

Early Universe 74% Park Interest and Cosmology

Mark Trodden
Center for Particle Cosmology
University of Pennsylvania





"... give a (25+5) min overview talk on



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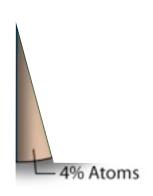
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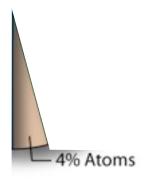
No problem!?





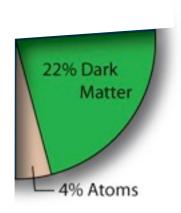






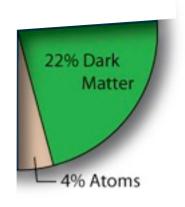
Why is there more matter than antimatter?





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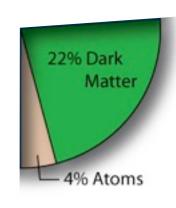




What is the nature of dark matter?

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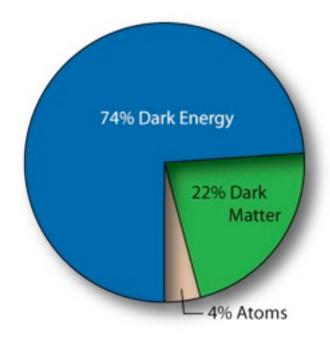




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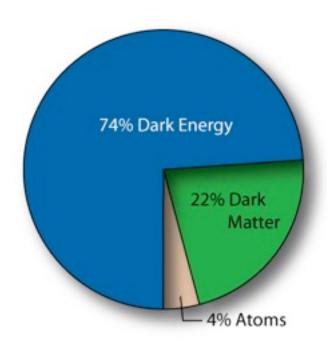




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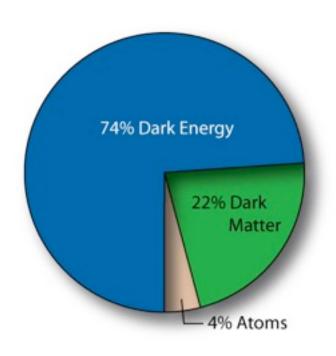
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What is driving cosmic acceleration?

What is the nature of dark matter?



Why is the cosmological constant so small?



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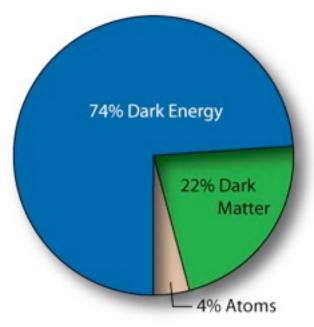
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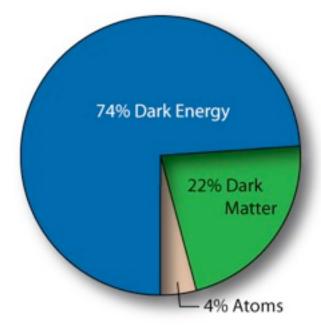
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Genesis:

- Why is the universe so flat?
- Why is the universe so homogeneous?
- Why did the universe begin from a low entropy state?
- What resolves the big bang singularity?



Why is there more matter than antimatter?

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Is cosmic acceleration a signal of a breakdown of GR?

Why is the cosmological constant so small?

What is driving cosmic acceleration?

I'll Just pick 3 particularly interesting (to me, at least) recent topics

- Why did the universe begin from a low entropy state?
- What resolves the big bang singularity?

4% Atoms

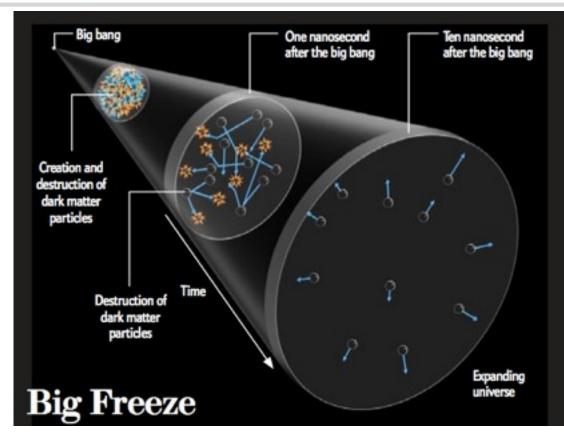
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I. Dark Matter

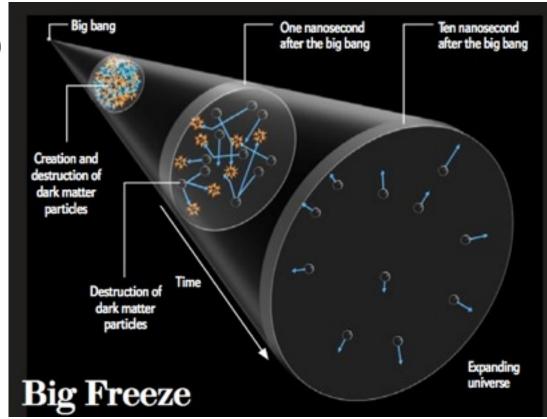




[J. Feng & M. Trodden, Scientific American, November 2010.]



$$\frac{dn}{dt} = -3Hn - \langle \sigma v \rangle \left(n^2 - n_{\text{eq}}^2 \right)$$



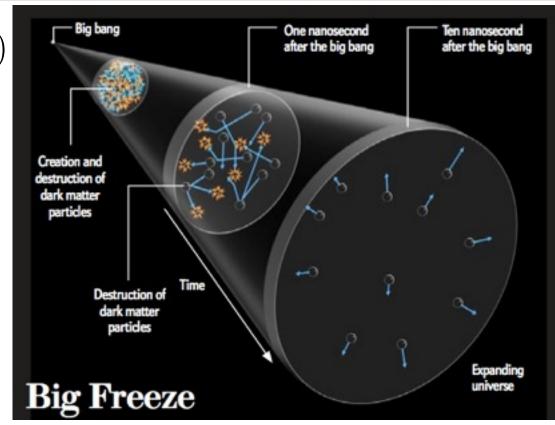
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Dilution from expansion

Annihilations

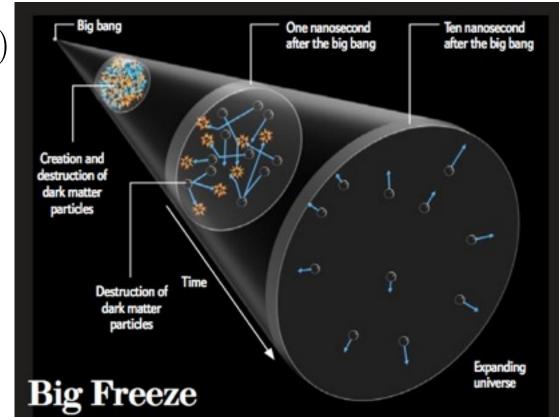


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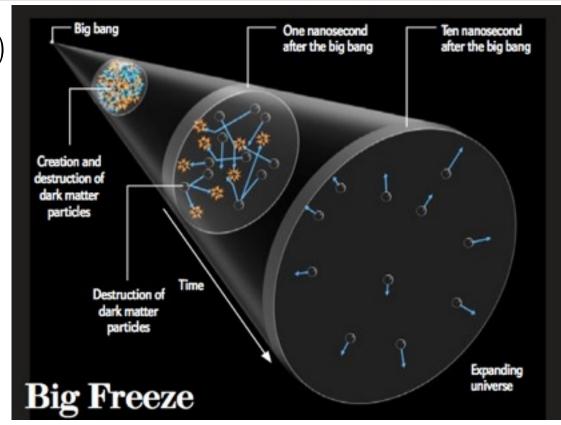
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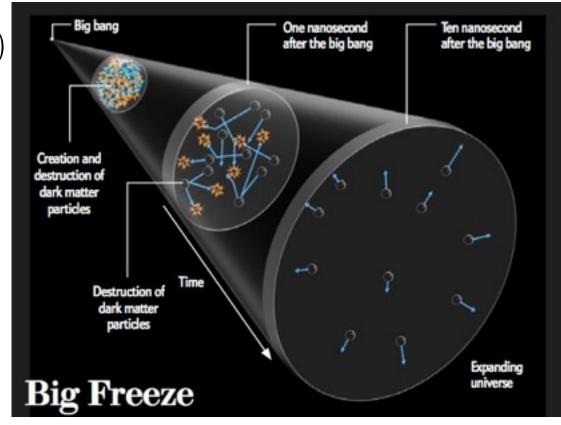
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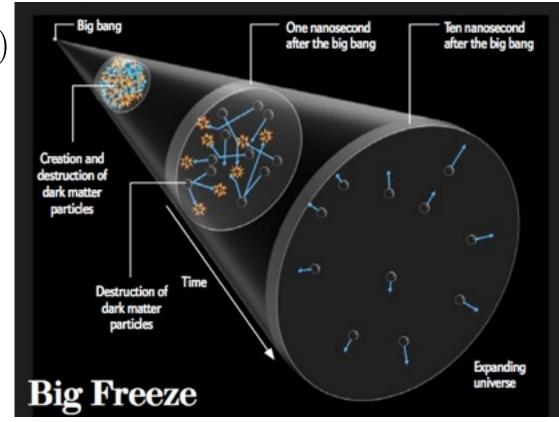
They freeze-out, and thereafter just dilute with cosmic expansion.



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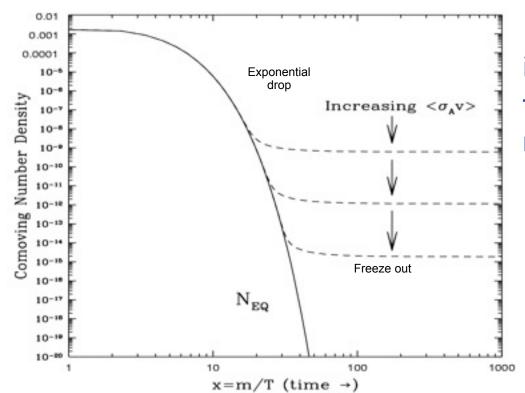
They freeze-out, and thereafter just dilute with cosmic expansion.

Amount left over depends on masses and interaction strength.

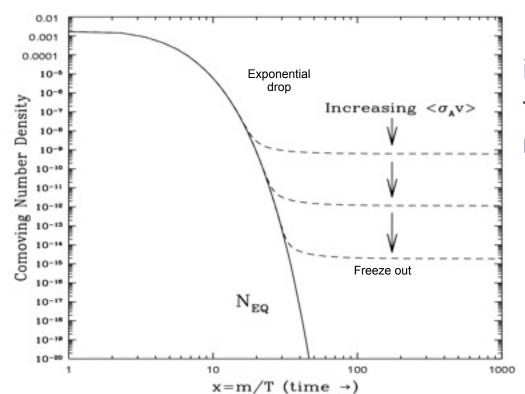






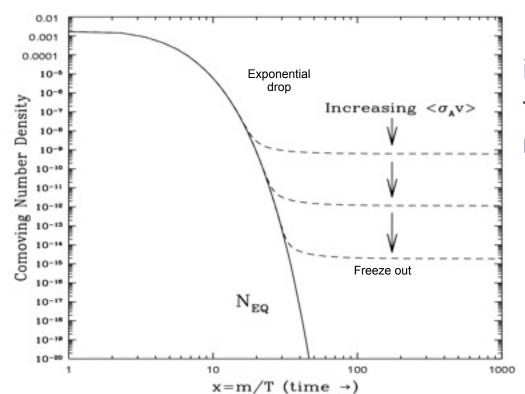






$$\Omega_X \sim \frac{1}{\sigma_0 (10^9 \text{ GeV}^2)}$$



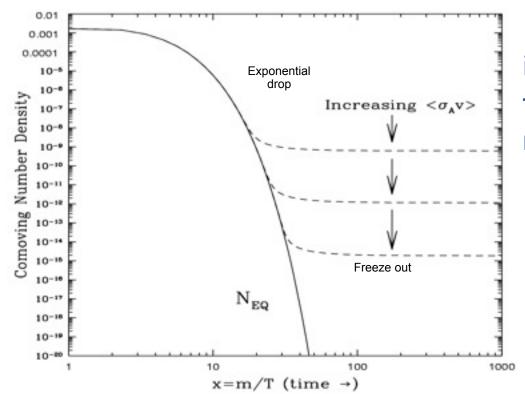


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Different strengths of the interaction lead to different frozen out amounts of dark matter.

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Remarkably, the observed dark matter abundance is obtained for interactions at the strength of the weak nuclear force!



WIMP Dark Matter



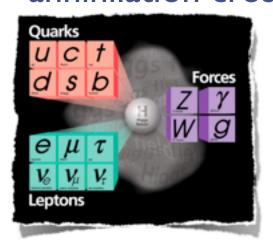
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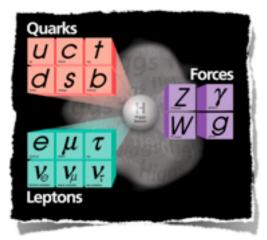


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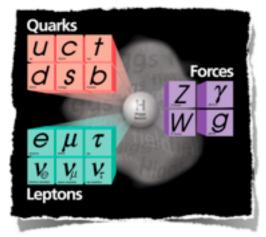
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BUT: the story is, of course, much more compelling than this!

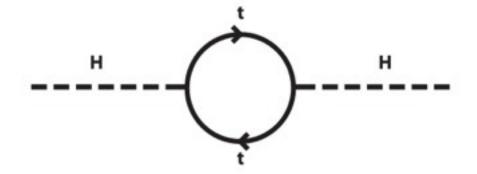




Quantum corrections to the Higgs mass are quadratically divergent

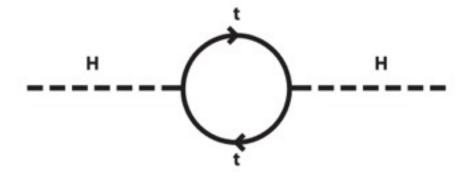


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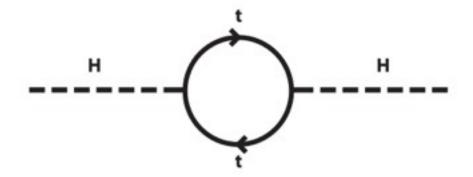
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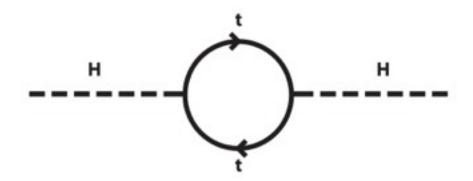


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In which case need to cancel these Planck scale numbers against one another to one part in 10^{15} !



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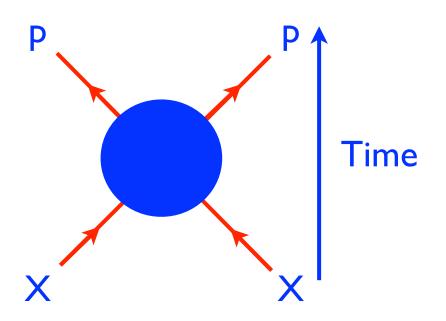
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Often, this stable new particle is an ideal WIMP candidate!



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$$X + X \rightarrow p + p$$

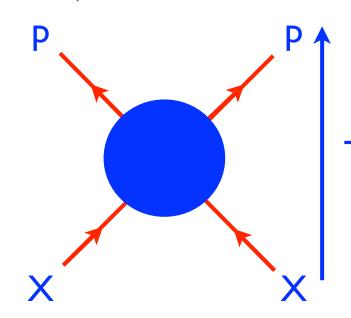




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Then, can have



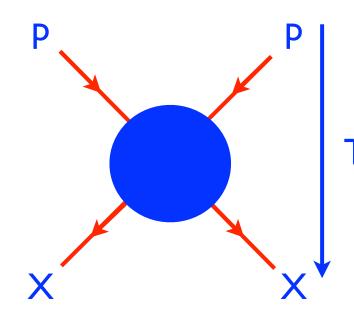
Time



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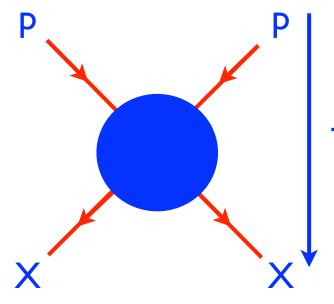


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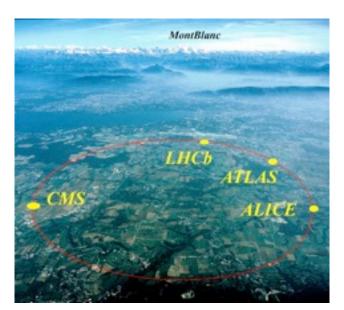
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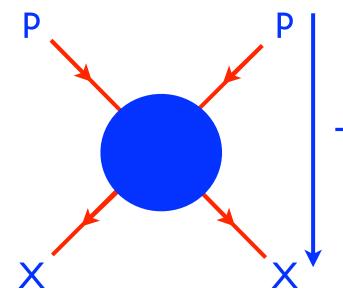


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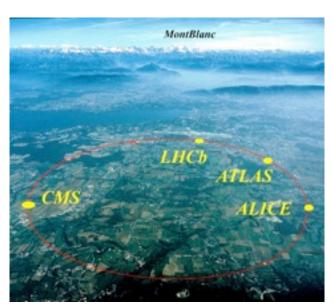
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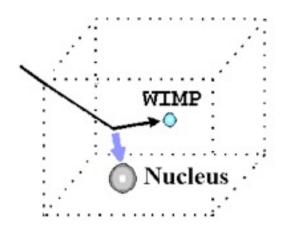
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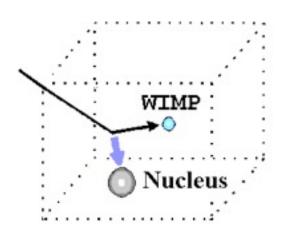
LHC has already begun constraining some models this way (particularly the MSSM, which needs a high cross-section to avoid overproduction)

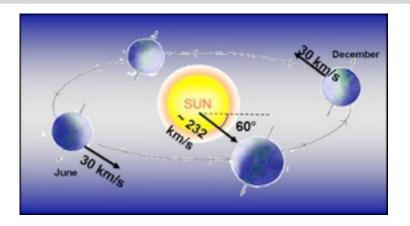




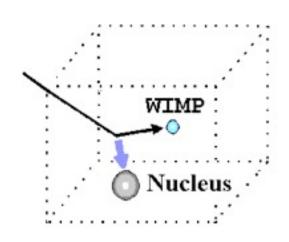


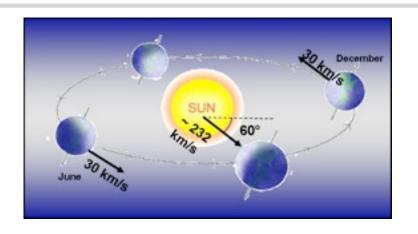






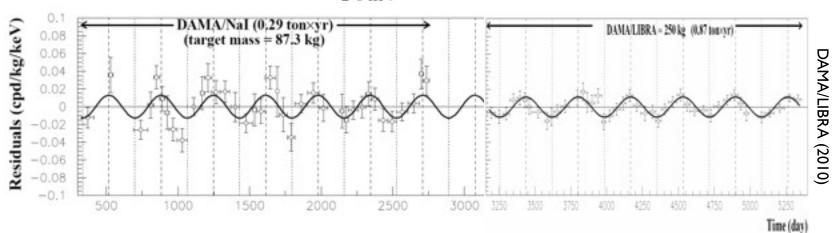




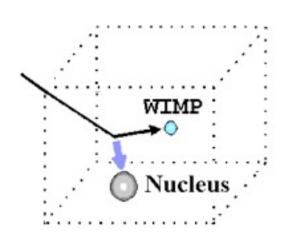


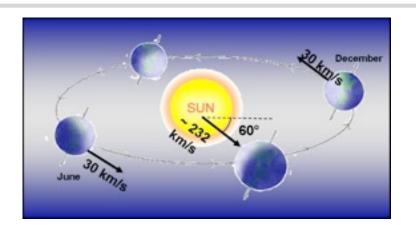
DAMA/LIBRA: 8.9σ signal

2-6 keV



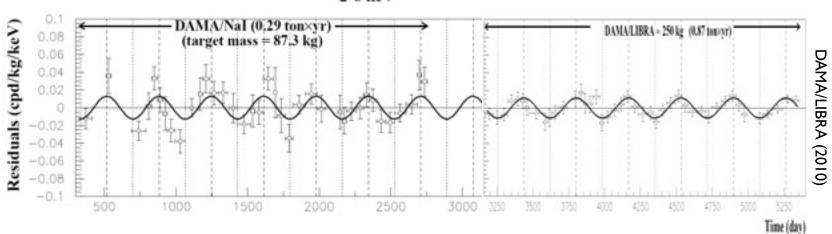






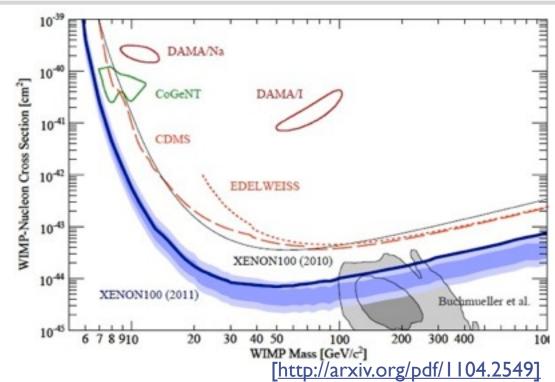
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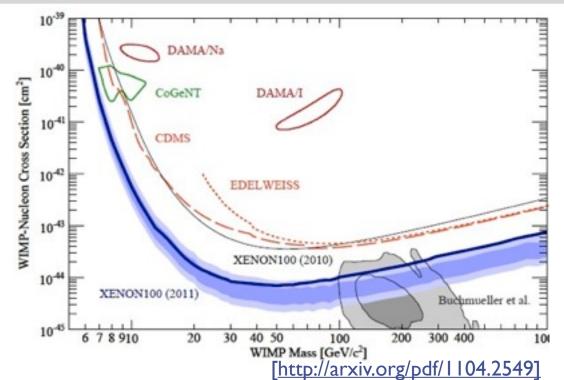


Now CoGeNT has provided additional evidence at low mass



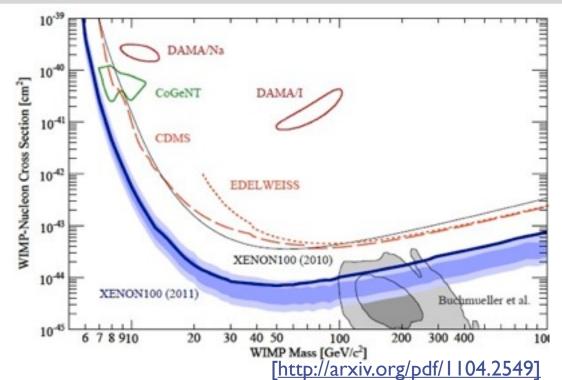






On the face of it, tension between DAMA & CoGeNT results and XENON.

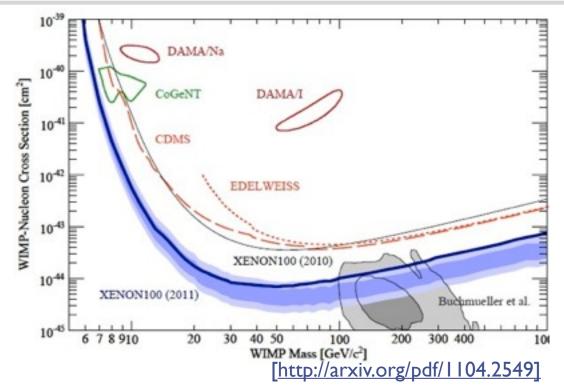




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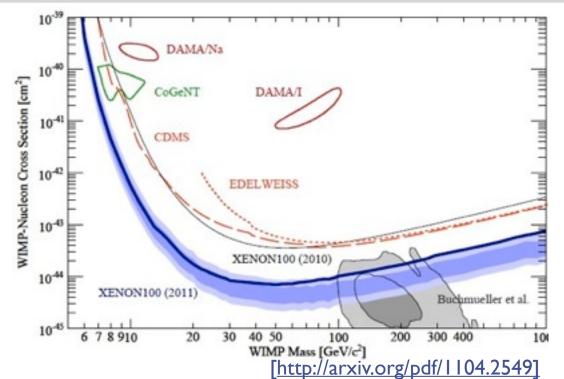


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But theorists are exploring loopholes through which they could be consistent.

Need models in high cross-section, low mass regime.

Interestingly, this might also be the kind of particle to address the excess from Fermi, which I won't discuss here, through annihilations of dark matter.





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Examples: Hooper, Collar, Hall, McKinsey (2010); Fitzgerald, Zurek (2010); Fox, Liu, Weiner (2010); Giuliani (2005); Chang, Liu, Pierce, Weiner, Yavin (2010); Feng, Kumar, Marfatia, Sanford (2011); Hooper, Finkbeiner, Dobler (2007); Dobler, Finkbeiner (2008); Alwall, Feng, Kumar, Su (2010); ...



Prospects



Next results to keep an eye on are the CRESST-II results which will be presented at the TAUP 2011 conference on September 5.



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SEE NEXT TALK - JONGHEE YOO





2. Cosmic Acceleration & New Field Theories





Evolution of the universe governed by Einstein eqns

$$G_{\mu
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Use simple metric for cosmology and model matter as a perfect fluid with energy density ρ and pressure p



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 The Friedmann equation

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When evolution dominated by type i, obtain

$$a(t) \propto t^{2/3(1+w_i)}$$
 $\rho(a) \propto a^{-3(1+w_i)}$ $(\mathbf{w_i} \neq -1)$



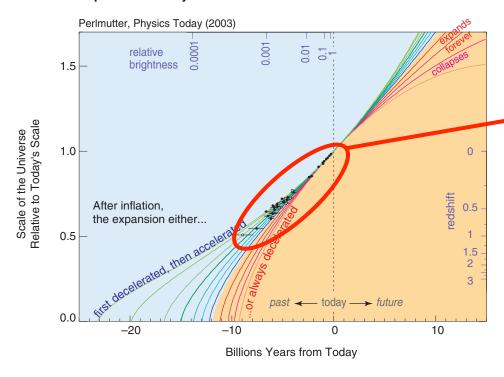


What does data tell us about the expansion rate?



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Expansion History of the Universe



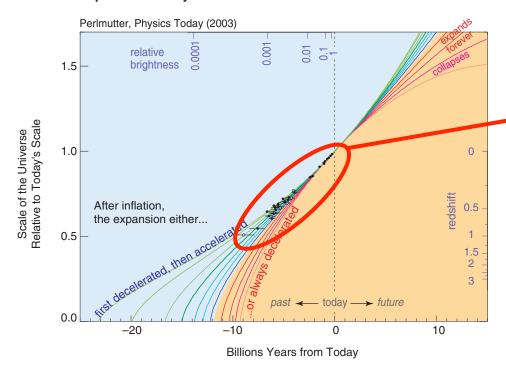
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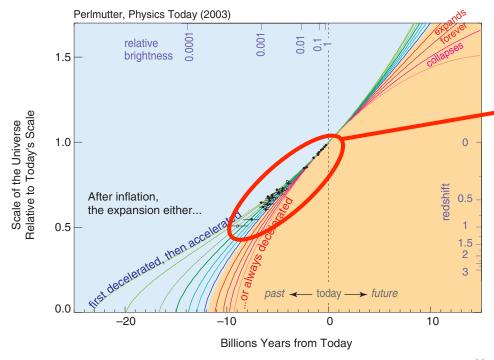
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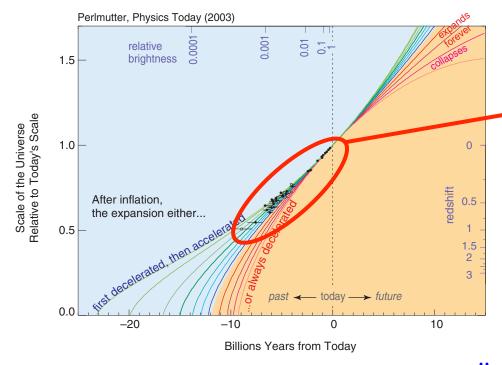
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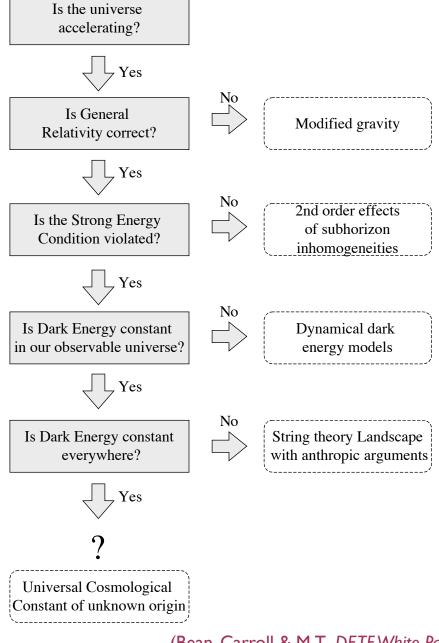
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If we trust GR and recall that

$$\frac{\ddot{a}}{a} \propto -(\rho + 3p)$$

Then we infer that the universe must be dominated by some strange stuff with $p < -\rho/3$. We call this **dark energy!**





(Bean, Carroll & M.T., DETF White Paper (2005) [astro-ph/0510059])





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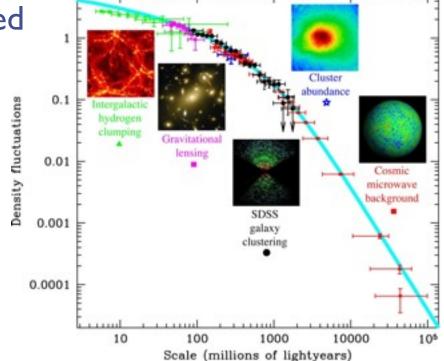
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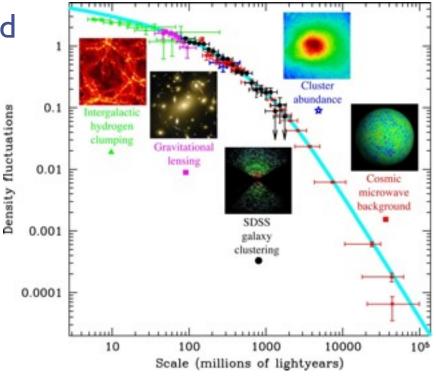
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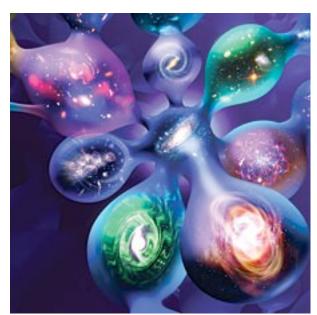
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If a dynamical understanding of a small CC is found, it would be hard to accept this.



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If DE is time or space dependent, would be hard to explain this way.





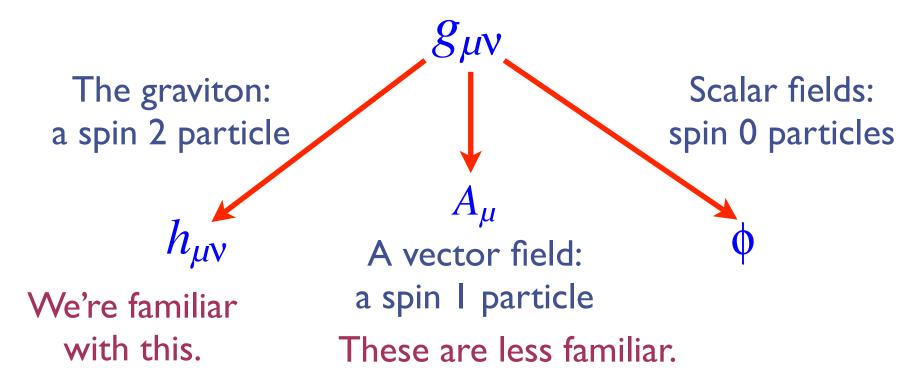
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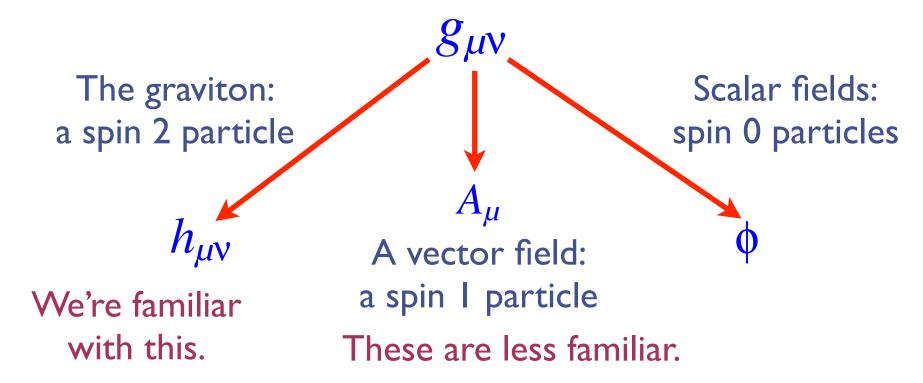


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Almost any other action will free some of them up





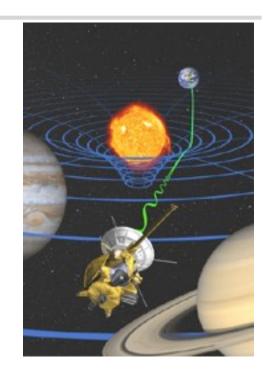
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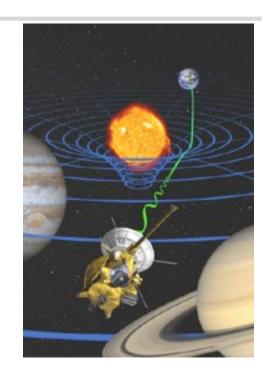
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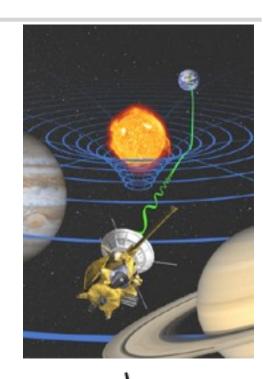
Another problem is that they can lead to instabilities because they are ghost-like (have the wrong sign kinetic terms.) If we were to take these seriously, they'd have negative energy!!

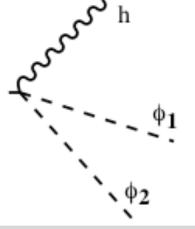
 Ordinary particles could decay into heavier particles plus ghosts

(Carroll, Hoffman & M.T., Phys. Rev. **D68**: 023509 (2003) [astro-ph/0301273])

Vacuum could fragment

(Cline, Jeon & Moore. (2004))









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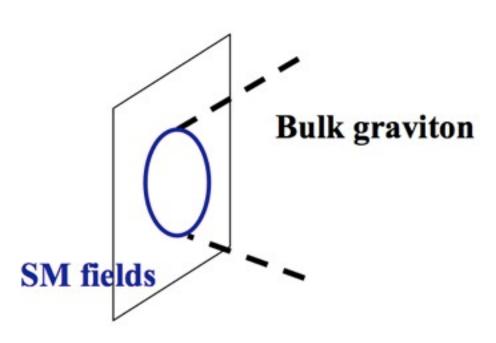


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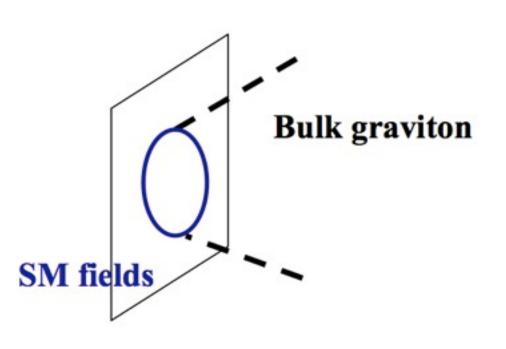
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- On small scales get 4d gravity
- On large scales start to see 5d effects
- Can get acceleration (but comes with problems)

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$$\pi(x) \rightarrow \pi(x) + c + b_{\mu}x^{\mu}$$

The Galilean symmetry!





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 - Yields a novel and fascinating 4d effective field theory
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- Allows for classical field configurations with order one nonlinearities, but quantum effects under control.
- So can study non-linear classical solutions involving galileon terms, and trust solutions





Remarkable fact about these theories (c.f SUSY theories)



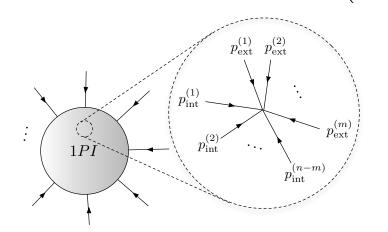
Remarkable fact about these theories (c.f SUSY theories)

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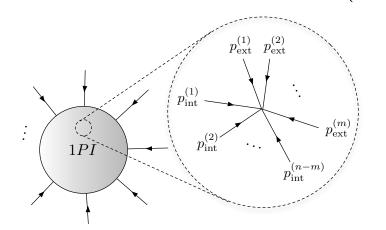


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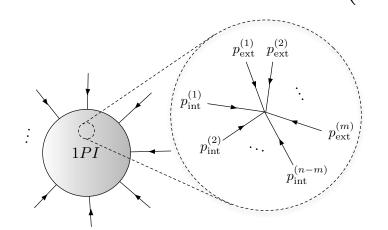
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Have also developed entirely new class of models naturally living in curved space. (Goon, Hinterbichler & M.T., 2011)





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Connections to massive gravity, higher-dimensional gravity, ... Interesting to see if this leads anywhere for cosmology in coming year.



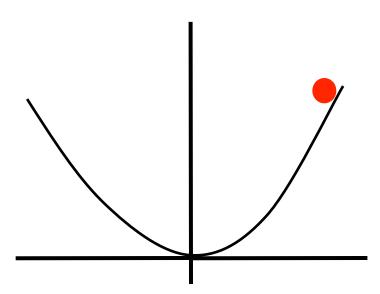


3. Inflation and Non-Gaussianity

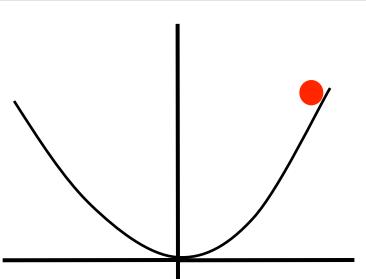


A Reminder about Inflation



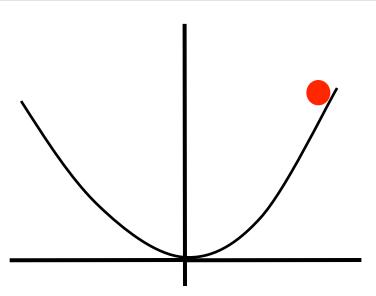






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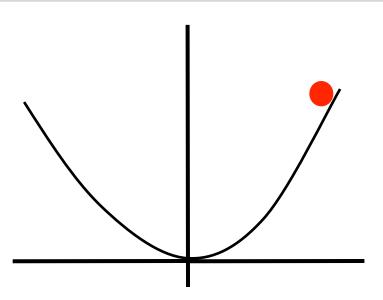




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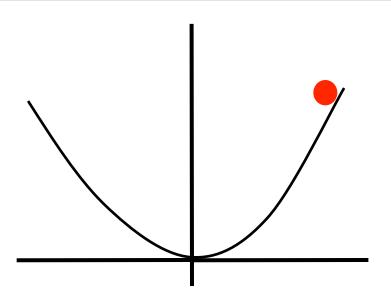




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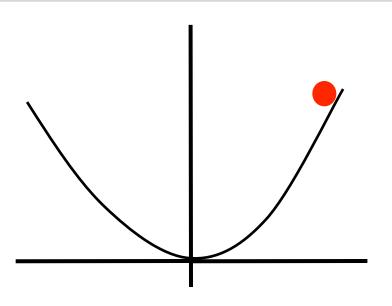




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• The broad predictions of inflation are now beginning to confront observations. We know they require a high-energy density extremely flat potential, but the details of this are now being probed as precision measurements emerge.



[Cheung, Creminelli, Fitzpatrick, Kaplan, Senatore (2008)]



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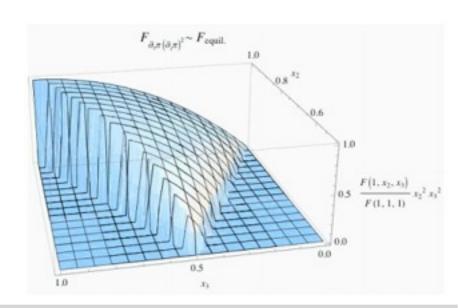
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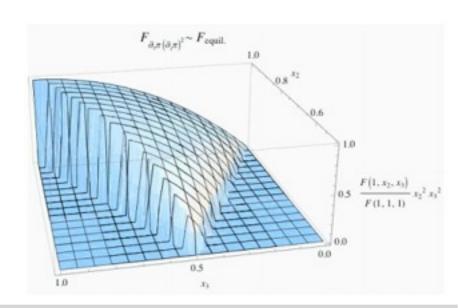
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Vanilla inflation typically gives small effect, but some models can give *much* more!







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[WMAP 7-Year, Komatsu et al.]

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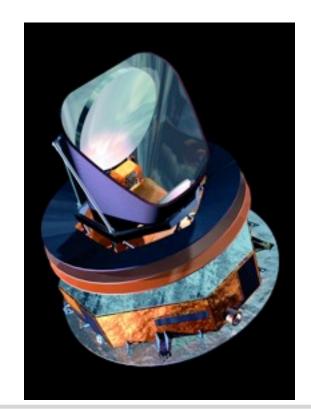
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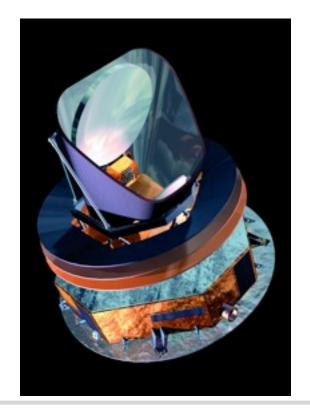
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This is the big observational test of many more exotic models of inflation







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