

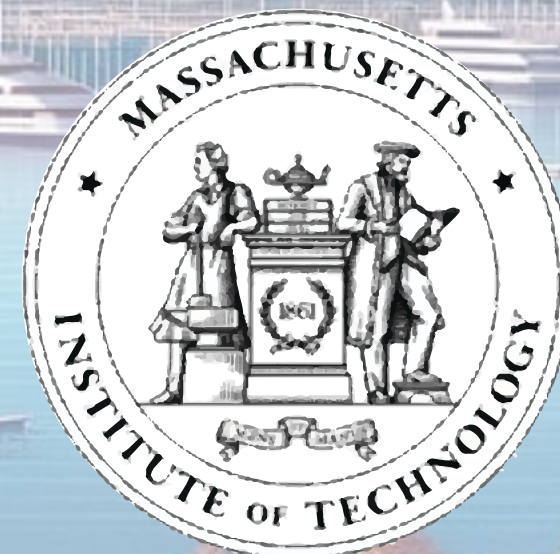


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# NEW $\mu$ FORCES FROM $\nu/\mu$ SOURCES

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IMCC 2024 - Physics Session

MARCH 14, 2024







# MUON COLLIDERS

A quick reminder of what makes muon colliders so special:

High Energy

Second Generation Particles

*Now is the time to think creatively about what new theories we can probe*





# MOTIVATION

The commonality between these two works is *muon-specific* couplings, but illustrate a few ways in which we can search for new physics



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New  $\mu$  forces from  $\nu_\mu$  sources

*CC*, Kahn, Krnjaic, Rocha, Spitz '23

*Physics from proton beam at MuC?*



# MOTIVATION

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New  $\mu$  forces from  $\nu_\mu$  sources

*CC*, Kahn, Krnjaic, Rocha, Spitz '23

*Physics from proton beam at MuC?*

Leptophilic Dark Matter at Future  
Lepton Colliders

*CC*, Krnjaic (WIP)

*Physics from collisions of leptons*

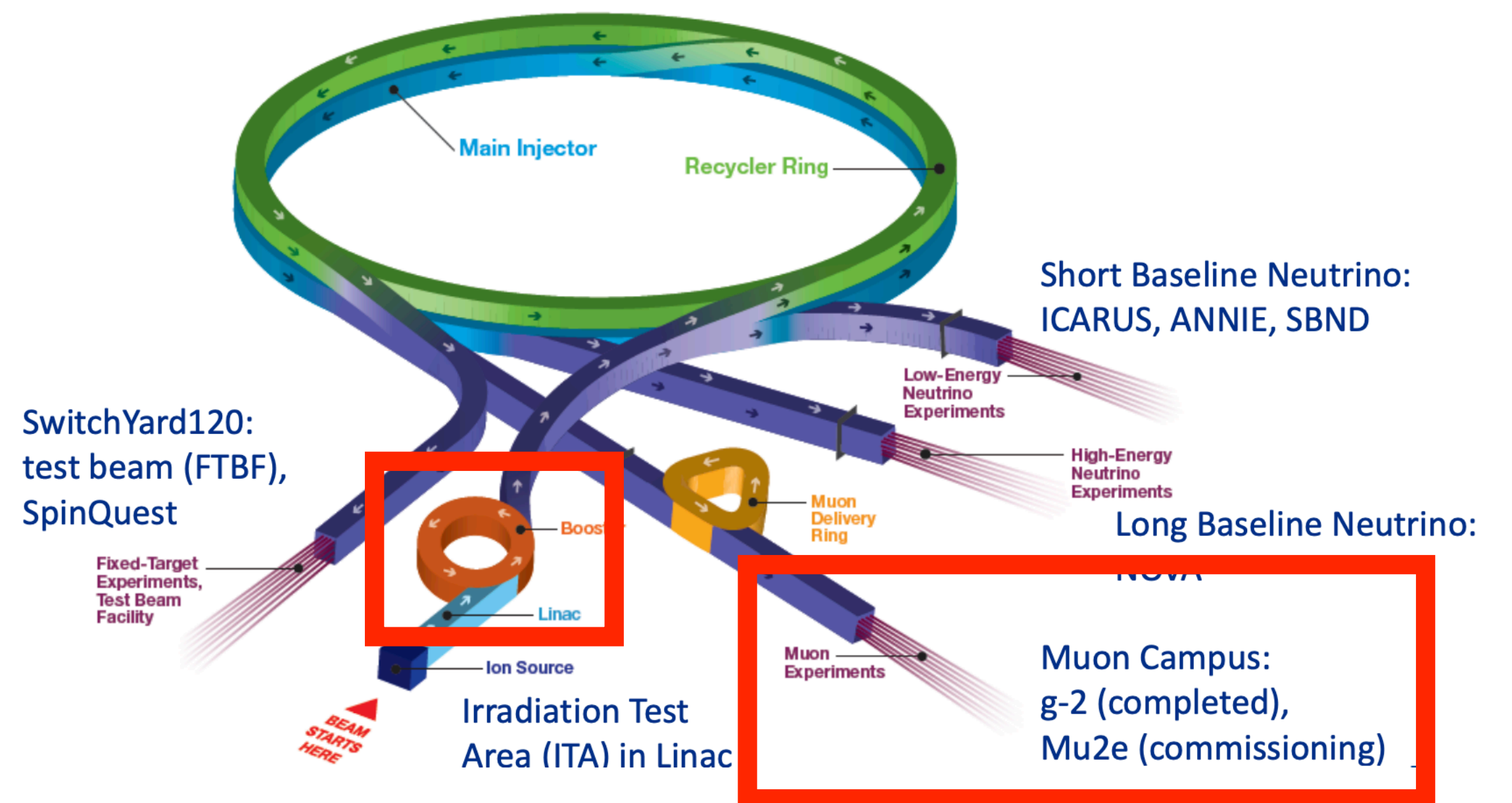


# PART I: NEW $\mu$ FORCES FROM $\nu_\mu$ SOURCES

A muon collider necessitates a proton source.

*Is there any new physics we can probe with minimal instrumentation?*

This work can be considered **proof-of-concept** for possible future demonstrators, staging options, or full MuC collider



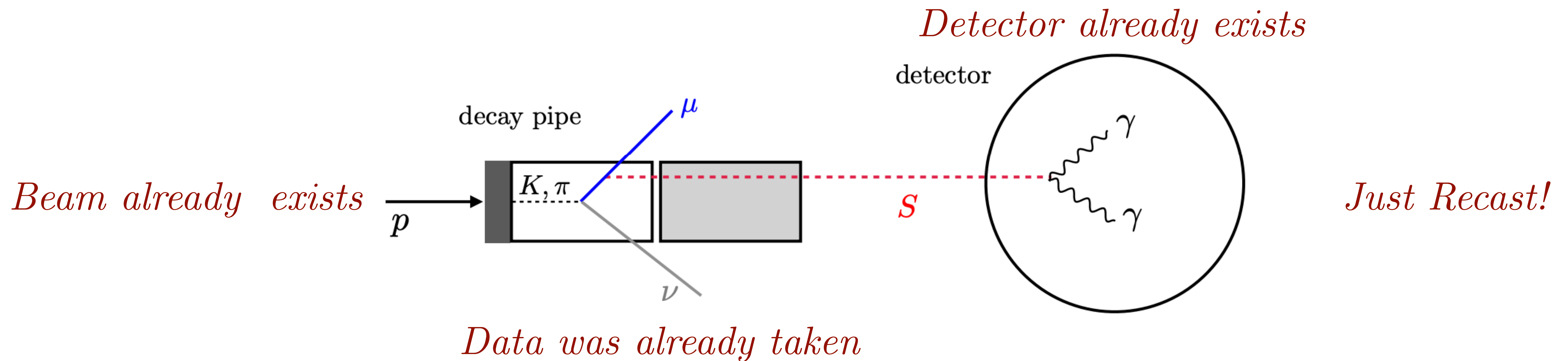
*(Or as stand-alone result that's interesting because of muons)*



# EXISTING $\nu_\mu$ SOURCES

Whenever we have  $\nu$  sources (from proton-on-target), there are **muons**

We consider Mini/MicroBooNE, but one could also consider ESS $\nu$   
SB, DUNE, etc.





# MUON-PHILIC FORCES

$E$

$$\mathcal{L}_{eff} \supset \frac{y}{v} SH^\dagger L \mu_R^c + hc$$

$$\mathcal{L}_{int} \supset y S \mu \bar{\mu}$$



# MUON-PHILIC FORCES

$$\mathcal{L}_{UV} \supset y_\psi H^\dagger L_2 \psi^c + \kappa \psi \mu^c + (M_\psi + y' S) \psi \bar{\psi} + hc$$

$E$

*New vector-like fermion*

$$+\psi \sim (1,1)_1$$

$$\mathcal{L}_{eff} \supset \frac{y}{v} S H^\dagger L \mu_R^c + hc$$

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$E$

$$E \ll M_\psi$$

*New vector-like fermion*

$$+\psi \sim (1,1)_1$$

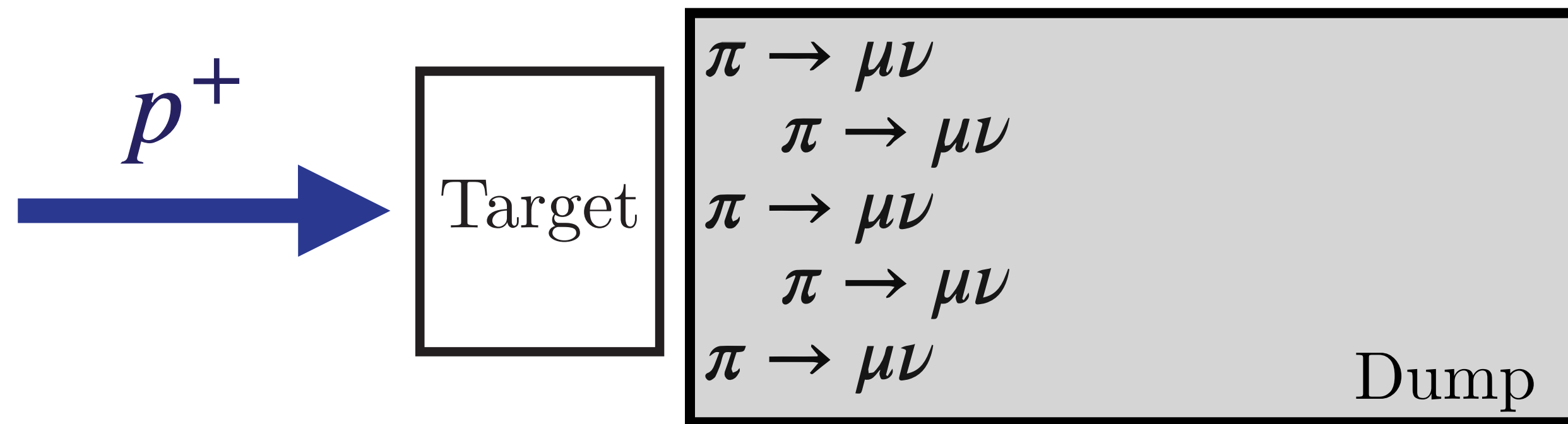
$$\mathcal{L}_{eff} \supset \frac{y' y_\psi \kappa}{M_\psi^2} S H^\dagger L \mu_R^c + hc$$

(SSB)

$$\mathcal{L}_{int} \supset y S \mu \bar{\mu}$$

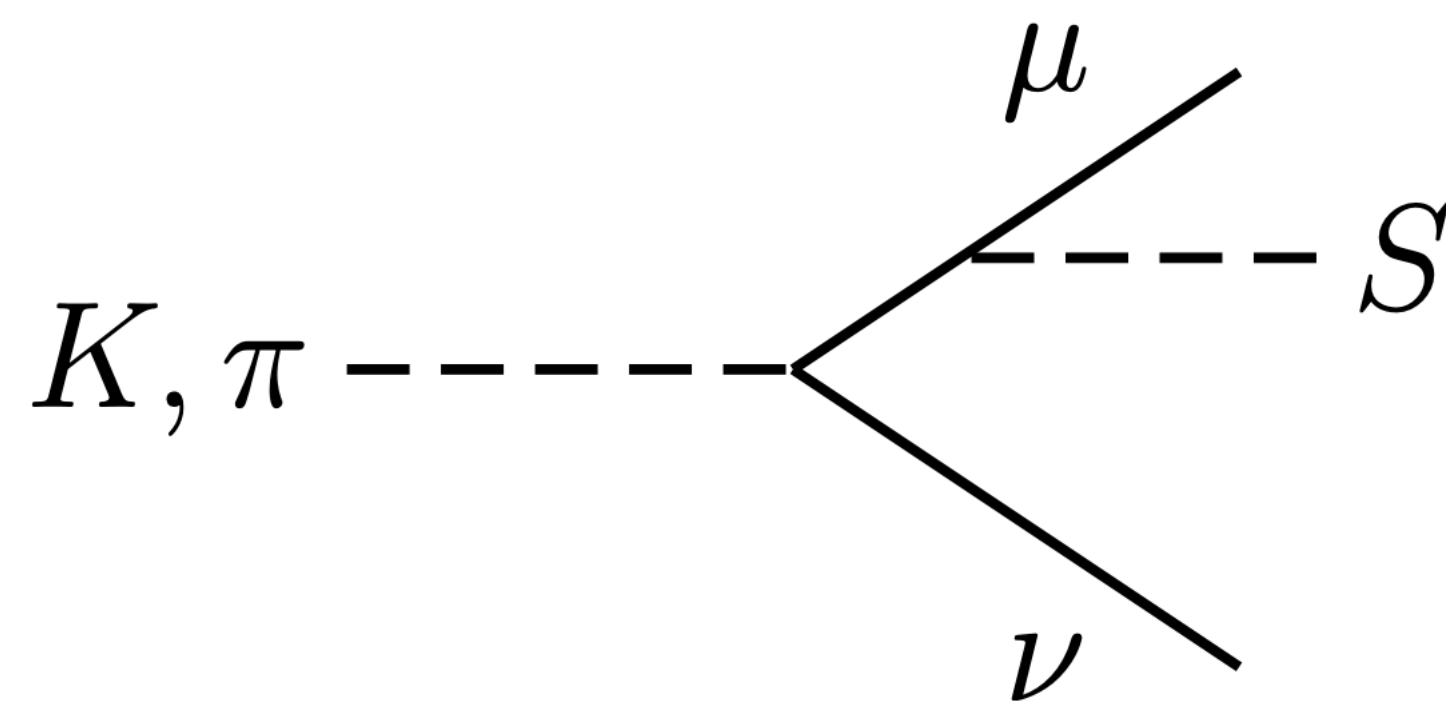


# SIGNATURES WITH PROTON BEAM-ON-TARGET

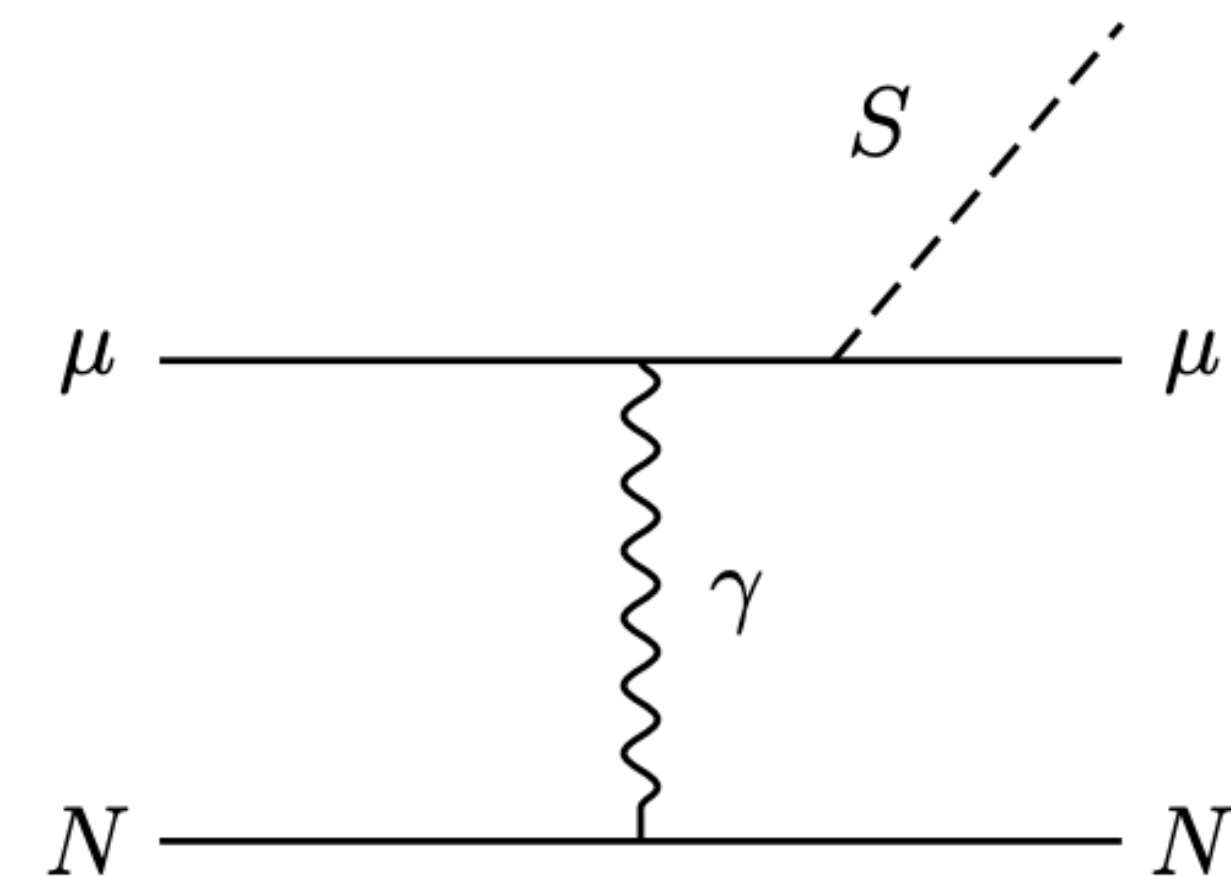


$$\mathcal{L}_{int} \supset y \mathcal{S} \mu \bar{\mu}$$

*Rare decays of mesons*



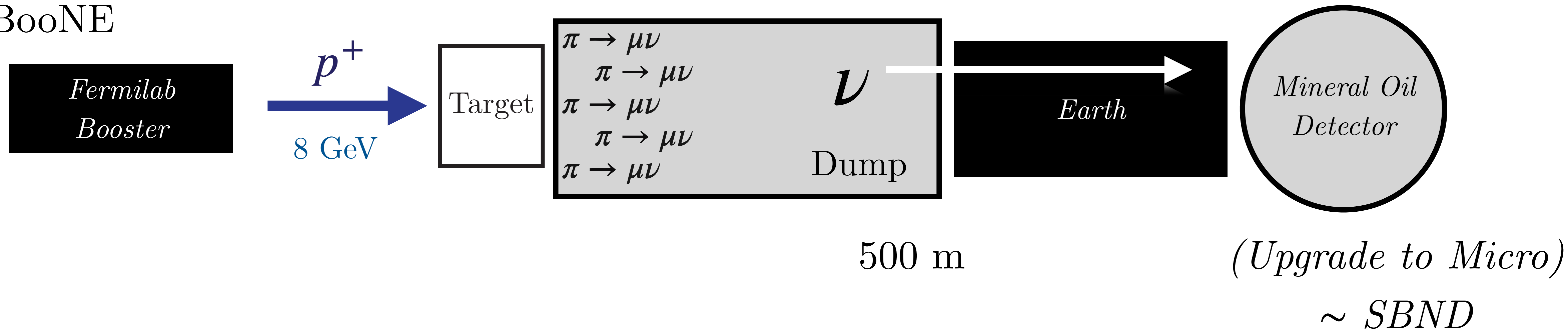
*Scattering of muons in material*





# MINI/MICROBOONE

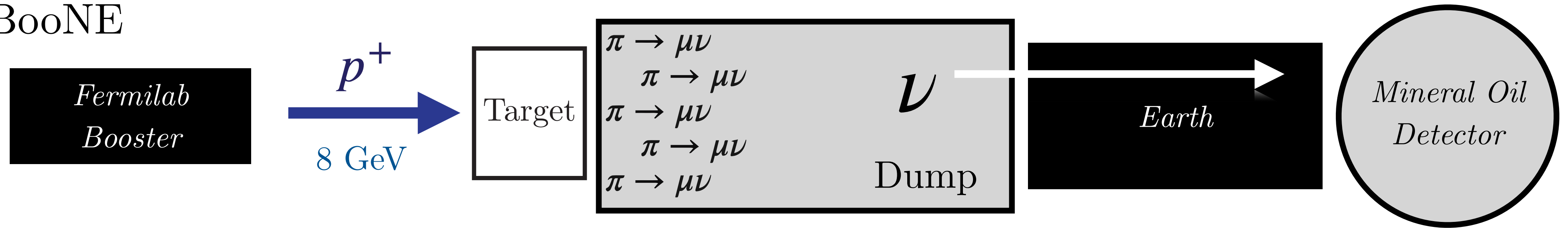
MiniBooNE





# MINI/MICROBOONE

MiniBooNE

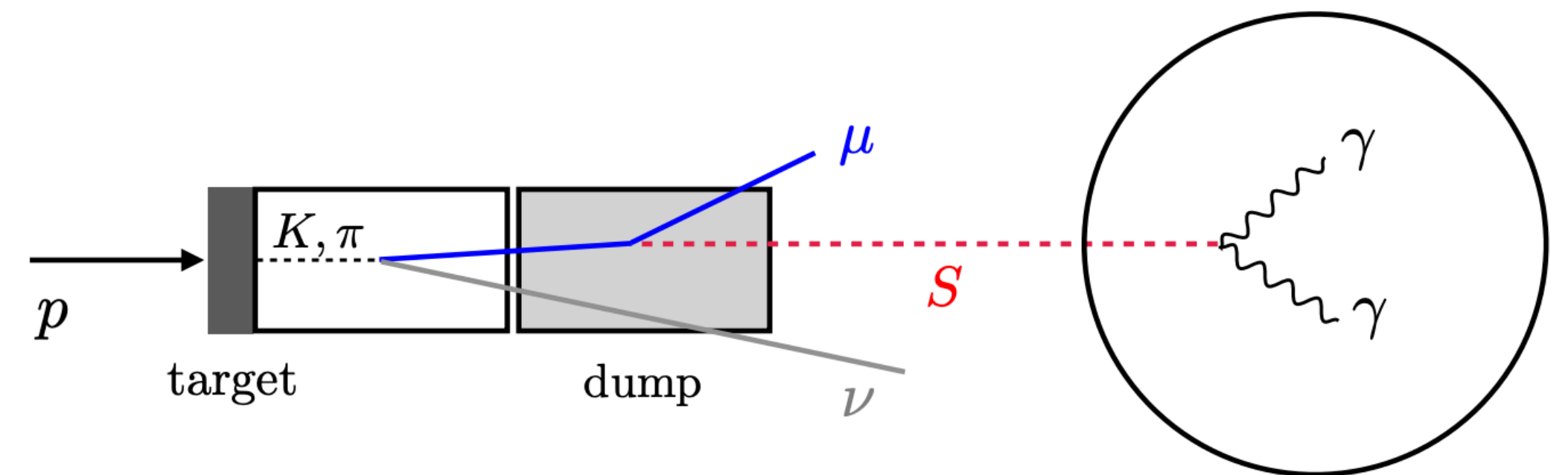
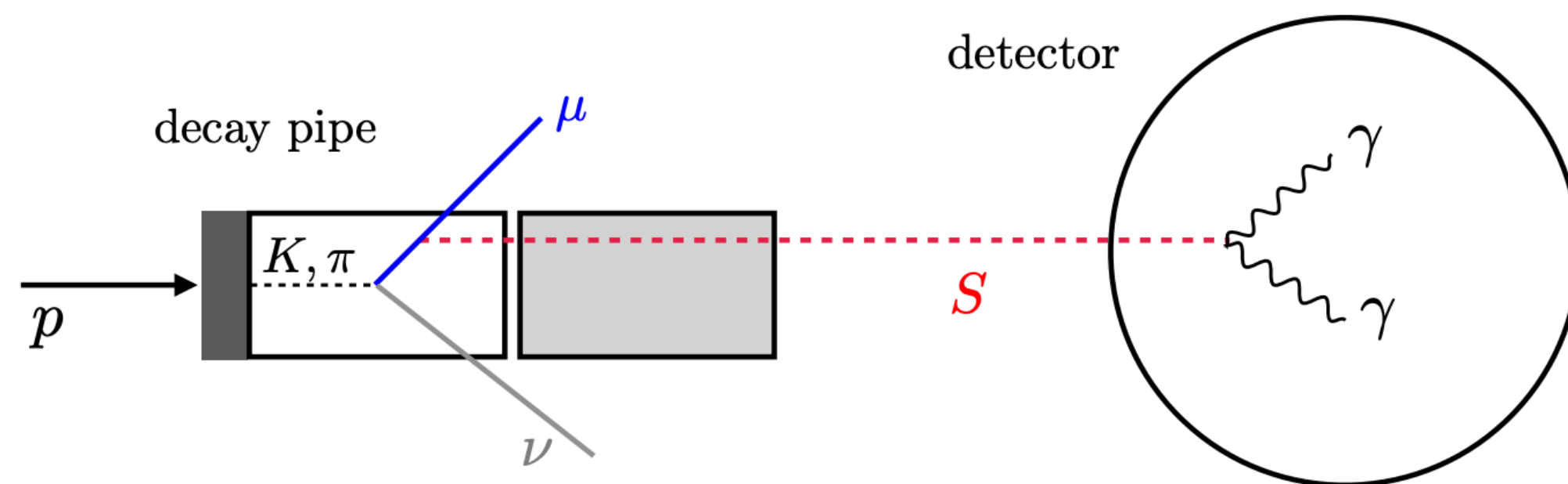
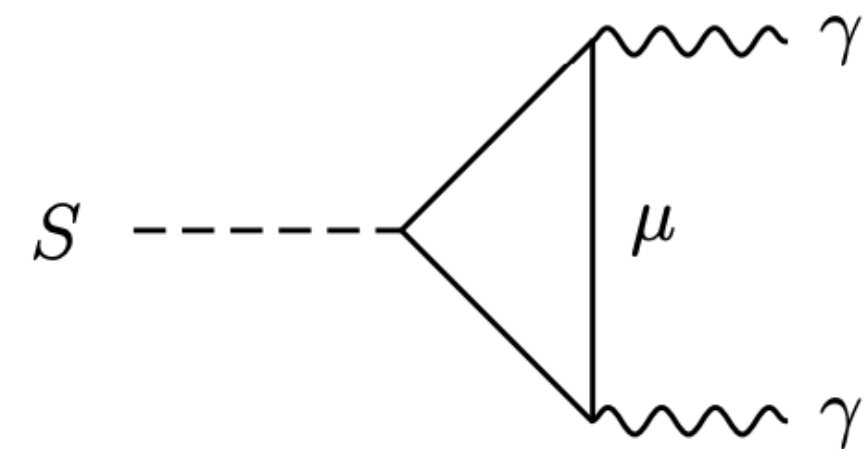


500 m

(Upgrade to Micro)

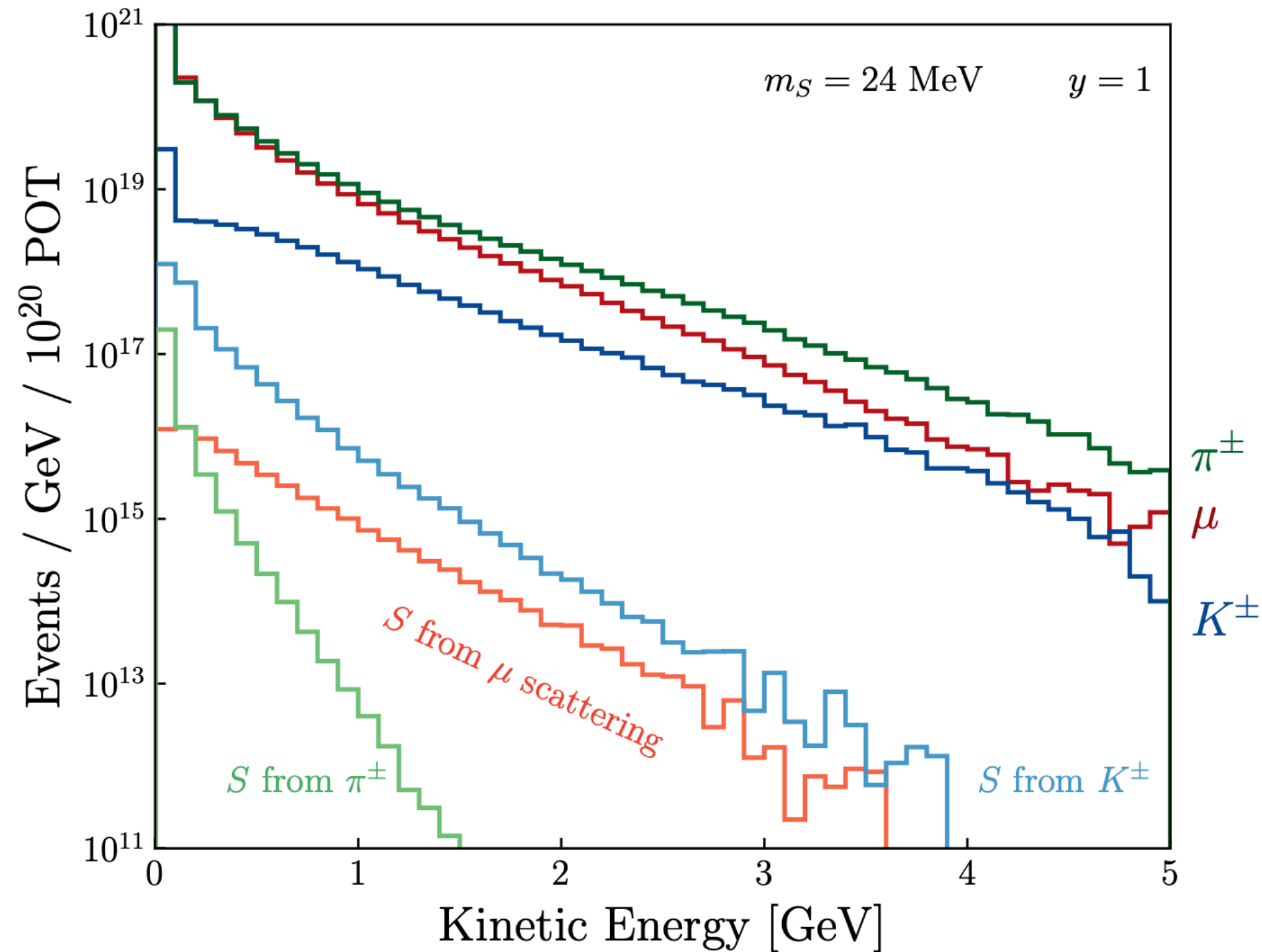
$\sim$  SBND

**RECAST**





# *S* PRODUCTION AND BACKGROUND



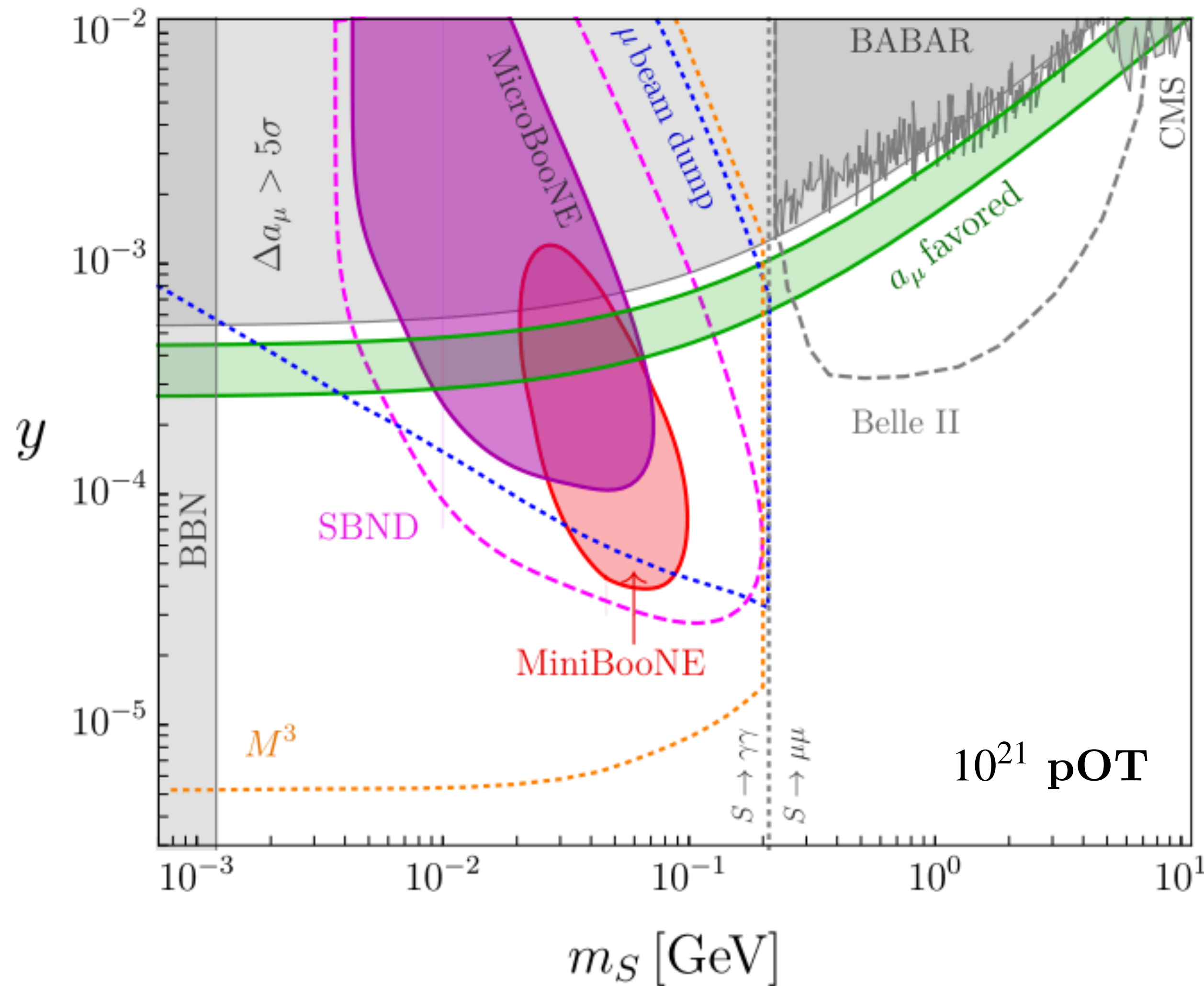
*Immediate recast is possible because the BooNEs measured neutrino induced NC  $\pi^0$  production, with  $m_{\gamma\gamma}$  reported*

$$\nu_\mu N \rightarrow \nu_\mu N \pi^0 (\pi^0 \rightarrow \gamma\gamma)$$

*We have our data set and our background!*



# RESULTS



MiniBooNE / MicroBooNE results  
 SBND (set to run this year?)  
 sensitivity

*See if this kind of experiment is  
 compatible with MuC proton  
 beam or  $\nu$  facility*



# PART II: NEW $\mu$ FORCES FROM $\mu$ SOURCES

Let's shift our attention from muon-philic forces to MFV forces

The coupling of a new particle to leptonic sector are proportional to the Higgs SM Yukawa couplings

$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2}\varphi\chi\chi - \varphi \sum_{l=e,\mu,\tau} g_l l\bar{l} \quad g_l = g_e \frac{m_l}{m_e}$$



# PART II: NEW $\mu$ FORCES FROM $\mu$ SOURCES

Type III 2HDM

$$H_1 \sim (1,2)_{1/2}$$

$$H_2 \sim (1,2)_{-1/2}$$

$$\mathcal{L} \supset \lambda_u H_1 Q \bar{u} + \lambda_d Q H_1^\dagger Q \bar{d} + \lambda_e H_2 L \bar{e}$$

$$V(H_1, H_2, S) = S \left( \mu_{11} H_1^\dagger H_1 + \mu_{12} H_1^\dagger H_2 + \mu_{12}^* H_2^\dagger H_1 + \mu_{22} H_2^\dagger H_2 \right) + S \sim (1,1)_0$$

Each get vev  $v_1, v_2$

Diagonalize into SM Higgs  $h$  and heavy Higgs  $H$

Work in regime of parameters, esp  $\tan \beta \equiv \frac{v_2}{v_1} \gg 1$

$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2} \varphi \chi \chi - \varphi \sum_{l=e,\mu,\tau} g_l l \bar{l} \quad g_l = g_e \frac{m_l}{m_e}$$

$E$

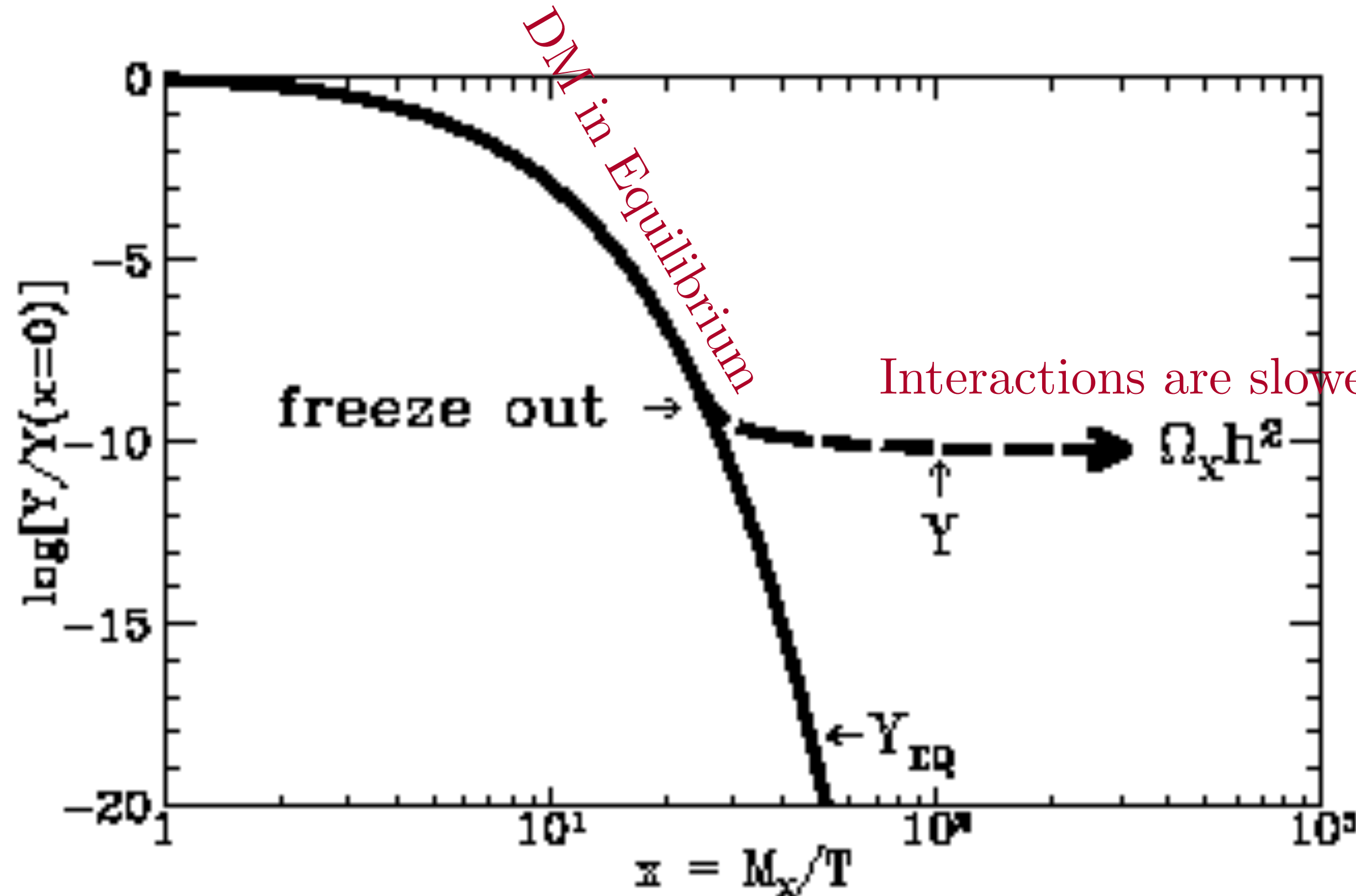


# RELIC ABUNDANCE OF LEPTOPHILIC DM

Leptophilic Dark Matter

$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2}\varphi\chi\chi - \varphi \sum_{l=e,\mu,\tau} g_l l\bar{l}$$

$\chi$  is DM  
 $\varphi$  is portal



Observed relic abundance  $\Omega_\chi$  sets relations between parameters



# RELIC ABUNDANCE OF LEPTOPHILIC DM

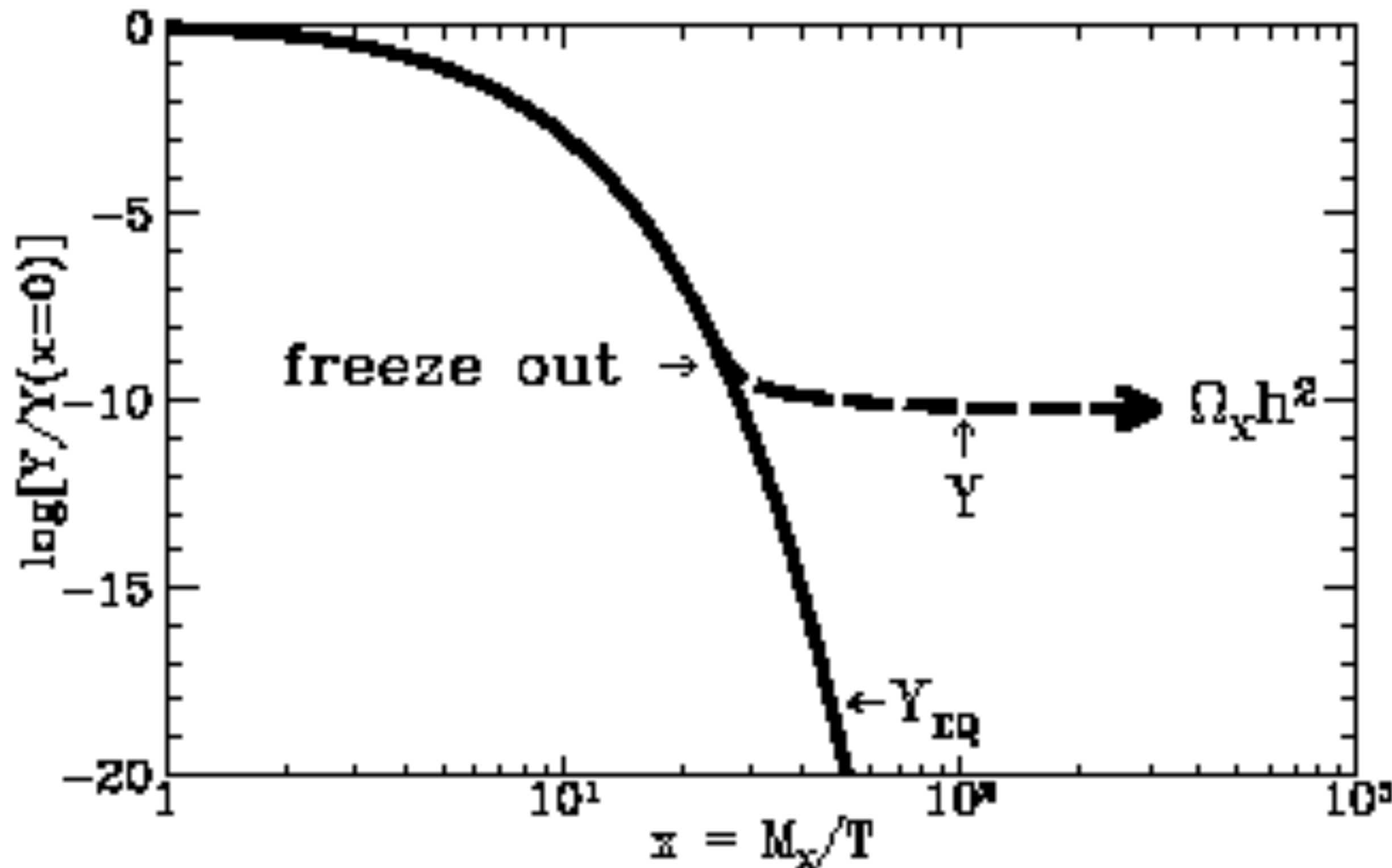
Leptophilic Dark Matter

$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2}\varphi\chi\chi - \varphi \sum_{l=e,\mu,\tau} g_l \bar{l}l$$

Solve Boltzmann Equation

$$\dot{n}_\chi + 3Hn_\chi = -\langle\sigma v\rangle[n_\chi^2 - (n_\chi^{eq})^2]$$

$$\sigma v_{\chi\chi\rightarrow\ell\ell} = \frac{g_\chi^2 g_\ell^2 m_\chi^2 v^2}{8\pi(m_\phi^2 - 4m_\chi^2)^2} \propto g_\chi^2 g_\ell^2 \left(\frac{m_\chi}{m_\phi}\right)^4 \frac{1}{m_\chi^2}$$



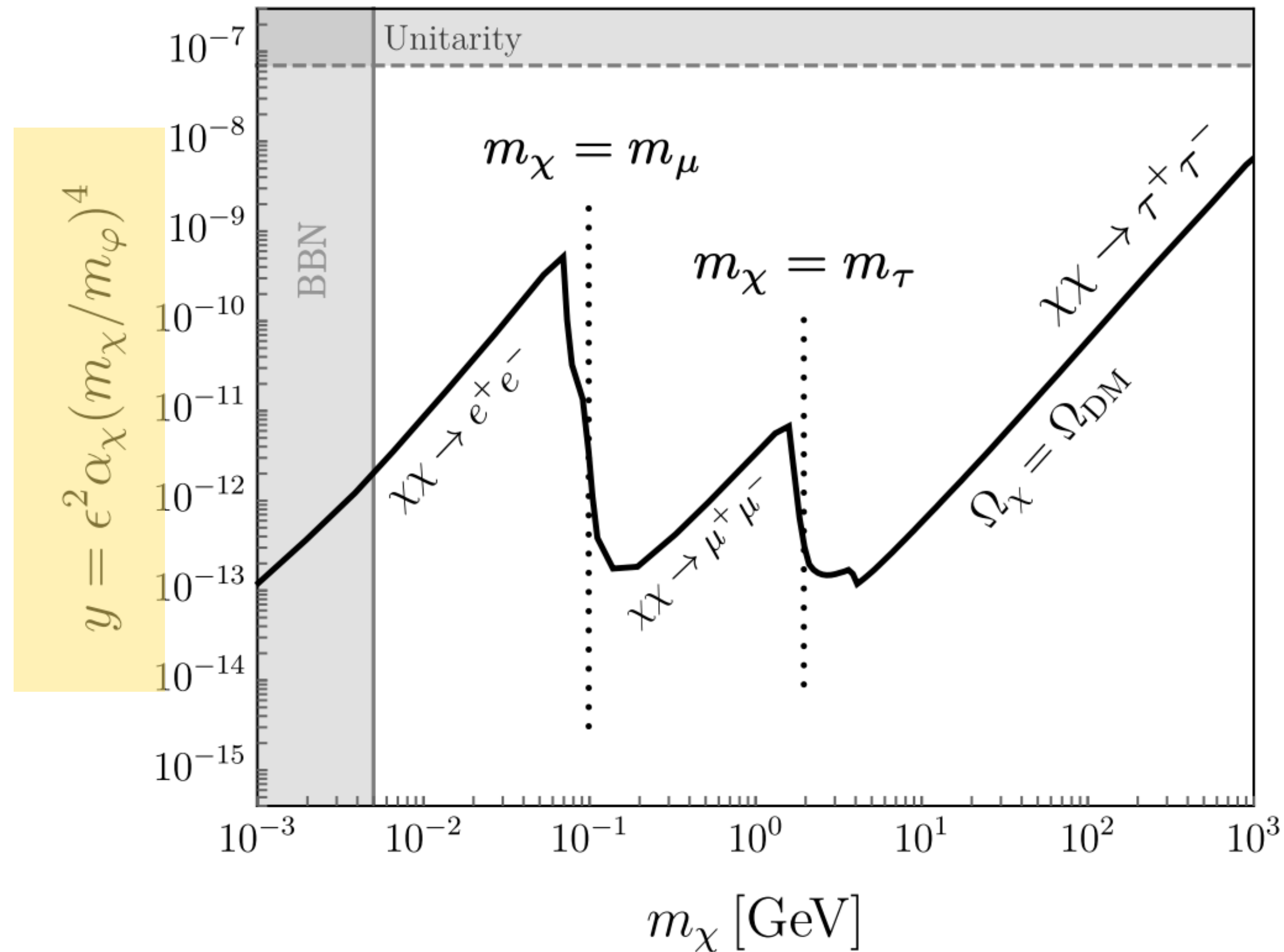


# THERMAL TARGET

Leptophilic Dark Matter

Thermal Target

$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2}\varphi\chi\chi - \varphi \sum_{l=e,\mu,\tau} g_l l\bar{l}$$



Solve Boltzmann Equation

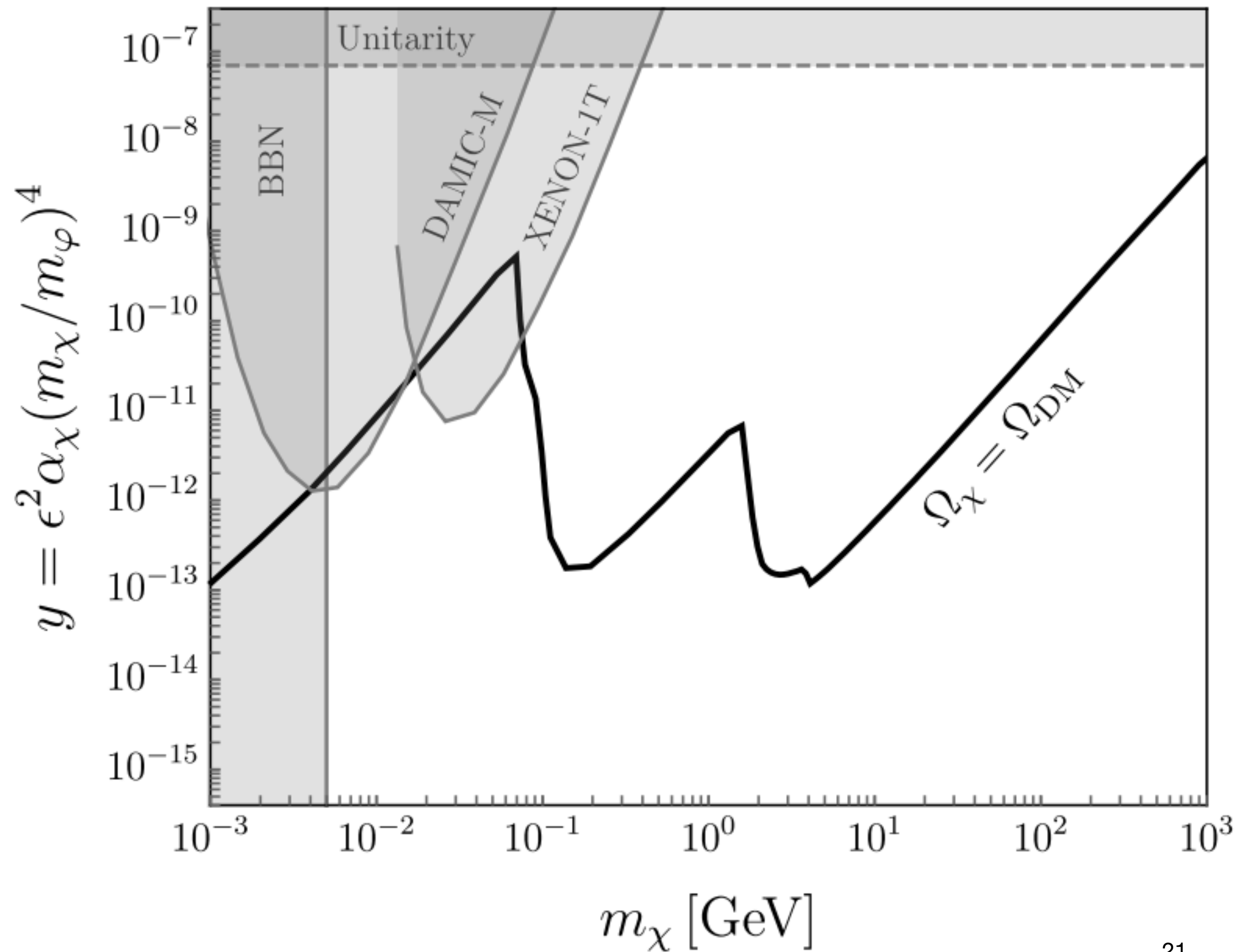
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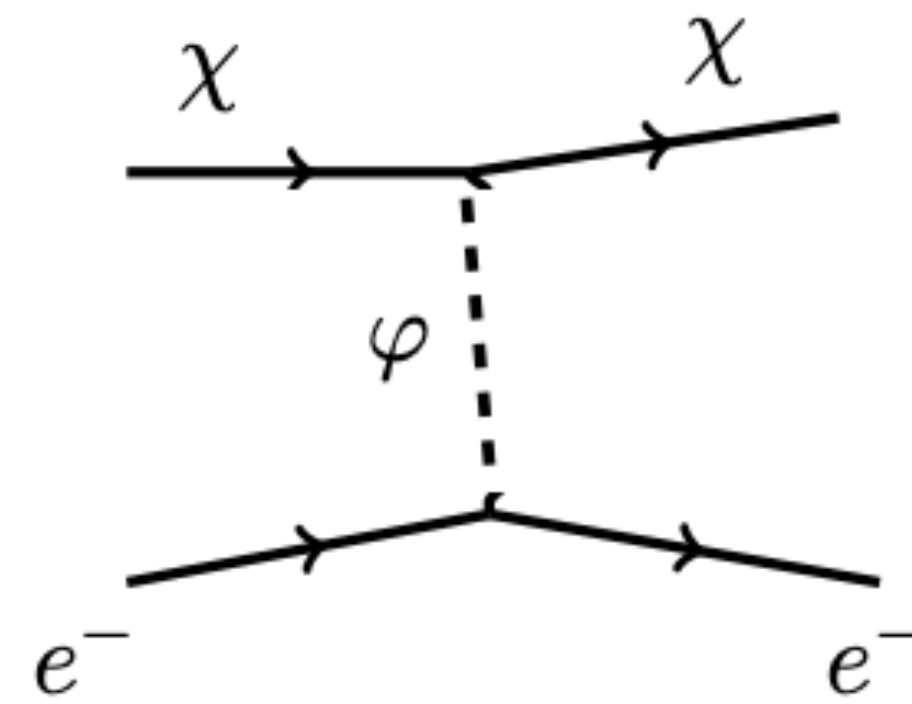
$$\propto \frac{y}{m_\chi^2}$$



# OTHER BOUNDS



$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2} \phi \chi \chi - \phi \sum_{l=e,\mu,\tau} g_l l \bar{l}$$



Direct Detection

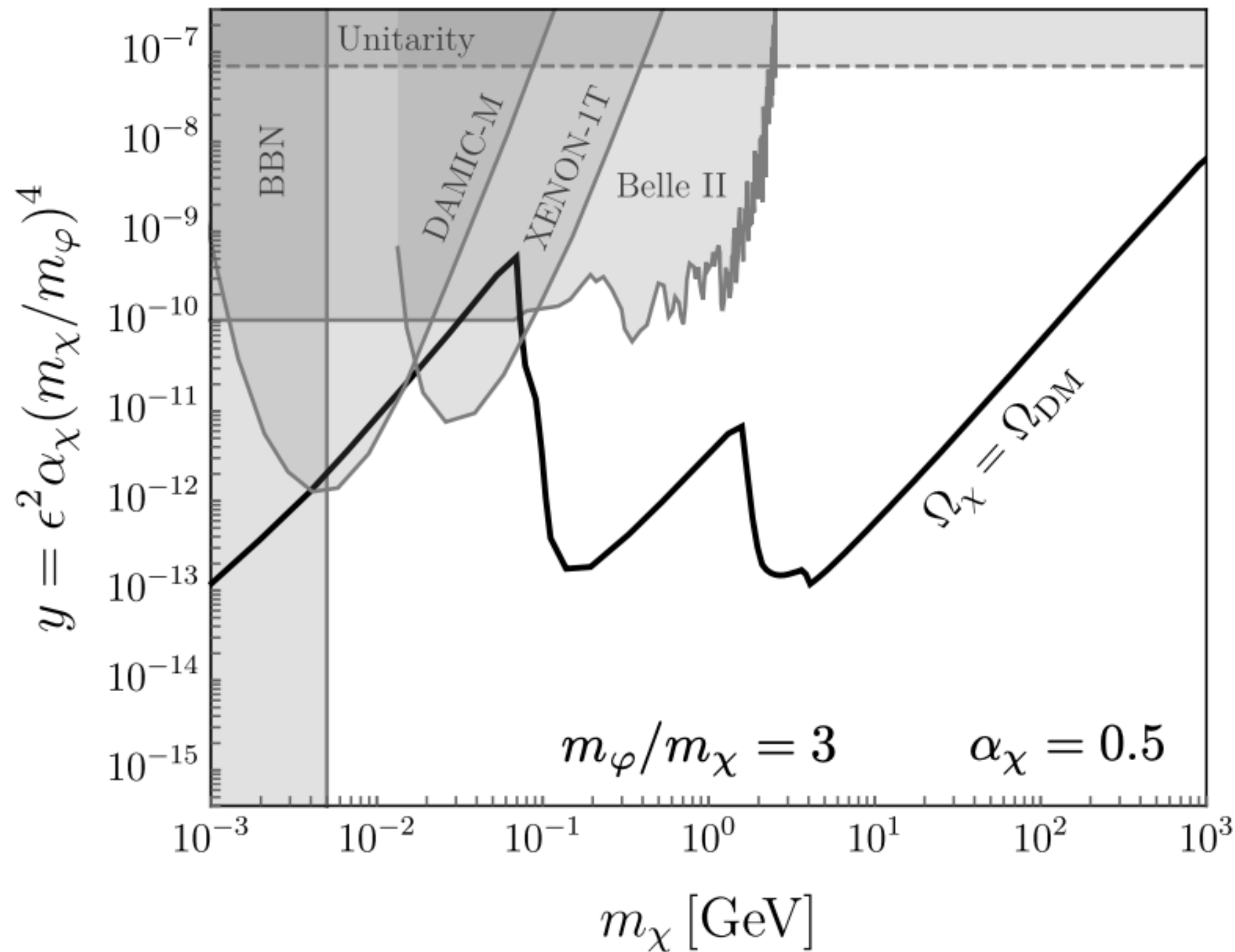
DAMIC-M 2302.02372

XENON-IT 2112.12116

CC, Krnjaic '24 (to come)



# OTHER BOUNDS



$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2} \phi \chi \chi - \phi \sum_{l=e,\mu,\tau} g_l l \bar{l}$$

*B* Factories

$$e^+ e^- \rightarrow \mu^+ \mu^- \phi$$

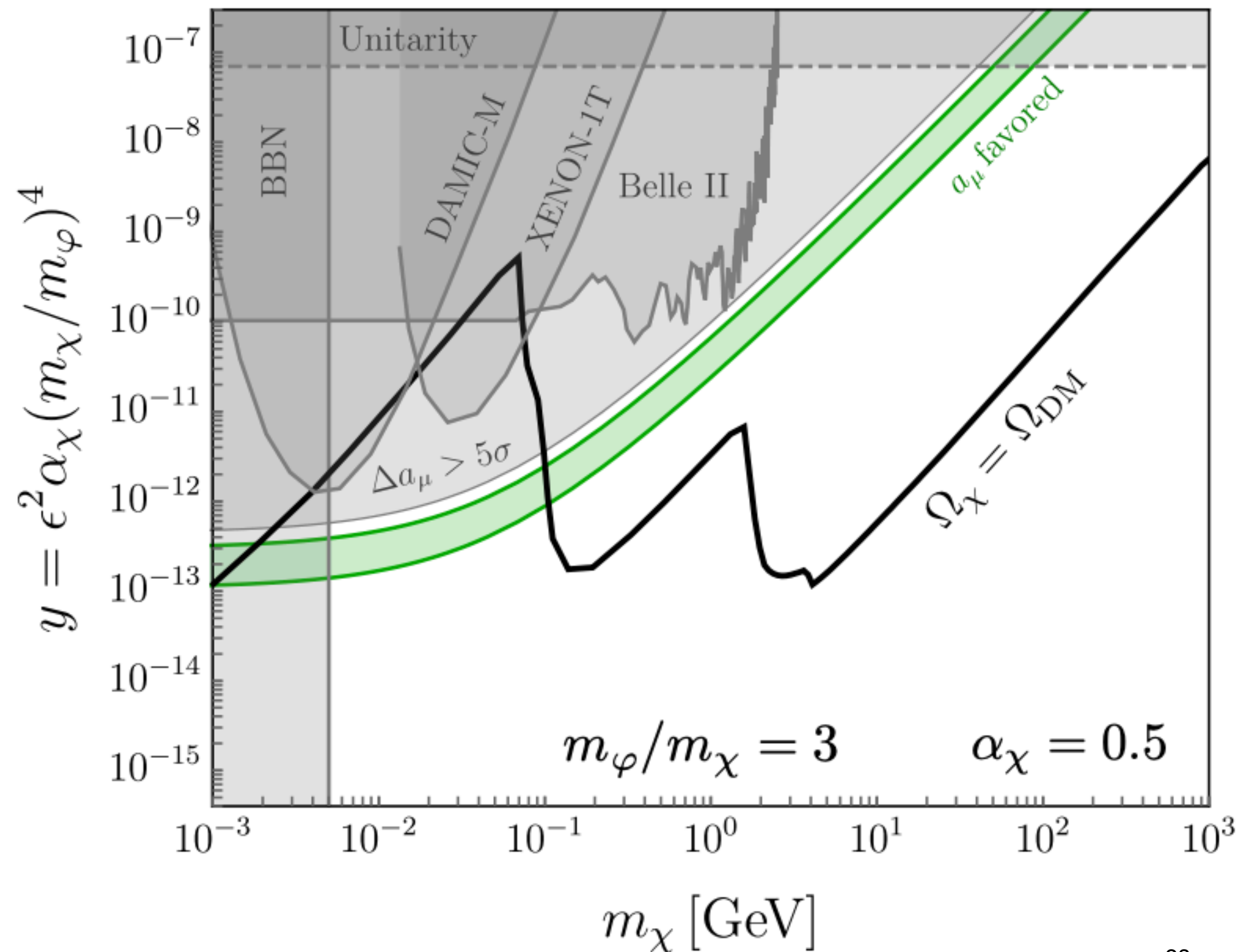
(Dimuon + missing energy)

Belle II Collaboration 2212.03066

CC, Krnjaic '24 (to come)

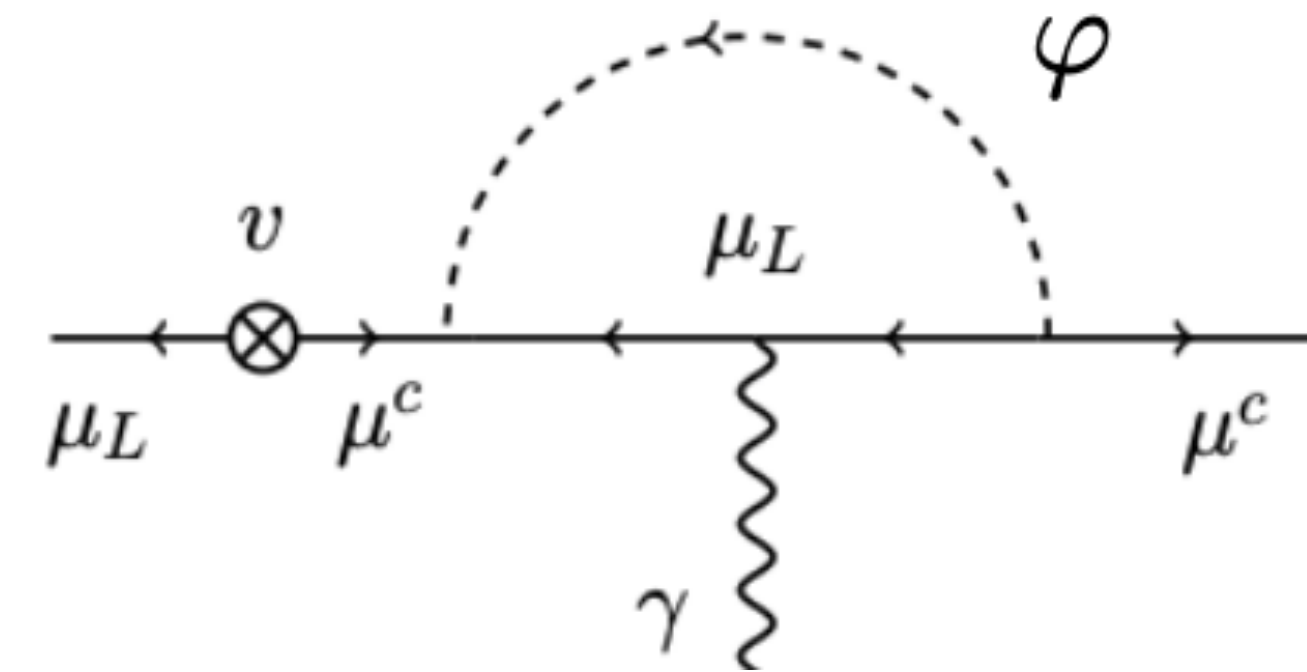


# OTHER BOUNDS



$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2} \phi \chi \chi - \phi \sum_{l=e,\mu,\tau} g_l l \bar{l}$$

*Muon g-2*



Muon  $g-2$  2311.08282

CC, Krnjaic '24 (to come)



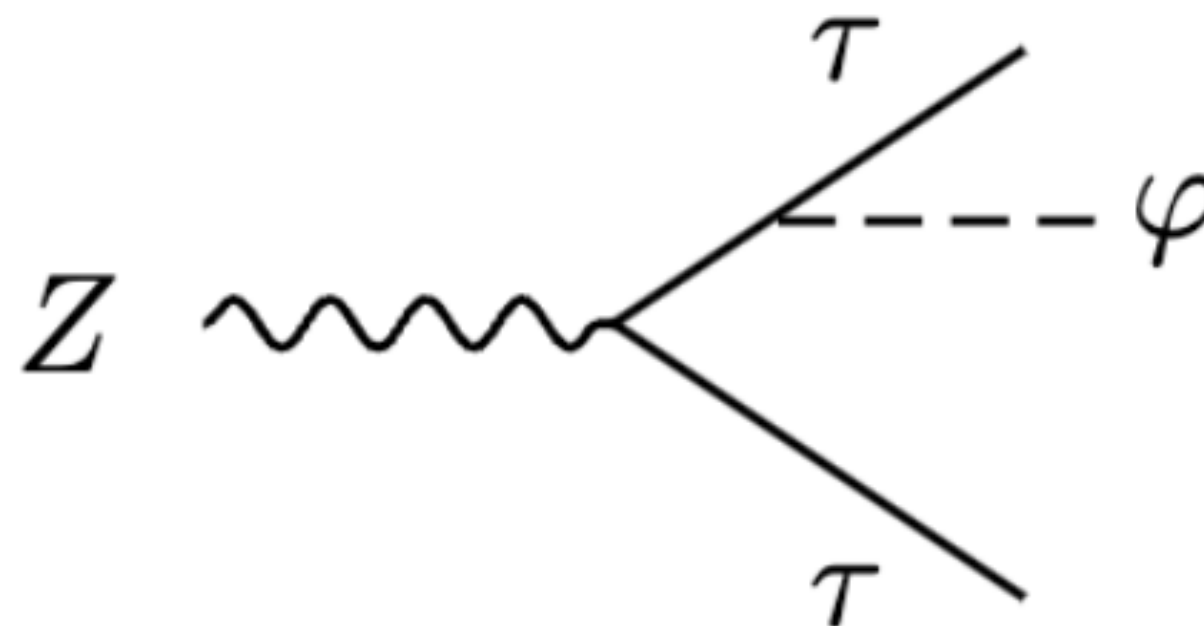
# BOUNDS FROM FCCee

Tera- $Z$  run at FCCee can also set significant bounds from rare  $Z$  decays

$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2}\varphi\chi\chi - \varphi \sum_{l=e,\mu,\tau} g_l l\bar{l}$$

Strongest bound set by couplings to  $Z \rightarrow \tau\tau$

Bound set by uncertainty in BR





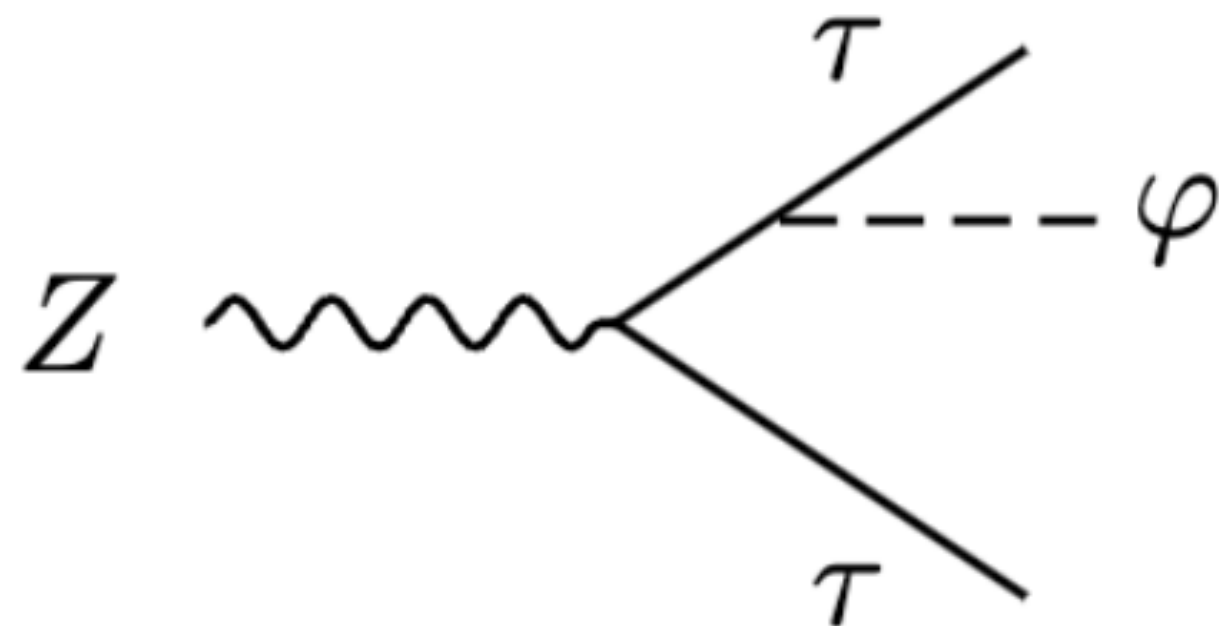
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Strongest bound set by couplings to  $Z \rightarrow \tau\tau$

Bound set by uncertainty in BR



Previous LEP: ( $1.7 \times 10^7 Z$ 's)

$$\Gamma(Z \rightarrow \tau\tau) = 84.08 \pm 0.22 \text{ MeV}$$

FCCee Tera- $Z$ : ( $10^{12} Z$ 's)

*Assume primary improvements come from statistics*

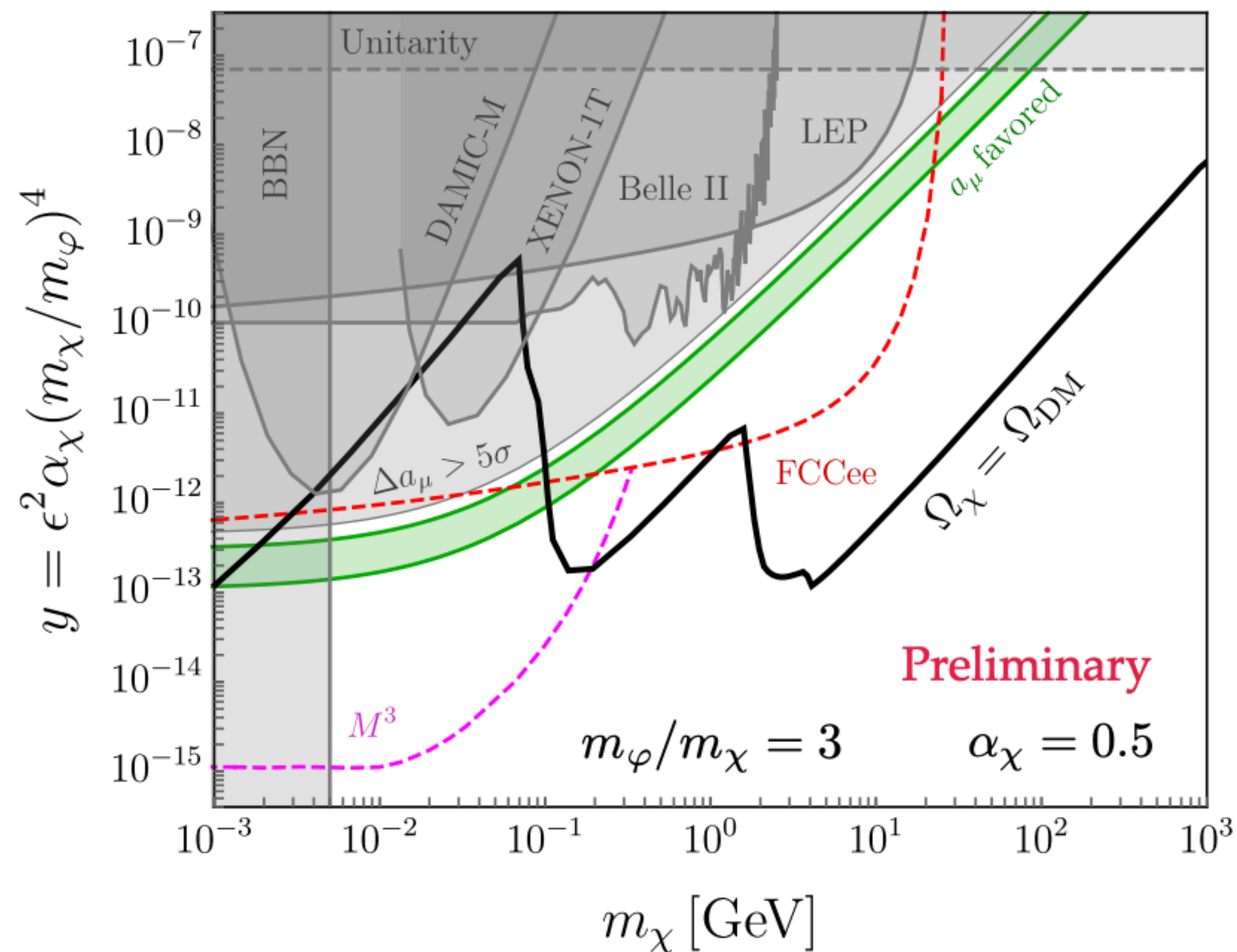
$$\Delta\Gamma \times \sqrt{N_{LEP}/N_{FCC}}$$



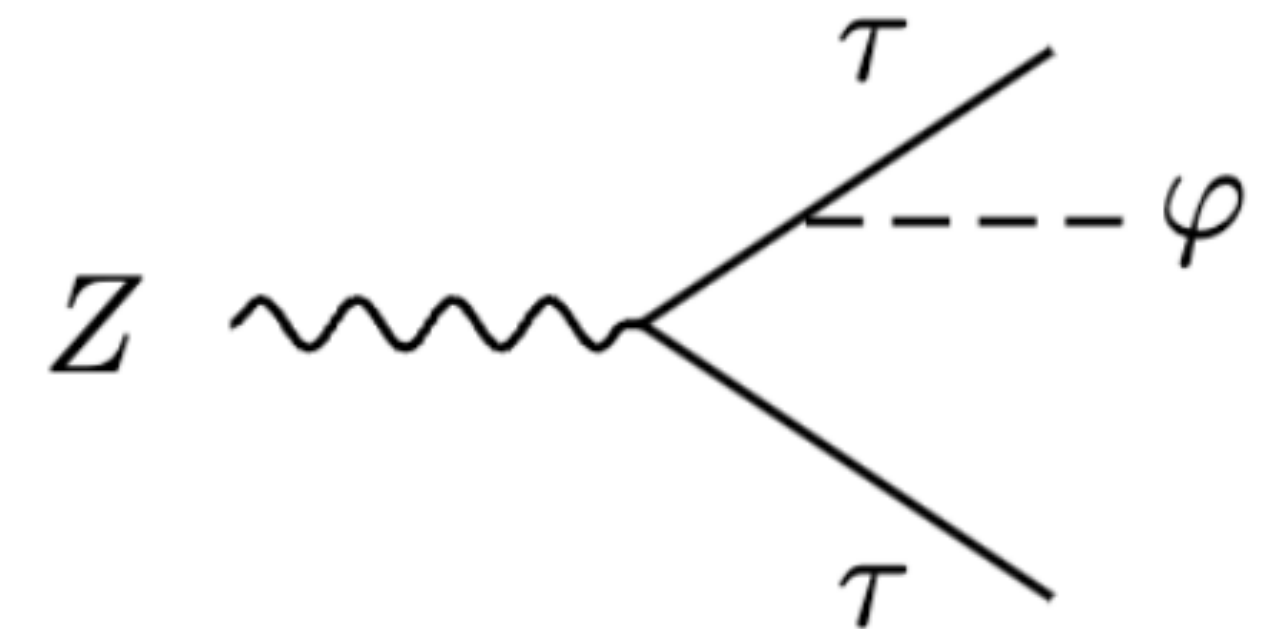
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$2\sigma$  in  $\Delta\Gamma(Z \rightarrow \tau\tau)$



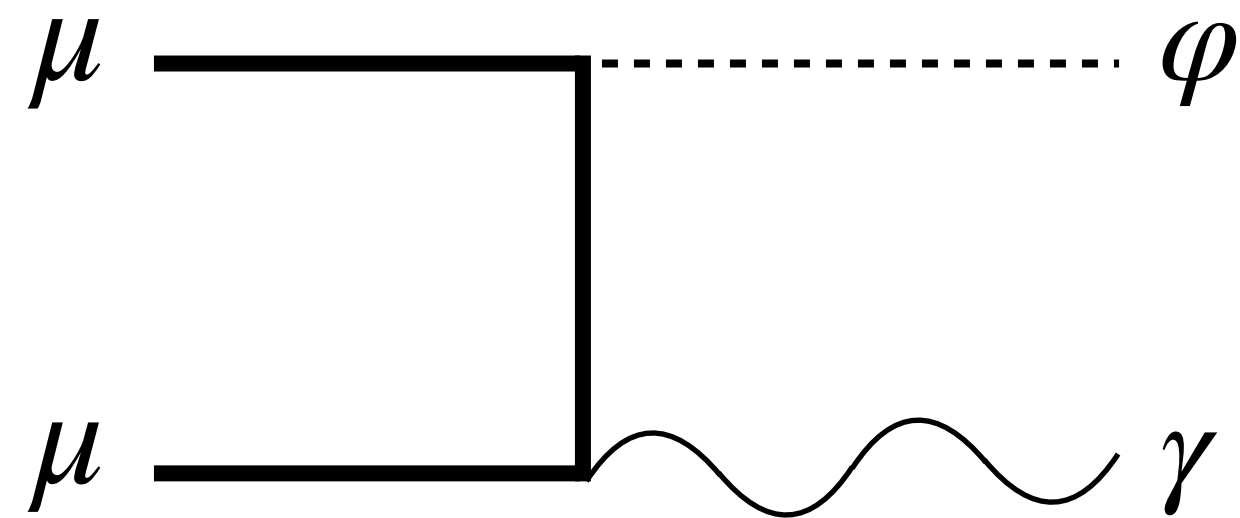


# BOUNDS FROM 3 TEV MUC

For Muon Collider, our sensitivity is going to be to **heavy** states.

$$\mu^+ \mu^- \rightarrow \varphi \gamma$$

$$E_\gamma \sim \sqrt{s}/2$$



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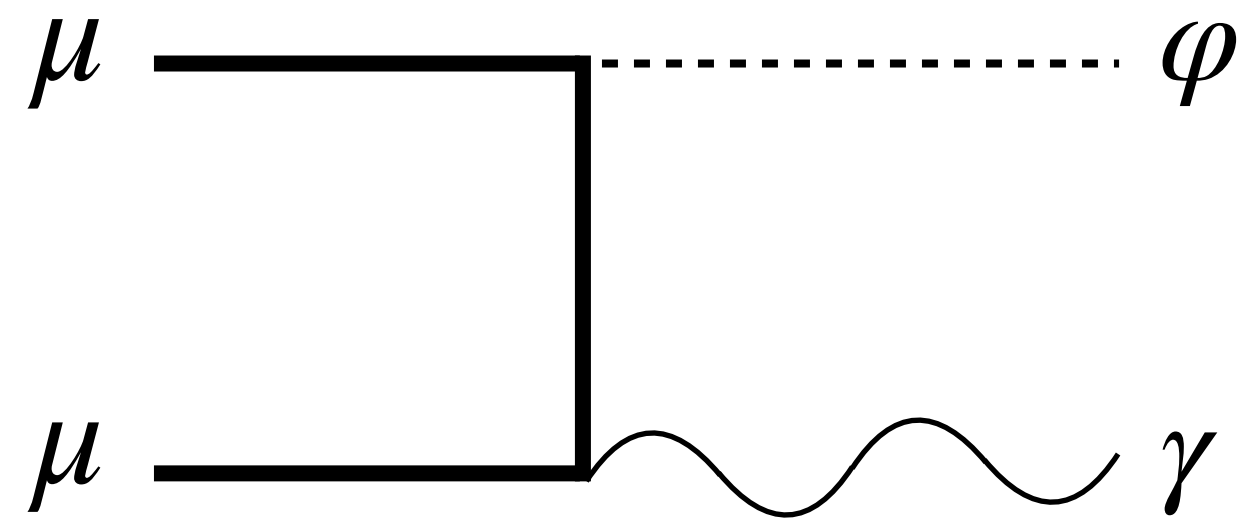


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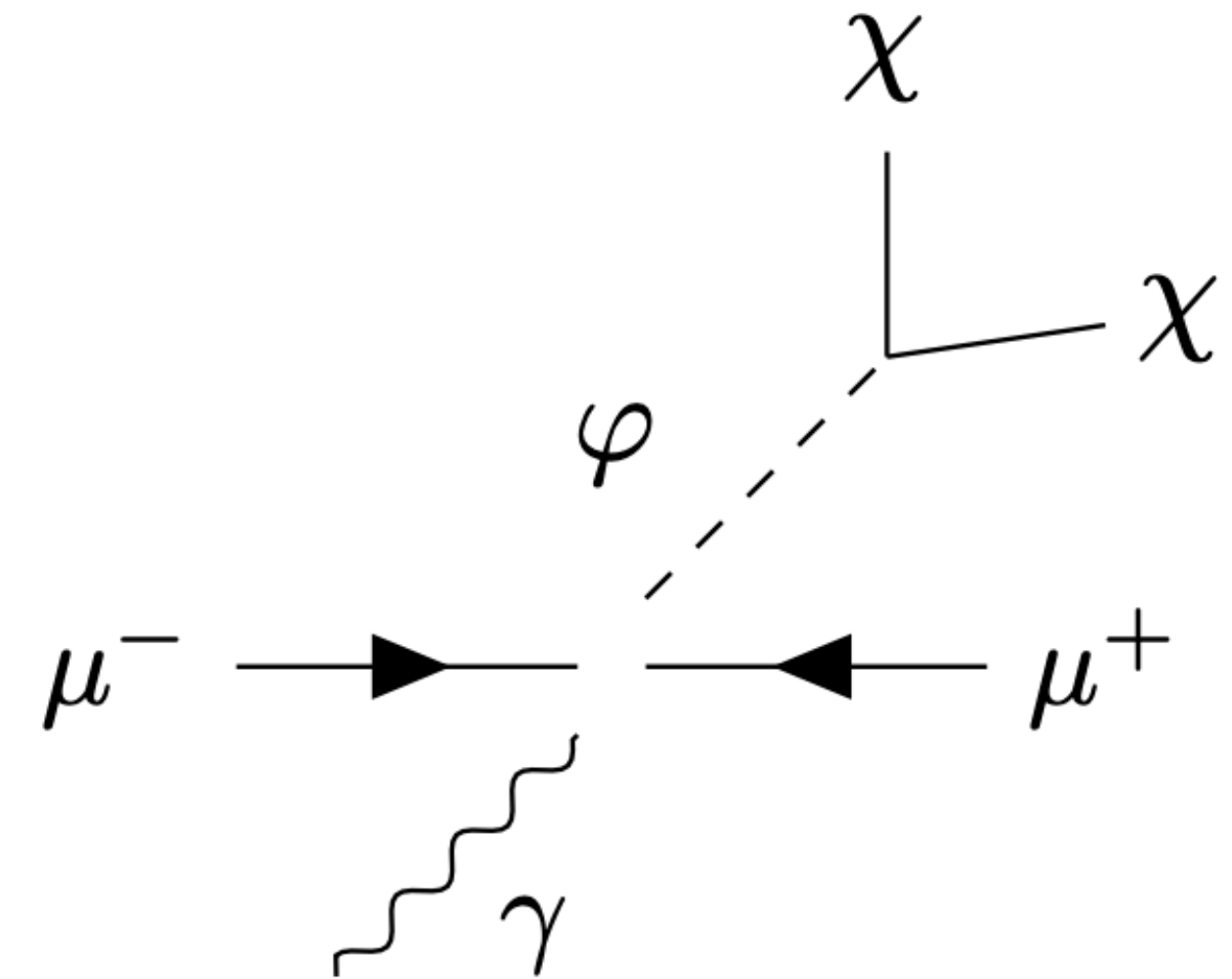
$$\mathcal{L}_{int} \supset -\frac{g_\chi}{2} \varphi \chi \chi - \varphi \sum_{l=e,\mu,\tau} g_l l \bar{l}$$

$$\sqrt{s} = 3 \text{ TeV}$$

$$\sigma_E = 3\%$$

$$\mathcal{L} = 1 \text{ ab}^{-1}$$

$$|\eta| < 2.5$$



Primary Background:

$$\mu^+ \mu^- \rightarrow \nu \bar{\nu} \gamma$$

Image: Krnjaic

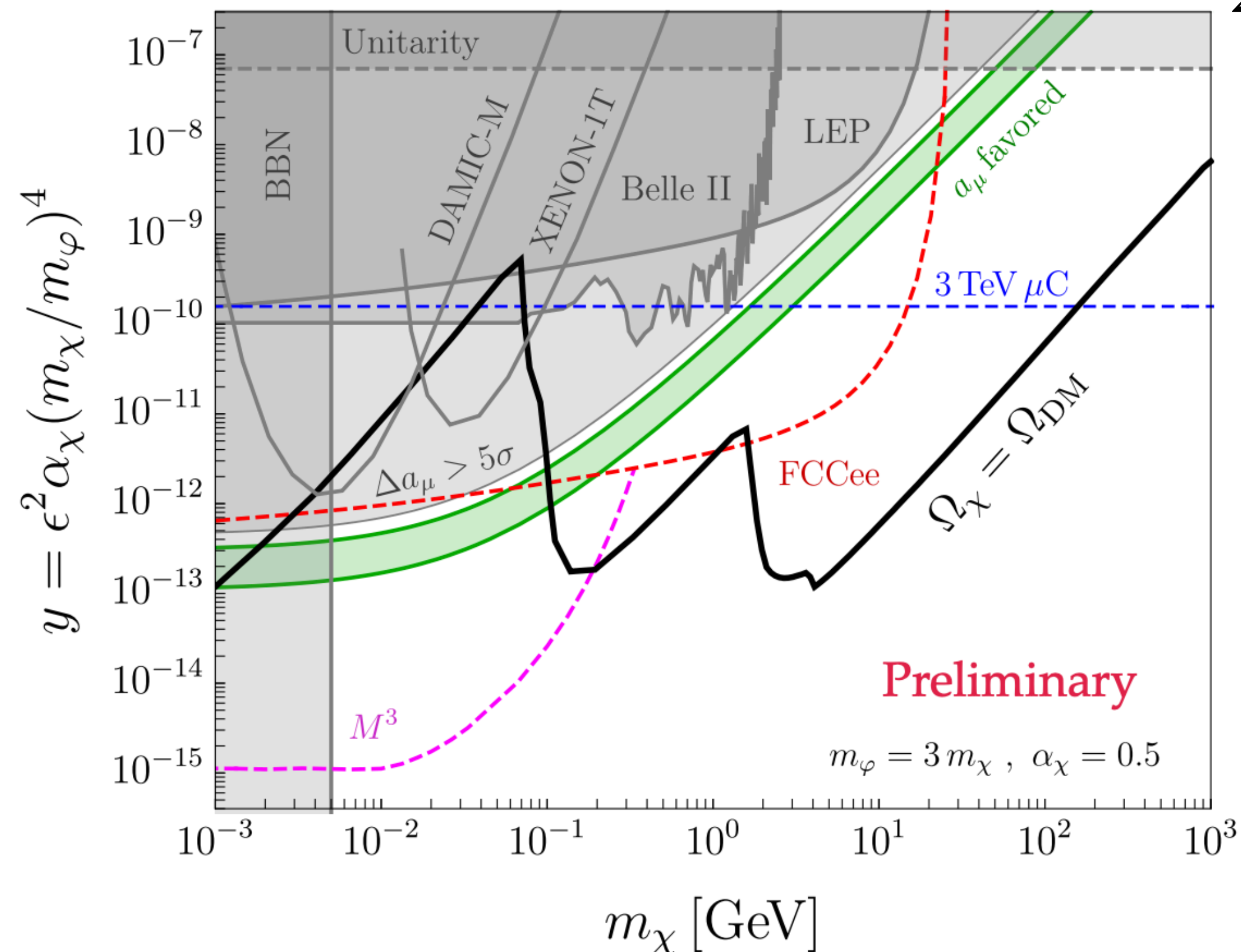
CC, Krnjaic '24 (to come)



# BOUNDS FROM 3 TEV $\mu\text{C}$

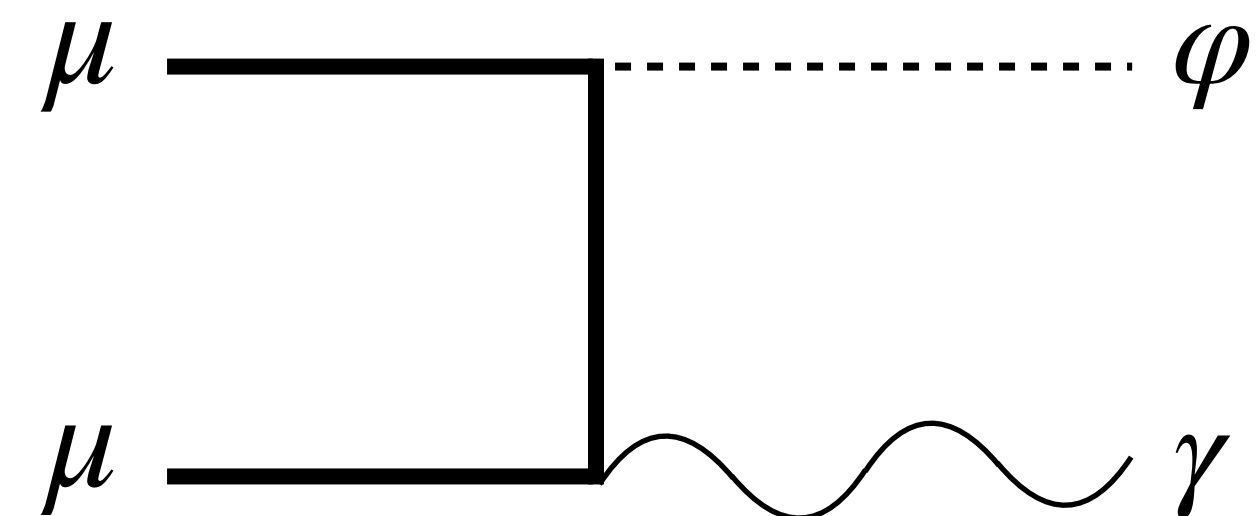
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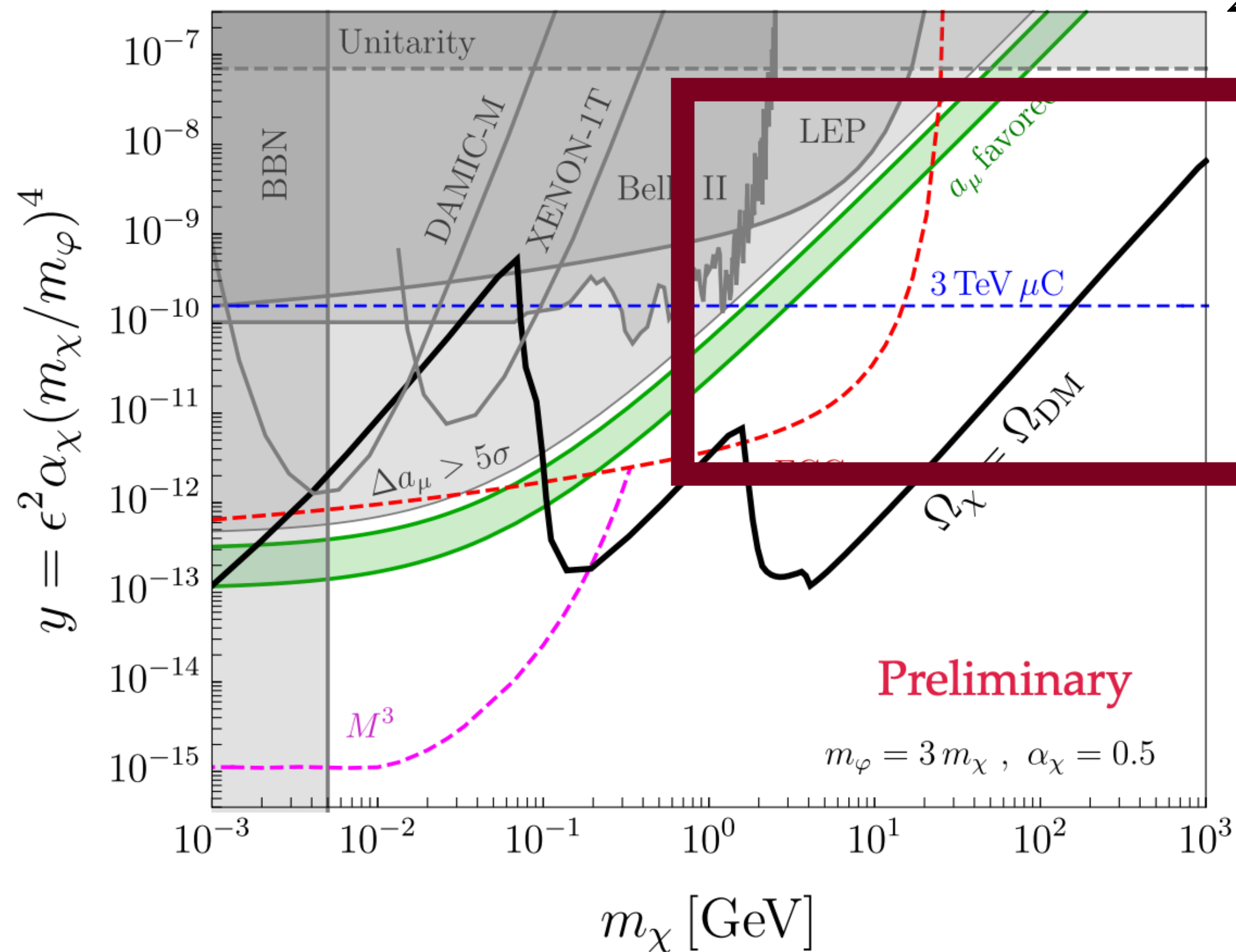




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*As is the theme of this workshop, a Muon Collider should be used to study heavy states!*



# CONCLUSIONS

We should *modestly* instrument any extra beam (e.g. the chopper at Fermilab) to fully utilize the physics program at MuC

For Muon Collider, our sensitivity is going to be to **heavy** states.

FCCee and MuC can probe *different* physics



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We should *modestly* instrument any extra beam (e.g. the chopper at Fermilab) to fully utilize the physics program at MuC

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FCCee and MuC can probe *different* physics

Thanks!

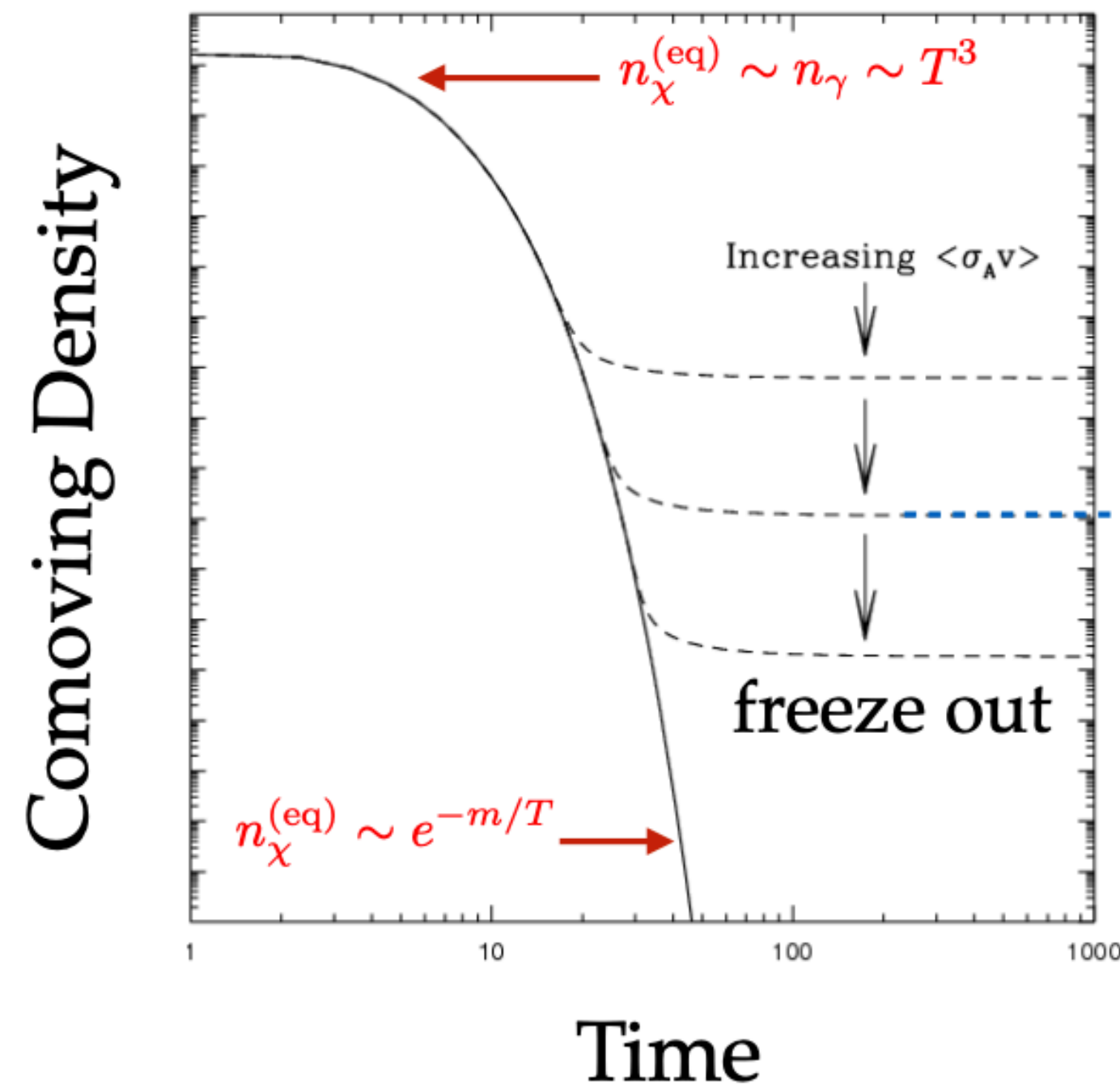


# Back ups



## Cosmological History

Equilibrium initially 
$$n_{\chi}^{(\text{eq})} = \int \frac{d^3p}{(2\pi)^3} \frac{g_i}{e^{E/T} \pm 1} \propto \begin{cases} T^3 & (T \gg m) \\ e^{-m/T} & (T \ll m) \end{cases}$$



Observed density requires

$$\sigma v \sim 2 \times 10^{-26} \text{cm}^3 \text{s}^{-1}$$

