



Measurements of de-trapping times in irradiated silicon detectors

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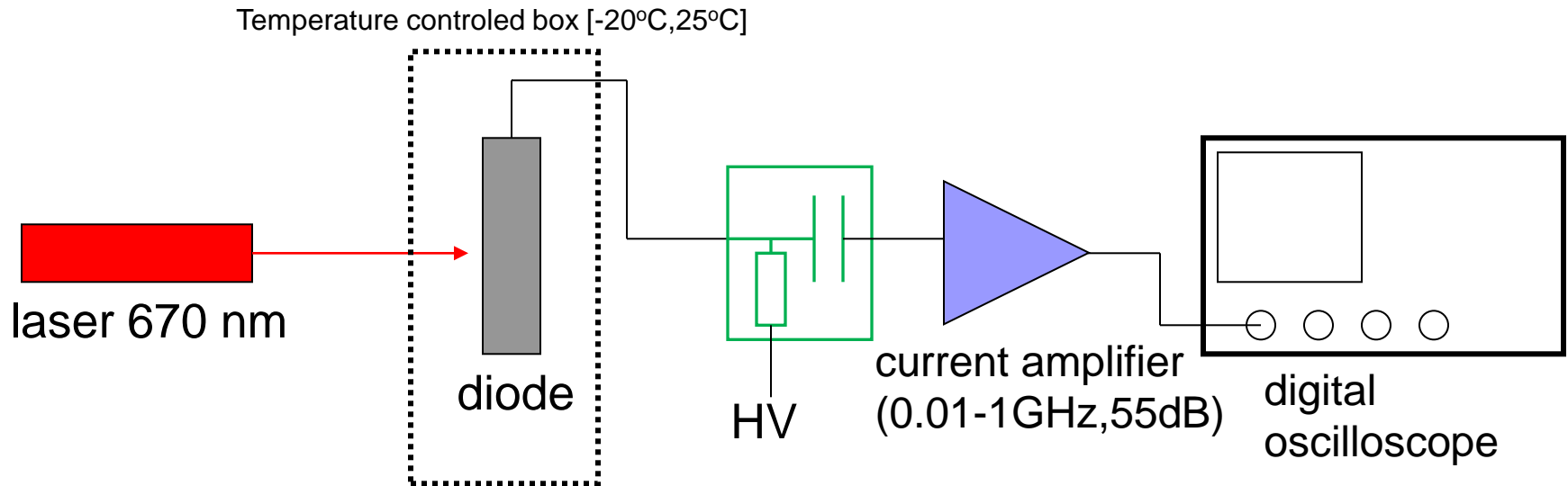
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Motivation

- Emission times of carriers are crucial for defect characterization
 - at close to RT conventional methods (TSC,DLTS) are difficult to operate particularly at high fluences
- Direct observation of de-trapped charge previously trapped during the drift of carriers (prompt generation of non-equilibrium carriers)
- De-trapping can play some role in CCE for longer shaping times and low bias voltages (not really LHC case)

Experimental setup - TCT



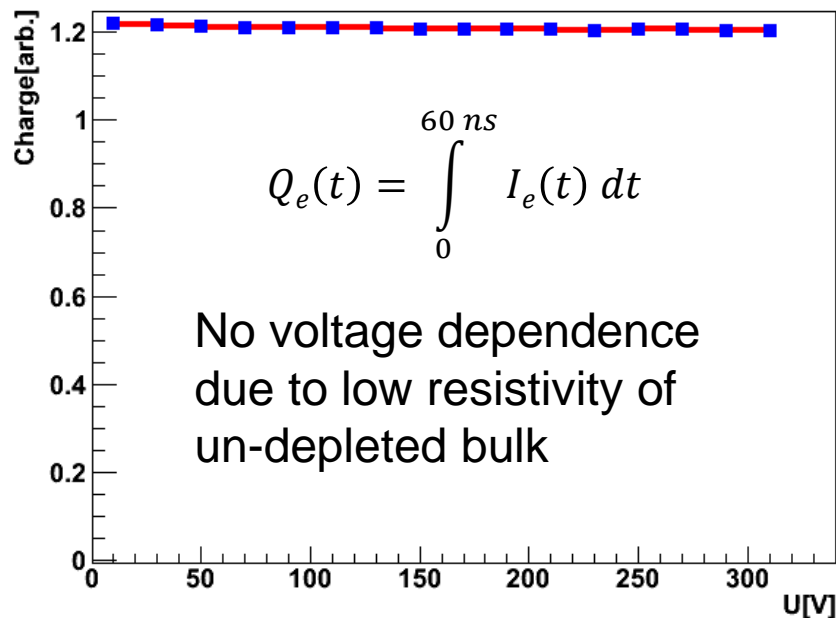
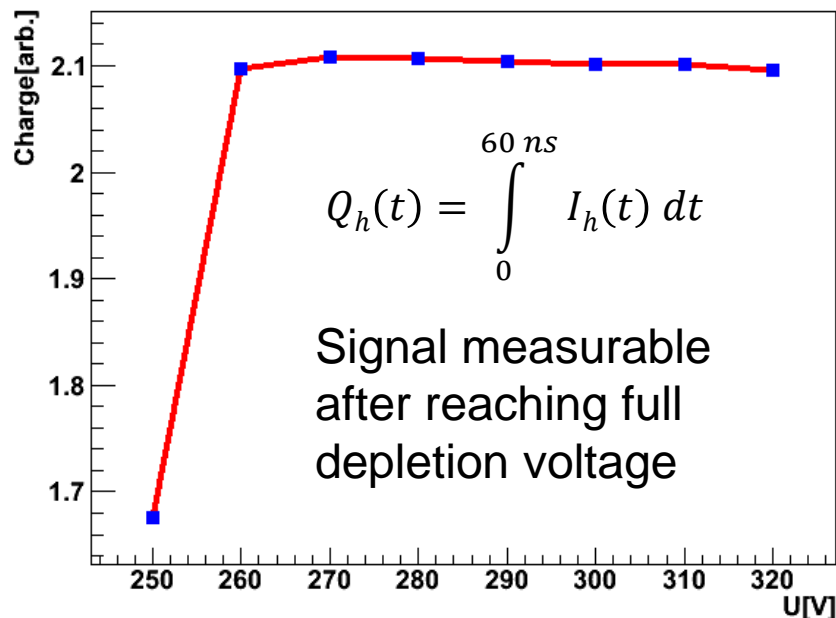
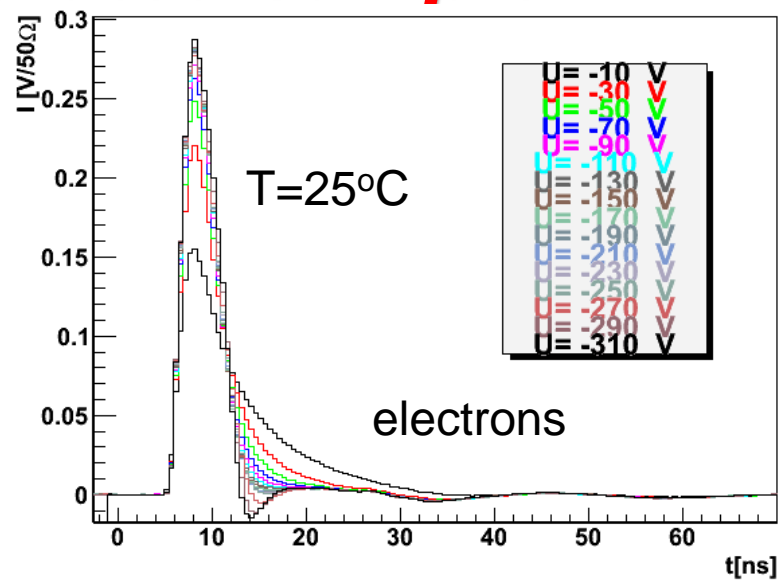
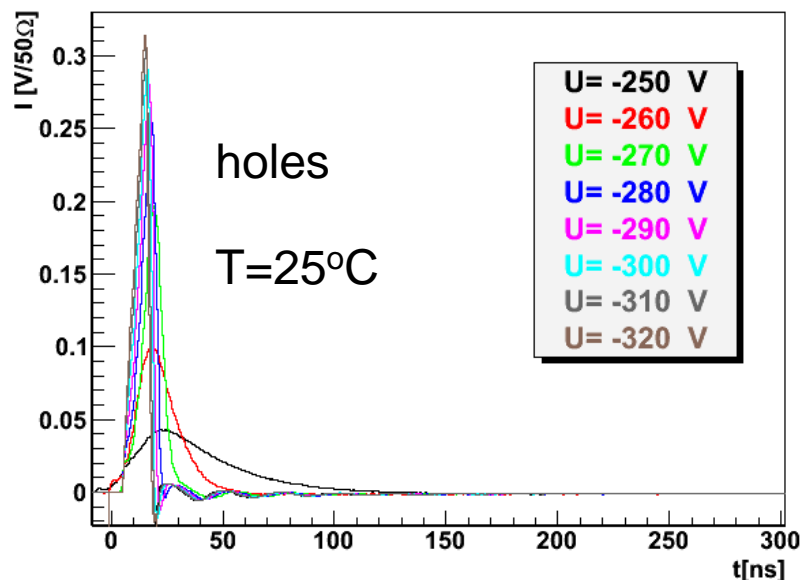
Conventional TCT was used with small modifications:

- Signals taken on the time **scale of few μs**
- Bias-T with different bandwidth was used
- Self-triggering of oscilloscope to avoid small DC offset

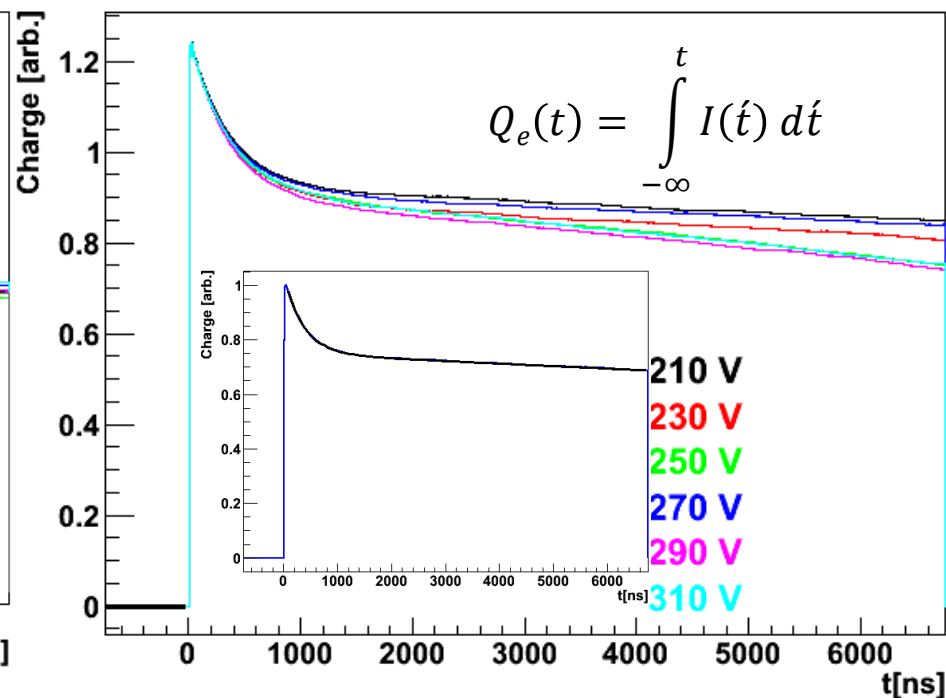
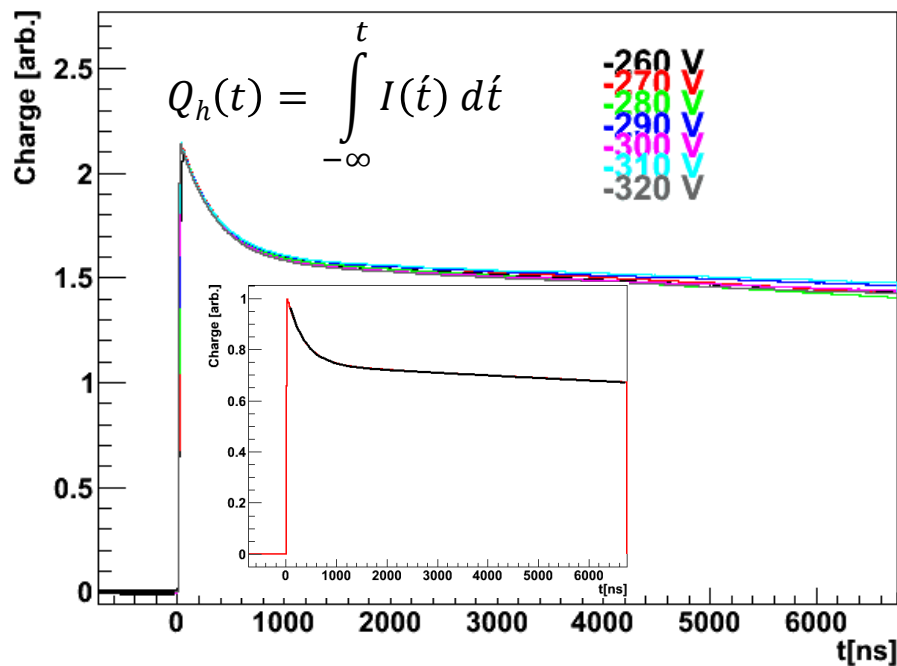
Samples

- MCz-n type samples (WODEAN), $1 \text{ k}\Omega\text{cm}$, $V_{fd} \sim 250 \text{ V}$
- Samples irradiated with neutrons to 10^{14} cm^{-2} and $3 \times 10^{14} \text{ cm}^{-2}$
- Measurements shown are after annealing of 80 min at 60°C

Method (I) – non irradiated sample



Method (II) – non irradiated sample



As there is no charge trapping the evolution of the signal in time is the consequence electronics (amplifier, Bias-T):

$$Q(t) = \int_0^t I(x) * h(t-x) dx \approx Q(t_d) h(t) \quad t \gg t_d$$

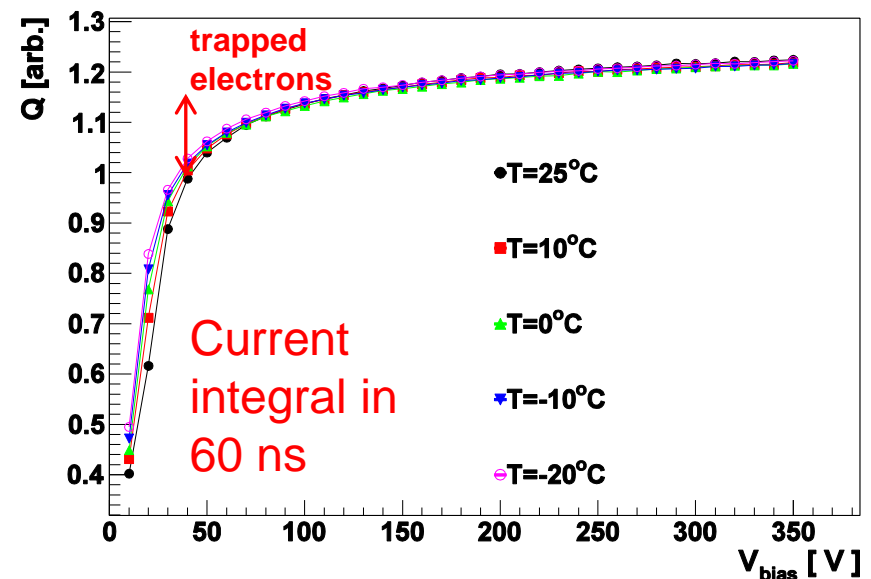
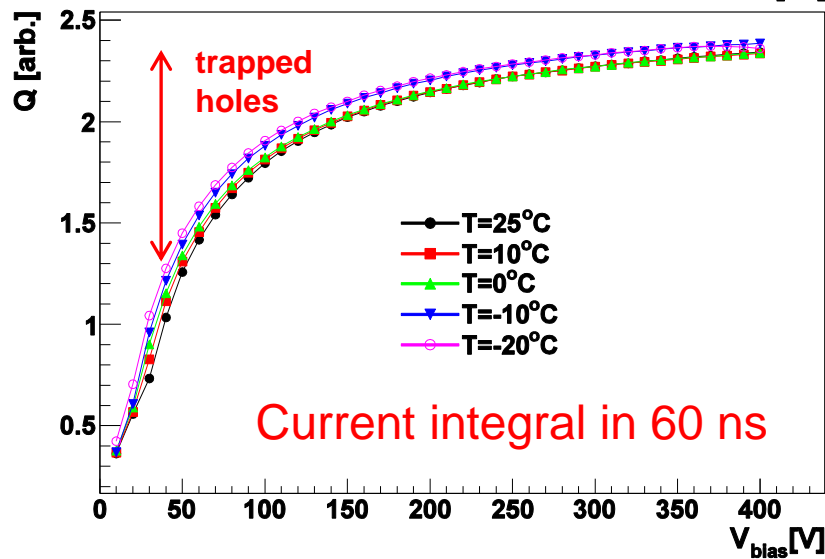
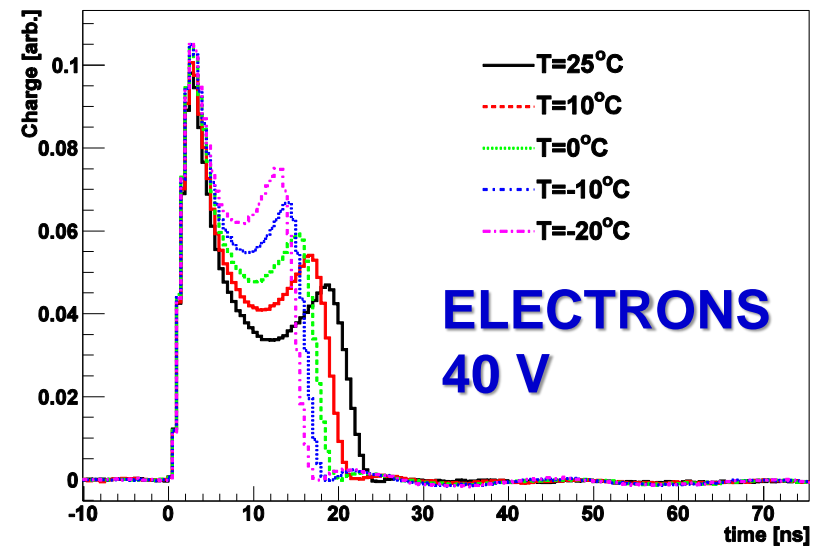
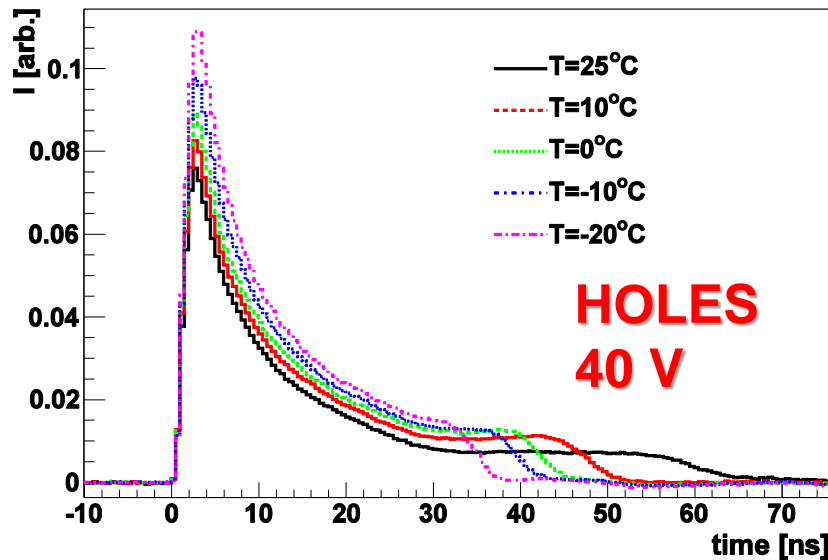
$$h(t) = \sum_{i=0}^2 a_i \exp(-t/\tau_i)$$

$$a_1=0.245, \tau_1=342 \text{ ns}$$

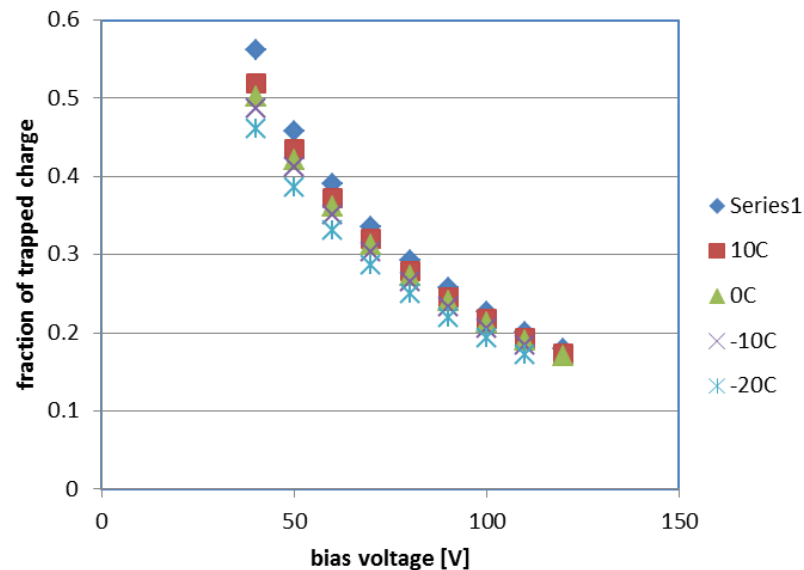
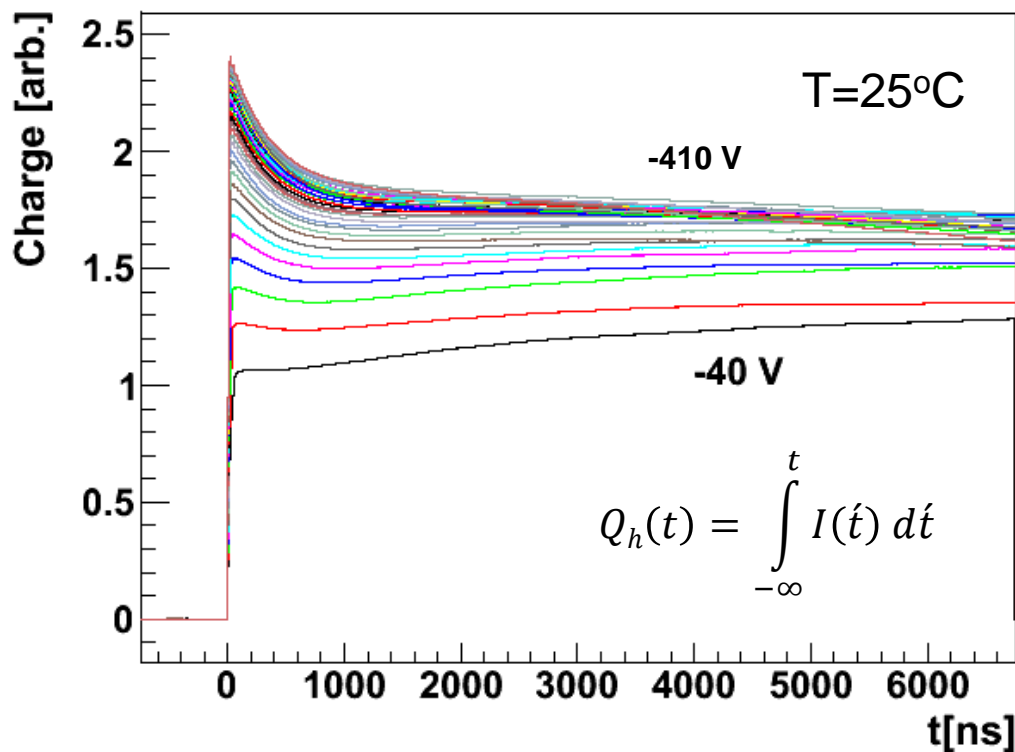
$$a_2=0.755, \tau_2=68000 \text{ ns}$$

Fit is shown in the insets!

Method (III) – diode irradiated to 10^{14} cm^{-2}



Method (IV) – diode irradiated to 10^{14} cm^{-2}



Charge trapped by many traps

$$Q_0(1 - CCE) = \sum_i Q_{t_i}$$

The shape of the $Q(t)$ changes with voltage:

- It increases with time for lower voltages
- It has the shape similar as non-irradiated sample for very high voltages

The reason for the increase is the de-trapping of the charge trapped during the drift (note that at low voltages a lot of charge is trapped)

Method (V) – diode irradiated to 10^{14} cm^{-2}

The difference between two plots can be expressed:

$$Q_2(t) - Q_1(t) = \int_0^t [I_2(x) - I_1(x)] * h(t - x) dx =$$

$$= \int_0^{t_d} [I_2(x) - I_1(x)] * h(t - x) dx + \int_{t_d}^t [I_2(x) - I_1(x)] * h(t - x) dx$$

exponential emission of the trapped charge:

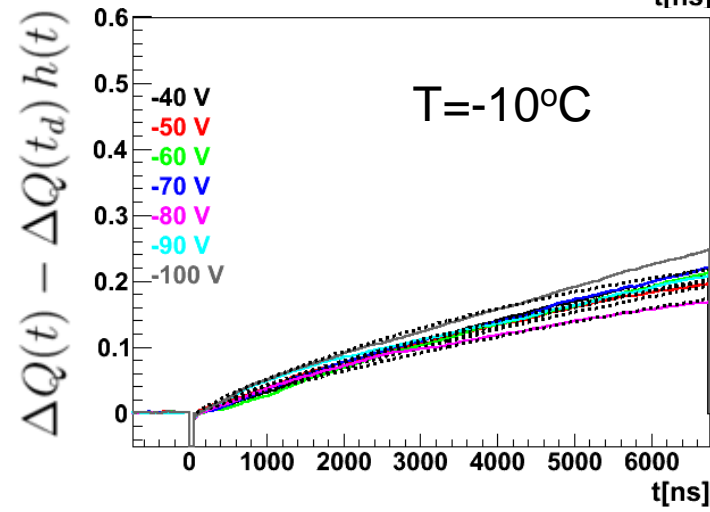
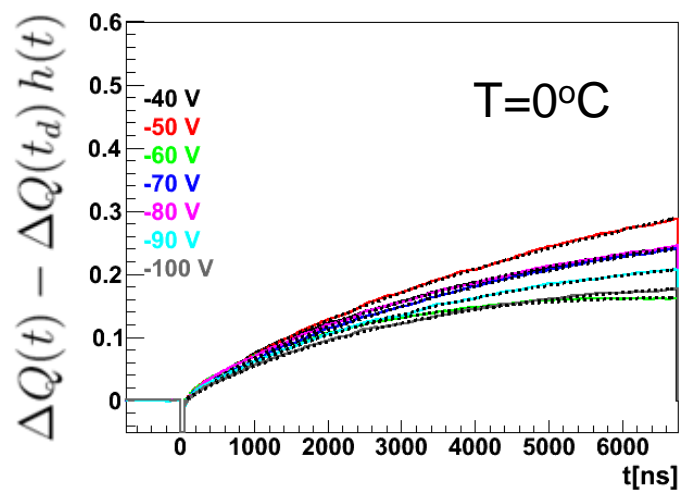
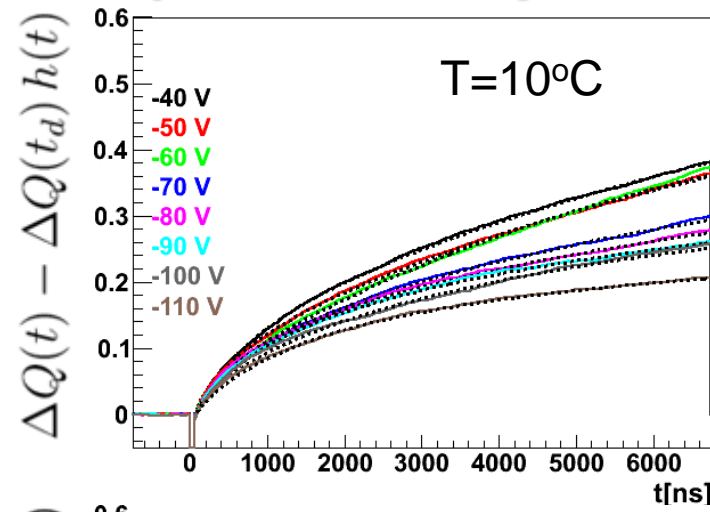
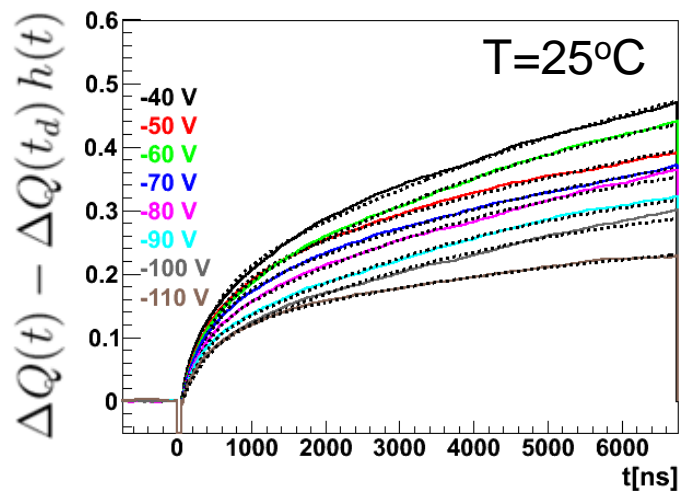
$$I(t > t_d) = \sum_i \frac{Q_{t_i}}{\tau_{d_i}} \exp(-t/\tau_{d_i})$$

$$\Delta Q(t) - \Delta Q(t_d) h(t) = \sum_{j=1}^2 \sum_{i=1}^2 \Delta Q_{t_i} \left[\frac{a_j \tau_j}{\tau_{d_i} - \tau_j} \left(\exp\left(-\frac{t}{\tau_{d_i}}\right) - \exp\left(-\frac{t}{\tau_j}\right) \right) \right]$$

This equation is fit to the measured data!
Two traps were assumed (index i).

- **Unknowns:** $\tau_{d1}, \tau_{d2}, \Delta Q_{t1}/\Delta Q_{t2}$
- **Constrain:** $\sum_{i=1}^2 \Delta Q_{t_i} = Q_2(t_d) - Q_1(t_d)$

Measurements – holes (10^{14} cm^{-2})

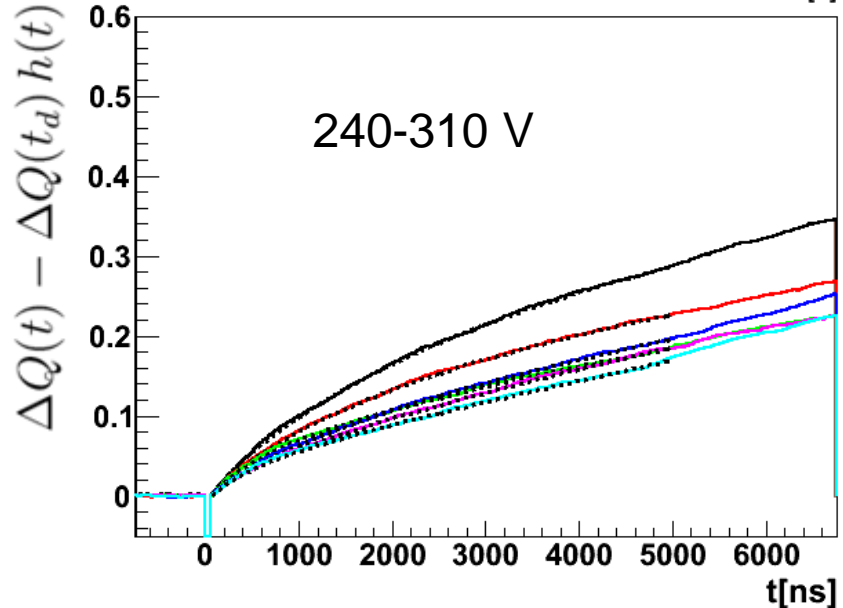
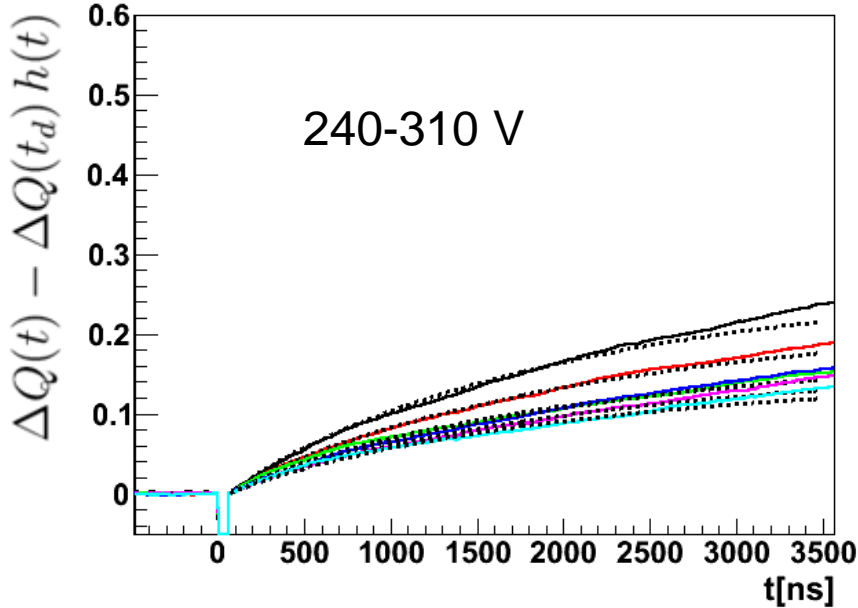
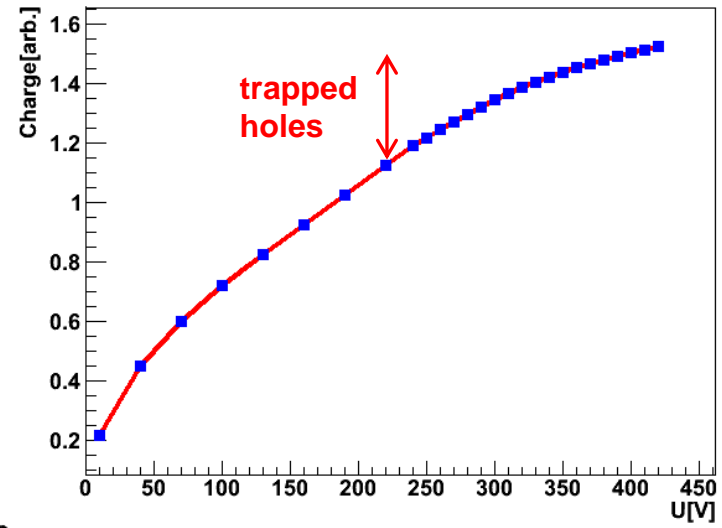


De-trapping times are longer at lower T, but amplitudes are similar

- Fits are reasonably good, however at $T \leq -10^\circ\text{C}$ the measurements can be fit with single exponential (only one free parameter)
- De-trapping times are in the range from 1-10 μs , the long term dominates (~80% of the de-trapping amplitude)

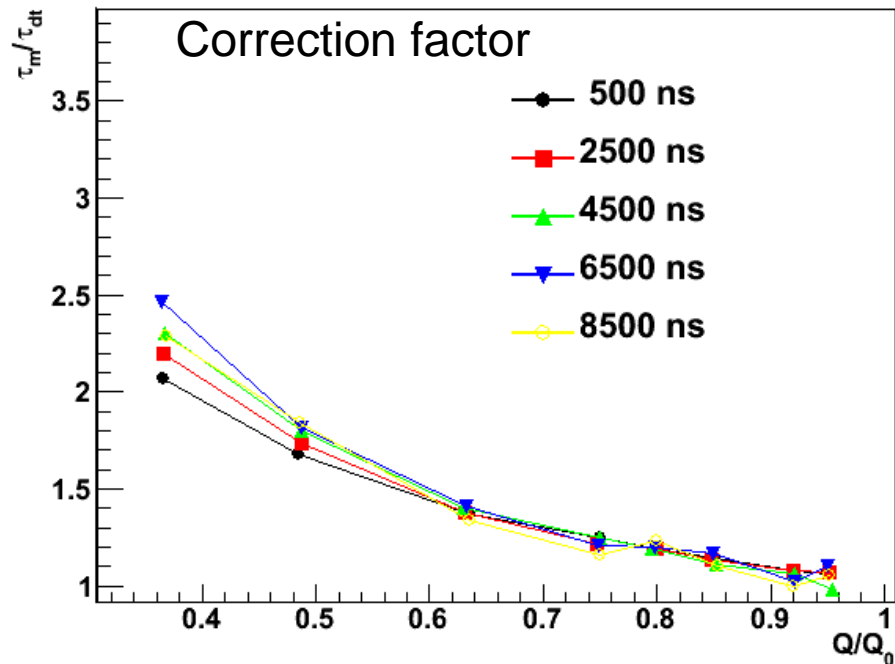
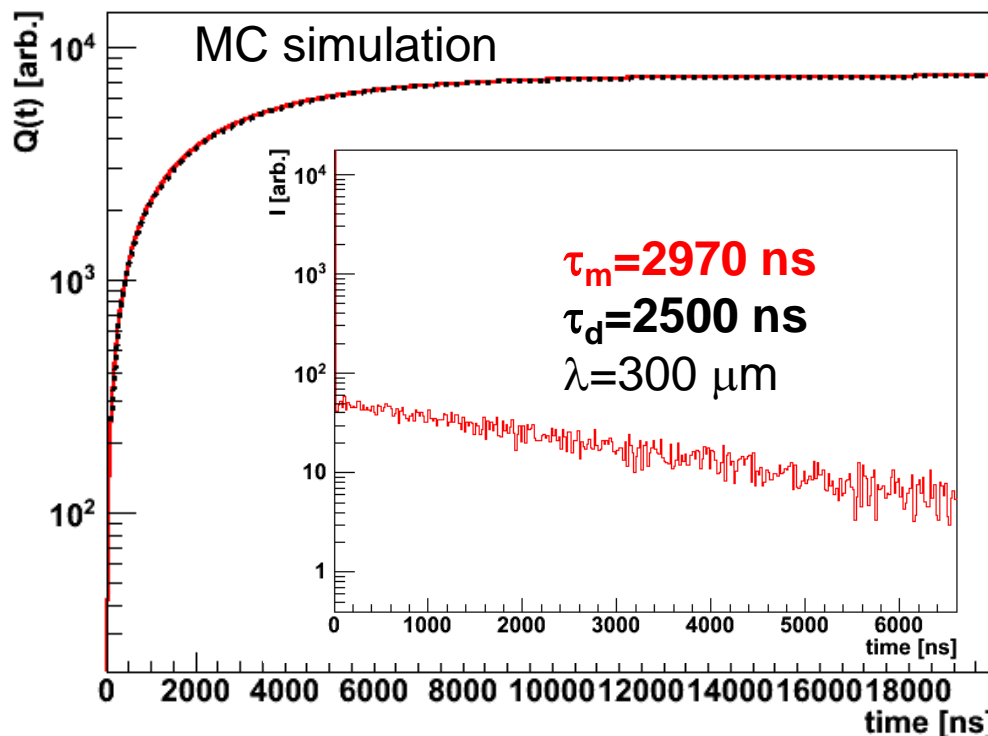
Measurements – holes ($3 \times 10^{14} \text{ cm}^{-2}$)

- High $V_{fd} \sim 240 \text{ V}$ results in faster drift ($V > V_{fd}$) and smaller trapped charge even though trapping times are shorter
- The fit of the mode to the data with constrain of **de-trapped charge = trapped charge** does not fit the data well at long times??



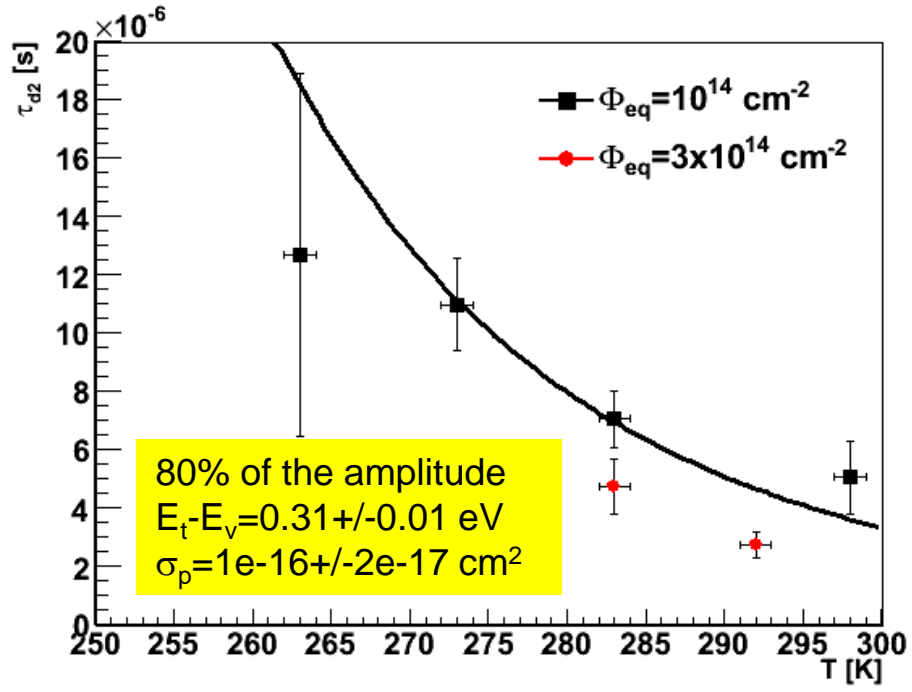
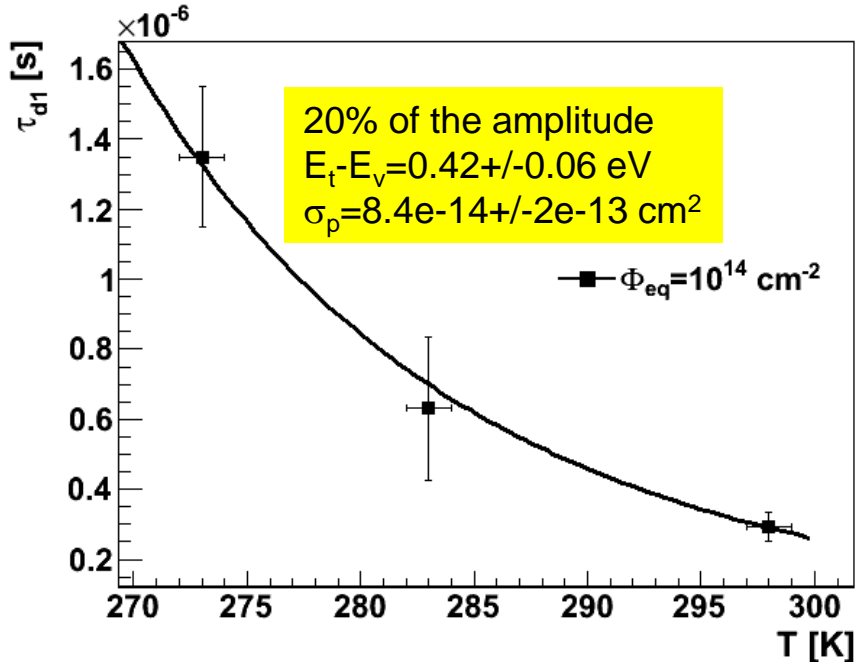
Interpretation of the measured time constants

- Trapped charge can be trapped again which influences measurements, hence **measured de-trapping times τ_d should be corrected – scaled to get proper de-trapping times.**
- **MC-simulation** was used assuming constant trapping distance over the entire volume of the detector (determines $CCE=Q/Q_0$). The $Q(t)$ obtained from fit to the simulated values was compared to input values.
- The correction factor depends only on trapping times (probability of being re-trapped).



Determination of the traps

$$\frac{1}{\tau_d} = n_i \cdot v_{th,h} \cdot \sigma_p \cdot \exp\left(\frac{E_t - E_i}{k_B T}\right) \leftarrow \text{fit to the data - free parameter } \sigma_p \text{ and } E_t$$



- Short component can only be established reliably up to 0°C:
 - 20% of the de-trapping amplitude (trapped charge)
 - longer time constants and smaller amount of trapped charge make determination very unreliable
- The introduction rate for the defect responsible for short component should be around 0.1 cm⁻¹ (to explain trapping times/amount of trapped charge)
- Contrary introduction rates should be very high **~100 cm⁻¹ for the defect responsible for long component?**

Can they be correlated with DLTS/TSC measurements?

Microscopic measurements:

I. Pintilie, 3rd MC-PAD training event, Ljubljana, 2010

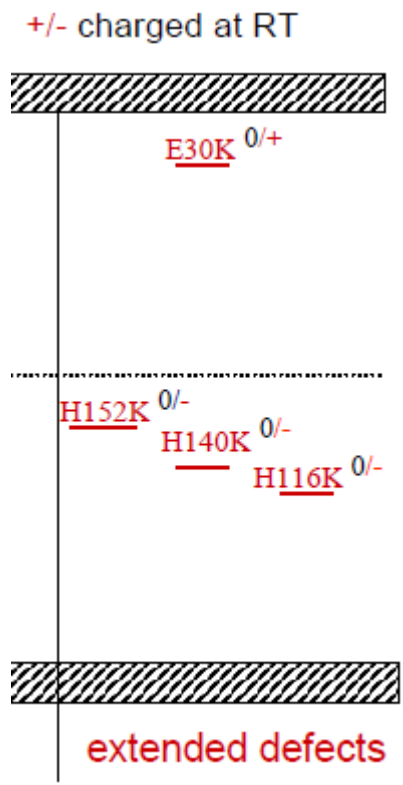
Cluster related centers

- $E_i^{116K} = E_v + 0.33eV$
- $\sigma_p^{116K} = 4 \cdot 10^{-14} \text{ cm}^2$

- $E_i^{140K} = E_v + 0.36eV$
- $\sigma_p^{140K} = 2.5 \cdot 10^{-15} \text{ cm}^2$

- $E_i^{152K} = E_v + 0.42eV$
- $\sigma_p^{152K} = 2.3 \cdot 10^{-14} \text{ cm}^2$

- $E_i^{30K} = E_c - 0.1eV$
- $\sigma_n^{30K} = 2.3 \cdot 10^{-14} \text{ cm}^2$



TCT measurements:

Fast (could be H(152)?):

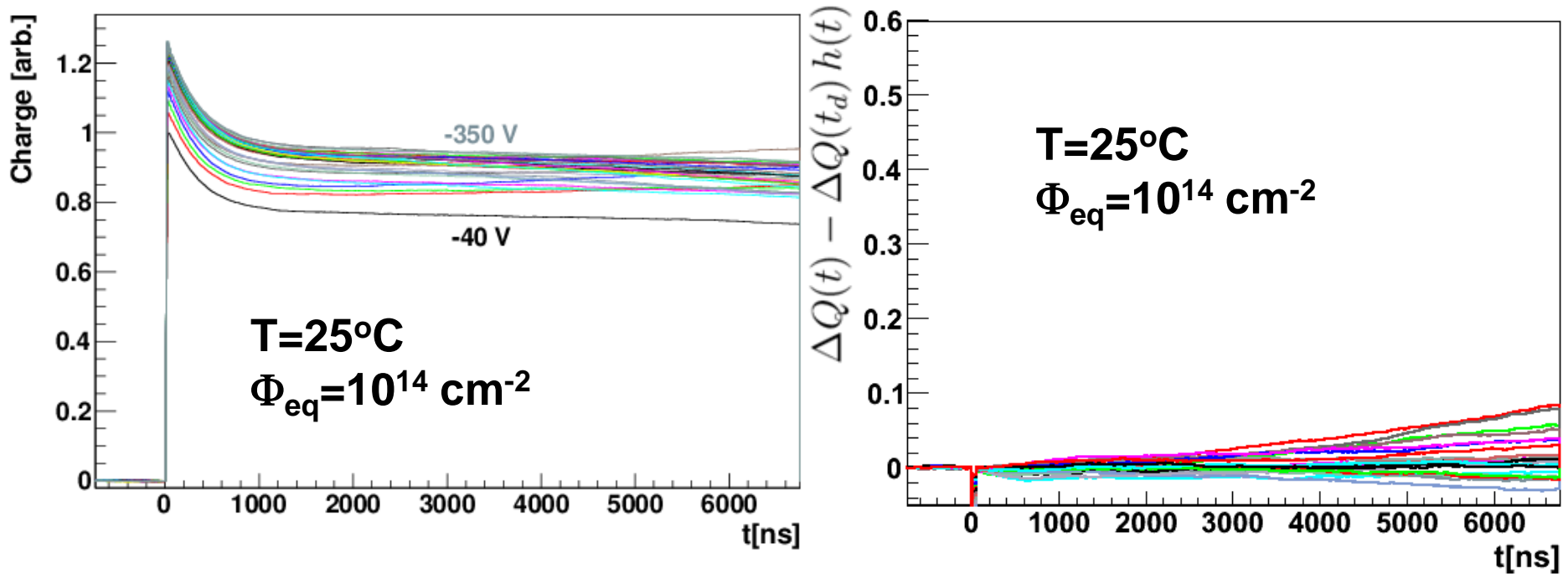
$E_{t1} - E_v = 0.42 \text{ eV}$
 $\sigma_p = 8e-14 \text{ cm}^2$

Slow (could be H(140) or/and H(116)?):

$E_{t2} - E_v = 0.31 \text{ eV}$
 $\sigma_p = 1e-16 \text{ cm}^2$

PRELIMINARY

What about de-trapping times of electrons?



- Sensitivity is lower due to less charge trapped (mainly the effect of velocity)
- Emission times of electrons are larger than the time scale investigated –
de-trapping times of electrons are larger than $\sim 10 \mu\text{s}$

Conclusions & outlooks

- A method for measurement of de-trapping times using TCT was developed.
- It was found that de-trapping times of holes are of order of μs
 - effective traps with $E_t=0.31$ eV, $\sigma_h=1\text{e-}16$ cm^{-2} (20% of the trapped charge) and $E_t=0.42$ eV, $\sigma_h=8\text{e-}14$ cm^{-2} (80% of the trapped charge) result in good fit to the data
- Electron de-trapping times are longer that few tens μs
- Future work
 - annealing studies
 - more temperature points
 - improved modeling (bias dependent de-trapping?)
 - material dependence?

But as usually there is a lack of manpower