

Appendix 1: Supporting systems

LHC Cryomodule



400 MHz cavities (Nb on Cu) at 4.5 K



LHC Cryomodule Supporting System





LHC magnet Cryostats





- 4-mm thickness, glass-fiber epoxy
- Manufactured by **Resin Transfer Moulding (RTM)**:
 - Suited to a large-scale industrial production (4'700 units)
 - High reproducibility in thermo-mechanical properties



Lay-up, calculated safety factors, material properties





Triaxial braid and % fiber volumes



4 layers of triaxial braid

6 layers

of biaxia braid

Figure	4.2.1.1	Plv	Failure	Index.	LS 1.1-A	



Bending cantilever 40 kN. (vacuum barrier load)

Tsai-Wu ply failure: Safety Factor = 2.7







Resin Transfer Moulding





SC magnet supporting systems from other machines





Hera dipole



Tevatron





SCC

Supporting system of Tesla/TTF/ILC Cryomodule





Supporting system of SNS and ESS high β Cryomodules





Supporting system of PIP II Cryomodule





SPL cryomodule: RF Coupler as support







Vertical loading of cavities string







Appendix 2: material mechanical properties at low T

Mechanical Properties at cryogenic temperatures

CERN

- Yield, ultimate strength
 - ✓ Yield and ultimate strengths increase at low temperature





Mechanical Properties at cryogenic temperatures (cont.d)



Young modulus

• Fracture toughness



From: Technique de l'Ingénieur



Appendix 3: Thermal radiation in cryostats: numerical application

Radiation in LHC-like cryostat (1/4)

- Thermal radiation HL for a 1-m cryostat unit length
- Vacuum vessel diameter: 1m ($A_2 = \pi x 1 = 3.14 m^2$)
- Cold mass diameter: $0.5 \text{ m} (A_1 = \pi \times 0.5 = 1.57 \text{ m}^2)$
- T₁ cold mass: 2 K
- T₂ vac.vessel: 293 K
- $\mathcal{E}_1 = 0.12$ (st.steel, mec.polished, 2 K)
- $\mathcal{E}_2 = 0.2$ (low carbon.steel, mec.polished, 293 K)
- \rightarrow q₁₋₂ = 63.5 W (41.6 W/m²)



$$q_{1_{2}} = \frac{\sigma A_{1}(T_{1}^{4} - T_{2}^{4})}{\frac{1}{\varepsilon_{1}} + \frac{A_{1}}{A_{2}}(\frac{1}{\varepsilon_{2}} - 1)}$$

Radiation in LHC-like cryostat (2/4)

• Floating AI shield



Floating Al shield:

- Thermal shield diameter: $0.75 \text{ m} (A_s = \pi \times 0.75 = 2.35 \text{ m}^2)$
- F_{1s}= 1; F_{2s}= 1
- $T_s = 80 \text{ K} \text{ (first guess)}$
- $\mathcal{E}_{s,1} = \mathcal{E}_{s,2} = 0.1$ (Aluminum, mec.polished, 80 K)
- \rightarrow q₁₋₂ = q_{1-s} = q_{s-2} = 28.5 W
- Calculate Ts by *trial and error* to obtain power balance $q_{1-s} = q_{s-2}$
- → $T_s = 260 \text{ K}$ → increase $\varepsilon_{s,1} = \varepsilon_{s,2}$ (0.15?) and recalculate
- \rightarrow q₁₋₂ = q_{1-s} = q_{s-2} = 35.4 W (to be compared to 63.5 W without shield)
- → $q_{1-s} = 35.4 \text{ W} (22.5 \text{ W/m}^2), q_{s-2} = 35.4 \text{ W} (15 \text{ W/m}^2)$

\rightarrow 1 floating thermal shield reduces to <u>almost ½ the radiation</u> to the low T (close to flat plates approximation for this geometry)





Radiation in LHC-like cryostat (3/4)

- MLI with N reflectors, floating shields
- Radiation between shield and vac.vessel (flat plat approximation):

$$q_{s-e} = \frac{\sigma Aav(Ts^4 - Te^4)}{(N+1)(\frac{2}{\varepsilon_{av}} - 1)}$$

- N = 30
- $T_s = 80 \text{ K} \text{ (first guess)}$
- $\epsilon_{e} = 0.2$ (low carbon.steel, mec.polished, 293 K)
- $\varepsilon_s = 0.08$ (Aluminium reflector, electrolytical deposition, 80 K)
- $\mathcal{E}_{av} = \frac{1}{2} (\mathcal{E}_s + \mathcal{E}_e)$ (average emissivity)
- $A_{av} = \frac{1}{2} (A_s + A_e)$ (average area)
- \rightarrow $\rm q_{s\text{-}e}$ = 2.7 W (0.14 W/m^2) $\,$ (with $\rm T_{s}$ = 80 K)
- Radiation between shield (80 K) and helium vessel (formula between enclosed cylinders):
- \rightarrow q_{i-s} = 0.23 W (0.012 W/m²) (with T_s = 80 K)
- Calculate T_s by *trial and error* (and tune \mathcal{E}_s) to obtain power balance $q_{s-e} = q_{i-s}$ (floating shield condition)
- \rightarrow T_s = 143 K, \rightarrow E_s= 0.1

 $q_{s-e} = q_{i-s}$ → $q_{s-e} = 2.6 \text{ W} (1.65 \text{ W/m}^2)$ → $q_{i-s} = 2.6 \text{ W} (0.96 \text{ W/m}^2)$

\rightarrow MLI (30 layers) reduce the HL to the thermal shield (and cold surface) by a factor x25 wrt no shield





Radiation in LHC-like cryostat (4/4)

- MLI with N reflectors, actively cooled shield
- Radiation between shield and vac.vessel (flat plat approximation):
 - N = 30
 - $T_s = 80 \text{ K} (\text{now an input})$
 - $\mathcal{E}_s = 0.08$ (Aluminium reflector, electrolytical deposition, 80 K)
 - $\mathcal{E}_{av} = \frac{1}{2} (\mathcal{E}_s + \mathcal{E}_e)$ (average emissivity)
 - $A_{av} = \frac{1}{2} (A_s + A_e)$ (average area)

 \rightarrow q_{s-e} = 2.78 W (1.0 W/m²)

• Radiation between shield (80 K) and helium vessel (2 K) (formula between enclosed cylinders):

 $q_{s-e} = \frac{\sigma \,Aav \,(Ts^4 - Te^4)}{(N+1)(\frac{2}{\varsigma} - 1)}$

 $\rightarrow q_{i-s}^* = 0.23 \text{ W} (0.14 \text{ W/m}^2) (x10 \text{ times less than with floating shield })$

- Radiation heat extraction from thermal shield (not to be forgotten!):
- \rightarrow q_{shield} = q_{s-e} q_{i-s} = 2.55 W

→<u>Actively cooled shield with MLI</u> dramatically reduces radiation to the low T: this <u>is a</u> standard practice in cryostats!





Summary of radiation







Appendix 4: Thermo-mechanical considerations

Thermal expansion of some materials







Thermal stress in composite material assemblies: 3 cases





$$\sigma 1 = \frac{E1 E2 A2}{E1 A1 + E2 A2} (\alpha 2 \Delta T2 - \alpha 1 \Delta T1) \qquad \sigma 2 = \frac{E1 E2 A1}{E1 A1 + E2 A2} (\alpha 2 \Delta T2 - \alpha 1 \Delta T1)$$