









Progress in adapting the QSS Stepper to the current version of Geant4 Testing and benchmark results

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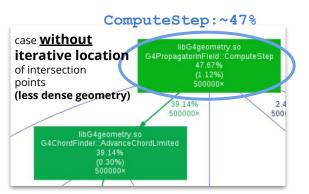
Agenda

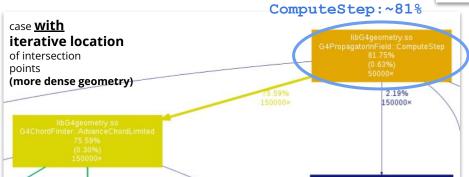
- Main Motivation
- 2. Quick refresher on QSS (more in the backup slides)
- 3. Test of the QSS Stepper in a relevant subset of typical examples
- 4. Verify the correct functioning of the examples
- 5. Benchmark the QSS Stepper against the default Geant4 Stepper
- 6. Error assessment for different QSS accuracies

Motivation

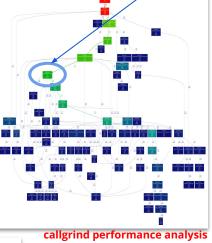


- **Simulation domain:** Tracking of subatomic particles
 - Undergoing physics processes within complex detector geometries
- **Key issue:** Handling of boundary crossings across discrete volumes
 - Can require **CPU-intensive**, ad-hoc iterative algorithms
 - Can we do better?
- **Approach:** Family of hybrid (continuous/discrete-event) integrators
 - **Quantized State System (QSS) numerical methods**
 - Attractive performance features for HEP applications





G4PropagatorInField::ComputeStep

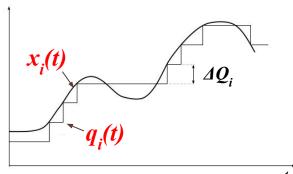


Synthetic benchmark

Perfect 2D particle oscillator radius: 45 mm Geometry: Parallel planes G4 params: epsilon = 1E-7deltaChord = 0.25 mm stepMax = 20 mm trackLength = 1000 m

Quantized State System (QSS) numerical methods

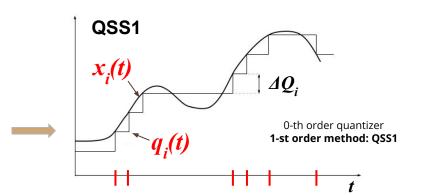
- Based on **state variables quantization**
- QSS methods discretize the system state variables as opposed to classical solvers which discretize the time (e.g. family of Runge-Kutta methods)
- Continuous state variables approximated by Quantized state variables
 - A quantization function is in charge of controlling error and accuracy throughout the simulation



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Higher order QSS

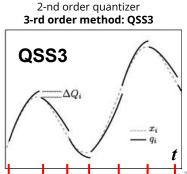
$$q_i(t) = egin{cases} x_i(t) & ext{if } ig| q_i(t^-) - x_i(t) ig| \geq \Delta Q_i \ q_i(t^-) & ext{otherwise} \end{cases}$$



- $\triangle Q_i$ is the **quantum**
 - \circ **Maximum deviation allowed** between x_i and q_i (error control)
 - Derived from the accuracy demanded by the user
- **Higher order QSS methods (QSSn)** follow a similar principle
 - o In a **QSS1** method, q(t) follows piecewise constant trajectories
 - In a **QSSn** method, q(t) follows piecewise (n-1)-th order polynomial trajectories

1-st order quantizer
2-nd order method: QSS2

QSS2 ΔQ_i $- q_i$ $- q_i$



Goal: Fewer "steps" for the same global accuracy

Asynchronous **discrete events** No "regular" time steps Main QSS features for HEP problems

Inherent asynchronicity

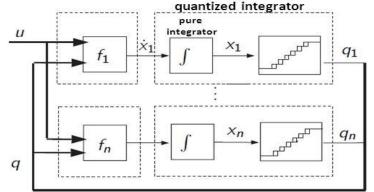
 Decoupled, independent computation of changes in each state variable (no "global clock")

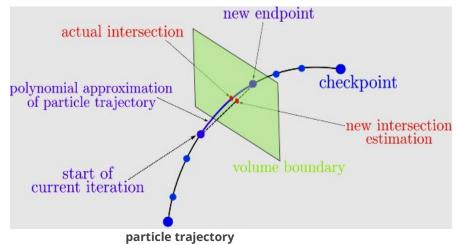
Dense trajectory output

 Supported by piecewise polynomial approximations of trajectories

Lightweight discontinuity handling

 Boundary crossings detected by finding roots of simple polynomials

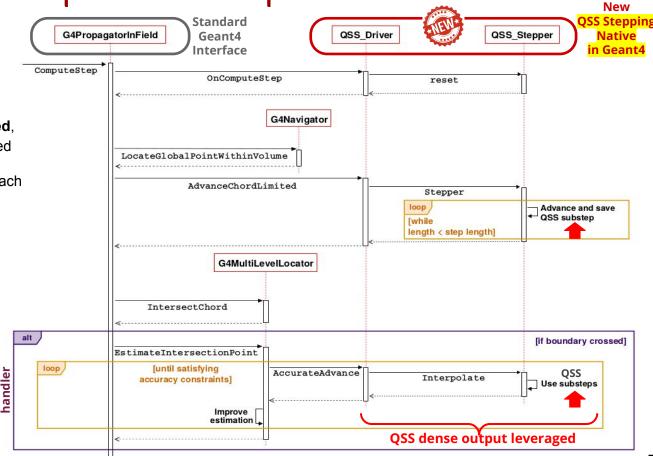




QSS-based step computation sequence in Geant4

- The intersection-finding algorithm starts with a quick test using a linear segment joining the step endpoints (IntersectChord) yielding an initial estimation of the intersection point
- In case a volume boundary is crossed, this estimation is progressively improved (EstimateIntersectionPoint, that queries the Integration Driver on each of its iterations (AccurateAdvance) in order to advance a given length and then test which side of the boundary the particle lies in
- The QSS Driver, by means of the Interpolation Driver's custom behavior, issues an Interpolate call to the QSS Stepper
- Interpolate is handled very efficiently leveraging the polynomial QSS Substeps previously computed and saved

Boundary



Summary of results: QSS vs. DOPRI

	Example =	Meth -	QSS accurac	cy parameters dQmin 	% of Intersecti ons per G4 Step	QSS Substeps per G4 Step	User Time = (seg)	System Time = (seg)	Real Time = (seg)	Average Time per G4 Step (seg)	Speedup (QSS vs. DOPRI) Real Time
	B2a	DOPRI	N/A	N/A	3.79%	N/A	2.052	0.175	2.614	1.3E-04	N/A
	B2a	QSS	1.0E-02	1.0E-03	3.75%	10.191	2.067	0.176	2.654	1.3E-04	-1.53%
	B2b	DOPRI	N/A	N/A	3.73%	N/A	2.081	0.178	2.651	1.3E-04	N/A
	B2b	QSS	1.0E-02	1.0E-03	3.77%	10.209	2.107	0.178	2.680	1.3E-04	-1.09%
	B4c	DOPRI	N/A	N/A	4.31%	N/A	1.623	0.180	2.202	1.1E-03	N/A
	B4c	QSS	1.0E-02	1.0E-03	4.02%	2.517	1.603	0.182	2.170	2.1E-03	1.43%
	B4d	DOPRI	N/A	N/A	4.31%	N/A	1.637	0.183	2.217	1.1E-03	N/A
	B4d	QSS	1.0E-03	1.0E-04	4.19%	5.026	1.605	0.178	2.164	1.1E-03	2.39%
·) \	B5 SingleBeam	DOPRI	N/A	N/A	2.78%	N/A	3.442	0.257	4.004	1.1E-01	N/A
′]]	B5 SingleBeam	QSS	1.0E-03	1.0E-04	2.78%	1,494.940	3.259	0.245	3.841	1.1E-01	4.06%
	Extended Field 01	DOPRI	N/A	N/A	6.51%	N/A	1.020	0.096	1.347	7.4E-04	N/A
	Extended Field 01	QSS	1.0E-02	1.0E-03	5.99%	37.787	1.014	0.096	1.333	6.7E-04	1.03%
	Extended Field 02	DOPRI	N/A	N/A	19.17%	N/A	1.270	0.124	1.612	9.7E-04	N/A
	Extended Field 02	QSS	1.0E-02	1.0E-03	19.17%	3.056	1.265	0.128	1.610	9.7E-04	0.07%
	Extended Field 03	DOPRI	N/A	N/A	14.76%	N/A	1.375	0.186	1.783	1.9E-04	N/A
	Extended Field 03	QSS	1.0E-02	1.0E-03	9.99%	62.279	2.608	0.451	3.281	8.2E-05	-83.95%
	Extended Field 06	DOPRI	N/A	N/A	0.08%	N/A	0.030	0.010	0.037	3.1E-05	N/A
	Extended Field 06	QSS	1.0E-02	1.0E-03	0.08%	1.190	0.032	0.012	0.040	3.3E-05	-7.27%

Note: In all cases (*) where **QSS** is able to outperform **DOPRI**, only the best combination of **QSS** accuracy parameters is shown (**rel**ative and **min**imum **Q**uantum **d**elta sizes, **dQrel** and **dQmin**). Other combinations may exist that could even perform worse than DOPRI.

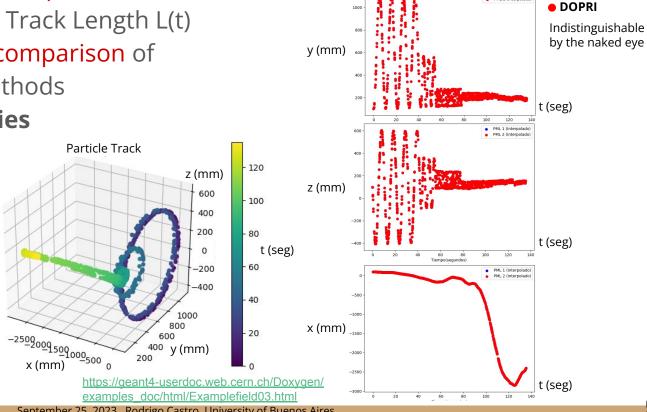
New: Logging of time series for error assessment

- Calculation of the Mean Square Error (MSE) for x(t),y(t),z(t) and the Track Length L(t)
- Thorough systematic comparison of deviation between methods for **different accuracies**
- Interpolation of asynchronous time series
- E.g.: QSS2 vs DOPRI

dQRel=1e-5, dQMin=1e-6

X MSE = 1.64Y MSE = 0.00072= 0.0014L MSE =





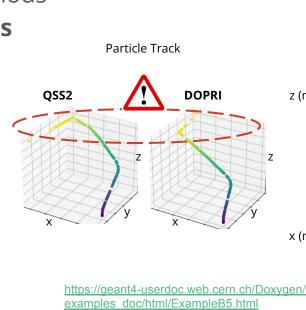
G4 Extended Example field03

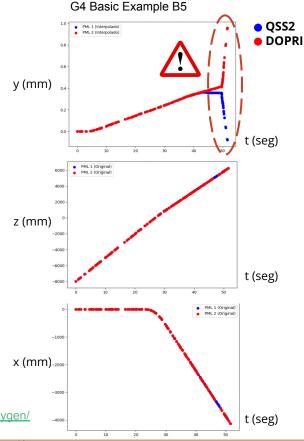
QSS2

New: Logging of time series for error assessment

- Calculation of the Mean Square Error (MSE) for x(t),y(t),z(t) and the Track Length L(t)
- Thorough systematic comparison of deviation between methods for different accuracies
- Interpolation of asynchronous time series
- E.g.: QSS2 vs DOPRI

dQRel=1e-1, dQMin=1e-2 Z_MSE = 33.35 X_MSE = 0.026 Y_MSE = 182.28 L MSE = 5.9e-13





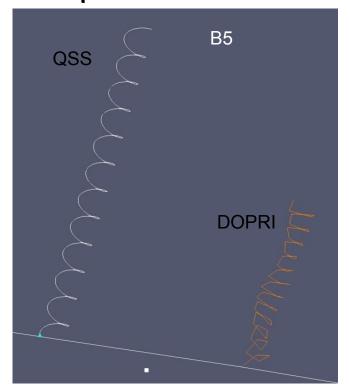
Results highlights

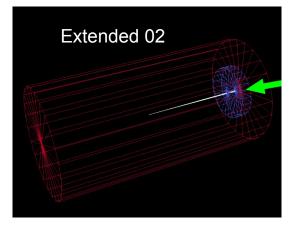
- 11 examples tested and verified successfully:
 - Basic (B2a, B2b, B4c, B4d, B5), Extended (with magnetic field: 01, 02, 03, 06), Advanced (ams_ECAL)
 - FullSimLight, a lightweight standalone Geant4 simulation tool that supports the full ATLAS geometry and the ATLAS magnetic field map
- Benchmarks made against G4 (ver. 11.0.0-ref-02) default stepper (DOPRI with Interpolation Driver)
- In 5 cases there exist QSS accuracy parameters that can outperform DOPRI
 - However, the ratio of geometry intersections per G4 step remains below 19% in all tested examples (typically around 5%) => these are not "QSS-friendly" scenarios (not too many intersections per step)
- Particle trajectories were compared visually using Paraview and VTK output files
- Benchmarking software: we continue developing a toolset for repeatable benchmarking that can be parameterized to produce systematic performance comparisons across G4 Steppers

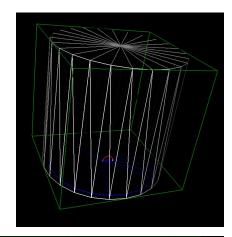
Benchmark computing platform

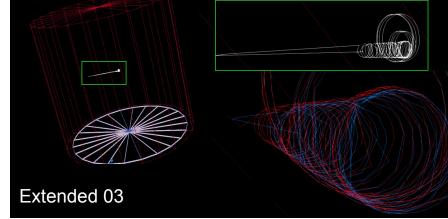
- All experimentations carried out in CERN's OpenLab (controlled environment)
- Hardware specs: Intel(R) Xeon(R) CPU E5-2683 v4 @ 2.10GHz (64 CPUs) 64 GB RAM

Example visualizations









Thank you

Backup Slides

QSS solvers for HEP applications

- Started as a collaboration with the Detector Simulation Group in Fermilab
 - o w/Daniel Elvira & Team, Software for Physics Applications Dept., Scientific Computing Div.
- Since 2015 Research on Efficient simulation of particle systems (HEP and other apps.)
- 2 completed Master's Thesis
- 1 PhD Thesis
- 5 peer-reviewed publications
- Successful case of a HEP/Computer Science interdisciplinary collaboration
 - Results relevant and innovative both for the Physics and the Computer communities

Latest manuscript:

Efficient discrete-event based particle tracking simulation for high energy physics L. Santi, L. Rossi, and R. Castro

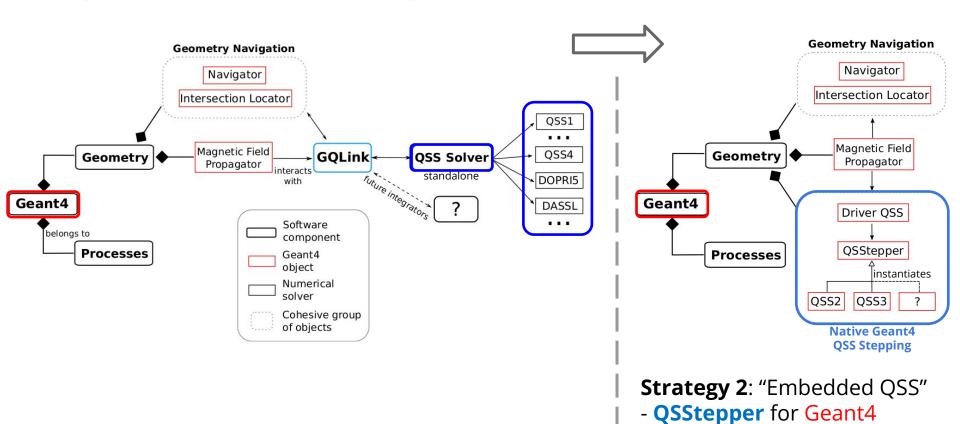
https://doi.org/10.1016/j.cpc.2020.107619







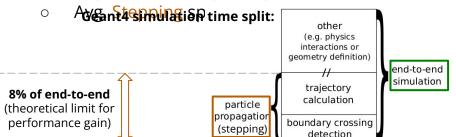
Integration with G4: High Level architectures

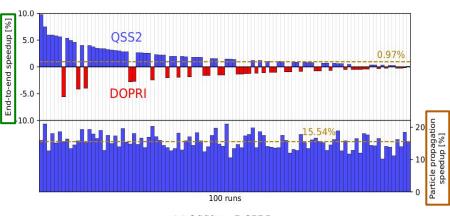


- New native G4 Steppers

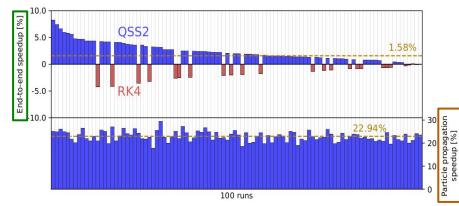
CMS Benchmark results

- Experimental results
 - CMS full Run 1 geometry
 Single π particles, Physics list FTFP_BERT
 - 100 independent runs, 2000 particle gun events
- OSS2 vs. DOPRI
 - o 62 runs favorable for QSS; 38 for Geant4
 - Avg. End to End speedup: ~1% (max. ~10%)
 - Avg. Stepping speedup: ~15% (max. ~20%)
- OSS2 vs. RK4
 - o 77 runs favorable for QSS; 23 for Geant4
 - Avg. End to End speedup: ~1.5% (max. ~8%)





(a) QSS2 vs. DOPRI (comparison with "DOPRI with Interpolation" is work in progress)

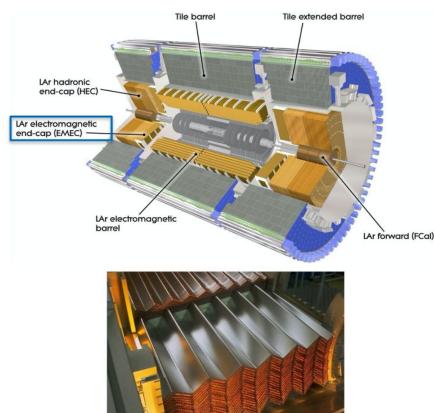


(b) QSS2 vs. RK4

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ATLAS as a next reference model

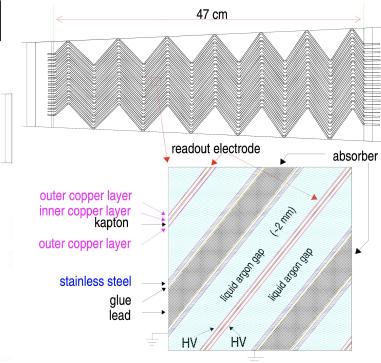
- ATLAS experiment as next reference model for QSS methods
- Explore simulation scenarios that use QSS methods integrated into the recently developed FullSimLight simulation prototype [1][2], a lightweight standalone Geant4 simulation tool that supports the full ATLAS geometry and the ATLAS magnetic field map
- Of particular interest is the simulation of the **EMEC** detector
- The **EMEC** (**ElectroMagnetic End-Cap**) [3] is a lead-liquid argon sampling calorimeter with interleaved accordion-shaped absorbers and electrodes.
 - The accordion fold amplitude varies with the radius from the wheel center leading to a varying gap size
 - It has been implemented as a custom solid (GeoSpecialShape) in GeoModel and in Geant4



Picture of an electromagnetic end-cap module during stacking, showing the accordion structure of the ATLAS EM calorimeters.

ATLAS as a next reference model

- The EM calorimeters comprise accordion-shaped copper-kapton electrodes positioned between lead absorber plates and kept in position by honeycomb spacers while the system is immersed in LAr [1]
- The **EMEC** special shape is a well-known hotspot in the ATLAS simulation:
 - takes a significant amount of the total full Geant4 simulation CPU time: ~11.5%
- The research hypothesis is that the EMEC's densely layered geometry
 is a very suitable application case where the efficient discontinuity
 handling property of QSS can be effectively leveraged.



Module / Class / Source Function / Call Stack	CPU Time ▼	Instructions Retired	Microarchitecture Usage	
module / Class / Source Function / Call Stack	CPO Time ¥	instructions Retired	Microarchitecture Usage	CPI Rate
libG4geometry.so	27.0%	26.9%	40.2%	0.665
libG4processes.so	24.2%	21.4%	32.2%	0.693
▼ libGeoSpecialShapes.so	11.5%	14.2%	53.9%	0.571
▶ LArWheelCalculator_Impl::DistanceCalculatorSaggingOff	6.7%	8.9%	50.1%	0.563
▶ LArWheelCalculator	2.4%	3.3%	66.7%	0.570
▶ LArWheelCalculator_Impl::WheelFanCalculator <larwheelcalculator_impl::saggingoff_t></larwheelcalculator_impl::saggingoff_t>	2.1%	1.8%	45.5%	0.610

Plans for QSS integration into the Geant4 release

March/April

- Goal: Integrate the already developed QSS capabilities (last integration: v10.5)
- o Incorporate members of the UBA Team (Simulation Lab, CS Dept.) to the Geometry and Transport WG
- Initial tests, code housekeeping, documentation for final users.

June/July/August

- Goal: Include QSStepper into the Geant4 Quality Assurance regular procedures (collab. with Soon Yung Jun, Fermilab)
- o Reproduce benchmarks already run by the UBA Team in Argentina
- Start adding more applications (based on the success of previous benchmarks)

September/October

- Goal: QSStepper in the next development version
- Assess performance, identify bottlenecks and opportunities for improvements
- o Design/start new projects for extensions/refinements/enhancements
 - Typically advanced undergrad students, Master's Thesis, 6mo-1yr. Potentially a new PhD student

November/December

- o Goal: QSStepper in the next release version
- Design/start maintenance procedures/plan
- More goals TBD according to the progresses made so far

Summary

- Performance gains in Geant4 achievable by QSS methods are a fact
 - But also largely application-dependent
- We are entering a new phase of more comprehensive benchmark-based performance characterizations
 - CMS continues to serve as a reference model (add more test cases)
 - ATLAS to be soon added to the list, bringing in new particular challenges
- HEP as a provider of challenging applications for continued Simulation-specific R&D