

# Precision Higgs boson measurements

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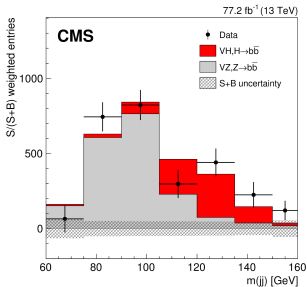
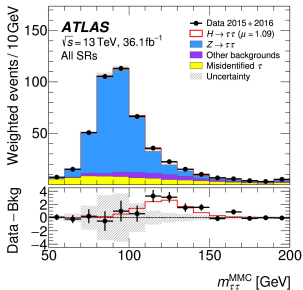
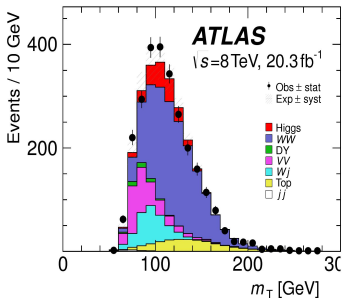
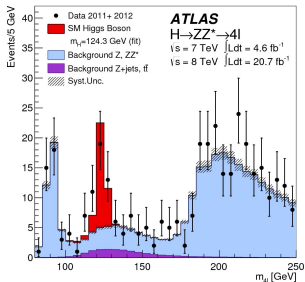
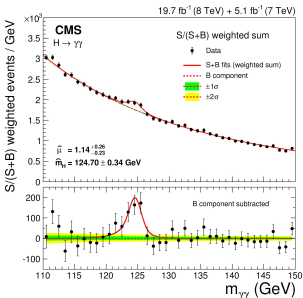
Andy Pilkington, University of Manchester

*LHC Precision Programme, Benasque, Spain, 2nd October 2023*

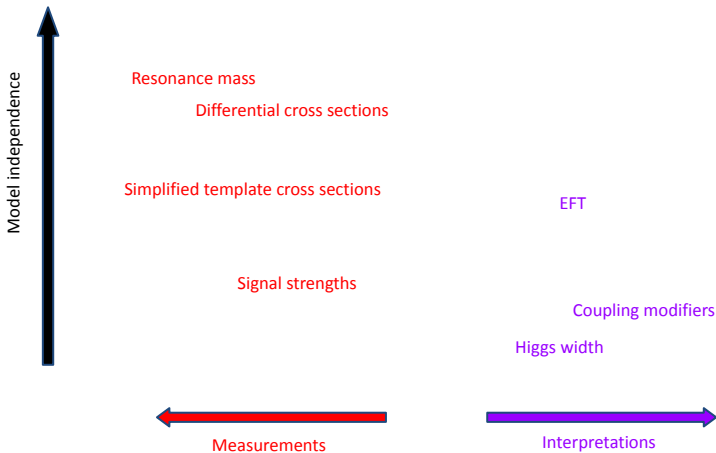
## Outline:

- 1) Higgs mass and width
- 2) Fiducial, differential and simplified-template cross sections
- 3) Spin-CP
- 4) HL-LHC outlook

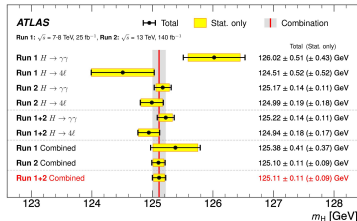
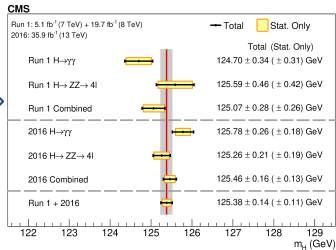
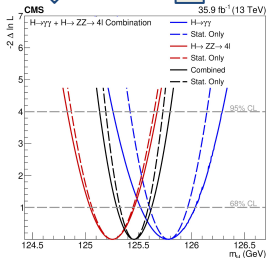
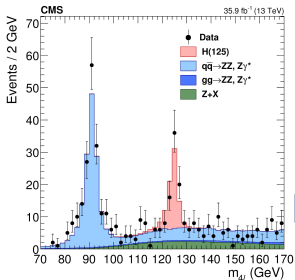
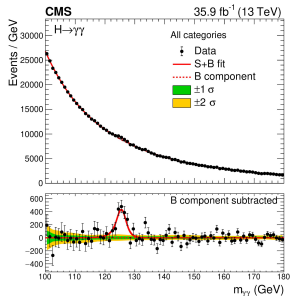
# Higgs observations in different decay channels



# Measurements vs Interpretations



# Higgs mass





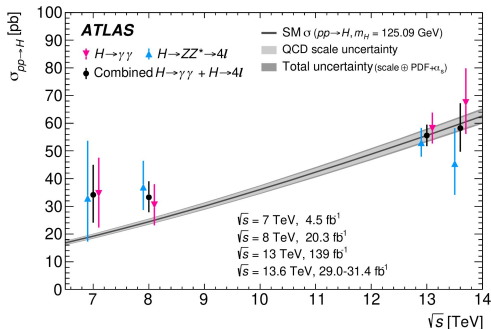
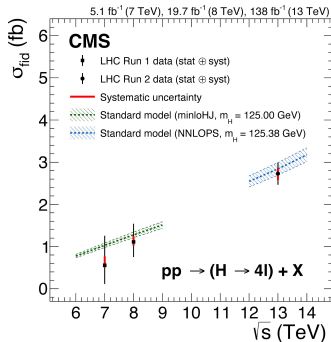
# Fiducial and total cross section

Fiducial cross sections extracted by correcting the observed signal yield for detector inefficiency and resolution, and accounting for the dataset size

$$N_S = \sigma_{\text{fid}} \times \mathcal{L} \times C_{\mathcal{F}}$$

Total cross sections then obtained by correcting for the branching ratio and fiducial acceptance

$$\sigma_{\text{fid}} = \sigma_{\text{tot}} \times \mathcal{B}_{\gamma\gamma} \times \mathcal{A}$$



# Differential cross sections

Extend the detector-corrected measurements to differential spectra by unfolding.

Three approaches to unfolding taken by Higgs/SM/Top precision measurements:

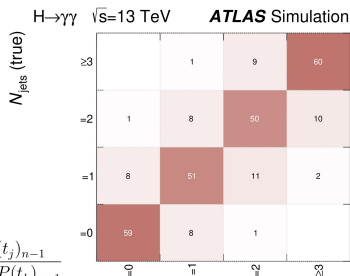
- Simple bin-by-bin corrections (similar to fiducial cross section measurement)
- Inverting the response matrix using the likelihood fit:

$$N_r^{(H)} = \frac{1}{C_r^{\text{fid}}} \left[ \sum_t L \times (\sigma_t \times B_{\gamma\gamma}) \times R_{t,r} \right]$$

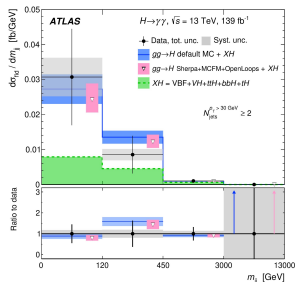
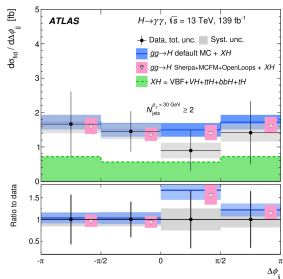
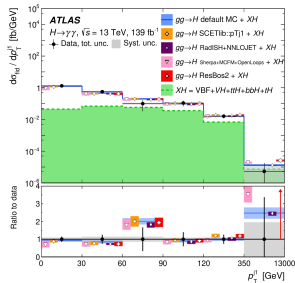
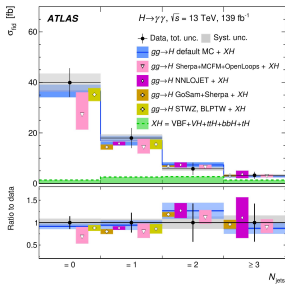
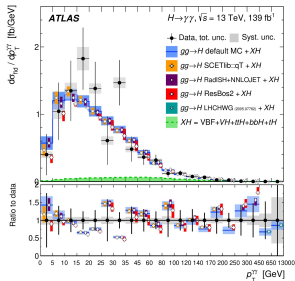
- Regularised unfolding (e.g. D'Agostini).

$$N(t_j) = \frac{1}{\varepsilon_j} \sum_i f_i \cdot N(r_i)_{\text{obs}} \cdot P(t_j|r_i)_{n_f}$$

$$P(t_j|r_i)_n = \frac{P(r_i|t_j) \cdot P(t_j)_{n-1}}{\sum_k P(r_i|t_k) \cdot P(t_k)_{n-1}}$$



# Differential cross sections



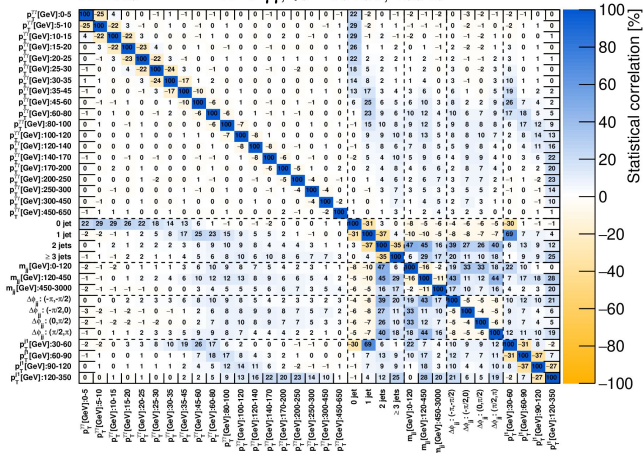
Example from  $H \rightarrow \gamma\gamma$

Can measure any/all kinematic variables that experiment has sensitivity to.

# Fiducial and differential cross sections

ATLAS

$H \rightarrow \gamma\gamma$ ,  $\sqrt{s} = 13\text{TeV}$ ,  $139 \text{ fb}^{-1}$



All measurements, and correlations between measurements, available in HEPDATA.

Rivet routine provided to allow comparison between theory and data

# Differential cross sections: reinterpreted with EFT

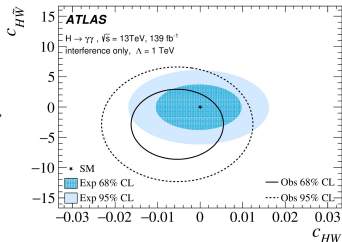
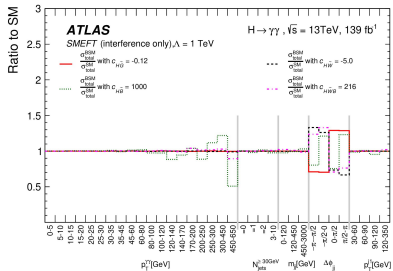
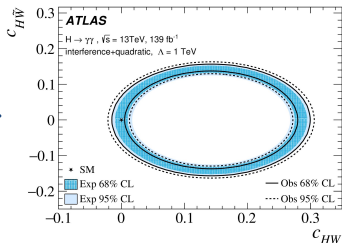
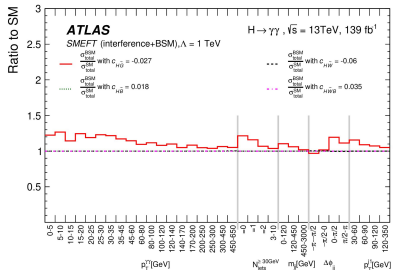
- The differential cross sections (and their correlations) can be used for reinterpretations.
- EFT approach: augment the SM lagrangian with dimension-6 operators that induce anomalous Higgs boson interactions:

$$\mathcal{L}_{\text{EFT}} = \mathcal{L}_{\text{SM}} + \sum_i \frac{C_i^{(d)}}{\Lambda^{(d-4)}} \mathcal{O}_i^{(d)}$$

- The anomalous interactions lead to deviations in shape and normalisation of the squared scattering amplitude (and therefore the differential cross sections):

$$|\mathcal{M}_{\text{BSM}}|^2 = |\mathcal{M}_{\text{SM}}|^2 + 2\text{Re}\{\mathcal{M}_{\text{SM}}\mathcal{M}_{\text{d6}}^*\} + |\mathcal{M}_{\text{d6}}|^2$$

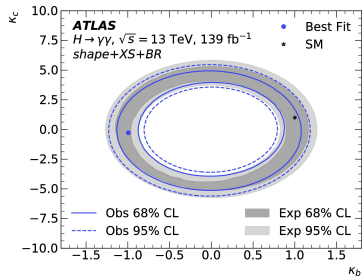
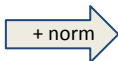
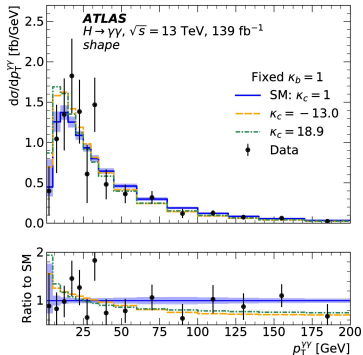
# Differential cross sections: reinterpreted with EFT



# Differential cross sections: reinterpreted with K-framework

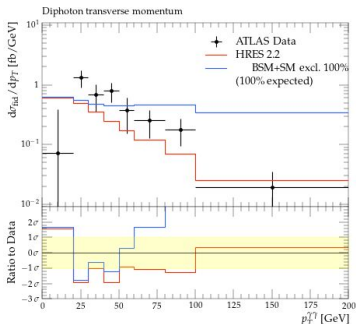
- Kappa-framework approach: modify the strength of the Higgs boson couplings, do not allow new Lorentz structures

$$\sigma \cdot \mathcal{B} (i \rightarrow H \rightarrow f) = \kappa_i^2 \cdot \kappa_f^2 \cdot \sigma_i^{\text{SM}} \cdot \frac{\Gamma_f^{\text{SM}}}{\Gamma_H(\kappa_i^2, \kappa_f^2)}$$



# Differential cross sections: reinterpreted by anyone

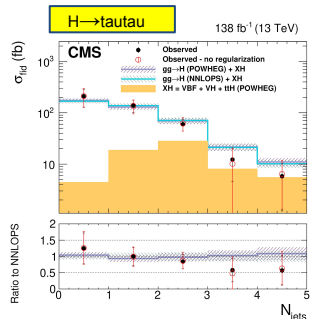
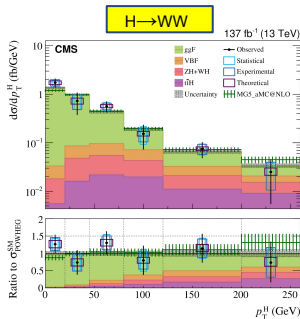
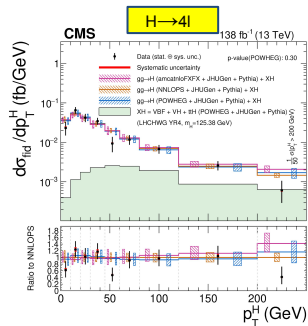
- Data and correlations typically made available in HEPDATA, analysis routines provided in Rivet.
- Allows fast/easy comparisons with any current or future theoretical model.
- Example below, showing exclusion of parameters in a custodial symmetry breaking model (<https://arxiv.org/abs/2309.10027>).



(plot made by Jon Butterworth in T2A of Barcelona airport whilst waiting for the Benasque Bus.....)

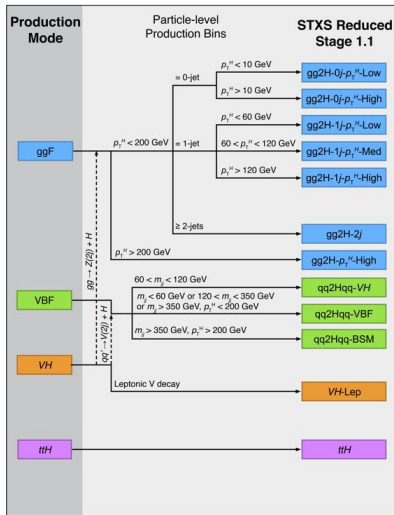


# Differential cross sections: many decay channels



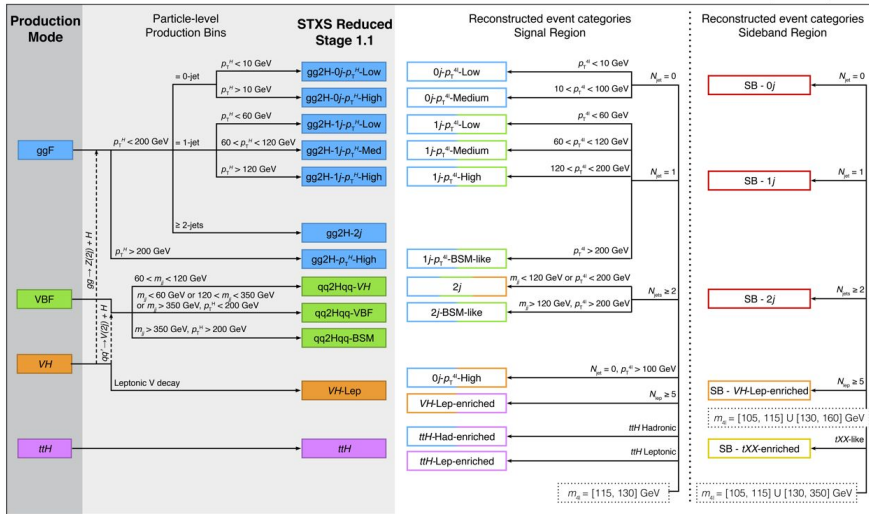
- Differential cross sections can be measured for any Higgs decay channel, within the fiducial volume used for the observation
  - Measured for the  $\gamma\gamma$ , ZZ and WW decay channels by both ATLAS and CMS
  - Also for the tau tau decay channel by CMS

# Simplified Template Cross Sections



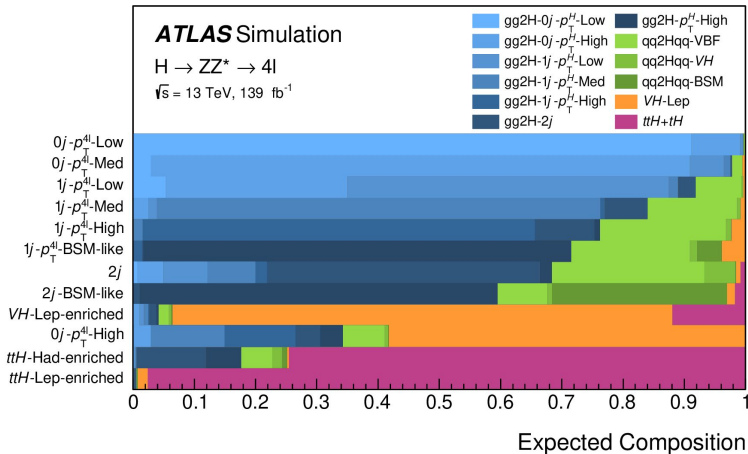
# Simplified Template Cross Sections

ATLAS  $\sqrt{s} = 13$  TeV, 139 fb<sup>-1</sup>



# Simplified Template Cross Sections

Reconstructed Event Category

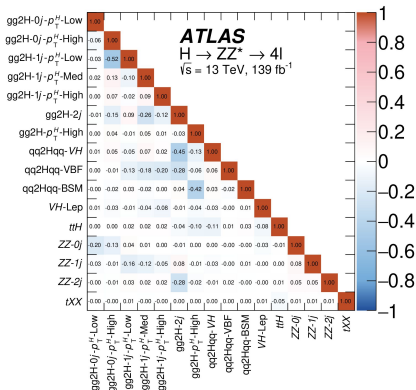
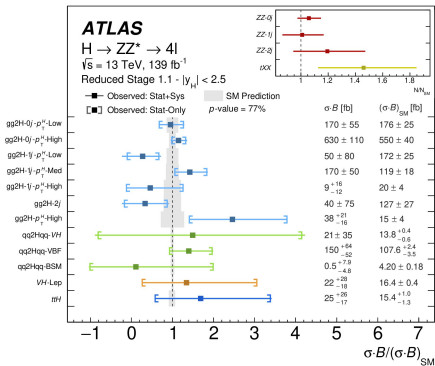


# Simplified Template Cross Sections

- Event yields in each *reconstruction-level event category* can be further subdivided into bins of a kinematic quantity that can distinguish between different production mechanisms.
  - e.g. use an dijet-invariant mass discriminant in the 2j category to separate gluon fusion and VBF contributions
  - more commonly: use multivariate discriminates (BDT or NN).
- Once background contributions have been determined for each event category, the *production bin cross sections* can be extracted with a likelihood fit:

$$\mathcal{L}(\vec{\sigma}, \vec{\theta}) = \prod_j^{N_{\text{categories}}} \prod_i^{N_{\text{bins}}} P\left(N_{i,j} \mid L \cdot \vec{\sigma} \cdot \mathcal{B} \cdot \vec{A}_{i,j}(\vec{\theta}) + B_{i,j}(\vec{\theta})\right) \times \prod_m^{N_{\text{nuisance}}} C_m(\vec{\theta})$$

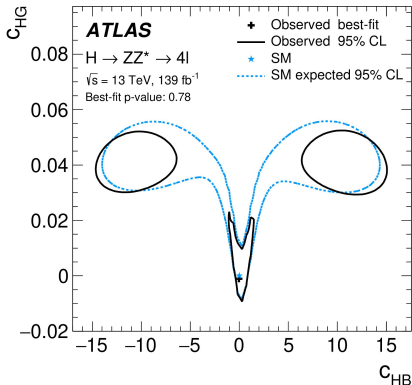
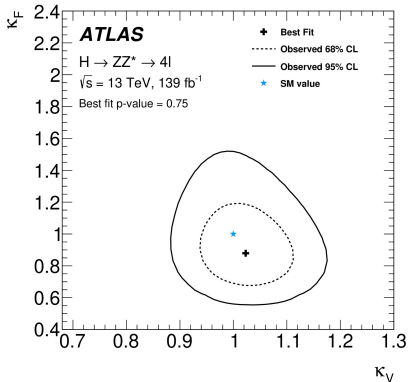
# Simplified Template Cross Sections



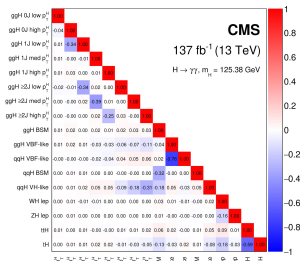
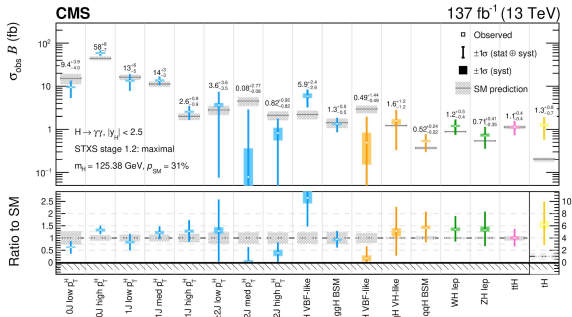
- For this channel, unsurprising that gluon fusion categories are measured most accurately.
- Large correlations between some production bin cross sections.

# Simplified Template Cross Sections: reinterpreted

- The production bin cross sections and the associated correlations can be used for reinterpretations, again in EFT or coupling-modifier frameworks

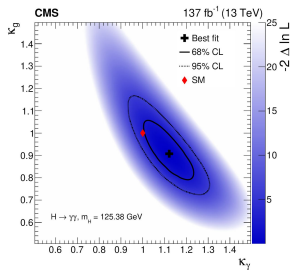


# Simplified Template Cross Sections



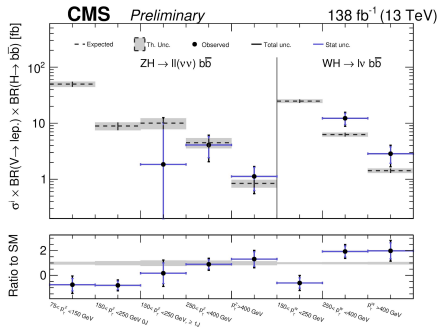
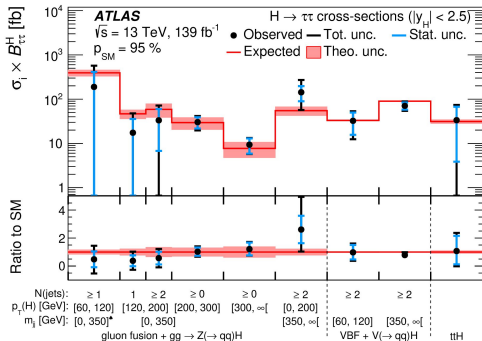
STXS implemented across many channels.

The ZZ, WW and  $\gamma\gamma$  decay channels have similar characteristics; sensitivity mainly to gluon fusion categories.





# Simplified Template Cross Sections



STXS now being rolled out across fermion decay channels (tau tau, bb).

—> Increased sensitivity to the VH and VBF production cross sections.

—> Generally stats-limited, but systematics affect the gluon fusion categories

# Probing the CP-structure of Higgs interactions

CP-violation in the Higgs boson interactions manifest as asymmetries in appropriately constructed CP-sensitive observables.

Two types of CP-sensitive observable typically measured:

- angular observables that probe the production or decay of the Higgs boson.
- so-called 'optimal observables' constructed from matrix elements

Matrix-element-based observables target the interference between the CP-even SM amplitude and a CP-odd amplitude (typically estimated using dimension-6 EFT)

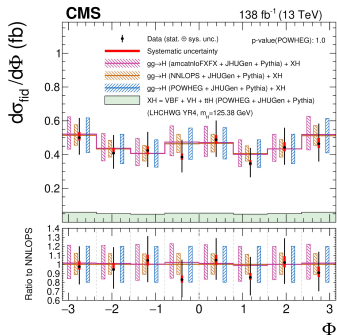
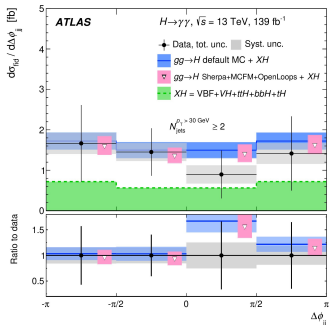
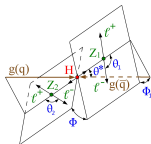
$$OO = \frac{2\Re(\mathcal{M}_{\text{SM}}\mathcal{M}_{\text{d6}}^*)}{|\mathcal{M}_{\text{SM}}|^2}$$

$$\mathcal{D}_{\text{int}}(\vec{\Omega}) = \frac{\mathcal{P}_{\text{int}}(\vec{\Omega})}{2\sqrt{\mathcal{P}_{\text{sig}}(\vec{\Omega})\mathcal{P}_{\text{alt}}(\vec{\Omega})}}$$

$$|\mathcal{M}_{\text{BSM}}|^2 = |\mathcal{M}_{\text{SM}}|^2 + 2\Re\{\mathcal{M}_{\text{SM}}\mathcal{M}_{\text{d6}}^*\} + |\mathcal{M}_{\text{d6}}|^2$$

# CP-structure of Higgs interactions: angular observables

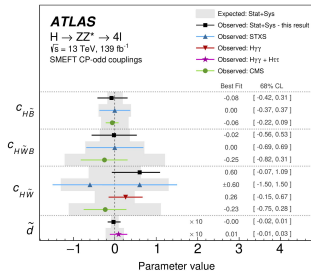
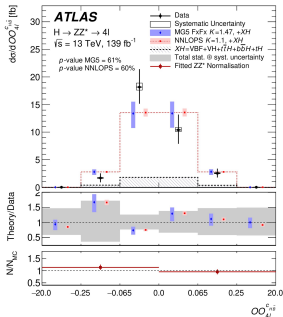
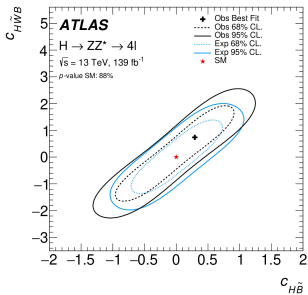
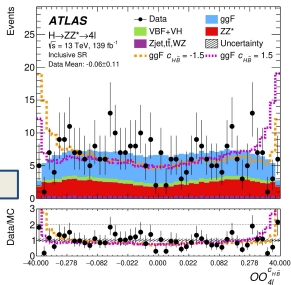
Angular observables routinely measured as part of the differential cross section programme.



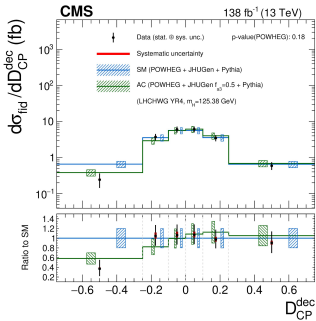
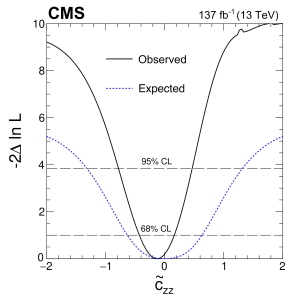
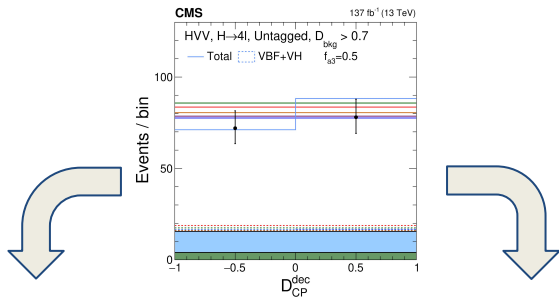
# CP-structure of Higgs interactions: ME-based observables

optimal observables exploit the full kinematic information in the scattering amplitude

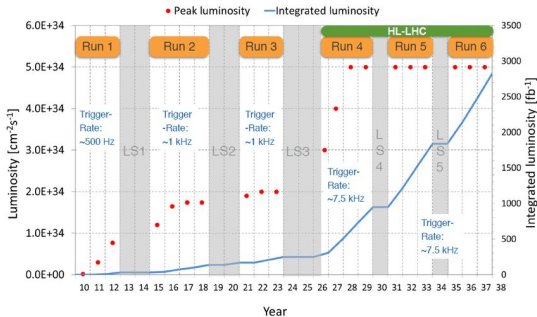
= increased sensitivity



# CP-structure of Higgs interactions: ME-based observables



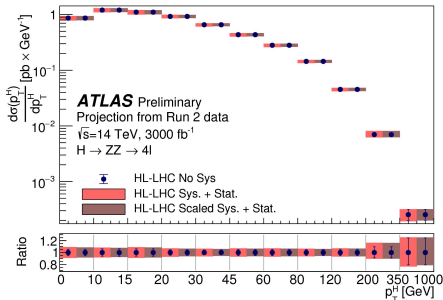
# HL-LHC projections



# Differential cross sections at HL-LHC

## Current approach with more data

- Inclusive measurements become limited by systematics
- Increased statistical precision in more extreme phase space regions



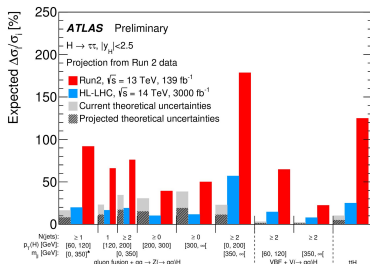
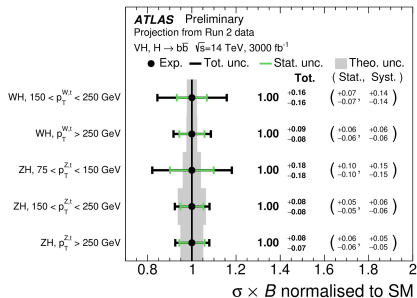
## New measurements possible

- Polarisation of the vector boson in VH production?
- ttH differential cross sections?
- Angular moments/coefficients?
- CP-sensitive observables for different decay channels and production mechanisms

# Simplified Template Cross Sections at HL-LHC

Similar outlook as to differential cross sections:

- Current production bin measurements would become systematics dominated.
- Likely to further split the production bins for finer granularity

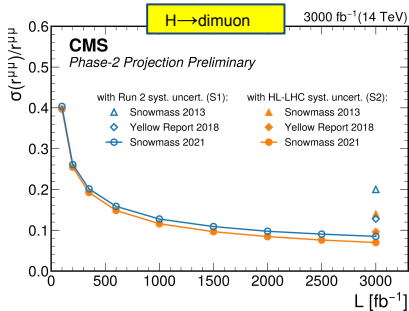
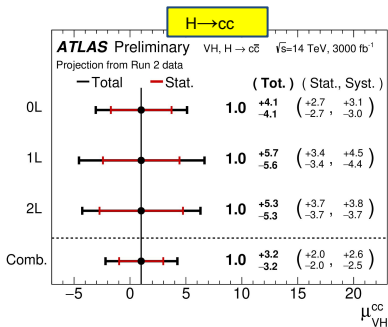




# Second-generation couplings at HL-LHC

With more data, open up new decay channels

Improvements needed if  $H \rightarrow c\bar{c}$  is going to be possible



In the 11 years since the Higgs discovery, we have started to enter the precision realm:

- Moved away from signal strengths to more model-independent measurements
- Unfolded measurements for optimised observables targeting specific BSM scenarios (e.g. CPV).
- We will gain in sensitivity for all existing measurements, from the luminosity increase. Some measurements start to become systematics dominated.

A good time to evaluate if we are on the right track for HL-LHC:

- Do we need to measure both STXS and differential cross sections?
- Have we missed observables that we should have measured?
- Can we improve charm-tagging to bring observation and precision to  $H \rightarrow c\bar{c}$ ?