



# Updated Search for Non-SM Physics in $B \rightarrow K(^*)\mu^+\mu^-$ Decays at CDF

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for the CDF collaboration

*DPF11, August 10, 2011  
Brown University, Providence, Rhode Island*

# Outline of Talk (6.8/fb Update):

- Introduction / Total BR's for  $B \rightarrow K(^*)\mu^+\mu^-$
- Differential BR's (distributions in  $q^2 = M_{\mu\mu}^2$ )
- Angular Analysis from dBR's (variables  $A_{FB}$ ,  $F_L$ ,  $A_T^{(2)}$ ,  $A_{im}$ )

Pub. Submitted: arXiv: 1108.0695 2 Aug 2011

- First dBR Measurements of  $B \rightarrow \phi\mu^+\mu^-$  and  $\Lambda_b \rightarrow \Lambda\mu^+\mu^-$
- First Observation of  $\Lambda_b \rightarrow \Lambda\mu^+\mu^-$  at CDF (!)

(Hideki Miyake @ EPS-HEP 2011)

Pub. submitted: arXiv: 1107.3753 19 Jul 2011

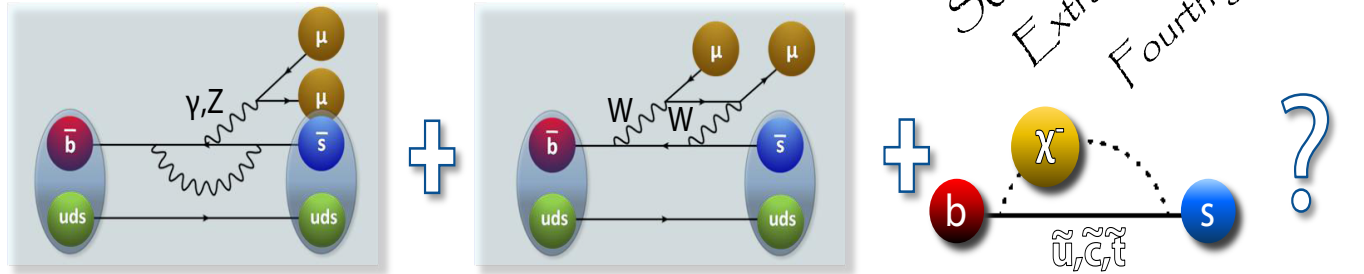
Previous results:

( $B \rightarrow \phi\mu\mu$  4.4/fb) PRL 106, 161801 (2011)

# $b \rightarrow s \mu \mu$ decays

Promising tool to pursue new physics

Decay amplitude might be affected by heavy NP particles



Use  $\mu^+ \mu^-$  trigger, 1 or 2 hadrons @ displaced vertex

**Signal Channels**, BR  $\sim \mathcal{O}(10^{-6})$

$$B^0 \rightarrow K^{*0} \mu \mu \quad B^+ \rightarrow K^{*+} \mu \mu$$

$$B^+ \rightarrow K^+ \mu \mu \quad B^0 \rightarrow K_s \mu \mu$$

$$B_s \rightarrow \phi \mu \mu \quad \Lambda_b \rightarrow \Lambda \mu \mu$$

**Ref. Channels**

$$B^0 \rightarrow K^{*0} J/\psi \quad B^+ \rightarrow K^{*+} J/\psi$$

$$B^+ \rightarrow K^+ J/\psi \quad B^0 \rightarrow K_s J/\psi$$

$$B_s \rightarrow \phi J/\psi \quad \Lambda_b \rightarrow \Lambda J/\psi$$

# Total BR Analysis

$$\frac{\mathcal{B}(H_b \rightarrow h\mu^+\mu^-)}{\mathcal{B}(H_b \rightarrow J/\psi h)} = \frac{N_{h\mu^+\mu^-}}{N_{J/\psi h}} \times \frac{\mathcal{B}(J/\psi \rightarrow \mu^+\mu^-)}{\epsilon_{\text{rel}}}$$

Rare channel yield

Control channel yield

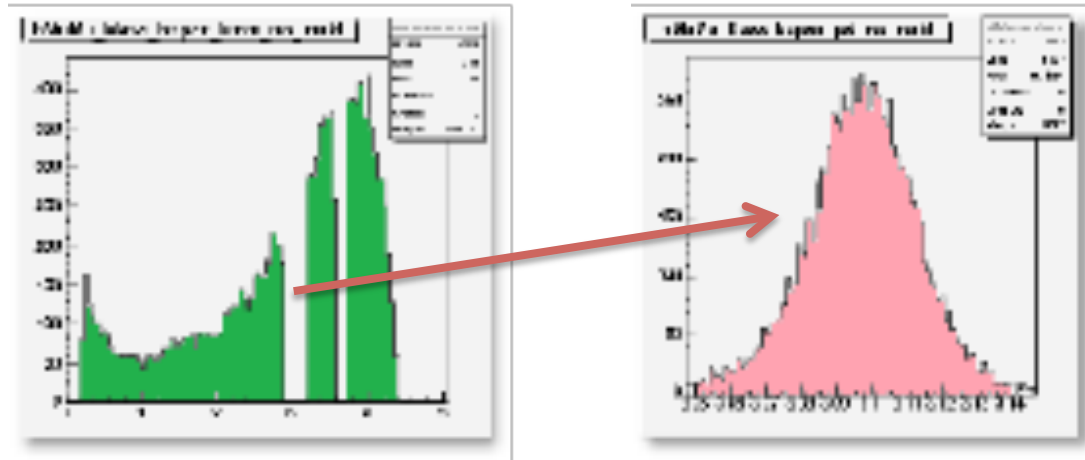
Relative efficiency ( $=\epsilon(h\mu\mu)/\epsilon(J/\psi h)$ )

$H_b = B^0, B^+, B_s, \Lambda_b$

$h = K^{*0}, K^{*+}, K^+, K_s, \Phi, \Lambda$

Trigger on  $\mu^+ \mu^-$ : **Rare (Signal) Channels**      **Reference Channels** (e.g.  $J/\psi \rightarrow \mu^+ \mu^-$ )

Charmonium  
Veto Bands →



# Fitted Events in Signal and Reference Modes

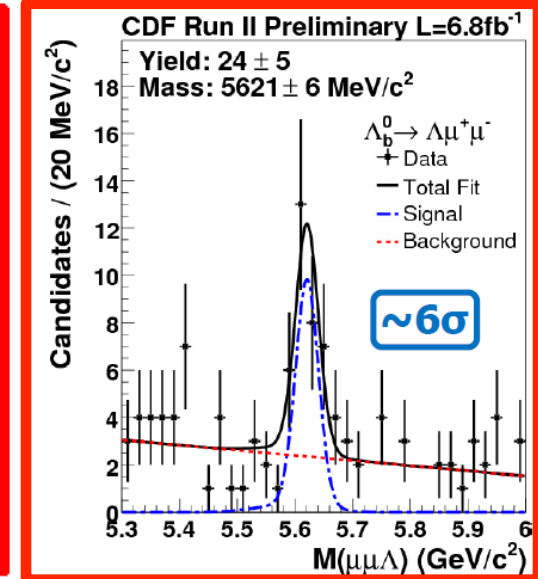
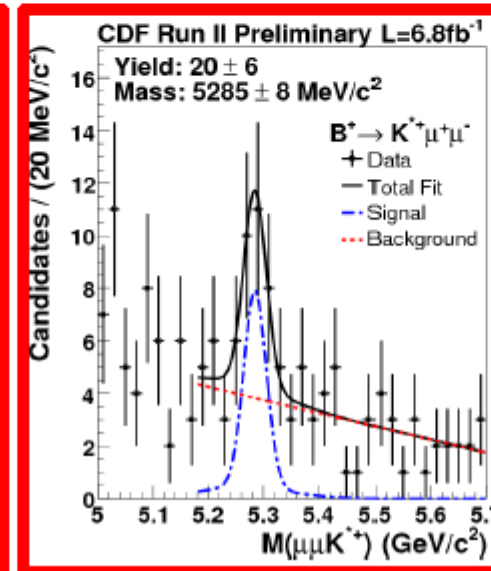
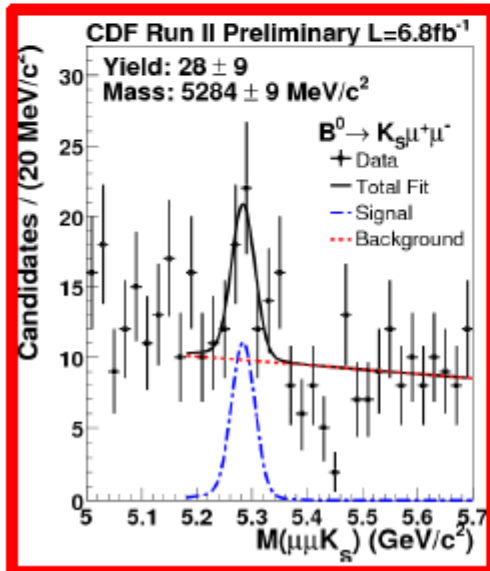
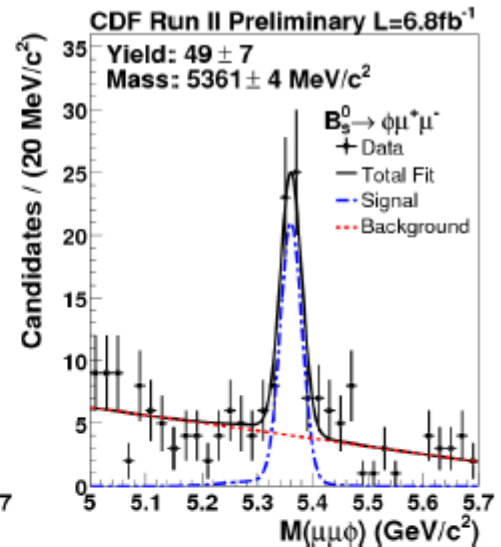
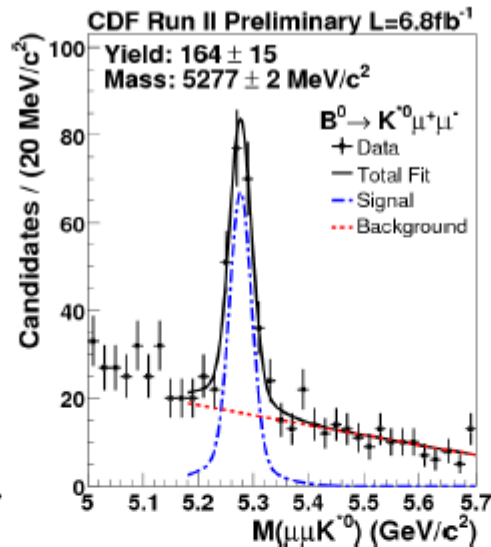
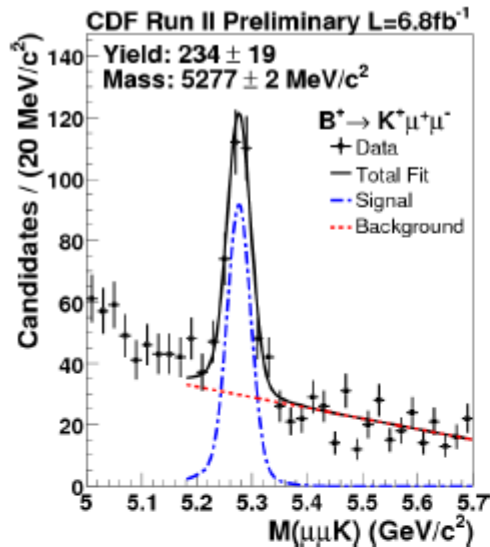
Analysis dates back to CDF Run I. New CDF results have:

- higher luminosity, additional triggers, better particle ID,
- loosened selection, better Neural Network optimization,
- more physics channels.

Details in [ArXiv:1107.3753](#) , [ArXiv:1108.0695](#) . **NEW RESULTS:**

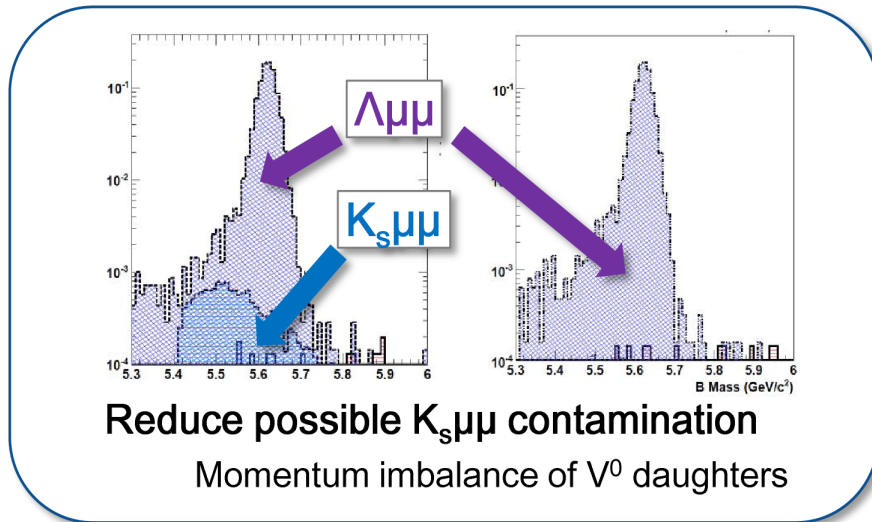
	Mode	$N_{h\mu^+\mu^-}$	$s$ ( $\sigma$ )	$N_{J/\psi h}$
$B^+$	$K^+\mu^+\mu^-$	$234 \pm 19$ (345)	13.7	$72156 \pm 272$ (83773)
$B^0$	$K^{*0}\mu^+\mu^-$	$164 \pm 15$ (234)	13.7	$28299 \pm 233$ (40320)
$B_s^0$	$\phi\mu^+\mu^-$	$49 \pm 7$ (66)	9.0	$4555 \pm 79$ (5656)
$B^0$	$K_s^0\mu^+\mu^-$	$28 \pm 9$ (63)	3.5	$9470 \pm 90$ (10699)
$B^+$	$K^{*+}\mu^+\mu^-$	$20 \pm 6$ (36)	3.5	$4557 \pm 79$ (5709)
$\Lambda_b^0$	$\Lambda\mu^+\mu^-$	$24 \pm 5$ (34)	5.8	$1736 \pm 53$ (2523)

# $b \rightarrow s\mu\mu$ signals (CDF 6.8 fb<sup>-1</sup>)



# $\Lambda_b \rightarrow \Lambda \mu \mu$ observation

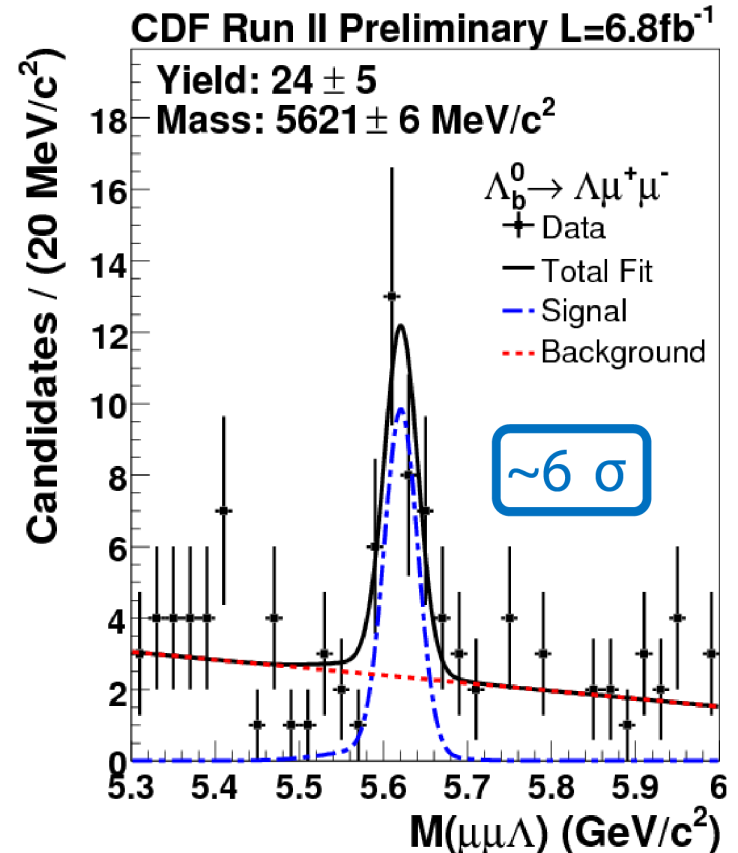
First experimental search for baryonic  $b \rightarrow s \mu \mu$  decay



**First observation!**

$$\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda \mu^+ \mu^-) = [1.73 \pm 0.42(\text{stat}) \pm 0.55(\text{syst})] \times 10^{-6}$$

The rarest  $\Lambda_b$  decay to date



Expectations

- ✓  $(4.0 \pm 1.2) \times 10^{-6}$  Phys.Rev.D81,056006 (2010)
- ✓  $4.4 \times 10^{-6}$  Phys.Rev.D78,114032 (2008)
- ✓  $2.08 \times 10^{-6}$  Phys.Rev.D64,074001 (2001)

# FCNC in $b \rightarrow s\mu\mu$ decays ( $CDF\ 6.8\ fb^{-1}$ )

- Rare decays with  $BR \sim O(10^{-6})$  in SM are good probes of NP

Mode	Relative $\mathcal{B}(10^{-3})$	Absolute $\mathcal{B}(10^{-6})$
$\Lambda_b^0 \rightarrow \Lambda\mu^+\mu^-$	$2.45 \pm 0.59 \pm 0.29$	$1.73 \pm 0.42 \pm 0.55$
$B_s^0 \rightarrow \phi\mu^+\mu^-$	$1.13 \pm 0.19 \pm 0.07$	$1.47 \pm 0.24 \pm 0.46$
$B^+ \rightarrow K^+\mu^+\mu^-$	$0.46 \pm 0.04 \pm 0.02$	$0.46 \pm 0.04 \pm 0.02$
$B^0 \rightarrow K^{*0}\mu^+\mu^-$	$0.77 \pm 0.08 \pm 0.03$	$1.02 \pm 0.10 \pm 0.06$
$B^0 \rightarrow K^0\mu^+\mu^-$	$0.37 \pm 0.12 \pm 0.02$	$0.32 \pm 0.10 \pm 0.02$
$B^+ \rightarrow K^{*+}\mu^+\mu^-$	$0.67 \pm 0.22 \pm 0.04$	$0.95 \pm 0.32 \pm 0.08$

first observed by CDF:

$B_s \rightarrow \Phi\mu\mu$  (PRL106,161801 (2011))

$\Lambda_b \rightarrow \Lambda\mu\mu$  (arXiv:1107.3753)

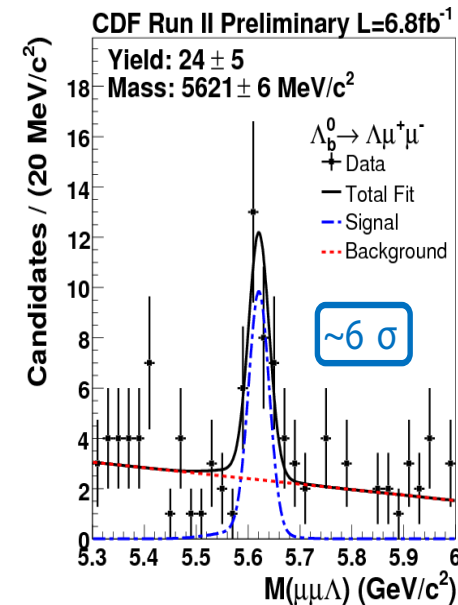
- Most precise BR measurements

- BR theoretical calculations of  $\Lambda_b \rightarrow \Lambda\mu\mu$

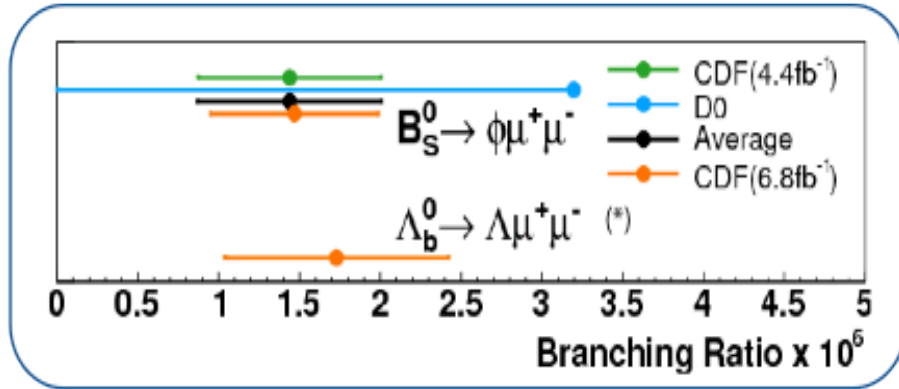
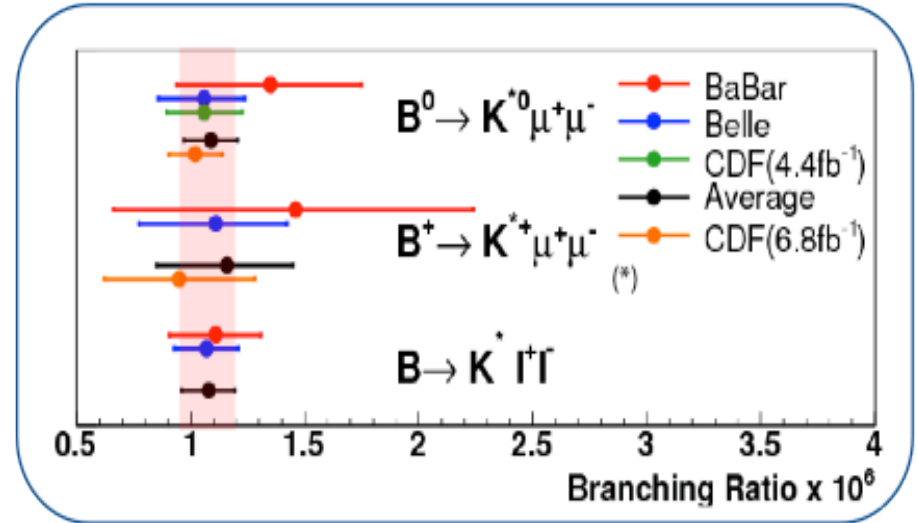
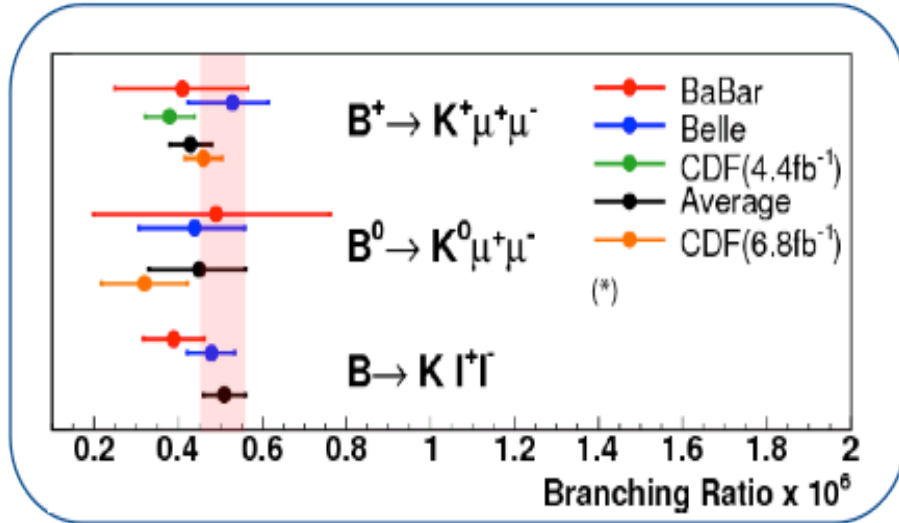
$(4.0 \pm 1.2) \cdot 10^{-6}$  Phys.Rev.D81,056006 (2010)

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$2.08 \cdot 10^{-6}$  Phys.Rev.D64,074001 (2001)



# Comparison with Other Experiments

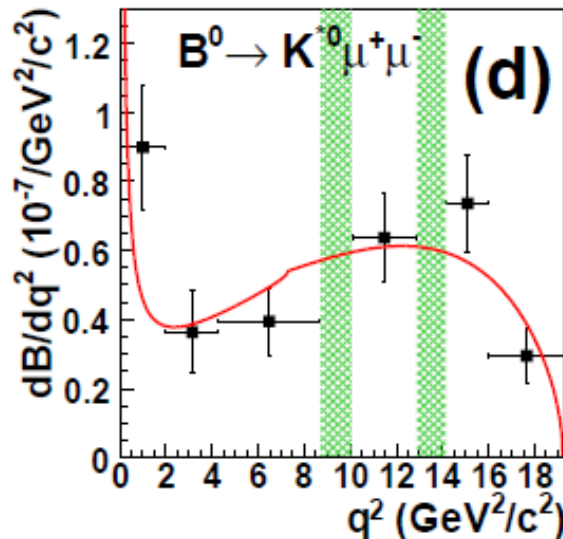
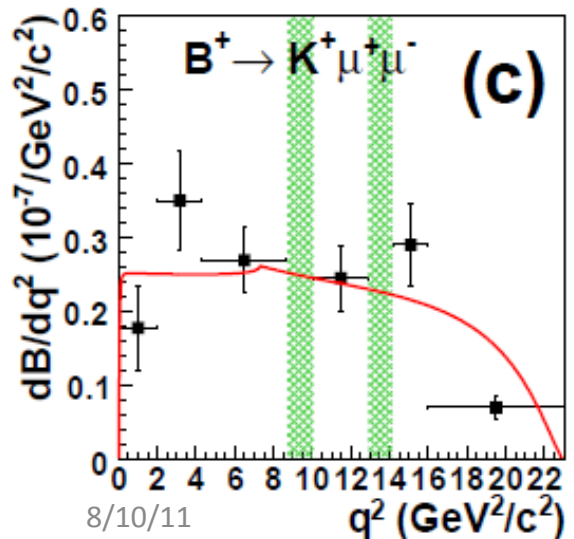
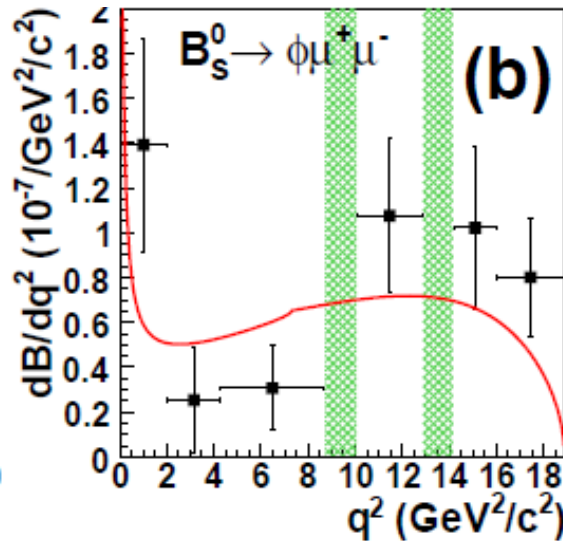
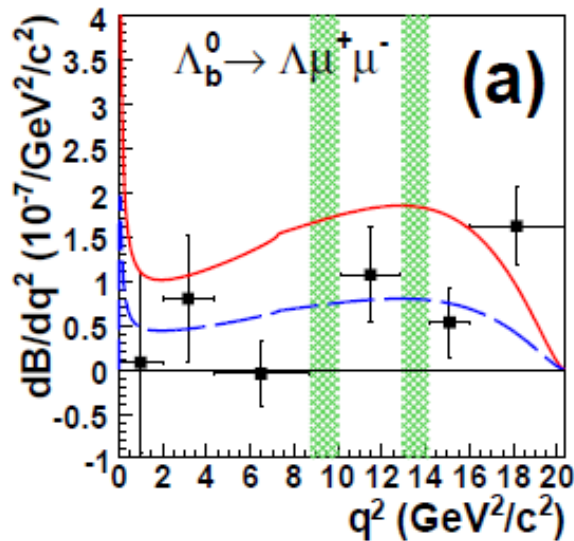


(\*) All BRs except CDF@6.8fb<sup>-1</sup> are taken from HFAG 2010 August

World's most precise  $b \rightarrow s \mu \mu$  BR measurements!

## $b \rightarrow s\mu\mu$ differential BR (CDF $6.8 \text{ fb}^{-1}$ )

- Enhanced sensitivity to NP from differential BR (dBR) dependence on  $q^2$ .
- dBR as function of  $\mu\mu$  squared invariant mass ( $q^2$ ) in good agreement with theory:



Phys. Rev. D 61, 074024 (2000).  
 Phys. Rev. D 81,056006 (2010).  
 Phys. Rev. D 71, 014015 (2005);  
 Phys. Rev. D 71, 014029 (2005).

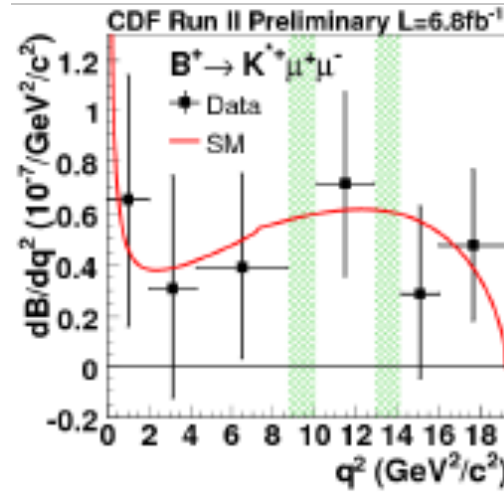
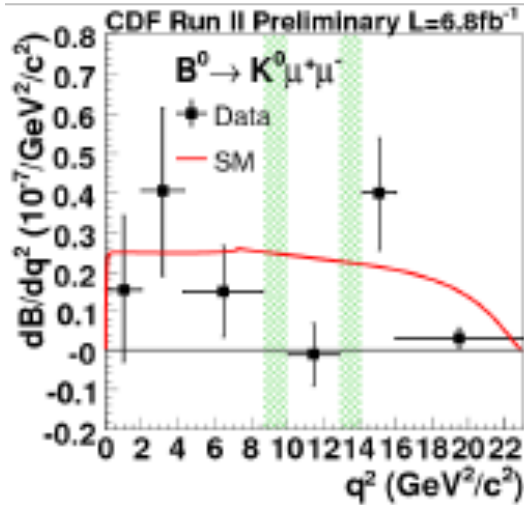
Red curves: SM predictions; (a) based on  $4.0 \times 10^{-6}$

Blue curve(a): rescaled SM prediction to our total BR (1.73/4.0)

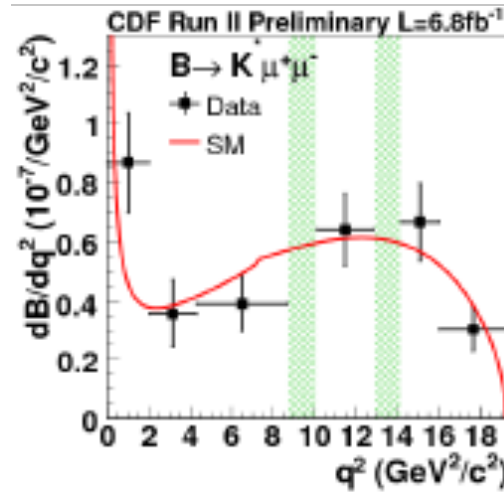
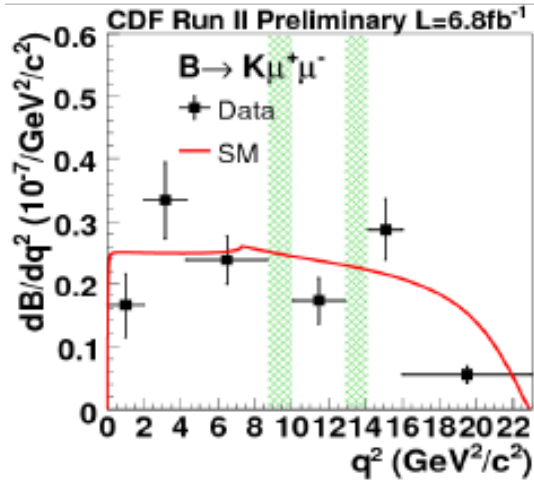
Green bands: charmonium veto

(a) and (b) are first measurements!

# Differential BR's (2)

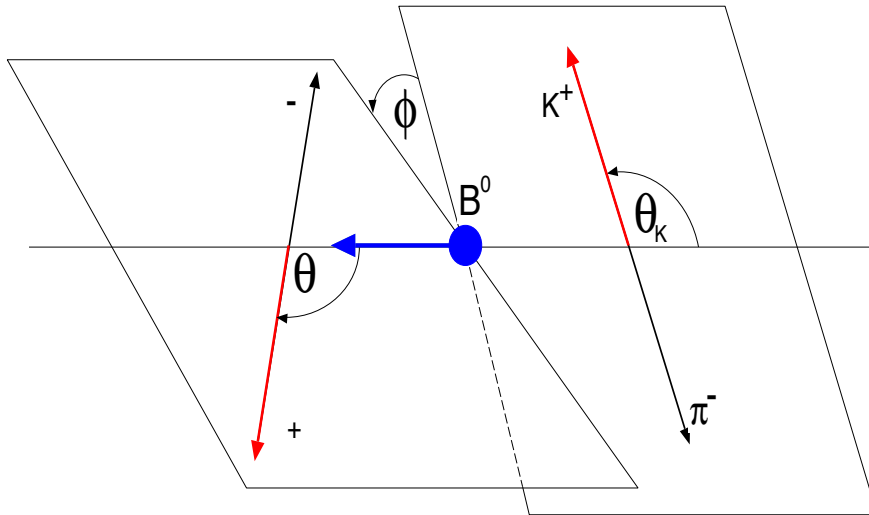


Results for  $K_s$  (left) and  $K^{*+} \rightarrow K_s \pi^+$  (right).  
 - New!



Combined results for  $K$  (left) and  $K^*$  (right).  
 - Assume isospin symmetry.

# $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ Decay Variables

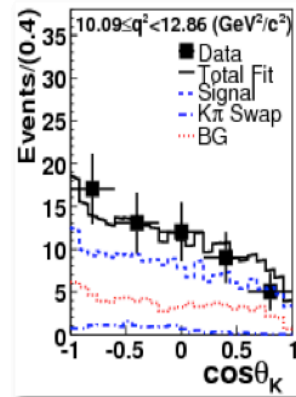
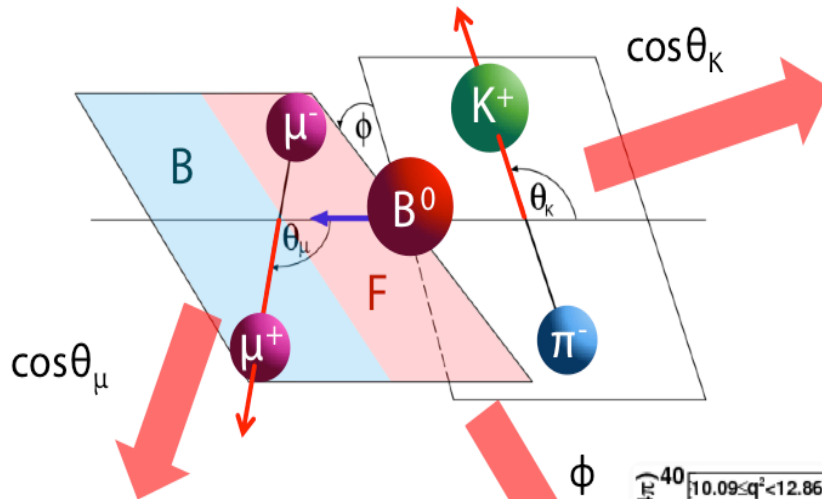


Asymmetries  
provide most  
powerful probe  
for New  
Physics.

- Four angular observables:  $F_L$ ,  $A_{FB}$ ,  $A_T^{(2)}$ ,  $A_{im}$  which depend on  $K^*$  Polarization Amplitudes.
- Small theoretical uncertainties. Asymmetries can be accessed with current data (Belle, BaBar, CDF, early LHCb.)

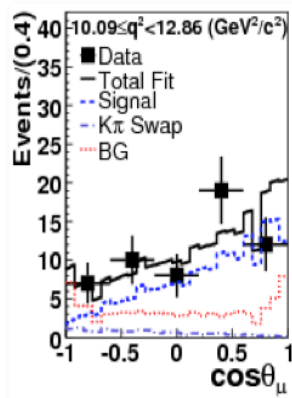
# Angular analysis

One can extract various information from the decay angular distribution

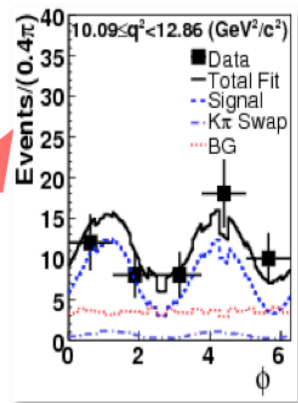


$K^*$  polarization  
 $F_L$

$$\frac{3}{2}F_L \cos^2 \theta_K + \frac{3}{4}(1 - F_L)(1 - \cos^2 \theta_K).$$



FB Asymmetry  
 $A_{FB}$



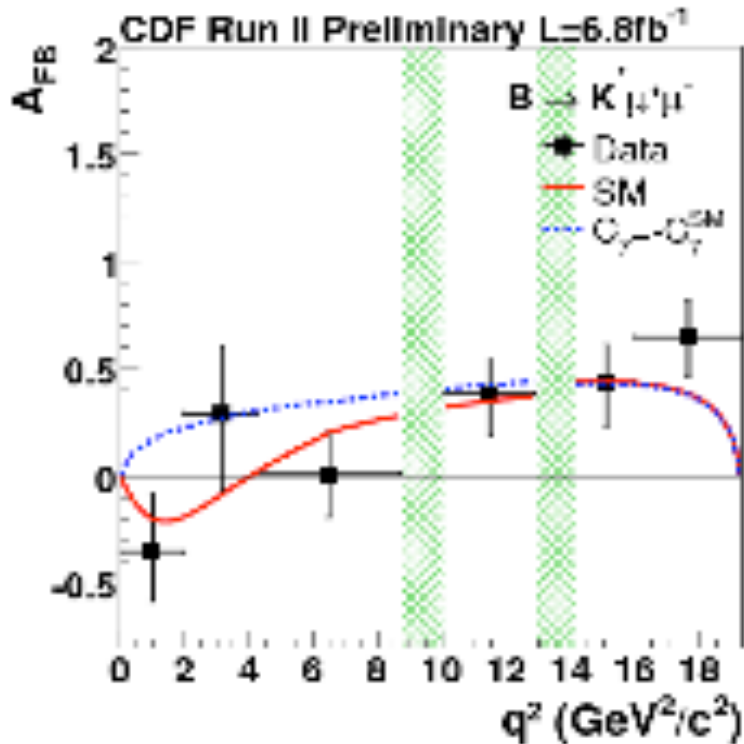
**NEW**  
 $A_T^{(2)}$  Transverse polarization asymmetry

$A_{im}$  Triple product asymmetry

$$\frac{3}{4}F_L(1 - \cos^2 \theta_\mu) + \frac{3}{8}(1 - F_L)(1 + \cos^2 \theta_\mu) + A_{FB} \cos \theta_\mu$$

$$\frac{1}{2\pi} \left[ 1 + \frac{1}{2}(1 - F_L)A_T^{(2)} \cos 2\phi + A_{im} \sin 2\phi \right]$$

# Muon Forward-Backward Asymmetry ( $A_{FB}$ )



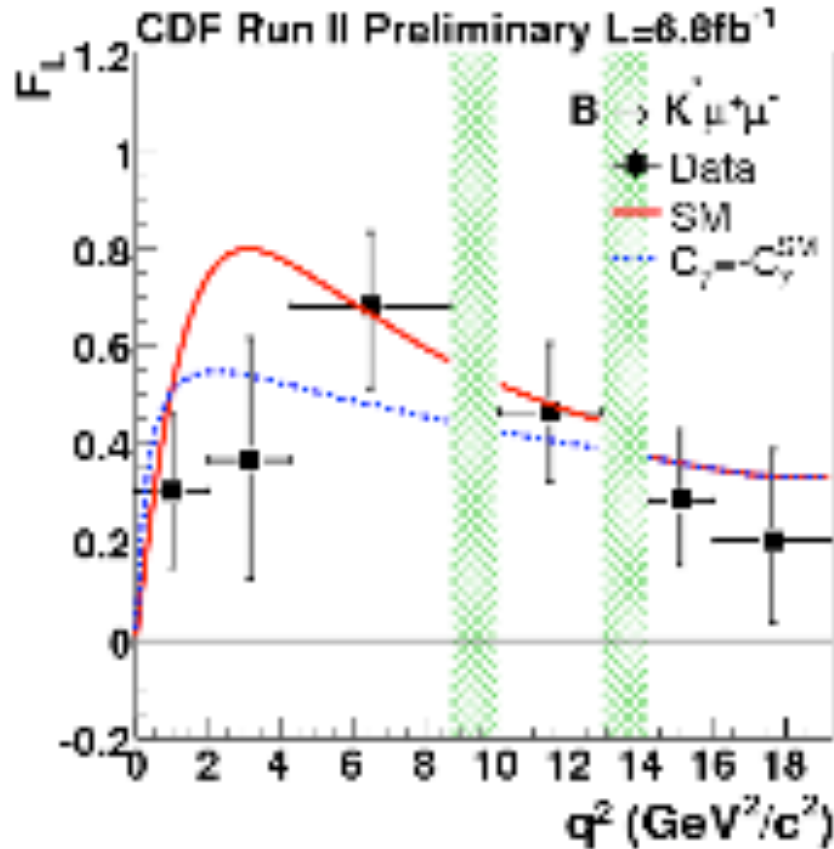
Belle claimed  $2.7\sigma$  discrepancy with SM.

CDF data are among world's most accurate and do not yet suggest non-SM effects.

Red Curve: SM prediction (note zero crossing point prediction).

Blue curve: NP could swap the sign of  $A_{FB}$  at low  $q^2$  (and give no crossing point).

# $K^*$ Longitudinal Polarization Fraction

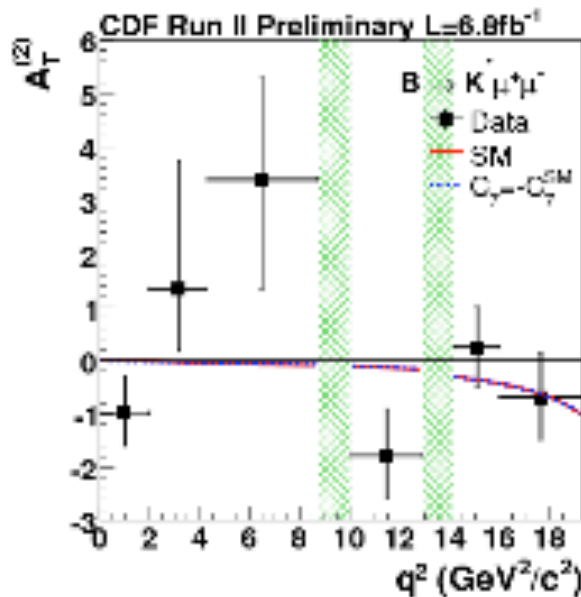


$F_L$  determined from angular distribution of  $K^*$  decay products (e.g.  $K^+ \pi^-$  or  $K_S \pi^+$ ).

Simultaneous fit to all  $K^*$  modes.

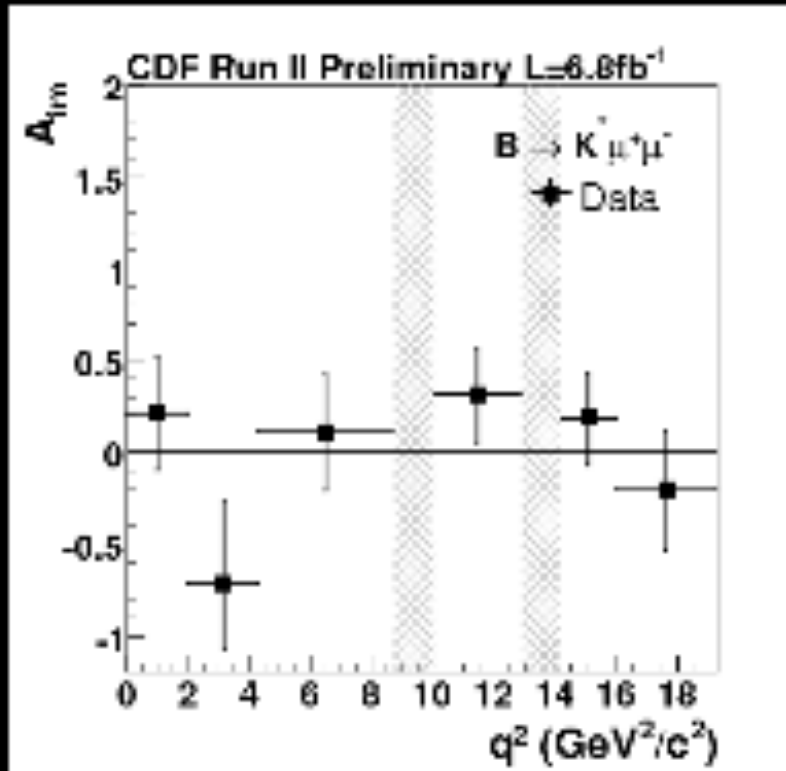
Green bands:  
charmonium veto

# Transverse Polarization Asymmetry ( $A_T^{(2)}$ )



- First time anyone looks at this variable.
  - Magnitude grows as  $q^2$  increases (SM).
  - Obtained from fits to  $\phi$  angular distribution.
  - Sensitive to CP-conserving RH currents (not just swapped sign of  $C_7$ ).
- 
- Data in reasonably good agreement with SM predictions.
  - Swapped sign has little effect, but different predictions from other BSM models.

# T-odd CP asymmetry ( $A_{im}$ )



Obtained from fits to  $\phi$  angular distribution.

$A_{im}$  is sensitive to CP-violating Right-Handed currents.

Measuring  $A_T^{(2)}$  and  $A_{im}$   
More statistics needed!

SM predicts the T-odd CP asymmetry  $A_{im}$  to be  $\sim$  zero.

# New probes: $A_T^{(2)}$ and $A_{im}$

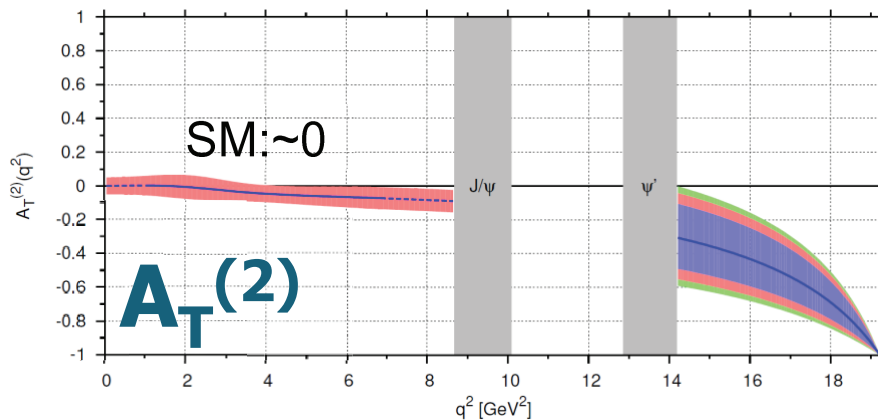
## Right-handed current sensitive observables

Small in SM ( $A_T^{(2)}$  is negatively large in high  $q^2$ )

Strongly affected by RH current up to  $\mathcal{O}(\pm 1)$

## Provide unique discrimination of NP models

**No experimental result so far**



arXiv:1006.5013

C. Bobeth, G. Hiller, D. van Dyk

# Conclusions

- Updated  $B \rightarrow K(*)\mu^+\mu^-$  analysis with 6.8/fb of data.  
Nearly 2x statistics. **New channels ( $K_s, K^{*+}$ ).**
- More precise Total BR's for exclusive  $b \rightarrow s\mu\mu$  decays.
- First measurement of dBR in  $B_s \rightarrow \phi\mu\mu$ .  
**First observation of  $\Lambda_b \rightarrow \Lambda\mu\mu$ .**  
**Pub. submitted: arXiv: 1107.3753 19 Jul 2011**
- First measurements of  $A_T^{(2)}$  and  $A_{im}$  **(add. probes for NP).**
- Precision of  $A_{FB}$  and  $F_L$  competitive with other experiments,  
and among world's most accurate.  
**Pub. Submitted: arXiv: 1108.0695 2 Aug 2011**

# BACKUP

# Angular Dependence of Decay Rates

$$\frac{1}{\Gamma} \frac{d\Gamma(B^0 \rightarrow K^{*0} \mu^+ \mu^-)}{d\cos\theta_K} = \frac{3}{2} F_L \cos^2 \theta_K + \frac{3}{4} (1 - F_L) (1 - \cos^2 \theta_K) \quad F_L$$

$$\frac{1}{\Gamma} \frac{d\Gamma(B^0 \rightarrow K^{*0} \mu^+ \mu^-)}{d\cos\theta_\mu} = \frac{3}{4} F_L (1 - \cos^2 \theta_\mu) + \frac{3}{8} (1 - F_L) (1 + \cos^2 \theta_\mu) + A_{FB} \cos\theta_\mu \quad F_L, A_{FB}$$

$$\frac{1}{\Gamma} \frac{d\Gamma(B \rightarrow K^* \mu^+ \mu^-)}{d\varphi} = \frac{1}{2\pi} \left[ 1 + \frac{1}{2} (1 - F_L) A_T^{(2)} \cos 2\varphi + A_{im} \sin 2\varphi \right]. \quad A_T^{(2)}, A_{im}$$

# Observables

$$A_{\text{FB}} = \frac{3 \operatorname{Re}(A_{\perp L} A_{\parallel L}^*) - \operatorname{Re}(A_{\perp R} A_{\parallel R}^*)}{2 \left( |A_0|^2 + |A_{\parallel}|^2 + |A_{\perp}|^2 \right)},$$

$$F_L = \frac{|A_0|^2}{|A_0|^2 + |A_{\parallel}|^2 + |A_{\perp}|^2},$$

$$A_T^{(2)} = \frac{|A_{\perp}|^2 - |A_{\parallel}|^2}{|A_{\perp}|^2 + |A_{\parallel}|^2},$$

$$A^{\text{im}} = \frac{\operatorname{Im}(A_{\perp L} A_{\parallel L}^*) + \operatorname{Im}(A_{\perp R} A_{\parallel R}^*)}{|A_0|^2 + |A_{\parallel}|^2 + |A_{\perp}|^2}.$$