

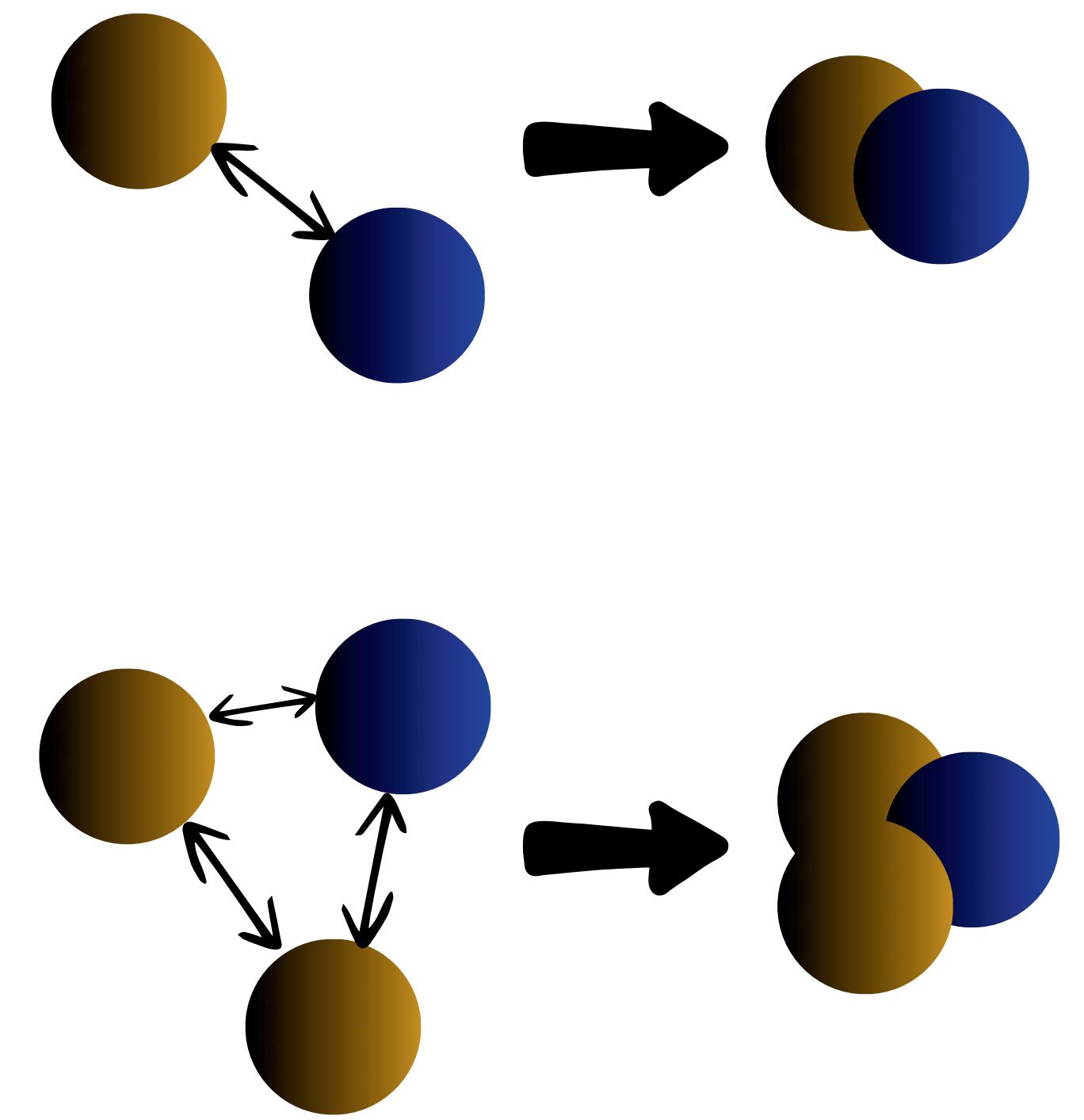
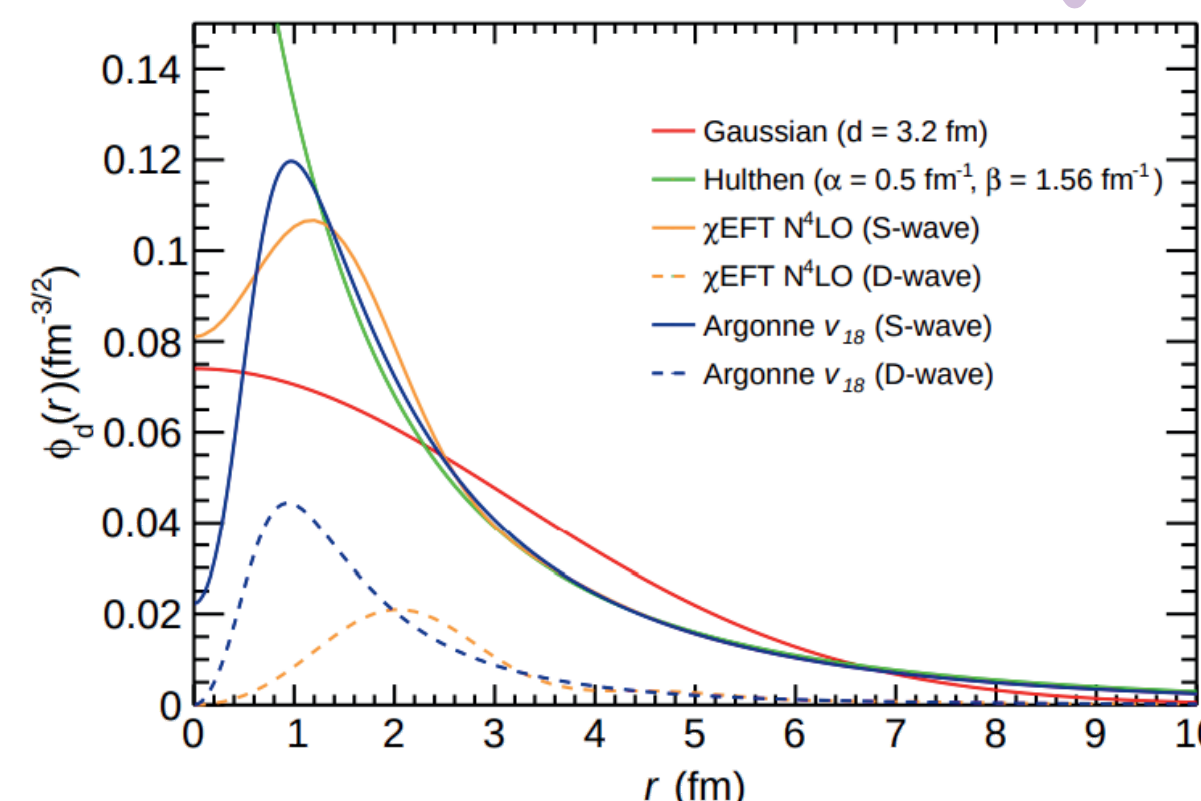
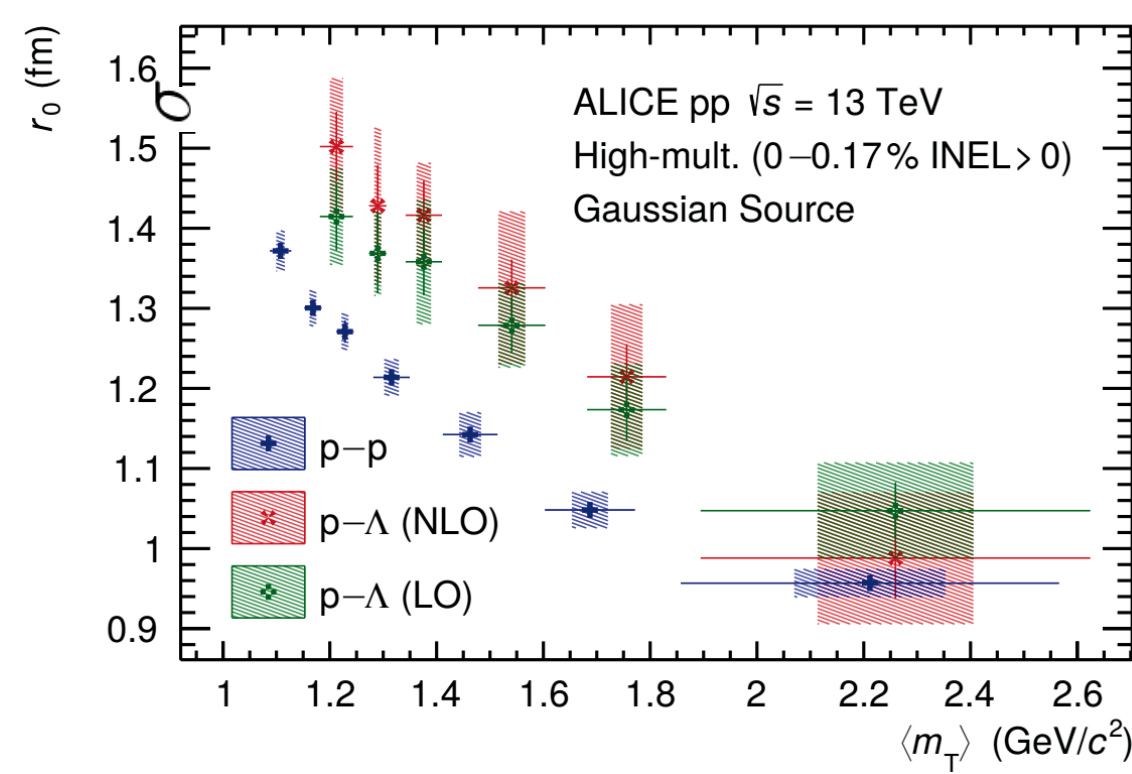
Maximilian Mahlein, Bhawani Singh, Laura Fabietti
Technical University of Munich
maximilian.mahlein@tum.de

(Anti)nuclei formation using coalescence

- (Anti)protons and (anti)neutrons close in phase-space can coalesce and form a nucleus
- Wigner function formalism

$$\mathcal{P}(q, \sigma) = \int d^3r_p d^3r_n h(r_n, r_p) \mathcal{D}(q, r) \int d^3\zeta \Psi(\vec{r} + \vec{\zeta}/2) \Psi^*(\vec{r} - \vec{\zeta}/2) \exp(i\vec{q} \cdot \vec{\zeta})$$

$$\frac{1}{(2\pi\sigma^2)^3} \exp\left(-\frac{r_n^2 + r_p^2}{2\sigma^2}\right)$$

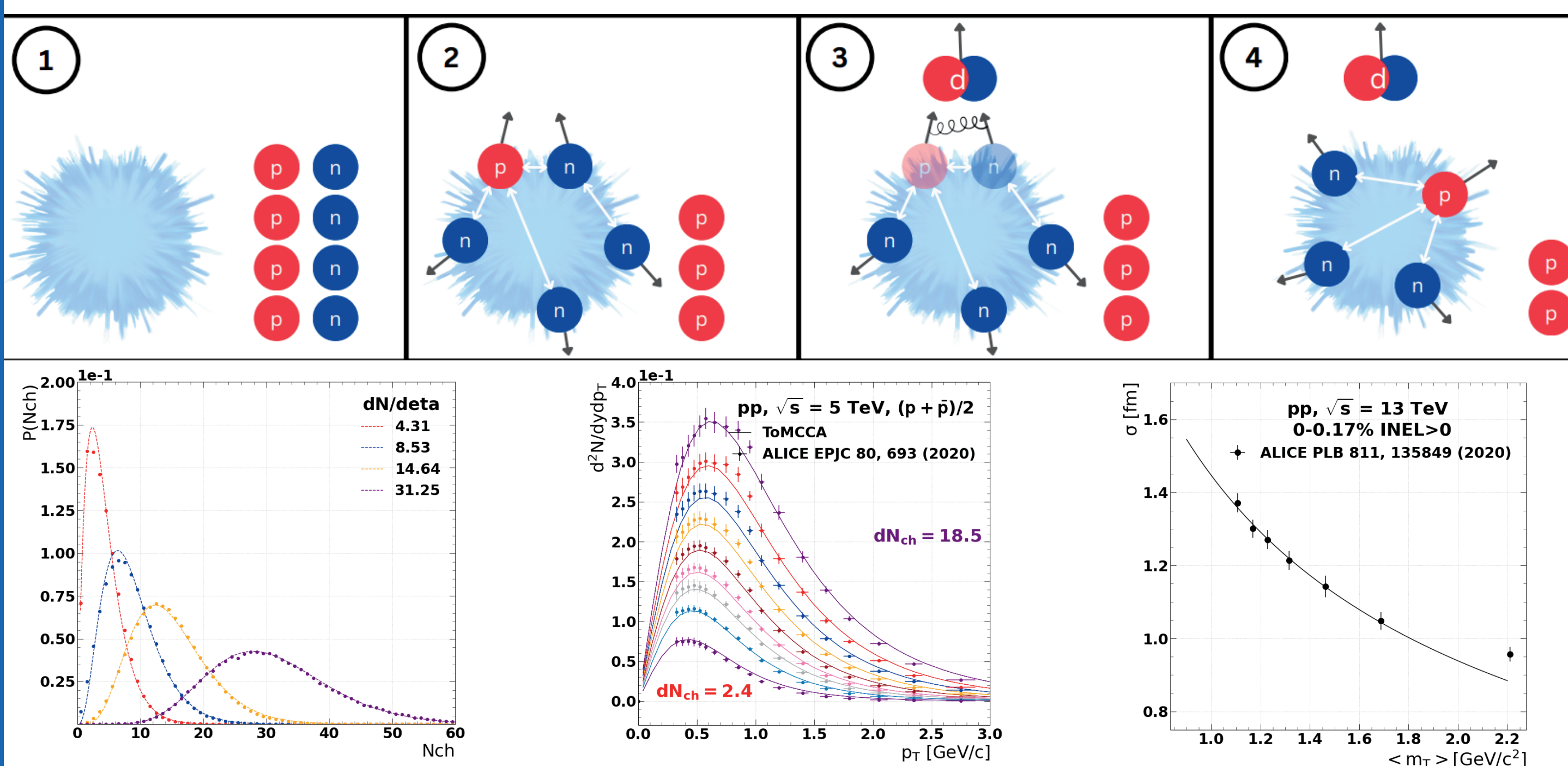


The toy Monte-Carlo Generator

ToMCCA: arXiv:2404.03352
github.com/HorstMa/ToMCCA-Public

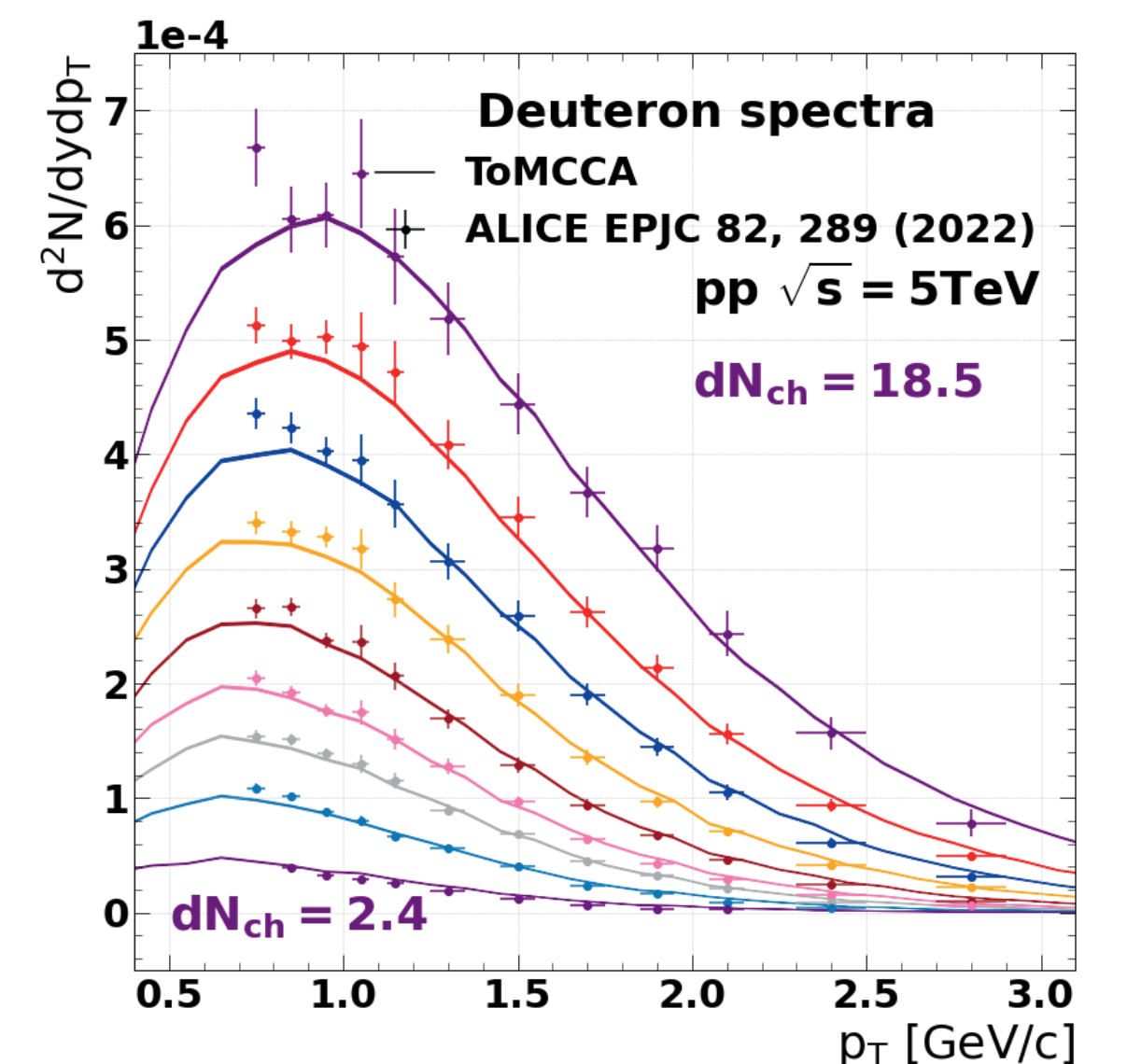
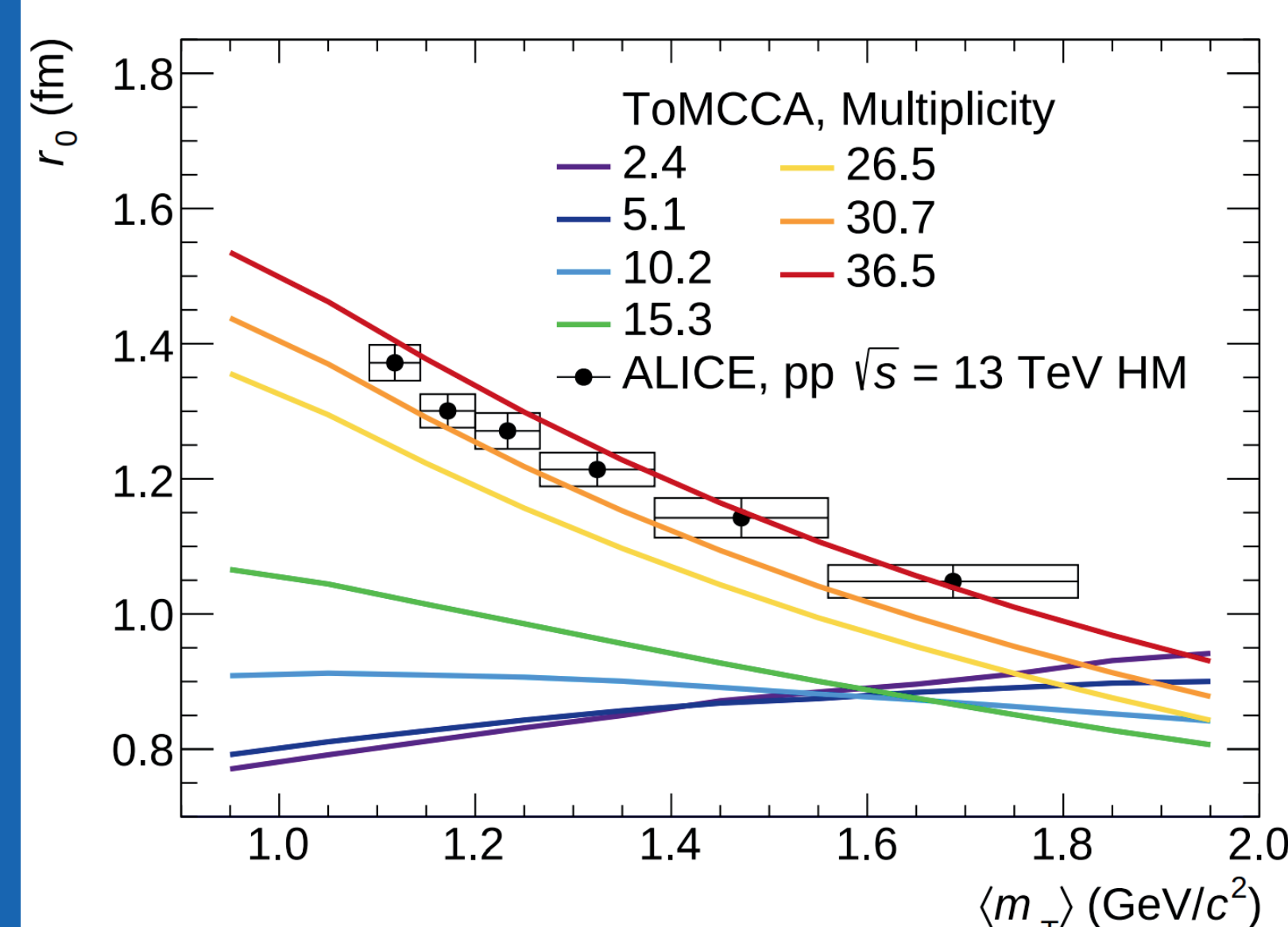
Working principle

- Generate number of nucleons (proton and neutrons)
- For each Proton, determine distances and momenta of neutrons
- Check coalescence condition for each p-n pair
- Repeat for all protons



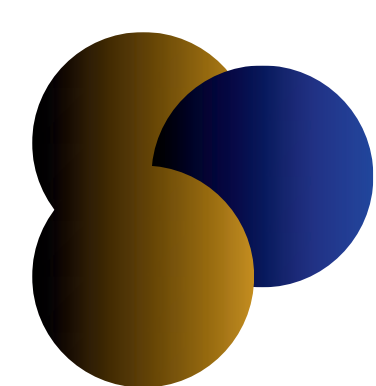
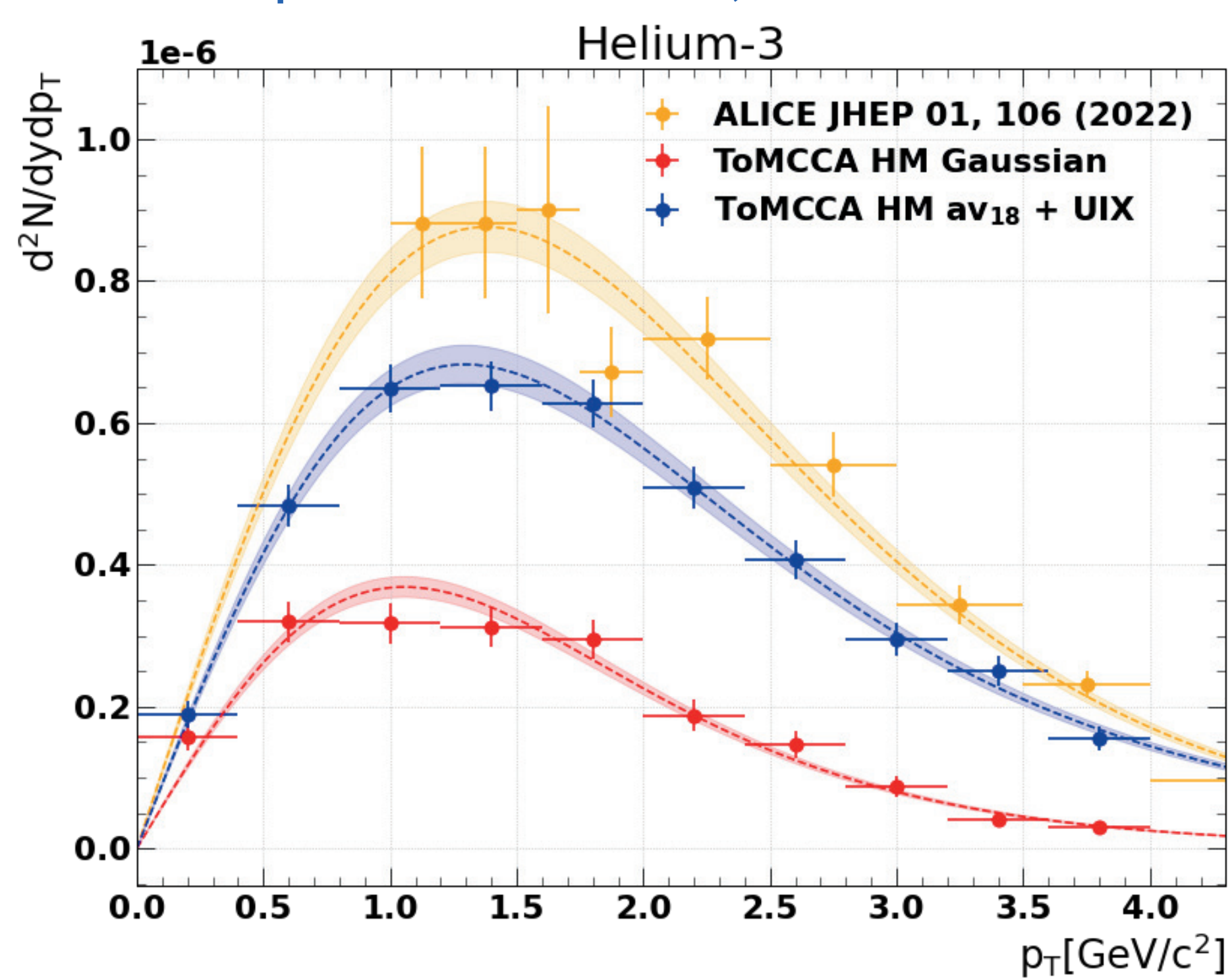
2-Body coalescence

- There is a plethora of data on Deuteron production by ALICE
- Ideal testing ground for a coalescence model
- Using existing deuteron spectra to fix the Source size



3-Body coalescence

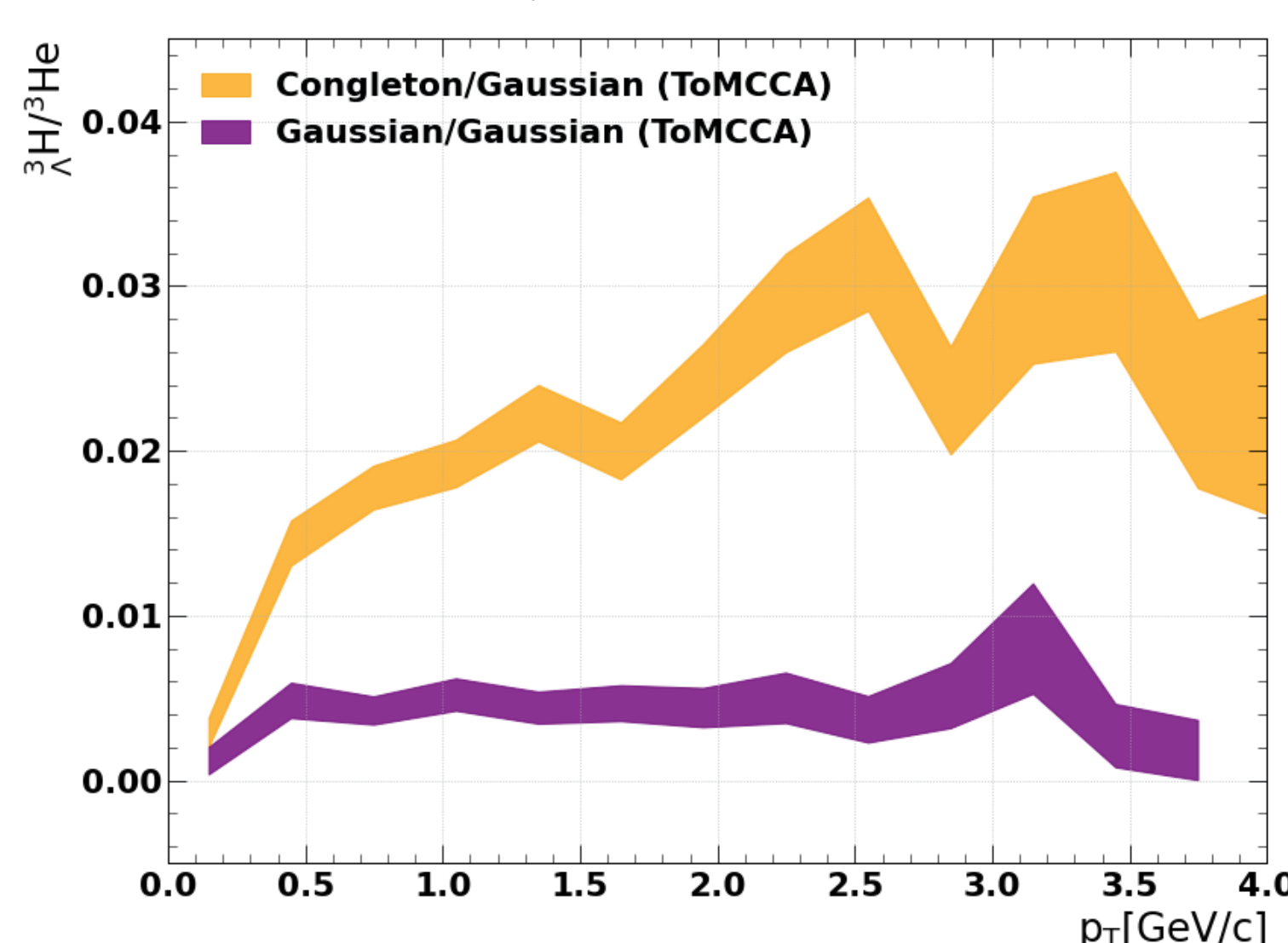
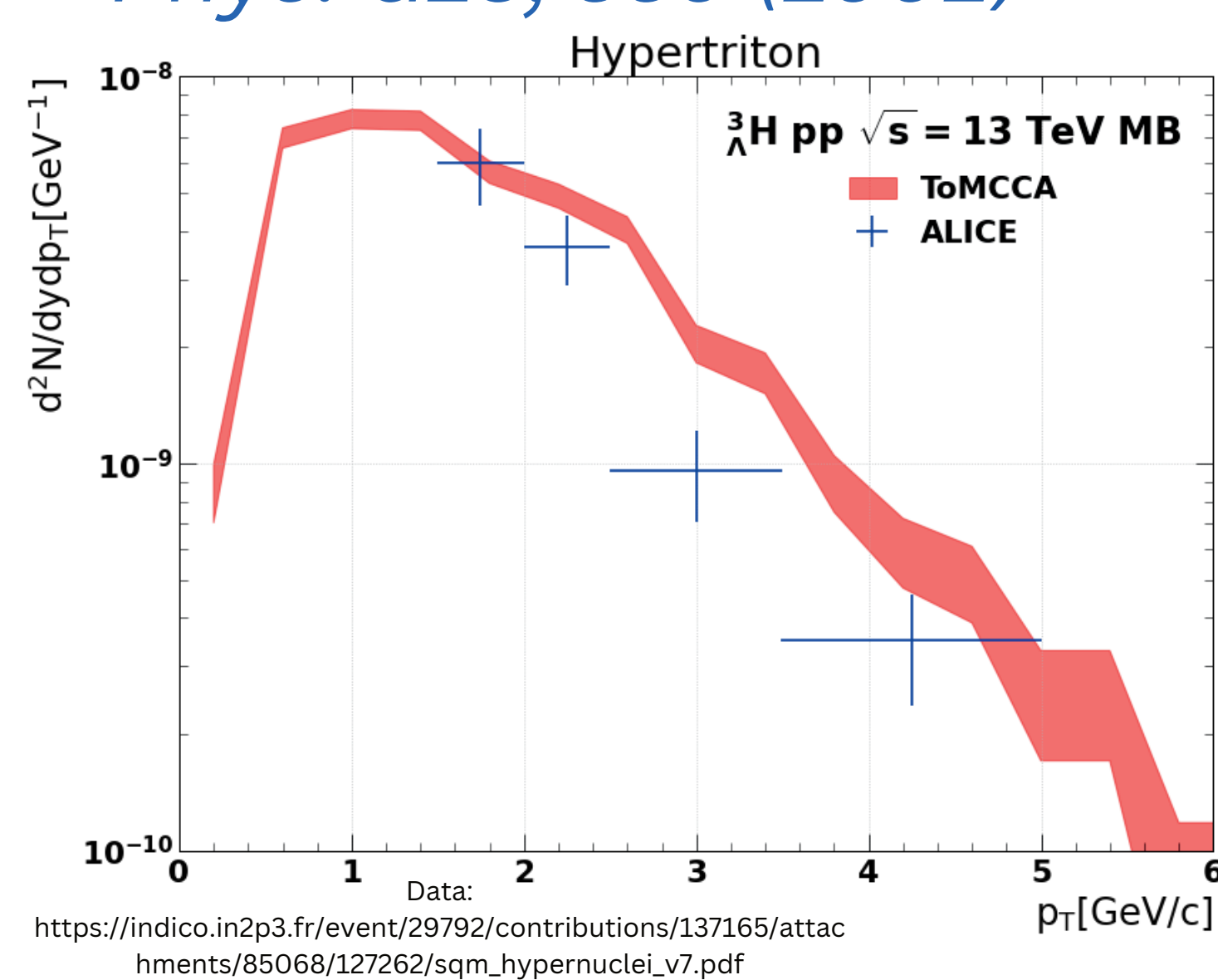
- The case of A=3 coalescence is far more intricate
- Multiple states: ${}^3\text{He}$, ${}^3\text{H}$ and ${}^3_\Lambda\text{H}$



- ${}^3\text{He}$ wavefunction based on Argonne v18 + UIX
- Collaboration with Michele Viviani from Pisa theory group

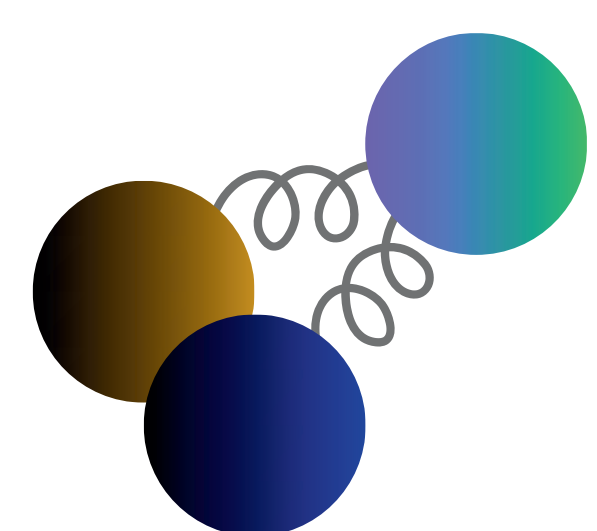
Hypertriton

- Hypertriton (${}^3_\Lambda\text{H}$) Wavefunction from Congleton *J. Phys. G18, 339 (1992)*



- Assumes factorization of deuteron and Λ wave functions

$$\Psi_{\Lambda\text{H}} = \Psi_\Lambda + \Psi_d$$



- ${}^3_\Lambda\text{H}/{}^3\text{He}$ Ratio is sensitive to the Production mechanism