Triple-gauge couplings in LHC diboson production: a SMEFT view from every angle

In collaboration with Giovanni Pelliccioli and Eleni Vryonidou, [arXiv:2405.19083]

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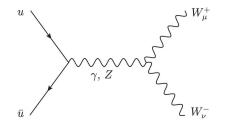
Motivation for diboson at the LHC

- Important probe for EWSB
- Fully leptonic diboson production → relatively clean signature at the LHC
- With Run 3 and HL-LHC -> promising for precision and differential measurements
- Irreducible background for Higgs analyses

At LO, production is dominated by quark-initial states and gluon-initiated ones are loop-induced

 \rightarrow at NLO in QCD, mixed channel opens up with enhancement from gluon luminosity

On diboson in the SMEFT



- Dominating quark-initiated channel is sensitive to dim-6 TGC
- At NLO QCD, sensitivity to TGC is non-trivial and depends on phase-space setups
- Dim-6 TGCs non-trivially correlate with Vqq-induced ones Grojean et al. [1810.05149]
- Linear suppression is expected for $2 \rightarrow 2$ due to helicity selection rules Azatov et al. [1607.05236]
- A priori, one can not neglect dim-8 SMEFT insertions e.g. Degrande et al. [2303.10493]

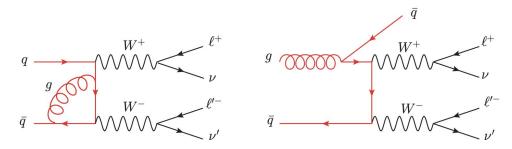
→ dim-8 effects are not expected to alter the power induced by *purely* dim-6 TGC quadratic contributions Corbett et al. [2304.03305]

Goal

- Purely CP-even and CP-odd SMEFT coefficients in the Warsaw basis Grzadkowski et al. [1008.4884]

$$\epsilon_{ijk}W^{i}_{\mu\nu}W^{j,\nu\rho}W^{k,\mu}_{\rho}, \qquad \epsilon_{ijk}\tilde{W}^{i}_{\mu\nu}W^{j,\nu\rho}W^{k,\mu}_{\rho} \quad \longleftrightarrow \quad \lambda_{z} = -c_{W}\frac{v}{\Lambda^{2}}\frac{3}{2}g, \qquad \tilde{\lambda}_{z} = -c_{\tilde{W}}\frac{v}{\Lambda^{2}}\frac{3}{2}g$$

- Full NLO in QCD, including the complete off-shell effects and spin correlations

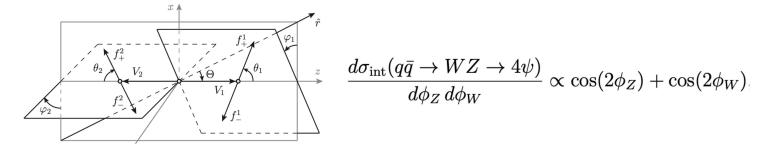


Diboson analysis features

- Z couples ~ equally to left and right-hand fermions \rightarrow can not identify helicities of final states
- W couples to left-hand fermions \rightarrow **but neutrino reconstruction is problematic**

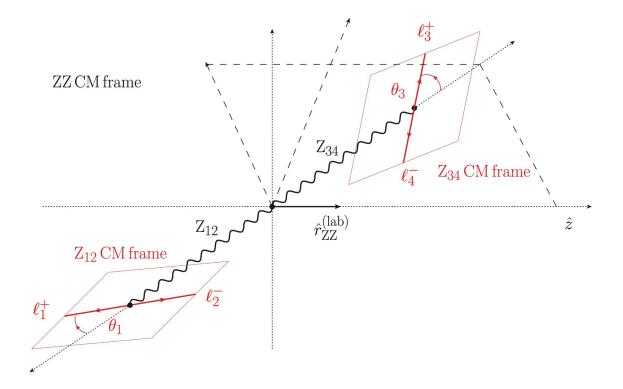
Interference suppression at $2 \rightarrow 2$ is lifted at $2 \rightarrow 3$ or $2 \rightarrow 4$

 \rightarrow the angle spanned by the decay products and/or real radiation 'restores' the interference



Azatov et al. [1707.08060]; Panico et al. [1708.07823]

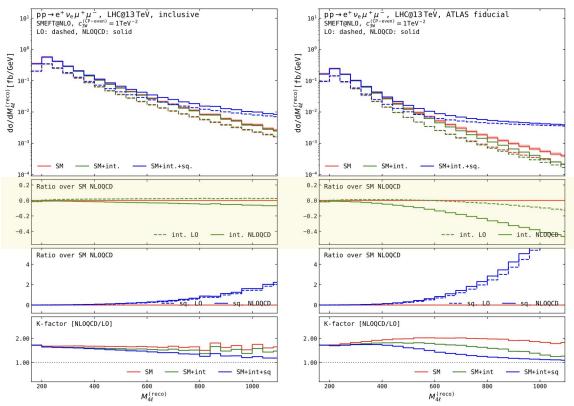
Helicity coordinate system



Questions to answer

- \rightarrow Impact of different phase-space setups?
- \rightarrow EFT effects on angular coefficients and observables?
- \rightarrow Impact of NLO QCD?

Impact of NLO QCD and selection cuts



interference 'restored' through selection cuts

Inclusive (left) → Real NLO radiation restores the suppressed LO SMEFT interference

Fiducial (right)

 \rightarrow The interference restoration is already manifest at LO due to the modulation from the cuts

\rightarrow Non-trivial K-factors

ATLAS fiducial setups [1902.05759, 2211.09435, 1905.04242]

On polarisation fractions and angular terms

2-body decay rate of V boson + projections on spherical harmonics

 \rightarrow inclusive angular coefficients and polarisation fractions

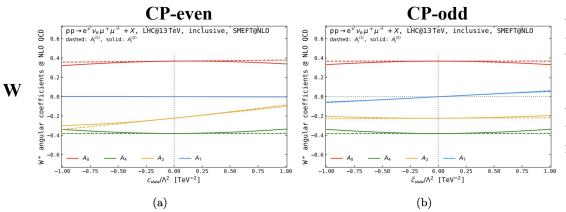
$$\frac{1}{\sigma} \frac{\mathrm{d}\sigma}{\mathrm{d}\cos\theta^* \,\mathrm{d}\phi^*} = \frac{3}{16\pi} \Big[1 + \cos^2\theta^* + A_0 \frac{1 - 3\cos^2\theta^*}{2} + A_1 \sin 2\theta^* \cos \phi^* \\ + \frac{1}{2}A_2 \sin^2\theta^* \cos 2\phi^* + A_3 \sin \theta^* \cos \phi^* + A_4 \cos \theta^* \\ + A_5 \sin \theta^* \sin \phi^* + A_6 \sin 2\theta^* \sin \phi + A_7 \sin^2\theta^* \sin 2\phi^* \Big]$$
azimuthal integral
$$\frac{1}{\sigma} \frac{\mathrm{d}\sigma}{\mathrm{d}\cos\theta^*} = \frac{3}{8} \Big[2 f_0 \sin^2\theta^* \\ + f_\mathrm{L} \left(1 + \cos^2\theta^* - 2 c_{\mathrm{LR}} \cos \theta^* \right) \\ + f_\mathrm{R} \left(1 + \cos^2\theta^* + 2 c_{\mathrm{LR}} \cos \theta^* \right) \Big]$$

A_i coefficients modulate an angular term

 \rightarrow underly the **dynamics of the production and decay** process, the **polarisation states** of the particles, and **possible interference effects**

Inclusive angular coefficients

Inclusive setup



At the linear-level (dashed),

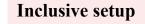
 \rightarrow polarisation fractions, A0 and A4, are barely distorted by CP-even and unaffected by the CP-odd modifications $A_0 = 2 f_0$, $A_4 = 2 c_{\text{LR}} (f_{\text{R}} - f_{\text{L}})$

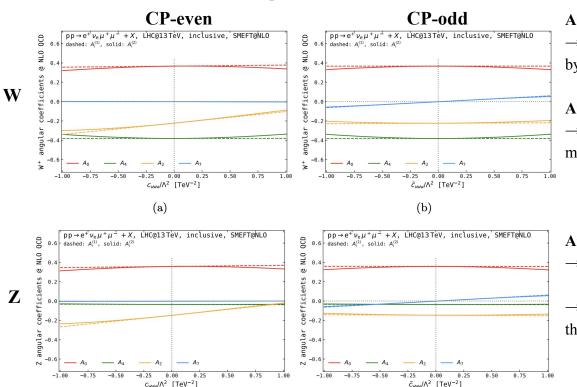
At the quadratic-level (solid),

 \rightarrow right handed and longitudinal fractions of the W are modified for CP-even and CP-odd

.. negligible effect on the left handed one

Inclusive angular coefficients





(d)

(c)

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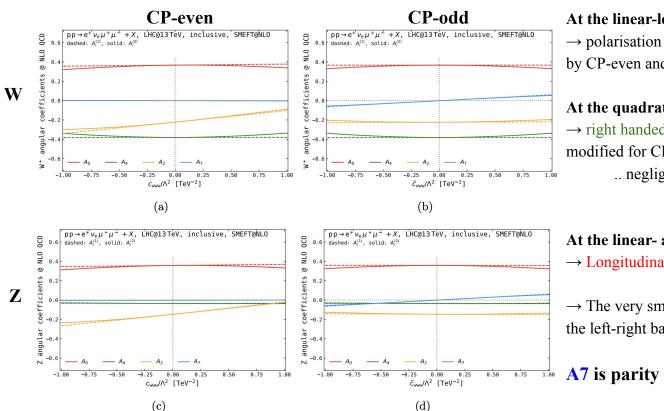
At the linear- and quadratic-levels,

 \rightarrow Longitudinal fraction of the Z behaves similarly to W

 \rightarrow The very small absolute value of A4 for the Z manifest the left-right balance which is not altered by the EFT

Inclusive angular coefficients

Inclusive setup



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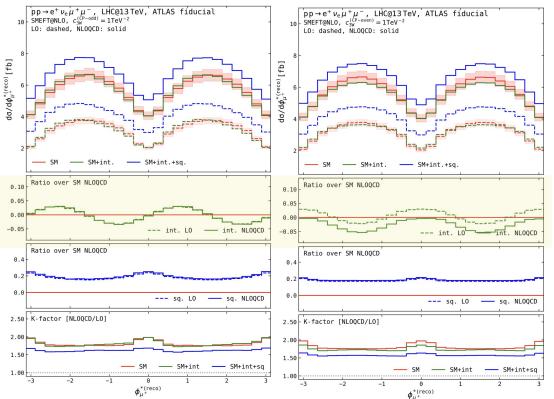
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A7 is parity odd sensitive

Differential angular observables

CP-odd

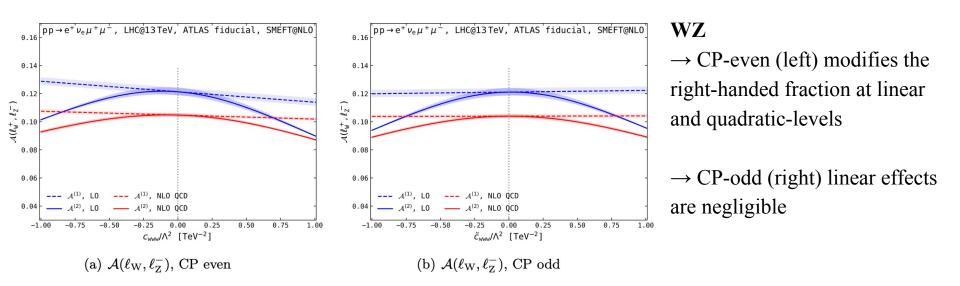




Azimuthal variables are good probes for CP-properties

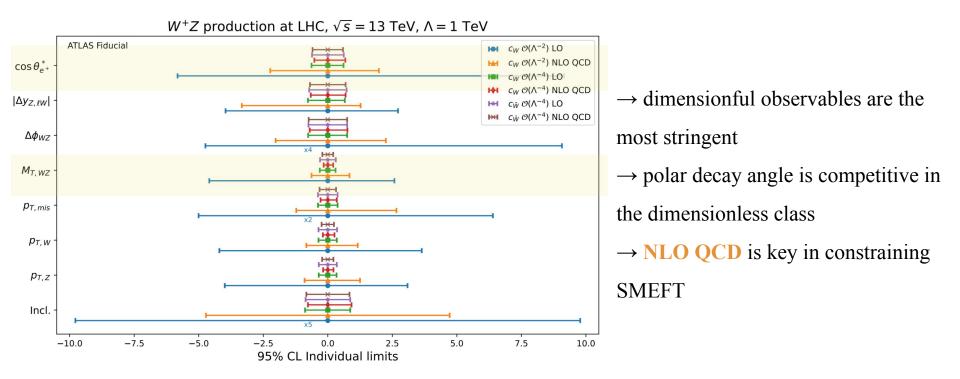
- \rightarrow Interference modulation maps the CP-property of TGC
- \rightarrow Distortion due to selection cuts and neutrino reconstruction relative to SM is mild (inclusive setup not shown here)

Boost asymmetries $\mathcal{A}(i,j) = \frac{\mathrm{d}\sigma(|y_i| > |y_j|) - \mathrm{d}\sigma(|y_i| < |y_j|)}{\mathrm{d}\sigma(|y_i| > |y_j|) + \mathrm{d}\sigma(|y_i| < |y_j|)}$



Differential measurements of boost asymmetries might be promising

Impact of NLO QCD on SMEFT WZ



Summary

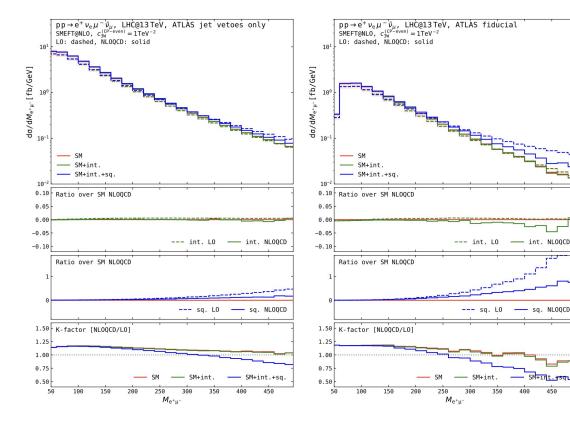
- → Impact of different phase-space setups?
- \rightarrow EFT effects on angular coefficients and observables?
- → Impact of NLO QCD?
 - \rightarrow Analysis is sensitive to fiducial setup and interference suppression is lifted by cuts
 - \rightarrow Mild effects on angular coefficients; azimuthal-observables are interesting
 - \rightarrow NLO effects lift the interference suppression and are key in constraining SMEFT

Conclusions

- NLO QCD is key in diboson production; constraining SMEFT, resurrecting 2→2 suppressed interference, non trivial k-factors
- The angle spanned by decay products as well as selection cuts have significant impact on the interference behavior
- Angular observables are good probes for TGC CP-properties
- Differential leptonic boost asymmetries might be promising in constraining SMEFT

Backup

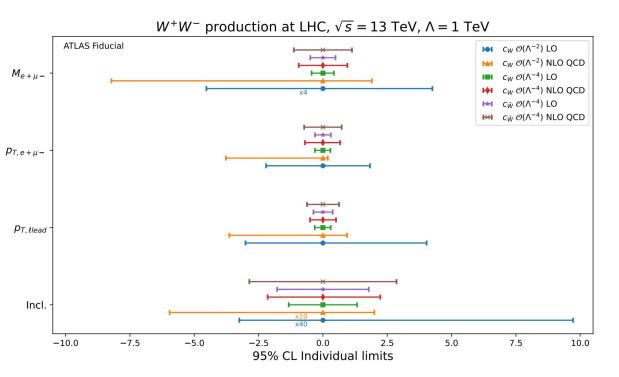
Impact of NLO QCD and selection cuts WW



 \rightarrow Selection cuts still enhances the interferences

→ WW is less-sensitive to TGC than WZ

Impact of NLO QCD on SMEFT WW

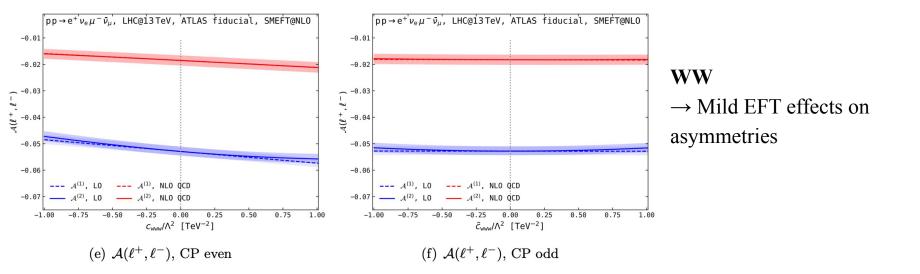


 \rightarrow similar conclusions to the WZ case

 \rightarrow the different NLO QCD behaviour

is manifest

Boost asymmetries $\mathcal{A}(i,j) = \frac{\mathrm{d}\sigma(|y_i| > |y_j|) - \mathrm{d}\sigma(|y_i| < |y_j|)}{\mathrm{d}\sigma(|y_i| > |y_j|) + \mathrm{d}\sigma(|y_i| < |y_j|)}$



Boost asymmetries WZ

CP-even



