## Noble Liquid Endcap EM Calorimeter: Geometry and Simulation

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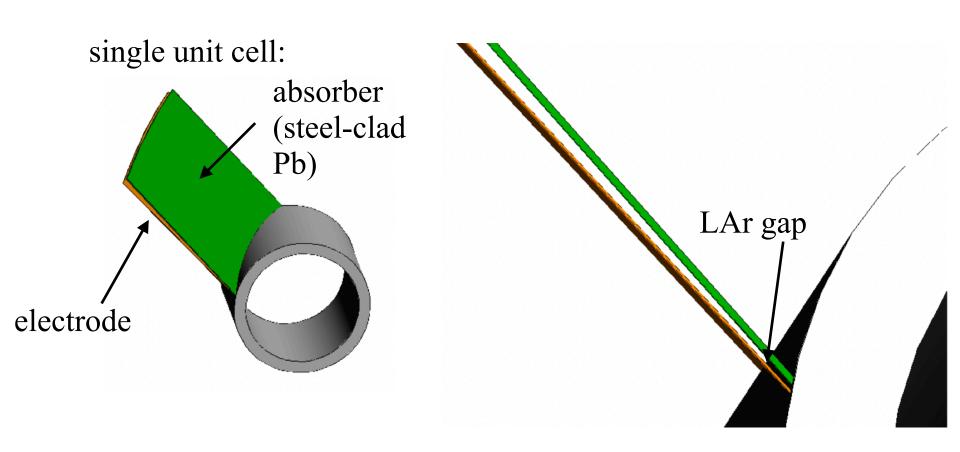
#### Introduction and Overview

- As detailed in <u>Juska's talk</u>, the ALLEGRO detector features a noble-liquid EM calorimeter
- The design for the barrel portion is well advanced
  - but less so for the endcap calorimeter



### Motivation for "Turbine" Geometry

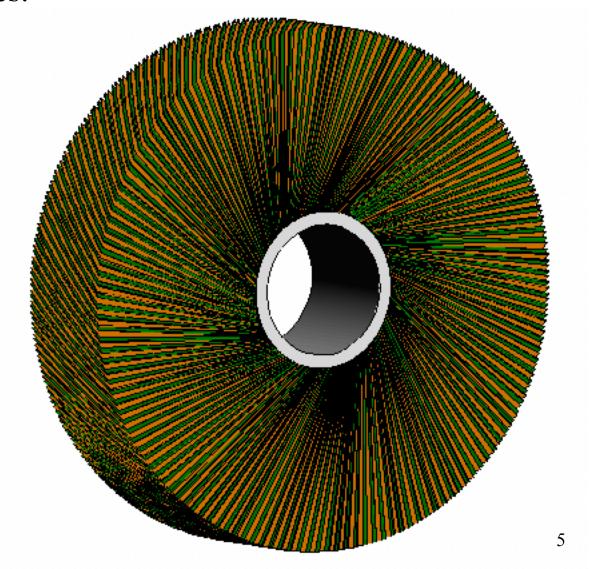
- The Arizona group has longstanding expertise in NL calorimetry (e.g. ATLAS forward calorimeter design and construction), so we have taken up the challenge of exploring designs for the ALLEGRO endcap ECAL
- As a starting point, we can incorporate many of the advantages of the barrel (inclined plane) concept:
  - particles should traverse many thin absorber/sampler/ electrode unit cells (for spatial and energy resolution)
  - uniformity in  $\phi$
  - ability to read out solely from the high-|z| face
    - to minimize dead material upstream of calorimeter
  - can be constructed with multiple copies of a small number of electrode/absorber designs
- These considerations lead naturally to the "turbine" design shown on the following slides



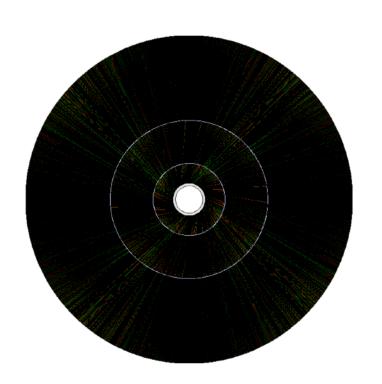
• We refer to both the absorber and electrodes as "blades"

Mechanical drawings by Rob Walker

• Inner radius portion with the full set of absorbers and electrodes:

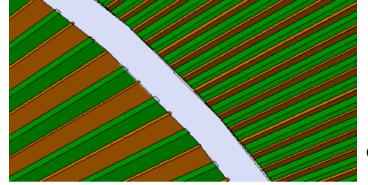


- One consideration is the variation of the gap with radius
  - means that response is very different at the inner and outer radii (42 cm and 275 cm)
  - minor issue for barrel, large issue for endcap
- To mitigate this, the detector can be subdivided into a set of nested wheels:



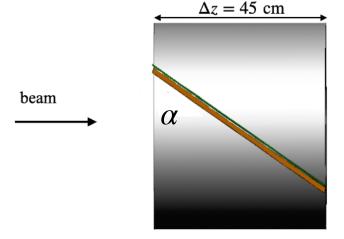
Tradeoff between minimizing variation in gap width vs. minimizing transitions/dead areas

In this example, each cylinder has  $r_o/r_i = (275/42)^{1/3} \approx 1.9$ 



### Parameter Tuning

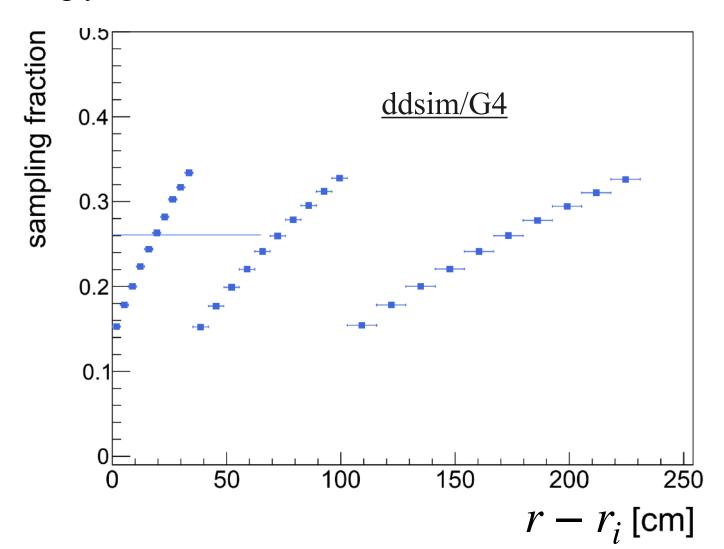
- Within the framework of the turbine design, there are several parameters than can be optimized:
  - width of LAr gap  $(t_L)$
  - thickness of absorbers  $(t_A)$
  - angle of turbine blades



- should absorbers be flat or tapered (i.e. thicker at outer radius)?
  - and if tapered, by how much?
- A combination of a simple parameterized simulation and the full G4 simulation (ddsim) have been used to address these questions

### Absorber Tapering

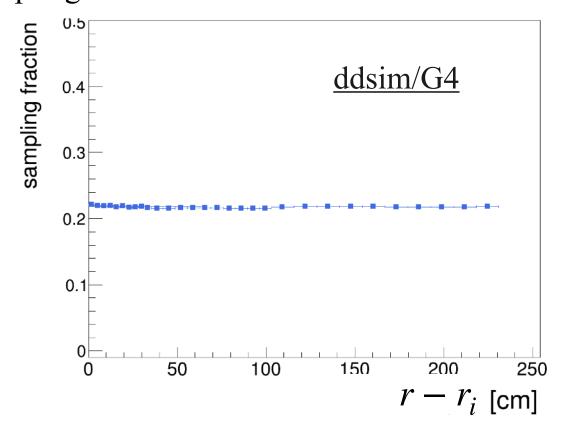
• With flat absorber blades, the sampling fraction varies strongly with radius:



• With tapering, this can be greatly mitigated, simplifying calibration:

$$t_A(r) = t_A(r_i) \left( 1 + f \frac{r - r_i}{r_i} \right)$$

• f and  $t_A(r_i)$  can be tuned. Will discuss  $t_A(r_i)$  later; some trial and error shows that f=1.17 is optimal for flattening the sampling fraction

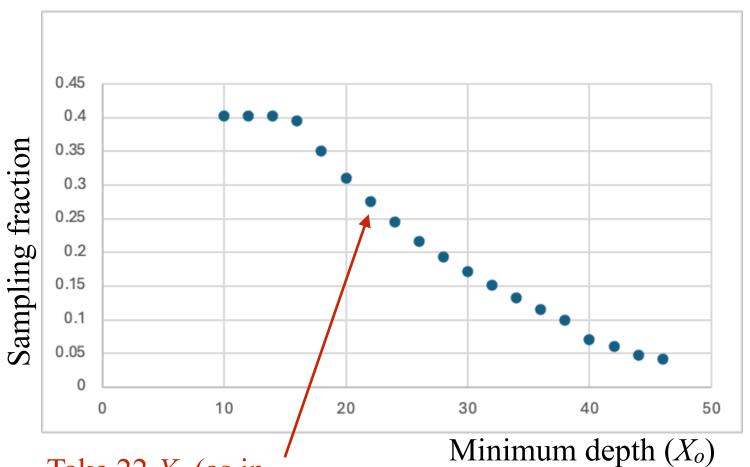


9

## Tuning $\alpha$ , $t_A(r_i)$ , $t_L(r_i)$

- There is still a multidimensional parameter space to explore
  - full G4 would be computationally expensive
- Therefore a simple parameterization of the sampling fraction and depth in  $X_o$  as a function of these parameters was developed
- Goal is to have as large a sampling fraction as possible while also having sufficient depth to contain the shower
- There is also a practical lower limit of  $\sim 40^{\circ}$  for  $\alpha$ 
  - to avoid having LAr gap being severely "pinched" at inner edges
- To keep the desired frequent sampling of the shower, designs that would result in fewer than 15 unit cell crossings are rejected

• Best attainable sampling fraction as a function of minimum depth required:

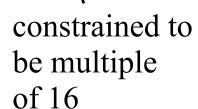


Take  $22 X_o$  (as in barrel) to be smallest acceptable depth

#### **Tuned Parameters**

- Resulting best values are:
  - $-\alpha = 41^{\circ}$  (i.e. near lower allowed limit)
  - $t_A(r_i) = 3.8 \text{ mm}$
  - $t_L(r_i) = 2.9 \text{ mm}$
- Corresponding output of parameterization

Wheel	Blade Angle degrees	Blade width mm	Number of unit cells	Readout B <mark>oard</mark> thick mm		Unit Cell Separation mm	No. of Samples	LAr Mid mm		Absorber thickness mm	Module thickness X0	MIP Sampling fraction
Inner	41.0	686	144	1.3000	420	12.0229	30.4353	3.9115	2.9629	2.9000	23.09	0.2727
					773	22.1279	15.6503	7.6639	7.1896	5.5000	22.64	0.3008
Middl	41.0	686	272	1.3000	783	11.8663	29.1691	3.8332	3.5844	2.9000	22.22	0.2814
					1458	22.0959	15.4522	7.6479	7.5171	5.5000	22.38	0.3036
0uter	41.0	686	512	1.3000	1468	11.8189	28.8862	3.8095	3.7402	2.9000	22.02	0.2834
					2750	22.1404	15.3621	7.6702	7.6334	5.5000	22.27	0.3051

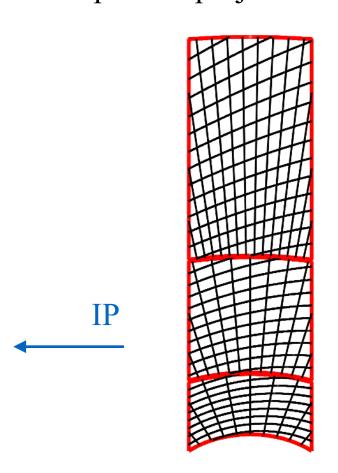


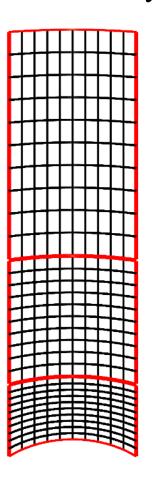
### Readout Segmentation

• Exploring options for readout cell boundaries

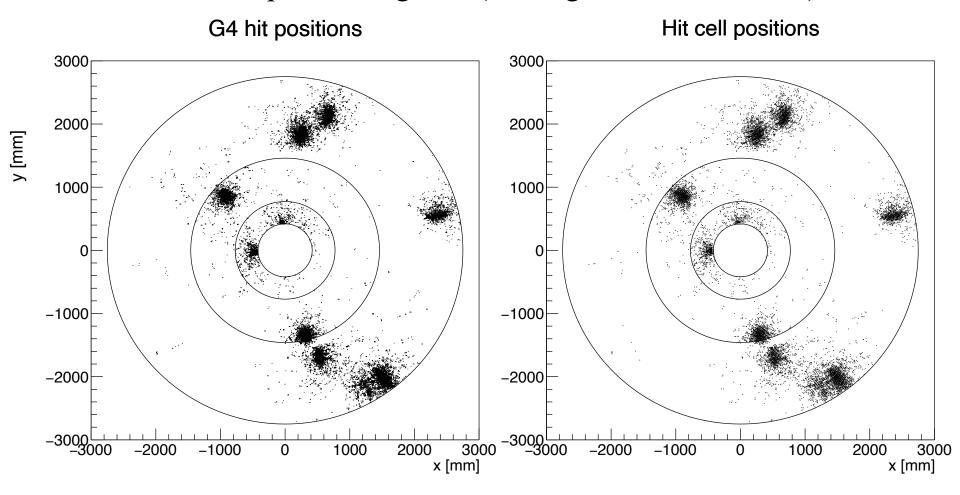
pseudo-projective in  $\phi$ ,  $\theta$ 

cells defined by  $\rho$ , z





- Initial tests done using  $\rho$ , z segmentation
  - should simplify calibration since cells with given  $\rho$  have the same sampling fraction
- Test of cell positioning tool (10 single-electron events):



### Summary and Next Steps

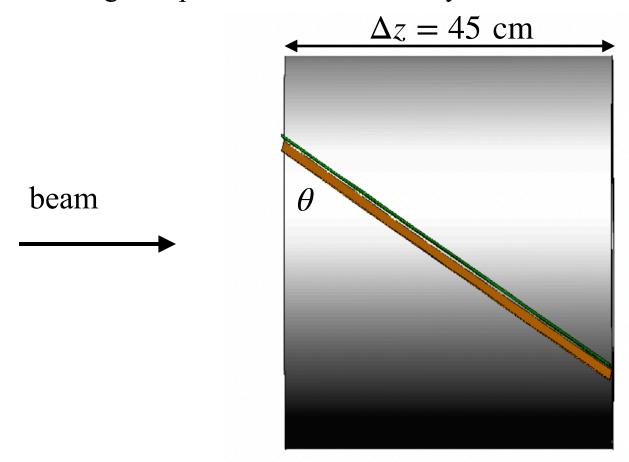
- Have been exploring a "turbine" geometry for the ALLEGRO endcap ECAL
- Initial studies look promising
  - can attain reasonably large sampling fraction with required depth and frequency of sampling
  - variation of sampling fraction with radius can be controlled by tapering absorbers
- Integration into FCC simulation framework is well along
  - clustering algorithm needs to be extended to include endcap cells
- And then there is all the engineering (both electrical and mechanical) to convert this concept into a feasible device...

# Backup

### Finding the Code

- Implementation in G4 in my k4geo fork at <a href="https://github.com/varnes/k4geo">https://github.com/varnes/k4geo</a>
  - xml to set parameters
  - cpp file
- Parameterized simulation is in my CERN gitlab repository: <a href="https://gitlab.cern.ch/evarnes/fcc/-/blob/master/">https://gitlab.cern.ch/evarnes/fcc/-/blob/master/</a>
  <a href="mailto:TurbineParameters.C?ref">TurbineParameters.C?ref</a> type=heads

- Some notable parameters:
  - angle of plates wrt face of the cylinder:



- Initial optimization studies indicate that  $\theta$  should be as small as possible
  - theoretical minimum is  $\tan^{-1} (\Delta z/2r_i) = 28.7^{\circ}$

• But there are practical problems with an angle too near that minimum

leads to tiny gap or even interference between plates at inner

radius

