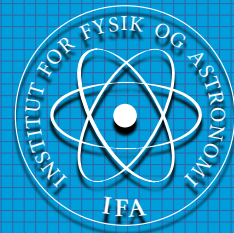


# ISOL-like beams of $^{22}\text{Al}$ and $^{26}\text{P}$ at FRIB

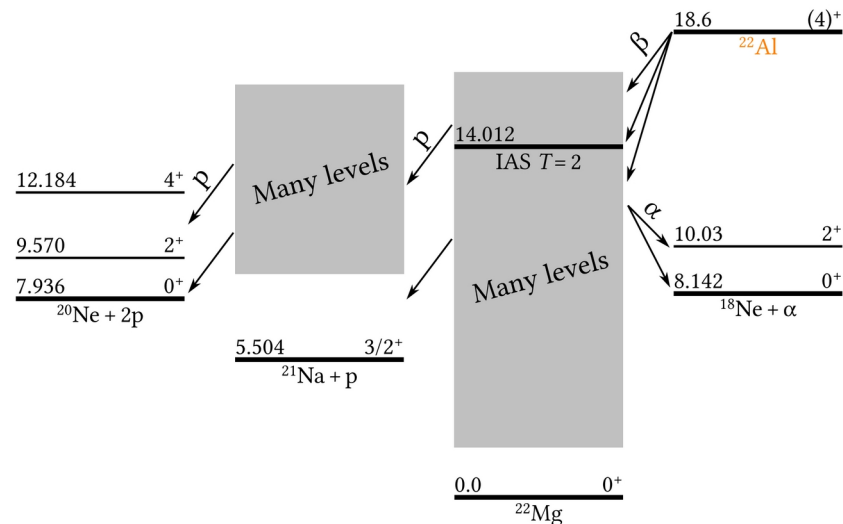
ISOLDE Workshop 2023

Erik A. M. Jensen — Aarhus Universitet, DK



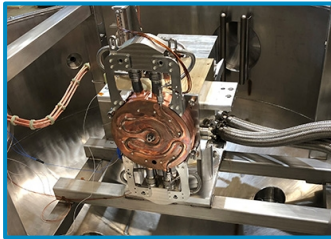
# Outline

- Briefly: FRIB, beam production and beam cooling
- Detection setup: DSSDs and HPGe
- Physics results on  $^{22}\text{Al}$  &  $^{26}\text{P}$ :  $\beta 2p$ ,  $\beta\alpha$ , ...



# From in-flight beams to ISOL-like beams

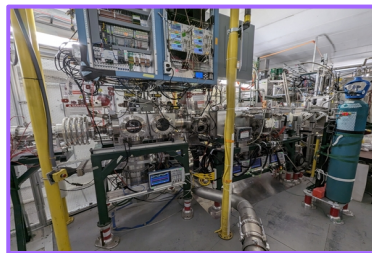
- **Front End:**  $^{36}\text{Ar}$
- **Production Target:**  $^{12}\text{C}$
- **Fragment Separator:**  
~16k pps of  $^{22}\text{Al}$  @ 105 MeV/u
- **Gas Stopping:**
  - 2 helium-filled gas cells – Room Temp. & Cryo
  - Momentum compression and stopping
  - Some filtering of isotopes of interest, but also introduction of new contaminants (molecules)
- **BECOLA:** 5–10 pps of  $^{22}\text{Al}$  @ 30 keV
  - Beam of ISOL quality!



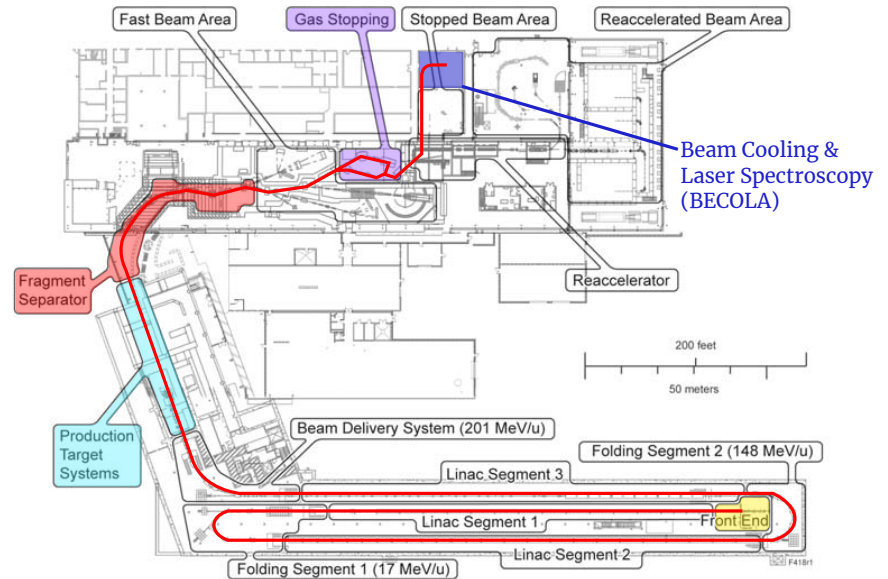
<https://frfb.msu.edu>

Large losses between  
Fragment Separator and Gas Stoppers

5–10 pps still an order of magnitude  
more than previously seen in studies  
utilising implantation of in-flight beams



C. Sumitthrarachchi



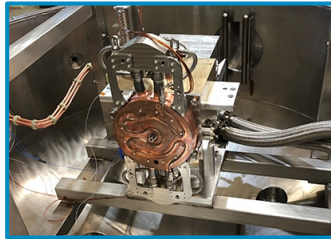
Layout of FRIB.  
Adapted from AIP Conf. Proc. **1434**, 94 (2012).

# From in-flight beams to ISOL-like beams

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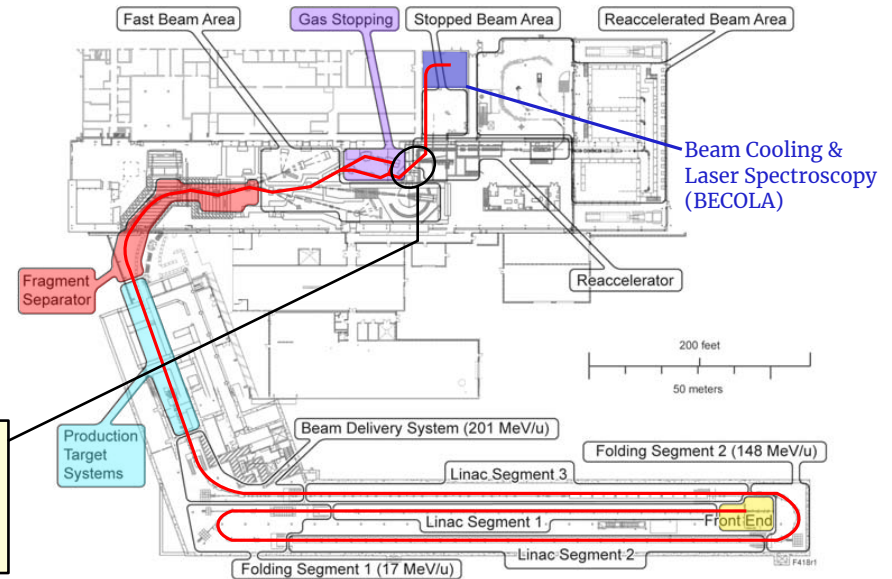
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<https://frim.msu.edu>



C. Sumit

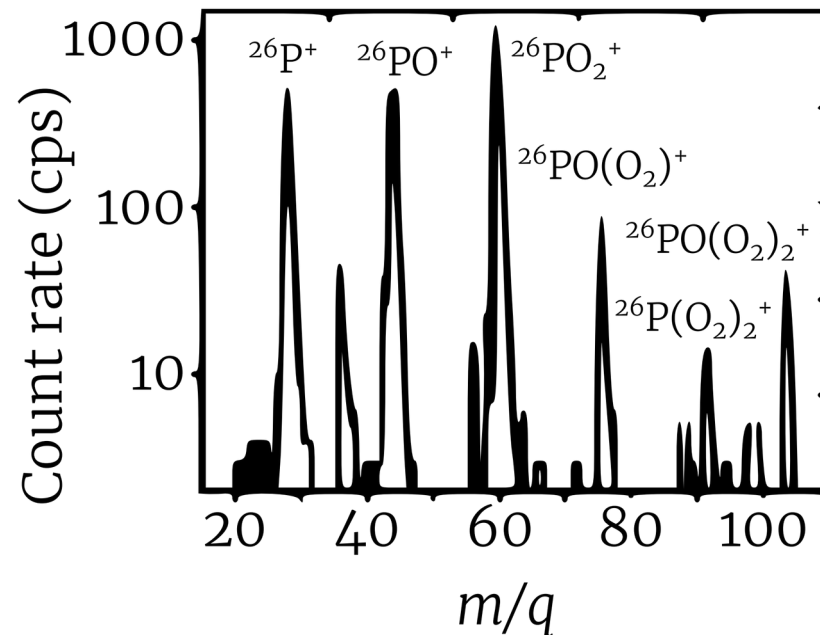


Layout of FRIB.  
Adapted from AIP Conf. Proc. **1434**, 94 (2012).

# What comes out of the gas cell

- Even with >99 % pure helium gas, various molecules emerge from the gas cell
- Have to pick one mass to send to our detection setup
- For  $^{26}\text{P}$ ,  $^{25}\text{SiH}$ -ligands are also present

	Constrained by cross sections at ...	Constrained by chemistry at ...
ISOL	Target	Target + Ion Source
In-flight	Target	Gas cell



Mass scan just after gas cell.  
Courtesy of Chandana Sumithrarachchi, Gas Cell Group at FRIB.

# Detection setup

Silicon cube:

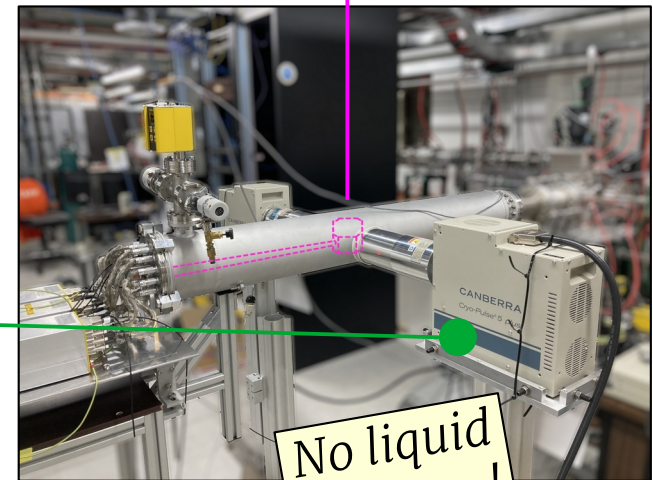
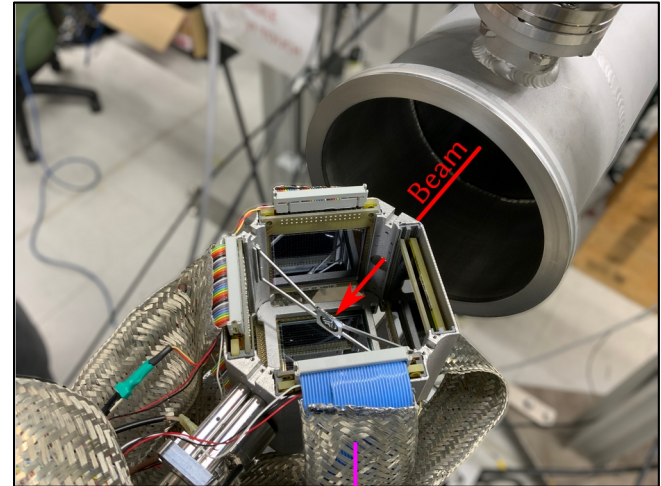
- 6  $\Delta E$ -E silicon detector telescopes
- $\Delta E$  detectors are 16x16 DSSSDs
- $\sim 35\%$  of  $4\pi$  for  $\beta p/\beta\alpha$

Beam: 30 keV  $^{22}\text{Al}$  and  $^{26}\text{P}$  stopped in thin carbon foil

Chamber: 2 mm aluminium for low gamma attenuation

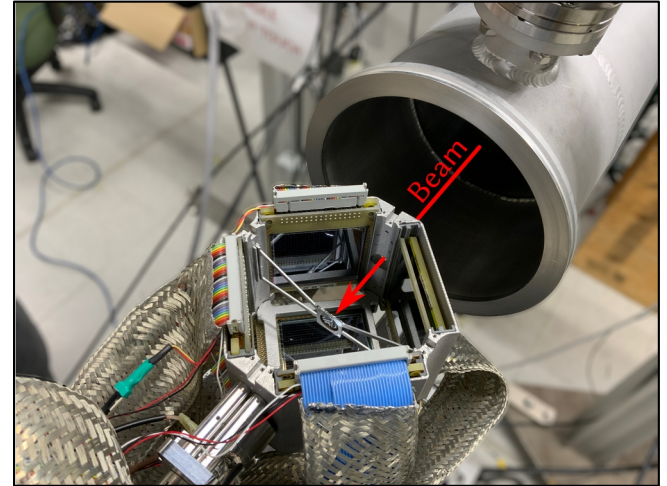
Germaniums:

- 2 mechanically cooled coaxial HPGe
- Overall efficiency at 1 MeV  $\sim 2\%$



# Silicon cube

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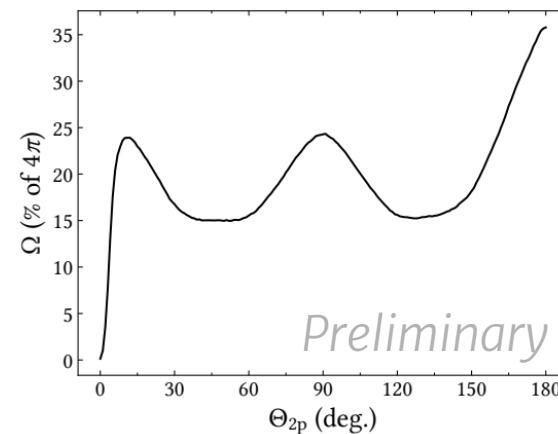
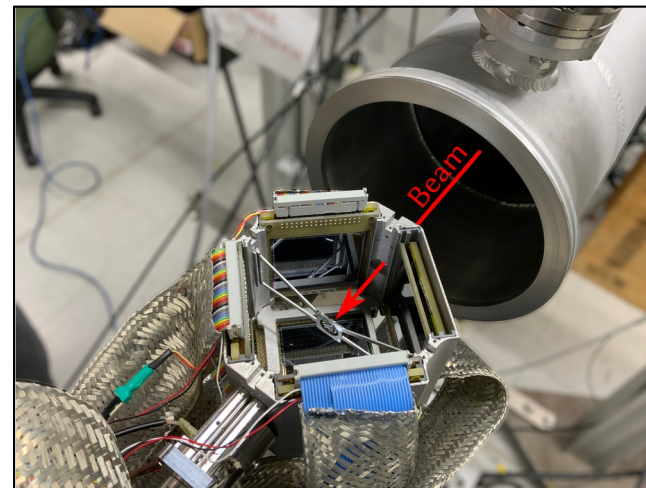
Angular resolution  $\sim 4^\circ$ , worst-case

- Good energy resolution from energy loss corrections

For  $\beta 2p$ , detection efficiency depends on opening angle  $\Theta_{2p}$  between 1<sup>st</sup> and 2<sup>nd</sup> proton

Simulations of various  $\Theta_{2p}$  in setup geometry must correct for observed distributions of  $\Theta_{2p}$

Variation of  $\Omega$  vs.  $\Theta_{2p}$  reasonable; symmetric setup





# The data – $^{22}\text{Al}$

Two-proton events:

Plot individual proton energies  $E_i$  against  $Q_{2p}$  value of two-proton decay  $Q_{2p}$

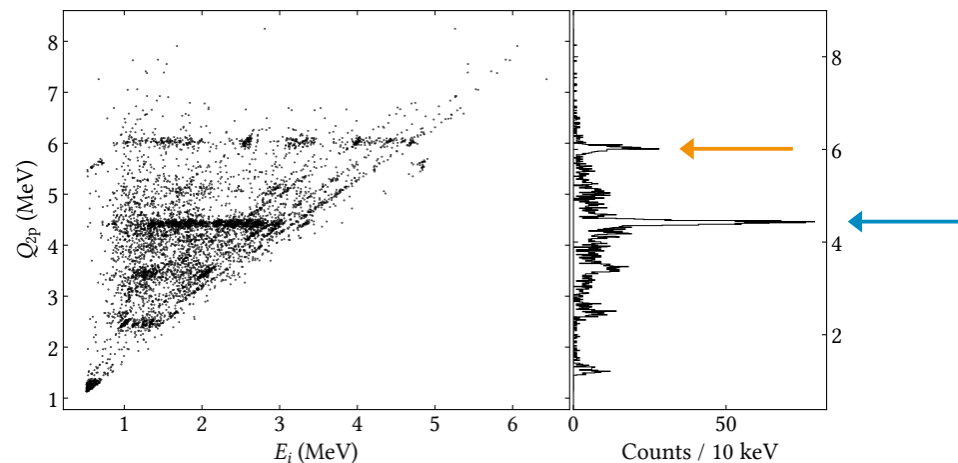
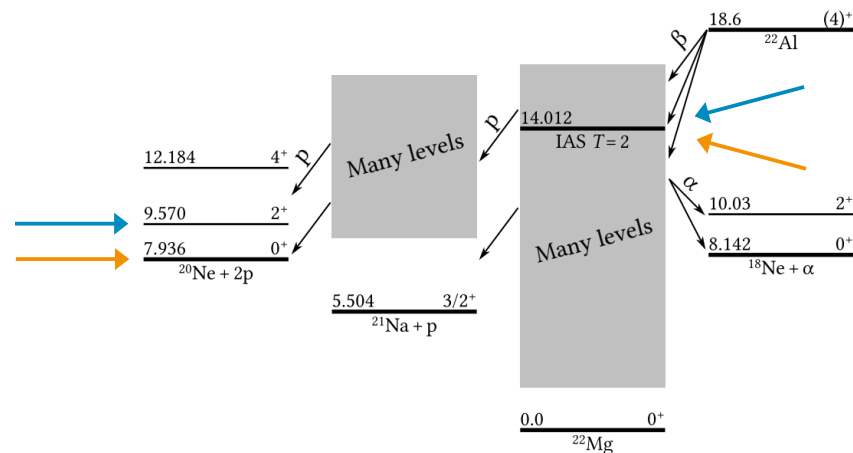
Per  $Q_{2p}$  value there are two values of  $E_i$

Previously, only two  $Q_{2p}$  peaks known:

- $^{22}\text{Mg}$  IAS  $\rightarrow$   $^{21}\text{Na}^* \rightarrow$   $^{20}\text{Ne}$   $0^+$
- $^{22}\text{Mg}$  IAS  $\rightarrow$   $^{21}\text{Na}^* \rightarrow$   $^{20}\text{Ne}$   $2^+$

$Q_{2p}$  determined from  $E_1, E_2, \Theta_{2p}$ :

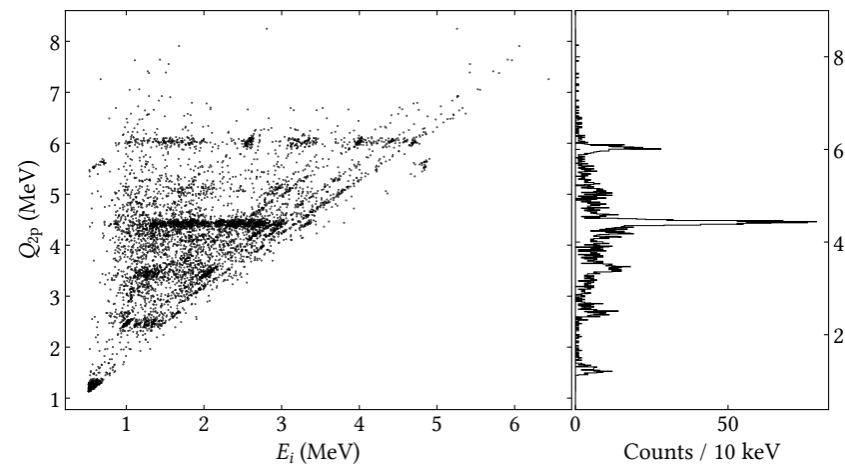
$$Q_{2p} = E_1 + E_2 + m_p(E_1 + E_2 + 2\sqrt{E_1 E_2} \cos \Theta_{2p}) / M_{^{20}\text{Ne}}$$



# Sequential $\beta 2p$

$Q_{2p}$  determined from  $E_1, E_2, \Theta_{2p}$ :

$$Q_{2p} = E_1 + E_2 + m_p(E_1 + E_2 + 2\sqrt{E_1 E_2} \cos \Theta_{2p}) / M_{20\text{Ne}}$$



# Sequential $\beta 2p$

Understanding the „Fynbo plot“:

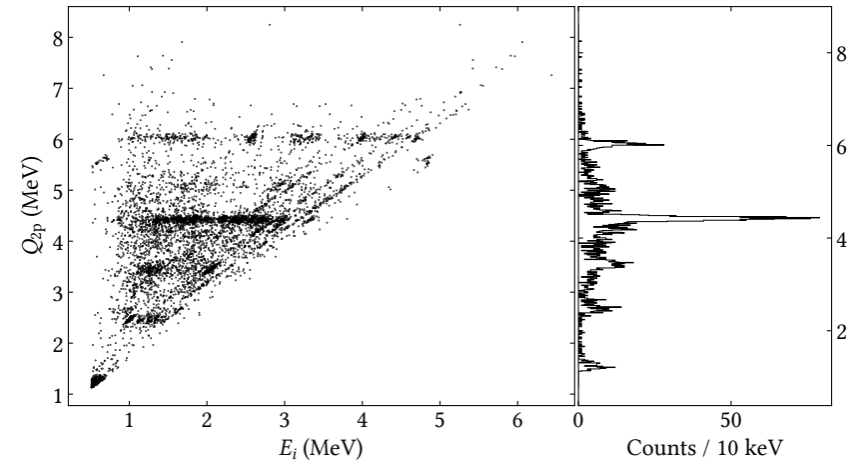
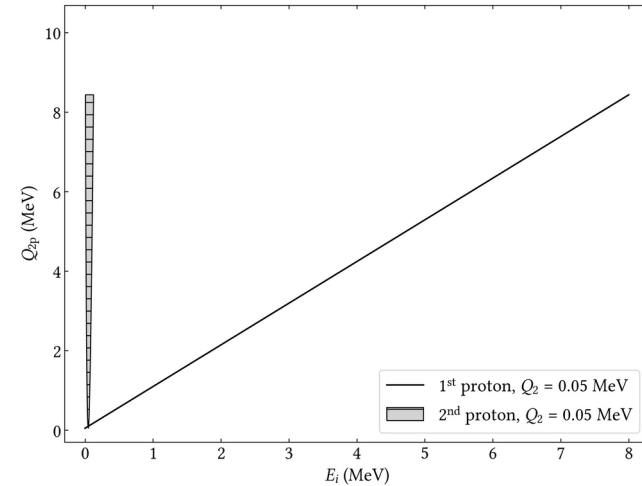
- For sequential decay, we have

$$\begin{aligned} Q_{2p} &= Q_1 + Q_2 \\ &= \frac{M_{21\text{Na}} + m_p}{M_{21\text{Na}}} E_1 + Q_2 \end{aligned}$$

- i.e. 1<sup>st</sup> emitted proton generally follows straight line of slope  $\sim 1$  with offset determined by energy release of 2<sup>nd</sup> proton,  $Q_2$

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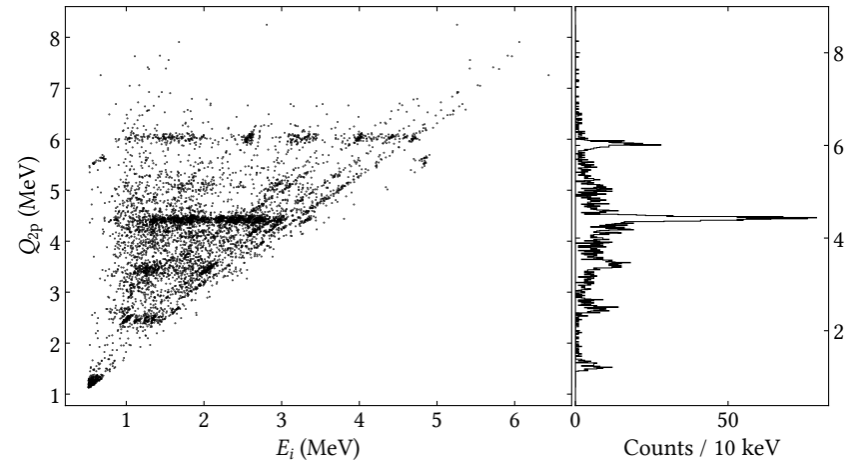
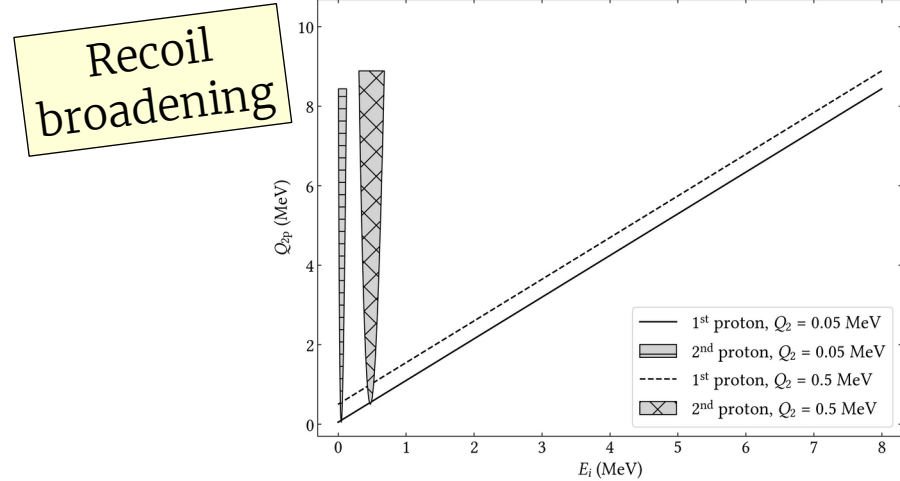
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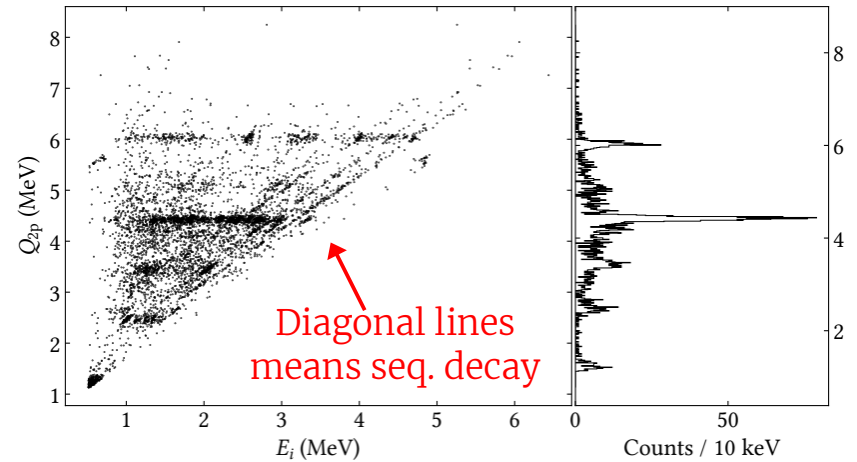
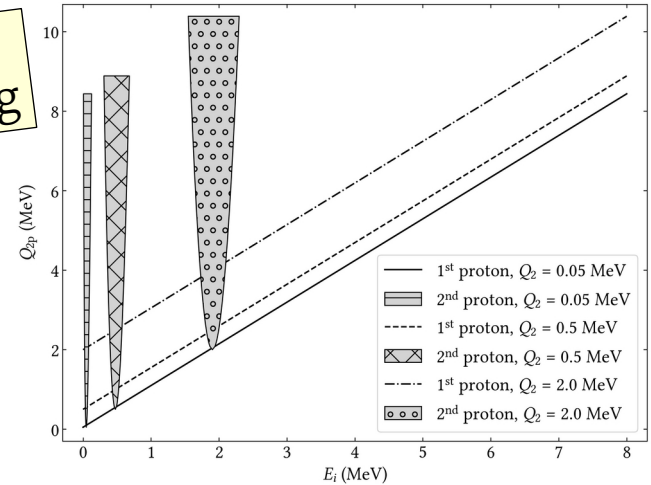
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Recoil broadening



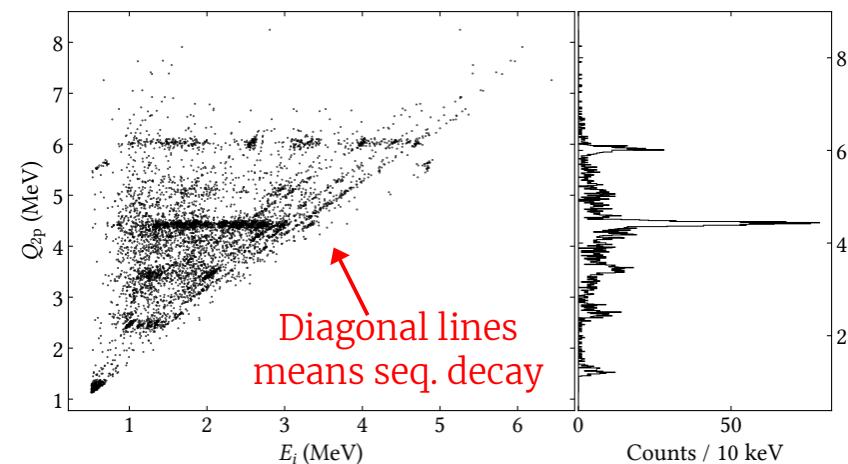
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# Sequential $\beta 2p$

For sequential decay:

$E_1$  is constant w.r.t.  $\cos\Theta_{2p}$ , while

$E_2$  depends linearly on  $\cos\Theta_{2p}$ :

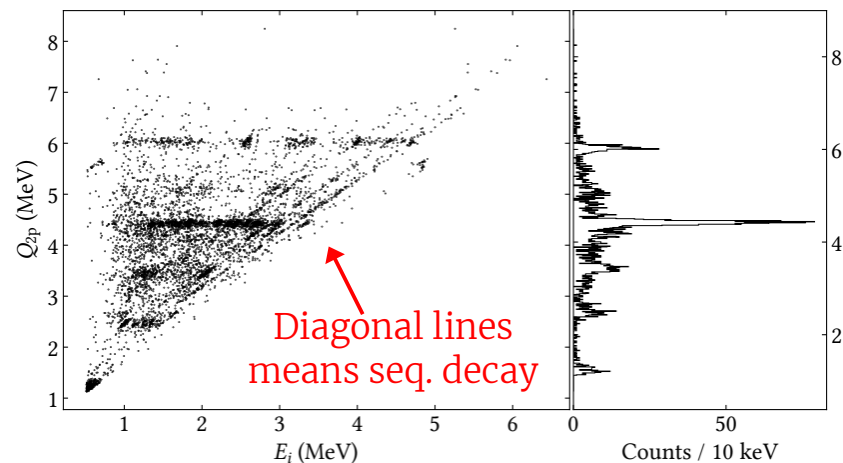
$$E_2 = E_2' + m_p^2 E_1 / M_{21\text{Na}}^2 - 2m_p \sqrt{E_1 E_2'} \cos \Theta_{2p} / M_{21\text{Na}}$$

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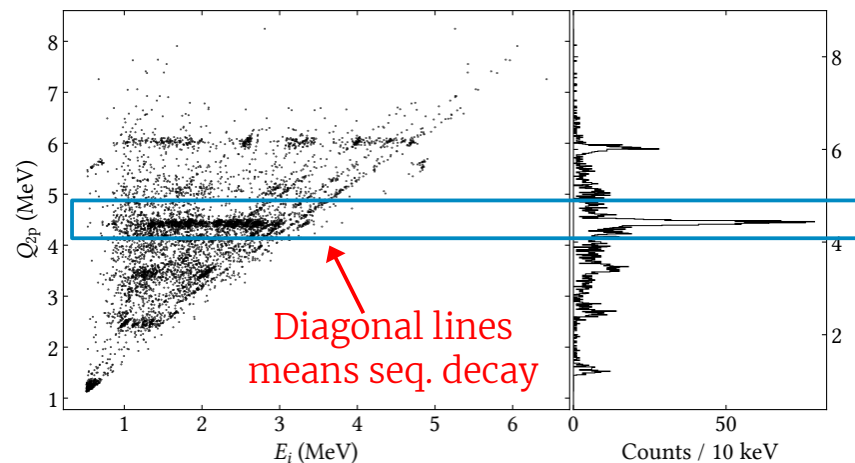
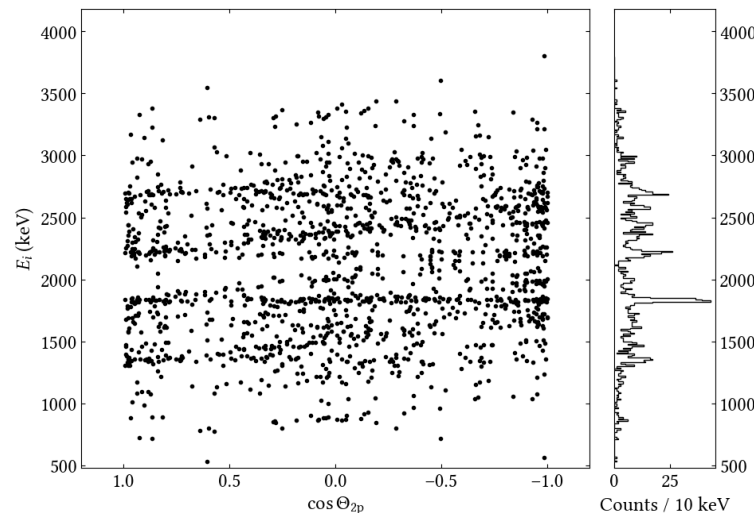
Gating on specific  $Q_{2p}$  peaks allows us to examine population of intermediate states

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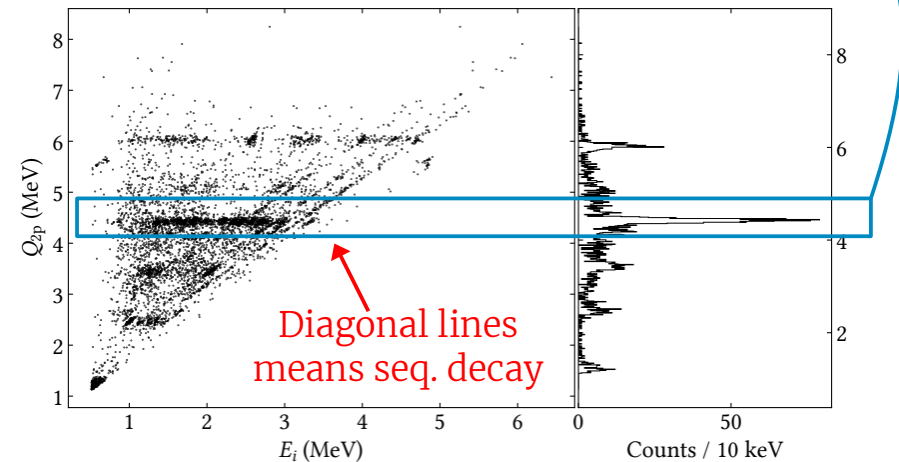
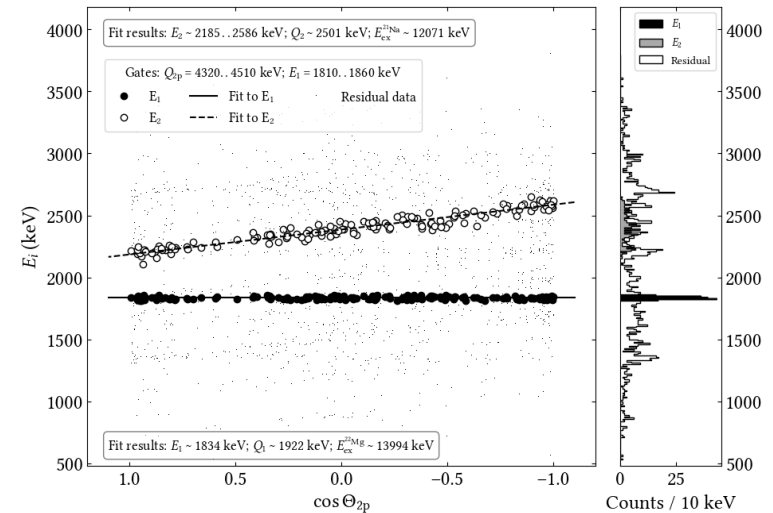
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# Sequential $\beta 2p$

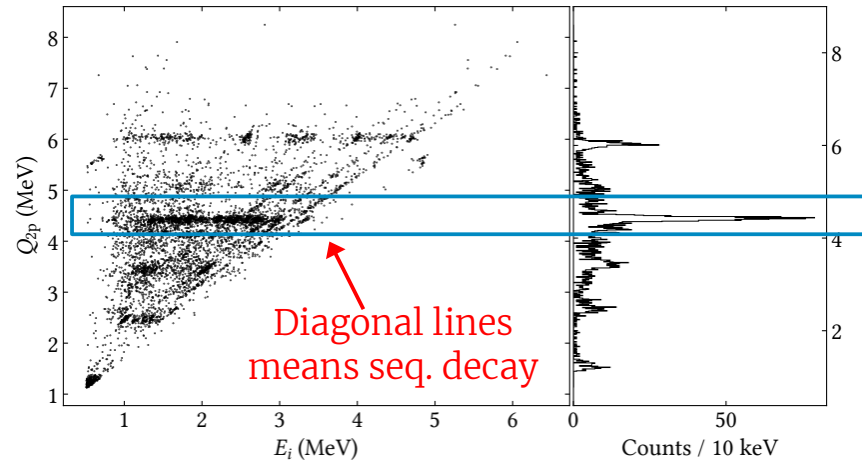
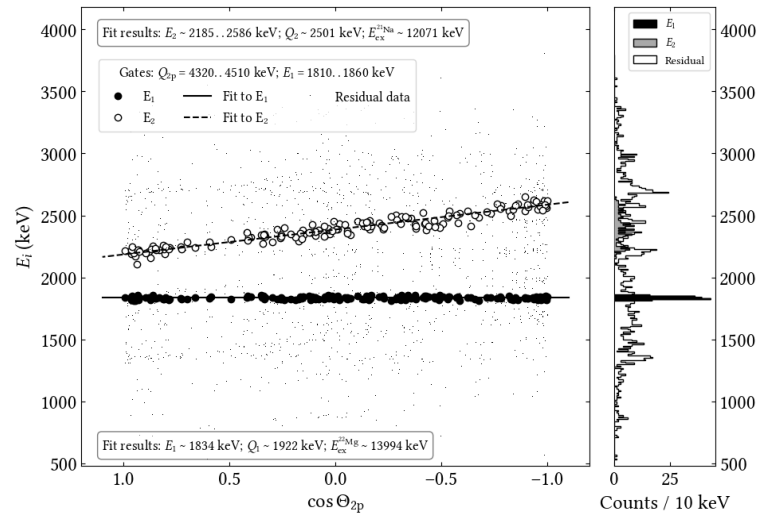
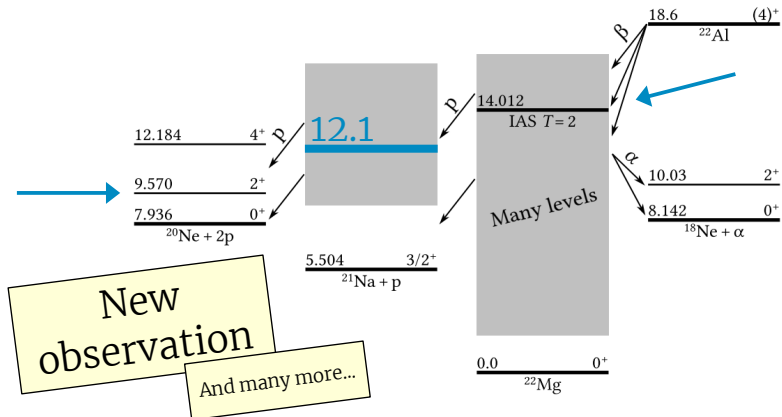
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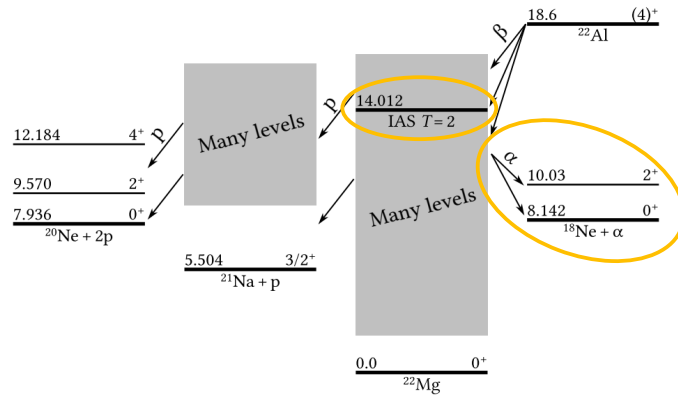
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Gating on specific  $Q_{2p}$  peaks allows us to examine population of intermediate states



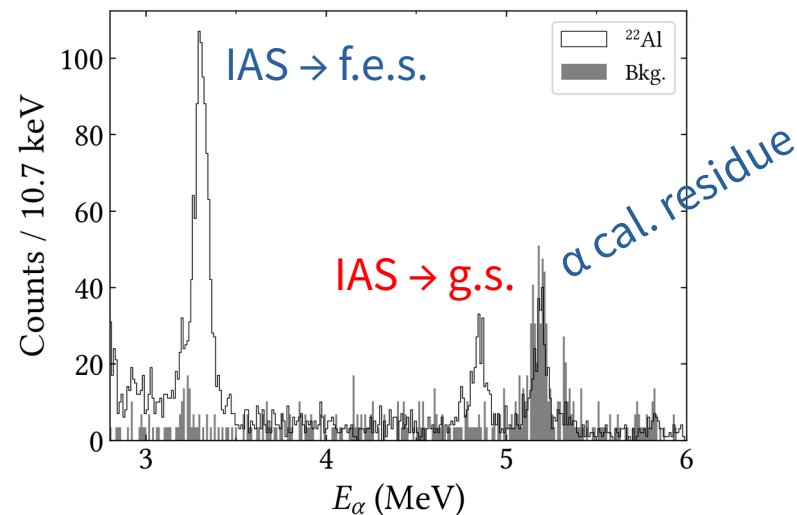
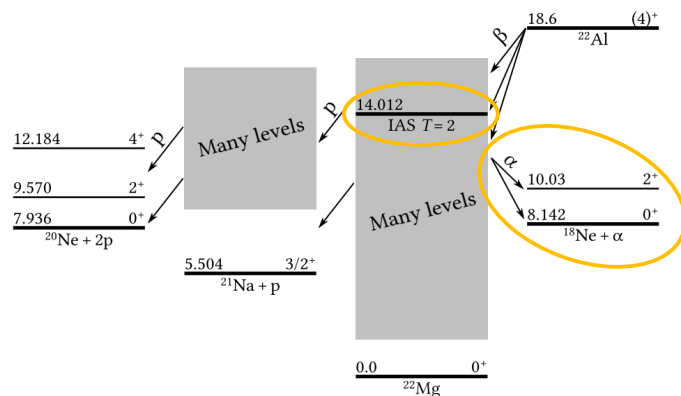
# $\beta\alpha$ from $^{22}\text{Al}$



# $\beta\alpha$ from $^{22}\text{Al}$

First observation of  $\beta\alpha$   
from  $^{22}\text{Mg}$  IAS to  $^{18}\text{Ne}$  g.s.

This confirms  $J=4$  assignment of IAS  
and, hence,  $J=4$  assignment of g.s. of  $^{22}\text{Al}$

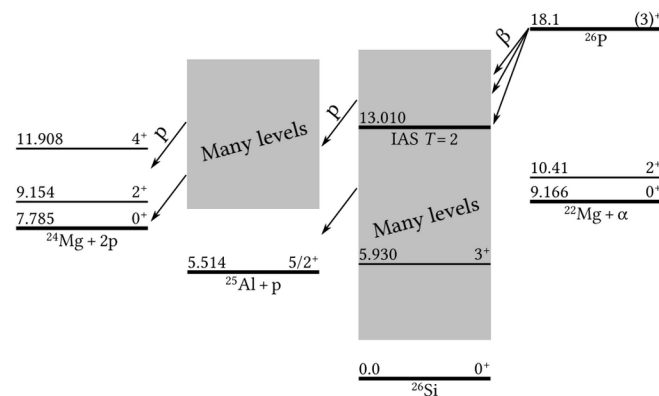
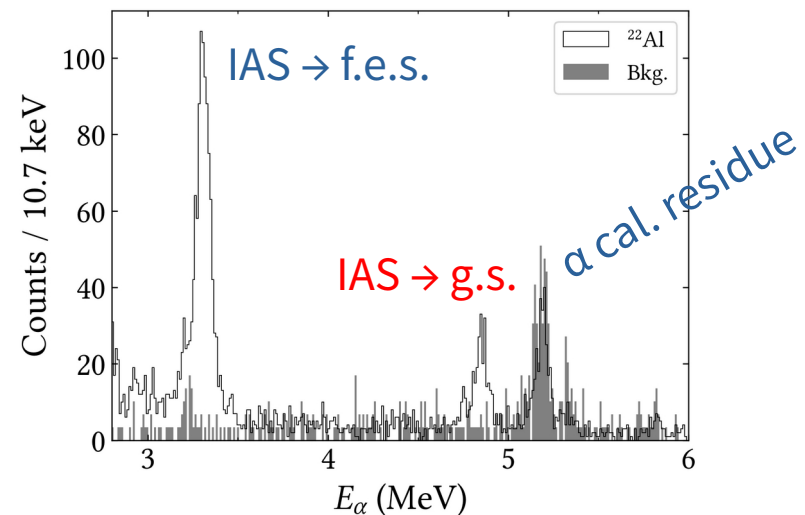
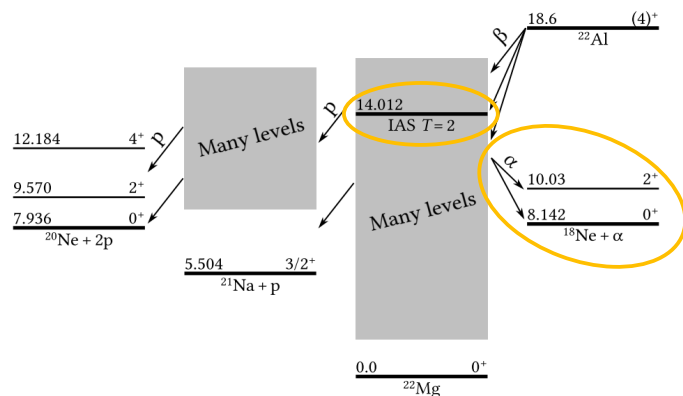


# $\beta\alpha$ from $^{22}\text{Al}$ (and $^{26}\text{P}$ )

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This confirms  $J=4$  assignment of IAS  
and, hence,  $J=4$  assignment of g.s. of  $^{22}\text{Al}$

Equivalent non-observation for  $^{26}\text{P}$  suggests  $J=3$



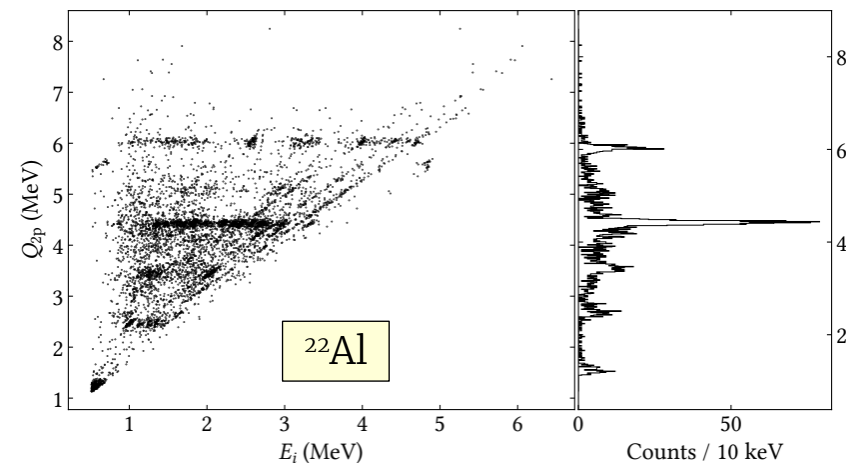
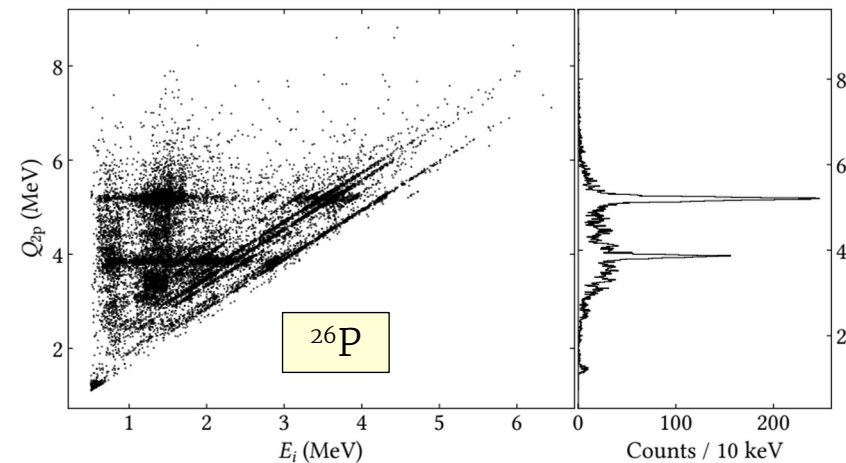
# Summary and outlook

Takeaway:

- In-flight production rates and ISOL detection methods yield unprecedented results
- Many hitherto unobserved  $\beta 2p$  channels
- $\beta\alpha$  discovery  $\rightarrow$  nuclear structure

There is more:

- $\beta p$  (conditioned on  $\beta 2p$ )
- $\beta p \gamma$
- Sequential vs. direct  $\beta 2p$



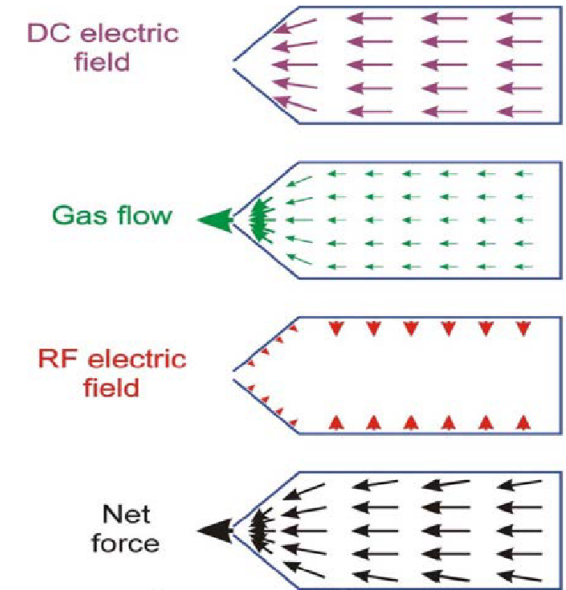
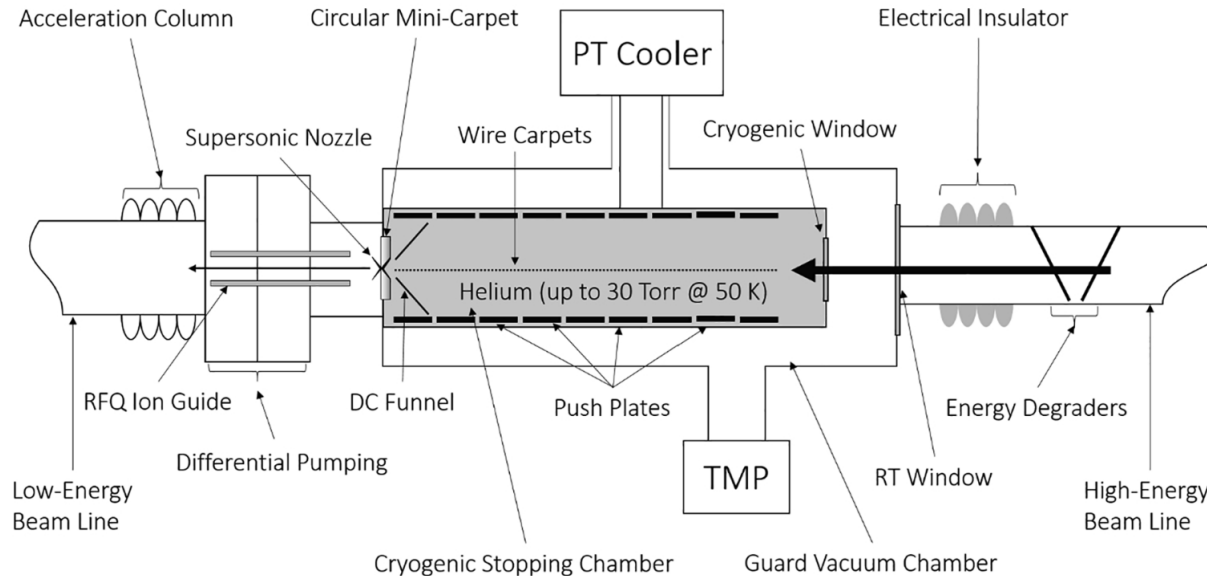
# Thank you for your attention





# Extra slides

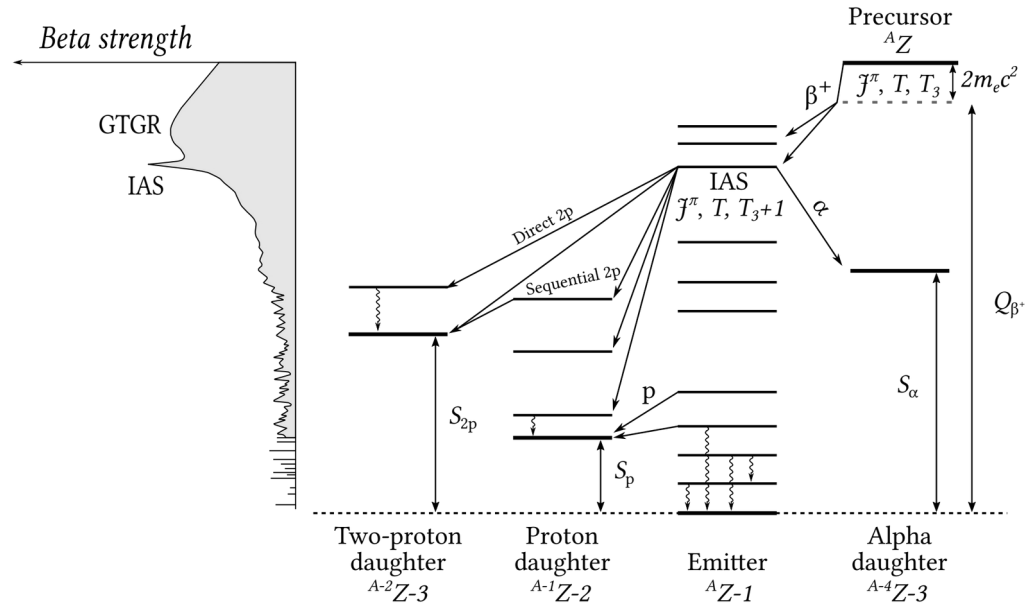
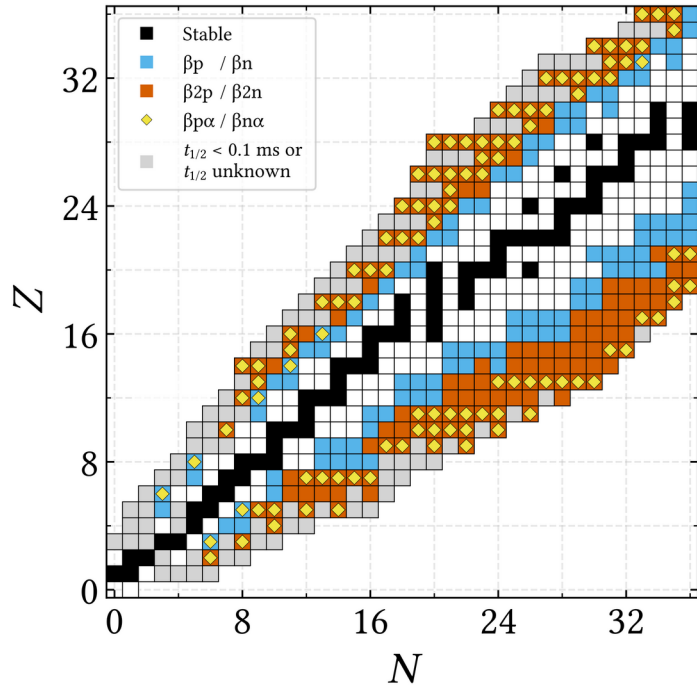
# Gas Stopper



K.R. Lund, et al., Nuclear Inst. and Methods in Physics Research B 463 (2020) 378–381

Courtesy of Chandana Sumithrarachchi

# Beta-delayed particle emission



# History

## 22Al first observed b2p emitter; 26P second

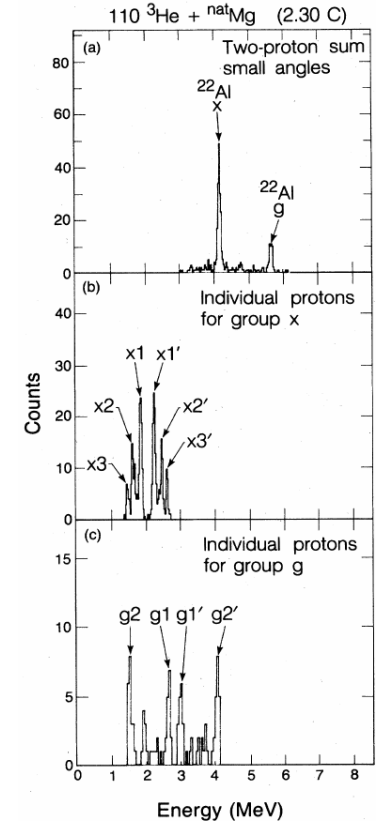
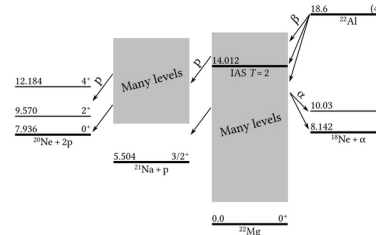
### 2.5.2. First observation of $\beta 2p$ decay and later experimental results

It was indeed beneath the odd-odd  $T_z = -2$  nuclei that the first  $\beta 2p$  emitters were observed. After its identification by  $\beta p$  emission,  $^{22}\text{Al}$  was discovered to decay via this new nuclear decay mode [220]. The nuclei of interest were produced by a  $^3\text{He}$  induced reaction on a  $^{24}\text{Mg}$  target.

(...)

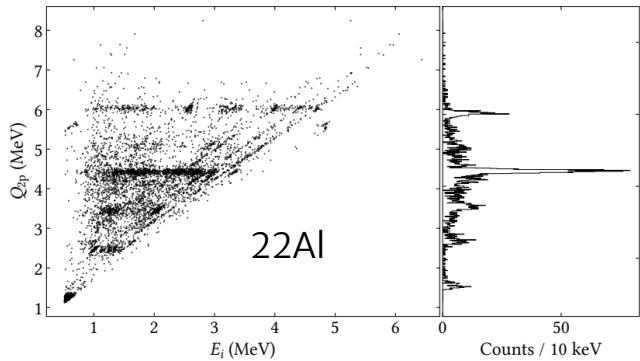
The second  $\beta 2p$  emitter was identified by the same group a few months later [223]. It was again a light odd-odd  $T_z = -2$  nucleus,  $^{26}\text{P}$ , as predicted by Goldanskii [218]. Contrary to  $^{22}\text{Al}$ , where different  $2p$  emission paths could be identified,  $^{26}\text{P}$  seems to decay by only one  $2p$  path. This difference is most likely due to the different nuclear structure of the one-proton daughter nuclei,  $^{21}\text{Na}$  and  $^{25}\text{Al}$ .

B. Blank, M.J.G. Borge, Progress in Particle and Nuclear Physics 60 (2008) 403–483



M.D. Cable, et al., Phys. Rev. C 30 (1984) 1276

New data



New data

