

# Update on $\pi$ , K and p production in High Multiplicity pp collisions at 13 TeV using TPC and TOF detectors

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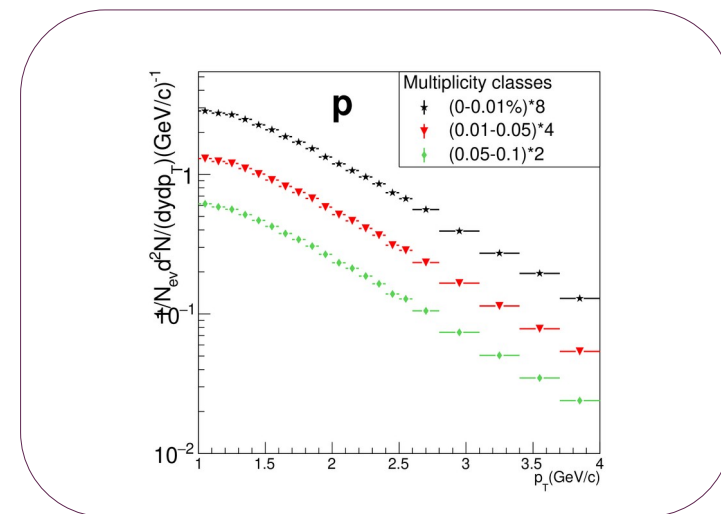
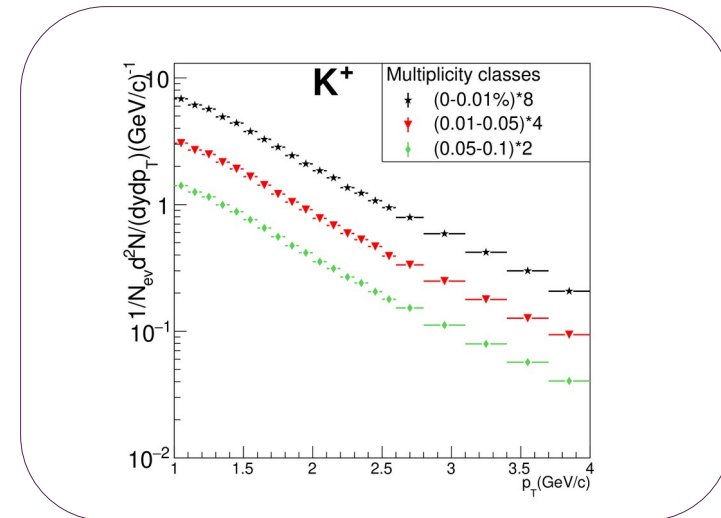
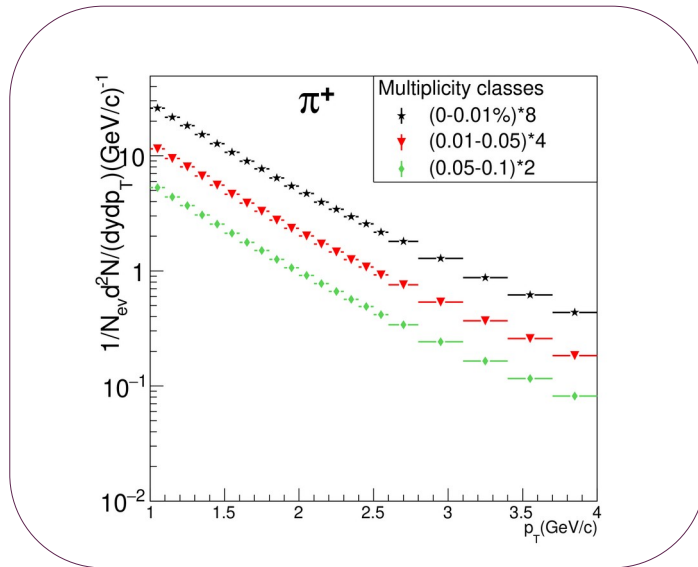
22-11-2023



# Work done and presented



- ★ Obtained the TPC+TOF corrected spectra using the High Multiplicity (HM) trigger with fine bins of multiplicity 0-0.01%, 0.01-0.05%, 0.05-0.1% for pp collisions at 13 TeV.



## Corrections applied:

- ★ Tracking efficiency
- ★ Matching efficiency
- ★ Feed-down correction
- ★ Geant4 absorption correction





- ★ Obtained the corrected spectra for pions, kaons and protons using the TPC-TOF analysis.
- ★ Combined spectra with other analysis i.e. ITSsa and kinks is obtained.
- ★ Compare the spectra with published results.



# Outline



- ★ Motivation
- ★ ALICE detector system
- ★ Analysis details and Analysis crew
- ★ Results & discussions
- ★ Summary



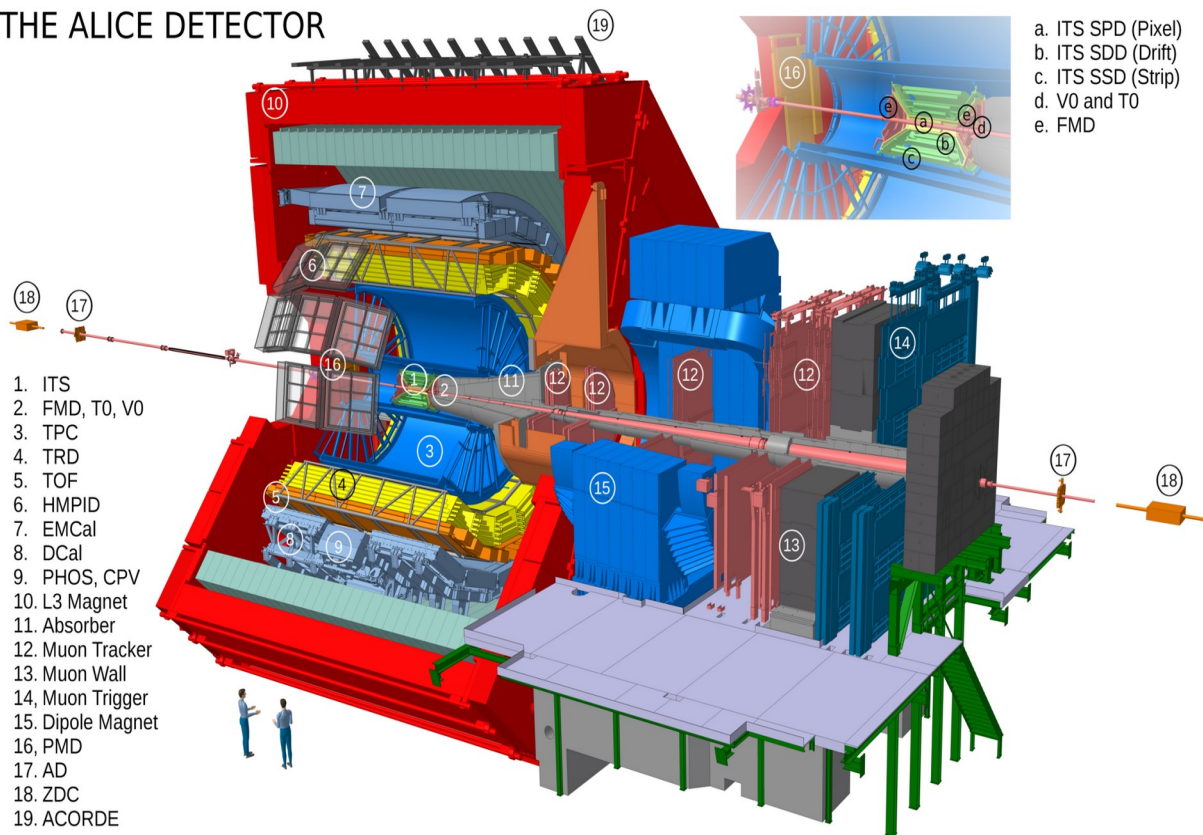


- Study the thermodynamic property and explore the collective phenomena.
  - $p_T$  – spectra of the identified hadrons carry the information of radial flow, chemical and kinetic freeze-out temperature.
- The particle ratio study helps to understand the hadron chemistry of the particle production.
  - Strangeness enhancement.
- Useful in comparison among the colliding systems.
  - High-multiplicity events are of particular interest because they exhibit behaviours reminiscent with Pb-Pb collisions.
  - Hints of collectivity in small systems (pp and pA).

# ALICE Detector System



THE ALICE DETECTOR



## Inner Tracking System (ITS)

$|\eta| < 2.0$  :

★ Primary Vertex

★ Tracking

## Time Projection Chamber (TPC)

$|\eta| < 0.8$  :

★ Tracking

★ PID

## Time of Flight (TOF)

$|\eta| < 0.9$  :

★ PID

## Forward detector (V0):

V0A ( $2.8 < \eta < 5.1$ ) & V0C ( $-3.7 < \eta < -1.7$ )

★ Trigger, Centrality Estimator

## Multiplicity/Centrality event classes definition:

★ V0M



# Analysis details



- ★ Data Set : pp @ 13 TeV
- ★ Period: LHC16l\_pass2 (58 runs) (approx 8M events)

- ★ MC Production : Pythia8
- ★ Period: LHC2017c (Geant 4), anchored to LHC16l\_pass2

## Event selection cuts:

- ★ Physics selection: AliEventCuts:kHighMultV0
- ★ Vertex Selection:  $|V_z| < 10$  cm.
- ★ Multiplicity Estimator: V0M

- ★ **Multiplicity bin (%)**: 0-0.01(HM1), 0.01-0.05(HM2), 0.05-0.1(HM3)

★ Multiplicity Class	No. Of Events
HM1	0.78M
HM2	3.2M
HM3	4.01M

## Track selection cuts:

- ★ Hybrid Cut
  - ★ FilterMask =816  
(16(loose DCA) + 32 (Tight DCA) + 256 +512(Hybrids) )
- ★ Rapidity distribution Cut:
  - ★  $|y| < 0.5$
- ★ TPC cluster cut
  - ★ TPC has minimum 70 clusters



# Analysis crew



- ITS stand alone
  - **Rajendra Nath Patra:** University of Jammu (IN)
- TPC+ TOF fits:
  - **Navneet Kumar, Lokesh Kumar:** Department of Physics, Panjab University, Chandigarh (IN)
- Kink topology:
  - **Martha Spyropoulou-Stassinaki:** Department of Physics, National and Kapodistrian University of Athens (GR)
- Coordination:
  - **Nicolo Jacazio:** Universita e INFN, Bologna (IT)
  - **Ivan Ravasenga:** CERN, Geneva

	Analysis Region		
	$p_T$ (GeV/c)		
	$\pi$	K	p
<b>ITSsa</b>	0.1-0.75	0.2-0.6	0.3-0.7
<b>TPC-TOF</b>	0.6-4.0	0.6-4.0	0.7-4.0
<b>Kinks</b>	0.25-0.75	0.25-0.95	--





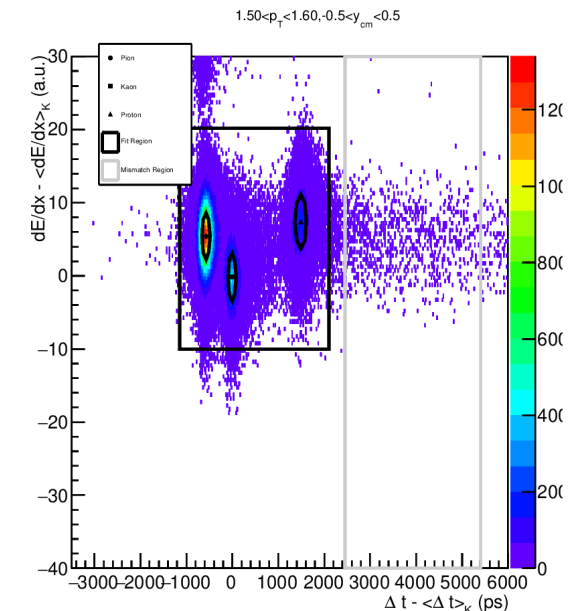
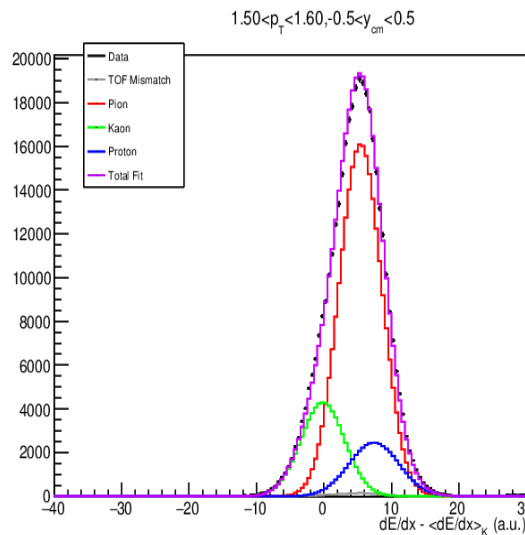
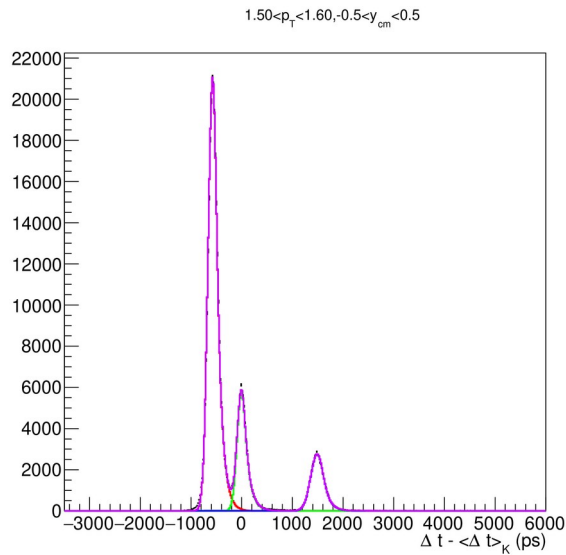
# Particle Identifications (PIDs)



- ★ For PIDs we use combination of both TPC and TOF detectors
- ★ In this analysis we use two dimensions fit method
- ★ For each particle ( $\pi/\kappa/p$ ), the  $T_i = t - \langle t \rangle_i$  and  $X_i = \frac{dE}{dx} - \langle \frac{dE}{dx} \rangle_i$  distributions are obtained.
- ★ A template is included in the fit for TOF mismatch.
- ★ For Fitting we use a model where every peak in (TOF, TPC) is described as:

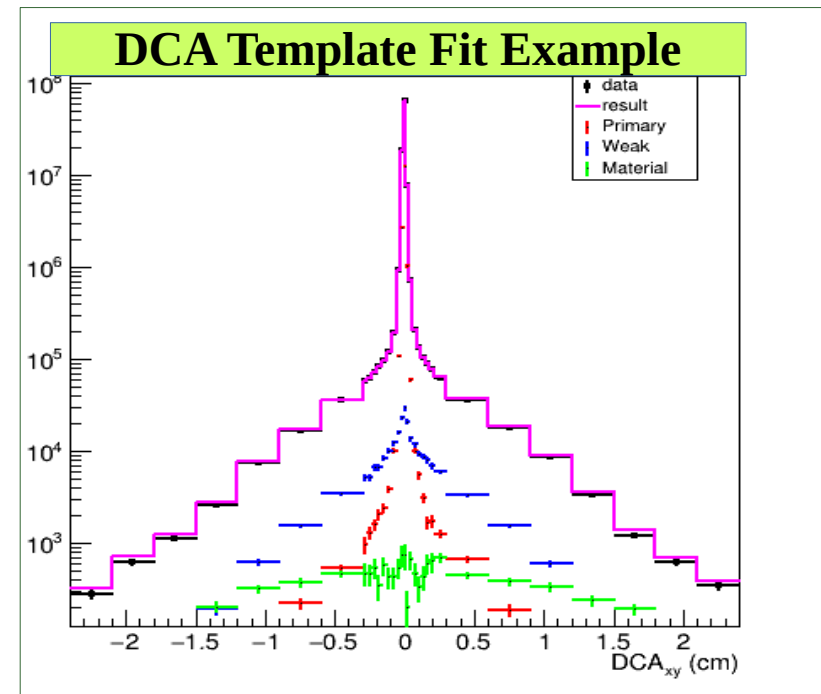
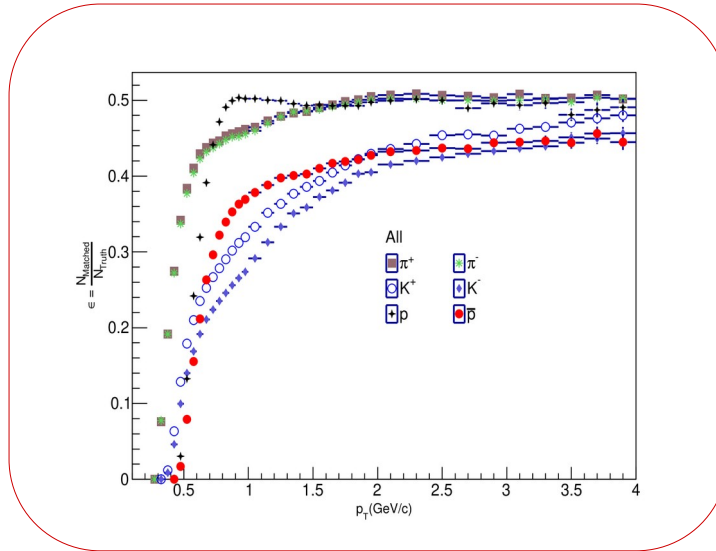
$$\frac{dN_{tot}^2}{dT_i dX_i} = \sum \frac{dN_j^2}{dT_i dX_i} + M_i$$

- ★ The best fitting parameters are found by maximizing the log likelihood of the model.



# Correction factors

➤ Correction factors for the pions, kaons and protons (Total Efficiency corrections + absorption correction).



## Pions

- ★ Tracking efficiency
- ★ Matching efficiency
- ★ PID efficiency
- ★ Feed-down corrections

## Kaons

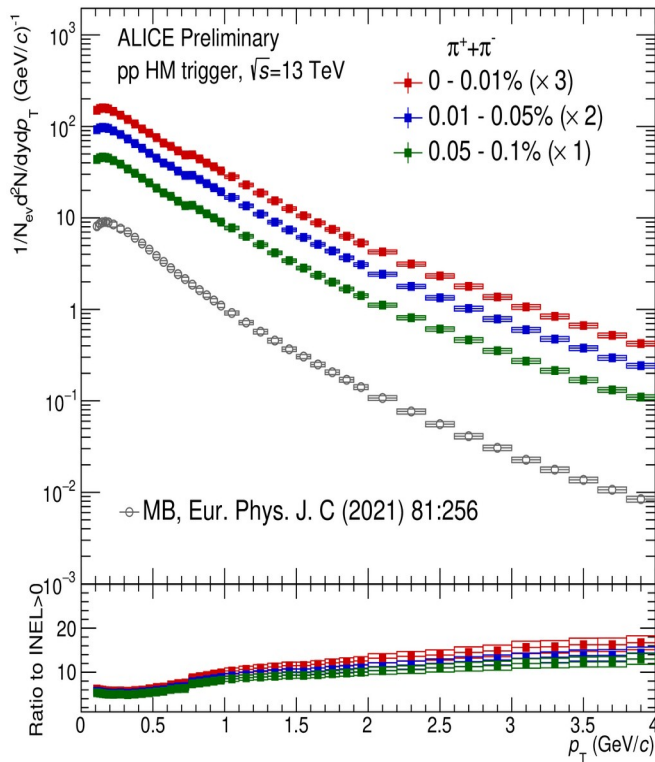
- ★ Tracking efficiency
- ★ Matching efficiency
- ★ PID efficiency

## Protons

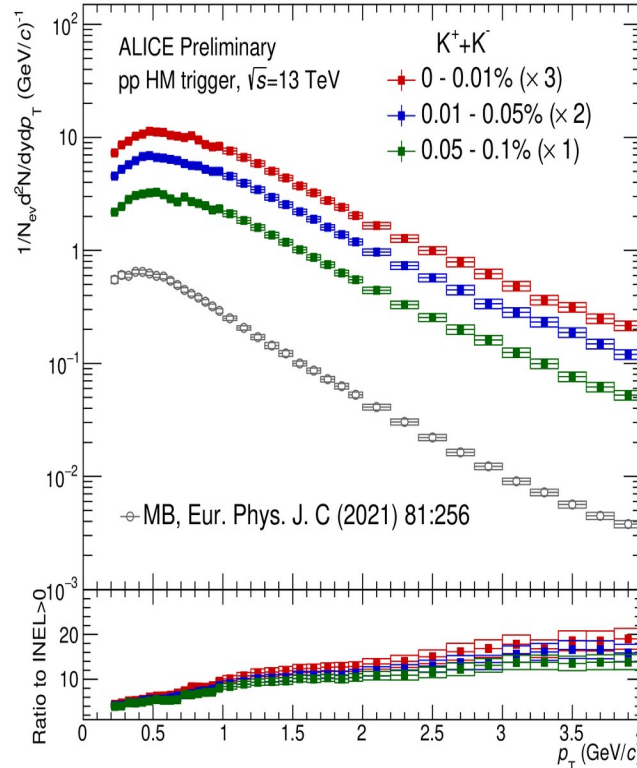
- ★ Tracking efficiency
- ★ Matching efficiency
- ★ PID efficiency
- ★ Feed-down corrections
- ★ Geant4 absorption corrections



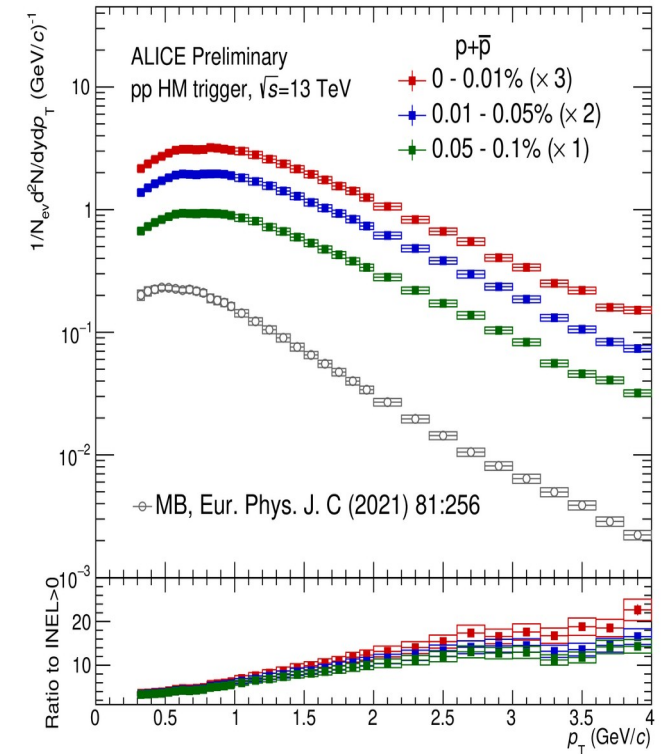
# Light flavor spectra in HM pp events



ALI-PREL-548278



ALI-PREL-548282

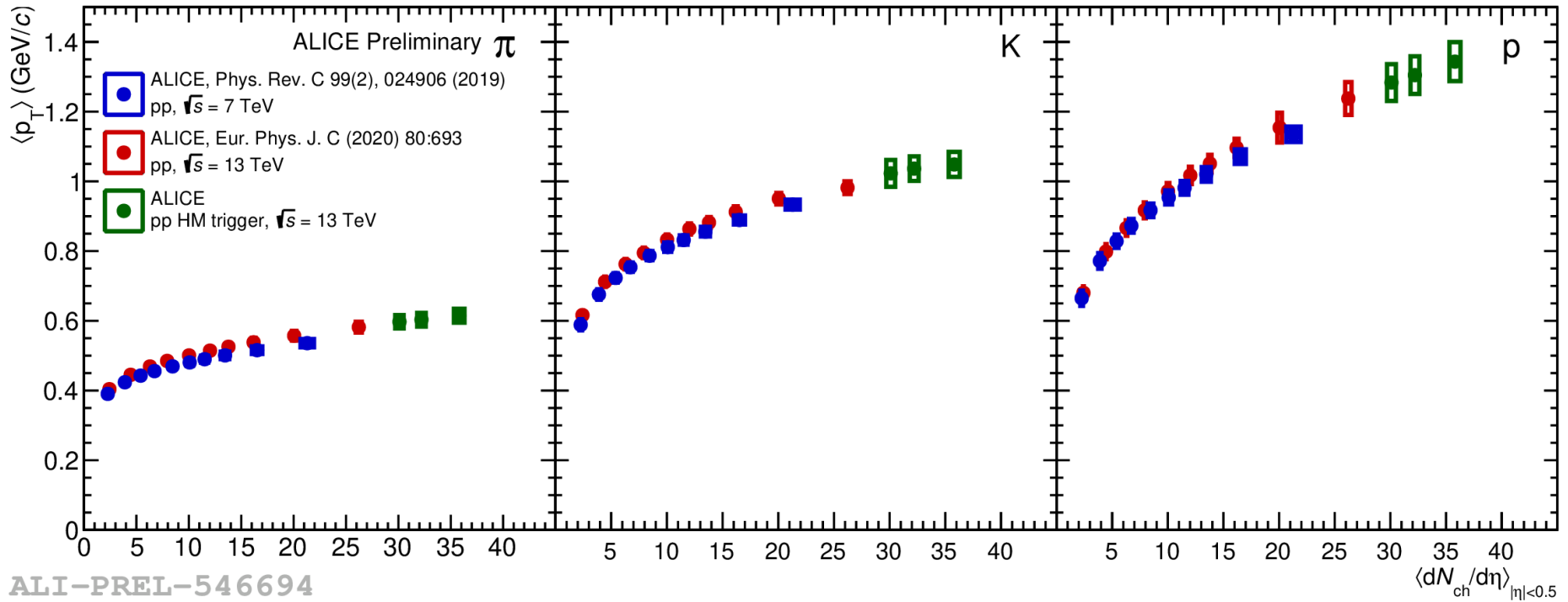


ALI-PREL-548286

- $p_T$  spectra of  $\pi$ ,  $K$ ,  $p$  for pp, 13 TeV HM classes. The ratio to MB spectra [EPJ C (2021) 81:256].
  - mass dependent hardening can be observed.



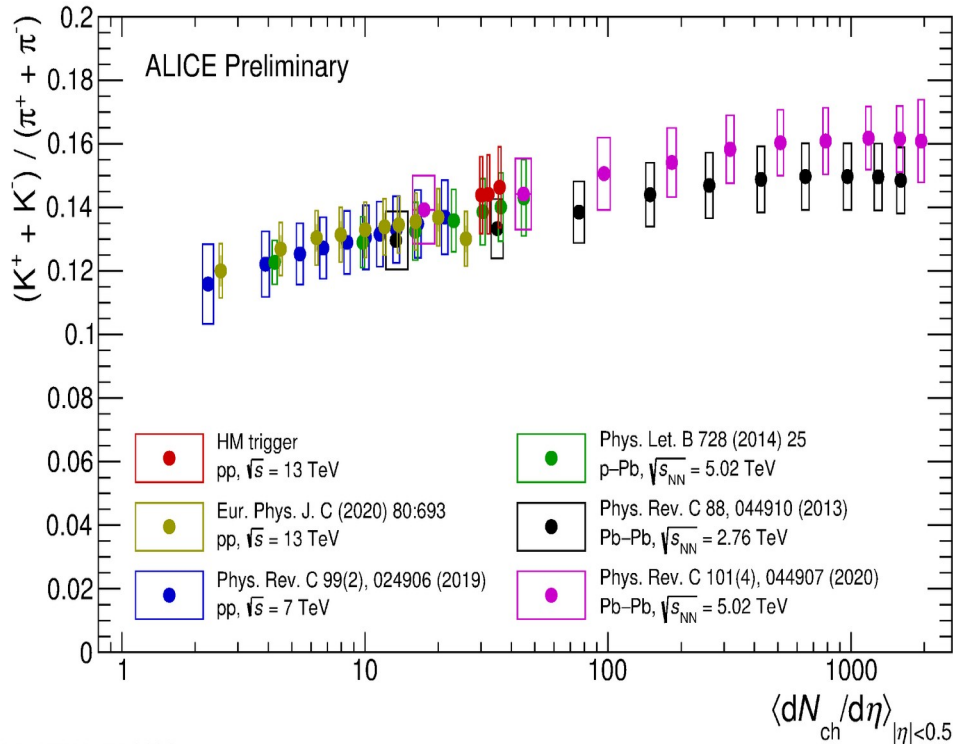
# $\langle p_T \rangle$ measurement in pp collisions



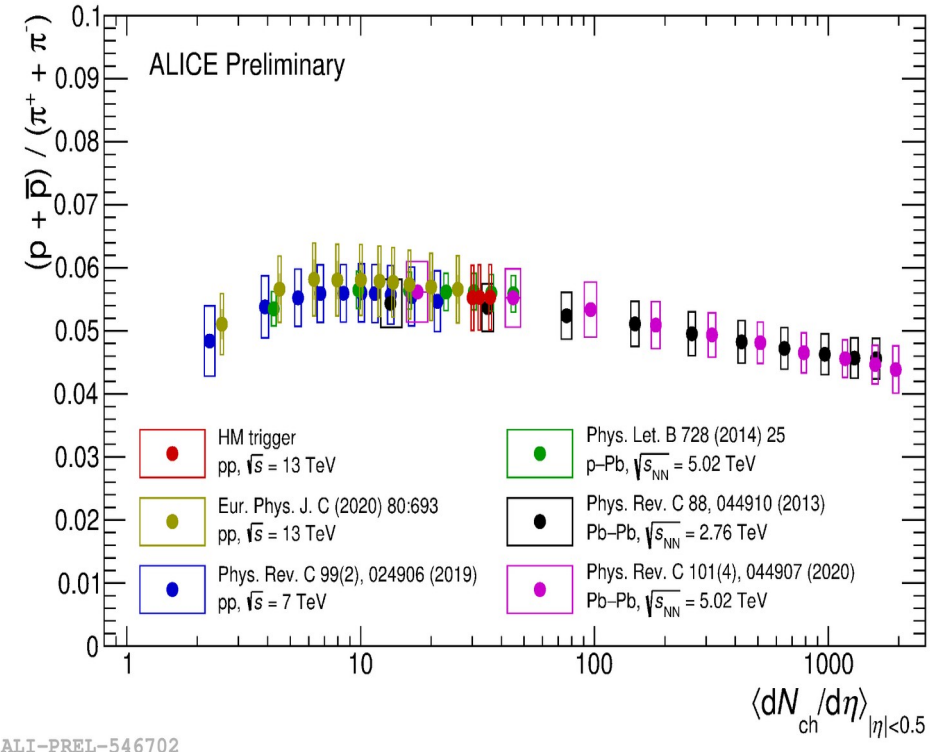
- Multiplicity dependent  $p_T$  increases in pp system as found in Pb–Pb collisions,
- The increase is steeper with mass - supports the picture of the collective evolution (radial flow)



# Ratio of particles ( $K/\pi$ and $p/\pi$ )



ALI-PREL-546698



ALI-PREL-546702

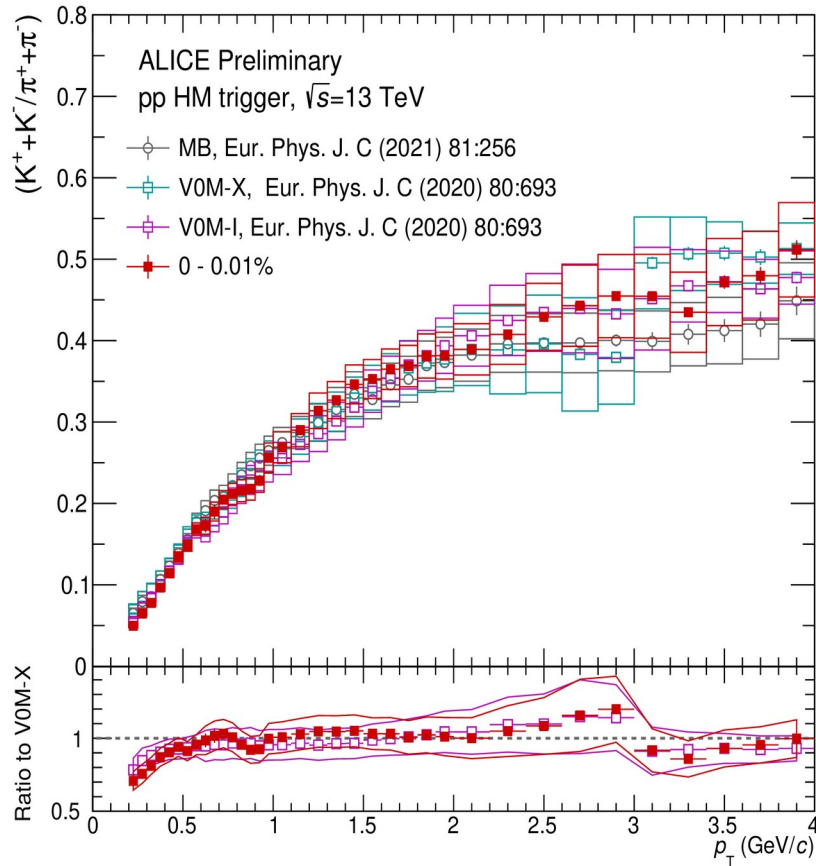
- Smooth transition of the ratio of the particles from pp to Pb-Pb collisions.
- increasing trend of the  $K/\pi$  ratio -> **Strangeness enhancement**
- Decreasing trend in the  $p/\pi$  interpreted as antibaryon-baryon annihilation.

The HM results follow the smooth transition.

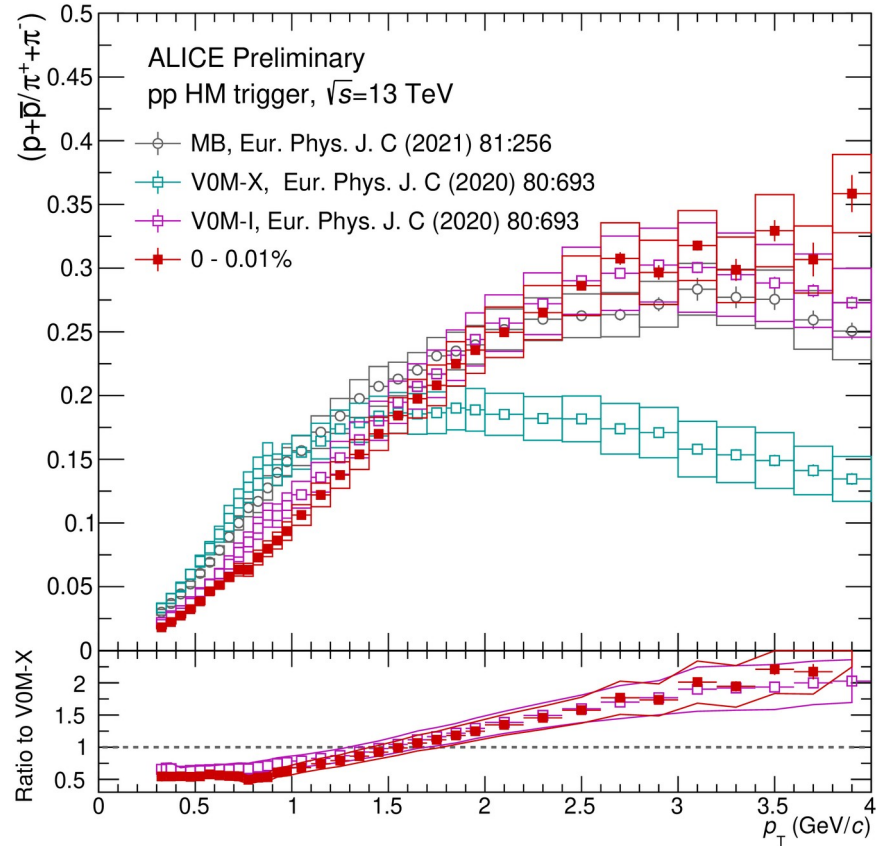
- $K/\pi$  and  $p/\pi$  ratios at pp  $s = 13$  TeV **HM results confirm the trend.**
- Ratios at high multiplicity of small system reach results of AA systems.



# Ratio of $p_T$ spectra of HM pp ( $K/\pi$ and $p/\pi$ )



ALI-PREL-548290



ALI-PREL-548303

- $K/\pi$  and  $p/\pi$  compared among different multiplicity events of pp system.
- High multiplicity results shows similar trend in the given  $p_T$  range . The ratio to V0M-X class shows an **enhancement of  $p/\pi$**  with increasing  $p_T$  – similar effect to radial flow.



# Summary



- $\pi$ , K and p spectra results for pp high multiplicity events presented and compared with published results and p/ $\pi$  compared among different multiplicity events of pp system.
- High multiplicity small system exhibits features of AA collisions.
- - Radial flow effect can be observed from mass dependent  $p_T$  spectra.
  - Multiplicity dependent  $p_T$  shows mass ordering followed in small system - radial flow.
  - Hadron chemistry driven by multiplicity and not by collision energy nor system.
- • Enhancement of p/ $\pi$  of  $p_T$  spectra at low  $p_T$  similar to AA system.

# Outlook

- ◆ Obtain the physics results and proceed with the paper proposal.





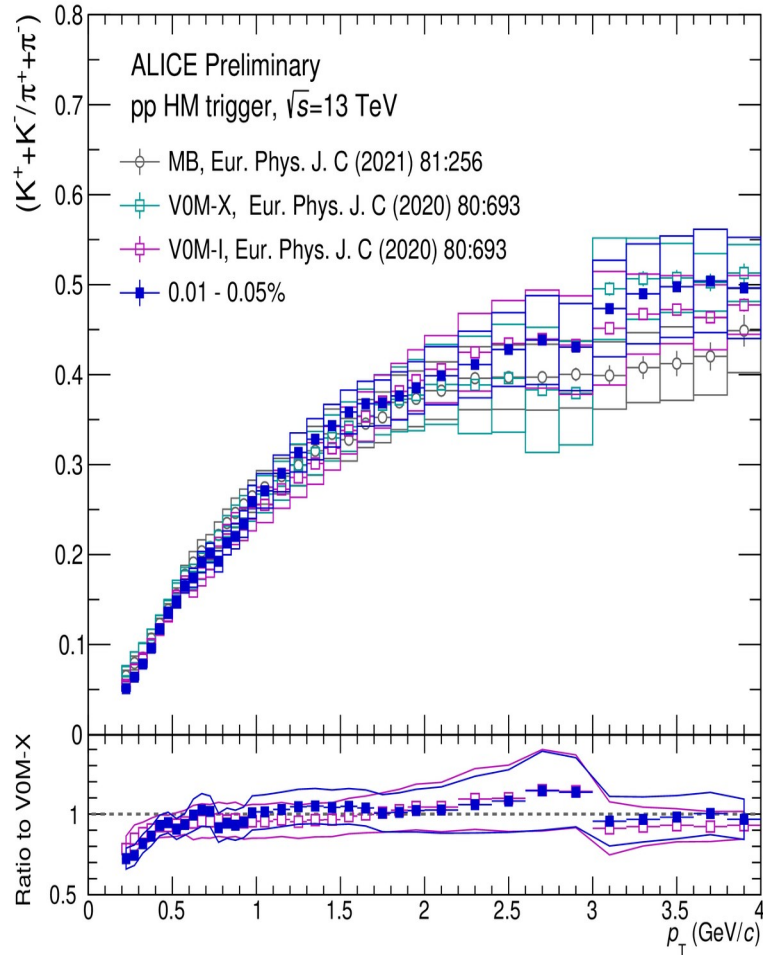
**Thank You**



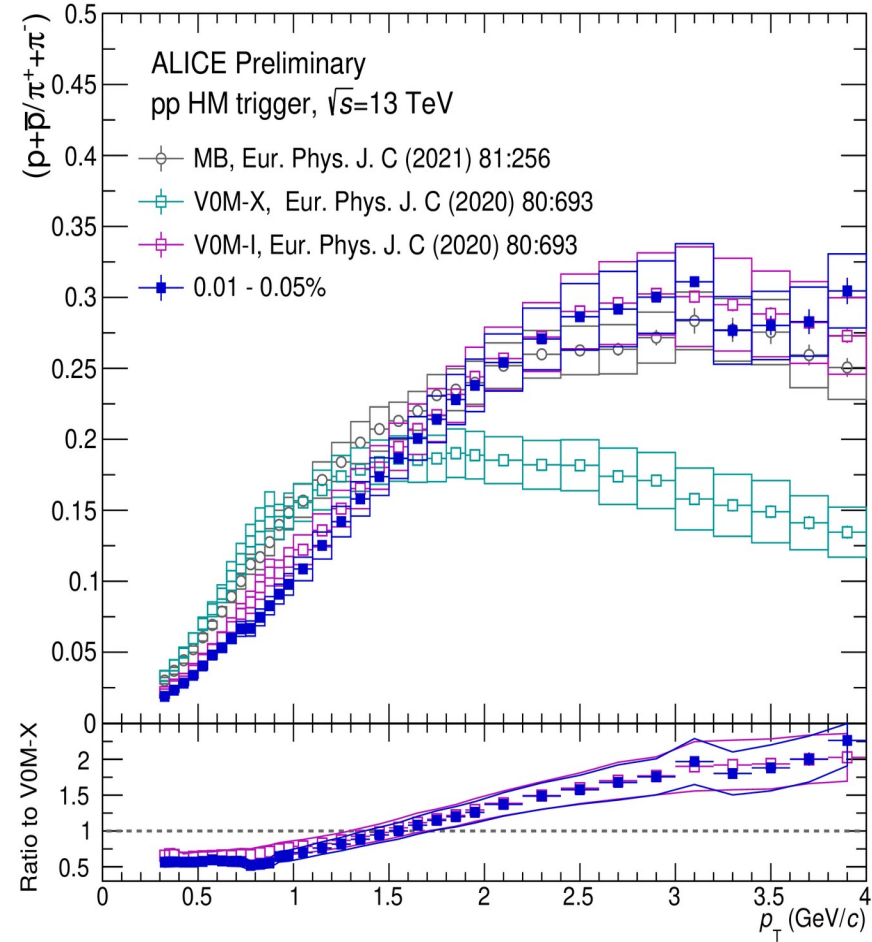


# Backup

# Ratio of $p_T$ spectra of HM pp ( $K/\pi$ and $p/\pi$ )

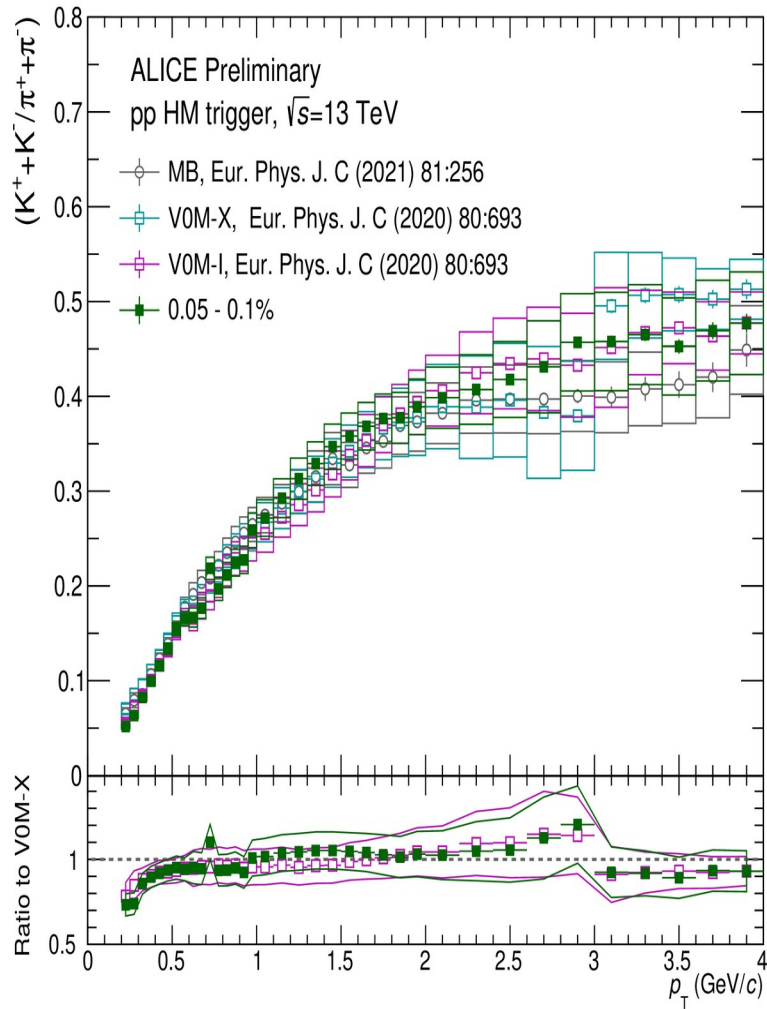


ALI-PREL-548294

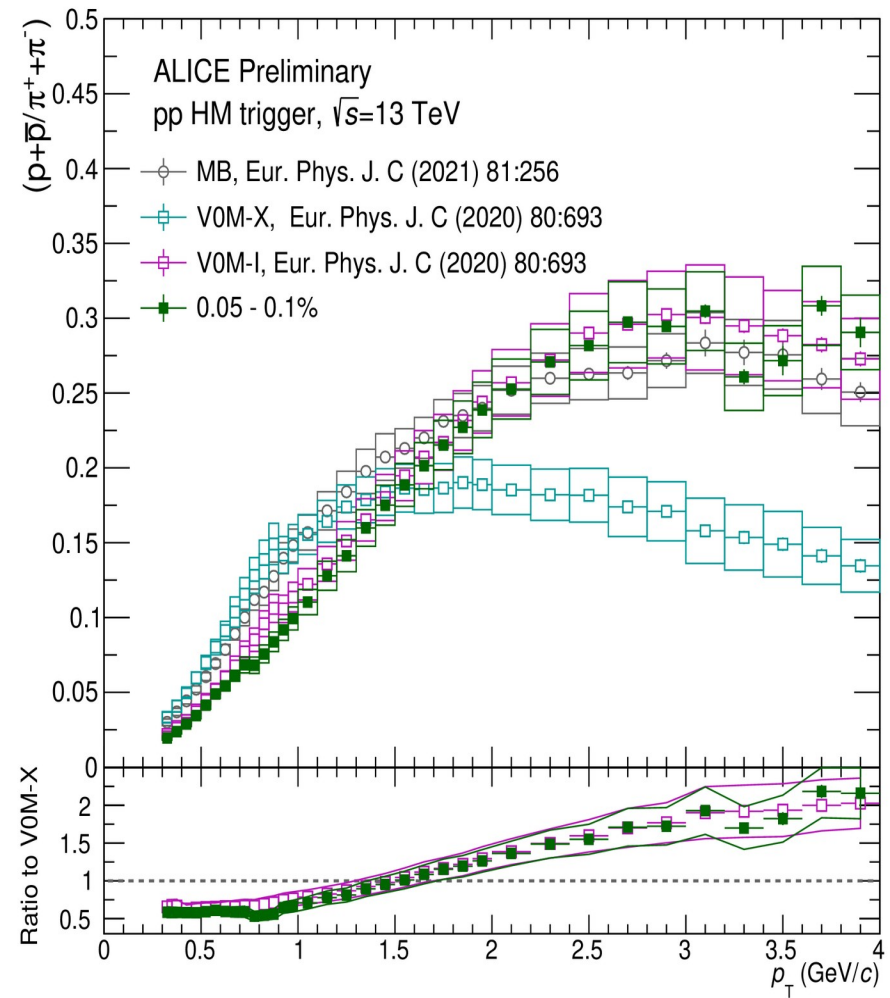


ALI-PREL-548307

# Ratio of $p_T$ spectra of HM pp ( $K/\pi$ and $p/\pi$ )



ALI-PREL-548298



ALI-PREL-548311

# Corrections

- *tracking efficiency* =  $\frac{\text{No. of reconstructed tracks}}{\text{No. of generated tracks}}$
- *PID efficiency* =  $\frac{N_{rec, PID}(p_T, \eta)}{N_{rec, tot}(p_T, \eta)}$
- Z-Vertex corrections:  $C_{zvtx} = \left( \frac{N_{|z|<10}^{MC}}{N_{gvtx}^{MC}} \right) / \left( \frac{N_{|z|<10}^{data}}{N_{gvtx}^{data}} \right) = 1.0029.$
- Secondary Corrections: Data-driven procedure is used to determine the fraction of secondaries.

# TOF and TPC Analysis details

- For PIDs we use both TOF and TPC detectors
- In this analysis we use two dimensions fit method
  - Major problems: The distance between the peaks in the PID signal is not fixed. (It is a function of  $p_T$  and  $\eta$ )
  - Since we are doing the 2D fits therefore corresponds to each fit we have six parameters.
  - TPC response:  $T_i = t - \langle t \rangle_{i|dE}$   $i \in \{\pi, \kappa, p\}$
  - TOF response:  $X_i = \frac{dE}{dx} - \langle \frac{dE}{dX} \rangle_i$
  - $\langle a \rangle_i = \text{expected value of parameter } a \text{ given the reconstructed momentum}$
  - The TPC signal is well described as:

$$\frac{dN_j}{dX_i} = \frac{N_{j,tot}}{\sqrt{2\pi}\sigma_{j|i}} \exp\left(\frac{-(X_i - \mu_{j|i})}{2\sigma_{j|i}^2}\right)$$

- The TOF signal is described as:

$$\frac{dN_j}{dT_i} = \frac{N_{j,tot} A_{j|i}}{\sqrt{2\pi}\sigma_{j|i}} \left\{ \begin{array}{l} \exp\left(\frac{-(T_i - \mu_{i|j})^2}{2\sigma_{j|i}^2}\right) \\ \exp(-\lambda_{j|i}(T_i - \mu_{j|i})) + B_{j|i} \end{array} \right. \quad \begin{array}{l} T_i < \kappa_{j|i} + \mu_{j|i} \\ T_i > \kappa_{j|i} + \mu_{j|i} \end{array}$$

# Contd ... TOF Mismatch

- A template is included in the fit for TOF mismatch.
- The template is generated by assigning a random time to each track.

$$T_{randomhit} = fT 0 Fill \rightarrow GetRandom() - tofill + currentRndTime$$

- The fill time is:  $t_{0fill} = -1.26416 * 10^4$  ps.

- $currentRndTime = \frac{currentRndlength}{c}$

- CurrentRndlength is the distance (straight) from the interaction point to the cluster.

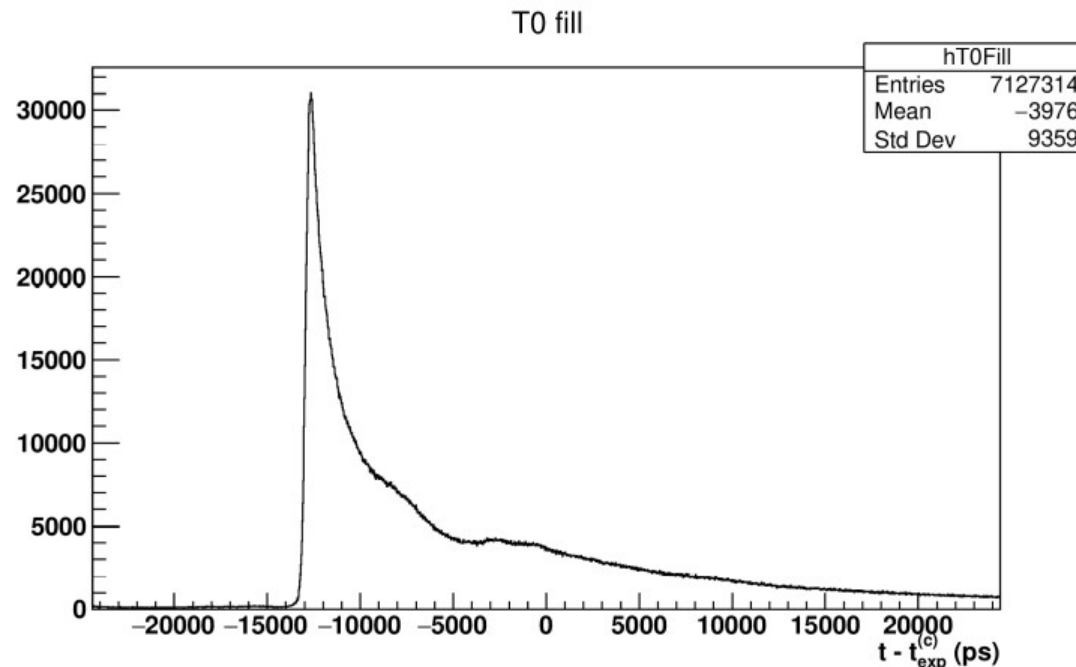


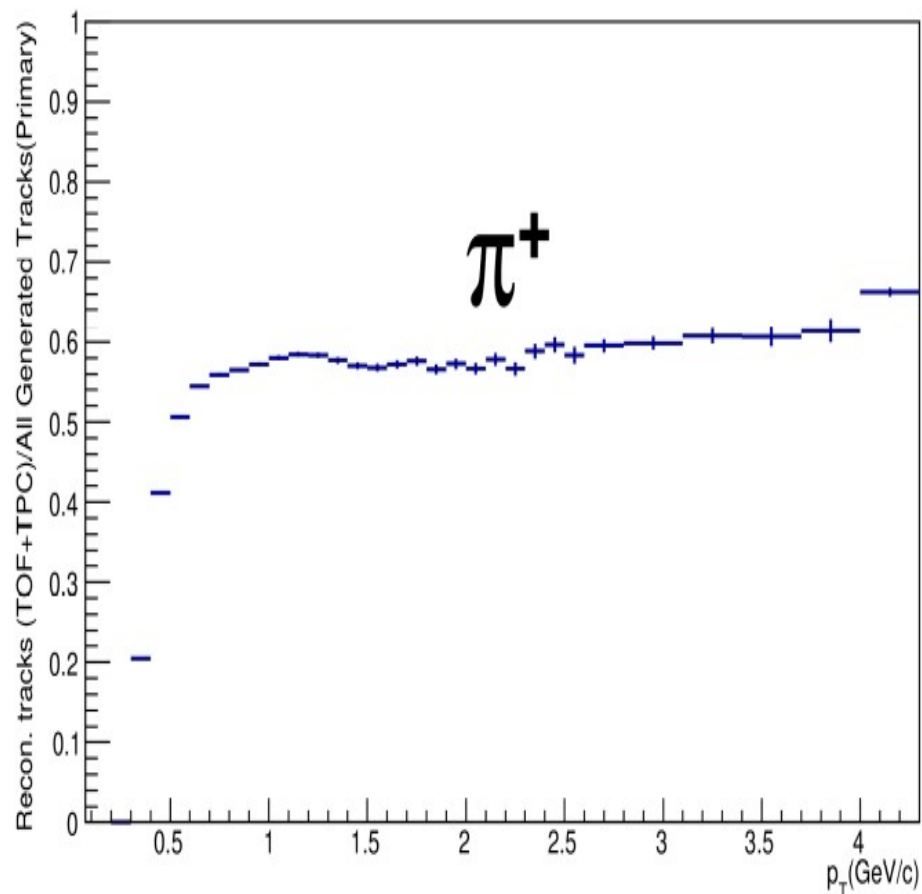
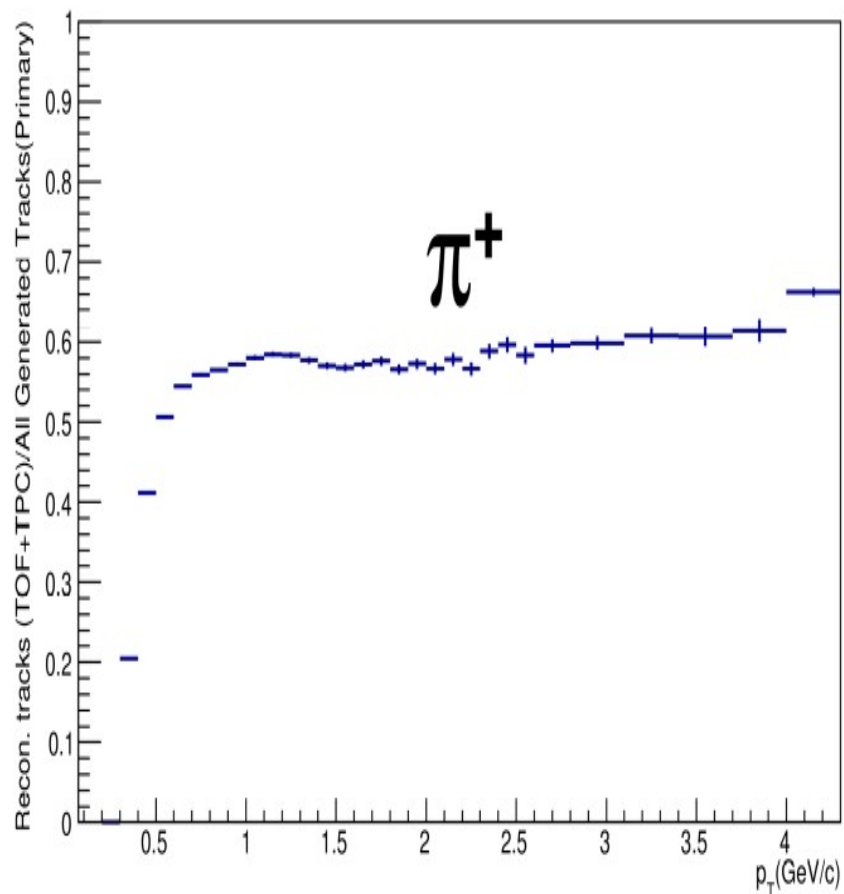
Fig. Examples of TO fill Histogram (run 116571 )

# Corrections

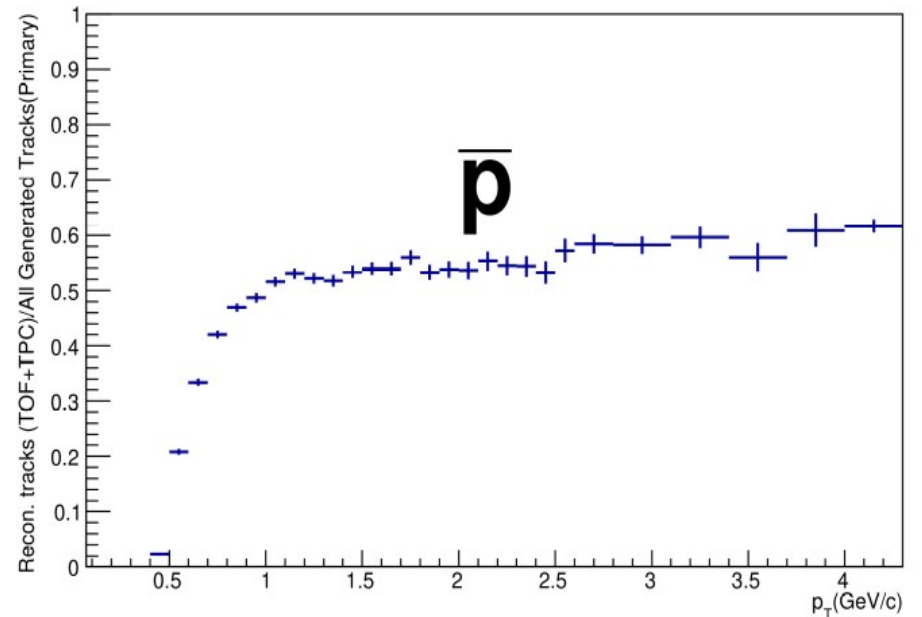
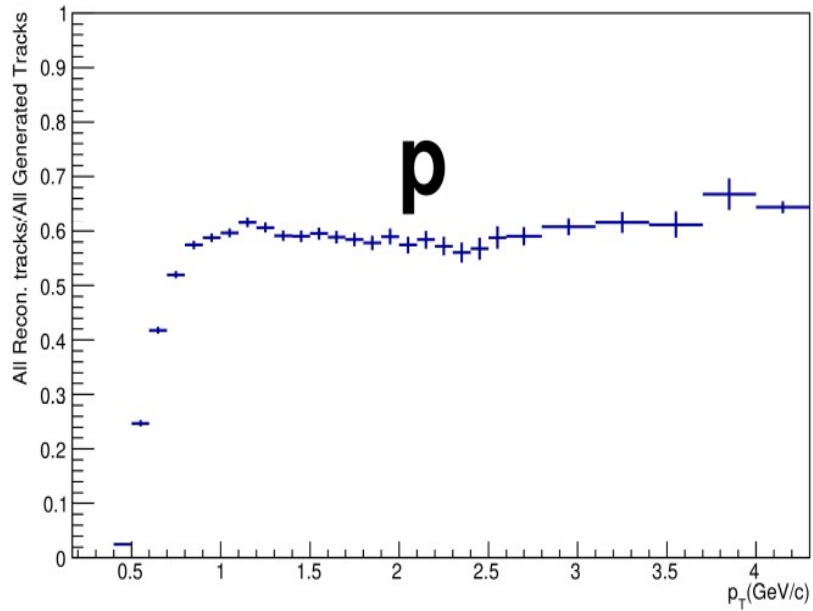
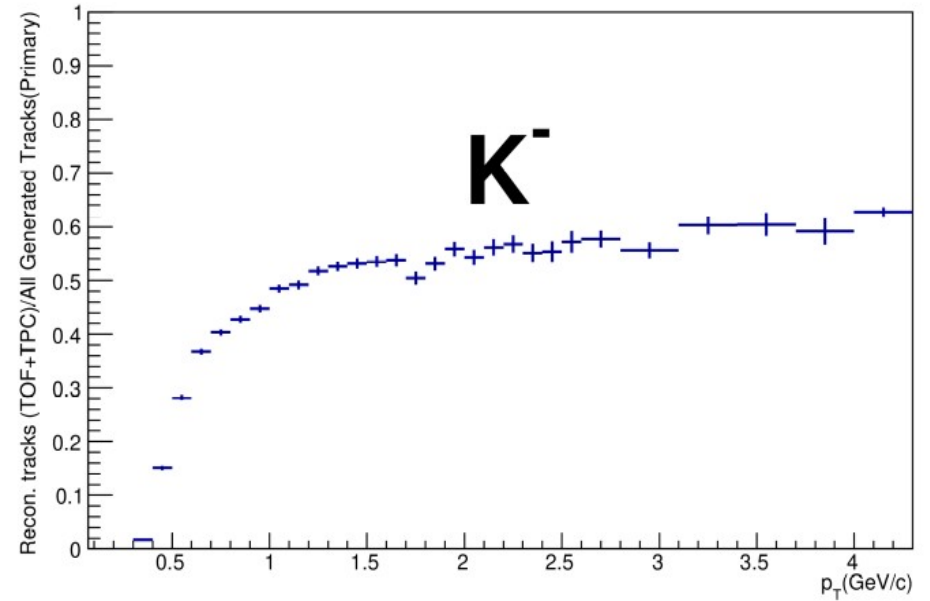
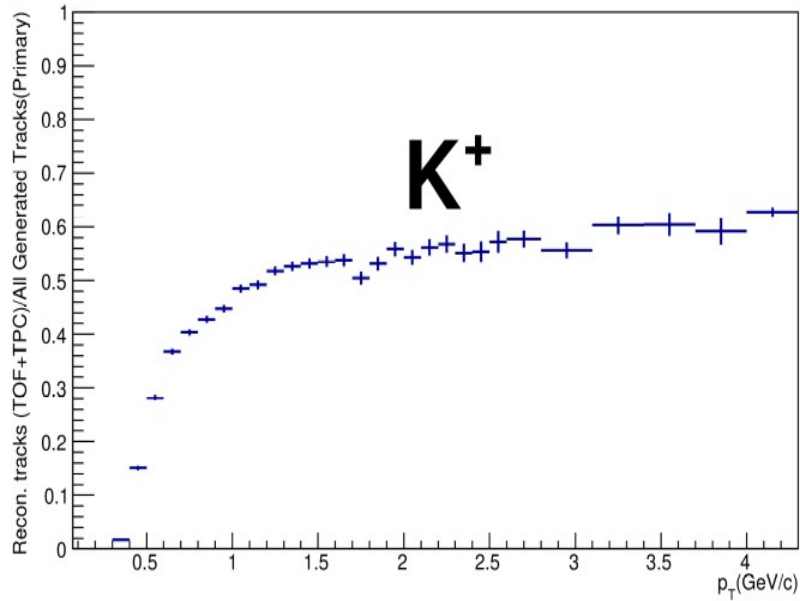
## PID Efficiency (Pions)

$$\varepsilon = \frac{\text{Reconstructed tracks with PID signal}}{\text{Total number of reconstructed tracks}}$$

Have you check how you calculated the tracking efficiency.



# PID Efficiency (kaons and protons)

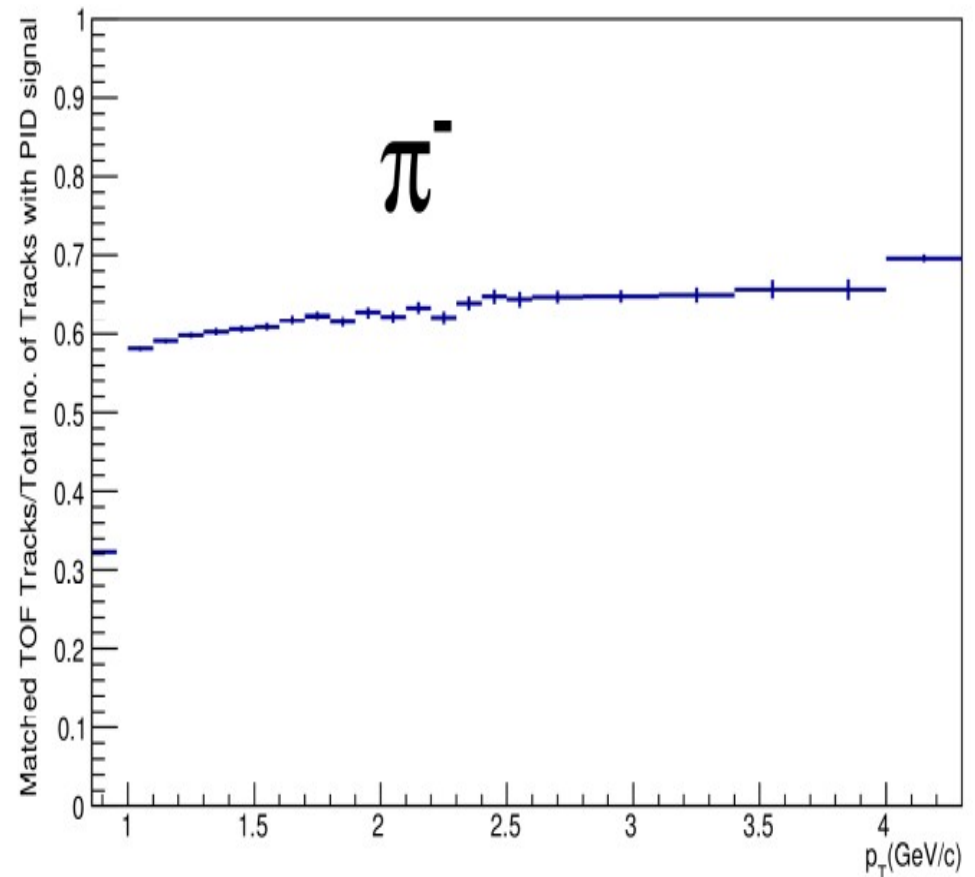
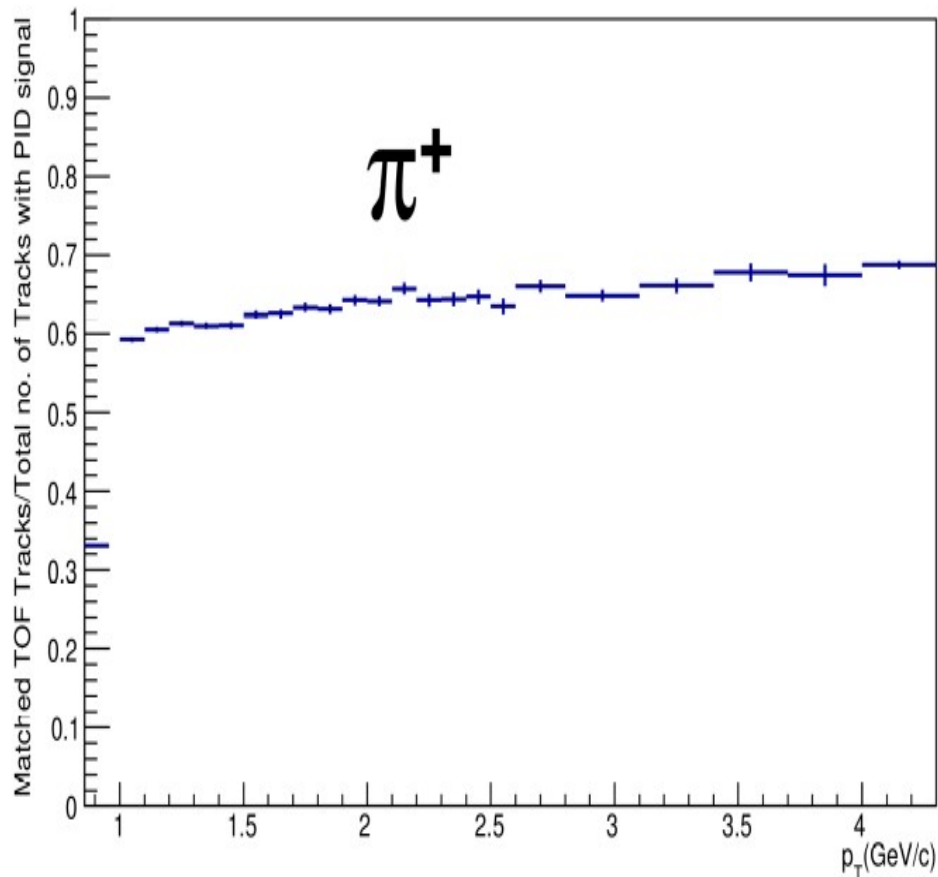




# Corrections

## TOF Matching Efficiency (Pions)

$$\varepsilon = \frac{\text{Correctly matched tracks}}{\text{Total Number of tracks with PID signal}}$$



## Secondary Corrections

**Loose DCA cut on data.**

$$\frac{\sqrt{x_{DCA}^2 + y_{DCA}^2}}{2.4\text{cm}} + \frac{z_{DCA}}{3.2\text{cm}} < 1$$

**Tight DCA cut on data.**

$$\sqrt{x_{DCA}^2 + y_{DCA}^2} < \left( 0.0182 + \frac{0.0350}{p_T^{1.01}} \right) \text{cm}$$

To achieve the high purity of the sample we apply a strict cut on TOF and TPC as:

$$\sqrt{(n \sigma_{TOF})^2 + (n \sigma_{TPC})^2} < 1$$

The fractions of primaries after the DCA cut:

- $$f_{\text{prim}}^{\text{tight}} = \frac{\alpha_{\text{prim}} f_{\text{prim}}^{\text{loose}}}{\alpha_{\text{prim}} f_{\text{prim}}^{\text{loose}} + \alpha_{\text{weak}} f_{\text{weak}}^{\text{loose}} + \alpha_{\text{mat}} f_{\text{mat}}^{\text{loose}}}$$

- Where 
$$\alpha_{\text{prim}}(p_T) = \frac{N_{\text{prim}}^{\text{tight}}}{N_{\text{prim}}^{\text{loose}}}$$