

Leptonic neutral-current probes in a short-distance DUNE-like setup

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TÉCNICO
LISBOA

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Observational footprints

High scale seesaws

Low scale seesaws

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Neutrino masses

- Neutrino oscillations entering the precision ($<1\%$) era. Simplest explanation for the L/E profile are massive neutrinos.
- For now, the neutrino mass mechanism is a mystery:
 - Tree level, radiative, extra dimensional origin...?
 - The scale(s) of relevant NP
 - Neutrino nature: Dirac or Majorana
 - Lepton number conservation/violation
- **Neutrino mixing with new states could be the window to NP**

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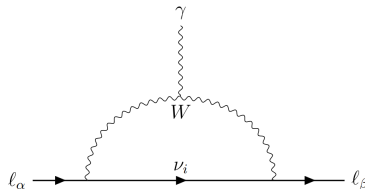
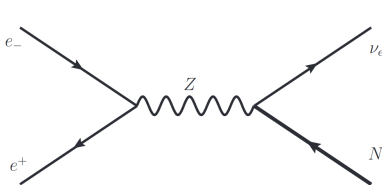
Observational footprints

- Let us assume that neutrinos mix with some new **heavy gauge singlet** states
- Observational footprints are mainly
 - Collider direct production of m_ν mediators
 - cLFV (paradigmatically but not only $\mu^- \rightarrow e^- \gamma$)
 - **Non-standard effects in neutrino propagation**
- None of these observations would be a statement on neutrino nature! See e.g. [1]

[1] Salvador Centelles Chuliá, Rahul Srivastava, and Avelino Vicente. “The inverse seesaw family: Dirac and Majorana”. In: *JHEP* 03 (2021), p. 248. DOI: 10.1007/JHEP03(2021)248. arXiv: 2011.06609 [hep-ph].



Observational footprints



- Typically suppressed by the 'active-heavy' mixing.

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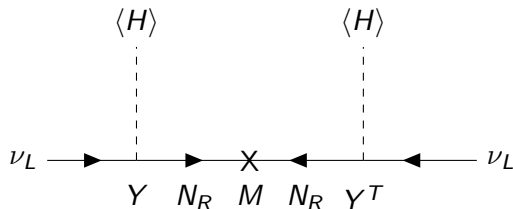
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Type I seesaw

- The type-I seesaw is a paradigmatic example of a high scale seesaw



Type I seesaw

$$M_\nu = \begin{pmatrix} 0 & Y_\nu \\ Y_\nu^T & M \end{pmatrix}, \quad U^T M_\nu U = m_d, \quad U = \begin{pmatrix} N & S \\ X & Y \end{pmatrix}$$

- N and S are the 'active-active' and 'active-sterile' mixings. By construction $N^\dagger N = 1 - S^\dagger S$.
- In the seesaw expansion we loosely define the parameter $\varepsilon \sim O(Y_\nu/M)$ and diagonalize perturbatively, finding

$$m_\nu = \nu^2 Y^T M^{-1} Y, \quad S^* = Y_\nu M^{-1} V \sim \varepsilon, \quad \varepsilon^2 \sim O(m\nu/M)$$

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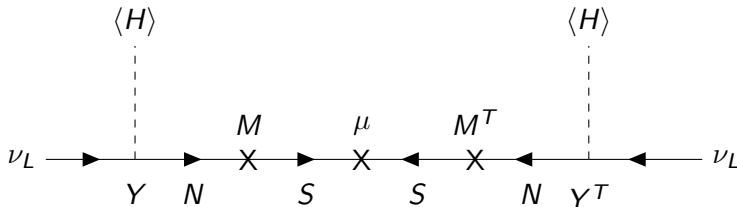
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Inverse seesaw

- The inverse seesaw is a paradigmatic example of a low scale seesaw.



Inverse seesaw

- Introduces a new scale $\mu \ll \Lambda_{EW}$

$$M_\nu = \begin{pmatrix} 0 & Y_\nu & 0 \\ Y_\nu^T & \mu' & M \\ 0 & M^T & \mu \end{pmatrix}$$

- In the seesaw expansion (one gen)

$$m_\nu = \frac{Y_\nu^2 \nu^2}{M^2} \mu, \quad S = \begin{pmatrix} \frac{Y_\nu \nu}{M^2} \mu & \frac{Y_\nu \nu}{M} \end{pmatrix} \sim \begin{pmatrix} \frac{m_\nu}{Y_\nu} & \varepsilon \end{pmatrix}$$

- The second component can be % level, even if $m_\nu \rightarrow 0$

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Neutrino scattering on a lepton target at zero distance

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Basic formulation

- 3 active neutrinos mix with m new (heavy) states
- The **unitary** mixing matrix is $(3 + m) \times (3 + m)$
- The upper 3 rows form a rectangular matrix K which characterizes the $\ell_\alpha - W - \nu_i$ interactions.

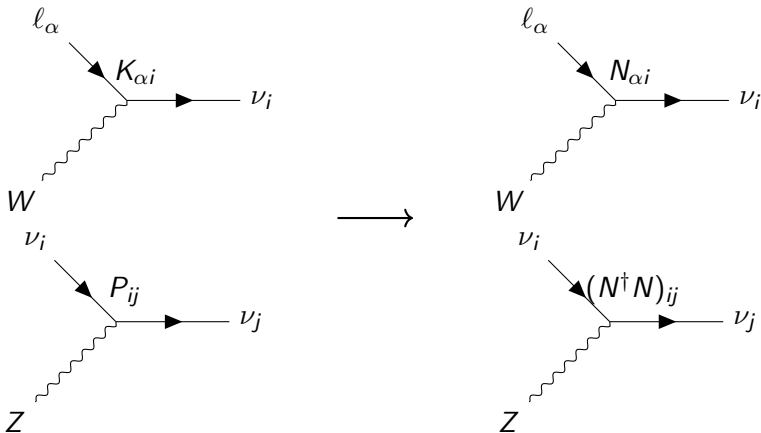
$$K = (N \quad S)$$

$$K K^\dagger = 1_{3 \times 3}$$

- The Z boson interaction is characterized by the $(3 + m) \times (3 + m)$ matrix $P = K^\dagger K \neq 1$

Basic formulation

- If $E \ll M$ only the first 3×3 block of K and P can play a role, N and $N^\dagger N$, respectively.



Basic formulation

Important phenomenological consequences!

- CC can change flavour even at zero distance.
- NC is no longer diagonal.
- Observables at zero-distance depend on $(N^\dagger N)$. In the unitary limit this is the identity.
- Naive guess: Number of neutrino events in a given experiment is reduced compared to the unitary case. Not true!

Basic formulation

- N plays a central role in this setup
- We parametrize N as [2]

$$N = \begin{pmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{31} & \alpha_{33} \end{pmatrix} \cdot U$$

- In the unitary limit, $N = I$ and U is the unitary matrix responsible for the standard oscillations.
- Advantage of this parametrization: very clean theoretical interpretation in terms of mixing angles.
- The order of each parameter in the seesaw expansion is

$$\alpha_{ii}^2 \sim 1 - \varepsilon^2; \quad |\alpha_{ij}|^2 \sim \varepsilon^4$$

[2]F. J. Escrihuela et al. "On the description of nonunitary neutrino mixing". In: *Phys. Rev. D* 92.5 (2015). [Erratum: *Phys.Rev.D* 93, 119905 (2016)], p. 053009. DOI: 10.1103/PhysRevD.92.053009. arXiv: 1503.08879 [hep-ph].

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Neutrino scattering on a lepton target at zero distance

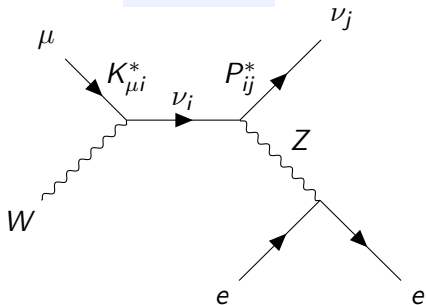
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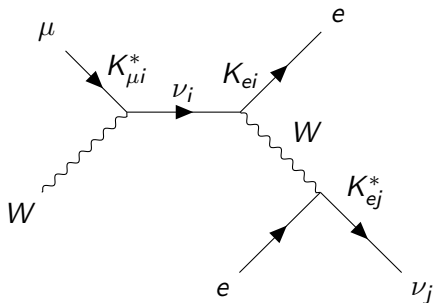
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- We now consider the family of processes $\nu_\alpha + e^- \rightarrow \nu_j + e^-$ and $\bar{\nu}_\alpha + e^- \rightarrow \bar{\nu}_j + e^-$ at zero distance
- For concreteness, let's focus on the incoming muon neutrino case.

$$1 - \mathcal{O}(\varepsilon^2)$$



$$\mathcal{O}(\varepsilon^4)$$



Neutrino scattering on an electron target at zero distance

In the SM the cross section is given by

$$\left(\frac{d\sigma}{dT}\right)^{\text{SM}} = \frac{2G_\mu^2 m_e}{\pi} \left(g_L^2 + g_R^2 \left(1 - \frac{T}{E_\nu}\right)^2 - g_L g_R \frac{m_e T}{E_\nu^2} \right)$$

And in the presence of non-unitarity

$$\left(\frac{d\sigma}{dT}\right)^{\text{NU}} = \frac{\mathcal{P}_{\mu e}^{\text{NC}}}{(NN^\dagger)_{ee}(NN^\dagger)_{\mu\mu}} \left(\frac{d\sigma}{dT}\right)^{\text{SM}} + \frac{2m_e G_\mu^2}{\pi} \frac{\text{Re}[\mathcal{P}_{\mu e}^{\text{int}}]}{(NN^\dagger)_{ee}(NN^\dagger)_{\mu\mu}} \left\{ \frac{\mathcal{P}_{\mu e}^{\text{CC}}}{\text{Re}[\mathcal{P}_{\mu e}^{\text{int}}]} + 2g_L - g_R \frac{m_e T}{E_\nu^2} \right\}$$

- The energy spectrum of the electron is modified!
- This feature is not shared by $\text{Ce}\nu\text{ens}$ (pure NC) or inelastic scattering on nucleus (pure CC).
- However, this difference would be extremely hard to observe.
- It is also theoretically suppressed. Indeed, performing the the seesaw expansion and keeping only terms of $\mathcal{O}(\varepsilon)^2$ we find

$$\left(\frac{d\sigma}{dT}\right)^{\text{NU}} \approx (2\alpha_{22}^2 - \alpha_{11}^2) \left(\frac{d\sigma}{dT}\right)^{\text{SM}} + \mathcal{O}(\varepsilon^4)$$

Neutrino scattering on an electron target

- If $E_\nu > 10$ GeV we also have the purely CC process
 $\nu_\alpha + e^- \rightarrow \nu_j + \mu^-$
- For incoming μ neutrinos, the probability factor is given by

$$P_{\alpha\mu} = (N^\dagger N)_{ee} (N^\dagger N)_{\alpha\mu} (N^\dagger N)_{\mu\alpha}$$

$$P_{\mu\mu} \approx 2\alpha_{22}^2 + \alpha_{11}^2 - 2 \sim 1 - \mathcal{O}(\varepsilon^2)$$

$$\sigma \approx P_{\mu\mu} \frac{G_F^2}{\pi} (2E_\nu m_e - m_\mu^2)$$

Summary

- $\nu_\mu + e \rightarrow \nu_j + e$, mainly NC (at first order in seesaw expansion)
- $\nu_\mu + e \rightarrow \nu_j + \mu$, purely CC
- Final number of events could be bigger or smaller than the expected in the SM (due to the redefinition of G_F):

$$e^- \text{ events, NC: } \frac{\#}{\#_{SM}} \approx 2\alpha_{22}^2 - \alpha_{11}^2 \sim 1 \pm \mathcal{O}(\varepsilon^2)$$

$$\mu^- \text{ events, CC: } \frac{\#}{\#_{SM}} \approx \alpha_{22}^2 \sim 1 - \mathcal{O}(\varepsilon^2)$$

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Disclaimer...

We will now analyze how the Near Detector (ND) of DUNE can constraint the NU parameters. However:

- Neutrino scattering with leptons has lower statistics compared to inelastic scattering with nucleus (way lower cross section)
- The experiment is not optimized to search for scattering on leptons
- Big flux uncertainties
- Constraints on NU from EW precision measurements will be stronger than those from neutrino physics constraints.

... but!

- It is generally a good idea to find and explore complementary probes of a given phenomena
- Background under control (it is a cleaner process)
- Relatively less analyzed process compared to nucleus scattering

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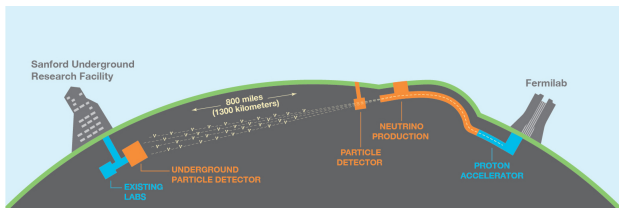
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The DUNE experiment



- DUNE (Deep Underground Neutrino Experiment) is an ambitious neutrino experiment under construction. Will determine the mass ordering and improve precision on θ_{23} , δ_{CP} and θ_{13} [3]
- Two beam modes (neutrino/antineutrino), mainly ν_μ or $\bar{\nu}_\mu$

[3]B. Abi et al. "Long-baseline neutrino oscillation physics potential of the DUNE experiment". In: *Eur. Phys. J. C* 80.10 (2020), p. 978. DOI: 10.1140/epjc/s10052-020-08456-z. arXiv: 2006.16043 [hep-ex]

The near detector

- Mainly for cross-checking the neutrino flux, but we can use it to do BSM analysis too
- Will be the first purely leptonic test of "zero distance neutral oscillations"

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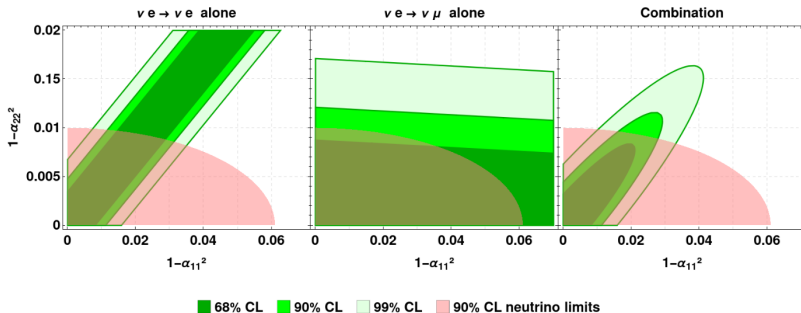
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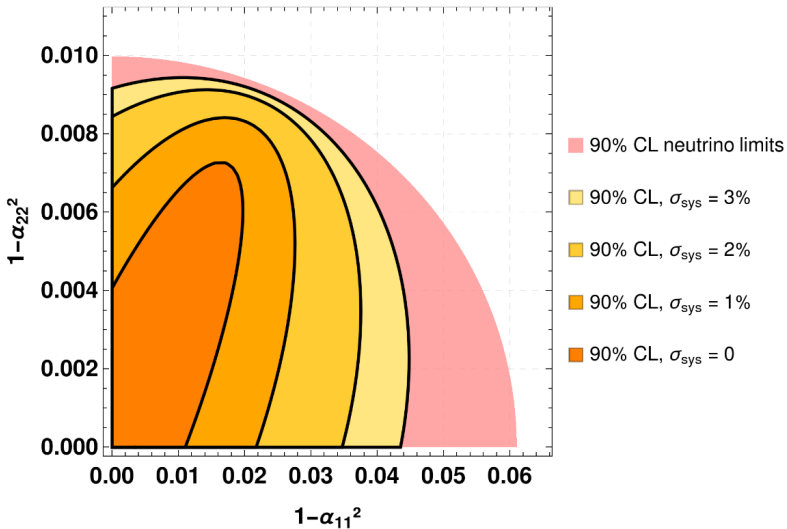
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Analysis

- We compute the expected number of events in the SM for each flavour component of the flux (3.5 years per mode).
- We compute the NU (global) factors at order ε^2 .
- We extract the sensitivity on NU parameters.
- We compare them with current neutrino limits.

DUNE-like near detector, $\sigma = \sigma_{\text{stat}}$



$\nu e \rightarrow \nu e$, $\nu e \rightarrow \nu \mu$ and neutrino limits


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Take home ideas

- Low scale seesaws: A well motivated and broad class of models leading to rich phenomenology. Non-unitarity effects can be at the % level.
- We have studied the effect of NU through the leptonic neutral current for the first time.
- The expected sensitivity will be competitive and complementary with other oscillation experiments (in particular on α_{11}^2).

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Parametrization of α s in terms of mixing angles

- A unitary matrix of order n can be parametrized with $\frac{n(n-1)}{2}$ angles and $n(n+1)$ phases.
- The complex rotation ω_{ij} has a mixing angle in the plane $i-j$ and a phase.
- An (unphysical) diagonal matrix of phases times all the possible ω (in some order) parametrizes any unitary matrix

Parametrization of α s in terms of mixing angles

- We can choose the ordering to be $(NS \times NS)(S \times NS)(\omega_{23}\omega_{13}\omega_{12})$
- We identify the right hand side with the 'standard' mixing
- The first block cannot affect the 'active-active' 3×3 block
- The second block we subdivide in products of $\omega_{3j}\omega_{2j}\omega_{1j}$, which is lower triangular
- And a product of lower triangular matrices is also lower triangular
- diagonal entries are simply multiplications of cosines while off diagonal elements are proportional to sines (but are more complicated and include phases)

Parametrization of α_s in terms of mixing angles

- As a simple example in the $3 + 1$ scheme we get
- $\alpha_{ij} = c_{i4}$
- $\alpha_{ij} = s_{i4}s_{j4}e^{i(\phi_{i4}-\phi_{j4})}$

- $\nu_\alpha + N \rightarrow \nu_j + N$
- The COHERENT collaboration already detected the coherent scattering off nucleons in 2017 [4]
- Several experiments, including Co ν us in Heidelberg [5]
- For future sensitivity analysis see e.g. [6]

[4]D. Akimov et al. “Observation of Coherent Elastic Neutrino-Nucleus Scattering”. In: *Science* 357.6356 (2017), pp. 1123–1126. DOI: 10.1126/science.aao0990. arXiv: 1708.01294 [nucl-ex].

[5]H. Bonet et al. “Novel constraints on neutrino physics beyond the standard model from the CONUS experiment”. In: *JHEP* 05 (2022), p. 085. DOI: 10.1007/JHEP05(2022)085. arXiv: 2110.02174 [hep-ph].

[6]O. G. Miranda et al. “Future CEvNS experiments as probes of lepton unitarity and light-sterile neutrinos”. In: *Phys. Rev. D* 102 (2020), p. 113014. DOI: 10.1103/PhysRevD.102.113014. arXiv: 2008.02759 [hep-ph].

Neutrino limits

- See the analysis in [7]
- Combines data from long (NOvA, T2K, MINOS) and short baseline (NOMAD, NuTeV) experiments
- At 90% CL:

$$1 - \alpha_{11}^2 \leq 6 \times 10^{-2}$$

$$1 - \alpha_{22}^2 \leq 1 \times 10^{-2}.$$


[7] D. V. Forero et al. "Nonunitary neutrino mixing in short and long-baseline experiments". In: *Phys. Rev. D* 104.7 (2021), p. 075030. DOI: 10.1103/PhysRevD.104.075030. arXiv: 2108.01998 [hep-ph].


Number of events in the SM and probability factors

\mathcal{N}_U	ν mode		$\bar{\nu}$ mode		$\mathcal{N}_{\text{NU}}/\mathcal{N}_U$	Seesaw order	Main contribution
	$\nu_a + e^- \rightarrow \nu_j + e^-$	events	σ	events			
					$\mathcal{P} G_F^2/G_\mu^2$		
ν_e	2.800	80	1.530	50	$2\alpha_{11}^2 - \alpha_{22}^2$	$1 \pm \mathcal{O}(\varepsilon^2)$	NC + CC
ν_μ	31.400	700	5.800	100	$2\alpha_{22}^2 - \alpha_{11}^2$	$1 \pm \mathcal{O}(\varepsilon^2)$	NC
$\bar{\nu}_e$	430	20	780	30	$2\alpha_{11}^2 - \alpha_{22}^2$	$1 \pm \mathcal{O}(\varepsilon^2)$	NC + CC
$\bar{\nu}_\mu$	3.200	80	20.000	400	$2\alpha_{22}^2 - \alpha_{11}^2$	$1 \pm \mathcal{O}(\varepsilon^2)$	NC
total	37.800	800	28.000	600			

\mathcal{N}_U	ν mode		$\bar{\nu}$ mode		$\mathcal{N}_{\text{NU}}/\mathcal{N}_U$	Seesaw order	Main contribution
	$\nu_a + e^- \rightarrow \nu_j + \mu^-$	events	σ	events			
					$\mathcal{P} G_F^2/G_\mu^2$		
ν_e	0	0	0	0	$ \alpha_{21} ^2$	$\mathcal{O}(\varepsilon^4)$	$\mathcal{O}(\varepsilon^4)$
ν_μ	17.900	400	14.200	300	α_{22}^2	$1 - \mathcal{O}(\varepsilon^2)$	CC
$\bar{\nu}_e$	380	20	230	20	α_{11}^2	$1 - \mathcal{O}(\varepsilon^2)$	CC
$\bar{\nu}_\mu$	0	0	0	0	$ \alpha_{21} ^2$	$\mathcal{O}(\varepsilon^4)$	$\mathcal{O}(\varepsilon^4)$
total	18.300	400	14.400	300			

Comparison with existing constraints

- Oscillations
 - Long baseline experiments
 - Short baseline (zero distance)
- Lepton flavour universality
 - π & K decays into μ^- and e^-
 - τ^- decays (hadrons or leptons) \leftarrow function of (α_{33})
 - β decays and CKM unitarity 
- EW precision observables
 - W mass, s_W , Γ_Z ...
 - CDF-II W mass [8]

[8]Mattias Blennow et al. "Right-handed neutrinos and the CDF II anomaly". In: *Phys. Rev. D* 106.7 (2022), p. 073005. DOI: 10.1103/PhysRevD.106.073005. arXiv: 2204.04559 [hep-ph]. 

LFU

- See [9] for a nice update
- We can translate the decay rates of pions (or Kaons) to electrons and muons into couplings with the W . The experimental result

$$\left(\frac{g_e}{g_\mu}\right)^2 = 0.998 \pm 0.002$$

- In the SM this ratio is 1. In the presence of non-unitarity

$$\left(\frac{g_e}{g_\mu}\right)^2 = 1 + \alpha_{11}^2 - \alpha_{22}^2$$

[9] Douglas Bryman et al. "Testing Lepton Flavor Universality with Pion, Kaon, Tau, and Beta Decays". In: *Ann. Rev. Nucl. Part. Sci.* 72 (2022), pp. 69–91. DOI: 10.1146/annurev-nucl-110121-051223. arXiv: 2111.05338 [hep-ph].

LFU

- We can also compare the effective coupling of β and μ decays. In the SM

$$\left(\frac{G_\beta}{G_\mu}\right)^2 = \sum_i |V_{ui}|^2 = 1$$

- Different measurements of nuclear processes give

$$\sum_i |V_{ui}|^2 = 1 - (19.5 \pm 5.3) \times 10^{-4}$$

- Known as the **Cabibbo anomaly**. This anomaly only gets worse in the presence of (leptonic) non-unitarity

$$\left(\frac{G_\beta}{G_\mu}\right)^2 = 2 - \alpha_{22}^2 > 1$$

Combination of all constraints

- Including all the LFU and EW precision measurements gives a much stronger constraints than the ones obtained from DUNE-PRISM or oscillations [10]

95% CL:

$$1 - \alpha_{11}^2 \leq 2 \times 10^{-3}$$

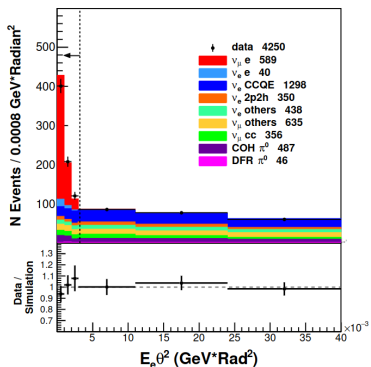
$$1 - \alpha_{22}^2 \leq 2 \times 10^{-4}$$

- Caveat: The constraints are pushed towards zero due to the Cabibbo anomaly. Would be interested in seeing a similar analysis excluding the CKM unitarity test.

[10] Mattias Blennow et al. "Bounds on lepton non-unitarity and heavy neutrino mixing". In: *JHEP* 08 (2023), p. 030. DOI: 10.1007/JHEP08(2023)030. arXiv: 2306.01040 [hep-ph].

Background reduction

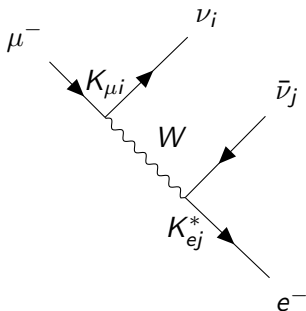
We can take advantage of the fact that the electron scattering will be mainly forward. See for example[11]



[11]. Zazueta et al. “Improved constraint on the MINER ν A medium energy neutrino flux using $\nu^-e^- \rightarrow \nu^-e^-$ data”. In: *Phys. Rev. D* 107.1 (2023), p. 012001. DOI: 10.1103/PhysRevD.107.012001. arXiv: 2209.05540 [hep-ex].

Redefinition of G_F

- G_F is measured through the μ^- decay.
- Lepton non-unitarity modifies this decay. The effective muon decay G_μ is related to the 'real' G_F by



$$G_\mu^2 = (N^\dagger N)_{\mu\mu} (N^\dagger N)_{ee} G_F^2 \rightarrow \frac{G_\mu^2}{G_F^2} = \frac{1}{(N^\dagger N)_{\mu\mu} (N^\dagger N)_{ee}} \geq 1$$