Event shapes in Higgs decays and measurements of hadronic Higgs branching ratios

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This Talk...

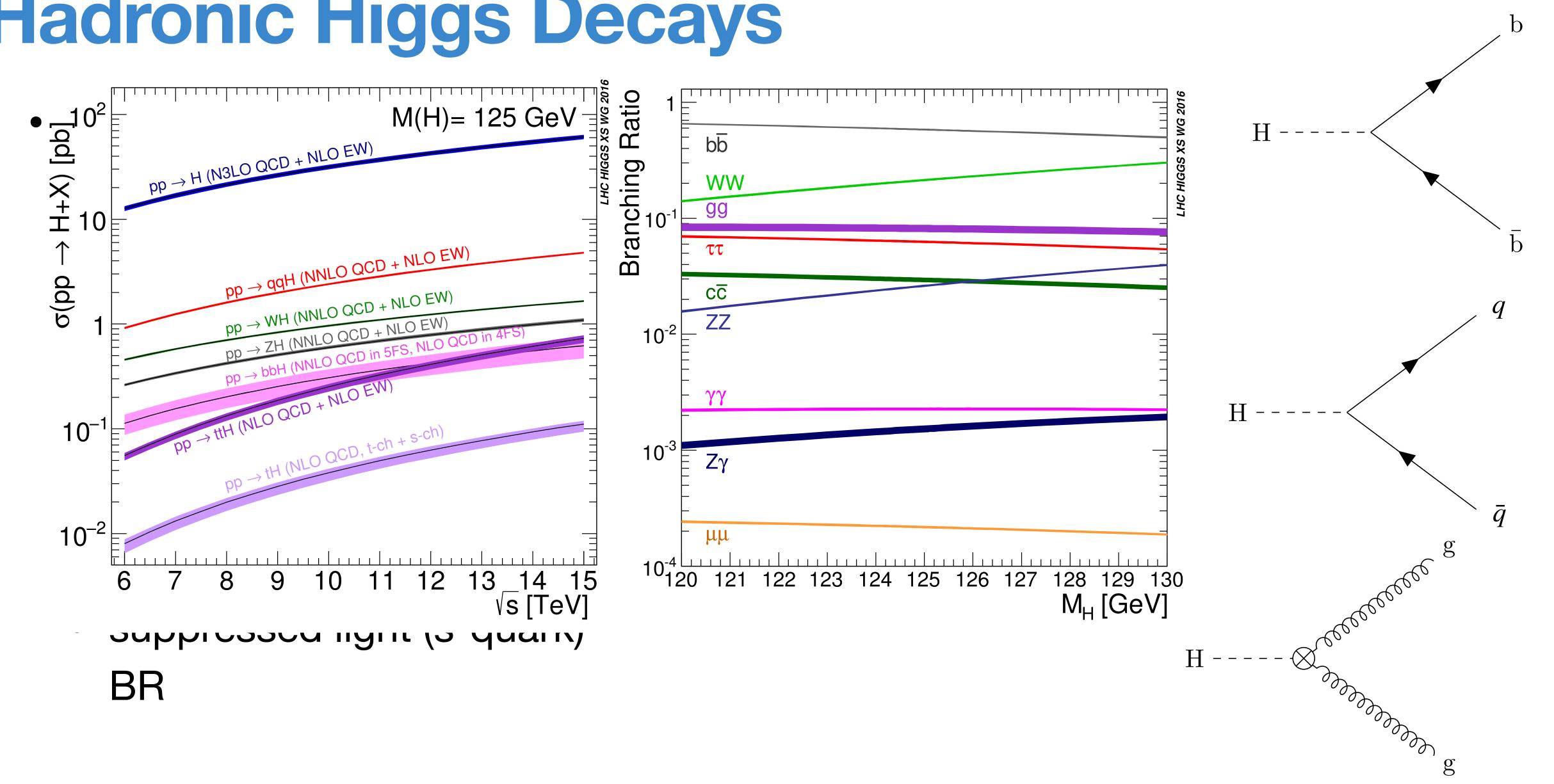
Part I:

alternative ideas for Measurements of Higgs Boson Branching ratios based on event shapes [Knobbe, Krauss, DR, Schumann '23] make use of clean environment in FCC-ee setting Part II:

precision calculations for event shapes in Higgs decays with EERAD [Coloretti, Gehrmann-de Ridder, Preuss '22] [Gehrmann-de Ridder, Preuss, Williams '23] and resummation in Sherpa-CAESAR framework [Gehrmann-de Ridder, Preuss, DR, Schumann WIP]

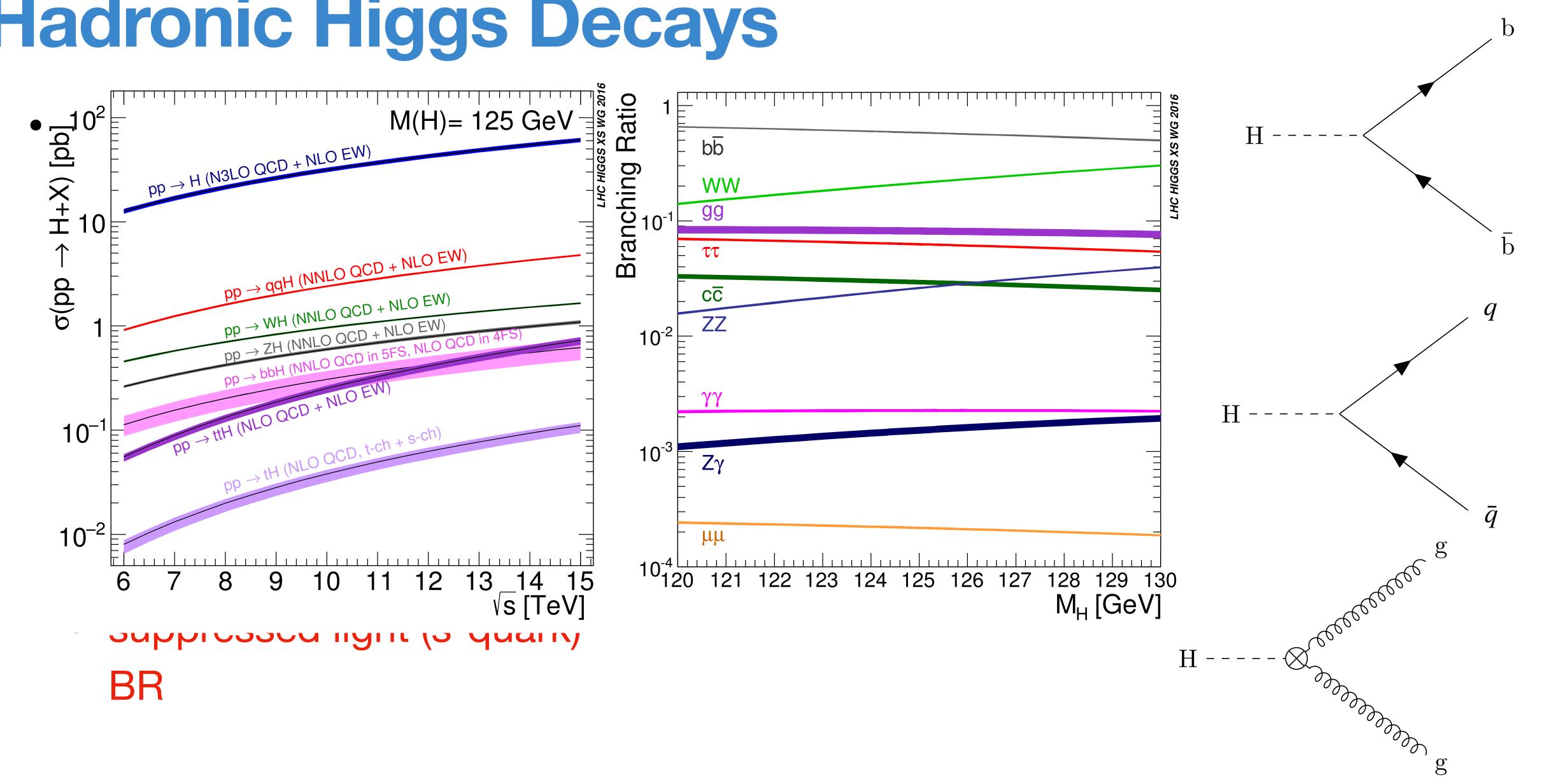


Hadronic Higgs Decays





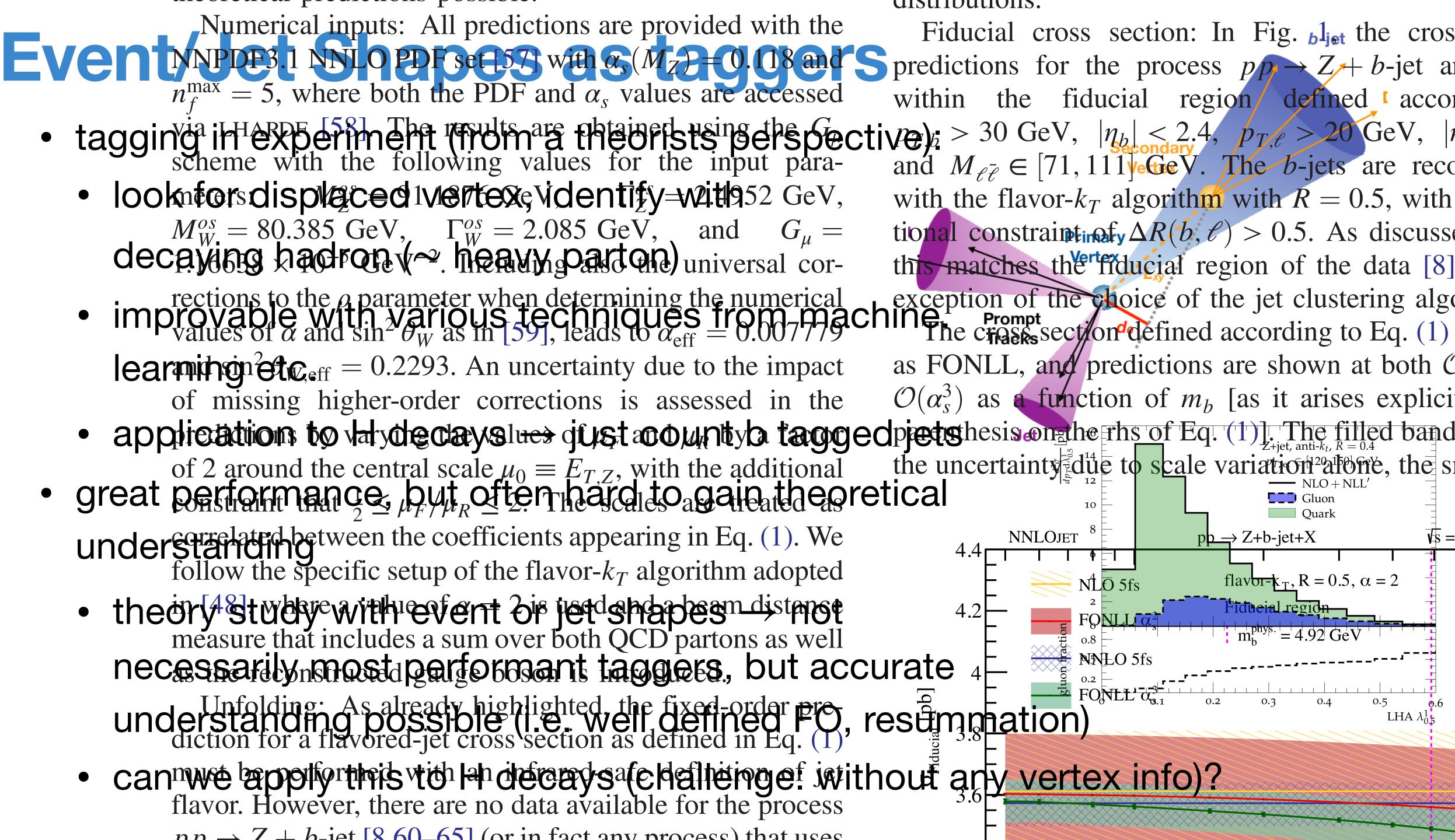
Hadronic Higgs Decays





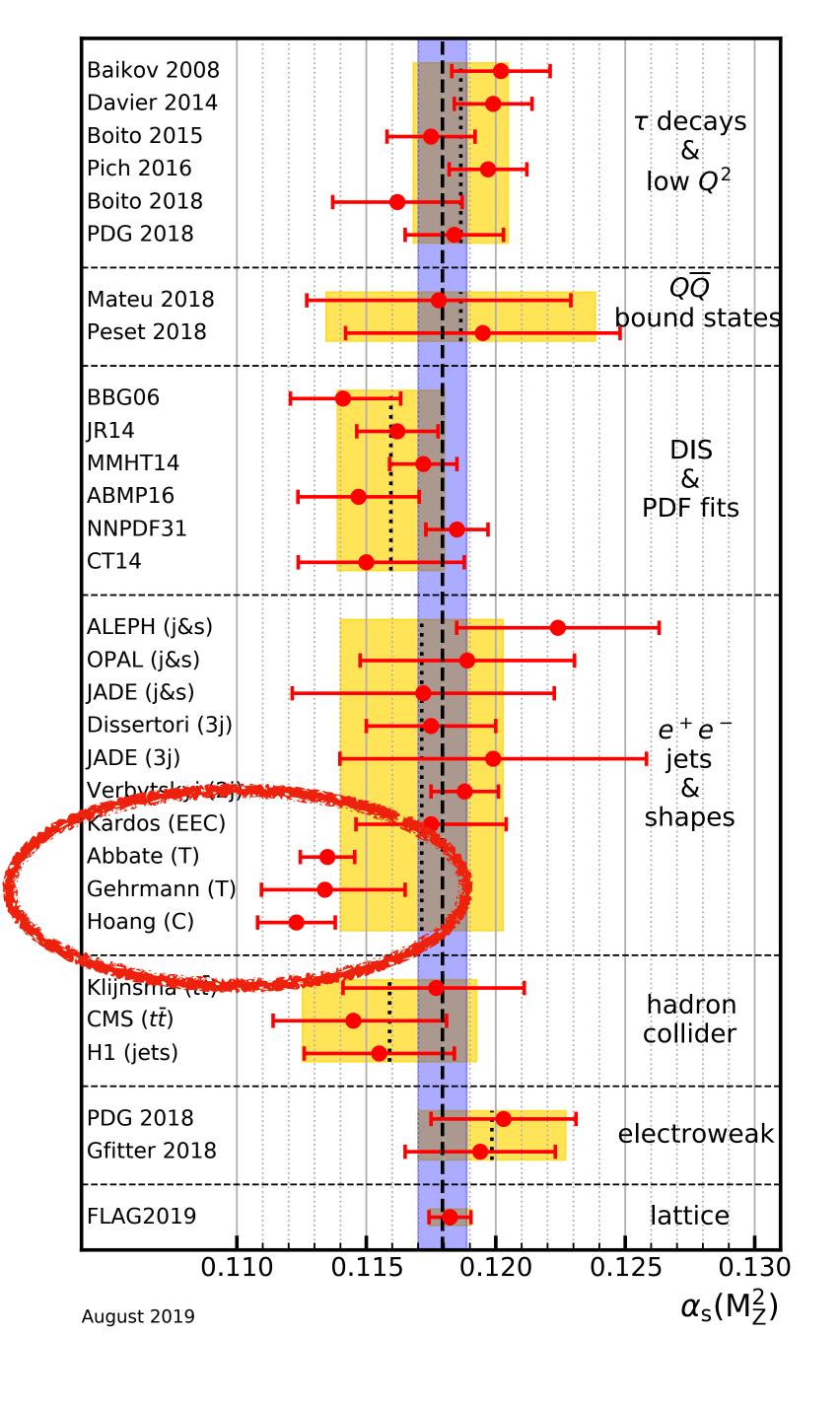
Numerical inputs: All predictions are provided with the $n_f^{\text{max}} = 5$, where both the PDF and α_s values are accessed

- - looknforsdisplaced wertex, identify=with 52 GeV, $M_W^{os} = 80.385 \text{ GeV}, \quad \Gamma_W^{os} = 2.085 \text{ GeV}, \quad \text{and} \quad G_\mu =$ decaying hadron (~ heavy parton) universal cor-
 - learning 2 = 0.2293. An uncertainty due to the impact of missing higher-order corrections is assessed in the
- of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the central scale $\mu_0 \equiv E_{T,Z}$, with the additional the use of 2 around the use of 2 under standing tween the coefficients appearing in Eq. (1). We follow the specific setup of the flavor- k_T algorithm adopted
 - theory study with event of jet shapes district measure that includes a sum over both QCD partons as well necessarily most performant taggers, but accurate 4 understanding possible (i.e. weil defined in Eq. (I)
 - flavor. However, there are no data available for the process $7 \perp b_{iet} [8, 60, 65]$ (or in fact any process) that uses



Event Shapes and α_s

- one traditional way to extract strong coupling constant:
 - high accuracy (NNLO+NNLL) of event shapes (Thrust, C-Parameter etc.) fitted to LEP data at the Z-pole
 - simple 1 or 2 parameter fit, can be pushed by theorists long after experiments are done





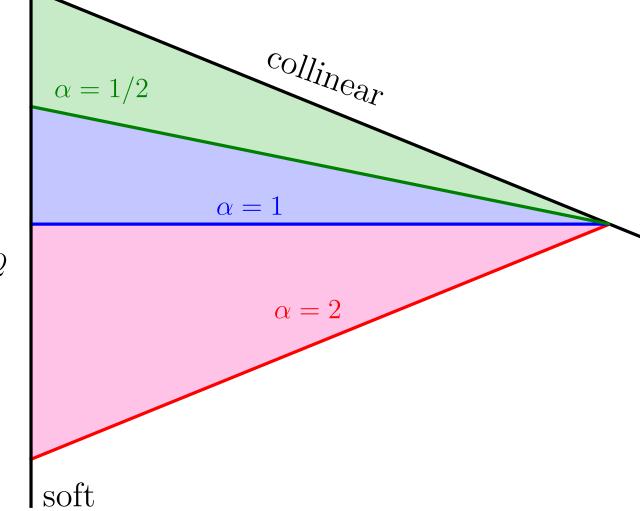
Event Shapes - Fractional Energy Correlations $_{\eta^{(i)}}$

- class of observables, typically normalised such that
 - $FC_{\chi} \rightarrow 0 \Rightarrow$ pencil-like event (little radiation),
 - $FC_x \rightarrow FC_x^{\max} < 1 \Rightarrow$ spherical event (a lot of radiation)

$$FC_x \equiv \sum_{i \neq j} \frac{E_i E_j |\sin \theta_{ij}|^x (1 - |\cos \theta_{ij}|)^{1-x}}{(\sum_i E_i)^2} \Theta\left[(\vec{q}_i \cdot \vec{n}_T) (\vec{q}_j \cdot \vec{n}_T) \right]$$

- parameter x determines weight of collinear emissions
- analogous to angularities at the LHC ($\alpha \sim 2 x$)

$$\ln k_t^{(l)}/Q$$

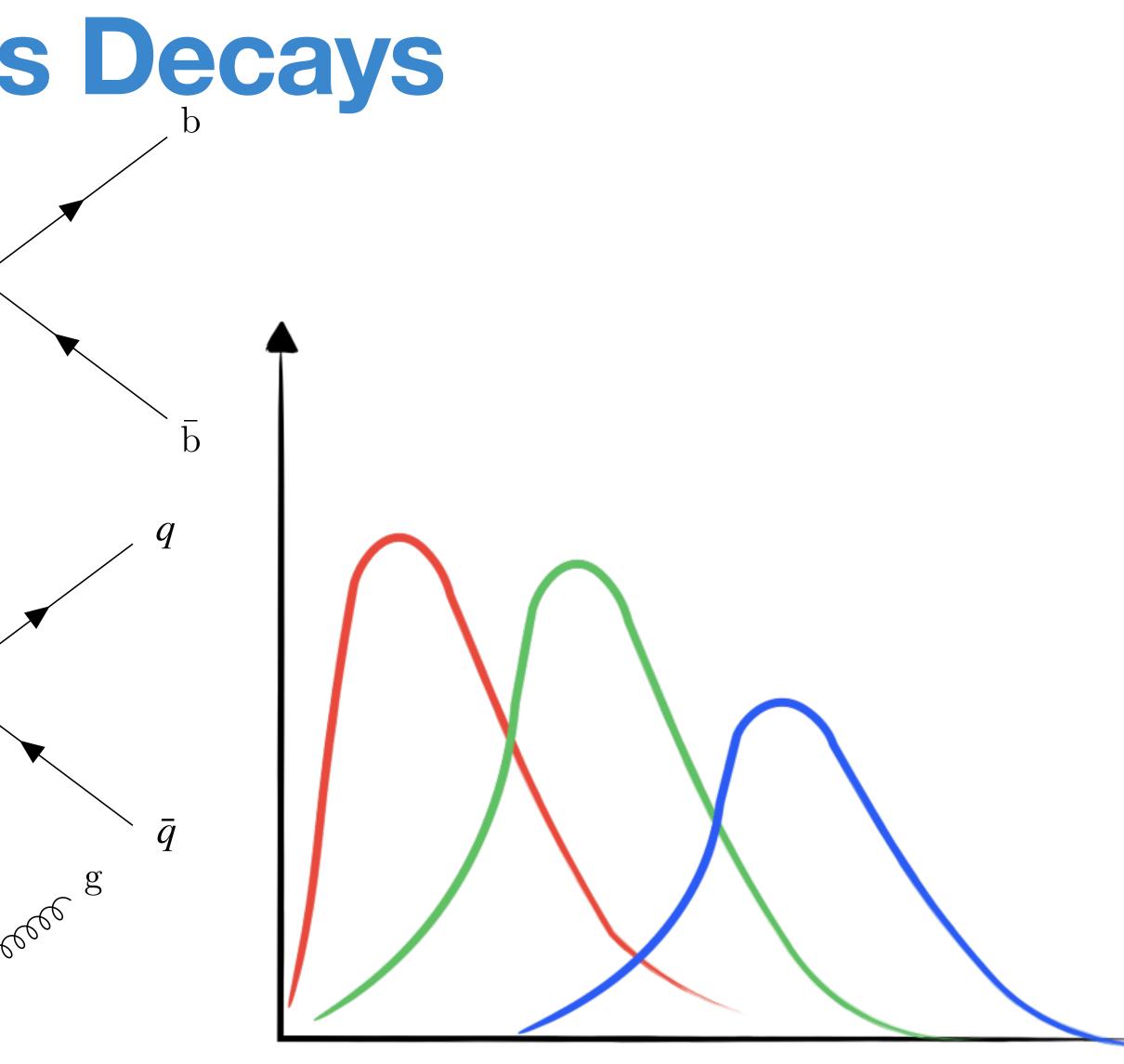


Event Shapes in Higgs Decays

- naive picture
 - b-quarks: radiation suppressed due to masses (dead-cone)

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- light quarks: massless radiators, collinear enhancement $_{\rm H}$ -----
- gluons: massless radiators, collinear enhancement $\propto C_A > C_F$



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Event Shapes in Higgs Decays

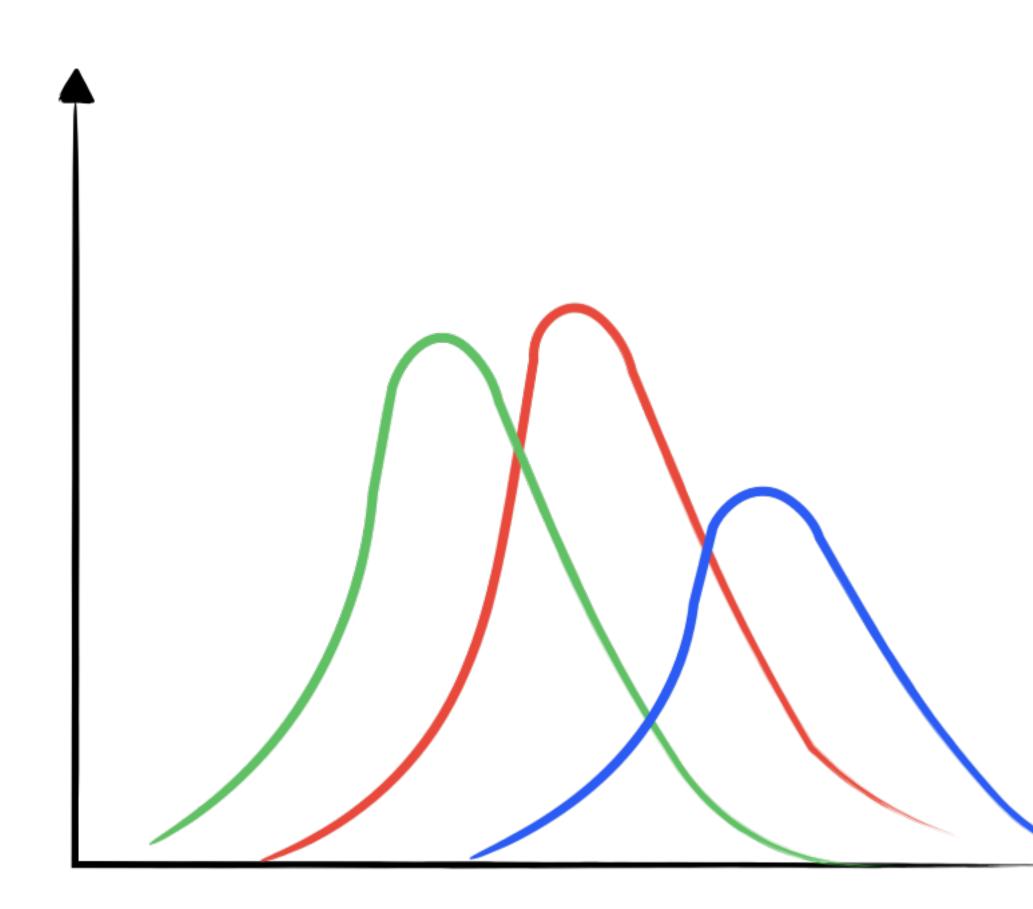
- naive picture, at hadron level
 - b-quarks: radiation suppressed due to masses (dead-cone), high mass decay
 - light quarks: massless radiators, collinear enhancement

$$\propto C_F = 4/3$$

 gluons: massless radiators, collinear enhancement

$$\propto C_A > C_F$$







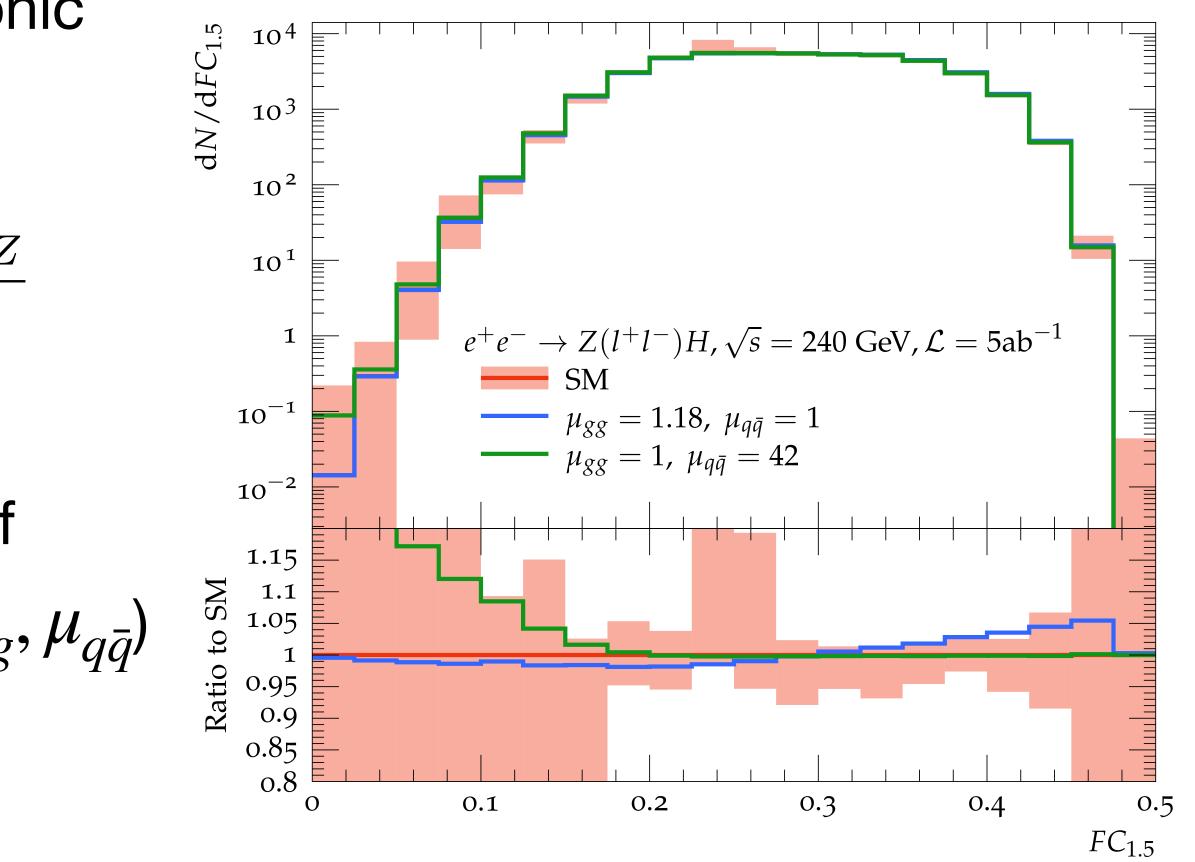
Effect of Yukawa couplings

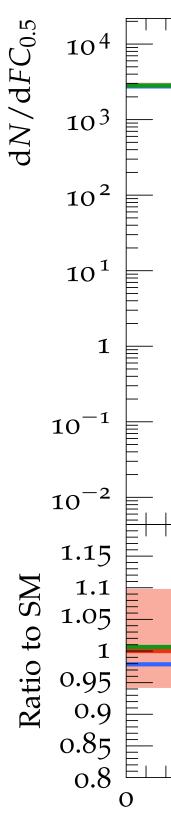
 overall distribution is sum over hadronic decay channels

$$\frac{\mathrm{d}\sigma}{\mathrm{d}v} = \sum_{i \in \{q\bar{q}, c\bar{c}, b\bar{b}, gg, WW, ZZ\}} \mu_i \frac{\mathrm{d}\sigma_i}{\mathrm{d}v} + \frac{\mathrm{d}\sigma_{ZZ}}{\mathrm{d}v}$$

- can determine relative contribution of each channel (here 2 parameters, μ_{gg} , $\mu_{q\bar{q}}$)
- boundary condition

$$\mu_{b\bar{b}} = 1 - (\mu_{gg} - 1)\frac{\sigma_{gg}}{\sigma_{b\bar{b}}} - (\mu_{q\bar{q}} - 1)\frac{\sigma_{q\bar{q}}}{\sigma_{b\bar{b}}}$$

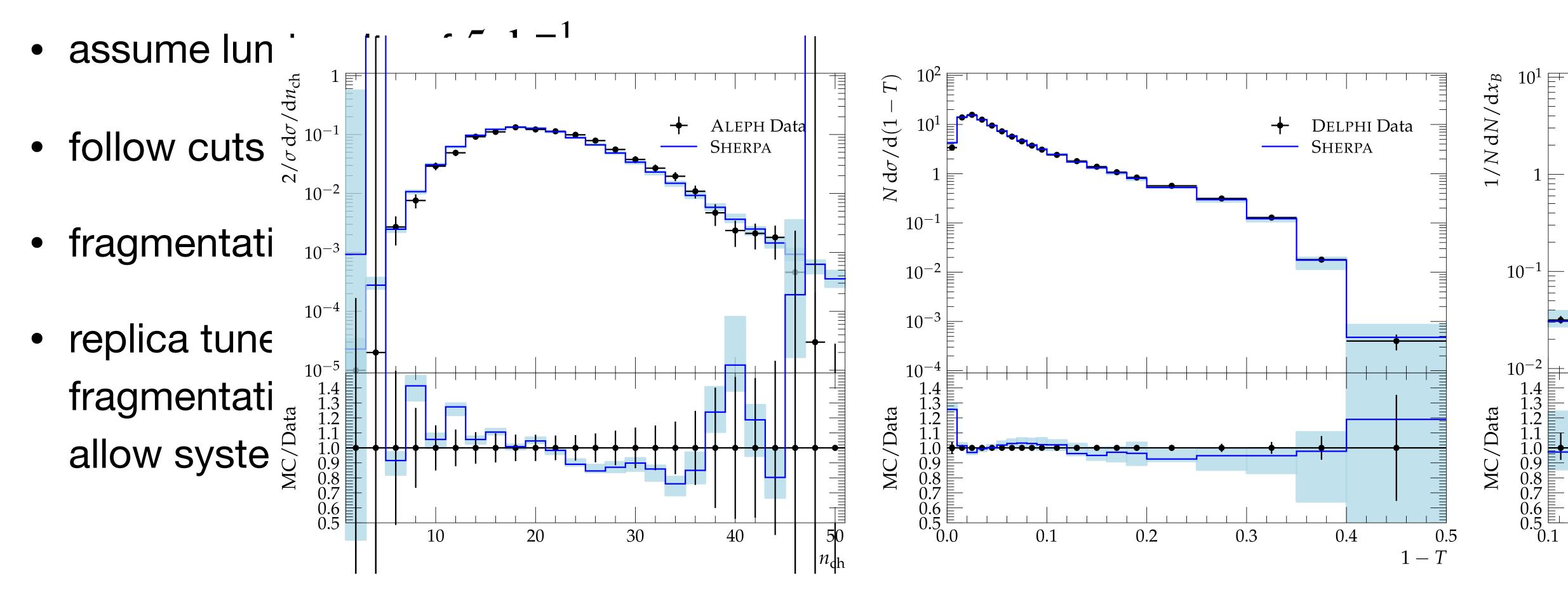


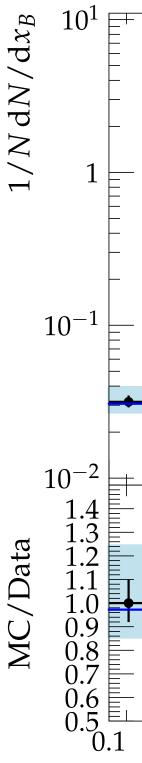




Study Setup

• run $e^+e^- \rightarrow HZ(\rightarrow l^+l^-)$ at $\sqrt{s} = 240$ GeV with Sherpa (3.0. α)

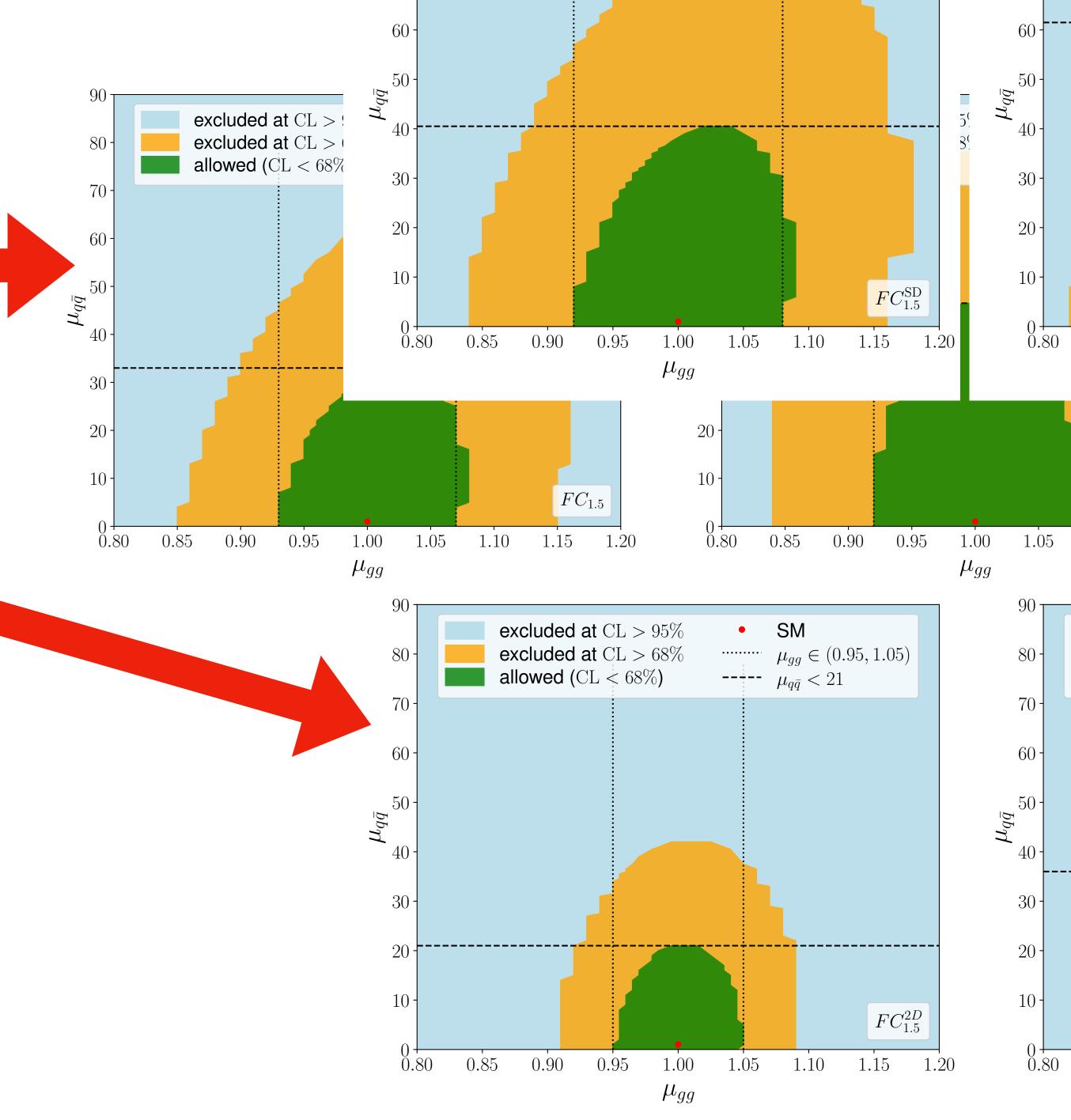




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Results

- generally best limit from $FC_{1.5}$ (higher weight on collinear emissions)
- slight improvement from taking into account correlated distribution in each jet
- limit of the same orders as tagging techniques, though not quite competitive (but provides independent methodology)



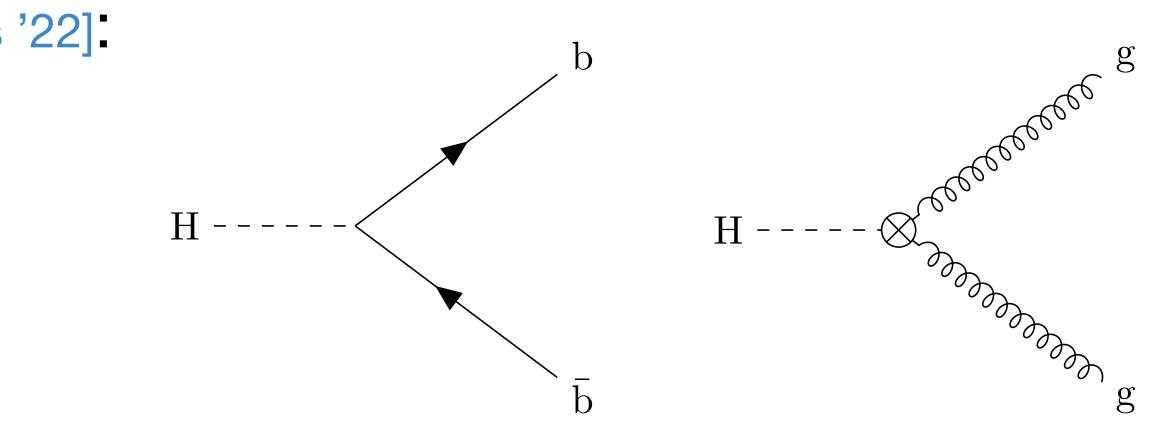
1	.00
μ	l_{gg}

Part II - precision calculations for event shapes



Precision calculations - Fixed Order

- From [Coloretti, Gehrmann-de Ridder, Preuss '22]. two types of Higgs decays, to (massless) quarks and gluons via effective vertex, implemented in EERAD3
- produces coefficients A, B for IR safe event shape O: $\frac{1}{\Gamma^n(s,\mu_{\rm R})} \frac{\mathrm{d}\Gamma(s,\mu_{\rm R},O)}{\mathrm{d}O} = \frac{\Gamma^0(\mu_{\rm R})}{\Gamma^n(s,\mu_{\rm R})} \left(\frac{\alpha_{\rm s}(\mu_{\rm R})}{2\pi}\right)$
- needs addition of all orders (resummed) calculation



$$\frac{\mu_{\rm R}}{2\pi}\right) \frac{\mathrm{d}A(s)}{\mathrm{d}O} + \frac{\Gamma^0(\mu_{\rm R})}{\Gamma^n(s,\mu_{\rm R})} \left(\frac{\alpha_{\rm s}(\mu_{\rm R})}{2\pi}\right)^2 \frac{\mathrm{d}B(s,\mu_{\rm R})}{\mathrm{d}O}$$



Resummation - CAESAR in Sherpa

- CAESAR formalism for soft gluon resummation at NLL [Banfi, Salam, Zanderighi '04]
- [Gerwick, Höche, Marzani, Schumann '15] available as implementation in Sherpa [Baberuxki, Preuss, DR, Schumann '19]
- multiplicative matching (\Rightarrow NLL' accurate)
- necessary extensions for jet observables...:

 - non-global logs
- ... and for soft drop grooming
 - CEASAR style formulas available

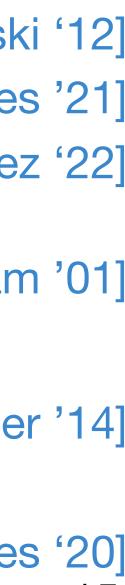
[Dasgupta, Khelifa-Kerfa, Marzani, Spannowski '12] • modified wide angle behaviour [Caletti, Fedkevych, Marzani, DR, Schumann, Soyez, Theeuwes '21] [DR, Caletti, Fedkevych, Marzani, Schumann, Soyez '22]

[Dasgupta, Salam '01]

[Larkoski, Marzani, Soyez, Thaler '14]

[Baron, DR, Schumann, Schwanemann, Theeuwes '20]





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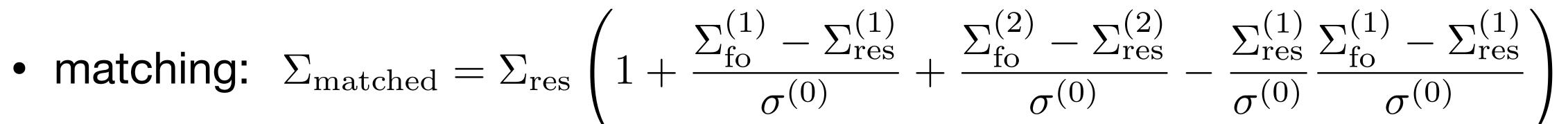
Precision Calculations - Resummation with CAESAR

master formula for rIRC save observable: [Banfi, Salam, Zanderighi '04] \bullet

$$\Sigma_{\rm res}^{\delta}(v) = \int d\mathcal{B}_{\delta} \frac{d\sigma_{\delta}}{d\mathcal{B}_{\delta}} \exp\left[-\sum_{l \in \delta} R_l^{\mathcal{B}_{\delta}}(L)\right] \mathcal{P}^{\mathcal{B}_{\delta}}(L) \mathcal{S}^{\mathcal{B}_{\delta}}(L) \mathcal{F}^{\mathcal{B}_{\delta}}(L) \mathcal{H}^{\delta}(\mathcal{B}_{\delta})\right]$$

ingredients known analytically in our cases

in terms of A, B distributions for matching

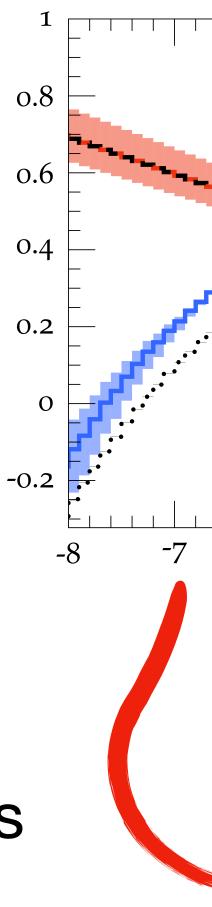


here for the first time, handle external (to Sherpa) fixed order calculation, given

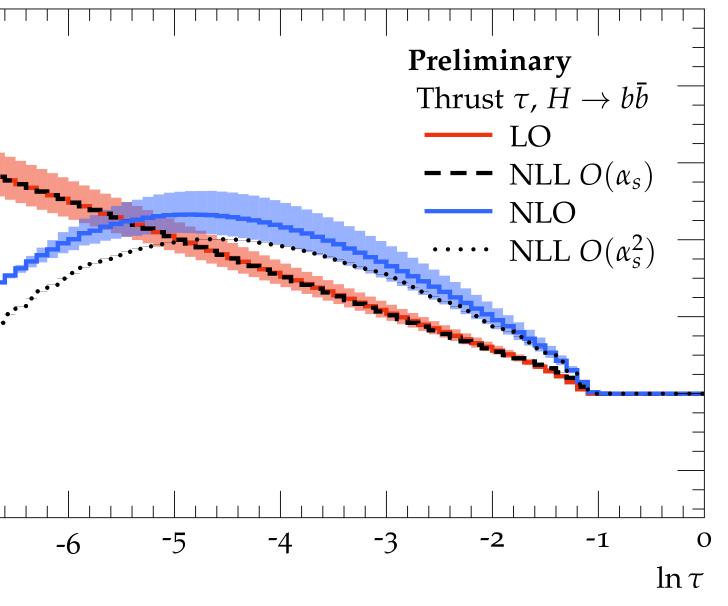


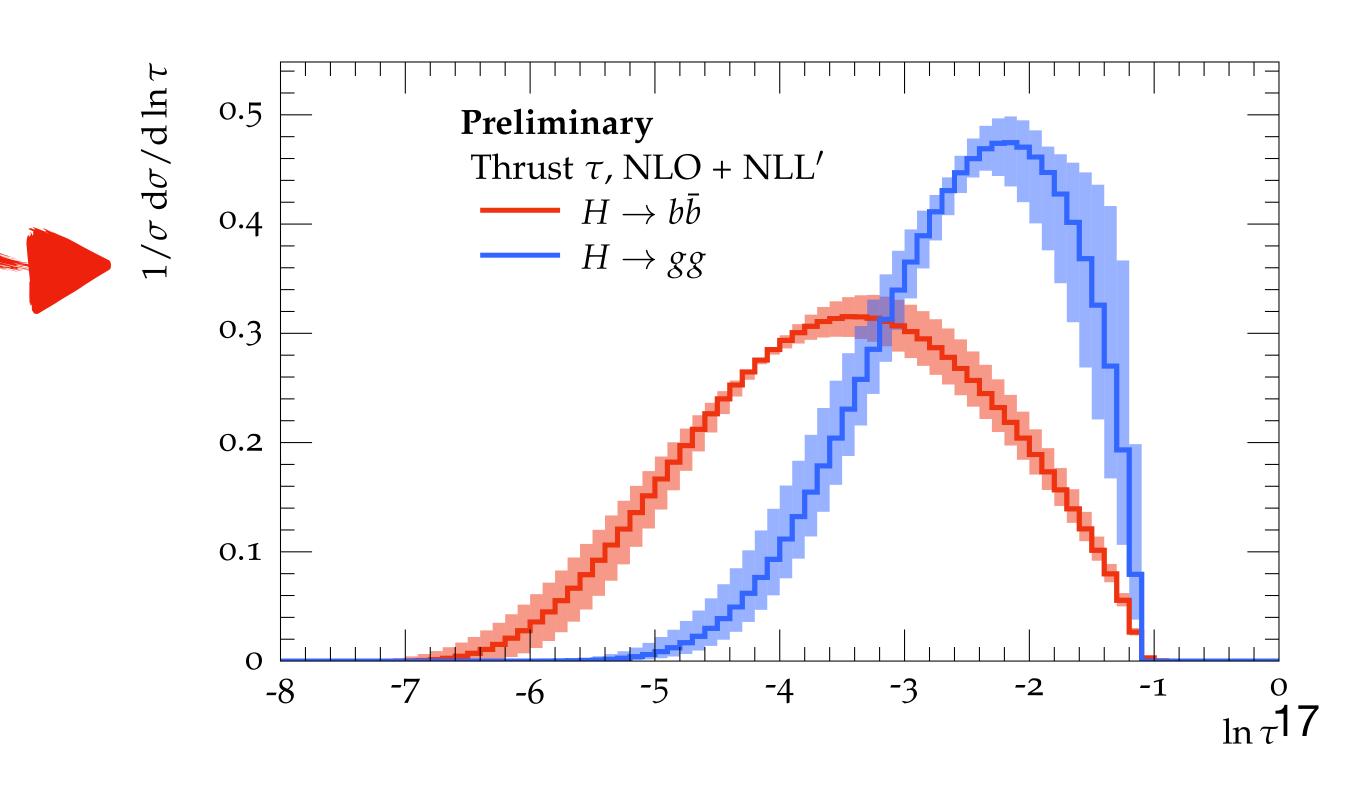
First Results

- calculation in rest frame of decaying Higgs boson
- confirm expansion captures logarithms up to NLL
- prepare matched predictions
- confirm general behaviour of MC simulation



 $1/\sigma \, d\sigma/d \ln \tau$





Summary

- Event shapes as theoretically well controllable taggers
 - applicable to hadronic Higgs decays
 - enables measurement with minimal (possibly without) modelling input
 - strongest limits for $FC_{1,5}$ observable, in particular 2D version
- accompanied by precision calculation of event shapes
 - NLO+NLL' almost trivially available
 - NNLO+NNLL \rightarrow probably all ingredients known, need to be put together

