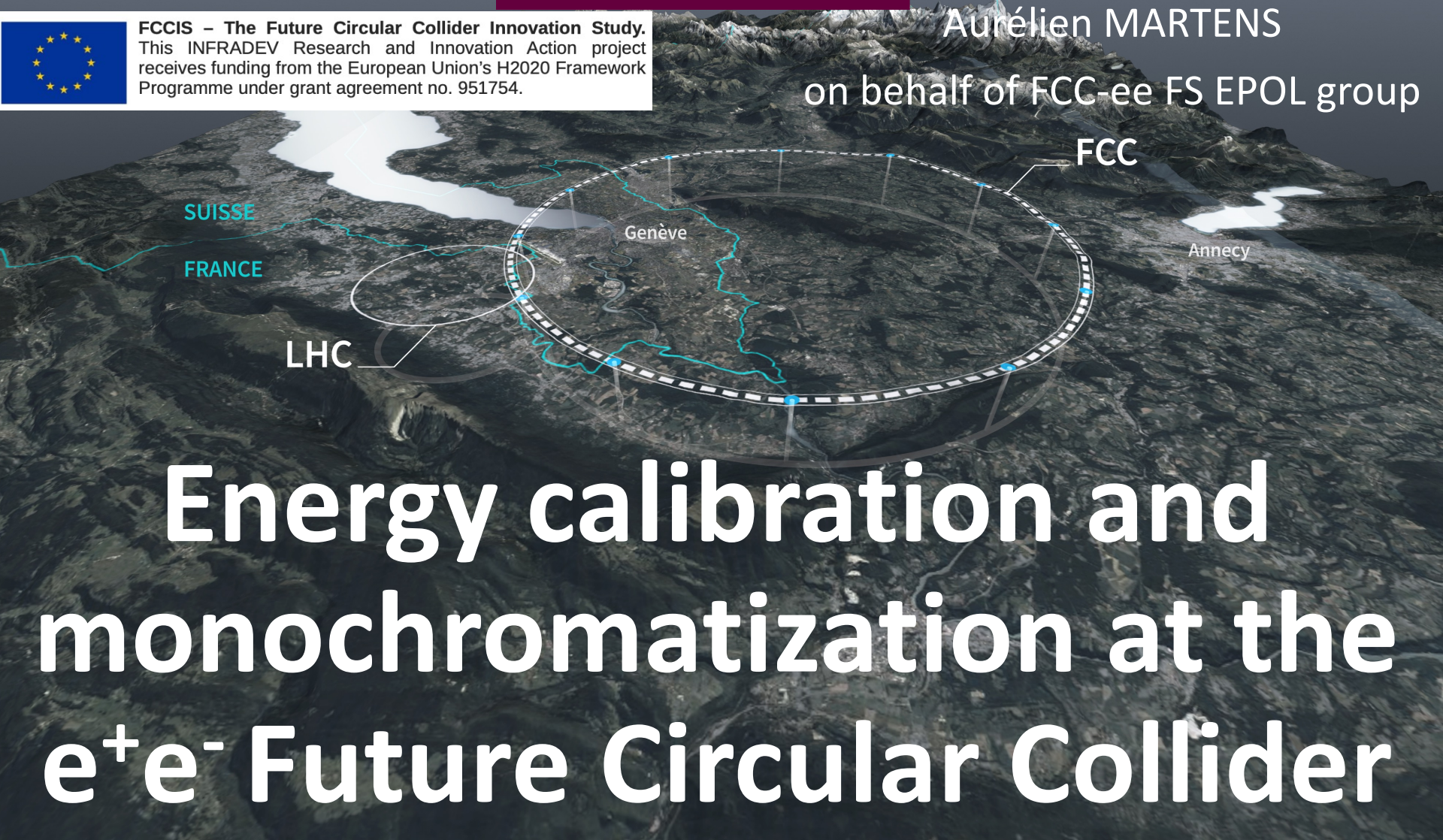


FCCIS - The Future Circular Collider Innovation Study.
 This INFRADEV Research and Innovation Action project receives funding from the European Union's H2020 Framework Programme under grant agreement no. 951754.

Aurélien MARTENS

on behalf of FCC-ee FS EPOL group



Energy calibration and monochromatization at the e^+e^- Future Circular Collider

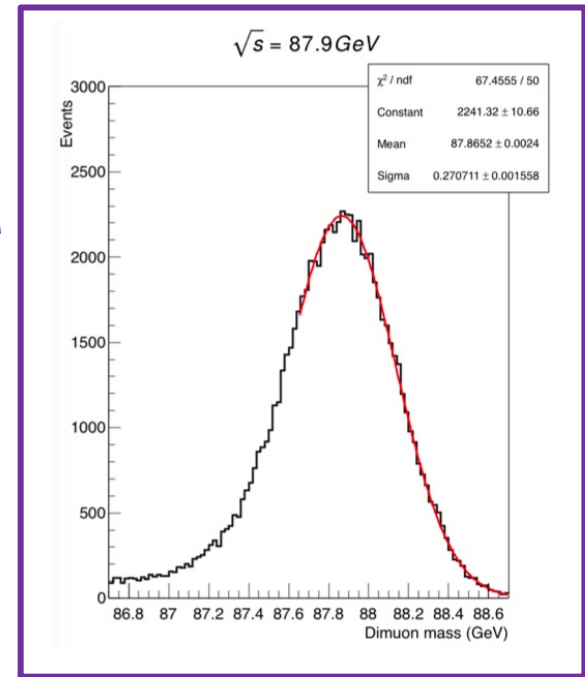
Energy calibration – near and at Z-pole

Extreme precision on the electroweak bosons masses and widths at the core of FCCee physics program

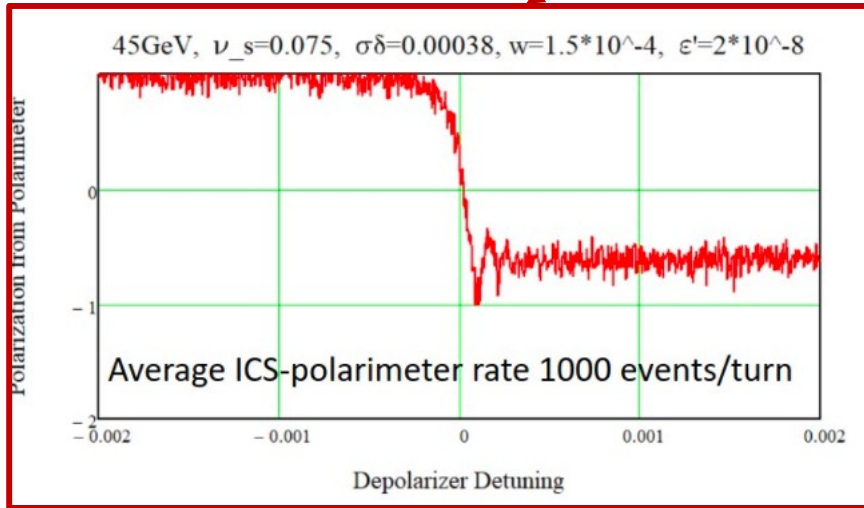
Observable	statistics	$\Delta\sqrt{s}_{\text{abs}}$	$\Delta\sqrt{s}_{\text{sys-ntp}}$	calib. stats.	$\sigma_{\sqrt{s}}$
		100 keV	40 keV		
m_Z (keV)	4	100	28	1	–
Γ_Z (keV)	4	2.5	22	1	10
$\sin^2 \theta_W^{\text{eff}} \times 10^6$ from $A_{\text{FB}}^{\mu\mu}$	2	–	2.4	0.1	–
$\frac{\Delta\alpha_{\text{QED}}(m_Z^2)}{\alpha_{\text{QED}}(m_Z^2)} \times 10^5$	3	0.1	0.9	–	0.1

Required accuracy of ~1ppm

Muon pairs



Resonant depolarization

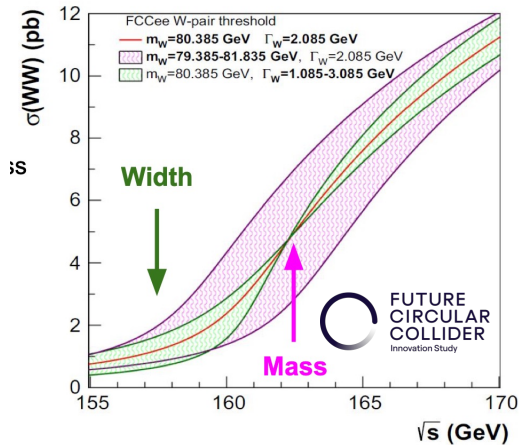
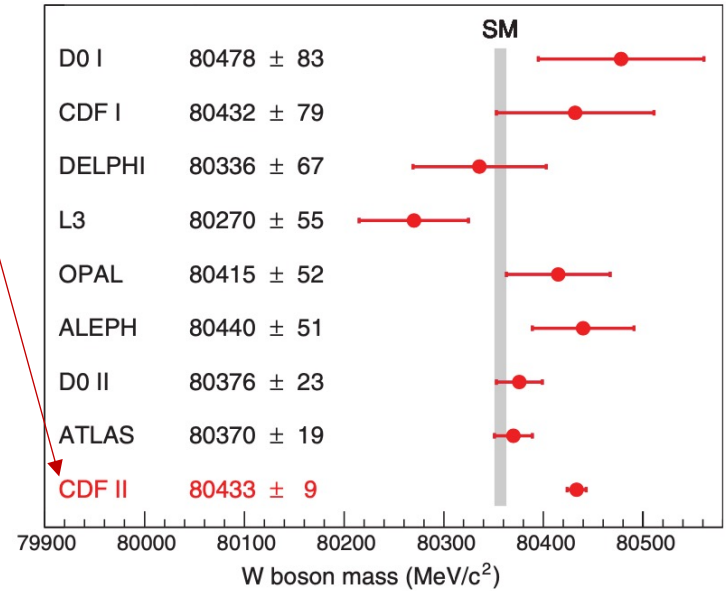
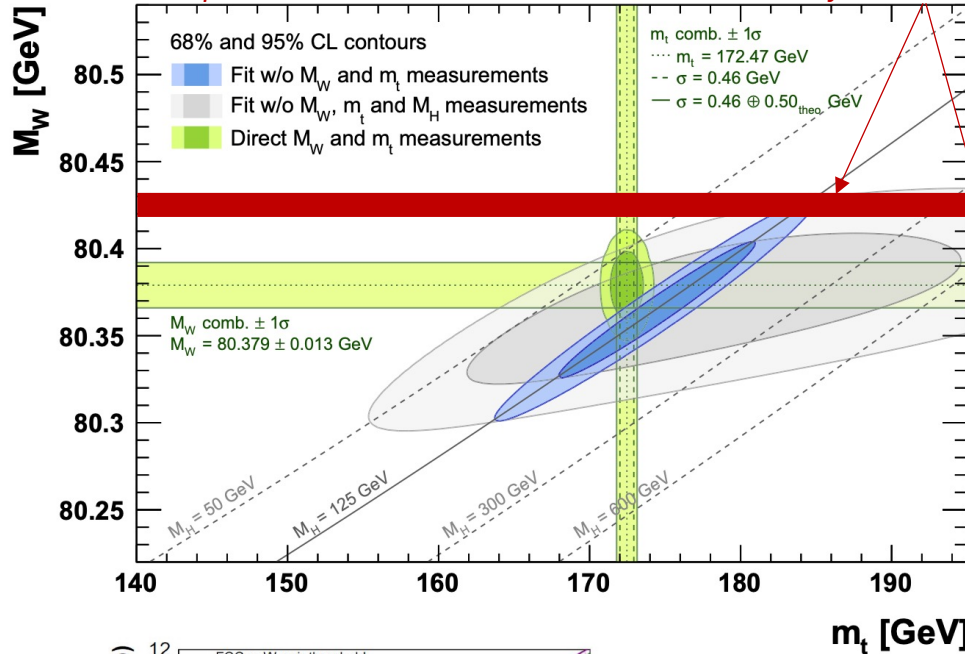


Wise admixture of precise detector data and 24/7 operable measurement of depolarization

Blondel et al., arXiv:1909.12245

The m_W question

NB: initial plot does not include last W-mass measurement from CDF

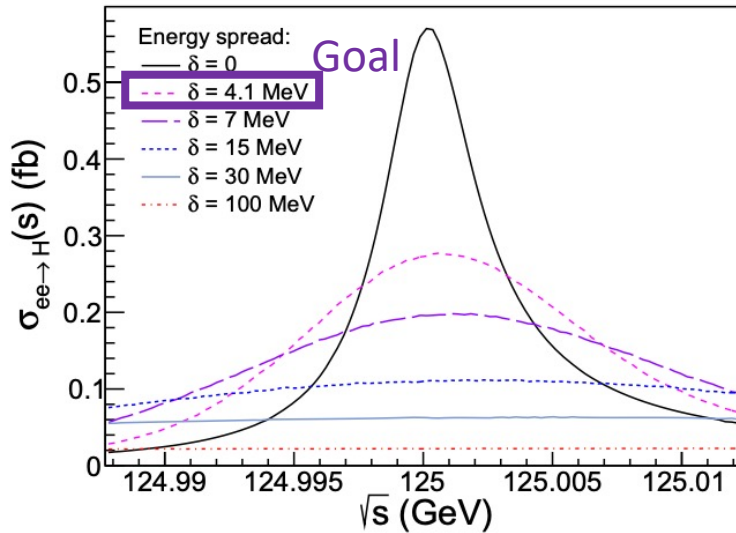


FCC-ee energy calibration is key for a high precision measurement of W mass and width

Expected accuracies: $m_W \pm 0.25$ (stat) ± 0.3 (syst)
 $\Gamma_W \pm 1.2$ (stat) ± 0.3 (syst)

Energy monochromatization at H pole

High luminosity provides unique opportunity to constrain electron Yukawa with resonant s-channel Higgs production at FCC-ee



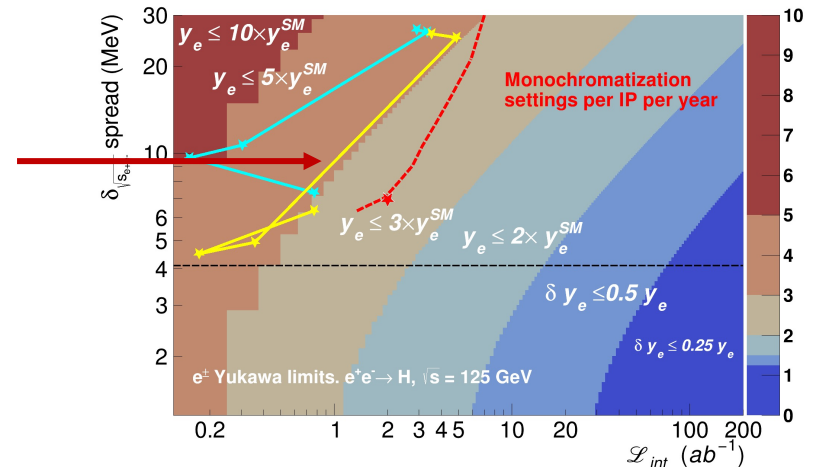
$$\sigma_w = \frac{\sqrt{2}E_b\sigma_\delta}{\lambda} \quad L = \frac{L_0}{\lambda}$$

$$\lambda = \left(1 + \sigma_\delta^2 \left(\frac{D_x^{*2}}{\sigma_{x\beta}^{*2}} + \frac{D_y^{*2}}{\sigma_{y\beta}^{*2}} \right) \right)^{1/2}$$

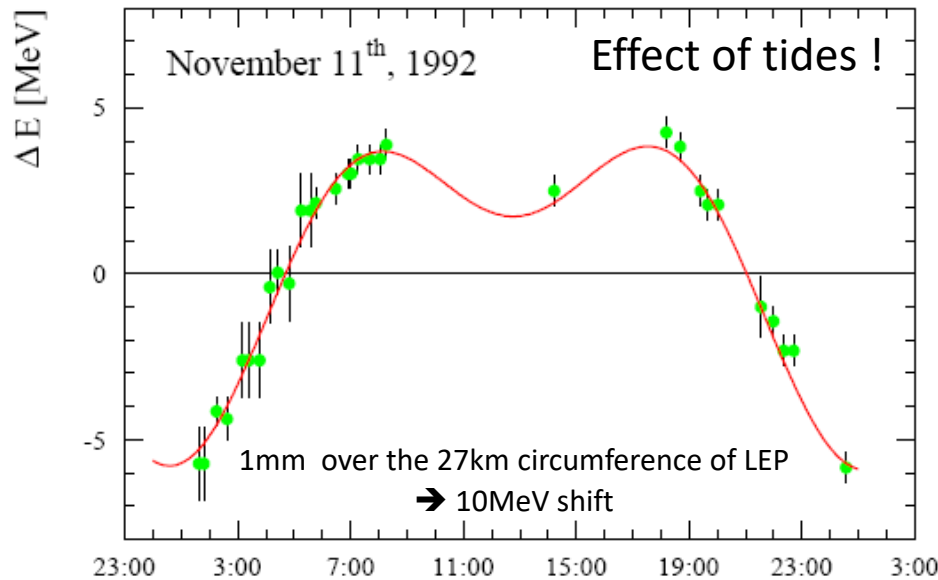
Trade luminosity for monochromaticity

Current status of implementation
(before lattice re-optimisation)

Further improvements expected



Beam energy model – LEP legacy

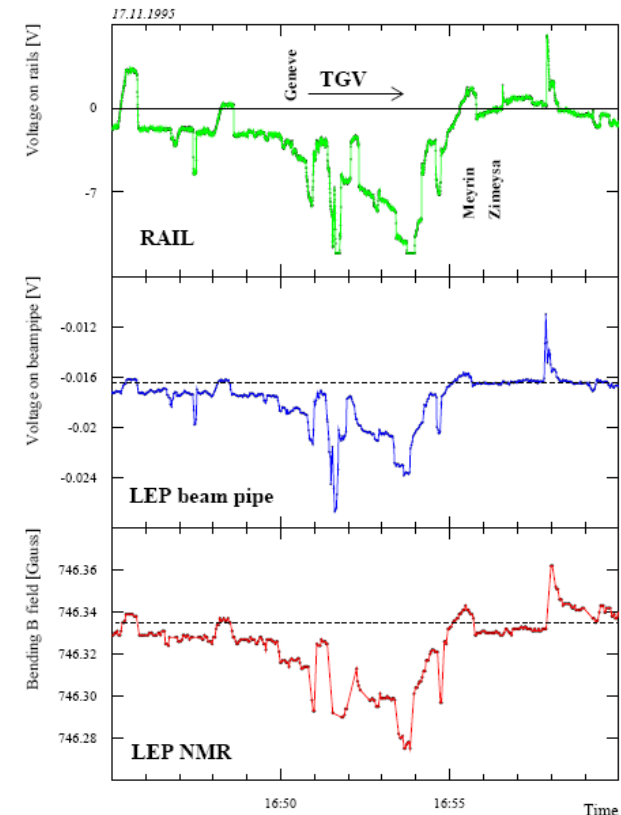


A detailed model accounting for tides, parasitic currents, thermal effects in bending magnets,...



FCCee: Recurrent real-time (15min spacing) measurements of beam energy using pilot bunches backed up with instrumentation of few dipoles in ring

Leakage currents !
→ Change fields !
→ Change circumference



Resonant depolarization

Q_x ... horizontal tune
 Q_y ... vertical tune
 Q_s ... synchrotron tune
 m_x, k ... integer
 a ... gyromagnetic moment
 γ ... relativistic gamma

Resonance condition:

$$a\gamma + \underbrace{m_x Q_x + m_y Q_y}_{\text{Transverse planes}} + \underbrace{m_s Q_s}_{\text{Longitudinal plane}} = k$$

a
 Spin tune for ideal machine

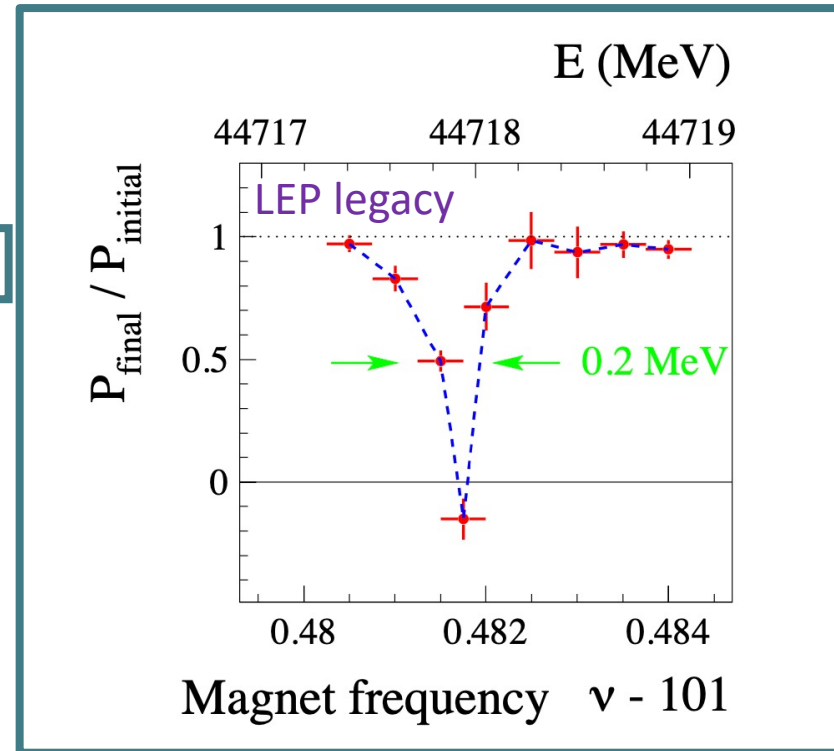
Y. Wu: indico.cern.ch/event/1119730/

Equally-spaced in energy

Scan spin precession frequency with magnetic kicker



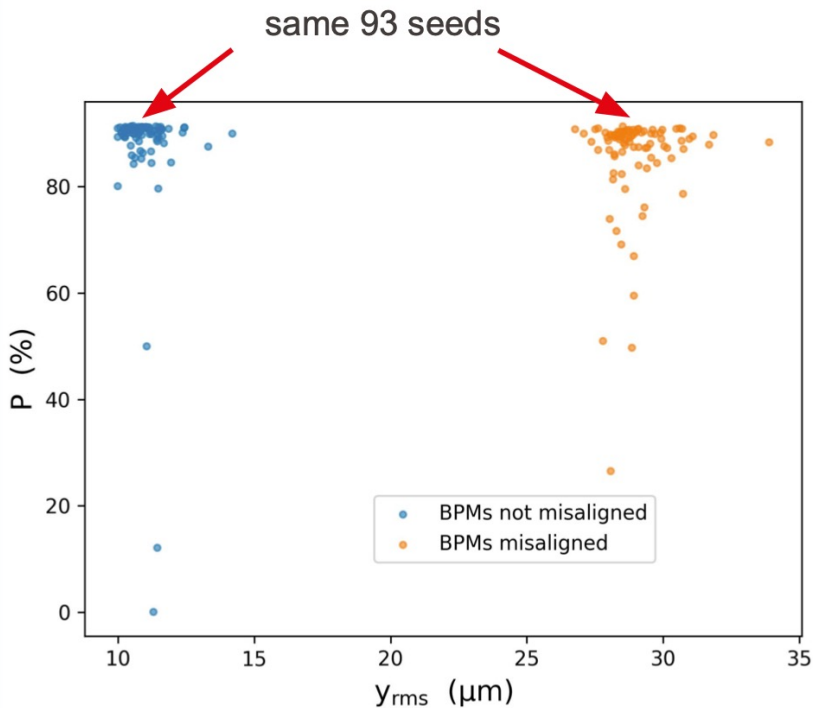
Detect beam depolarization at resonance



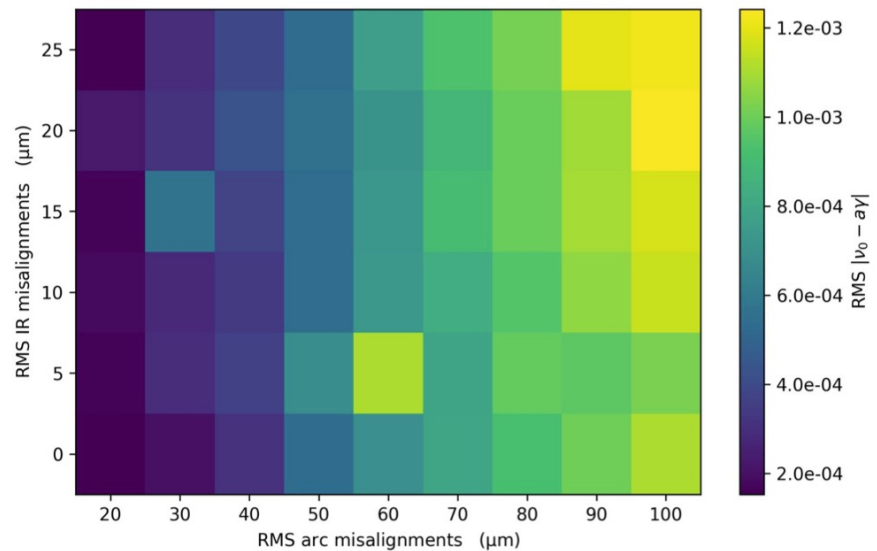
Converts a well calibrated frequency scan in RF element into an accurate energy measurement !

Depolarization sources

Many sources: Stochastic process of quantum emission, Energy dependence of \hat{n}_0 , misalignments, beam-beam effects at the collision points,...



RMS residual orbit much increased
Variance of polarization increased



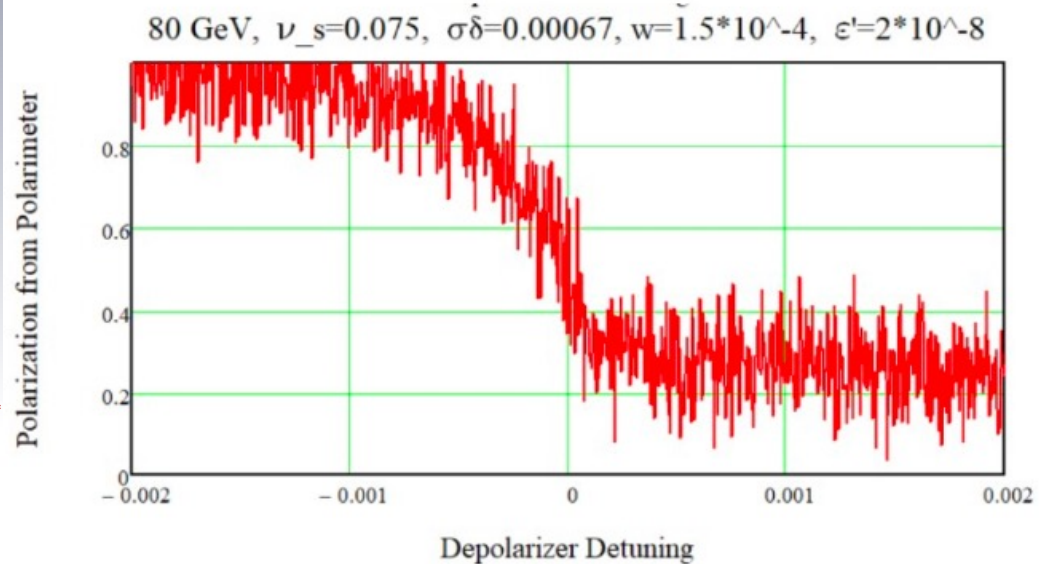
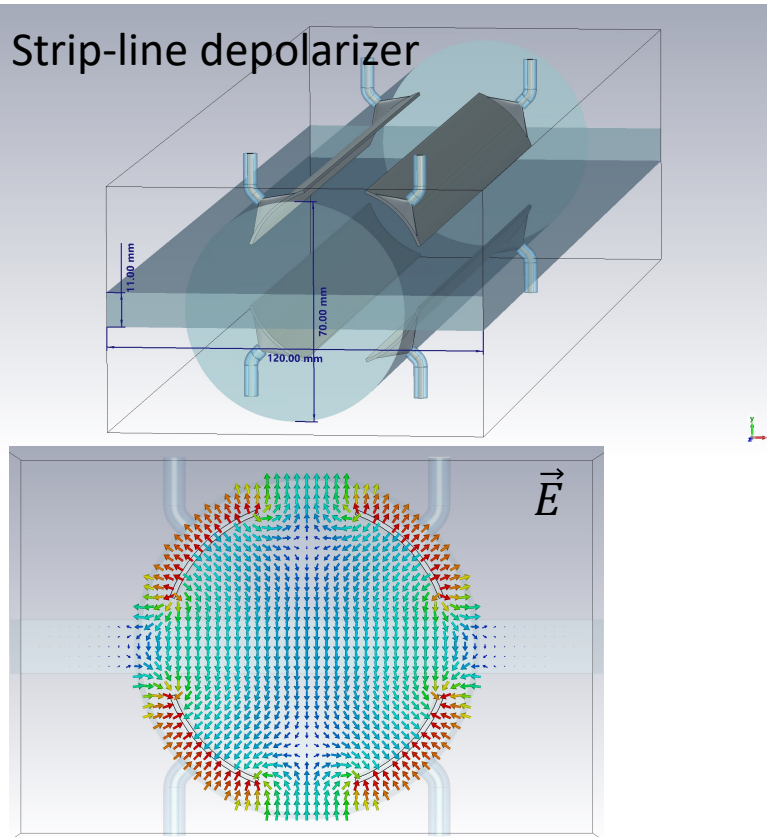
Spin tune shift studied for arc and IR misalignments

Also BPM error and scaling

Polarization can be preserved at high degree in presence of misalignments

Measurement strategy at FCC-ee

1. Inject hundreds of pilot bunches in ring.
 2. Switch on wigglers to reach 10% polarization in $\sim 2h$
 3. Switch off wigglers
 4. Inject colliding bunches and operate collider
 5. Depolarize a pilot bunch every $\sim 15min$ to follow energy changes
- Alternative:
Injection of pre-polarized pilots



Example of depolarisation exercise at 80 GeV

Compton polarimetry

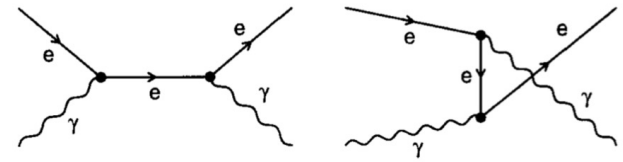


Fig. 1. Tree diagrams for $e^- \gamma \rightarrow e^- \gamma$

$$x = \frac{2E_0 \omega_0}{m^2} (1 + \cos \alpha) \quad y = \frac{E_\gamma}{E_0}$$

The Compton cross-section averaged over scattered particles spins:

Differential cross-section

Transverse laser polarisation: nuisance parameter to minimize and keep under control

Transverse electron beam polarisation: intervenes as an asymmetry in the transverse plane

$$\frac{d\sigma}{dy d\varphi_{obs}}(x, y) = \frac{d\sigma_0}{dy}(x, y) + \frac{d\sigma_\perp}{dy}(x, y) \cos(2(\varphi_{obs} - \varphi_{las})) \mathcal{P}_L^{las} + \frac{d\sigma_\parallel}{dy}(x, y) \mathcal{P}_C^{las} (P_T f_T(x, y) \cos(\varphi_{obs} - \varphi_{elec}) + P_Z f_Z(x, y))$$

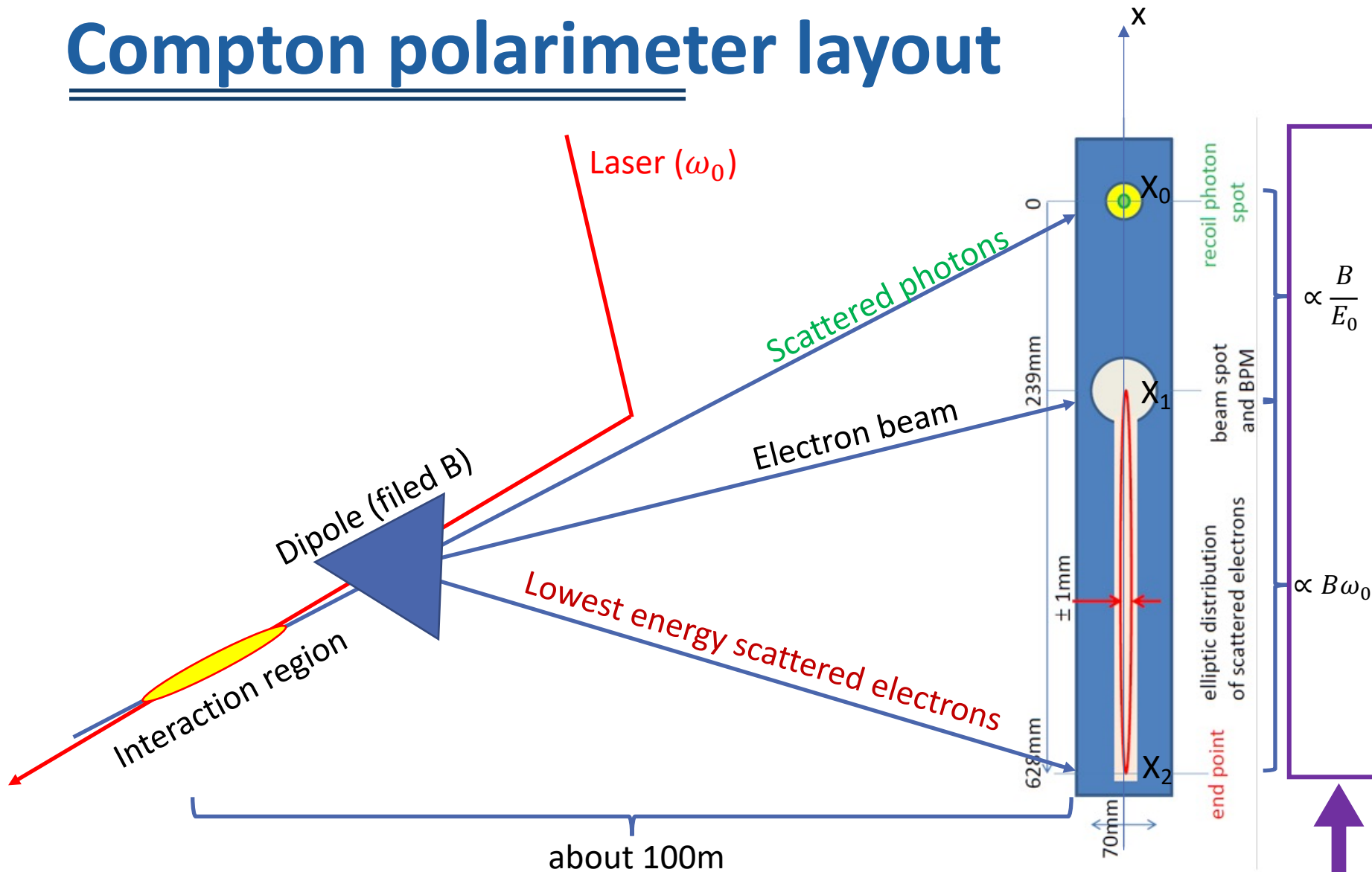
Electron beam polarization independent
Electron beam polarization dependent

! But small opening angle of scattered particles:

- Electrons → spectrometer
- Photons → difficult to measure asymmetric distribution of a narrow spot → long lever arm needed

**Precise Laser polarization control and monitoring required !
→ R&D study needed**

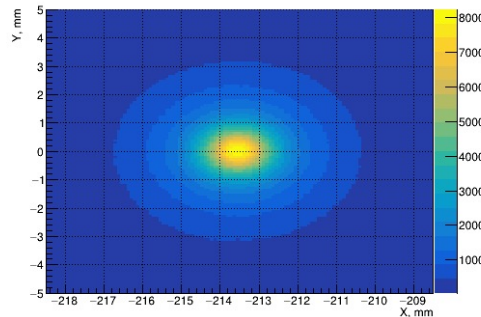
Compton polarimeter layout



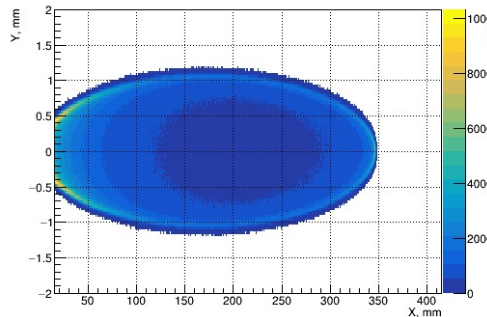
New concept to measure all polarization parameters → 3D polarimeter
 Direct energy measurement as a bonus

Typical fit result – 1.5min data taking

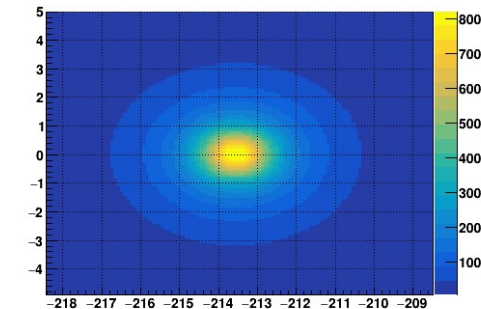
Photons: MC



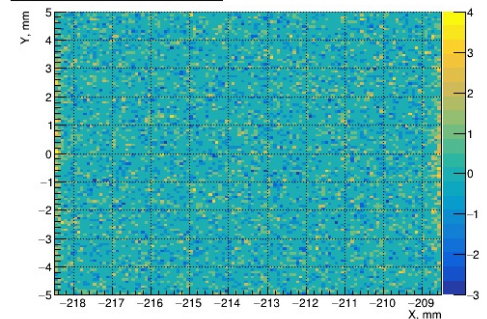
Electrons: MC



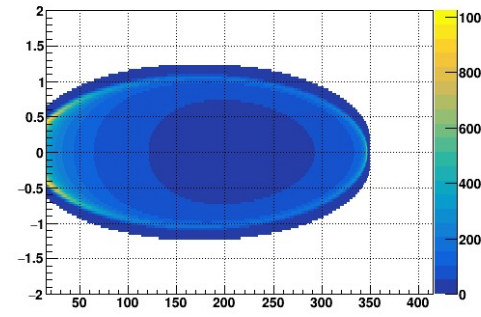
Photons: Fit



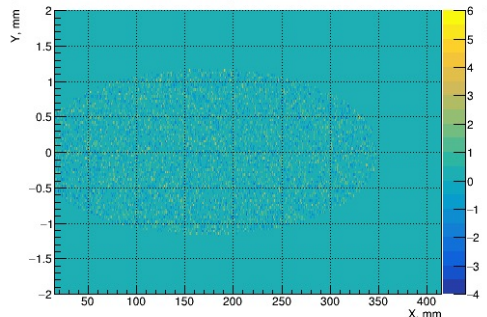
Photons: (Fit - MC)/(MC)^{1/2}



Electrons: Fit



Electrons: (Fit - MC)/(MC)^{1/2}



Monte-Carlo Parameters:

Laser $\lambda_0 = 0.532 \mu\text{m}$

Electron $E_0 = 45.600 \text{ GeV}$

Electron $\gamma = 89.237 \times 10^3$

Compton $\kappa = 1.628$

Bend: $\gamma\theta_0 = 190.441$

$(\xi_1, \xi_2, \xi_3) = (0.000, 0.000, 1.000)$

$(\zeta_x, \zeta_y, \zeta_z) = (0.000, 0.000, 0.000)$

Intel(R) Xeon(R) CPU E5-2650 v4 @ 2.20GHz

Photons fit: $t = 1154 \text{ s}$ (CPU 1153 s)

$\chi^2/\text{NDF} = 15150.8/14390$ | Prob = 0.0000

$X_0 = -213.538 \pm 0.001 \text{ mm}$

$\xi_1 = 0.001 \pm 0.001$

$\xi_2 = -0.000 \pm 0.000$

$\xi_3 = -0.001 \pm 0.002$

$\xi_3^x = 0.002 \pm 0.002$

$\xi_3^y = 0.001 \pm 0.001$

$\sigma_x = 252.0 \pm 0.9 \mu\text{m}$

$\sigma_y = 27.15 \pm 6.16 \mu\text{m}$

Intel(R) Xeon(R) CPU E5-2650 v4 @ 2.20GHz

Electrons fit: $t = 22781 \text{ s}$ (CPU 22748 s)

$\chi^2/\text{NDF} = 96668.3/96933$ | Prob = 0.7258

$X_1 = -0.0043 \pm 0.002 \text{ mm}$

$X_2 = 347.632 \pm 0.001 \text{ mm}$

$\xi_1 = -0.000 \pm 0.001$

$\xi_2 = 0.000 \pm 0.000$

$\xi_3 = 0.000 \pm 0.000$

$\xi_3^x = -0.000 \pm 0.001$

$\xi_3^y = 0.001 \pm 0.000$

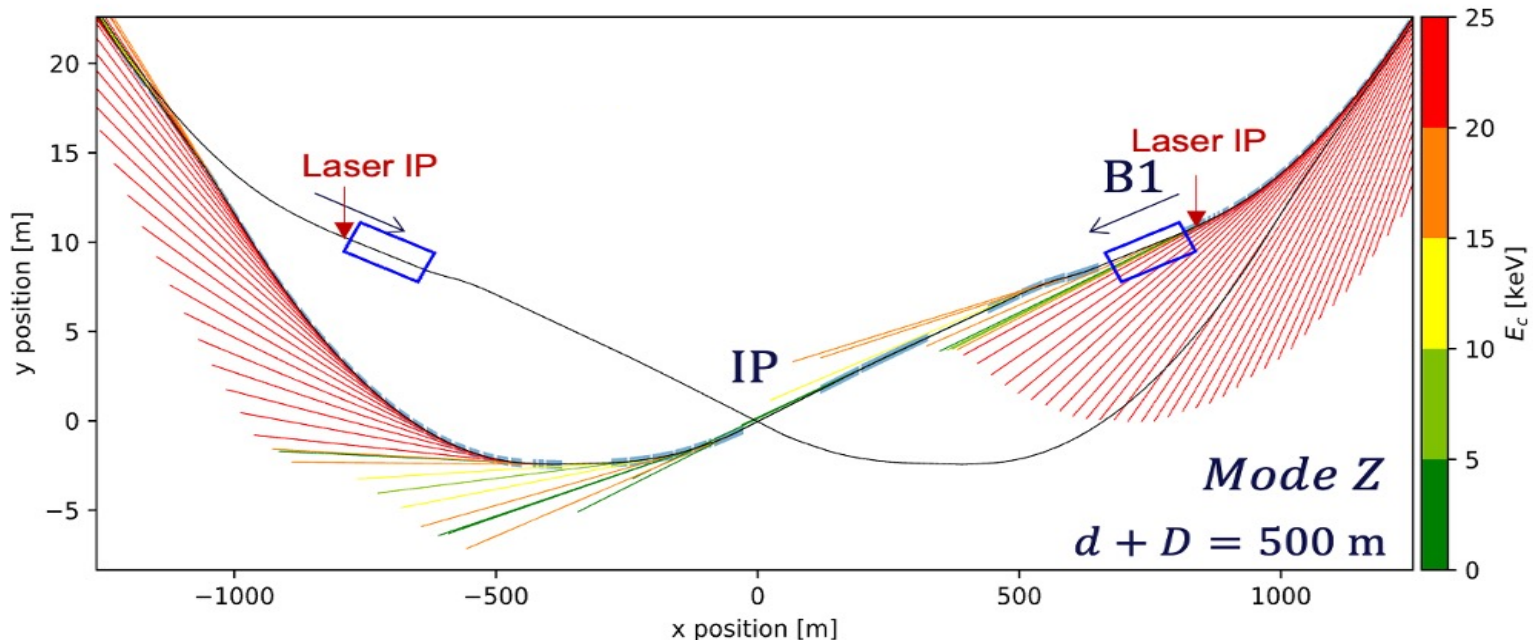
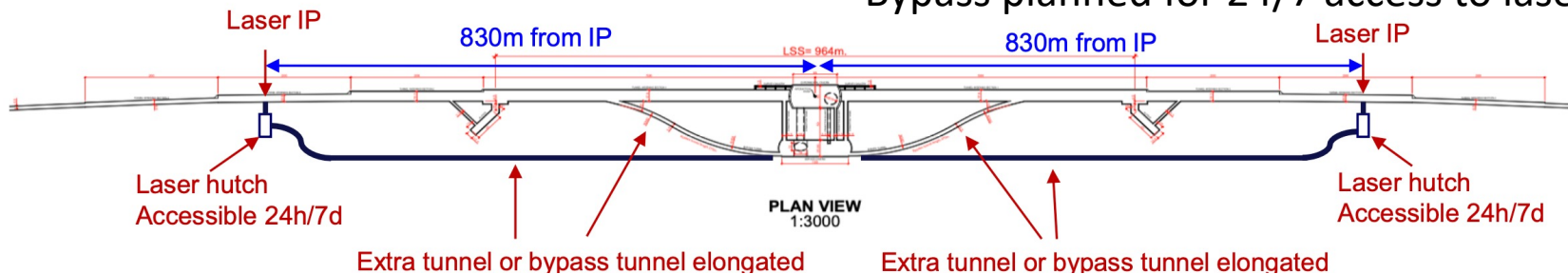
$\sigma_x = 314.0 \pm 1.2 \mu\text{m}$

$\sigma_y = 26.49 \pm 0.01 \mu\text{m}$

$E_{\text{beam}} = 45.6008 \pm 0.0008 \text{ GeV}$

Implementation

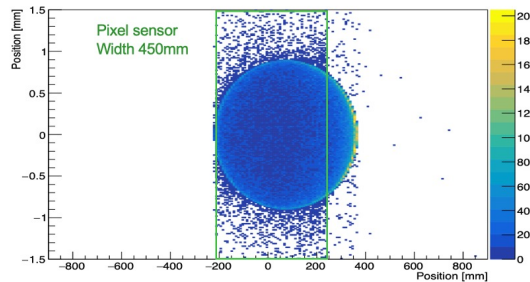
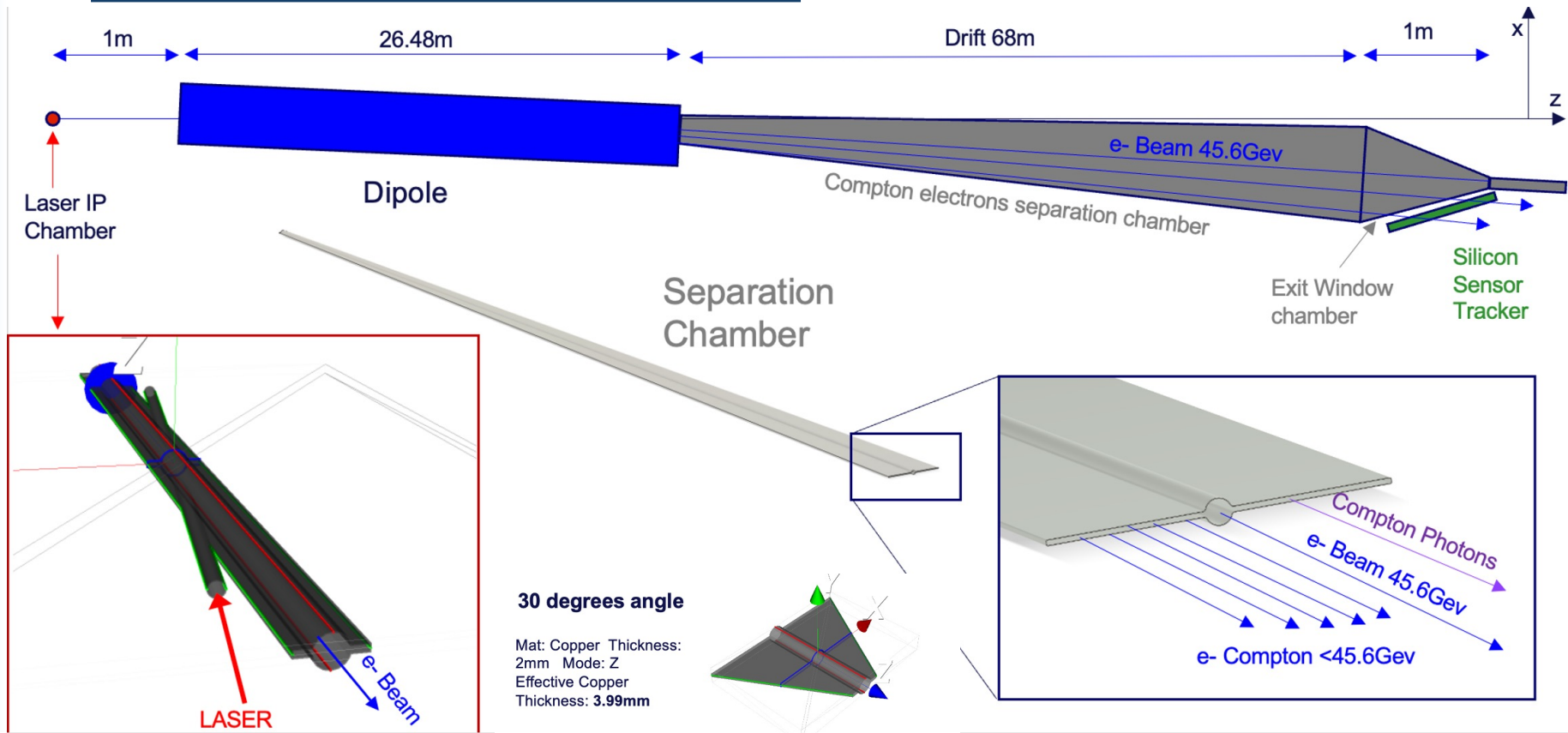
Bypass planned for 24/7 access to laser room



Integration close to IP, also allows to constrain polarization at IP for colliding bunches

Evaluation of backgrounds (SR, Brem,...) in the Compton polarimeter has started

Towards integration



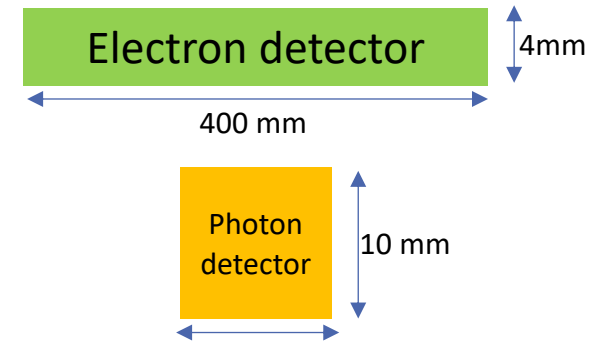
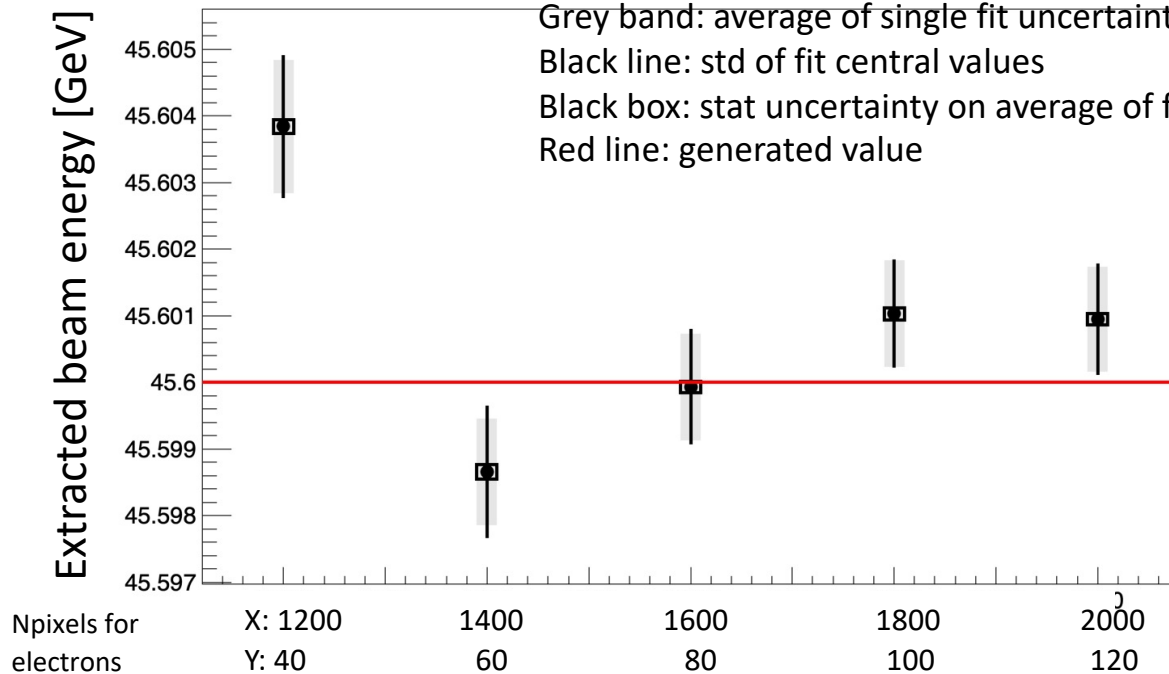
Evaluation of tapering need for impedance and impact on parameter estimation on-going

Preliminary performance studies (E_b)

toy MonteCarlo procedure in place (100 experiments, 10^8 events each)

Dot: average of fit central values
 Grey band: average of single fit uncertainties
 Black line: std of fit central values
 Black box: stat uncertainty on average of fit central values
 Red line: generated value

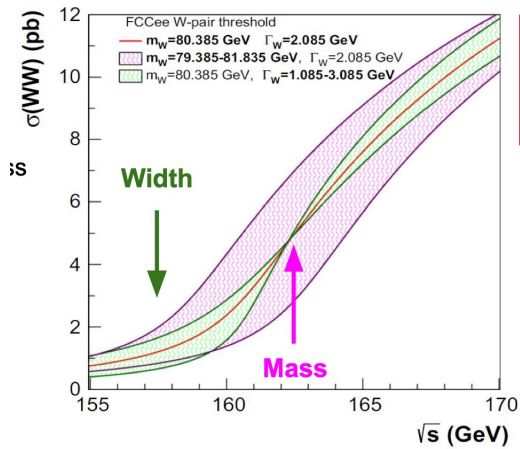
$$E_b = \frac{(mc^2)^2}{4hv_0} \frac{X_2 - X_1}{X_1 - X_0}$$



Polarization parameters show <0.1% bias

Fit bias on the extraction of the scattered particle distributions at μm level
 → Related tight alignment constraints, impact of tapering, backgrounds to be evaluated

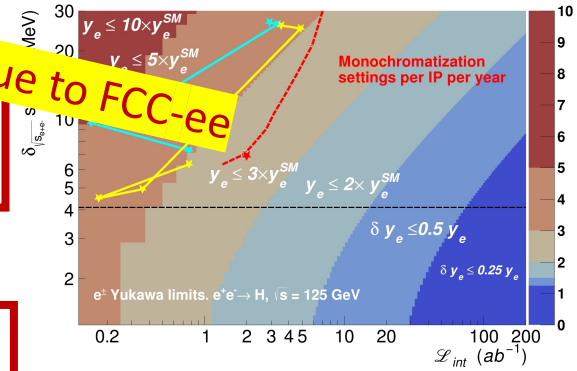
Conclusion & prospects



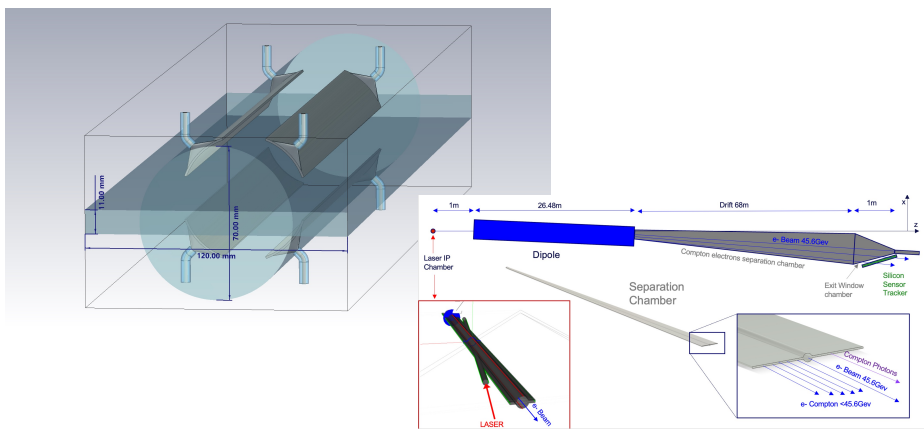
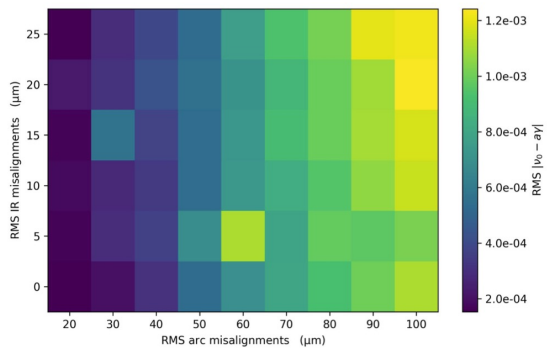
Extreme precision on the electroweak bosons masses and widths at the core of FCCee physics program

electron-Yukawa coupling via resonant $e^+e^- \rightarrow H$ production

Unique to FCC-ee



Much progress in all areas towards confirmation of feasibility
 100keV accuracy of calibration on \sqrt{s}
 Few MeV energy spread with monochromatization



No showstopper found at this stage

Huge task still ahead