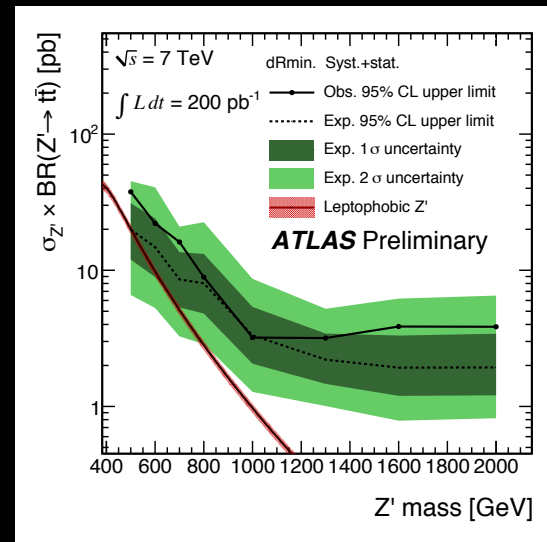
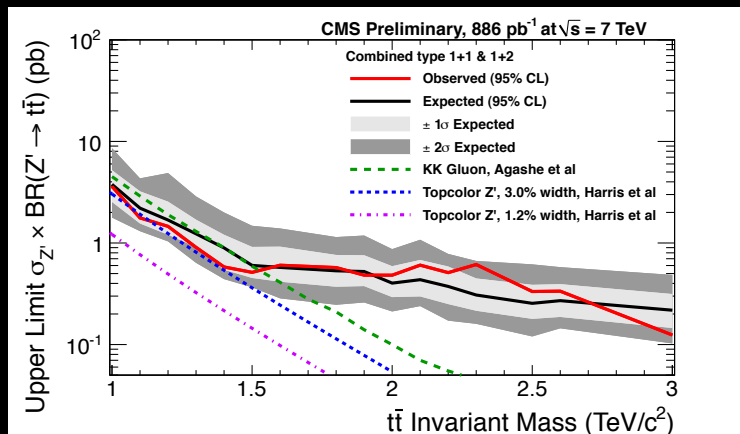
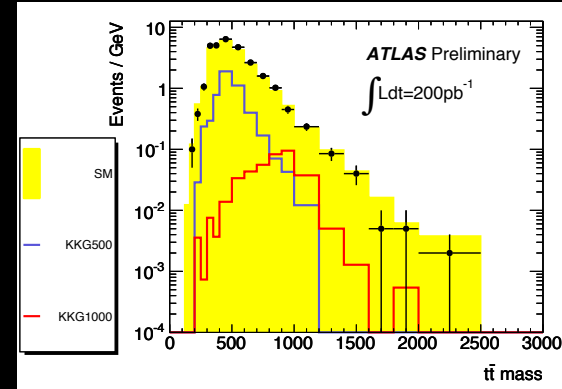
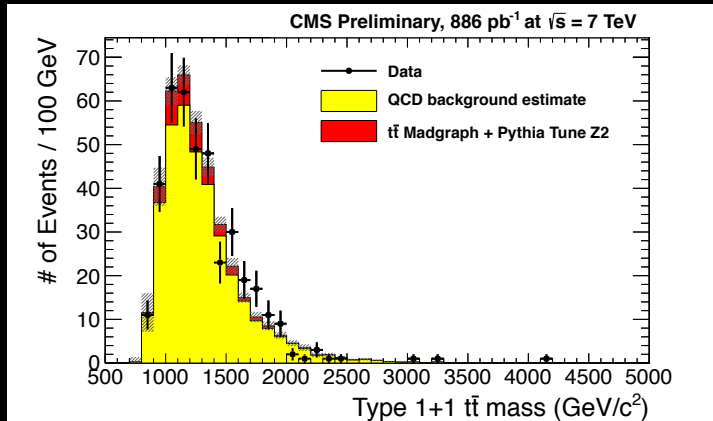


# Discriminating Top-Antitop Resonances Using Azimuthal Decay Correlations

Brock Tweedie  
Boston University  
10 August 2011  
@ DPF 2011, Providence

# The Hunt is On For $t\bar{t}$ Resonances



CMS PAS EXO-11-006  
(886/pb, all-hadronic)

ATLAS-CONF-2011-087  
(200/pb, l+jets)

# What if We Actually Find A Bump?

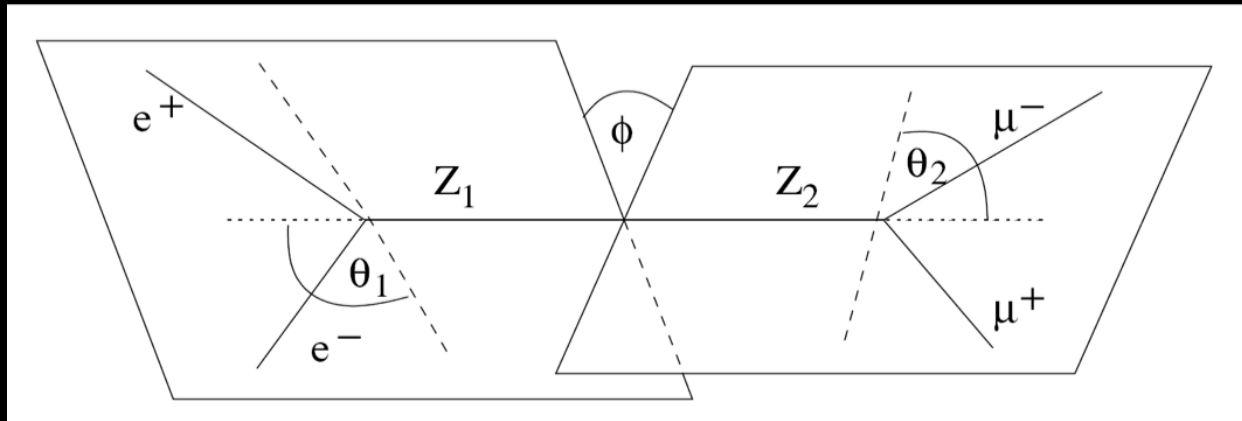
- What's the spin?
- Are the tops polarized?
- What are the C & P quantum #s?

# Goals for This Talk

- Show that the *azimuthal decay angles* of the two tops about their production axis can be highly correlated, and encode valuable information
  - Signed ratio of chiral couplings for spins 1 & 2: discriminate vector / axial (\*missed by other common variables)
  - Simple measurement of CP phase for heavy spin-0
  - Discrimination of spin-0 from higher spins
  - Direct manifestation of top spin correlations within the SM itself
- Show that the correlation is *easy to measure*, even in dileptonic channel
  - Can do quite well without detailed kinematic reco using MET

# Perhaps This Sounds Familiar?

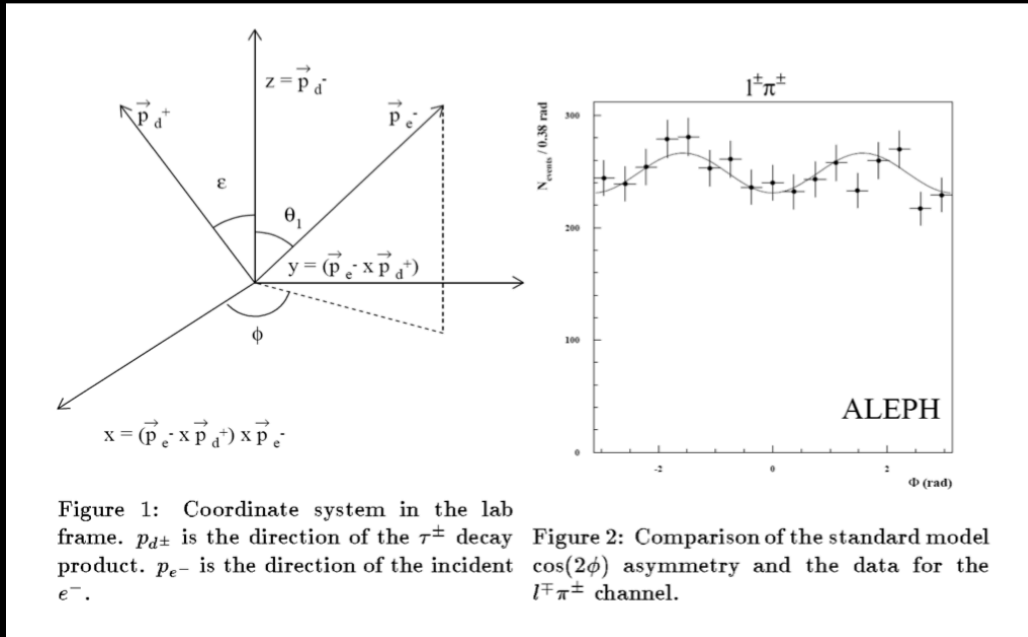
$h \rightarrow ZZ \rightarrow 4l$



$$F(\phi) = 1 + \alpha \cos(\phi) + \beta \cos(2\phi)$$

coeff's  $\alpha$  and  $\beta$  sensitive to CP phase

# Maybe Less Familiar: $Z \rightarrow \tau\tau$ at LEP



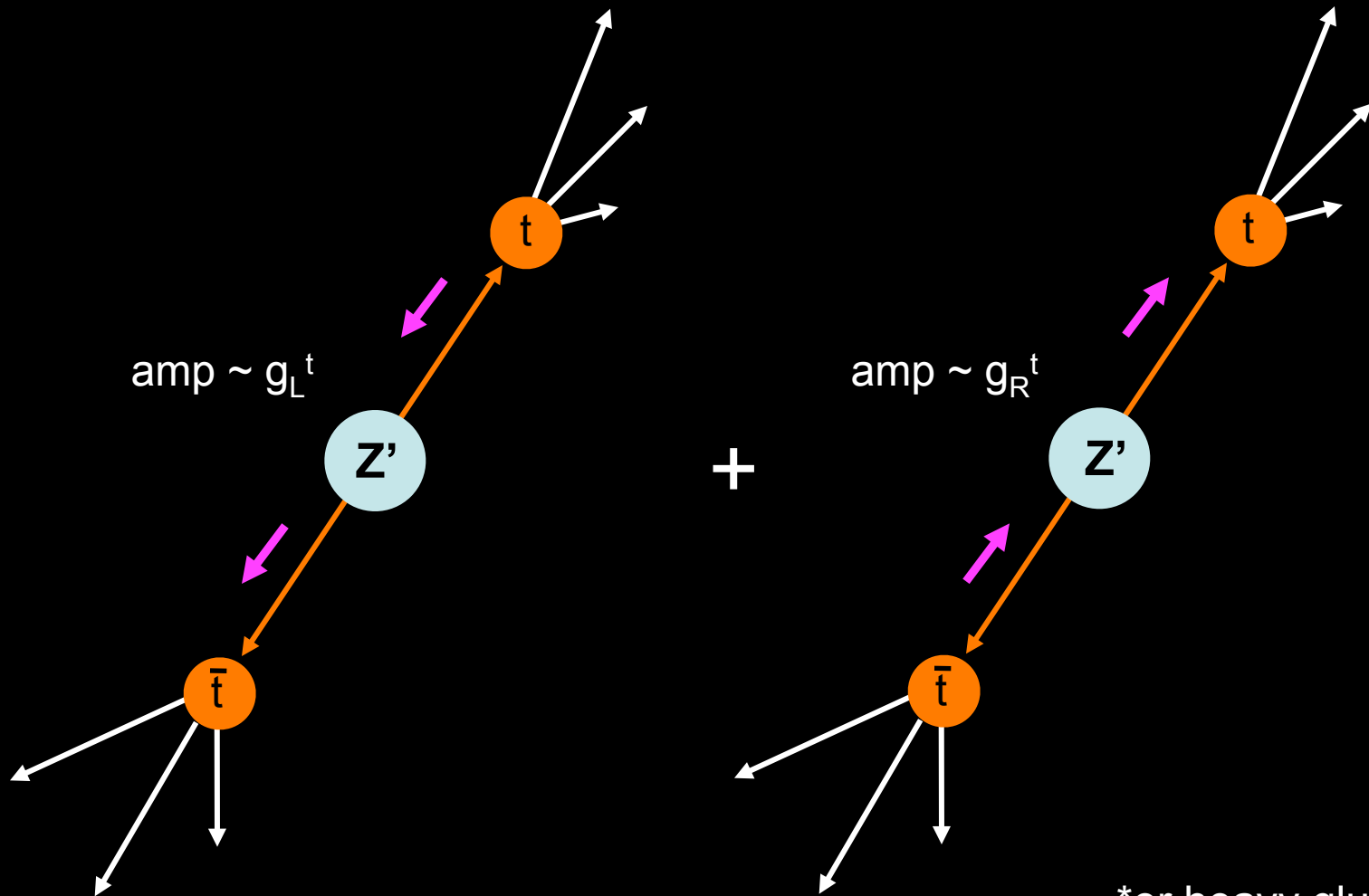
ALEPH, CERN OPEN-99-355

- Double one-prong events
  - no attempt to reconstruct neutrinos
  - know the CM frame, get to sit on resonance
- Azimuthal angle of one visible particle about the other follows  $\cos(2\phi)$  distribution
- Signed amplitude measures *vector/axial admixture* of Z coupling to taus

# Common Observables for $X \rightarrow t\bar{t}$

- Lineshape interference
  - convolution of top and quark/gluon couplings
- $t\bar{t}$  production angle
  - resonance spin
- Single-side top polar decay angles
  - chirality bias
- Double-side polar angle correlation
  - resonance spin (again)
- 3D opening angle between top & antitop decay products in a common frame
  - CP phase for scalar

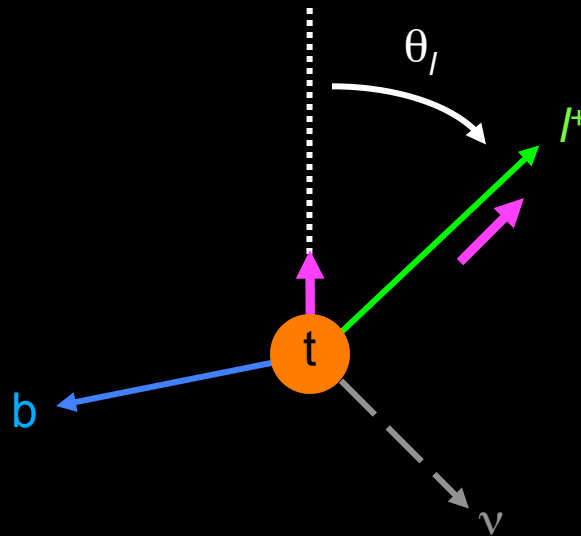
# Helicity Interference at High Invariant Mass



\*or heavy gluon/axigluon



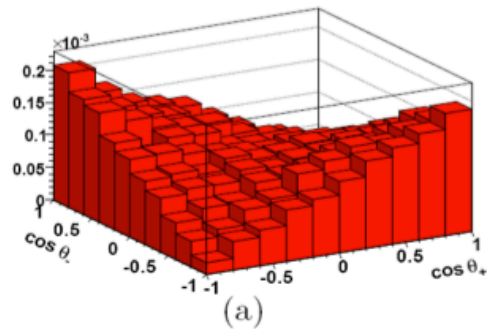
# Lepton as Spin Analyzer



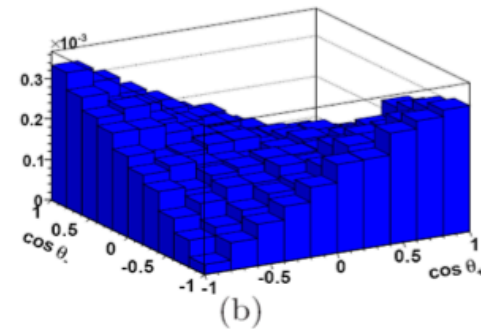
$$\frac{1}{\Gamma} \frac{d\Gamma}{d \cos \theta_f} = \frac{1}{2} (1 + \mathcal{P}_t * \cos \theta_f)$$

# Dilepton Polar Decay Angle Correlation

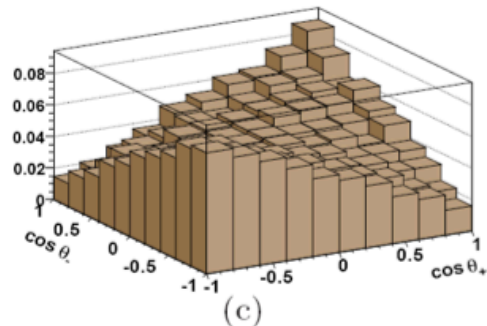
scalar



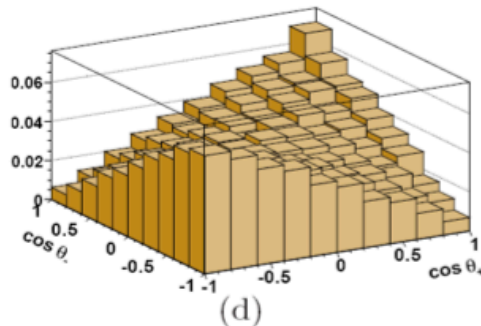
pseudoscalar



vector

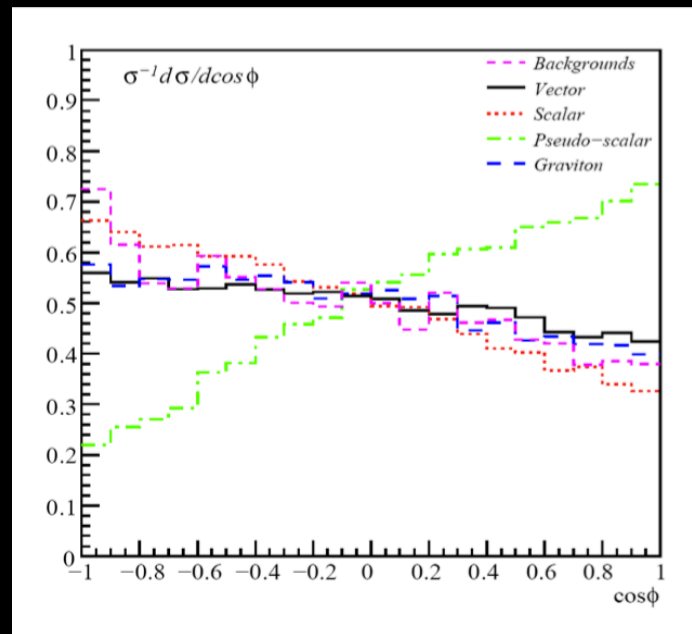


axial vector



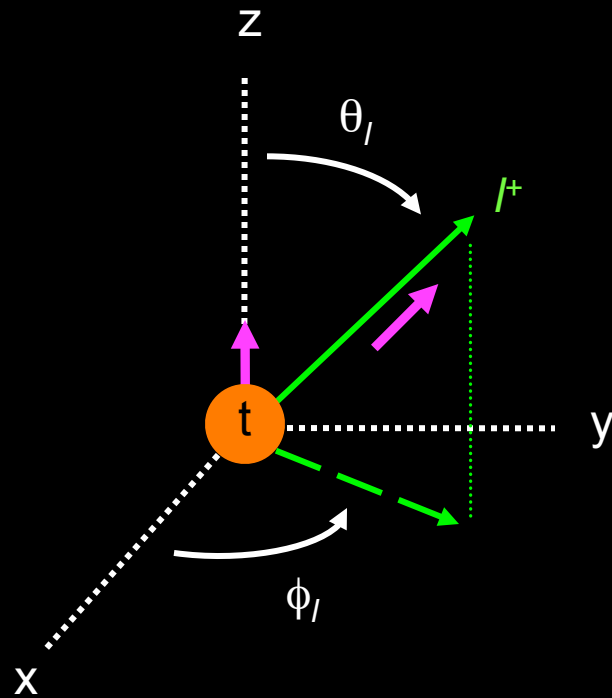
800 GeV Resonances, helicity basis

# Dilepton 3D Angle



after event reconstruction, boosting  
both tops to rest

# Lepton as Spin Analyzer

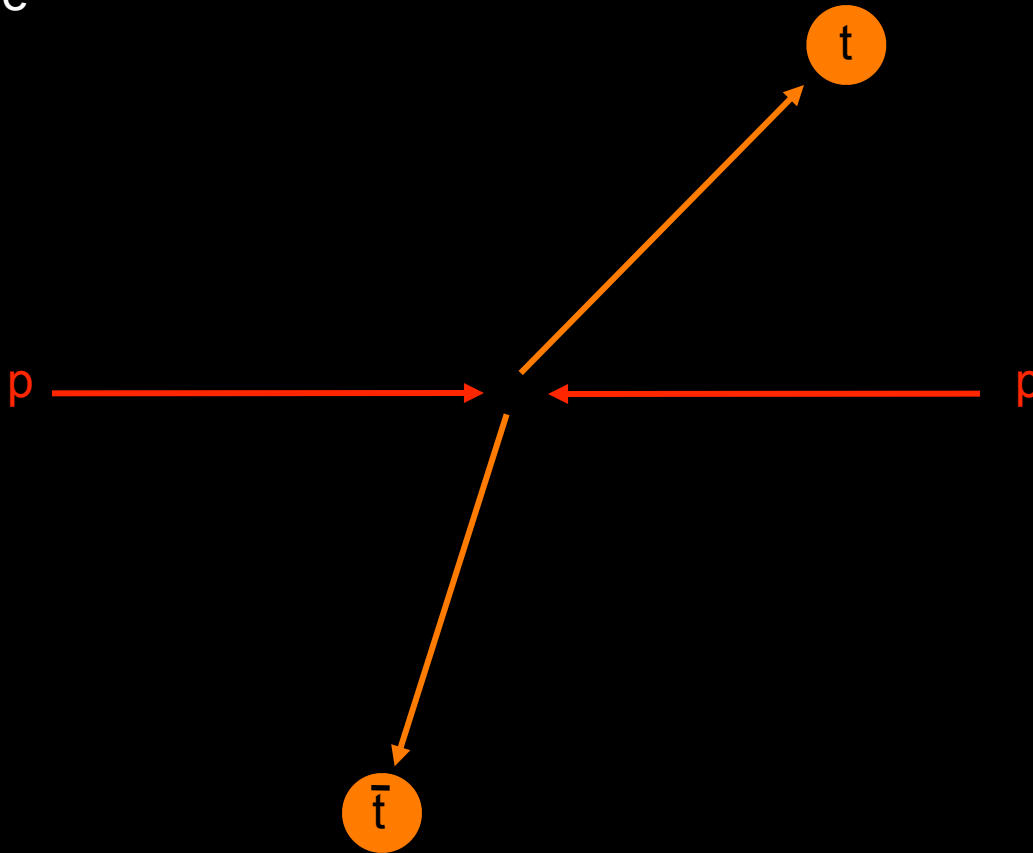


$$\mathcal{M}(t_{\uparrow} \rightarrow bl^+\nu) \propto e^{i\phi_l/2} \cos \frac{\theta_l}{2}$$

$$\mathcal{M}(t_{\downarrow} \rightarrow bl^+\nu) \propto e^{-i\phi_l/2} \sin \frac{\theta_l}{2}$$

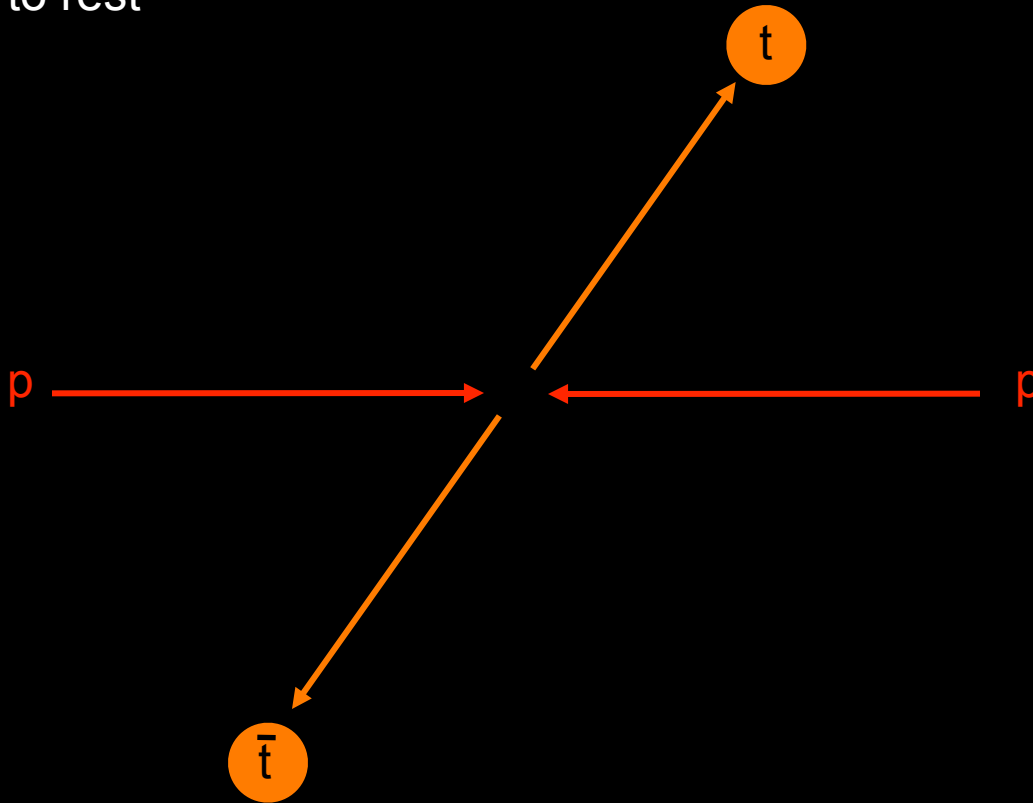
# Coordinates

start in lab frame



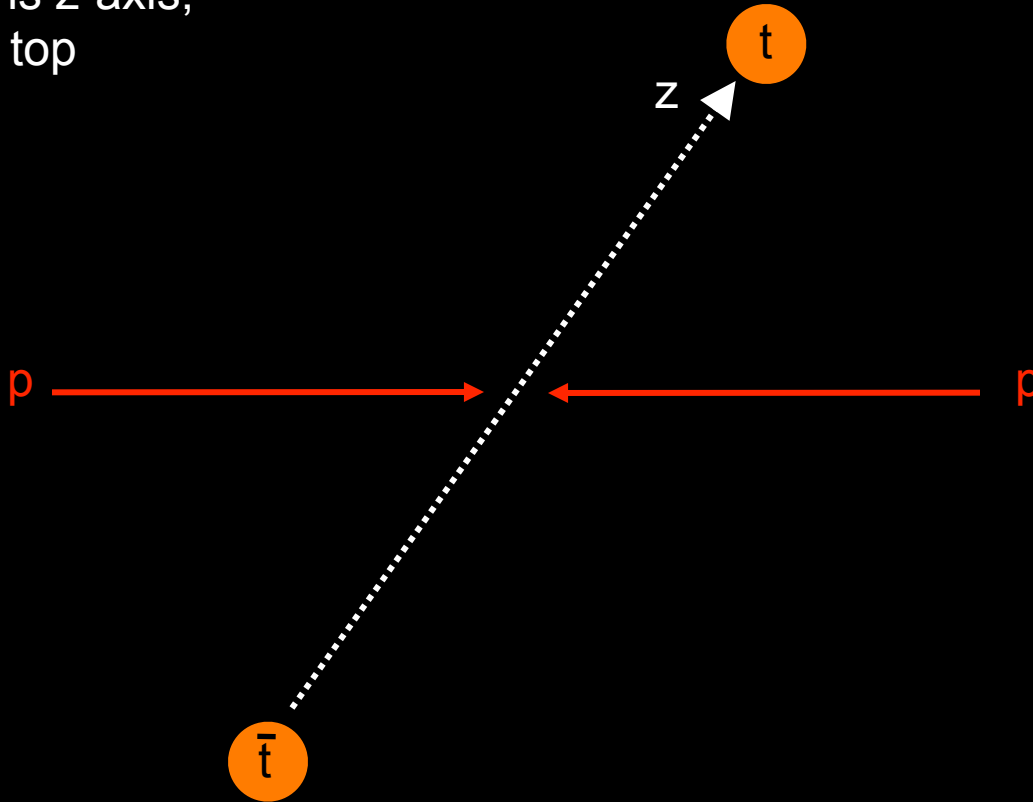
# Coordinates

boost  $tt$  system to rest



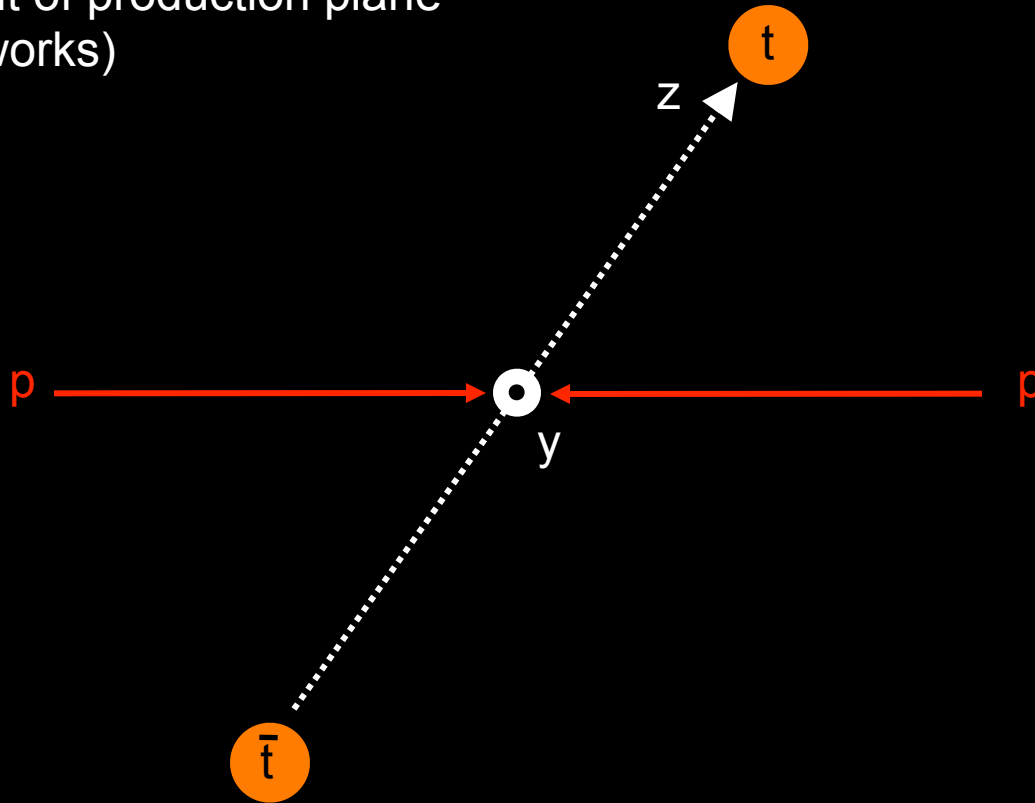
# Coordinates

production axis is z-axis,  
pointing toward top



# Coordinates

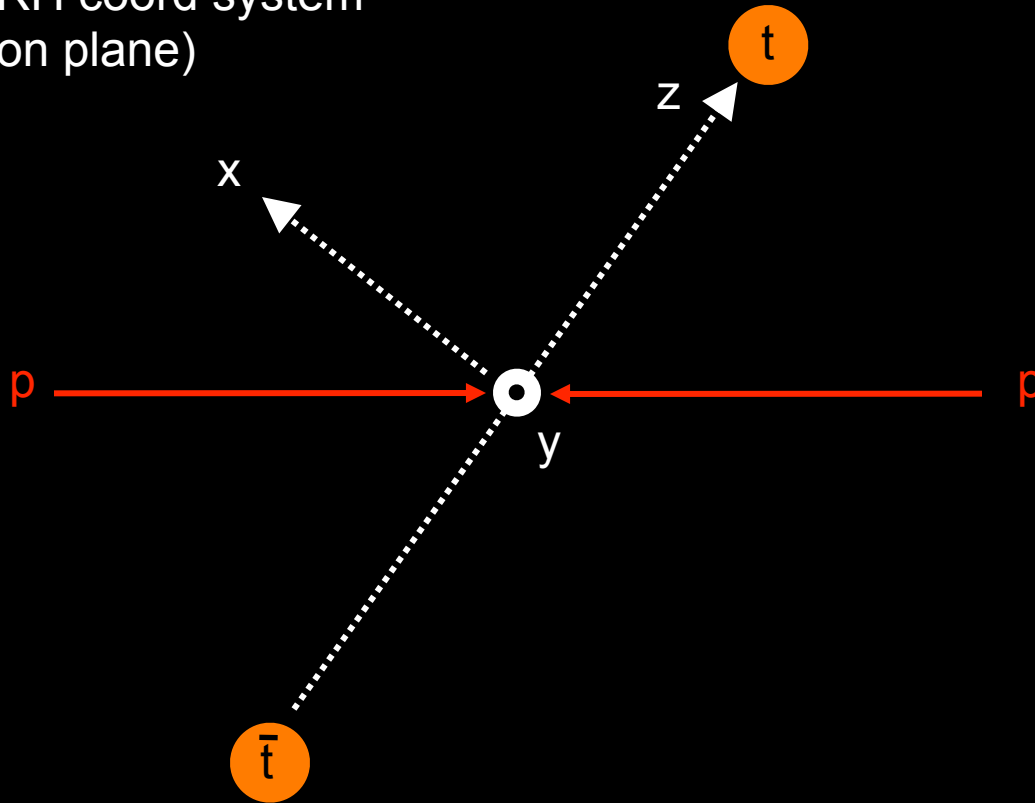
y-axis points out of production plane  
(either choice works)





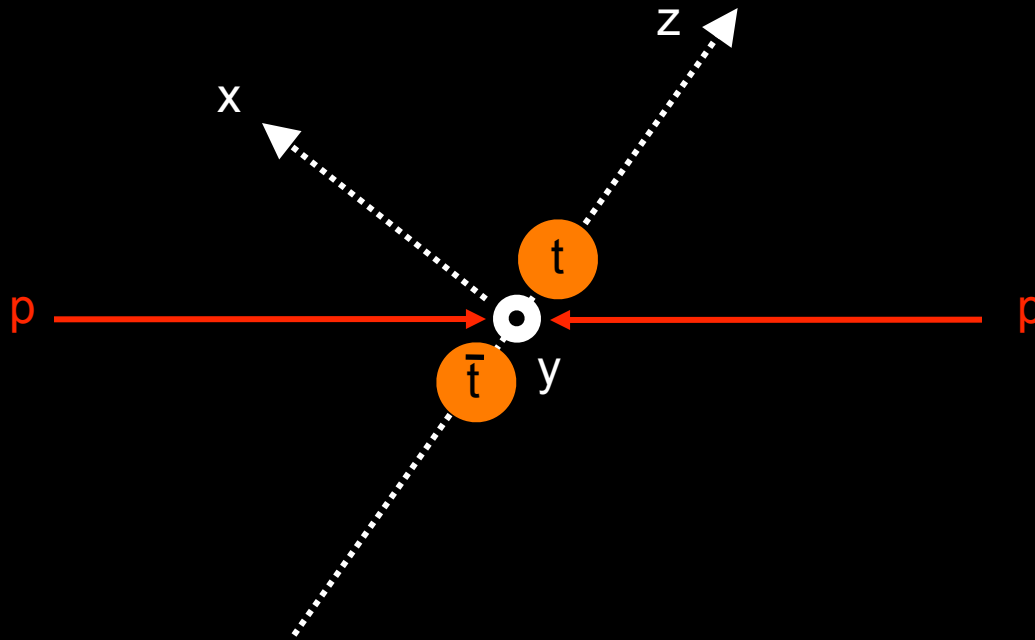
# Coordinates

x-axis to make RH coord system  
(lies *in* production plane)



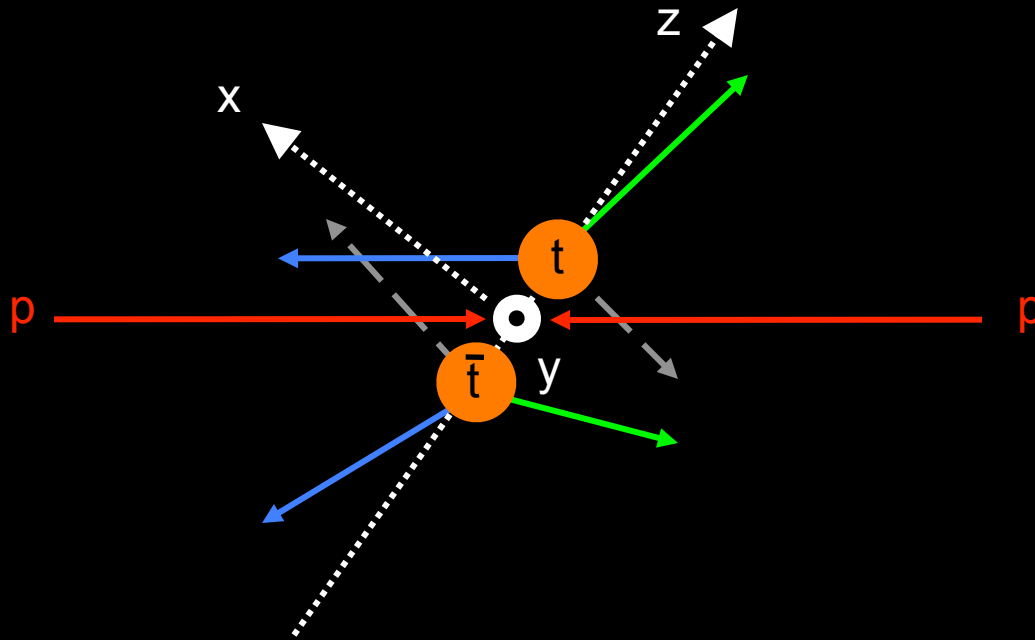
# Coordinates

boost the tops to rest



# Coordinates

and look at their decay products



# Full Dilepton Angular Dependence at High Invariant Mass

$$\mathcal{M}_{\text{tot}}(X_0 \rightarrow b \ell^+ \nu \bar{b} \ell^- \bar{\nu}) \sim \mathcal{M}(X_0 \rightarrow t_{\uparrow} \bar{t}_{\downarrow}) e^{i(\phi_{\ell} - \bar{\phi}_{\ell})/2} \cos \frac{\theta_{\ell}}{2} \cos \frac{\bar{\theta}_{\ell}}{2} +$$

$$\mathcal{M}(X_0 \rightarrow t_{\downarrow} \bar{t}_{\uparrow}) e^{-i(\phi_{\ell} - \bar{\phi}_{\ell})/2} \sin \frac{\theta_{\ell}}{2} \sin \frac{\bar{\theta}_{\ell}}{2}$$

$$\mathcal{M}_{\text{tot}}(X_{1(2)} \rightarrow b \ell^+ \nu \bar{b} \ell^- \bar{\nu}) \sim \mathcal{M}(X_{1(2)} \rightarrow t_{\uparrow} \bar{t}_{\uparrow}) e^{i(\phi_{\ell} + \bar{\phi}_{\ell})/2} \cos \frac{\theta_{\ell}}{2} \sin \frac{\bar{\theta}_{\ell}}{2} +$$

$$\mathcal{M}(X_{1(2)} \rightarrow t_{\downarrow} \bar{t}_{\downarrow}) e^{-i(\phi_{\ell} + \bar{\phi}_{\ell})/2} \sin \frac{\theta_{\ell}}{2} \cos \frac{\bar{\theta}_{\ell}}{2},$$

all other top decay variables factorize off

(lepton energies, b &  $\nu$  orientation)

- Spin-0 will exhibit  $\phi - \bar{\phi}$  modulation
- Spin-1(2) will exhibit  $\phi + \bar{\phi}$  modulation

# Spin-0

$$\mathcal{L}_{\text{int}} \rightarrow -y \phi \left( e^{i\alpha} \bar{t}_R t_L + e^{-i\alpha} \bar{t}_L t_R \right)$$

pure scalar:  $\alpha = 0$

pseudoscalar:  $\alpha = \pi/2$

$$\frac{d^4\Gamma}{d\Omega_\ell d\bar{\Omega}_\ell} \propto 1 + \cos\theta_\ell \cos\bar{\theta}_\ell - \sin\theta_\ell \sin\bar{\theta}_\ell \cos(\phi_\ell - \bar{\phi}_\ell + 2\alpha)$$

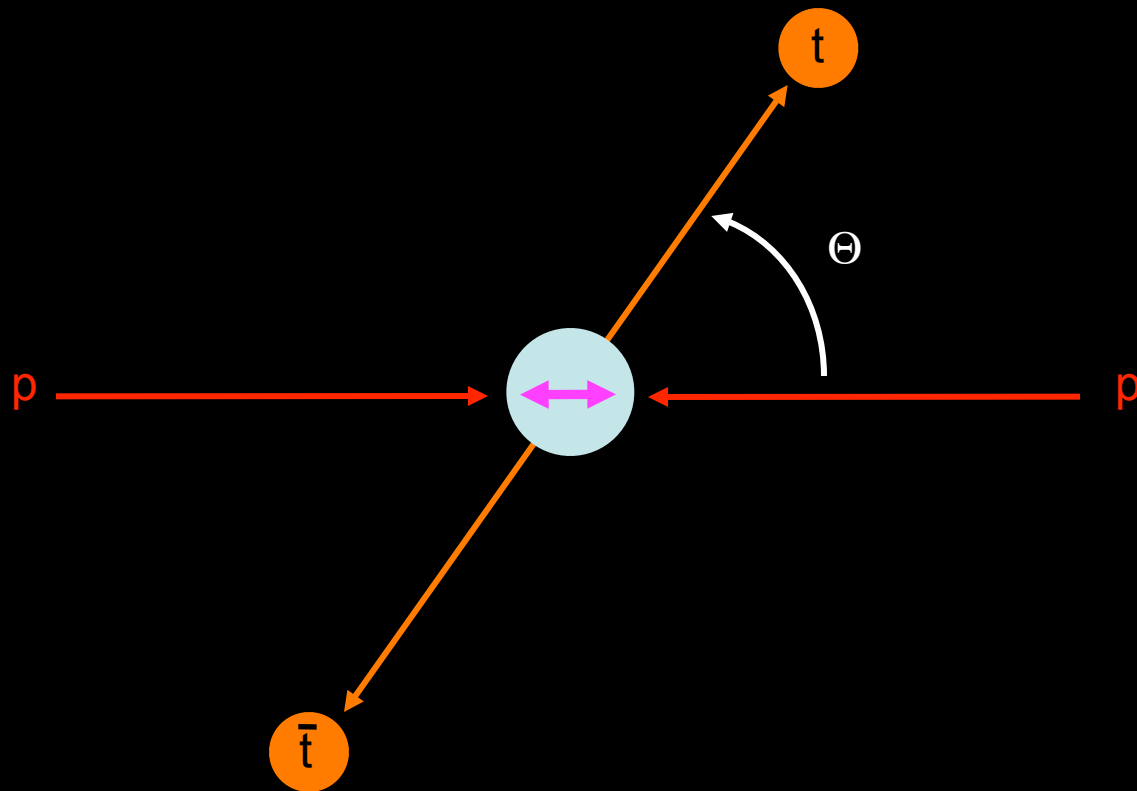
# If We Just Measure $\phi$

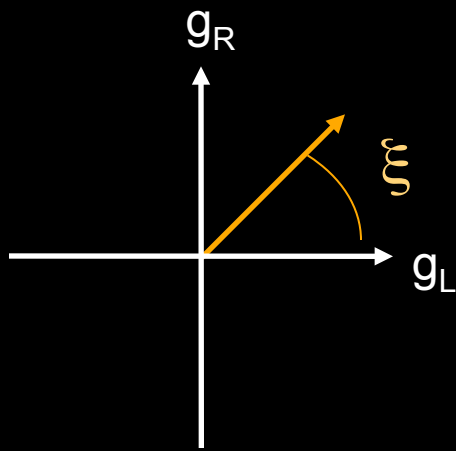
$$\frac{d\Gamma}{d(\phi_e - \bar{\phi}_e)} \propto 1 - \left(\frac{\pi}{4}\right)^2 \cos(\phi_e - \bar{\phi}_e + 2\alpha)$$

60% modulation

- Don't need to measure the polar angles
- Spin-1(2) doesn't modulate in this variable, nor does the SM continuum
  - clean discrimination from other spins
  - clean discrimination from background

# Spin-1





# Spin-1

$$\frac{d^2\Gamma_{J_{\text{beam}}=\pm 1}}{d(\phi_e + \bar{\phi}_e) d \cos \Theta} \propto (1 + \cos^2 \Theta) - \left(\frac{\pi}{4}\right)^2 \sin(2\xi) \sin^2 \Theta \cos(\phi_e + \bar{\phi}_e)$$



integrate out  $\Theta$

$$\frac{d\Gamma_{J_{\text{beam}}=\pm 1}}{d(\phi_e + \bar{\phi}_e)} \propto 1 - \frac{1}{2} \left(\frac{\pi}{4}\right)^2 \sin(2\xi) \cos(\phi_e + \bar{\phi}_e)$$

pure vector: -30%  
 pure axial: +30%  
 pure chiral: 0

-/+ 60% for central production



# Three (Rather Important) Questions

- Is it possible to isolate the resonance region in dileptonic mode?
- Even if we can, are these angles robust to measurement uncertainties?
- Dileptonic is rare, can't we use  $l+jets$ ?

# Dileptonic Resonance Peak

perfect (\*1/2)

$M_{Tcl}$

minimal  $\nu$

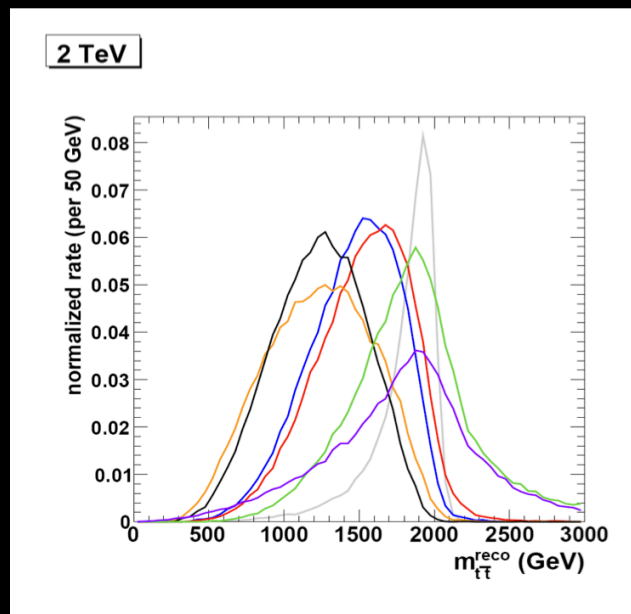
visible

$M_{eff}$

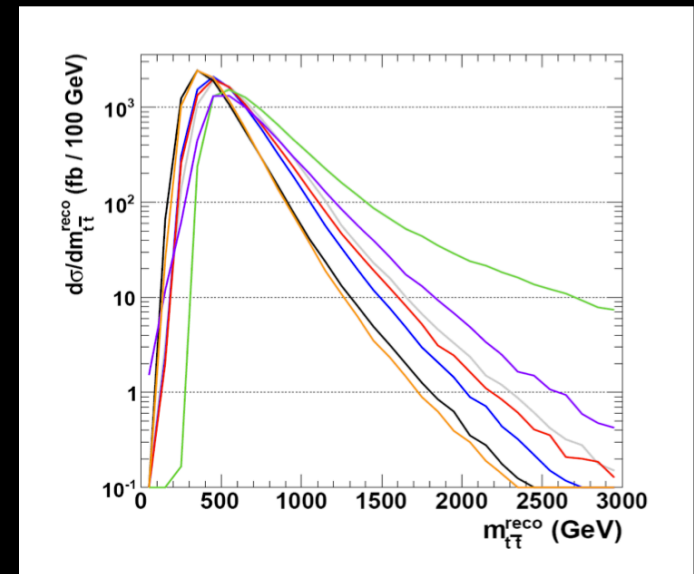
real quartic

Bai-Han

narrow 2 TeV vector



SM continuum (LHC14)



Hadron-level MadGraph+PYTHIA simulations include jet reconstruction and jet/lepton energy smearings as per CMS, simple lepton (mini)isolation, hemisphere-based jet-lepton pairing, no b-tags. MET defined to just balance b-jets and leptons. (Reduc. backgrounds highly subleading.)

# Spin-0 Azimuthal Modulations

perfect

$M_{Tcl}$

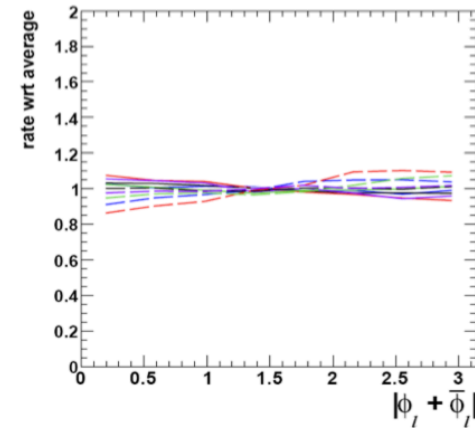
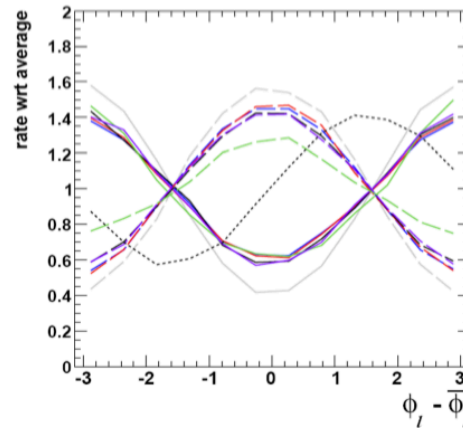
minimal  $\nu$

visible

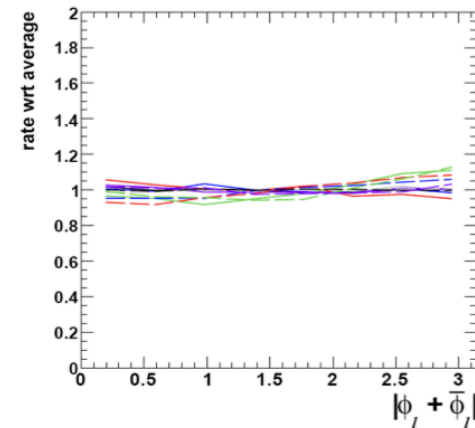
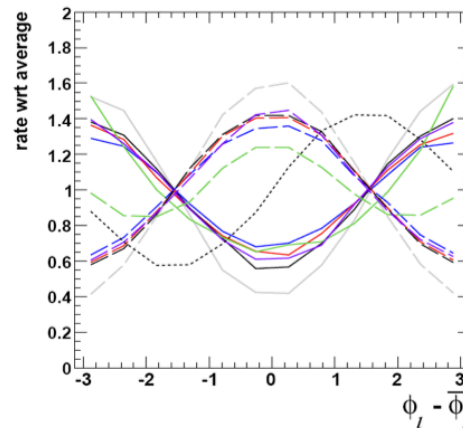
real quartic

Bai-Han

1 TeV Spin-0



2 TeV Spin-0



solid: pure scalar, dashed: pseudoscalar, dotted: mixed CP

\* MadGraph topBSM

# Spin-1 Azimuthal Modulations

perfect

$M_{Tcl}$

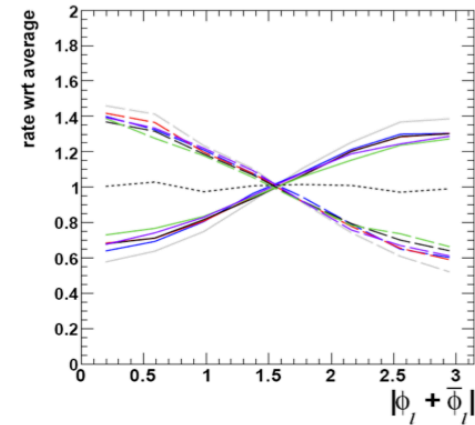
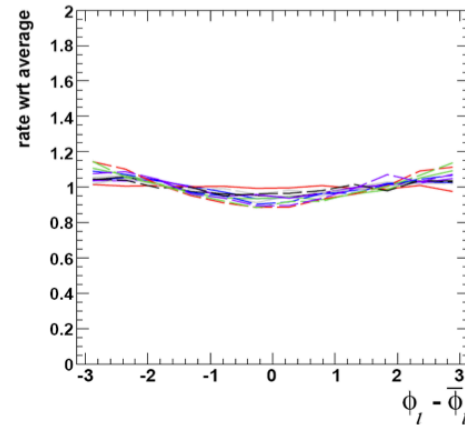
minimal  $v$

visible

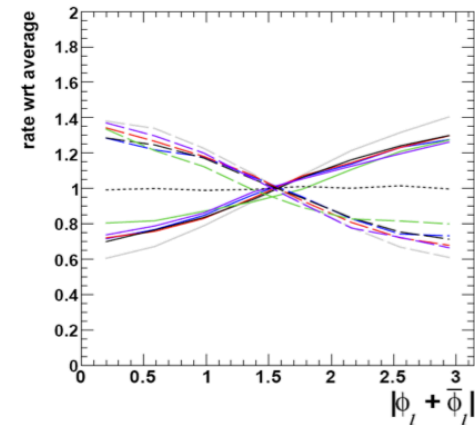
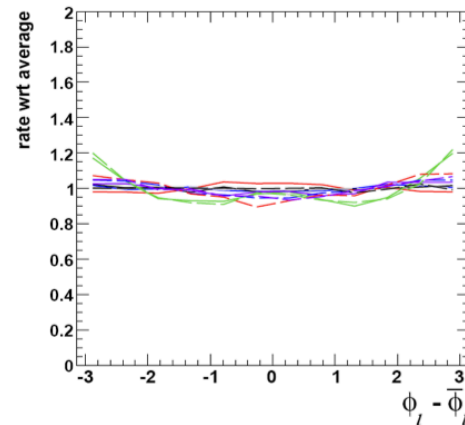
real quartic

Bai-Han

1 TeV Spin-1



2 TeV Spin-1



solid: pure vector, dashed: axial vector, dotted: LH chiral

# SM Azimuthal Modulations

perfect

$M_{Tcl}$

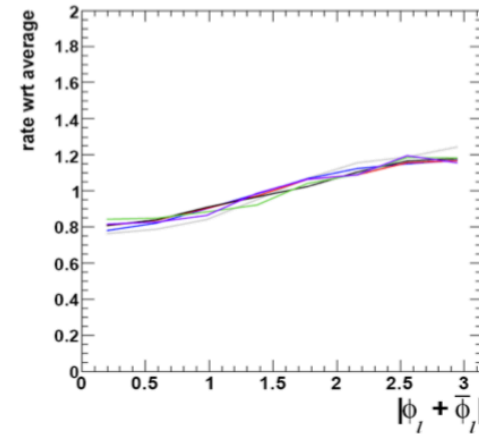
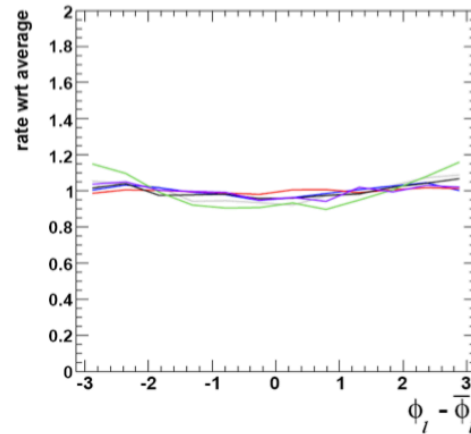
minimal  $\nu$

visible

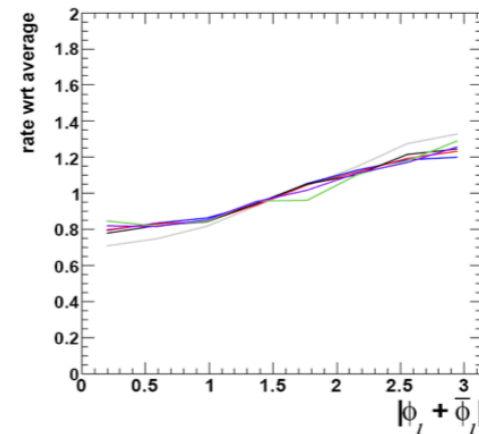
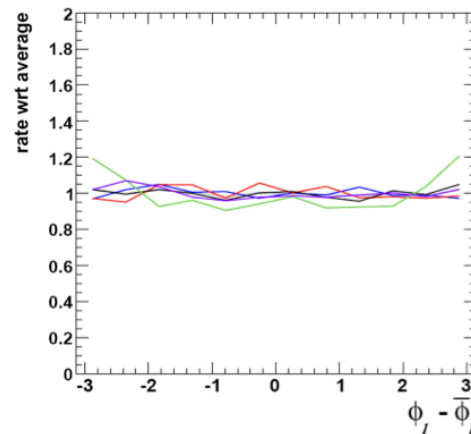
real quartic

Bai-Han

1 TeV Standard Model



2 TeV Standard Model



# l+Jets

- Pros
  - rate X 6
    - e.g., probe up to higher-mass resonances
    - more stats allows harder centrality cuts to enhance modulations
  - easier to fully reconstruct
    - better peak -> better S/B with less severe cuts
- Cons
  - smaller modulation effects
    - 40% if we correlate lepton with a b-(sub)jet
    - 50% if we correlate lepton with softest (sub)jet in top rest frame
  - need some (sub)jet identification
    - b-tag or internal kinematics

# Summary

- Azimuthal decay correlations directly encode helicity interference effects and tell us about top couplings to new resonances
  - discriminate vector from axial vector using *sum* of angles
  - directly measure scalar CP phase using difference of angles
  - discriminate spin-0 from spin  $> 0$  (yet again!)
  - also visible in the SM continuum boosted tops
- They look surprisingly easy to reconstruct in dileptonic mode, even though two neutrinos
  - largest modulations amongst top decay modes
  - can still reconstruct the resonance, more or less...simple  $m_{\ell\ell}$  estimators seem to work best
  - the modulation is highly forgiving to crazy reconstructions, including ignoring the neutrinos entirely
- Improvable in  $l+jets$ ?

# Other Scenarios, Other Coefficients

gg -> spin-1 (color octet)

$$\frac{d^2\Gamma_{J_{\text{beam}}=0}}{d(\phi_e + \bar{\phi}_e) d\cos\Theta} \propto \sin^2\Theta \left[ 1 + \left(\frac{\pi}{4}\right)^2 \sin(2\xi) \cos(\phi_e + \bar{\phi}_e) \right]$$

q $\bar{q}$  -> spin-2

$$\frac{d\Gamma_{J_{\text{beam}}=\pm 1}}{d(\phi_e + \bar{\phi}_e)} \propto 1 + \frac{1}{6} \left(\frac{\pi}{4}\right)^2 \sin(2\xi) \cos(\phi_e + \bar{\phi}_e)$$

gg -> spin-2

$$\frac{d\Gamma_{J_{\text{beam}}=\pm 2}}{d(\phi_e + \bar{\phi}_e)} \propto 1 - \frac{2}{3} \left(\frac{\pi}{4}\right)^2 \sin(2\xi) \cos(\phi_e + \bar{\phi}_e)$$