

# Evidence for $WW/WZ \rightarrow l\nu +$ Heavy Flavor Jets at CDF

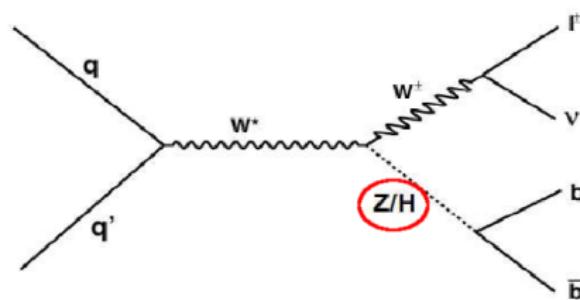
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on behalf of the CDF Collaboration

INFN & Università di Pisa

DPF 2011 – 12 August 2011

# Evidence for $WW/WZ \rightarrow l\nu + HF$ : Outline

- 1 Analysis Motivation
- 2 Event Selection
- 3 Background Composition
- 4 Results

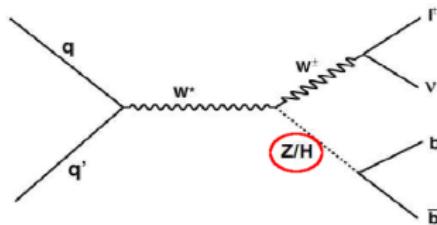
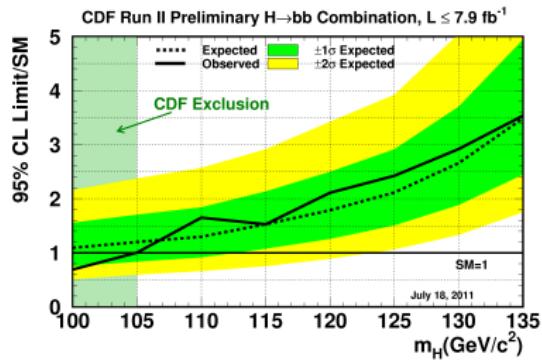


Diboson/Higgs production in the  $l\nu +$  Heavy Flavor (HF) Jets Channel.

# Dibosons and Higgs $\rightarrow b\bar{b}$

$H \rightarrow b\bar{b}$ :

- dominates low mass Higgs exclusion limits;
- decay mode still difficult at LHC;
- test of the SM couplings;
- most important production mode:  $WH$

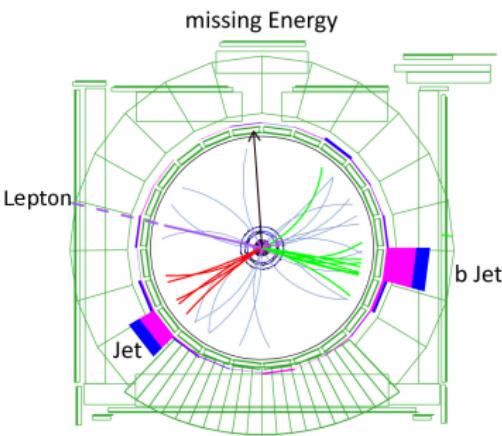


- $WZ \rightarrow l\nu + b\bar{b}$  has same final state as  $WH$ :  
 ⇒ larger yield (but still rare,  $\sigma_{WZ} \approx 3 \text{ pb}$ )  
 ⇒ different resonance mass.
- SM processes with Heavy Flavor *to be observed before a low mass Higgs.*

## Analysis Strategy: $WW/WZ \rightarrow l\nu HF$

Goal: Observe a rare SM resonance in the  $l\nu + \text{HF}$  Channel:

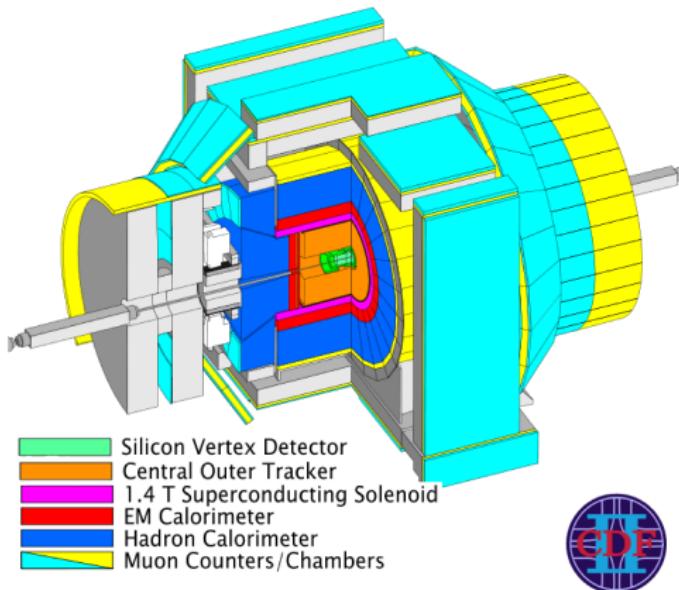
- collect  $W \rightarrow l\nu$  candidate with max efficiency:  
 ⇒ several trigger strategies;  
 ⇒ release lepton identification requirements.
  - Di-jet Heavy Flavor enriched sample selection:  
 ⇒ require two high energy jets;  
 ⇒  $b$ -hadron identification: secondary decay vertices.
  - Signal discrimination based on *di-jet mass*.



# The CDF II Experiment

Multipurpose detector:

- **Integrated tracking:**  
 ⇒ silicon detector;  
 ⇒ wire chamber (COT).
- **Calorimeter system:**  
 ⇒ ElectroMagnetic; (EM)  
 ⇒ HADronic (HAD)
- **Muon detection:**  
 ⇒ outer muon chambers.
- First data was in 2002.
- This analysis uses:  $\int \mathcal{L} = 7.5 \text{ fb}^{-1}$  (March 2011).

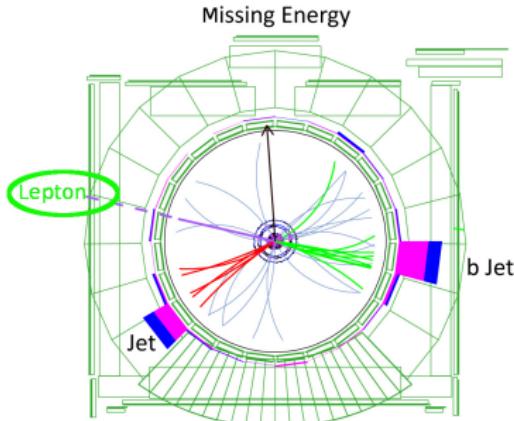


# $W \rightarrow l\nu$ : Multiple Trigger Strategies

- Need to collect *all* the interesting events:  
 ⇒ more trigger strategies to increase the acceptance.

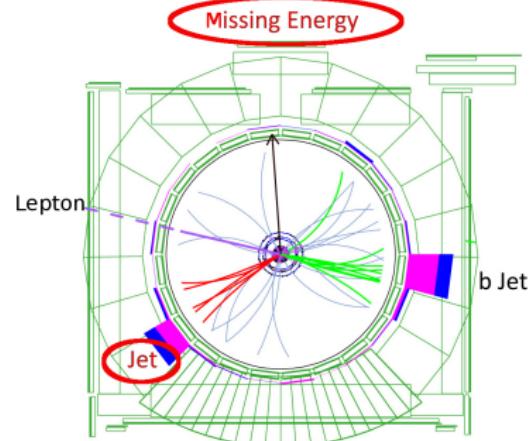
## Strategy I:

- single object triggers
- high energy lepton: electron or muon.



## Strategy II:

- multiple object triggers
- Missing Energy + Jet.



# $W \rightarrow l\nu$ : Offline Selection

**Neutrino:** imbalance in the total transverse energy:  $\cancel{E}_T > 20 \text{ GeV}$ .

**Tight Leptons:** standard set of CDF leptons ( $e, \mu$ ) cuts:

Electrons:

- Energy cluster in EM calorimeter ( $E_T > 20 \text{ GeV}$ )
- Energy deposit isolated in the calorimeter.
- Good quality track pointing to the cluster.

Muons:

- Hits in the muon chambers.
- Track pointing to the hits ( $P_T > 20 \text{ GeV}/c$ ).
- MIP energy deposit isolated in the calorimeter.

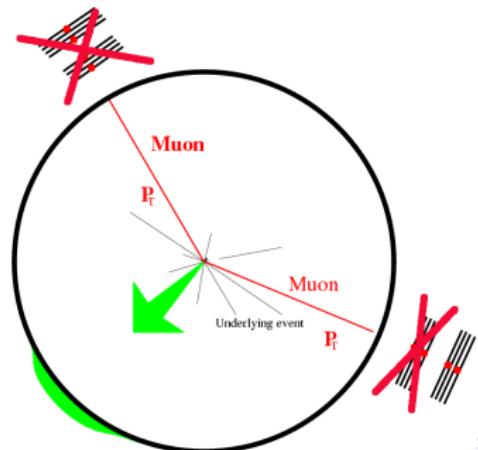
**Extended  $\mu$  Category (EMC):** 30% acceptance gain:

Loose Muons:

- few or missing hits in the muon chambers.
- MIP energy deposit isolated in the calorimeter.
- Track pointing to the MIP ( $P_T > 20 \text{ GeV}/c$ ).

Isolated Tracks:

- Good quality track ( $P_T > 20 \text{ GeV}/c$ ).
- No other track within  $\Delta R = 0.4$ .

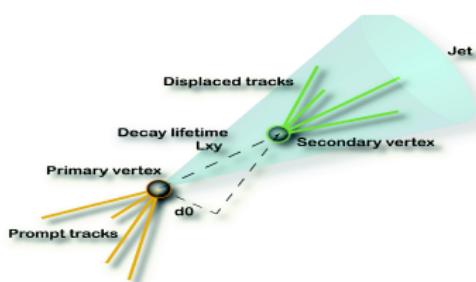


# Heavy Flavor Jets Identification

High  $P_T$  di-jet sample selection:

- CDF standard jet identification: cone algorithm ( $JETCLU04$ ,  $\Delta R < 0.4$ );
- two central energy clusters:  $|\eta| < 2.0$ ,  $E_T > 20$  GeV (corrected for detector effects).

SecVtx algorithm



Heavy Flavor hadrons identification:

- “**b-tag**”: secondary decay vertex.
- **b**-tag efficiency:  $\sim 40\%$ ;
- **c**-tag: efficiency  $\sim 6\%$ ;
- fake tags  $\sim 1\%$  (*background*).

## 3 selection regions

- ① **Pretag**: no SecVtx request, control region.
- ② **Single Tag**: exactly 1 SecVtx tagged jet, signal region.
- ③ **Double Tag**: exactly 2 SecVtx tagged jet, signal region.

# WW vs WZ Selection

Interested in  $WZ \rightarrow l\nu b\bar{b}$  but not sensitive yet...

- Must use more advanced techniques (some already in use in CDF WH analysis):
  - ⇒ improve  $b$ -tag efficiency
  - ⇒ use multivariate discriminants;
  - ⇒ ....
- Ongoing effort to obtain  $3\sigma$  significance together with D0 for WZ alone.

Di-jet invariant mass resolution does not allow to distinguish WW from WZ.

- $WW \rightarrow l\nu + cs$  contributes to Heavy Flavor signal:
  - $c$ -quark produces long living hadrons (6% tagging efficiency);
  - higher cross section for  $WW$  associate production than  $WZ$ ;
  - $W \rightarrow cs$  branching ratio  $\approx 30\%$ ;
  - Large acceptance w.r.t  $WZ$ : both  $W$  can decaying to  $c$ -quarks or to leptons.

We can probe high- $P_T$  behavior of  $c$ -quarks too!

# Background Composition

Signal topology: *exclusive 1 lepton +  $E_T$  + 2 jets(1 or 2 tags)*

background estimate: Monte Carlo simulation & data control samples

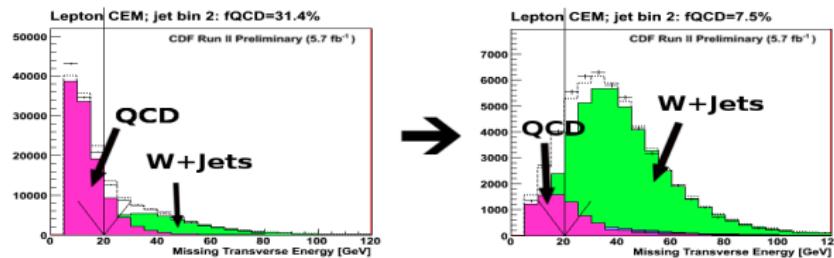
## ⇒ 4 background components:

- ① **MC based**:  $t\bar{t}$ , single top,  $Z+jets \Rightarrow$  estimated from MC .
- ② **QCD**: lepton and  $E_T$  are faked by mis-reconstructed jets.  
⇒ measured in data.
- ③ **W+HF**: Heavy Flavors ⇒ **major background, large uncertainty.**
  - Total  $W+jets$  Normalization obtained from data (pretag control region);
  - Heavy Flavor Fractions =  $\frac{W+HF}{W+jets}$  estimated from MC.
- ④ **W+LF**: Light Flavors,  $W+fake\ tags \Rightarrow$  parametrized on jet data.

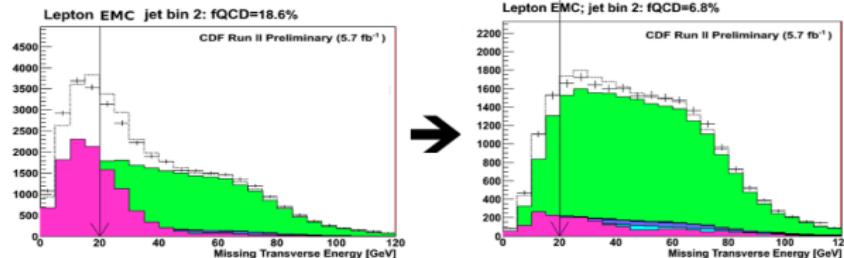
# QCD Modeling and Rejection

- Fake  $W$  models obtained reversing some of the lepton identification cuts.
- Multivariate tool (based Support Vector Machine) drastically removes QCD.
- Normalization extracted from data:  $QCD$ ,  $W + jets$  two component fit on  $\cancel{E}_T$ .

Tight electron QCD estimate before and after QCD rejection:



EMC leptons QCD estimate before and after QCD rejection:



# $W +$ Heavy Flavor Background



$W + b\bar{b}$ ,  $W + c\bar{c}$ ,  $W + c$  estimate

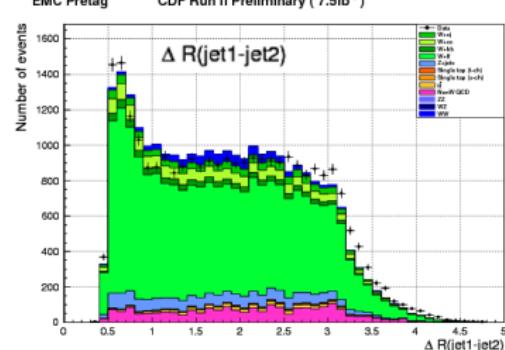
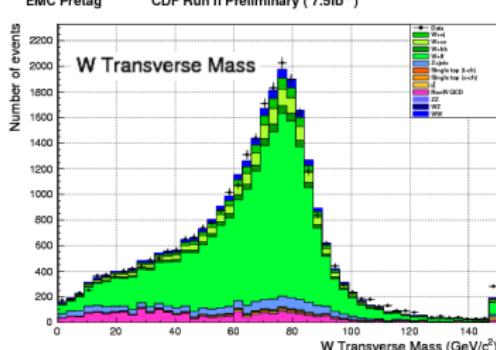
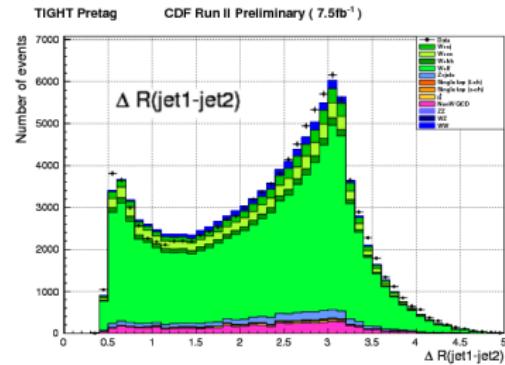
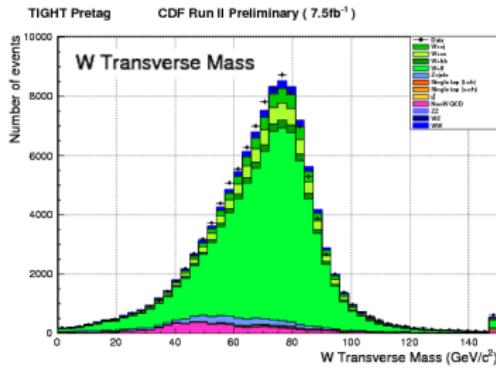
- Large theoretical uncertainty on  $\sigma_{W+jets}$ .
- Normalization ( $N^{W+jets}$ ) from the *pretag* data sample:

$$N^{W+jets} = N_{\text{Pretag}}^{\text{Data}} (1 - F^{\text{QCD}}) - N^{\text{MC}}$$

- Heavy Flavor Fractions:  $f^{\text{HF}} = \frac{W+\text{HF}}{W+jets}$  derived from MC (Alpgen, LO)  
⇒ Technically difficult  $\approx 90$  exclusive MCs used.
- Final normalization:  $N^{\text{HF}} = N^{W+jets} \times f^{\text{HF}} \times K$
- $K = 1.4 \pm 0.4$ , correction factor to HF production rate in MC:  
⇒ derived from  $W + 1$  jet control sample.

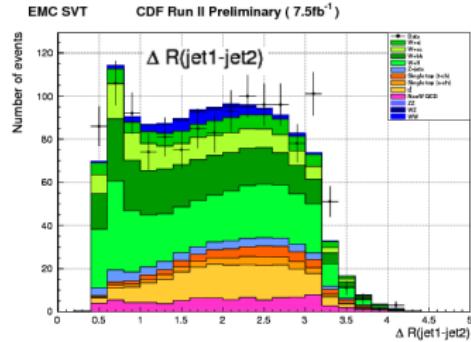
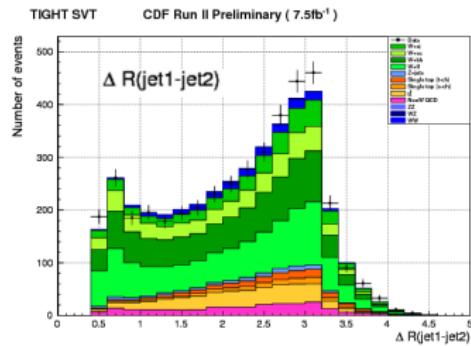
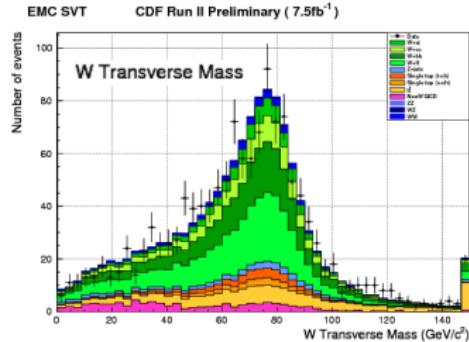
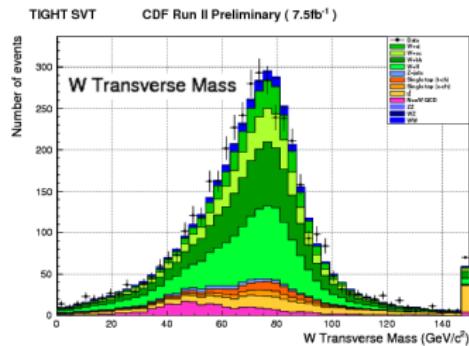
## Understanding the Sample: Ptag

- Control region;      • Very large statistic;      • Dominated by  $W + LF$



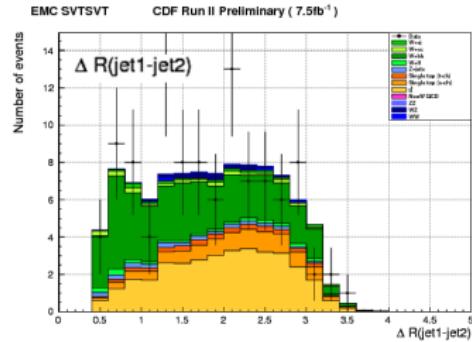
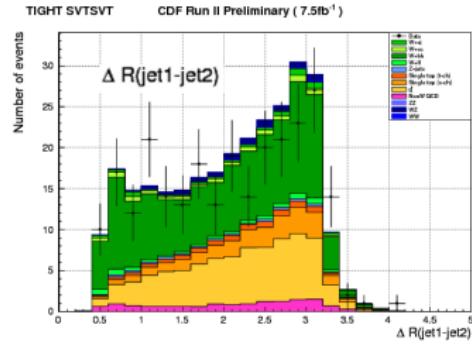
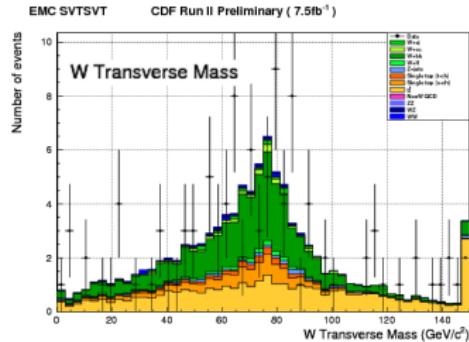
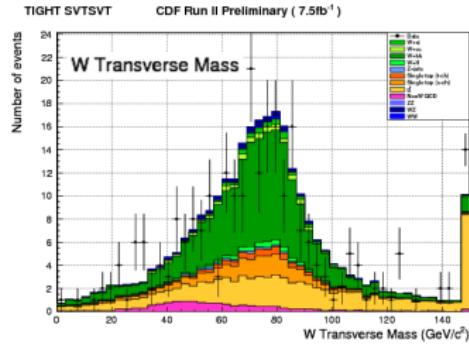
# Understanding the Sample: Single Tag

- Signal region;
  - Large statistic;
  - $W + c$ ,  $W + b\bar{b}$ ,  $W + LF$ , top



# Understanding the Sample: Double Tag

- Signal region;
- Low statistic;
- Dominated by  $W + b\bar{b}$  and top

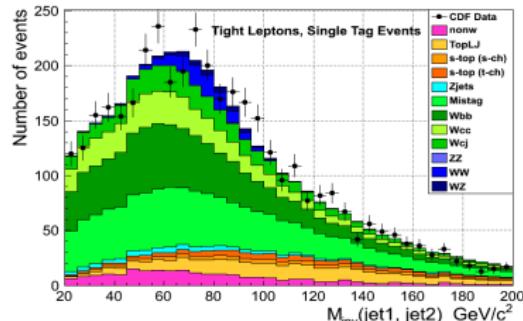


# RESULTS

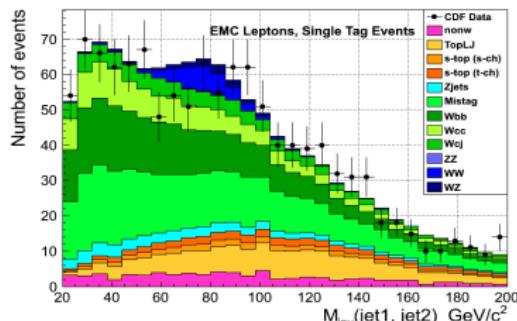
# Di-jet Mass Spectrum: 4 Channels

**Single Tag (Tight + EMC):** sizable signal excess over W+jets mass spectrum.

CDF Run II Preliminary (7.5 fb<sup>-1</sup>)

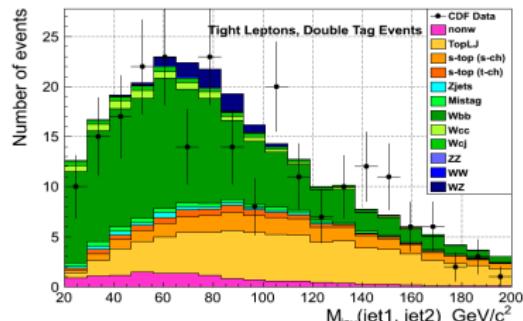


CDF Run II Preliminary (7.5 fb<sup>-1</sup>)

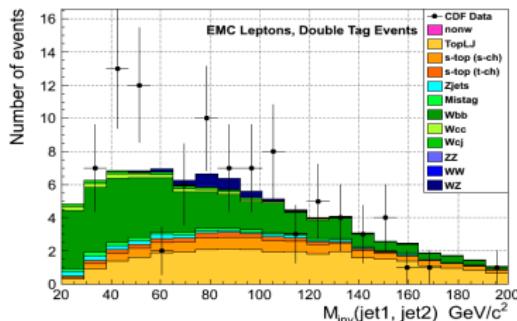


**Double Tag (Tight + EMC):** WZ main signal contribution: still statistically limited.

CDF Run II Preliminary (7.5 fb<sup>-1</sup>)



CDF Run II Preliminary (7.5 fb<sup>-1</sup>)



# Systematics Inclusion and Fitting Procedure

- Shape and rate systematics are considered in the measurement:

| (some of the) systematics | rate (priors) | shape |
|---------------------------|---------------|-------|
| Trigger                   | 1-3%          | no    |
| Lepton ID                 | 1-4%          | no    |
| Luminosity                | 6%            | no    |
| $b$ -tag SF               | 5-10%         | no    |
| QCD Normalization         | 40%           | no    |
| JES                       | 5-10%         | yes   |
| Alpgen $Q^2$              | 3-6%          | yes   |
| HF K factor               | 30%           | no    |

- Some systematics are large due to extrapolation from control regions:
  - K factor: 30%, QCD: 40%;
- Shape systematics can shift background and signal peak regions.
- A maximum binned likelihood fit is performed to enhance the sensitivity.
  - Prior uncertainties constrained by data.

# Significance of the Observation

## Significance:

- ① Define a test statistics (Likelihood ratio):

$$-2\ln Q = -2\ln \frac{p(\text{data} | H_{\text{Test}}, \hat{\theta})}{p(\text{data} | H_{\text{Null}}, \hat{\theta})} \quad \theta: \text{best fit nuisance parameters}$$

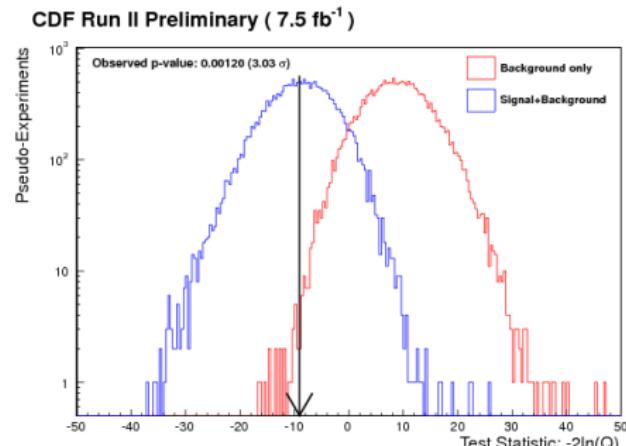
- ② Throw background only ( $H_{\text{Null}}$  distribution) **pseudo-experiments**.
- ③ compare **data**  $-2\ln Q$  against **pseudo-experiments**  $-2\ln Q$ .

- Expected  $-2\ln Q$ :  $-8.85^{+6.2}_{-6.4}$  (Test hypothesis)

$$p - \text{value} = 0.00125 \Rightarrow 3.02\sigma$$

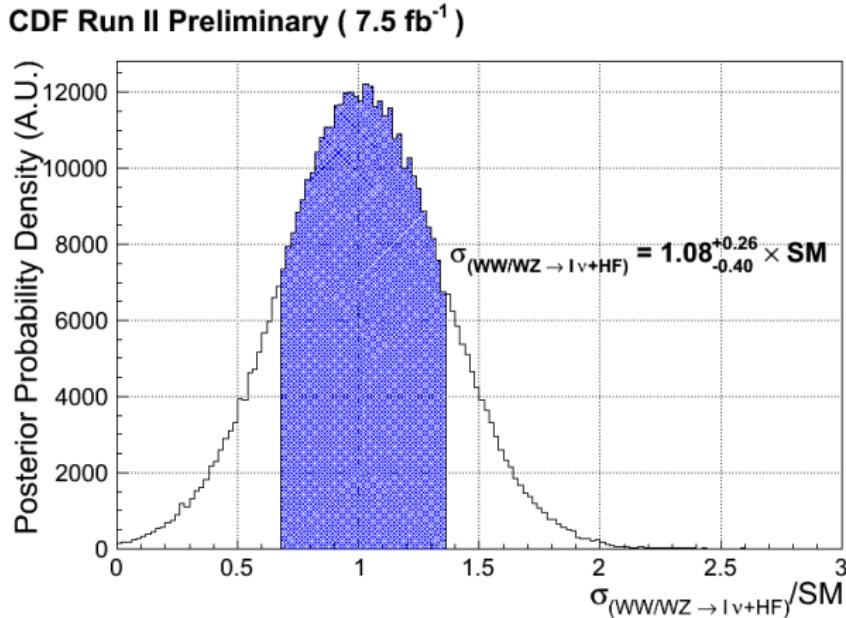
- Observed  $-2\ln Q$ : -9.0446.

$$p - \text{value} = 0.00120 \Rightarrow 3.03\sigma$$



## Cross section measurement:

- Central value  $\Rightarrow$  maximum of the Bayesian posterior.
- Error  $\Rightarrow$  minimum interval covering 68% of the Bayesian posterior.



# Conclusions

## Analysis conclusions:

- obtained  $3\sigma$  evidence of  $WW/WZ$  production in the tagged, *heavy flavor* enriched channel using di-jet mass as signal discriminant;
- measured cross section in good agreement with SM and other diboson channels measurements:

$$\sigma(WW/WZ \rightarrow l\nu bb/l\nu cs) = 1.085^{+0.26}_{-0.40} \times SM;$$

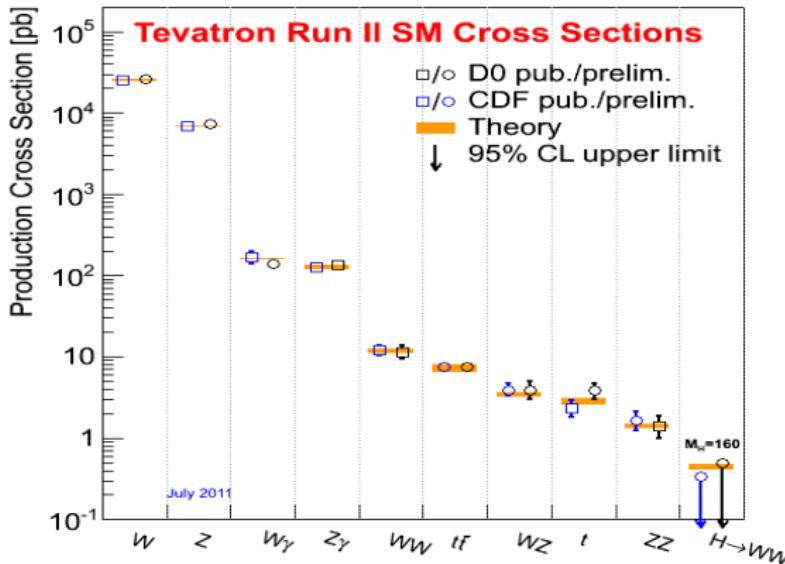
- strong support to the CDF  $WH$  analysis strategy and results;
- public material available at:

[http://www-cdf.fnal.gov/physics/new/hdg/Results\\_files/results/wzlnubb\\_071911/](http://www-cdf.fnal.gov/physics/new/hdg/Results_files/results/wzlnubb_071911/)

# Back Up Slides

# Looking for the Rarest Processes

SM diboson production cross sections at the TeVatron:



TeVatron experiments already observed all the diboson production modes!

Extremely rare processes:

$$\sigma_{p\bar{p} \rightarrow W^+ W^-} = 11.34 \pm 0.7 \text{ pb}$$

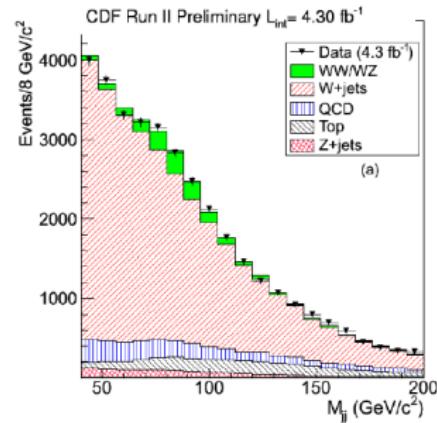
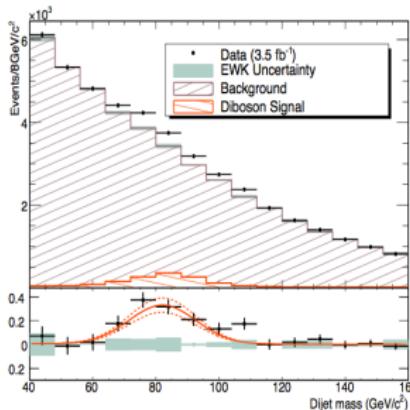
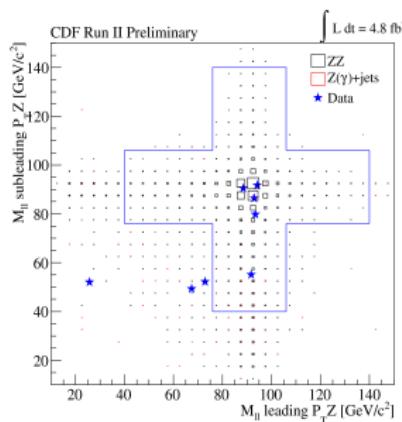
$$\sigma_{p\bar{p} \rightarrow W^\pm Z^0} = 3.22 \pm 0.2 \text{ pb}$$

$$\sigma_{p\bar{p} \rightarrow Z^0 Z^0} = 1.2 \pm 0.07 \text{ pb}$$

(arXiv:1107.5518)

# Diboson Observations at CDF

Observation in both leptonic and hadronic mode:



- $ZZ \rightarrow llll$ ;
- four leptons final state;
- clean signature;
- CDF Public Note 9910 (2009).

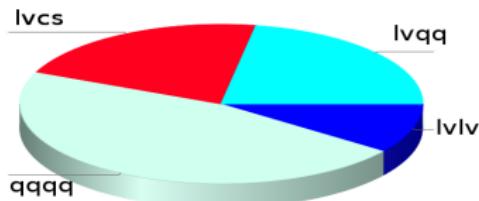
- $WW/WZ/ZZ \rightarrow \nu\nu + 2\text{Jets}$
- invisible energy + hadronic final state
- PRL 103, 091803 (2009)

- $WW/WZ \rightarrow l\nu + 2\text{Jets}$
- semileptonic decay + hadronic final state
- PRL 104, 101801 (2010)

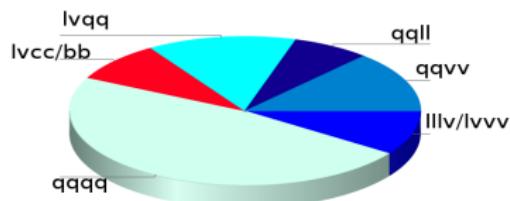
# Next Challenge: Lepton + Neutrino + Heavy Flavor

Dibosons have a variety of final states:

WW



WZ

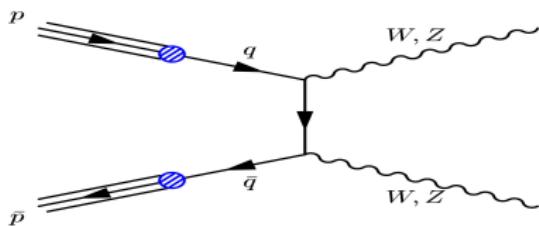


## Experimental challenges:

- Selection of long living heavy hadrons in jets:
  - identification of *secondary* decay vertex  $\Rightarrow$  low efficiency.
- Reconstruct mass resonances in Heavy Flavor enriched final states.
  - hadronic environment  $\Rightarrow$  low energy resolution;
  - background dominated by large irreducible components.

# Triple Gauge Couplings

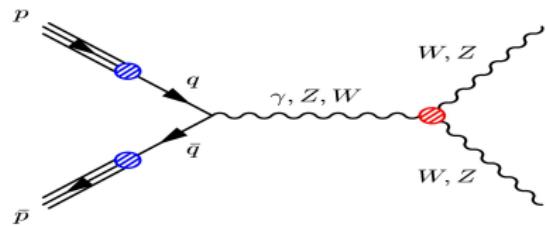
t-channel:



| Absent at LEP   |                             |
|---|-----------------------------|
| $q\bar{q}' \rightarrow W^{(*)} \rightarrow W\gamma$       | : $WW\gamma$ only           |
| $q\bar{q}' \rightarrow W^{(*)} \rightarrow WZ$            | : $WWZ$ only                |
| $q\bar{q} \rightarrow Z/\gamma^{(*)} \rightarrow WW$      | : $WW\gamma, WWZ$           |
| $q\bar{q} \rightarrow Z/\gamma^{(*)} \rightarrow Z\gamma$ | : $ZZ\gamma, Z\gamma\gamma$ |
| $q\bar{q} \rightarrow Z/\gamma^{(*)} \rightarrow ZZ$      | : $ZZ\gamma, ZZZ$           |

Absent in SM

s-channel:



- s-channel sensible to Triple Gauge Couplings (TGC);
- Cross section can be enhanced by New Physics.

# Selection Overview

- High energy lepton ( $E_T(P_T) > 20 \text{ GeV(Gev}/c)$ ). *Maximize acceptance:*
  - TIGHT: CEM, CMUP, CMX.
  - LOOSE: BMU, CMU, CMP, CMXNT, CMIO, SCMIO.
  - ISOTRK:  $\Delta R > 0.1$  w.r.t other categories.
  - LOOSE+ISOTRK classified in Extended Muon Category (**EMC**)
- LOOSE+TIGHT Dilepton Veto (TopTools definition);
- LOOSE+TIGHT+TRACK Z Veto (TopTools definition);
- $E_T$  corrected for  $\mu$ , track MIP, L5 jet corrections, Primary Vtx:
  - $E_T > 20 \text{ GeV}$  for CEM and EMC (standard cut).
  - $E_T > 10 \text{ GeV}$  for CMUP and CMX (**relaxed cut**).
- QCD rejection based on Support Vector Machine Algorithm.
- 2 TIGHT Jets ( $E_T^{L5Cor} > 20 \text{ GeV}$ ,  $|\eta| < 2.0$ ).
- 1 or 2 SecVtx TIGHT Heavy Flavor Tags.

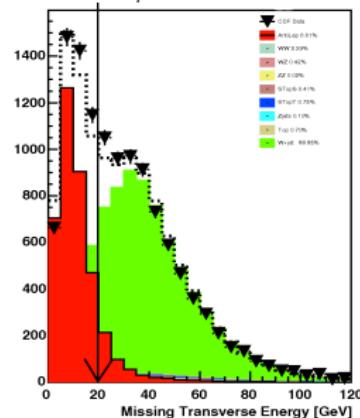
# QCD Background (Multi-jet Events)

Lepton and  $E_T$  faked by mis-reconstructed jets: hard to model instrumental effects.

- Fake  $W$  models obtained reversing some of the lepton identification cuts.
- Normalization measured from data using a two component fit on  $E_T$  (QCD,  $W$ +Jet).
- Key element for total  $W$ +Jet estimate:

$$N^{W+jets} = N_{Pretag}^{Data} (1 - F^{QCD}) - N^{MC}$$

Example of a  $E_T$  fit on a muon sample:



QCD normalization and modelling have large uncertainties:

- important to reduce the QCD contribution.
- New multivariate tool (based Support Vector Machine) drastically removes QCD.

# QCD and Multivariate Techniques

- **Electrons sample:** large multi-jet contamination.
- **Modeling fake  $W$ :** “anti-electron” sample  $\Rightarrow$  reverse  $\geq 2$  out of 5 cuts for the shower-id;

Is it possible to use multivariate techniques to solve this problem?

- Support Vector Machines algorithm supposed to be optimal in this case.
  - sample statistically limited ( $\approx 12k$  events);
  - partial bias due to inverted selection.
- **Results:** optimal sample of 6 *kinematic* variables:
  - $W$  related:  $P_T^{\text{ele}}, E_T^{\text{cor}}, \Delta\phi(\text{ele}, E_T^{\text{raw}})$
  - Jets related: Jet2  $E_T^{\text{raw}}$ , Jet2  $E_T^{\text{cor}}$ ,  $E_T$  Significance.
- $F^{\text{QCD}} \lesssim 10\%$ ;
- signal efficiency:  $\varepsilon_{W(e,\nu)+2\text{jets}} \approx 95\%$ ,  $\varepsilon_{WZ} \approx 97.5\%$ .

More details in CDF NOTE 10197

- Software and results presented at CHEP2010 (22 October, Taipei)

# SVM Discriminant

**Concept:** best hyper-plane dividing two classes of vectors.

The **Support Vector Machines** (or SVM) are optimal in low statistics separable samples.

- Minimization of  $|\vec{w}|^2$  ( $\vec{w} \equiv$  normal to the plane) with constrain:

$$y_i(\vec{x}_i \cdot \vec{w} + b) - 1 \geq 0 \quad \begin{cases} y_i = +1; & i \in \text{signal} \\ y_i = -1; & i \in \text{bkg} \end{cases}$$

- Equivalent to maximize:

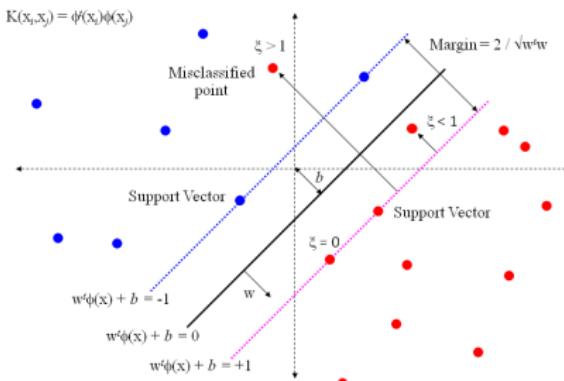
$$L = \sum_i \alpha_i - \frac{1}{2} \sum_{i,j} \alpha_i \alpha_j y_i y_j \vec{x}_i \cdot \vec{x}_j$$

- Non-linear separation obtained with a transformation on the scalar products:

$$K(x_i, x_j) = \phi(x_i) \cdot \phi(x_j) \quad \text{with } \phi : \Re^n \mapsto \mathcal{H} \quad K = \text{Kernel function}$$

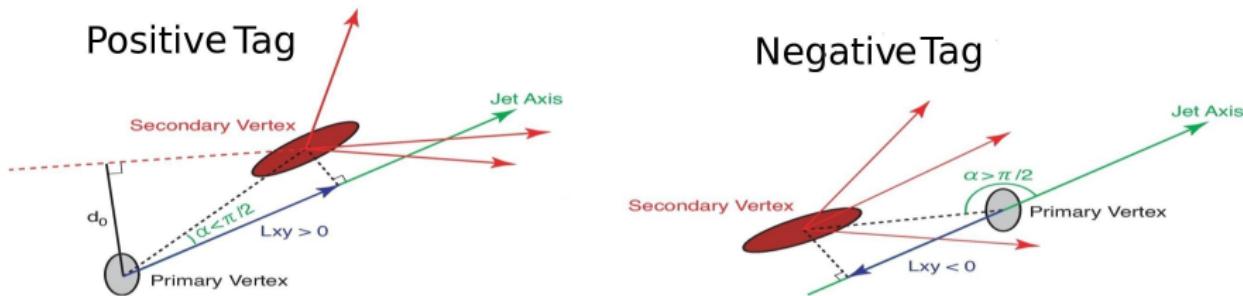
Work performed in collaboration with V. Lippi, PhD student of the Scuola Superiore S. Anna.

Software used: LibSVM C++ (by C.-C. Chang, C.-J. Lin).



## (4) W+LF (Mistags) Background

Wrongly reconstructed tracks and long living LF hadrons can produce fake  $b$ -tags:



- symmetric distribution around primary vertices:  
⇒ negative vertices: opposite to the jet direction.
- per-jet fake probability parametrized on a jet control sample.
- correction factor due to long living Light Flavor hadrons.

# Full Background Estimate

Four independent channels:

- 2 Lepton categories, **Tight** and **EMC**:  
⇒ homogeneous kinematics.
- 2 Tag categories, **Single** and **Double** tagged jets:  
⇒ homogeneous background composition.

| Channel            | Single Tag      |                 | Double Tags      |                  |
|--------------------|-----------------|-----------------|------------------|------------------|
|                    | Tight           | EMC             | Tight            | EMC              |
| $t\bar{t}$         | $366 \pm 37$    | $172 \pm 17$    | $75 \pm 11$      | $34 \pm 5$       |
| Single Top $s + t$ | $224 \pm 25$    | $87 \pm 9$      | $33 \pm 5$       | $13 \pm 2$       |
| Z + jets           | $98 \pm 13$     | $65 \pm 8$      | $4.1 \pm 0.6$    | $3.1 \pm 0.4$    |
| QCD                | $223 \pm 89$    | $101 \pm 40$    | $12.8 \pm 5.6$   | $0.0 \pm 0.5$    |
| $W + b\bar{b}$     | $1135 \pm 455$  | $309 \pm 124$   | $148 \pm 60$     | $45 \pm 18$      |
| $W + c\bar{c}$     | $582 \pm 235$   | $164 \pm 66$    | $8 \pm 3$        | $3 \pm 1$        |
| $W + cj$           | $463 \pm 187$   | $106 \pm 43$    | $6.6 \pm 2.7$    | $1.8 \pm 0.7$    |
| Mistag             | $1070 \pm 124$  | $346 \pm 39$    | $5.7 \pm 1.2$    | $2.2 \pm 0.4$    |
| $ZZ$               | $1.51 \pm 0.15$ | $0.86 \pm 0.08$ | $0.27 \pm 0.04$  | $0.16 \pm 0.02$  |
| $WW$               | $123 \pm 17$    | $38 \pm 5$      | $1.0 \pm 0.2$    | $0.33 \pm 0.08$  |
| $WZ$               | $41 \pm 4.5$    | $14 \pm 2$      | $7.3 \pm 1.1$    | $2.4 \pm 0.4$    |
| Prediction         | $4325 \pm 895$  | $1405 \pm 243$  | $301.6 \pm 68.5$ | $105.3 \pm 21.5$ |
| Observed           | 4168            | 1318            | 260              | 106              |

# Likelihood Definition

## Bayesian Posterior Probability

$$p(R|\vec{n}) = \frac{\int \int d\vec{s}d\vec{b} L(R, \vec{s}, \vec{b}|\vec{n}) \pi(R, \vec{s}, \vec{b})}{\int \int \int dR d\vec{s} d\vec{b} L(R, \vec{s}, \vec{b}|\vec{n}) \pi(R, \vec{s}, \vec{b})} \Rightarrow \int_0^{R_{0.95}} p(R|\vec{n}) dR = 0.95$$

$R = (\sigma \times BR) / (\sigma_{SM} \times BR_{SM})$ ,  $R_{0.95}$  : 95% Credible Level Upper Limit

$\vec{s}, \vec{b}, \vec{n} = s_{ij}, b_{ij}, n_{ij}$  (# of signal, background and observed events in  $j$ -th bin for  $i$ -th channel)

$\pi$  : Bayes' prior density

## Combined Binned Poisson Likelihood

$$L(R, \vec{s}, \vec{b}|\vec{n}) = \prod_{i=1}^{N_{\text{channel}}} \prod_{j=1}^{N_{\text{bin}}} \frac{\mu_{ij}^{n_{ij}} e^{-\mu_{ij}}}{n_{ij}!}$$

## Principle of ignorance

- for the number of higgs events (instead of higgs Xsec)

$$\pi(R, \vec{s}, \vec{b}) = \pi(R)\pi(\vec{s})\pi(\vec{b}) = s_{tot}\theta(Rs_{tot})\pi(\vec{s})\pi(\vec{b})$$

$s_{tot} = \sum_{i,j} s_{ij}$  : Total number of signal prediction

$\pi(x) = G(x|\hat{x}, \sigma_x)$  ( $x = s, b$ )     $\hat{x}$ : expected mean,  $\sigma_x$ : total uncertainty