



• 25,600 3-inch "small" and  $17,612$  20-inch "large" photomultiplier  $\sim 50 / day$ tubes (SPMTs and LPMTs, respectively) detect the light produced by neutrino interactions in the CD.





It is imperative to develop reconstruction algorithms tailored to the energy ranges of diverse physical detection objects.

## **Detection Characteristics of Sub-GeV Events in JUNO**

- SPMT (3 inch): • About half of the
	- SPMTs are unfired



Distributions of the second-moment for electrons with different kinetic energies.

Electron  $-10$ Me  $-50MeV$ 

> $-200MeV$  $-500$ MeV

> > $700Me$ 1000Me

> > > The distribution of nPE received by LPMTs (a) and SPMTs (b) for 500 MeV electrons deposited their kinetic energies in the LS. (c) The proportion of fired SPMTs for electrons deposited their kinetic energies at different locations.

 $25$ nPEbyPMT [p.e.]

electrons

## **Method of Energy Reconstruction**  $(0.3 \text{ PEs in this study})$  in the case of  $k_i > 0$ , calculated as



- LPMT (20 inch):
	- Most LPMTs will receive tens or even hundreds of PEs.
	- Accurate charge reconstruction is a challenge



This study proposes a unique way to reconstruct event energy with PMT counting technology, i.e. the OCCUPANCY method, which does not rely on precise charge measurement in a single PMT channel.

• Our algorithm can be applied to detect various physics events (no track-like) across a wide energy range from MeV to GeV in JUNO.

Discrete energy reconstruction with reconstructed edep vertex after electronic simulation and charge reconstruction. The blue line is the FC events and the green line is the PC events. According to the fitting results (red line) of FC spectra, it can be observed that the reconstructed visible energy is about 6% larger than the deposited energy of the electron. More specifically, for electrons with kinetic energies of 10 MeV, 50 MeV, 200 MeV, 500 MeV, 700 MeV and 1 GeV, the ratio of reconstructed visible energy to deposited energy is found to be 1.062, 1.061, 1.058, 1.059, 1.060 and 1.064, respectively. The corresponding explanation is provided in the text.

Energy deposition

- It is cluster-like rather than point-like.
- Introduce the second moment *S* to describe the shape of events

$$
S = \frac{\sum_{\alpha=1}^{N_E} E_{\alpha} \times [\overrightarrow{r_{\alpha}}(x_{\alpha}, y_{\alpha}, z_{\alpha}) - \overrightarrow{r}(x, y, z)]^2}{\sum_{\alpha=1}^{N_E} E_{\alpha}}
$$

where  $N_E$  is the number of secondary energy depositions for the event.  $E_{\alpha}$  and  $\overrightarrow{r_{\alpha}}(x_{\alpha}, y_{\alpha}, z_{\alpha})$  are the energy deposition and position in the  $\alpha^{\text{th}}$  secondary energy deposition, respectively.  $\overrightarrow{r}(x, y, z)$  is the energy-deposit center for the event, which is the weighted average of secondary energy deposition

Basic idea: Only use the firing information (fired or<br>unfired) of 25600 SPMTs<br> $= \sum_{n=1}^{n} [\text{Poisson}(k_i | \mu_i^{\text{true}}) \times \int_{0}^{q_i^{\text{threshold}}} \text{Gaus}(q_i | g_i, \sigma(g_i)) dq_i]$ unfired) of 25600 SPMTs

 $P_{\text{unfired}}(\mu_i^{\text{true}}) = P(q_i < q_i^{\text{threshold}}|\mu_i^{\text{true}})$ =  $Poisson(k_i = 0 | \mu_i^{true}) + P_{threeLoss}(\mu_i^{true}),$  $P_{\text{fired}}(\mu_i^{\text{true}}) = P(q_i \geq q_i^{\text{threshold}}|\mu_i^{\text{true}})$  $=1-P_{\text{unfired}}(\mu_i^{\text{true}})$ where  $q_i$  is the reconstructed charge of the *i*<sup>th</sup> SPMT,  $\mu_i^{\text{true}}$  $(\mu_i^{\text{true}} = \mu_i^{\text{phy}} + \mu_i^{\text{dn}})$  is the mean value of the Poisson distribution, which consists of two components: (1)  $\mu_i^{\text{phy}}$  caused by the visible energy of physics events;

(2)  $\mu_i^{\text{dn}}$  introduced by the dark count (DR<sub>i</sub>) of the i<sup>th</sup> SPMT, and it can be calculated by  $\mu_i^{\text{dn}} = \text{DR}_i \times t$  in a time window of  $t$ ;

 $P_{\text{threLoss}}(\mu_i^{\text{true}})$ where  $g_i = S_i^{\text{gain}} \times k_i$  and  $\sigma(g_i) = \sqrt{g_i} \times \sigma_i^{\text{spe}}$ , with n indicates the case of multiple PEs,  $S_i^{\text{gain}}$  corresponds to the ratio between the real SPMT gain and the normal SPMT gain  $(3 \times 10^6)$  in JUNO,  $\sigma_i^{\rm spe}$  denotes spe resolution of the *i*<sup>th</sup> SPMT. In real detection,  $S_i^{\text{gan}}, \sigma_i^{\text{spe}}$  and  $\text{DR}_i$  can be obtained from PMT calibration.

 $P_{\text{threeLoss}}(\mu_i^{\text{true}})$  is the probability of  $q_i < q_i^{\text{threshold}}$ 

• The relationship between  $\mu_i^{\text{phy}}(\mu_i^{\text{phy\_source}})$  and the relative  $N_{\text{unfired}}$ position can be determined using the calibration data.<br>  $\mathcal{L} = \prod^{N_{\text{unfired}}} P_{\text{unfired}}(\mu_i^{\text{phy}}) \prod^{N_{\text{fired}}} P_{\text{fired}}(\mu_i^{\text{phy}})$ The relationship between the event's visible energy  $E_{\text{vis}}$  and  $\mu_i^{r}$  for the  $\iota^c$  $_{i}^{phy}$  for the  $i^{th}$  SPMT can be described as:





Example of calibration map for one  $\theta_{\text{SPMT}}$  group whose  $\theta_{\rm SPMT}$  values from 18<sup>°</sup> to 18.125<sup>°</sup>



• Finally, −lnℒ will be minimized so as to acquire the reconstructed  $E_{\text{vis}}$ 

## Energy Reconstruction Performance



600 650 700<br>Rec. Energy [Me

 $(e)$  700 MeV

350 400 450 500 55<br>Rec. Energy [Me

(d)  $500 \text{ MeV}$ 

Resolution in several discrete energy in simulation phase.

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 $10$ 

Rec. Energy [Me

 $(f)$  1000 MeV

C+PC (elecsim + rec edep center

 $\triangle$  FC (elecsim + rec edep center)

10<sup>2</sup><br>Rec.Energy [MeV]

 $-10$ Me  $\overline{4}$  500MeV  $-10$ MeV  $-600$ MeV  $-10MeV$  $\div$  500MeV 700MeV  $-50MeV$ 700MeV 700MeV  $-50MeV$ 1000MeV  $-200$ MeV 1000MeV 1000Me\  $-200Me$  $3102$  $\cup$  $\frac{1}{2}$ 1500 2000 2500 3000 3500 4000 1000 2000 2500 3000 3500 4000 1500 2000 2500 3000 3500 4000  $r^3$  [m<sup>3</sup>]  $r^3$  [m<sup>3</sup>  $r^3$  [m<sup>3</sup>] (a) Without electronic simulation and charge (b) With electronic simulation and charge (c) With electronic simulation and charge reconstruction, using true energy-deposit center for reconstruction, using true energy-deposit center for reconstruction, using reconstructed energy-deposit center for energy reconstruction energy reconstruction energy reconstruction

Uniformity of discrete energy reconstruction for all (FC+PC) events. On each plot, black vertical dotted lines correspond to  $r = 14.6$  m, and red vertical dotted lines  $(r = 15.6$  m) correspond to the boundary of the total

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