

Cosmological collider vs particle scanner:

primordial features as early universe scenario
discriminator and signs of new particles



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Mostly based on joint work with

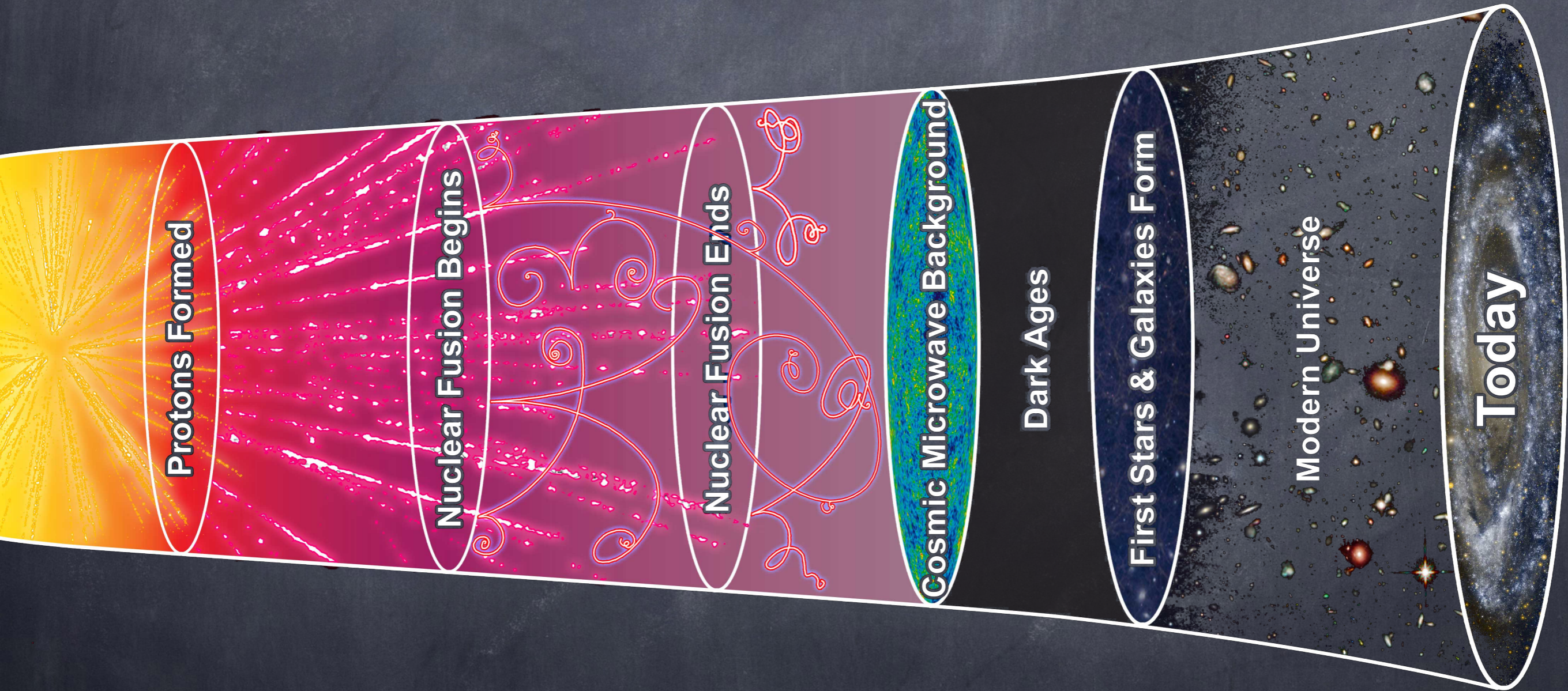
Xingang Chen (Harvard)

and

Reza Ebadi (Maryland)



arXiv:2405.11016



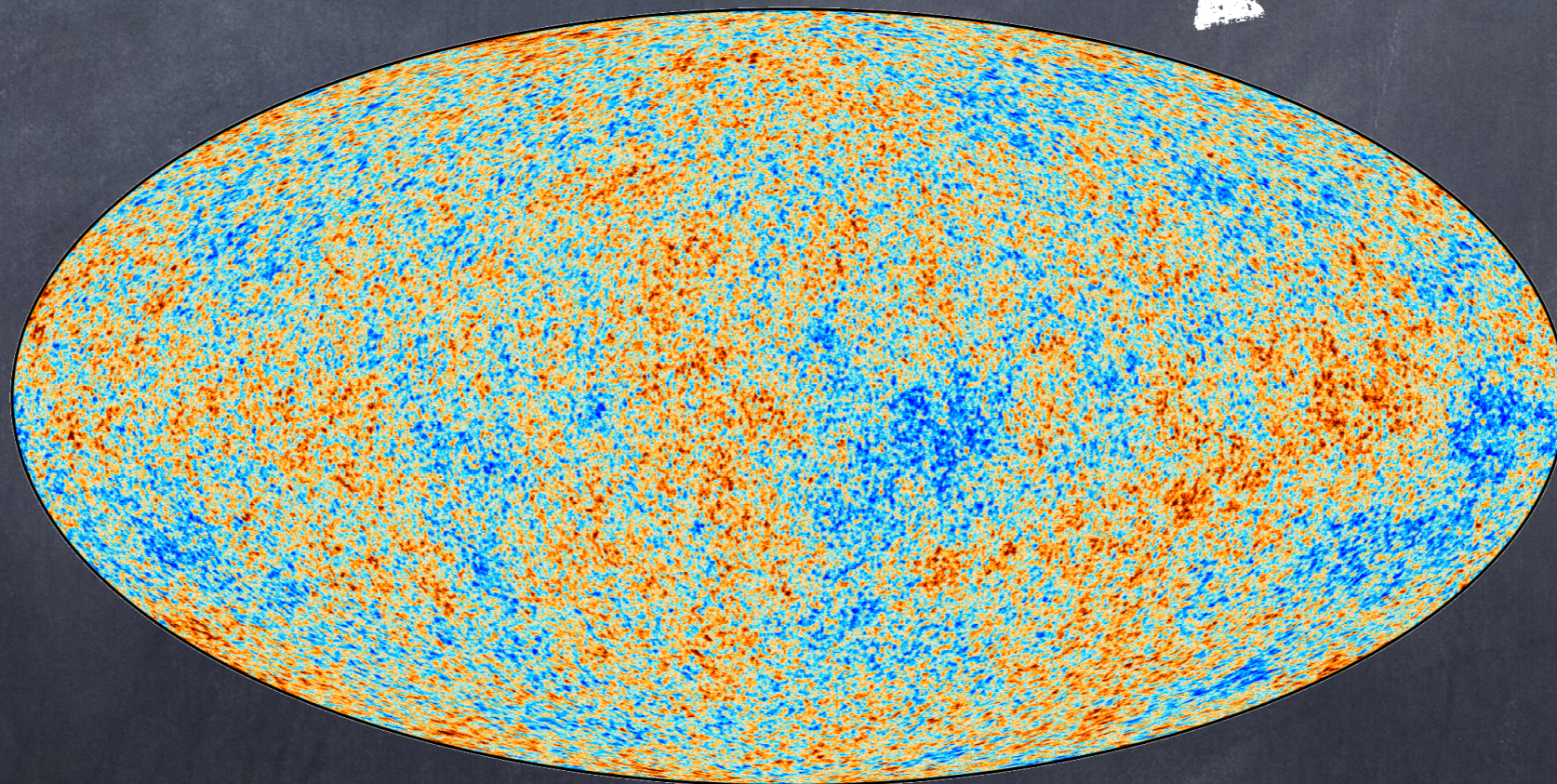
Credit: BICEP2/CERN/NASA

?

reheating



reheating



$-300 \mu\text{K}$

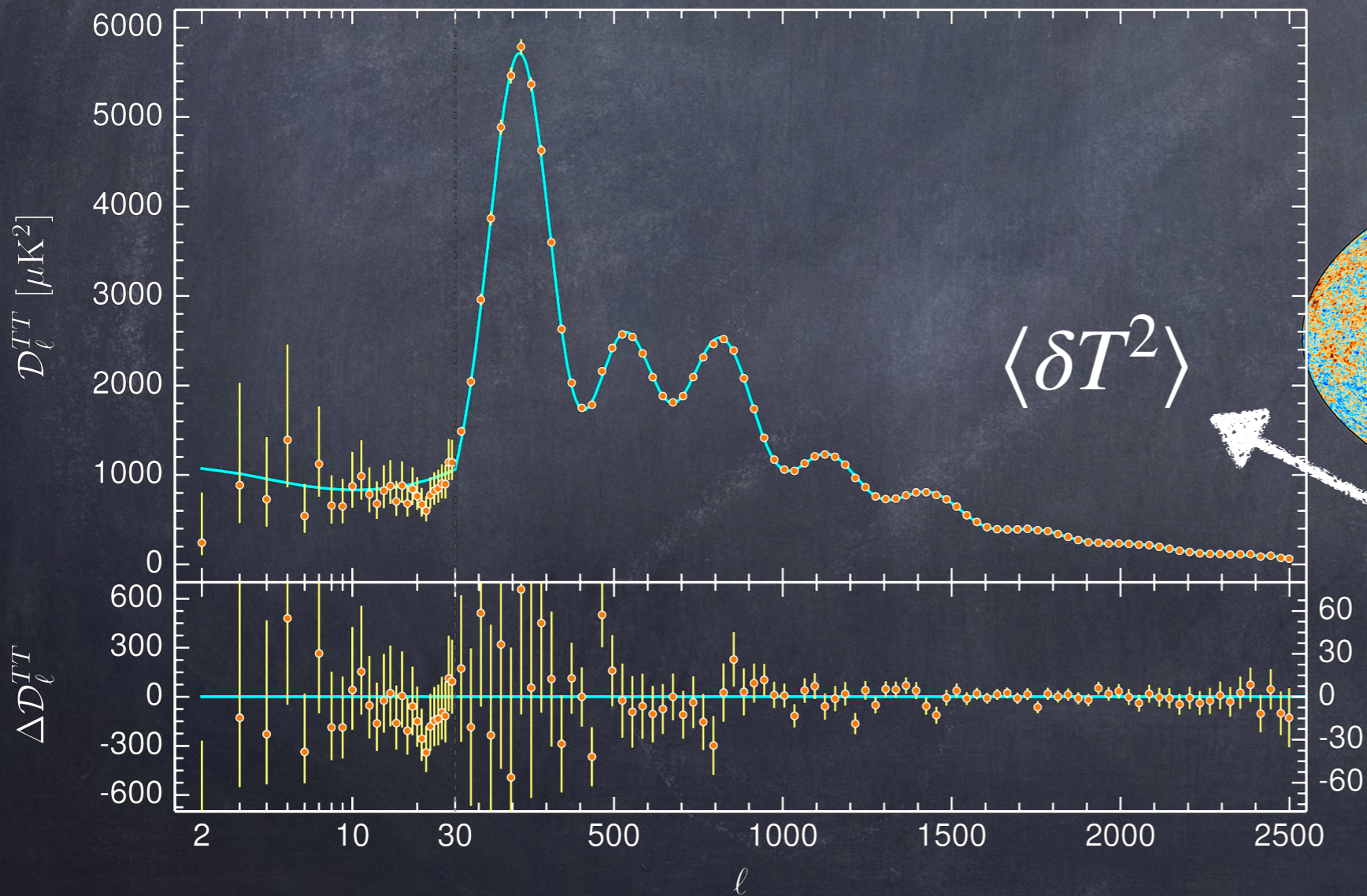


$+300 \mu\text{K}$

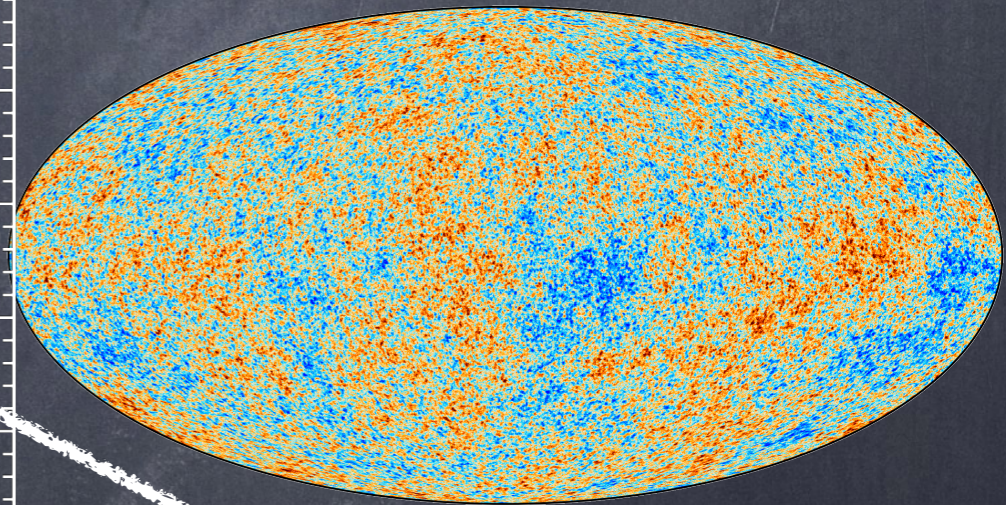
δT

PLANCK (2018)

reheating



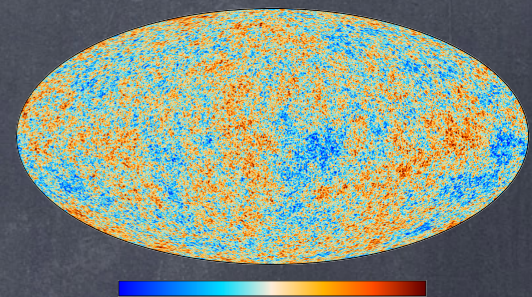
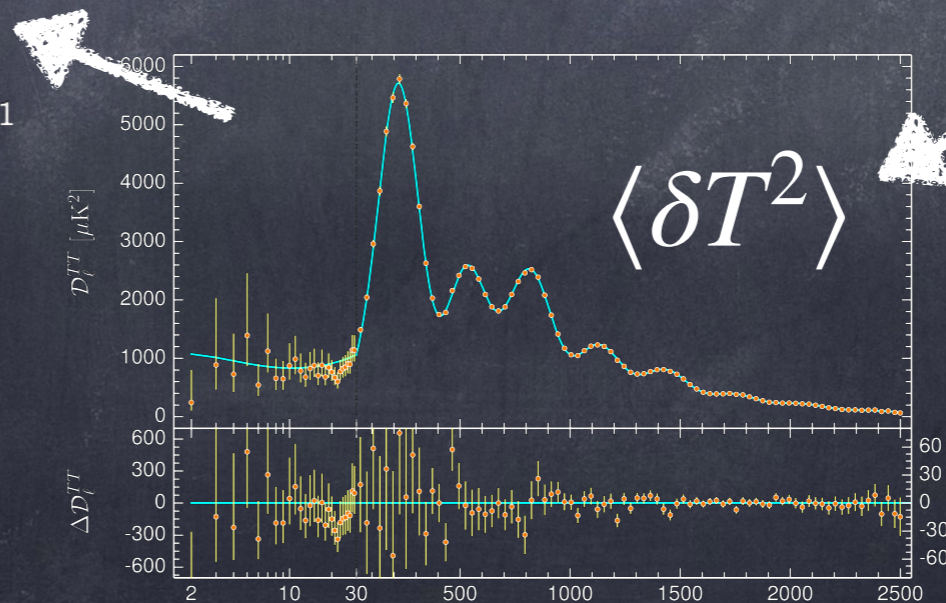
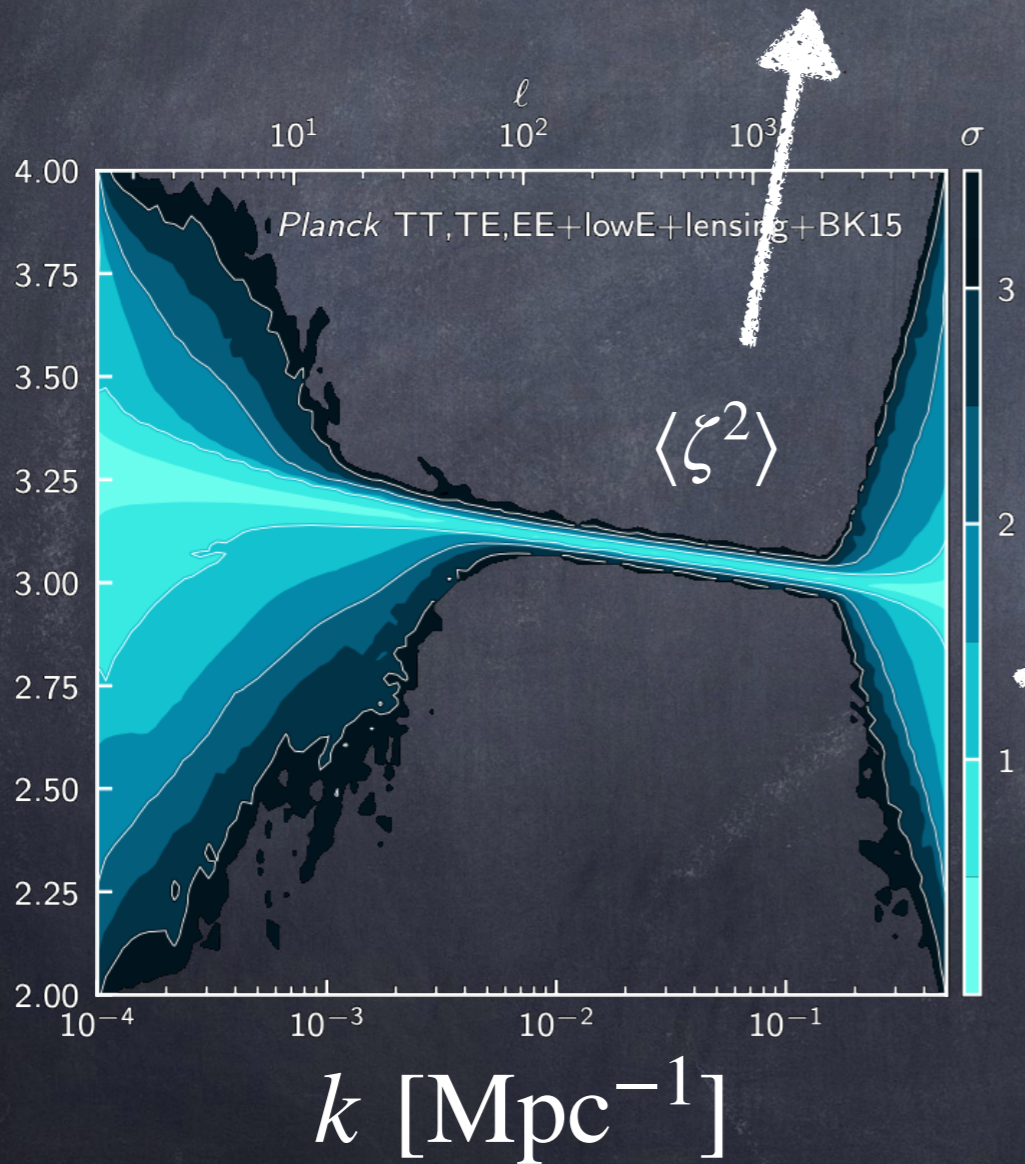
$\langle \delta T^2 \rangle$



δT

PLANCK (2018)

reheating



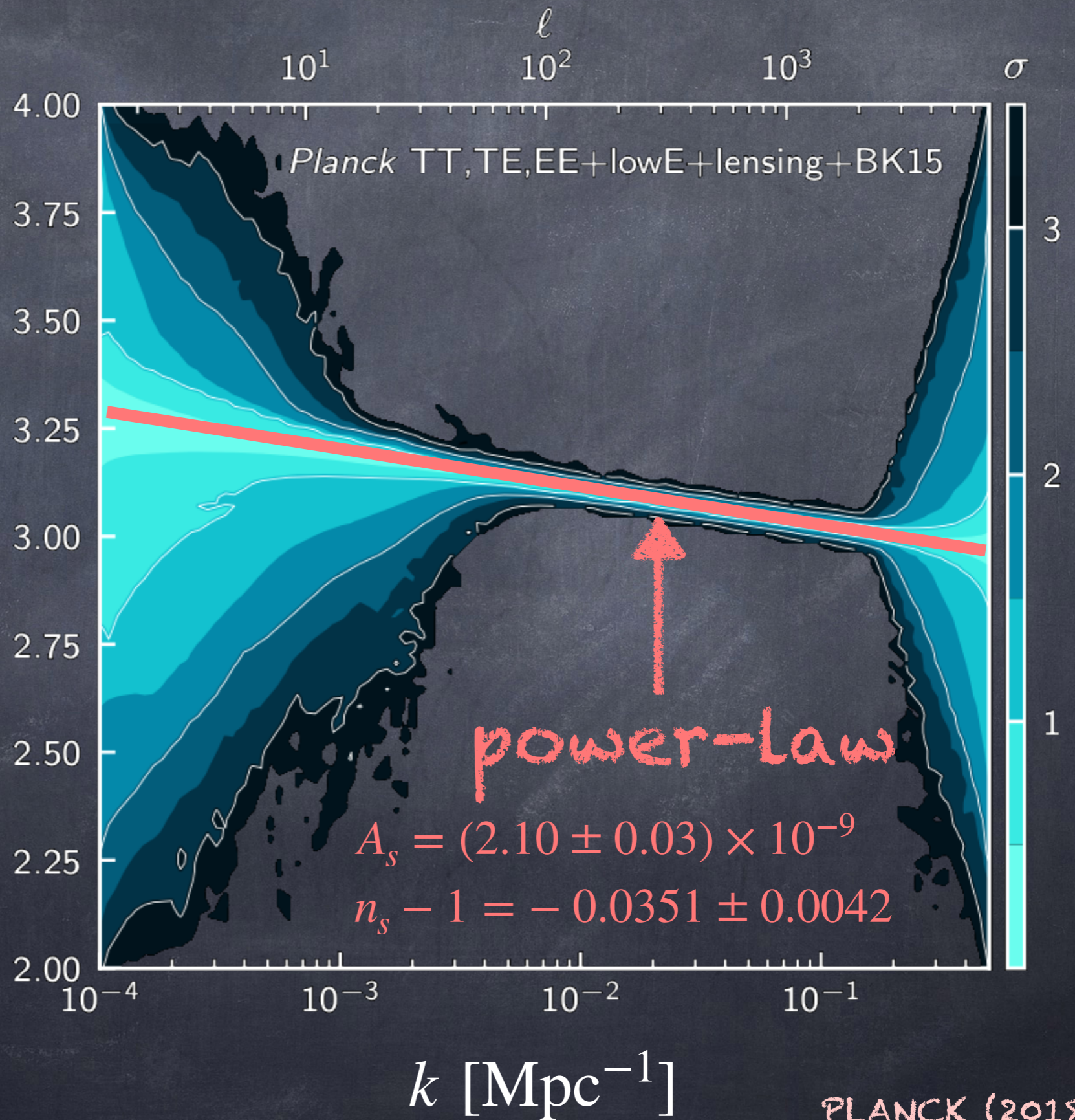
PLANCK (2018)

$$\langle \zeta_{\vec{k}} \zeta_{\vec{k}'} \rangle = (2\pi)^3 \delta^{(3)}(\vec{k} + \vec{k}') \frac{2\pi^2}{k^3} \mathcal{P}_\zeta(k)$$

$$\bar{\mathcal{P}}_\zeta(k) = A_s \left(\frac{k}{k_{\text{pivot}}} \right)^{n_s - 1}$$

$\ln(10^{10} \mathcal{P}_\zeta)$

primordial
scalar
perturbation



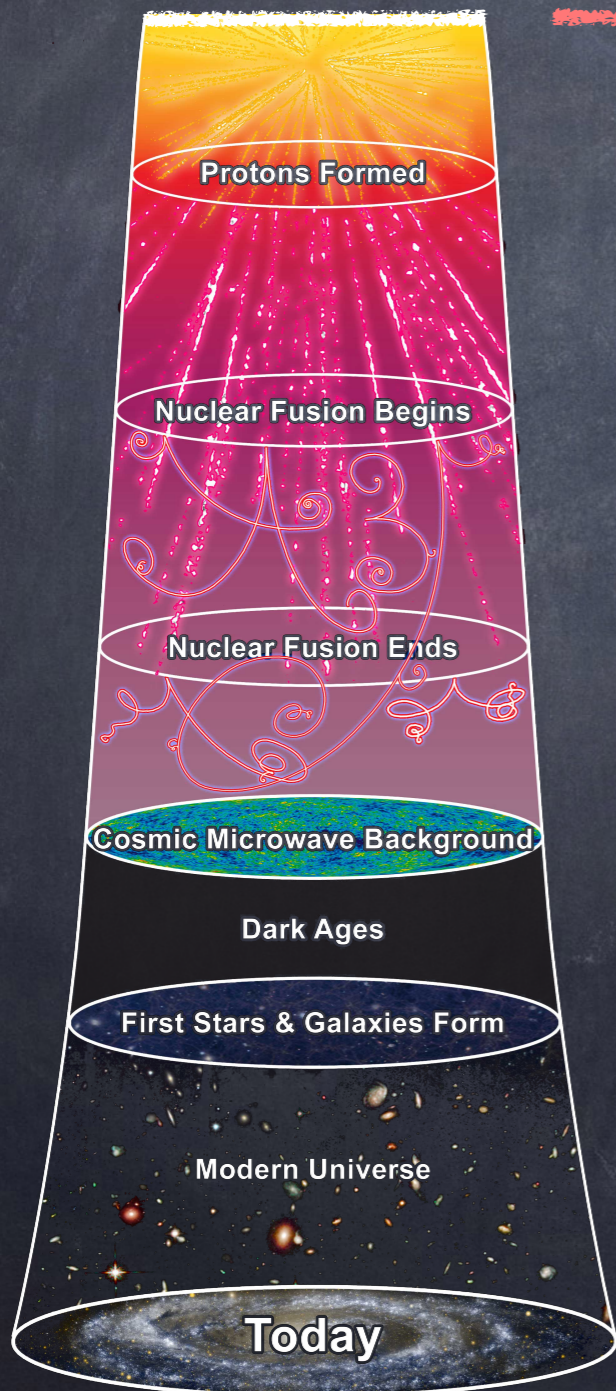
PLANCK (2018)

quantum vacuum
+ evolution

many ways
of "evolving"

scale-invariant
power spectrum

$$\bar{\mathcal{P}}_{\zeta}(k) \sim k^0$$



$$\langle \zeta^2 \rangle \left\{ \begin{array}{l} A_s = (2.10 \pm 0.03) \times 10^{-9} \\ n_s - 1 = -0.0351 \pm 0.0042 \end{array} \right.$$

$$\langle h_{ij}^2 \rangle \quad r = \frac{A_t}{A_s} < 0.036 \text{ (95 \% CL)}$$

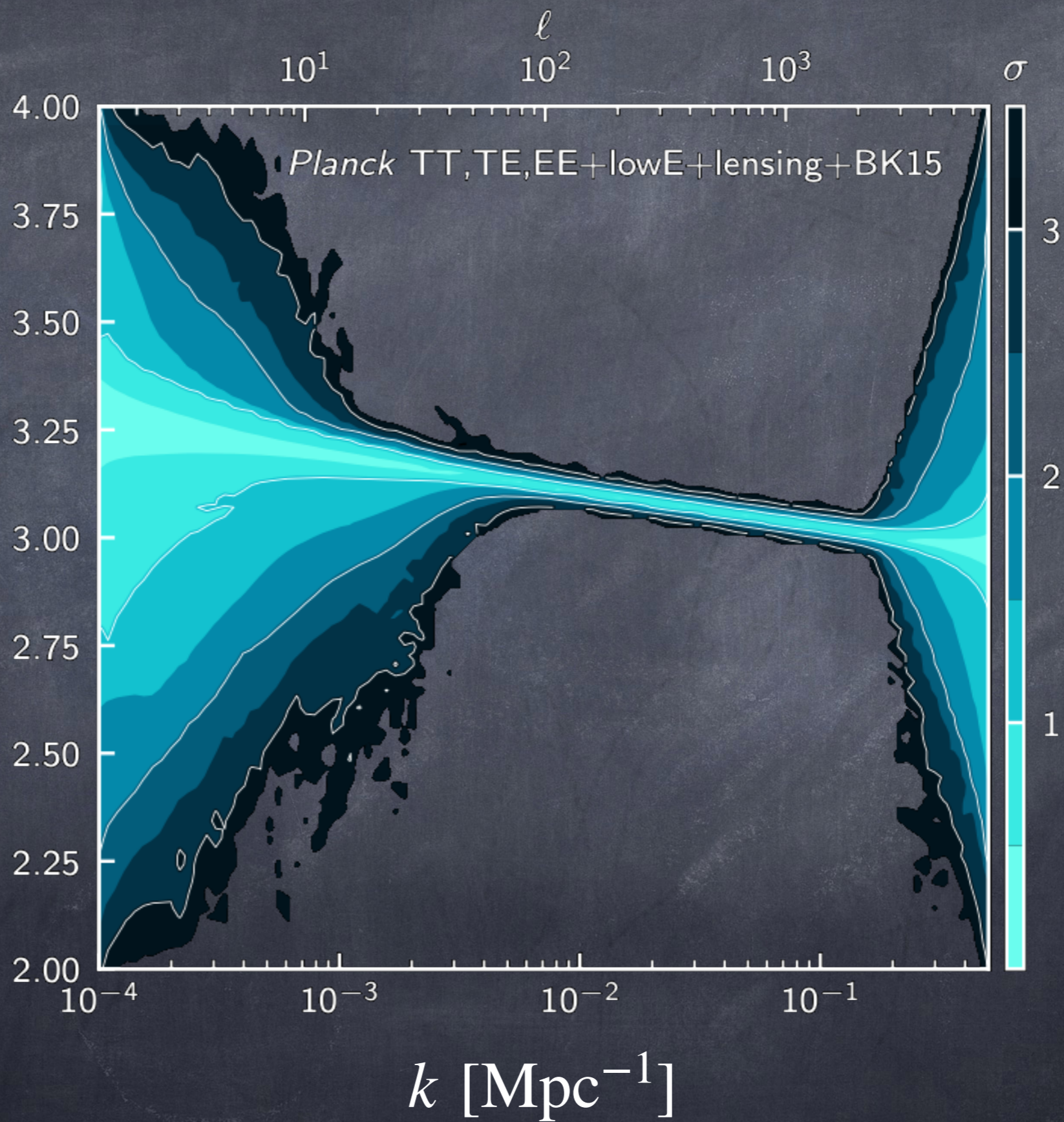
$$\langle \zeta^3 \rangle \left\{ \begin{array}{l} f_{\text{NL}}^{\text{local}} = -0.9 \pm 5.1 \\ f_{\text{NL}}^{\text{equil}} = -26 \pm 47 \\ f_{\text{NL}}^{\text{ortho}} = -38 \pm 24 \end{array} \right.$$

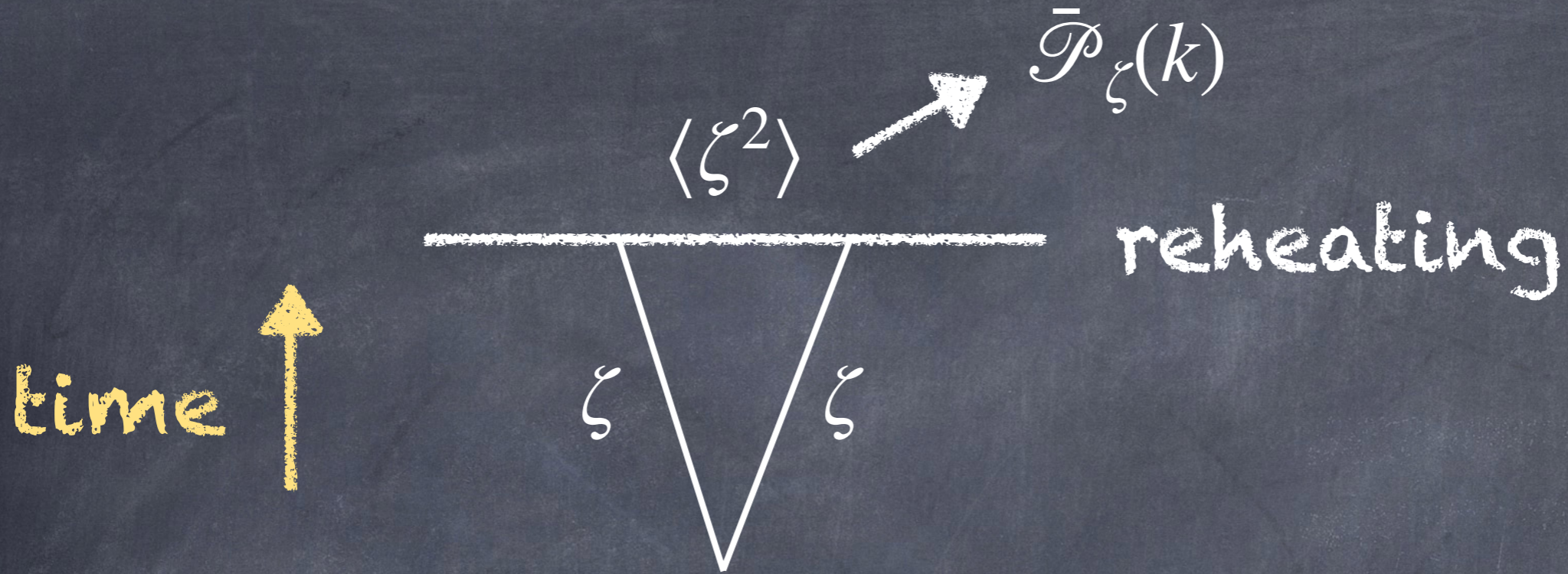
$$\langle \zeta^4 \rangle \quad g_{\text{NL}}^{\text{local}} = (-5.8 \pm 6.5) \times 10^4$$

...

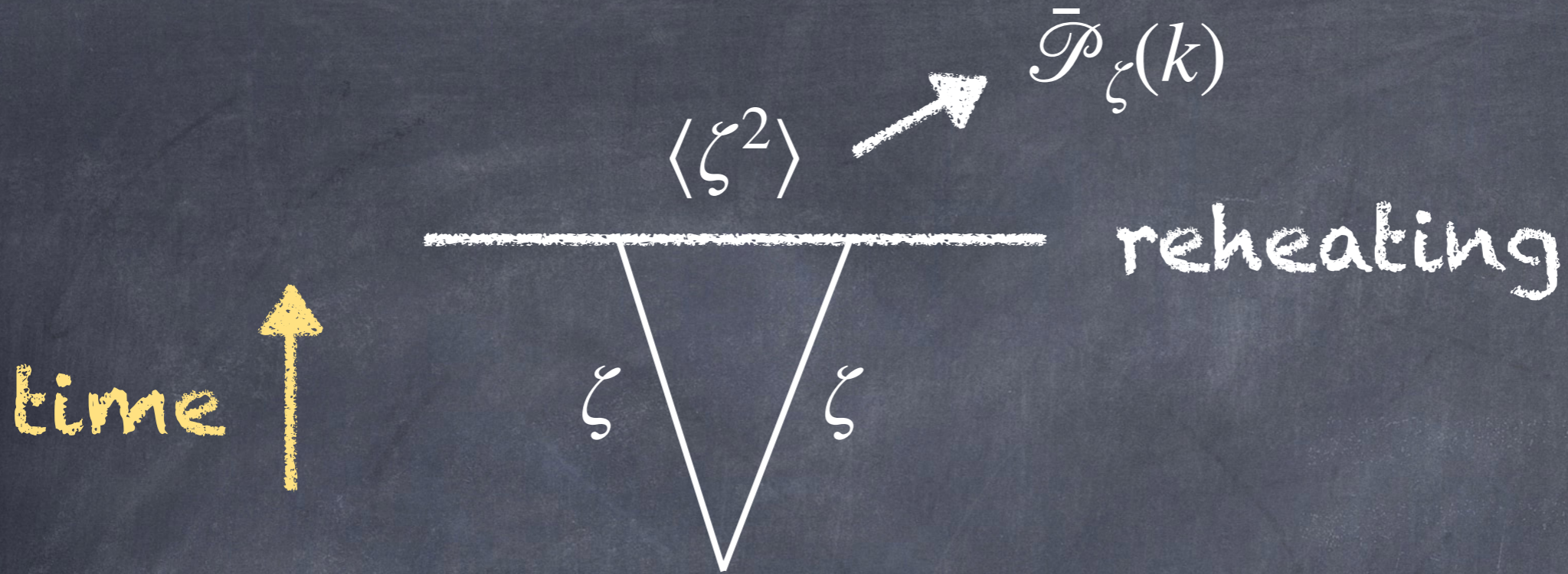
all consistent
with zero

$\ln \left(10^{10} \mathcal{P}_\zeta \right)$

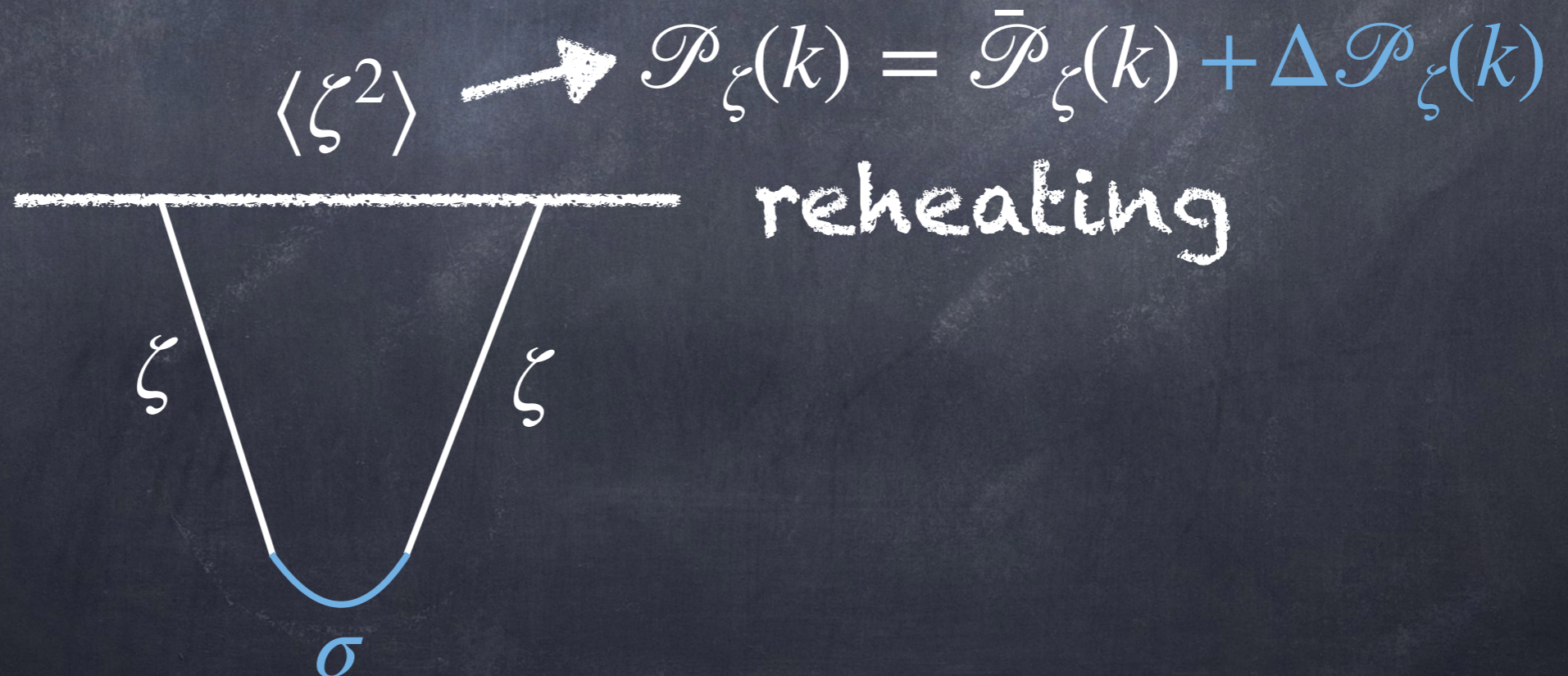




$$\langle \zeta \zeta \rangle \longrightarrow \langle \text{in} | \text{in} \rangle$$



Add interaction with massive field σ



Quantum vacuum:

$$ds^2 = a(\tau)^2(-d\tau^2 + d\vec{x}^2)$$

Large k
early time $\Rightarrow \partial_\tau^2 \zeta_k + k^2 \zeta_k = 0 \Rightarrow \zeta_k(\tau) \sim e^{-ik\tau}$

Massive spectator fields:

$$ds^2 = -dt^2 + a(t)^2 d\vec{x}^2$$

Large m_σ
early time $\Rightarrow \partial_t^2 \sigma + m_\sigma^2 \sigma = 0 \Rightarrow \sigma(t) \sim e^{\pm im_\sigma t}$

$$a d\tau = dt$$

in-in:

free theory vacuum

$$\begin{aligned} \langle \Omega | \hat{\zeta}^2 | \Omega \rangle &= \langle 0 | \left(\bar{T} e^{i \int d\tau \mathcal{H}_{\text{int}}} \right) \hat{\zeta}^2 \left(T e^{-i \int d\tau \mathcal{H}_{\text{int}}} \right) | 0 \rangle \\ &= \underbrace{\langle 0 | \hat{\zeta}^2 | 0 \rangle}_{\bar{\mathcal{P}}_\zeta(k)} + 2 \text{Im} \underbrace{\langle 0 | \hat{\zeta}^2 \int d\tau \mathcal{H}_{\text{int}} | 0 \rangle}_{\Delta \mathcal{P}_\zeta(k)} + \dots \end{aligned}$$

interaction
vacuum

$$\Rightarrow \frac{\Delta \mathcal{P}_\zeta}{\bar{\mathcal{P}}_\zeta} \sim 2 \text{Im} \int d\tau \sigma (\partial \zeta)^2$$

$$\int d\tau e^{\pm i m_\sigma t} e^{-2ik\tau}$$

$$\int d\tau e^{\pm im_\sigma t} e^{-2ik\tau}$$



highly oscillatory
integrals average
to zero



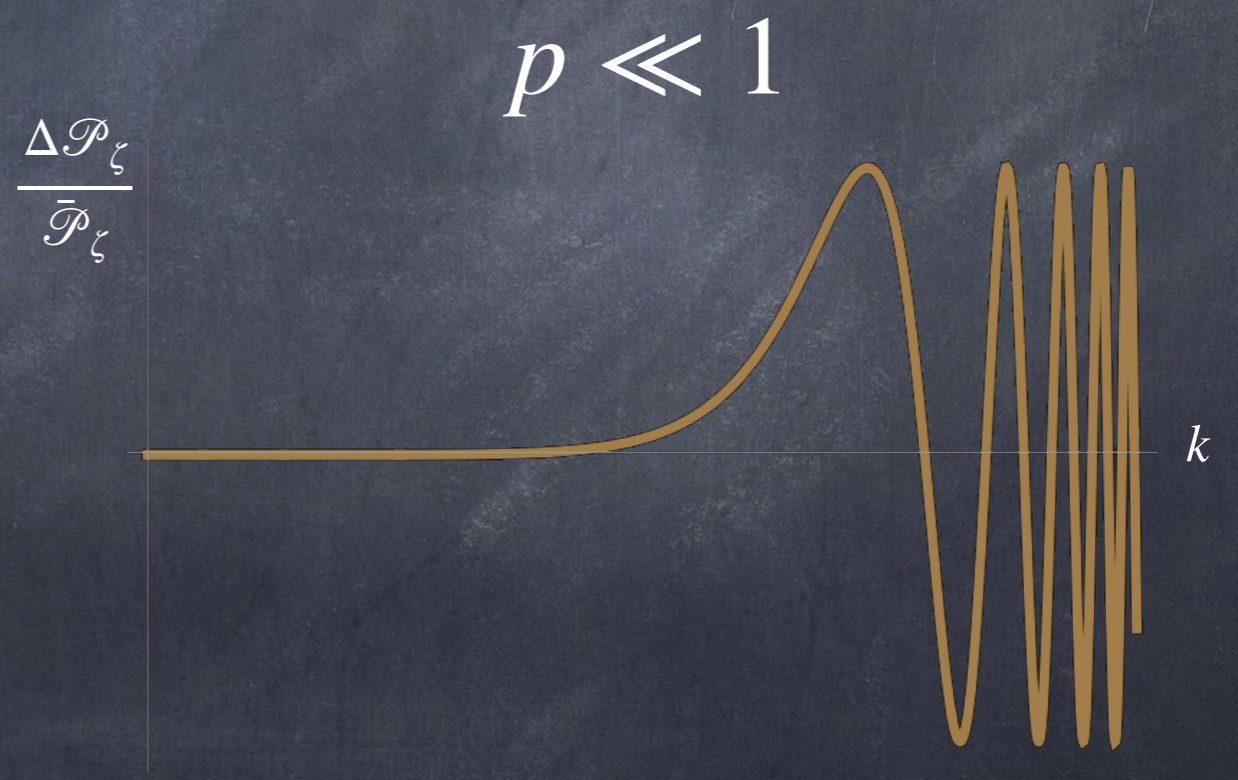
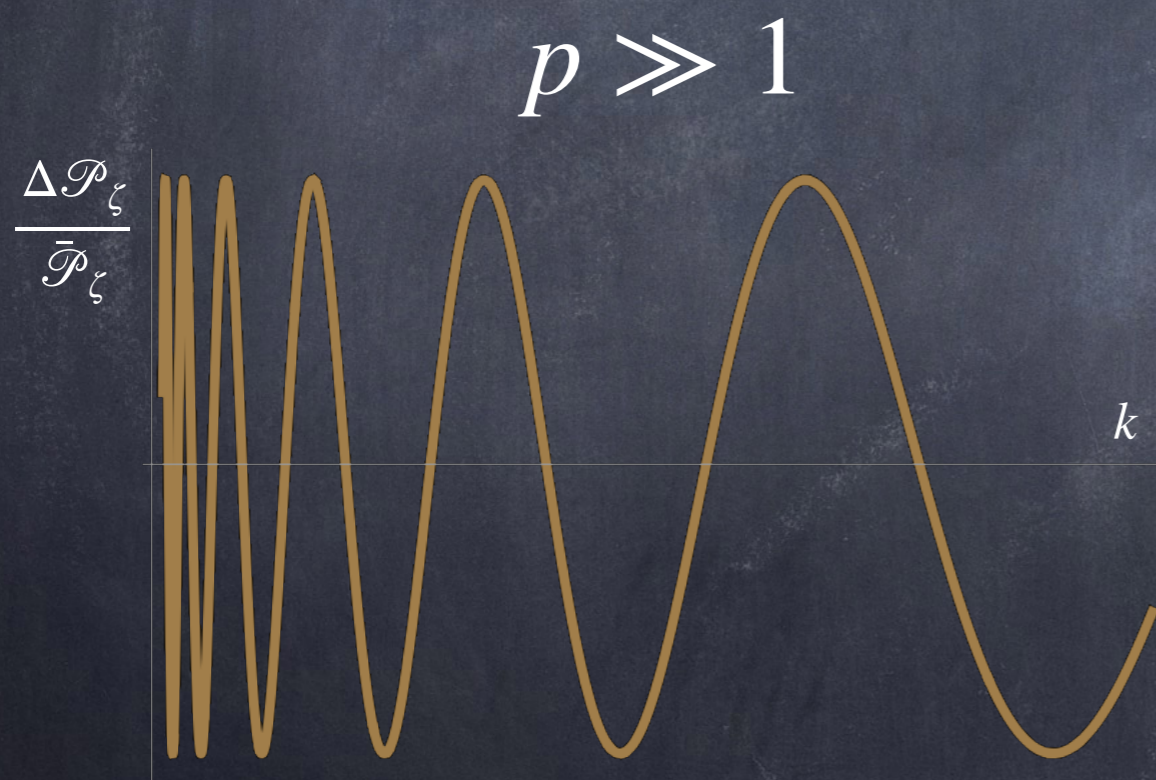
heavy fields can usually be
integrated out in low-energy
effective field theories

Except for resonance
(saddle point) when

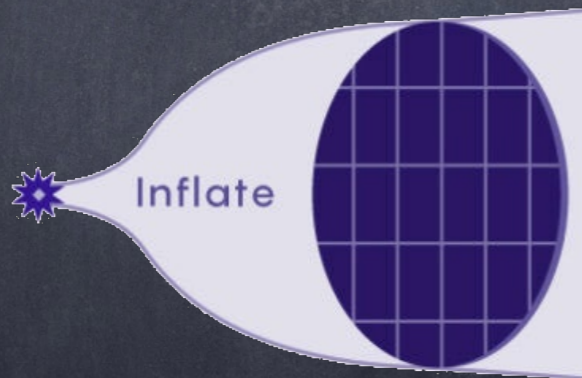
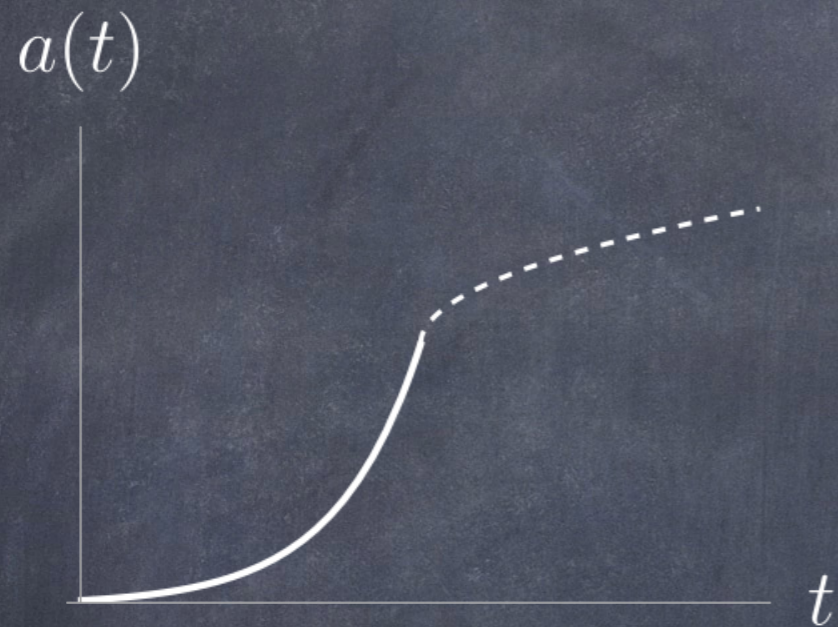
$$\left. \frac{d}{d\tau} (\pm im_\sigma t - 2ik\tau) \right|_{\tau=\tau_{\text{res}}} = 0 \quad \Rightarrow \quad m_\sigma = \frac{2k}{a(\tau_{\text{res}})}$$

$$a(t) \propto |t|^p$$

$$\frac{\Delta \mathcal{P}_\zeta}{\bar{\mathcal{P}}_\zeta} \sim 2\text{Im} \int d\tau e^{\pm im_\sigma t} e^{-2ik\tau} \sim \sin(k^{1/p})$$



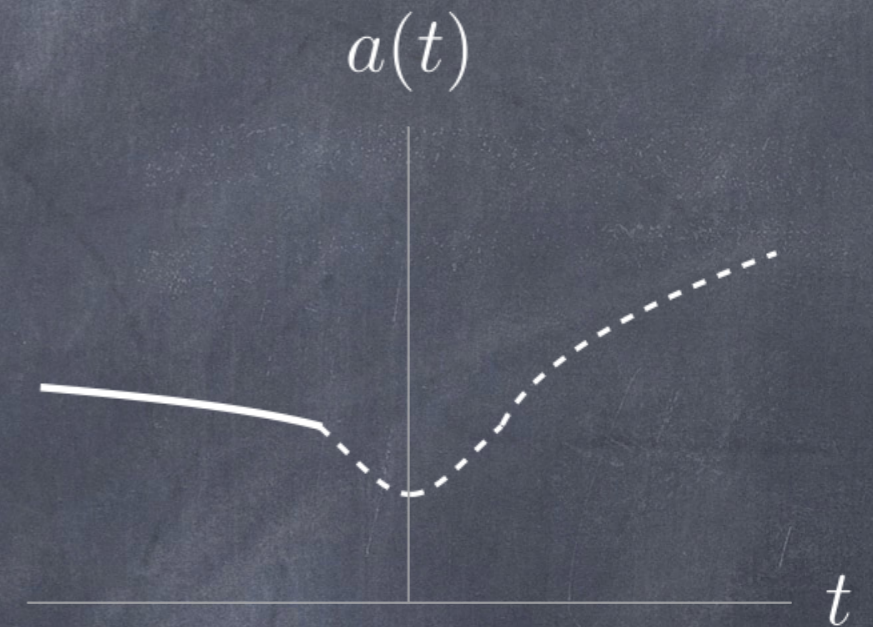
inflationary cosmology



Guth (1980),

...

contracting cosmology (before a bounce)

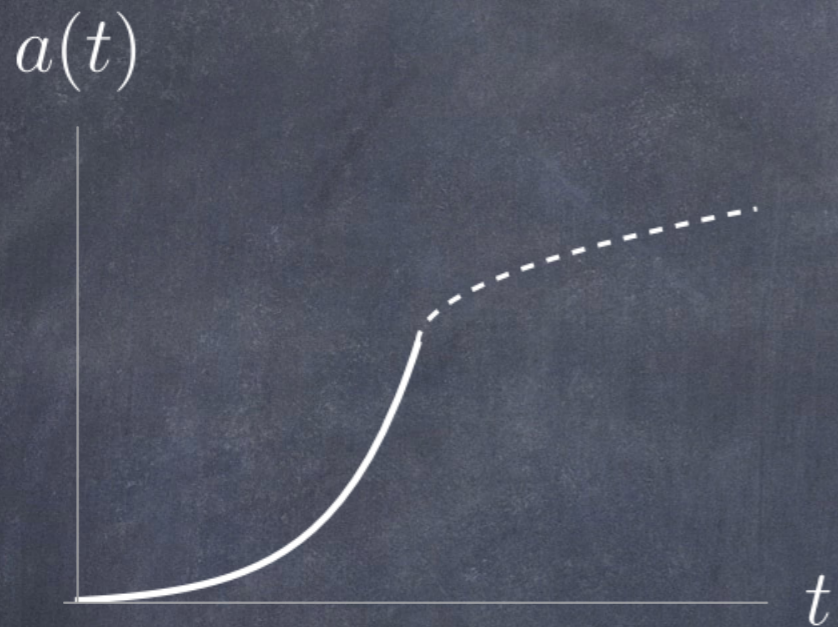


Gasperini-Veneziano (1993),
Khoury-Ovrut-Steinhardt-Turok (2001),

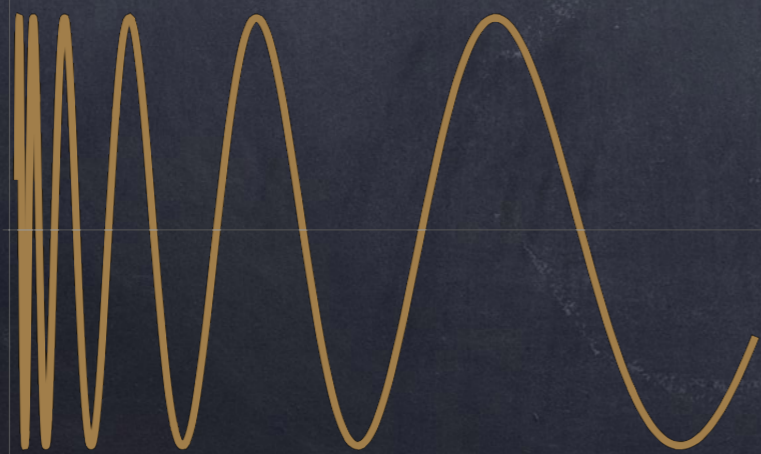
JQ+ (2014, ...),

...

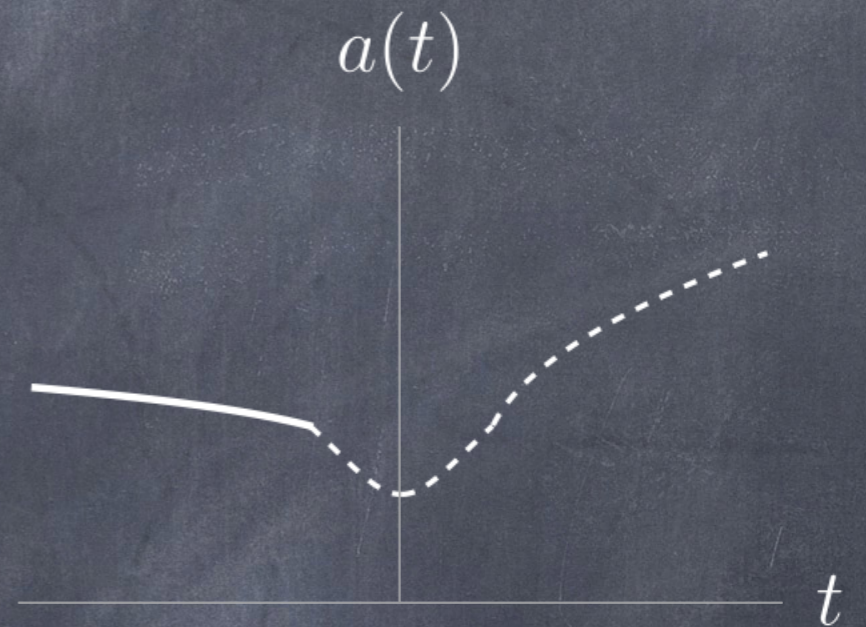
inflationary cosmology



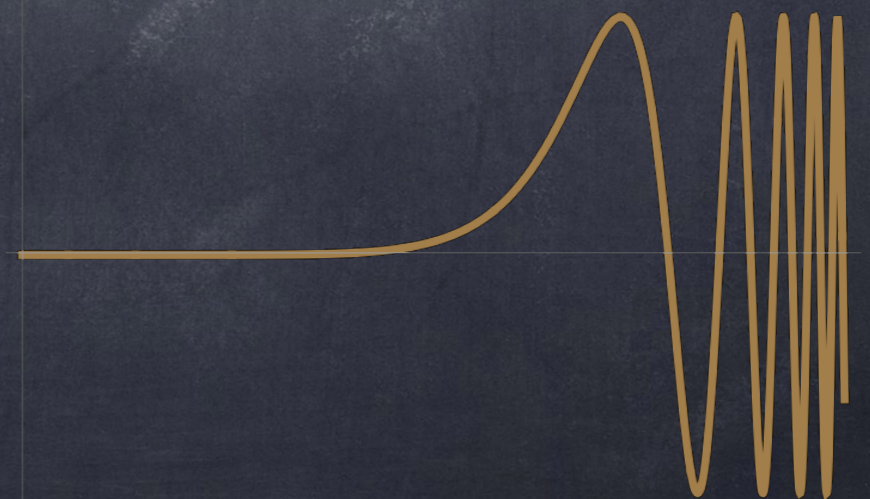
$$a(t) \sim t^p, \quad t > 0, \quad p \gg 1$$



contracting cosmology (before a bounce)

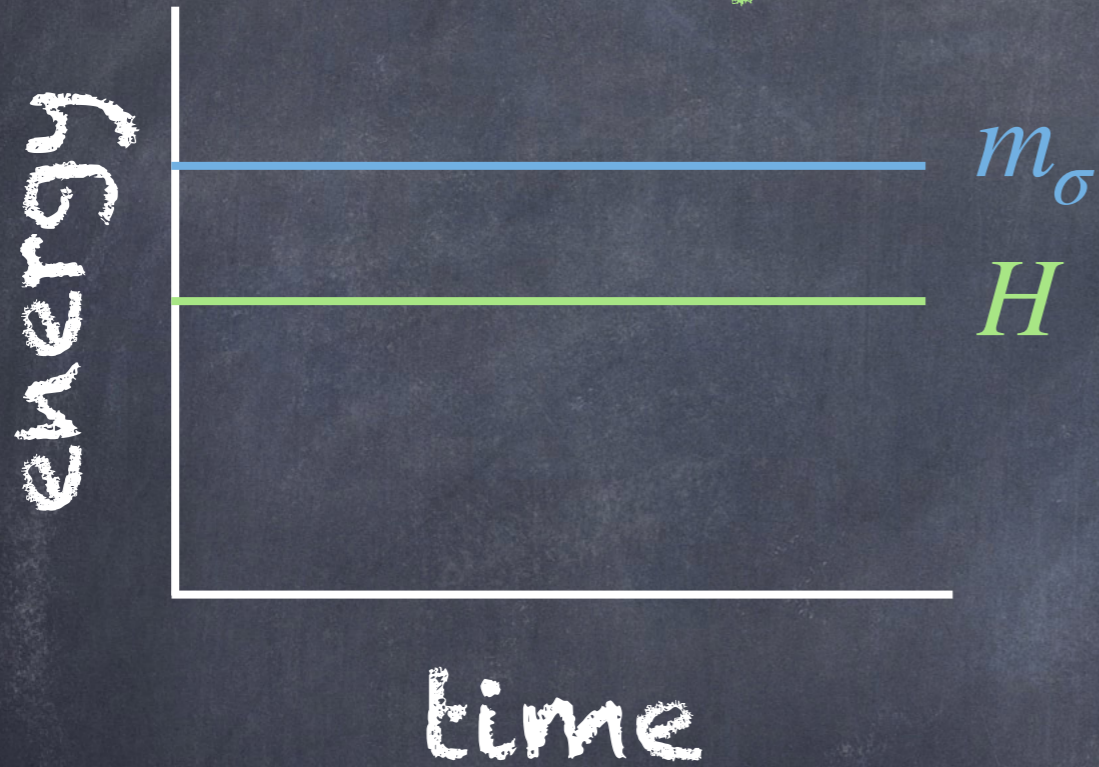


$$a(t) \sim (-t)^p, \quad t < 0, \quad p \ll 1$$



$$H \equiv \frac{1}{a} \frac{da}{dt}$$

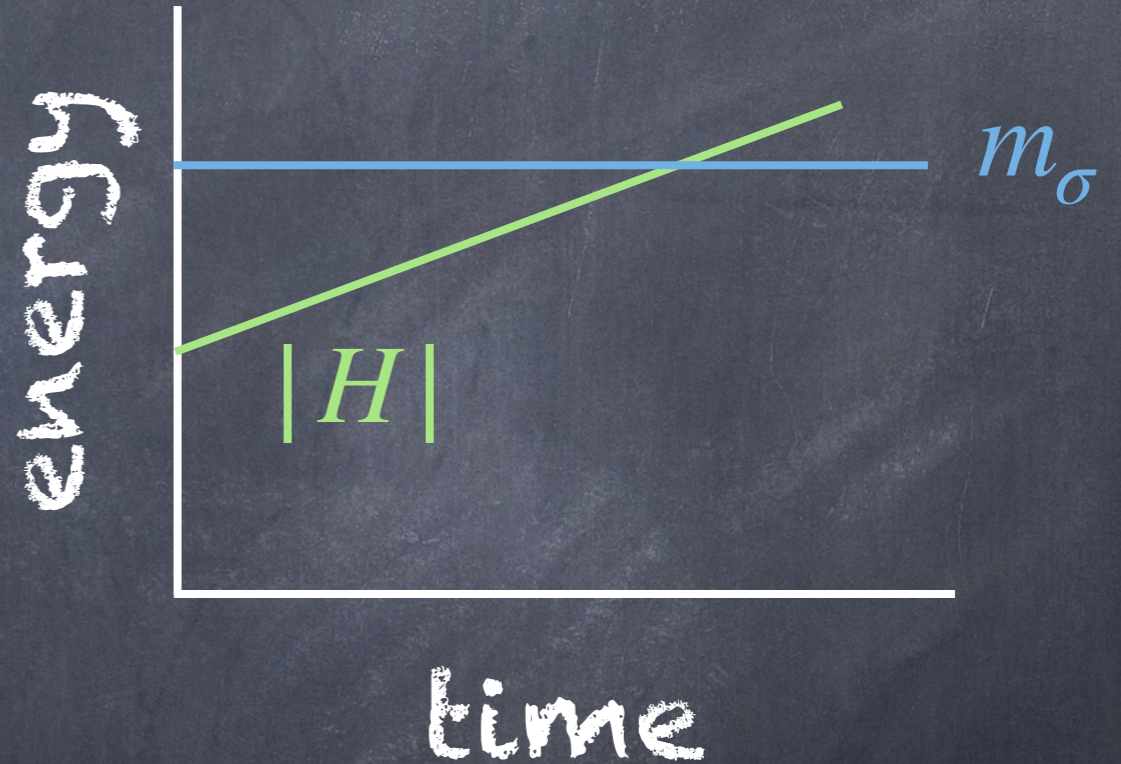
inflationary
cosmology



cosmological
collider

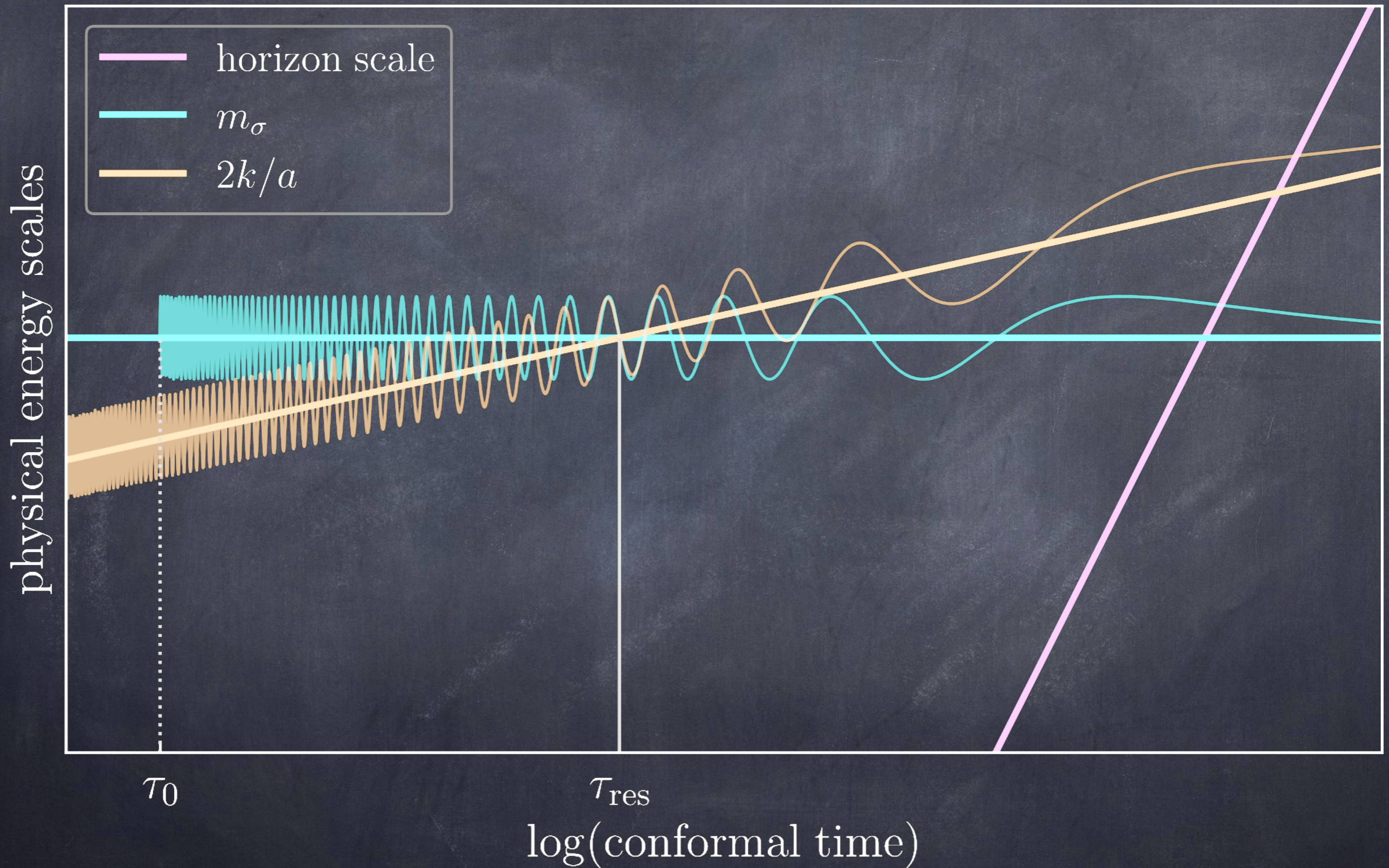
Chen-Wang (2009),
Arkani-Hamed-Maldacena (2015)

contracting
cosmology
(before a bounce)



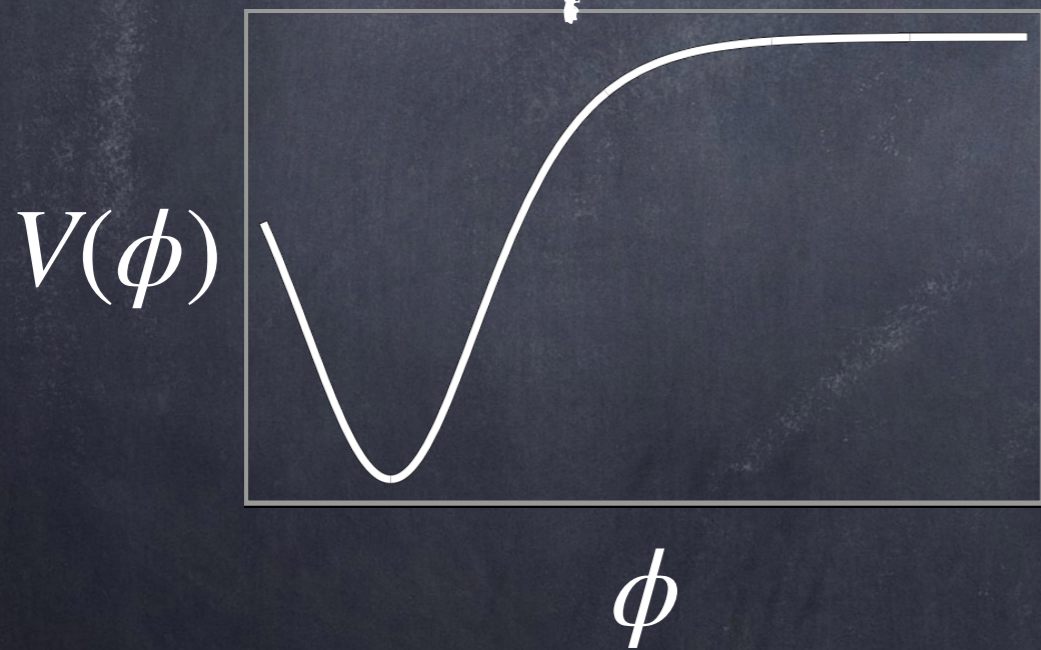
particle
scanner

Chen-Loeb-Xianyu (2019)

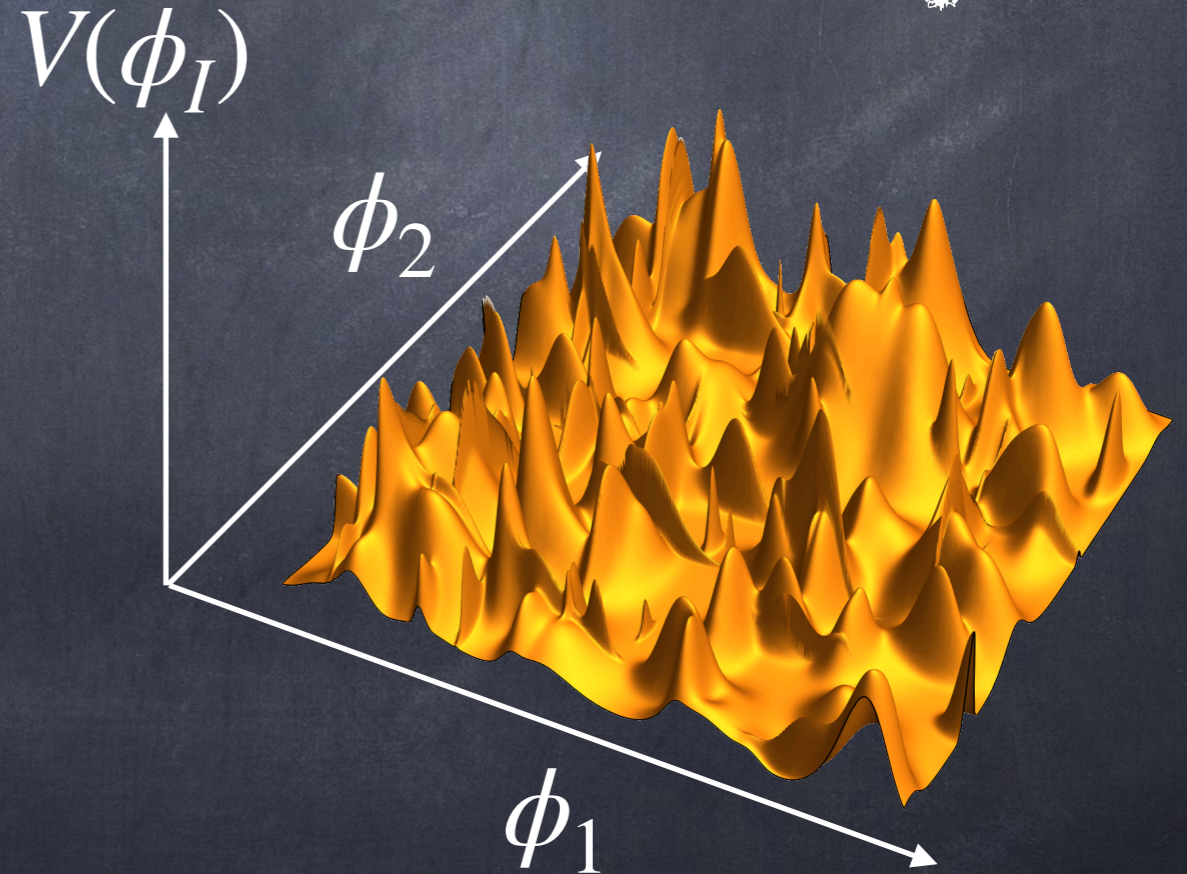


We do not know what degrees of freedom there are at high energies...

We hope for...

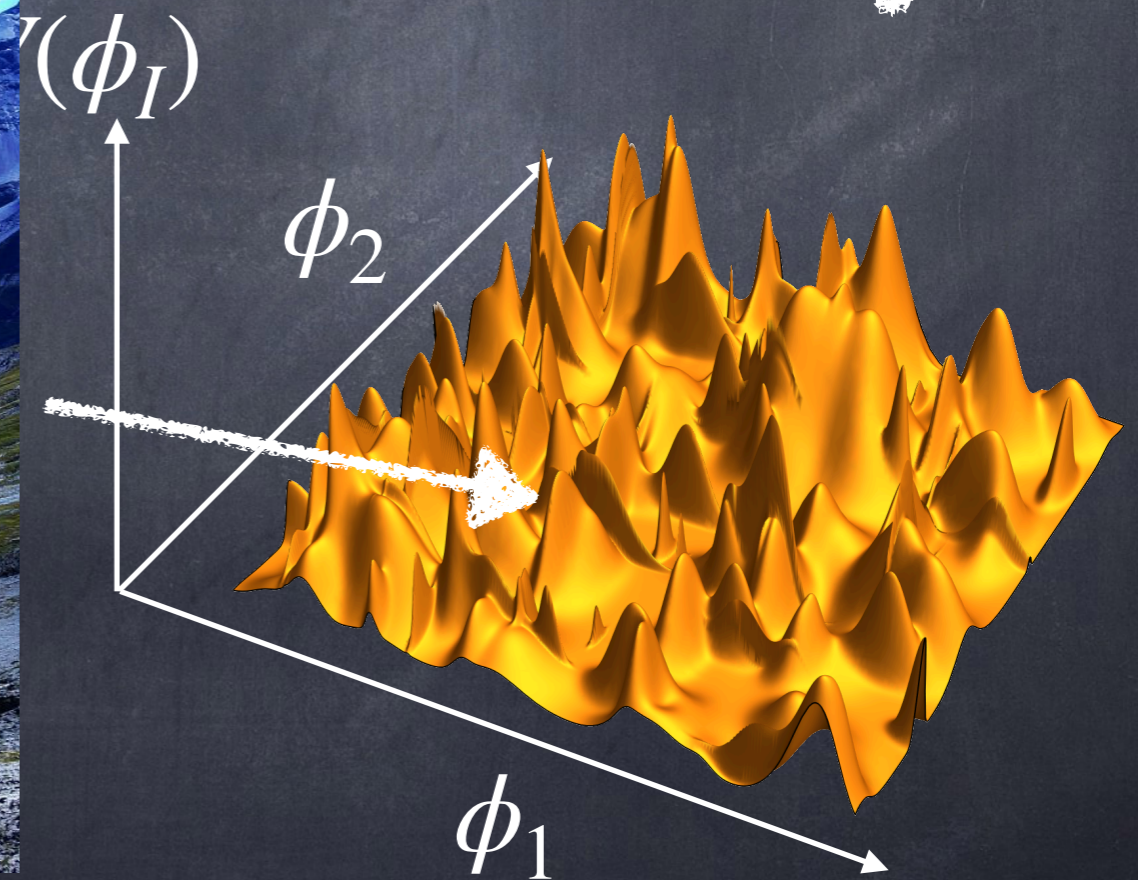


But the reality...

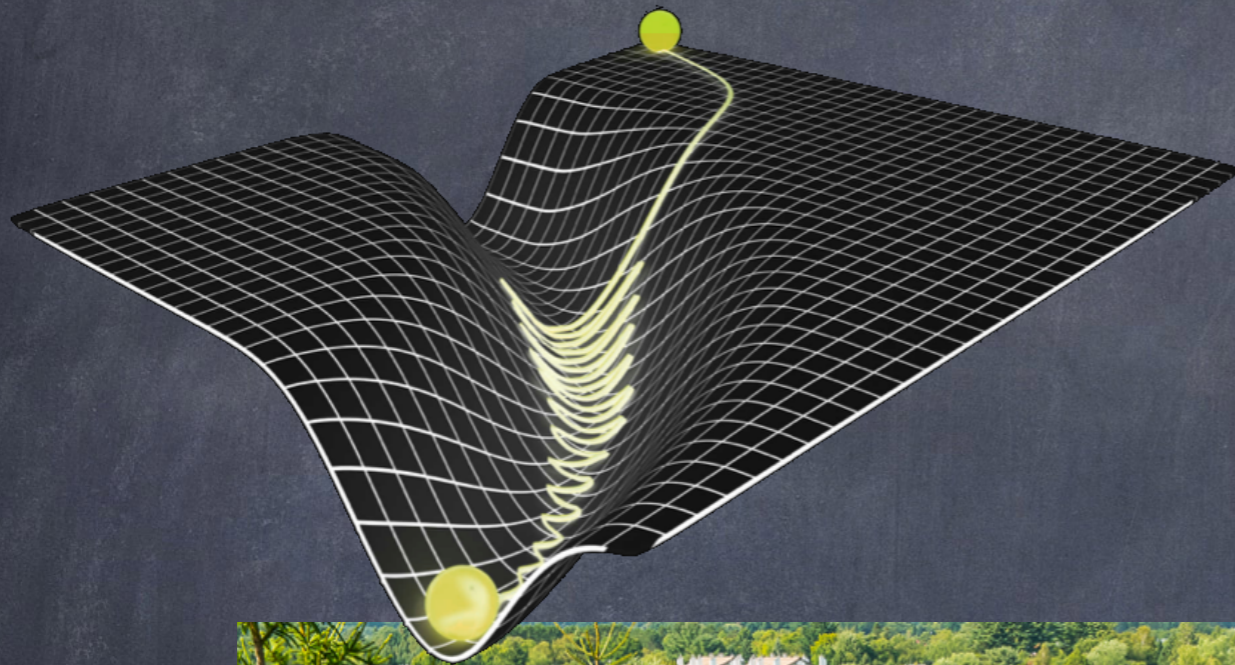


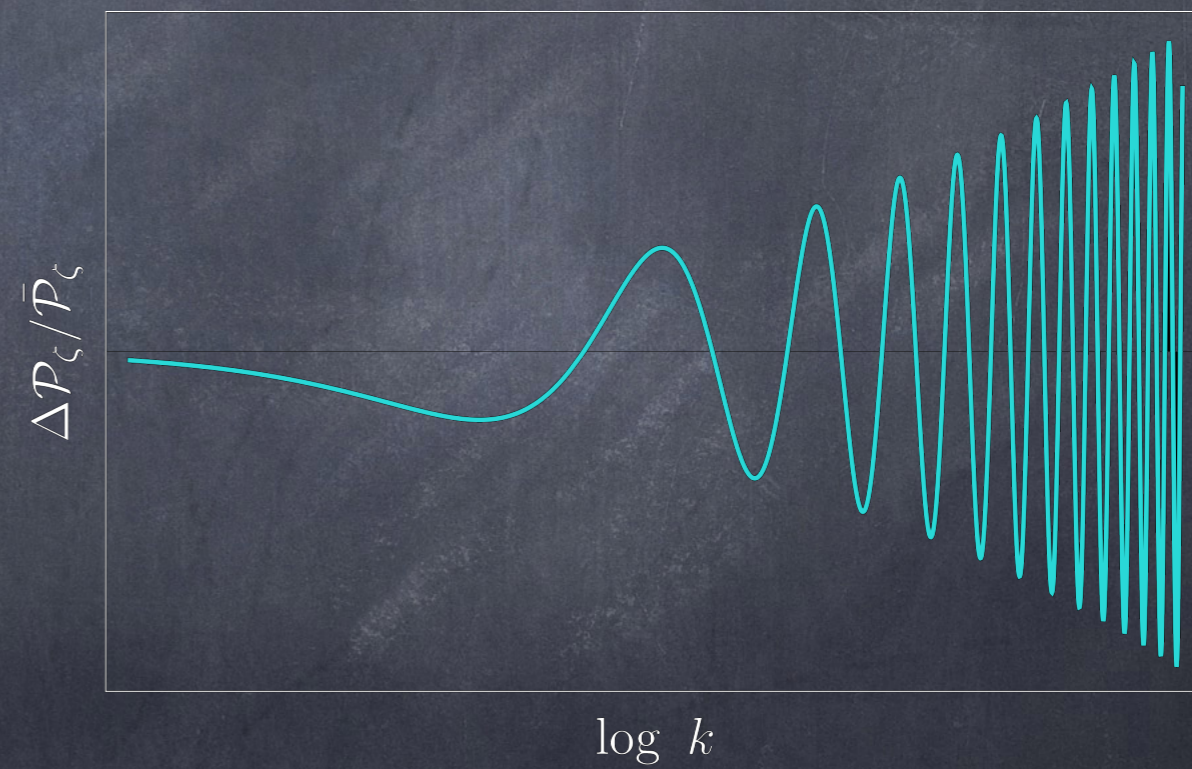
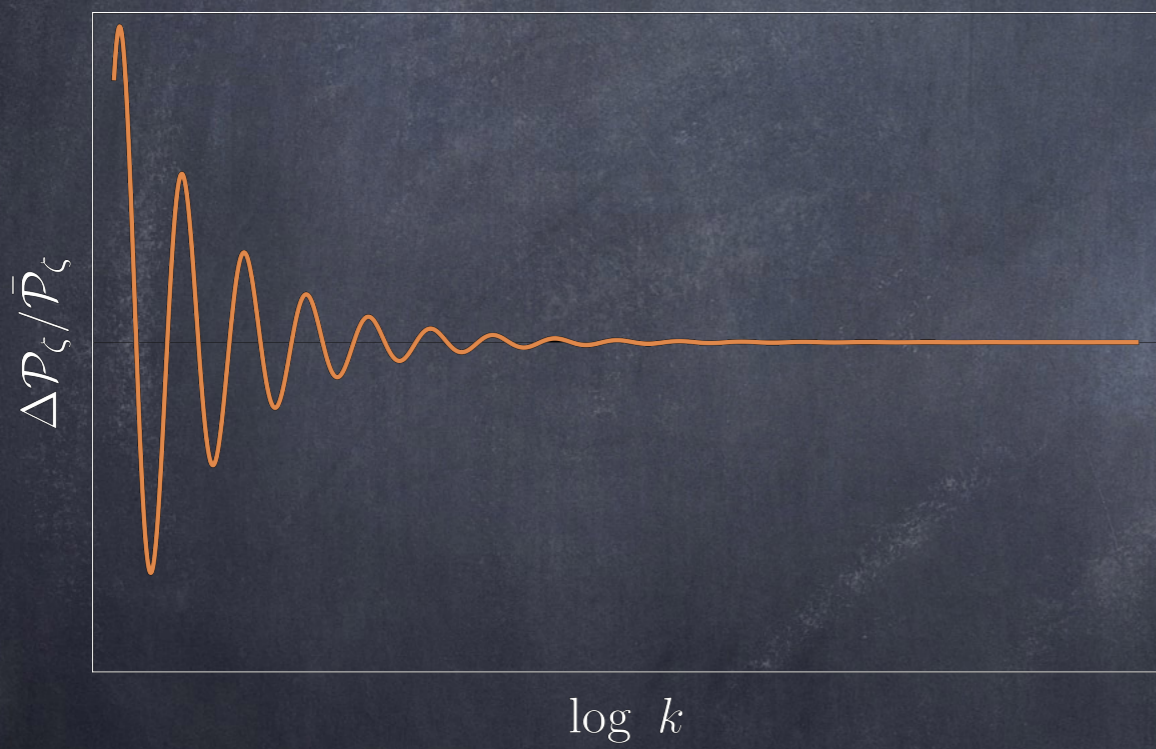
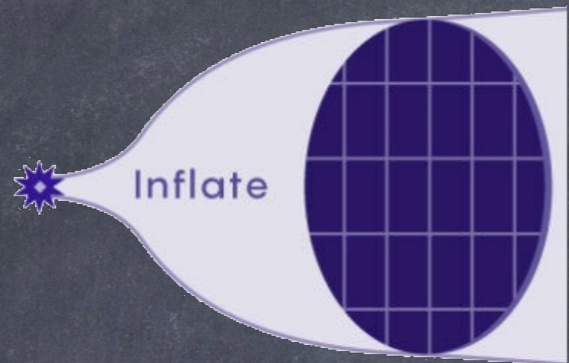
We do not know what degrees of freedom there are at high energies...

But the reality...

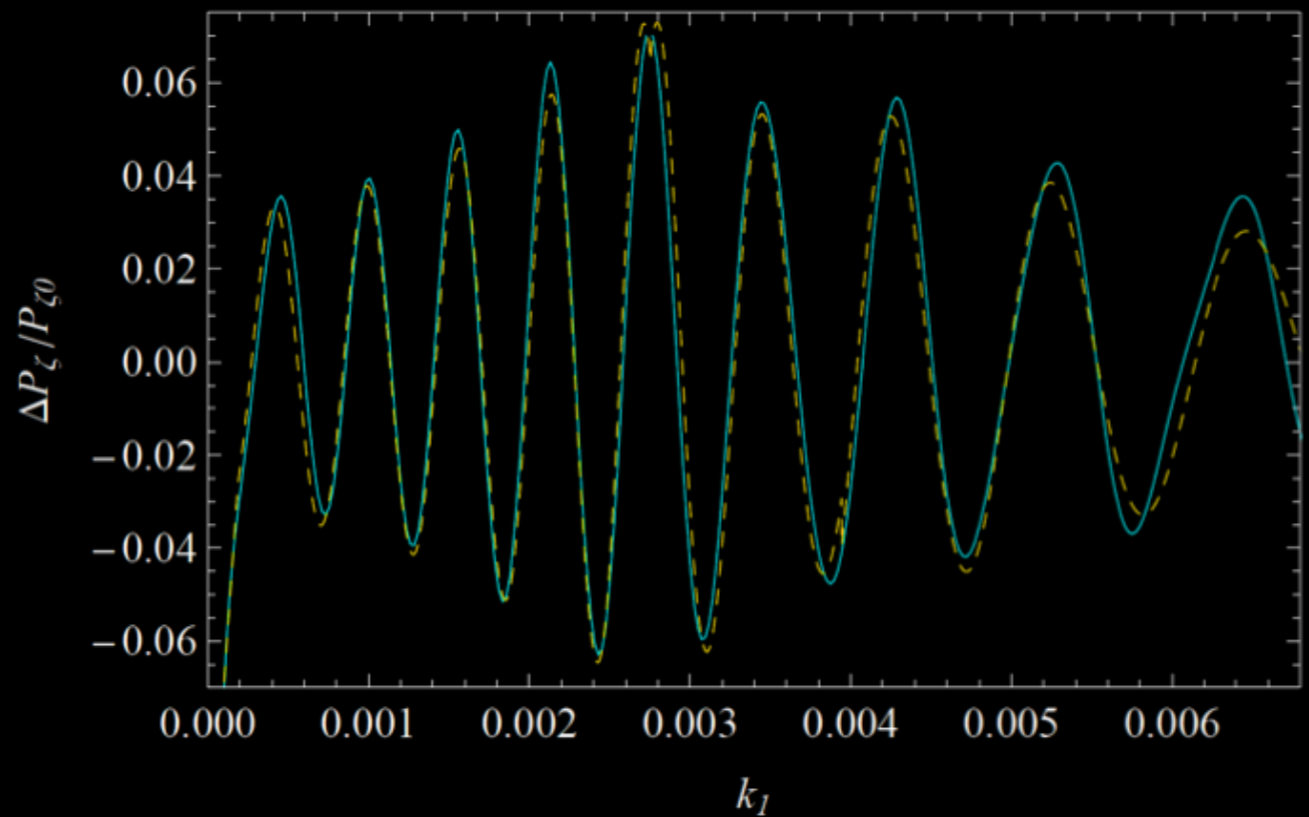
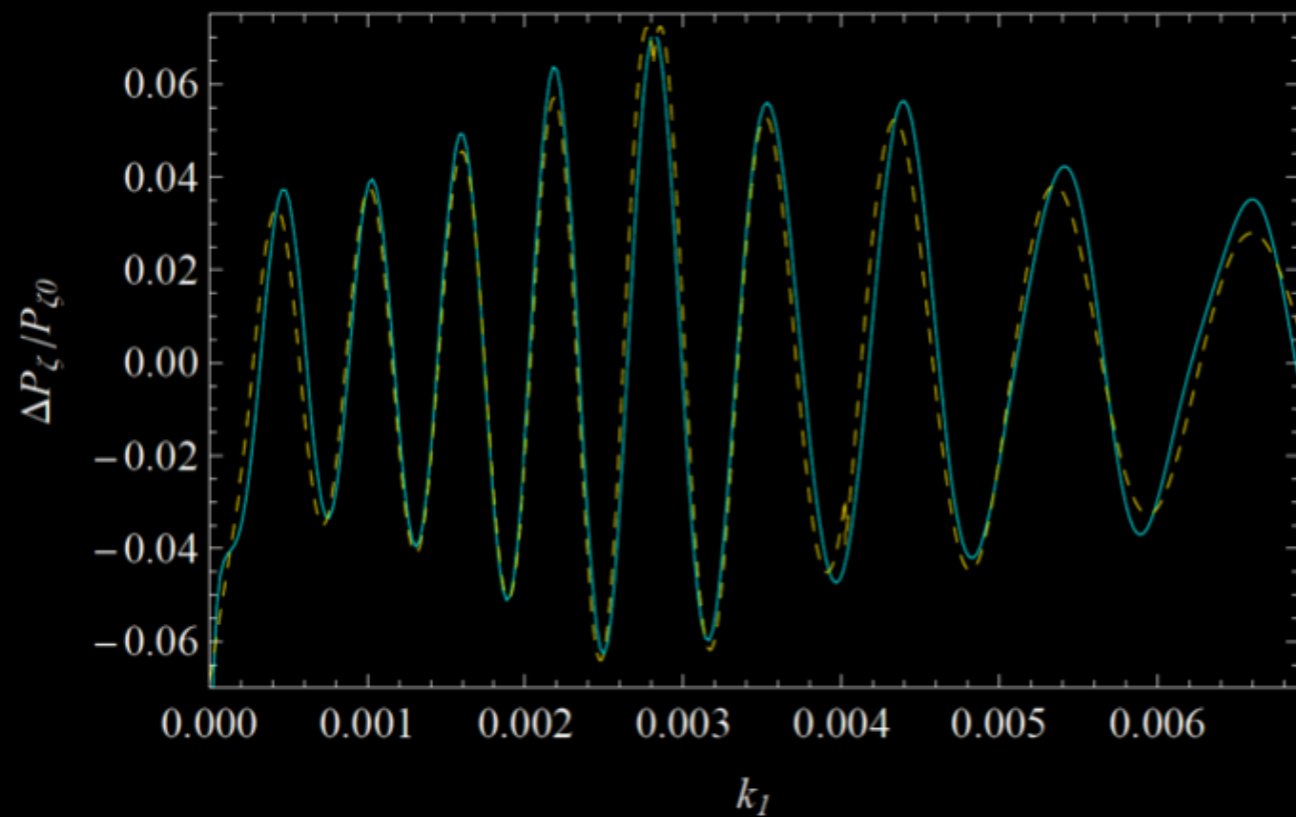
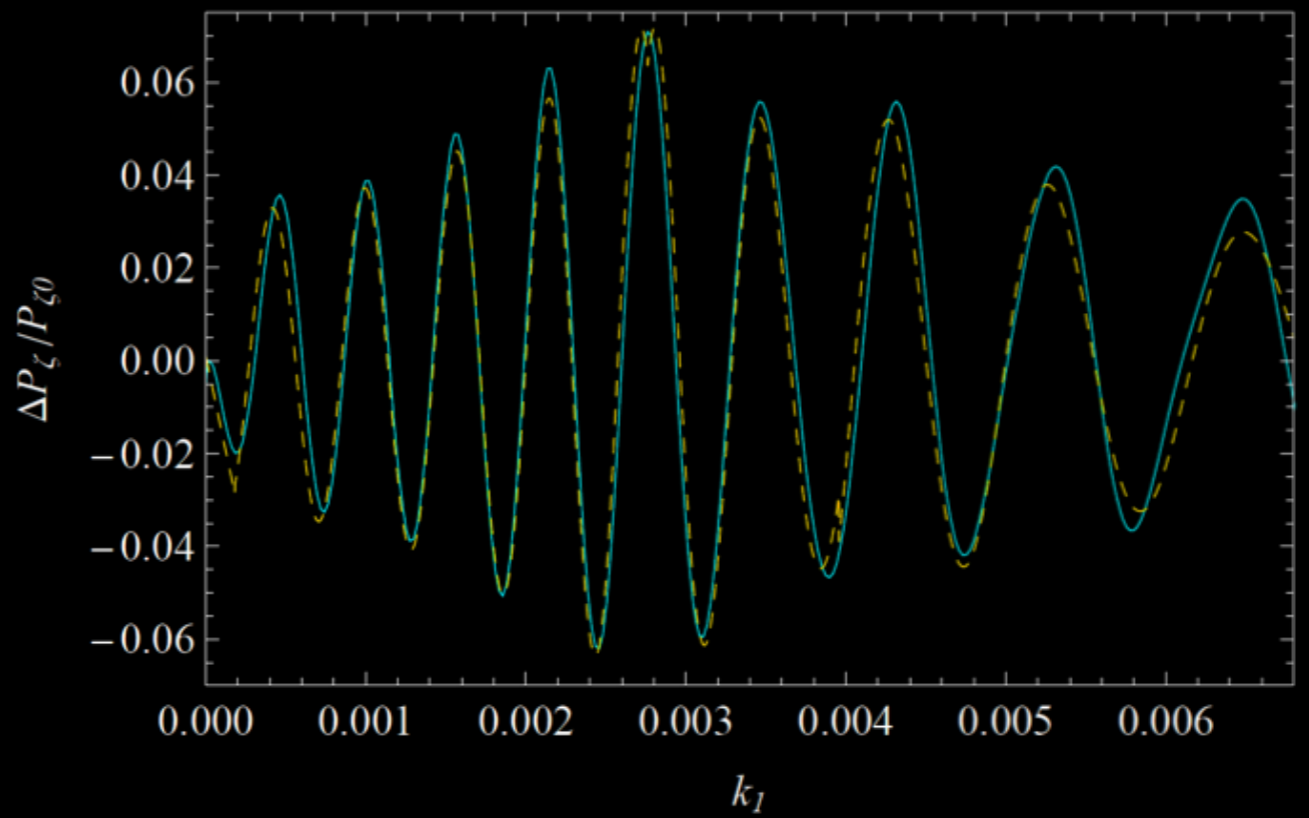
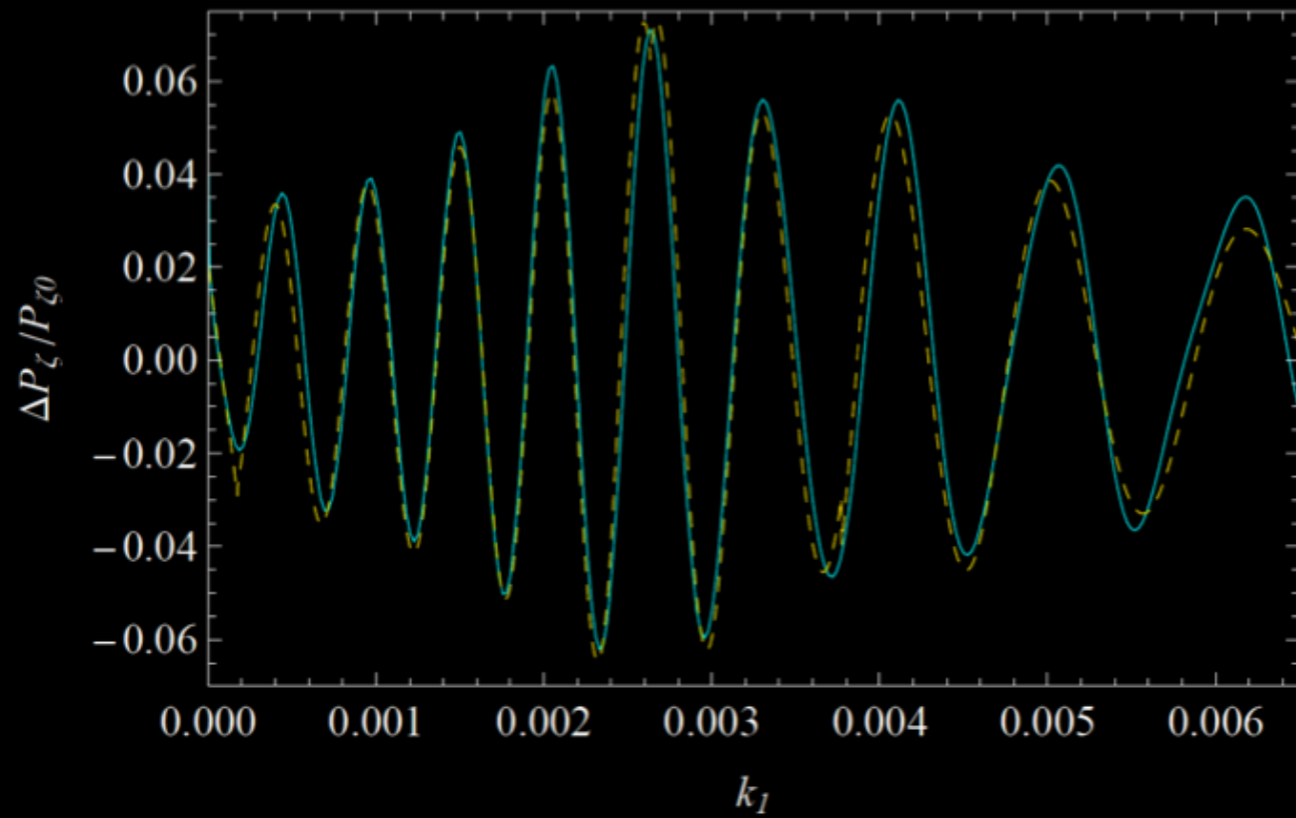


Modelling



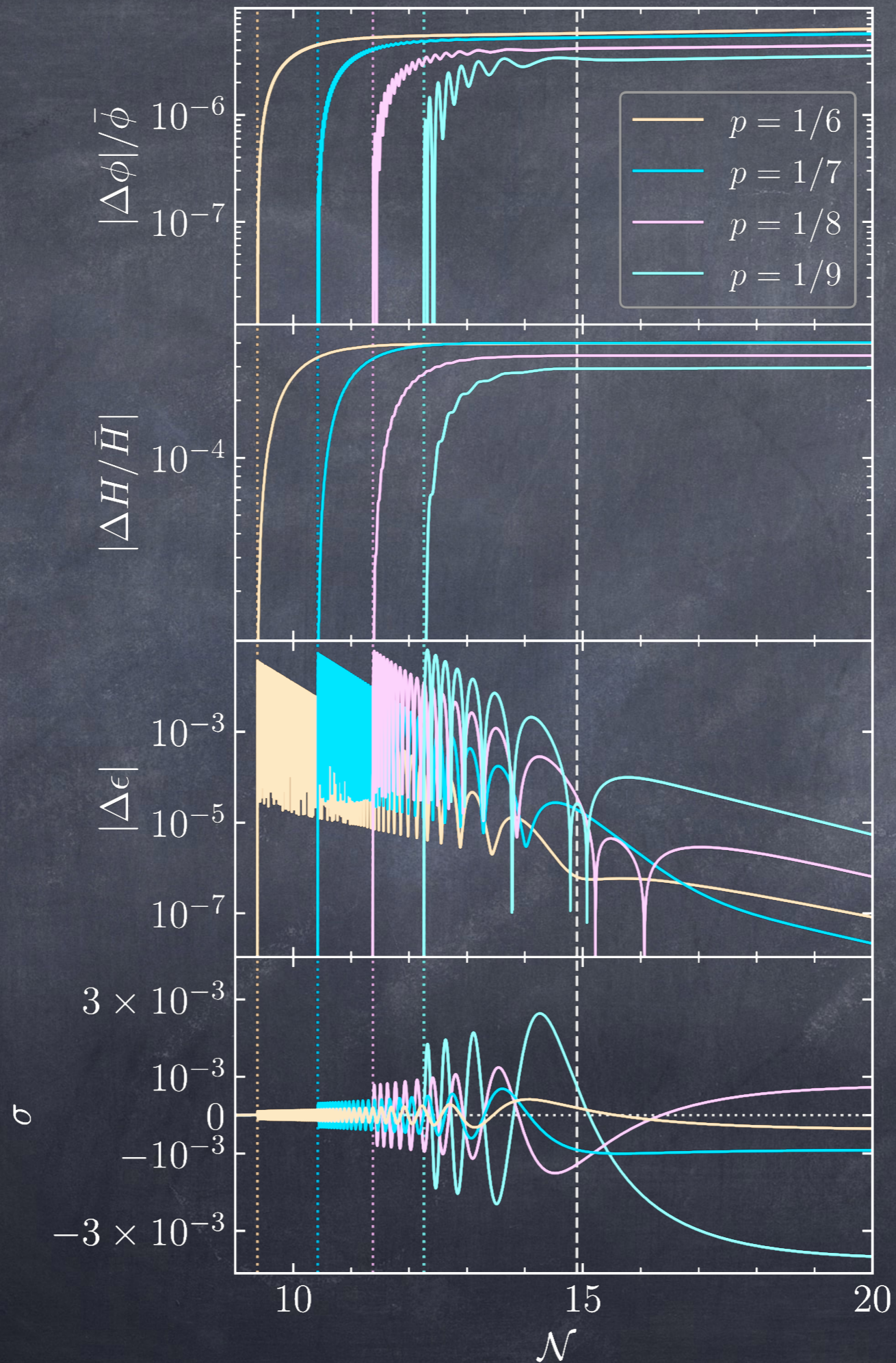


In inflation...



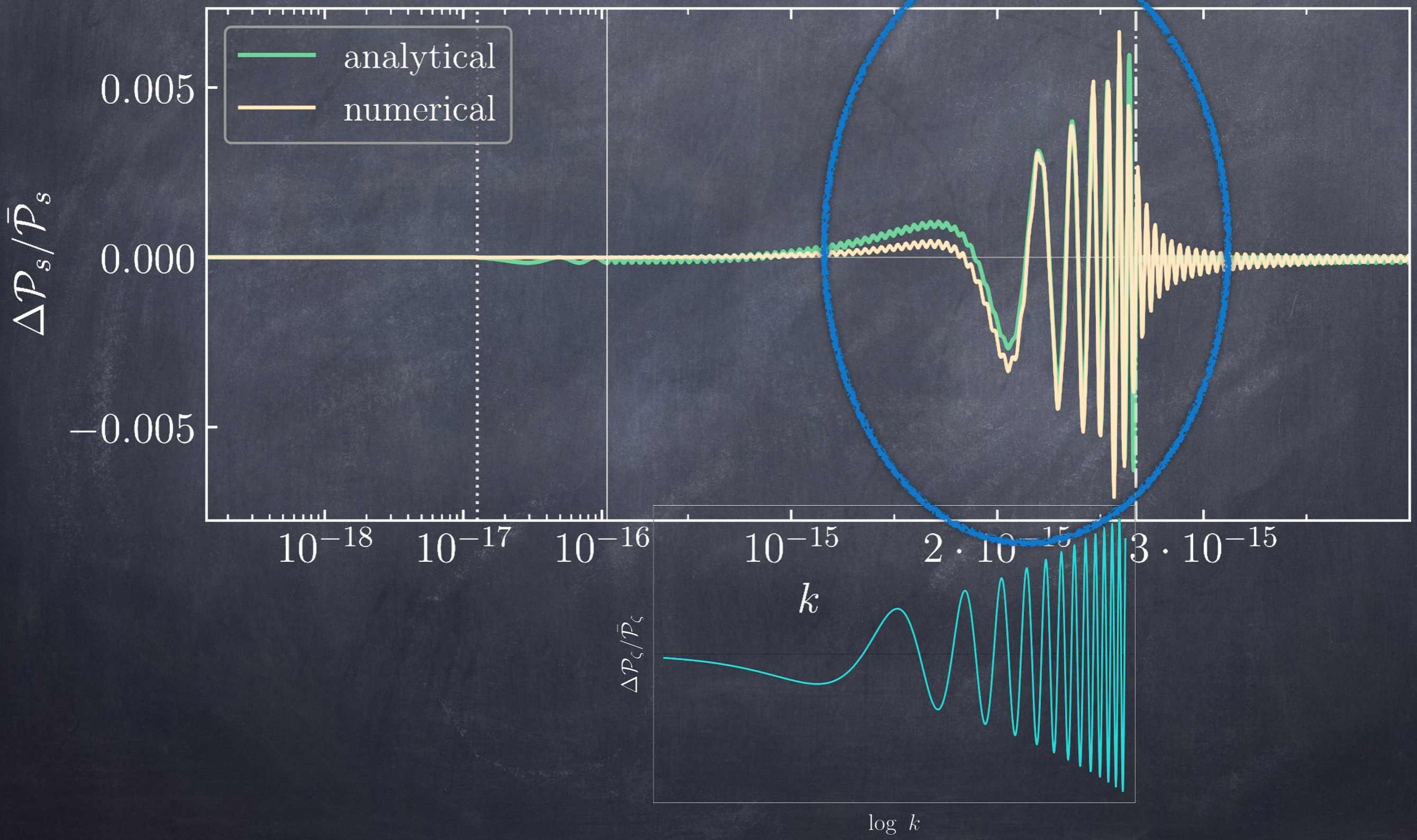
$$a(t) \propto (-t)^p, \quad t < 0$$

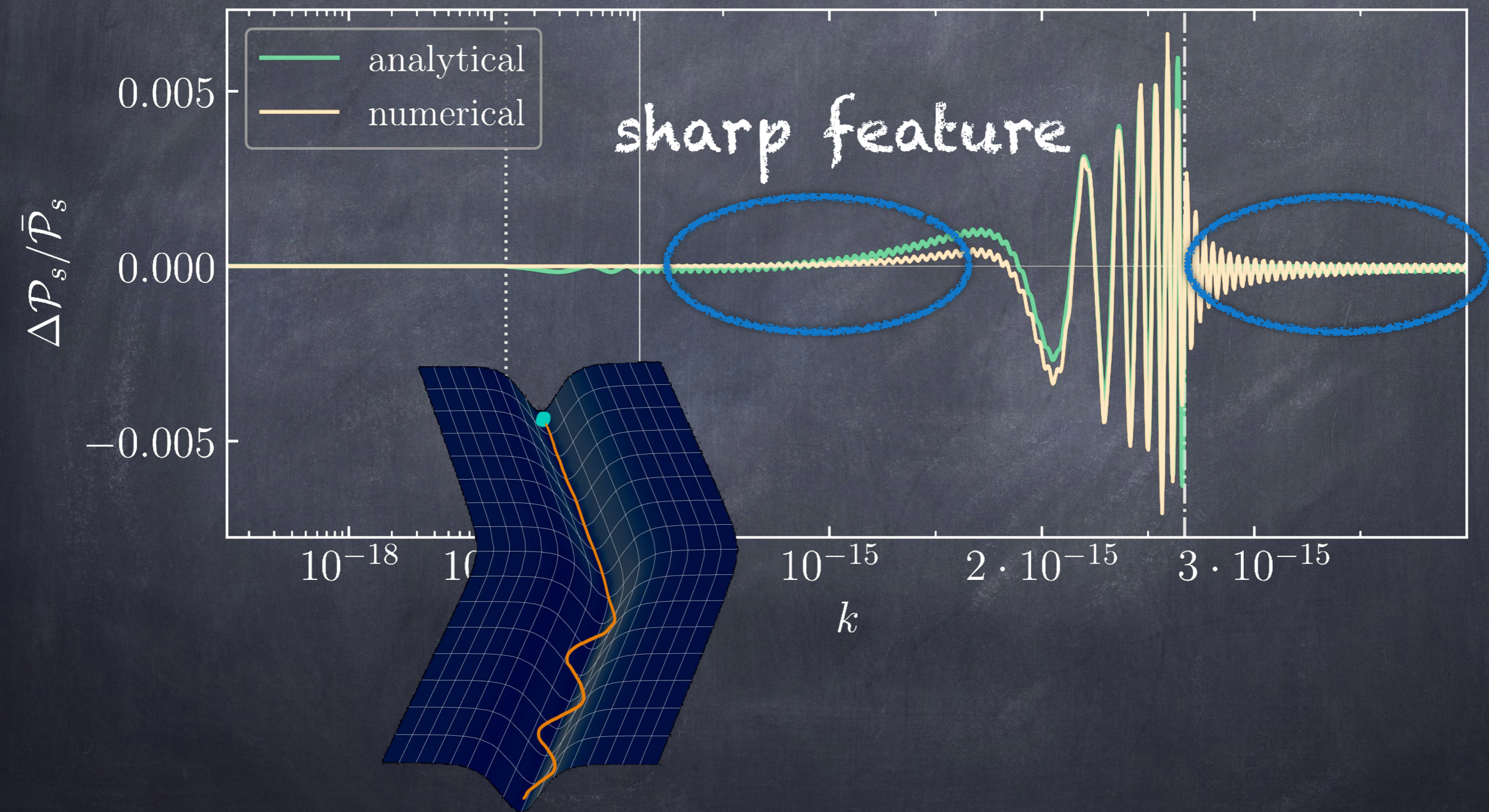
$$\epsilon \equiv -\frac{\dot{H}}{H^2}$$

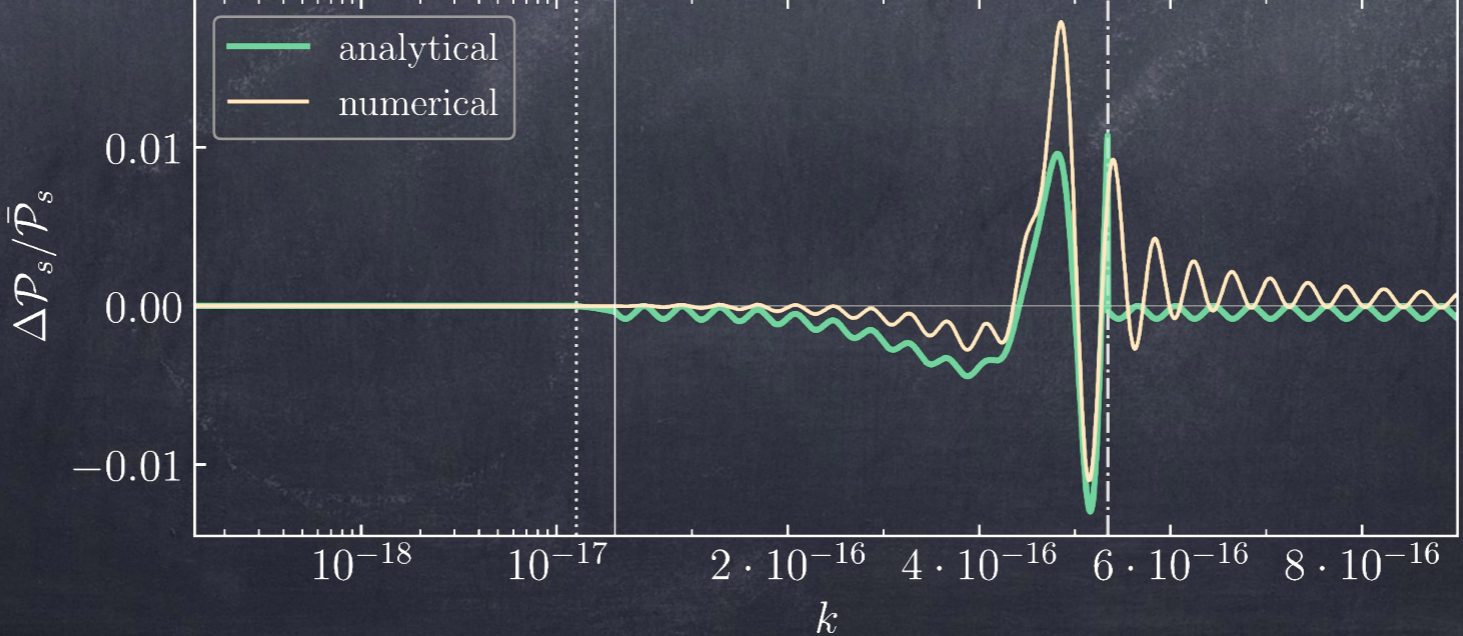
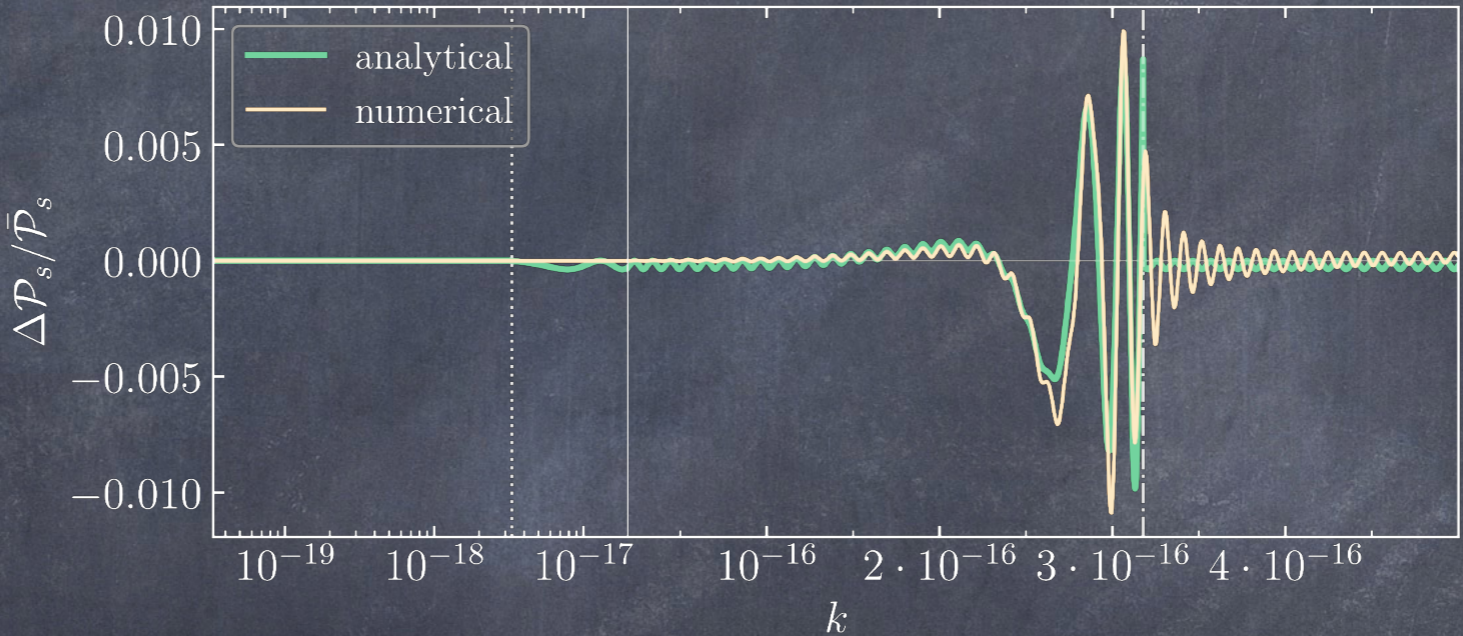
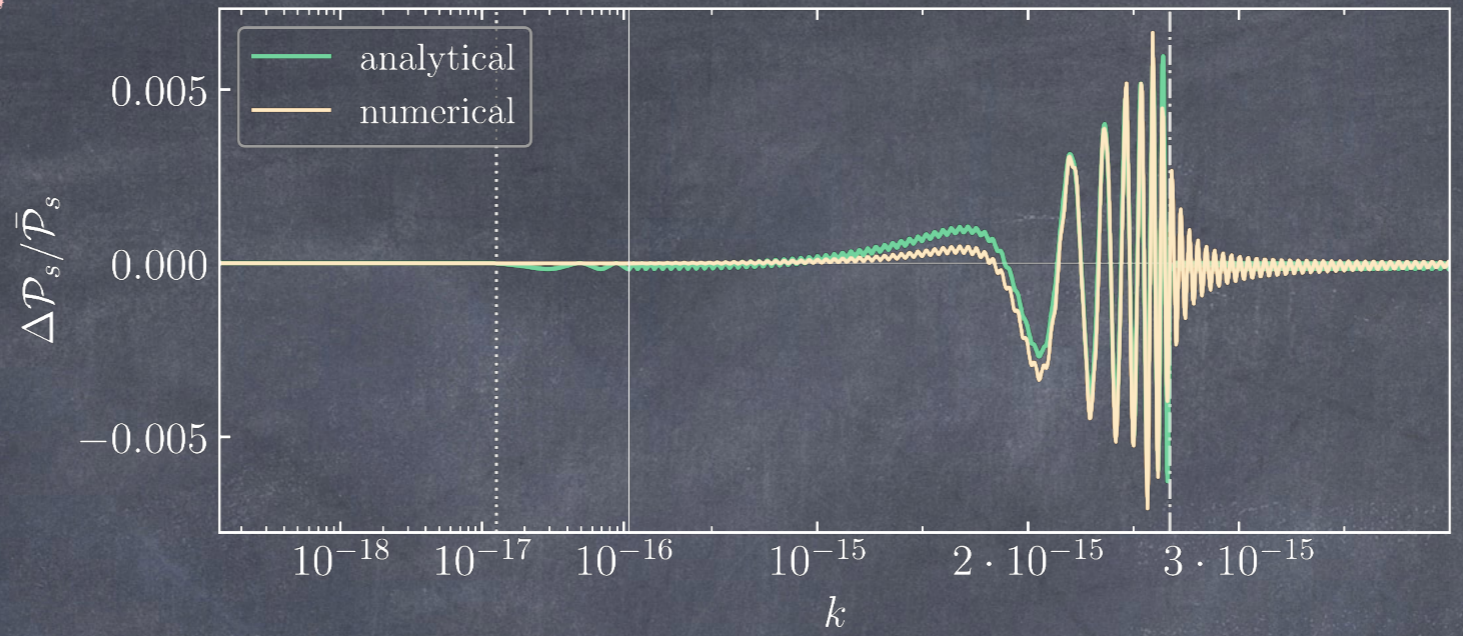
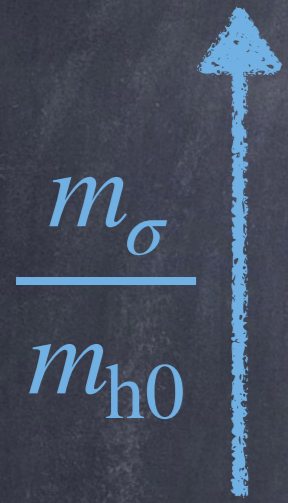


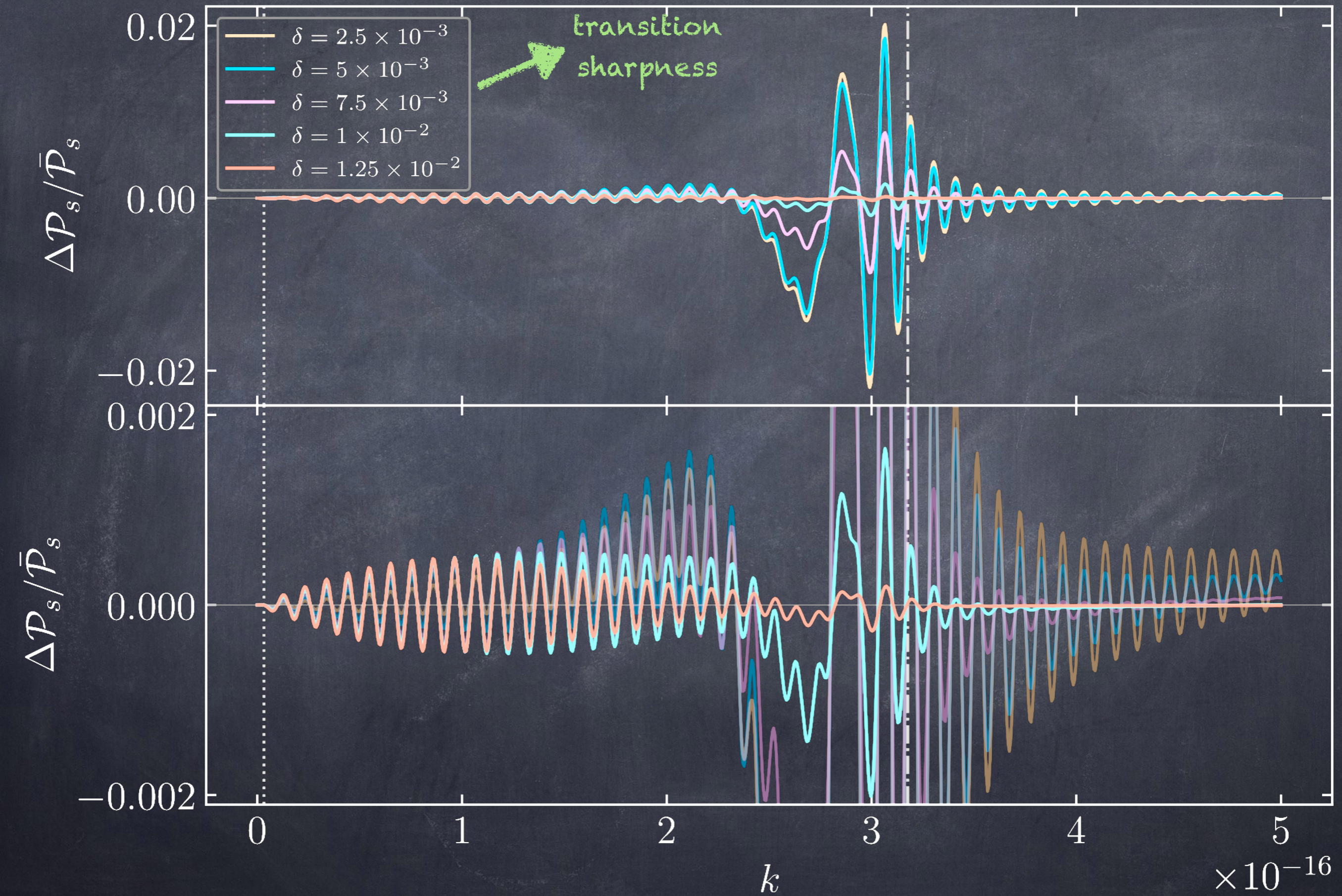
$$d\mathcal{N} \equiv d \ln(a |H|)$$

clock signal





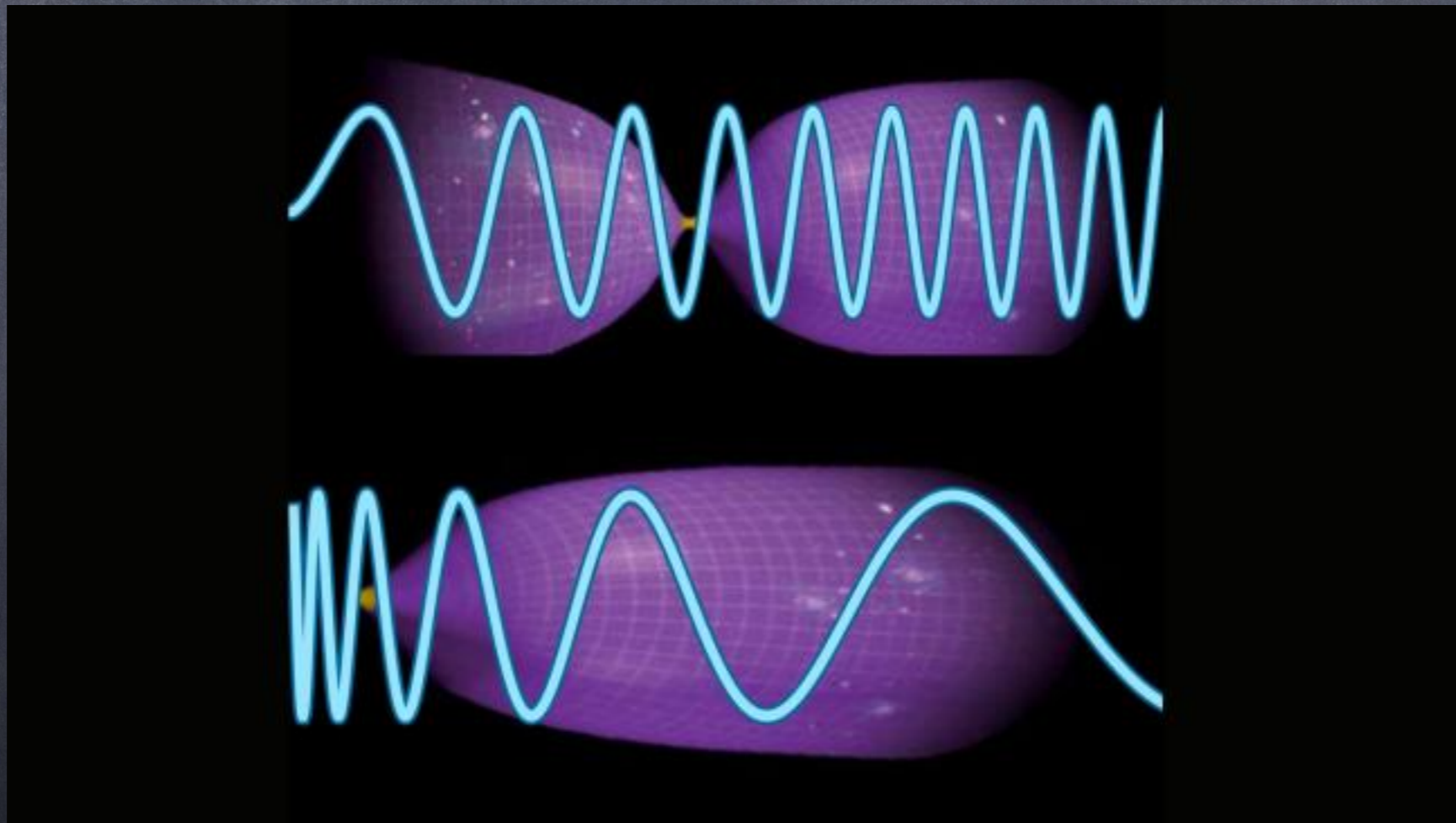




Cosmological collider

vs particle scanner:

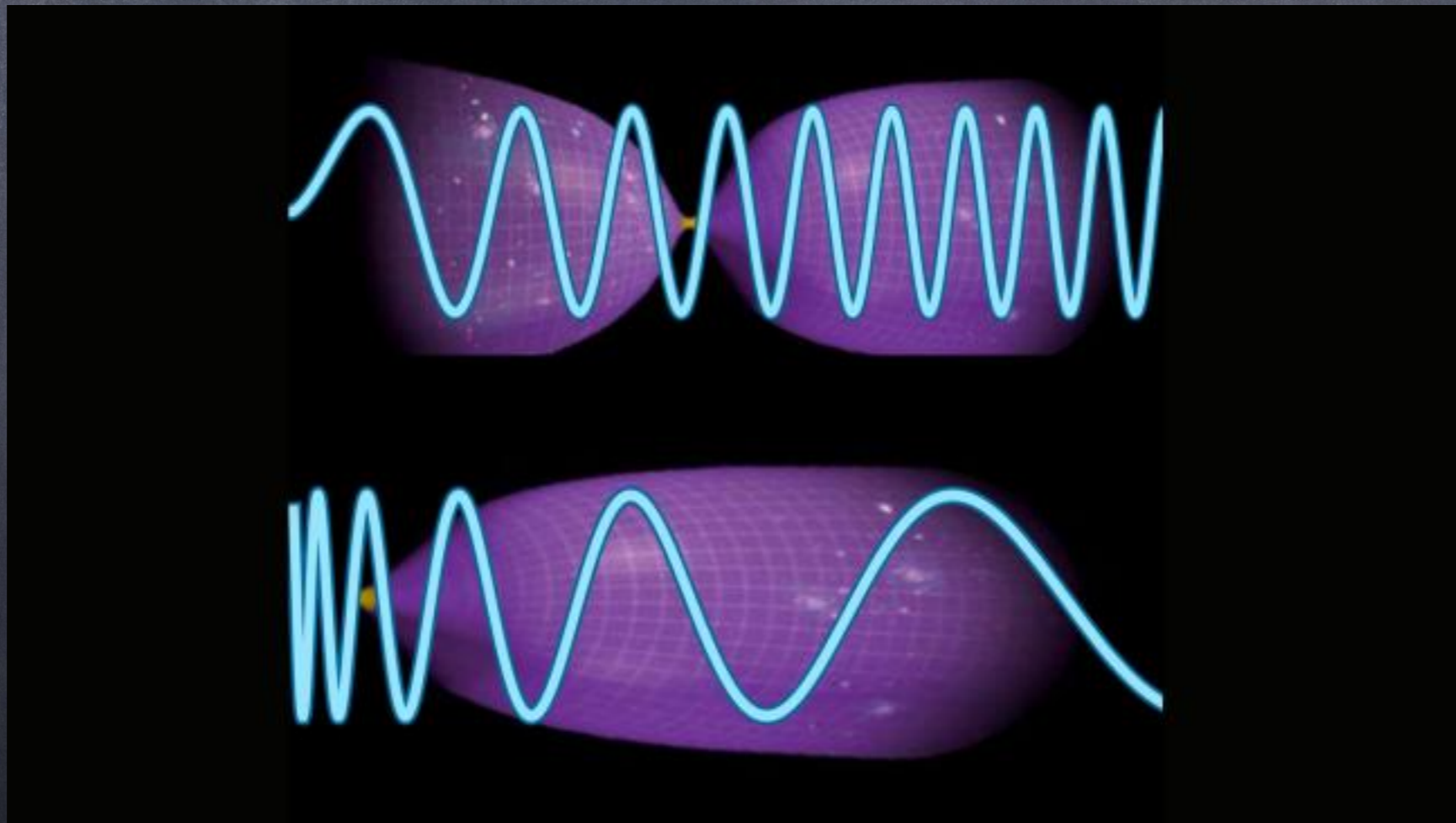
primordial features as early universe scenario
discriminator and signs of new particles



Cosmological collider

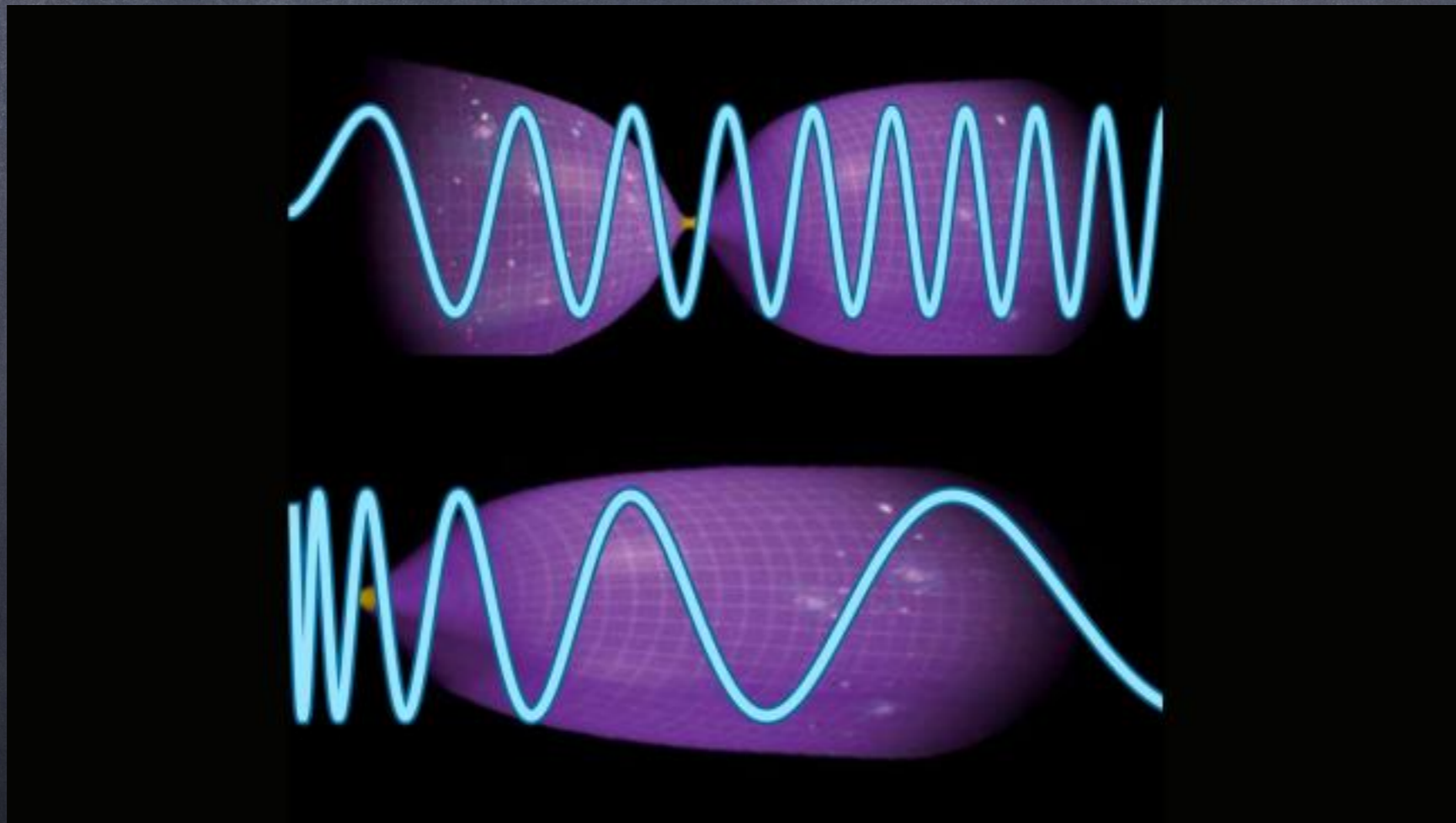
vs particle scanner:

primordial features as early universe scenario
discriminator and signs of new particles



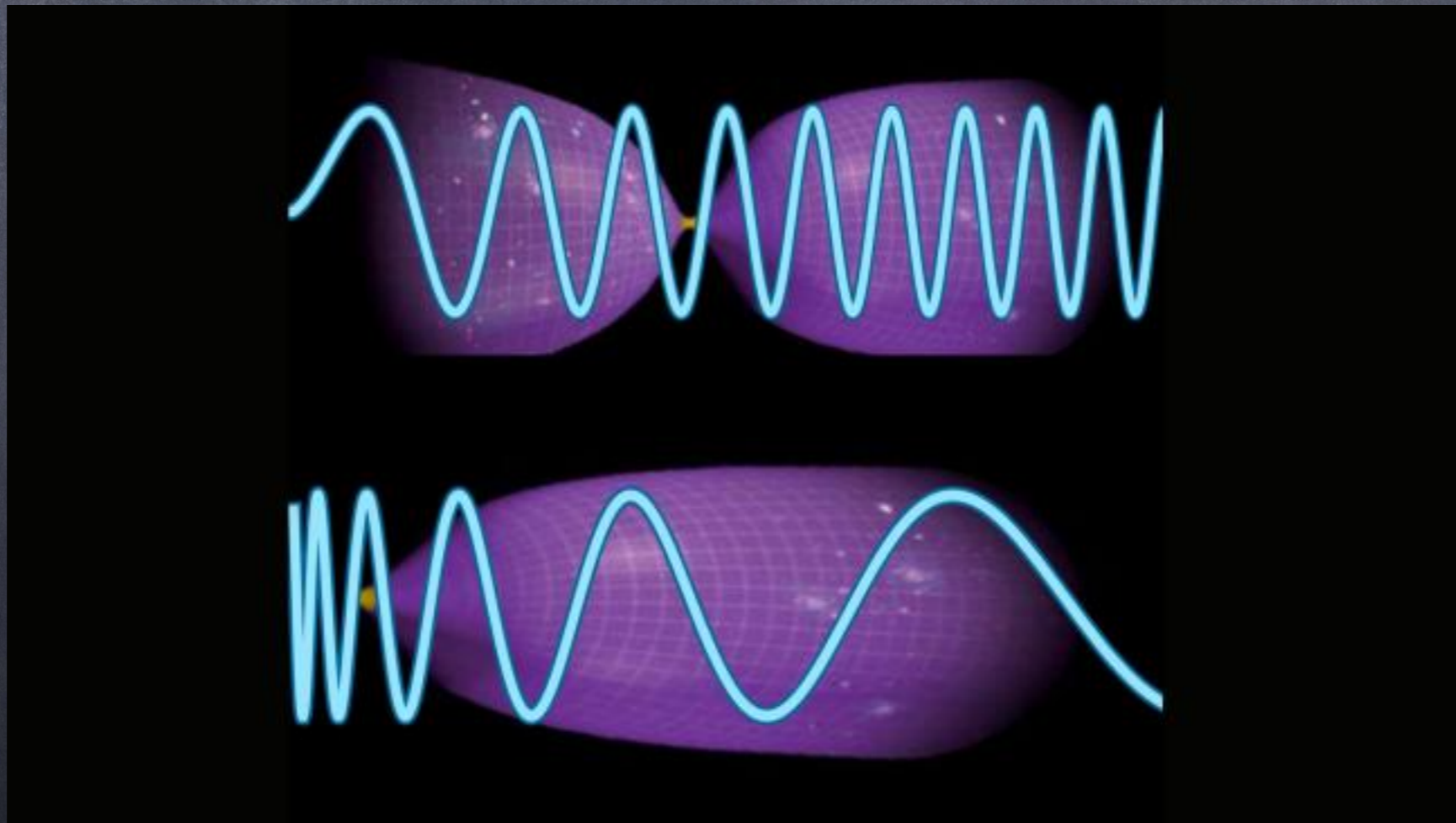
Cosmological collider vs particle scanner:

primordial features as **early universe scenario**
discriminator and signs of new particles



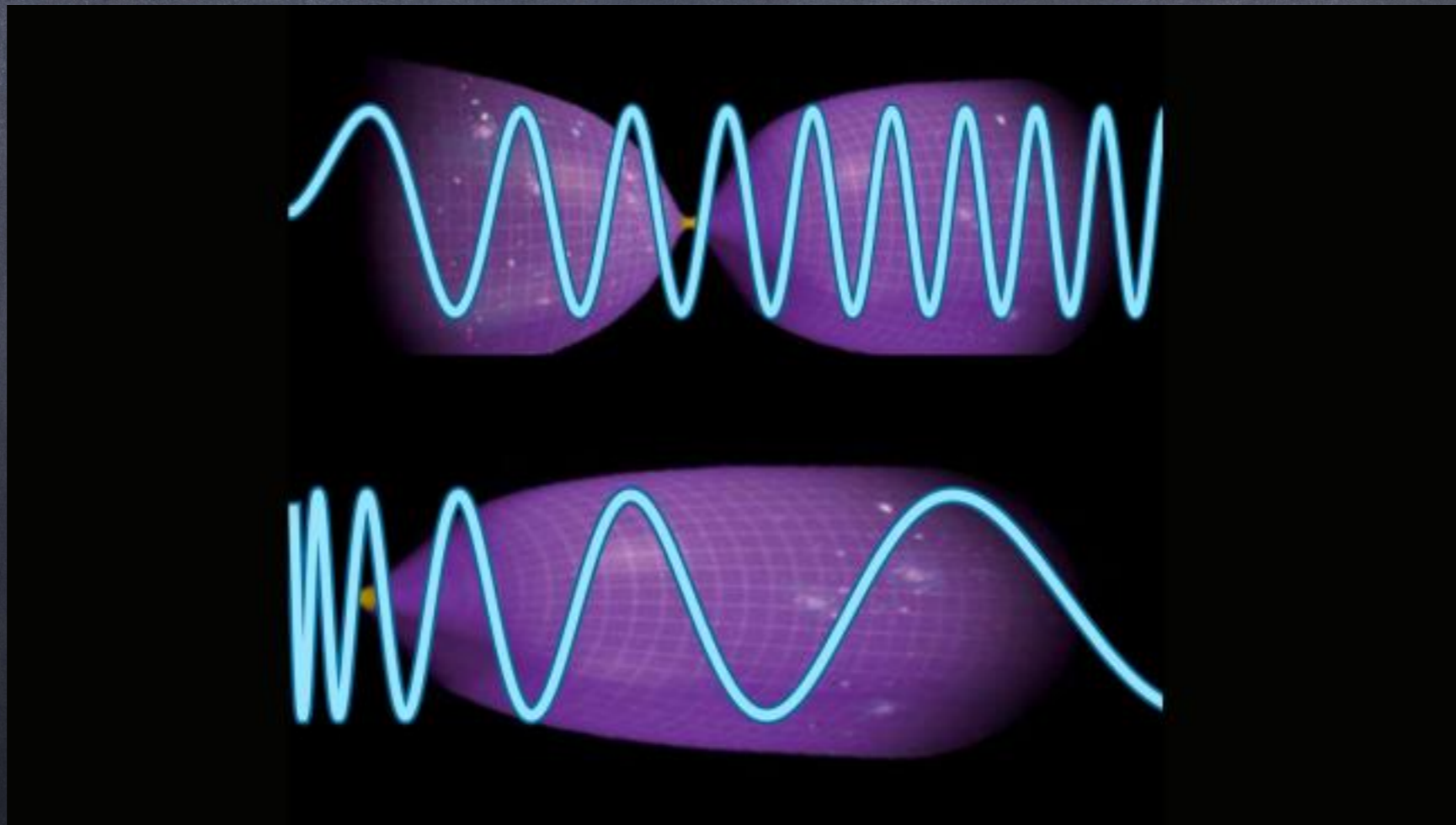
Cosmological collider vs particle scanner:

primordial features as early universe scenario
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Ongoing/
next

- connecting with data
- quantum clock
- non-Gaussianities
- (Beyond) Standard Model
massive fields
- ...



More in arXiv:2405.11016

Thank you for your attention!

Questions?

