

Fast Generation of High Dimensional Point Clouds

Generative models for particle showers

Motivation: Computing Challenge

- Particle physics: simulate detector response and physical processes to test theories
→ Immense computational effort
- LHC High-Luminosity phase → More particles to simulate
- Future CMS high granularity calorimeter (HGCAL): more than 6M channels
→ Time-consuming simulations
→ Projected compute budget insufficient
→ Save CPU time by using a Neural Network to simulate HGCAL data

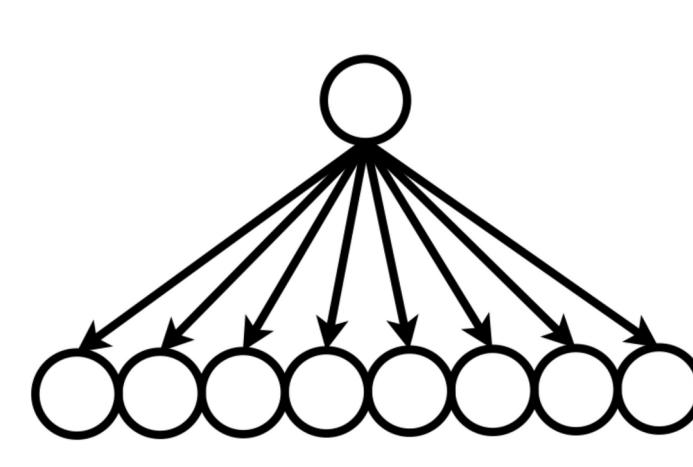
ML Challenges

- Future high granularity calorimeters:
- High number of Channels
 - Irregular Geometry
 - Sparse data
- ⇒ No ML model powerful enough yet
⇒ Point Clouds (PCs)

Target PC size: 2k Hits × 5 [E, t, x, y, z]

Core problem: How do we upsample PCs?

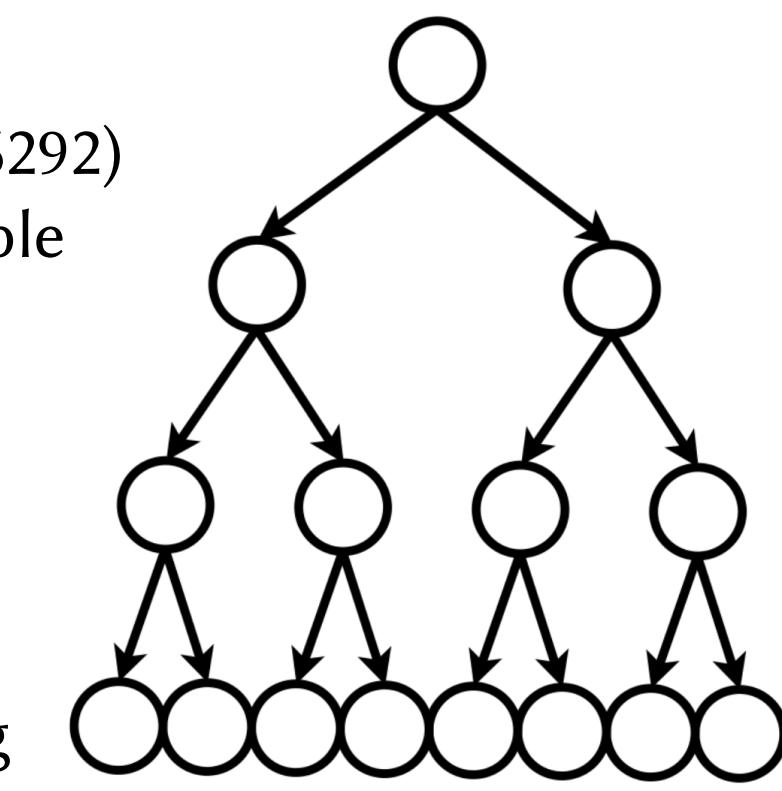
Naive approach:
Latent Vector → FFN → PCs



Number of parameters explodes
⇒ Not trainable

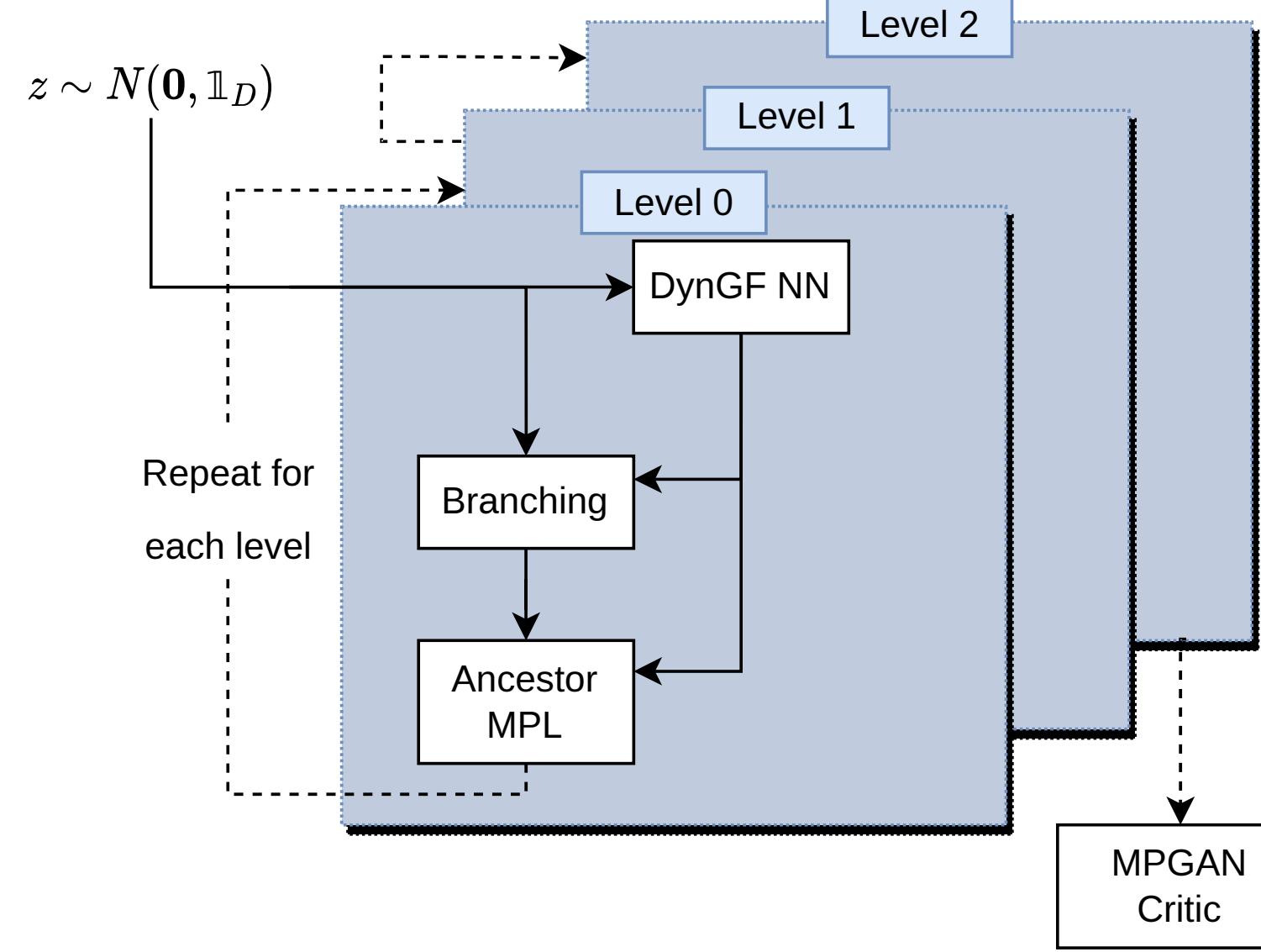
DeepTreeGAN:

- Inspired by TreeGAN (arXiv:1905.06292)
 - FFN projects each particle to multiple
 - Repeat to grow a tree
 - After k projections: $\prod_i^k k_i$ particles
- ⇒ Small output space for each FFN
⇒ Small number of parameters
⇒ Sparse representation, no padding



The Generator

Model Overview



- Start with random vector z
- Repeat for each level:
 - DynGF:** Encode the global state of the leaves (FFN → Sum → FFN)
 - Branching:** Split each of the leaves
 - Ancestor MPL:** Pass information down from ancestors to their children
- Last level: Take the first n points, to match the simulation

Ancestor Message Passing Layer

Selected MPL: GINConv (arXiv: 1810.00826)

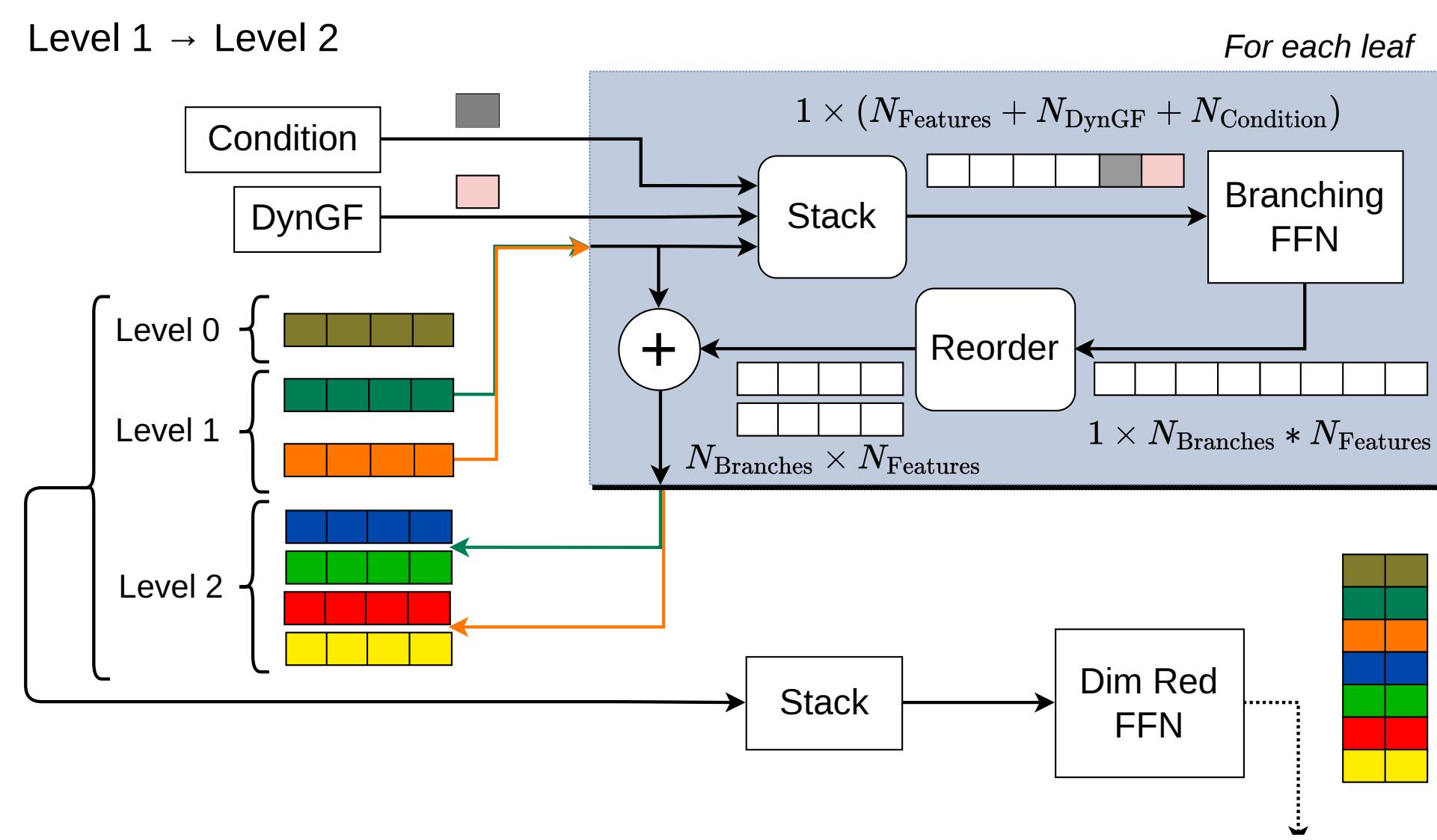
1) Message: $Msg_{j \rightarrow i} = x_j$

2) Aggregate:

$$Aggr_i = \sum_{j \in N(i)} Msg_{j \rightarrow i}$$

$$x_i \leftarrow NN((1 + \epsilon)x_i + Aggr_i) + x_i$$

Branching

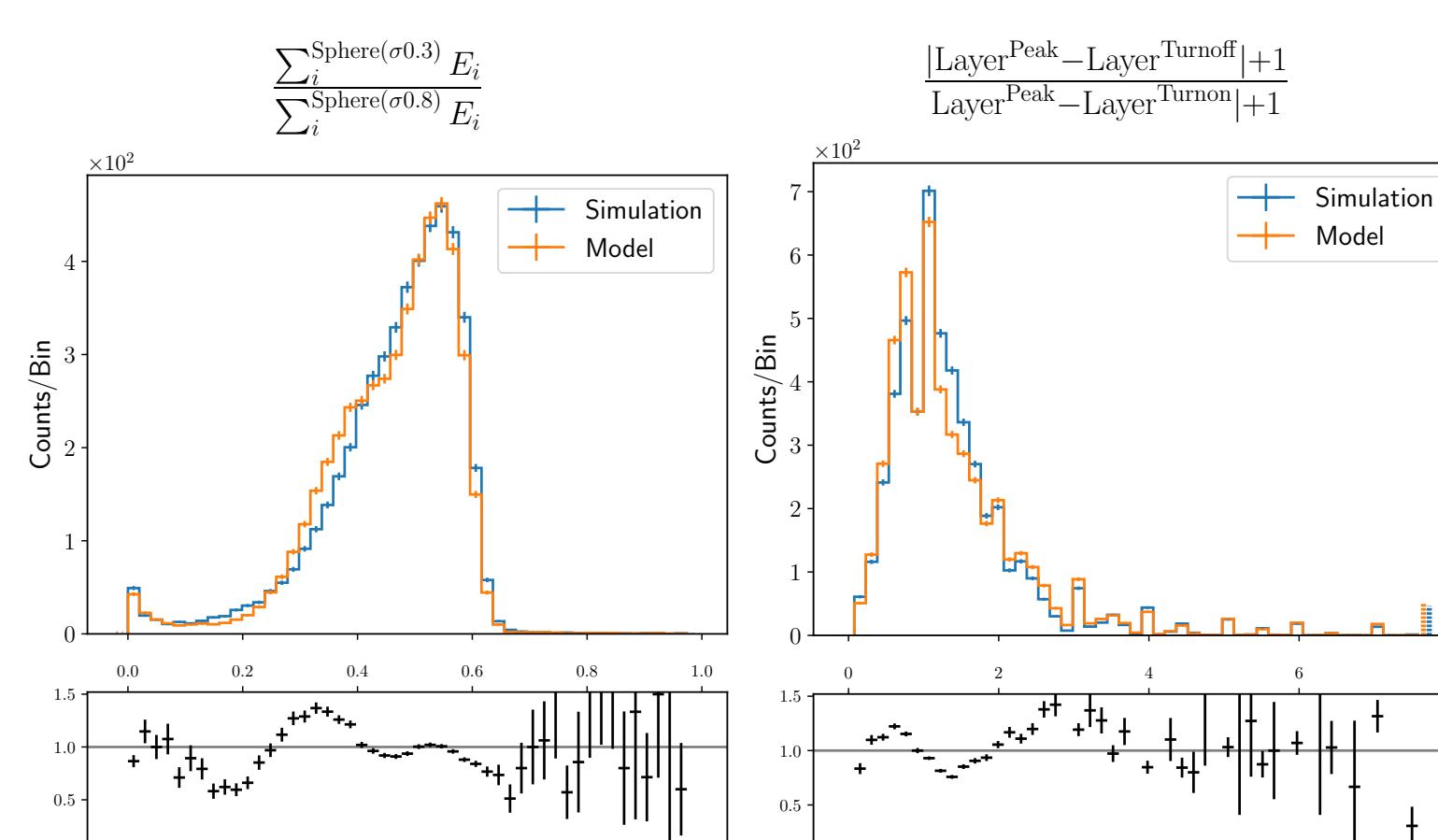
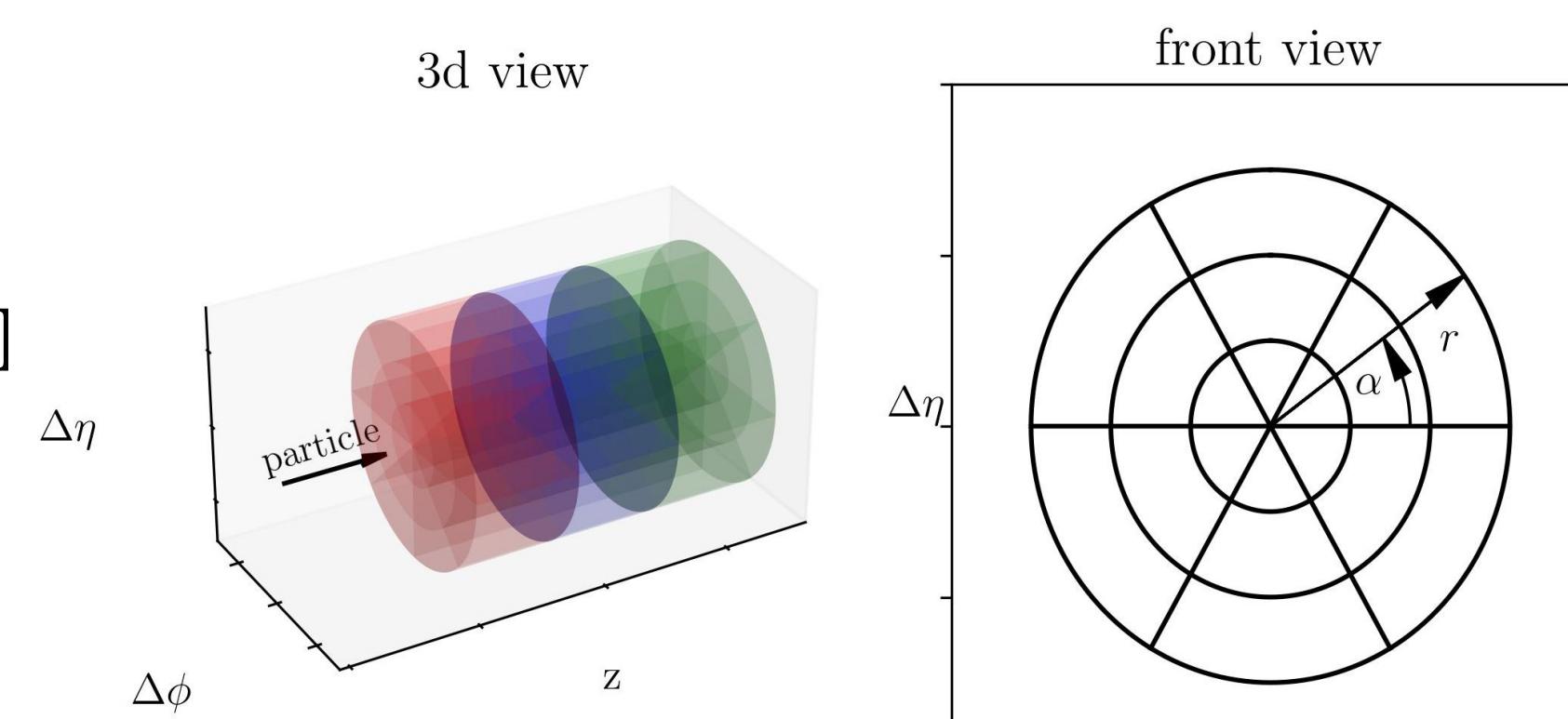


- Branch from Level 1 to Level 2
- For each leaf separately:
 - DynGF:** Stack leaf with condition and global feature vector
 - Branching FFN: Project to target dimension
 - Split into the number of branches
 - Add the parent ontop
 - Stack up all levels of the tree
 - Reduce the number of features with a FFN

Benchmark II: CaloChallenge Dataset 2

Public dataset: DOI 10.5281/
calochallenge.github.io/homepage/

- 100k GEANT4-simulated electrons showers for training/testing
- Energies with log-uniform distribution [1 GeV, 1 TeV]
- Concentric cylinder detector geometry
- 45 layers(z) x 9 radial segments (r) x 16 angular segments (α) = 6480 voxels



Check on the density:
Energy contained in Sphere around center with radius 0.3*std vs 0.8*std

Check on showershape:
Distance turnon (1/2 maximum) → peak vs turnoff → peak

Distribution of the hits in energy (E)[GeV] and layer (z)

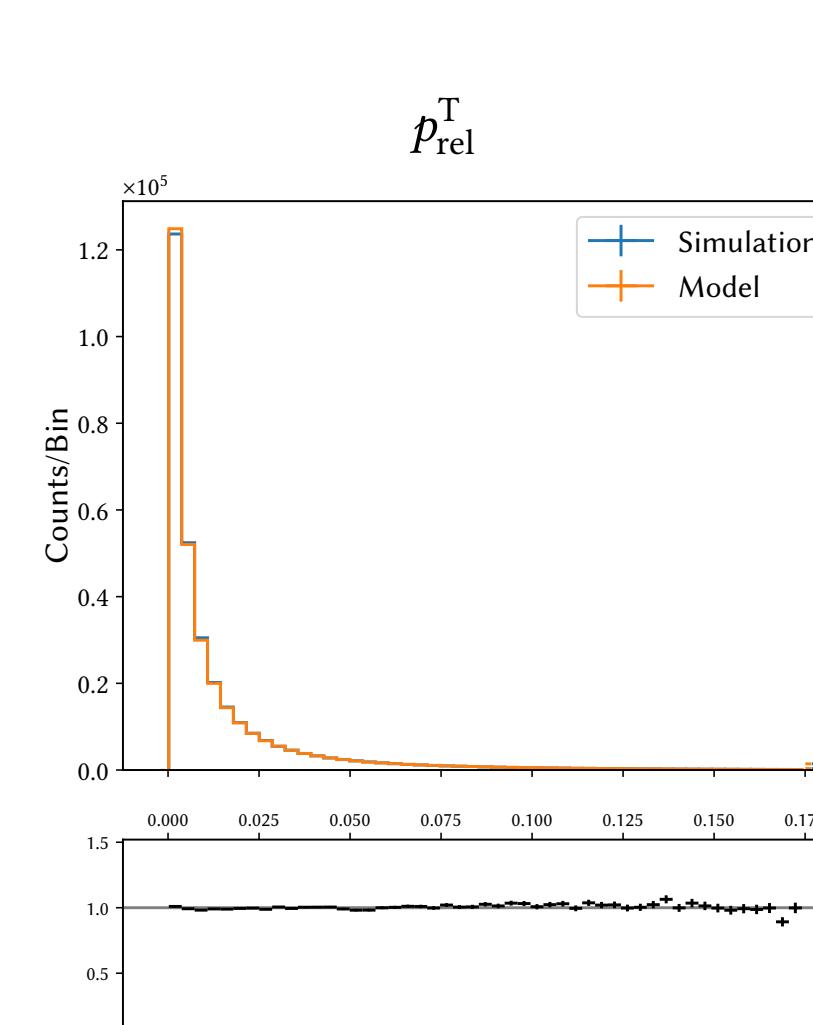
⇒ Almost identical architecture for jets and calo.
showers

⇒ New, differentiable up/downscaling methods for
point clouds

⇒ Promising model to scale to even larger point
clouds (e.g. HGCAL)

JetNet (arXiv:2106.11535) dataset:

- Hadronized jets, anti-kT ($R=0.8$)
- 170k gluon/light quark/top jets
- Leading 150 constituents by p^T
- Metrics for benchmarking



The marginal distributions of the constituents
 $p_{rel}^T = \frac{p_{particle}^T}{p_{jet}^T}$, $\eta_{rel} = \eta_{particle} - \eta_{jet}$, $\phi_{rel} = \phi_{particle} - \phi_{jet}$, $m_{rel} = \frac{m_{jet}}{p_{jet}^T}$

Benchmark I: JetNet 150 Top-Quarks

Metrics compared to other models, lower is better, best in bold
arxiv: 2305.15254 (MDAM) 2301:08128 (EPiC-GAN)

Model	$W_1^M \times 10^3$	$W_1^P \times 10^3$	$W_1^{EFP} \times 10^5$	$FPD \times 10^4$
In Sample	0.42 ± 0.09	0.12 ± 0.04	1.22 ± 0.32	1.2 ± 0.6
EPiC-GAN	0.69 ± 0.08	0.65 ± 0.03	2.67 ± 0.39	22 ± 1
MDMA	0.57 ± 0.09	0.10 ± 0.02	2.12 ± 0.64	5.3 ± 0.9
DeepTree(v2)	1.49 ± 0.04	0.13 ± 0.02	5.01 ± 0.08	3.4 ± 0.7

$$p_{rel}^T = \frac{p_{particle}^T}{p_{jet}^T}, \eta_{rel} = \eta_{particle} - \eta_{jet}, \phi_{rel} = \phi_{particle} - \phi_{jet}, m_{rel} = \frac{m_{jet}}{p_{jet}^T}$$

