

# LSS vs 5th Forces 2

## Results from galaxy surveys

Based on Archidiacono, Castorina, Redigolo, Salvioni 2204.08484  
Bottaro, Castorina, MC, Redigolo, Salvioni 2309.11496

# LSS Observables

## Galaxy Power Spectrum

$$P_g(\vec{k}, z) = \langle \delta_g(\vec{k}, z) \delta_g(-\vec{k}, z) \rangle$$

Galaxy over density :  
"Composite" Field

Fundamental  
fields:

$$\delta_m \equiv f_\chi \delta_\chi + (1 - f_\chi) \delta_b = \left( 1 + \frac{6}{5} \beta f_\chi^2 \log(z_{\text{eq}}/z) \right) D_{1m}^{\text{CDM}}(z) \delta_0(k)$$

$$\delta_r \equiv \delta_\chi - \delta_b = \beta f_\chi D_{1m}^{\text{CDM}}(z) \delta_0(k)$$

Negligible feature if  
 $f_\chi > \log z_{\text{eq}}/z \simeq 1/8$

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$$\delta_g = b_1 \delta_m + b_r \delta_r + b_\theta \theta_r + \frac{b_2}{2} \delta_m^2 + b_s (K_{ij} \delta_m)^2 \dots$$

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Example: tree level  $P_g$  real space

$$P_g \simeq b_1^2 P_{mm} \simeq b_1^2 \left( 1 + \frac{12}{5} \beta f_\chi^2 \log(z_{\text{eq}}/z) \right) P_m^{\text{CDM}}(k)$$

# Computing Non-linearities

At non-linear level 5th forces symmetries = CDM  
symmetries at  $\mathcal{O}(\beta \log)$  (if  $f_\chi \gtrsim 1/8$ )

- Can use existing pipeline as **PyBird** for **BOSS**  $P_g$  w. RSD and **FishLSS** for Fisher Forecast
- Use CLASS with 5fth Force (2204.08484) for  $P_m$
- (Also RSD kernel is the same at  $\mathcal{O}(\beta \log)$ !)
- 6 CDM pars +  $\beta$  +(CT, biases, SN)x z bin

D'Amico Senatore Zhang 20

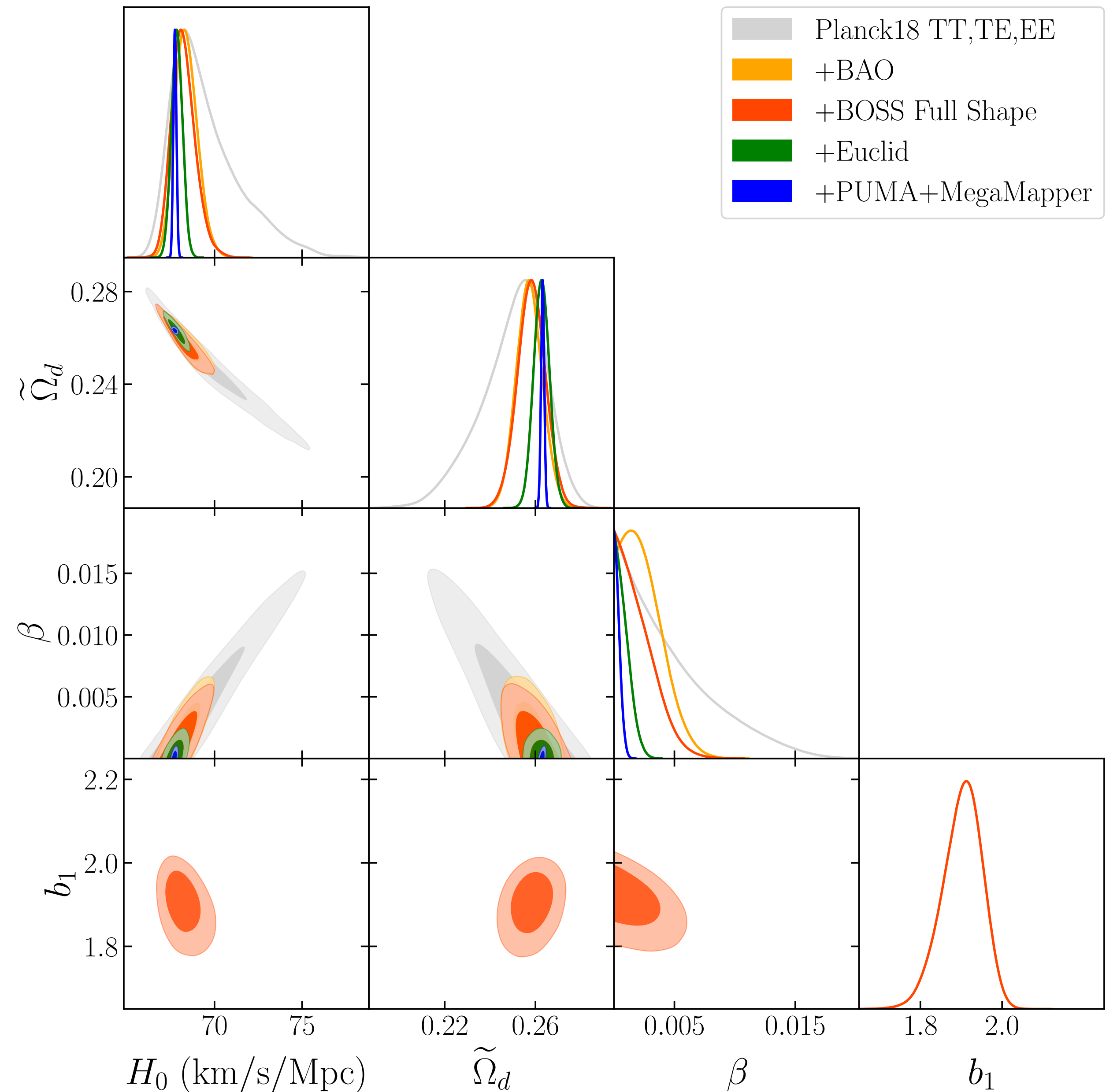
Sailer Castorina Ferraro White 21

(Thanks Pierre!)

# Results

## FS@1-loop+EFT, RSD

- **CMB only:**  $\beta \lesssim 0.01$  @ 95%
- **+ BAO** (w.reco):  $\beta \lesssim 5 \times 10^{-3}$
- **+ BOSS FS** no improvement: strong degeneracies between  $\beta, b$
- Future surveys FS will improve bound!
  - **+ Euclid:**  $\beta \lesssim 2 \times 10^{-3}$
  - **+ PUMA+MM:**  $\beta \lesssim \times 10^{-3}$



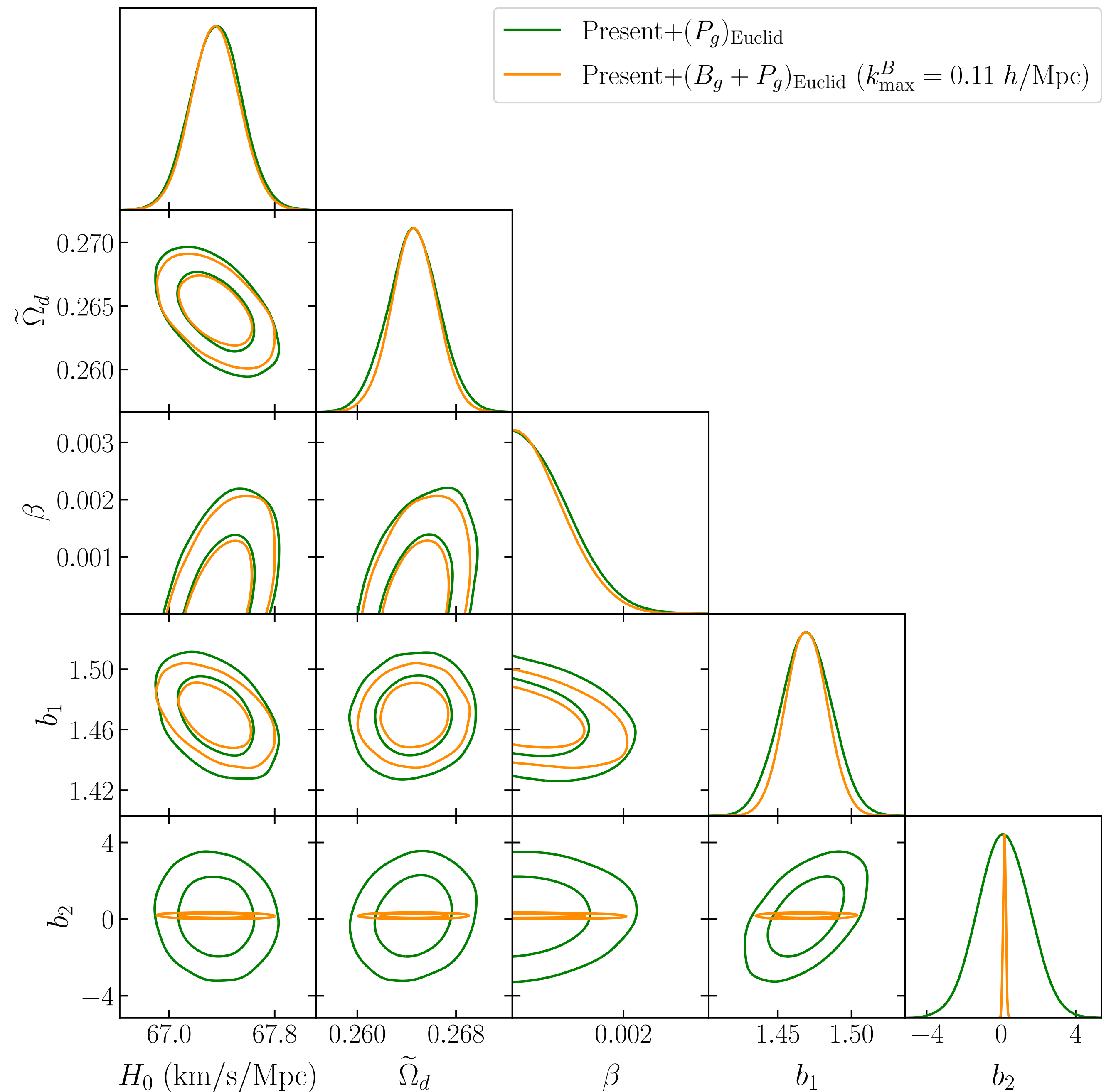


# Bispectrum

## Real Space, Tree level

$$B_g(k_1, k_2, k_3) = \langle \delta_g(k_1) \delta_g(k_2) \delta_g(k_3) \rangle$$

- Potentially more modes!
- For linear modes, improve only NL bias



# Bispectrum

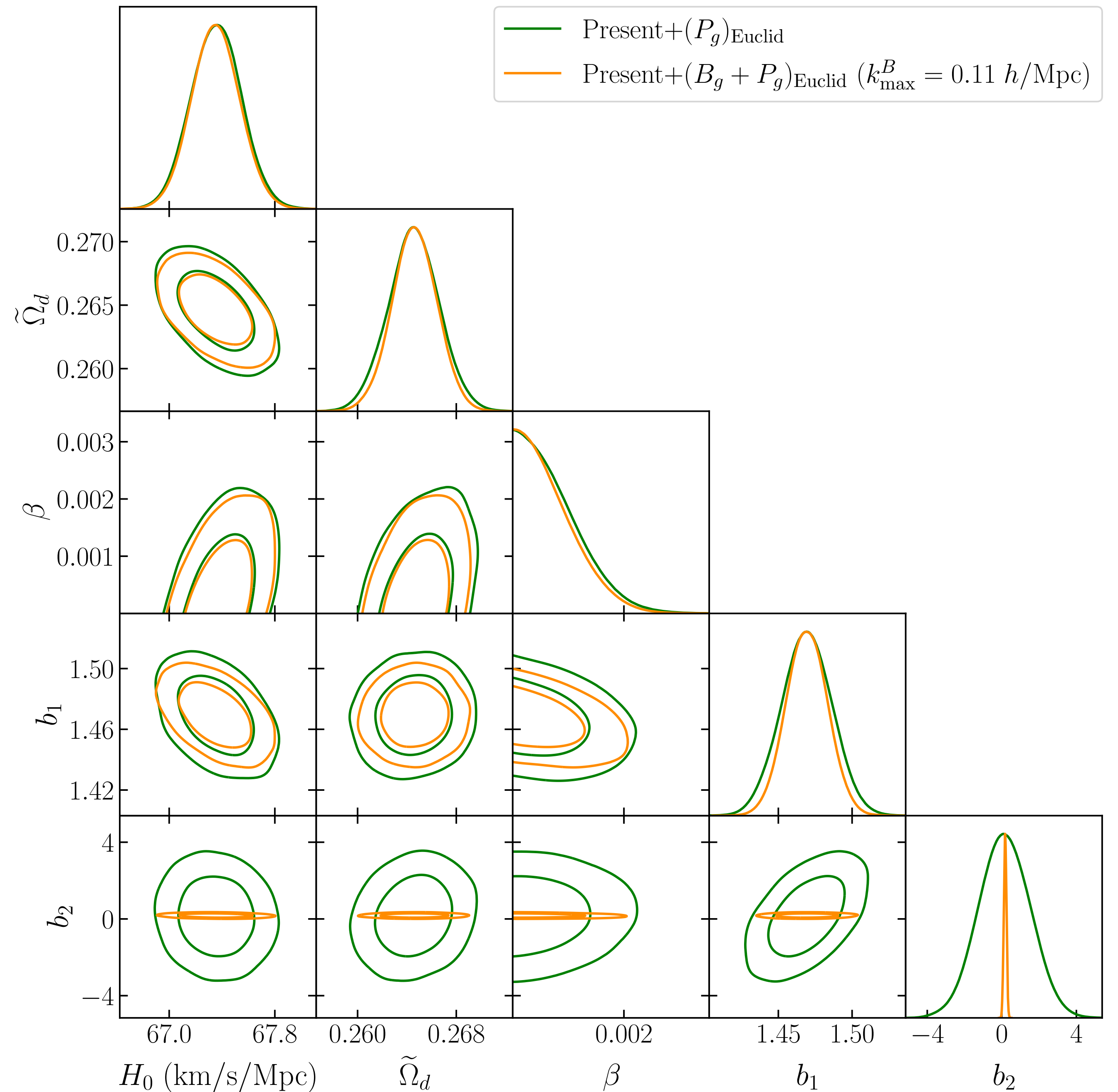
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- For linear modes, improve only NL bias
- Violation of EP: squeezed limit pole (different infall rate in long mode bkg):

$$\left. \frac{B_g^{AAB}(\vec{p}, \vec{p}_1, \vec{p}_2)}{P_{\text{CDM}}(p) P_{\text{CDM}}(p_1)} \right|_{p \rightarrow 0} \sim \beta f_\chi \frac{\vec{p} \cdot \vec{p}_1}{p^2} \Delta b^{AB}$$

- Still subleading for  $f_\chi \sim 1 \dots$





# Conclusions

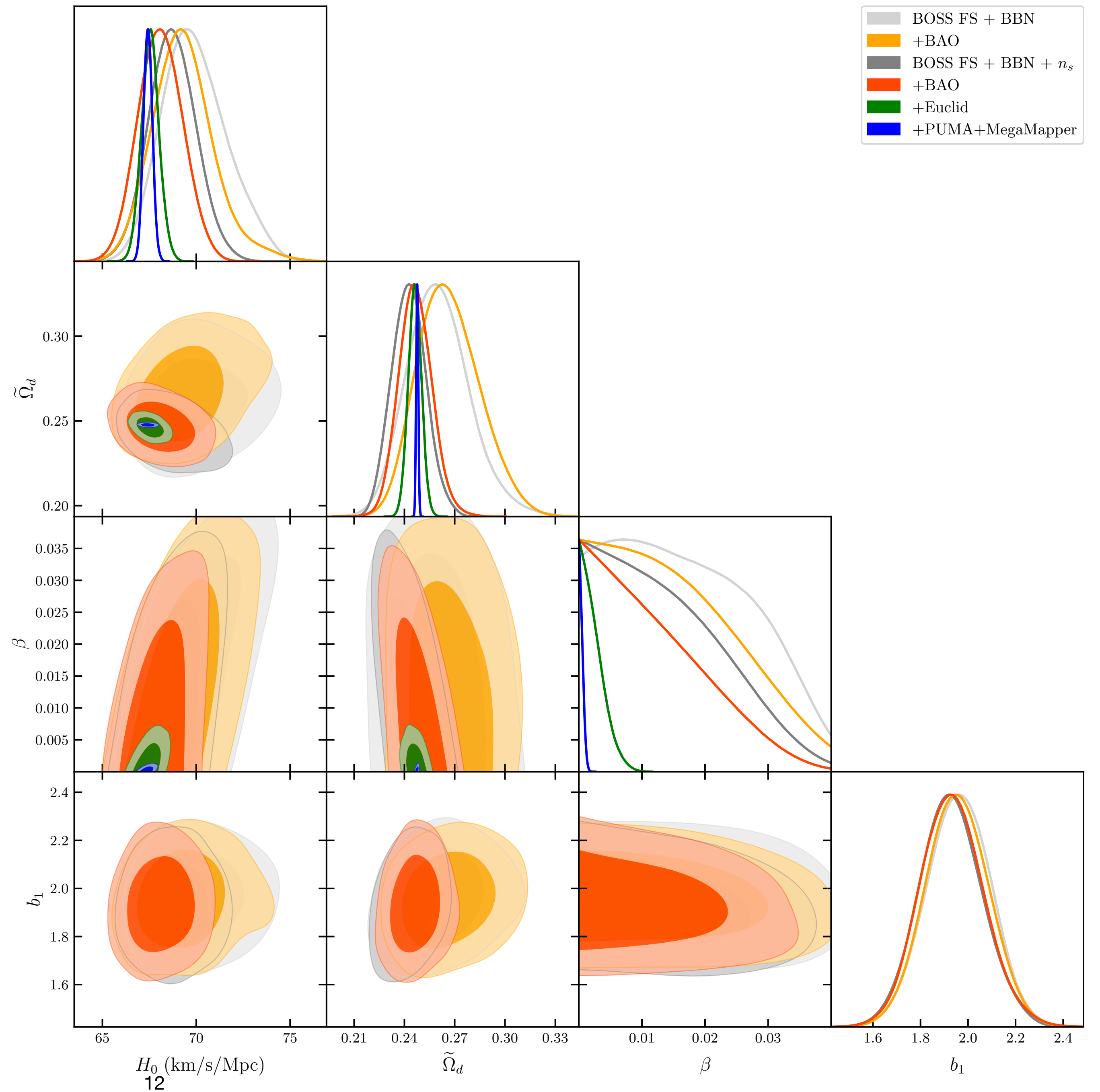
- Future galaxy surveys offer useful observables as  $P_g, B_g$
- **Structure of 5th Force = CDM** at  $\mathcal{O}(\beta \log)$  for  $f_\chi \gtrsim 1/8$
- **BOSS FS**: no improvement over  $\beta < 5 \times 10^{-3}$  (**CMB+BAO**)
- + **Euclid FS**:  $\beta \lesssim 2 \times 10^{-3}$ , + **PUMA+MegaMapper FS**:  $\beta \lesssim 10^{-3}$
- **Bispectrum**: no improvement on cosmo pars @ tree lvl, better measurement of non-linear biases. Potentially interesting pole structure for multitracers.

**Thanks for the attention!**

# Backup

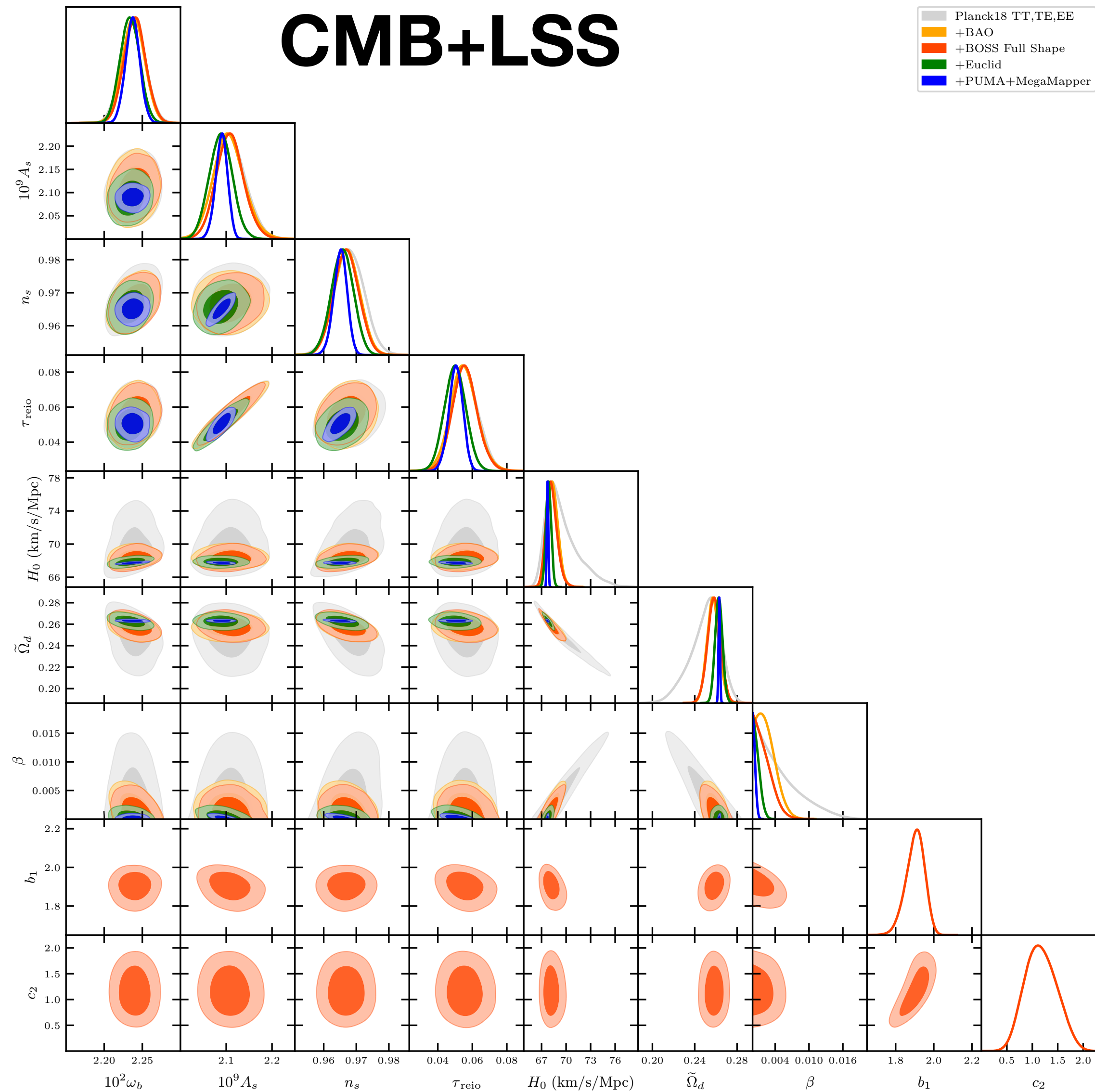
# LSS only results

- BOSS FS + BAO with no  $n_s$  prior comparable with CMB alone bound

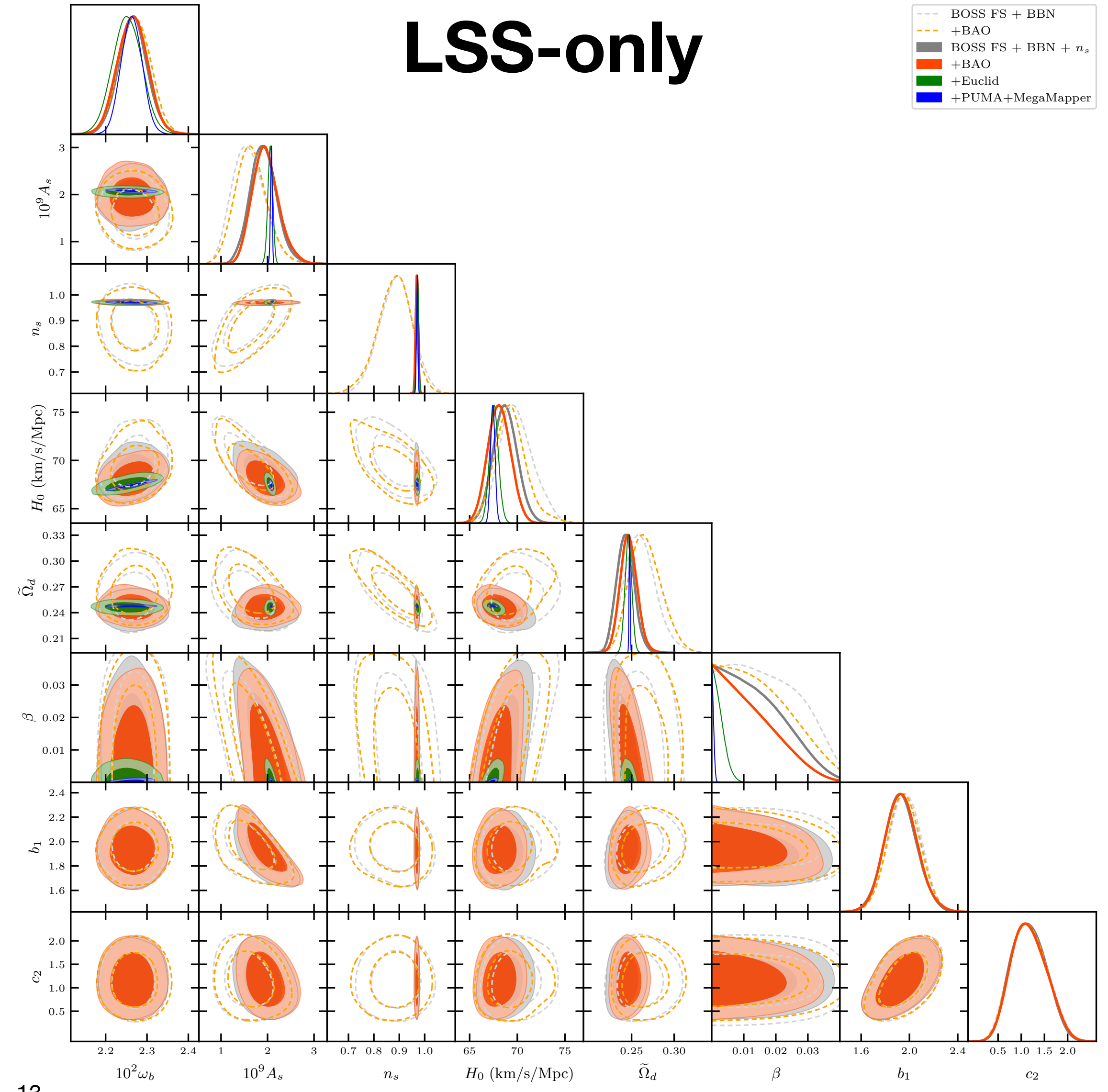


# Full results

## CMB+LSS



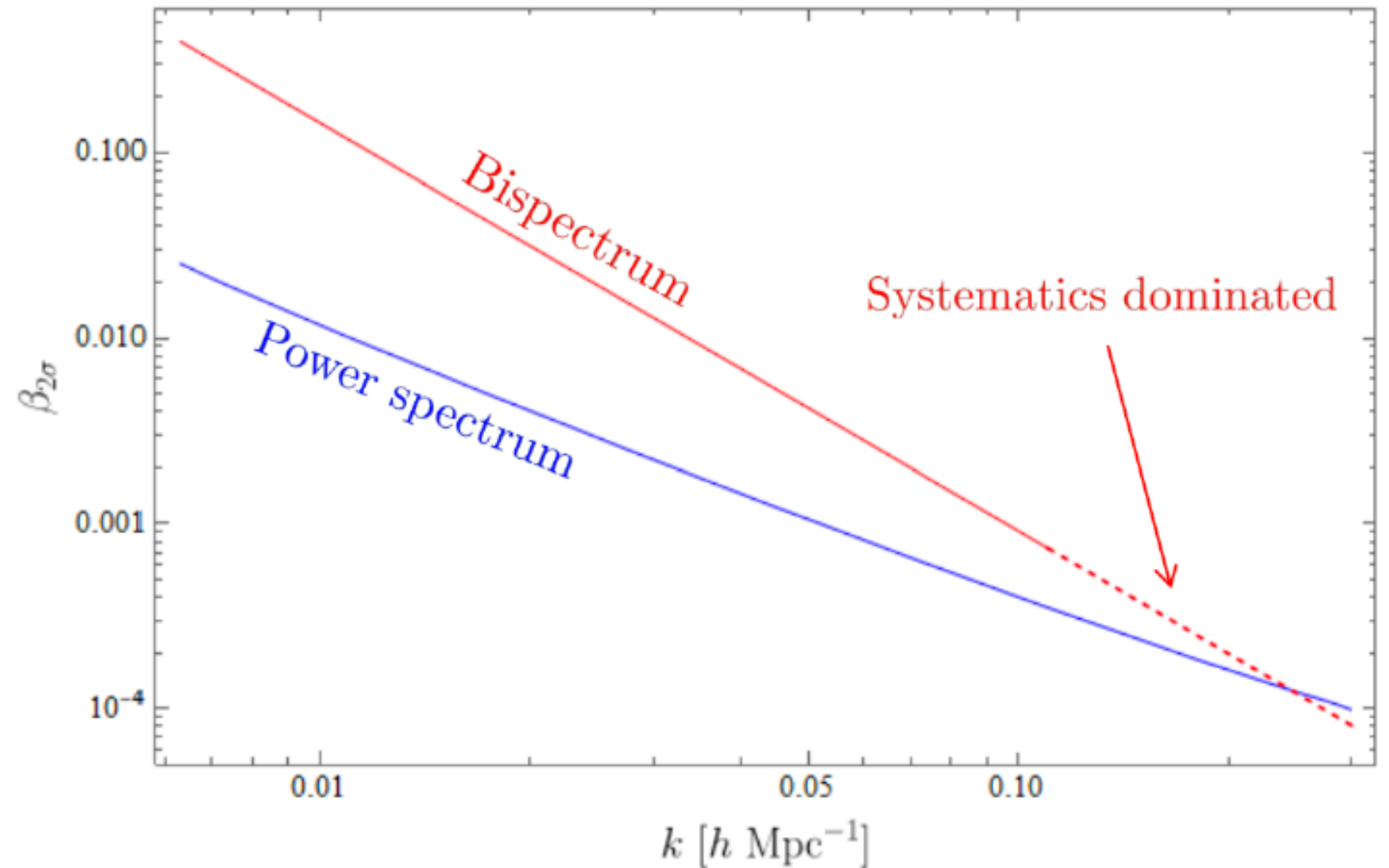
## LSS-only





# 1D analytic estimates

- $\beta_{2\sigma,P} \propto (k_{\min}/k_{\max})^{1.5}$
- $\beta_{2\sigma,B} \propto (k_{\min}/k_{\max})^{2.2}$
- $B_g \sim P_g$  when  $k_{\max} \gtrsim 0.2h/\text{Mpc}$   
: need 1-loop computation!



# Estimated fraction bounds

