



Measurement of B_s Oscillations at CDF

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Outline

- CDF detector and B physics triggers

- B_s mixing analysis overview:

- B_s signals

- Proper decay time analysis

- Initial state Flavour Tagging

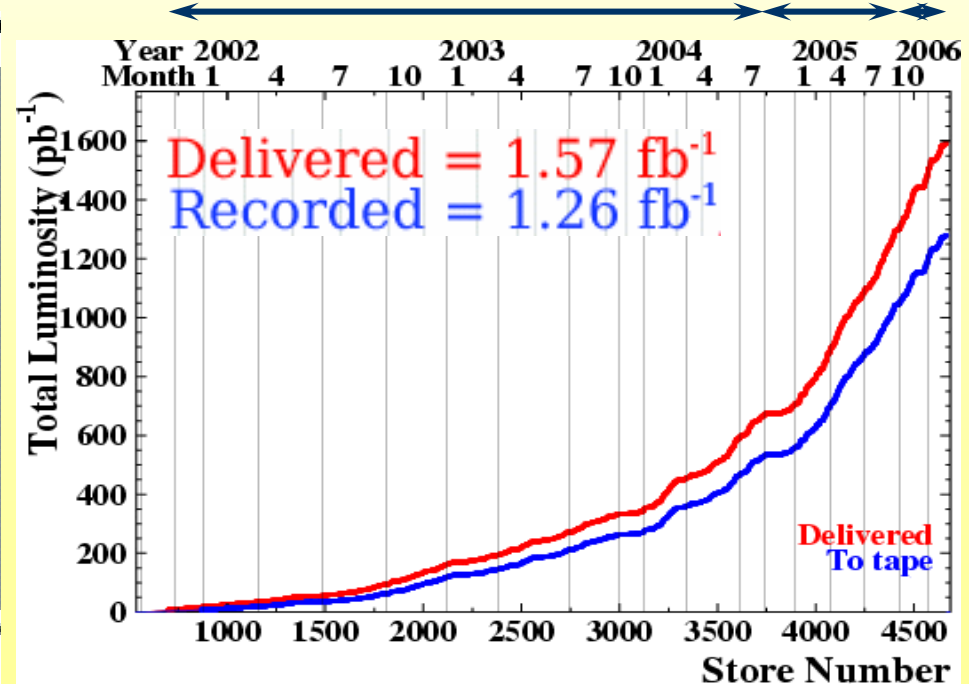
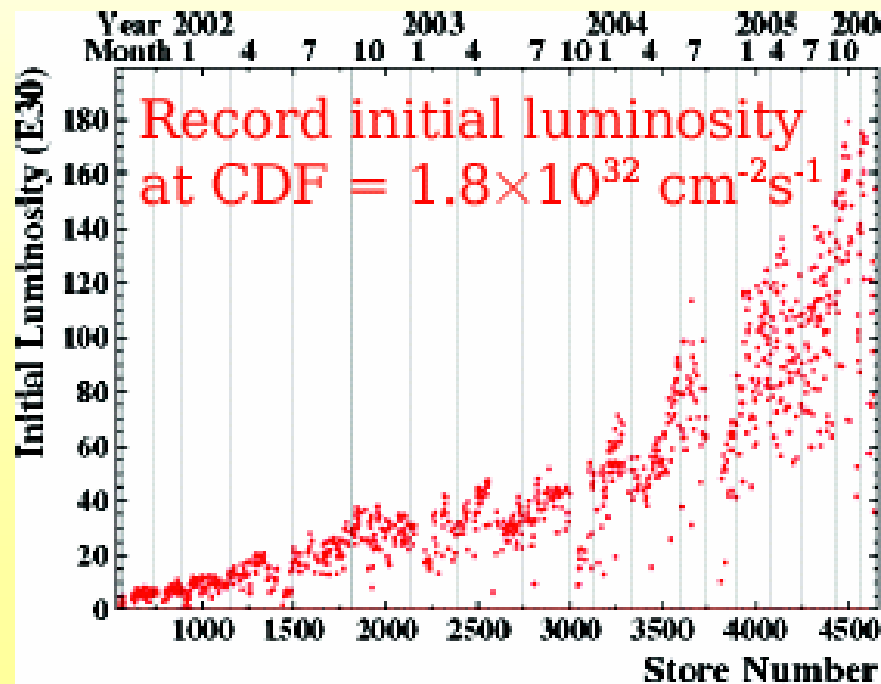
- Amplitude Scan for Δm_s

- **Measurement of Δm_s**

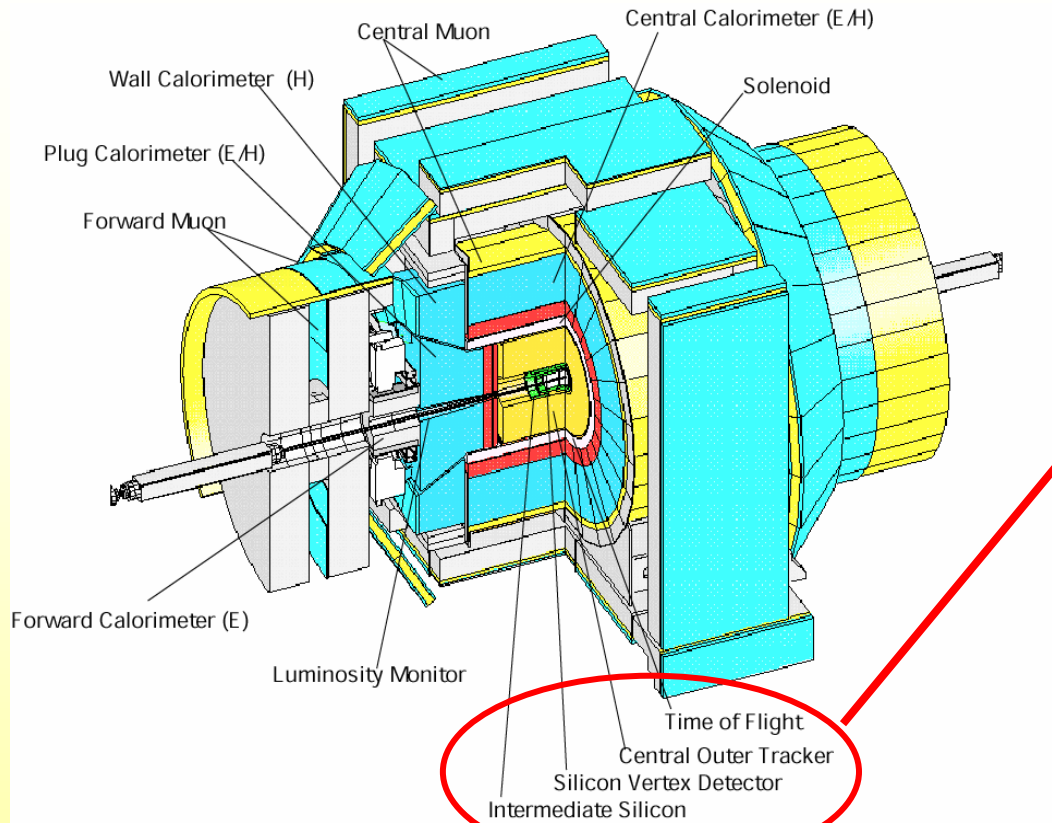
- *Summary and perspectives*

Tevatron performances

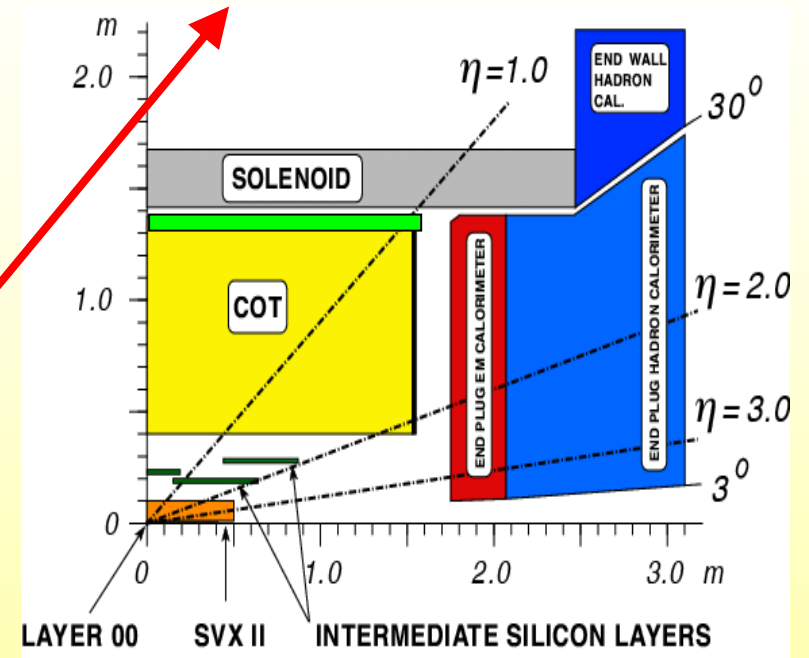
- CDF collected so far $\sim 1.26 \text{ fb}^{-1}$ out of 1.57 fb^{-1} delivered by Tevatron.
- Record peak luminosity is $\sim 1.8 \cdot 10^{32} \text{ cm}^{-2}\text{s}^{-1}$
- B_s Mixing analysis performed with integrated Luminosity of 1 fb^{-1}



The CDF II detector



CDF Tracking System



Lepton ID

Muons: CMU, CMP, CMX ($|\eta| < 1.1$)

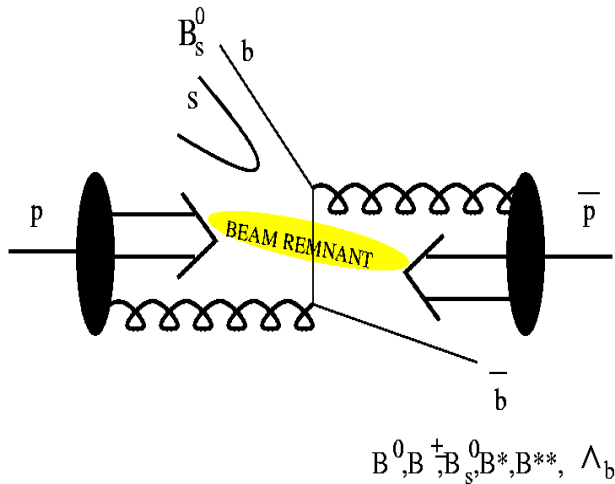
Electrons: CEM (EM calorimeter)
CPR (pre-shower detector)

Particle ID

• dE/dX in COT

• Time Of Flight detector

B Physics at Collider



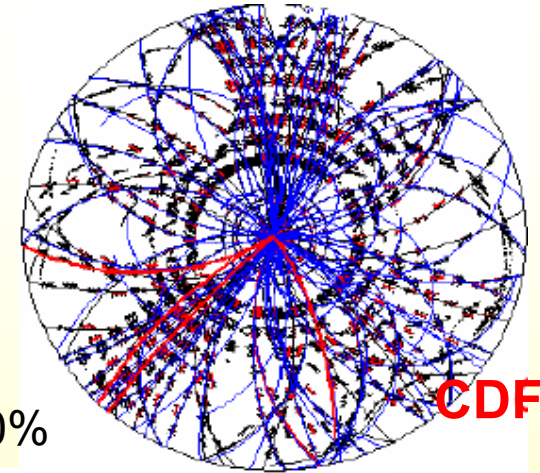
• All B species produced:

$$B_u, B_d, B_s, B_c, \Lambda_b, \Xi_b \dots$$

• With production fractions:

$$f_u : f_d : f_s : f_\Lambda \approx 4 : 4 : 1 : 1$$

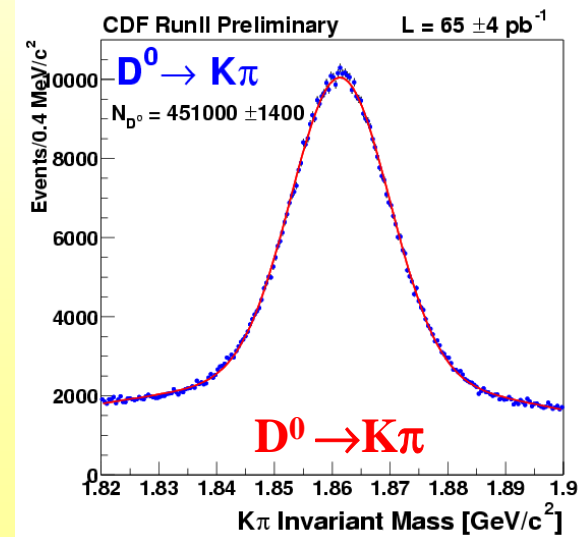
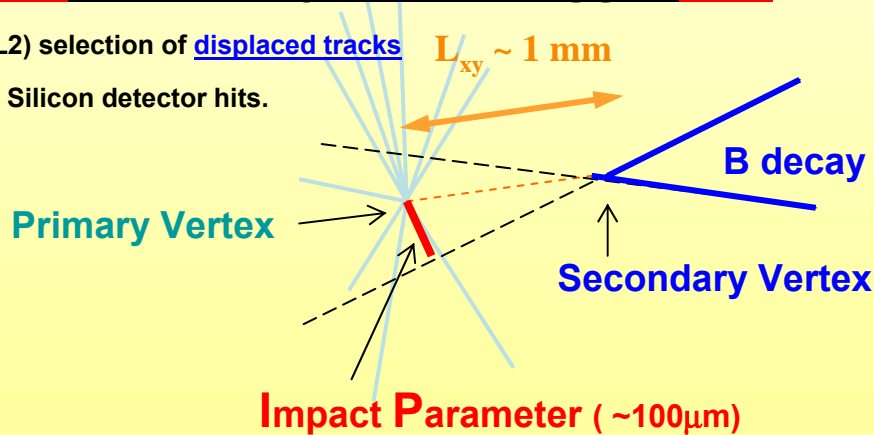
• Acceptance for other B is 20-40%



BUT: $\sigma(bb) \ll \sigma(pp) (\sim 65 \text{ mb}) \Rightarrow$ B have to be selected with specific **Triggers**

the CDF Secondary Vertex Trigger SVT

• Online (L2) selection of **displaced tracks** $L_{xy} \sim 1 \text{ mm}$ based on Silicon detector hits.



• b production is very large ($\sim 300 \text{ Hz}$ @ $10^{32} \text{ cm}^{-2} \text{ Hz}$) \rightarrow trigger on specific decays

B physics triggers at CDF II

Conventional at colliders (Run I)

Di-Muon
(J/ψ)

$P_t(\mu) > 1.5 \text{ GeV}$

J/ψ modes down to low $P_t(J/\psi) \sim 0$ (Run II)

With SVT trigger

1-Displaced track
+ lepton (e, μ)

$120 \mu\text{m} < \text{I.P.}(\text{trk}) < 1\text{mm}$

$P_T(\text{lepton}) > 4 \text{ GeV}$

Semileptonic modes

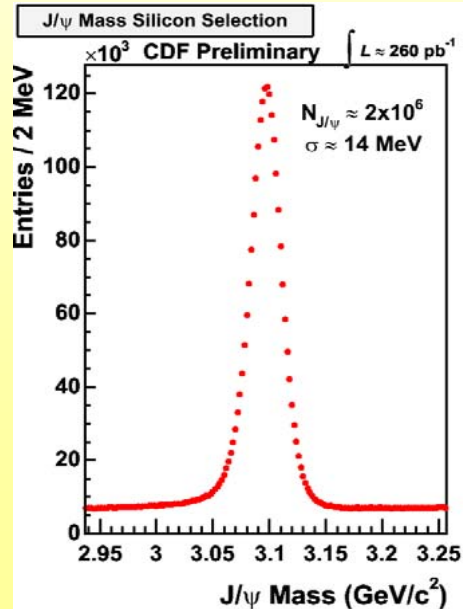
2-Displaced tracks

$P_T(\text{trk}) > 2 \text{ GeV}$

$120 \mu\text{m} < \text{I.P.}(\text{trk}) < 1\text{mm}$

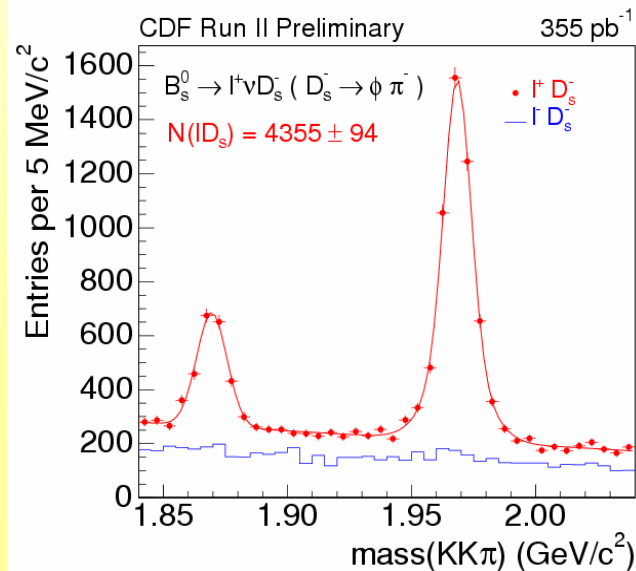
$\Sigma p_T > 5.5 \text{ GeV}$

fully hadronic modes

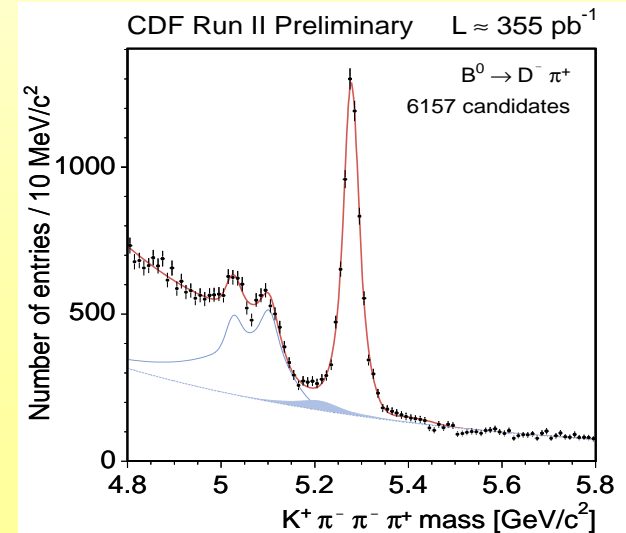


Thu Aug 5 20:26:38 2004

Flavor Physics in the LHC Era, CERN 16-05-2006

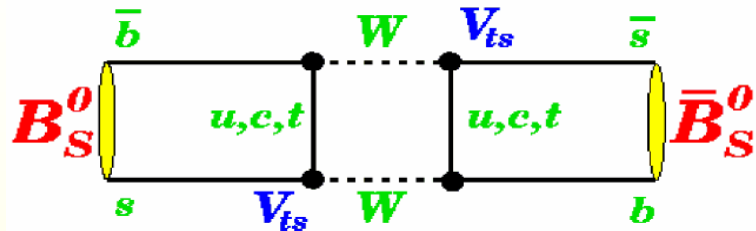


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B_s Mixing

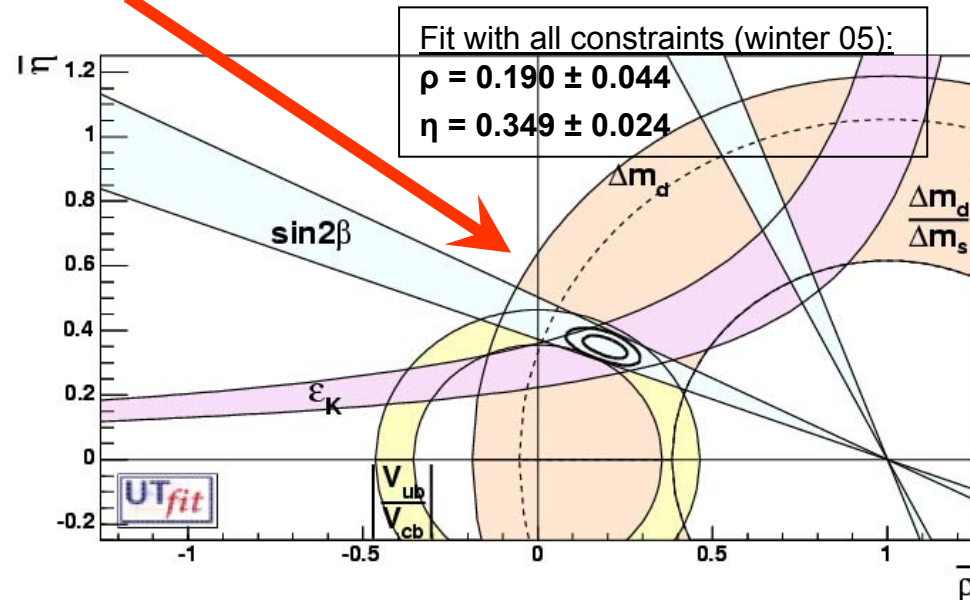


but: $|V_{ts}| \gg |V_{td}| \rightarrow \Delta m_s \gg \Delta m_d$

$$\frac{\Delta m_s}{\Delta m_d} = \frac{m_{B_s}}{m_{B_d}} \frac{f_{B_s}^2 B_{B_s}}{f_{B_d}^2 B_{B_d}} \frac{|V_{ts}|^2}{|V_{td}|^2} = \frac{m_{B_s}}{m_{B_d}} \xi^2 \frac{|V_{ts}|^2}{|V_{td}|^2}$$

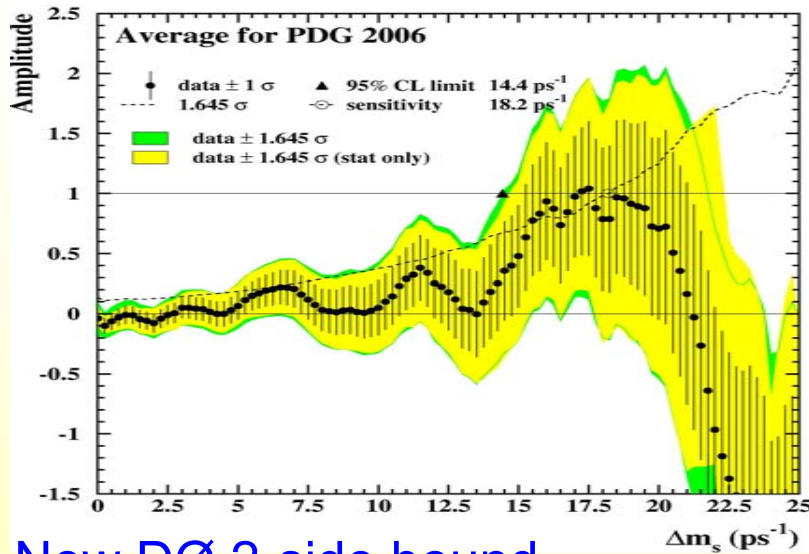
Measuring $\Delta m_s/\Delta m_d$ determines $|V_{ts}|/|V_{td}|$
Lattice calculation error $O(5\%)$

WA experimental limit:
 $\Delta m_s > 14.5 \text{ ps}^{-1}$ (95%CL)
(LEP+SLD+CDF 1)

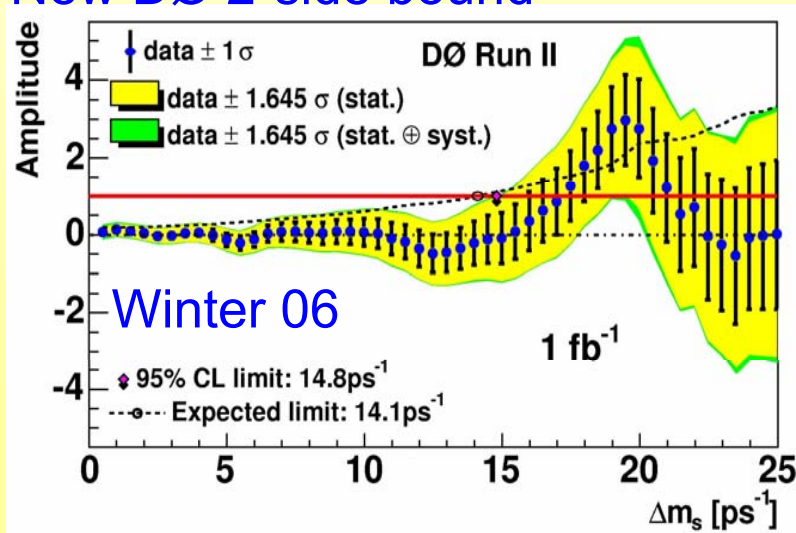


Status of Δm_s

WA experimental limit

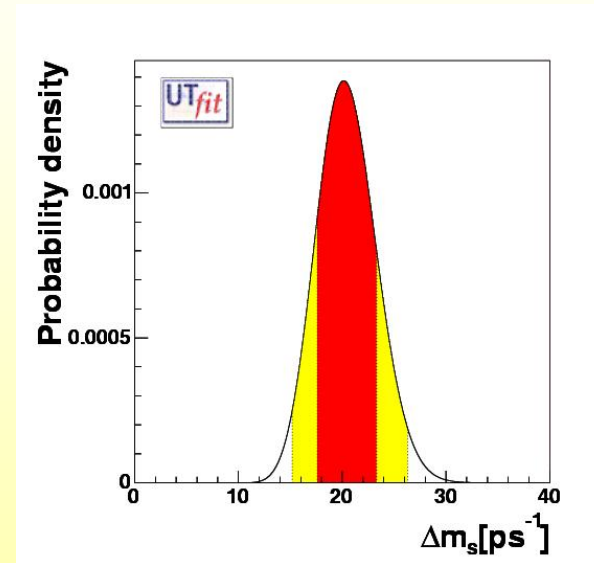


New DØ 2-side bound



CKM fit S.M. prediction

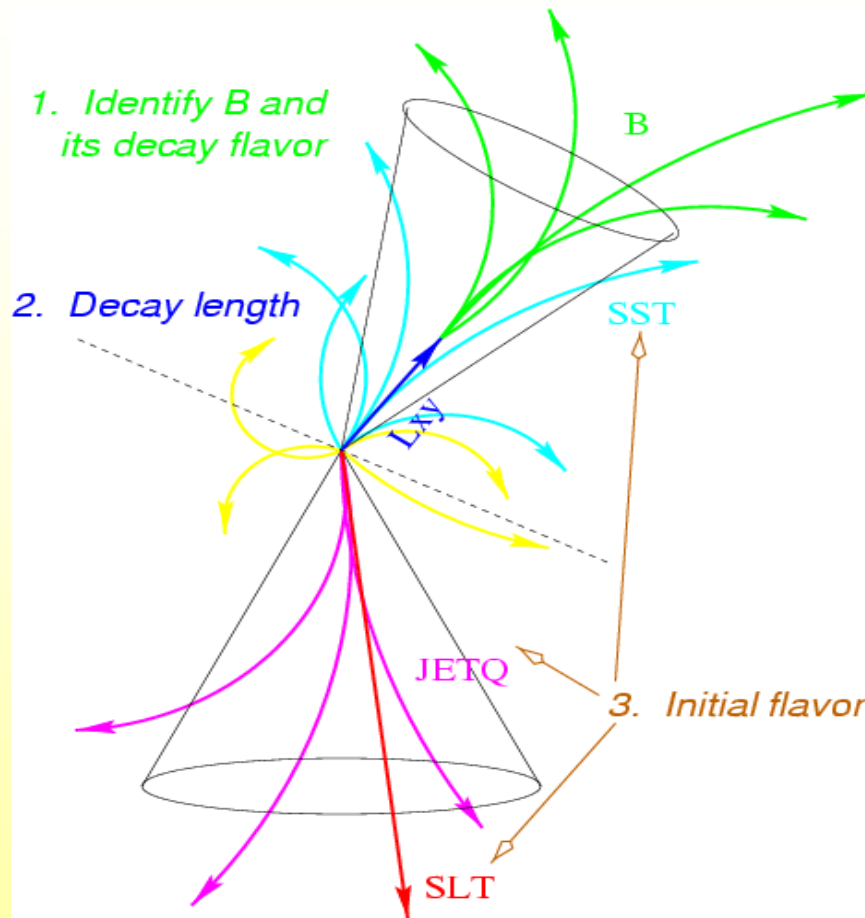
Δm_s not used (winter 2005)



$$\Delta m_s = 20.5 \pm 3.2 \text{ ps}^{-1}$$

$$[14.4, 27.1] @ 95\% \text{ CL}$$

Analysis Strategy



- **B_s signal reconstruction**

- Flavour specific states

- **B_s decay time**

- proper time reconstruction

- **Lifetime** measurement

- **Initial flavour of the B_s**

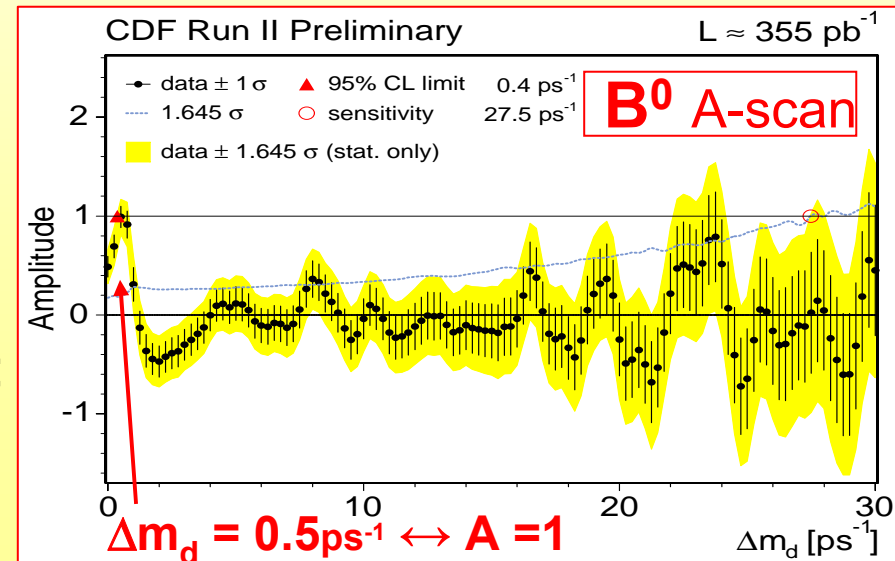
- **Flavour tagging** techniques

- calibrate on B_d mixing

→ **B⁰ Mixing**

perform a “**Blind AMPLITUDE SCAN**”:

$$L_{sig}^t = \frac{1}{\tau} e^{-t/\tau} (1 \pm \mathbf{A} D \cdot S \cdot \cos(\Delta m t))$$



Significance of B^0_s mixing measurement

- Since initial state flavour sign is “far from ideally” known

where: $D = \frac{N^{right} - N^{wrong}}{N^{right} + N^{wrong}}$

$$A = \frac{P_{unmix} - P_{mix}}{P_{unmix} + P_{mix}} = D \cos \Delta mt$$

$$Significance = \sqrt{\frac{S \epsilon D^2}{2}} e^{-\frac{(\Delta m_s \sigma_t)^2}{2}} \sqrt{\frac{S}{S+B}}$$

Signal / Noise

Effective tagging power:

ϵ = efficiency of taggers

$D = 1 - 2w$ w = mistag prob.

→ ϵD^2 figure of merit

$$c\tau = \frac{L_{xy}}{\beta_T \gamma} = \frac{L_{xy} m(B)}{p_T(B)}$$

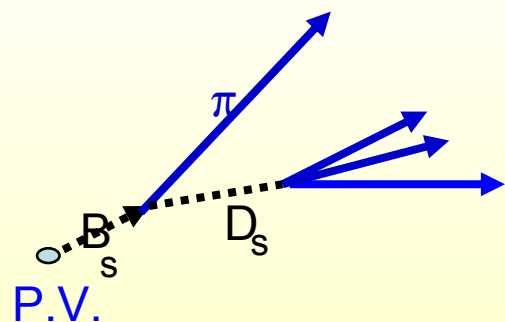
vertexing and momentum resolution

$$\sigma_{c\tau} = \left(\frac{\sigma_{L_{xy}} \cdot m(B)}{p_T(B)} \right) \oplus \left(\frac{\sigma_{p_T}}{p_T(B)} \right) \cdot c\tau$$

Two different B_s signatures:

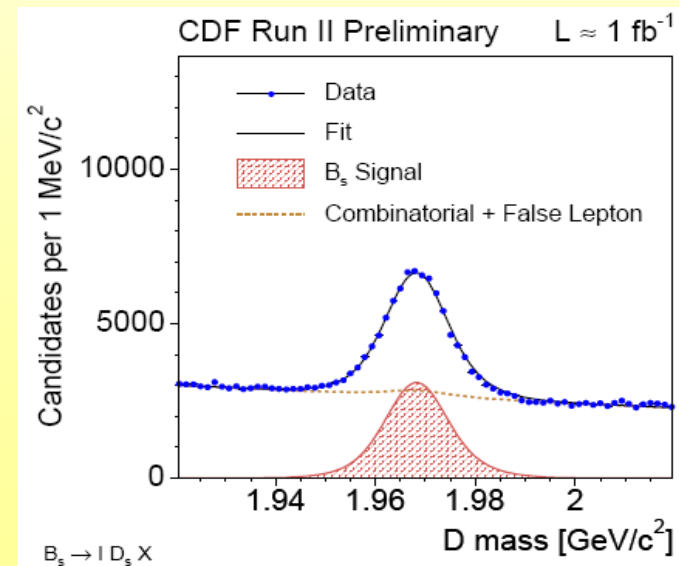
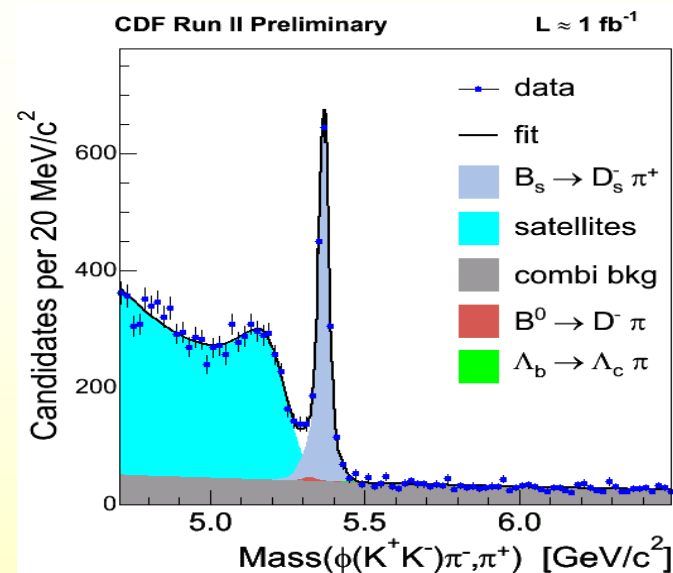
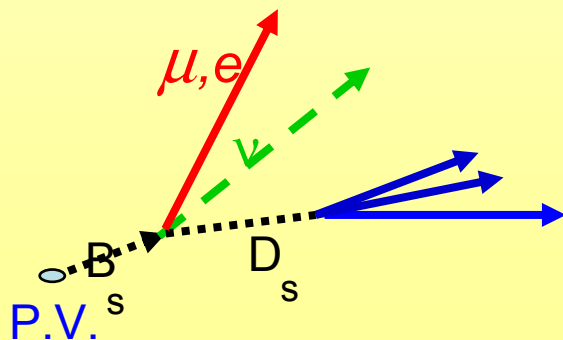
Fully reconstructed HADRONIC modes:

- Good proper time resolution
- High B_s mass resolution
- Selected by Two Track Trigger (SVT)



SEMILEPTONIC modes:

- **Missing momentum** carried by the ν
- Diluted proper time resolution
- Also selected by T.T.T. + offline μ or e ID



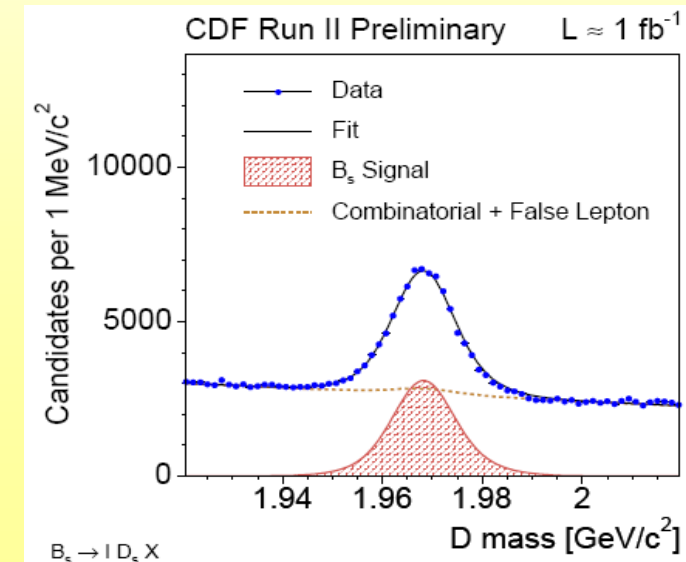
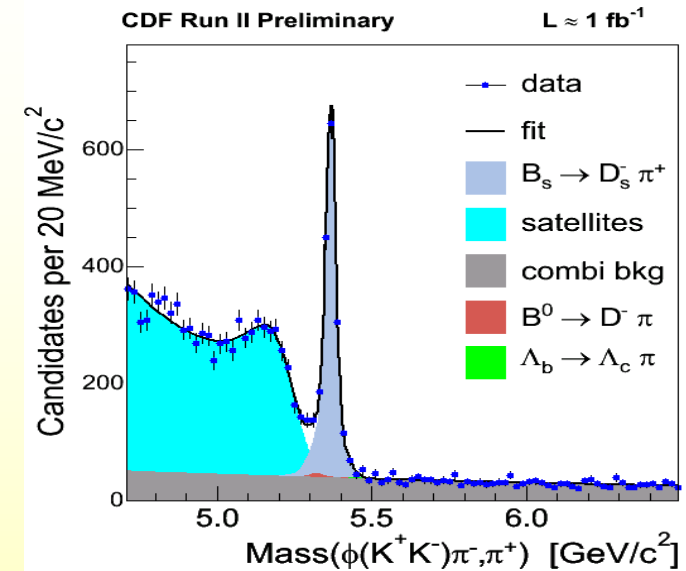
B_s yields:

HADRONIC modes:

$B_s \rightarrow D_s \pi (\phi \pi)$	1600
$B_s \rightarrow D_s \pi (K^* K)$	800
$B_s \rightarrow D_s \pi (3\pi)$	600
$B_s \rightarrow D_s 3\pi (\phi \pi)$	500
$B_s \rightarrow D_s 3\pi (K^* K)$	200
Total	3700

SEMILEPTONIC modes:

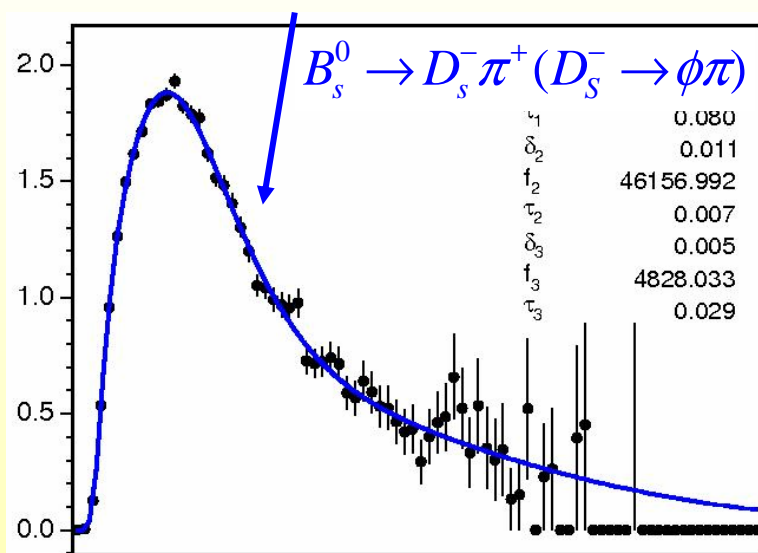
$B_s \rightarrow \ell \nu D_s (\phi \pi) X$	32000
$B_s \rightarrow \ell \nu D_s (K^* K) X$	11000
$B_s \rightarrow \ell \nu D_s (3\pi) X$	10000
Total	53000



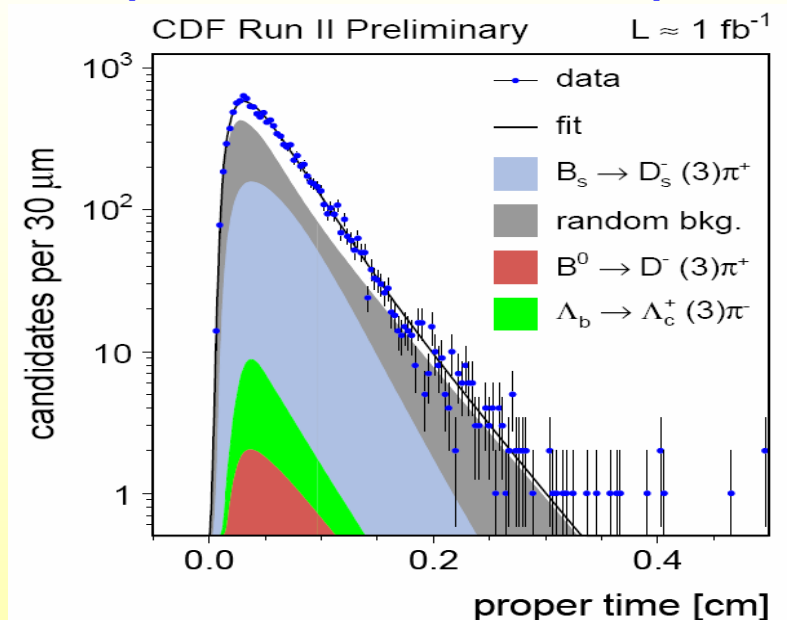
B_s proper decay time analysis

SVT cuts on track Impact Parameter: $120 \mu\text{m} < \text{I.P.}(\text{trk}) < 1\text{mm}$

Efficiency as a function of decay time is obtained from MonteCarlo



Proper time distribution is sculpted



CDF preliminary B lifetimes in fully reconstructed hadronic modes (statistical error only !)

$B^0 \rightarrow D^- \pi^+$	$1.508 \pm 0.017 \text{ ps}$
$B^- \rightarrow D^0 \pi^-$	$1.638 \pm 0.017 \text{ ps}$
$B_s \rightarrow D_s \pi(\pi\pi)$	$1.538 \pm 0.040 \text{ ps}$

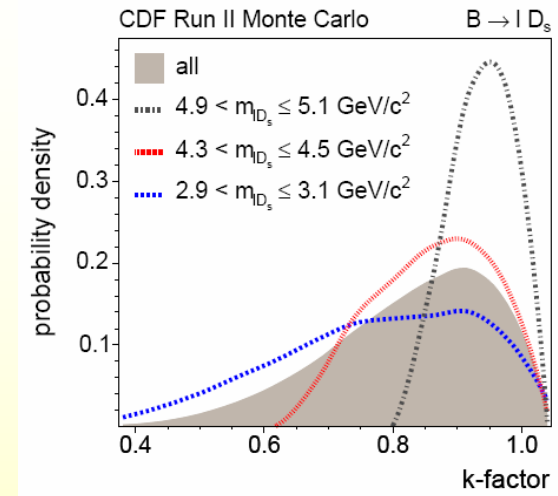
W.A. $\tau(B_s) = 1.469 \pm 0.059 \text{ ps}$

Lifetime in the semileptonic B_s sample

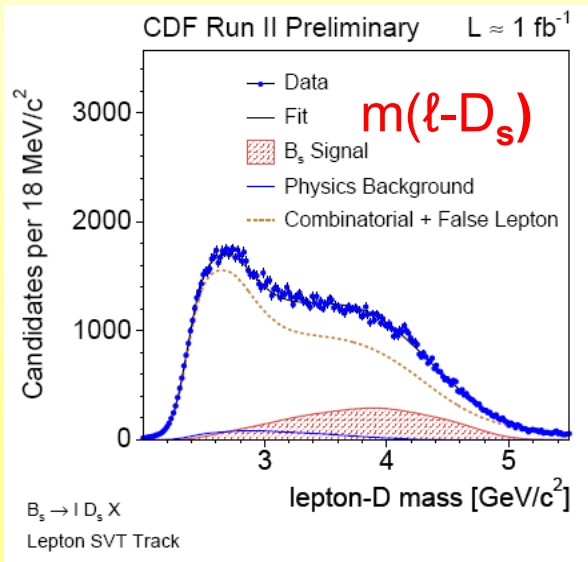
Measure the B decay distance L intersection of ℓ and D_s

- Observable momentum $p^* = p(\ell D_s)$
- Correct statistically for missing momentum factor (from MC)

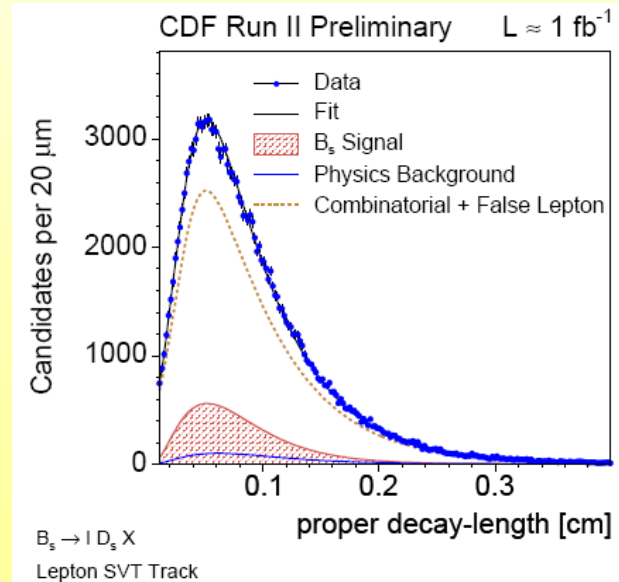
$$K = \frac{p(\ell D_s)}{p(B)}$$



decay time $t = L \times \frac{m(B)}{p(B)}$ \Rightarrow pseudo decay time $t^* = L \times \frac{m(B)}{p(\ell D_s)} \otimes K$



Use ℓ - D_s mass to separate S from B

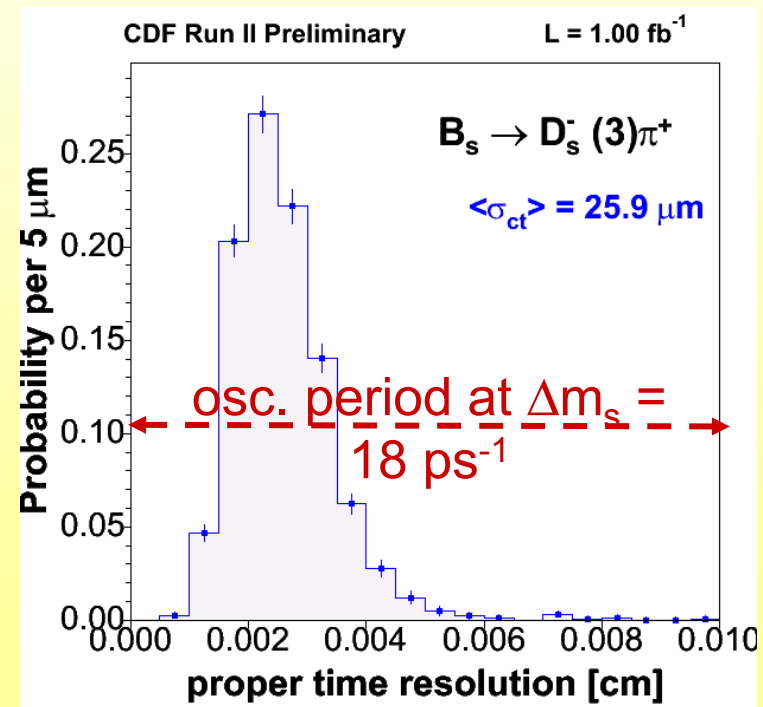
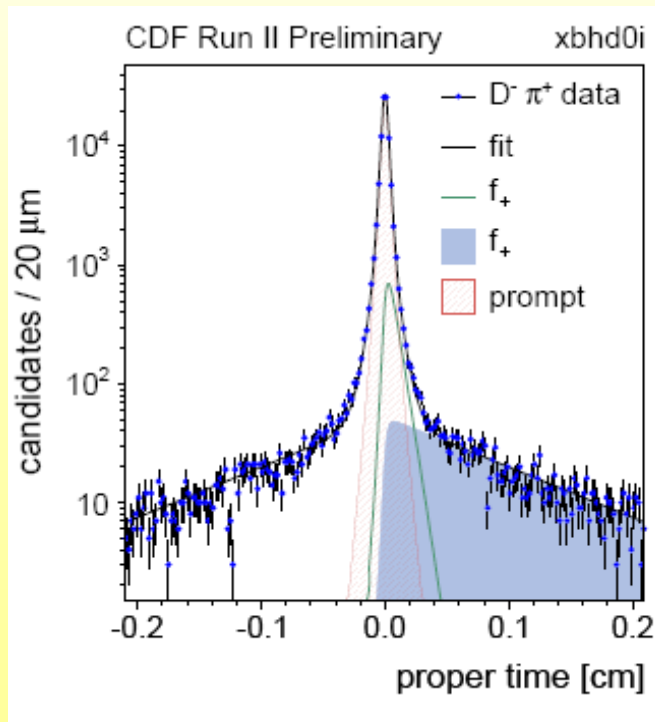


$$ct(B_s) = 1.48 \pm 0.03 \text{ ps (stat only)}$$

B_s Proper Time Resolution

Decay vertex error matrix overall correction for mis-knowledge of hit resolution

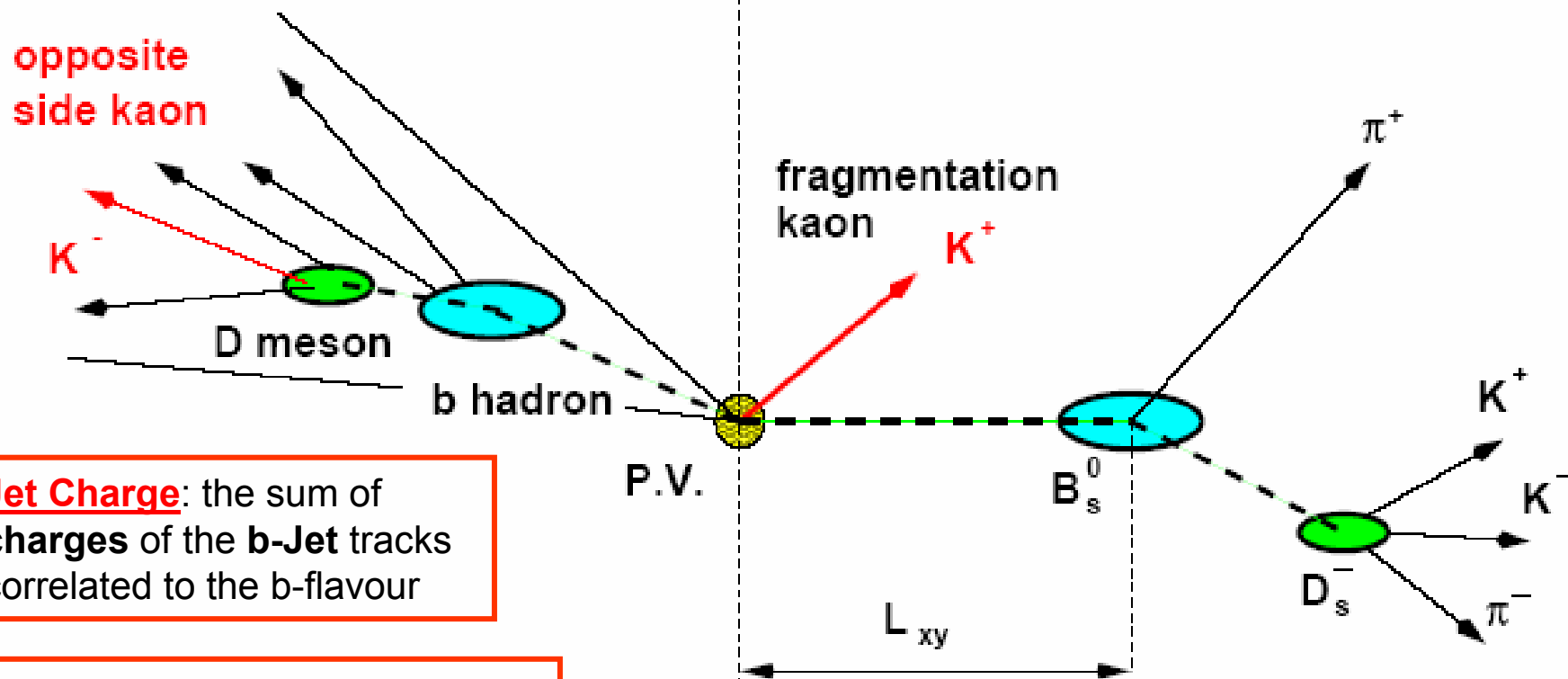
- Apply a scale factor S to $\sigma(\mathbf{ct})$ from vertex fit:
 - Use large data control sample, **real Ds + track from Primary Vertex**
 - Parameterize S in terms of several variables (P_T , Isolation,...)
 - Correct $\sigma(\mathbf{ct})' = S \cdot \sigma(\mathbf{ct})$ event by event.



Flavour tagging

Opposite Side

Same Side



Jet Charge: the sum of charges of the **b-Jet** tracks correlated to the b-flavour

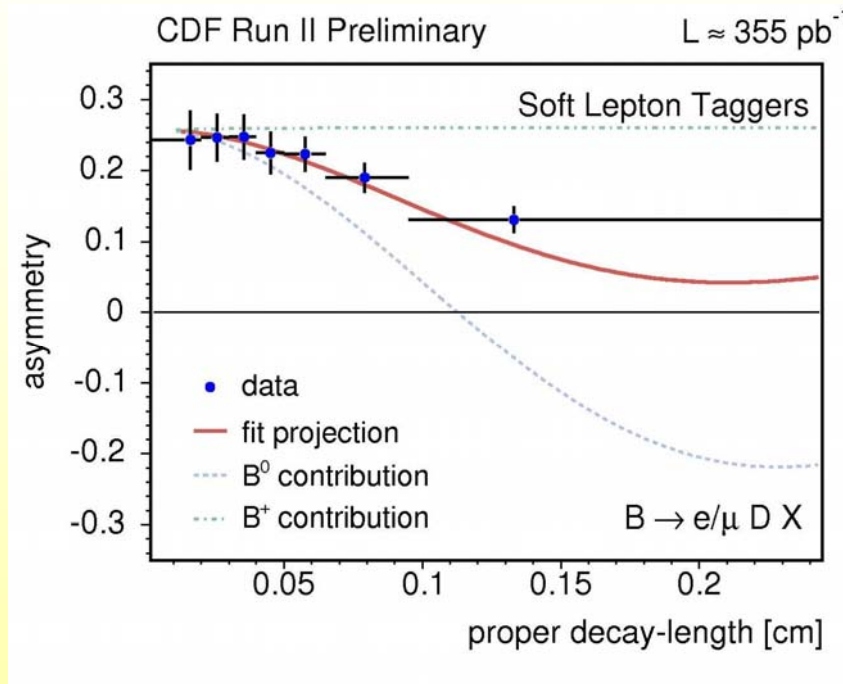
Soft Lepton (e,μ) due to $b \rightarrow \ell \nu X$
 ℓ charge correlated to b-flavour

Opposite Side K: due to $b \rightarrow c \rightarrow s$
 \rightarrow search for secondary K ($D \sim 0.3\%$)

Same Side Kaon: for B_s^0 is likely to have close in ΔR a K^+ from fragmentation

Caliration of Opposite Taggers

→ Perform **B⁰ mixing** analysis:



- Use exclusive combination of:
 - 2 SLT (m, e)
 - 3 JQT categories
 - No OSKT

$$\text{Total } \varepsilon D^2 = 1.55 \pm 0.08$$

	HADRONIC (355 pb ⁻¹)	SEMILEPTONIC (1 fb ⁻¹)
Δm_d	$(0.536 \pm 0.028 \pm 0.006) \text{ ps}^{-1}$	$(0.509 \pm 0.010 \pm 0.016) \text{ ps}^{-1}$

Same Side Kaon Tagging

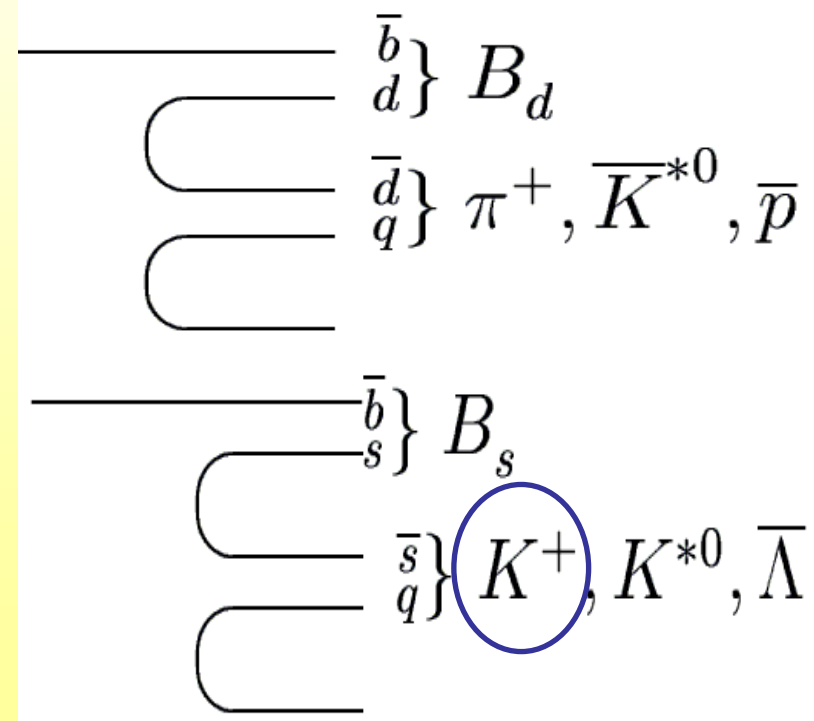
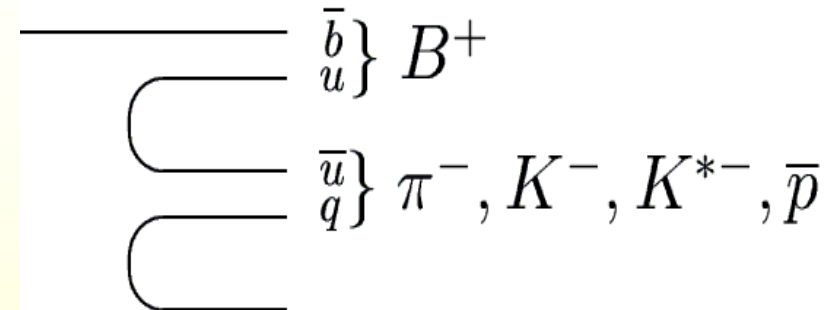
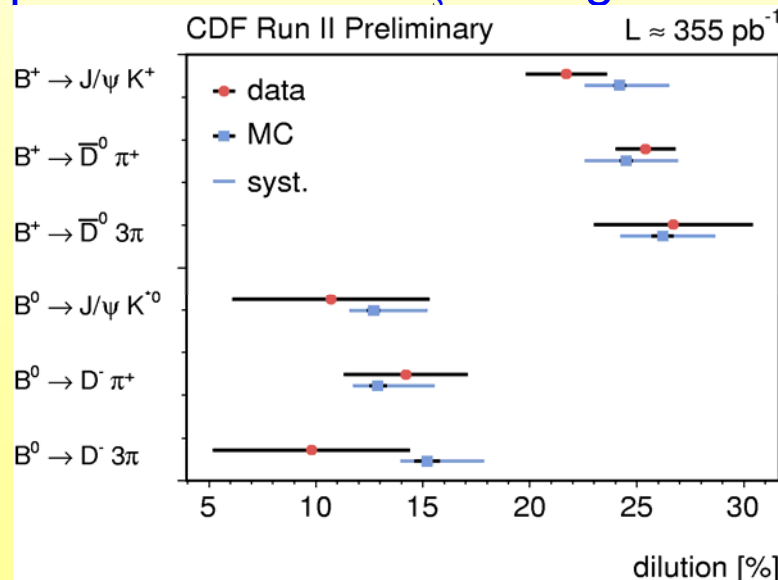
- Look for the fragmentation track that is charge correlated with the B

Δm_s not yet measured precisely

⇒ Parameterization from MC

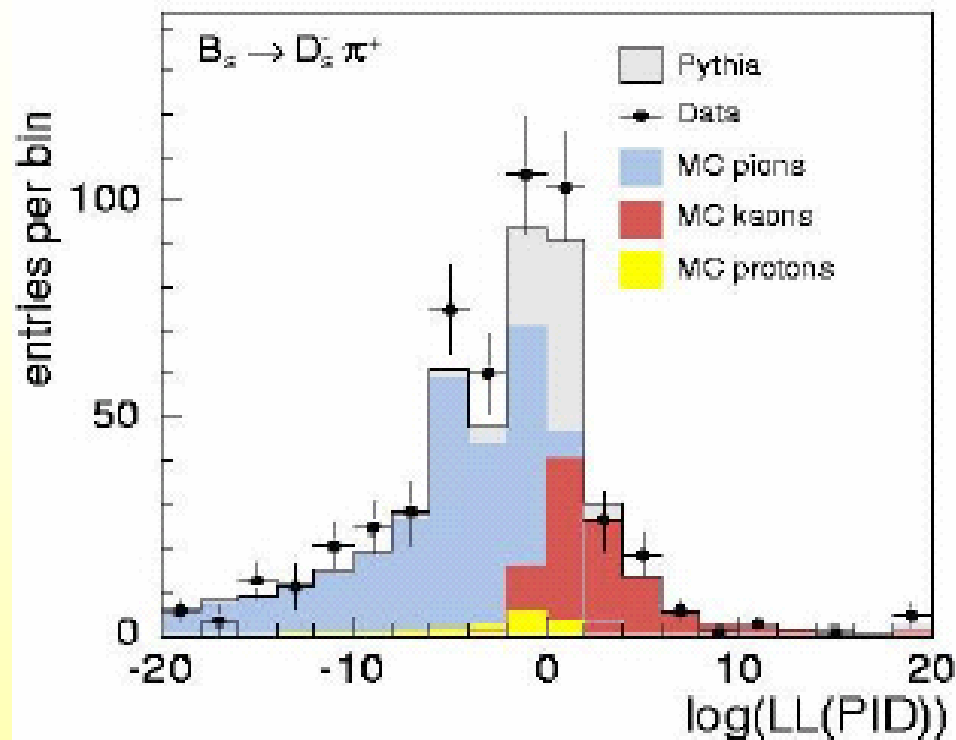
- Detailed data/MC comparison on all tagging related quantities

⇒ Rely on MC prediction of SSKT performance for B_s mixing



Evaluating SSKT performance

- Select tracks within a cone of $\Delta R_{bb} < 0.7$ around B
- Chose the most likely to be a Kaon:
- Make use of PID based on dE/dx and T.O.F. information



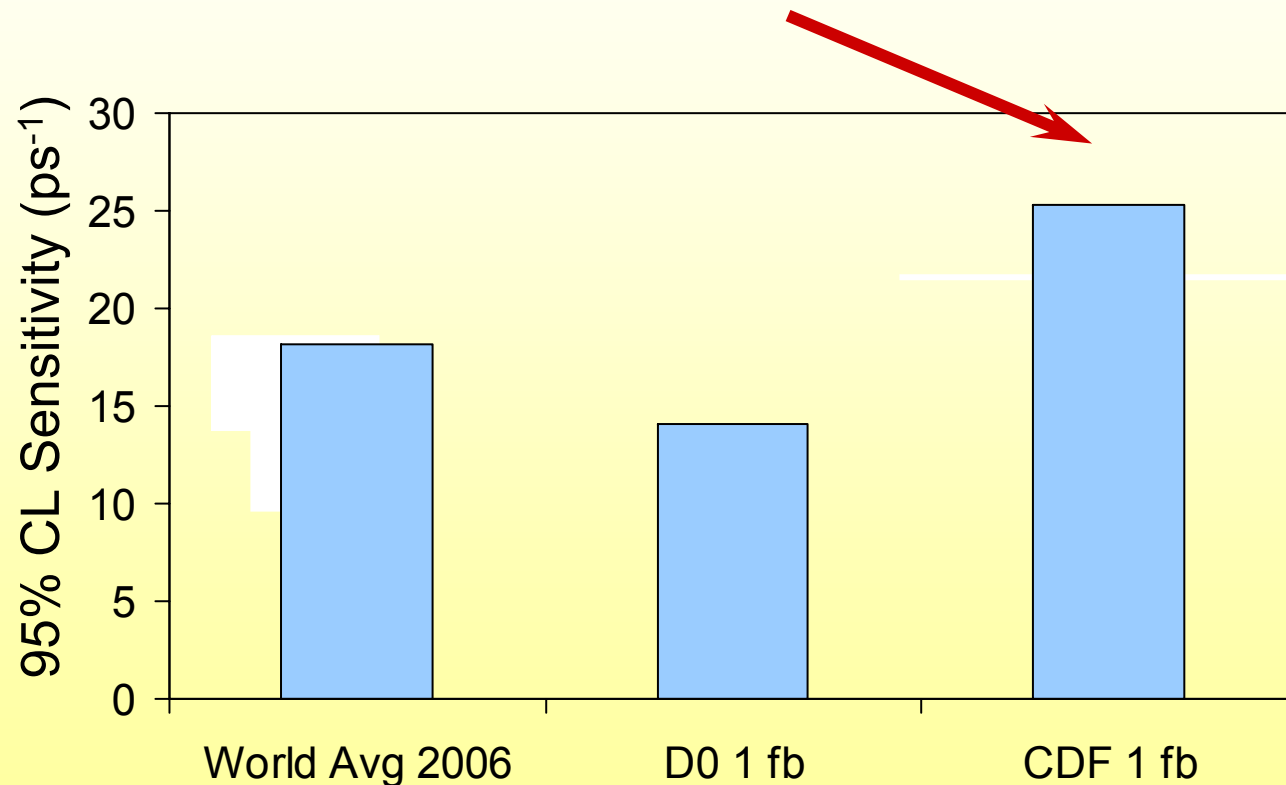
CDF *Pythia MC (msel=1, tune A) 355 pb⁻¹*

$$\mathcal{E}D_{SSKT}^2(B_s^0 \rightarrow D_s^- \pi^+) = 4.0_{-1.2}^{+0.8} \%$$

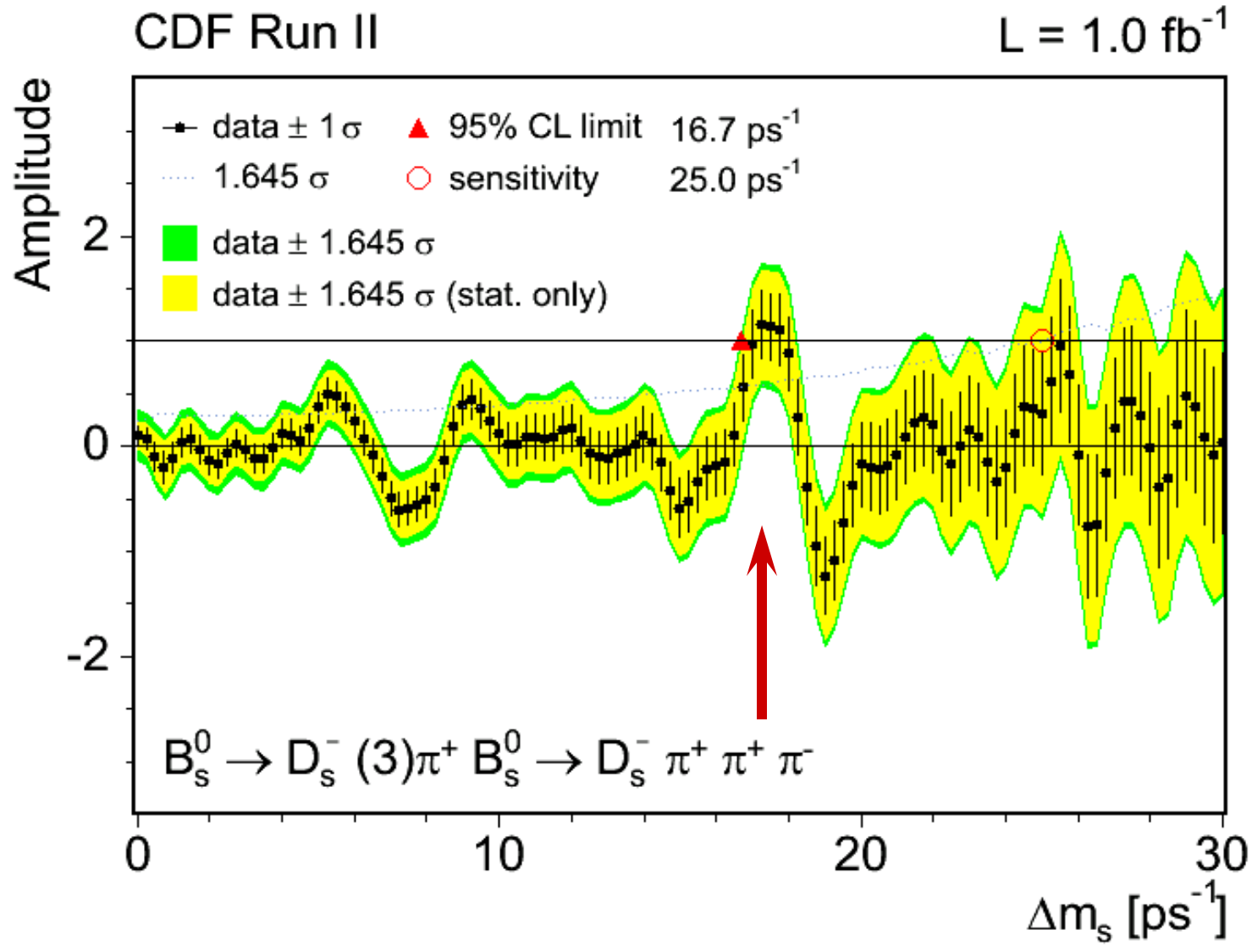
Amplitude Scan Results

Evaluate the average expected limit before unblind the A-Scan:

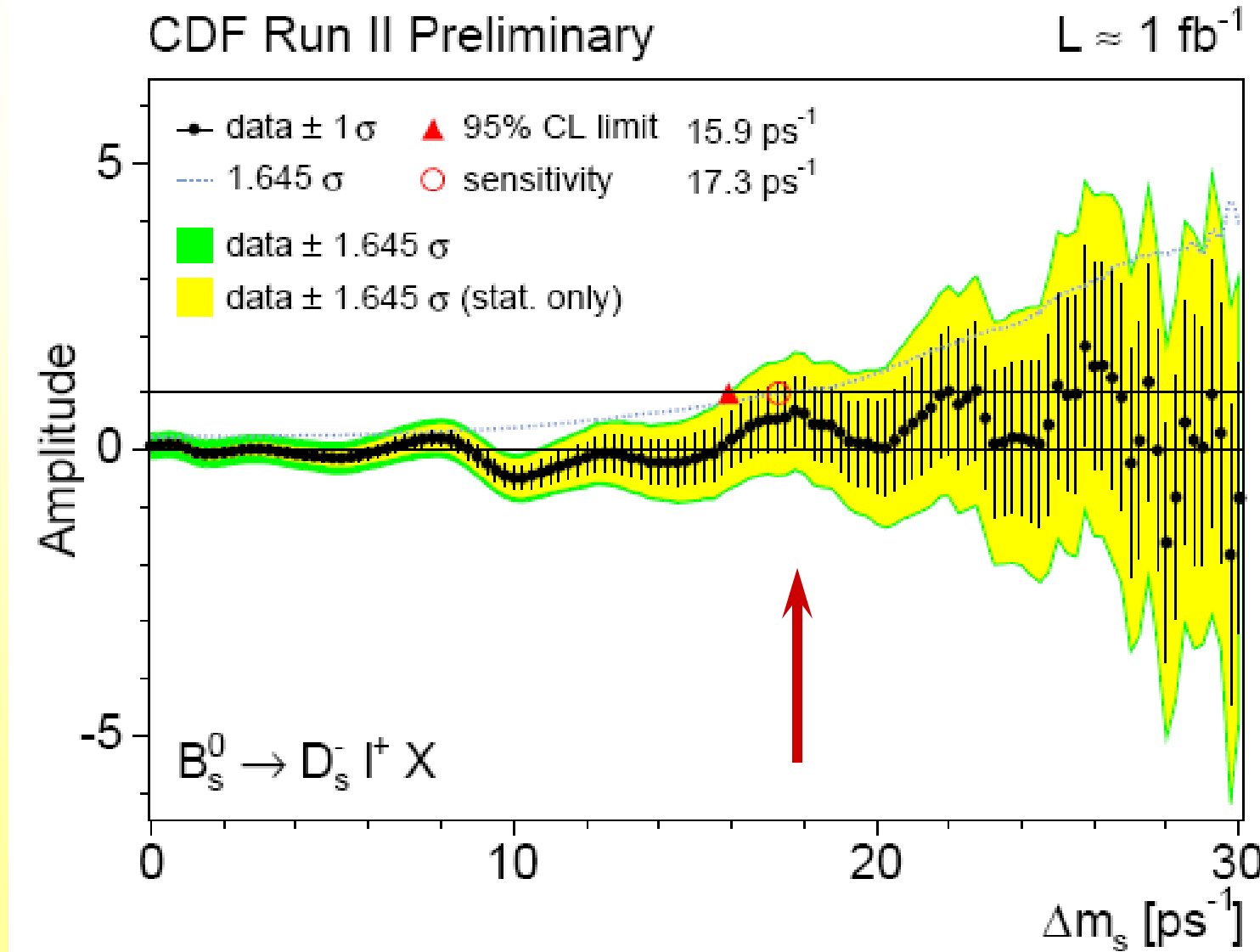
CDF 1fb⁻¹ leads world sensitivity:



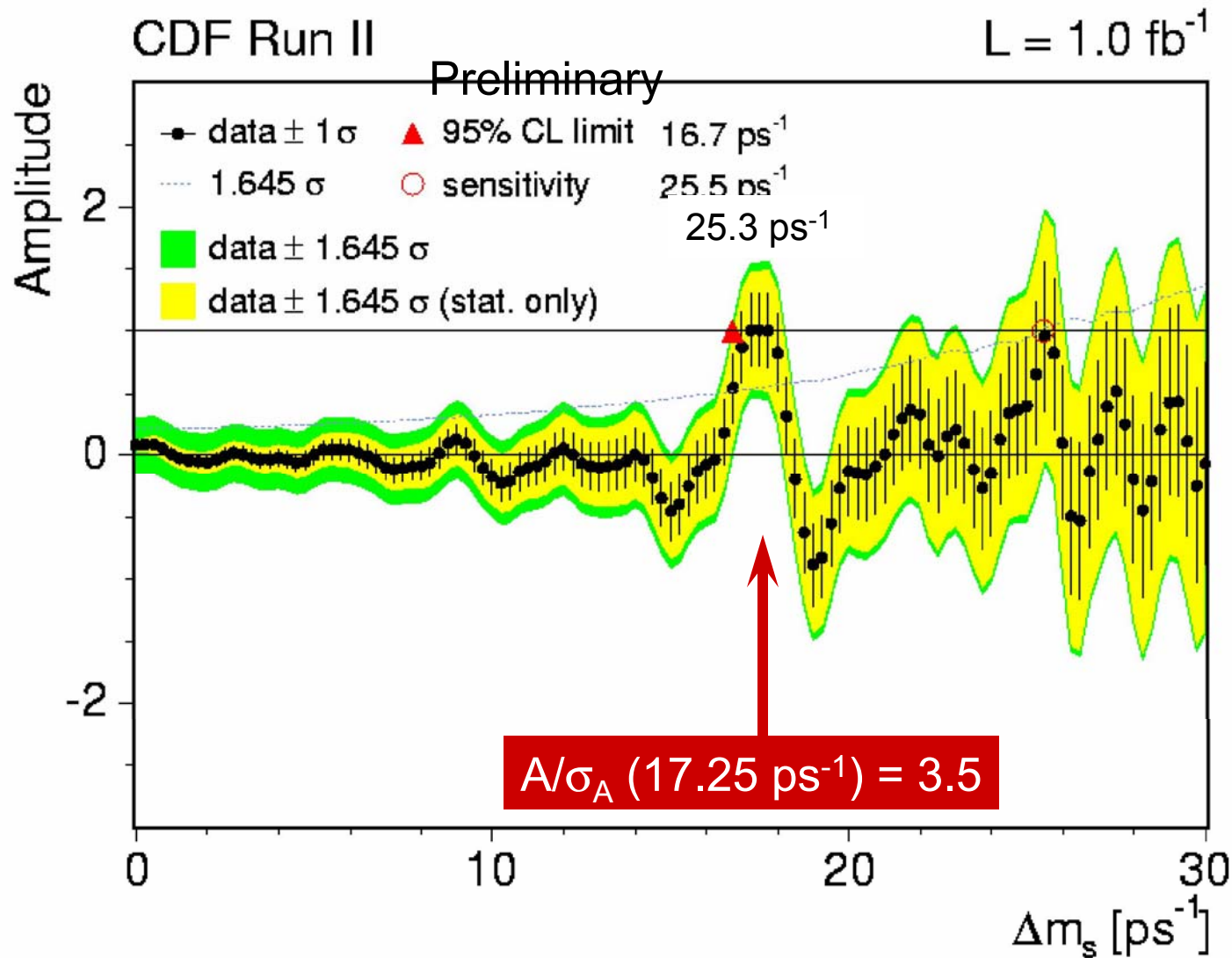
Result: Hadronic Scan



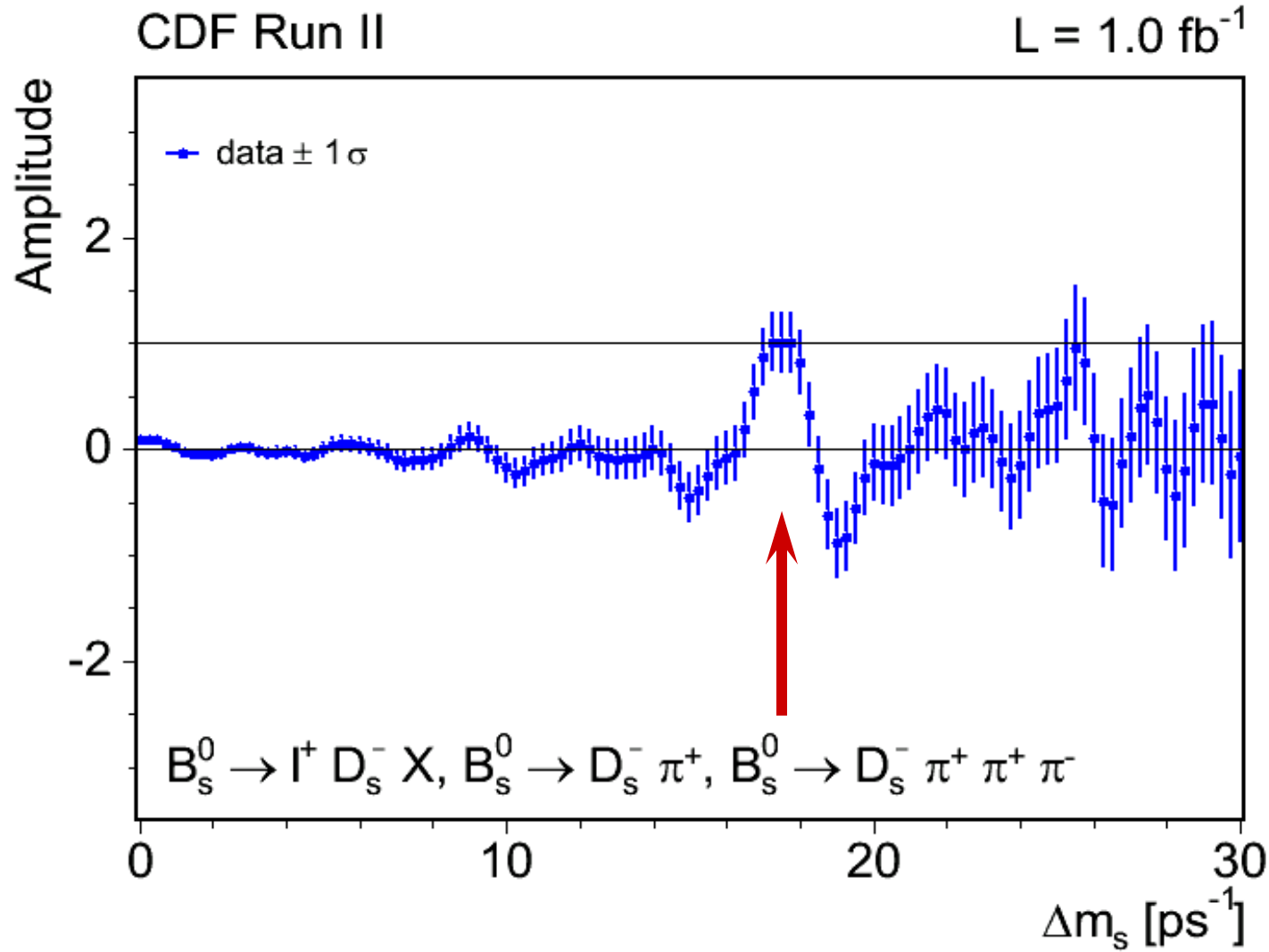
Result: Semileptonic Scan



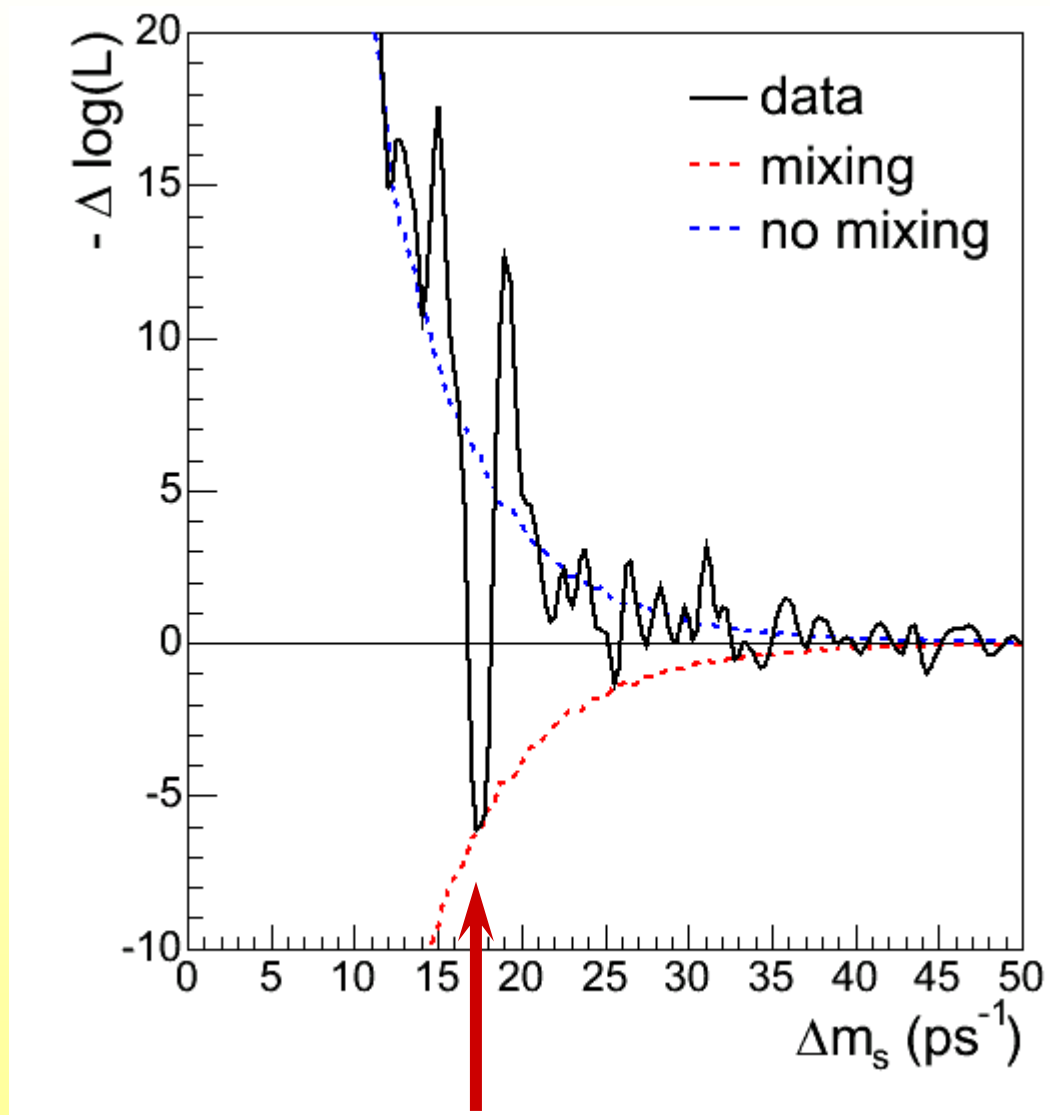
Combined Amplitude Scan



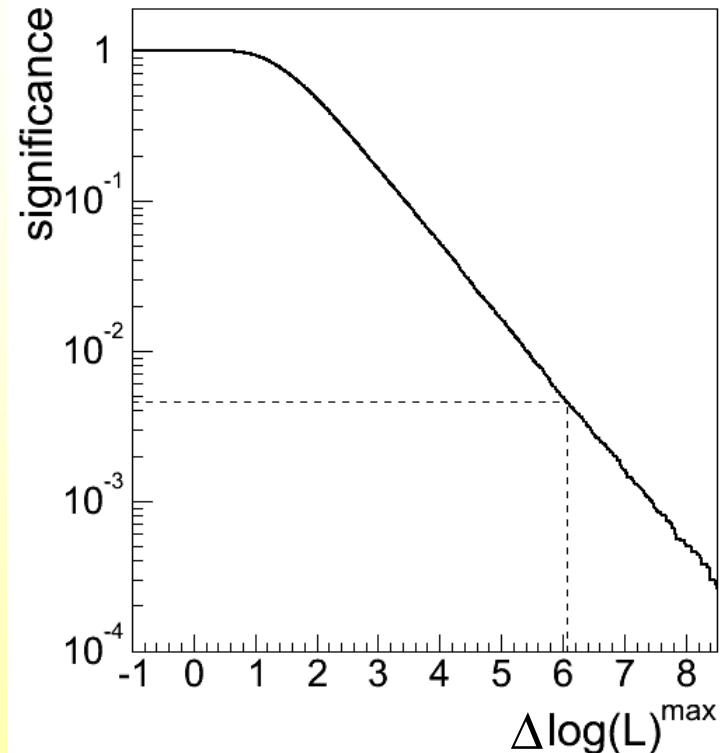
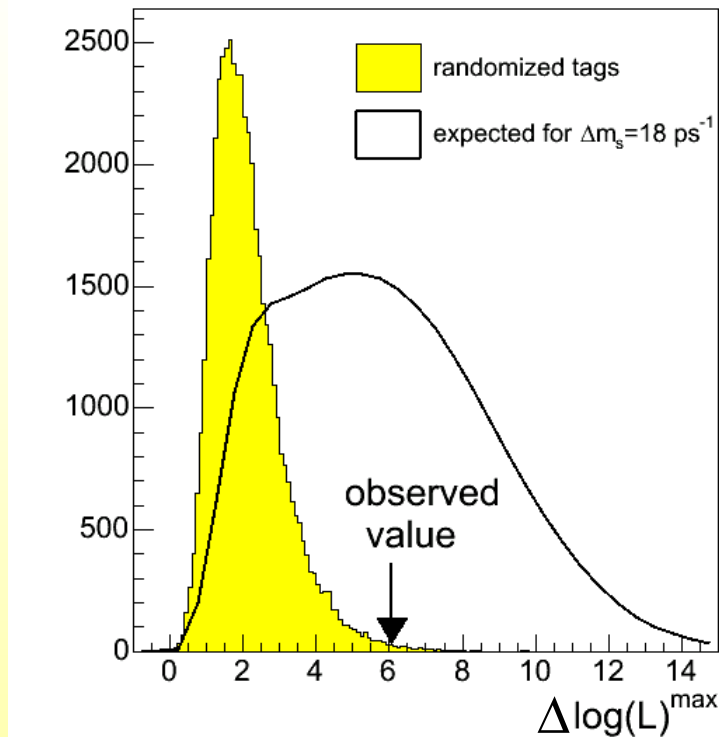
Combined Amplitude Scan



Likelihood Profile



Likelihood Significance



- randomize tags 50 000 times in data, find maximum $\Delta \log(L)$
- in 228 experiments, $\Delta \log(L)$, 6.06
- probability of fake from random tags = 0.5% → measure Δm_s

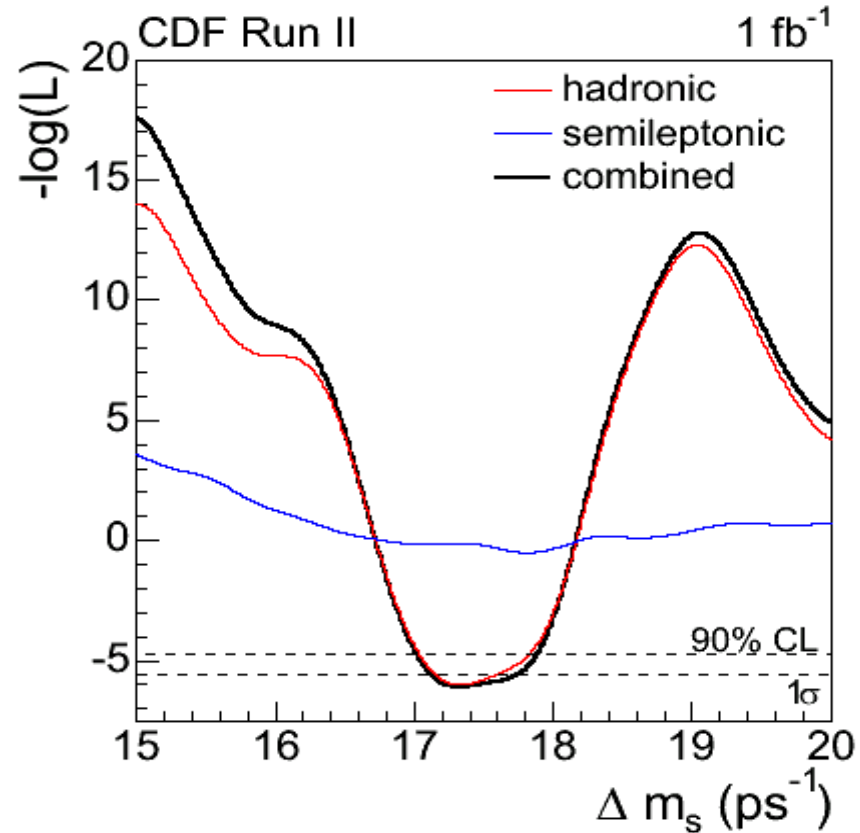
Systematic Uncertainties on Δm_s

- systematic uncertainties from fit model evaluated on toy Monte Carlo
- have negligible impact
- relevant systematic unc. from lifetime scale

	Syst. Unc
SVX Alignment	0.04 ps ⁻¹
Track Fit Bias	0.05 ps ⁻¹
PV bias from tagging	0.02 ps ⁻¹
All Other Sys	< 0.01 ps ⁻¹
Total	0.07 ps ⁻¹

All relevant systematic uncertainties are common between hadronic and semileptonic samples

Measurement of Δm_s



$$\Delta m_s = 17.33^{+0.42}_{-0.21} \text{ (stat)} \pm 0.07 \text{ (syst)} \text{ ps}^{-1}$$

Δm_s in [17.00, 17.91] ps⁻¹ at 90% CL

Δm_s in [16.94, 17.97] ps⁻¹ at 95% CL

$$|V_{td}| / |V_{ts}|$$

$$\frac{\Delta m_s}{\Delta m_d} = \frac{m_{B_s}}{m_{B_d}} \xi^2 \frac{|V_{ts}|^2}{|V_{td}|^2}$$

- inputs:

- $m(B^0)/m(B_s) = 0.9830$ (PDG 2006)
- $\xi = 1.21^{+0.047}_{-0.035}$ (M. Okamoto, hep-lat/0510113)
- $\Delta m_d = 0.507 \pm 0.005$ (PDG 2006)

$$|V_{td}| / |V_{ts}| = 0.208^{+0.008}_{-0.007} \text{ (stat + syst)}$$

- compare to Belle $b \rightarrow d\gamma$ (hep-ex/0506079):

$$|V_{td}| / |V_{ts}| = 0.199^{+0.026}_{-0.025} \text{ (stat)}^{+0.018}_{-0.015} \text{ (syst)}$$

Conclusions

- $B_s - \bar{B}_s$ oscillations signature found, frequency measured:

$$\Delta m_s = 17.33^{+0.42}_{-0.21} \text{ (stat)} \pm 0.07 \text{ (syst)} \text{ ps}^{-1}$$

$$|V_{td} / V_{ts}| = 0.208^{+0.008}_{-0.007} \text{ (stat + syst)}$$

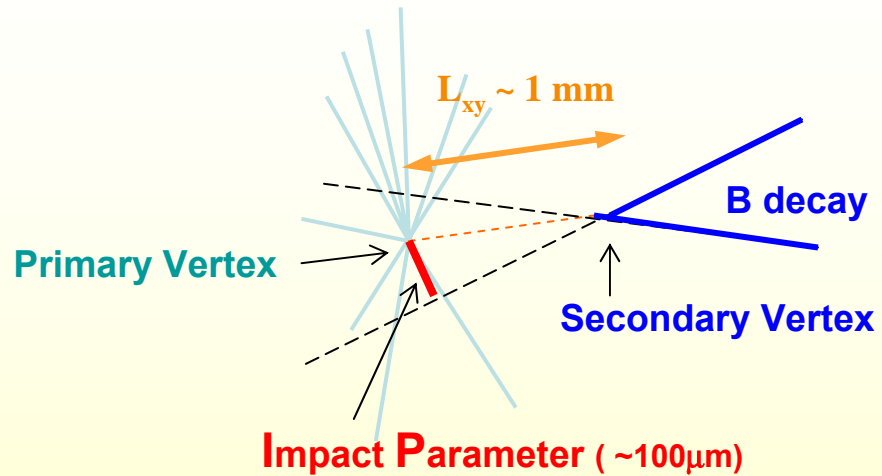
- Important new experimental input to SM test \rightarrow see next discussion this morning

- **BUT** this is not the end of the story for CDF B physics:

- Improved $\Delta\Gamma_s/\Gamma_s$ from $B_s \rightarrow J\Psi/\phi$ in the pipeline
- Lifetime difference from penguin mode $B_s \rightarrow KK$
- Look for CP Violation in $B_s \rightarrow J\Psi/\phi$
- CP Asymmetry in $B_s \rightarrow KK$

Backup slides

SVT: the hadronic B trigger

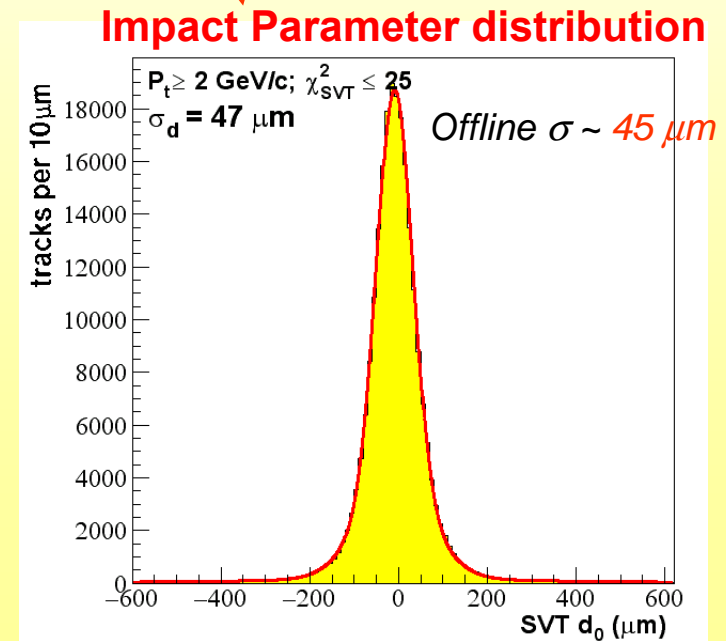
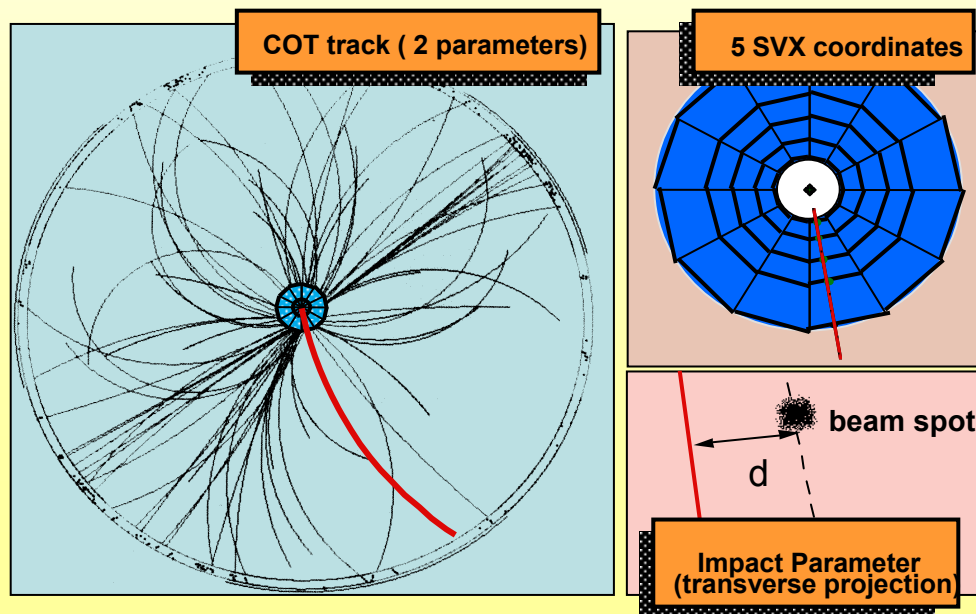


→ Online Impact parameter
Available at Level 2 trigger (20 μs latency)

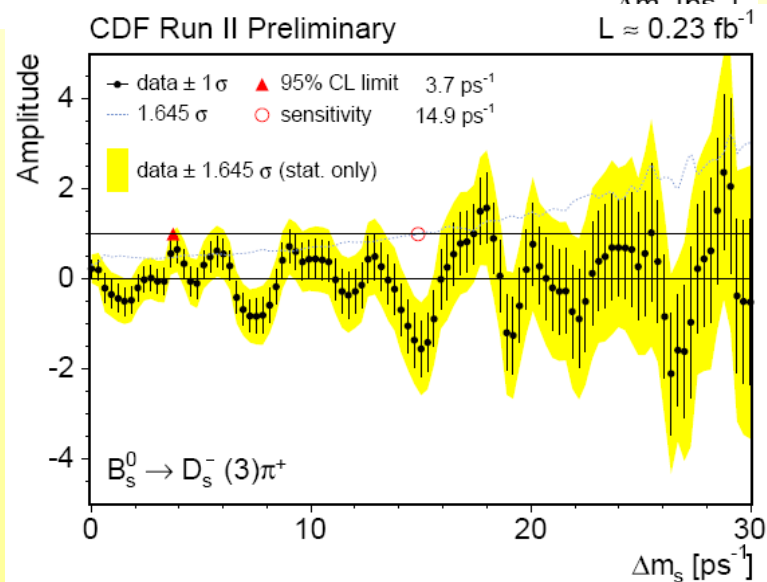
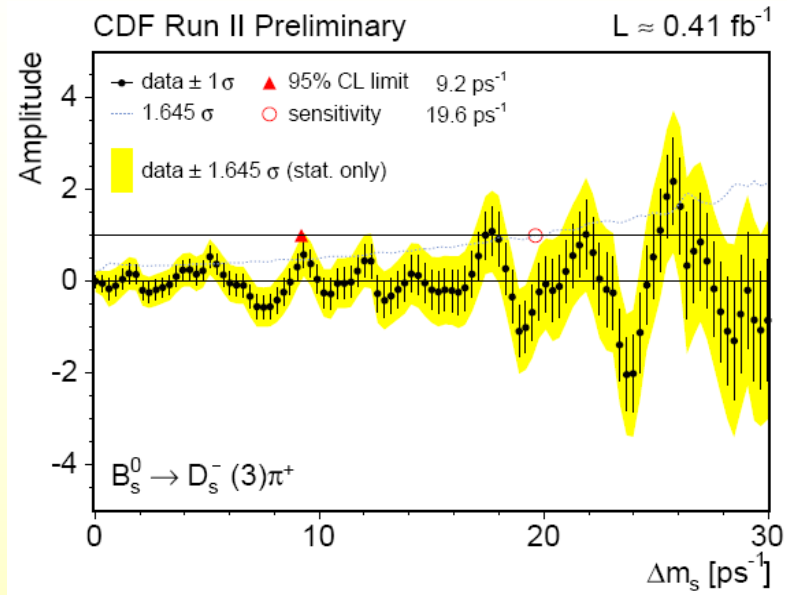
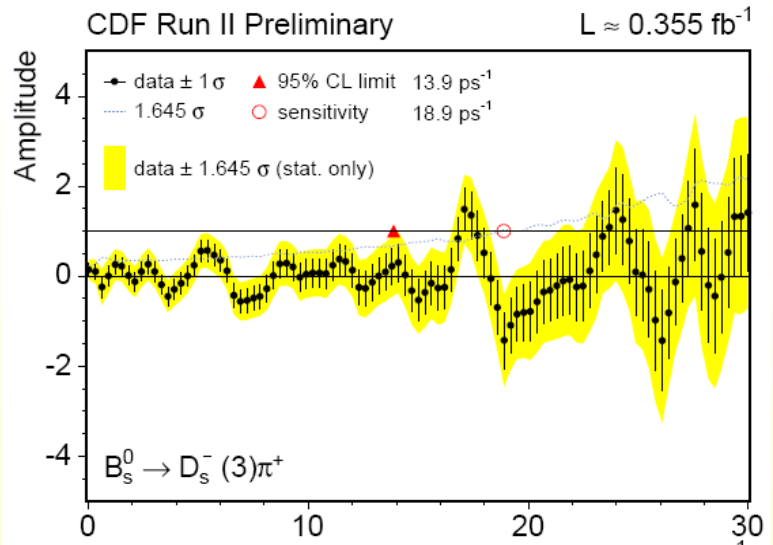
→ convolution of transverse size of the beam spot with the impact parameter resolution of the SVT:

$$\sigma \approx 47\ \mu\text{m} \approx 35\ \mu\text{m} \oplus 30\ \mu\text{m}$$

SVT resolution
Beam spot size

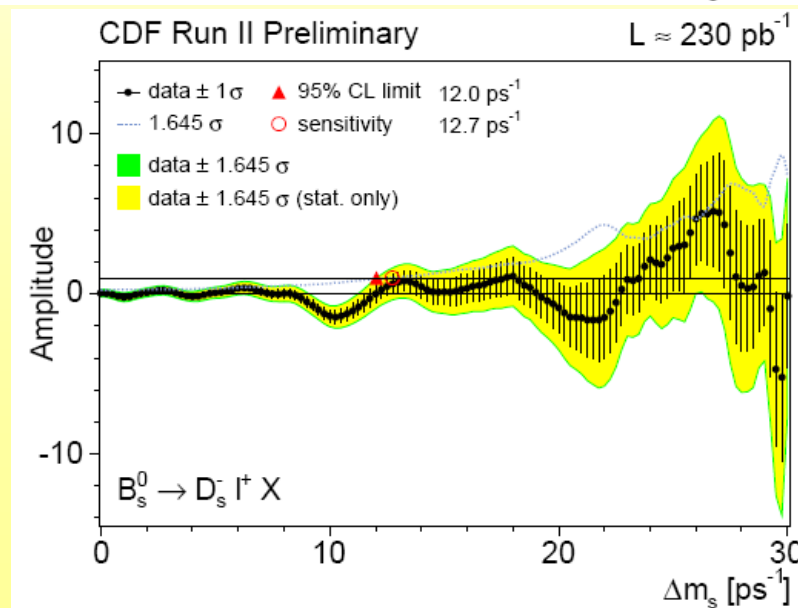
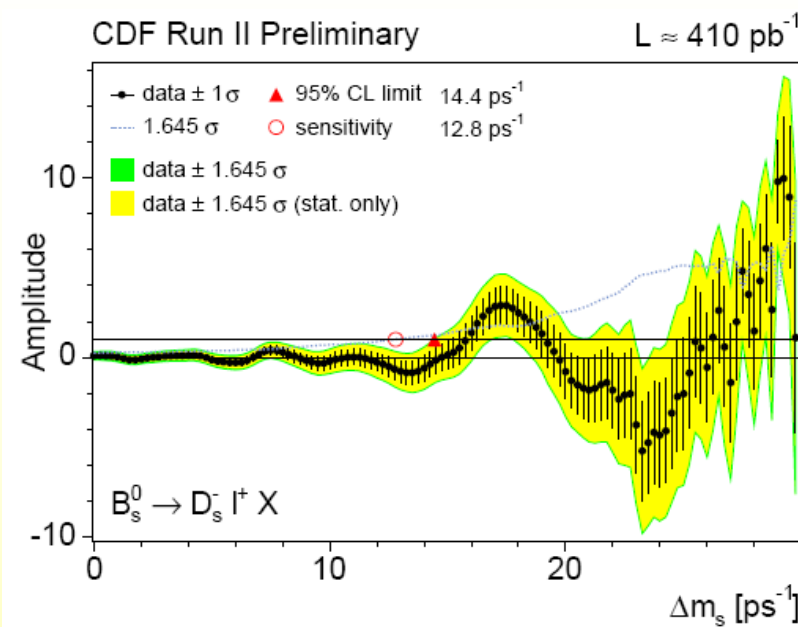
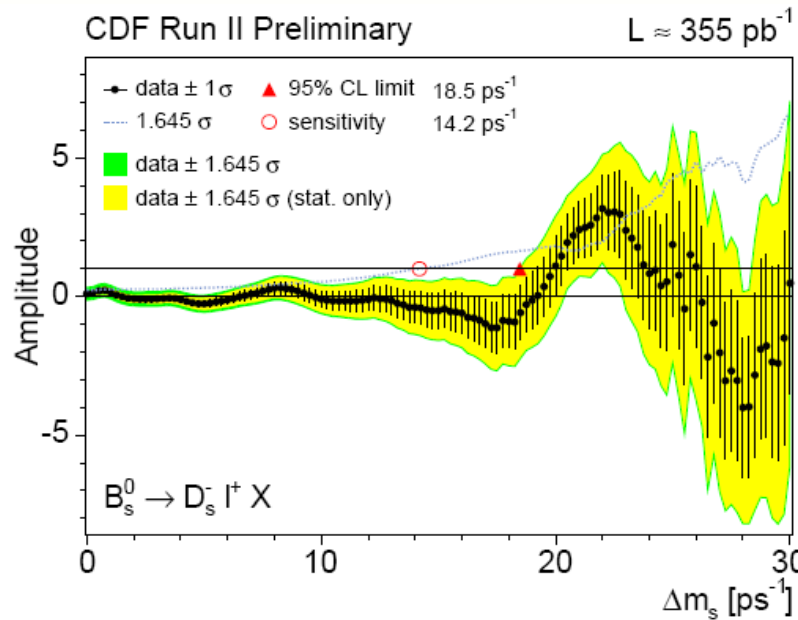


Hadronic Scans: 3 data tacking periods



Typical fluctuations from $\sim 3\sigma$ effect

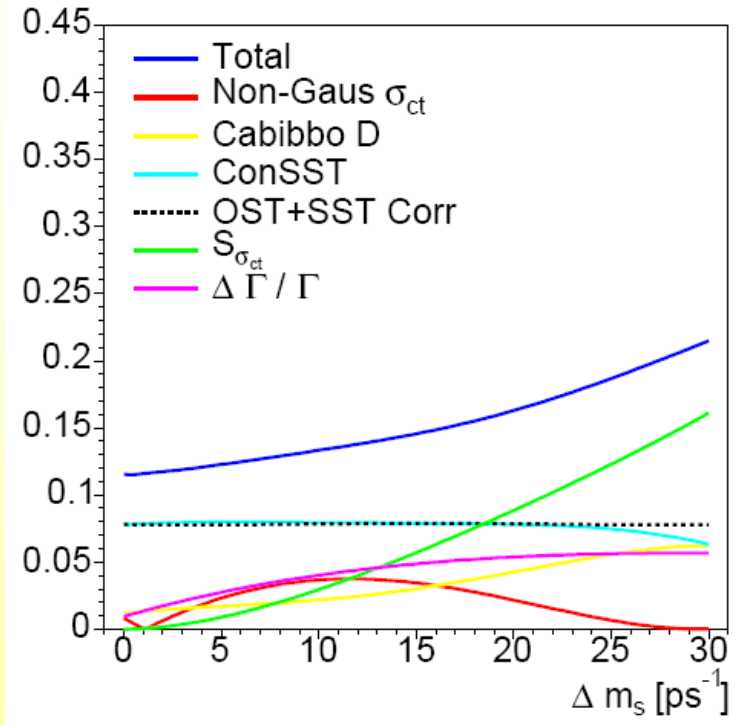
Semileptonic Scans: 3 data tacking periods



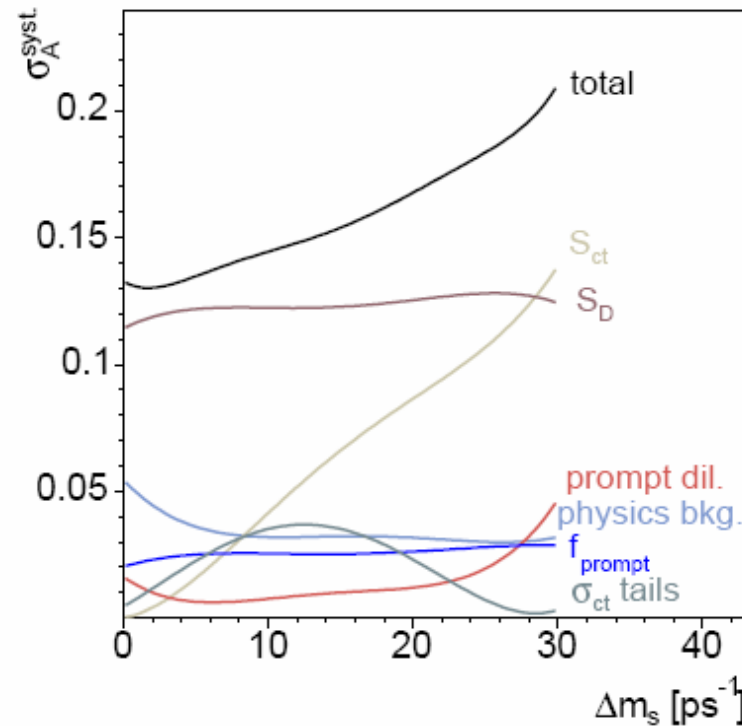
Typical fluctuations from $\sim 1\sigma$ effect

Amplitude Systematic Uncertainties

Hadronic



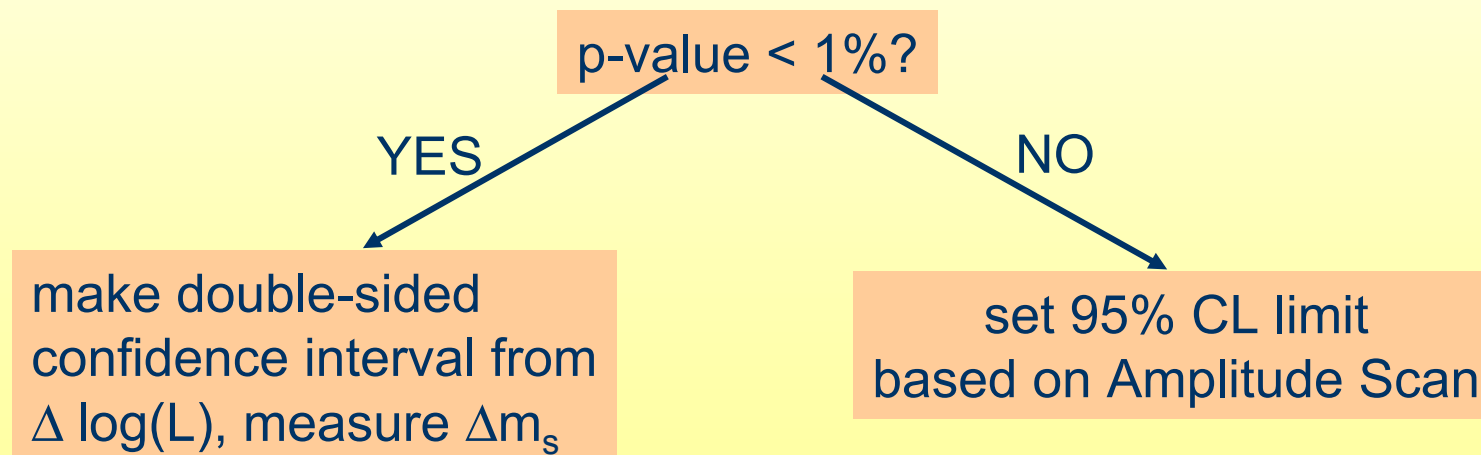
Semileptonic



- related to absolute value of **Amplitude**, relevant only when setting limits
 - cancel in A/σ_A ,
 - systematic uncertainties are very small compared to statistical

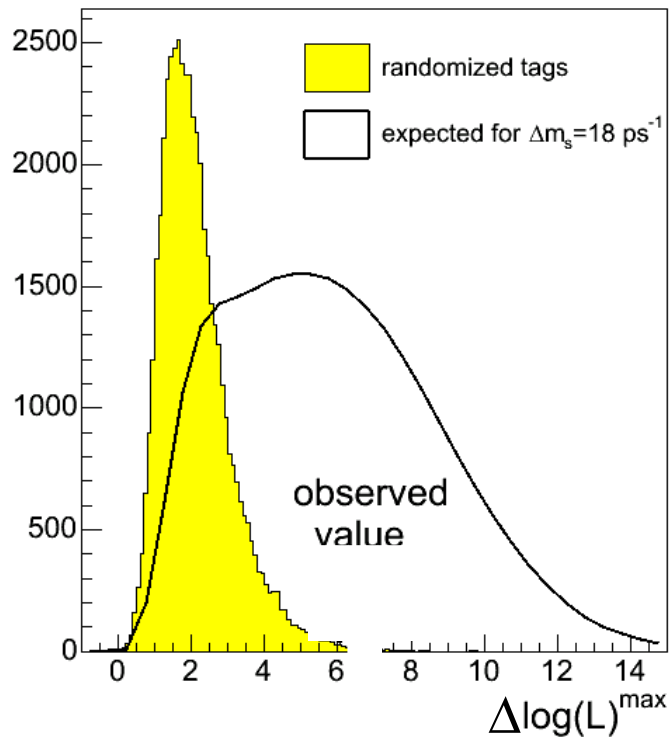
A Priori Procedure

- decided upon before un-blinding the 1 fb^{-1} of data
- p-value: probability that background fluctuation would produce observed effect
- p-value to be estimated using $\Delta(\ln L)$ method
- no search window to be used

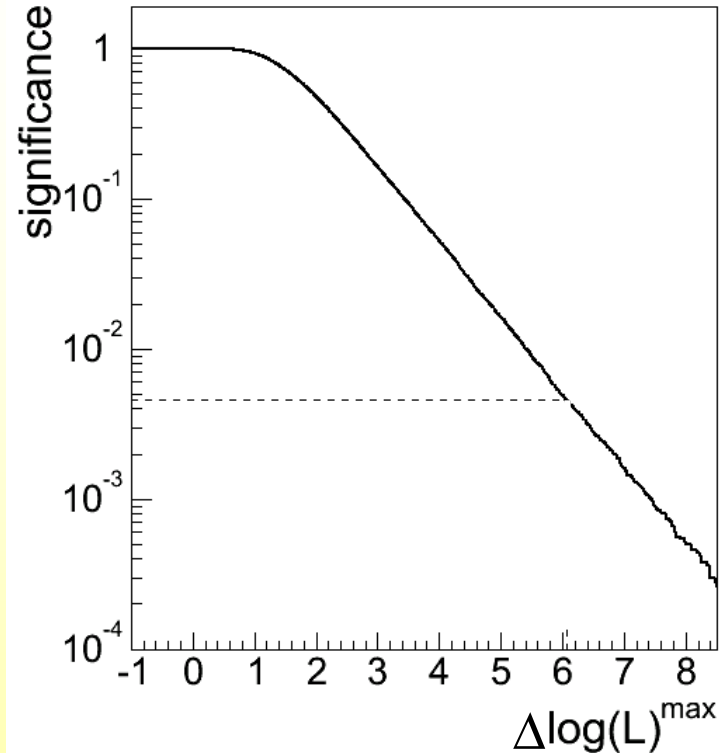


p-value Estimation

CDF Run II Preliminary



CDF Run II Preliminary



$\Delta\log(L) = \log[L(A=1) / L(A=0)]$! likelihood “dip” at signal

- more powerful discriminant than $A/\sigma(A)$
- probability of random tag fluctuations evaluated on data

(with randomized tags) ! checked that toy Monte Carlo gives same answer