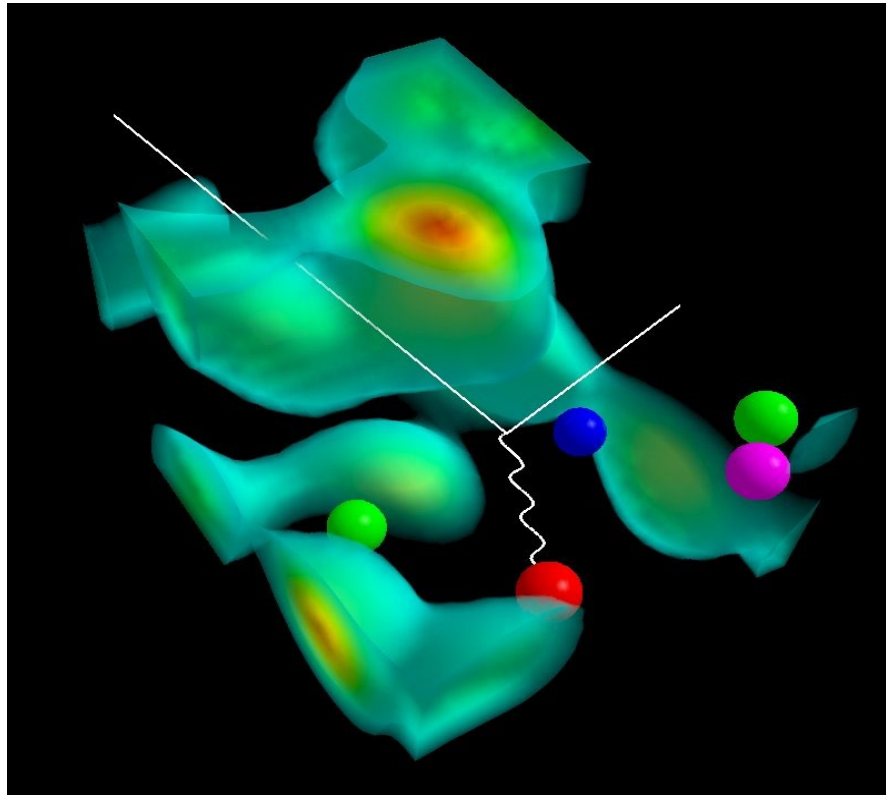


# Half a Century of Quantum Chromodynamics



**Anthony W. Thomas**

**Half a Century of Quantum Chromodynamics  
Kolymbari : August 29<sup>th</sup> 2024**

# QCD

1964: Quarks, Aces, Partons...

1973: Fritsch, Gell-Mann and Leutwyler: Phys Lett B67, 345



From my point of view:

Gell-Mann at ICOHEPANS Los Alamos 1974

Gave one hour lecture on QCD – second Nobel Prize?

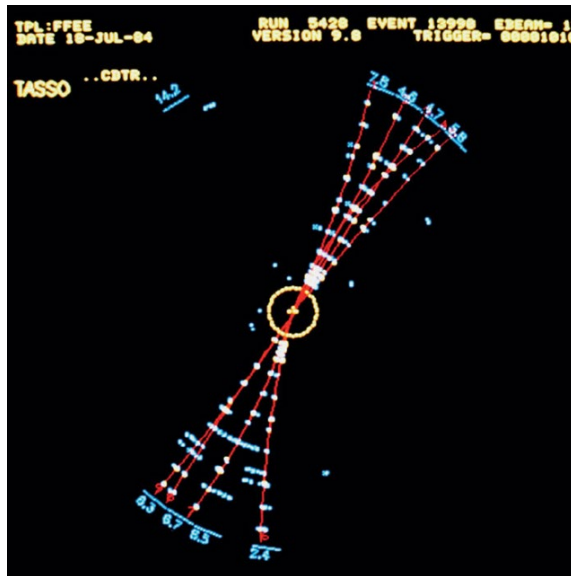
November 1974:  $J/\psi$

But it took a long time to realize that this was  $c\bar{c}$  in spite of GIM

e.g. CERN TH Division 1975-76: “Another resonance discovered!”

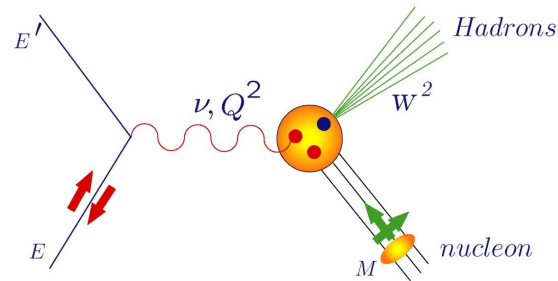
# DESY 1978-79

$e^+e^-$  annihilation to jets: 3 gluon vertex

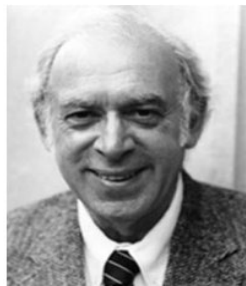


# Deep Inelastic Scattering

- At high energy and momentum transfer in inelastic electron (muon and neutrino) scattering one directly measures the momentum distribution of the quarks

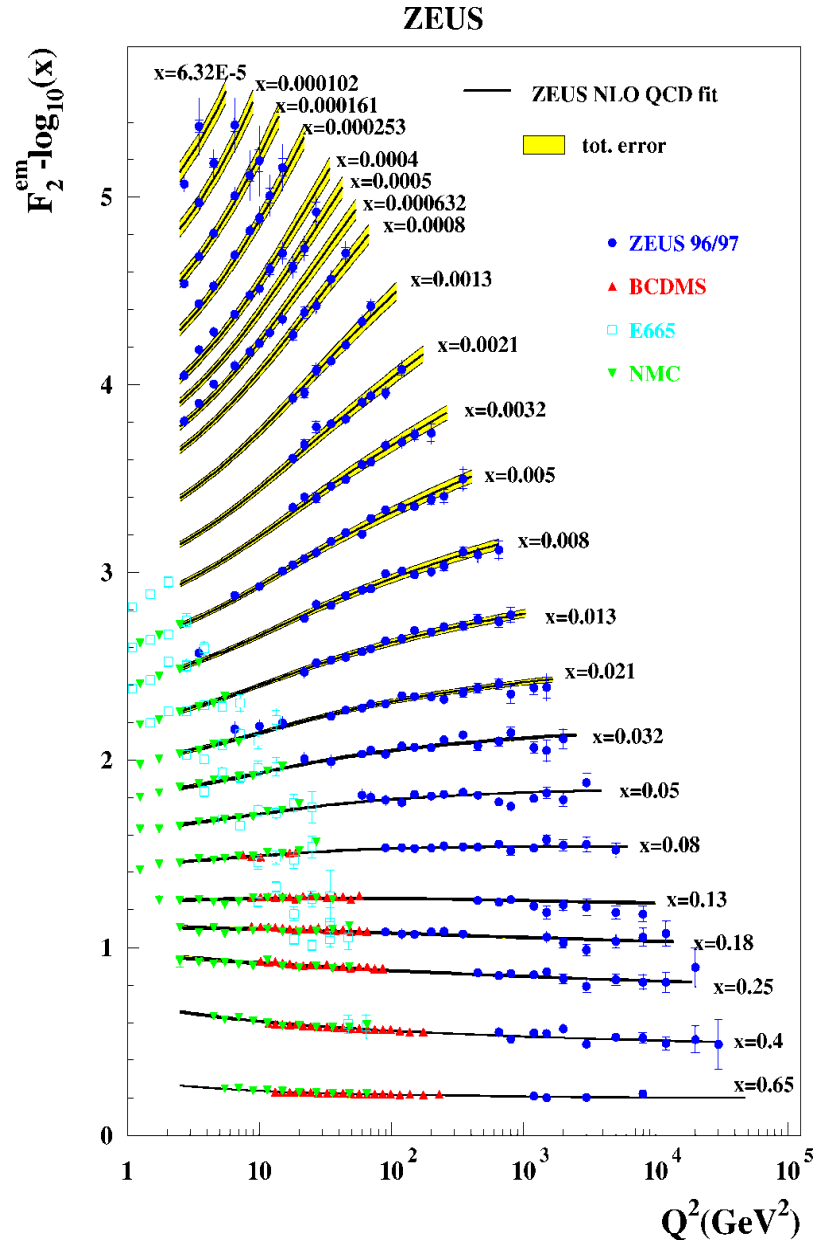


- Polarised electrons also enable the spin of the quarks to be determined
- Later Drell-Yan (quark-anti-quark) annihilation added crucial new information



# Unpolarized Structure Function $F_2$

- Bjorken Scaling
- Scaling Violation
- Gluon radiation –
- QCD evolution
- NLO: Next-to-Leading-Order
- .....
- One of the best experimental tests of perturbative QCD



SLAC  
CERN  
FNAL  
DESY

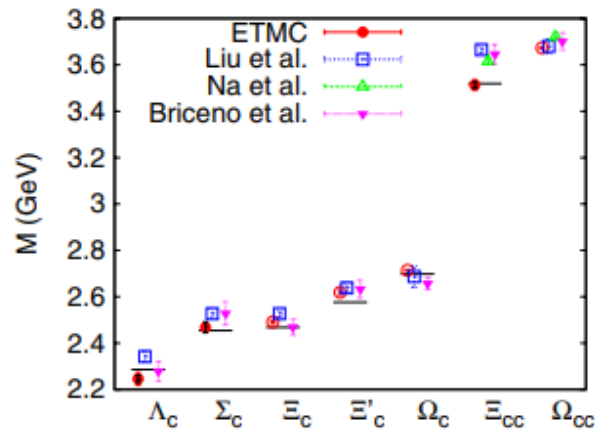


# Lattice QCD

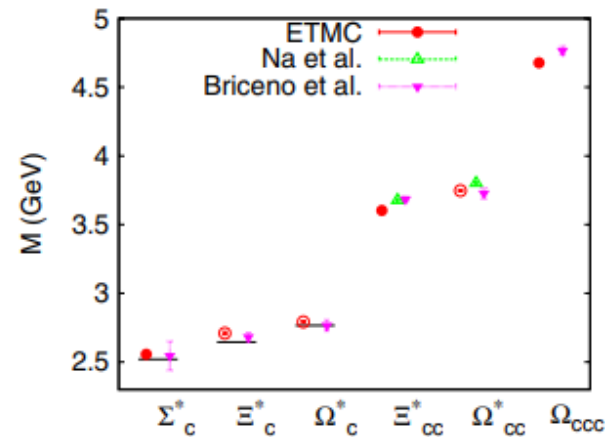
- Tremendous step forward by Wilson 1974  
but computing requirements needed another 30-40 years
- Personal note:

## Sasha Migdal 1975 at CERN

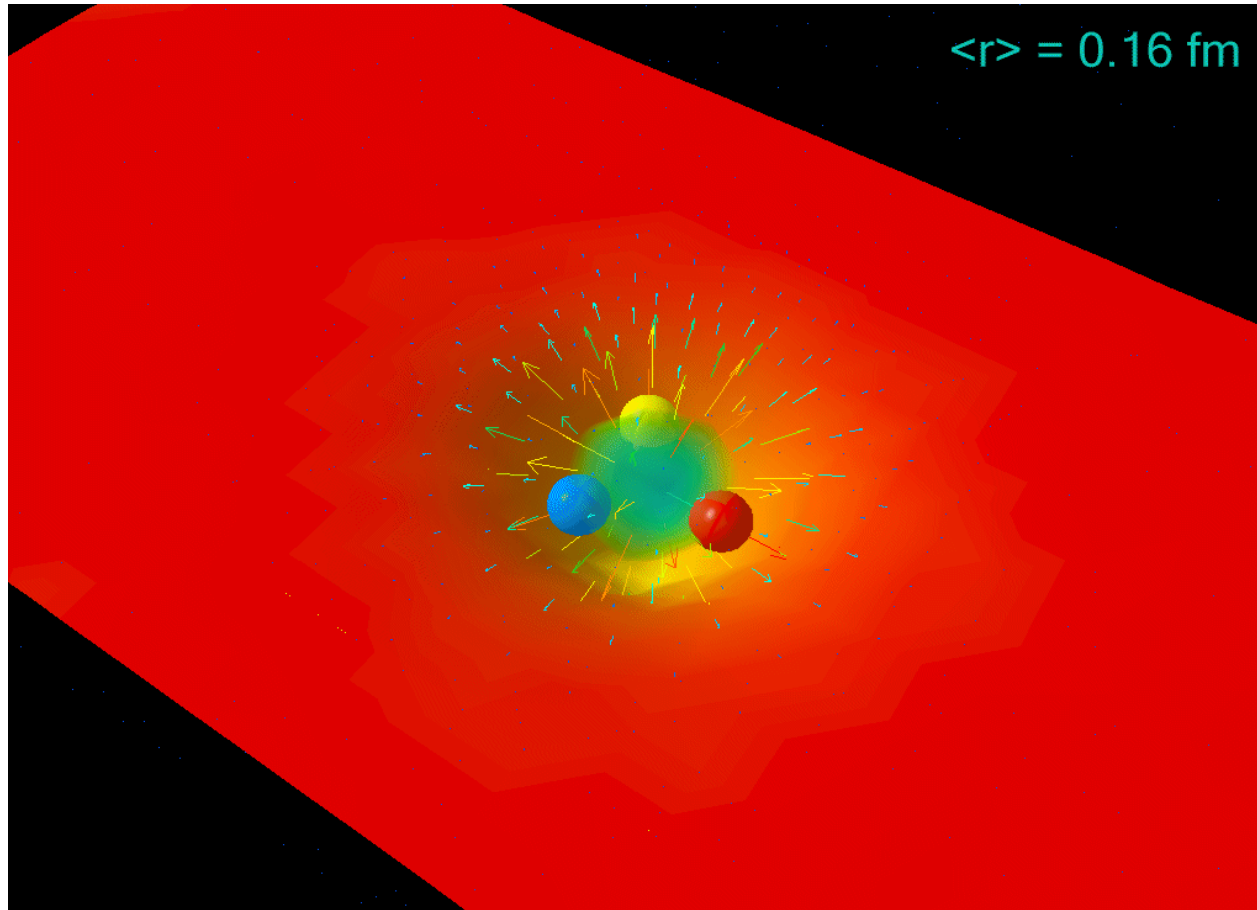
STRANGE AND CHARM BARYON MASSES WITH TWO ...



PHYSICAL REVIEW D **86**, 114501 (2012)



# Confinement for infinitely heavy quarks?



[www.physics.adelaide.edu.au/theory/staff/leinweber/VisualQCD/ImprovedOperators/index.html](http://www.physics.adelaide.edu.au/theory/staff/leinweber/VisualQCD/ImprovedOperators/index.html)

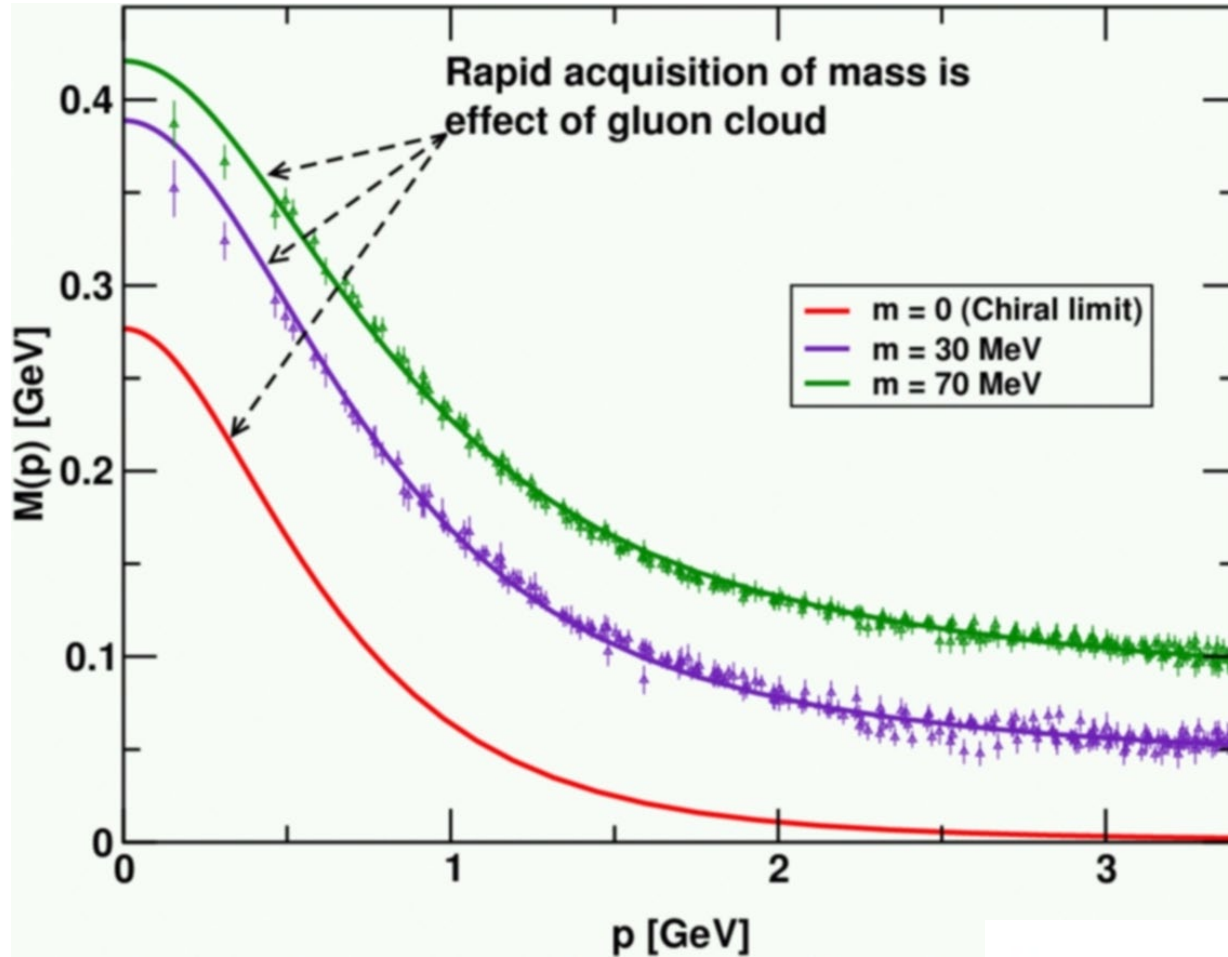
# Chiral Symmetry



# Chiral Symmetry

- Near massless quarks  $\implies$  near degeneracy of opposite parity states
- BUT not so in Nature  $N(940)$  and nearest negative parity is  $N(1535)$  !
- Alternative: Goldstone's theorem implies a massless pion
- *Such a light pion completely undermines the conventional picture of confinement*
- Chiral limit crucial but bizarre
  - e.g., p and n charge radii infinite in chiral limit (more later)

# Quark mass function through $\chi$ SB



From:  
2007 US LRP

Lattice studies & Dyson-Schwinger modelling in excellent agreement

–  $\chi$ SB is origin of constituent quark mass

$$S(p) = \frac{Z(p^2)}{i\gamma \cdot p + M(p^2)}$$

# Chiral Symmetry in Context of QCD

- Of course, chiral symmetry was known before QCD
- Current algebra was known and widely used in 60's
- Soft pion theorems also very powerful and phenomenologically useful
- But how to combine with the quark and gluon structure of real hadrons (and nuclei)?

# The Cloudy Bag Model (1979+)

with Miller and Théberge: For a review see Adv Nucl Phys 13 (1984) 1-137

# Restore chiral symmetry to theory of confined quarks – the Cloudy Bag Model

$$\mathcal{L}(x) = (i\bar{q}\not{\partial}q - B)\theta_v - \frac{1}{2}\bar{q}e^{i\vec{\tau}\cdot\vec{\phi}\gamma_5/f}q\delta_s + \frac{1}{2}(D_\mu\vec{\phi})^2$$

Linearize the theory (proven for  $R \geq 0.8$  fm)

$$\mathcal{L}_{\text{CBM}}(x) = \mathcal{L}_{\text{MIT}}(x) + \mathcal{L}_\pi(x) + \mathcal{L}_{\text{int}}(x)$$

Work with non-exotic colorless baryon states

$$P = \sum_{\substack{\alpha = \text{nonexotic} \\ \text{baryons}}} |\alpha\rangle\langle\alpha|$$

$$Q = \mathbb{1} - P$$

$P$  is a projection operator onto nonexotic bag states  
and non-interacting states of pions plus bags

so that:

$$\begin{aligned} H_{\text{MIT}} &\simeq PH_{\text{MIT}}P \\ &= \sum_{\alpha} |\alpha\rangle m_{\alpha}^{(b)} \langle\alpha| \end{aligned}$$

# Interactions

$$PH_{\text{int}}P = \frac{i}{2f} \sum_{\alpha, \beta} \int d^3x \langle \beta | \bar{q}(x) \underline{\tau} \cdot \underline{\phi}(x) \gamma_5 q(x) | \alpha \rangle \delta_s \beta^+ \alpha$$

and there is the free pion field:  $H_\pi = \sum_i \int d\underline{k} w_{\underline{k}} a_{\underline{k}i}^+ a_{\underline{k}i}$

**This is the ONLY way to ensure the correct infrared behavior (i.e. chiral symmetry) of the theory**

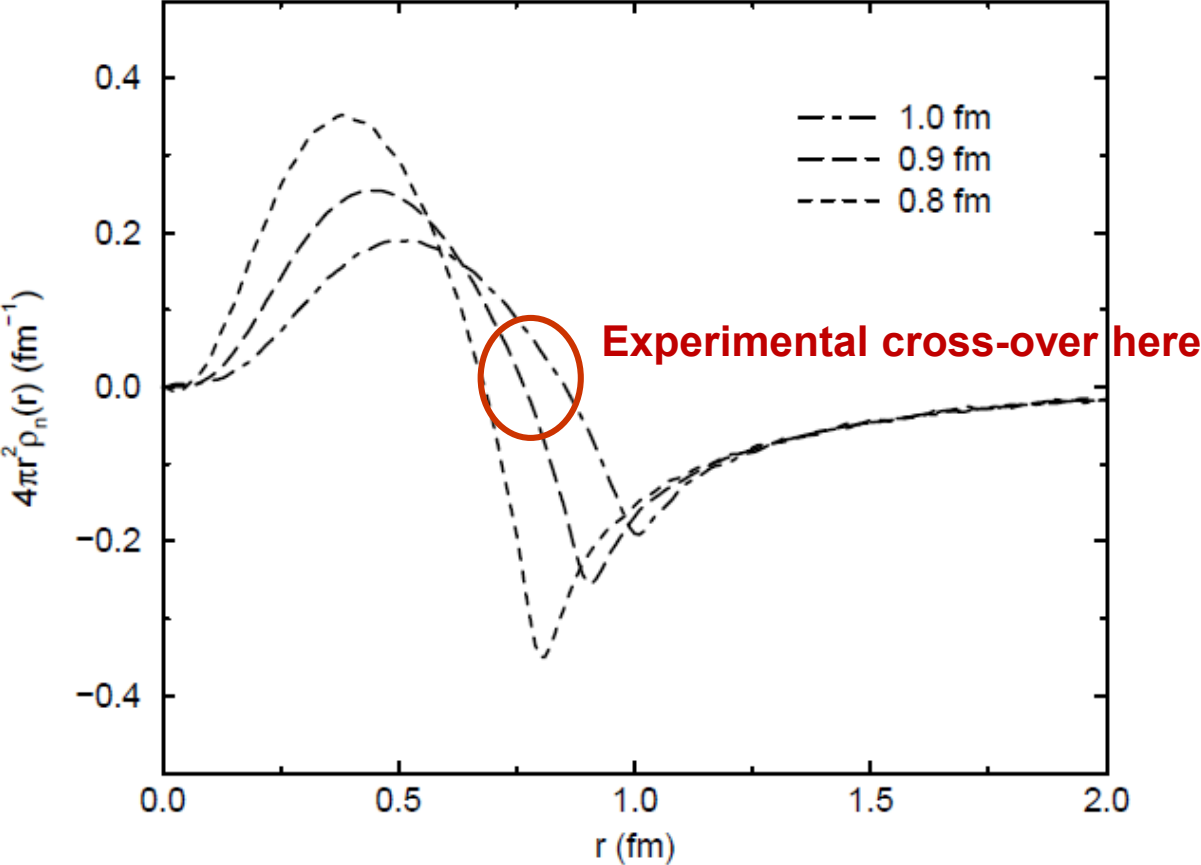
**Not projecting onto colorless states is why the chiral quark model of Manohar and Georgi gives incorrect non-analytic behavior**

**Baryons are then clusters of confined quarks dressed by pions (and kaons in SU(3))**

**e.g. for the nucleon:**

$$|\tilde{N}\rangle \cong Z^{1/2} |N\rangle + c |N\pi\rangle + c' |\Delta\pi\rangle$$

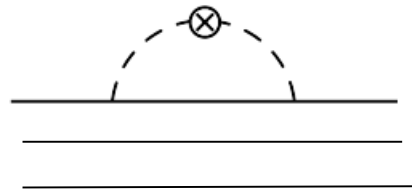
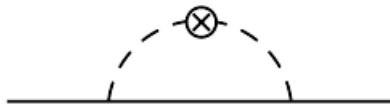
# Neutron Charge Radius: Size of Confinement Region



To leading order results from  $|\rho \pi^- \rangle$  component of the neutron wave function

# Remarkable Consequences in Chiral Limit

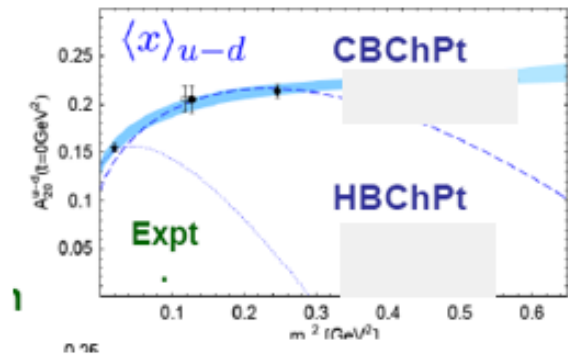
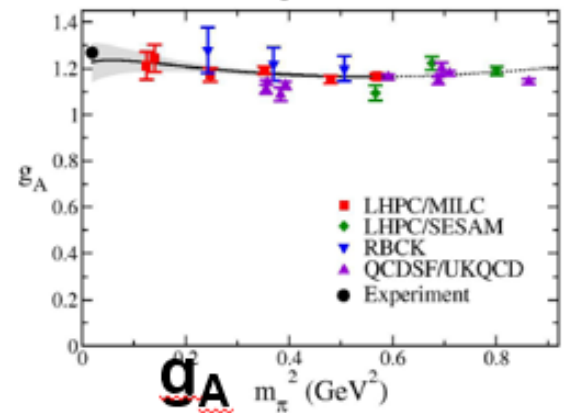
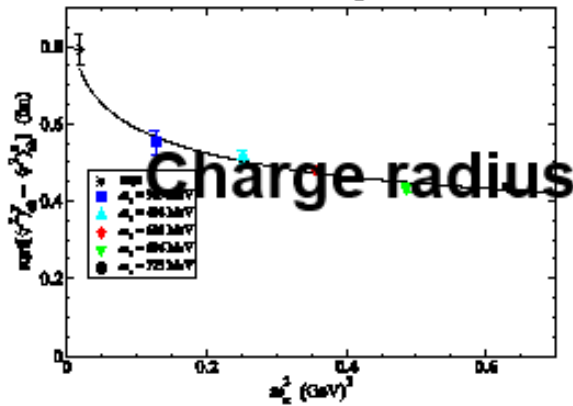
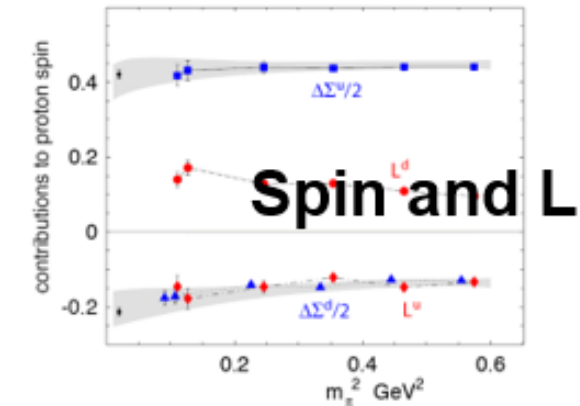
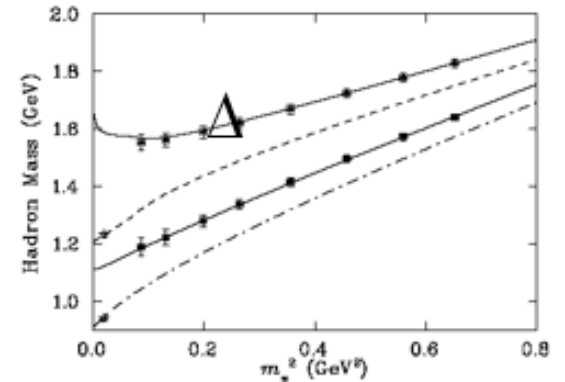
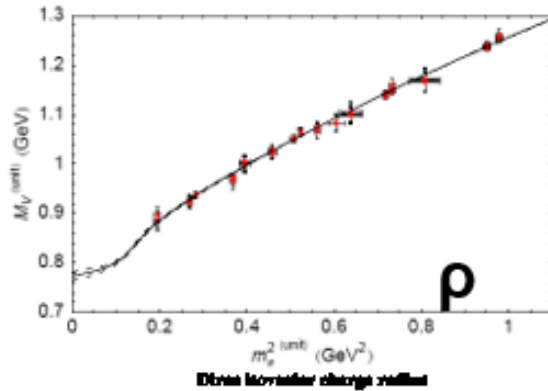
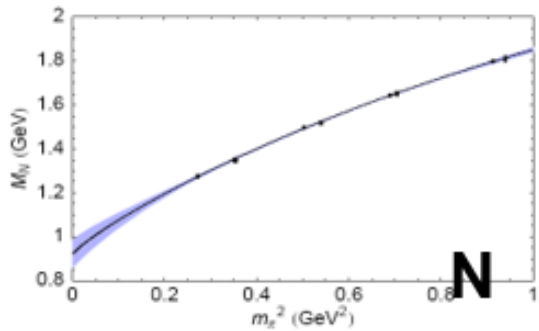
- As light quark masses go from a few MeV to zero:
  - the charge radius of the proton goes to infinity
  - the charge radius<sup>2</sup> of the neutron to minus infinity
- Both like  $\ln m_\pi \sim \ln m_q$ 
  - the magnetic moments behave like  $m_\pi \sim m_q^{1/2}$
- One cannot describe this correctly in a chiral quark model



↑  
N or  $\Delta$



# Simplicity: Pion loops suppressed at large quark mass



Is it believable that smooth behavior for  $m_\pi$  above 400 MeV is a result of a different accidental cancellation in every case??

$$a + b m_\pi^2 + c m_\pi^3 + d m_\pi^4 \ln m_\pi + e m_\pi^5 + \dots$$

# Very simple lesson / universal feature of lattice data

- Meson loops are suppressed once the meson mass exceeds  $\sim 0.4$  GeV (good place to build a CQM)
- This corresponds to a remarkably small current mass –  $m_q \sim 40$  MeV
- Maybe a scale intrinsic to instantons or in a chiral quark model (like CBM) the finite size of hadron suppresses loops – implemented through a finite range regulator: **FRR**
- Very real insights from study of hadrons in QCD as a function of quark mass – especially in spectroscopy
- But usual  $\chi$ pt methods fail outside power counting region – meson mass above 0.3 GeV

# Major Results of the Chiral Approach

# Anti-Matter Asymmetry in the Nucleon Sea

- Role of pion cloud in DIS first investigated by (Feynman) and Sullivan
- Generally ignored until:

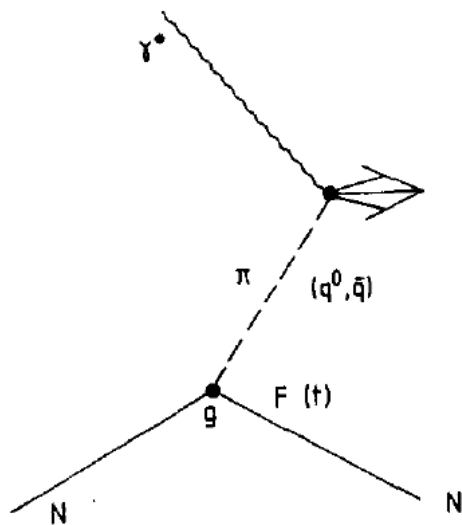
Volume 126B, number 1,2

PHYSICS LETTERS

A LIMIT ON THE PIONIC COMPONENT OF THE NUCLEON  
THROUGH SU(3) FLAVOUR BREAKING IN THE SEA

A.W. THOMAS  
*CERN, Geneva, Switzerland*

**Dominant role of  $\pi^+$  for proton  
predicts violation of Gottfried sum-rule**



“Clearly the pion exchange process of fig. 1 does predict that the excess of  $\bar{D}$  to  $\bar{U}$  should be in the ratio 5 to 1 in the proton.”

# Pion Cloud (cont.)

- It only makes sense to consider this as a separate process *provided there is a significant rapidity gap*
- Often forgotten later when investigators added  $\rho$  and heavier mesons
- Probably  $\pi\Delta$  Fock component makes sense but nothing much heavier
- **Predicted violation of Gottfried sum-rule not confirmed for 10 years**

Gottfried Sum Rule: NMC 1994:  $S_G = 0.258 \pm 0.017$  [ $Q^2 = 4 \text{ GeV}^2$ ]

$$S_G = \int_0^1 \frac{dx}{x} [F_{2p}(x) - F_{2n}(x)] = \frac{1}{3} - \frac{2}{3} \int_0^1 dx [\bar{d}(x) - \bar{u}(x)]$$

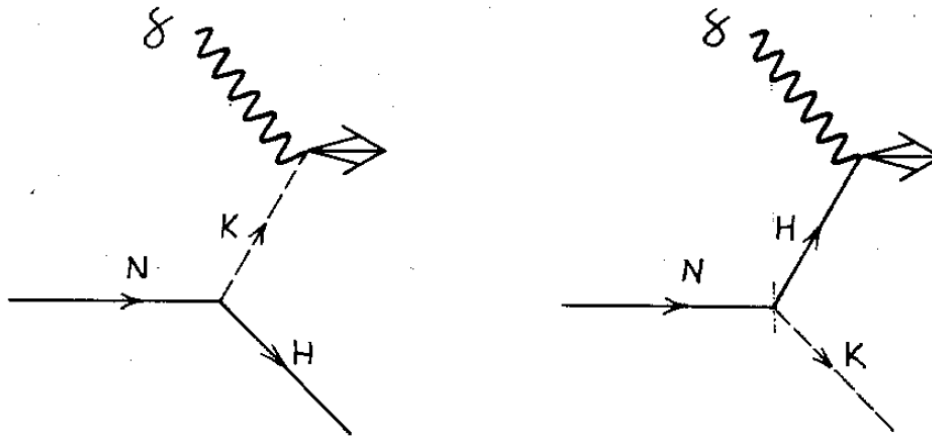
- Consistent with range predicted by the pion cloud....

$$\int_0^1 dx [\bar{d} - \bar{u}] = 2 P_{N\pi} / 3 - P_{\Delta\pi} / 3$$

$\epsilon$  0.11 – 0.15

# Strange Sea of the Nucleon

Similar mechanism for kaons implies  $s - \bar{s}$  goes through zero for  $x$  of order 0.10



- Later, naive 5-quark additions often (implicitly) violate parity
- This predicted asymmetry in the strange sea has **STILL** not been measured experimentally....
- but it *does* matter: e.g. BSM physics (Wang and Thomas: 2403.07327)

# Power of Tracking Non-Analytic Behavior

VOLUME 85, NUMBER 14

PHYSICAL REVIEW LETTERS

2 OCTOBER 2000

## Dynamical Symmetry Breaking in the Sea of the Nucleon

A. W. Thomas,<sup>1</sup> W. Melnitchouk,<sup>1,2</sup> and F.M. Steffens<sup>3</sup>

$$(S - \bar{S})^{(n)} = \int_0^1 dx x^n [s(x) - \bar{s}(x)] = V_\Lambda^{(n)} \cdot f_{\Lambda K}^{(n)} - V_K^{(n)} \cdot f_{K\Lambda}^{(n)}$$

$$f_{K\Lambda}^{(n)}|_{\text{LNA}} = \frac{27}{25} \frac{M^2 g_A^2}{(4\pi f_\pi)^2} (M_\Lambda - M)^2 (-1)^n \frac{m_K^{2n+2}}{\Delta M^{2n+4}} \log(m_K^2 / \mu^2),$$

$n$ th moment of  $\bar{s}$  is of order  $m_K^{2n+2} \log m_K^2$

LNA contribution to the  $n$ th moment of  $s$  is of order  $m_K^2 \log m_K^2$

- i.e. Non-analytic behaviour of  $s$  and  $\bar{s}$  are different and therefore  $s - \bar{s}$  has to be non-zero as a matter of principle!

# The Spin “Crisis”

The pion cloud naturally converts quark spin to pion orbital angular momentum

- Biggest Fock Component is  $N \pi \sim 20\text{-}25\%$  and  $2/3$  of the time  $N$  spin points down (next biggest is  $\Delta \pi \sim 5\text{-}10\%$ )



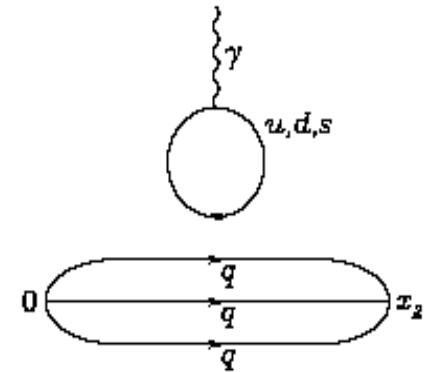


# QCD Lamb Shift

# QCD Analogue of the Lamb Shift

- Strangeness contribution is a vacuum polarization effect, analogous to Lamb shift in QED

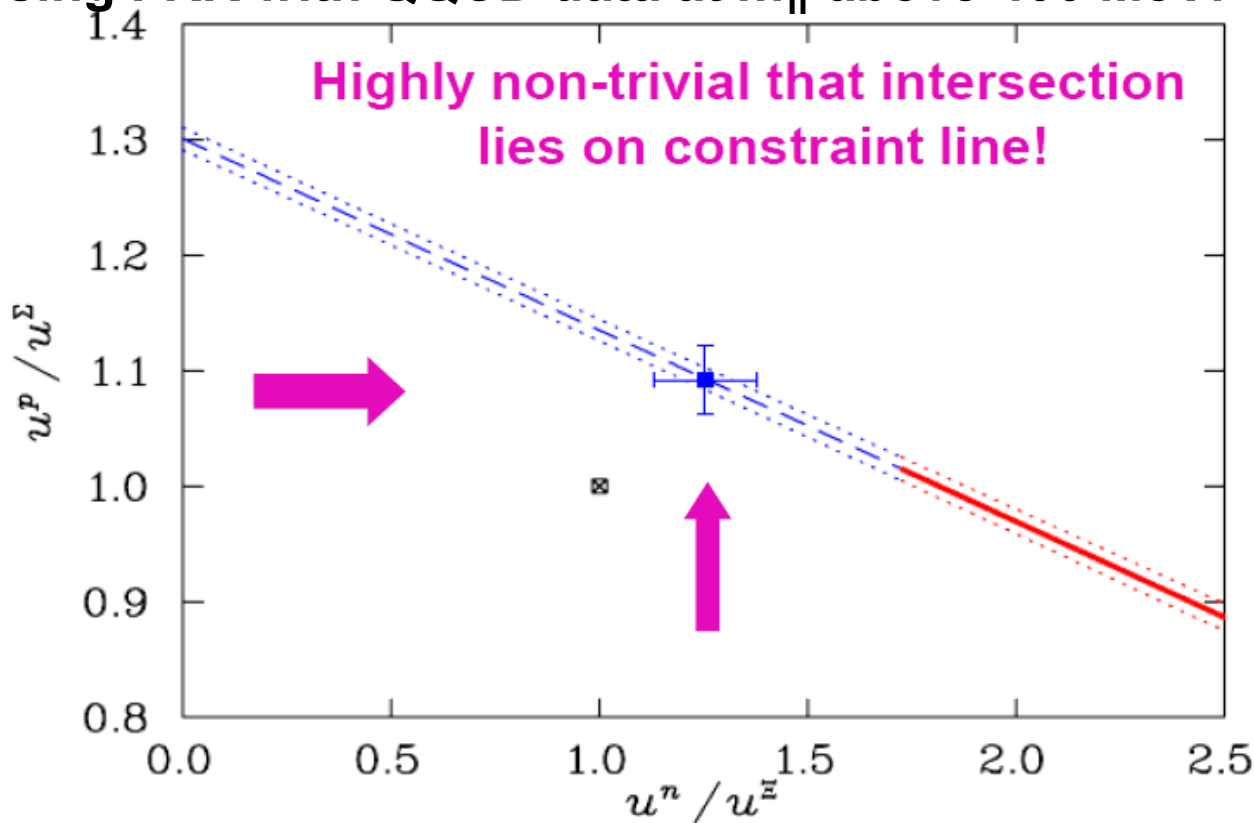
Hydrogen Atom, Electron (g-2)-factor, QED

$$g_e = 2 \left( 1 + \frac{\alpha}{2\pi} - 0.328 \frac{\alpha^2}{\pi^2} + \dots \right)$$


- It is a fundamental test of non-perturbative QCD

# First Accurate Determination of $G_M^S$ from QCD

Using FRR with QQCD data at  $m_\pi$  above 400 MeV!



Yields :  $G_M^S = -0.046 \pm 0.019 \mu_N$

Leinweber et al., PRL 94 (2005) 212001

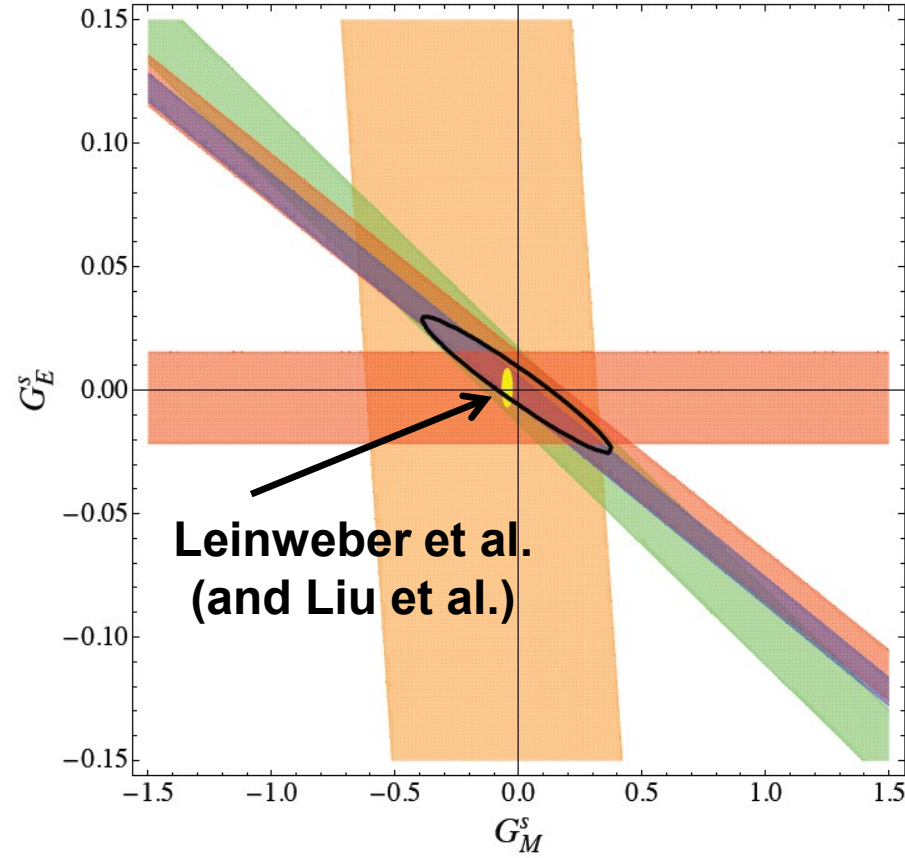
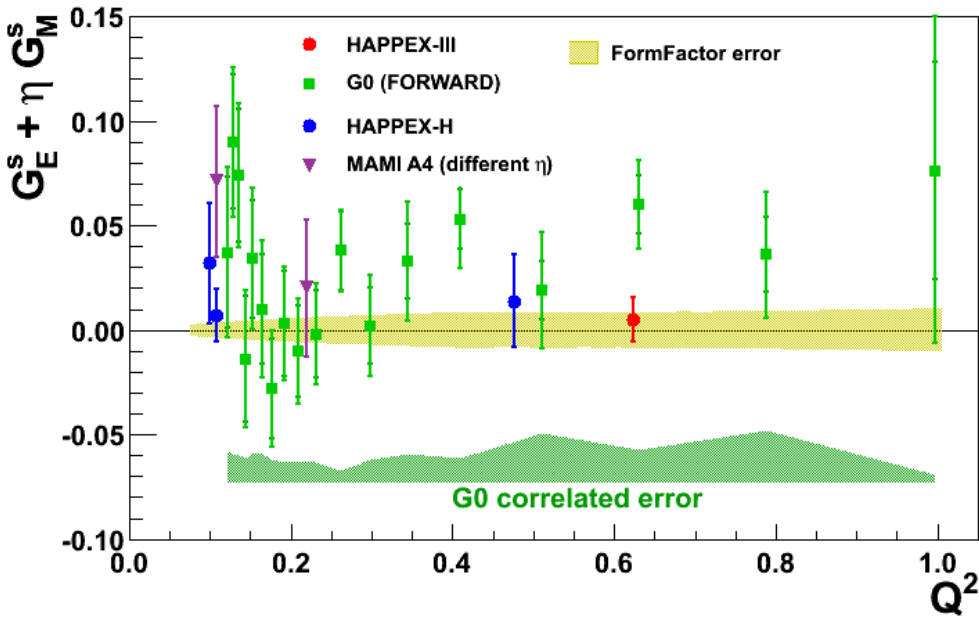
# Strange Quarks in the Proton

There have been a number of major steps forward in past 20 years, both theory and experiment :

- Calculation of  $G_{E,M}^s(Q^2)$  :
  - Direct: Kentucky then many other calculations
  - see e.g., Alexandrou et al., 2112.06750
- Experimental determination of  $G_{E,M}^s(Q^2)$ 
  - G0 and Happex
  - Mainz PVA4 (and earlier Bates)
- Strangeness sigma commutator
- But 2005 FRR calculation based on unquenching QCD agrees with the best modern results

# Global Analysis of PVES Data

$Q^2 = 0.1 \text{ GeV}^2$



➤ QCD analogue of Lamb shift works beautifully !

See also Alexandrou et al., 2112.06750

Global analysis: Young et al., PRL 99 (2007)122003  
and Young arXiv 1004.5163 [nucl-th]

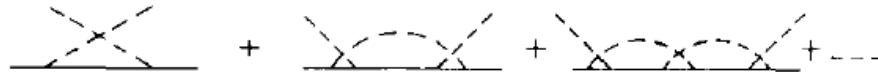
# Spectroscopy

- how do excited states emerge from QCD ?
- what are the fundamental degrees of freedom ?
- Lattice QCD provides extremely valuable information

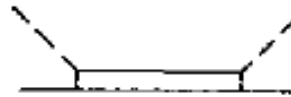
# CBM was inspired by two explanations of the $\Delta$

Miller, Thomas, Théberge, Phys Lett B91 (1980) 192  
– preprint just 4 years after quarks were real!

The Chew-Low Model where it is dynamically generated

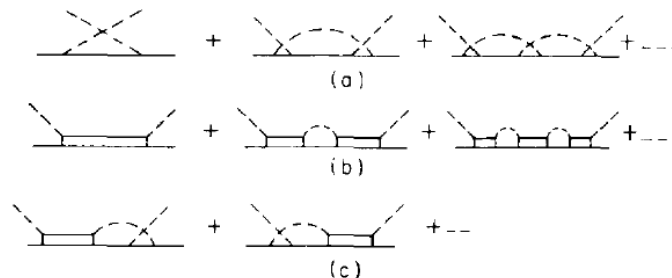


and the quark model, where is it a 3-quark state



The CBM resolves this because the underlying theory yields the same form factor shape for the  $NN\pi$  and  $\Delta N\pi$  vertices

**ANSWER:** It is predominantly 3-quark with small contribution from Chew-Low type processes:



# The $\Lambda(1405)$ : A Clear Anomaly

- We have unambiguous evidence that it is a  $K\bar{N}$  bound state!  
50 years after speculation by Dalitz *et al.*
- To be fair Dalitz had no quark model then so there was not much else it could be at that time.
- Rather than the Lüscher method we apply **Hamiltonian Effective Field Theory**
  - shown to be equivalent for phase shifts\*
  - **BUT also provides information on eigenstates**
- Carry out a Hamiltonian analysis of lattice data
- Examine the **strange magnetic form factor** of  $\Lambda(1405)$

\* Wu et al., Phys. Rev. C 90 (2014) 5, 055206



# First calculation after QCD was invented incorporating chiral symmetry

PHYSICAL REVIEW D

VOLUME 31, NUMBER 5

1 MARCH 1985

## *S*-wave meson-nucleon scattering in an SU(3) cloudy bag model

E. A. Veit\* and B. K. Jennings

*TRIUMF, 4004 Wesbrook Mall, Vancouver, British Columbia, Canada V6T 2A3*

A. W. Thomas

*Physics Department, University of Adelaide, Adelaide, South Australia 5001*

R. C. Barrett

*Physics Department, University of Surrey, Guildford GU2 5XH, United Kingdom*

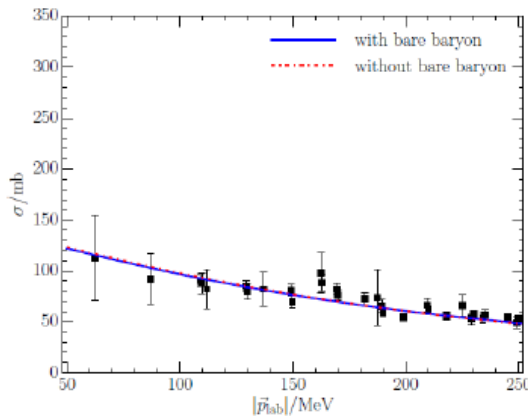
(Received 8 June 1984)

The cloudy bag model (CBM) is extended to incorporate chiral  $SU(3) \times SU(3)$  symmetry, in order to describe *S*-wave  $KN$  and  $\bar{K}N$  scattering. In spite of the large mass of the kaon, the model yields reasonable results once the physical masses of the mesons are used. We use that version of the CBM in which the mesons couple to the quarks with an axial-vector coupling throughout the bag volume. This version also has a meson-quark contact interaction with the same spin-flavor structure as the exchange of the octet of vector mesons. The present model strongly supports the contention that the  $\Lambda^*(1405)$  is a  $\bar{K}N$  bound state.

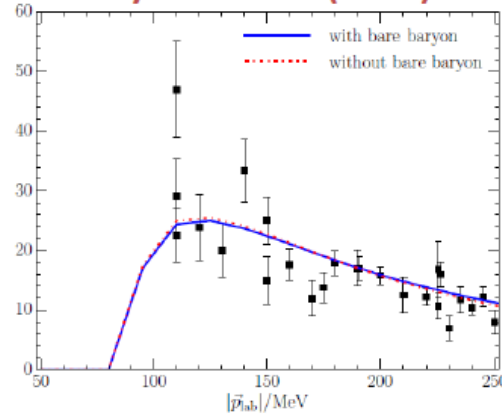
But now we can use QCD itself

# Hamiltonian fit to existing data

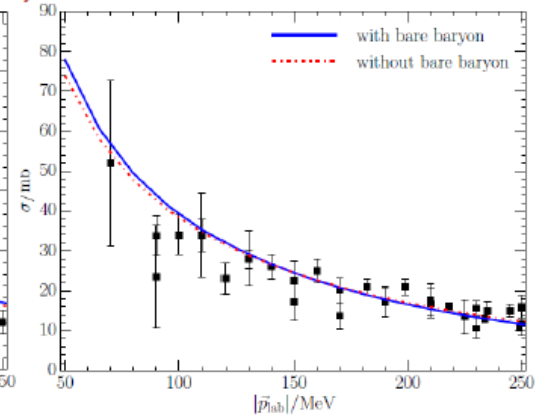
Zhan-wei Liu etc. Phys.Rev. D95 (2017) no.1, 014506



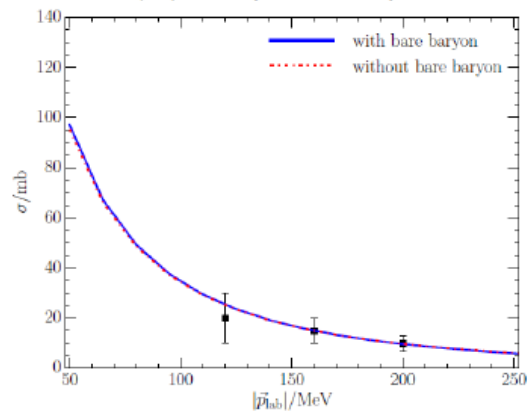
(a)  $K^- p \rightarrow K^- p$



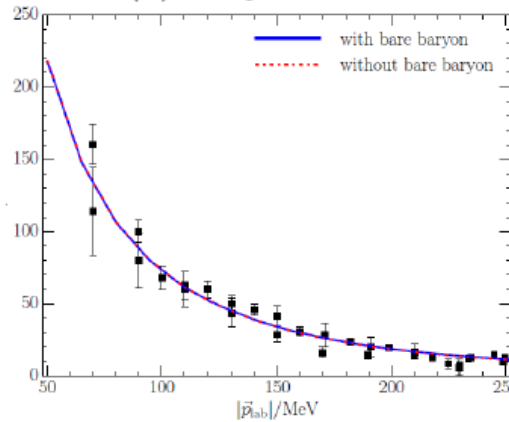
(b)  $K^- p \rightarrow \bar{K}^0 n$



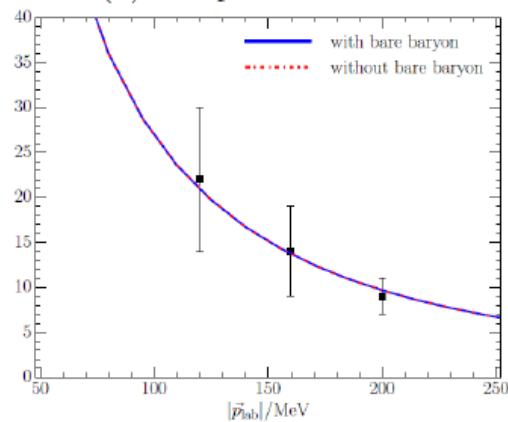
(c)  $K^- p \rightarrow \pi^- \Sigma^+$



(d)  $K^- p \rightarrow \pi^0 \Sigma^0$



(e)  $K^- p \rightarrow \pi^+ \Sigma^-$



(f)  $K^- p \rightarrow \pi^0 \Lambda$

Include  $\pi\Sigma$ ,  $\bar{K}N$ ,  $\eta\Lambda$  and  $K\Xi$  channels

Similar work by Valencia, Bonn, JLab and other groups

Find the same two-pole structure as other analyses

**Note that Lattice QCD allows us  
to study hadron structure IN QCD as a  
function of quark mass – a powerful tool**

## Chiral Extrapolation of Hadronic Observables

A. W. Thomas<sup>a</sup>

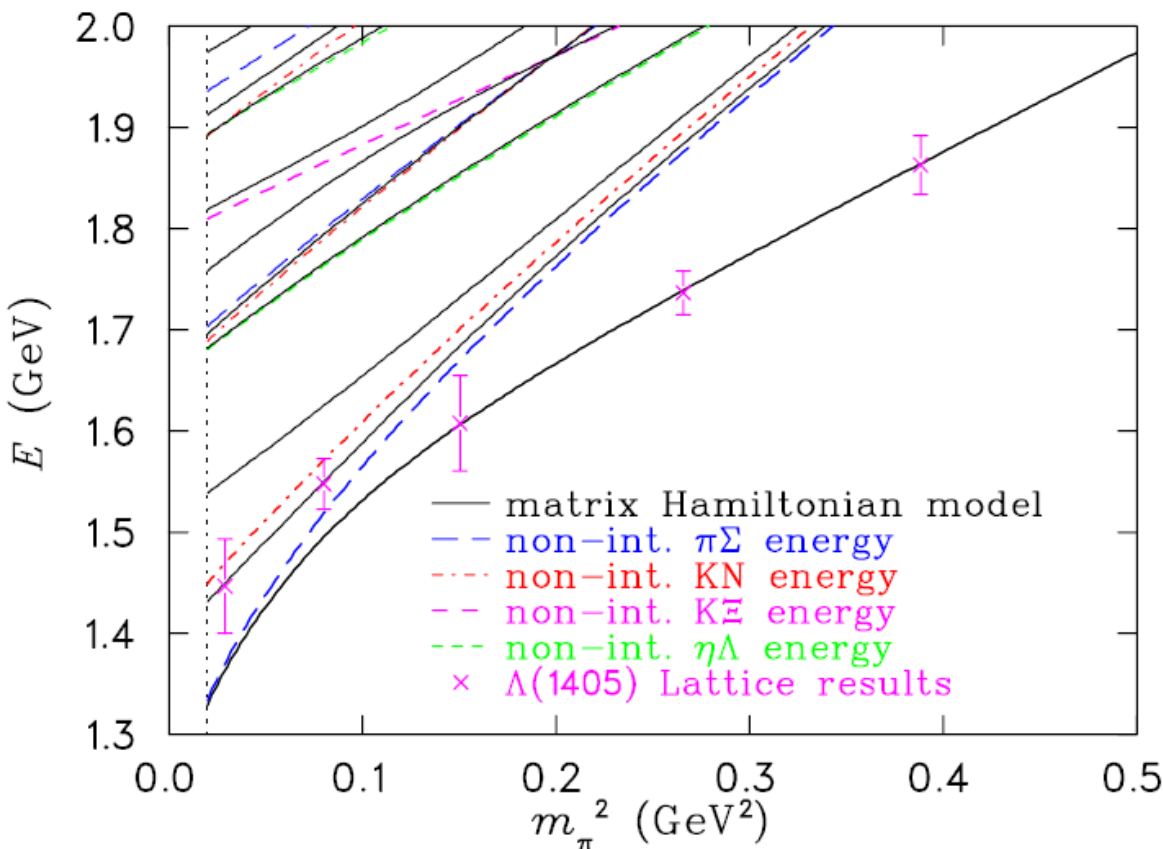
Nuclear Physics B (Proc. Suppl.) 119 (2003) 50–58

In combination with the very successful techniques for chiral extrapolation, which we have illustrated by just a few examples, lattice QCD will finally yield accurate data on the consequences of non-perturbative QCD. Furthermore, the physical insights obtained from the study of hadron properties as a function of quark mass will guide the development of new quark models and hence a much more realistic picture of hadron structure.

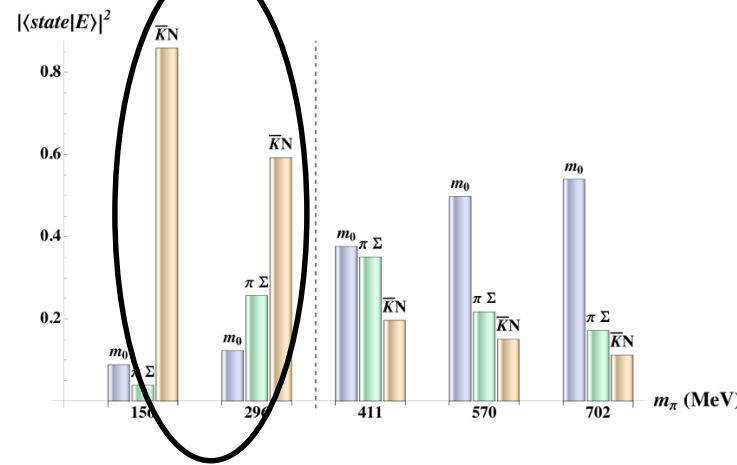
**Proceedings  
Lattice 2002**

# Low lying negative parity state : $\Lambda(1405)$

Clear evidence that it is a  $\bar{K}N$  bound state



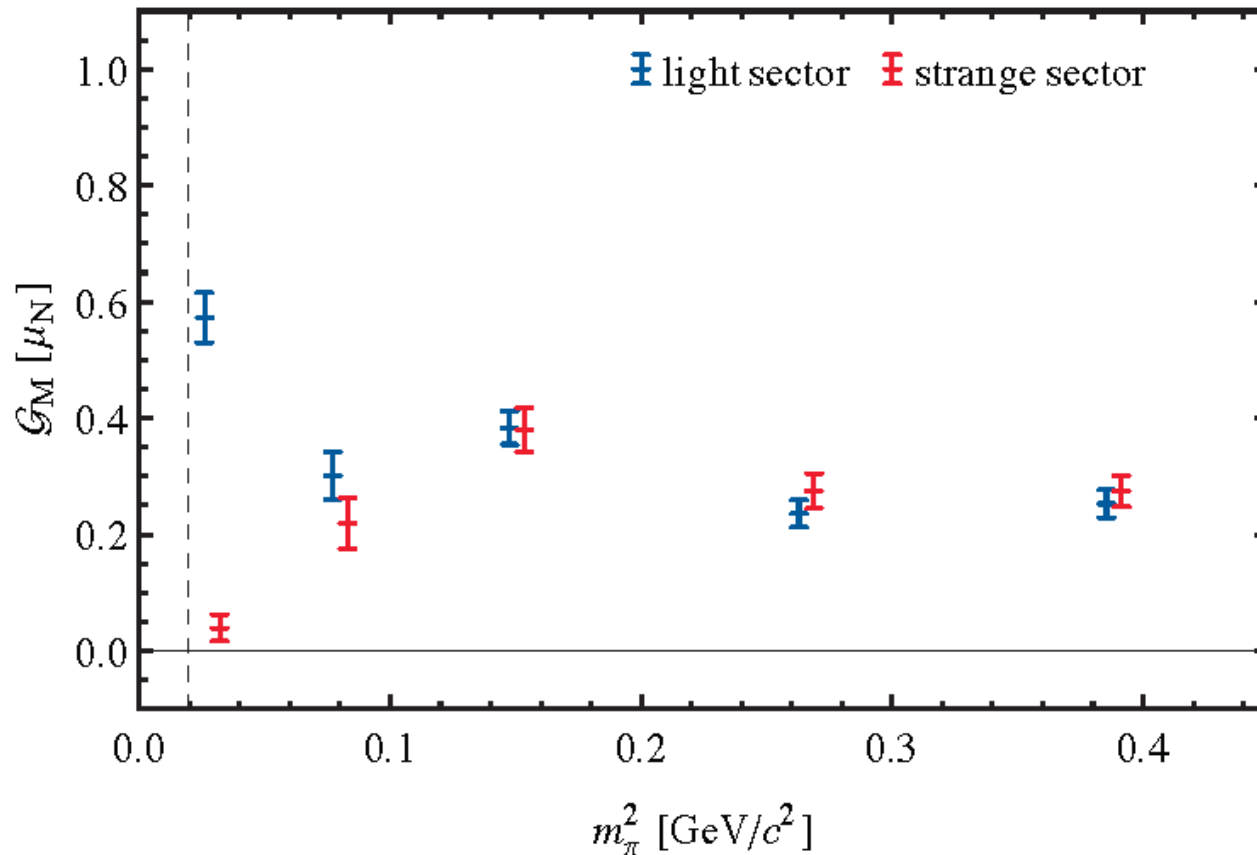
Hamiltonian approach allows one to examine the eigenstates:



Hall, Leinweber, Menadue, Young, AWT  
 – Phys. Rev. Lett. 114 (2015) 13

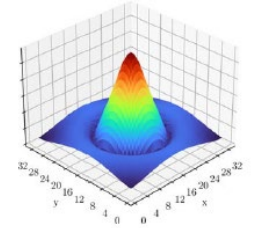
# Lattice Magnetic Form Factor Calculations

- Calculation of the individual quark contributions to the magnetic form factor confirms that it is a  $K\bar{b}$ -N bound state



Only an  $L=0$   $K\bar{b}$ -N state gives vanishing strange moment

# Once the nature of key states becomes clear the quark model makes sense\*









J. Phys. G: Nucl. Part. Phys. **51** (2024) 065106




$N(1/2^+)$    $2h\omega$   
~2.0 GeV

⋮





$\Lambda(1/2^-)$    
 $N(1/2^-)$    $1h\omega$   
~1.5 GeV

$\Lambda^*(1670)$    
 $N^*(1535)$    
 $N^*(1440)$    
 $\Lambda^*(1405)$  

$\pi N - \pi \Delta - \sigma N$   
 $\bar{K} N - \pi \Sigma$

$\Lambda(1/2^+)$    
 $N(1/2^+)$    $0h\omega$   
~1 GeV Quark Model

$\Lambda(1115)$    
 $N(940)$  


Experiment

Lattice

**Mainly  
Dynamical  
generated  
states  
Not in the  
Quark Model**

\* Wu *et al.*, 1805.05066

# Atomic Nuclei

- Since the neutron was discovered by Chadwick, nuclei have been built from neutrons and protons, *with exactly the same properties in-medium as outside*, interacting through the exchange of pions and other mesons
- BUT is that the whole story?
- After all, along came QCD in the 1970s!



**BUT it is widely regarded as irrelevant to nuclear structure.....**



# Quark Structure matters/doesn't matter

- Nuclear femtography: the science of mapping the quark and gluon structure of *atomic nuclei* is just beginning (EIC motivation)

OR

- “Considering quarks is in contrast to our **modern understanding of nuclear physics...** the basic degrees of freedom of QCD (quarks and gluons) have to be considered only at higher energies. The *energies relevant for nuclear physics are only a few MeV*”

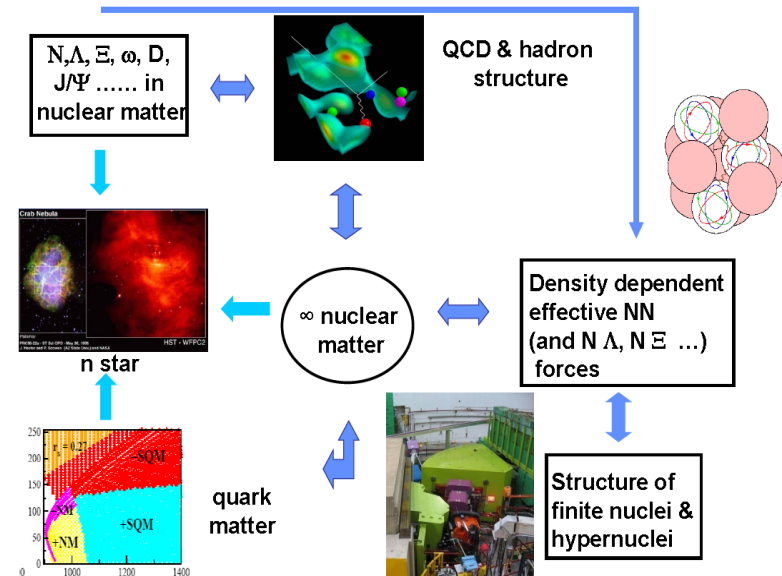
# What do we know?

- Since 1970s: Dispersion relations → intermediate range NN attraction is a strong Lorentz scalar
- In relativistic treatments (RHF, RBHF, QHD...) this leads to mean scalar field on a nucleon ~300 to 500 MeV!!
- *This is not small* – up to half the nucleon mass  
- death of “wrong energy scale” arguments
- Largely cancelled by large vector mean field BUT these have totally different dynamics:  $\omega^0$  just shifts energies,  
 **$\sigma$  seriously modifies internal hadron dynamics**
- Structure of bound nucleons is changed!  
Naturally explains the EMC effect

# Suggests a different approach: QMC Model

(Guichon 1988, Guichon, Saito, Tsushima et al., Rodionov et al., Stone - see Saito *et al.*, Prog. Part. Nucl. Phys. 58 (2007) 1 and Guichon *et al.*, Prog. Part. Nucl. Phys. 100 (2018) 262-297 for reviews)

- Start with quark model (MIT bag/NJL...) for all hadrons
- Introduce a relativistic Lagrangian with  $\sigma$ ,  $\omega$  and  $\rho$  mesons coupling to non-strange quarks
- Hence, initially only 4 parameters ( $m_\sigma, g^{\sigma, \omega, \rho}_q$ )
  - determine by fitting to:  $\rho_0$ ,  $E/A$  and symmetry energy
  - same in dense matter & finite nuclei
- Must solve self-consistently for the internal structure of baryons in-medium: generating many-body forces for all baryons



# Latest Nuclear Structure Results

Includes some unpublished results for QMC  $\pi$ -III from

PhD thesis of Kay Martinez

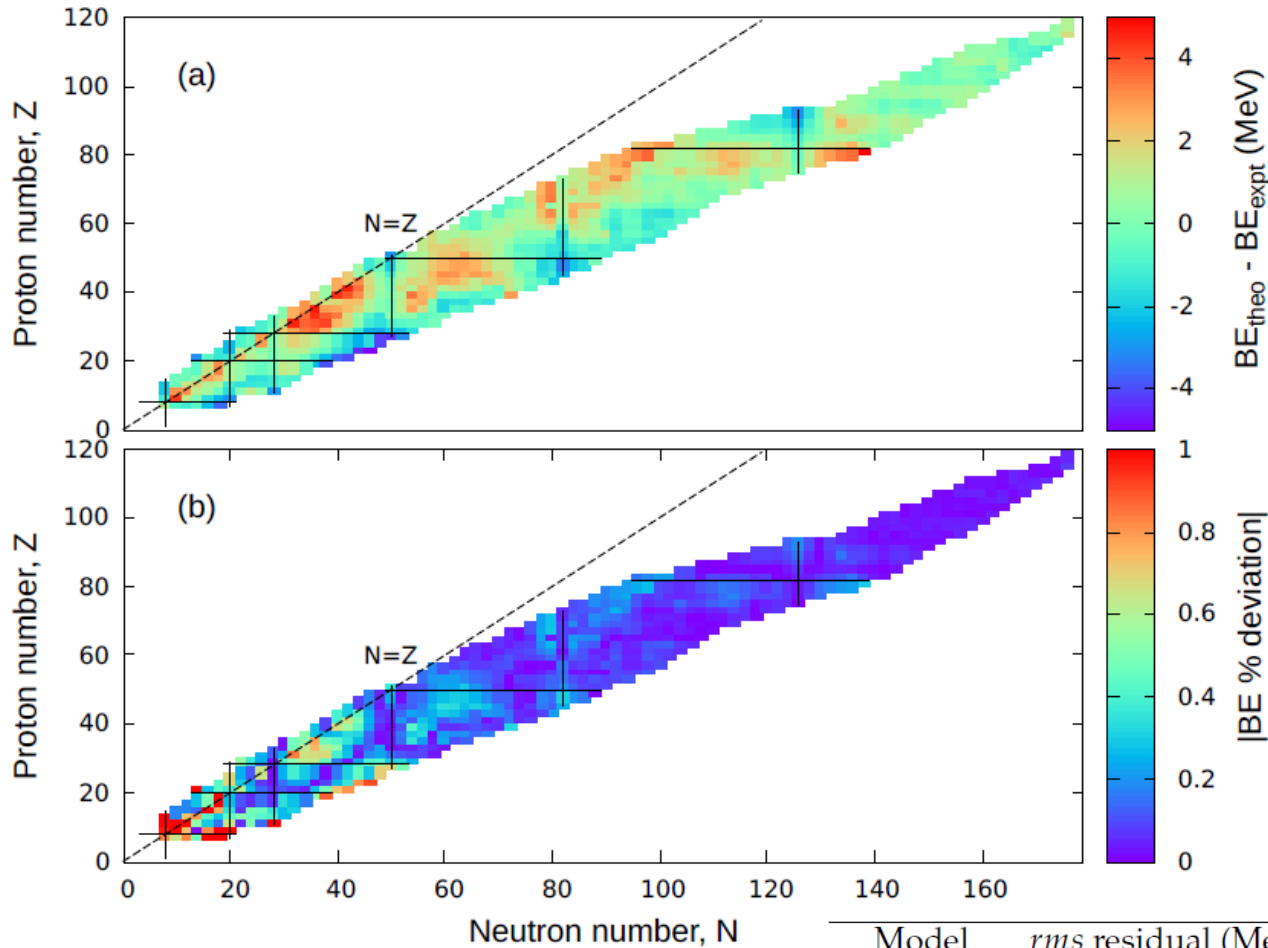
- now at Silliman University (Philippines)  
(publications in preparation)

- in collaboration with Pierre Guichon and Jirina Stone

QMC  $\pi$ -II and III incorporate a much more  
accurate evaluation of  $H^\sigma$

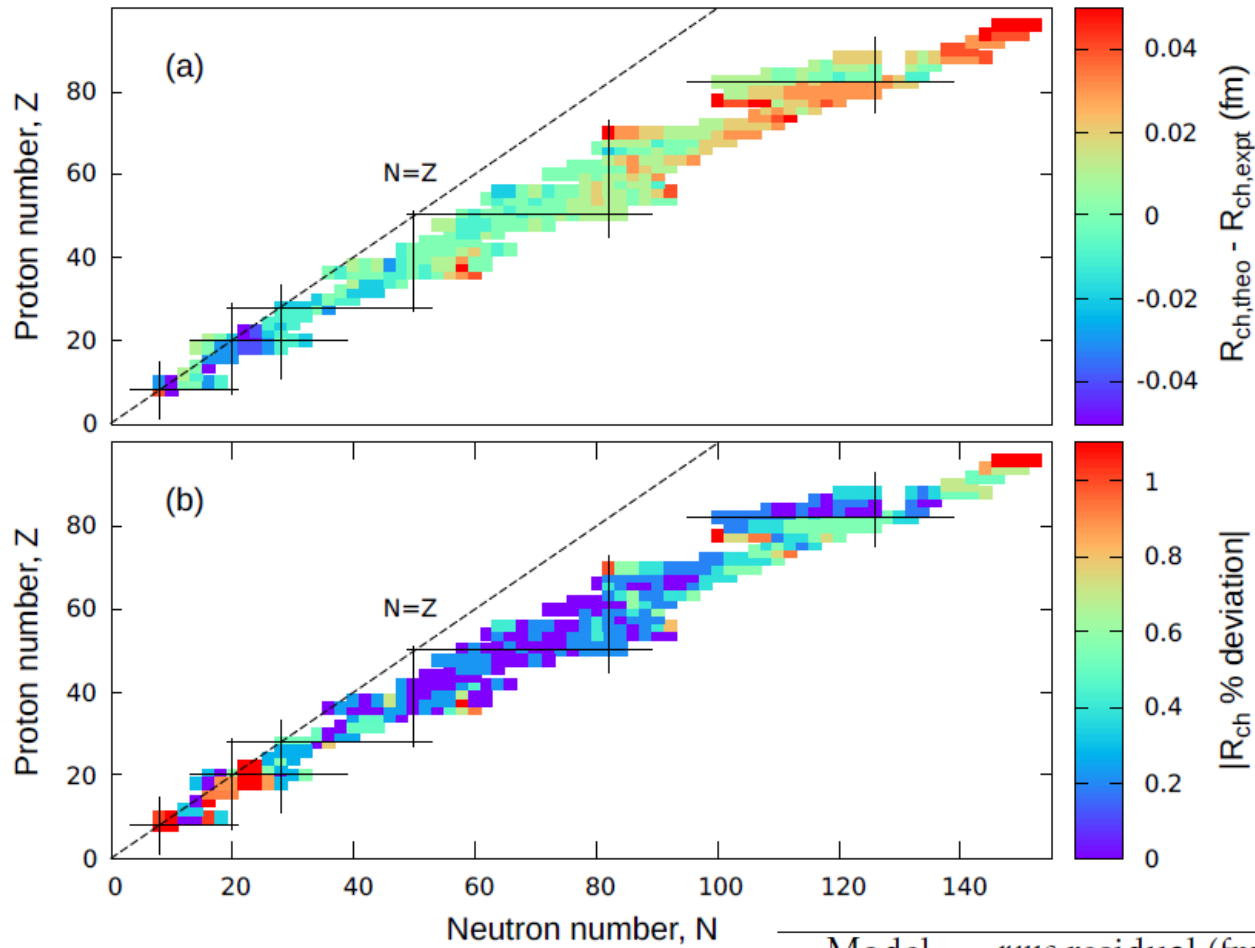
# Binding Energies – 820 Known Even-Even Nuclei

2020



Model	<i>rms</i> residual (MeV)	<i>rms</i> % deviation
QMC $\pi$ -III	1.59	0.29
QMC $\pi$ -II	2.34	0.39
QMC $\pi$ -I	2.78	0.50
QMC-I	3.84	0.69
SV-min	3.64	0.38
UNEDF1	2.06	0.55
DD-ME $\delta$	2.41	0.42
FRDM	0.89	0.18

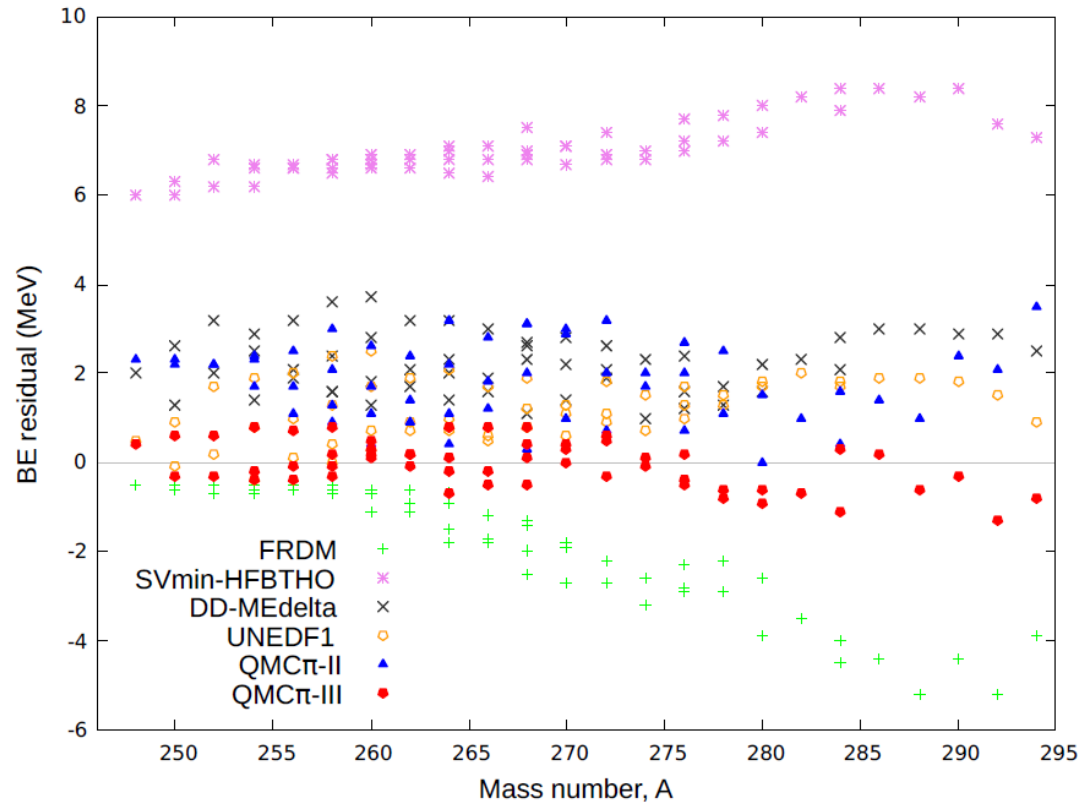
# Charge Radii



Model	<i>rms</i> residual (fm)	<i>rms</i> % deviation
QMC $\pi$ -III	0.024	0.50
QMC $\pi$ -II	0.029	0.66
QMC $\pi$ -I	0.028	0.65
QMC-I	0.030	0.66
SV-min	0.024	0.61
UNEDF1	0.029	0.65
DD-ME $\delta$	0.035	0.78

# Binding Energies of Superheavy Nuclei

Martinez et al (TBP) and PHYSICAL REVIEW C **100**, 044302 (2019)



	<i>rms</i> % deviation	<i>rms</i> residual (MeV)	
QMC $\pi$ -III	0.03	0.52	<b>Outstanding agreement</b>
QMC $\pi$ -II [54]	0.11	2.04	
QMC $\pi$ -I [53]	0.12	2.42	
QMC-I [8]	0.08	1.50	
FRDM [23]	0.11	2.25	
SV-min [24]	0.36	6.99	
UNEDF1 [28]	0.07	1.31	
DD-ME $\delta$ [66]	0.12	2.28	

# Neutron Stars



# The most dense matter in the Universe

- Heaviest stars have central densities up to 6-7 times  $\rho_0$

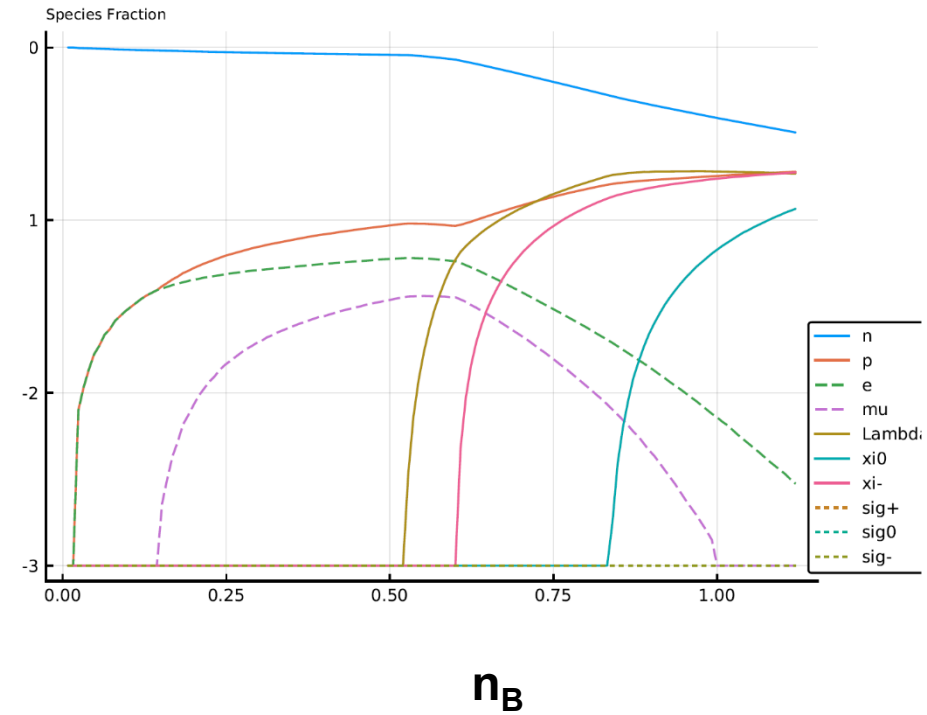
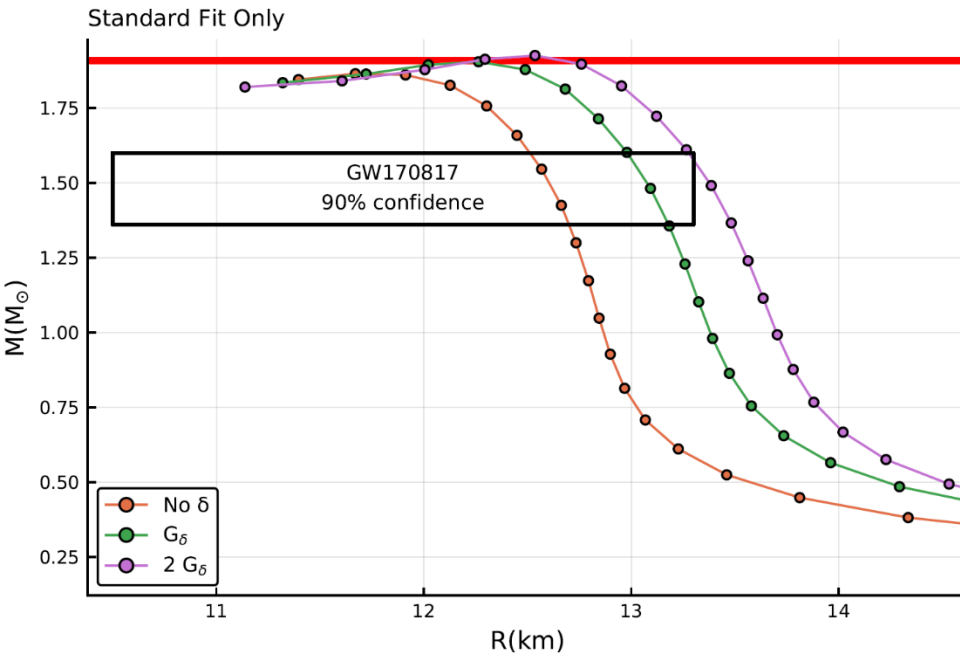
What is the EoS?

- Do we have deconfined quark matter?
- Hyperons must play a role in some stars

and

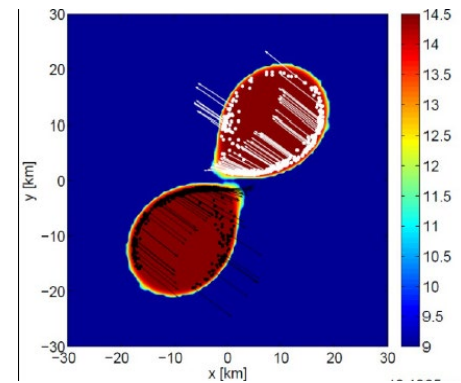
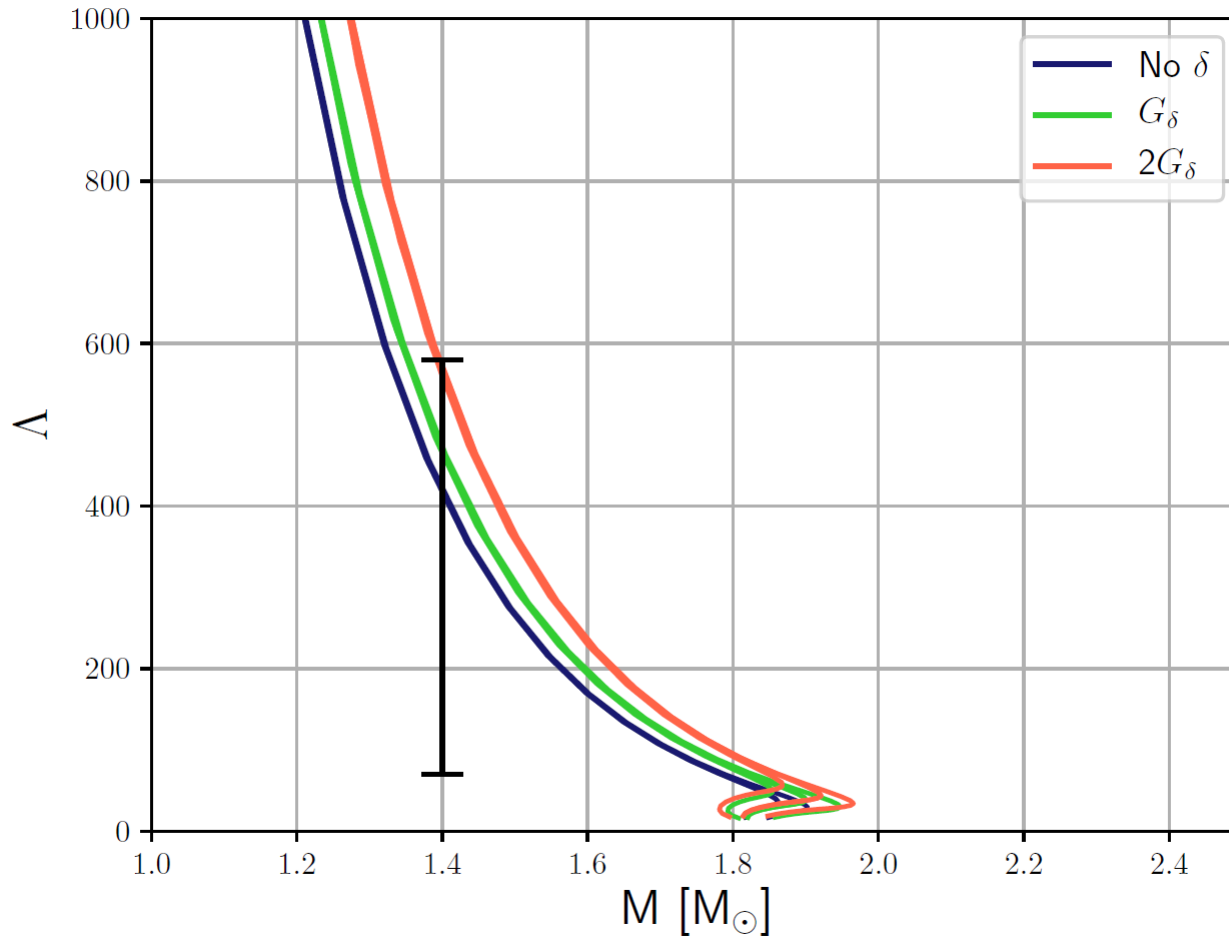
- At present all data (gravitational waves, NICER satellite data etc.) is consistent with purely hadronic matter– including hyperons

# Neutron Stars with hyperons in $\beta$ -equilibrium



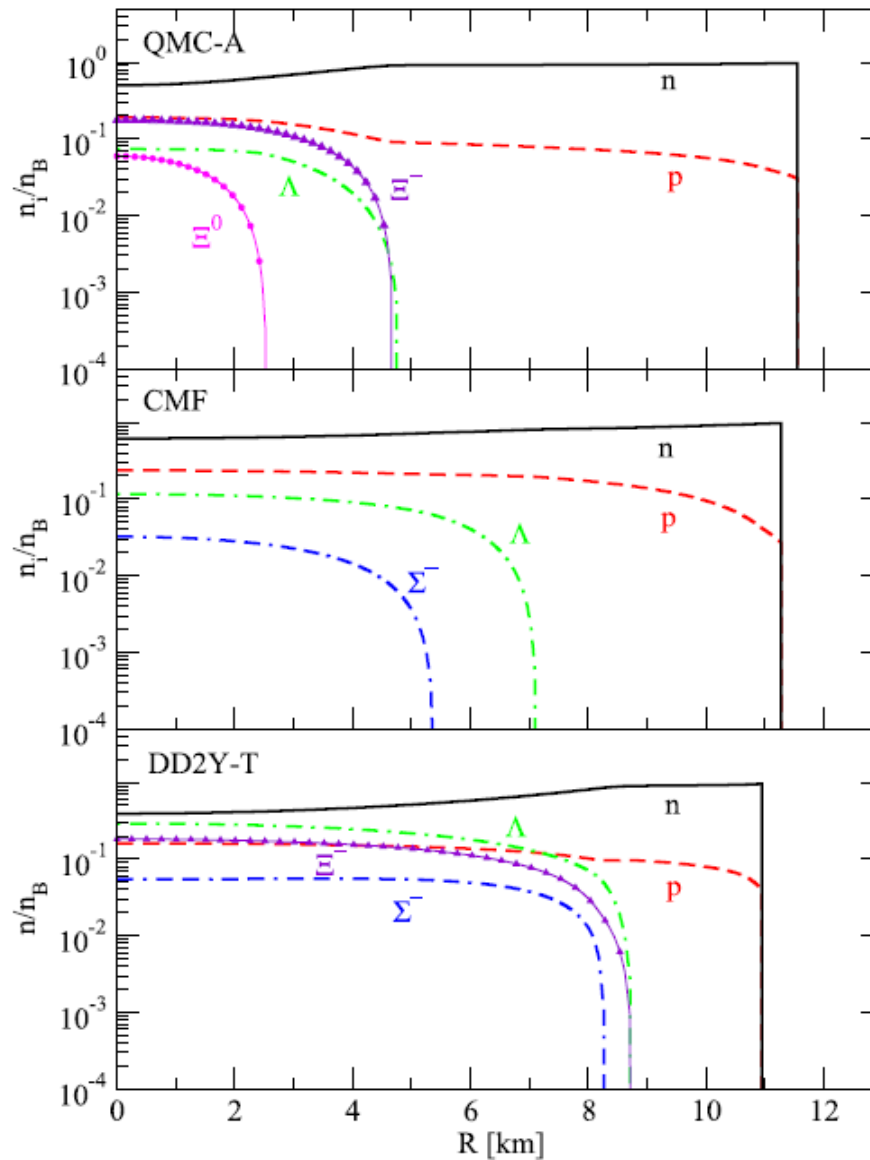
# Tidal deformability

- Band deduced by LIGO-Virgo analysis of GW170817



$$Q_{ij} = -\lambda(M) E_{ij}$$

# Radial Distribution of Hyperons (T=0)

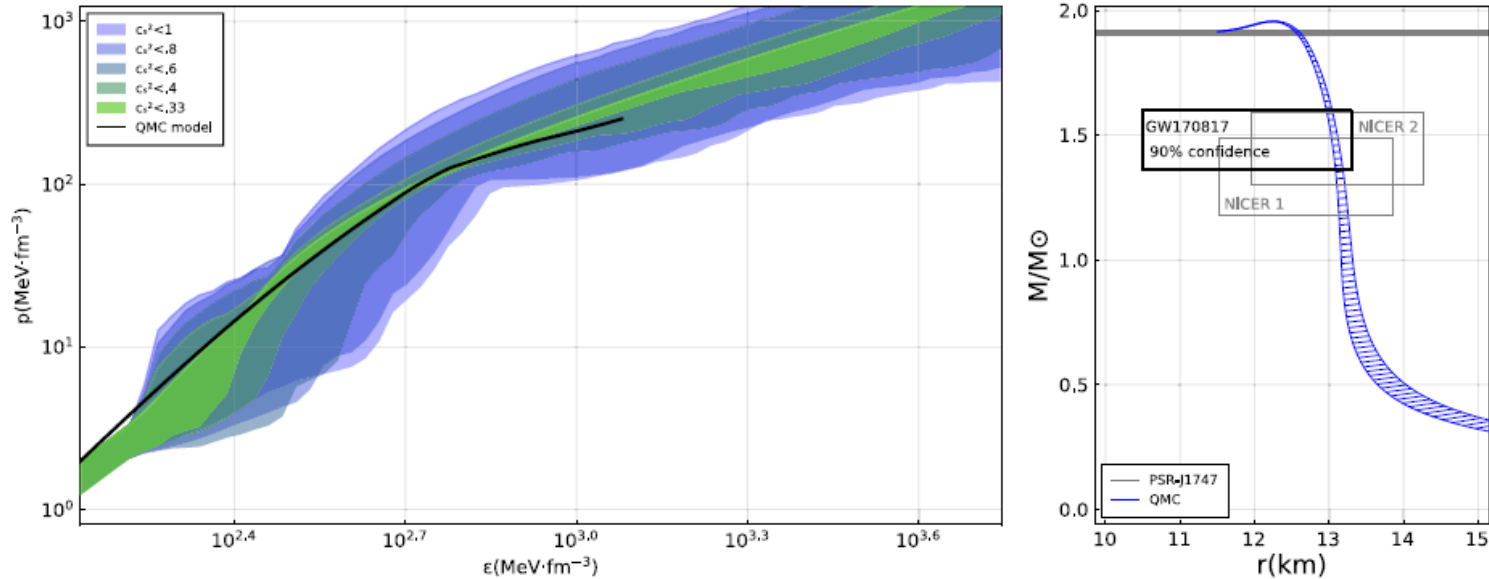


In heaviest stars

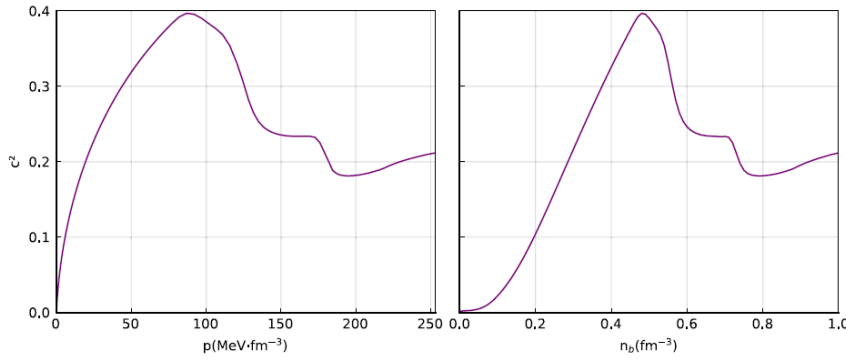
Stone *et al.*, MNRAS 502, 3476–3490 (2021)

# On the sound speed in hyperonic stars

T.F. Motta <sup>a,\*</sup>, P.A.M. Guichon <sup>b</sup>, A.W. Thomas <sup>a</sup>



**Follow up on Annala et al.,  
Nature Physics (2020) model  
independent EoS based on  
speed of sound interpolation  
between low and high density  
- claim low value implies quark matter**



# Our challenges

- Discover how the properties of hadrons, nuclei and neutron stars emerge as non-perturbative products of this beautiful, non-linear theory
- Test that it is indeed fully correct
  - precision
- Develop our physical insight – a picture of how it works
- Our capacity to win new physical insight into how Nature works is what makes it worthwhile to get out of bed in the morning!









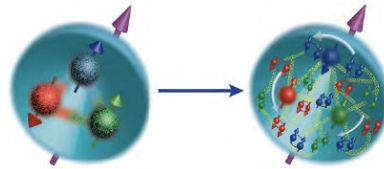


# The Spin Crisis

Volume 206, number 2

PHYSICS LETTERS B

19 May 1988



## A MEASUREMENT OF THE SPIN ASYMMETRY AND DETERMINATION OF THE STRUCTURE FUNCTION $g_1$ IN DEEP INELASTIC MUON-PROTON SCATTERING

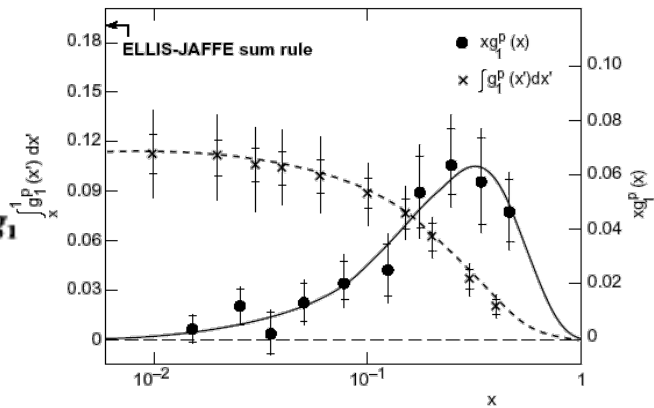
European Muon Collaboration

Aachen, CERN, Freiburg, Heidelberg, Lancaster, LAPP (Annecy), Liverpool, Marseille, Mons, Oxford, Rutherford, Sheffield, Turin, Uppsala, Warsaw, Wuppertal, Yale

J. ASHMAN <sup>a</sup>, B. BADELEK <sup>b,1</sup>, G. BAUM <sup>c,2</sup>, J. BEAUFAYS <sup>d</sup>, C.P. BEE <sup>e</sup>, C BENCHOUK <sup>f</sup>,

(93 authors)

The spin asymmetry in deep inelastic scattering of longitudinally polarised muons by longitudinally polarised protons has been measured over a large  $x$  range ( $0.01 < x < 0.7$ ). The spin-dependent structure function  $g_1(x)$  for the proton has been determined and its integral over  $x$  found to be  $0.114 \pm 0.012 \pm 0.026$ , in disagreement with the Ellis–Jaffe sum rule. Assuming the validity of the Bjorken sum rule, this result implies a significant negative value for the integral of  $g_1$  for the neutron. These values for the integrals of  $g_1$  lead to the conclusion that the total quark spin constitutes a rather small fraction of the spin of the nucleon.



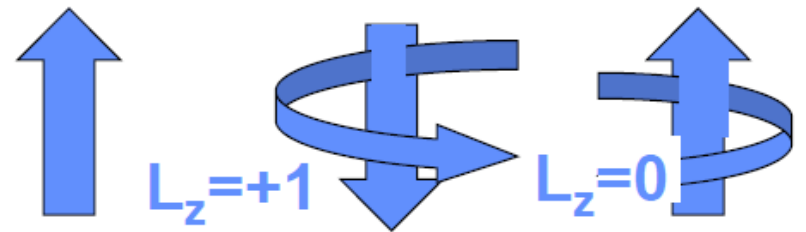
$$\Sigma = 14 \pm 3 \pm 10 \% :$$

i.e. 86% of spin of p NOT carried by its quarks

# The Pion Cloud & Gluon Hyperfine Interaction

- Probability to find a bare N is  $Z \sim 70\%$

- Biggest Fock Component is  $N \pi \sim 20-25\%$  and  $2/3$  of the time N spin points down (next biggest is  $\Delta \pi \sim 5-10\%$ )



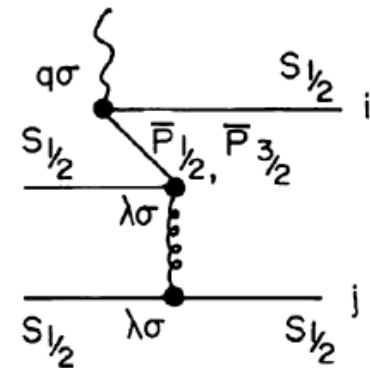
- Spin gets renormalized by a factor :  $Z$   
 $Z - 1/3 P_{N \pi} + 15/9 P_{\Delta \pi} \sim 0.75 - 0.8$   
Hence:  $\Sigma = 0.65 \rightarrow 0.49 - 0.52$

$$\frac{2}{3} P_{N \pi}$$

$$\frac{1}{3} P_{N \pi}$$

- In addition the effect of the one-gluon-exchange | “exchange current” correction :

$$\Sigma \rightarrow \Sigma - 3G ; \text{ with } G \sim 0.05$$



Schreiber-Thomas, Phys Lett B215 (1988)  
 and Myhrer-Thomas, Phys Lett (1988)

# Hypernuclei

No new parameters as  $\sigma$ ,  $\omega$  and  $\rho$  mesons do not couple to the strange quark.

One could add extra mesons with more free parameters but let's see what we find.....

# $\Lambda$ - and $\Xi$ -Hypernuclei in QMC

	$^{89}_{\Lambda}\text{Yb}$ (Expt.)	$^{91}_{\Lambda}\text{Zr}$	$^{91}_{\Xi^0}\text{Zr}$	$^{208}_{\Lambda}\text{Pb}$ (Expt.)	$^{209}_{\Lambda}\text{Pb}$	$^{209}_{\Xi^0}\text{Pb}$
$1s_{1/2}$	-22.5	-24.0	-9.9	-27.0	-26.9	-15.0
$1p_{3/2}$		-19.4	-7.0		-24.0	-12.6
$1p_{1/2}$	-16.0 (1p)	-19.4	-7.2	-22.0 (1p)	-24.0	-12.7
$1d_{5/2}$		-13.4	-3.1	—	-20.1	-9.6
$2s_{1/2}$		-9.1	—	—	-17.1	-8.2
$1d_{3/2}$	-9.0 (1d)	-13.4	-3.4	-17.0 (1d)	-20.1	-9.8
$1f_{7/2}$		-6.5	—	—	-15.4	-6.2
$2p_{3/2}$		-1.7	—	—	-11.4	-4.2
$1f_{5/2}$	-2.0 (1f)	-6.4	—	-12.0 (1f)	-15.4	-6.5
$2p_{1/2}$		-1.6	—	—	-11.4	-4.3

Also predicts  $\Xi$  – hypernuclei bound by 5-15 MeV – being tested at J-PARC

“The first evidence of a bound state of  $\Xi^{-14}\text{N}$  system”,

K. Nakazawa et al.,

Prog. Theor. Exp. Phys. (2015)

Guichon et al., Nucl.Phys. A814 (2008) 66; see also 1998

# Finite Temperature

As we have heard at this meeting (e.g. Perego and Kochankovski ) after BNS mergers the temperature in time-frame relevant to Gravitational Waves is 10-100 MeV

The composition is then very different from a cold star

For example,  $\Sigma$  hyperons which play no role in QMC at  $T=0$  because of the enhancement of the color hyperfine repulsion play an important role

See:

Stone *et al.*, [MNRAS 502, 3476–3490 \(2021\)](#)

# Hyperon content at finite Temperature

**T = 10-20 MeV**

**T = 20-40 MeV**

