

# Accidentally Light Scalars from Large Representations

**Giacomo Ferrante**

based on

**JHEP, vol.01, p. 075, 2024** w/ F. Brümmer, M. Frigerio & T. Hambye

+

**arXiv:2406.02531** w/ F. Brümmer & M. Frigerio

# Light Scalars in QFT

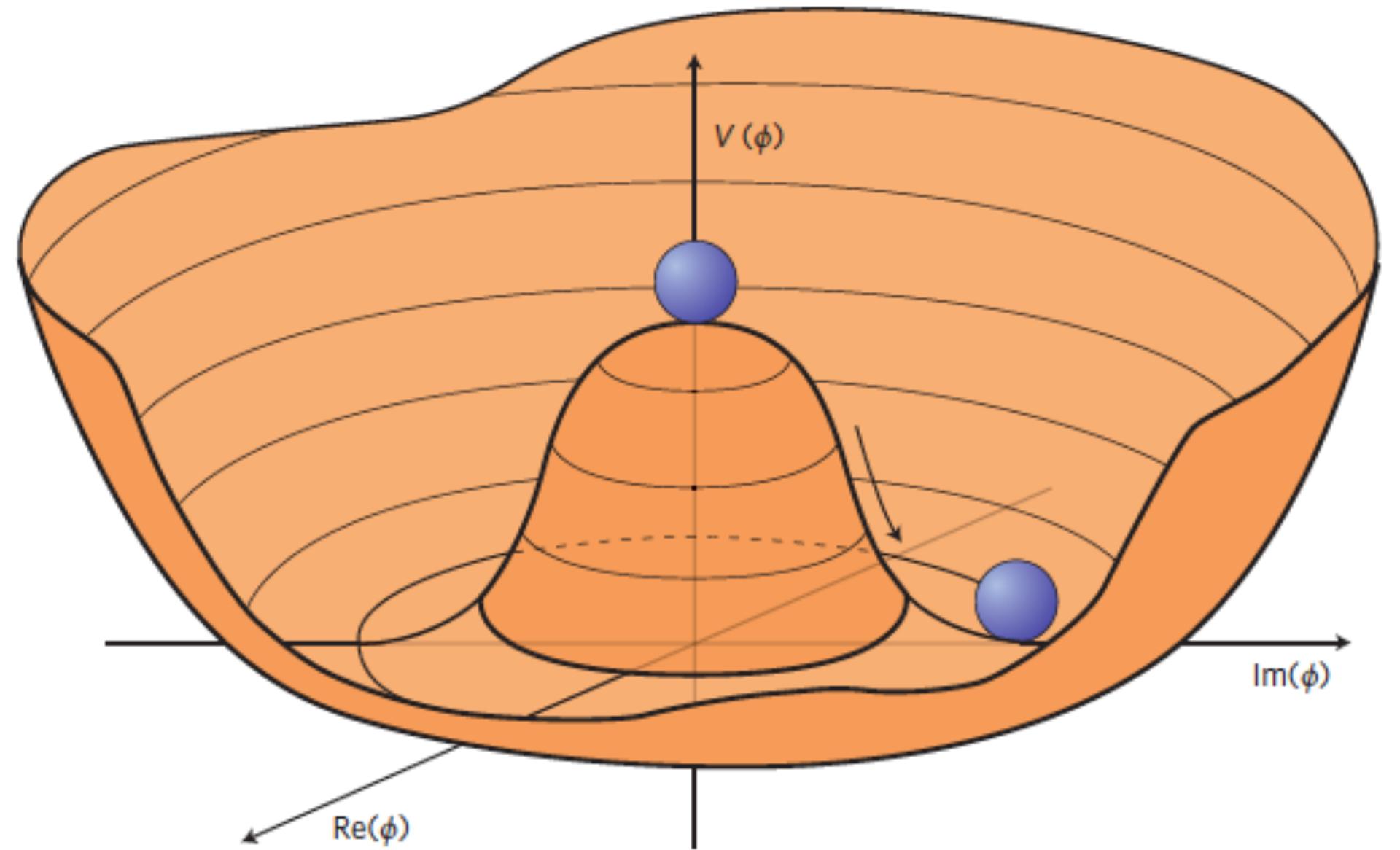
## Glossary

# Light Scalars in QFT

## Glossary

### 1. Nambu-Goldstone bosons:

- SSB:  $U(1) \rightarrow \emptyset$
- Massless at all orders



Credit: CERN

# Light Scalars in QFT

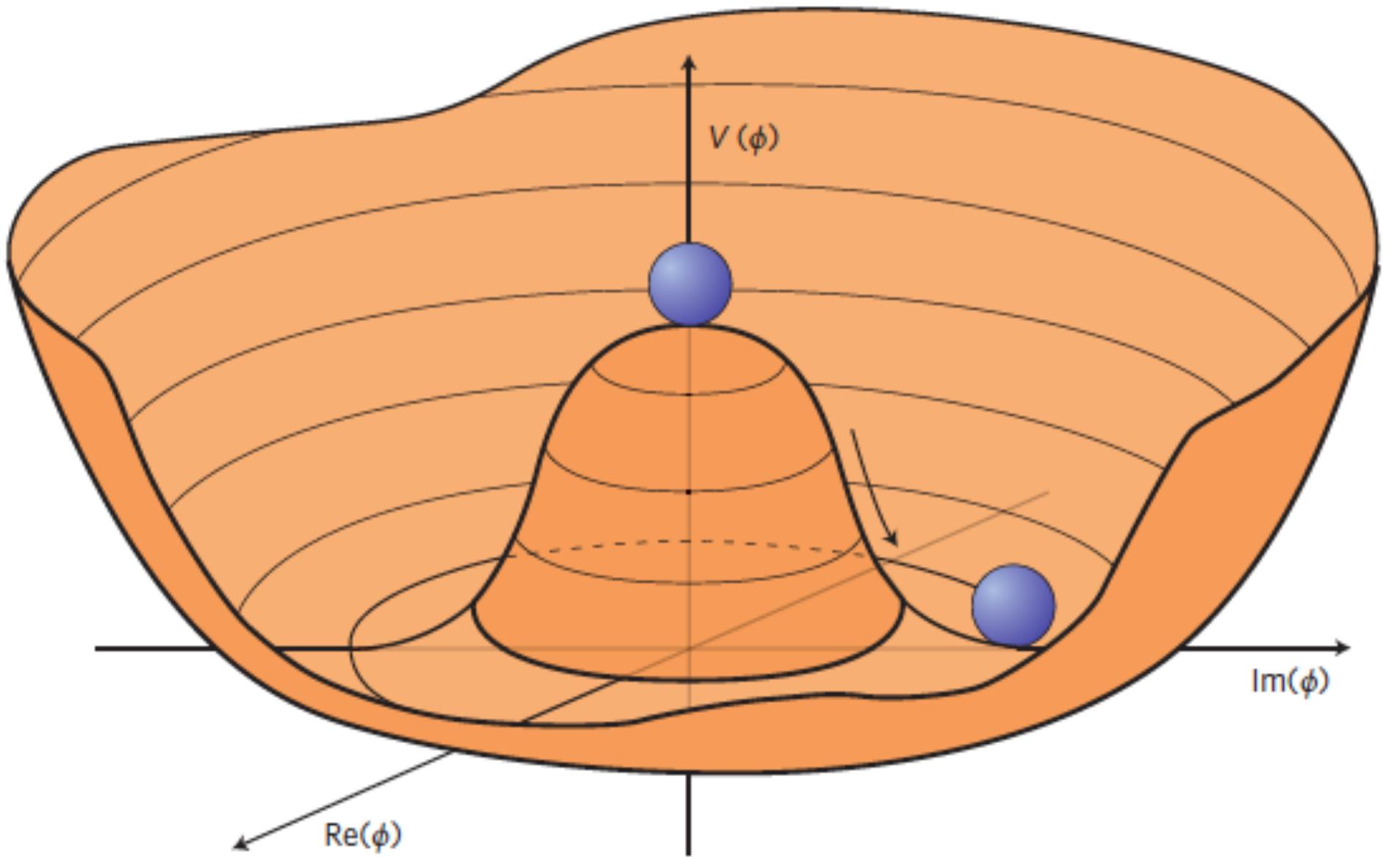
## Glossary

### 1. Nambu-Goldstone bosons:

- SSB:  $U(1) \rightarrow \emptyset$
- Massless at all orders

### 2. Pseudo Nambu-Goldstone bosons:

- SSB + explicit symmetry breaking terms



Credit: CERN

# Light Scalars in QFT

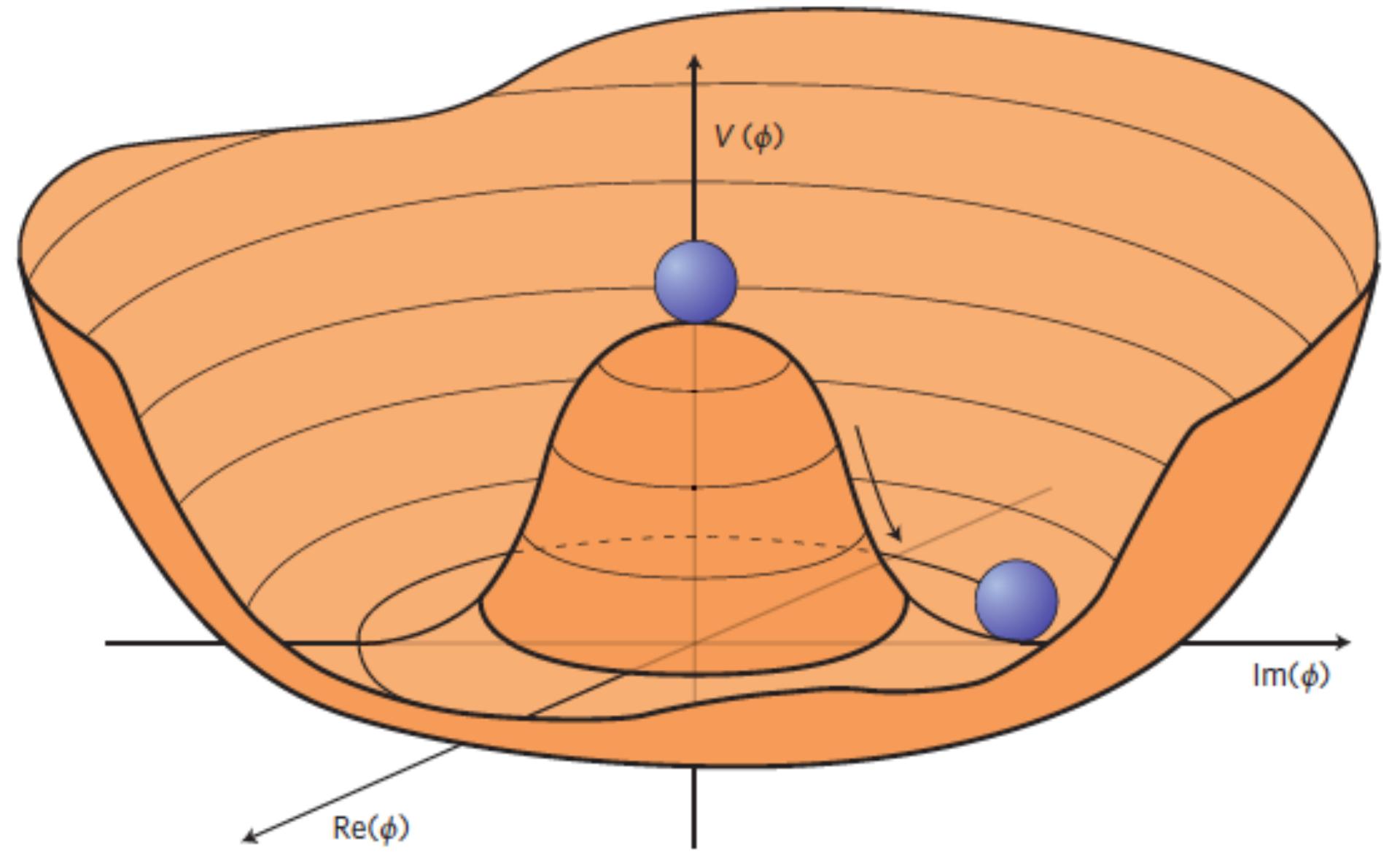
## Glossary

### 1. Nambu-Goldstone bosons:

- SSB:  $U(1) \rightarrow \emptyset$
- Massless at all orders

### 2. Pseudo Nambu-Goldstone bosons:

- SSB + explicit symmetry breaking terms



Credit: CERN

### 3. Accidents

# The SU(2) five-plet

# The SU(2) five-plet

$$\phi = (\phi_1, \phi_2, \phi_3, \phi_4, \phi_5)_1$$

# The SU(2) five-plet

$$\phi = (\phi_1, \phi_2, \phi_3, \phi_4, \phi_5)_1$$

$$V(\phi) = -\mu^2 S + \frac{1}{2} [\lambda S^2 + \kappa (S^2 - |S'|^2) + \delta A^a A^a]$$

No symmetry larger than  $SU(2)_D \times U(1)_D$

# The SU(2) five-plet

$$\phi = (\phi_1, \phi_2, \phi_3, \phi_4, \phi_5)_1$$

$$V(\phi) = -\mu^2 S + \frac{1}{2} [\lambda S^2 + \kappa (S^2 - |S'|^2) + \delta A^a A^a]$$

No symmetry larger than  $SU(2)_D \times U(1)_D$

vEV: 
$$\begin{cases} \langle \phi_1 \rangle = v \sin \alpha \\ \langle \phi_3 \rangle = v \cos \alpha \end{cases}$$

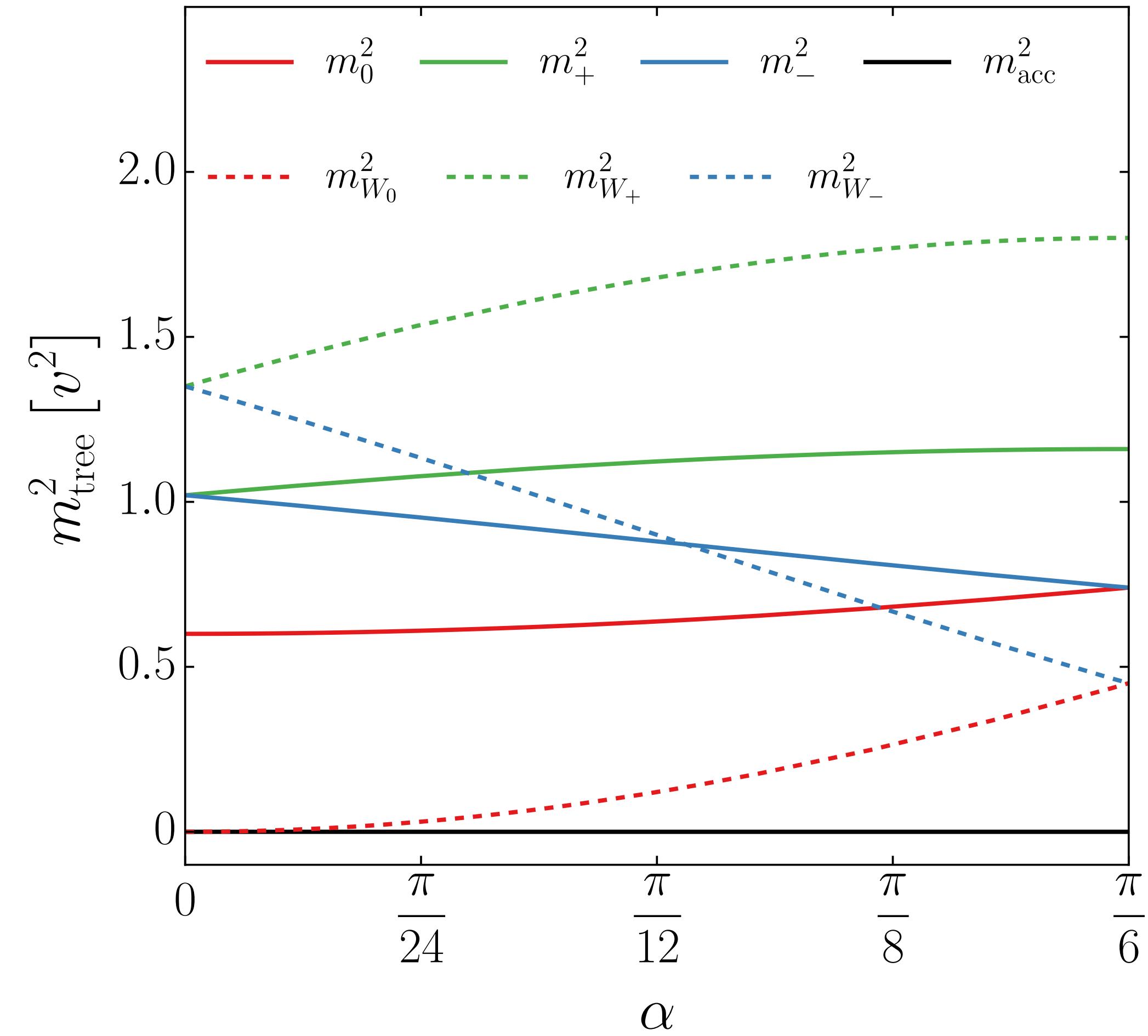
# The SU(2) five-plet

$$\phi = (\phi_1, \phi_2, \phi_3, \phi_4, \phi_5)_1$$

$$V(\phi) = -\mu^2 S + \frac{1}{2} [\lambda S^2 + \kappa (S^2 - |S'|^2) + \delta A^a A^a]$$

No symmetry larger than  $SU(2)_D \times U(1)_D$

VEV:  $\left\{ \begin{array}{l} \langle \phi_1 \rangle = v \sin \alpha \\ \langle \phi_3 \rangle = v \cos \alpha \end{array} \right.$



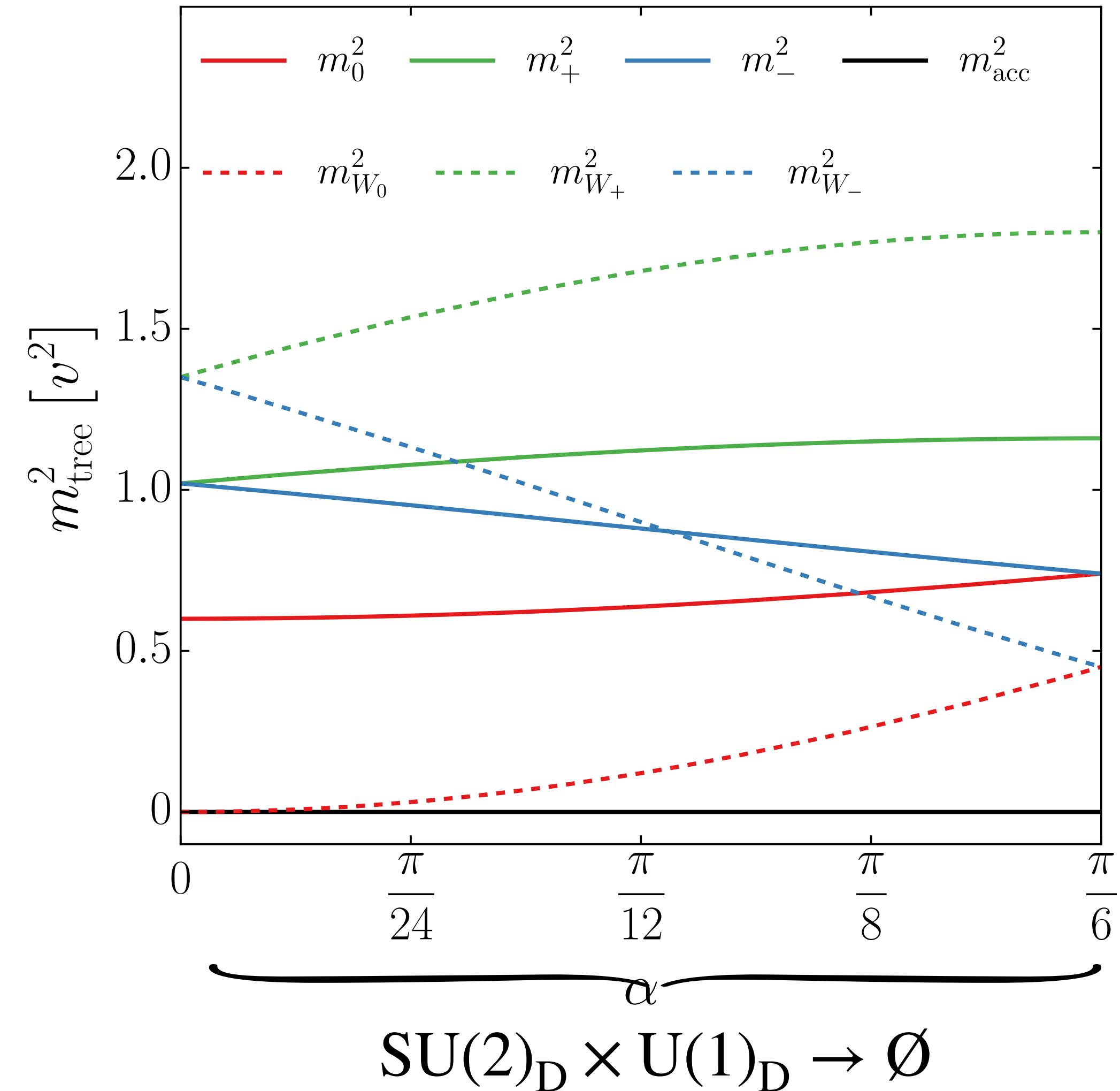
# The SU(2) five-plet

$$\phi = (\phi_1, \phi_2, \phi_3, \phi_4, \phi_5)_1$$

$$V(\phi) = -\mu^2 S + \frac{1}{2} [\lambda S^2 + \kappa (S^2 - |S'|^2) + \delta A^a A^a]$$

No symmetry larger than  $SU(2)_D \times U(1)_D$

VEV:  $\begin{cases} \langle \phi_1 \rangle = v \sin \alpha \\ \langle \phi_3 \rangle = v \cos \alpha \end{cases}$



# The SU(2) five-plet

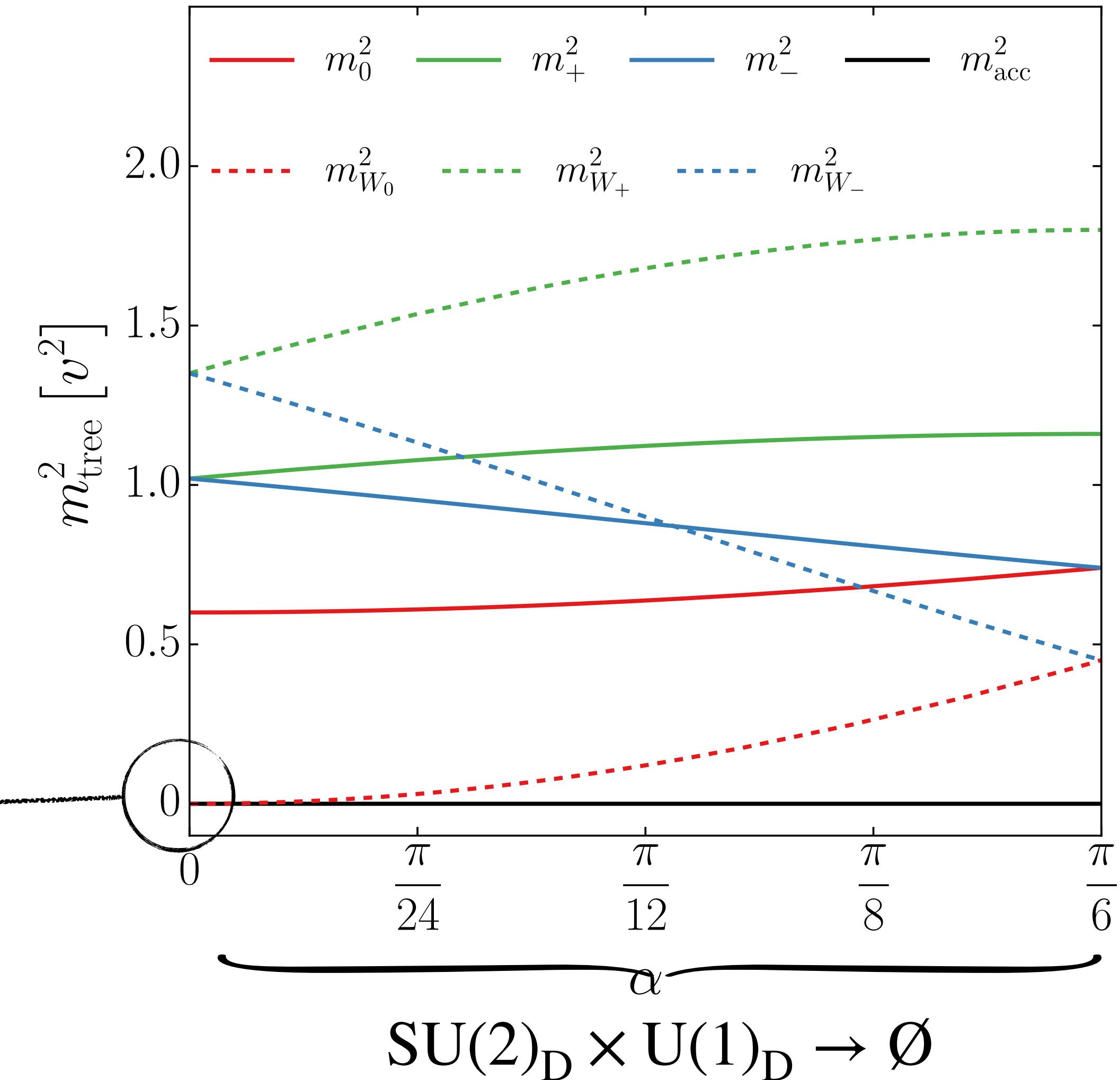
$$\phi = (\phi_1, \phi_2, \phi_3, \phi_4, \phi_5)_1$$

$$V(\phi) = -\mu^2 S + \frac{1}{2} [\lambda S^2 + \kappa (S^2 - |S'|^2) + \delta A^a A^a]$$

No symmetry larger than  $SU(2)_D \times U(1)_D$

VEV:  $\begin{cases} \langle \phi_1 \rangle = v \sin \alpha \\ \langle \phi_3 \rangle = v \cos \alpha \end{cases}$

$U(1)'$  restoration  $\leftarrow$



# The SU(2) five-plet

$$\phi = (\phi_1, \phi_2, \phi_3, \phi_4, \phi_5)_1$$

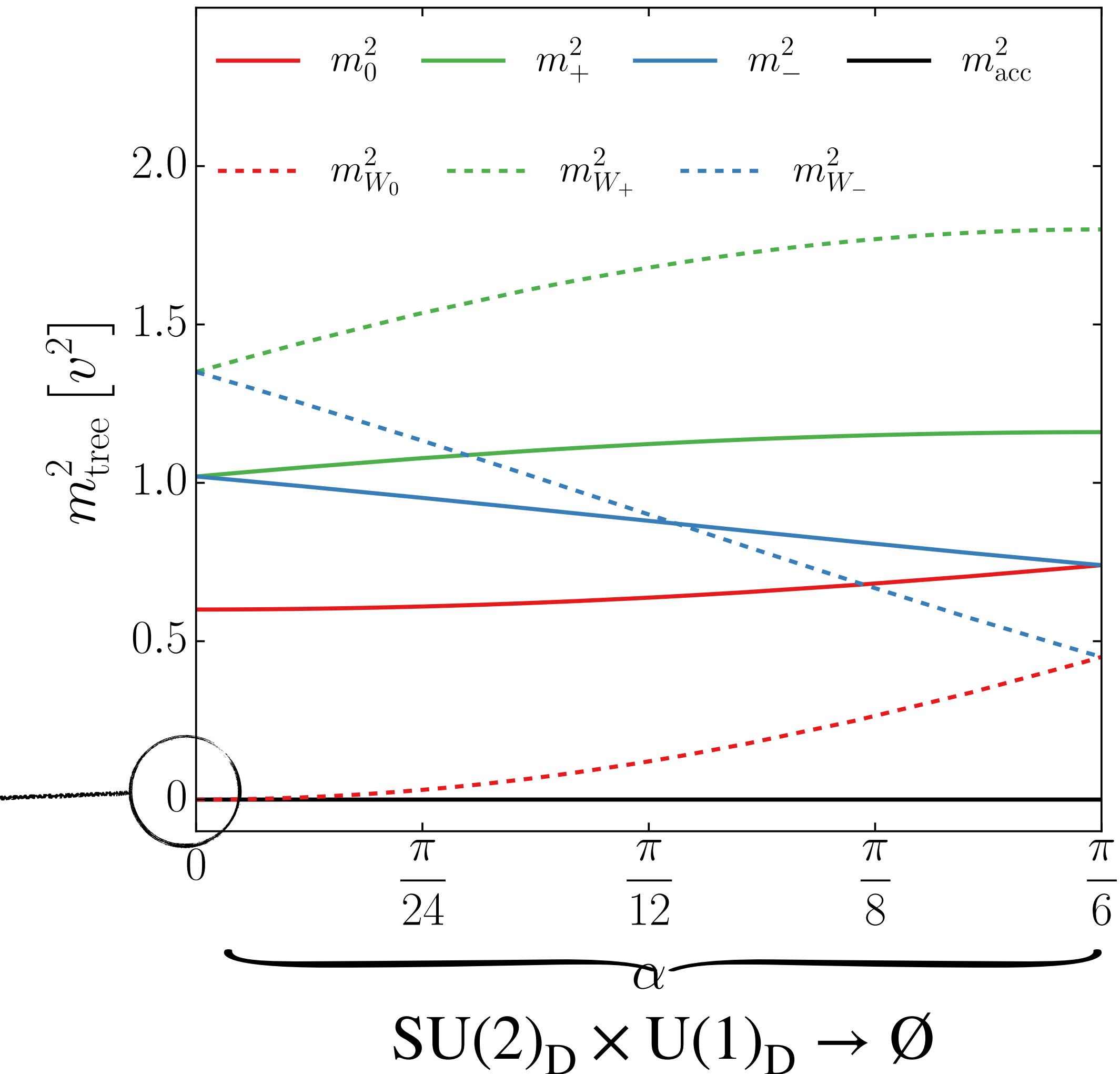
$$V(\phi) = -\mu^2 S + \frac{1}{2} [\lambda S^2 + \kappa (S^2 - |S'|^2) + \delta A^a A^a]$$

No symmetry larger than  $SU(2)_D \times U(1)_D$

VEV:  $\begin{cases} \langle \phi_1 \rangle = v \sin \alpha \\ \langle \phi_3 \rangle = v \cos \alpha \end{cases}$

No symmetry protection

$U(1)'$  restoration



# The SU(2) five-plet

$$\phi = (\phi_1, \phi_2, \phi_3, \phi_4, \phi_5)_1$$

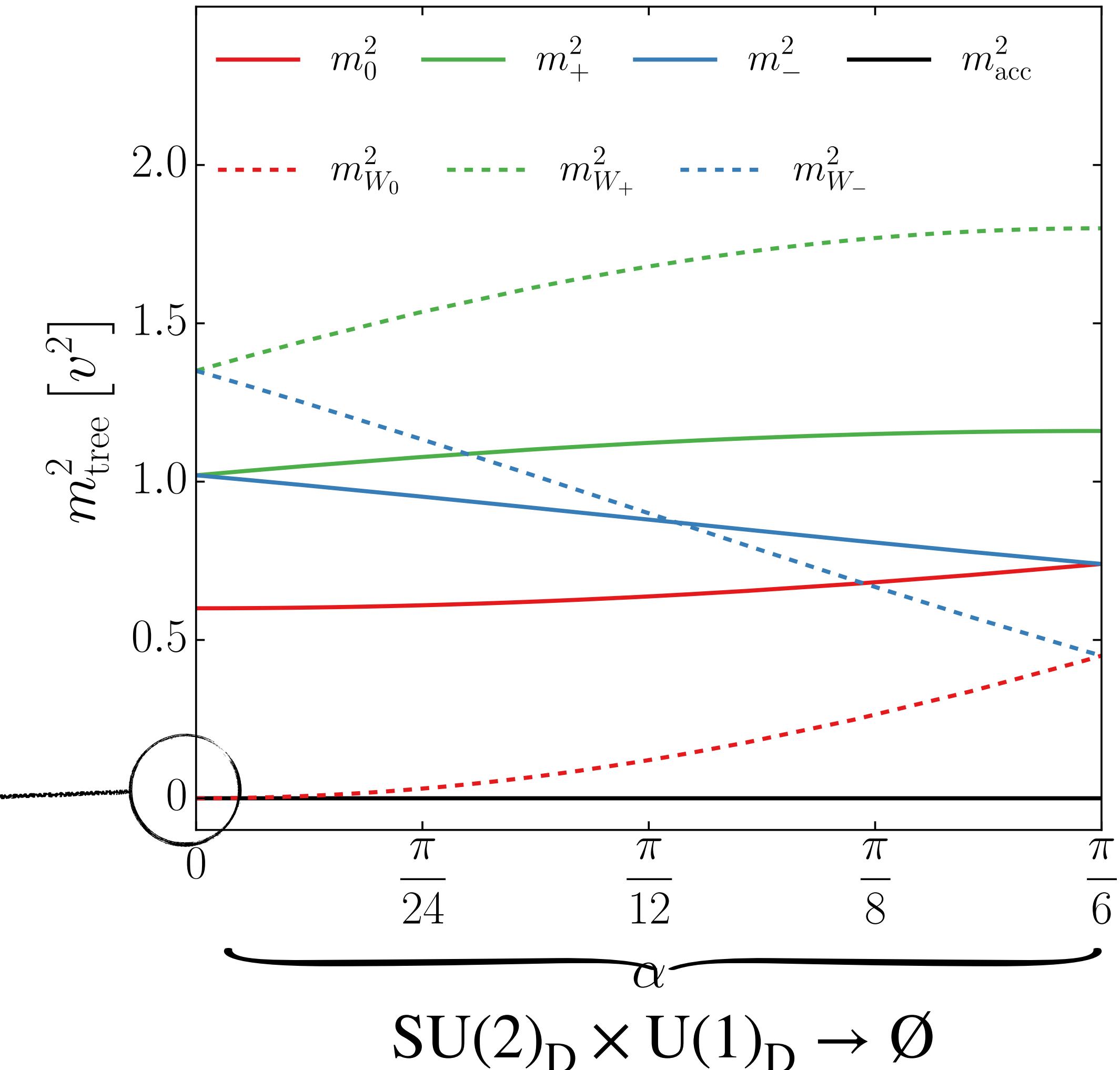
$$V(\phi) = -\mu^2 S + \frac{1}{2} [\lambda S^2 + \kappa (S^2 - |S'|^2) + \delta A^a A^a]$$

No symmetry larger than  $SU(2)_D \times U(1)_D$

VEV:  $\begin{cases} \langle \phi_1 \rangle = v \sin \alpha \\ \langle \phi_3 \rangle = v \cos \alpha \end{cases}$

No symmetry protection  $\xrightarrow[1\text{-loop}]{} V_{\text{eff}}(\alpha) \simeq \frac{c_1 v^4}{64\pi^2} \cos \alpha$

$U(1)'$  restoration



# Possible Applications

**Abelian Higgs**

**Dark matter**

# Possible Applications

**Abelian Higgs**

Accident  $\equiv$  Abelian Higgs of  $U(1)'$

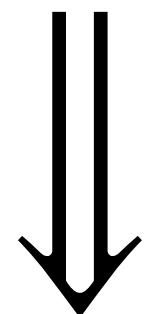
**Dark matter**

# Possible Applications

**Abelian Higgs**

**Dark matter**

Accident  $\equiv$  Abelian Higgs of  $U(1)'$

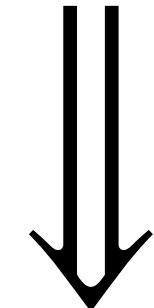


Solution to  
Little Hierarchy Problem

# Possible Applications

**Abelian Higgs**

Accident  $\equiv$  Abelian Higgs of  $U(1)'$



Solution to  
Little Hierarchy Problem

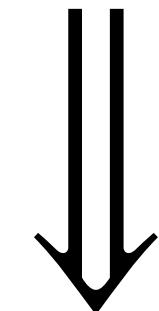
**Dark matter**

Accident  
=  
the lightest particle + charged under  $U(1)'$

# Possible Applications

**Abelian Higgs**

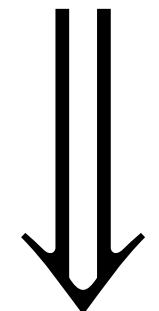
Accident  $\equiv$  Abelian Higgs of  $U(1)'$



Solution to  
Little Hierarchy Problem

**Dark matter**

Accident  
=  
the lightest particle + charged under  $U(1)'$

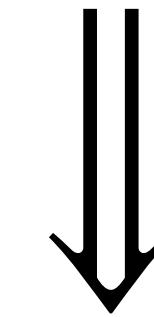


DM candidate

# Possible Applications

Abelian Higgs

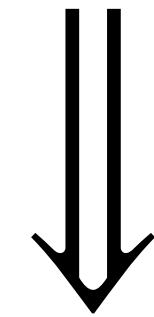
Accident  $\equiv$  Abelian Higgs of  $U(1)'$



Solution to  
Little Hierarchy Problem

Dark matter

Accident  
 $=$   
particle + charged under  $U(1)'$



DM candidate

More in the Backup!!!

# Possible Applications

## Inflation

# Possible Applications

## Inflation

Small field Inflation requires: flat potential

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto

Phys.Rev.Lett. 65 (1990) 3233-3236



$\varphi$  pNBG of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto

Phys.Rev.Lett. 65 (1990) 3233-3236



$\varphi$  pNBG of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto

Phys.Rev.Lett. 65 (1990) 3233-3236



$\varphi$  pNBG of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

1. Excluded by CMB observations

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto

Phys.Rev.Lett. 65 (1990) 3233-3236



$\varphi$  pNBG of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

1. Excluded by CMB observations
2. Large-field model:  $f \geq M_{\text{Pl}}$

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNBG of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

1. Excluded by CMB observations
2. Large-field model:  $f \geq M_{\text{Pl}}$



D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684, 199 (2010)

Add large c.c. using a waterfall field

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNBG of a shift symm

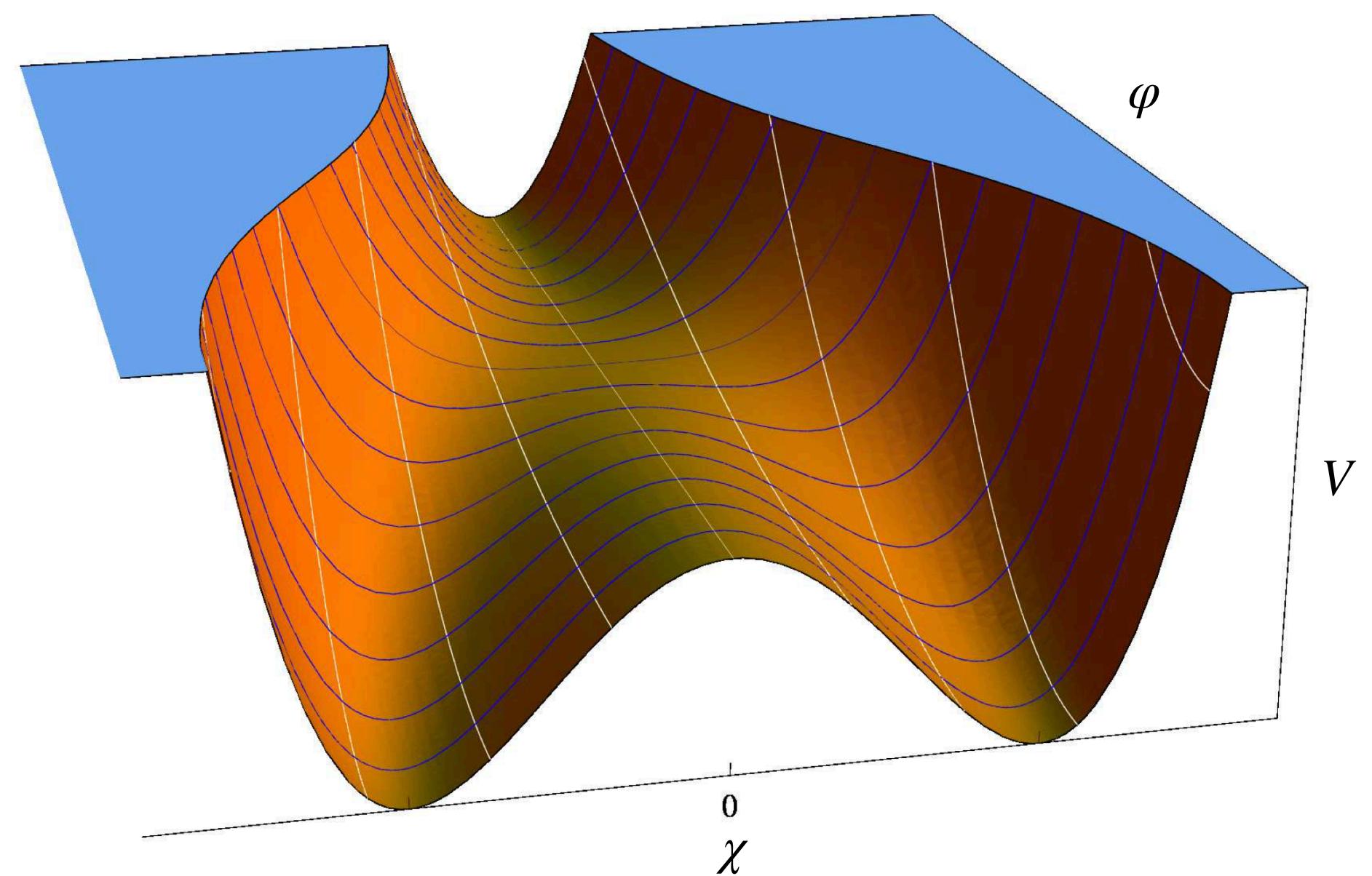
$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

1. Excluded by CMB observations
2. Large-field model:  $f \geq M_{\text{Pl}}$



Add large c.c. using a waterfall field



D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684,199 (2010)

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

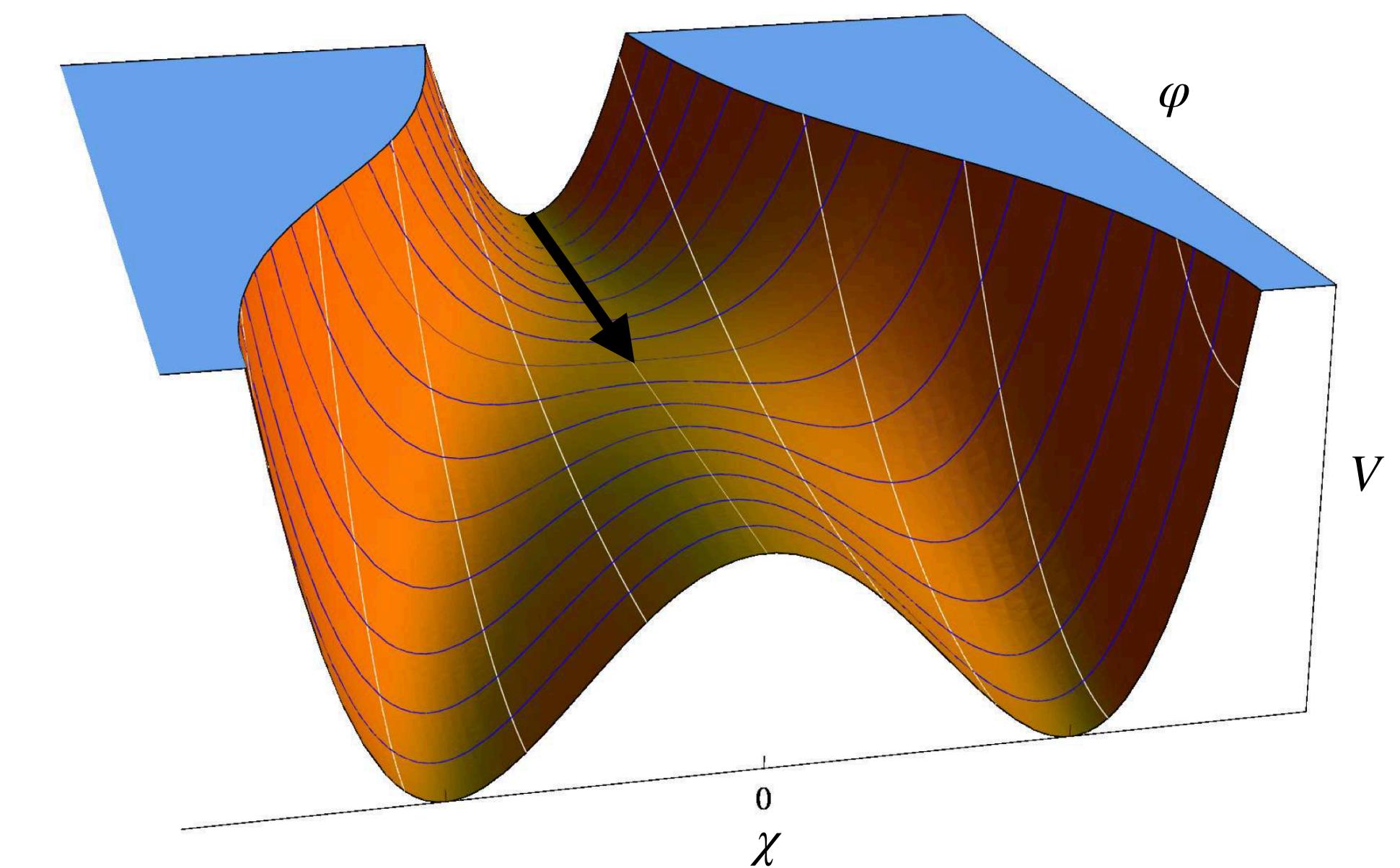
K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNBG of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

1. Excluded by CMB observations
2. Large-field model:  $f \geq M_{\text{Pl}}$



D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684,199 (2010)

Add large c.c. using a waterfall field

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

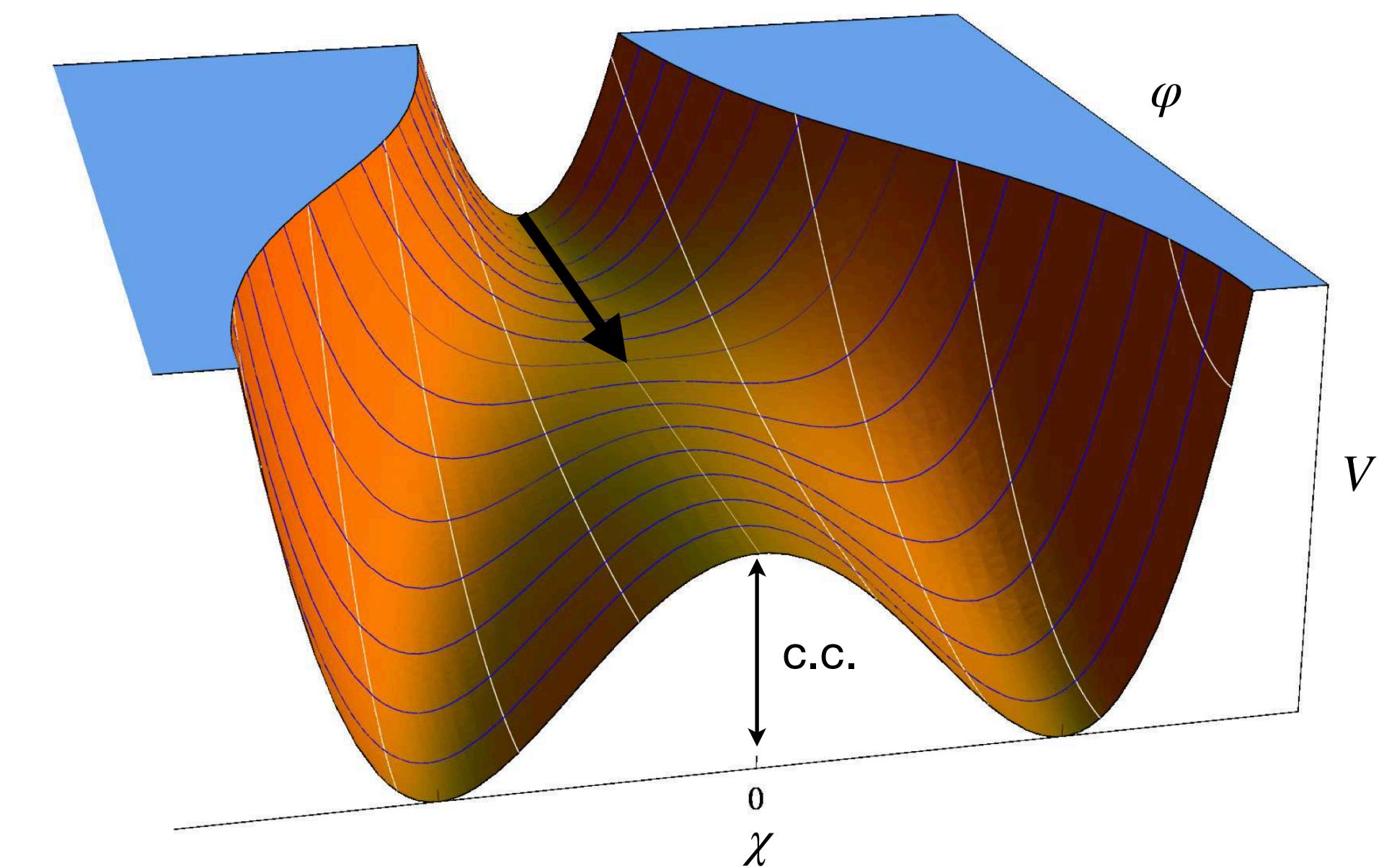
K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNBG of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

1. Excluded by CMB observations
2. Large-field model:  $f \geq M_{\text{Pl}}$



D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684, 199 (2010)

Add large c.c. using a waterfall field

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNBG of a shift symm

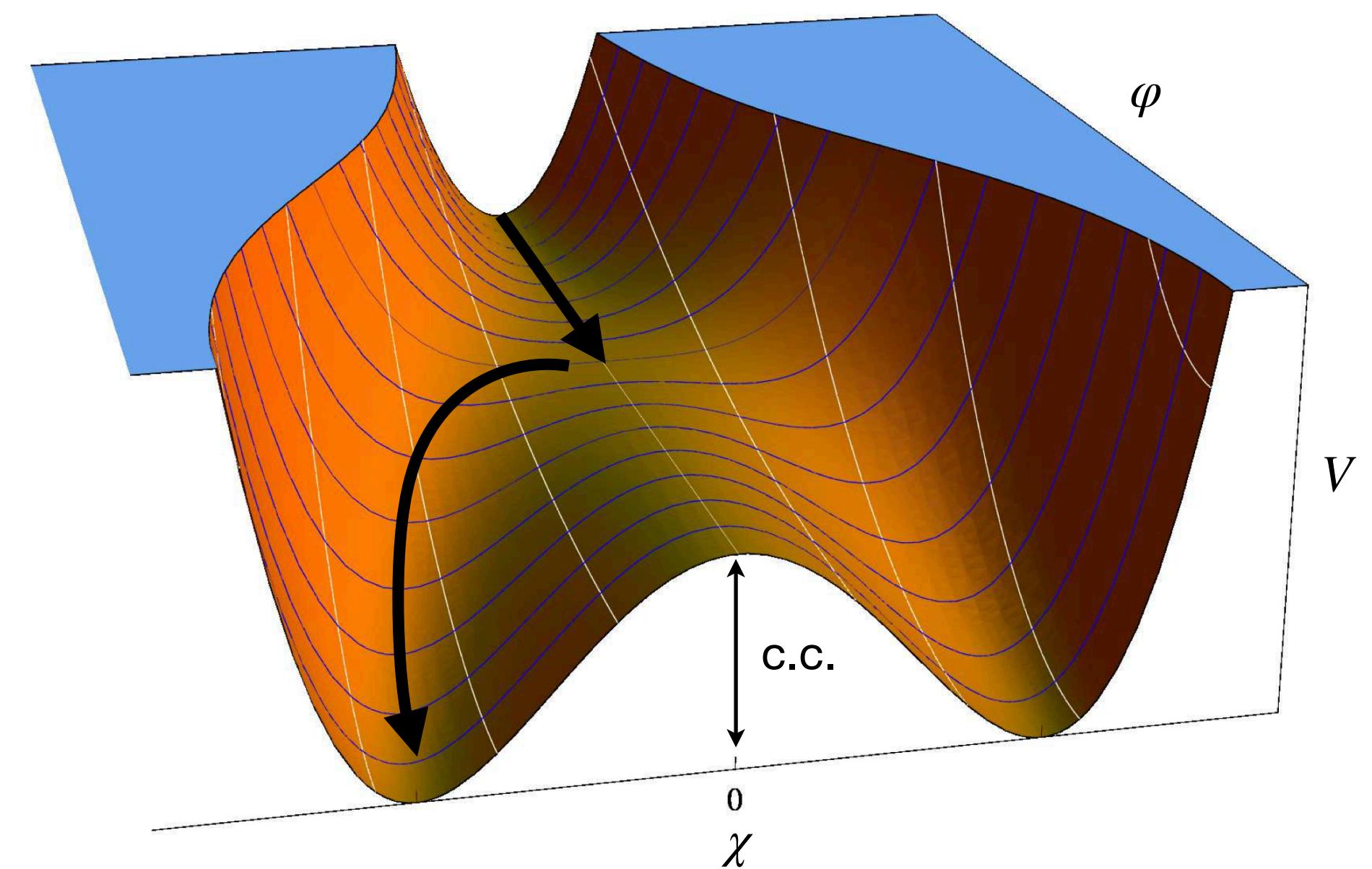
$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

1. Excluded by CMB observations
2. Large-field model:  $f \geq M_{\text{Pl}}$



3



D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684, 199 (2010)

Add large c.c. using a waterfall field

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNBG of a shift symm

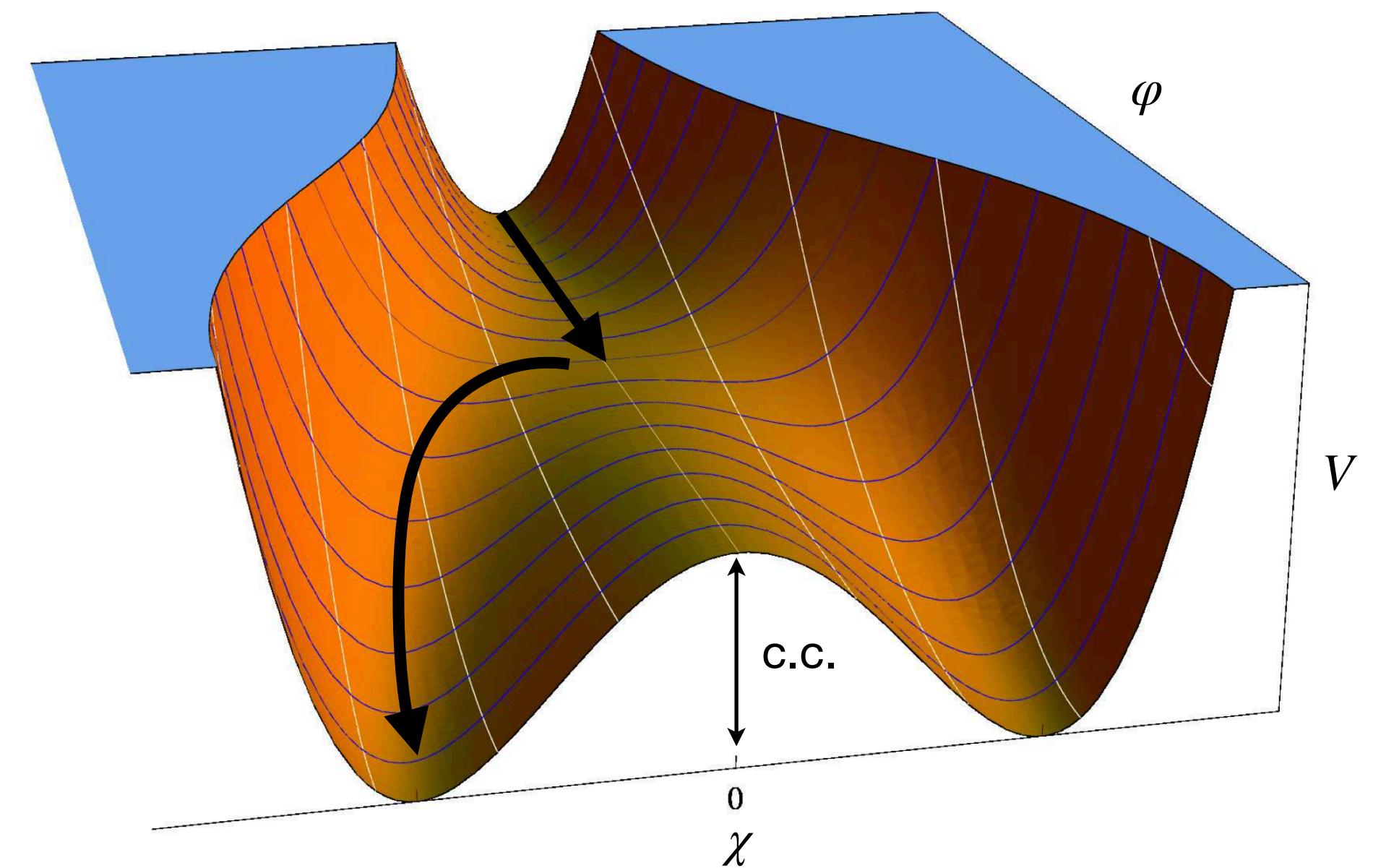
$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

1. Excluded by CMB observations
2. Large-field model:  $f \geq M_{\text{Pl}}$



3



D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684,199 (2010)

Add large c.c. using a waterfall field  
(ad-hoc discrete symmetries needed)

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNGB of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

BUT

- Excluded by CMB observations
- Large-field model:  $f \geq M_{\text{Pl}}$



$\alpha$  accident

D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684,199 (2010)



Add large c.c. using a waterfall field  
(ad-hoc discrete symmetries needed)

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNGB of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

$\alpha$  accident

$$V_{\text{eff}}(\alpha) \simeq \frac{c_1 v^4}{64\pi^2} \cos(6\alpha)$$

BUT

- Excluded by CMB observations
- Large-field model:  $f \geq M_{\text{Pl}}$



D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684, 199 (2010)

Add large c.c. using a waterfall field  
(ad-hoc discrete symmetries needed)

# Possible Applications

## Inflation

Small field Inflation requires: flat potential + protection from radiative corrections

K. Freese, J. A. Freeman, A. V. Olinto  
*Phys.Rev.Lett.* 65 (1990) 3233-3236

$\varphi$  pNGB of a shift symm

$$V_{\text{NI}}(\varphi) = M^4 \left[ 1 - \cos \left( \frac{\varphi}{f} \right) \right]$$

$\approx$

$\alpha$  accident

$$V_{\text{eff}}(\alpha) \simeq \frac{c_1 v^4}{64\pi^2} \cos(6\alpha)$$

BUT

- Excluded by CMB observations
- Large-field model:  $f \geq M_{\text{Pl}}$

$\Rightarrow$

D. E. Kaplan, N. J. Weiner *JCAP* 02 (2004) 005

G. Ross, G. German *Phys.Lett.B* 684, 199 (2010)

Add large c.c. using a waterfall field  
(ad-hoc discrete symmetries needed)

# “Accidental” Inflation

# “Accidental” Inflation

Add  $V_0$  using  $\chi \sim 3_1$

# “Accidental” Inflation

Add  $V_0$  using  $\chi \sim 3_1$

$$V = V(\phi) + \frac{\lambda_\chi}{4} \left( |\chi|^2 - v_\chi^2 \right)^2 + \zeta T_{AB}^a T_{BC}^b \phi^{*A} \phi^C \chi^{*a} \chi^b$$

# “Accidental” Inflation

Add  $V_0$  using  $\chi \sim \mathbf{3}_1$

$$V = V(\phi) + \frac{\lambda_\chi}{4} \left( |\chi|^2 - v_\chi^2 \right)^2 + \zeta T_{AB}^a T_{BC}^b \phi^{*A} \phi^C \chi^{*a} \chi^b$$

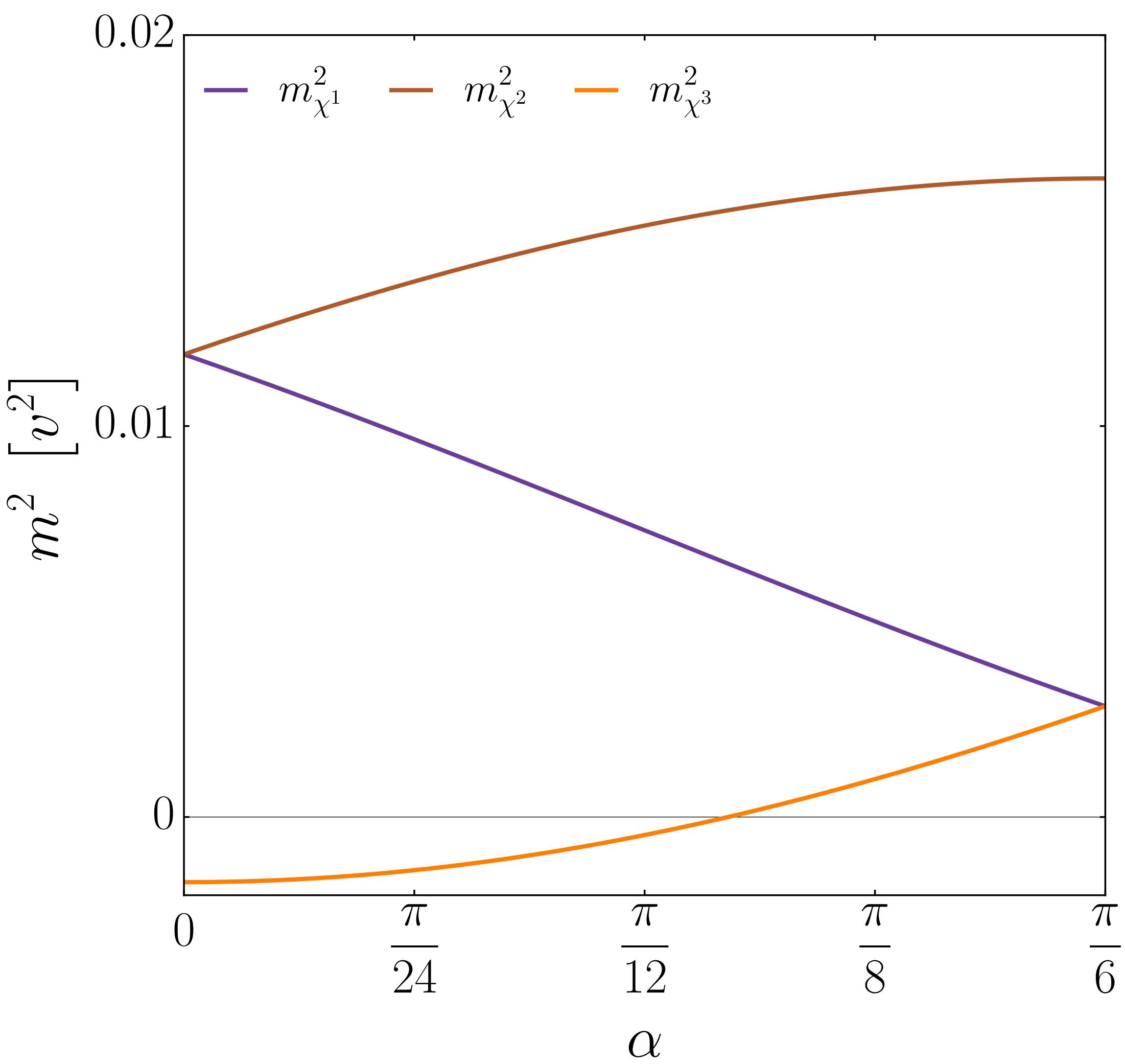
Inflation: 
$$\begin{cases} \langle \phi \rangle = v(\alpha) \text{ (Accidentally flat direction)} \\ \langle \chi \rangle = 0 \end{cases}$$

# "Accidental" Inflation

Add  $V_0$  using  $\chi \sim \mathbf{3}_1$

$$V = V(\phi) + \frac{\lambda_\chi}{4} \left( |\chi|^2 - v_\chi^2 \right)^2 + \zeta T_{AB}^a T_{BC}^b \phi^{*A} \phi^C \chi^{*a} \chi^b$$

Inflation:  $\begin{cases} \langle \phi \rangle = v(\alpha) \text{ (Accidentally flat direction)} \\ \langle \chi \rangle = 0 \end{cases}$

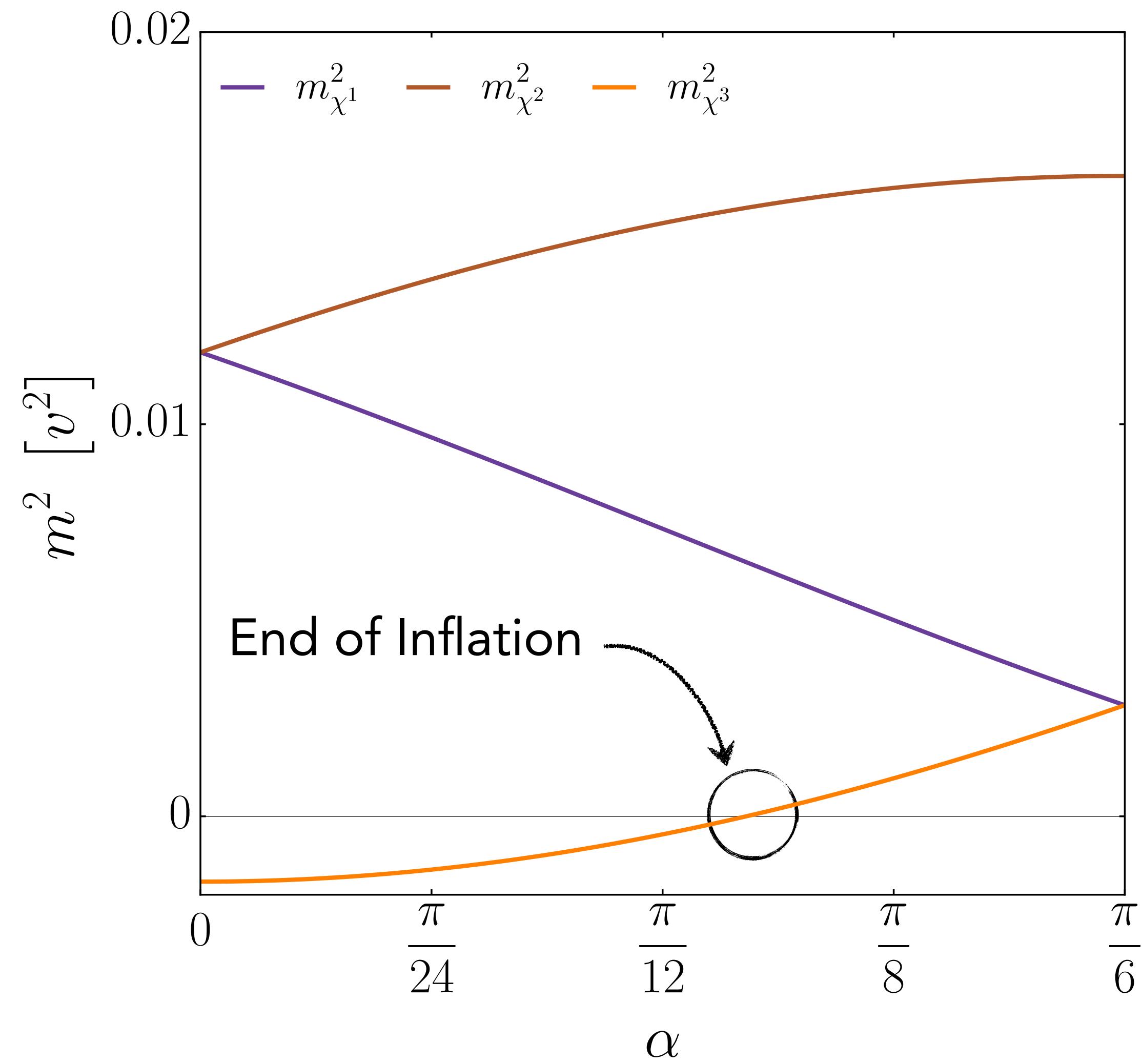


# "Accidental" Inflation

Add  $V_0$  using  $\chi \sim \mathbf{3}_1$

$$V = V(\phi) + \frac{\lambda_\chi}{4} \left( |\chi|^2 - v_\chi^2 \right)^2 + \zeta T_{AB}^a T_{BC}^b \phi^{*A} \phi^C \chi^{*a} \chi^b$$

Inflation:  $\begin{cases} \langle \phi \rangle = v(\alpha) \text{ (Accidentally flat direction)} \\ \langle \chi \rangle = 0 \end{cases}$



# "Accidental" Inflation

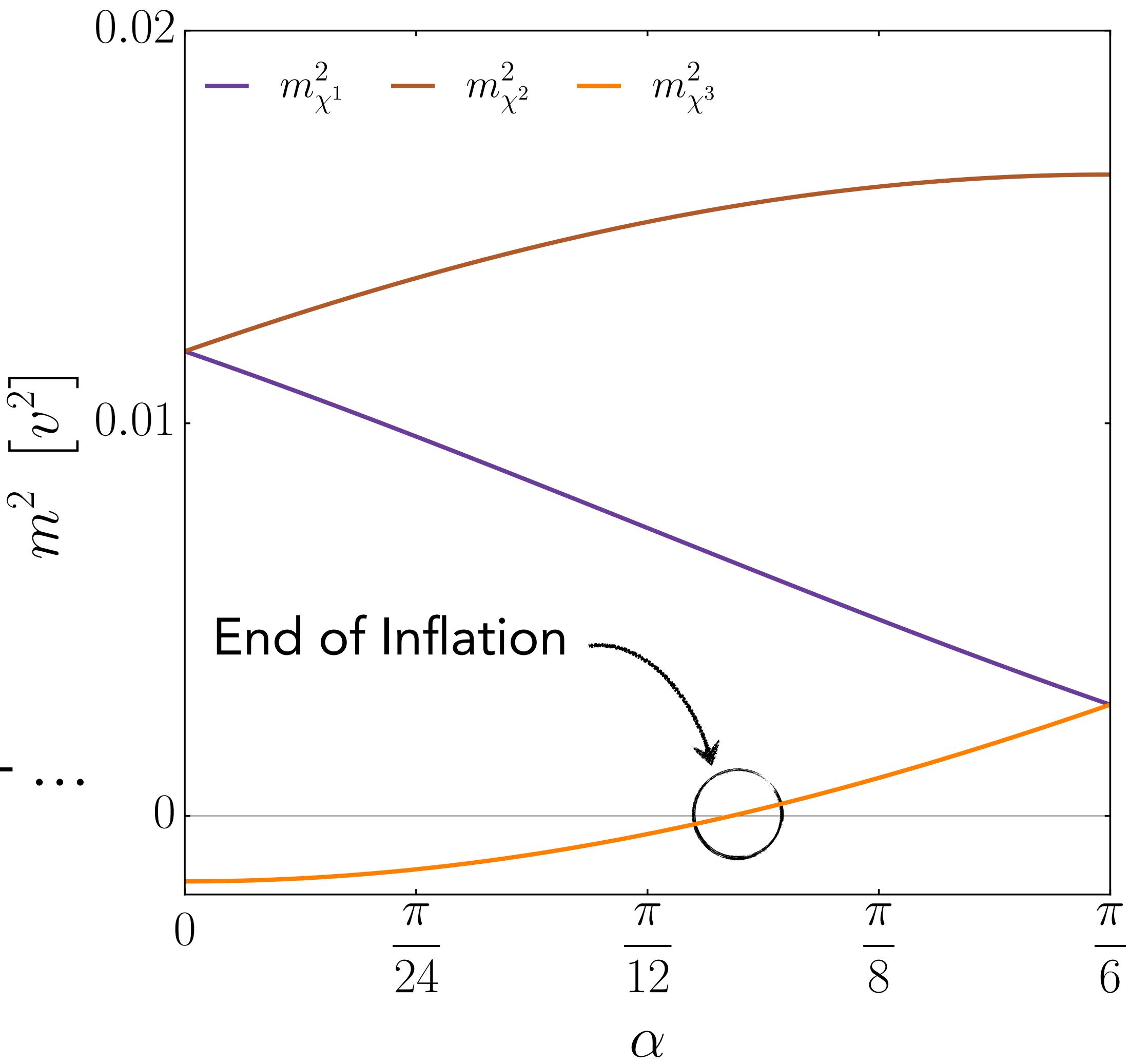
Add  $V_0$  using  $\chi \sim \mathbf{3}_1$

$$V = V(\phi) + \frac{\lambda_\chi}{4} \left( |\chi|^2 - v_\chi^2 \right)^2 + \zeta T_{AB}^a T_{BC}^b \phi^{*A} \phi^C \chi^{*a} \chi^b$$

Inflation:  $\begin{cases} \langle \phi \rangle = v(\alpha) \text{ (Accidentally flat direction)} \\ \langle \chi \rangle = 0 \end{cases}$

$$= m_{\chi^3}^2(\alpha)$$

$$V_{\text{inf}} = V_0 + \frac{c_1 v^4}{64\pi^2} \cos(6\alpha) - \frac{1}{2} \underbrace{\left[ \mu_\chi^2 - \zeta v^2 \sin^2(\alpha) \right]}_{= m_{\chi^3}^2(\alpha)} |\chi^3|^2 + \dots$$



# "Accidental" Inflation

Add  $V_0$  using  $\chi \sim \mathbf{3}_1$

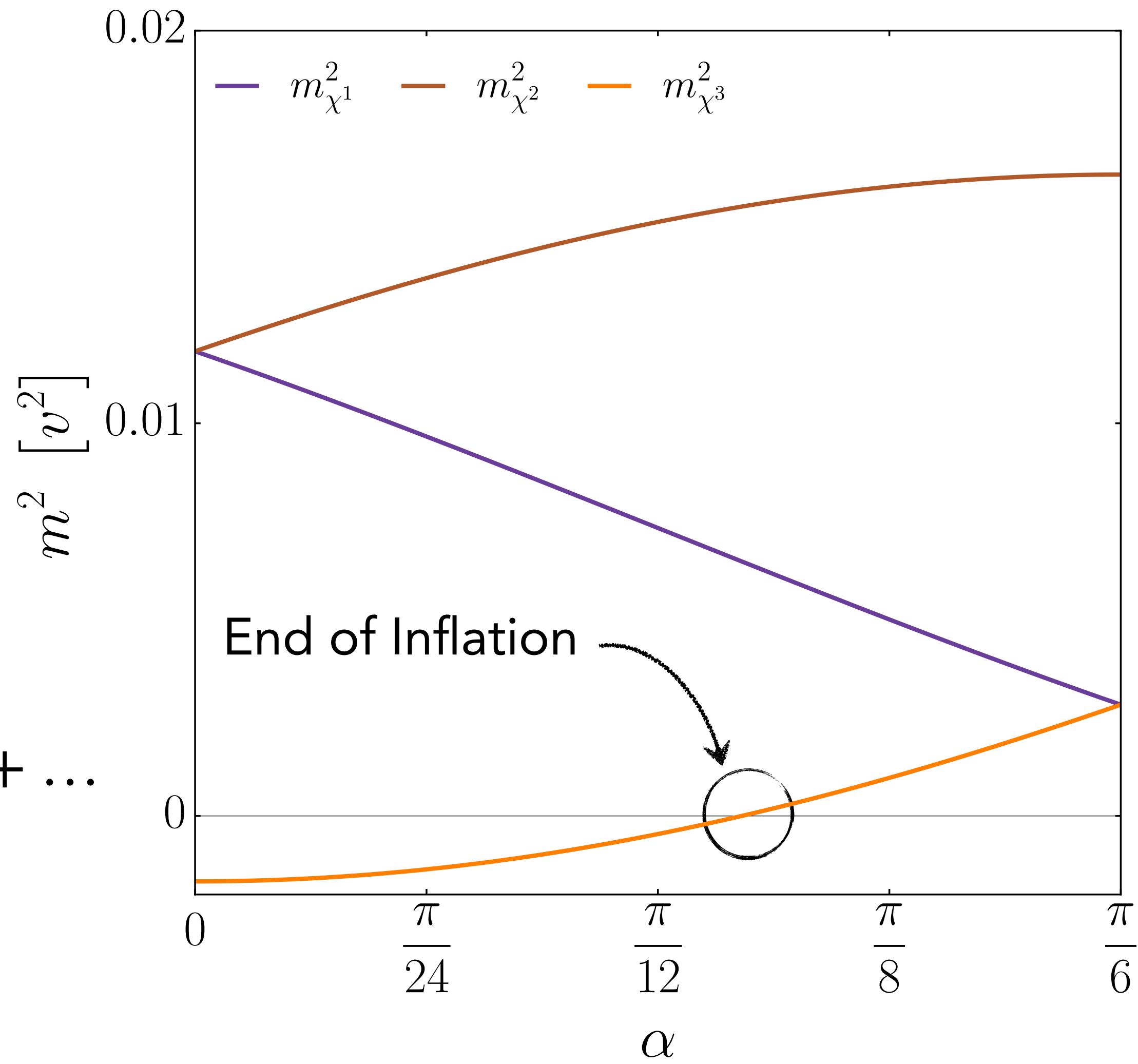
$$V = V(\phi) + \frac{\lambda_\chi}{4} \left( |\chi|^2 - v_\chi^2 \right)^2 + \zeta T_{AB}^a T_{BC}^b \phi^{*A} \phi^C \chi^{*a} \chi^b$$

Inflation:  $\begin{cases} \langle \phi \rangle = v(\alpha) \text{ (Accidentally flat direction)} \\ \langle \chi \rangle = 0 \end{cases}$

$$V_{\text{inf}} = V_0 + \frac{c_1 v^4}{64\pi^2} \cos(6\alpha) - \frac{1}{2} \underbrace{\left[ \mu_\chi^2 - \zeta v^2 \sin^2(\alpha) \right]}_{= m_{\chi^3}^2(\alpha)} |\chi^3|^2 + \dots$$

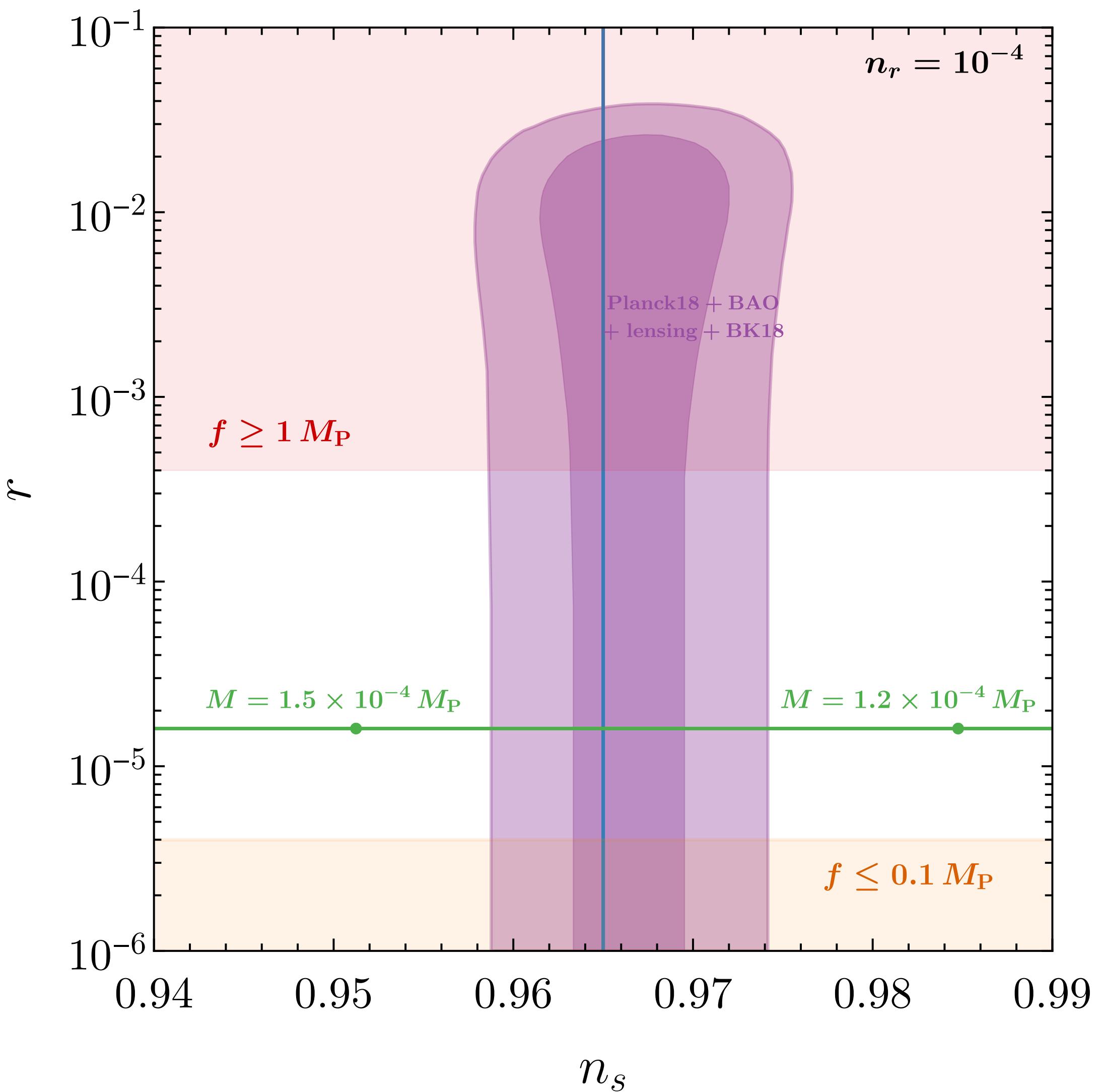
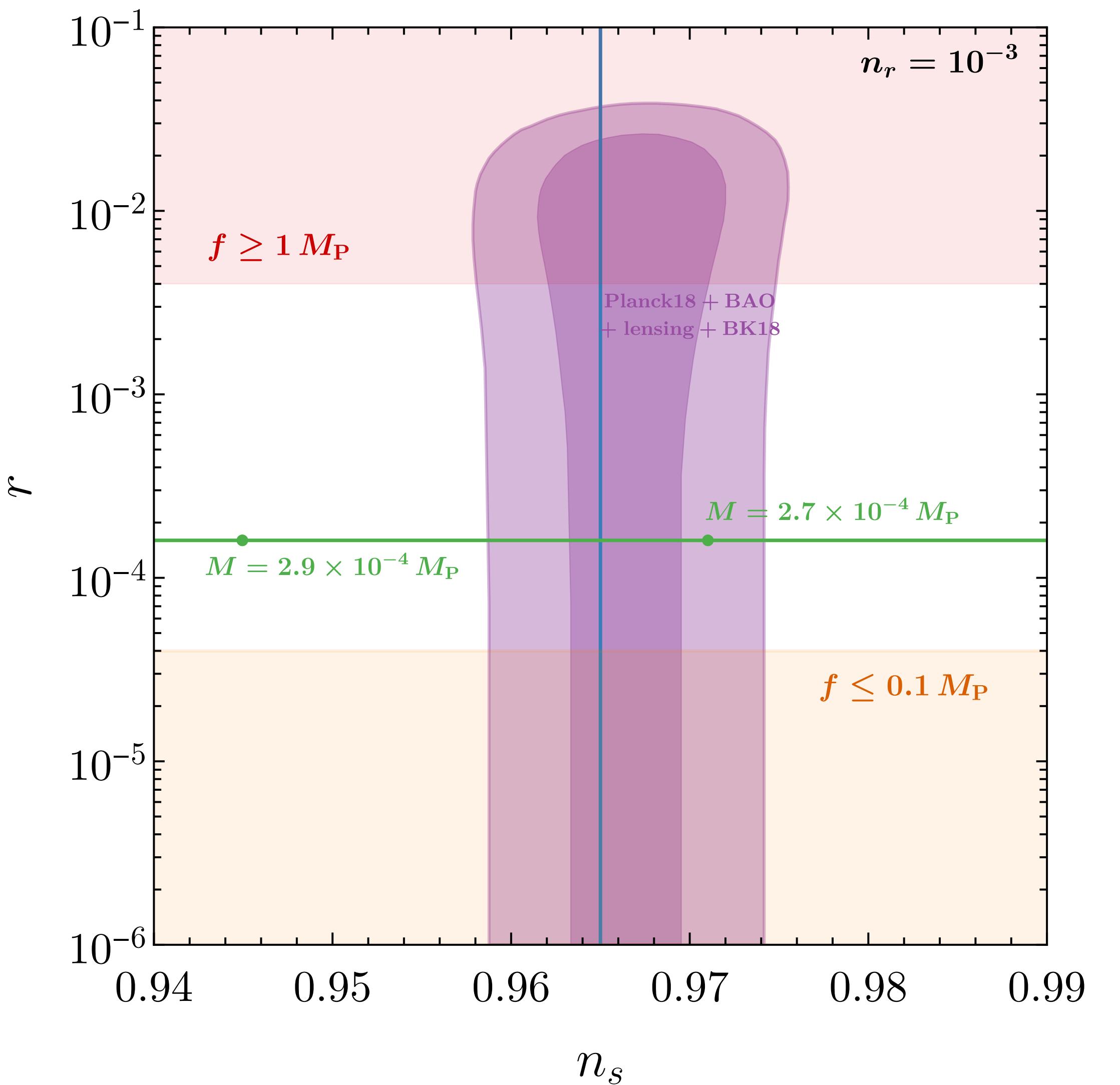
Inflaton = Accident  $\implies$

**Protection from ALL  
higher-order corrections**



# "Accidental" Inflation

## CMB



# Domain Walls

$\mathbb{Z}_4$ - symmetric model

# Domain Walls

$\mathbb{Z}_4$ - symmetric model

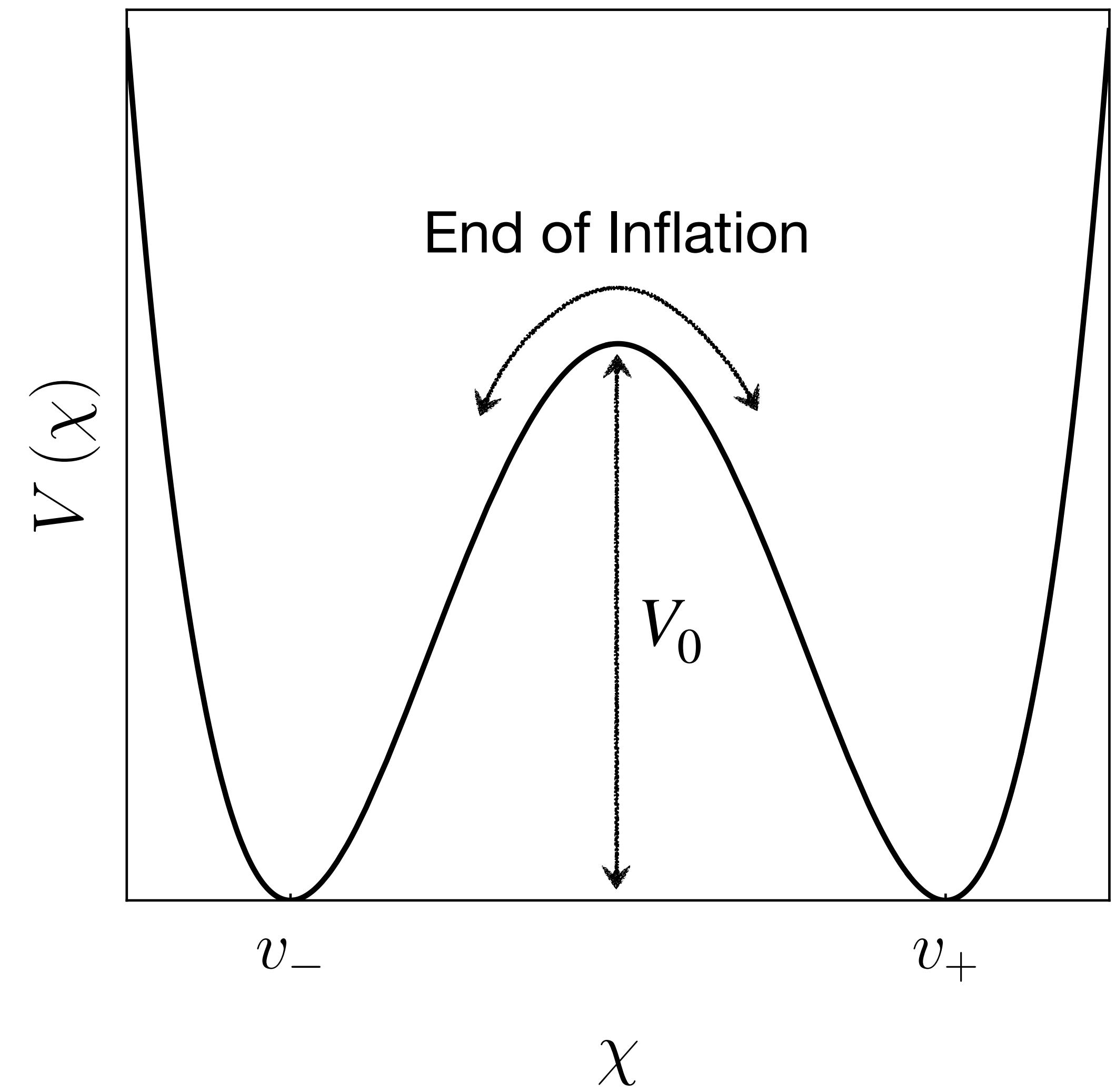
$$\chi \sim 3$$

$$\mathrm{SU}(2) \times \mathbb{Z}_4^{(\chi)} : \chi \rightarrow i\chi$$

# Domain Walls

$\mathbb{Z}_4$ - symmetric model

$$\begin{aligned}\chi &\sim 3 \\ \text{SU}(2) \times \mathbb{Z}_4^{(\chi)} : \chi &\rightarrow i\chi\end{aligned}$$



# Domain Walls

## $\mathbb{Z}_4$ -symmetric model

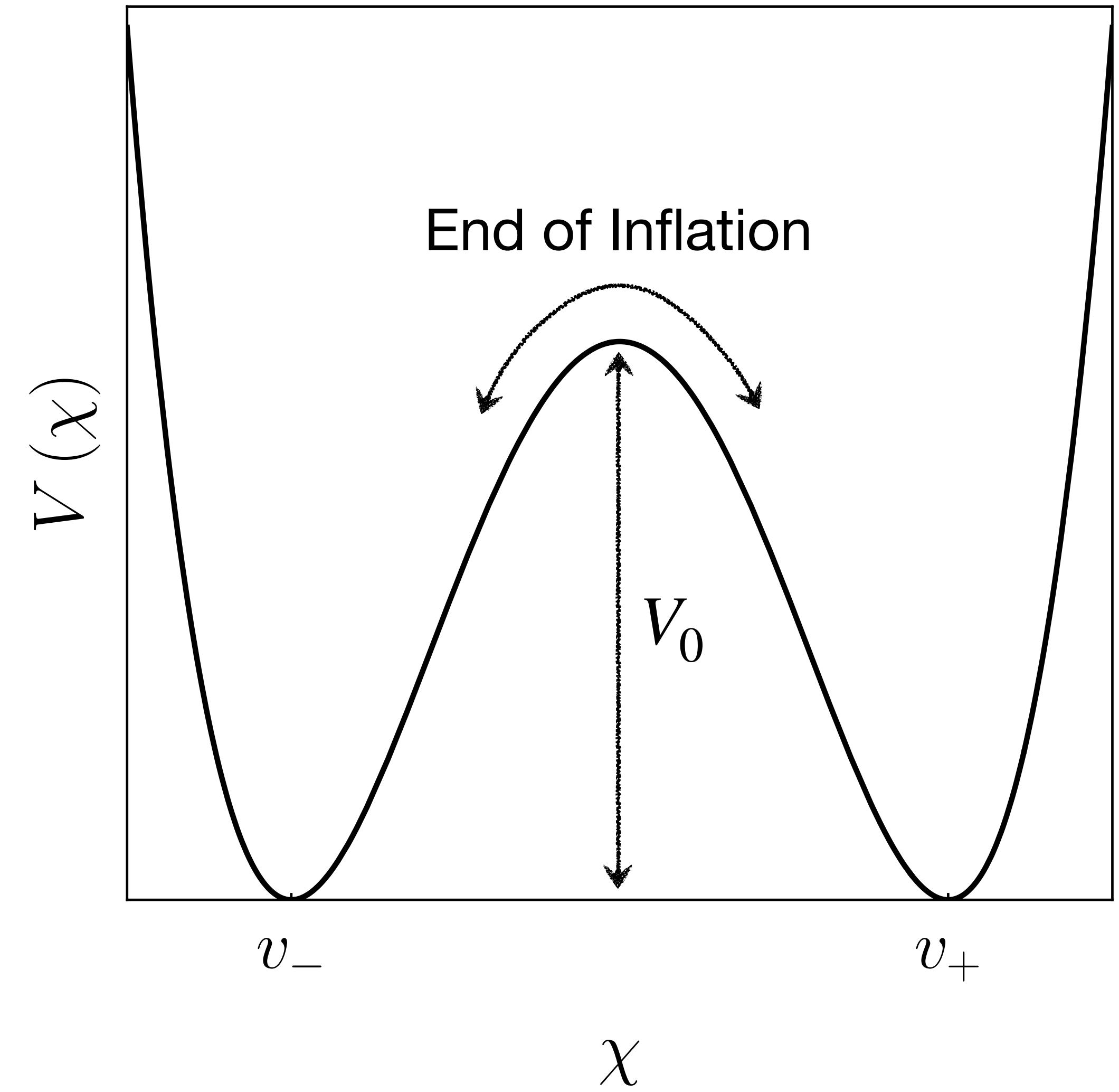
$$\chi \sim 3$$

$$SU(2) \times \mathbb{Z}_4^{(\chi)} : \chi \rightarrow i\chi$$



Add a soft breaking of  $\mathbb{Z}_4$ :

$$i m_\chi^2 \chi \bar{\chi} + h.c.$$



# Domain Walls

$\mathbb{Z}_4$ - symmetric model

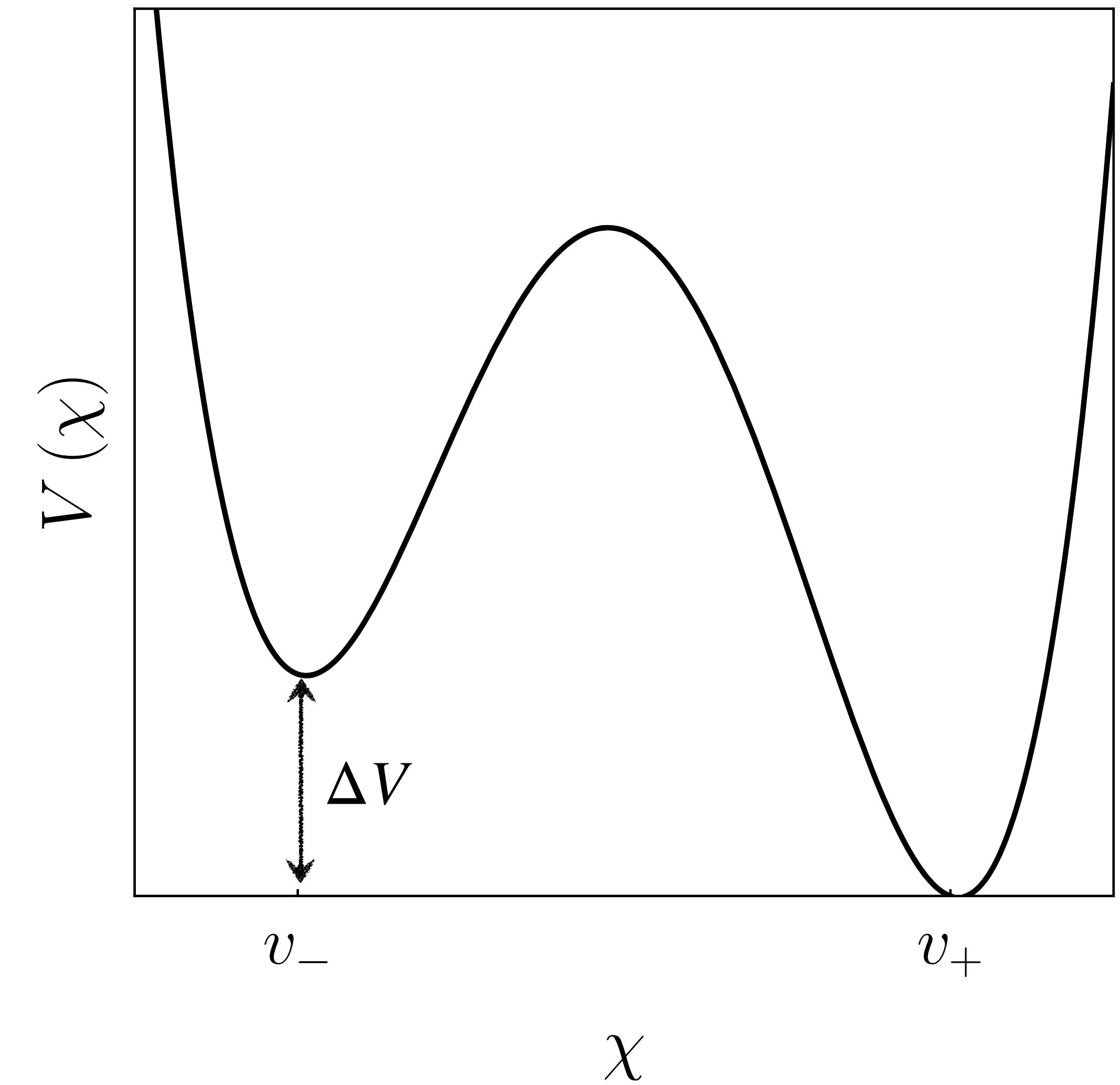
$$\chi \sim 3$$

$$SU(2) \times \mathbb{Z}_4^{(\chi)} : \chi \rightarrow i\chi$$



Add a soft breaking of  $\mathbb{Z}_4$ :

$$i m_\chi^2 \chi \bar{\chi} + h.c.$$



# Domain Walls

$\mathbb{Z}_4$ - symmetric model

$$\chi \sim 3$$

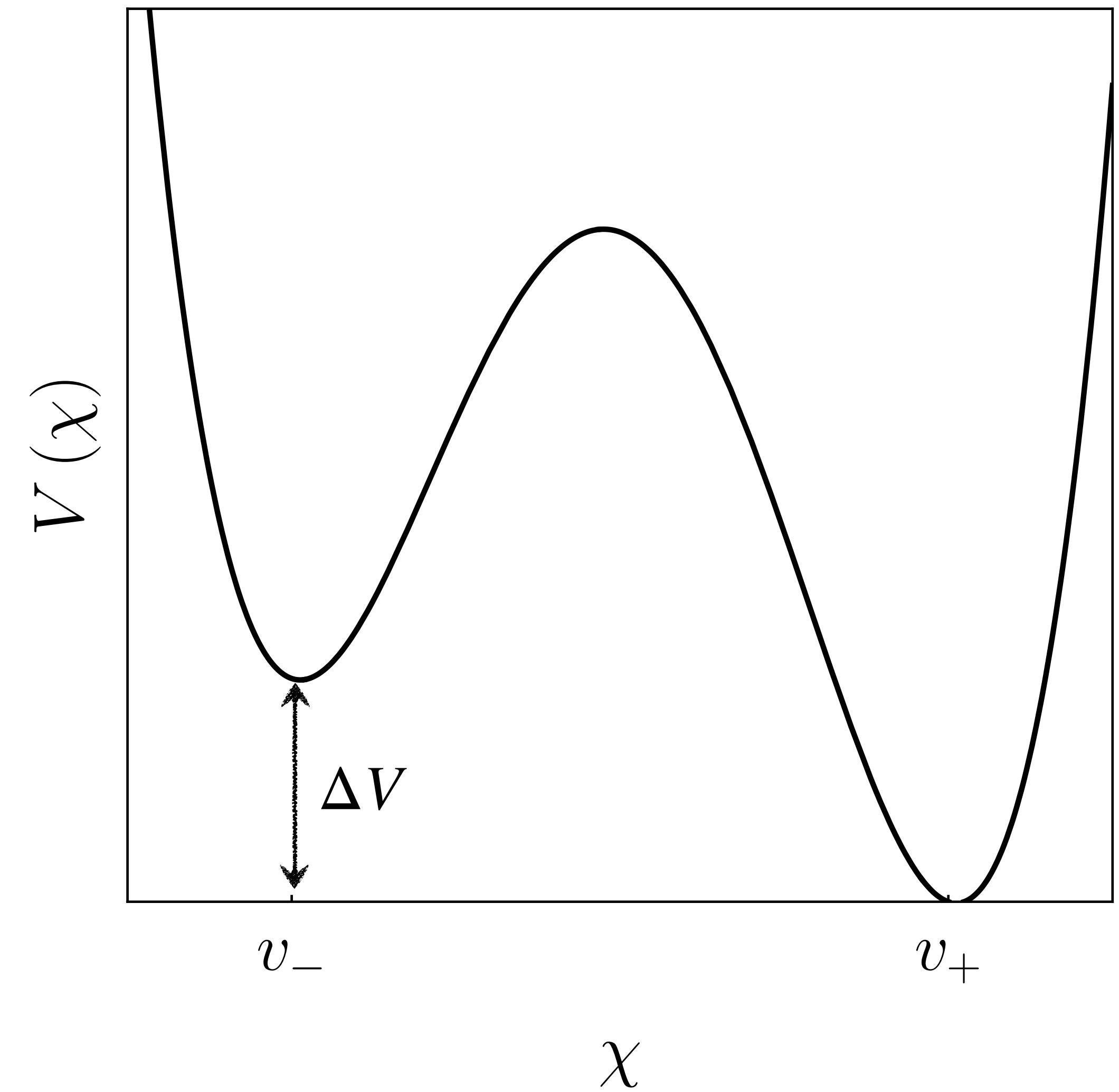
$$SU(2) \times \mathbb{Z}_4^{(\chi)} : \chi \rightarrow i\chi$$



Add a soft breaking of  $\mathbb{Z}_4$ :

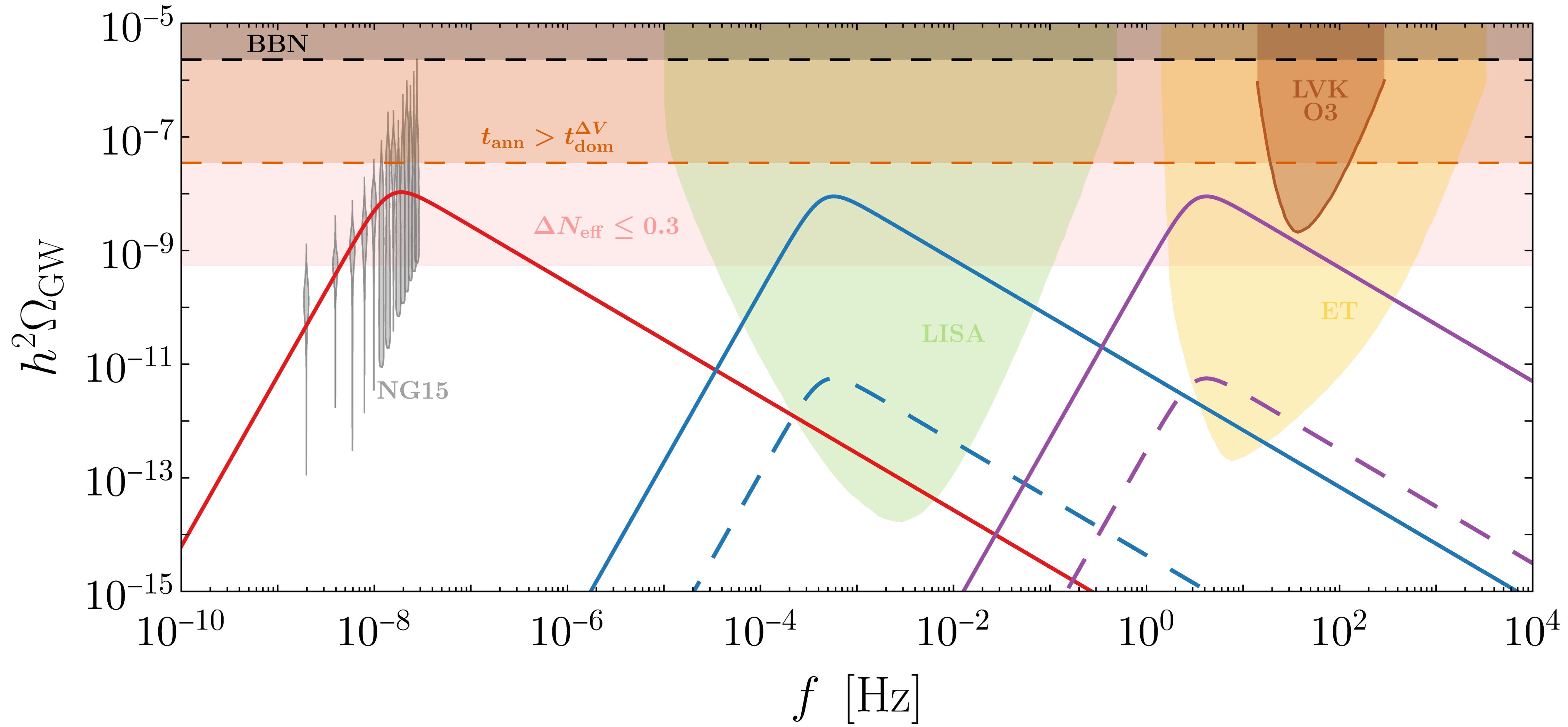
$$i m_\chi^2 \chi \bar{\chi} + h.c.$$

**DWs annihilate  
and  
emit GWs!**



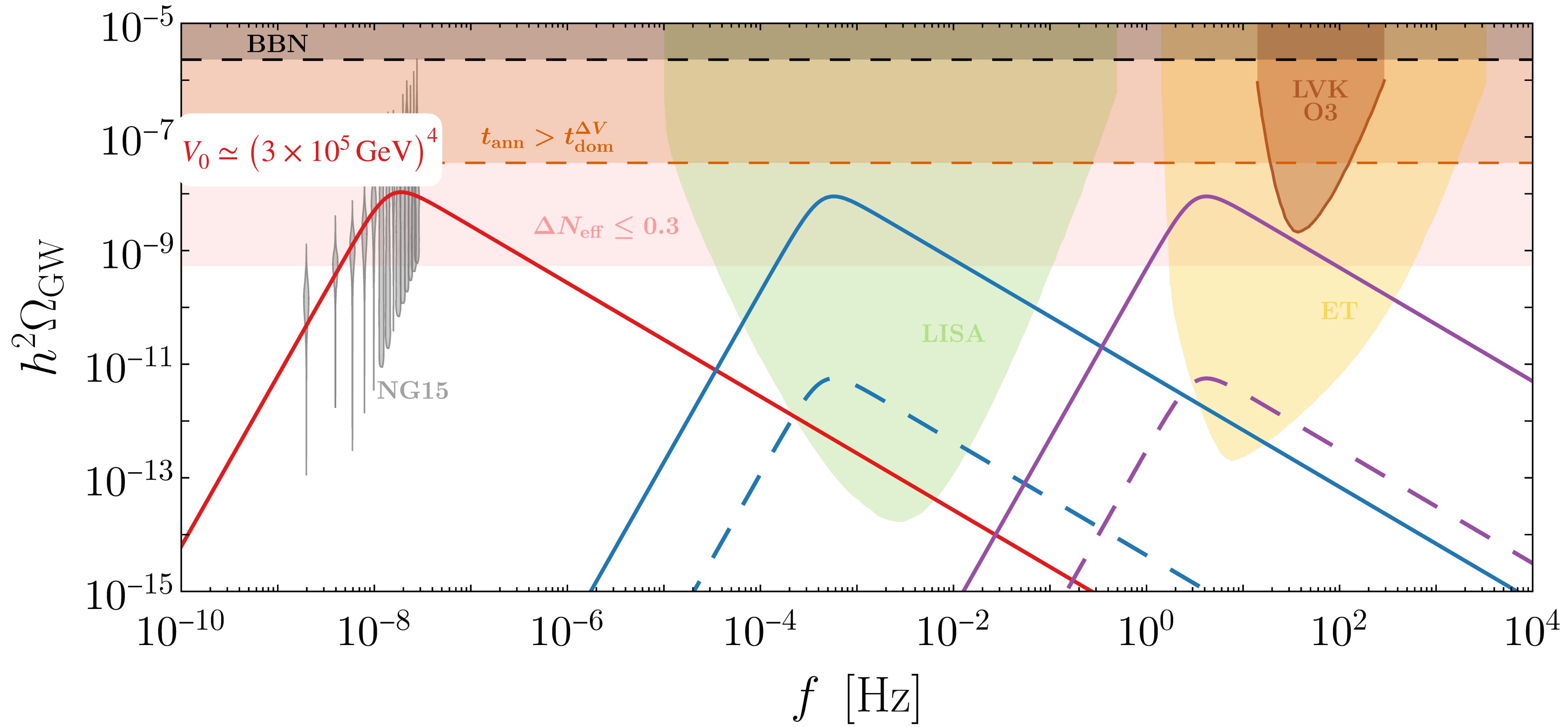
# Domain Walls

## Gravity Waves



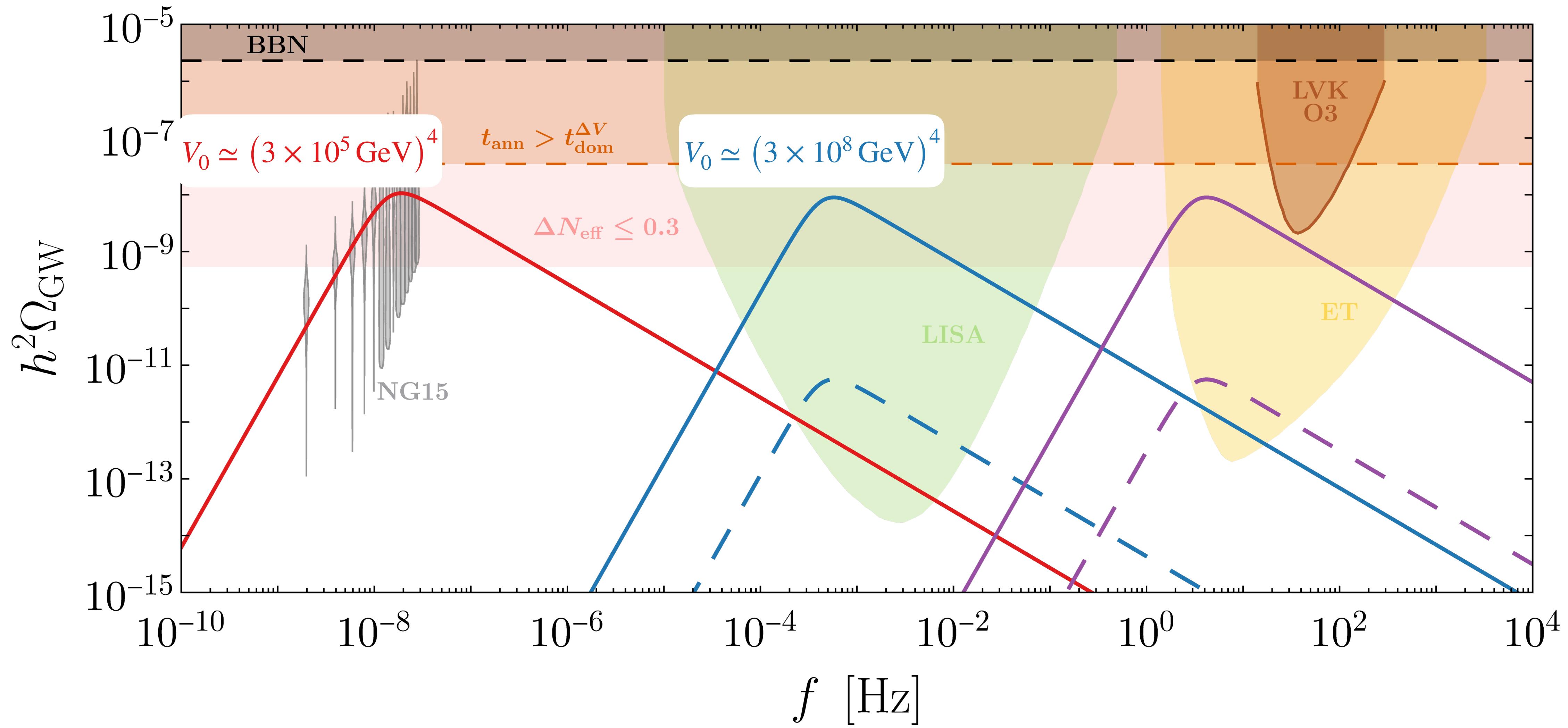
# Domain Walls

## Gravity Waves



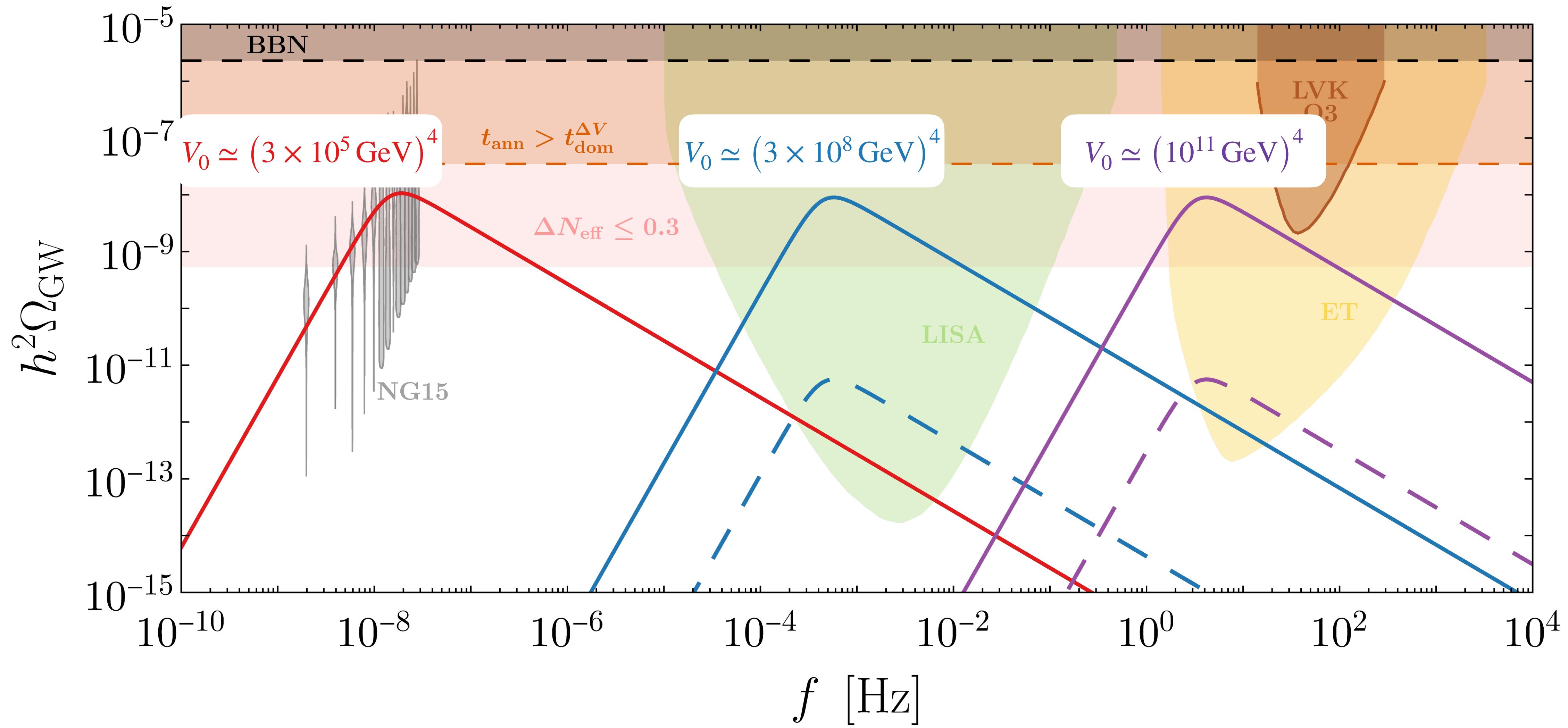
# Domain Walls

## Gravity Waves



# Domain Walls

## Gravity Waves



# Conclusions

# Conclusions

- Large representations  $\implies$  tree-level **massless scalars**

# Conclusions

- Large representations  $\implies$  tree-level **massless scalars**
- Possible applications:
  - (Abelian) Higgs model: little hierarchy problem
  - Dark Matter candidate

# Conclusions

- Large representations  $\implies$  tree-level **massless scalars**
- Possible applications:
  - (Abelian) Higgs model: little hierarchy problem
  - Dark Matter candidate
- “Accidental” Inflation

# Conclusions

- Large representations  $\implies$  tree-level **massless scalars**
- Possible applications:
  - (Abelian) Higgs model: little hierarchy problem
  - Dark Matter candidate
- “Accidental” Inflation
  - **Flatness ensured by gauge symmetries**

# Conclusions

- Large representations  $\implies$  tree-level **massless scalars**
- Possible applications:
  - (Abelian) Higgs model: little hierarchy problem
  - Dark Matter candidate
- “Accidental” Inflation
  - **Flatness ensured by gauge symmetries**
  - **GWs** from DWs

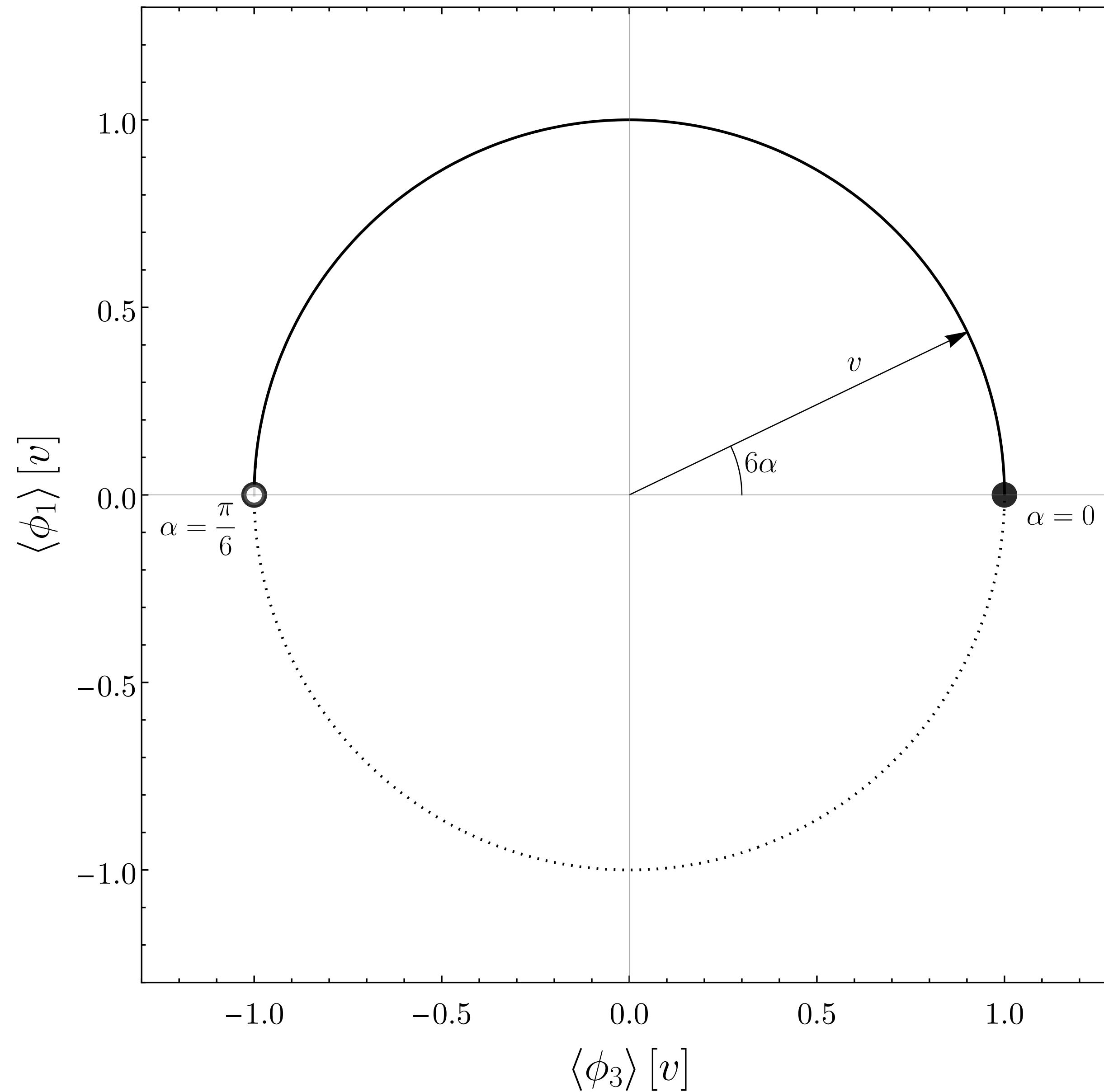
# Conclusions

- Large representations  $\implies$  tree-level **massless scalars**
- Possible applications:
  - (Abelian) Higgs model: little hierarchy problem
  - Dark Matter candidate
- “Accidental” Inflation
  - **Flatness ensured by gauge symmetries**
  - **GWs from DWs**
  - **GWs from Tachyonic Preheating**

Thank you for your attention!

# **Backup Slides**

# Vacuum Manifold

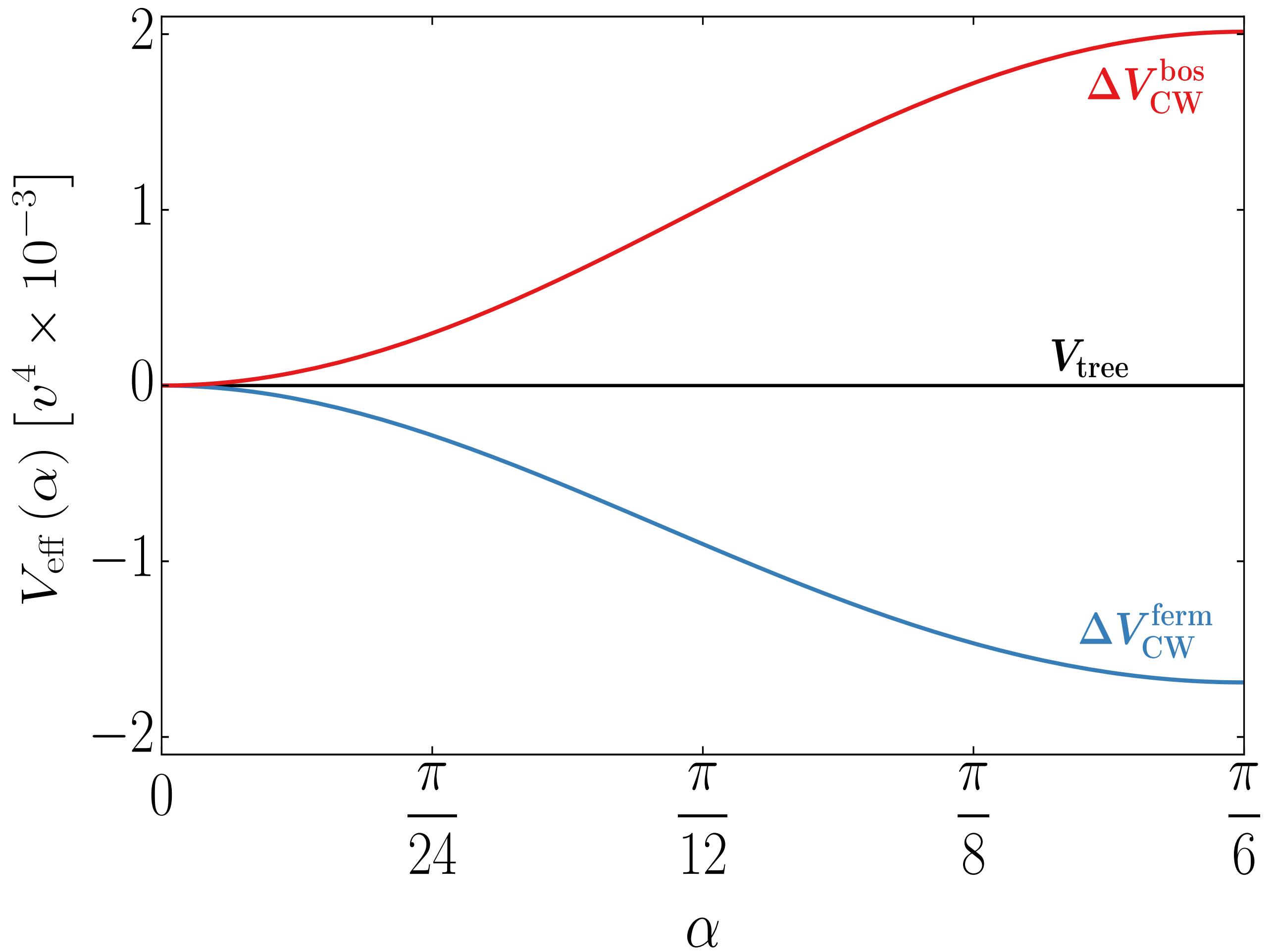


# Effective Potential

$$\Delta V_{\text{CW}}(\alpha) = \frac{1}{64\pi^2} \text{Str} \left( \mathcal{M}(\alpha)^4 \log \frac{\mathcal{M}(\alpha)^2}{\Lambda^2} \right)$$

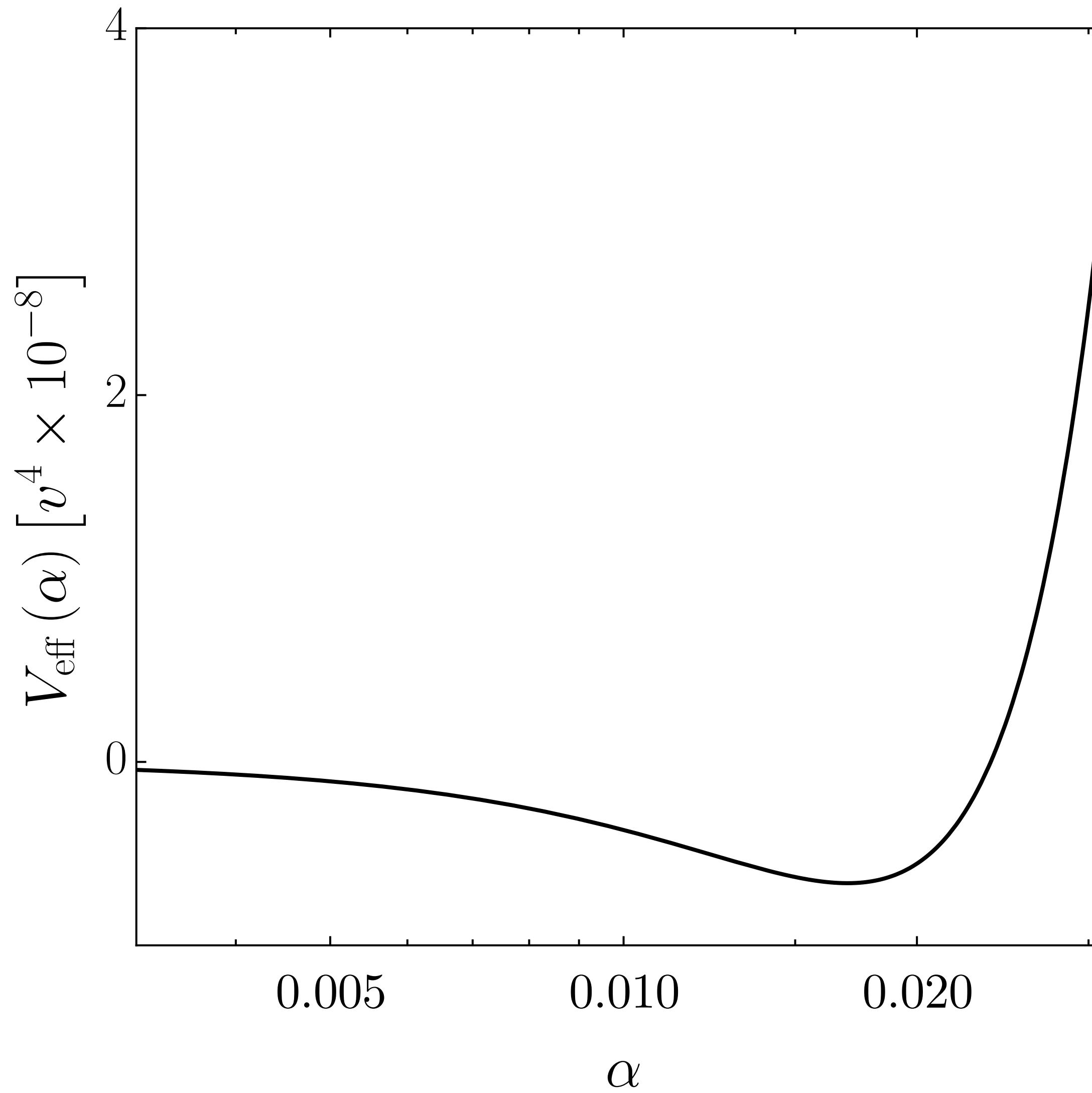
Fermions:  $\psi \sim \mathbf{3}_{+1/2}, \quad \xi \sim \mathbf{3}_{-1/2}$

$$\mathcal{L} \supset y (\psi^T \phi \psi + \chi^T \phi^* \chi) + M \psi^T \chi + \text{h.c.}$$



# Possible Applications

## Abelian Higgs



$$V_{\text{eff}}(\alpha) \simeq c_1 \cos(6\alpha) + c_2 \cos(12\alpha)$$



Tuning  $c_1$  against  $c_2$ :  
breaking of  $U(1)'$  at a scale  $v' \ll v$

We can identify the accident  
with the Abelian Higgs

# Possible Applications

## Dark Matter

Higgs-portal annihilation

$$\lambda_{H\phi} (HH^\dagger) (\phi\phi^\dagger)$$

Direct detection  
constraints



$$m_{\text{DM}} \gtrsim 2 - 3 \text{ TeV}$$

or

$$m_{\text{DM}} \simeq m_h/2$$

U(1)'-photon annihilation

Ellipticity  
constraint



$$g_D^2 \simeq 4.6 \times 10^{-5} (m_{\text{DM}}/\text{GeV})$$

and

$$m_{\text{DM}} \gtrsim 100 \text{ GeV}$$

# The SU(3) ten-plet

$$V = -\mu^2 S + \frac{1}{2}(\lambda S^2 + \delta A^a A^a) \longrightarrow \text{Invariant ONLY under } \text{SU}(3) \times \text{U}(1)$$

- ESP:  $\text{SU}(3) \times \text{U}(1) \longrightarrow \text{U}(1)_3 \times \text{U}(1)_8$  & 6 accidents
- Generic point:  $\text{SU}(3) \times \text{U}(1) \longrightarrow \emptyset$  & 2 accidents

Scalar one-loop corrections  $\longrightarrow$  The ESP is stabilised

# **"Accidental" Inflation**

## **"Real" Model**

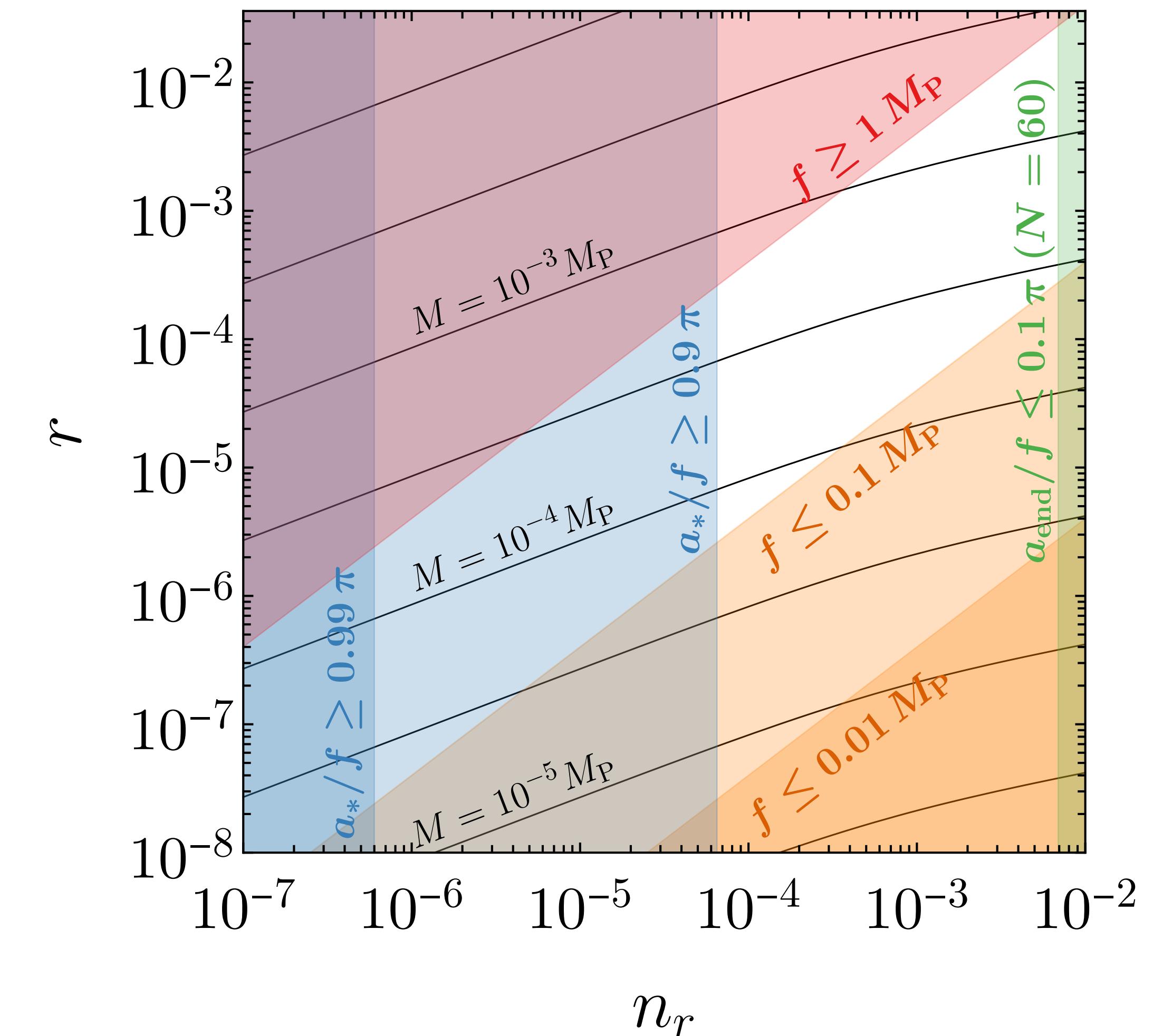
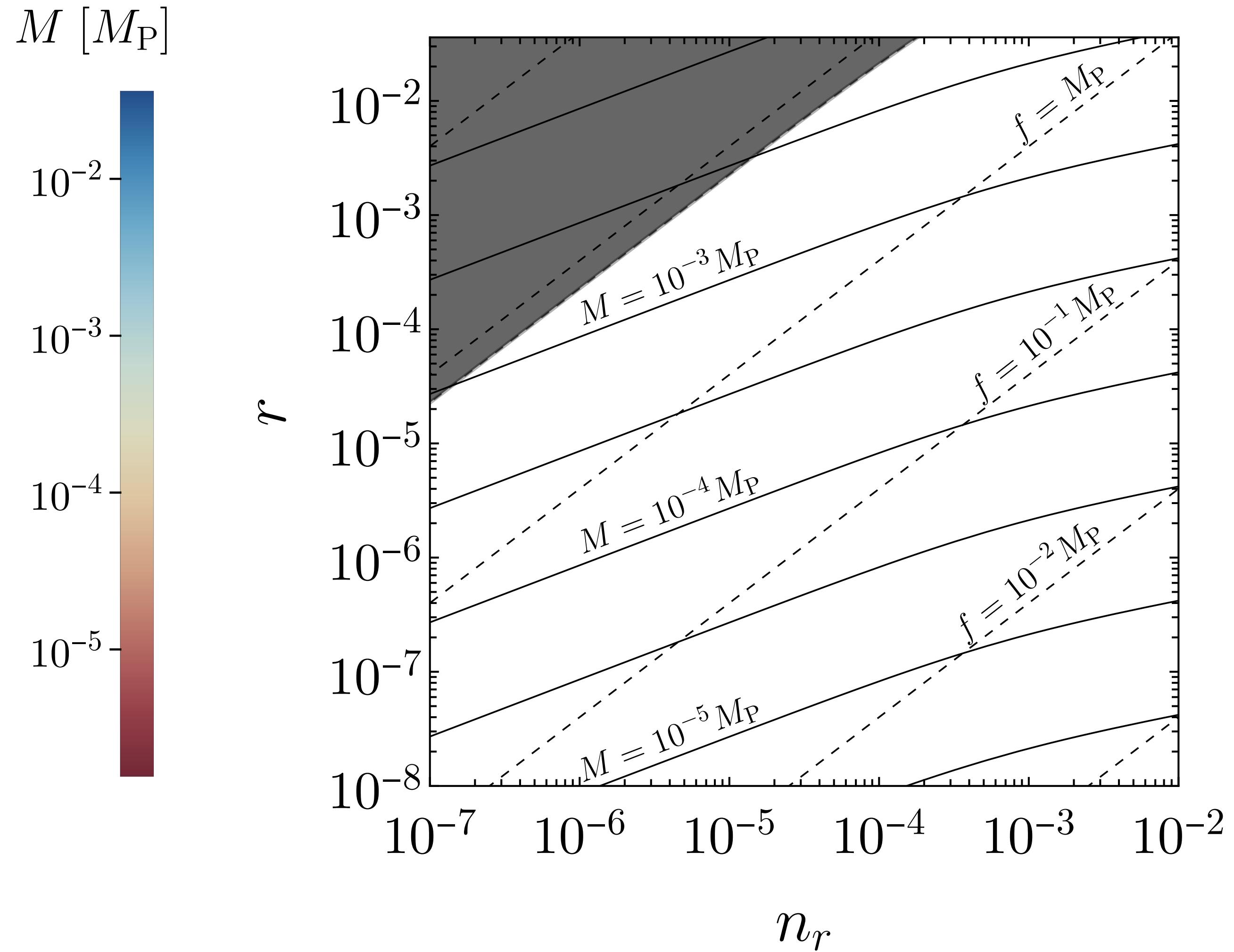
$$\phi \sim 5, \quad \chi \sim 3$$

$$G = \text{SO}(3) \times \mathbb{Z}_2^{(\phi)}$$

$$V = -\frac{1}{2}\mu_\phi^2\phi^2 - \frac{1}{2}\mu_\chi^2\chi^2 + \frac{\lambda_\phi}{4}(\phi^2)^2 + \frac{\lambda_\chi}{4}(\chi^2)^2 + \frac{\varepsilon}{4}\phi^2\chi^2 + \frac{\zeta}{4}T_{AC}^a T_{CB}^b \phi_A \phi_B \chi^a \chi^b$$

**No Topological Defect Production**

# Parameter Space



# Accidental Inflation

## GWs from Tachyonic Preheating

End of inflation:  $m_{\chi^3}^2 < 0$

### Tachyonic Preheating

G. N. Felder et al. [Phys. Rev. Lett. 87, 011601 \(2001\)](#)

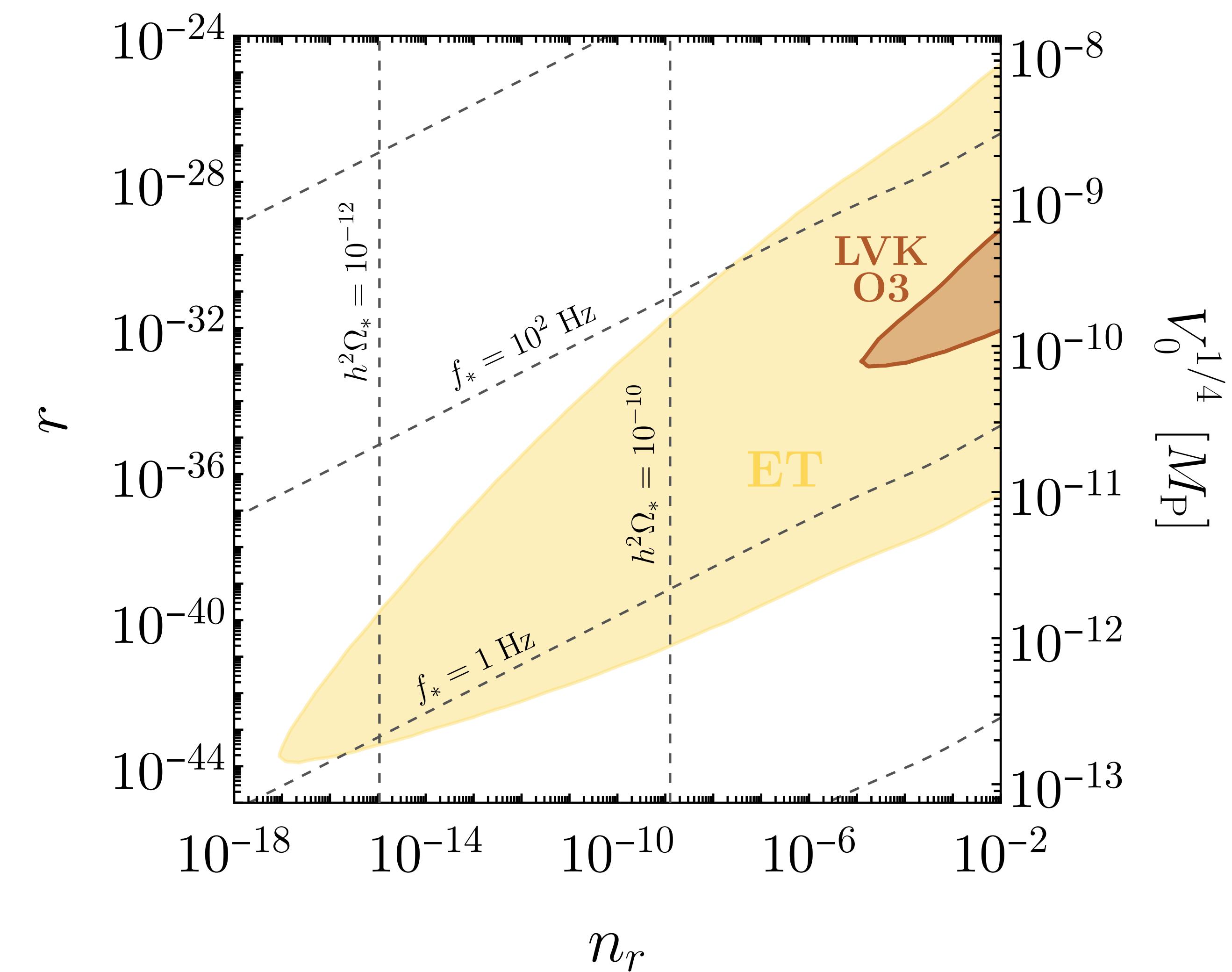
G. N. Felder et al. [Phys. Rev. D 64, 123517 \(2001\)](#)

Large “bubbly” inhomogeneities:  $R_* \sim \frac{1}{k_*}$

J. F. Dufaux et al.

[Phys. Rev. D, vol. 76, p. 123517, 2007.](#)

$$\left\{ \begin{array}{l} \nu_* \simeq 4 \times 10^{10} \text{ Hz} \frac{k_*}{\rho_{\text{inf}}^{1/4}} \\ h^2 \Omega_* \simeq 10^{-6} \left( \frac{H_{\text{inf}}}{k_*} \right)^2 \end{array} \right.$$



# Cosmic Strings

Accidental  $U(1)_\chi$  broken by  $\begin{cases} \langle \phi \rangle = 0 \\ \langle \chi \rangle = v_\chi \end{cases} \implies \text{Stable Local Cosmic Strings}$

$$\mu = 2\pi v_\chi^2$$

$$(G\mu)^{\text{CMB}} \lesssim 10^{-7} \implies V_0 \lesssim \text{few} \times 10^{14} \text{ GeV}$$

# Domain Walls

$$V = -\frac{1}{2}\mu_\phi^2 \phi^2 + \frac{\lambda_\phi}{4}(\phi^2)^2 - \mu_\chi^2 \chi^*\chi + \lambda_\chi \left(\chi^*\chi\right)^2 + \delta \chi^{*2}\chi^2 + \frac{1}{2}\left(\kappa \chi^2\chi^2 + \text{h.c.}\right) + \frac{\varepsilon}{2}\phi^2\left(\chi^*\chi\right) + \frac{\zeta}{2}T_{AC}^a T_{CB}^b \phi_A \phi_B \chi^{a*}\chi^b$$

$$\mathcal{L}_{\rm eff} = \mathcal{L}_{\rm kin} + \mathcal{L}_{\rm int}$$

$$f_p\simeq 1.6\times 10^{-7}~\mathrm{Hz}\left(\frac{g_*(T_{\mathrm{ann}})}{100}\right)^{1/6}\frac{T_{\mathrm{ann}}}{\mathrm{GeV}}$$

$$h^2\Omega_{\rm GW}\left(f_p\right)\simeq 1.6\times 10^{-5}\left(\frac{100}{g_*(T_{\mathrm{ann}})}\right)^{1/3}\frac{3}{32\pi}\,\widetilde{\epsilon}\,\alpha_{\mathrm{ann}}^2\,\mathcal{S}(f/f_p)$$

$$\mathcal{L}_\mathrm{kin}=\frac{1}{2}\partial_\mu q^\alpha\partial^\mu q_\alpha$$

$$\alpha_{\mathrm{ann}}\equiv\frac{\rho_{\mathrm{DW}}(t_{\mathrm{ann}})}{\rho_r(t_{\mathrm{ann}})}\simeq\frac{4}{3}\,C_d\,\mathcal{A}^2\frac{\sigma^2}{M_P^2\,\Delta V}$$

$$T_{\mathrm{ann}}=\left[\frac{45}{2\pi^2}\,\frac{g_*(T_{\mathrm{ann}})^{-1}}{C_d^2\,\mathcal{A}^2}\frac{M_{\mathrm{P}}^2\Delta V^2}{\sigma^2}\right]^{1/4}$$