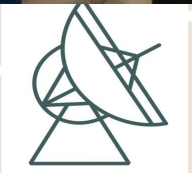


Chasing dark matter with pulsar experiments

Nataliya K. Porayko

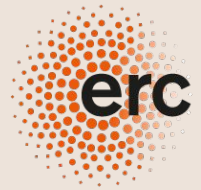
on behalf of the  EPTA



Max-Planck-Institut
für Radioastronomie



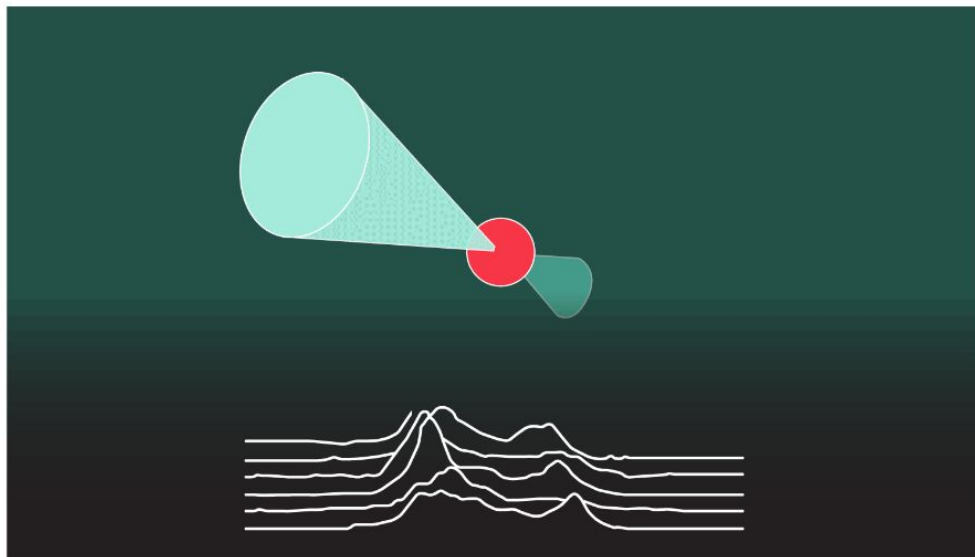
InPTA
Indian Pulsar Timing Array



Pulsars in a nutshell

Pulsars are neutron stars, which are:

- Rapidly spinning. Periods:
from few ms to several seconds
- Highly magnetised $\sim 10^8 - 10^{15} \text{G}$
- Extremely dense: $\rho > 10^{14} \text{g/cm}^3$
- Linearly polarised synchrotron radiation
- Stable rotators (“Galactic clocks”)

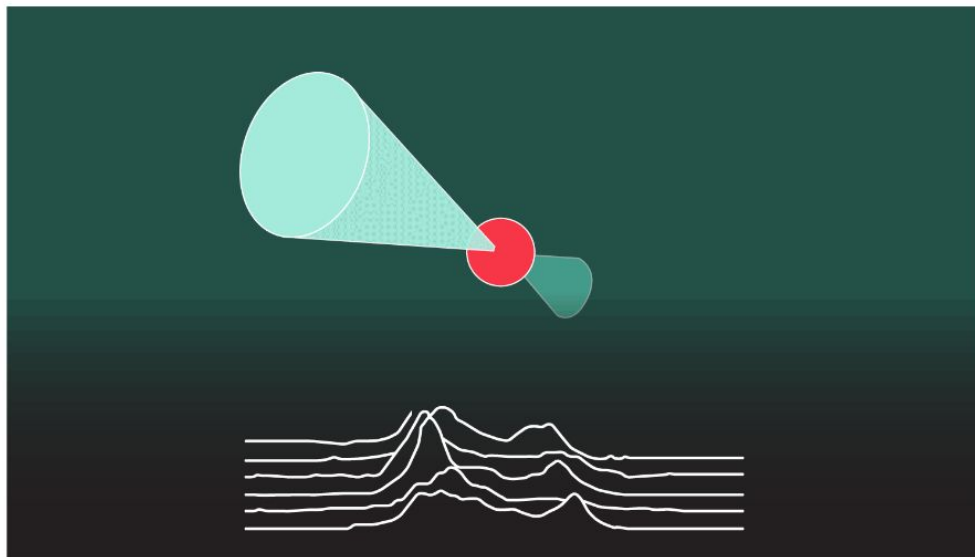


Credit: Jen Christiansen

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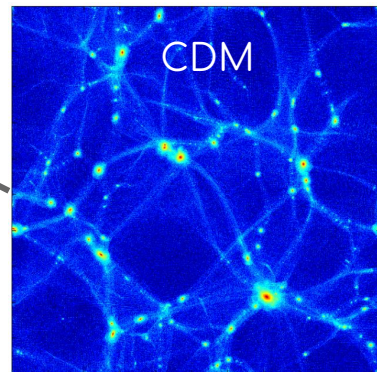
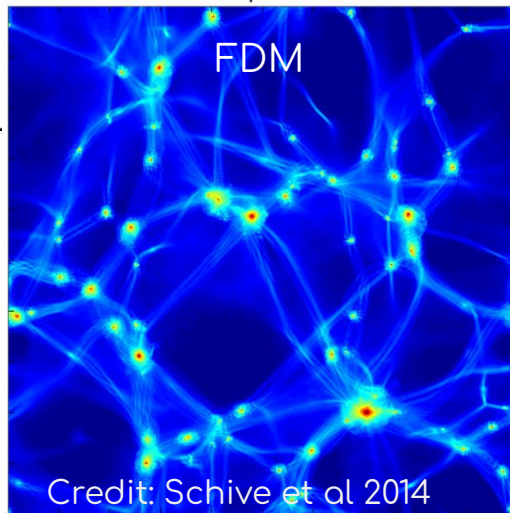
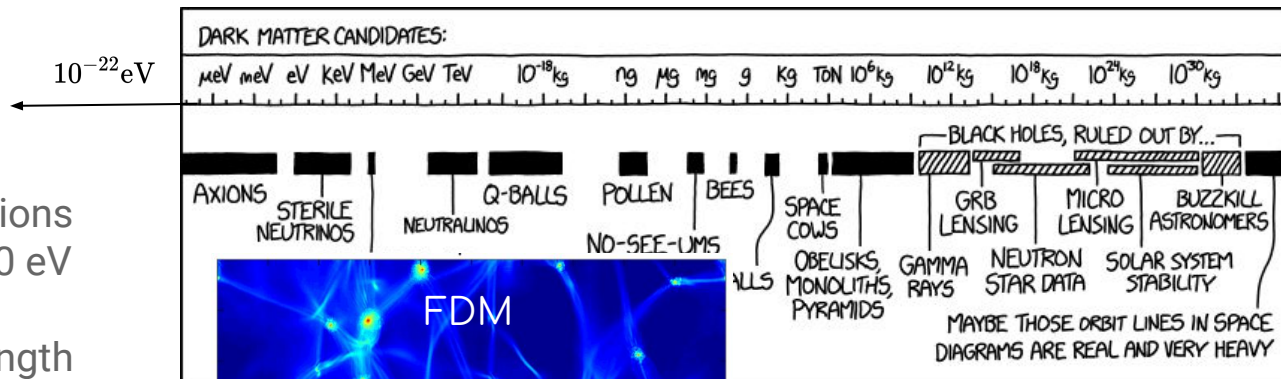


Credit: Jen Christiansen

Many faces of dark matter

Fuzzy dark matter:

1. Formed by very light axions of masses $1e-23 - 1e-20$ eV
2. Very large de Broigle length of $\sim 10-100$ pc
3. Solve some of the issues of CDM associated with overproduction of structures at galactic and sub-Galactic scales



FDM coupled gravitationally with SM particles

Scalar field ansatz: *mass of bosons*

$$\varphi(x, t) = A(x) \cos(mt + \alpha(x))$$

Energy-momentum tensor:

$$T_{\mu\nu} = \partial_\mu \varphi \partial_\nu \varphi - \frac{1}{2} g_{\mu\nu} ((\partial\varphi)^2 - m^2 \varphi^2)$$

To the first order of v/c :

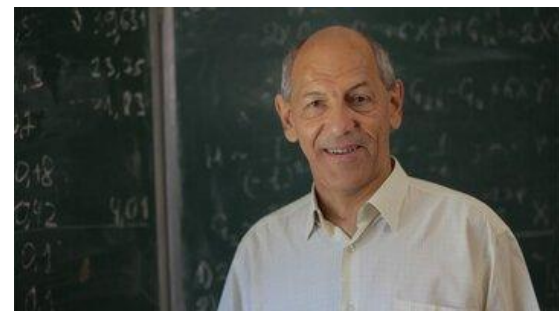
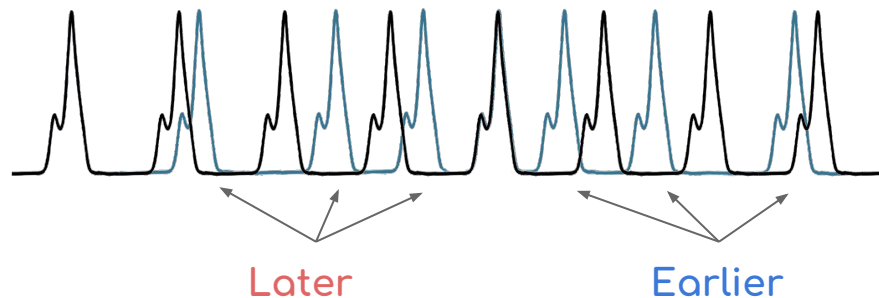
$$T_{\mu\nu} = \begin{pmatrix} \rho & 0 & 0 & 0 \\ 0 & p & 0 & 0 \\ 0 & 0 & p & 0 \\ 0 & 0 & 0 & p \end{pmatrix} \quad \overset{8\pi G T_{\mu\nu} = G_{\mu\nu}}{\underbrace{g_{\mu\nu}(t) =}} \begin{pmatrix} 2\Phi(t) & 0 & 0 & 0 \\ 0 & -2\Psi(t) & 0 & 0 \\ 0 & 0 & -2\Psi(t) & 0 \\ 0 & 0 & 0 & -2\Psi(t) \end{pmatrix}$$

Handwritten notes: $\cos(2mt)$ is written in red above the matrix, and $\cos(2mt)$ is written in red below the matrix.

The final expression of the signal in the residuals:

$$R(t) = r(x_E, t_E) - r(x_p, t_p), \quad r(x_E, t_E) = \int_{\text{SOL}} \frac{\Psi(x_E)}{2\pi f} \sin(2\pi f t_E + \alpha(x_E))$$

Handwritten note: \int_{SOL} is written in red below the integral sign.



Khmelnsky, Rubakov 2014

FDM coupled gravitationally with SM particles

Scalar field ansatz: *mass of bosons*

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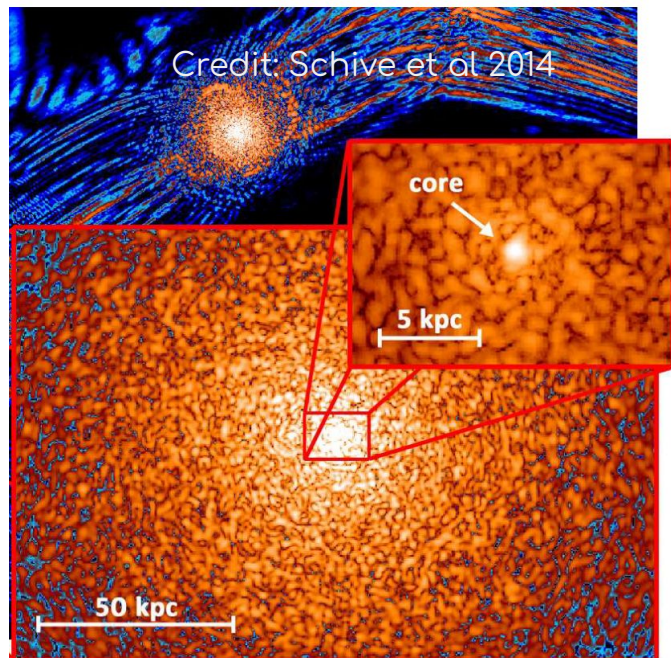
$$T_{\mu\nu} = \begin{pmatrix} \rho & 0 & 0 & 0 \\ 0 & p & 0 & 0 \\ 0 & 0 & p & 0 \\ 0 & 0 & 0 & p \end{pmatrix} \begin{matrix} \text{with } g_{\mu\nu}(t) = \\ \text{and } \rho, p \propto \cos(2mt) \end{matrix} \begin{pmatrix} 2\Phi(t) & 0 & 0 & 0 \\ 0 & -2\Psi(t) & 0 & 0 \\ 0 & 0 & -2\Psi(t) & 0 \\ 0 & 0 & 0 & -2\Psi(t) \end{pmatrix}$$

Handwritten notes: $g_{\mu\nu}(t) =$ with a red bracket over the matrix; $\rho, p \propto \cos(2mt)$ with a red arrow pointing to the matrix; $\cos(2mt)$ written in red above the matrix.

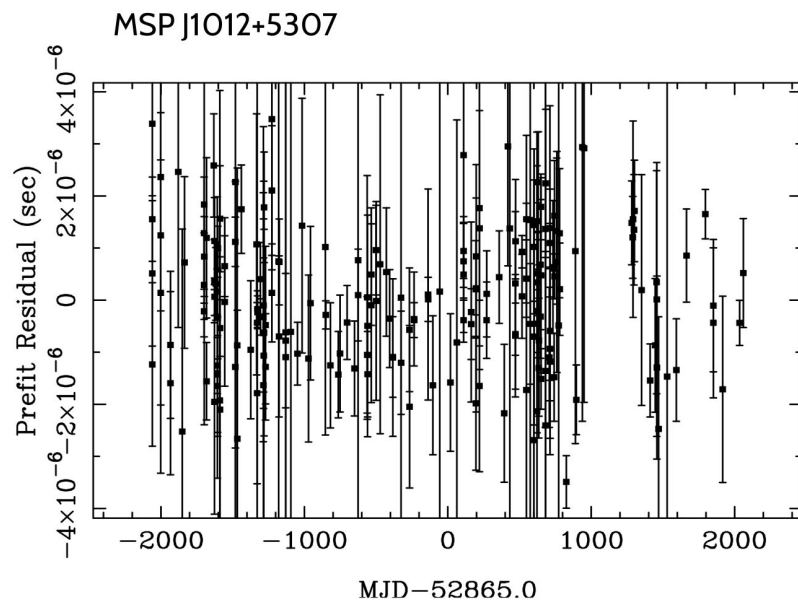
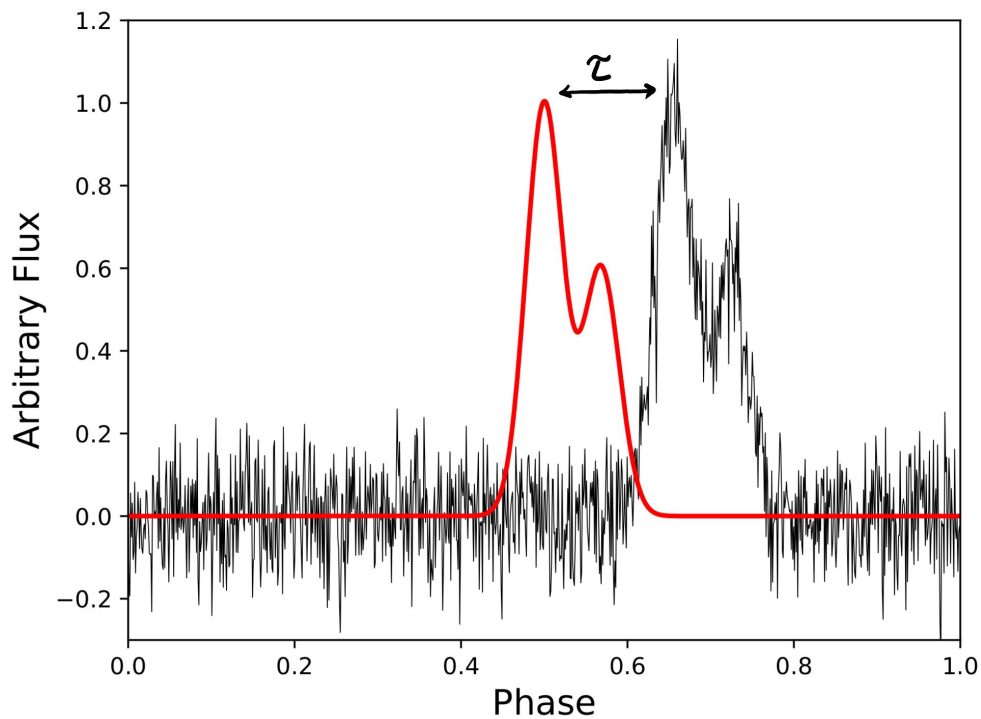
The final expression of the signal in the residuals:

$$R(t) = r(x_E, t_E) - r(x_p, t_p), \quad r(x_E, t_E) = \int_{\text{FDM}} \frac{\Psi(x_E)}{2\pi f} \sin(2\pi f t_E + \alpha(x_E))$$

Handwritten notes: $\Psi(x_E)$ circled in red; \int_{FDM} written in red below the integral; $\chi_E^2: p(\chi_E) = \kappa_E \exp(-\frac{\chi_E^2}{2})$ written in blue above the integral.

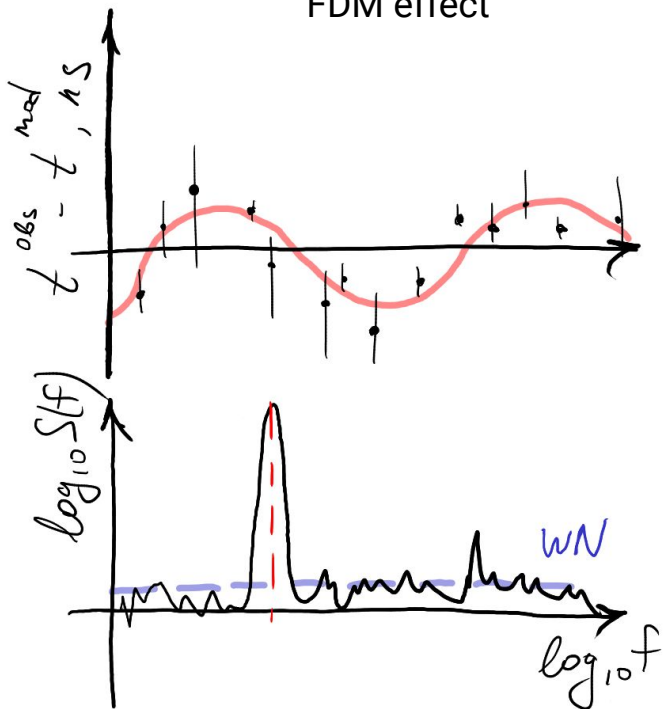


Pulsar timing and FDM

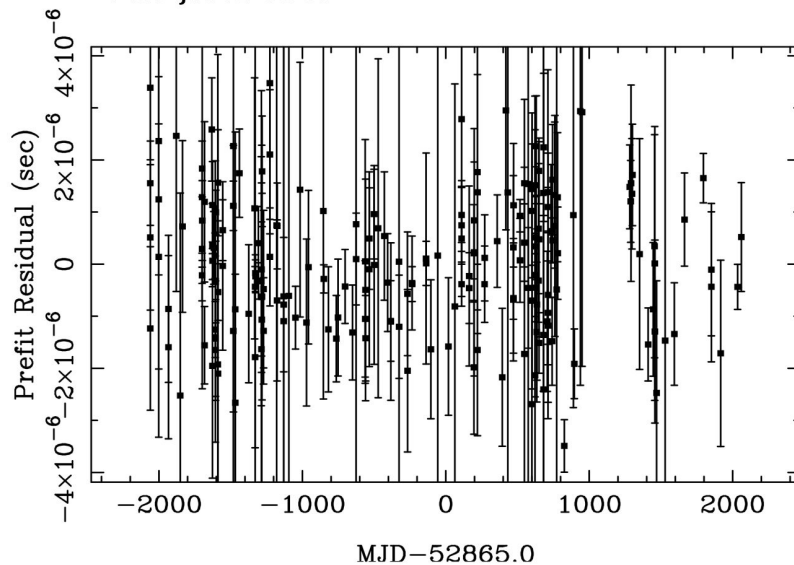


Pulsar timing and FDM

FDM effect



MSP J1012+5307



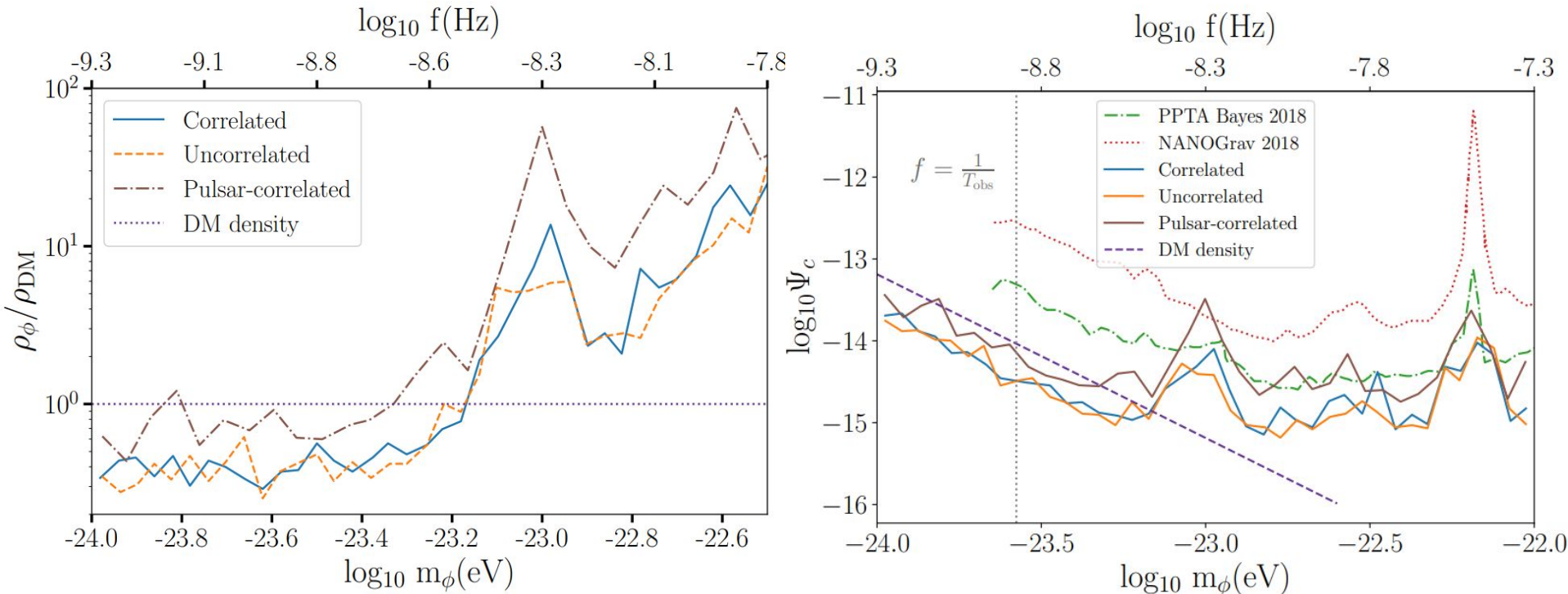
European Pulsar Timing Array

Partner telescopes:

- Effelsberg
- Lovell
- Nancay Radio Telescope
- Sardinia Radio Telescope
- Westerbork Synthesis Radio Telescope



FDM coupled gravitationally with SM particles



FDM coupled non-universally with photons

If assume non-renormalizable interaction between fuzzy DM particles and photons:

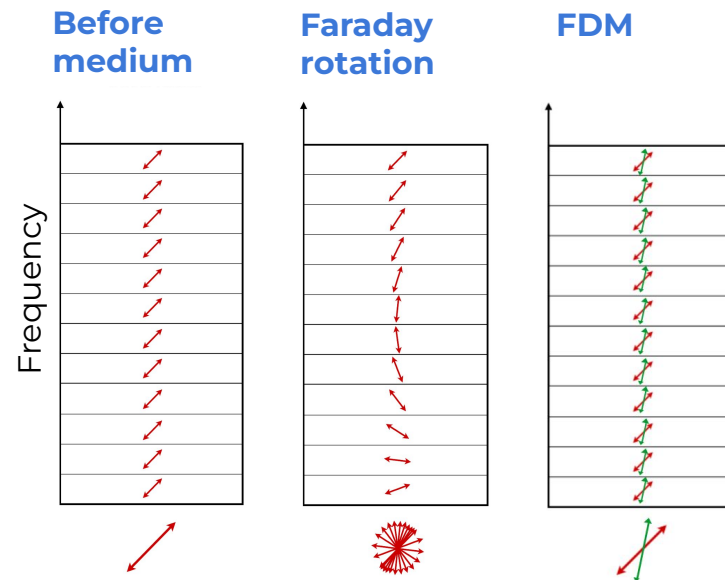
$$\mathcal{L} = \frac{1}{4}F_{\mu\nu}F^{\mu\nu} + \frac{g_{a\gamma}}{4}aF_{\mu\nu}\tilde{F}^{\mu\nu} + \frac{1}{2}(\partial_\mu a\partial^\mu a - m_a^2 a^2)$$

$$(\square + m_a^2)a + \frac{g_{a\gamma}}{4}aF_{\mu\nu}\tilde{F}^{\mu\nu} = 0$$

Polarization properties of light are altered

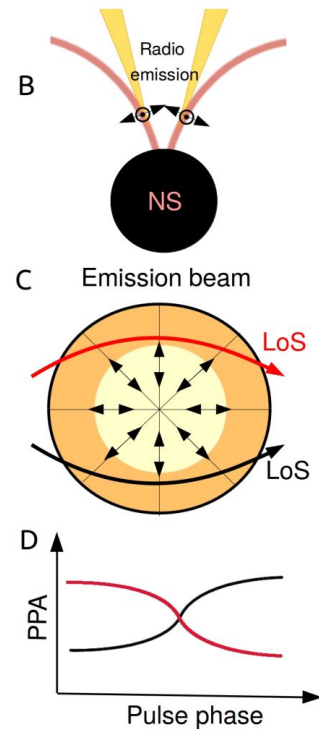
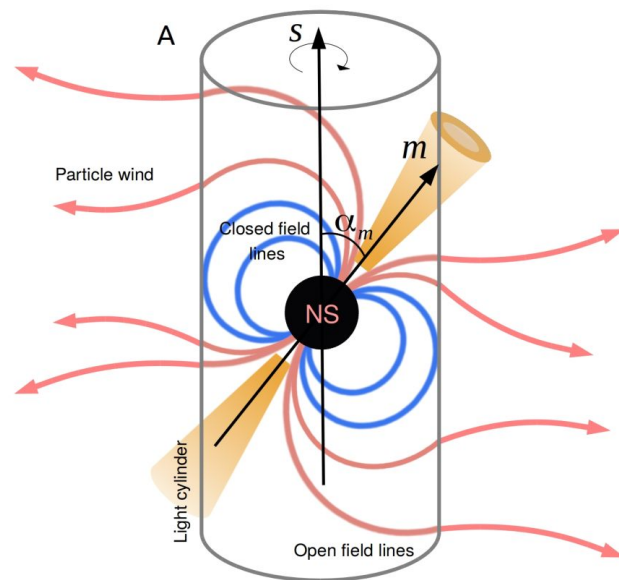
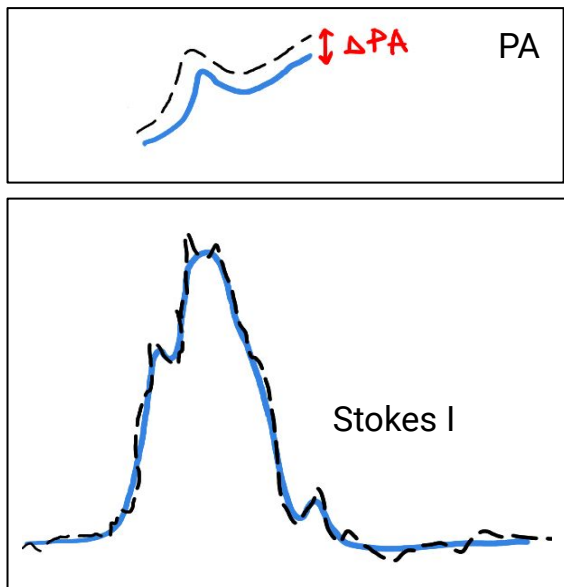
$$\omega_\pm = k\sqrt{1 \pm g_{a\gamma}\frac{\partial_0 a}{k}} \simeq k \pm \frac{1}{2}g_{a\gamma}\partial_0 a$$

$$\Delta(\text{PA}(t)) = \frac{g_{a\gamma}}{\sqrt{2}m}[\text{p}(t_E, x_E) - \text{p}(t_p, x_p)], \quad \text{p}(t_E, x_E) = \sqrt{\rho_{\text{DM}}}\kappa_E \cos(mt + \phi(x_E))$$

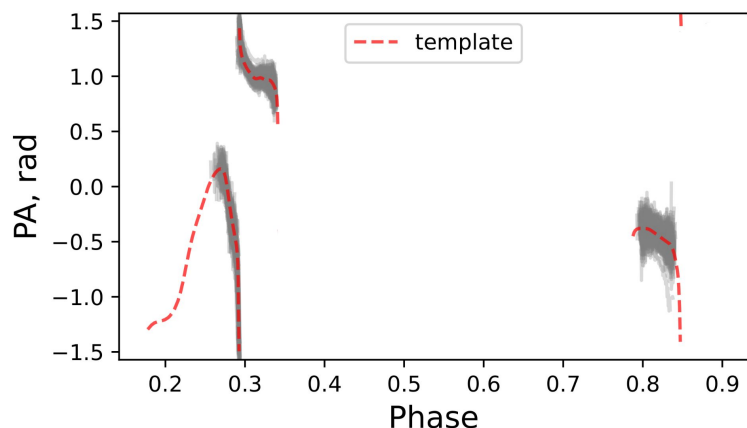
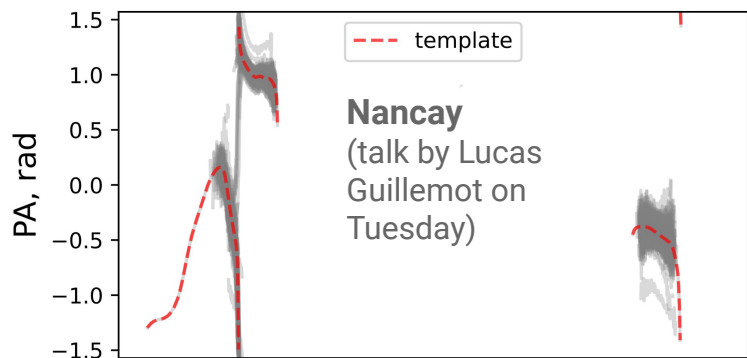


See: Ivanov et al 2018,
Castillo et al 2022

Searching for FDM: data processing



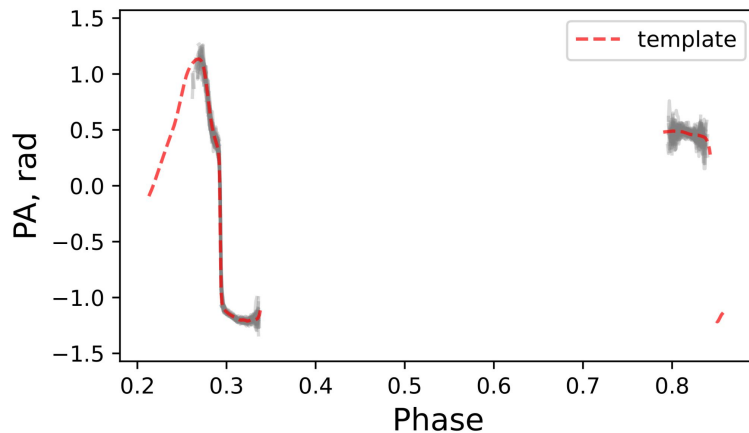
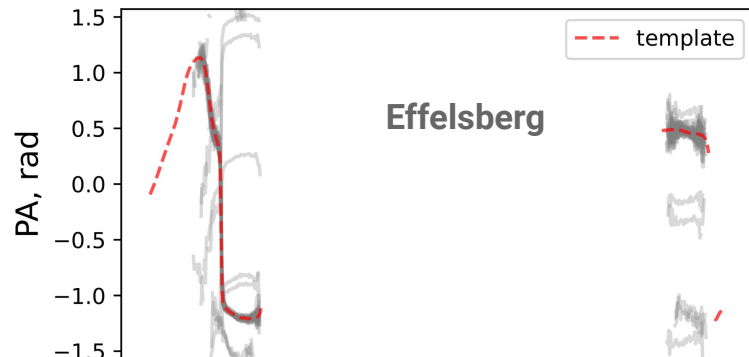
Searching for FDM: data processing



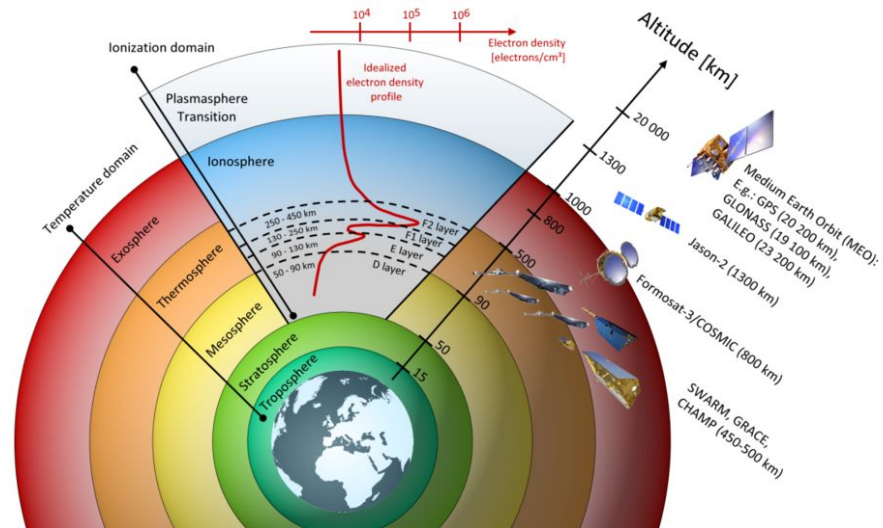
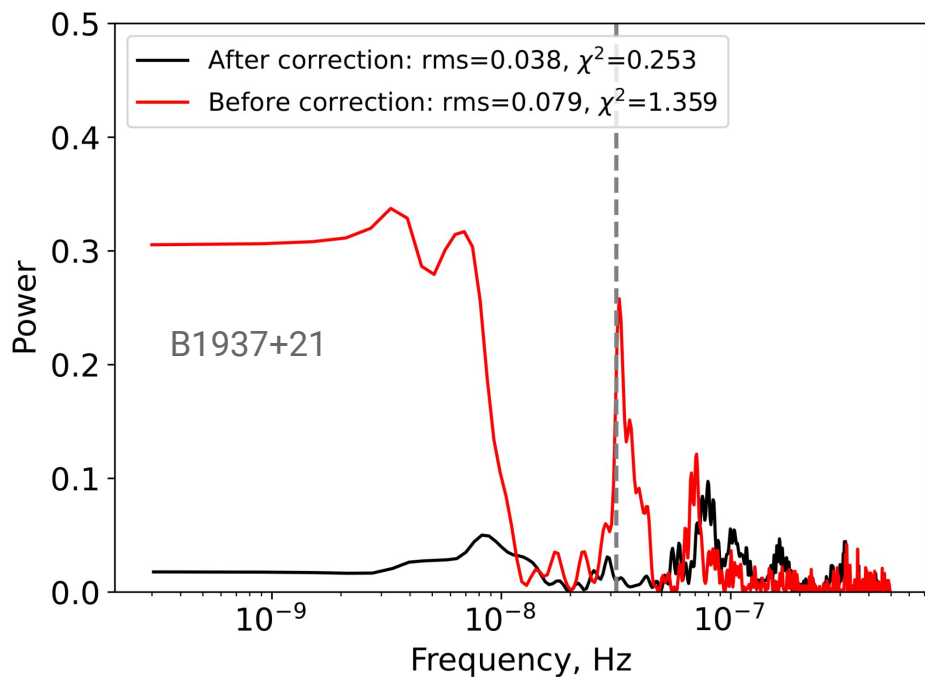
B1937+21

All PA profiles

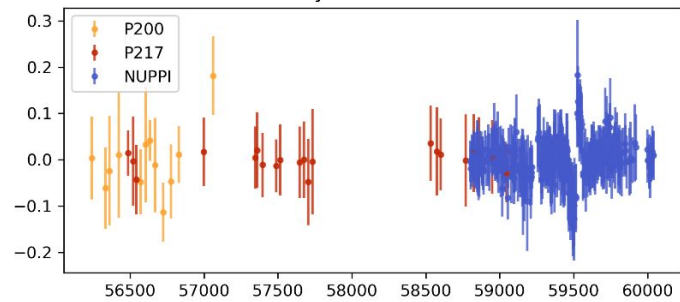
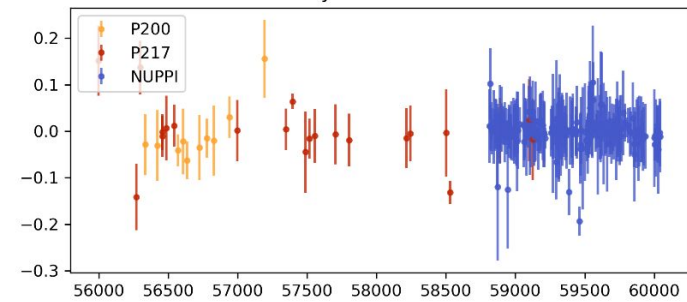
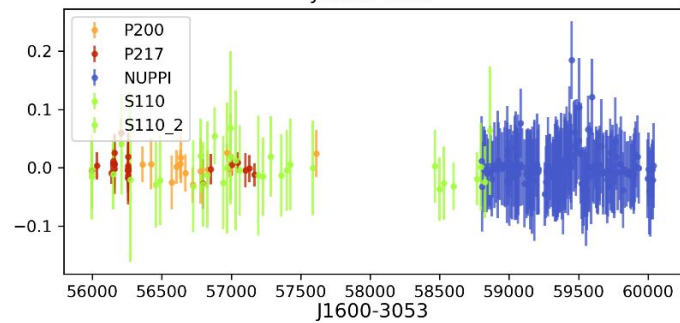
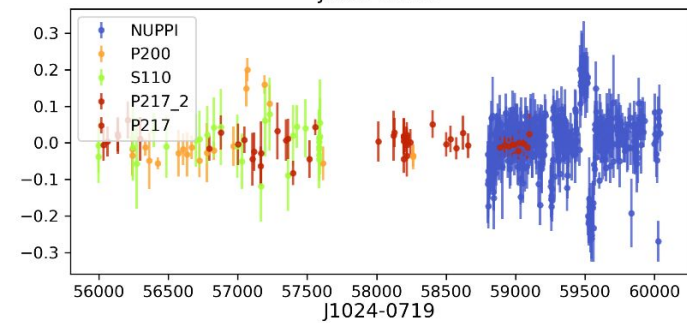
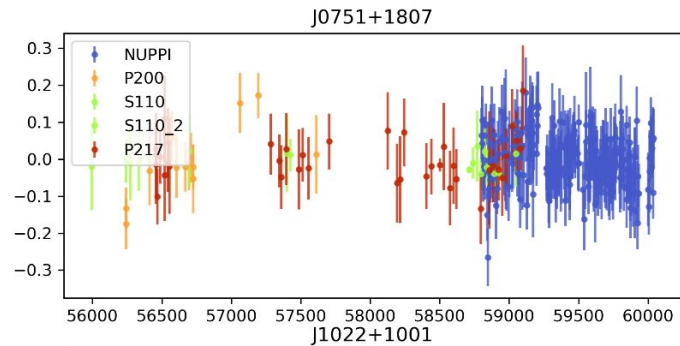
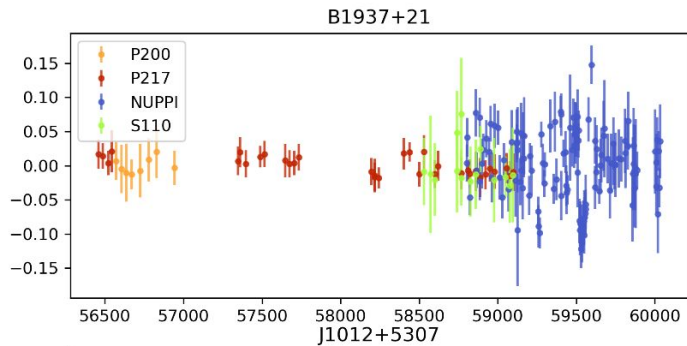
Manually selected
PA profiles



Searching for FDM: ionosphere

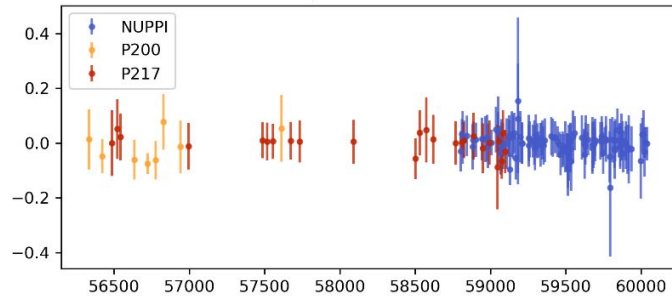
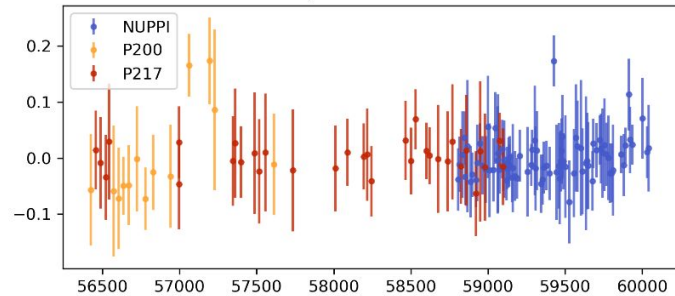
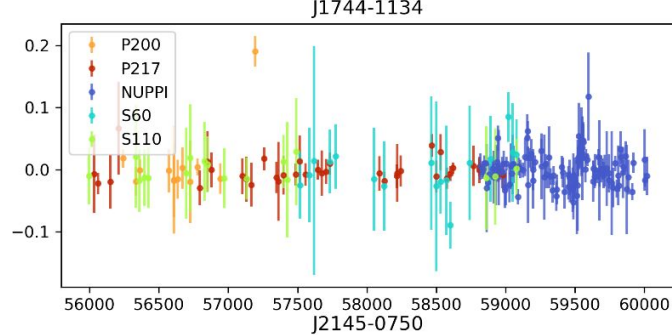
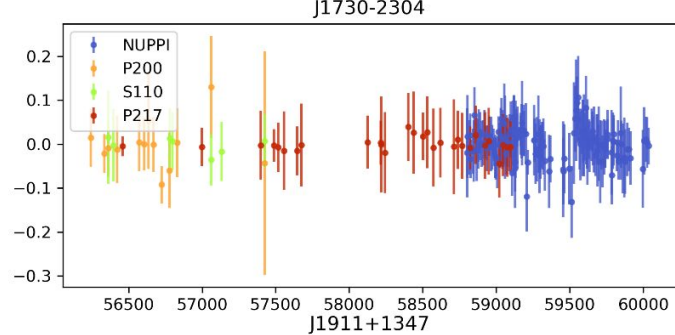
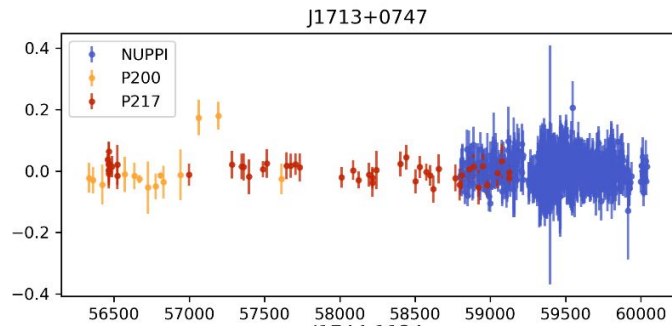
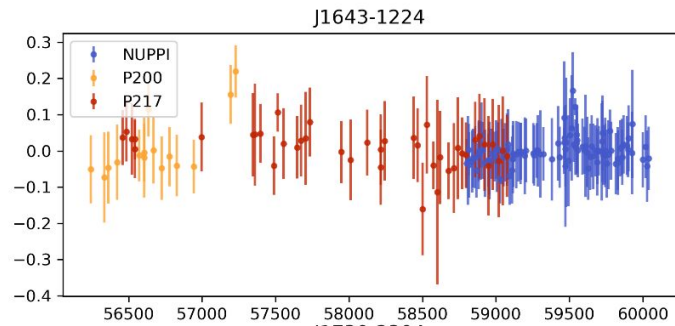


PA, rads



MJD, days

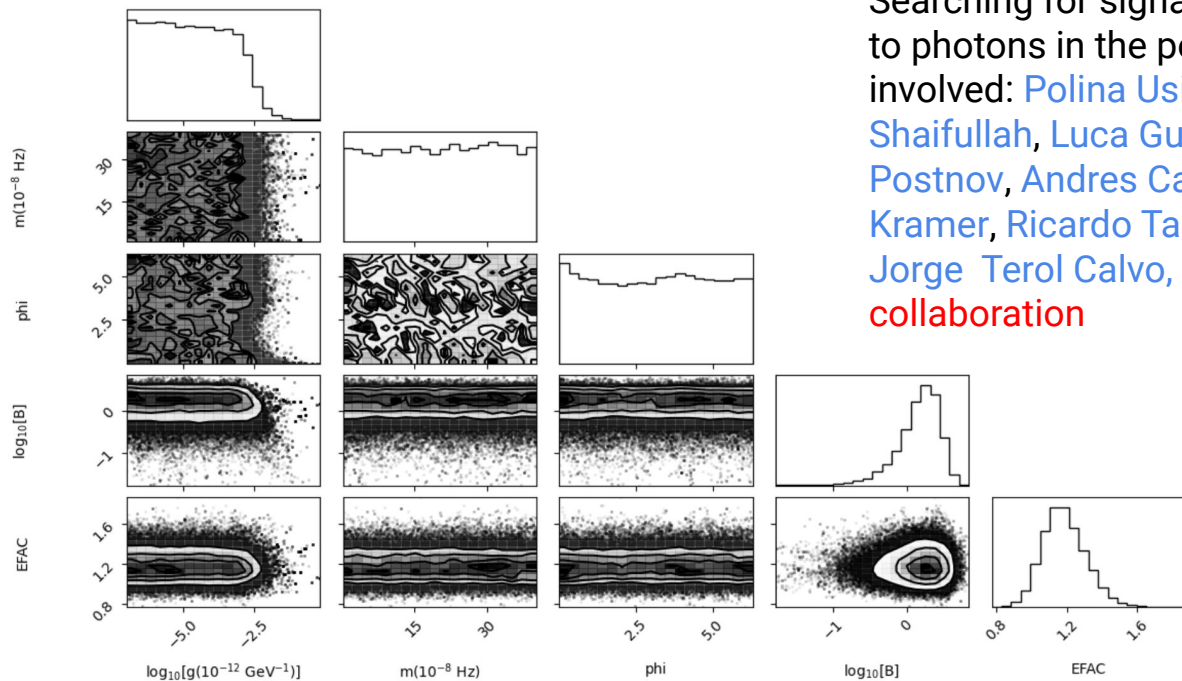
PA, rads



MJD, days

Searching for FDM in real data

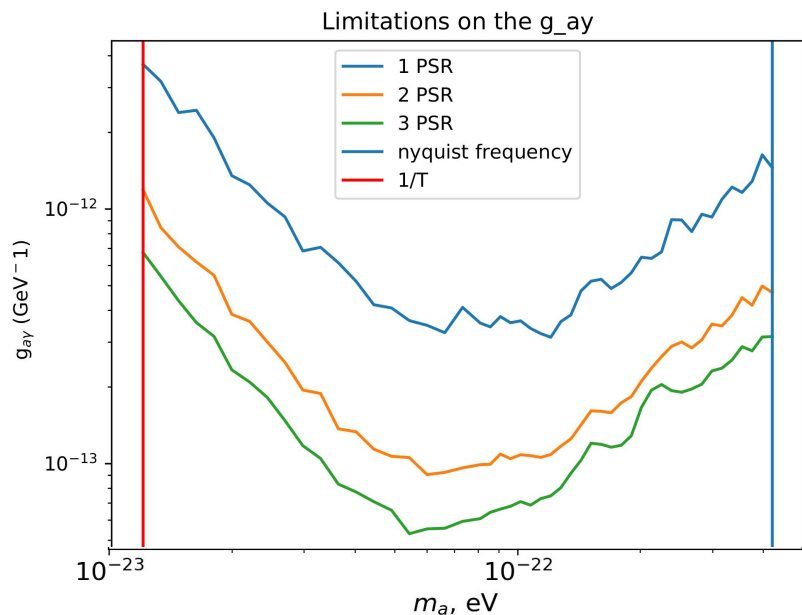
Search posteriors for J1744-1134



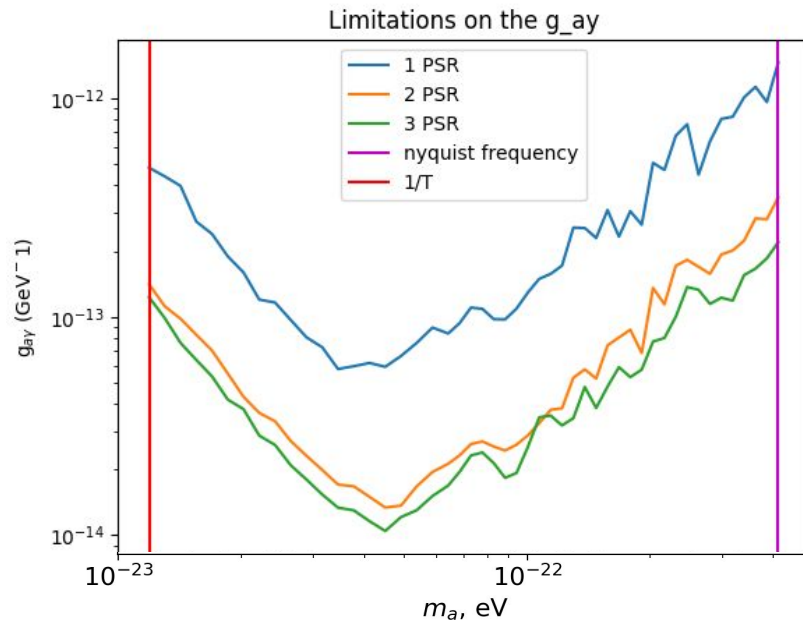
Searching for signatures of FDM non-universally coupled to photons in the polarization data of the EPTA. People involved: [Polina Usinina](#), [Andres Castillo](#), [Golam Shaifullah](#), [Luca Guillemot](#), [Caterina Tiburzi](#), [Konstantin Postnov](#), [Andres Castillo](#), [Jorge Martin Camalich](#), [Michael Kramer](#), [Ricardo Tanausu Genova](#), [Santos](#), [Mike Peel](#), [Jorge Terol Calvo](#), [Gregory Desvignes](#) and **EPTA collaboration**

Searching for FDM: factorised upper limits

Simulated data:
all identical sets with rms=0.1 rad

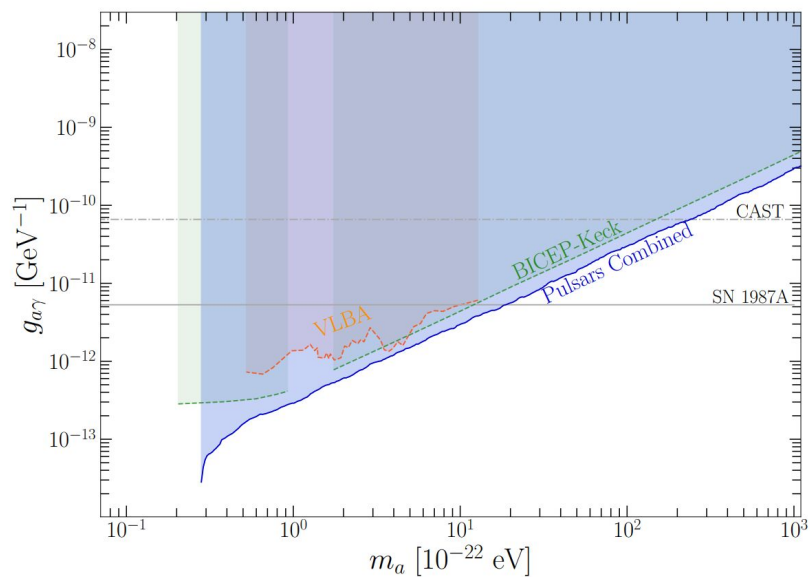


Real data for three pulsars:
J1022+1001, J1744-1134, J1713+0747

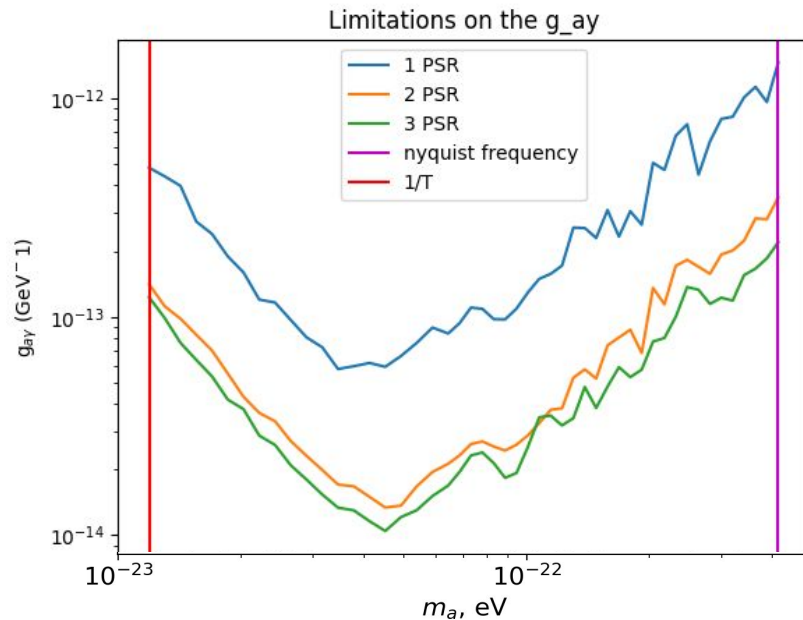


Searching for FDM: upper limits

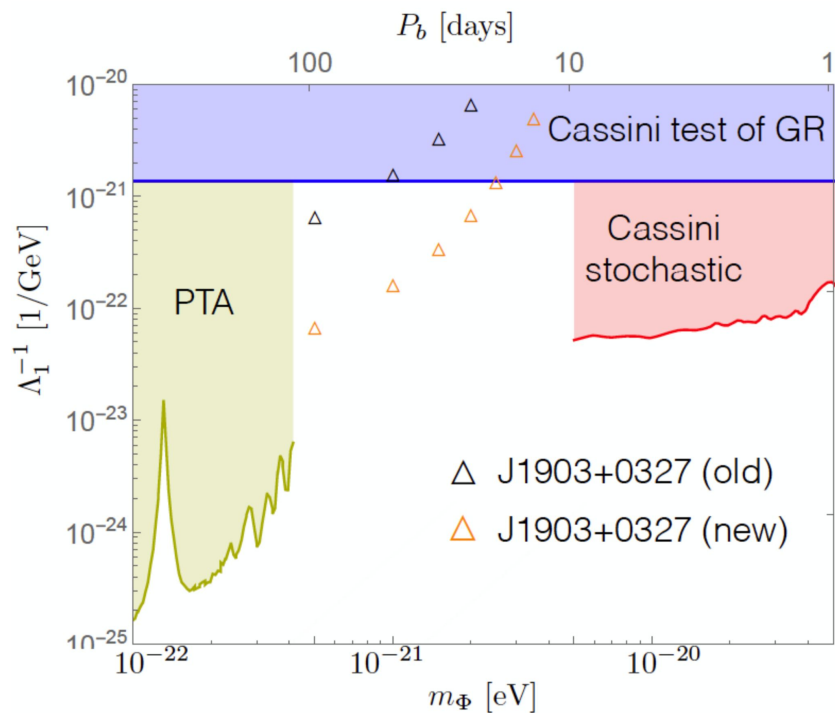
Previous study using PPTA polarisations
(Castillo, Martin-Camalich,
Terol-Calvo et al. 2023)



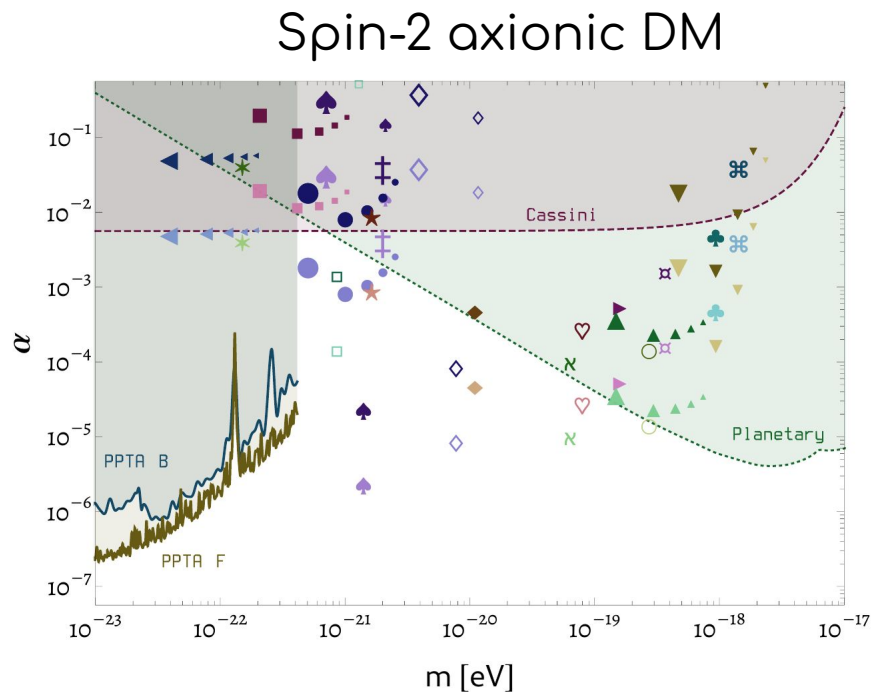
Real data for three pulsars:
J1022+1001, J1744-1134, J1713+0747



FDM: pulsar timing and beyond

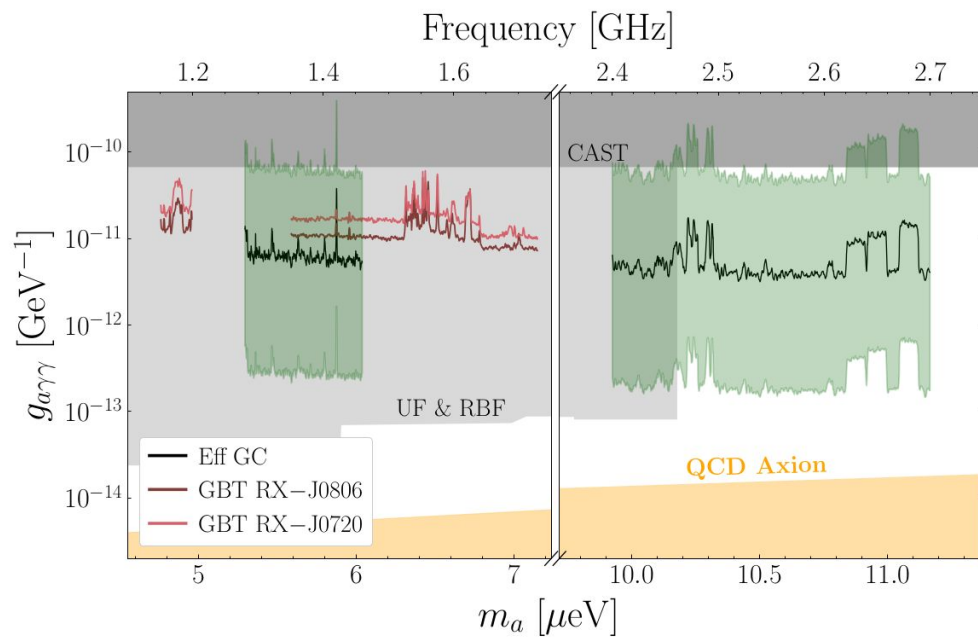


Credit: Blas et al 2020, Heusgen et al., in prep.



Credit: Armaleo et al., 2020

Searching for QCD axions with pulsar polarimetry

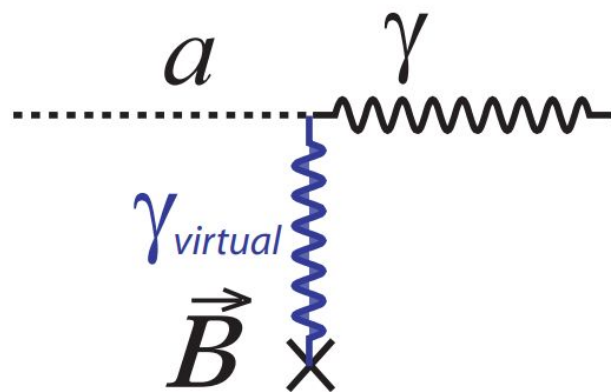


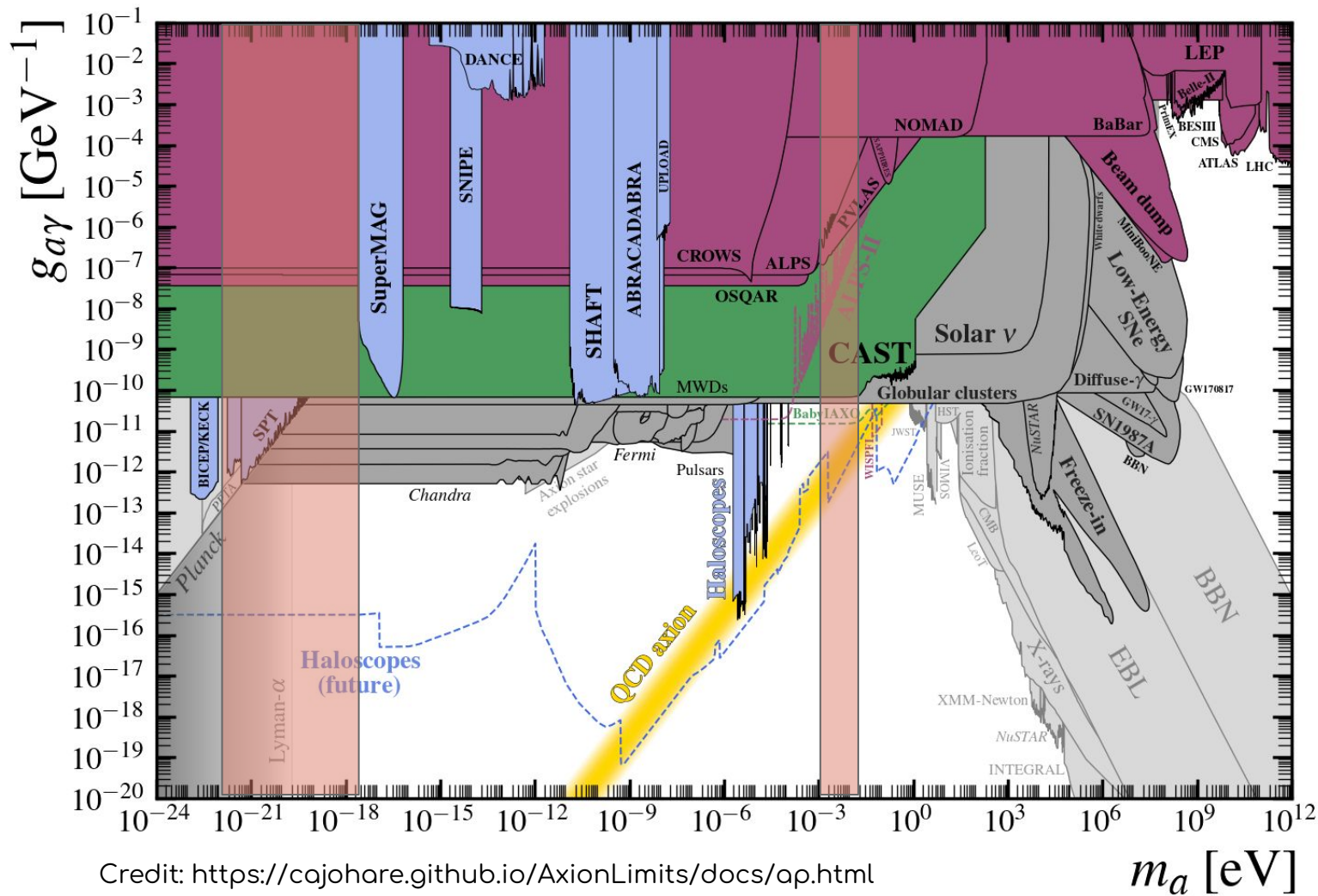
Pshirkov, Popov 2008, Foster et al. 2020, Zioutas et al. 2009

$$\frac{d\mathcal{P}(\theta = \frac{\pi}{2}, \theta_m = 0)}{d\Omega} \approx 4.5 \times 10^8 \text{ W} \left(\frac{g_{a\gamma\gamma}}{10^{-12} \text{ GeV}^{-1}} \right)^2$$

$$\left(\frac{r_0}{10 \text{ km}} \right)^2 \left(\frac{m_a}{1 \text{ GHz}} \right)^{5/3} \left(\frac{B_0}{10^{14} \text{ G}} \right)^{2/3} \left(\frac{P}{1 \text{ sec}} \right)^{4/3}$$

$$\left(\frac{\rho_\infty}{0.3 \text{ GeV/cm}^3} \right) \left(\frac{M_{\text{NS}}}{1 M_\odot} \right) \left(\frac{200 \text{ km/s}}{v_0} \right),$$





Credit: <https://cojohare.github.io/AxionLimits/docs/ap.html>

m_a [eV]