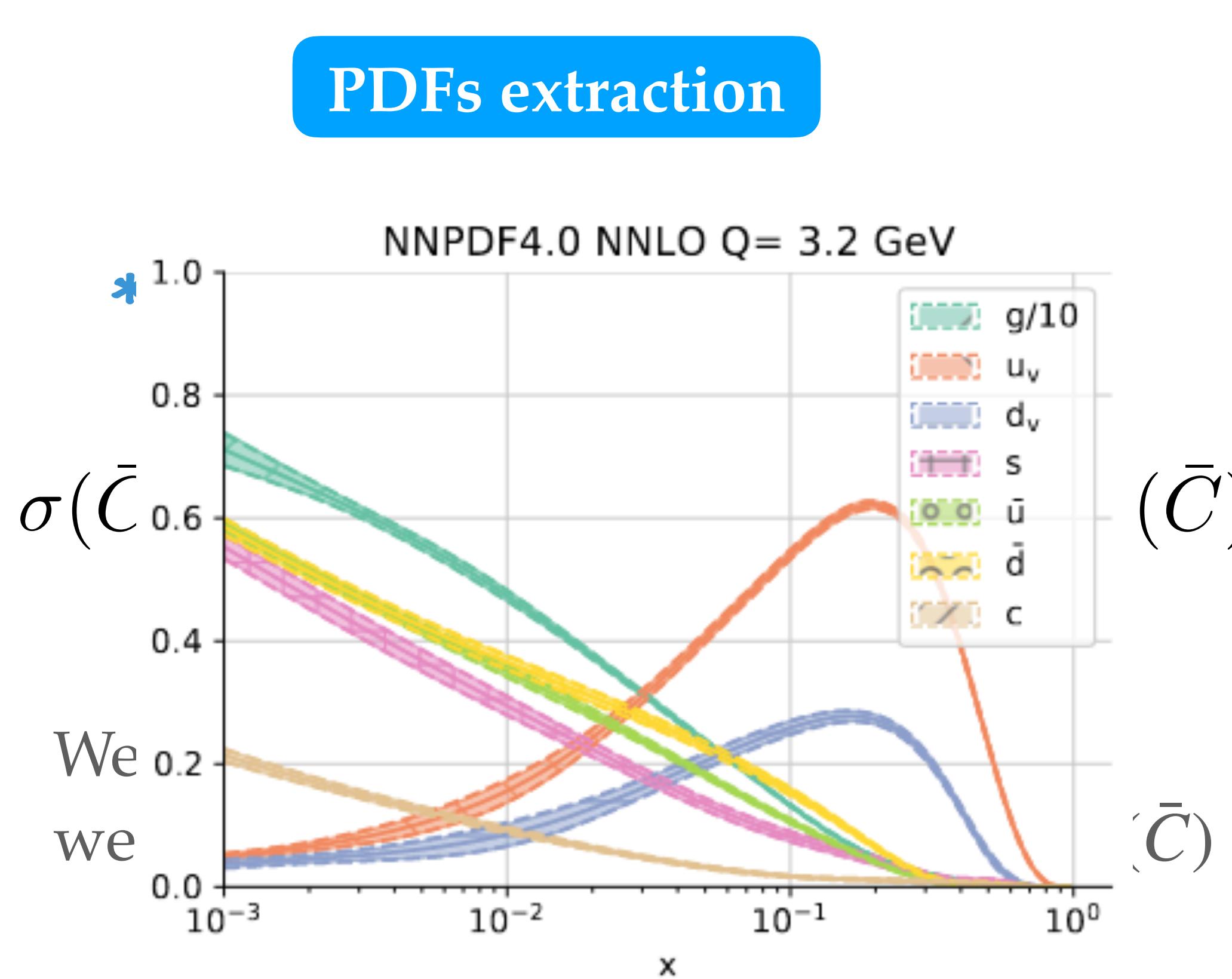
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Physics parameters

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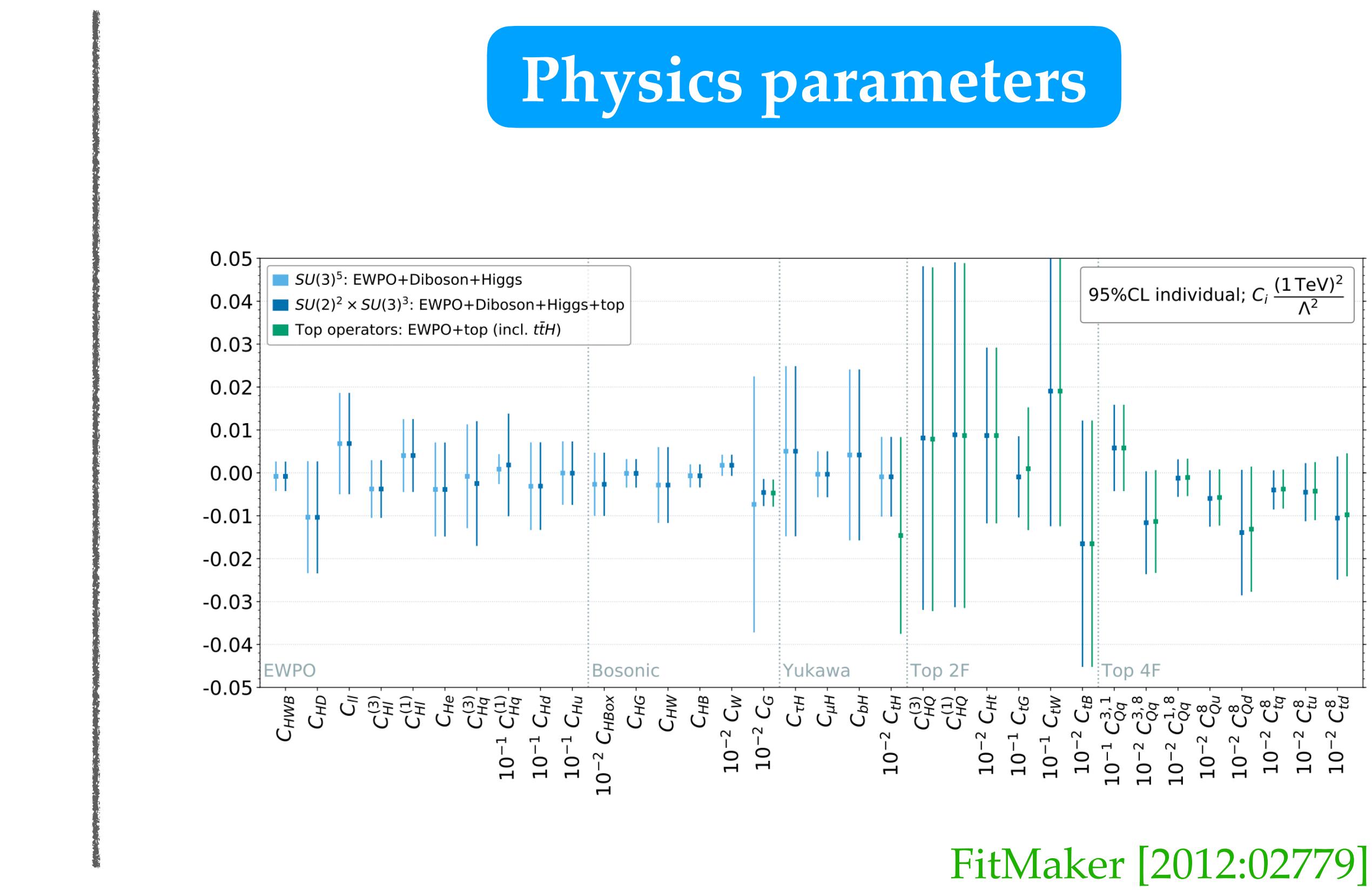
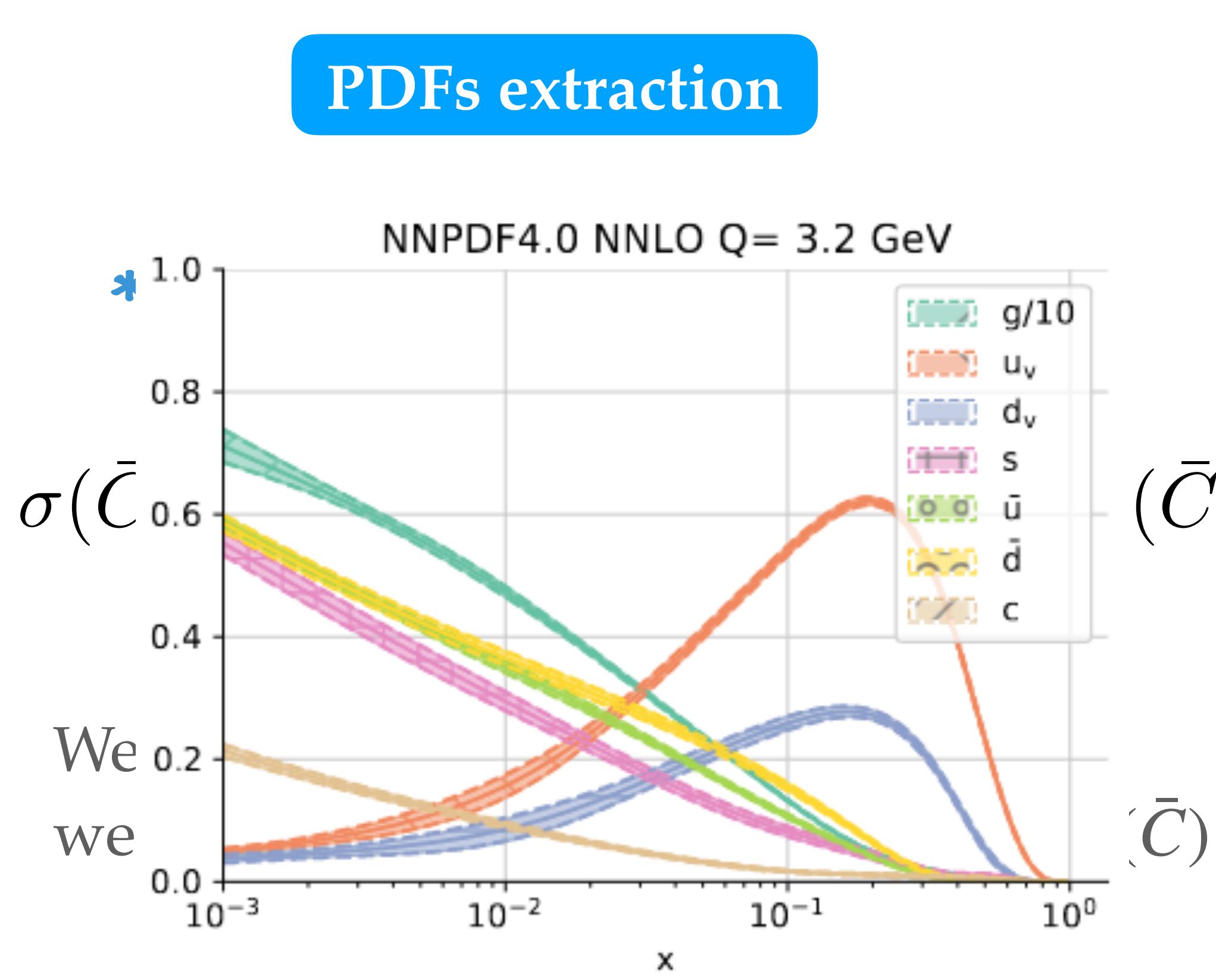
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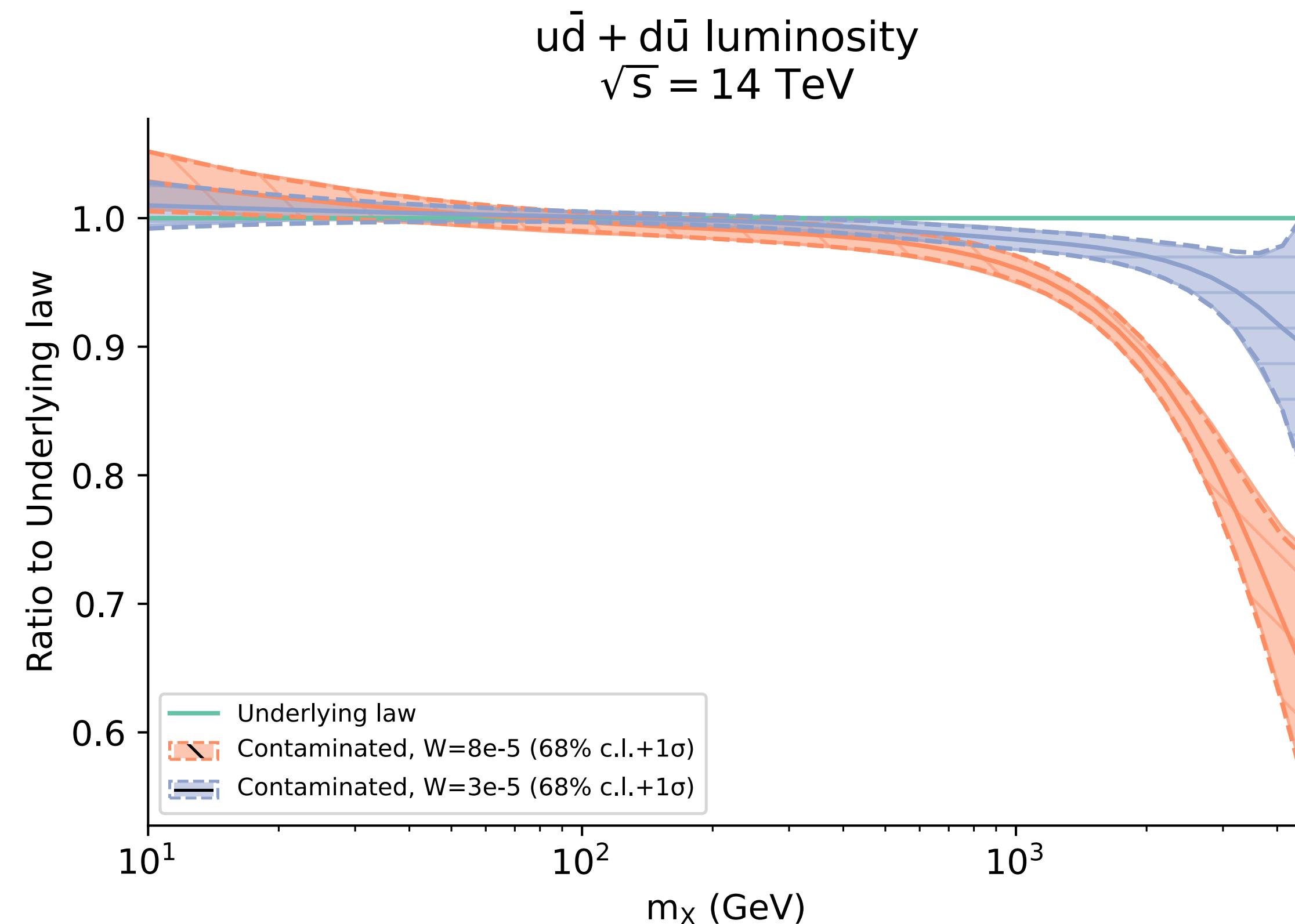


Forward facilities

We repeat the exercise with projections from
→ FASER, FASER2, SND and AdvSND

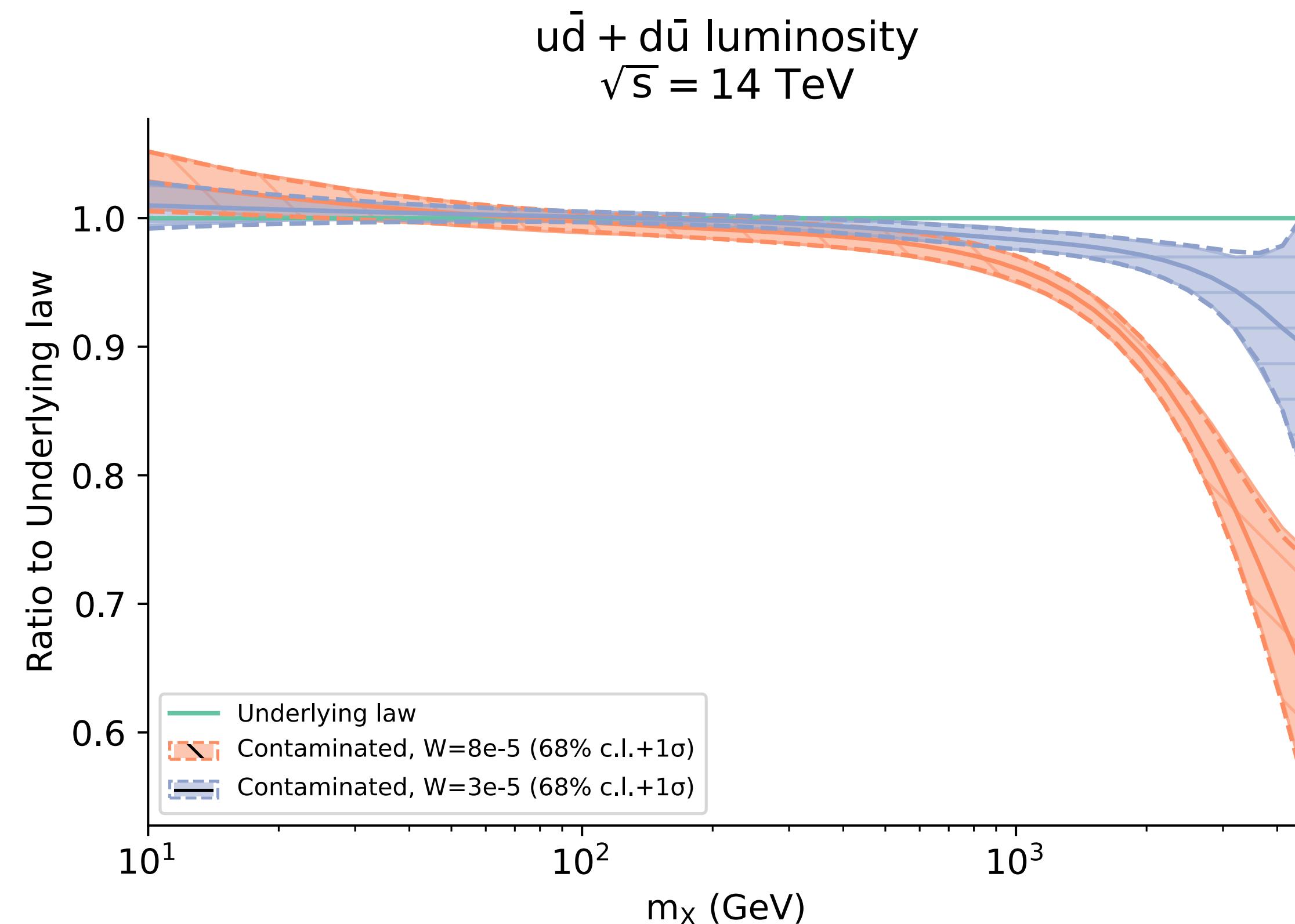
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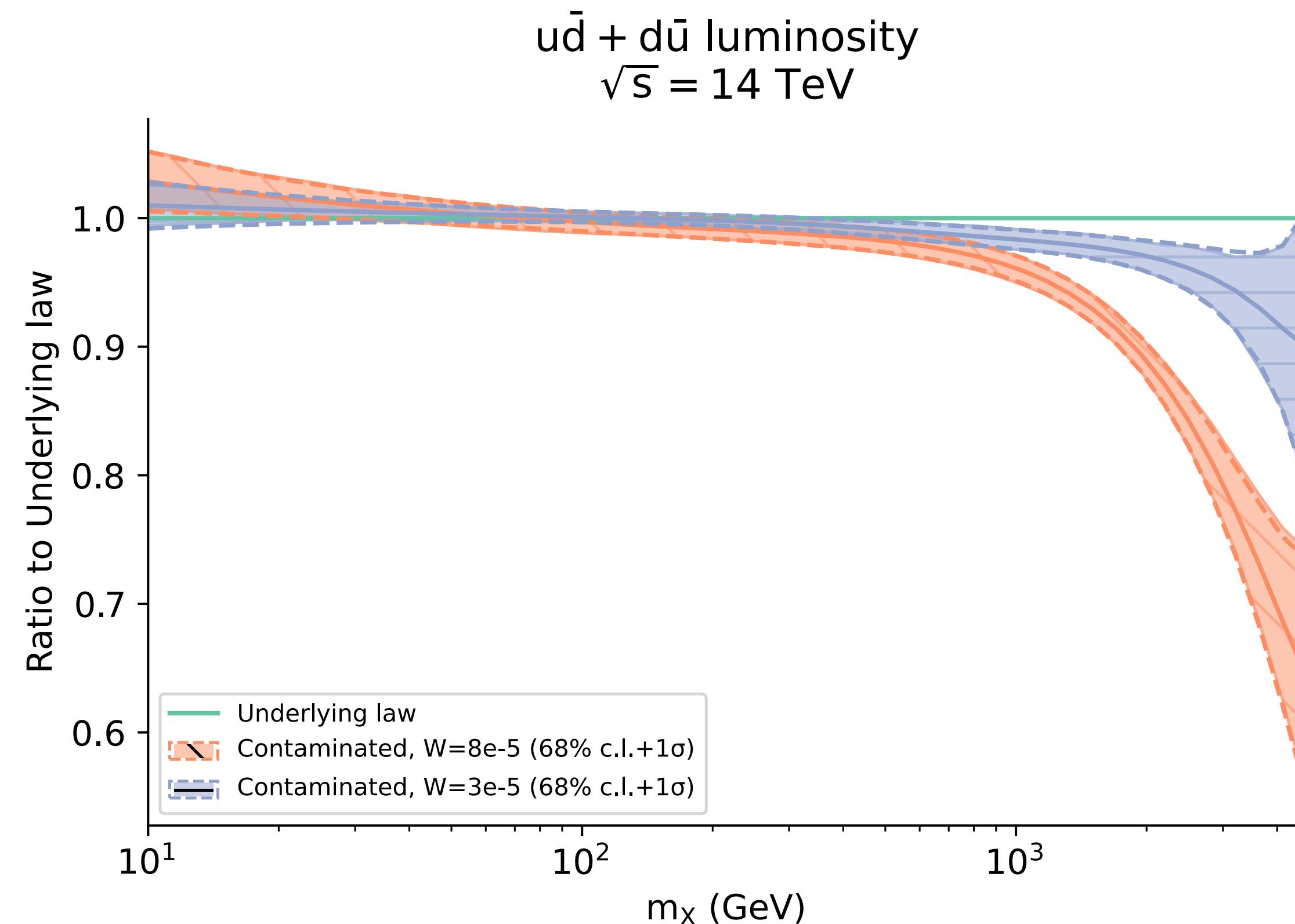
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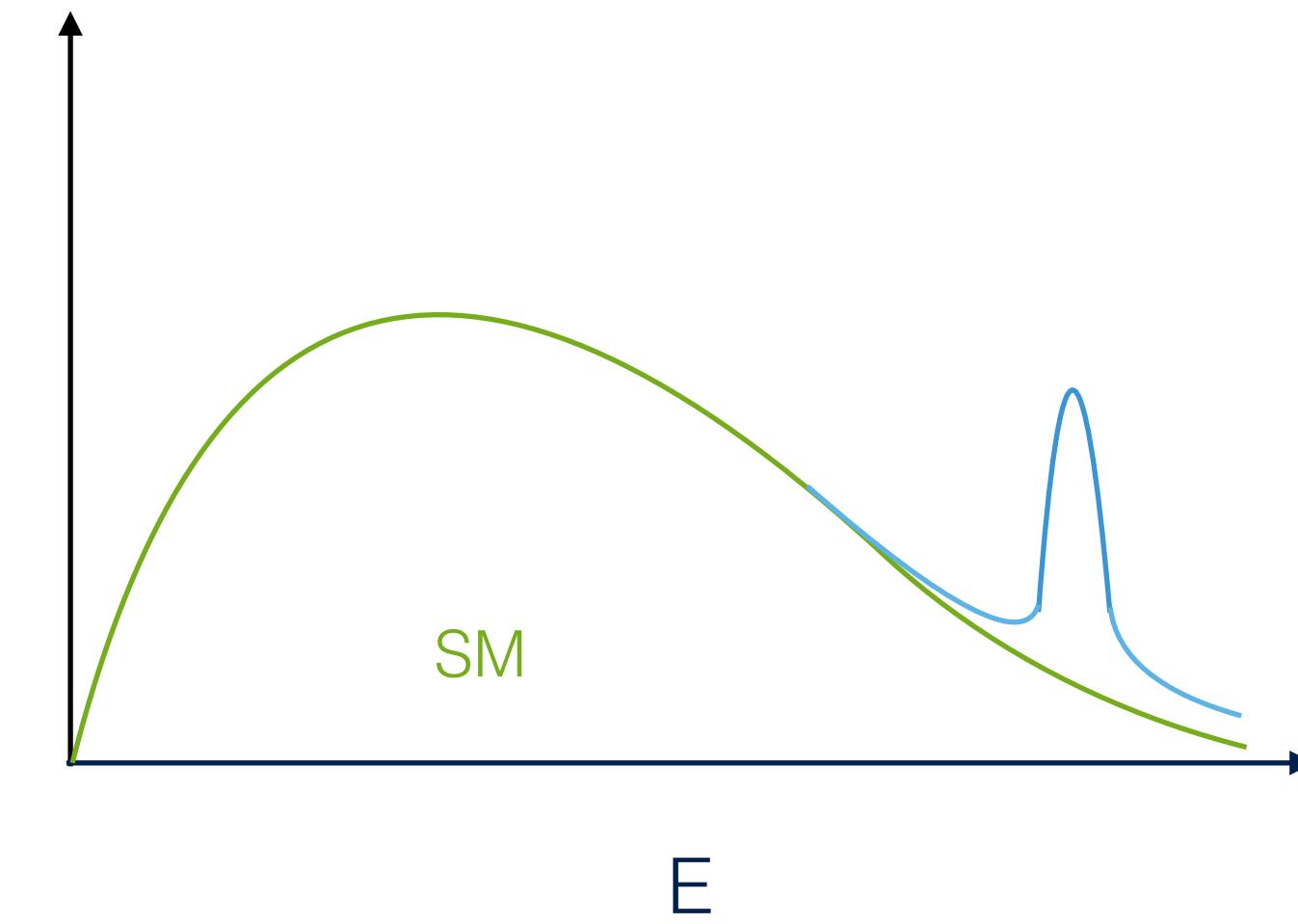


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$M_{W'} : 14 \text{ TeV} \rightarrow 23 \text{ TeV}$

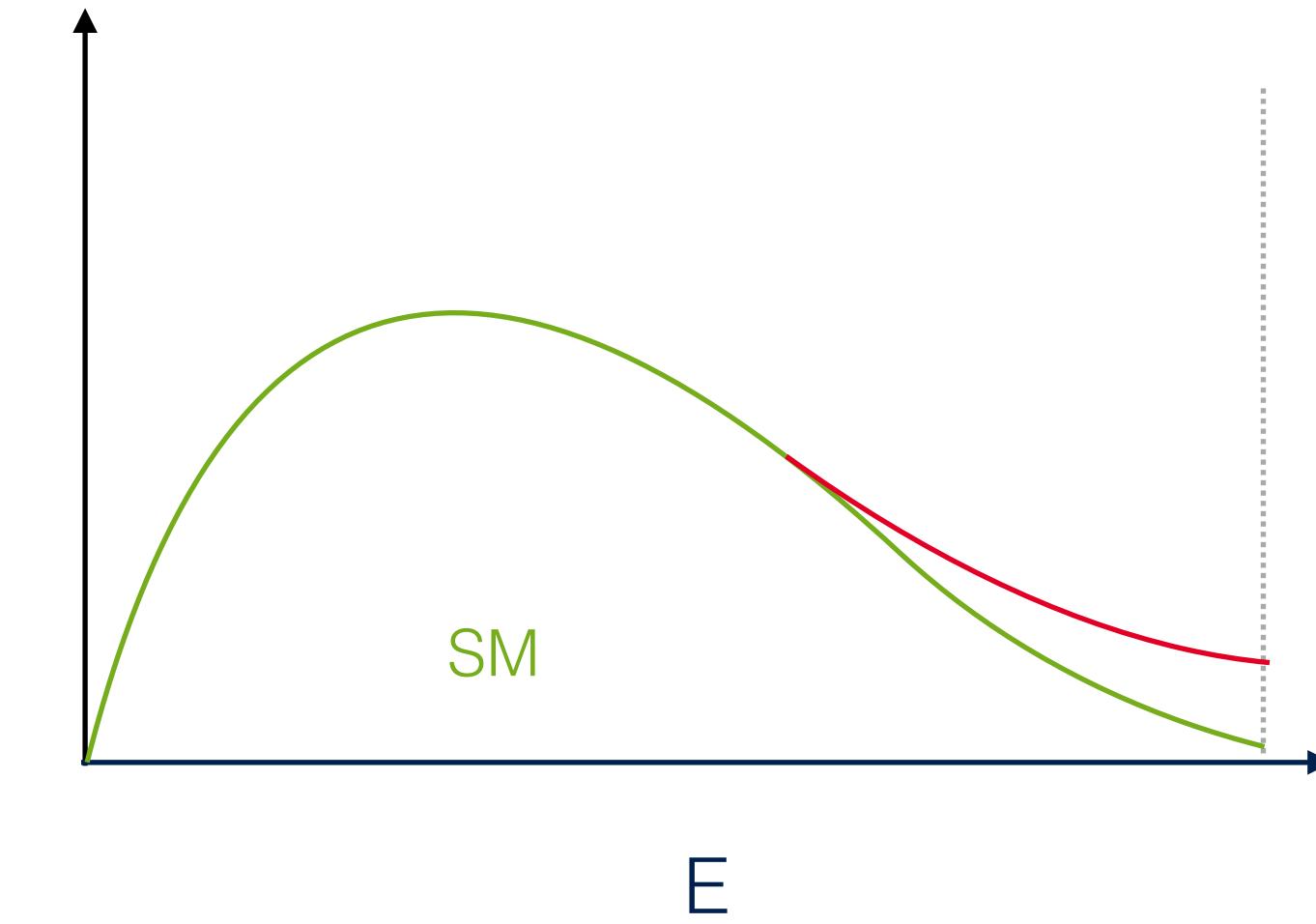
The quest for New Physics

Direct search (Bumps)



The quest for New Physics

Direct search (Bumps)
Indirect (scouting tails)

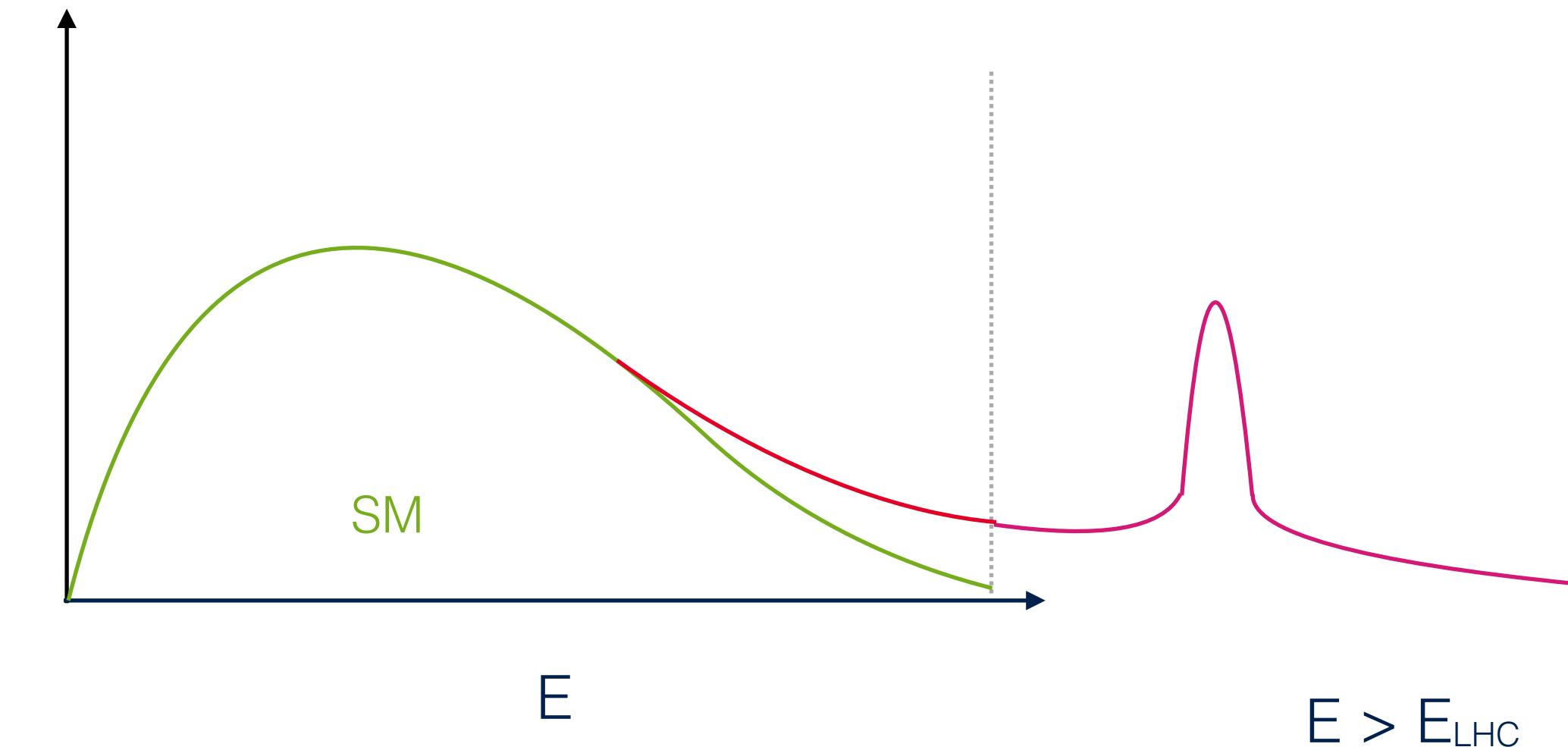


The quest for New Physics

Direct search (Bumps)

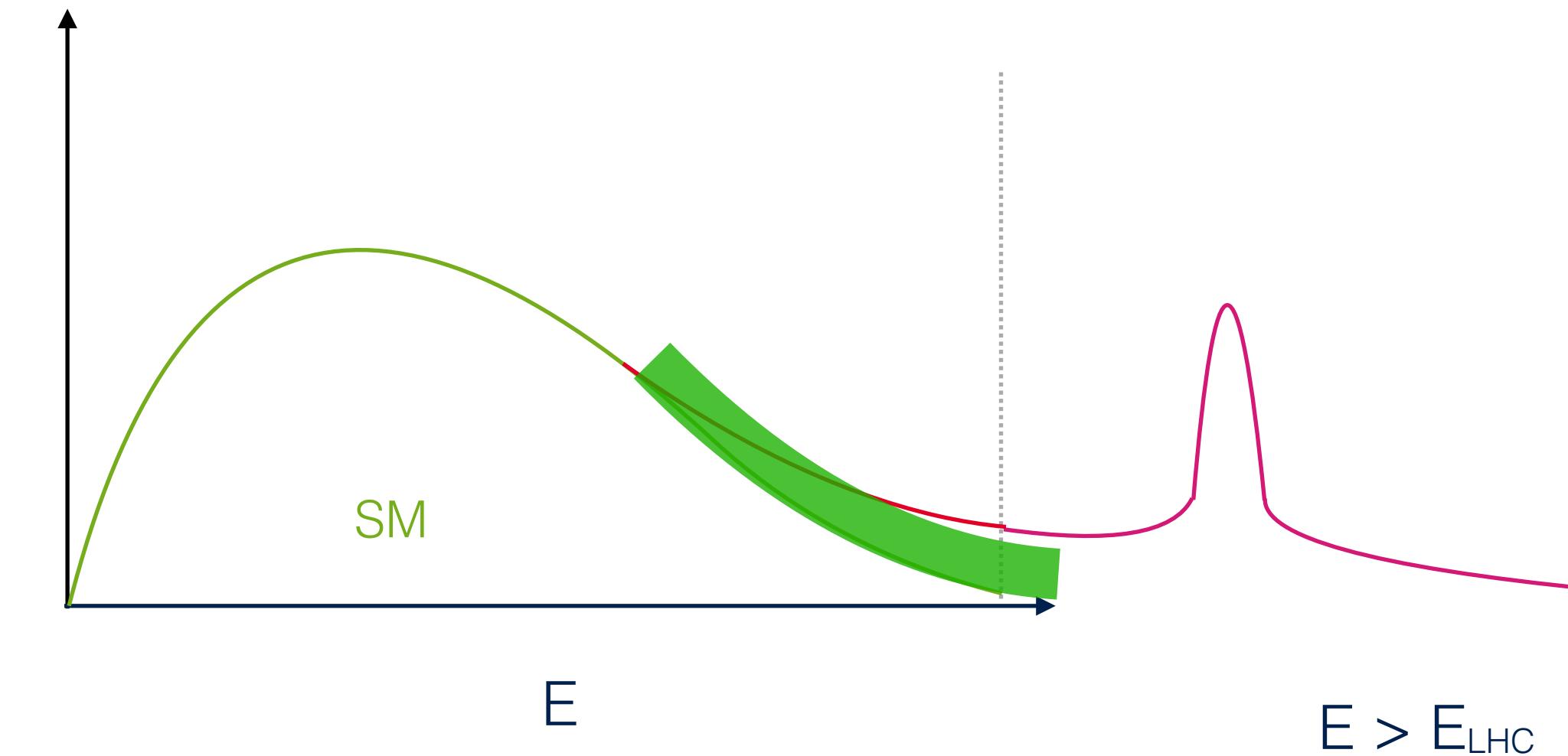
Indirect (scouting tails)

New physics is heavy



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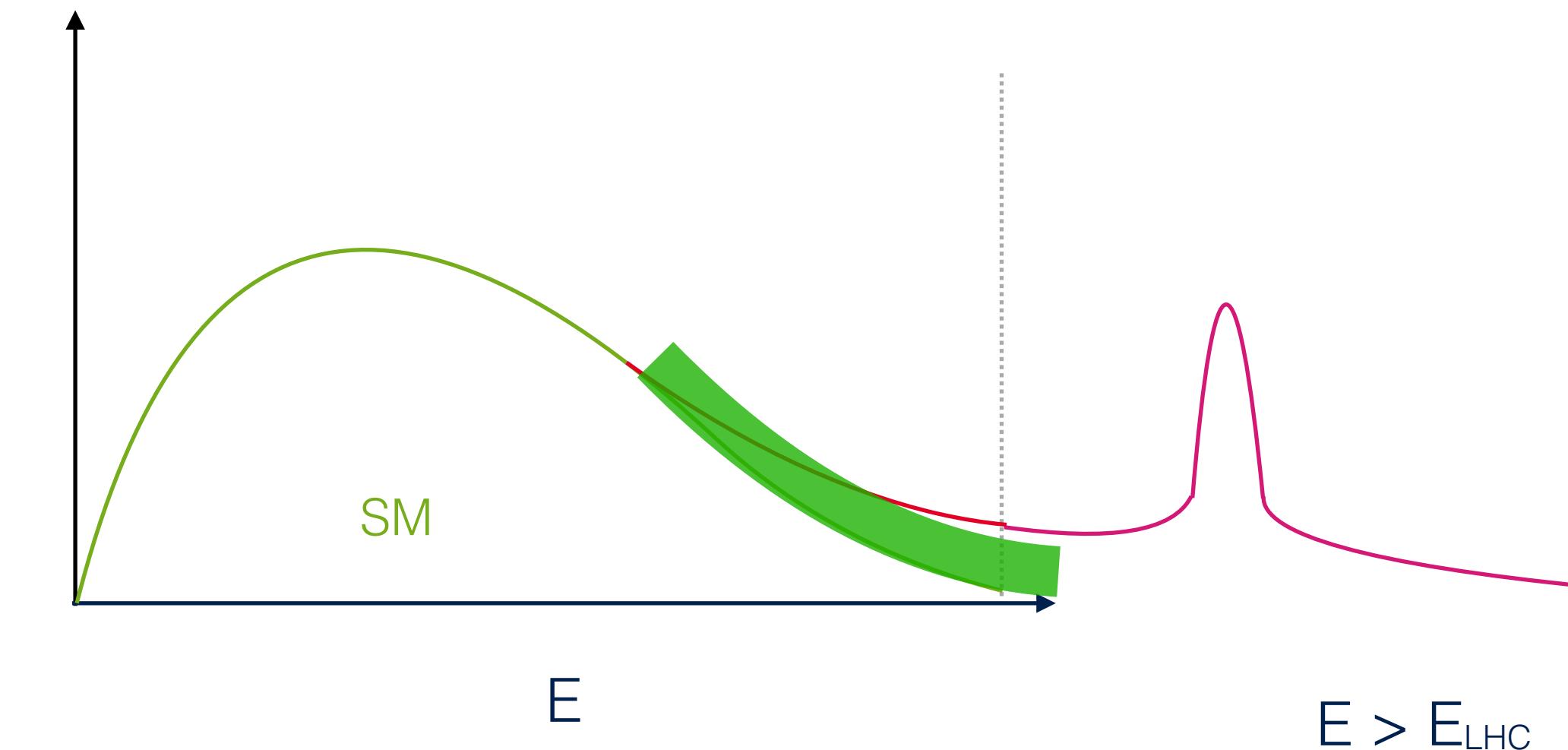


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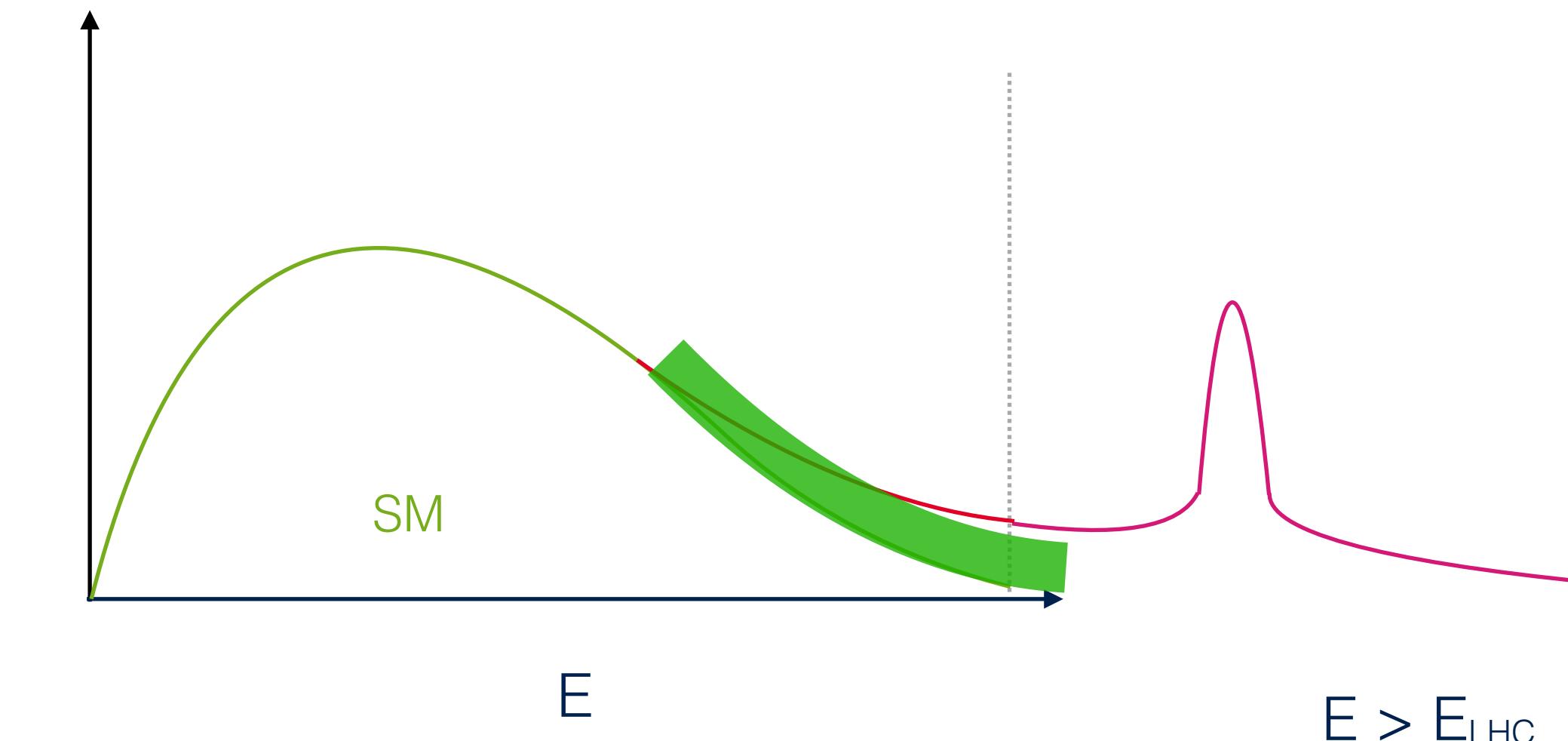
Framework to describe both precision physics and Heavy New Physics

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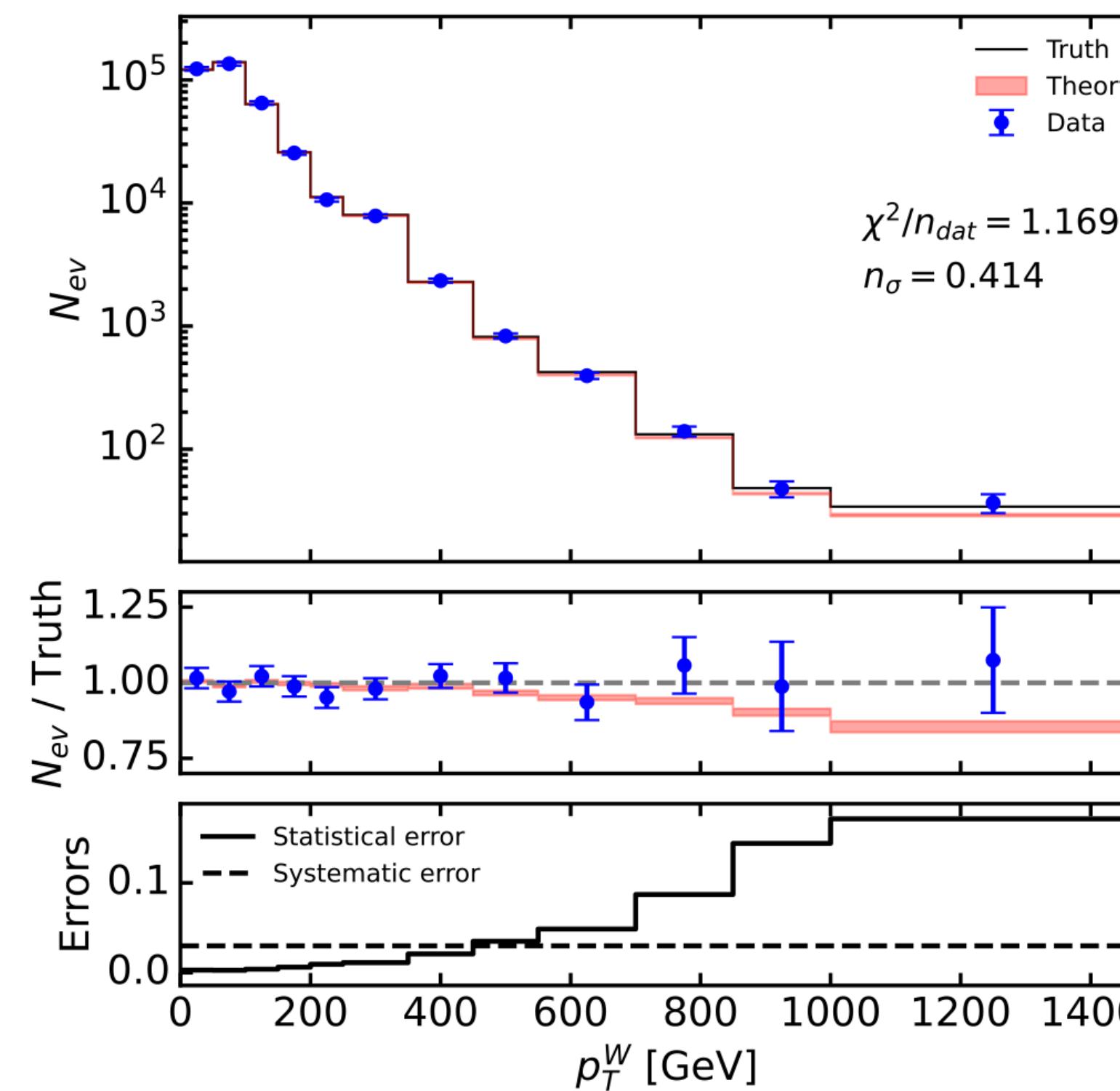


Framework to describe both precision physics and Heavy New Physics

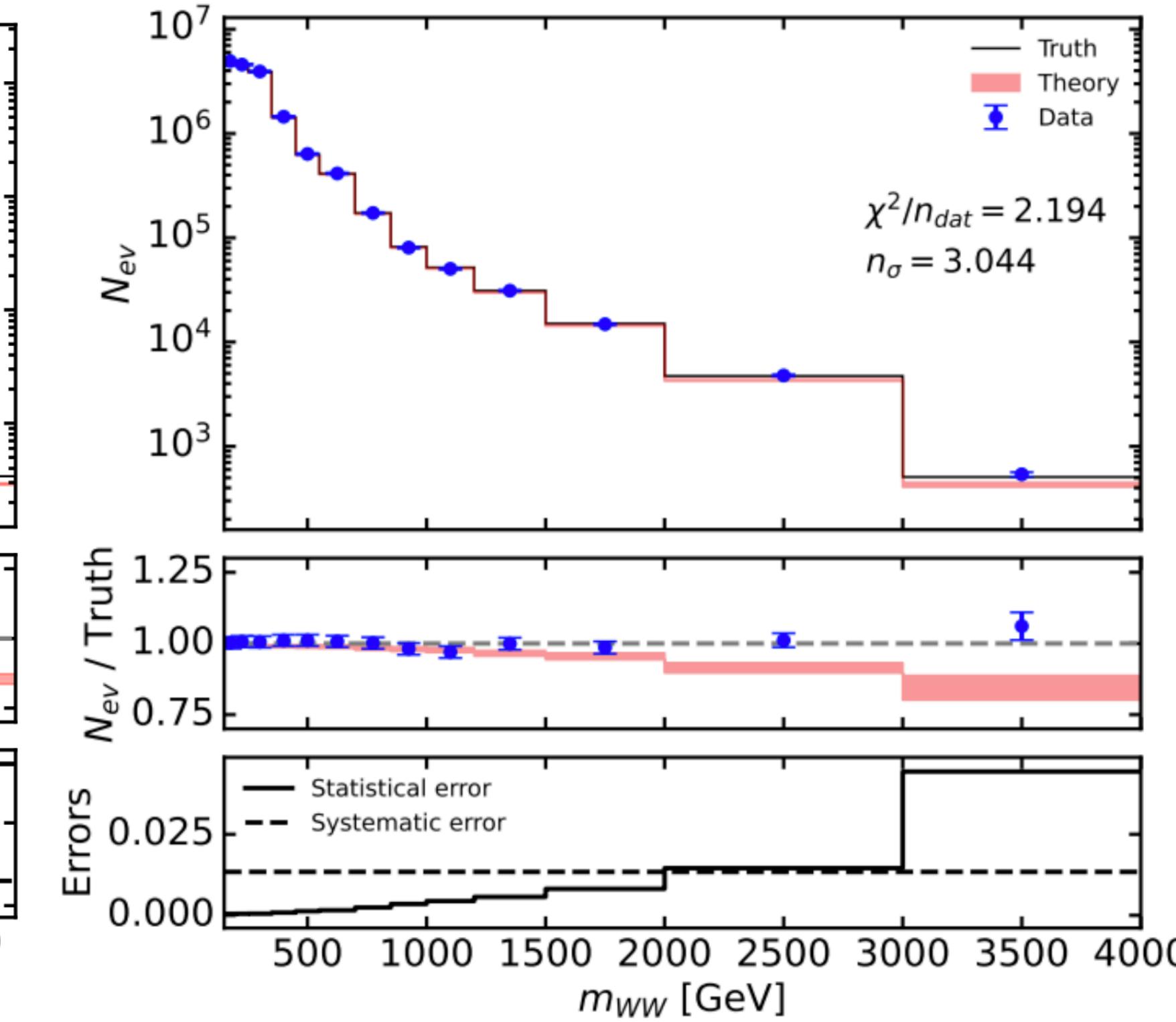
Standard Model Effective Field Theory (SMEFT)

Spurious New Physics

$pp \rightarrow W^+ H$

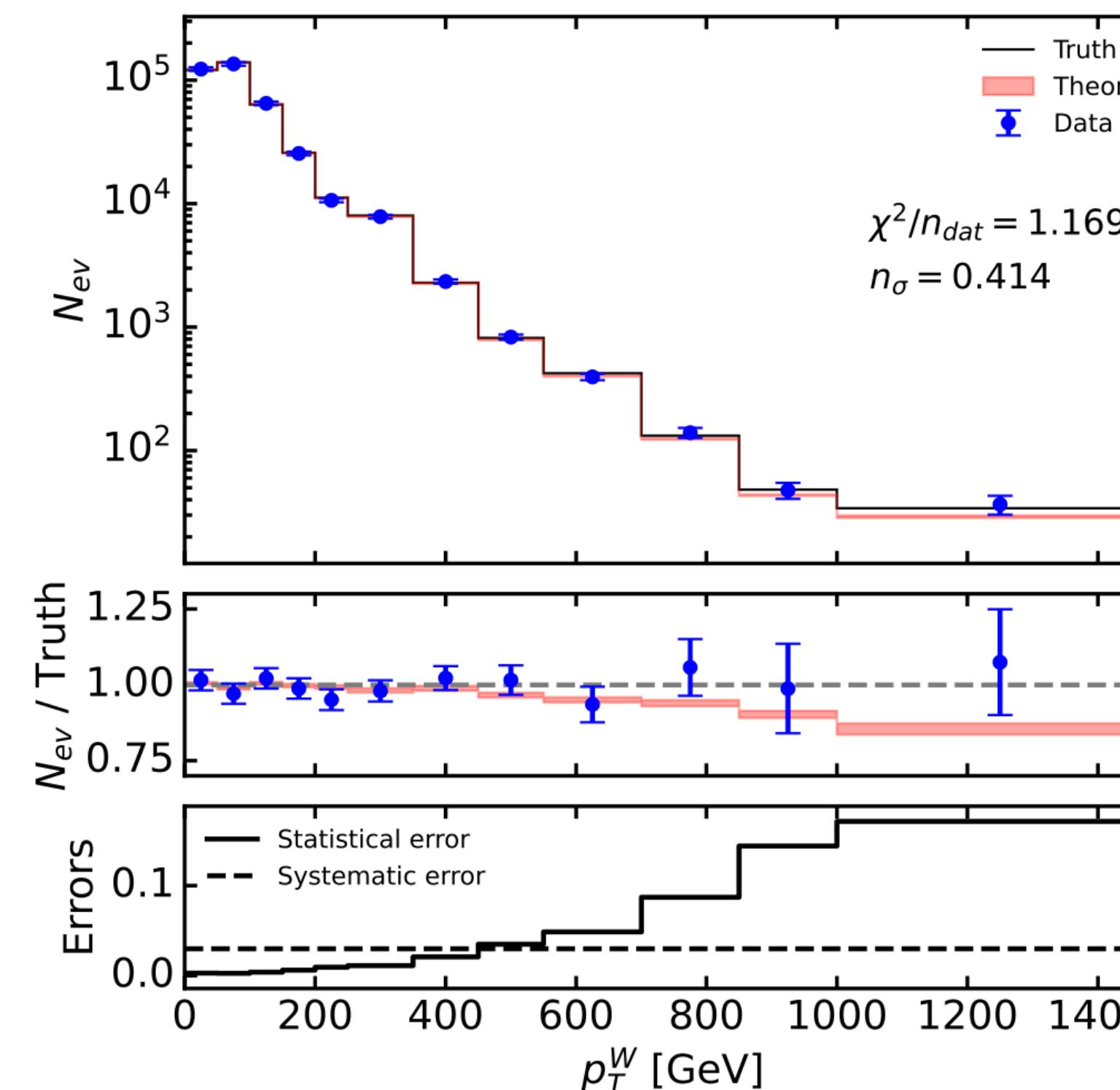


$pp \rightarrow W^+ W^-$

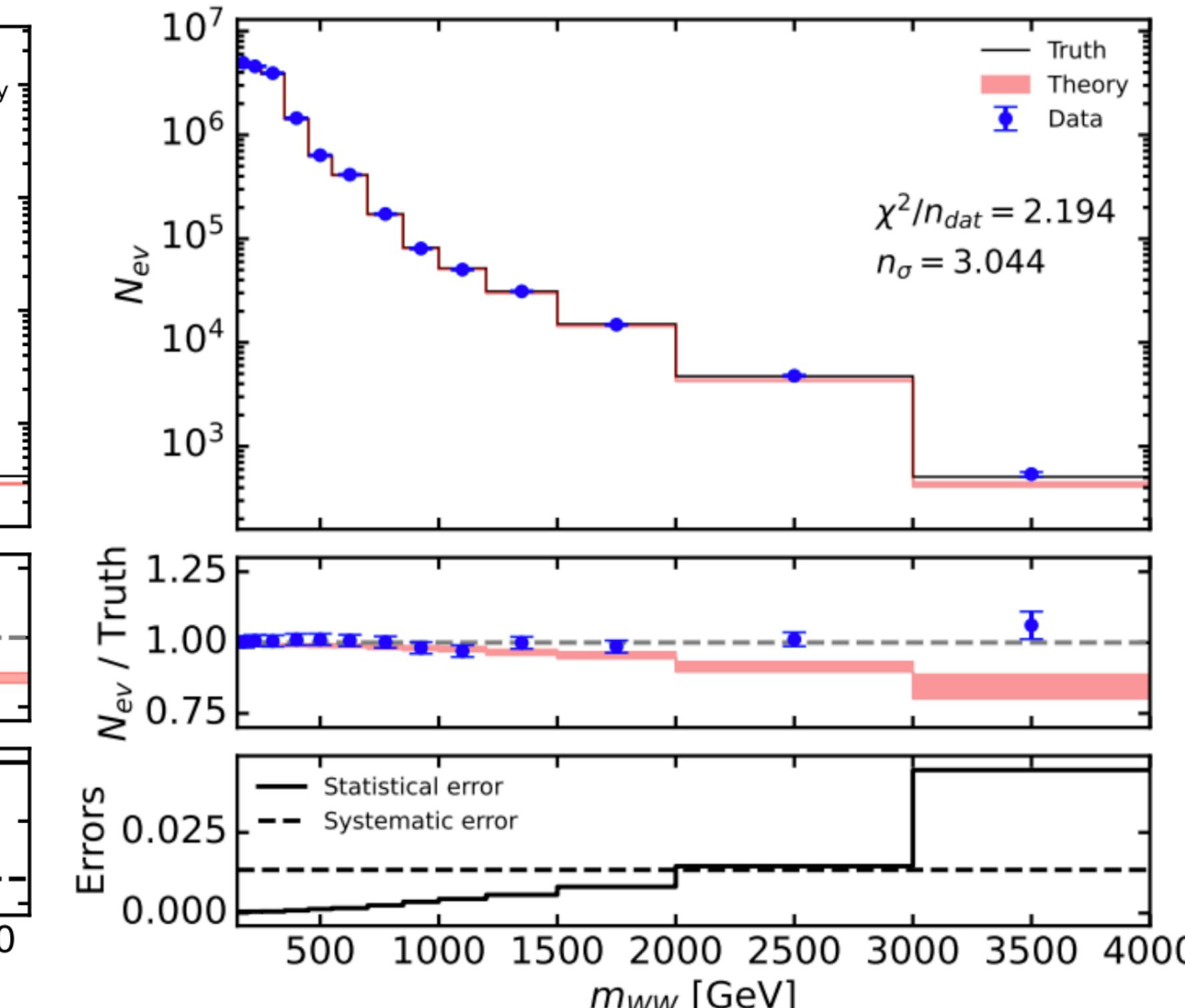


Spurious New Physics

$pp \rightarrow W^+ H$



$pp \rightarrow W^+ W^-$



Observables
not affected by W'

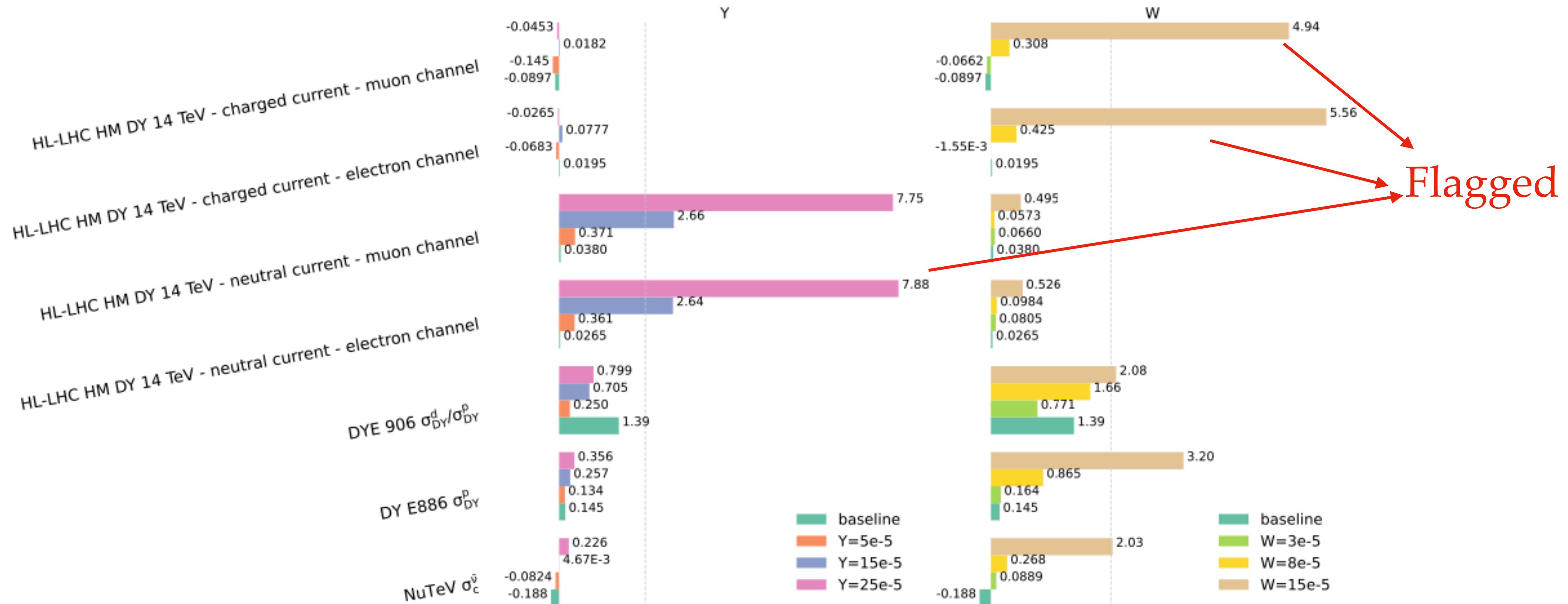


Spurious NP

Fit metrics

Baseline: SM pseudodata

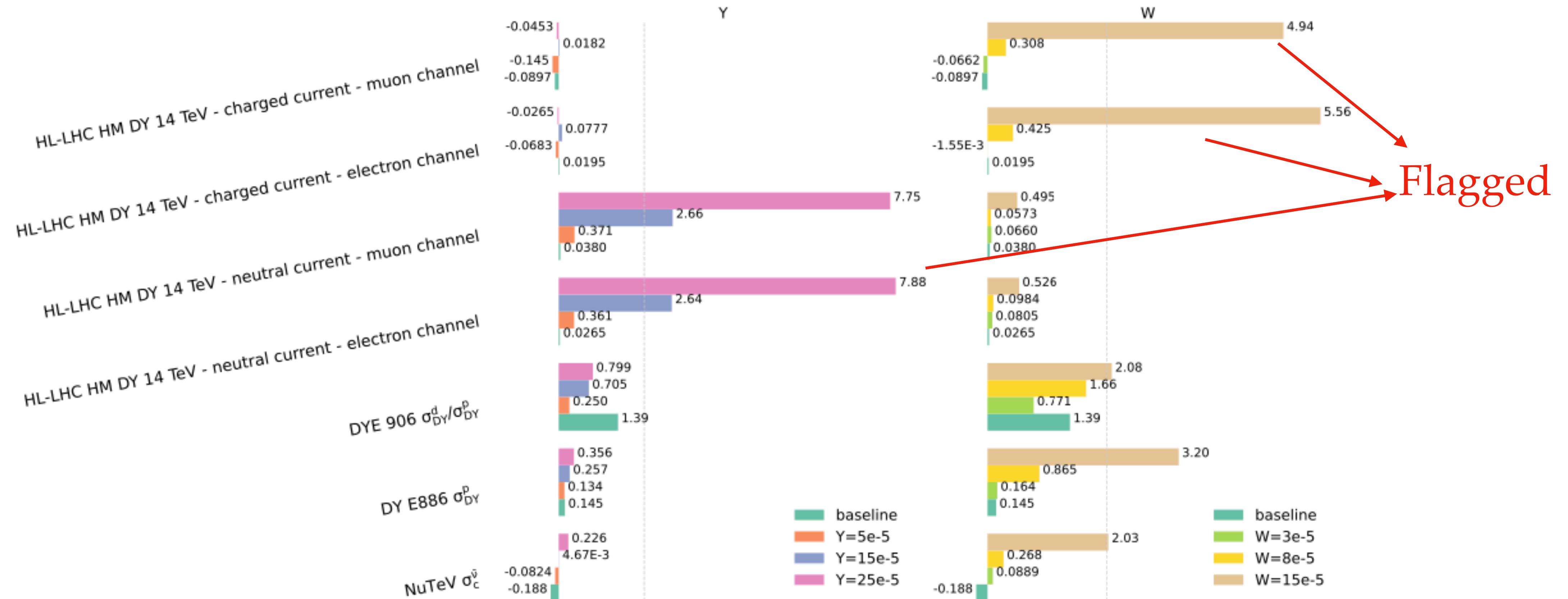
$$n_\sigma = \frac{\chi^2 - 1}{\sigma_{\chi^2}}$$



Fit metrics

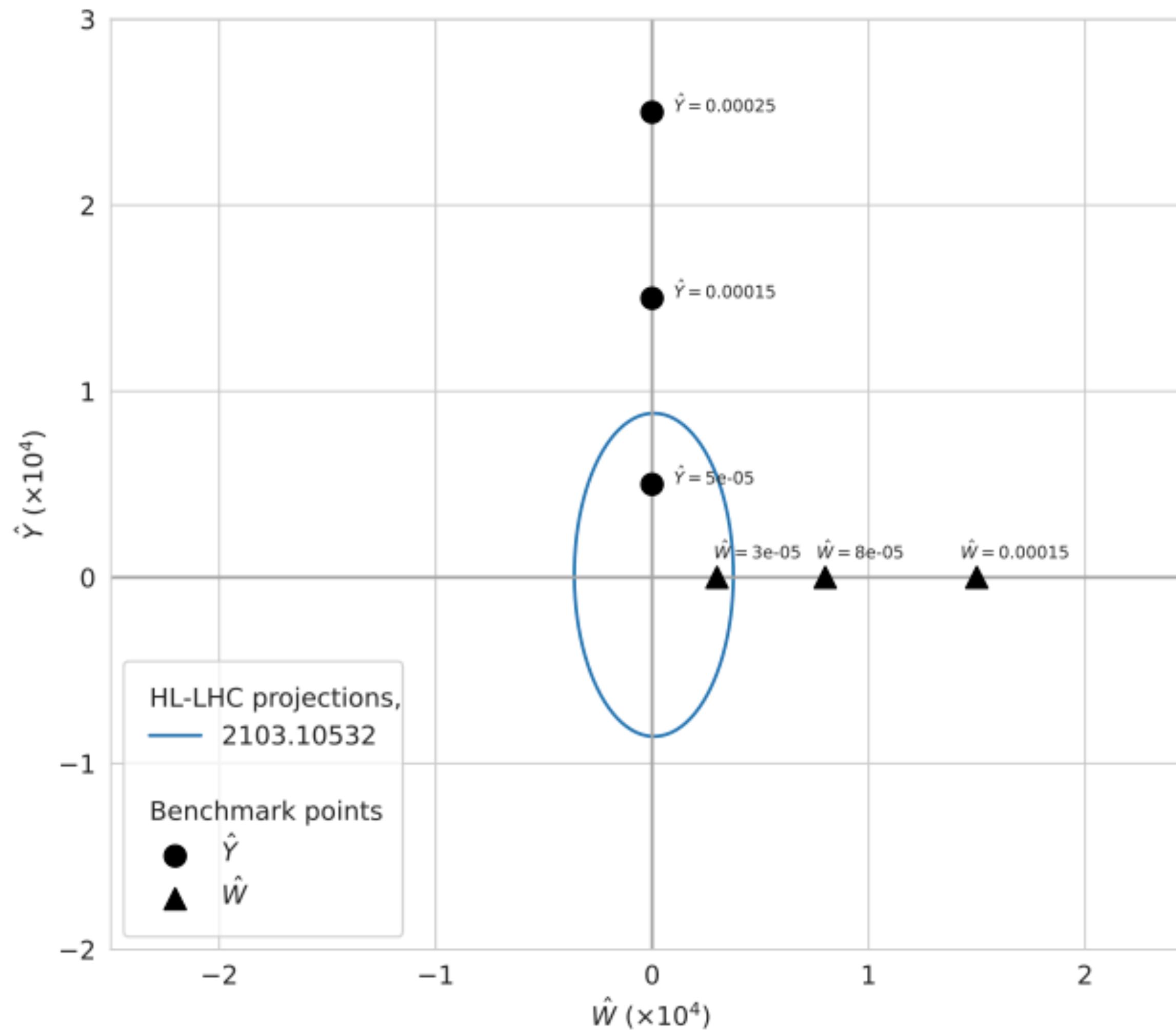
Baseline: SM pseudodata

$$n_\sigma = \frac{\chi^2 - 1}{\sigma_{\chi^2}}$$



$$\hat{W} = 8 \cdot 10^{-5}, \quad M_{W'} \approx 14 \text{ TeV}$$

BSM scenarios

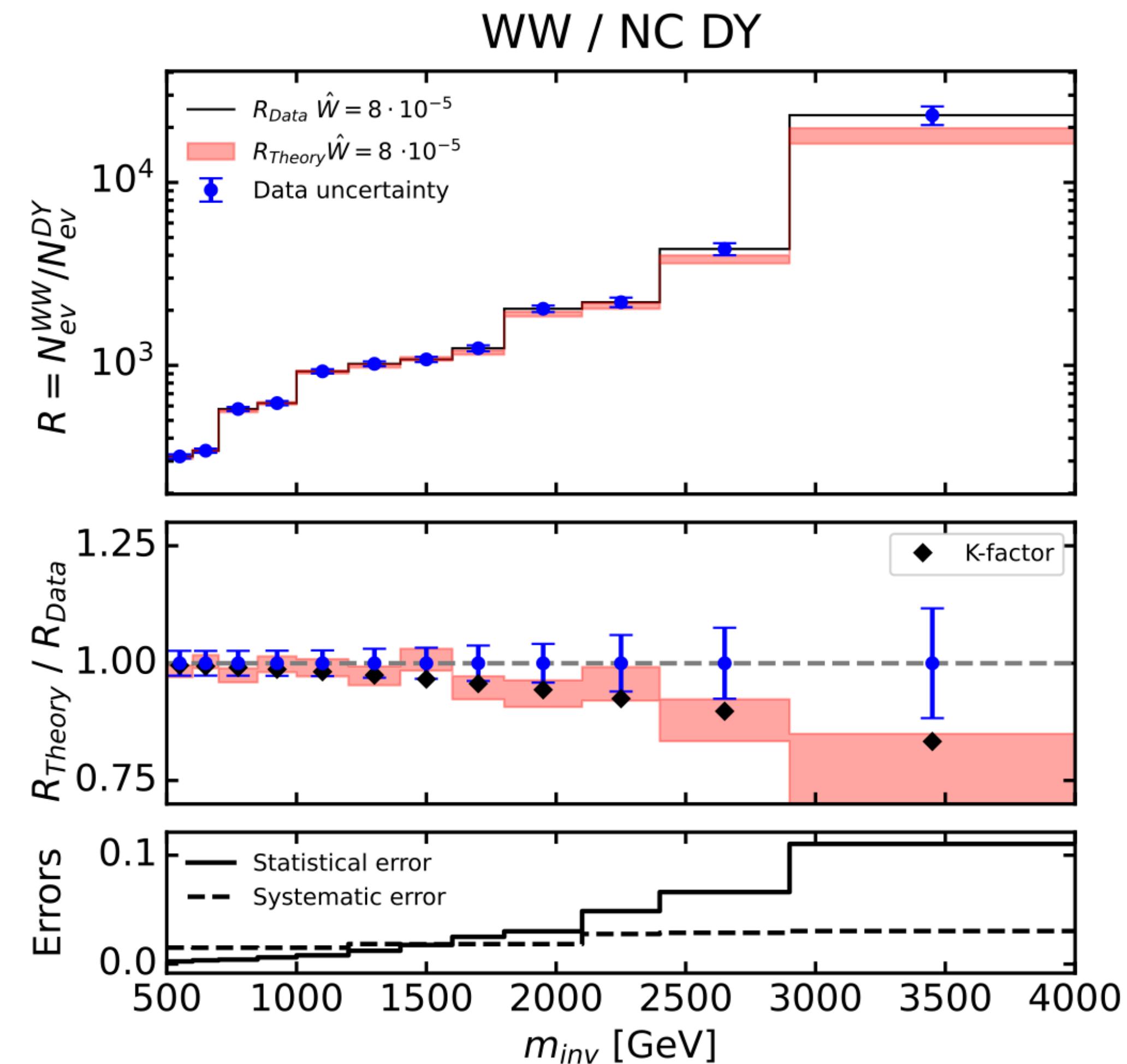


Ratio observables

Observable which is **independent** of PDFs

Ratio observables

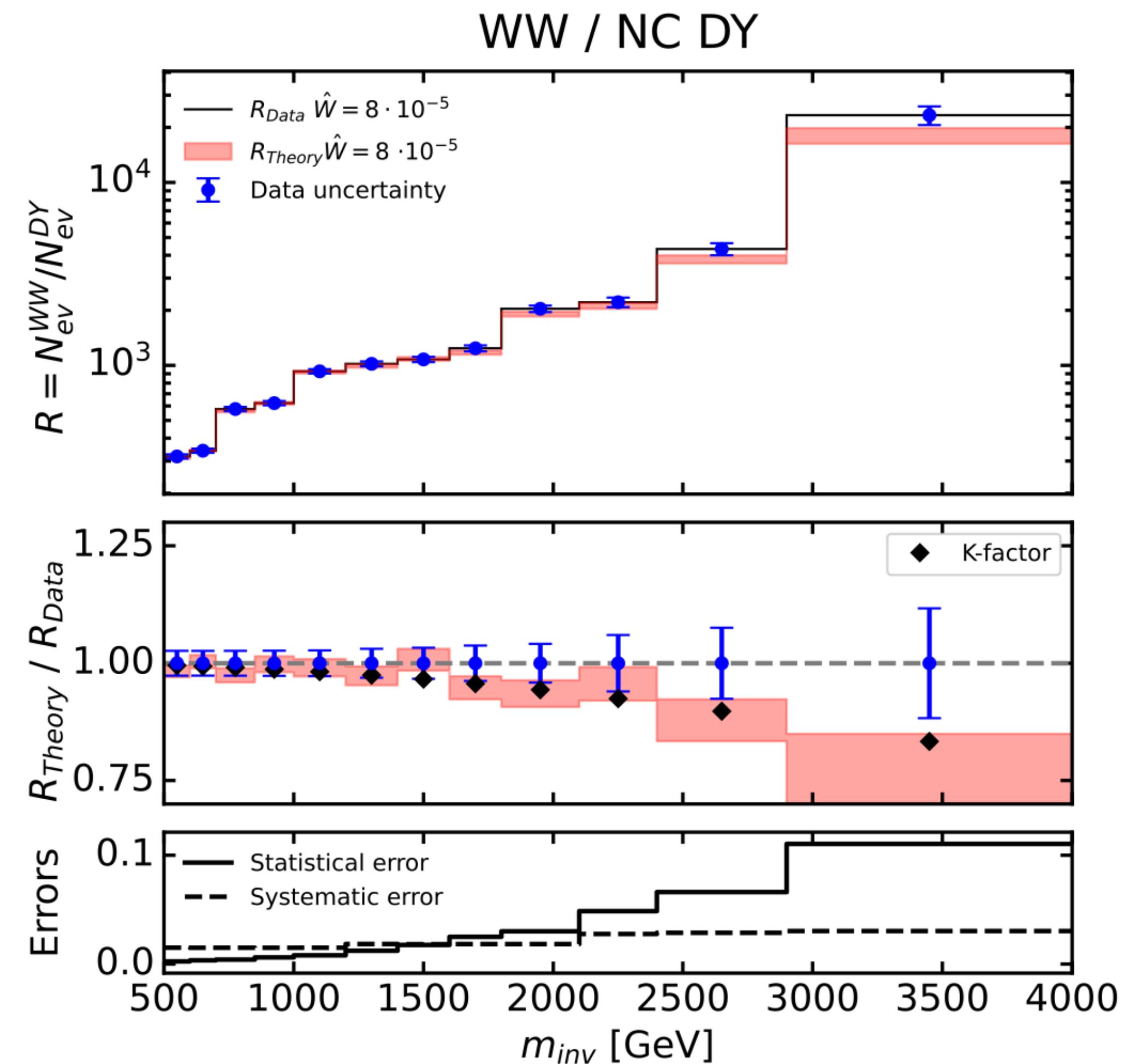
Observable which is **independent of PDFs**



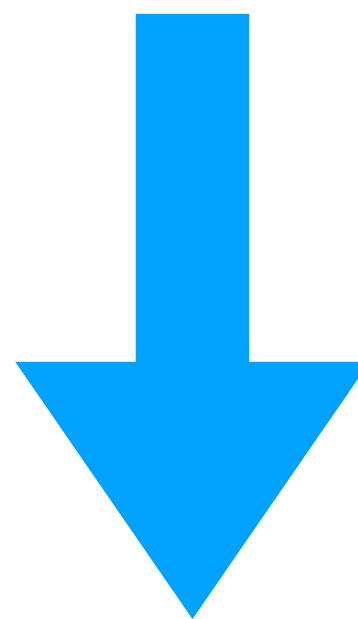
Ratio of WW and DY:
prediction has suppressed
dependence on PDF

Ratio observables

Observable which is **independent** of PDFs



Ratio of WW and DY:
prediction has suppressed
dependence on PDF



NP is there... but where?