



# Search for $B \rightarrow \mu^+ \mu^-$ at CDF

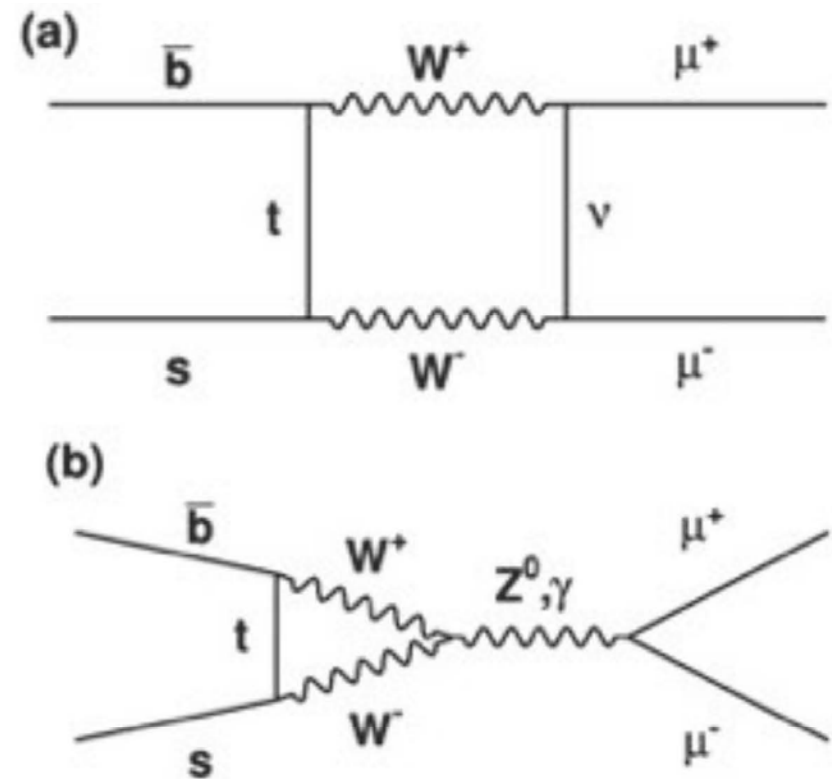
**Kevin Pitts**  
**University of Illinois**

**DPF 2011, Providence**



# Motivation

- SM rate well understood
- SM rate is small,  $3.2 \times 10^{-9}$
- Broad class of NP models (scalar operators) enhance it by  $O(1-100)$
- Clean signature
- Current experimental limits closing in on SM sensitivity

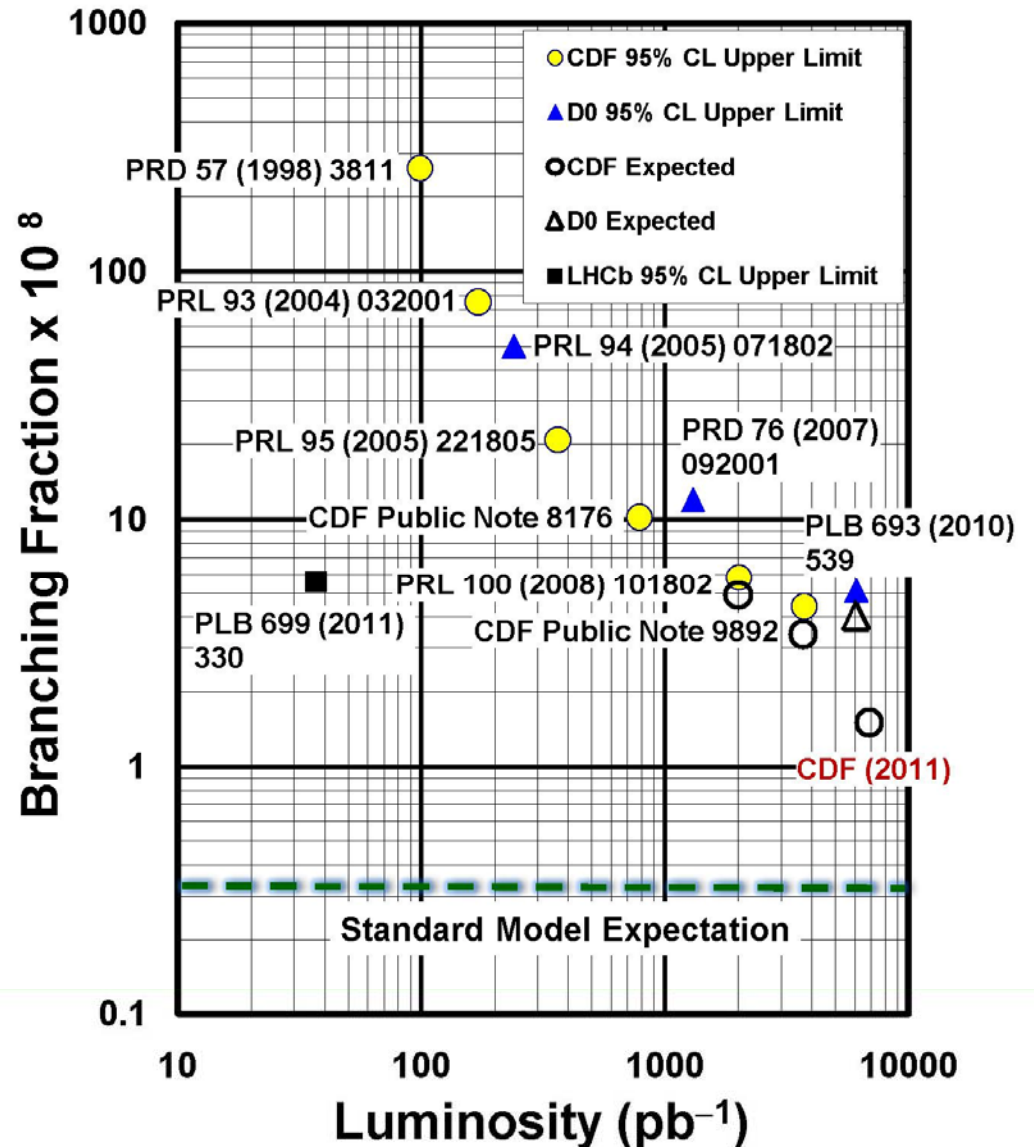




# History through spring 2011

- Limit has improved by more than x10 since 2004
- 2011 projected sensitivity about a factor of 5 away from standard model

95% CL Limits on  $\mathcal{B}(B_s \rightarrow \mu\mu)$





# Normalize to $B^+ \rightarrow J/\psi K^+$ decays

- Number of reconstructed  $B_s$  decays:

$$N_{B_s} = 2\mathcal{L}\sigma_{b\bar{b}}f_s\mathcal{B}(B_s \rightarrow \mu^+\mu^-)\alpha_{B_s}\epsilon_{B_s}$$

- Number of reconstructed  $B^+$  decays:

$$N_{B^+} = 2\mathcal{L}\sigma_{b\bar{b}}f_u\mathcal{B}(B^+ \rightarrow J/\psi K^+)\mathcal{B}(J/\psi \rightarrow \mu^+\mu^-)\alpha_{B^+}\epsilon_{B^+}$$

- $\sigma_{bb}$  and  $\mathcal{L}$  cancel in ratio:

$$\begin{aligned}\mathcal{B}(B_s \rightarrow \mu^+\mu^-) &= \frac{N_{B_s}}{N_{B^+}} \frac{\alpha_{B^+}\epsilon_{B^+}}{\alpha_{B_s}\epsilon_{B_s}} \frac{f_u}{f_s} \mathcal{B}(B^+ \rightarrow J/\psi K^+) \mathcal{B}(J/\psi \rightarrow \mu^+\mu^-) \\ &= \frac{N_{B_s}}{N_{B^+}} \frac{\alpha_{B^+}}{\alpha_{B_s}} \frac{\epsilon_{B^+}^{trig}}{\epsilon_{B_s}^{trig}} \frac{\epsilon_{B^+}^{reco}}{\epsilon_{B_s}^{reco}} \frac{1}{\epsilon_{B_s}^{NN}} \frac{f_u}{f_s} \mathcal{B}(B^+ \rightarrow J/\psi K^+) \mathcal{B}(J/\psi \rightarrow \mu^+\mu^-)\end{aligned}$$



# In a nutshell

$$\mathcal{B}(B_s \rightarrow \mu^+ \mu^-) = \frac{N_{B_s}}{N_{B^+}} \alpha_{B^+} \frac{\epsilon_{B^+}^{trig} \epsilon_{B^+}^{reco}}{\alpha_{B_s} \epsilon_{B_s}^{trig} \epsilon_{B_s}^{reco}} \frac{1}{\epsilon_{B_s}^{NN}} \frac{f_u}{f_s} \mathcal{B}(B^+ \rightarrow J/\psi K^+) \mathcal{B}(J/\psi \rightarrow \mu^+ \mu^-)$$

*Measure yields* (points to  $\frac{N_{B_s}}{N_{B^+}}$ )

*Acceptance from Monte Carlo* (points to  $\alpha_{B^+}$ )

*Efficiencies from data & MC* (points to  $\frac{\epsilon_{B^+}^{trig} \epsilon_{B^+}^{reco}}{\epsilon_{B_s}^{trig} \epsilon_{B_s}^{reco}}$ )

*Fragmentation fractions and BR from PDG* (points to  $\frac{1}{\epsilon_{B_s}^{NN}} \frac{f_u}{f_s} \mathcal{B}(B^+ \rightarrow J/\psi K^+) \mathcal{B}(J/\psi \rightarrow \mu^+ \mu^-)$ )

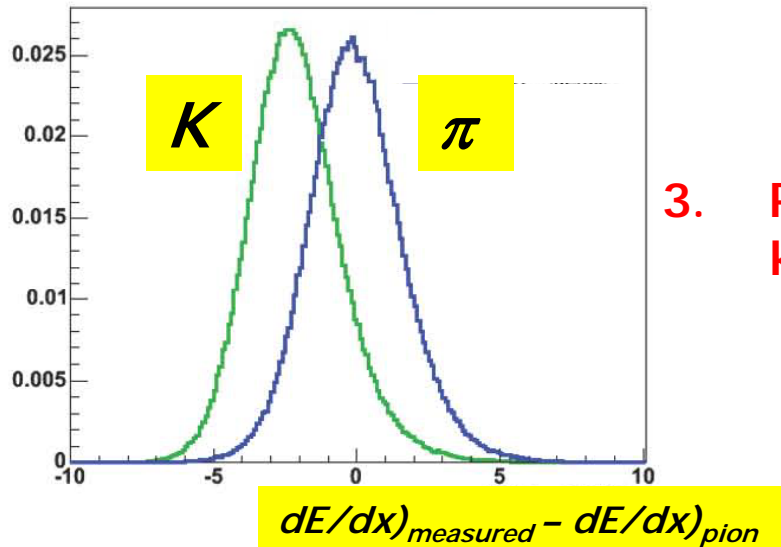
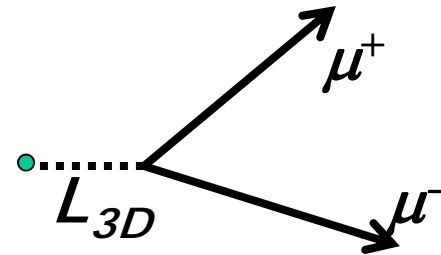
## Additional aspects:

- Use neural net, optimize selection
- Extraction of  $N$  additionally requires evaluation of background contributions.
- Analysis is statistics limited
- Many systematics cancel in ratio, dominant syst. is  $f_u/f_s!$



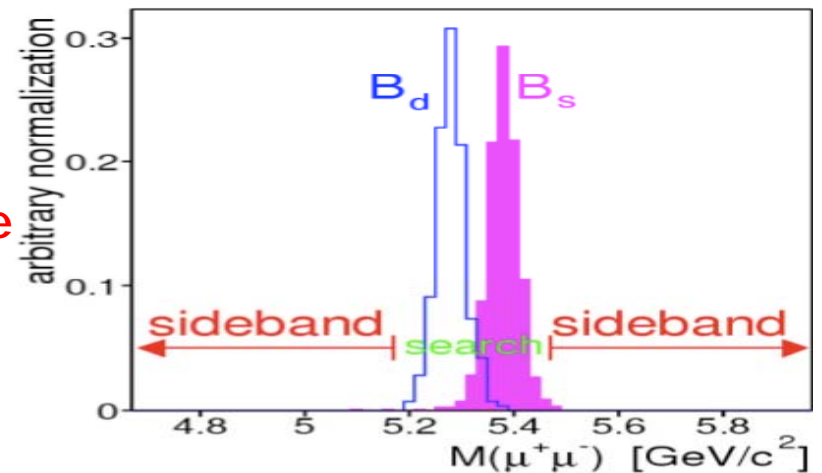
# Experimental considerations

1. Want high yield, need trigger/DAQ to handle high event rates
2. Use long  $B$  lifetime to reject enormous prompt background, need good impact parameter resolution.



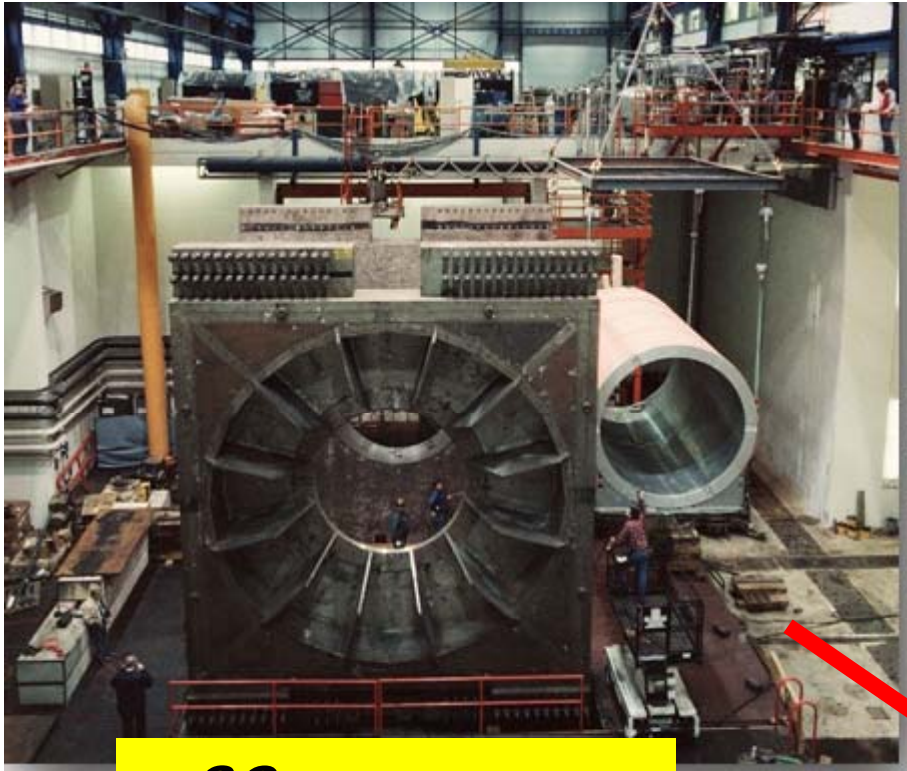
3. Particle ID reduces fake muon (particularly kaon) background

4. Good mass resolution, minimize the amount of background under peak  
CDF:  $\sigma_{\mu\mu} = 24 \text{ MeV}/c^2$  at 5.3 GeV



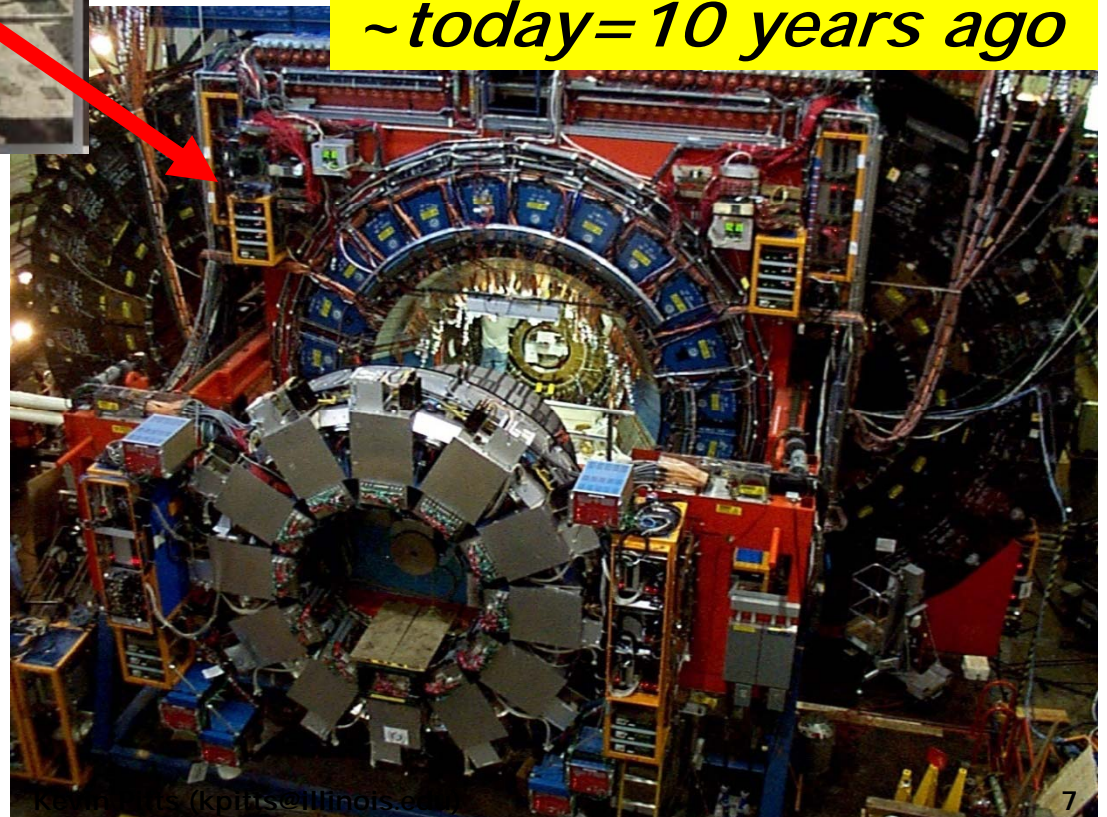
# The CDF Detector

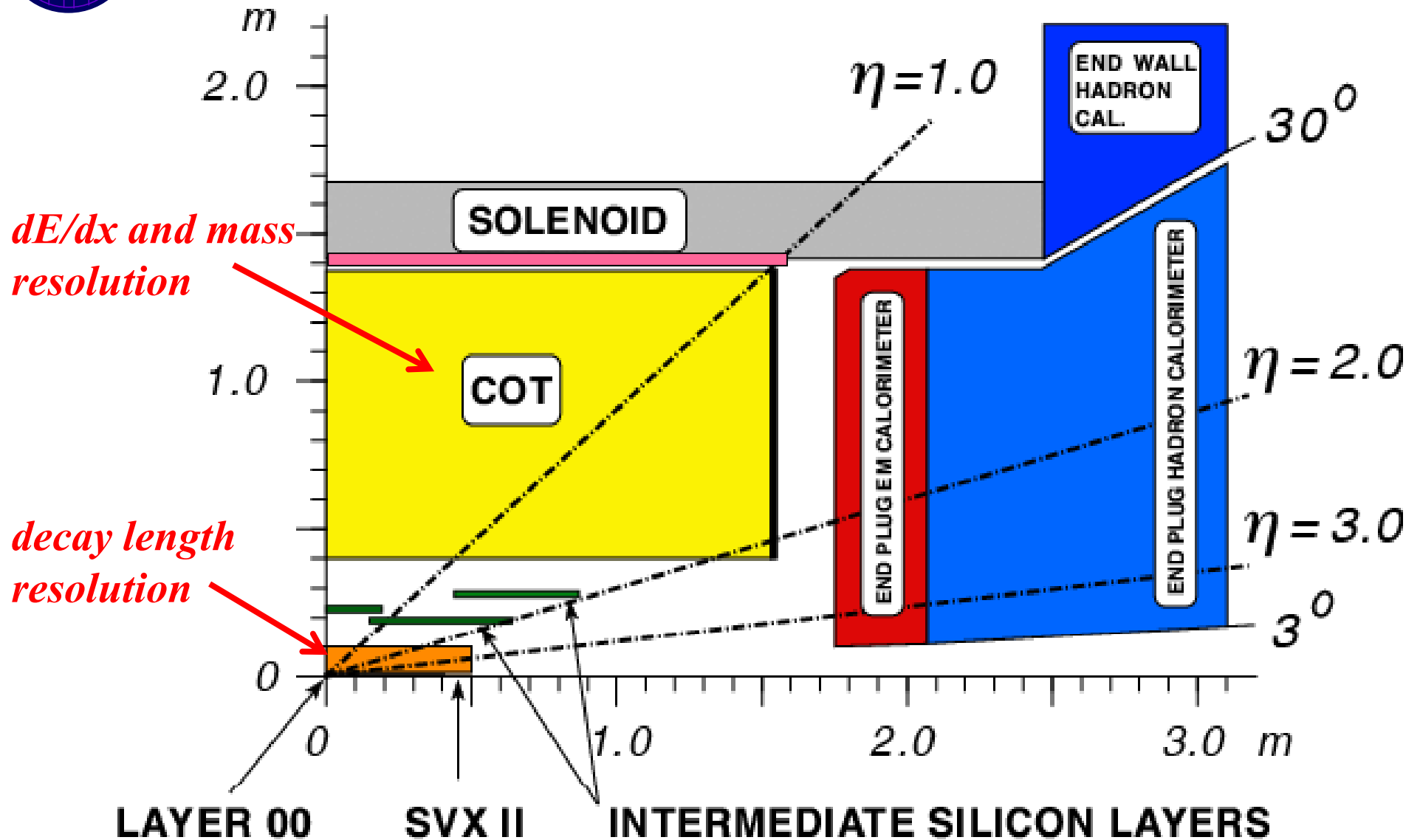
- Central tracking
- Silicon vertex detector
- Good lepton identification
- Particle ID (TOF and  $dE/dx$ )
- High rate trigger/DAQ system



*~30 years ago*

*~today=10 years ago*

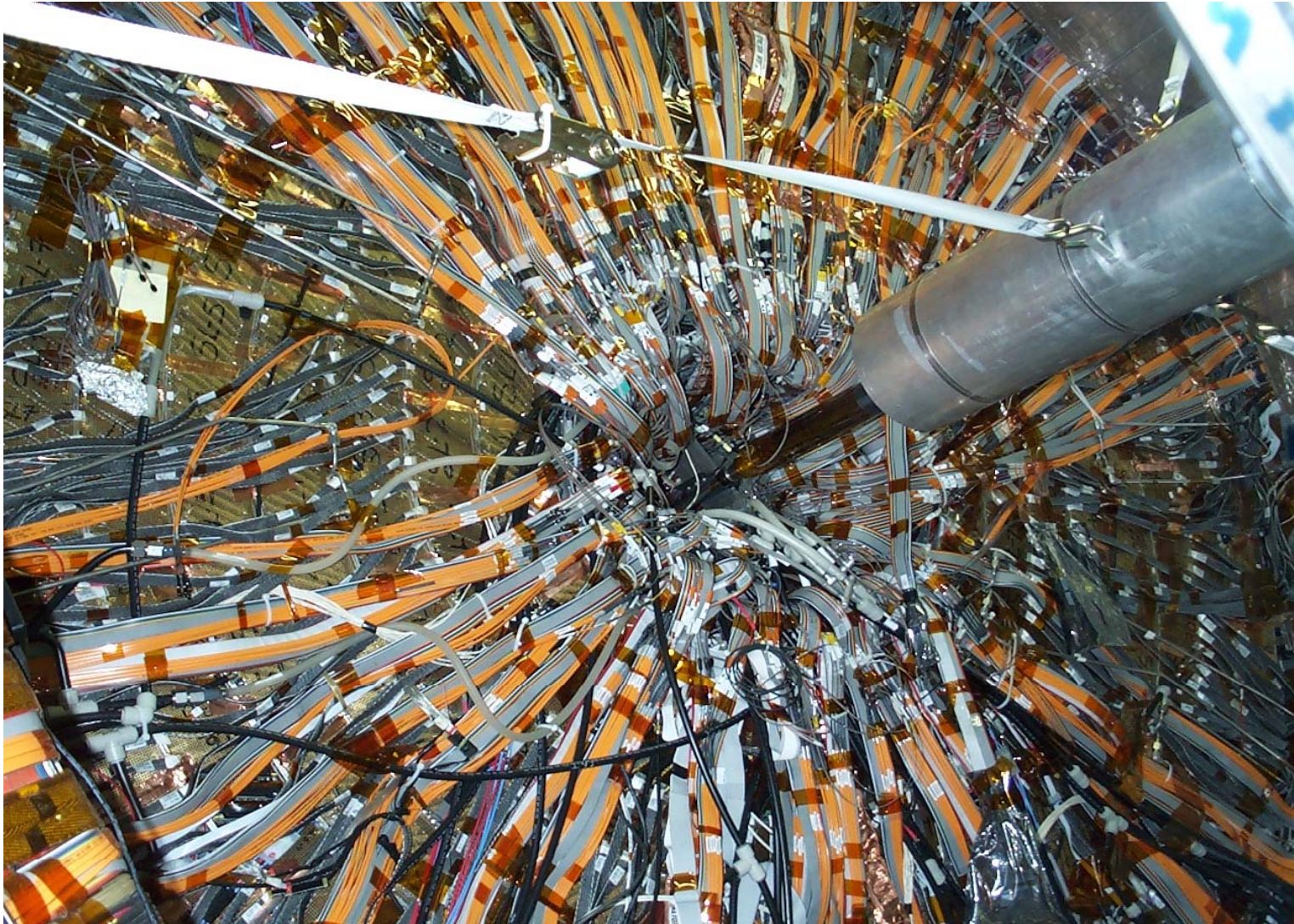








# What it looks like ~~in~~ on the end



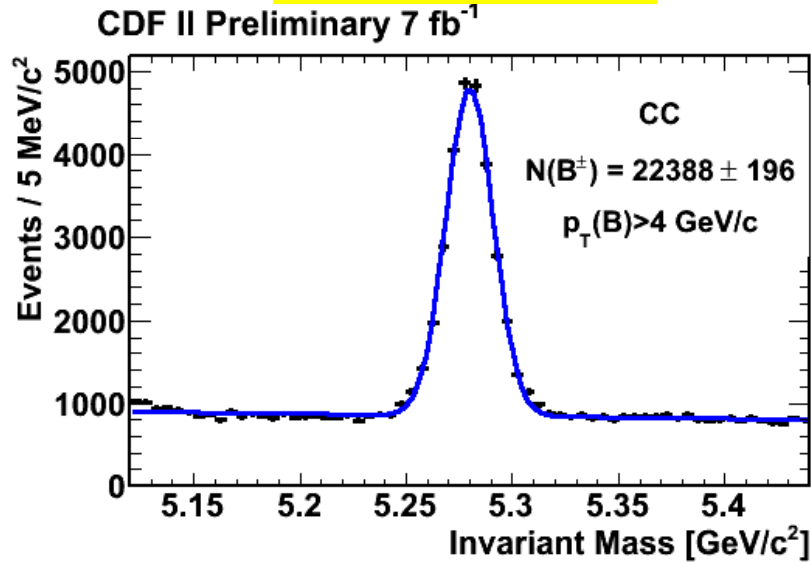


# Baseline selection

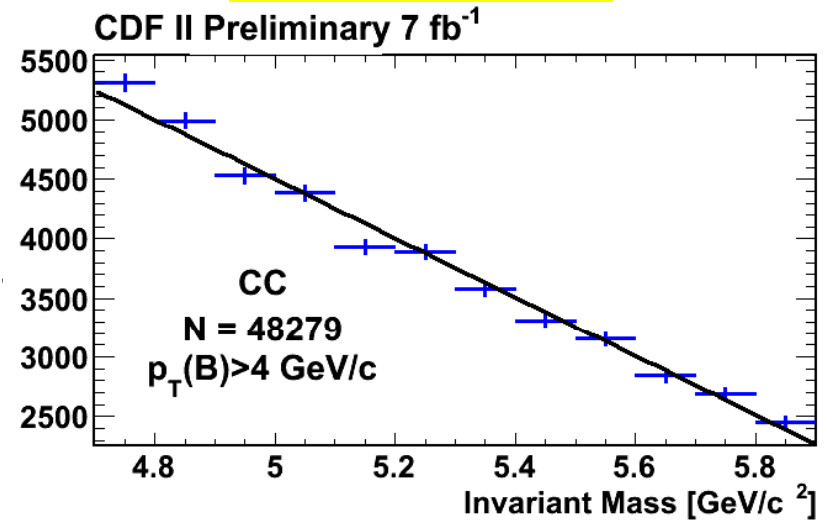
Before neural net selection.

central/central events

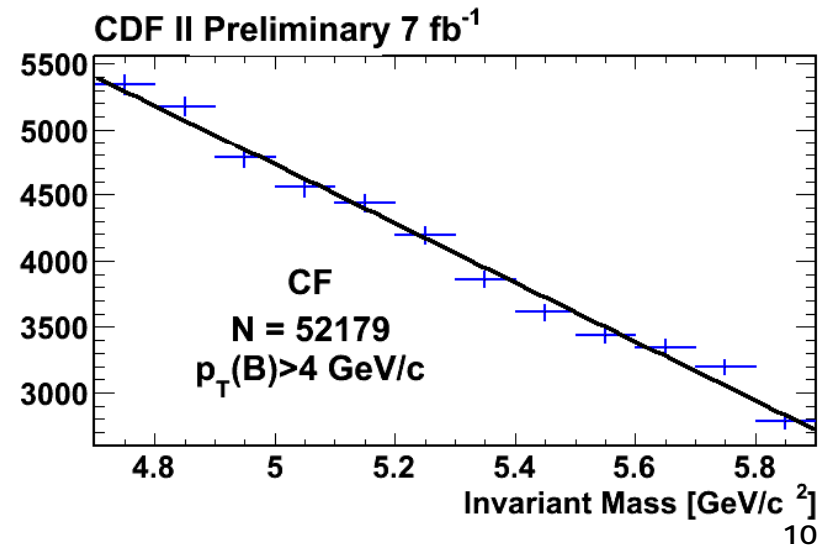
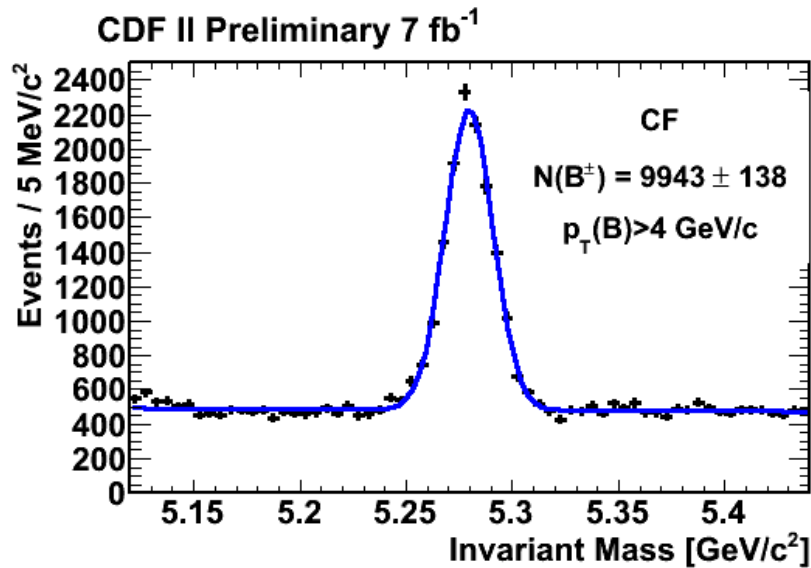
$$B^+ \rightarrow J/\psi K^+$$



$$B^0 \rightarrow \mu^+ \mu^-$$



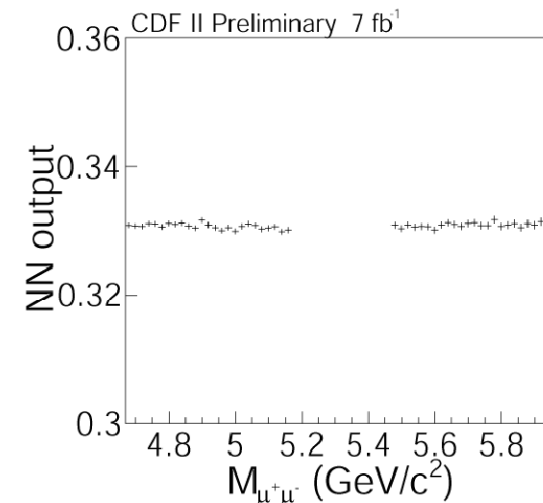
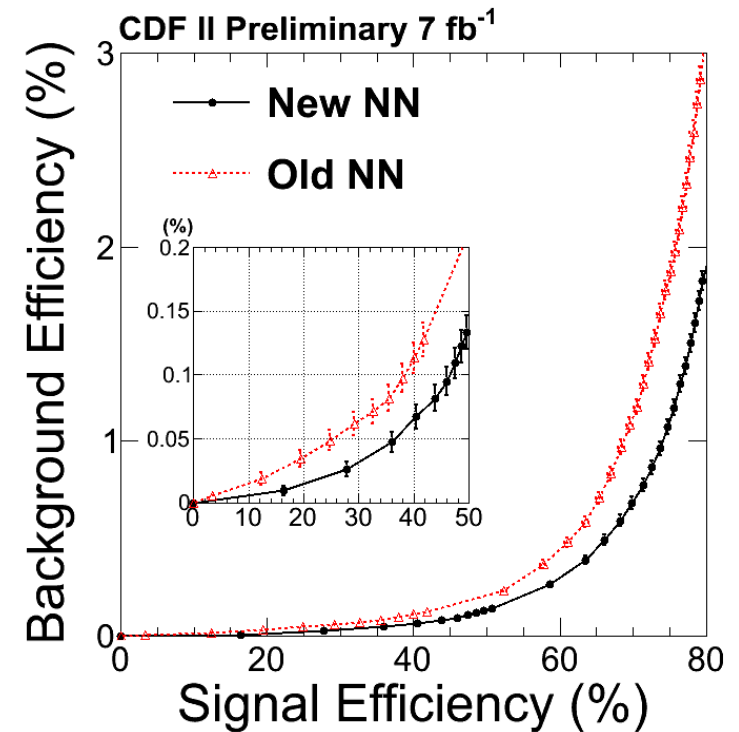
central/forward events





# Neural Net Selection

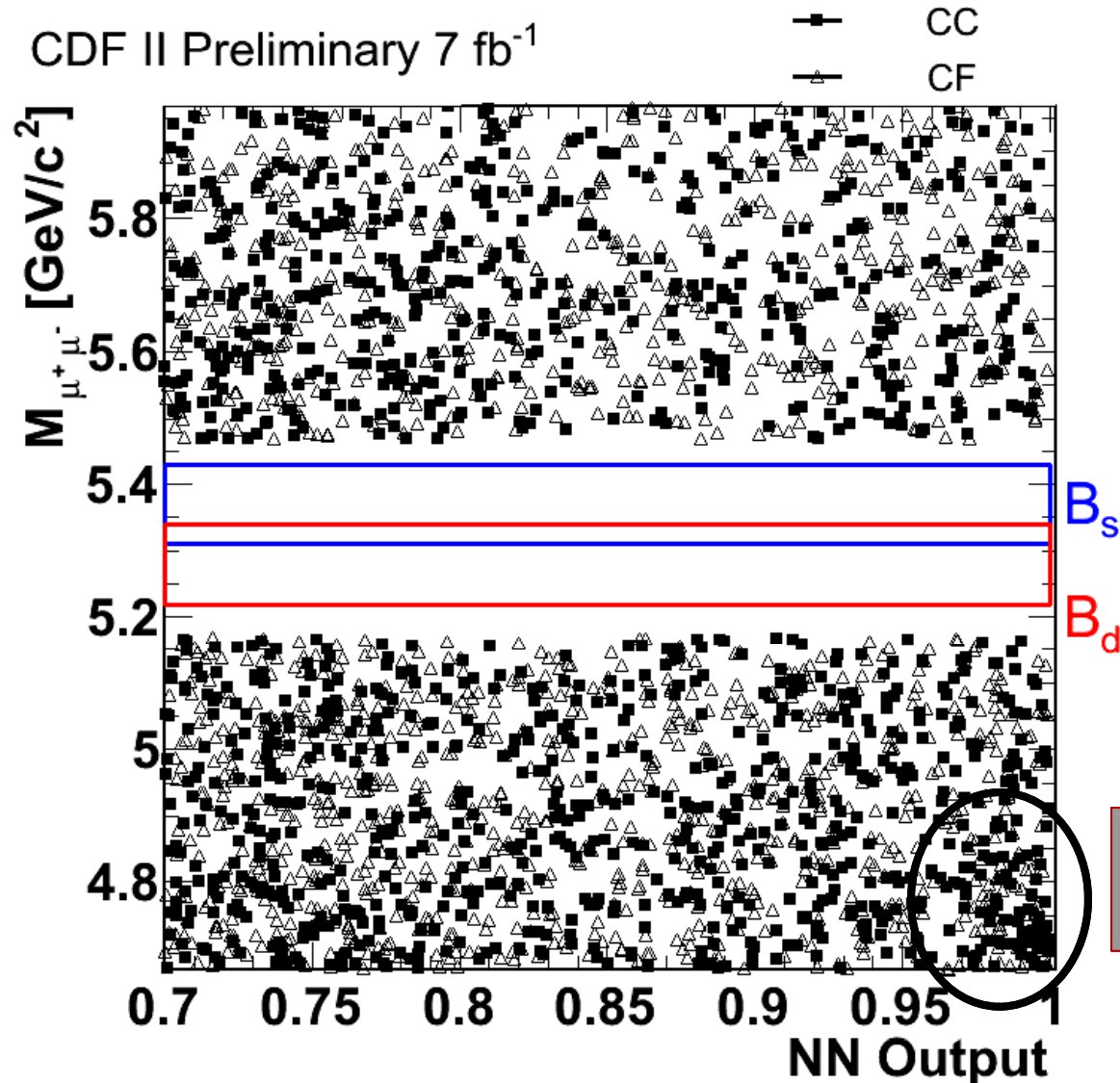
- Improved with respect to previous analysis
- Blind optimization for  $B_s \rightarrow \mu\mu$  expected limit
- Carefully check for bias
  - mass dependence
  - overtraining
    - check with sideband data





# NN vs. Mass, Still Blinded

CDF II Preliminary 7 fb<sup>-1</sup>



→ → higher NN = more signal-like → →

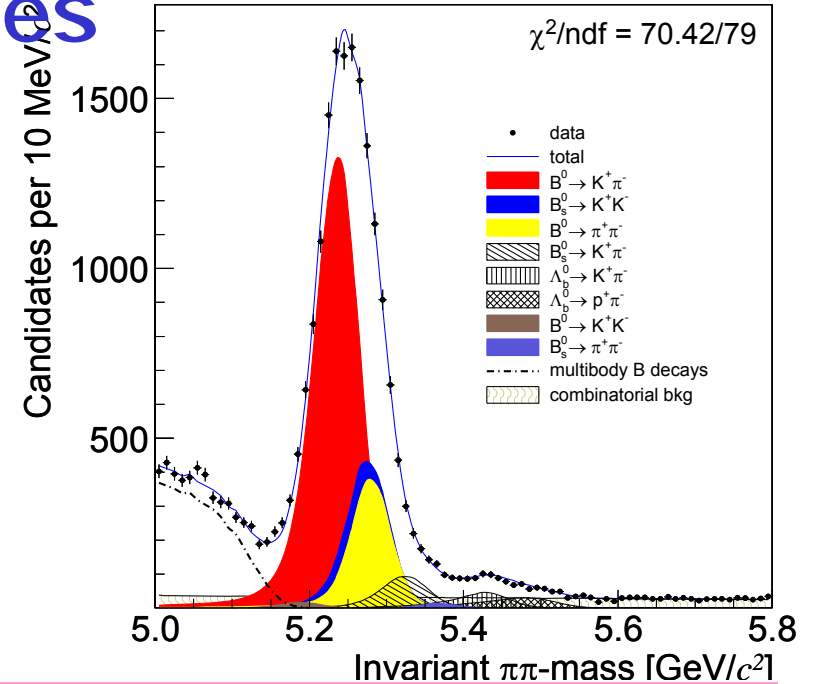
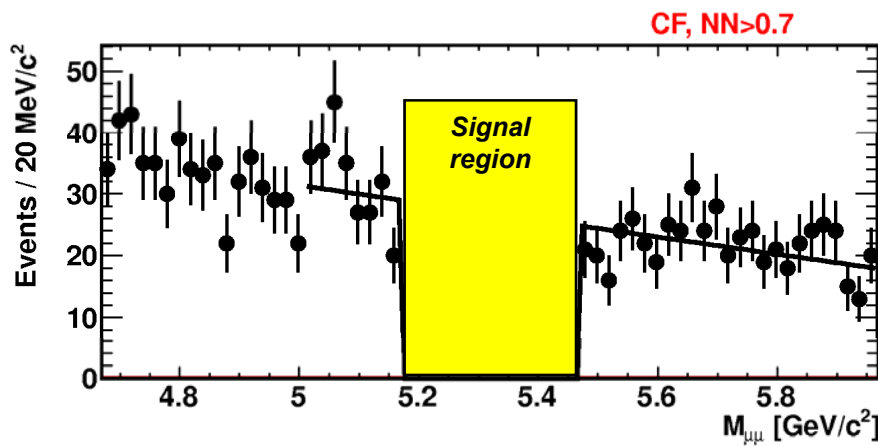
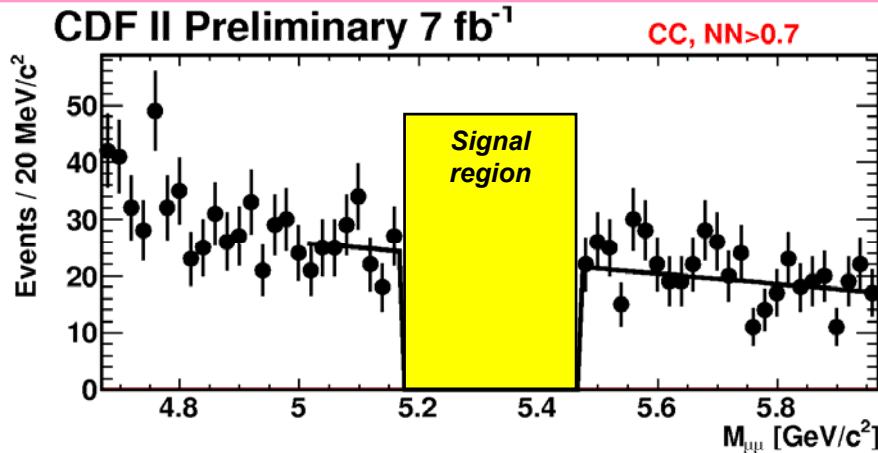


# Background Estimates

CDF Run II Preliminary  $\int L dt = 6.11 \text{ fb}^{-1}$

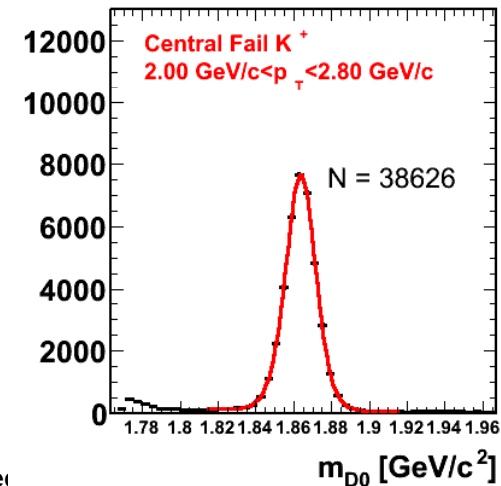
## Combinatoric background:

- Estimated from sidebands
- Exclude partial reconstructions



## Peaking background:

- From  $B \rightarrow hh'$
- Muon misID rate from  $D^*$  tagged  $D^0$





# Checks on Control Regions

	Control Sample	Prediction	Nobs	Prob( $N \geq Nobs$ )
<i>Negative lifetime</i>	OS-	$2140.0 \pm 53.9$	1999	98%
<i>Same-sign muons</i>	SS+	$19.7 \pm 3.4$	25	19%
	SS-	$46.8 \pm 5.3$	53	25%
<i>Fake muon enhanced</i>	FM+	$567.8 \pm 25.4$	593	24%
	Sum	$2774.3 \pm 59.9$	2670	91%

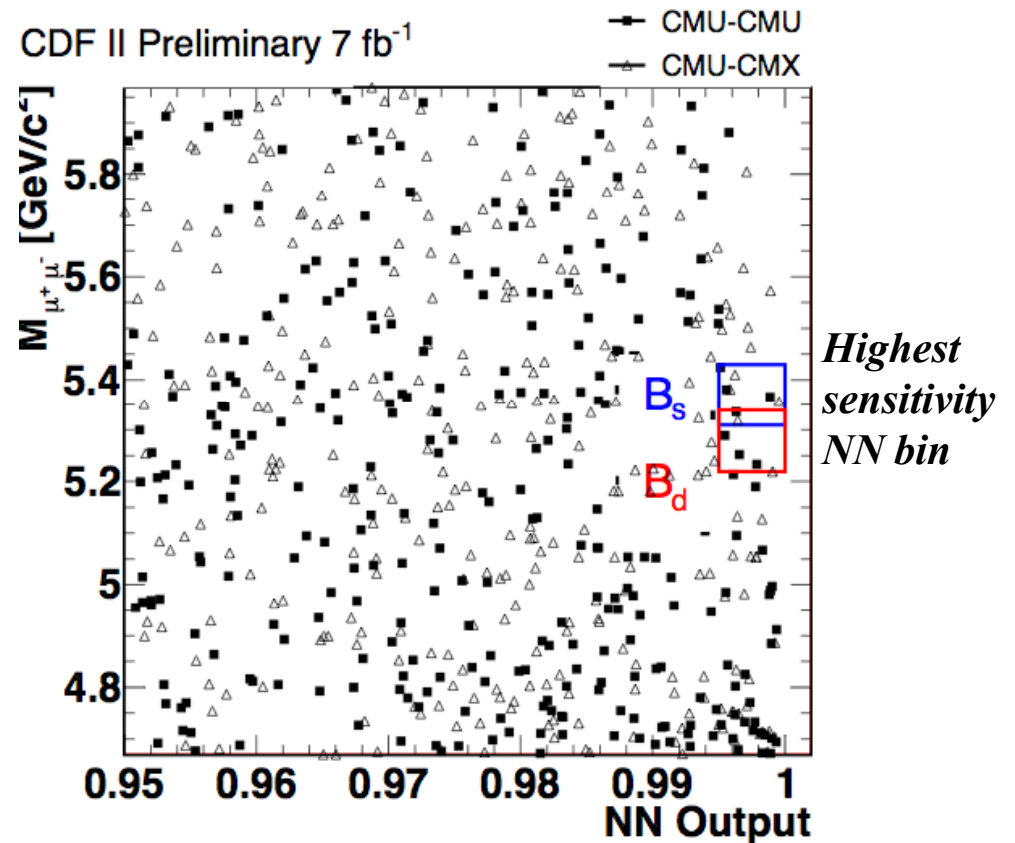
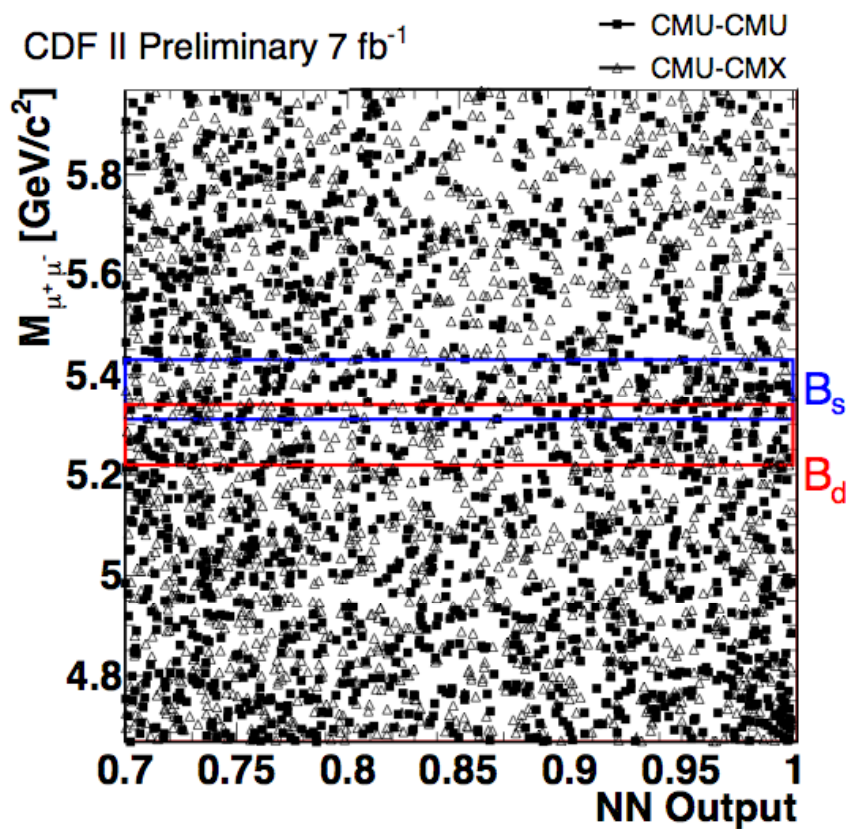
**Table:** A comparison of the predicted and observed number of events in an extended signal mass region for all NN cuts for all the control samples. This is used as a cross check of the background estimates.



# $B \rightarrow \mu^+ \mu^-$ search: opening the box

## Expected Sensitivity:

$$\mathcal{B}(B_s \rightarrow \mu^+ \mu^-) < 1.5 \times 10^{-8} @95\%CL \quad \mathcal{B}(B^0 \rightarrow \mu^+ \mu^-) < 4.6 \times 10^{-9} @95\%CL$$

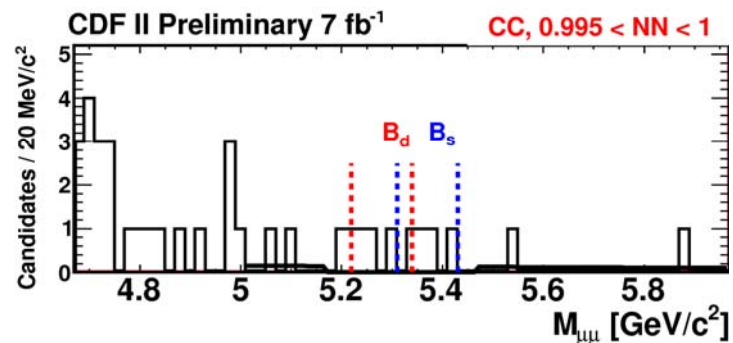
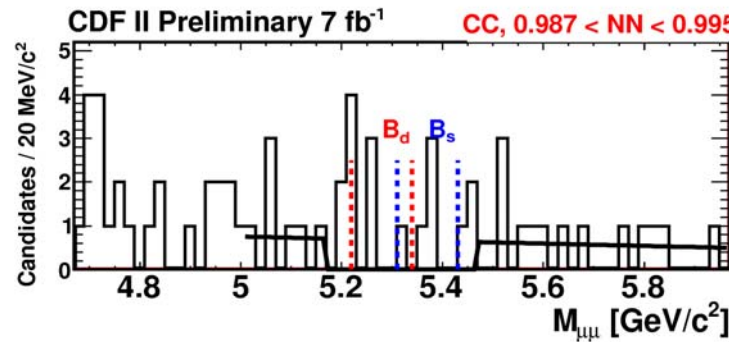
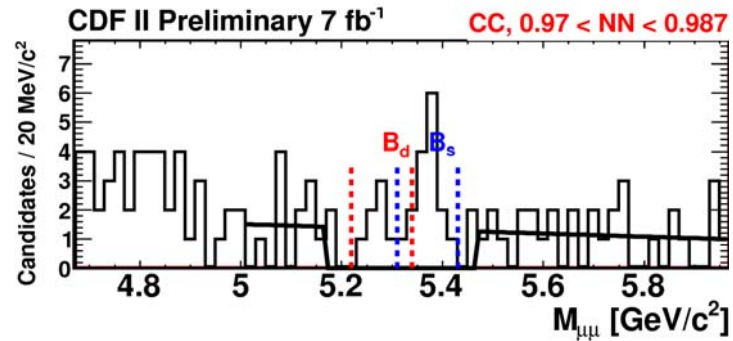
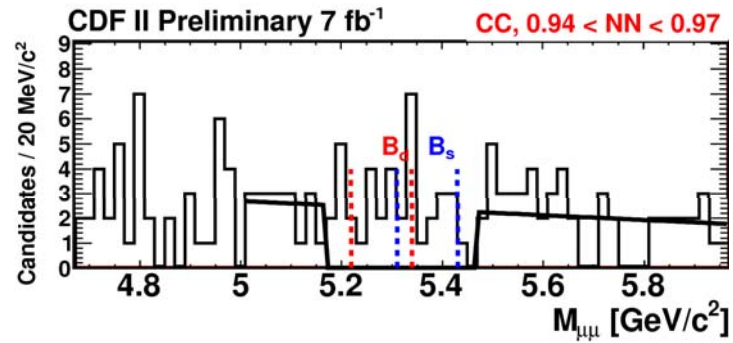


*zoom*



Increasing NN

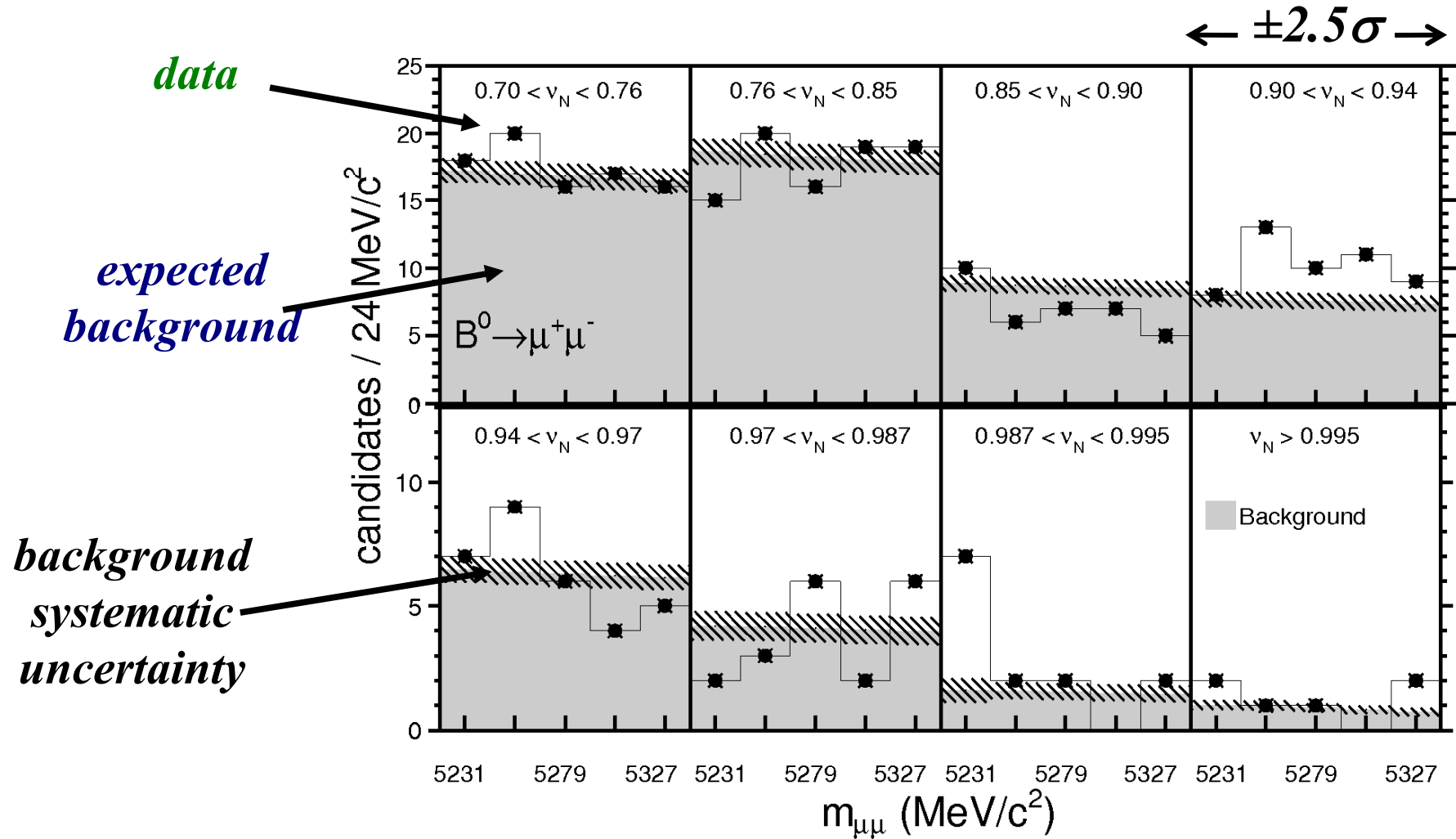
Showing CC only,  
highest purity NN bins







# $B^0$ Search Window

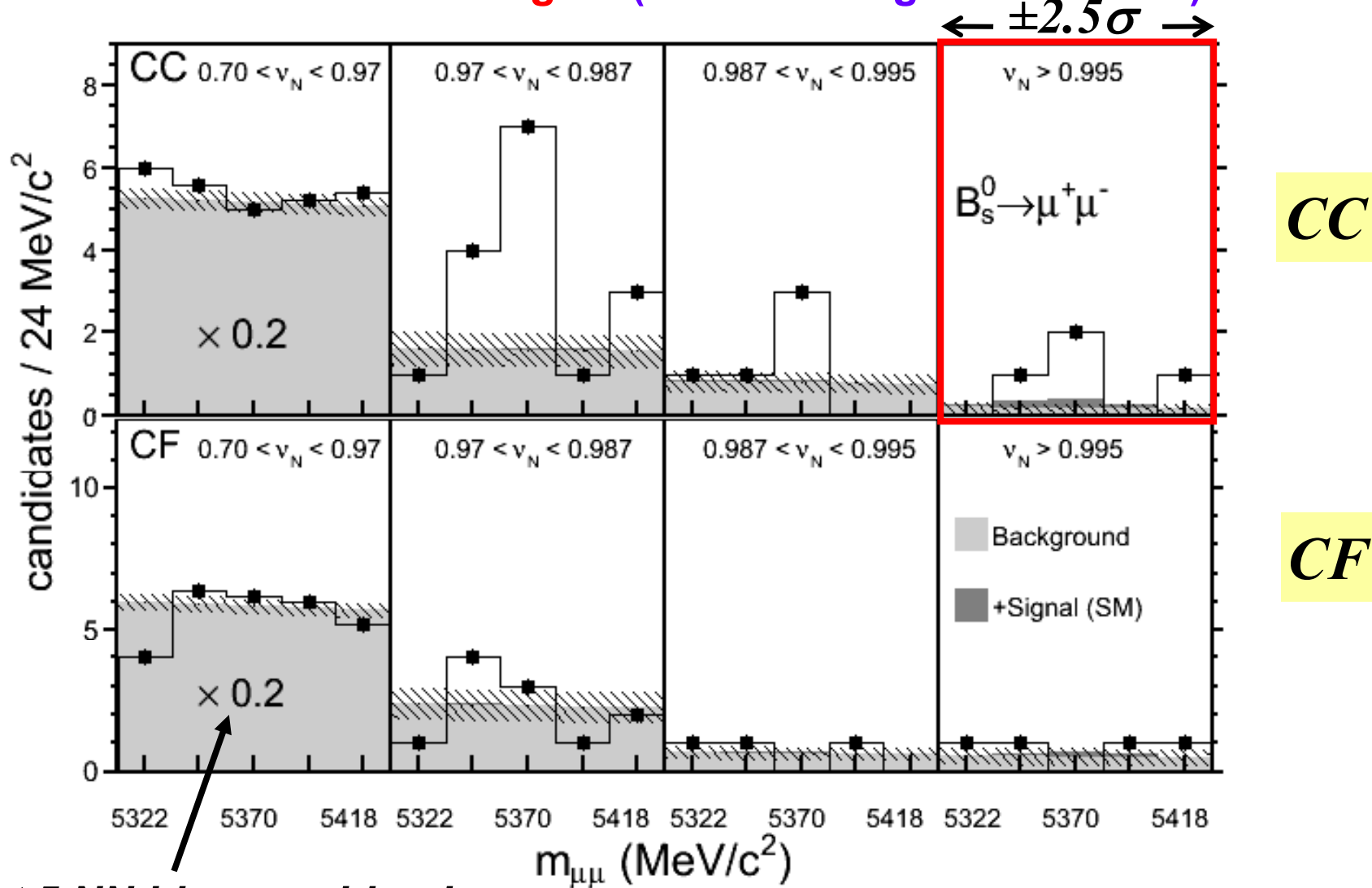


observed  $\mathcal{B}(B^0 \rightarrow \mu^+ \mu^-) < 6.0 \times 10^{-9}$  95% CL



# $B_s \rightarrow \mu^+ \mu^-$ Signal Window

- Include assumed SM signal (almost all signal  $NN > 0.995$ )



**First 5 NN bins combined**



# $B_s \rightarrow \mu^+ \mu^-$ : Observed Limit

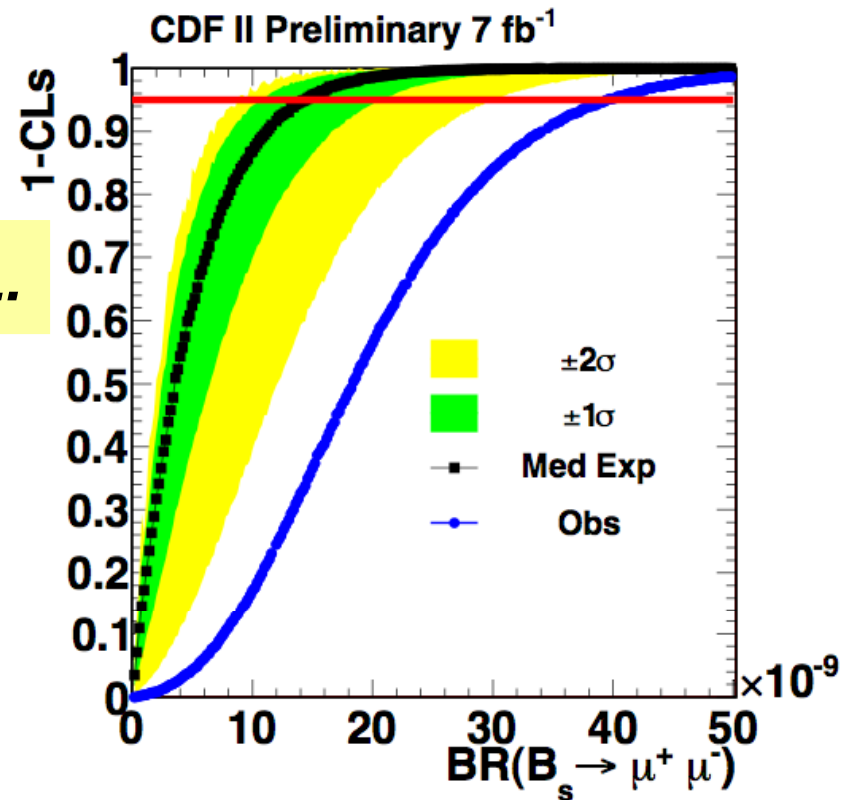
Using the CLs method, we observe

$$\mathcal{B}(B_s \rightarrow \mu^+ \mu^-) < 4.0 \times 10^{-8} \text{ @ 95\% C.L.}$$

Compare to the expected limit

$$\mathcal{B}(B_s \rightarrow \mu^+ \mu^-) < 1.5 \times 10^{-8}$$

well outside the  $2\sigma$  consistency band



**Need statistical interpretation of the observed excess:**

- what is the level of inconsistency with the background?
- what does a fit to the data in the  $B_s$  search window yield?

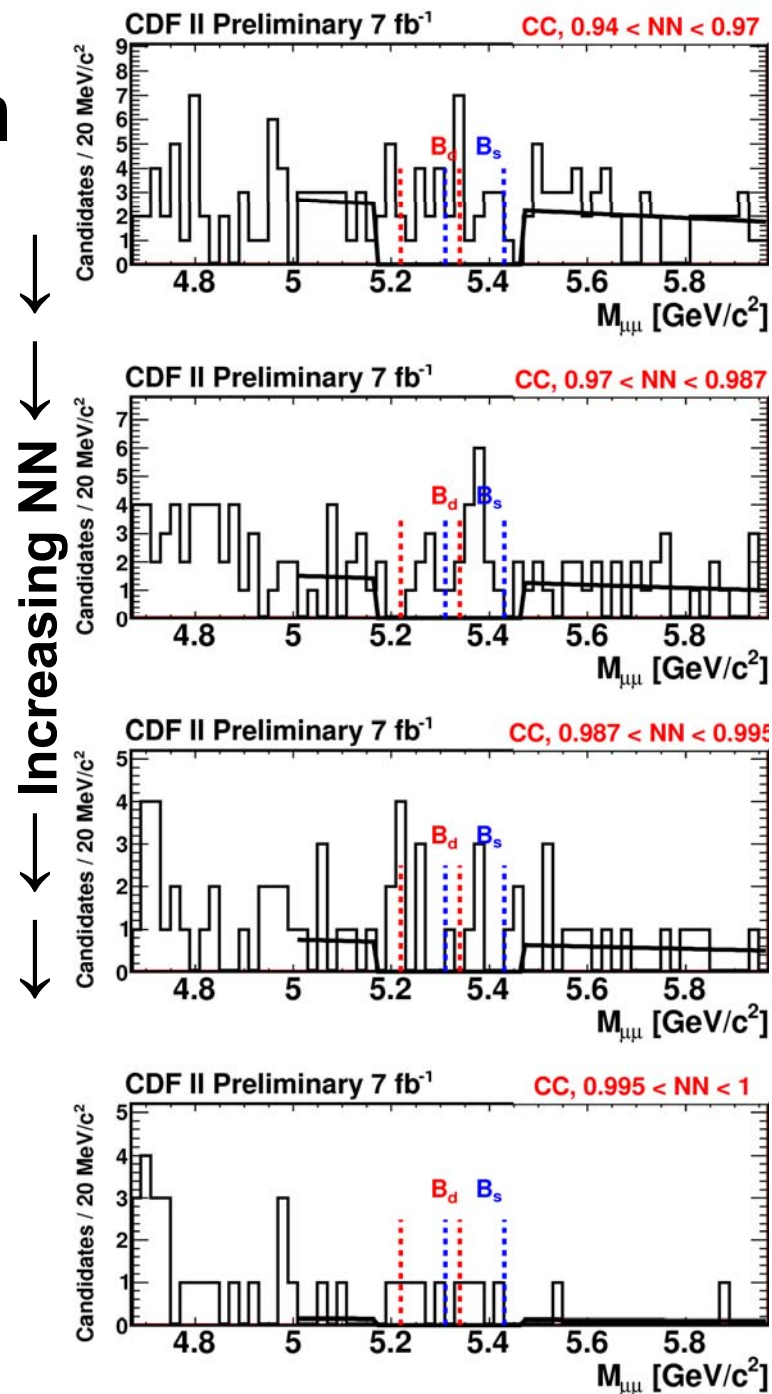


# $B_s \rightarrow \mu^+ \mu^-$ Signal Region

- Use simulated experiments to evaluate consistency
  - include systematics.

p-value=0.27%  
for background only hypothesis

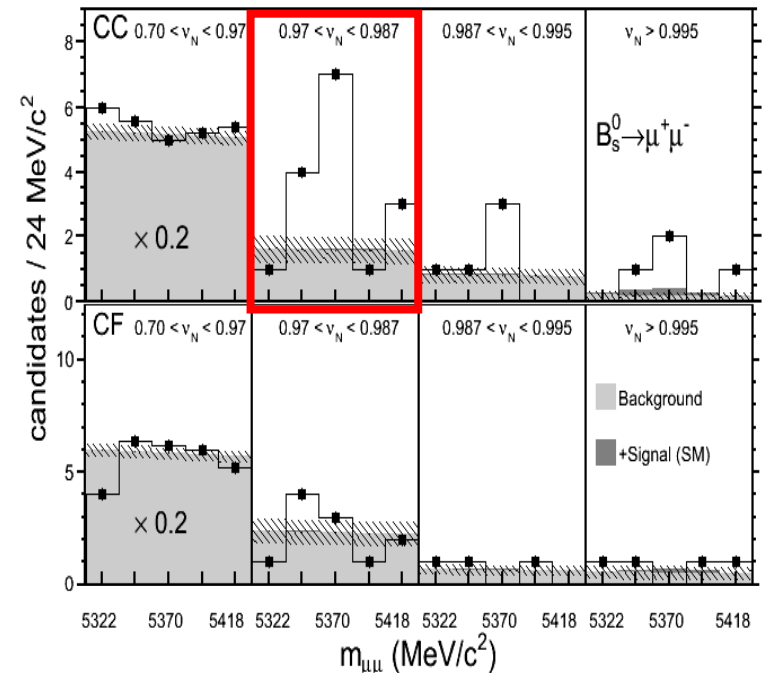
p-value=1.9% for SM signal plus  
background hypothesis



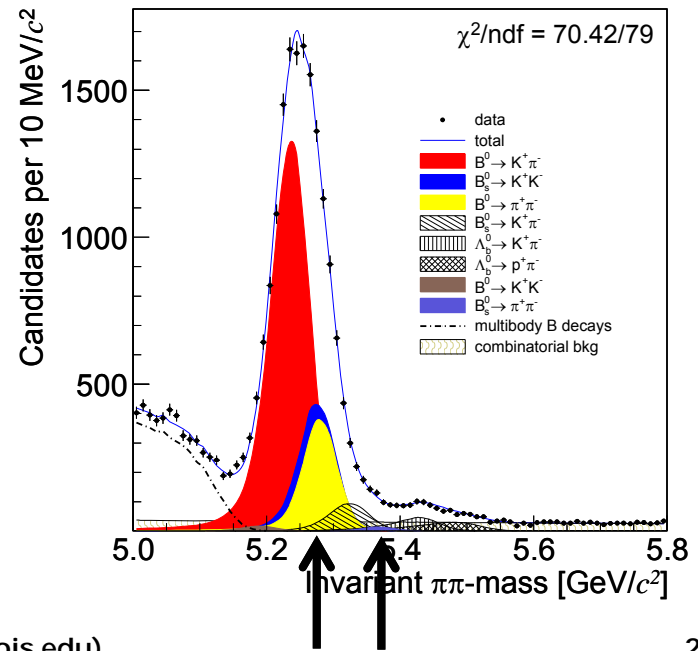


# FAQ: Excess in 3<sup>rd</sup> Highest NN Bin

- **Reminder:**  $B^0$  analysis uses same sidebands, fits, mis-ID probabilities.
- Used “blinded” choices to avoid bias
- **We also considered:**
  - peaking bkgd. ( $B \rightarrow hh$ )?
    - Predict 0.014  $B \rightarrow hh$  in 3<sup>rd</sup> bin.
    - Should be x10 more in  $B^0$
    - would peak at low edge in  $B_s$  search
  - NN biasing background?
    - Check NN using  $B^+ \rightarrow J/\psi K^+$
  - additional combin. bkgd.?
    - Comb. background doesn't peak
    - Prediction agrees with data in  $B^0$  region and in lower NN bins.
  - statistical fluctuation?
    - Possible for 1 out of 80 bins
- **Conclude:** likely a fluctuation.
- **Little signal expected in this bin. Results not different using just 2 highest bins**



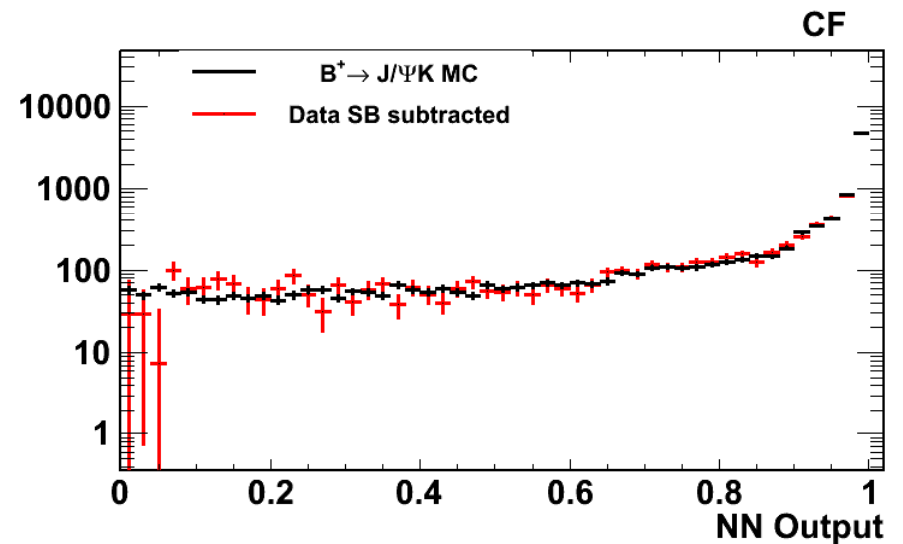
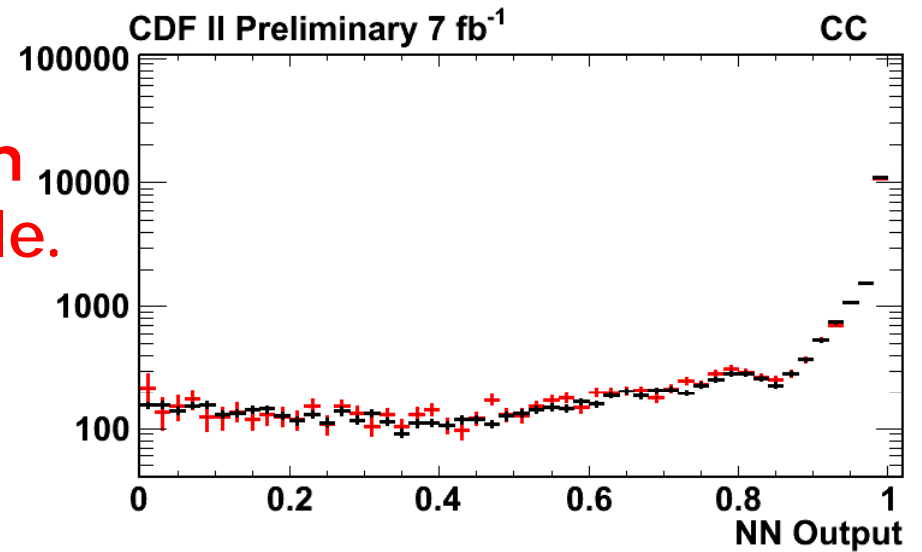
CDF Run II Preliminary  $\int L dt = 6.11 \text{ fb}^{-1}$





# Check NN modeling

- Check NN modeling in high statistics  $B^+ \rightarrow J/\psi K^+$  sample.
- Good modeling, even in highest NN bins.





# Fit to the data in the $B_s$ search window

Using the log-likelihood fit described before, we set the *first two-sided limit for the  $B_s \rightarrow \mu^+ \mu^-$  branching fraction:*

$$4.6 \times 10^{-9} < \mathcal{B}(B_s \rightarrow \mu^+ \mu^-) < 3.9 \times 10^{-8} \text{ @ 90\% CL}$$

Our central value is

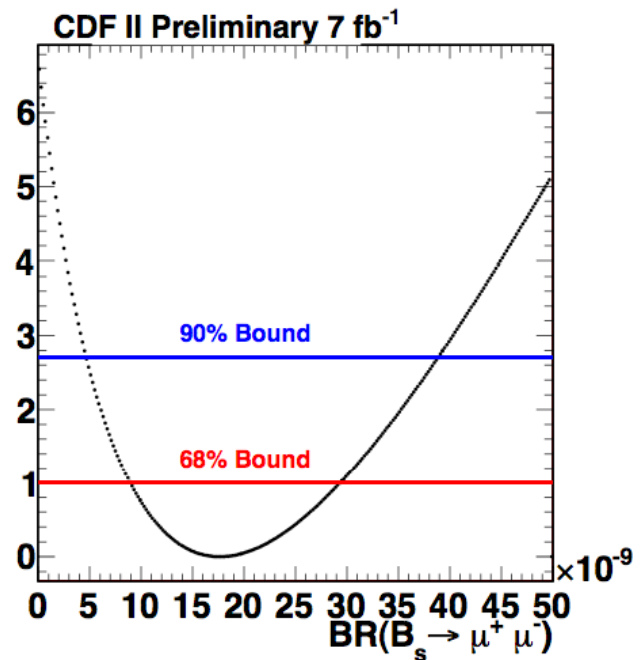
$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) = 1.8_{-0.9}^{+1.1} \times 10^{-8} \Delta\chi^2$$

Compare to SM expectation of:

$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) = (3.2 \pm 0.2) \times 10^{-9}$$

Using just 2 highest NN bins

$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) = 1.4_{-0.8}^{+1.0} \times 10^{-8}$$

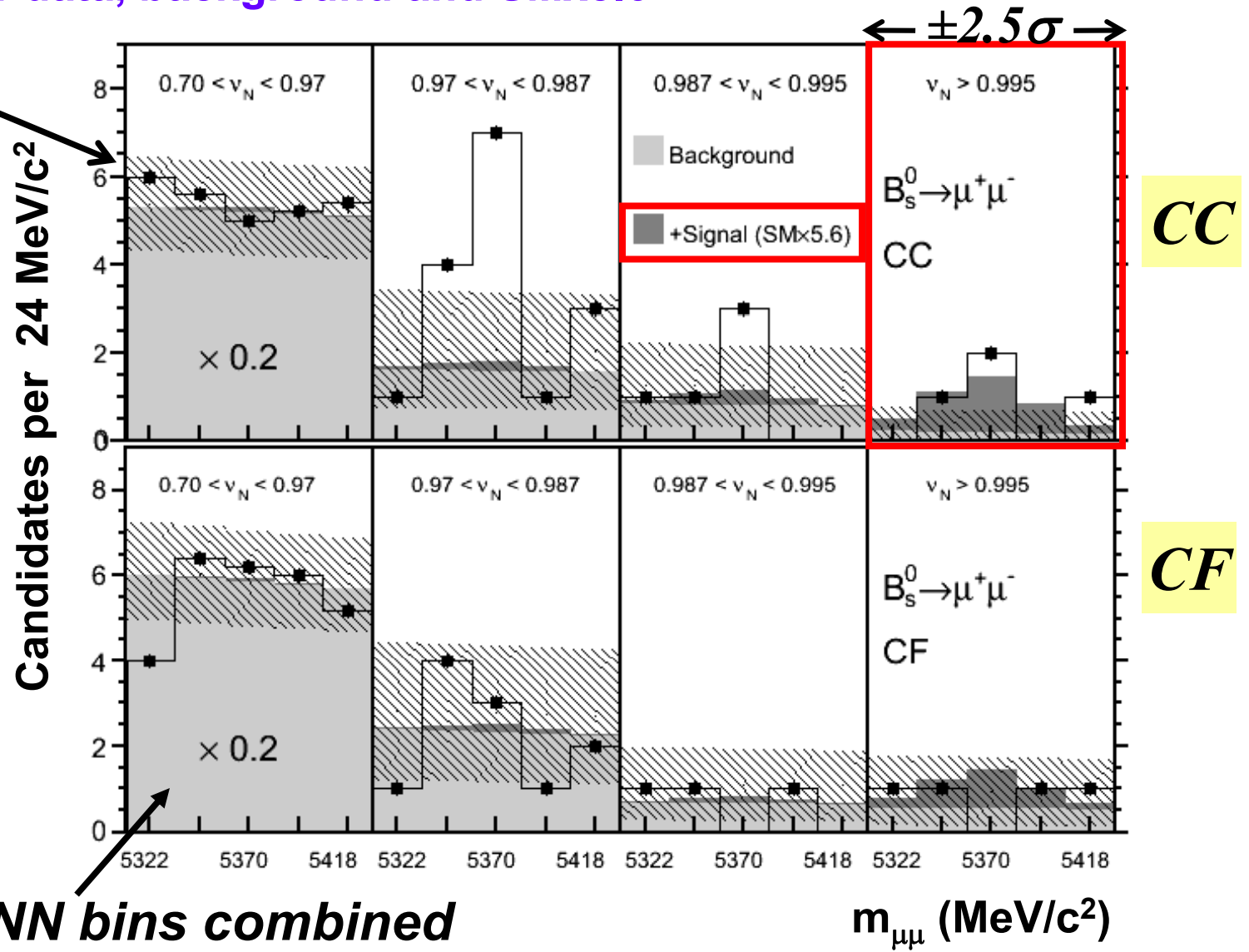




# $B_s \rightarrow \mu^+ \mu^-$ Signal Window

Show data, background and SMx5.6

Plot also incorporates Poisson errors on data into uncertainty on background.







## Compare 90% CLs

- **CDF**  $0.46 \times 10^{-8} < \mathcal{B}(B_s \rightarrow \mu^+ \mu^-) < 3.9 \times 10^{-8}$
- **LHCb**  $\mathcal{B}(B_s \rightarrow \mu^+ \mu^-) < 1.2 \times 10^{-8}$
- **CMS**  $\mathcal{B}(B_s \rightarrow \mu^+ \mu^-) < 1.6 \times 10^{-8}$



# Summary

- **New analysis with  $7 \text{ fb}^{-1}$  and significantly improved sensitivity**
- **$B^0$  : consistent with background**
- **$B_s$  : Observe excess in search window**
  - Extract two-sided confidence region on  $\mathcal{B}(B_s \rightarrow \mu^+ \mu^-)$
  - Submitted to PRL, arXiv 1107.2304

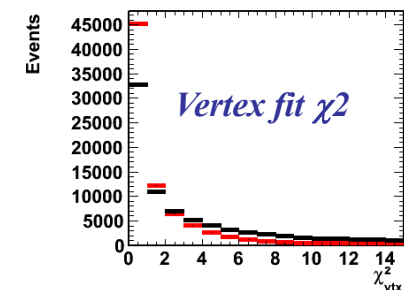
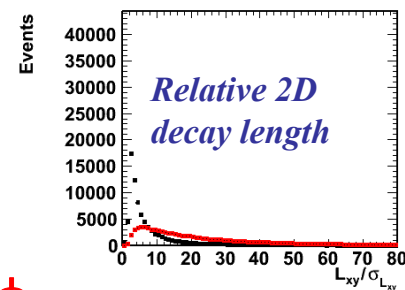
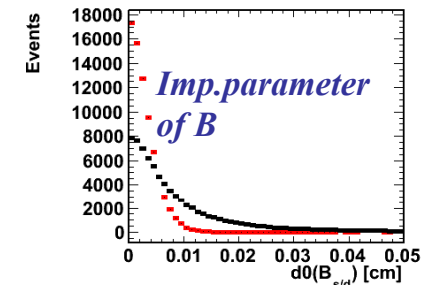
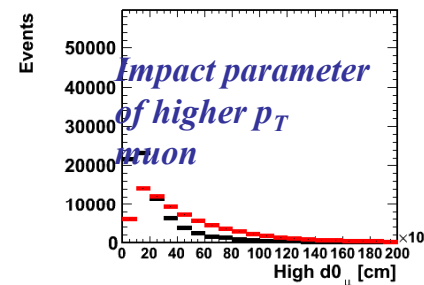
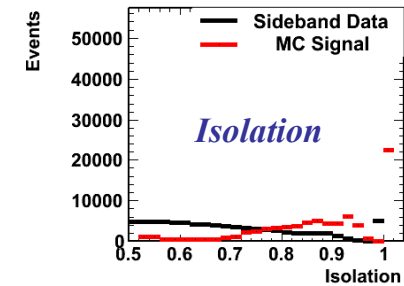
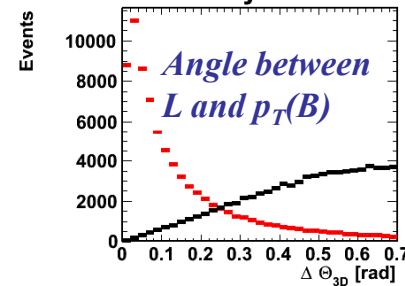


# NN Variables

Rank	Variable
1	$\Delta\alpha_{3d}$
2	Isolation
3	Larger $ d_0(\mu) $
4	$ d_0(B_s^0) $
5	$L_{2d}/\sigma_{L_{2d}}$
6	$\chi^2_{\text{vtx}}$
7	$L_{3d}$
8	Lower $p_T(\mu)$
9	Significance of smaller $ d_0(\mu) $
10	$\lambda_{3d}/\sigma_{\lambda_{3d}}$
11	$\lambda_{3d}$
12	Smaller $ d_0(\mu) $
13	$\Delta\alpha_{2d}$
14	Significance of larger $ d_0(\mu) $

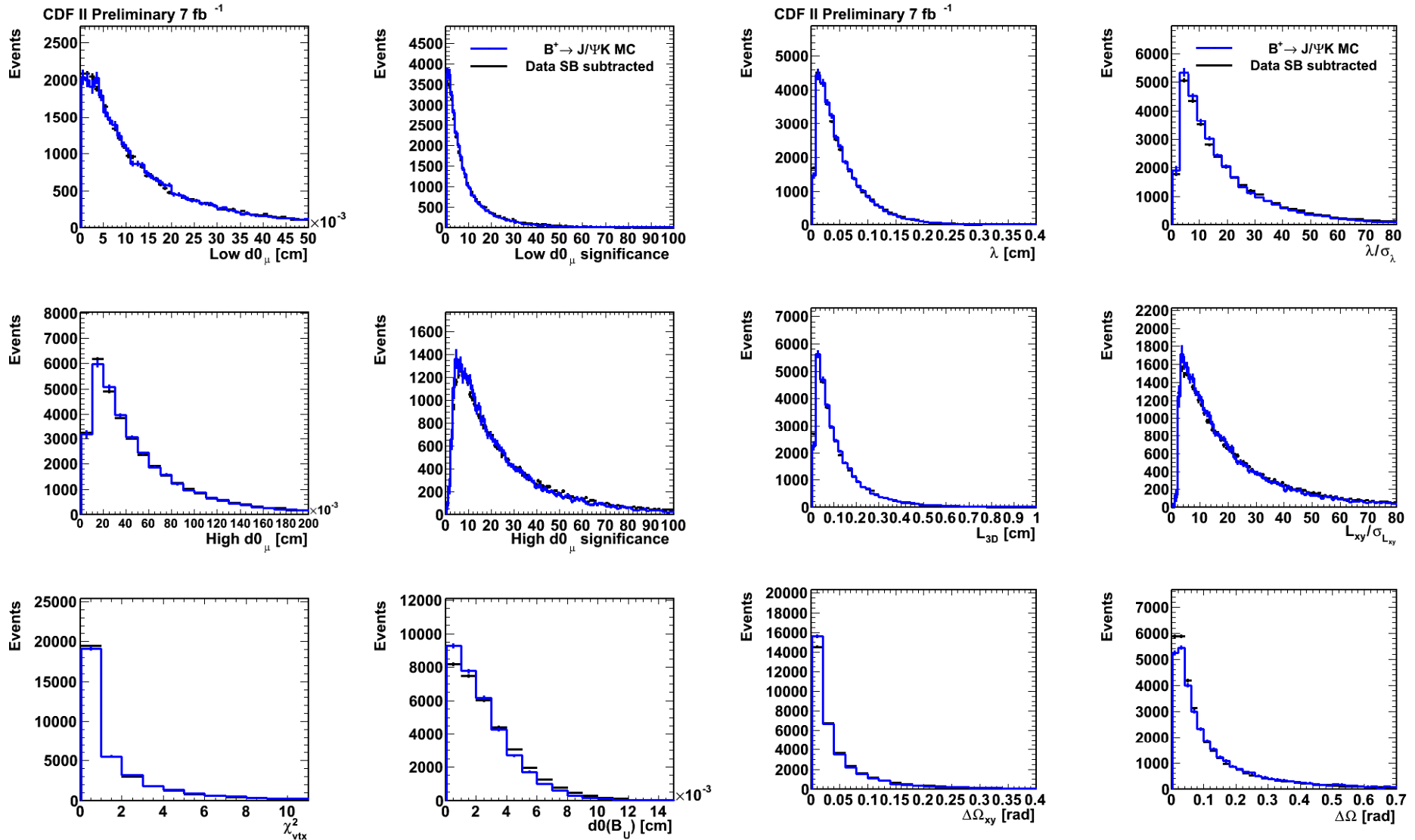
- $p_T$  reweighted to  $B^+ \rightarrow J/\psi K$
- Isolation reweighted to  $B_s \rightarrow J/\psi \phi$

CDF II Preliminary 7 fb<sup>-1</sup>





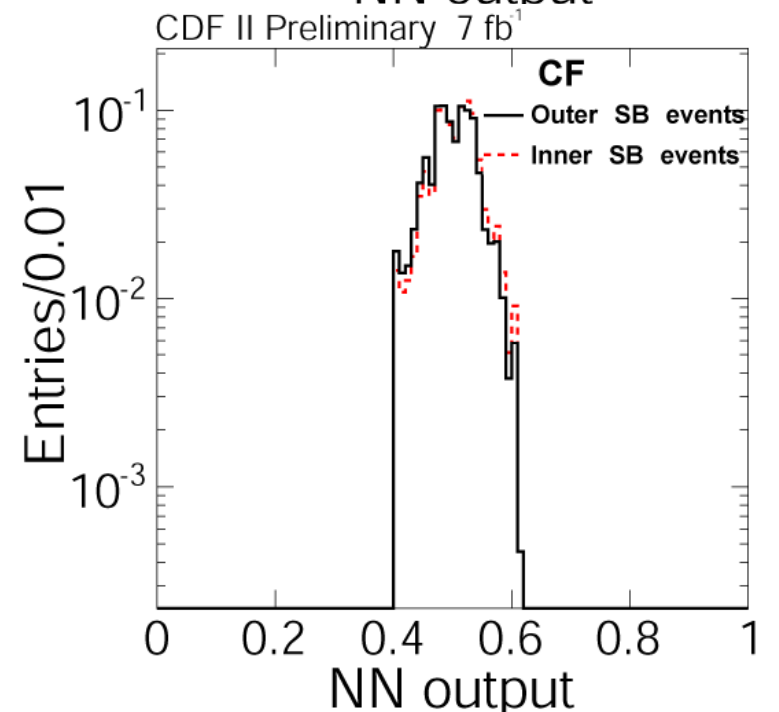
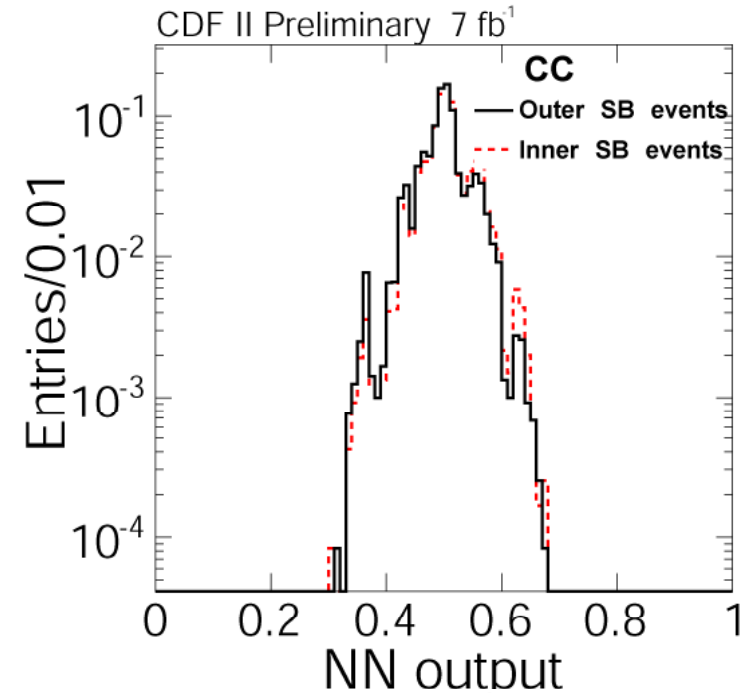
# NN input variables for $B \rightarrow J/\psi K^+$ data vs. MC





# NN bias check

- **Check of possible NN mass bias.**
  - Cut the sideband in half.
  - Train NN on one half as signal, the other as background.
  - See if NN can use input variables differentiate between samples.
- **Answer: No.**





# Signal Efficiency

$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) = \frac{N_{B_s^0}}{N_{B^+}} \frac{\alpha_{B^+}}{\alpha_{B_s^0}} \frac{\epsilon_{B^+}^{trig}}{\epsilon_{B_s^0}^{trig}} \frac{\epsilon_{B^+}^{reco}}{\epsilon_{B_s^0}^{reco}} \frac{1}{\epsilon_{B_s^0}^{NN}} \frac{f_u}{f_s} \mathcal{B}(B^+)$$

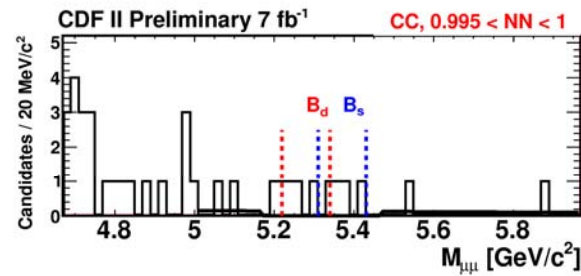
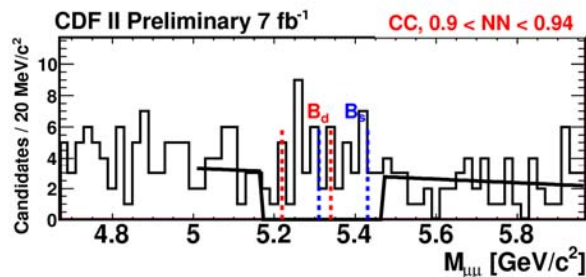
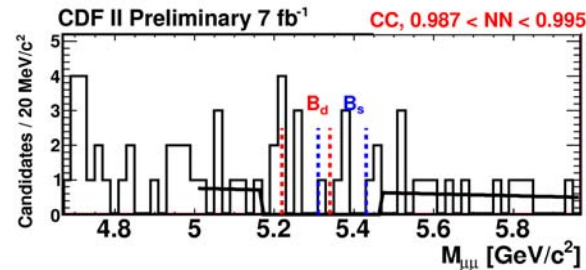
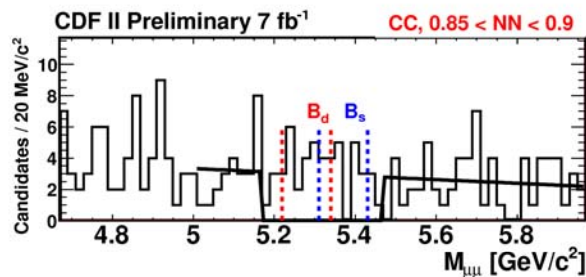
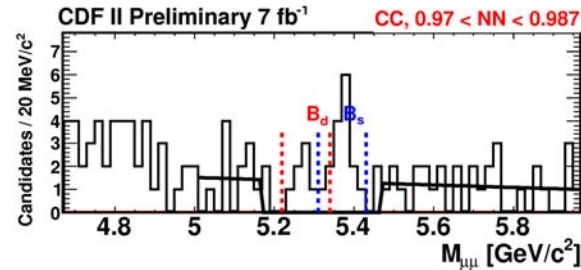
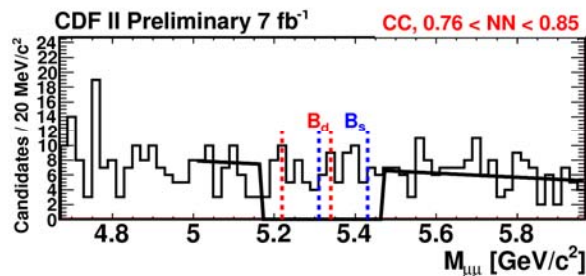
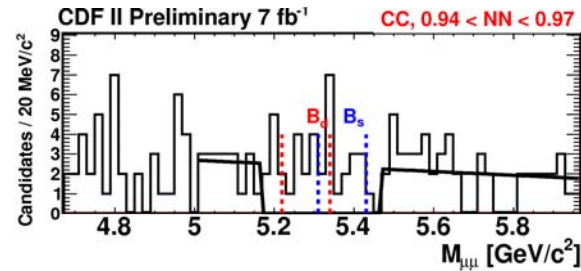
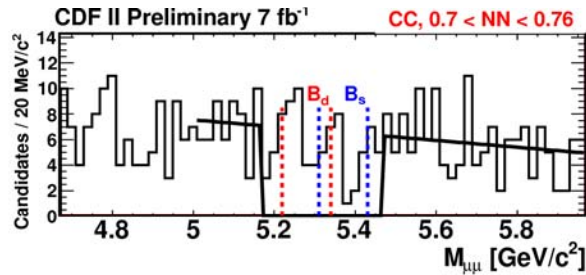
	CC		CF	
$(\alpha_{B^+} / \alpha_{B_s})$	$0.307 \pm 0.018$	( $\pm 6\%$ )	$0.197 \pm 0.014$	( $\pm 7\%$ )
$(\epsilon_{B^+}^{trig} / \epsilon_{B_s}^{trig})$	$0.99935 \pm 0.00012$	( $< 1\%$ )	$0.97974 \pm 0.00016$	( $< 1\%$ )
$(\epsilon_{B^+}^{reco} / \epsilon_{B_s}^{reco})$	$0.85 \pm 0.06$	( $\pm 8\%$ )	$0.84 \pm 0.06$	( $\pm 9\%$ )
$\epsilon_{B_s}^{NN} (NN > 0.70)$	$0.915 \pm 0.042$	( $\pm 4\%$ )	$0.864 \pm 0.040$	( $\pm 4\%$ )
$\epsilon_{B_s}^{NN} (NN > 0.995)$	$0.461 \pm 0.021$	( $\pm 5\%$ )	$0.468 \pm 0.022$	( $\pm 5\%$ )
$N_{B^+}$	$22388 \pm 196$	( $\pm 1\%$ )	$9943 \pm 138$	( $\pm 1\%$ )
$f_u / f_s$	$3.59 \pm 0.37$	( $\pm 13\%$ )	$3.59 \pm 0.37$	( $\pm 13\%$ )
$BR(B^+ \rightarrow J/\psi K^+ \rightarrow \mu^+ \mu^- K^+)$	$(6.01 \pm 0.21) \times 10^{-5}$	( $\pm 4\%$ )	$(6.01 \pm 0.21) \times 10^{-5}$	( $\pm 4\%$ )
SES (All bins)	$(2.9 \pm 0.5) \times 10^{-9}$	( $\pm 18\%$ )	$(4.0 \pm 0.7) \times 10^{-9}$	( $\pm 18\%$ )

Single event sensitivity: **expect to see 1.9 SM  $B_s \rightarrow \mu^+ \mu^-$  events**



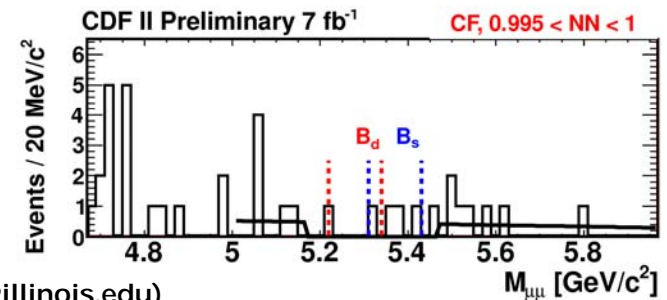
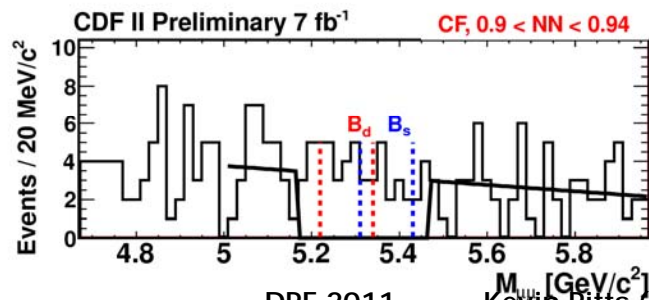
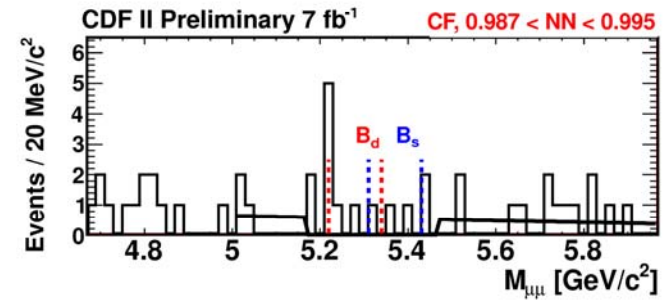
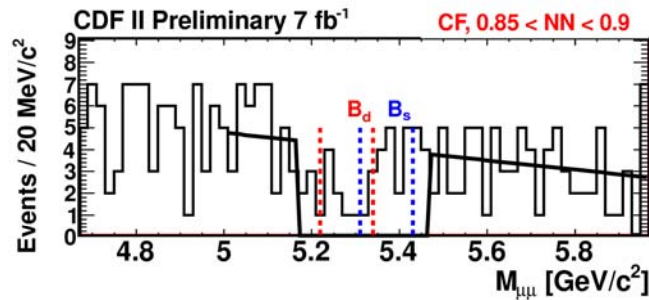
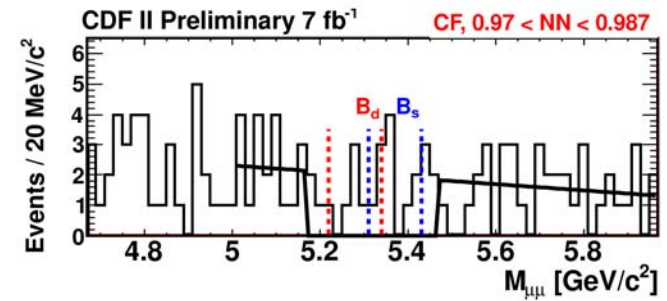
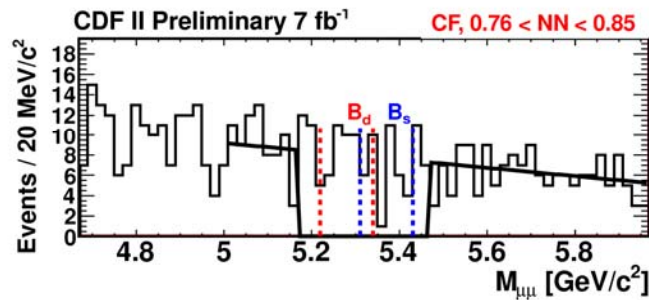
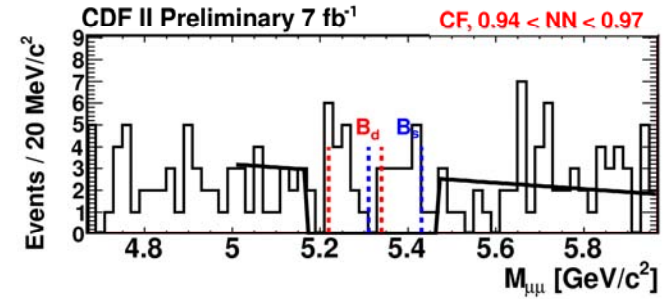
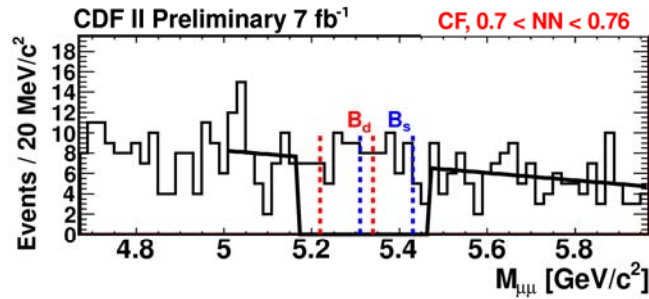
# Unblinded Data

*8 NN bins  
of CC  
sample*





# Unblinded CF Mass Plots







# Full table of bkgd checks in control samples

**Good agreement in most sensitive NN bins**

✓ **now have sufficient confidence in background estimation**

**Control sample FM+ is rich in  $B \rightarrow hh$  background.**

**Good agreement in highest NN bin**

**shows that we can accurately**

**predict this background**

*\*if zero events are observed, "Prob( $N \geq N_{obs}$ )" is the Poisson probability for observing exactly 0*

sample	NN cut	CC		
		pred	obsv	prob(%)
OS-	0.700 < NN < 0.760	217.4 ± (12.5)	203	77.7
	0.760 < NN < 0.850	262.0 ± (14.1)	213	99.1
	0.850 < NN < 0.900	117.9 ± (8.6)	120	44.7
	0.900 < NN < 0.940	112.1 ± (8.4)	116	39.4
	0.940 < NN < 0.970	112.7 ± (8.4)	108	64.2
	0.970 < NN < 0.987	80.2 ± (6.9)	75	68.3
	0.987 < NN < 0.995	67.6 ± (6.3)	41	99.8
	0.995 < NN < 1.000	32.5 ± (4.2)	35	37.5
SS+	0.700 < NN < 0.760	3.0 ± (0.9)	3	55.0
	0.760 < NN < 0.850	3.3 ± (1.0)	5	25.4
	0.850 < NN < 0.900	1.5 ± (0.7)	2	43.2
	0.900 < NN < 0.940	0.9 ± (0.5)	1	56.8
	0.940 < NN < 0.970	1.2 ± (0.6)	1	65.9
	0.970 < NN < 0.987	1.5 ± (0.7)	2	43.2
	0.987 < NN < 0.995	0.3 ± (0.3)	0	74.1
	0.995 < NN < 1.000	0.3 ± (0.3)	0	74.1
SS-	0.700 < NN < 0.760	5.7 ± (1.3)	8	23.7
	0.760 < NN < 0.850	8.4 ± (1.6)	7	69.8
	0.850 < NN < 0.900	3.3 ± (1.0)	6	14.3
	0.900 < NN < 0.940	2.4 ± (0.8)	4	24.0
	0.940 < NN < 0.970	2.4 ± (0.8)	4	24.0
	0.970 < NN < 0.987	2.1 ± (0.8)	0	12.2
	0.987 < NN < 0.995	1.5 ± (0.7)	0	22.3
	0.995 < NN < 1.000	0.3 ± (0.3)	1	30.0
FM+	0.700 < NN < 0.760	118.3 ± (8.6)	136	11.1
	0.760 < NN < 0.850	110.5 ± (8.3)	121	22.3
	0.850 < NN < 0.900	52.0 ± (5.4)	37	96.3
	0.900 < NN < 0.940	37.3 ± (4.5)	37	53.0
	0.940 < NN < 0.970	20.1 ± (3.3)	20	52.3
	0.970 < NN < 0.987	8.3 ± (2.0)	6	77.1
	0.987 < NN < 0.995	8.7 ± (2.0)	3	97.5
	0.995 < NN < 1.000	20.8 ± (3.5)	24	30.7



# SM and Background Expectations for $B_s$

**CC**

NN Bin	$\epsilon_{NN}$	$B \rightarrow hh$ Bkg	Total Bkg	Exp SM Signal
$0.700 < NN < 0.970$	20%	0.03	$129.24 \pm 6.50$	$0.26 \pm 0.05$
$0.970 < NN < 0.987$	8%	$< 0.01$	$7.91 \pm 1.27$	$0.11 \pm 0.02$
$0.987 < NN < 0.995$	12%	0.02	$3.95 \pm 0.89$	$0.16 \pm 0.03$
$0.995 < NN < 1.000$	46%	0.08	$0.79 \pm 0.40$	$0.59 \pm 0.11$

**CF**

NN Bin	$\epsilon_{NN}$	$B \rightarrow hh$ Bkg	Total Bkg	Exp SM Signal
$0.700 < NN < 0.970$	21%	0.01	$146.29 \pm 7.00$	$0.19 \pm 0.04$
$0.970 < NN < 0.987$	10%	0.01	$11.57 \pm 1.57$	$0.09 \pm 0.02$
$0.987 < NN < 0.995$	8%	0.01	$3.25 \pm 0.82$	$0.08 \pm 0.01$
$0.995 < NN < 1.000$	46%	0.03	$2.64 \pm 0.74$	$0.43 \pm 0.08$



# Consistency with Background and SM

- ▶ p-value for background-only hypothesis: **0.27%**
- ▶ p-value for background+SM hypothesis: **1.9%**

