



# Opportunities and Challenges of the Hadronic Cross-Section at the Z-pole

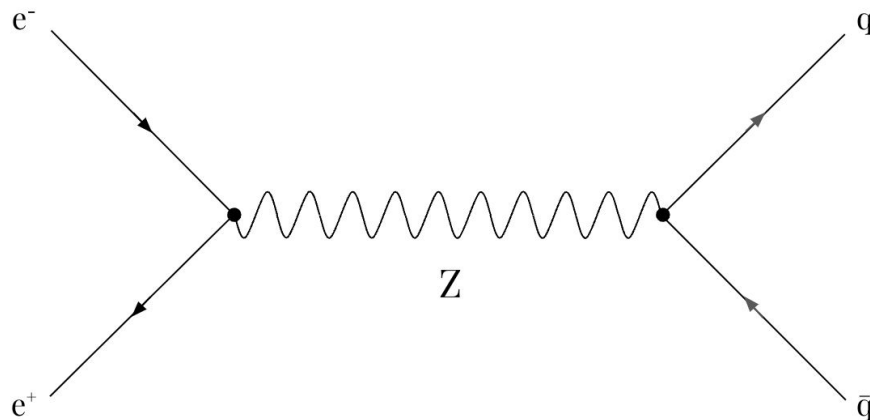
---

Marina Malta Nogueira - Massachusetts Institute of Technology  
June 11, 2024

# Motivation



- The FCC-ee will collect large data set ( $5 \times 10^{12}$  events) at the Z pole with unprecedented detector precision, allowing for some of the most stringent tests of consistency of the Standard Model (SM) to date
- Crucial to understand the possible challenges to this measurement, and make predictions for the physics reach of the experiment



## Goals of our analysis

- Project the precision of the FCC-ee measurements of the  $Z \rightarrow qq$  cross section using state-of-the-art Monte Carlo (MC) under FCC-ee conditions
- Compare different event generators to each other, and to LEP data
- Optimize the analysis to FCC-ee conditions
- Simulate and evaluate the impact of beam backgrounds to this analysis

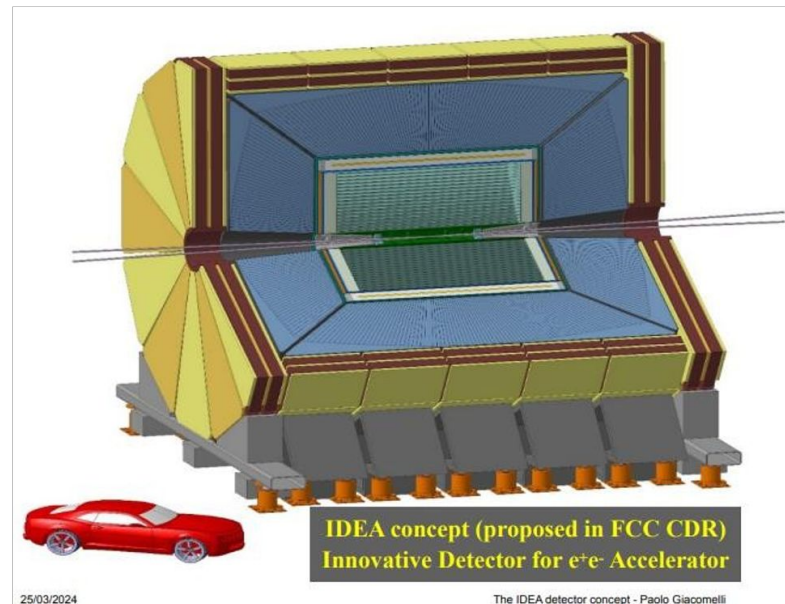
# Simulation Conditions

The event generation uses nominal FCC conditions with 4 IPs

Several detector concepts:

- CLD detector: silicon vertex and tracker
- IDEA detector: silicon vertex with drift chamber
- ALLEGRO: IDEA-like tracker with liquid argon calorimeter

IDEA chosen as reference, detector simulation and reconstruction with **Delphes** (Winter 2023 campaign).



# Opportunities: Reproduce LEP results to greater precision



To compare FCC-ee detector performance to L3, we replicated the distributions and measurements from their 1994 run.

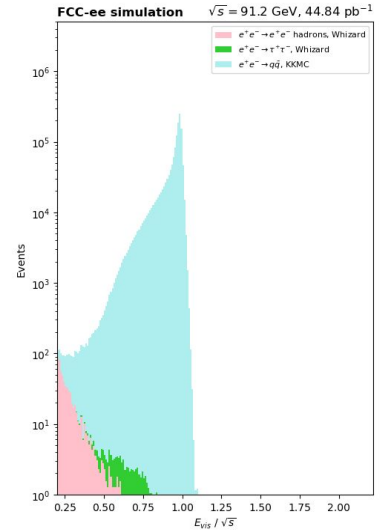
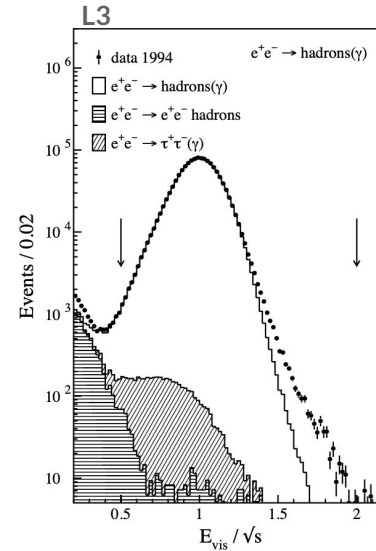
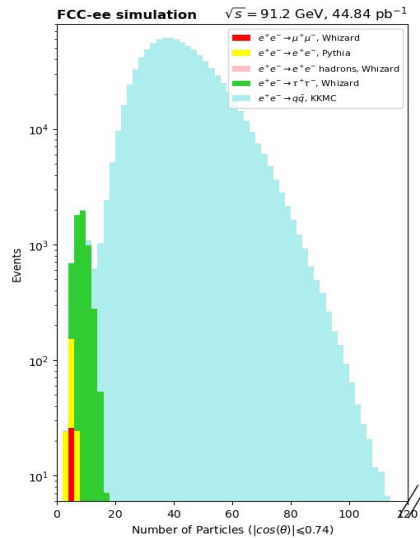
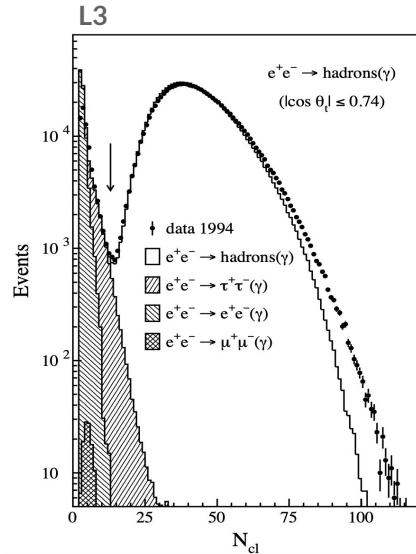
The hadronic Z decays analysis was performed on peak at 91.2202 GeV with luminosity of 44.84 pb<sup>-1</sup>.

$\sqrt{s}$ [GeV]	$N_{\text{events}}$	$\mathcal{L}$ [pb <sup>-1</sup> ]	$\sigma$ [nb]	$\Delta_i^{\text{unc}}$ [nb]
91.3217	158 736	5.21	30.665 ± 0.077	0.003
89.4498	83 681	8.32	10.087 ± 0.035	0.001
91.2057	281 359	9.34	30.309 ± 0.057	0.003
93.0352	121 926	8.79	13.909 ± 0.040	0.001
1993 Totals	645 702	31.66		
91.2202	1 359 490	44.84	30.513 ± 0.026	0.001
91.3093	209 195	6.90	30.512 ± 0.066	0.003
89.4517	75 102	7.46	10.081 ± 0.037	0.001
91.2958	123 791	4.08	30.493 ± 0.086	0.003
92.9827	117 555	8.28	14.232 ± 0.041	0.001
1995 Totals	525 643	26.72		
Total sum	2 530 835	103.21		

## Event Selection

1. Visible Energy:  $0.5 < E_{\text{vis}}/\sqrt{s} < 2.0$ ;
2. Longitudinal Energy Imbalance:  $|E //|/E_{\text{vis}} < 0.6$ ;
3. Transverse Energy Imbalance:  $E \perp/E_{\text{vis}} < 0.6$ ;
4. Number of Particles:
  - a.  $N_{\text{particles}} \geq 13$  for  $|\cos\theta_t| \leq 0.74$ ,
  - b.  $N_{\text{particles}} \geq 17$  for  $|\cos\theta_t| > 0.74$ ,
    - i.  $\theta_t$  polar angle of the event thrust axis.
  - c. Difference:
    - i. L3 → Counting of calorimeter clusters
    - ii. FCC → Tracker, calorimeter and muon chamber (particle flow)

# L3 Comparison



There is good agreement between FCC-ee simulations and the L3 data.

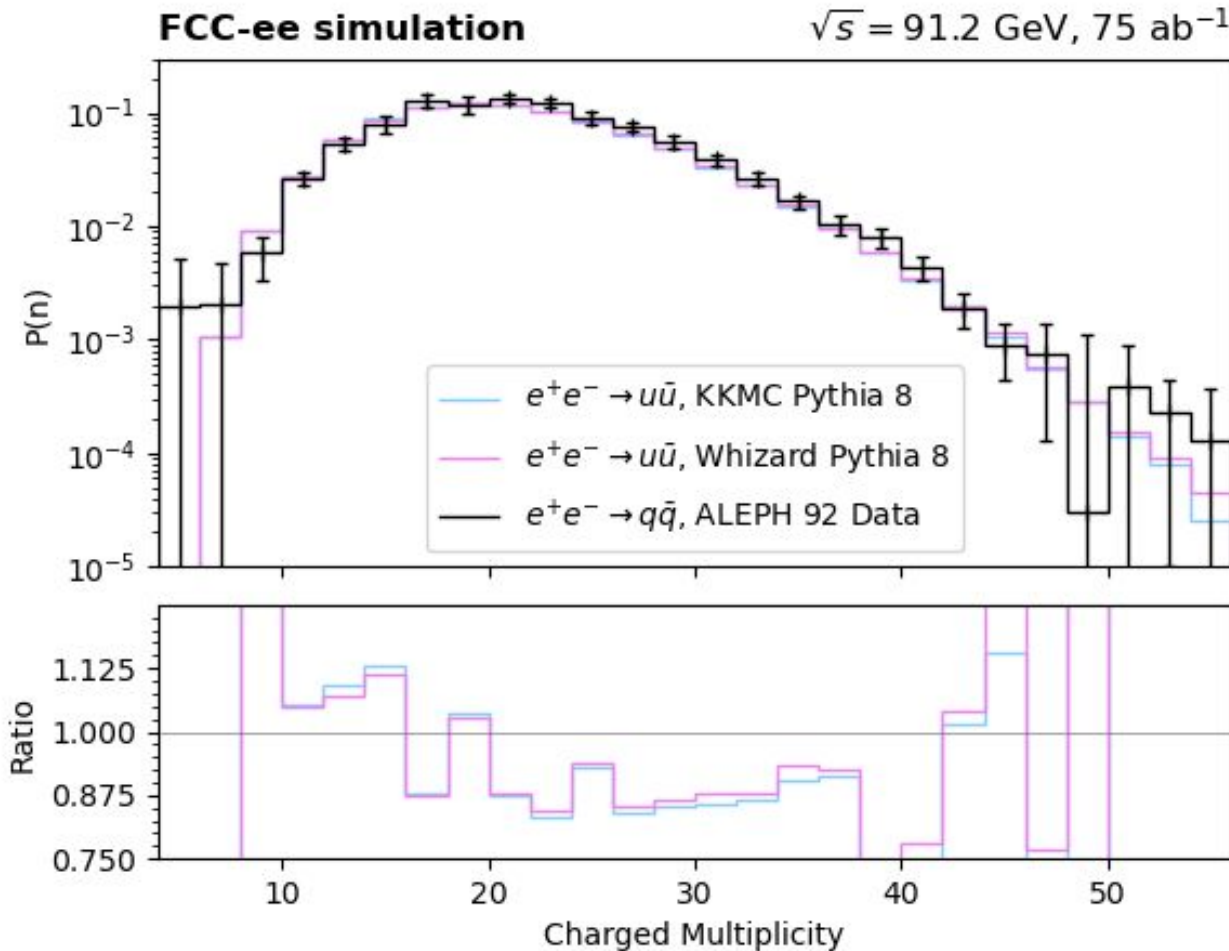
You can see that the better reconstruction at FCC allows better discrimination between signal and background.

The sharp peak instead of a broad smoother curve is due to much improved detector and Particle Flow. The energy resolution of the IDEA detector is significantly better than for all LEP detectors.

# ALEPH Comparison

We compare two event generators (gen-level) with unfolded ALEPH data (in black) and found reasonably good agreement.

Residual differences between data and Monte Carlo due to mismodelling in hadronic showering  $\rightarrow$  more work to be done (tuning)

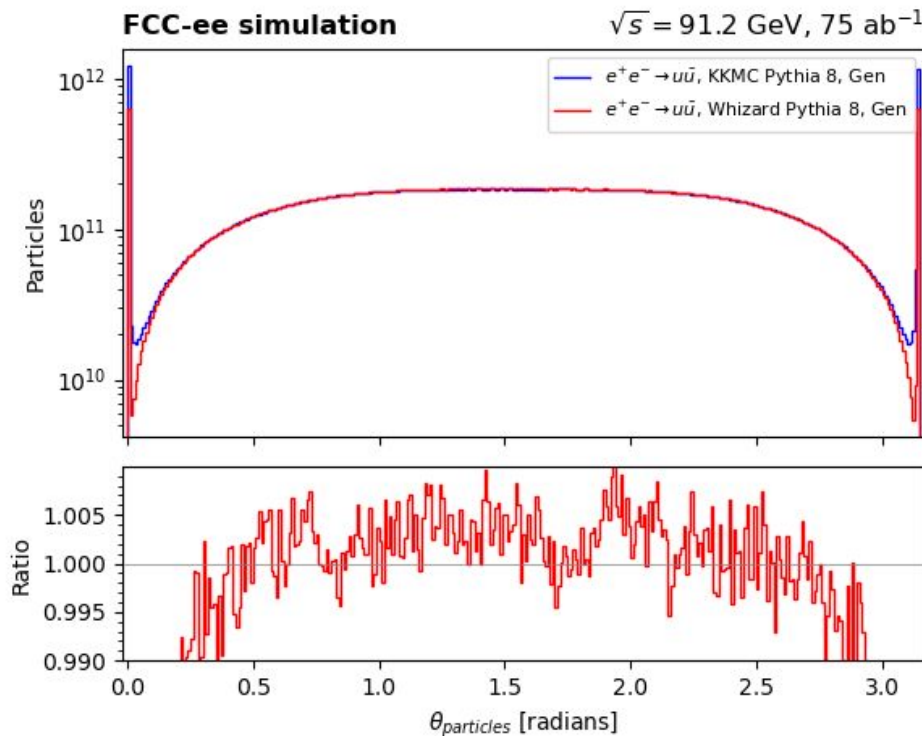


Data from: [https://doi.org/10.1016/S0370-1573\(97\)00045-8](https://doi.org/10.1016/S0370-1573(97)00045-8).

# Challenge: Event generators comparison



- Compare KKMC versus Whizard
  - Different radiative corrections implemented (ISR, FSR, weak corrections)
- Significant discrepancy between the generators in the  $\theta_{\text{particles}}$  distribution in the very forward region affects the analysis.
- Differences in the theta distribution are due to the different treatment of the ISR



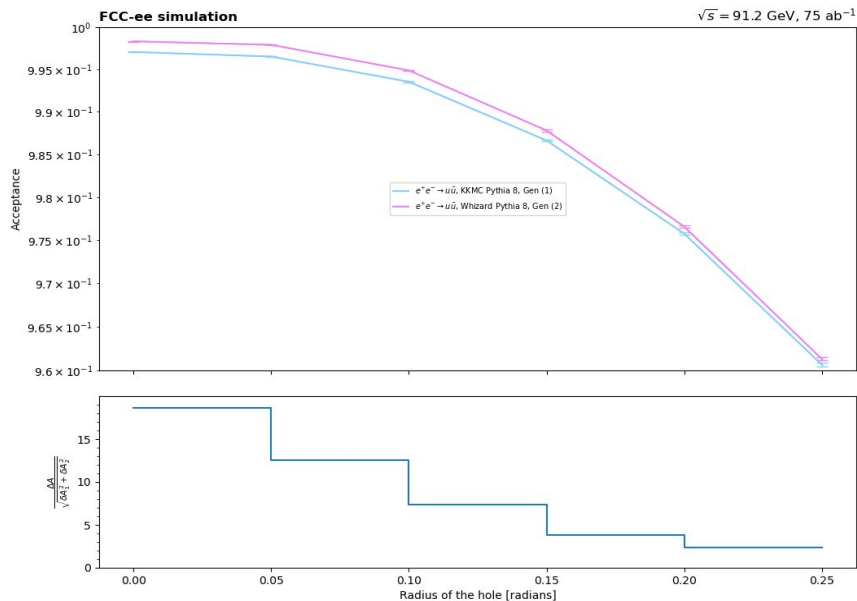
Generator level particles

# Acceptance & Definition of the detector hole

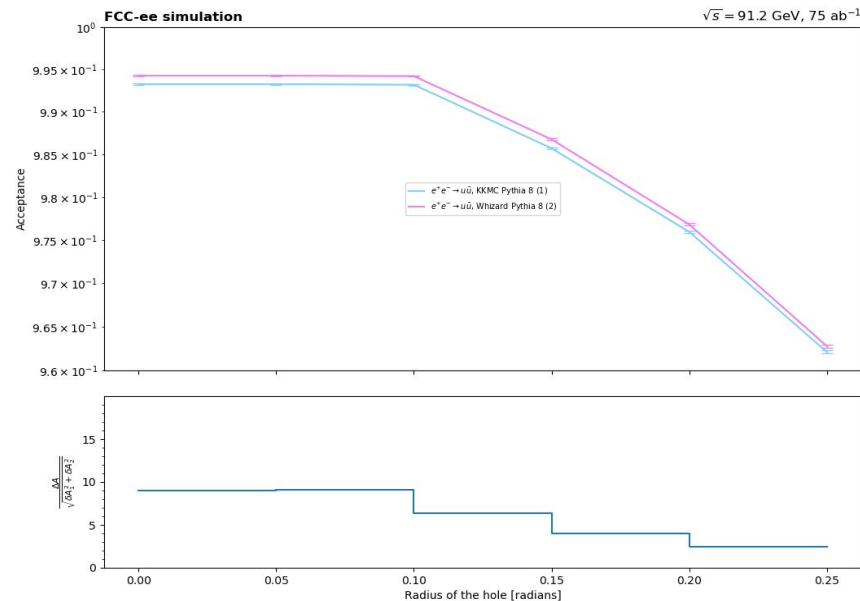


Filters selected:  
 $E_{\text{vis}}/\sqrt{s} \geq 0.52$ , Charged Multiplicity  $\geq 4$ .

## Gen-Level



## Reconstructed



Large dependence of acceptance with the detector definition that is present in both generators.  
The simulations are significantly different.



# Expected Uncertainties for Z→hadrons cross-section



Very large acceptance:  $99.367 \pm 0.006 \%$

Cross-section  $\sigma = 30513 \pm 1.63$  pb (Input cross-section scaled to L3 measurement)

$$\sigma = \frac{N_{sel} - N_{bg}}{L \cdot A \cdot \epsilon}$$

Source	Absolute Uncertainty [pb]	Relative (%)
Statistics	0.02	$7 \times 10^{-7}$
Statistical Uncertainty on Background	0.03	$1 \times 10^{-6}$
Statistical Uncertainty on Acceptance	0.3	$1 \times 10^{-5}$
Luminosity	1.6	$5 \times 10^{-5}$
Total	1.63	$5 \times 10^{-5}$

For the process  $Z \rightarrow qq$ , the L3 results from the 1994 run:

$$\sigma = (30513 \pm 26) \text{ pb}$$

Calculated with KKMC sample.

# Challenge: Beam Backgrounds

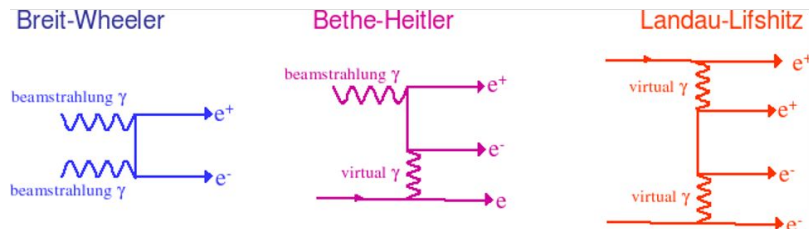


- **Backgrounds in the Machine-Detector Interface (MDI) region:**
  - Incoherent Pair Creation (IPC)
  - Synchrotron Radiation
  - Hadronic Backgrounds
    - Especially important for the Z  $\rightarrow$  hadrons analysis;
- **Critical to assess the impact of processes on the physics of our analysis**
  - For now we are looking at the Z-Pole. Extend this to the other 3 working points of FCCee.
- **The importance of background varies with beam energies, emittance, bunch particle type etc.**

Some of these processes can be simulated using Guinea-Pig++

- Simulates the interaction of two colliding ultra-relativistic electron-positron beam
- **Includes:**
  - Pinching of the beams
  - Emission of beamstrahlung  $\gamma$
  - Production of incoherent pairs
  - Production of hadronic background (also minijets)
  - ...

Capable of providing output in the common event data model in the key4hep framework



# Two-photon Background



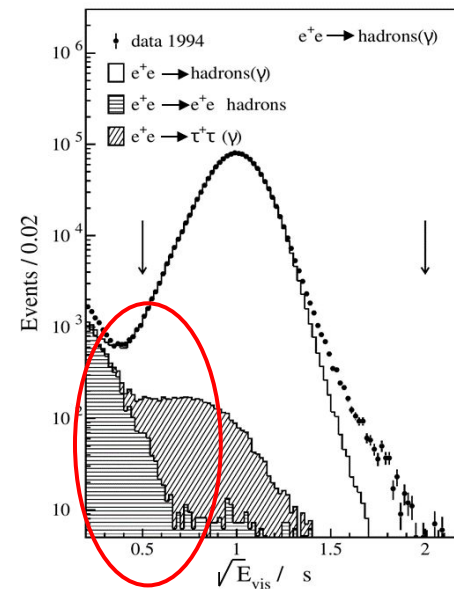
## Two-photon events leak into the visible spectrum of $Z \rightarrow \text{hadron}$ phase space

- xsec rises towards low momentum transfer
- Difficult to model
- Mainly untagged scattered electrons/positrons (in beampipe) leading to imbalance of longitudinal energy

## For FCC-ee, clearly a better understanding needed

- Key issues: shape in visible energy and number of particles produced
- Tails are sensitive to noise, promoting them to multi-hadron events, other final states
- Off-peak running as “control region”, or explicit tagging of  $e^+/e^-$ ?
- Better MC is needed (theory community)

LEP experiments relied on a combination of Monte Carlo and data-driven techniques, though all within stat. uncertainty on the measurement

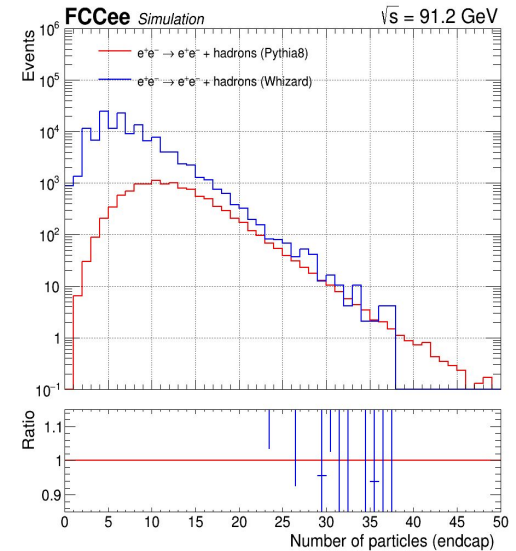
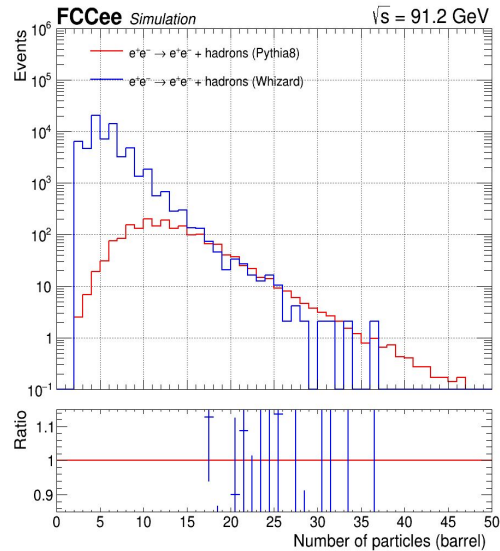
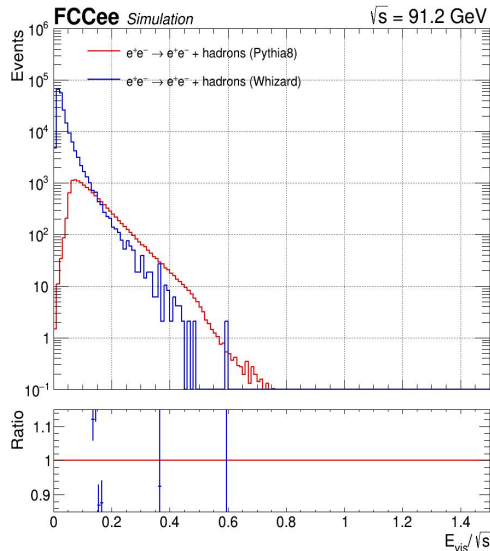
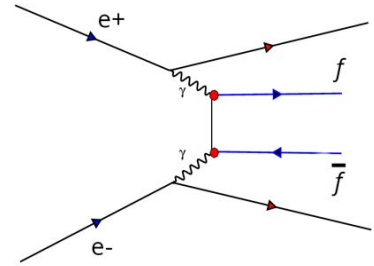


# Two-photon Background



Two-photon  $\rightarrow$  hadrons background can be simulated using different event generators

- Looked at Whizard and Pythia8 implementations
  - Pythia pushed towards higher qq energies – different cut-offs in model?
  - Fine-tuning and quantifying differences ongoing
- Also included in Guinea-pig simulation
  - Cross-validation ongoing, including other beam-background processes



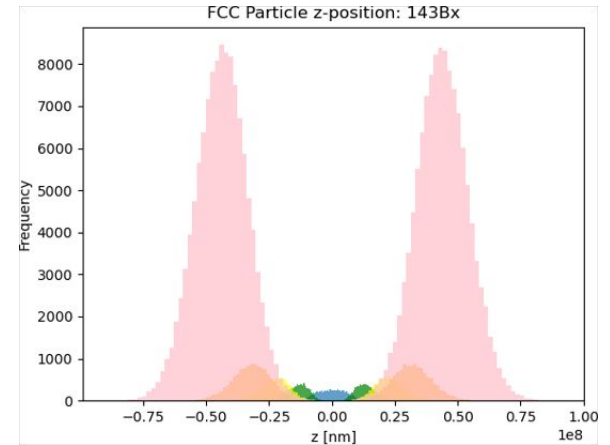
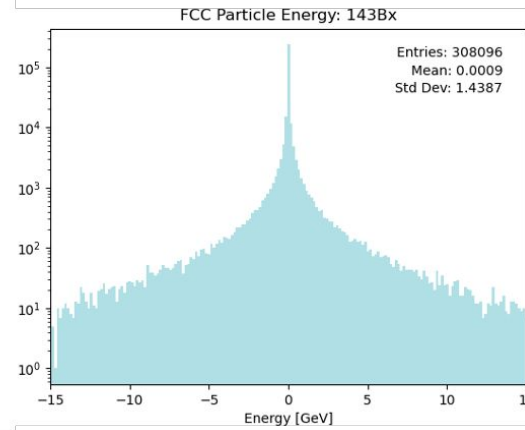
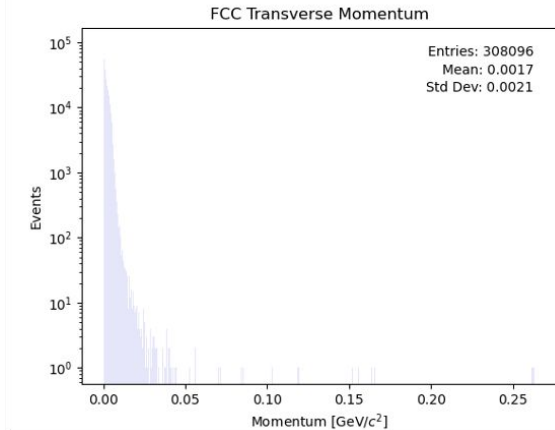
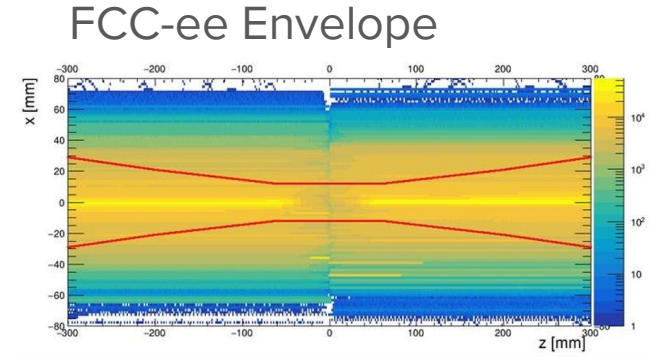
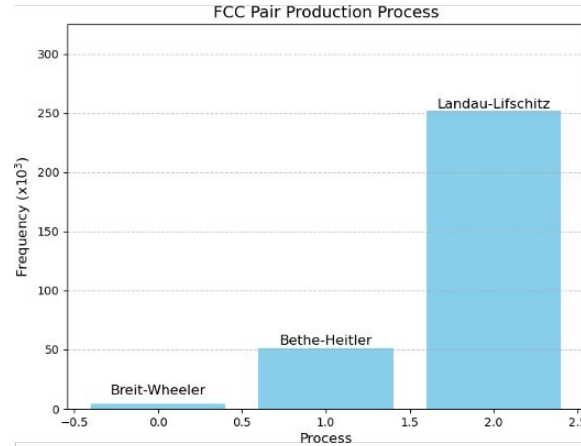
# First Look at Guinea-Pig Output

Simulated with FCC-ee conditions at the Z-pole

Results agree with Ciarma et al 2022 FCC-ee background study

Currently only incoherent pairs simulated,

- Validate other processes as well
- Study impact on the Z-> hadrons analysis



# Conclusion & Next Steps



- FCC-ee simulations agree with previous results from LEP;
  - FCC-ee has much better reach compared to existing measurements;
- KKMC and Whizard in disagreement;
  - Acceptances significantly different due to different implementations.
  - Need better Monte Carlo to more accurately simulate hadronic events at the Z pole (hadronization and showering);
- Understand how beam-backgrounds affect the physics potential of FCC-ee
  - For  $Z \rightarrow$  hadrons in particular, look at how this background impacts the cross-section analysis;
  - Further studies with Guinea pig will look at different processes
  - Compare different energy working points.
- Extended study of Guinea pig will be used as inputs for vertex detector design

## Acknowledgements

Work on lineshape analysis

- Christoph Paus, Jan Eysermans, Luca Lavezzo

Beam Background analysis:

- Casey Lawson, Lindsey Gray

# Extra Slides

---

# Sources of Uncertainty

$$\delta_{\sigma}^2 = \left(\frac{1}{L \cdot A}\right)^2 \cdot \delta_{sel}^2 + \left(\frac{1}{L \cdot A}\right)^2 \cdot \delta_{bg}^2 + \left(\frac{N_{sig}}{L \cdot A^2}\right)^2 \cdot \delta_A^2 + \left(\frac{N_{sig}}{L^2 \cdot A}\right)^2 \cdot \delta_L^2$$

1. Data Statistics

$$\text{Statistical Uncertainty: } \delta_{sel} = \sqrt{N_{sel}}$$

2. Statistical Uncertainty on Background

$$\delta_{bg,i} = \sigma_L \cdot \frac{\sqrt{n_{sig} \cdot \left(1 - \frac{n_{sig}}{n_o}\right)}}{n_o}, \delta_{bg}^2 = \sum_{i \in bg} \delta_{bg,i}^2$$

3. Statistical Uncertainty on Acceptance

$$\delta_A = \frac{\sqrt{n_{sig} \cdot \left(1 - \frac{n_{sig}}{n_o}\right)}}{n_o}$$

4. Luminosity Uncertainty

$$\delta_L = 0.015 \text{ ab}^{-1}$$

$N_{sig}$  = Number of signal events after all cuts

$N_o$  = Number of signal events before all cuts

$N_{sel}$  = Number of signal + background events after all cuts

$N_{bg}$  = Number of background events after all cuts

$A$  = Acceptance

$L$  = Luminosity

$\epsilon$  = Efficiency (taken to be 1)

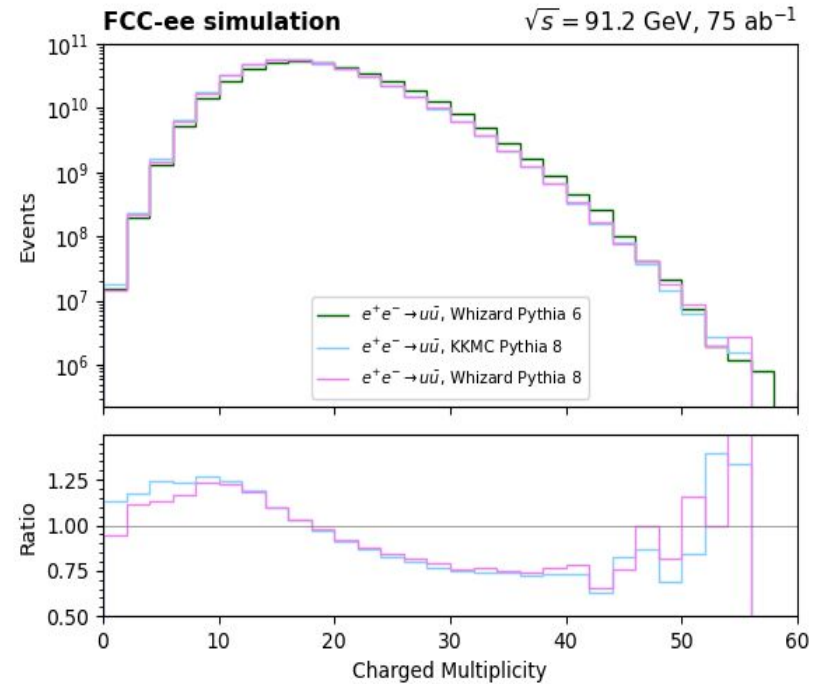
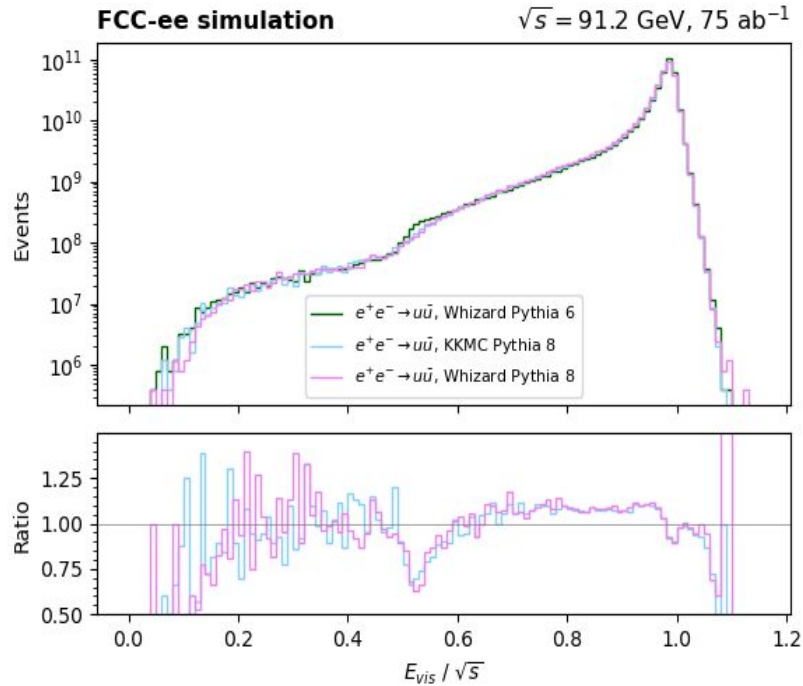
$n$ 's represent raw Monte Carlo count



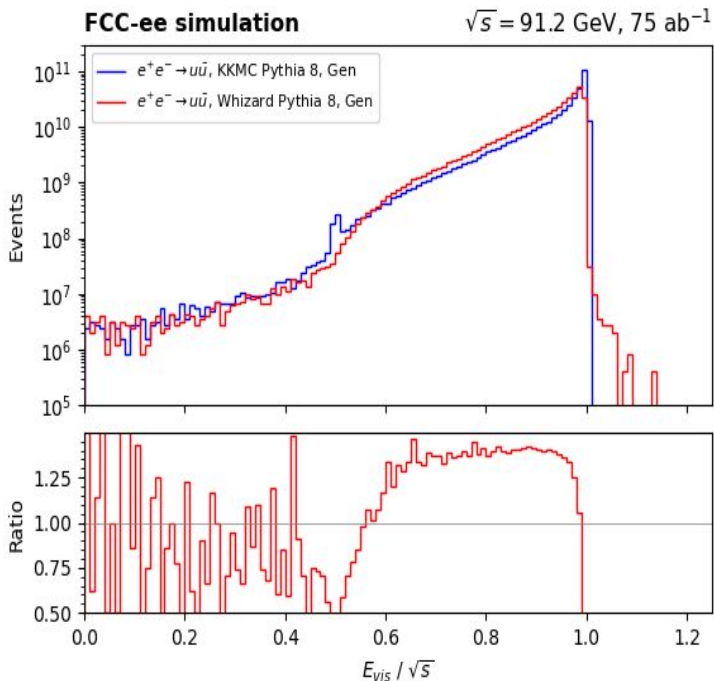
# Monte Carlo Samples

Process	Event Generator	Cross-Section (pb)	Events
$e^+e^- \rightarrow u\bar{u}$	KKMC	5353.596845	$1 \times 10^6$
$e^+e^- \rightarrow d\bar{d}$	KKMC	6752.078	$2 \times 10^6$
$e^+e^- \rightarrow c\bar{c}$	KKMC	5325.479	$2 \times 10^6$
$e^+e^- \rightarrow s\bar{s}$	KKMC	6763.653	$2 \times 10^6$
$e^+e^- \rightarrow b\bar{b}$	KKMC	6586.846	$2 \times 10^6$
$e^+e^- \rightarrow u\bar{u}$	Whizard (Pythia 6)	5353.596845	$1 \times 10^6$
$e^+e^- \rightarrow u\bar{u}$	Whizard (Pythia 8)	5353.596845	$1 \times 10^6$
$e^+e^- \rightarrow \mu^+\mu^-$	Whizard	1717.852	$2 \times 10^7$
$e^+e^- \rightarrow \tau^+\tau^-$	Whizard	1716.135	$8.45 \times 10^6$
$e^+e^- \rightarrow e^+e^- \text{ hadrons}$	Whizard	11367.36	$4 \times 10^6$
$e^+e^- \rightarrow e^+e^-$	Pythia	1462.09	$1 \times 10^7$

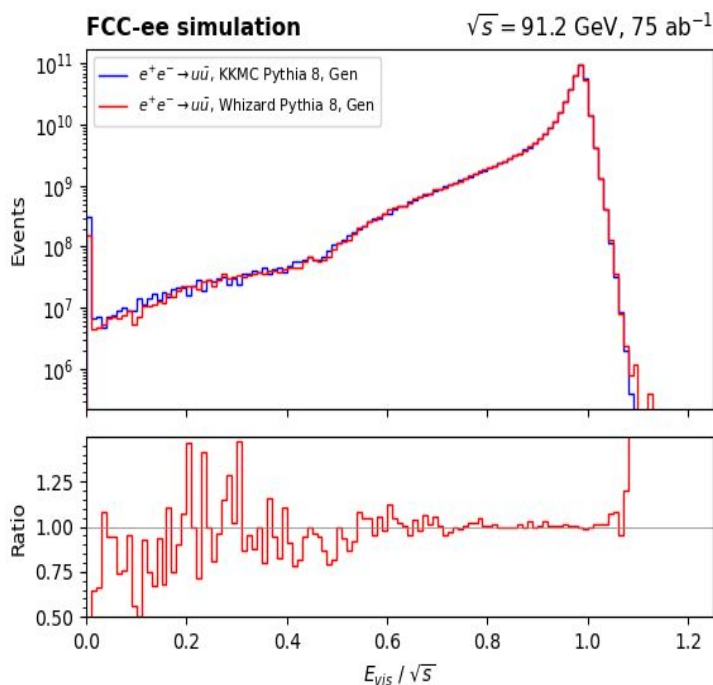
# Different Event Generators



# Visible Energy in different detector hole definitions



No cut on radius of detector hole



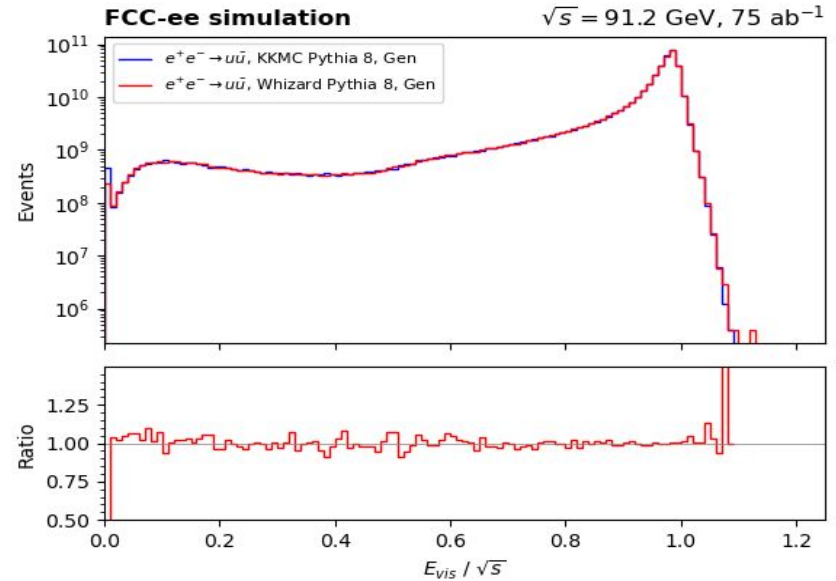
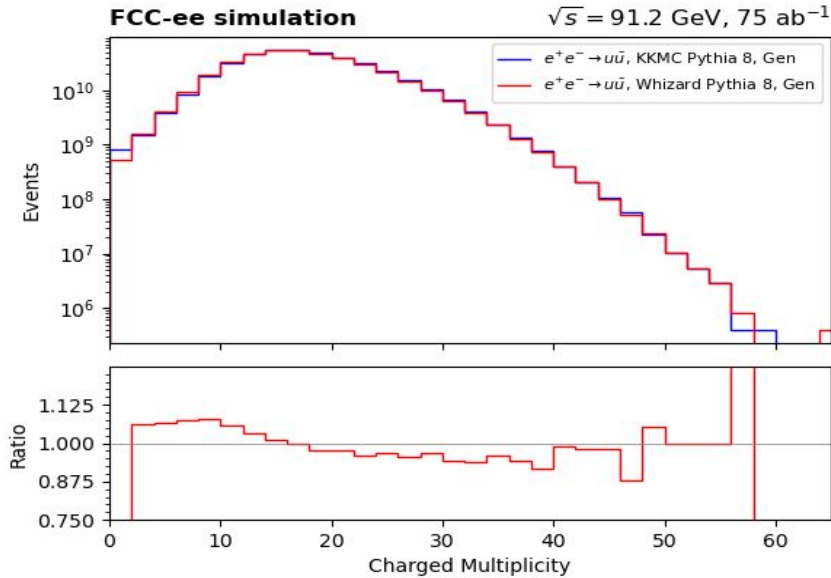
Hole of radius 0.1 radians

Large discrepancy between generators that decreases as you select only particles away from the end of the detector.

This is due to different implementations and should not account as a systematic uncertainty.

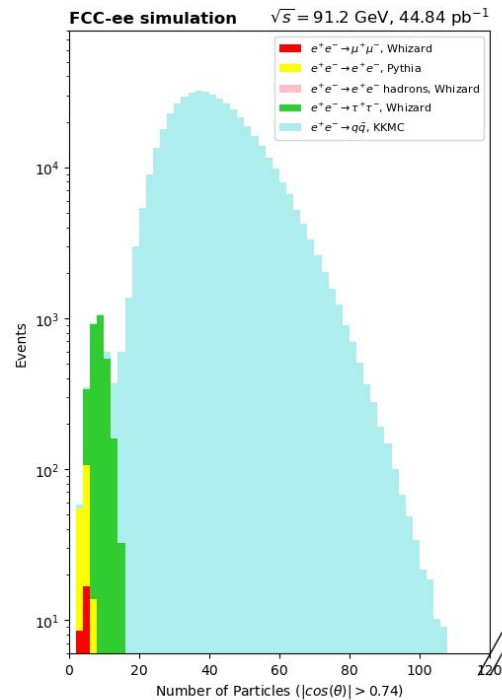
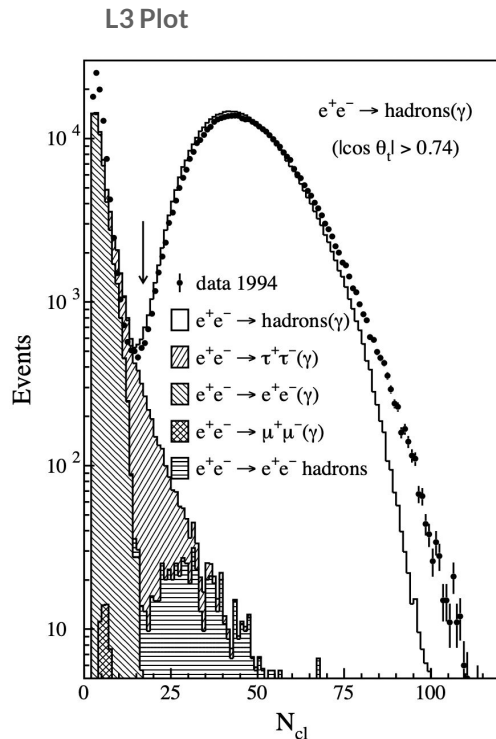
Generator level particles

# Gen level particles with detector definition on 0.3 radians



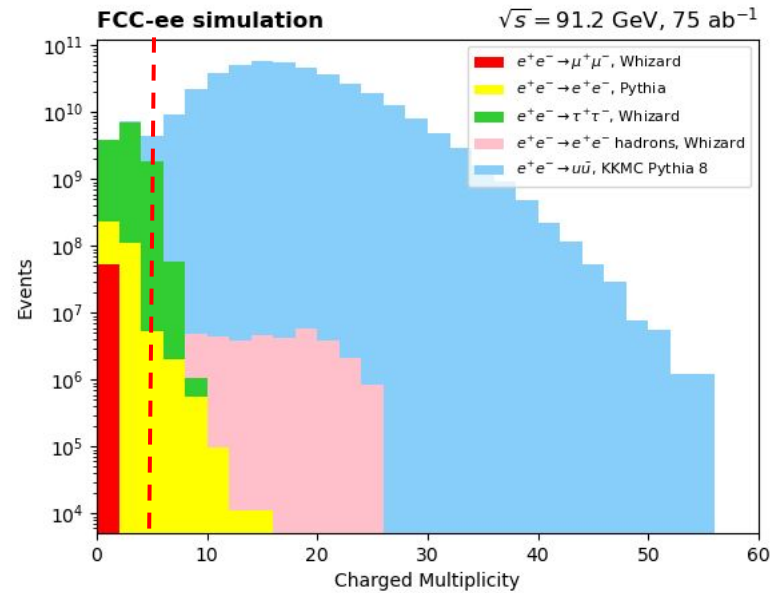
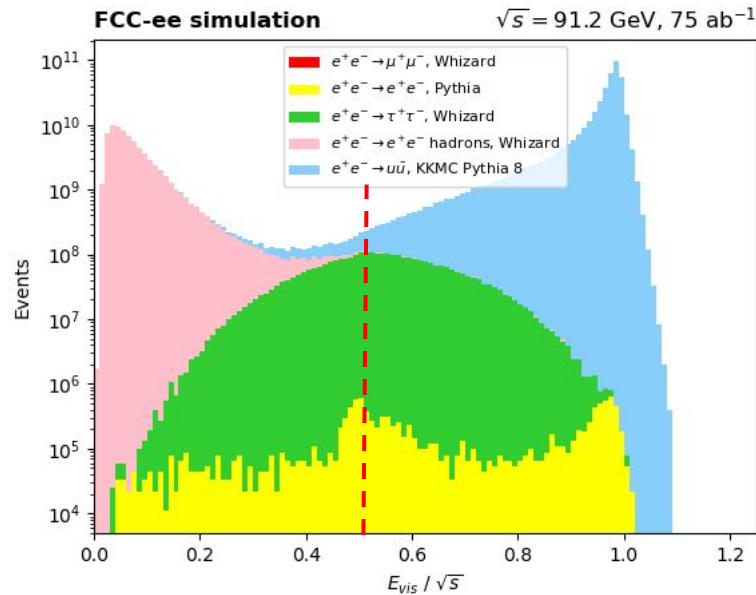
You can see much better agreement between KKMC and Whizard away from the edges of the detector.

# Number of Particles/Clusters (End-Cap Region, N-1 Plot)



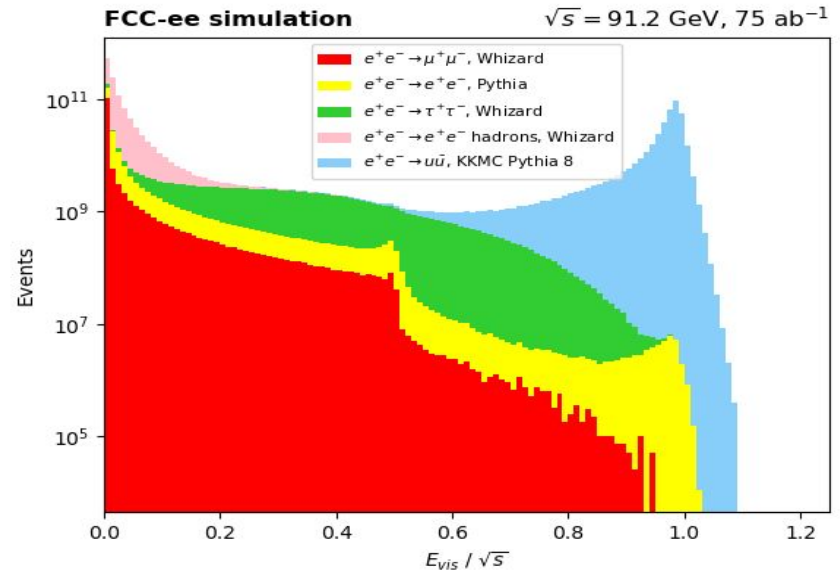
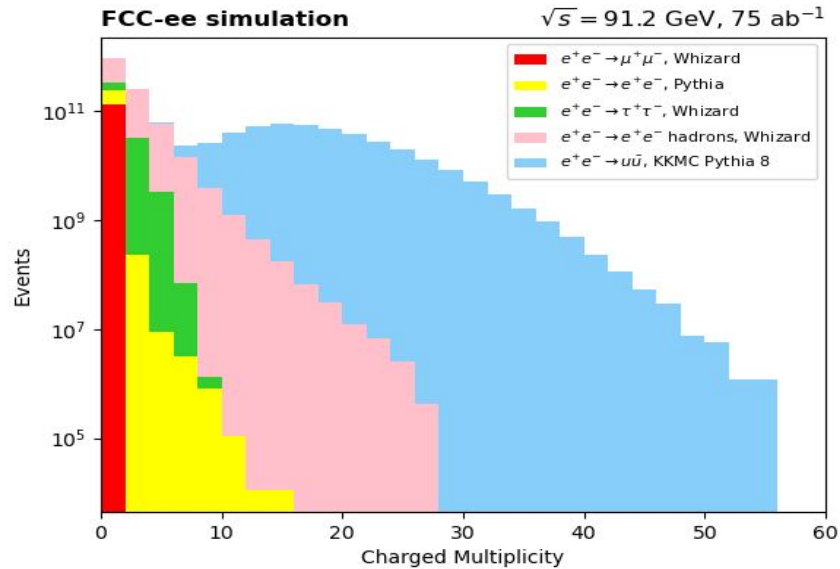
Here you can see that the two photon background, which is hard to simulate, is completely removed by other cuts.

# N-1 Plots



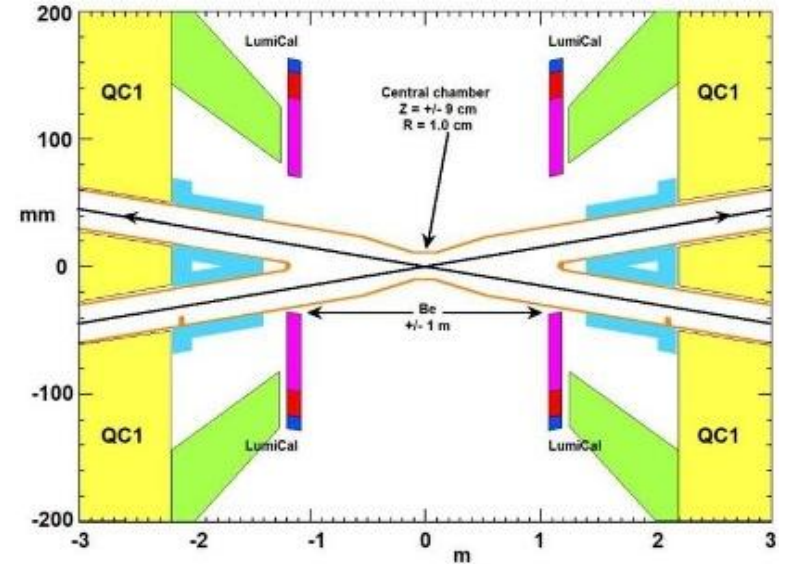
Filters selected:  $E_{\text{vis}}/\sqrt{s} \geq 0.52$ , Charged Multiplicity  $\geq 4$ .

# Distributions with no filters applied



# FCC-ee Beam Parameters

Variable	Definition	Input FCC [Z]
energy	The energy of the particles in GeV.	45.6
particles	The number of particles per bunch in units of $[10^{10}]$	24.3
beta_x	The horizontal beta function in mm	100
beta_y	The vertical beta function in mm	0.8
espread	The RMS value of the relative energy spread of the beam particles.	0.00038
sigma_x	The horizontal beamsizes in nm	8426.1
sigma_y	The vertical beamsizes in nm.	33.7
sigma_z	The longitudinal beamsizes in $\mu\text{m}$ , the RMS value	15400.0
angle_x	The horizontal angle in rad	0.015



Key distinguishing feature:  
30 mrad crossing angle