Ugo de Noyers

Unraveling Dark Matter and neutrino mysteries with a scotogenic approach

in collaboration with Maud Sarazin and Björn Herrmann

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Standard Model and its limitations



$$G_{\text{SM}} = SU(3)_C imes SU(2)_L imes U(1)_Y$$

Advantages

- Higgs boson prediction
- Observables well tested experimentally

Major problems

- Gravity not included
- Description of the visible matter only
- Neutrinos remain massless

Unexplained phenomena

Dark Matter nature unknown despite its abundance



Neutrino oscillations linked to them having a mass



Planck measurements^a :

 $\Omega h^2 = 0.1200 \pm 0.0012$

 $P(\nu_i \longleftrightarrow \nu_j) \propto \sin^2\left(\frac{\Delta m_{ij}^2 L}{4E}\right)$

^aarXiv:1807.06209v4

Scotogenic models: a possible extension of the SM



	Ψ1	Ψ2	Σ1	Σ2	S	η
SU(3) _C	1	1	1	1	1	1
SU(2) _L	2	2	3	3	1	2
U(1) _Y	1	-1	0	0	0	1
[M]	3/2	3/2	3/2	3/2	1	1

Same gauge symmetry as SM

Addition of an extra symmetry \mathbb{Z}_2 :

SM particles are even under this symmetry

BSM particles are odd

- T12A topology already been studied by Björn Herrmann and Maud Sarazin
- T12A model only allows for 2 neutrino masses to be generated
- Variant of T12A with extra fermion singlet can generate 3 neutrino masses
- Phenomenology of a fermion singlet *F* has been studied so now we wanted to study the one of a fermion triplet

Lagrangian of our model

$$\begin{split} -\mathcal{L}_{\text{scalar}} \supset M_{H}^{2} |H|^{2} + \lambda_{H} |H|^{4} + \frac{1}{2} M_{S}^{2} S^{2} + \frac{1}{2} \lambda_{4S} S^{4} + M_{\eta}^{2} |\eta|^{2} + \lambda_{4\eta} |\eta|^{4} \\ &+ \frac{1}{2} \lambda_{S} S^{2} |H|^{2} + \lambda_{\eta} |\eta|^{2} |H|^{2} + \frac{1}{2} \lambda_{S\eta} S^{2} |\eta|^{2} + \lambda_{\eta}' |\eta^{\dagger} H|^{2} \\ &+ \frac{1}{2} \lambda_{\eta}'' \left(\left(\eta^{\dagger} H \right)^{2} + \text{h.c.} \right) + \kappa \left(S \eta^{\dagger} H + \text{h.c.} \right) \\ -\mathcal{L}_{\text{fermion}} \supset \frac{1}{2} M_{\Sigma_{1}} \overline{\Sigma}_{1} \Sigma_{1} + \frac{1}{2} M_{\Sigma_{2}} \overline{\Sigma}_{2} \Sigma_{2} \\ &+ M_{\Psi} \Psi_{1} \Psi_{2} + y_{1j} \Psi_{1} \Sigma_{j} H + y_{2j} \overline{\Psi}_{2} \Sigma_{j} H \\ &+ g_{\Psi}^{k} \Psi_{2} L_{k} S + g_{\Sigma_{j}}^{k} \eta \Sigma_{j} L_{k} + g_{R}^{k} \widetilde{\eta} \Psi_{1} e_{k}^{c} + \text{h.c.} \end{split}$$

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36 parameters to scan in the MCMC algorithm \Longrightarrow consequent computational time to scan a 36-D hypercube

Use of Casas-Ibarra parametrization to take in account experimental constraints in neutrino sector

Likelihood computed as $\mathcal{L}_n = \prod_i \mathcal{L}_i^n$ with $\ln(\mathcal{L}_i^n) = -\frac{(\mathcal{O}_i^n - \mathcal{O}_i^{exp})^2}{2\sigma_i^2}$

33 experimental constraints were taken in account

Observables computed thanks to SPheno and micrOMEGAs

Advantages: mass generation of 3 neutrinos

 ν_i



Σj

Couplings determined thanks

to Casas-Ibarra parametrization

 $M_{\nu} = \mathcal{G}^{t} M_{L} \mathcal{G}$



 ν_i

Constraints: Lepton Flavor Violation

$$-\mathcal{L}_{\text{fermion}} \supset \frac{g_{R}^{k} e_{k}^{c} \tilde{\eta} \Psi_{1} + (\frac{g_{\Psi}^{k}}{\Psi} \Psi_{2} L_{k} S + \frac{g_{\Sigma_{j}}^{k}}{\eta} \Sigma_{j} L_{k})$$



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Constraints: Lepton Flavor Violation



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Advantages: stability of Dark Matter particle

Boltzmann equation in FLRW model



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Satisfying DM relic density



Dark matter candidate?

Diagonalization of mass matrices



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Dark matter candidate



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Dark matter candidate



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Satisfying DM relic density: scalar sector



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Satisfying DM relic density: scalar sector



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Coannihilations

$$\left(\chi_{1}^{0},\chi_{2}^{0},\chi_{3}^{0},\chi_{4}^{0}\right)=\textit{U}_{\chi^{0}}\left(\Sigma_{1}^{0},\Sigma_{2}^{0},\Psi_{1}^{0},\Psi_{2}^{0}\right)$$

$$(\chi_1^+,\chi_2^+,\chi_3^+) = U_{\chi^+}(\Sigma_1^+,\Sigma_2^+,\Psi_2^+)$$

$$\left(\chi_{1}^{-},\chi_{2}^{-},\chi_{3}^{-}\right)=\textit{U}_{\chi^{-}}\left(\Sigma_{1}^{-},\Sigma_{2}^{-},\Psi_{1}^{-}\right)$$

More sources of Coannihilations processes Direct impact on triplet mass

$$\Sigma_j = egin{pmatrix} rac{\Sigma_j^0}{\sqrt{2}} & \Sigma_j^+ \ \Sigma_j^- & -rac{\Sigma_j^0}{\sqrt{2}} \end{pmatrix}$$

$$\Psi_1 = \begin{pmatrix} \Psi_1^0 \\ \Psi_1^- \end{pmatrix}, \Psi_2 = \begin{pmatrix} -\Psi_2^+ \\ \Psi_2^0 \end{pmatrix}$$

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Summary

- Extension of SM that deals with DM and neutrino masses
- Regions in parameter space satisfying major constraints (DM relic density, direct detection, Higgs mass, neutrino mass differences, LFV)
- Mass of BSM particles are reachable at the LHC



Thanks for your attention

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Details on Freeze-out



Features

- DM in thermal equilibrium with thermal bath deep within the radiation-dominated epoch
- as Γ ≤ H DM decouples first chemically and then kinematically from the thermal bath
- Correct relic density can be reached by different ways

• Diagonalization of the neutrino mass matrix by the PMNS matrix $M_{\nu} = V_{PMNS}^{\dagger} D_{\nu} V_{PMNS}^{*}$

Pontecorvo-Maki-Nakagawa-Sakata (PMNS) matrix expresses the mismatch between the rotations of the LH charged leptons and the neutrinos

$$V_{\mathsf{PMNS}} = V_{eL}^\dagger V_{
uL}$$

• Decomposition of neutrino mass matrix in different terms $M_{\nu} = \mathcal{G}^t M_L \mathcal{G}$

Combining those two statements leads to

$$\mathcal{G} = \textit{U}_{\textit{L}}\textit{D}_{\textit{L}}^{-1/2}\textit{R}\textit{D}_{\nu}^{1/2}\textit{V}_{\text{PMNS}}^{*}$$

with
$$R^t R = RR^t = \mathbb{I}_3$$

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Satisfying neutrino mass differences

At LO level





Second bump might be linked to loop corrections

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Satisfying neutrino mass differences

At LO level



